



**DEPARTMENT OF PUBLIC
WORKS AND HIGHWAYS
REPUBLIC OF THE
PHILIPPINES**



**JAPAN INTERNATIONAL
COOPERATION AGENCY**

**THE DETAILED DESIGN
OF
PASIG-MARIKINA RIVER CHANNEL
IMPROVEMENT PROJECT (PHASE III)**

FINAL REPORT

VOLUME-III-1

STRUCTURAL CALCULATION OF PASIG RIVER

FEBRUARY 2013



**CTI Engineering International Co., Ltd.
Consulting Engineers**

COMPOSITION OF FINAL REPORT

VOLUME-I : SUMMARY

VOLUME-II : MAIN REPORT

VOLUME-III-1 : STRUCTURAL CALCULATION OF PASIG RIVER

VOLUME-III-2 : STRUCTURAL CALCULATION OF LOWER MARIKINA RIVER

VOLUME-IV-1 : QUANTITY CALCULATION OF PASIG RIVER

VOLUME-IV-2 : QUANTITY CALCULATION OF LOWER MARIKINA RIVER

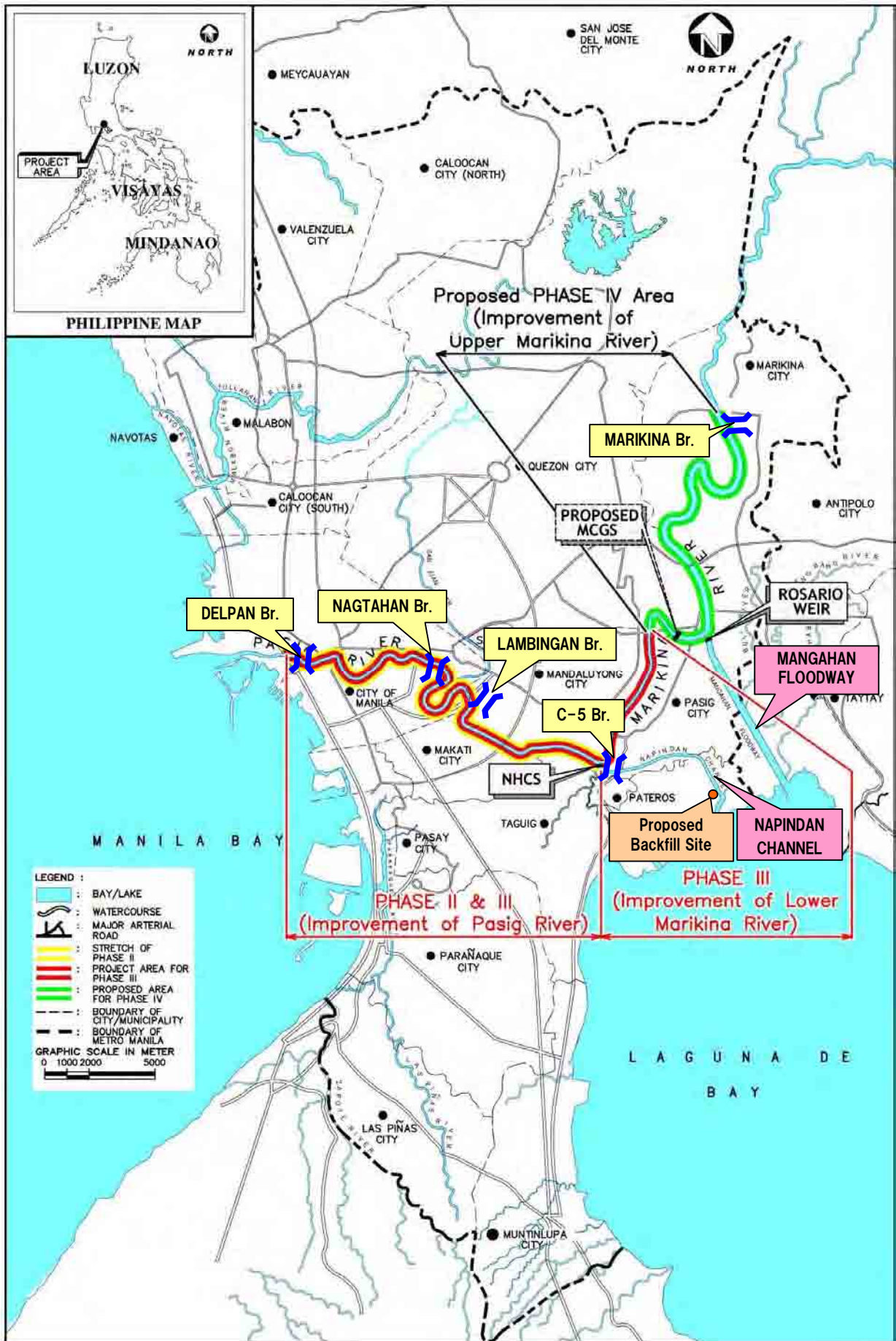
VOLUME-V : COST ESTIMATE

EXCHANGE RATES USED IN THE REPORT:

PHP 1.00 = JPY 1.968

USD 1.00 = JPY 80.940 = PHP 41.123

(Monthly Average in November 2012 of Central Bank of the Philippines)



PROJECT LOCATION MAP

**THE DETAILED DESIGN
OF
PASIG-MARIKINA RIVER CHANNEL
IMPROVEMENT PROJECT (PHASE III)**

**DRAFT FINAL REPORT
Vol.-III-1 STRUCTURAL CALCULATION OF PASIG RIVER**

TABLE OF CONTENTS

PROJECT LOCATION MAP	i
ABBREVIATIONS AND ACRONYMS	iv
CHAPTER 1 STEEL SHEET PILE (SSP) REVETMENT (LEFT BANK).....	1.1
CHAPTER 2 STEEL SHEET PILE (SSP) REVETMENT (RIGHT BANK).....	2.1
CHAPTER 3 REINFORCED RIVER FLOOD WALL (PW, VW, IW and LPW).....	3.1
3.1 Parapet Wall Type-II and III	3.1
3.2 Parapet Wall Type-IV and Vertical Wall.....	3.55
3.3 Inclined Wall	3.64
3.4 L-type Parapet Wall	3.71
3.5 L-type Parapet Wall with Soil Embankment.....	3.132
3.6 Slope Stability of Riprap	3.187
CHAPTER 4 STRUCTURAL CALCULATION OF DRAINAGE FACILITIES...	4.1
4.1 Design Conditions	4.1
4.2 Structural Calculation of Manhole	4.3
4.3 Structural Calculation of Junction Box	4.63
4.4 Structural Calculation of manhole Cover	4.68

ABBREVIATIONS AND ACRONYMS

Units of Measurement

mm	: millimeter
cm	: centimeter
m	: meter
km	: kilometer
g, gr	: gram
kg	: kilogram
t, ton	: metric ton
m ²	: square meter
ha, has	: hectare, hectares
km ²	: square kilometer
m ³	: cubic meter
s, sec	: second
m, min.	: minute
h, hr	: hour
y, yr	: year
MW	: megawatt
mm/hr	: millimeter per hour
m/s	: meter per second
km/hr	: kilometer per hour
mg/l	: milligram per liter
m ³ /s	: cubic meter per second
m ³ /s/km ²	: cubic meter per second per square kilometer
%	: percent
ppm	: parts per million
x x	: symbol of multiplication (times)
≤, ≥	: Inequality sign (e.g. A≤B means that value A is less than or equal to value B.)
<, >	: Inequality sign (e.g. A<B means that value A is less than value B.)
Y, ¥, JPY	: Japanese Yen
P, ₱, PHP	: Philippine Peso

CHAPTER 1 STEEL SHEET PILE (SSP) REVETMENT (LEFT BANK)

Table R 3.1.1 Design Results of SSP Revetment in Each Section (Left Bank)

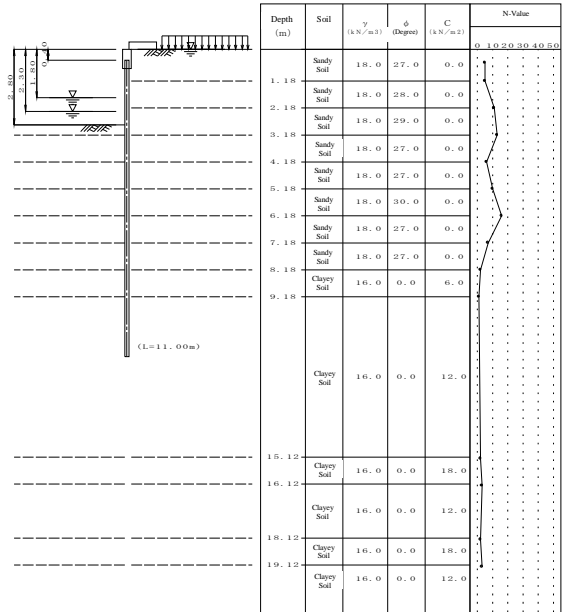
No.	Section				Designed SSP Revetment			Result of Design Calculation			
	from	to	Bank	EL. of Design Riverbed (EL. m)	Type	Z ₀ (cm ³)	Length (m)	Stress (N/mm ²)		Displacement (mm)	
								Normal (acceptable)	Seismic (acceptable)	Normal (50)	Seismic (75)
1	2+419	2+550	L	9.6	IV _w	2700	11.0	67 (180)	90 (270)	35.17	50.05
2	2+550	2+694	L	9.6	IV _w	2700	11.5	77 (180)	99 (270)	45.22	62.90
3	2+854	2+950	L	9.6	V _L	3150	12.0	70 (180)	91 (270)	45.62	63.84
4	2+950	3+072	L	9.6	IV _w	2700	12.0	73 (180)	92 (270)	46.62	61.08
5	3+160	3+300	L	9.6	25H	1610	9.0	69 (180)	96 (270)	28.74	42.46
6	6+116	6+219	L	10.0	III _w	1800	10.0	76 (180)	103 (270)	40.51	58.56
7	6+249	6+269	L	10.0	VI _L	3820	12.5	69 (180)	107 (270)	42.72	72.08
8	6+376	6+482	L	10.1	V _L	3150	11.0	76 (180)	111 (270)	42.63	66.49
9	7+326	7+444	L	10.1	VI _L	3820	12.0	66 (180)	98 (270)	40.09	61.52
10	7+494	7+514	L	10.1	VI _L	3820	12.0	68 (180)	100 (270)	41.11	63.39
11	11+500	11+628	L	10.2	V _L	3150	11.0	81 (180)	116 (270)	46.54	70.68
12	12+024	12+173	L	8.2	10H + 750x250x12x25	902+5390	16.5	103 (185)	126 (278)	44.11	54.41
13	13+806	13+900	L	10.2	10H + 450x250x9x22	902+2490	13.0	103 (185)	145 (278)	40.86	58.10
14	13+900	14+000	L	10.2	10H + 600x200x12x28	902+3630	14.5	105 (185)	158 (278)	42.48	64.25
15	14+000	14+150	L	10.2	10H + 450x200x12x25	902+2320	12.5	90 (185)	166 (278)	29.48	60.53
16	14+150	14+250	L	10.2	IV _w	2700	10.0	78 (180)	118 (270)	36.56	57.83
17	14+250	14+272	L	10.2	10H + 400x200x9x22	902+1760	11.5	116 (185)	194 (278)	37.10	65.31
18	15+236	15+311	L	10.2	VI _L	3820	11.0	81 (180)	136 (270)	39.37	71.41
19	15+311	15+424	L	10.2	VI _L	3820	11.0	68 (180)	115 (270)	32.12	59.92
20	15+443	15+548	L	10.2	10H + 450x250x12x28	902+3070	13.0	102 (185)	168 (278)	41.61	70.56
21	15+747	15+870	L	10.2	10H + 450x250x9x22	902+2490	13.5	95 (185)	159 (278)	35.32	64.46
22	15+965	16+150	L	10.2	10H + 400x200x9x22	902+1760	12.0	94 (185)	153 (278)	31.70	55.46
23	16+150	16+200	L	10.2	10H + 400x200x9x22	902+1760	12.5	102 (185)	169 (278)	36.94	67.52
24	16+200	16+300	L	10.2	10H + 400x200x9x22	902+1760	12.5	106 (185)	168 (278)	37.91	65.70
25	16+300	16+450	L	10.2	10H + 400x200x9x22	902+1760	13.0	103 (185)	178 (278)	38.65	72.60
26	16+450	16+552	L	10.2	10H + 400x200x9x22	902+1760	12.5	91 (185)	154 (278)	32.03	59.46
27	16+552	16+564	L	10.2	25H + 850x250x16x28	1610+7240	19.0	91 (185)	146 (278)	45.11	72.99

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Left Bank No. 01_STA 2+419 - 2+550



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.80 m
 Depth from coping top to rear side ground H_g = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Landside WL L_{wp} = 0.00 m (Normal Condition)
 Riverside WL L_{wp} = 2.30 m (Normal Condition)
 L_{wp}' = 1.80 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

L_No.01_pp.1

L_No.01_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition
 Design earthquake intensity k = 0.200
 Dynamic water pressure due to earthquake considered as distributed load
 Arbitrary load Horizontal load P_t = 1.0 kN/m (Normal Condition)
 P_t' = 4.5 kN/m (Seismic Condition)
 Depth of acting point H_t = -0.13 m (Normal Condition)
 H_t' = 0.16 m (Seismic Condition)
 Moment M_m = 0.1 kN·m/m (Normal Condition)
 M_m' = 2.9 kN·m/m (Seismic Condition)
 Depth of acting point H_m = 0.00 m (Seismic Condition)
 H_m = 0.80 m (Normal Condition)
 ('Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula K_s = 6910 × N'^{0.406}

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.50	5	11	15.18	2
2	1.18	5	12	16.18	3
3	2.18	11	13	18.18	2
4	3.18	13	14	19.19	3
5	4.18	6	15	20.18	2
6	5.18	10			
7	6.18	16			
8	7.18	7			
9	8.18	2			
10	9.18	1			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

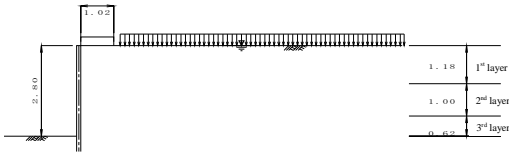
No	Depth (m)	Soil	N-value	γ kN/m ³	γ' kN/m ³	φ	C kN/m ²	a	k'	ζ (degree)		kh(kN/m ³)	
										normal	seismic	normal	seismic
1	1.18	S	5.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
2	2.18	S	11.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	-----	-----
3	3.18	S	13.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	-----	-----
4	4.18	S	6.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
5	5.18	S	10.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
6	6.18	S	16.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----
7	7.18	S	7.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
8	8.18	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
9	9.18	C	1.0	16.00	8.00	0.0	6.0	0.0	0.200	auto	auto	-----	-----
10	15.12	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	-----	-----
11	16.12	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	-----	-----
12	18.12	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	-----	-----
13	19.12	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	-----	-----
14	20.12	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	-----	-----

Note) depth : from top of coping to bottom of the layer C_o : soil adhesion
 soil : sandy(S), clayey(C), mixed (M) a : slope of soil adhesion
 N-value : average N-value in the layer k' : design seismic coefficient (underwater)
 γ : wet unit weight of soil ζ : angle of active rupture
 γ' : saturated unit weight of soil kh : modulus of subgrade reaction
 φ : internal friction angle of soil

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.00	1.02	1.02	0.27	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	1.22	10.00	10.0	5.0

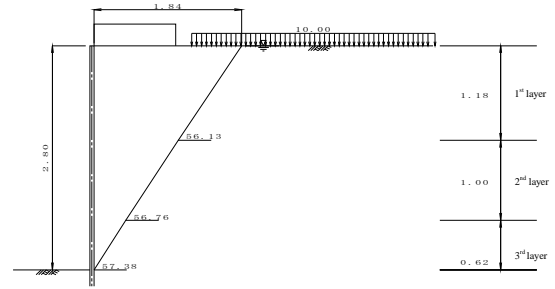
Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

- Young's modulus E = 200000 N/mm²
- Inertia sectional moment I₀ = 56700 cm⁴
- Sectional factor Z₀ = 2700 cm³
- Corrosion margin t₁ = 1.00 mm (riverside) t₂ = 1.00 mm (landside)
- Corrosion rate (to I₀) η = 0.88
- Corrosion rate (to Z₀) η = 0.88
- Section efficiency (to I₀) μ = 0.80
- Section efficiency (to Z₀) μ = 1.00
- Round unit of SSP length 0.50 m
- Allowable stress σ_a = 180 N/mm (Normal)
 σ_a' = 270 N/mm (Seismic)
- Allowable displacement δ_a = 50.0 mm (Normal)
 δ_a' = 75.0 mm (Seismic)
- Bending of cantilever beam calculated as distributed load of each layer
- Reduction of material modulus Reduced: I₀ applied to calculation of lateral coefficient of subgrade reaction
Not reduced: I₀ applied to calculation of penetration depth
Reduced: I₀ applied to calculation of section forces and displacement
Reduced: Z₀ applied to calculation of stresses

L_No.01_pp.5

2 Calculation of Acting Load
2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma\gamma$ (kN/m ²)	Q (kN/m ²)	$\gamma w h$ (kN/m ²)	Angle of rupture Z (degree)
1	2.80~ 2.18	Sandy Soil	29.0	9.0	0.0	28.00	6.07	27.44	57.38
2	2.18~ 1.18	Sandy Soil	28.0	9.0	0.0	21.80	6.07	21.36	56.76
3	1.18~ 0.00	Sandy Soil	27.0	9.0	0.0	11.80	6.07	11.56	56.13

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

L_No.01_pp.6

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	57.38	0.62	0.00	0.00	0.40	0.62
2	56.76	1.00	0.40	0.62	1.05	1.62
3	56.13	1.18	1.05	1.62	1.84	2.80

Therefore, width of acting load shall be set as 1.84 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	0.28	4.96
Σ			4.96

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	0.62	6.24
Σ			6.24

Q : surcharge load
l : width of surcharge load set by line of active rupture

2-1-5 Calculation of Total Acting Load

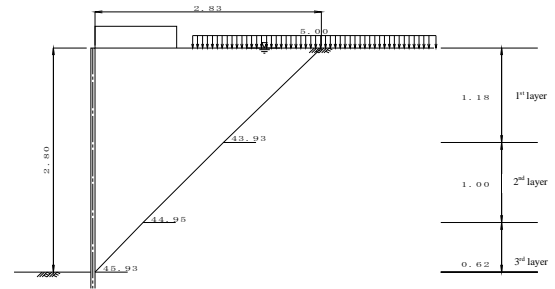
$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{4.96 + 6.24 + 0.00}{1.84}$$

$$= 6.07 \text{ kN/m}^2$$

L_No.01_pp.7

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma\gamma$ (kN/m ²)	Q (kN/m ²)	$\gamma w h$ (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.80~ 2.18	Sandy Soil	29.0	9.0	0.0	28.00	4.60	27.44	0.200	11.31	45.93
2	2.18~ 1.18	Sandy Soil	28.0	9.0	0.0	21.80	4.60	21.36	0.200	11.31	44.95
3	1.18~ 0.00	Sandy Soil	27.0	9.0	0.0	11.80	4.60	11.56	0.200	11.31	43.93

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

L_No.01_pp.8

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.93	0.62	0.00	0.00	0.60	0.62
2	44.95	1.00	0.60	0.62	1.60	1.62
3	43.93	1.18	1.60	1.62	2.83	2.80

Therefore, width of acting load shall be set as 2.83 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	0.28	4.96
Σ			4.96

γ : unit weight of embankment soil

A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	1.61	8.04
Σ			8.04

Q: surcharge load

l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

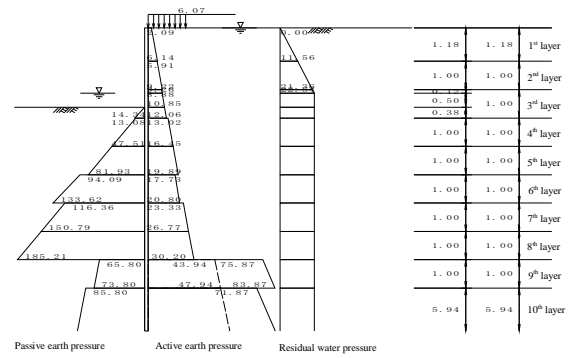
$$= \frac{4.96 + 8.04 + 0.00}{2.83}$$

$$= 4.60 \text{ kN/m}^2$$

L_No.01_pp.9

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_0$ (kN/m ²)	Ka	$K_a \times \cos\delta$
1	Sandy soil	10.0	27.0	—	6.073	0.34800	0.34371
2	Sandy soil	10.0	28.0	—	17.873	0.33506	0.33093
3	Sandy soil	10.0	29.0	—	27.873	0.32248	0.31851
4	Sandy soil	10.0	29.0	—	29.073	0.32248	0.31851
5	Sandy soil	10.0	29.0	—	34.073	0.32248	0.31851
6	Sandy soil	10.0	27.0	—	37.873	0.34800	0.34371
7	Sandy soil	10.0	27.0	—	47.873	0.34800	0.34371
8	Sandy soil	10.0	30.0	—	57.873	0.31026	0.30644
9	Sandy soil	10.0	27.0	—	67.873	0.34800	0.34371
10	Sandy soil	10.0	27.0	—	77.873	0.34800	0.34371
11	Clayey soil	8.0	—	6.0	87.873	—	—
12	Clayey soil	8.0	—	12.0	95.873	—	—
13	Clayey soil	8.0	—	18.0	143.393	—	—

L_No.01_pp.10

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_0$ (kN/m ²)	Ka	$K_a \times \cos\delta$
14	Clayey soil	8.0	—	12.0	151.393	—	—
15	Clayey soil	8.0	—	18.0	167.393	—	—
16	Clayey soil	8.0	—	12.0	175.393	—	—

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;

$$\delta = 9.00, \beta = 0.00, \theta = 0.00$$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_0$ (kN/m ²)	Kp	$K_p \times \cos\delta$
5	Sandy soil	10.0	29.0	—	0.000	3.82002	3.77299
6	Sandy soil	10.0	27.0	—	3.800	3.48553	3.44261
7	Sandy soil	10.0	27.0	—	13.800	3.48553	3.44261
8	Sandy soil	10.0	30.0	—	23.800	4.00247	3.95319
9	Sandy soil	10.0	27.0	—	33.800	3.48553	3.44261
10	Sandy soil	10.0	27.0	—	43.800	3.48553	3.44261
11	Clayey soil	8.0	0.0	6.0	53.800	—	—
12	Clayey soil	8.0	0.0	12.0	61.800	—	—
13	Clayey soil	8.0	0.0	18.0	109.320	—	—
14	Clayey soil	8.0	0.0	12.0	117.320	—	—
15	Clayey soil	8.0	0.0	18.0	133.320	—	—
16	Clayey soil	8.0	0.0	12.0	141.320	—	—

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;

$$\delta = -9.00, \beta = 0.00, \theta = 0.00$$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

L_No.01_pp.11

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure Pw (kN/m ²)	Passive side Pp (kN/m ²)
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1	2.09	—	2.09	0.00	—
2	6.14	—	6.14	11.56	—
3	9.22	—	9.22	21.36	—
4	9.26	—	9.26	22.54	—
5	10.85	—	10.85	22.54	0.00
6	13.02	—	13.02	22.54	13.08
7	16.45	—	16.45	22.54	47.51
8	17.73	—	17.73	22.54	94.09
9	20.80	—	20.80	22.54	133.62
10	23.33	—	23.33	22.54	116.36
11	26.77	—	26.77	22.54	150.79
12	30.20	—	30.20	22.54	185.21
13	43.94	—	43.94	22.54	65.80
14	47.94	—	47.94	22.54	73.80
15	71.70	—	71.70	22.54	85.80
16	71.70	—	71.70	22.54	133.32
17	75.70	—	75.70	22.54	153.32
18	83.70	—	83.70	22.54	141.32
19	83.70	—	83.70	22.54	177.32
20	87.70	—	87.70	22.54	169.32
21	91.70	—	91.70	22.54	173.32

- Formula for active earth pressure

$$\text{Sandy soil } P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos\delta$$

$$\text{Clayey soil } P_{a1} = \Sigma \gamma h + Q - 2C$$

$$P_a = K_a \cdot (\Sigma \gamma h + Q)$$

K_a : Equilibrium coefficient of compression: 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

$$\text{Mixed soil } P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos\delta$$

- Formula for passive earth pressure

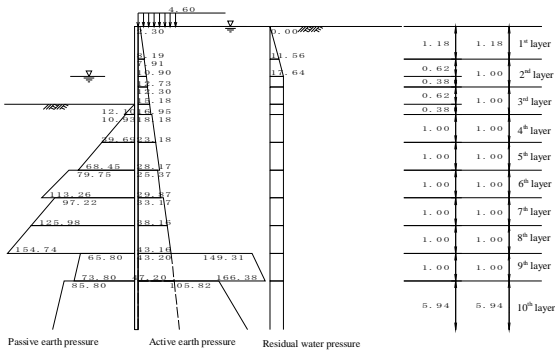
$$\text{Sandy soil } P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos\delta$$

$$\text{Clayey soil } P_p = \Sigma \gamma h + Q + 2C$$

$$\text{Mixed soil } P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos\delta$$

L_No.01_pp.12

3-2 Seismic Condition



Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q$ (kN/m ²)	γ_{wh} (kN/m ²)	k (k)	θ (degree)	Ka	Ka $\times \cos \delta$	θ (degree)
14	16.12~18.12	Clayey Soil	8.0	—	12.0 12.0	149.92 165.92	157.98 177.58	0.200 0.200	11.31 11.31	— —	10.00 10.00
15	18.12~19.12	Clayey Soil	8.0	—	18.0 18.0	173.92 173.92	177.58 187.38	0.200 0.200	11.31 11.31	— —	12.93 10.00
16	19.12~20.12	Clayey Soil	8.0	—	12.0 12.0	173.92 181.92	187.38 197.18	0.200 0.200	11.31 11.31	— —	10.00 10.00

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below:
 $\delta = 9.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below:

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_p$ (kN/m ²)	γ_{wh} (kN/m ²)	k (k)	θ (degree)	Kp	Kp $\times \cos \delta$	
5	2.80~3.18	Sandy Soil	10.00	29.0	—	0.000 3.800	0.00 3.72	0.200 0.200	11.31 11.31	3.22324 3.22324	3.18356 3.18356
6	3.18~4.18	Sandy soil	10.00	27.0	—	3.800 13.800	3.72 13.52	0.200 0.200	11.31 11.31	2.91211 2.91211	2.87626 2.87626
7	4.18~5.18	Sandy soil	10.00	27.0	—	13.800 23.800	13.52 23.32	0.200 0.200	11.31 11.31	2.91211 2.91211	2.87626 2.87626
8	5.18~6.18	Sandy soil	10.00	30.0	—	23.800 33.800	23.32 33.12	0.200 0.200	11.31 11.31	3.39273 3.39273	3.35096 3.35096
9	6.18~7.18	Sandy soil	10.00	27.0	—	33.800 43.800	33.12 42.92	0.200 0.200	11.31 11.31	2.91211 2.91211	2.87626 2.87626
10	7.18~8.18	Sandy soil	10.00	27.0	—	43.800 53.800	42.92 52.72	0.200 0.200	11.31 11.31	2.91211 2.91211	2.87626 2.87626
11	8.18~9.18	Clayey soil	8.00	0.0	6.0 6.0	53.800 61.800	52.72 62.52	0.200 0.200	11.31 11.31	— —	— —
12	9.18~10.12	Clayey soil	8.00	0.0	12.0 12.0	61.800 69.800	62.52 72.32	0.200 0.200	11.31 11.31	— —	— —
13	10.12~11.12	Clayey soil	8.00	0.0	18.0 18.0	69.800 77.800	72.32 82.12	0.200 0.200	11.31 11.31	— —	— —
14	11.12~12.12	Clayey soil	8.00	0.0	12.0 12.0	77.800 85.800	82.12 91.92	0.200 0.200	11.31 11.31	— —	— —
15	12.12~13.12	Clayey soil	8.00	0.0	18.0 18.0	85.800 93.800	91.92 101.72	0.200 0.200	11.31 11.31	— —	— —
16	13.12~14.12	Clayey soil	8.00	0.0	12.0 12.0	93.800 101.800	101.72 111.52	0.200 0.200	11.31 11.31	— —	— —

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below:
 $\delta = -9.00, \beta = 0.00, \theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

L_No.01_pp.13

L_No.01_pp.14

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure Pw (kN/m ²)	Passive side Pp (kN/m ²)
		Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1	0.00~1.18	2.30 8.19	— —	2.30 8.19	0.00 11.56	— —
2	1.18~1.80	7.91 10.90	— —	7.91 10.90	11.56 17.64	— —
3	1.80~2.18	10.90 12.73	— —	10.90 12.73	17.64 17.64	— —
4	2.18~2.80	12.30 15.18	— —	12.30 15.18	17.64 17.64	— —
5	2.80~3.18	15.18 16.95	— —	15.18 16.95	17.64 17.64	0.00 12.10
6	3.18~4.18	18.18 23.18	— —	18.18 23.18	17.64 17.64	10.93 39.69
7	4.18~5.18	23.18 28.17	— —	23.18 28.17	17.64 17.64	39.69 68.45
8	5.18~6.18	25.37 29.87	— —	25.37 29.87	17.64 17.64	79.75 113.26
9	6.18~7.18	33.17 38.16	— —	33.17 38.16	17.64 17.64	97.22 125.98
10	7.18~8.18	38.16 43.16	— —	38.16 43.16	17.64 17.64	125.98 154.74
11	8.18~9.18	149.31 166.38	43.20 47.20	149.31 166.38	17.64 17.64	65.80 73.80
12	9.18~10.12	105.82 232.71	47.20 70.96	105.82 232.71	17.64 17.64	85.80 133.32
13	10.12~11.12	158.22 174.99	70.96 74.96	158.22 174.99	17.64 17.64	145.32 153.32
14	11.12~12.12	249.79 283.94	74.96 82.96	249.79 283.94	17.64 17.64	141.32 157.32
15	12.12~13.12	227.91 265.92	82.96 86.96	227.91 265.92	17.64 17.64	169.32 177.32
16	13.12~14.12	301.01 318.08	86.96 90.96	301.01 318.08	17.64 17.64	165.32 173.32

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_c \cdot (\Sigma \gamma h + Q)$
 K_c : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

L_No.01_pp.15

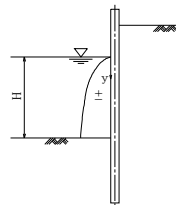
3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	p_{dw} (kN/m ²)
1	1.80	0.00	0.00
2	2.80	1.00	1.72

$$p_{dw} = \pm \frac{7}{8} k_{ws} \cdot \gamma_w \cdot \sqrt{H} \cdot y$$

Where,

- k_{ws} : design seismic coefficient
- γ_w : unit weight of water
- H: water depth of riverside
- y: depth from water surface to the point where active water pressure is calculated

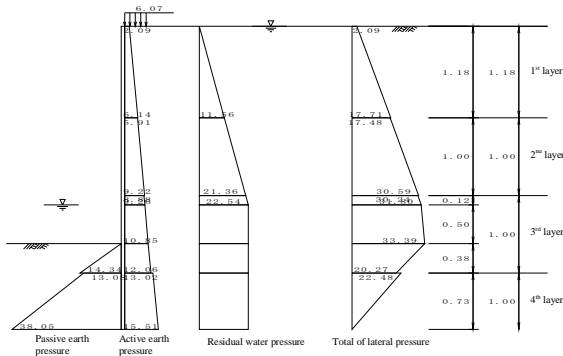


L_No.01_pp.16

4 Imaginary Riverbed

Imaginary ground level L_i is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition



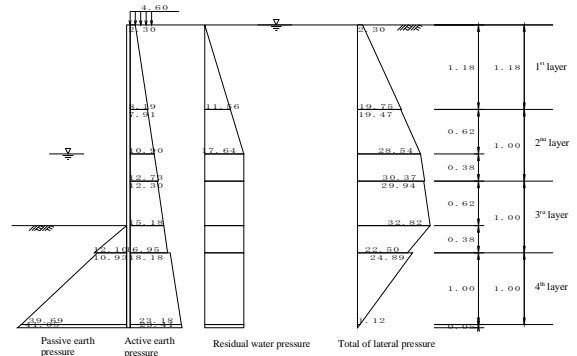
Depth (m)	Pa ₂ (kN/m ²)	Pw (kN/m ²)	Pp (kN/m ²)	Ps (kN/m ²)
1 0.00~1.18	2.09 6.14	0.00 11.56	— —	2.09 17.71
2 1.18~2.18	5.91 9.22	11.56 21.36	— —	17.48 30.59
3 2.18~2.30	8.88 9.26	21.36 22.54	— —	30.24 31.80
4 2.30~2.80	9.26 10.85	22.54 22.54	— —	31.80 33.39
5 2.80~3.18	10.85 12.06	22.54 22.54	0.00 14.34	33.39 20.27
6 3.18~3.91	13.02 15.51	22.54 22.54	13.08 38.05	22.48 0.00
7 3.91~4.18	15.51 16.45	22.54 22.54	38.05 47.51	0.00 -8.51

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_i: 1.11 m (GL -3.91 m)

L_No.01_pp.17

4-2 Seismic Condition



Depth (m)	Pa ₂ (kN/m ²)	Pw (kN/m ²)	Pp (kN/m ²)	Ps (kN/m ²)
1 0.00~1.18	2.30 8.19	0.00 11.56	— —	2.30 19.75
2 1.18~1.80	7.91 10.90	11.56 17.64	— —	19.47 28.54
3 1.80~2.18	10.90 12.73	17.64 17.64	— —	28.54 30.37
4 2.18~2.80	12.30 15.18	17.64 17.64	— —	29.94 32.82
5 2.80~3.18	15.18 16.95	17.64 17.64	0.00 12.10	32.82 22.50
6 3.18~4.18	18.18 23.18	17.64 17.64	10.93 39.69	24.89 1.12
7 4.18~4.23	23.18 23.41	17.64 17.64	39.69 41.05	1.12 0.00
8 4.23~5.18	23.41 28.17	17.64 17.64	41.05 68.45	0.00 -22.64

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_i: 1.43 m (GL -4.23 m)

L_No.01_pp.18

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below;

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = \sqrt[4]{\frac{K_h \cdot B}{4 E I}}$$

- Unit width B = 1.0000 m
- Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
- Corrosion rate η = 0.88
- Section efficiency μ = 0.80
- Young's modulus E = 200000 N/mm²
- Inertia sectional moment I₀ = 56700 cm⁴(original condition)
- I = 39917 cm⁴(after reduction by corrosion and section)
- Inertia sectional moment EI = 200000 × 10⁷ × 39917 × 10⁻⁸ = 7.983 × 10⁶

Depth (m)	N-value	Depth (m)	N-value
1 0.50	5	11 15.18	2
2 1.18	5	12 16.18	3
3 2.18	11	13 18.18	2
4 3.18	13	14 19.19	3
5 4.18	6	15 20.18	2
6 5.18	10		
7 6.18	16		
8 7.18	7		
9 8.18	2		
10 9.18	1		

5-2 Normal Condition

K_h = 17277 kN/m³ is set tentatively.

$$\beta = \sqrt[4]{\frac{K_h \cdot B}{4 E I}} = 0.482 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.07 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.91 m) to 2.07 m depth (GL -5.98 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 3.91	0.27	7.9	6.0	1.91
2 4.18	1.00	6.0	10.0	8.00
3 5.18	0.80	10.0	14.8	9.90

L = Σh = 2.07 ΣA = 19.81
 A: (upper N-value + lower N-value) × h/2

L_No.01_pp.19

$$\text{Average N-value } N' = \frac{\sum A}{L} = \frac{19.81}{2.07} = 9.56$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.496} = 6910 \times 9.56^{0.496} = 17277 \text{ kN/m}^3$$

$$K_h \text{ (normal condition)} = 17277 \text{ kN/m}^3$$

5-3 Seismic Condition

K_h = 18182 kN/m³ is set tentatively.

$$\beta = \sqrt[4]{\frac{K_h \cdot B}{4 E I}} = 0.488 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.05 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.23 m) and 2.05 m depth (GL -6.27 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 4.23	0.95	6.2	10.0	7.71
2 5.18	1.00	10.0	16.0	13.00
3 6.18	0.09	16.0	15.2	1.47

L = Σh = 2.05 ΣA = 22.18
 A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\sum A}{L} = \frac{22.18}{2.05} = 10.84$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.496} = 6910 \times 10.84^{0.496} = 18182 \text{ kN/m}^3$$

$$K_h \text{ (seismic condition)} = 18182 \text{ kN/m}^3$$

L_No.01_pp.20

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

	Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~1.18	1.18	2.09 17.71	1.23 10.45	3.51 3.12	4.32 32.58
2	1.18~2.18	1.00	17.48 30.59	8.74 15.29	2.39 2.06	20.90 31.48
3	2.18~2.30	0.12	30.24 31.80	1.81 1.91	1.69 1.65	3.06 3.14
4	2.30~2.80	0.50	31.80 33.39	7.95 8.35	1.44 1.27	11.44 10.62
5	2.80~3.18	0.38	33.39 20.27	6.34 3.85	0.98 0.85	6.21 3.28
6	3.18~3.91	0.73	22.48 0.00	8.15 0.00	0.48 0.24	3.94 0.00
			$\Sigma P = 74.08$	$\Sigma M = 130.98$		

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_s = 1.0$ kN/m
 depth to acting position $H_s = -0.13$ m
 moment $M_m = 0.1$ kN·m/m
 depth to acting position $H_m = 0.00$ m
 Height from riverbed to top of coping $H = 2.80$ m
 Depth of Imaginary riverbed from riverbed $L_k = 1.11$ m

Moment M_i by arbitrary load is as below

$$M_i = P_s \cdot (H + L_k - H_s) + M_m = 4.14 \text{ kN} \cdot \text{m}$$

h_0 , Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_i}{\Sigma P + P_i} = \frac{135.11}{75.08} = 1.80 \text{ m}$$

L_No.01_pp.21

6-1-2 Seismic Condition

	Depth Z (m)	Thickness h (m)	Lateral load P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~1.18	1.18	2.30 19.75	1.35 11.65	3.83 3.44	5.19 40.10
2	1.18~1.80	0.62	19.47 28.54	6.04 8.85	2.84 2.63	17.15 23.30
3	1.80~2.18	0.38	28.54 30.37	5.42 5.77	2.30 2.17	12.47 12.55
4	2.18~2.80	0.62	29.94 32.82	9.28 10.18	1.84 1.63	17.08 16.63
5	2.80~3.18	0.38	32.82 22.50	6.24 4.27	1.30 1.17	8.11 5.02
6	3.18~4.18	1.00	24.89 1.12	12.45 0.56	0.71 0.38	8.88 0.21
7	4.18~4.23	0.05	1.12 0.00	0.03 0.00	0.03 0.02	0.00 0.00
			$\Sigma P = 82.09$	$\Sigma M = 166.70$		

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_s = 4.5$ kN/m
 depth to acting position $H_s = 0.16$ m
 moment $M_m = 2.9$ kN·m/m
 depth to acting position $H_m = 0.80$ m
 Height from riverbed to top of coping $H = 2.80$ m
 Depth of Imaginary riverbed from riverbed $L_k = 1.43$ m

Moment M_i by arbitrary load is as below

$$M_i = P_s \cdot (H + L_k - H_s) + M_m = 21.20 \text{ kN} \cdot \text{m}$$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{sw} (kN/m ²)	Load P_{sw} (kN)	Arm length Y (m)	Moment M_{sw} (kN·m)
1	1.80~2.80	1.00	0.0 1.7	0.00 0.86	2.09 1.76	0.00 1.51
			$\Sigma P_{sw} = 0.86$	$\Sigma M_{sw} = 1.51$		

h_0 , Height of acting position of P_0 from imaginary riverbed

L_No.01_pp.22

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as followings:

Unit width $B = 1.0000$ m
 Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.88$
 Section efficiency $\mu = 0.80$
 Young's modulus $E = 200000$ N/mm²
 Inertia sectional moment $I_0 = 56700$ cm⁴ (original condition)
 $I = 39917$ cm⁴ (after reduction by corrosion and section)
 $EI = 200000 \times 10^3 \times 39917 \times 10^{-8}$
 $= 7.983 \times 10^4$

$$\beta = 4\sqrt{\frac{K_b \cdot B}{4EI}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)+1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$l_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction $K_b = 17277$ kN/m³
 calculated value $\beta = 0.48229$ m⁻¹
 resultant earth force (lateral) $P_0 = 75.08$ kN/m
 height of acting position of load $h_0 = 1.80$ m
 moment $M_0 = 135.11$ kN·m/m

in consideration of $\psi_m = 1.182$, maximum moment $M_{max} = 159.70$ kN·m/m
 depth of generated position of M_{max} $l_m = 0.727$ m
 depth of 1st fixed point $l_1 = 2.355$ m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction $K_b = 18182$ kN/m³
 calculated value $\beta = 0.48848$ m⁻¹
 resultant earth force (lateral) $P_0 = 87.44$ kN/m
 height of acting position of load $h_0 = 2.17$ m
 moment $M_0 = 189.41$ kN·m/m

in consideration of $\psi_m = 1.134$, maximum moment $M_{max} = 214.73$ kN·m/m
 depth of generated position of M_{max} $l_m = 0.636$ m
 depth of 1st fixed point $l_1 = 2.244$ m

L_No.01_pp.23

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as followings:

Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.88$
 Section efficiency $\mu = 1.00$
 Module of section $Z_0 = 2700$ cm³ (original condition)
 $Z = 2376$ cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{159.70 \times 10^6}{2376 \times 10^3} = 67 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2 \text{ (ok)}$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{214.73 \times 10^6}{2376 \times 10^3} = 90 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2 \text{ (ok)}$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~1.18	3.51 3.12	0.899 0.799	0.283 0.234	1.23 2.444
2	1.18~2.18	2.39 2.06	0.612 0.527	0.149 0.115	8.74 15.29
3	2.18~2.30	1.69 1.65	0.432 0.421	0.080 0.076	1.81 1.91
4	2.30~2.80	1.44 1.27	0.368 0.326	0.060 0.047	7.95 8.35
5	2.80~3.18	0.98 0.85	0.251 0.218	0.029 0.022	6.34 3.85
6	3.18~3.91	0.48 0.24	0.124 0.062	0.007 0.002	8.15 0.000
$\Sigma Q = 7.335$					

Y : Height from imaginary riverbed to acting position

$$\alpha = \frac{Y}{H+L_k}$$

$$\zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

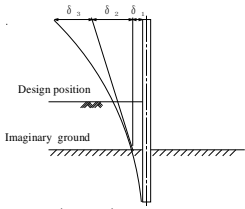
P : Lateral force

H : Depth to design position

L_k : Depth from design position to imaginary ground

L_No.01_pp.24

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4823 \times 1.80) \times 75.08}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.4823^3} = 0.00783 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_0)$$

$$= \frac{(1 + 2 \times 0.4823 \times 1.80) \times 75.08}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.4823^2} \times (2.80 + 1.11) = 0.02160 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_0)^3}{E I}$$

$$= \frac{7.33 \times (2.80 + 1.11)^3}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.00547 \text{ m}$$

Additional displacement δ_1' generated by horizontal load (P) and moment (M) acting at top of SSP considered.

$$\delta_1' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_1' is calculated as 0.00026 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.91 m
 Horizontal load: P = 1.00
 Moment: M = 0.15

Displacement δ_{3m} of cantilever beam by moment M_0 is additionally considered.

$$\delta_{3m} = \frac{M_0 \cdot h}{2 E I} \times (2 L - h) \quad (L = 4.23 \text{ m}, h = L - H_0, H_0 = 0.80 \text{ m}, \text{ただし } L_0 = L)$$

$$= \frac{2.90 \times 3.43}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8}} \times (2 \times 4.23 - 3.43) = 0.00031 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00783 + 0.02160 + 0.00574$$

$$= 0.03517 \text{ m}$$

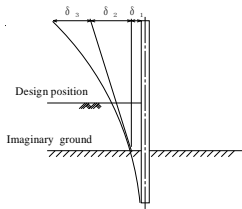
$$= 35.17 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

L_No.01_pp.25

L_No.01_pp.26

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4885 \times 2.17) \times 87.44}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.4885^3} = 0.00967 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_0)$$

$$= \frac{(1 + 2 \times 0.4885 \times 2.17) \times 87.44}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.4885^2} \times (2.80 + 1.43) = 0.03023 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_0)^3}{E I}$$

$$= \frac{10.39 \times (2.80 + 1.43)^3}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.00983 \text{ m}$$

Additional displacement δ_1' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_1' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

Displacement δ_{3m} of cantilever beam by moment M_0 is additionally considered.

$$\delta_{3m} = \frac{M_0 \cdot h}{2 E I} \times (2 L - h) \quad (L = 4.23 \text{ m}, h = L - H_0, H_0 = 0.80 \text{ m}, \text{ただし } L_0 = L)$$

$$= \frac{2.90 \times 3.43}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8}} \times (2 \times 4.23 - 3.43) = 0.00031 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00967 + 0.03023 + 0.01014$$

$$= 0.05005 \text{ m}$$

$$= 50.05 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

L_No.01_pp.27

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~1.18	3.83 3.44	0.907 0.814	0.287 0.241	1.35 11.65	0.389 2.813
2	1.18~1.80	2.84 2.63	0.672 0.623	0.175 0.154	6.04 8.85	1.058 1.361
3	1.80~2.18	2.30 2.17	0.544 0.514	0.121 0.110	5.42 5.77	0.657 0.652
4	2.18~2.80	1.84 1.63	0.435 0.387	0.081 0.065	9.28 10.18	0.752 0.662
5	2.80~3.18	1.30 1.17	0.308 0.278	0.042 0.035	6.24 4.27	0.265 0.150
6	3.18~4.18	0.71 0.38	0.169 0.090	0.013 0.004	12.45 0.56	0.167 0.002
7	4.18~4.23	0.03 0.02	0.007 0.004	0.000 0.000	0.03 0.00	0.000 0.000
$\Sigma Q = 8.908$						

Y : Height from imaginary riverbed to acting position
 α : $\alpha = \frac{Y}{H + L_0}$
 ζ : $\zeta = \frac{(3 - \alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L₀ : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _{eq} (kN)	Q _{eq} (kN)
1	1.80~2.80	2.09 1.76	0.495 0.416	0.102 0.075	0.00 0.86	0.000 0.064
$\Sigma Q_{eq} = 0.064$						

Therefore, modulus of deformation Q is calculated as below:
 $Q = 10.323 + 0.064 = 10.387$

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below:

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 56700 cm ⁴ (original condition)
	I = 56700 cm ⁴ (after reduction by corrosion and section)
EI	= 200000 × 10 ³ × 56700 × 10 ⁻⁸ = 1.134 × 10 ⁸

7-1 Penetration Depth and Whole Length of SSP (Change)

Based on the depth of imaginary riverbed as L₀, penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_0 + D$$

$$\beta = 4 \sqrt{\frac{K_s \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	K _s = 17277 kN/m ³
Calculated value	$\beta = 0.44177 \text{ m}^{-1}$
Penetration length of SSP	D = 1.11 + $\frac{3}{0.442}$ = 7.90 m
Whole length of SSP	L = 2.80 - 0.40 + 7.90 = 10.30 m

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	K _s = 18182 kN/m ³
Calculated value	$\beta = 0.44744 \text{ m}^{-1}$
Penetration length of SSP	D = 1.43 + $\frac{3}{0.447}$ = 8.13 m
Whole length of SSP	L = 2.80 - 0.40 + 8.13 = 10.53 m

Therefore, whole length of SSP is set as 11.00 m in consideration of round unit of SSP length.

L_No.01_pp.28

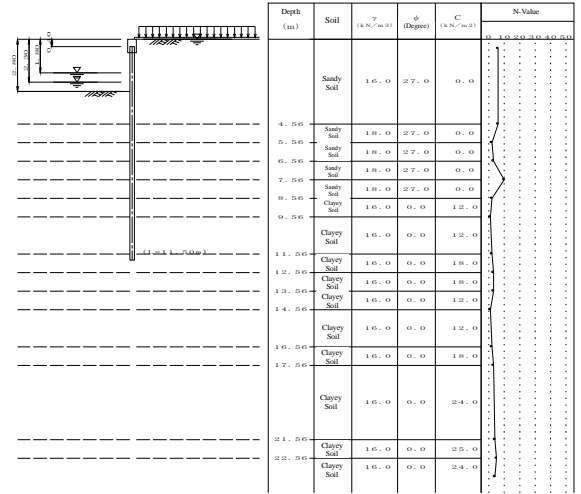
8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	56700		
Section modulus	Z (cm ³)	2700		
Maximum bending moment	M _{max} (kN·m/m)		159.70	214.73
Stress intensity	σ (N/mm ²)		67 (180)	90 (270)
Lateral displacement	δ (mm)		35.17 (50.0)	50.05 (75.0)
Penetration depth	D (m)		7.90	8.13
Whole length of SSP	L (m)	11.00		

L_No.01_pp.29

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



— Steel Sheet Pile Design Calculation —

Left Bank No. 02 STA_2+550 - 2+694

1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.80 m
 Depth from coping top to rear side ground H₀ = 0.00 m
 Depth from coping top to SSP top H₁ = 0.40 m
 Landside WL L_{wa} = 0.00 m (Normal Condition)
 L_{wa}' = 0.00 m (Seismic Condition)
 Riverside WL L_{wp} = 2.30 m (Normal Condition)
 L_{wp}' = 1.80 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

L_No.02_pp.1

L_No.02_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition
 Design earthquake intensity k = 0.200
 Dynamic water pressure due to earthquake considered as distributed load
 Arbitrary load Horizontal load P_t = 0.4 kN/m (Normal Condition)
 P_t' = 3.9 kN/m (Seismic Condition)
 Depth of acting point H_t = -0.05 m (Normal Condition)
 H_t' = 0.24 m (Seismic Condition)
 Moment M_m = 0.0 kN·m/m (Normal Condition)
 M_m' = 2.2 kN·m/m (Seismic Condition)
 Depth of acting point H_m = 0.00 m (Seismic Condition)
 H_m = 0.80 m (Normal Condition)
 ('Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10 \text{ degrees}$

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula K_s = 6910 × N'^{0.466}

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.50	6	11	14.56	1
2	4.56	2	12	16.56	2
3	5.56	2	13	17.56	3
4	6.56	3	14	21.56	4
5	7.56	10	15	22.56	5
6	8.56	7	16	23.56	4
7	9.56	7			
8	11.56	1			
9	12.56	3			
10	13.56	3			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

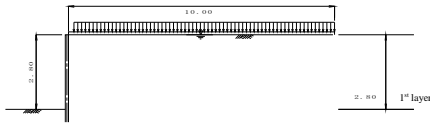
No	Depth (m)	Soil	N-value	γ (kN/m ³)	γ' (kN/m ³)	ϕ	C (kN/m ²)	a	k'	ζ (degree)		kh(kN/m ³)	
										normal	seismic	normal	seismic
1	4.56	S	6.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
2	5.56	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
3	6.56	S	3.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	7.56	S	10.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
5	8.56	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
6	9.56	C	1.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
7	11.56	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
8	12.56	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	—	—
9	13.56	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	—	—
10	14.56	C	1.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
11	16.56	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
12	17.56	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	—	—
13	21.56	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
14	22.56	C	5.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
15	23.56	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed (M)
 N-value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C_s : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (underwater)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight (kN/m ³)	Internal friction angle φ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.00	10.00	10.00	0.11	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	0.20	10.00	10.0	5.0

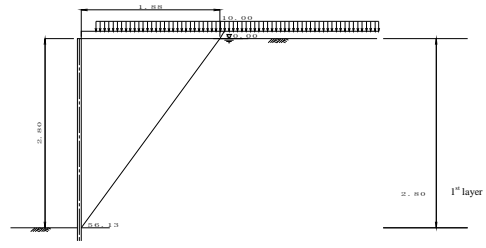
Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

- Young's modulus E = 200000 N/mm²
- Inertia sectional moment I₀ = 56700 cm⁴
- Sectional factor Z₀ = 2700 cm³
- Corrosion margin t₁ = 1.00 mm (riverside) t₂ = 1.00 mm (landside)
- Corrosion rate (to I₀) η = 0.88
- Corrosion rate (to Z₀) η = 0.88
- Section efficiency (to I₀) μ = 0.80
- Section efficiency (to Z₀) μ = 1.00
- Round unit of SSP length 0.50 m
- Allowable stress σ_n = 180 N/mm (Normal)
σ_s = 270 N/mm (Seismic)
- Allowable displacement δ_n = 50.0 mm (Normal)
δ_s = 75.0 mm (Seismic)
- Bending of cantilever beam calculated as distributed load of each layer
- Reduction of material modulus Reduced: I₀ applied to calculation of lateral coefficient of subgrade reaction
Not reduced: I₀ applied to calculation of penetration depth
Reduced: I₀ applied to calculation of section forces and displacement
Reduced: Z₀ applied to calculation of stresses

L_No.02_pp.5

2 Calculation of Acting Load
2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m ²)	Σγh (kN/m ²)	Q (kN/m ²)	γ _w h (kN/m ²)	Angle of rupture Z (degree)
1	2.80~0.00	Sandy Soil	27.0	9.0	0.0	28.00	11.29	27.44	56.13
2		Embankment	30.0	—	0.0	1.98	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since θ = 0°

Where,

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
θ = tan⁻¹k or θ = tan⁻¹k'
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	56.13	2.80	0.00	0.00	1.88	2.80
2	60.00	0.11	1.88	2.80	1.94	2.91

Therefore, width of acting load shall be set as 1.88 m

L_No.02_pp.6

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	γ X A (kN/m)
1	18.0	0.21	3.78
Σ			3.78

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.74	17.43
Σ			17.43

Q : surcharge load
l : width of surcharge load set by line of active rupture

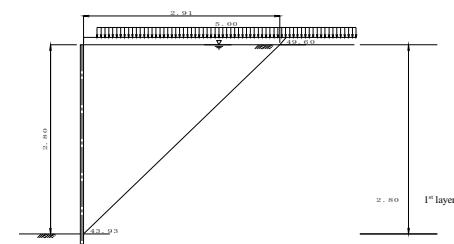
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\sum (\gamma \times A) + \sum (Q \times l) + \sum P}{L}$$

$$= \frac{3.78 + 17.43 + 0.00}{1.88}$$

$$= 11.29 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m ²)	Σγh (kN/m ²)	Q (kN/m ²)	γ _w h (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.80~0.00	Sandy Soil	27.0	9.0	0.0	28.00	6.83	27.44	0.200	11.31	43.93
2		Embankment	30.0	—	0.0	1.98	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where,

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
θ = tan⁻¹k or θ = tan⁻¹k'
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.93	2.80	0.00	0.00	2.91	2.80
2	49.60	0.11	2.91	2.80	3.00	2.91

Therefore, width of acting load shall be set as 2.91 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	γ X A (kN/m)
1	18.0	0.32	5.85
Σ			5.85

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	2.80	14.00
Σ			14.00

Q : surcharge load
l : width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\sum (\gamma \times A) + \sum (Q \times l) + \sum P}{L}$$

$$= \frac{5.85 + 14.00 + 0.00}{2.91}$$

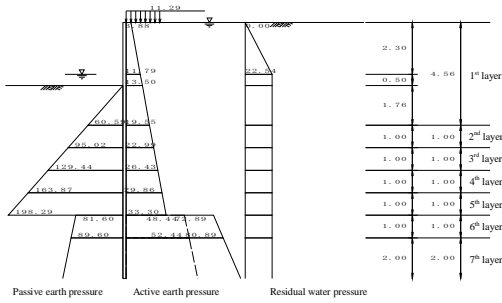
$$= 6.83 \text{ kN/m}^2$$

L_No.02_pp.7

L_No.02_pp.8

3 Lateral Pressure

3-1 Normal Condition



Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h+Qa$ (kN/m ²)	Ka	Ka $\times \cos\delta$
15	Clayey soil	8.0	—	24.0	168.887	—	—
16	Clayey soil	8.0	—	25.0	200.887	—	—
17	Clayey soil	8.0	—	24.0	208.887	—	—

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;

$\delta = 9.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h+Qp$ (kN/m ²)	Kp	Kp $\times \cos\delta$
3	Sandy soil	10.0	27.0	—	0.000	3.48553	3.44261
4	Sandy soil	10.0	27.0	—	17.600	3.48553	3.44261
5	Sandy soil	10.0	27.0	—	27.600	3.48553	3.44261
6	Sandy soil	10.0	27.0	—	37.600	3.48553	3.44261
7	Sandy soil	10.0	27.0	—	47.600	3.48553	3.44261
8	Clayey soil	8.0	0.0	12.0	57.600	—	—
9	Clayey soil	8.0	0.0	12.0	65.600	—	—
10	Clayey soil	8.0	0.0	18.0	81.600	—	—
11	Clayey soil	8.0	0.0	18.0	89.600	—	—
12	Clayey soil	8.0	0.0	12.0	97.600	—	—
13	Clayey soil	8.0	0.0	12.0	105.600	—	—
14	Clayey soil	8.0	0.0	18.0	121.600	—	—
15	Clayey soil	8.0	0.0	24.0	129.600	—	—
16	Clayey soil	8.0	0.0	25.0	161.600	—	—
17	Clayey soil	8.0	0.0	24.0	169.600	—	—

L_No.02_pp.9

L_No.02_pp.10

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;

$\delta = -9.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure Pw (kN/m ²)	Passive side Pp (kN/m ²)
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa3 (kN/m ²)		
1	3.88	—	3.88	0.00	—
2	11.79	—	11.79	22.54	—
3	13.50	—	13.50	22.54	0.00
4	19.55	—	19.55	22.54	60.59
5	22.99	—	22.99	22.54	95.02
6	26.43	—	26.43	22.54	129.44
7	29.86	—	29.86	22.54	163.87
8	33.30	—	33.30	22.54	198.29
9	36.74	—	36.74	22.54	232.71
10	40.18	—	40.18	22.54	267.14
11	43.62	—	43.62	22.54	301.56
12	47.06	—	47.06	22.54	335.99
13	50.50	—	50.50	22.54	370.41
14	53.94	—	53.94	22.54	404.84
15	57.38	—	57.38	22.54	439.26
16	60.82	—	60.82	22.54	473.69
17	64.26	—	64.26	22.54	508.11

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$

Kc: Equilibrium coefficient of compression: 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

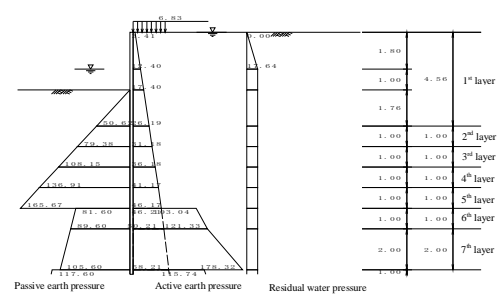
Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h+Q$ (kN/m ²)	γ_{shw} (kN/m ²)	k (k)	θ (degree)	Ka	Ka $\times \cos\delta$	θ (degree)
1	Sandy Soil	10.0	27.0	—	6.83	0.00	0.200	11.31	0.50574	0.49951	—
2	Sandy Soil	10.0	27.0	—	24.83	17.64	0.200	11.31	0.50574	0.49951	—
3	Sandy Soil	10.0	27.0	—	34.83	27.44	0.200	11.31	0.50574	0.49951	—
4	Sandy Soil	10.0	27.0	—	44.83	37.24	0.200	11.31	0.50574	0.49951	—
5	Sandy Soil	10.0	27.0	—	54.83	47.04	0.200	11.31	0.50574	0.49951	—
6	Sandy Soil	10.0	27.0	—	64.83	56.84	0.200	11.31	0.50574	0.49951	—
7	Sandy Soil	10.0	27.0	—	74.83	66.64	0.200	11.31	0.50574	0.49951	—
8	Clayey Soil	8.0	—	12.0	84.83	76.44	0.200	11.31	—	—	22.58

L_No.02_pp.11

L_No.02_pp.12

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Q (kN/m ²)	γwhw (kN/m ²)	k (k)	θ (degree)	Ka	Ka × cosδ	θ (degree)
9.56~11.56	Clayey Soil	8.0	—	12.0	100.43	93.69	0.200	11.31	—	—	18.05
11.56~12.56	Clayey Soil	8.0	—	18.0	124.43	113.29	0.200	11.31	—	—	29.31
12.56~13.56	Clayey Soil	8.0	—	18.0	124.43	123.09	0.200	11.31	—	—	27.49
13.56~14.56	Clayey Soil	8.0	—	12.0	132.43	132.89	0.200	11.31	—	—	10.00
14.56~16.56	Clayey Soil	8.0	—	12.0	140.43	142.69	0.200	11.31	—	—	10.00
16.56~17.56	Clayey Soil	8.0	—	18.0	156.43	162.29	0.200	11.31	—	—	16.96
17.56~21.56	Clayey Soil	8.0	—	24.0	164.43	172.09	0.200	11.31	—	—	28.16
21.56~22.56	Clayey Soil	8.0	—	25.0	196.43	211.29	0.200	11.31	—	—	23.38
22.56~23.56	Clayey Soil	8.0	—	24.0	204.43	230.89	0.200	11.31	—	—	19.09

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;
 δ = 9.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below;

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Qp (kN/m ²)	γwhw (kN/m ²)	k (k)	θ (degree)	Kp	Kp × cosδ
3.280~4.56	Sandy soil	10.00	27.0	—	0.000	0.00	0.200	11.31	2.91211	2.87626
4.56~5.56	Sandy soil	10.00	27.0	—	17.600	17.25	0.200	11.31	2.91211	2.87626
5.56~6.56	Sandy soil	10.00	27.0	—	27.600	27.05	0.200	11.31	2.91211	2.87626
6.56~7.56	Sandy soil	10.00	27.0	—	37.600	36.85	0.200	11.31	2.91211	2.87626
7.56~8.56	Sandy soil	10.00	27.0	—	47.600	46.65	0.200	11.31	2.91211	2.87626
8.56~9.56	Clayey soil	8.00	0.0	12.0	57.600	56.45	0.200	11.31	—	—
9.56~11.56	Clayey soil	8.00	0.0	12.0	65.600	66.25	0.200	11.31	—	—
11.56~12.56	Clayey soil	8.00	0.0	18.0	81.600	85.85	0.200	11.31	—	—
12.56~13.56	Clayey soil	8.00	0.0	18.0	89.600	95.65	0.200	11.31	—	—

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Qp (kN/m ²)	γwhw (kN/m ²)	k (k)	θ (degree)	Kp	Kp × cosδ
12.56~14.56	Clayey soil	8.00	0.0	12.0	97.600	105.45	0.200	11.31	—	—
14.56~16.56	Clayey soil	8.00	0.0	12.0	105.600	115.25	0.200	11.31	—	—
16.56~17.56	Clayey soil	8.00	0.0	18.0	121.600	134.85	0.200	11.31	—	—
17.56~21.56	Clayey soil	8.00	0.0	24.0	129.600	144.65	0.200	11.31	—	—
21.56~22.56	Clayey soil	8.00	0.0	25.0	161.600	183.85	0.200	11.31	—	—
22.56~23.56	Clayey soil	8.00	0.0	24.0	169.600	193.65	0.200	11.31	—	—

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below;
 δ = -9.00, β = 0.00, θ = tan⁻¹k

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure		Passive side
		Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)	Pw (kN/m ²)	Pp (kN/m ²)	
1	0.00~1.80	3.41	—	3.41	0.00	—	
2	1.80~2.80	12.40	—	12.40	17.64	—	
3	2.80~4.56	17.40	—	17.40	17.64	0.00	
4	4.56~5.56	26.19	—	26.19	17.64	50.62	
5	5.56~6.56	31.18	—	31.18	17.64	79.38	
6	6.56~7.56	36.18	—	36.18	17.64	108.15	
7	7.56~8.56	41.17	—	41.17	17.64	136.91	
8	8.56~9.56	103.04	46.21	103.04	17.64	81.60	
9	9.56~11.56	121.33	50.21	121.33	17.64	89.60	
10	11.56~12.56	115.74	58.21	115.74	17.64	117.60	
11	12.56~13.56	128.29	62.21	128.29	17.64	125.60	
12	13.56~14.56	212.47	70.21	212.47	17.64	121.60	
13	14.56~16.56	229.54	78.21	229.54	17.64	129.60	

No	Depth (m)	Active side			Residual water pressure		Passive side
		Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)	Pw (kN/m ²)	Pp (kN/m ²)	
14	16.56~17.56	194.50	78.21	194.50	17.64	157.60	
15	17.56~21.56	168.19	82.21	168.19	17.64	177.60	
16	21.56~22.56	218.66	98.21	218.66	17.64	211.60	
17	22.56~23.56	244.92	106.21	244.92	17.64	217.60	

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\sum \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
 Clayey soil $P_{a1} = \sum \gamma h + Q - 2C$
 $P_{a2} = K_c \cdot (\sum \gamma h + Q)$
 K_c: Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\sum \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\sum \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
 Clayey soil $P_p = \sum \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p(\sum \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P _{dw} (kN/m ³)
1	1.80	0.00	0.00
2	2.80	1.00	1.72

$$P_{dw} = \pm \frac{7}{8} k_{hs} \cdot \gamma \cdot \sqrt{H \cdot y}$$

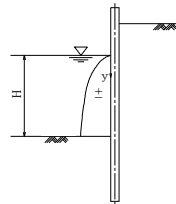
Where,

k_{hs}: design seismic coefficient

γ_w: unit weight of water

H: water depth of riverside

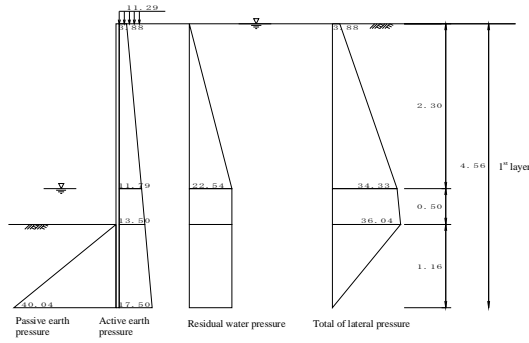
y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level Lx is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

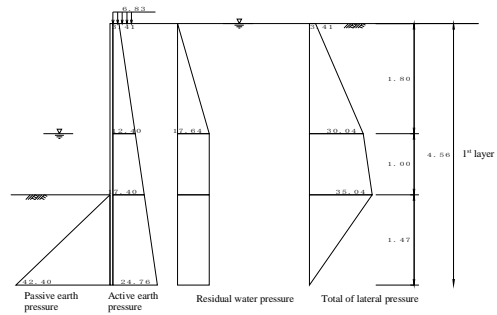


Depth (m)	Pa kN/m ²	Pw kN/m ²	Pp kN/m ²	Ps kN/m ²
1 0.00~2.30	3.88 11.79	0.00 22.54	---	3.88 34.33
2 2.30~2.80	11.79 13.50	22.54 22.54	---	34.33 36.04
3 2.80~3.96	13.50 17.50	22.54 22.54	0.00 40.04	36.04 0.00
4 3.96~4.56	17.50 19.55	22.54 22.54	40.04 60.59	0.00 -18.50

Pa : Active earth pressure
 Pw : Residual water pressure
 Pp : Passive earth pressure
 Ps : Lateral pressure Ps = Pa + Pw - Pp

Imaginary riverbed Lx: 1.16 m (GL -3.96 m)

4-2 Seismic Condition



Depth (m)	Pa kN/m ²	Pw kN/m ²	Pp kN/m ²	Ps kN/m ²
1 0.00~1.80	3.41 12.40	0.00 17.64	---	3.41 30.04
2 1.80~2.80	12.40 17.40	17.64 17.64	---	30.04 35.04
3 2.80~4.27	17.40 24.76	17.64 17.64	0.00 42.40	35.04 0.00
4 4.27~4.56	24.76 26.19	17.64 17.64	42.40 50.62	0.00 -6.79

Pa : Active earth pressure
 Pw : Residual water pressure
 Pp : Passive earth pressure
 Ps : Lateral pressure Ps = Pa + Pw - Pp

Imaginary riverbed Lx: 1.47 m (GL -4.27 m)

L_No.02_pp.17

L_No.02_pp.18

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below;

$$K_h = 6910 \times N^{0.806}$$

where,

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4 E I}}$$

- Unit width B = 1.0000 m
- Corrosion margin t1 = 1.00 mm (active side) t2 = 1.00 mm (passive side)
- Corrosion rate η = 0.88
- Section efficiency μ = 0.80
- Young's modulus E = 200000 N/mm²
- Inertia sectional moment I0 = 56700 cm⁴(original condition)
- I = 39917 cm⁴(after reduction by corrosion and section)
- EI = 200000 × 10³ × 39917 × 10⁻⁸ = 7.983 × 10⁸

Depth (m)	N-value	Depth (m)	N-value
1 0.50	6	11 14.56	1
2 4.56	6	12 16.56	2
3 5.56	2	13 17.56	3
4 6.56	3	14 21.56	4
5 7.56	10	15 22.56	5
6 8.56	2	16 23.56	4
7 9.56	1		
8 11.56	2		
9 12.56	3		
10 13.56	3		

5-2 Normal Condition

Ks = 12177 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4 E I}} = 0.442 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.26 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.96 m) to 2.26 m depth (GL -6.23 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 3.96	0.60	6.0	6.0	3.58
2 4.56	1.00	6.0	2.0	4.00
3 5.56	0.67	2.0	2.7	1.55

$$L = \sum h = 2.26 \quad \Sigma A = 9.14$$

$$A: (\text{upper N-value} + \text{lower N-value}) \times h/2$$

$$\text{Average N-value } N' = \frac{\Sigma A}{L}$$

$$= \frac{9.14}{2.26} = 4.04$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.806} = 6910 \times 4.04^{0.806} = 12177 \text{ kN/m}^3$$

$$Kh (\text{normal condition}) = 12177 \text{ kN/m}^3$$

5-3 Seismic Condition

Ks = 11614 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4 E I}} = 0.437 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.29 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.27 m) and 2.29 m depth (GL -6.56 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 4.27	0.29	6.0	6.0	1.71
2 4.56	1.00	6.0	2.0	4.00
3 5.56	1.00	2.0	3.0	2.50
4 6.56	0.00	3.0	3.0	0.01

$$L = \sum h = 2.29 \quad \Sigma A = 8.23$$

$$\text{Average N-value } N' = \frac{\Sigma A}{L}$$

$$= \frac{8.23}{2.29} = 3.59$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.806} = 6910 \times 3.59^{0.806} = 11614 \text{ kN/m}^3$$

$$Kh (\text{seismic condition}) = 11614 \text{ kN/m}^3$$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~2.30	3.88 34.33	4.46 39.47	3.20 2.43	14.26 95.91
2	2.30~2.80	34.33 36.04	8.58 9.01	1.50 1.33	12.84 11.98
3	2.80~3.96	36.04 0.00	20.96 0.00	0.78 0.39	16.25 0.00
		$\Sigma P = 82.49$	$\Sigma M = 151.25$		

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_t = 0.4$ kN/m
 depth to acting position $H_t = -0.05$ m
 moment $M_m = 0.0$ kN·m/m
 depth to acting position $H_m = 0.00$ m
 Height from riverbed to top of coping $H = 2.80$ m
 Depth of Imaginary riverbed from riverbed $L_k = 1.16$ m

Moment M_t by arbitrary load is as below
 $M_t = P_t \cdot (H + L_k - H_t) + M_m = 1.61$ kN·m

h_0 , Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_t}{P_0} = \frac{\Sigma M + M_t}{\Sigma P + P_t} = \frac{151.25 + 1.61}{82.49 + 0.4} = 1.84 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~1.80	3.41 30.04	3.07 27.04	3.07 3.07	11.28 83.12
2	1.80~2.80	30.04 35.04	15.02 17.52	2.14 1.81	32.16 31.67
3	2.80~4.27	35.04 0.00	25.83 0.00	0.98 0.49	25.38 0.00
		$\Sigma P = 88.47$	$\Sigma M = 183.60$		

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

L_No.02_pp.21

Arbitrary load lateral load $P_t = 3.9$ kN/m
 depth to acting position $H_t = 0.24$ m
 moment $M_m = 2.2$ kN·m/m
 depth to acting position $H_m = 0.80$ m
 Height from riverbed to top of coping $H = 2.80$ m
 Depth of Imaginary riverbed from riverbed $L_k = 1.47$ m

Moment M_t by arbitrary load is as below
 $M_t = P_t \cdot (H + L_k - H_t) + M_m = 17.93$ kN·m

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{dw} (kN/m ²)	Load P_{dw} (kN)	Arm length Y (m)	Moment M_{dw} (kN·m)
1	1.80~2.80	1.00	0.0 1.7	0.00 0.86	2.14 1.81	0.00 1.55
		$\Sigma P_{dw} = 0.86$	$\Sigma M_{dw} = 1.55$			

h_0 , Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_t}{P_0} = \frac{\Sigma M + M_t + \Sigma M_{dw}}{\Sigma P + P_t + \Sigma P_{dw}} = \frac{151.25 + 1.61 + 1.55}{82.49 + 0.4 + 0.86} = 2.18 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000$ m
 Corrosion margin $b = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.88$
 Section efficiency $\mu = 0.80$
 Young's modulus $E = 200000$ N/mm²
 Inertia sectional moment $I_0 = 56700$ cm⁴ (original condition)
 $I = 39917$ cm⁴ (after reduction by corrosion and section)
 $EI = 200000 \times 10^3 \times 39917 \times 10^{-8} = 7.983 \times 10^7$

$$\beta = 4 \sqrt{\frac{K_b \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$I_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$I_l = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

L_No.02_pp.22

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_s = 12177$ kN/m³
 $\beta = 0.44190$ m⁻¹
 resultant earth force (lateral) $P_0 = 82.89$ kN/m
 height of acting position of load $h_0 = 1.84$ m
 moment $M_0 = 152.86$ kN·m/m

in consideration of $\psi_{in} = 1.200$, maximum moment $M_{max} = 183.48$ kN·m/m
 depth of generated position of M_{max} $l_m = 0.822$ m
 depth of 1st fixed point $l_1 = 2.600$ m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_b = 11614$ kN/m³
 $\beta = 0.43670$ m⁻¹
 resultant earth force (lateral) $P_0 = 93.23$ kN/m
 height of acting position of load $h_0 = 2.18$ m
 moment $M_0 = 203.09$ kN·m/m

in consideration of $\psi_{in} = 1.158$, maximum moment $M_{max} = 235.17$ kN·m/m
 depth of generated position of M_{max} $l_m = 0.760$ m
 depth of 1st fixed point $l_1 = 2.558$ m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.88$
 Section efficiency $\mu = 1.00$
 Module of section $Z_0 = 2700$ cm³ (original condition)
 $Z = 2376$ cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{183.48 \times 10^3}{2376 \times 10^3} = 77 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{235.17 \times 10^3}{2376 \times 10^3} = 99 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

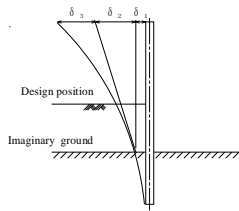
6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.30	3.20 2.43	0.807 0.613	4.46 39.47	1.061 5.903
2	2.30~2.80	1.50 1.33	0.378 0.336	8.58 9.01	0.535 0.451
3	2.80~3.96	0.78 0.39	0.196 0.098	20.96 0.00	0.375 0.000
		$\Sigma Q = 8.324$			

L_No.02_pp.23

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1+0.4419 \times 1.84) \times 82.89}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.4419^3} = 0.01092 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_k) = \frac{(1+2 \times 0.4419 \times 1.84) \times 82.89}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.4419^2} \times (2.80+1.16) = 0.02771 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{E I} = \frac{8.32 \times (2.80+1.16)^3}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.00649 \text{ m}$$

Additional displacement δ'_s generated by horizontal load (P) and moment (M) acting at top of SSP considered.

$$\delta'_s = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ'_s is calculated as 0.00011 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: $L = 3.96$ m
 Horizontal load: $P = 0.40$
 Moment: $M = 0.02$

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.01092 + 0.02771 + 0.00660 = 0.04522 \text{ m} = 45.22 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

L_No.02_pp.24

Where,

- Displacement at imaginary ground
- Displacement by angle of inclination slope at imaginary ground
- Displacement at higher part of imaginary ground as cantilever
- Displacement at top of SSP
- Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)	
1	0.00~1.80	3.67 3.07	0.860 0.719	0.264 0.197	3.07 27.04	0.809 5.317
2	1.80~2.80	2.14 1.81	0.501 0.423	0.105 0.077	15.02 17.52	1.570 1.346
3	2.80~4.27	0.98 0.49	0.230 0.096	0.024 0.006	25.83 0.00	0.630 0.000
$\Sigma Q = 9.672$						

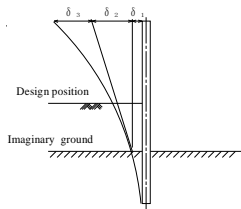
- Y : Height from imaginary riverbed to acting position
- $\alpha : \alpha = \frac{Y}{H+L_k}$
- $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
- Q : $\zeta \times P$
- P : Lateral force
- H : Depth to design position
- L_k : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_{sw} (kN)	Q_{sw} (kN)
1	1.80~2.80	2.14 1.81	0.501 0.423	0.105 0.077	0.00 0.86	0.000 0.066
$\Sigma Q_{sw} = 0.066$						

Therefore, modulus of deformation Q is calculated as below:
 $Q = 10.862 + 0.066 = 10.928$

Displacement



L_No.02_pp.25

$$\delta_1 = \frac{(1 + \beta h) \times P_s}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4367 \times 2.18) \times 93.23}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.4367^3} = 0.01368 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h) \times P_s}{2 E I \beta^2} \times (H + L_k)$$

$$= \frac{(1 + 2 \times 0.4367 \times 2.18) \times 93.23}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.4367^2} \times (2.80 + 1.47) = 0.03798 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_k)^2}{E I}$$

$$= \frac{10.93 \times (2.80 + 1.47)^2}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.01069 \text{ m}$$

Additional displacement δ_1' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

Displacement δ_{im} of cantilever beam by moment M_m is additionally considered.

$$\delta_{im} = \frac{M_m \cdot h}{2 E I} \times (2 L - h) \quad (L = 4.27 \text{ m}, h = L - H_s, H_s = 0.80 \text{ m}, \text{ただし } h \leq L)$$

$$= \frac{2.20 \times 3.47}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8}} \times (2 \times 4.27 - 3.47) = 0.00024 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01368 + 0.03798 + 0.01093$$

$$= 0.06260 \text{ m}$$

$$= 62.60 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

- Where,
- δ_1 : Displacement at imaginary ground
 - δ_2 : Displacement by angle of inclination slope at imaginary ground
 - δ_3 : Displacement at higher part of imaginary ground as cantilever
 - δ : Displacement at top of SSP
 - δ_a : Allowable displacement

L_No.02_pp.26

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below:

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 56700 \text{ cm}^4$ (original condition)
	I = 56700 cm ⁴ (after reduction by corrosion and section)
	El = 200000 × 10 ⁸ × 56700 × 10 ⁻⁸ = 1.134 × 10 ⁷

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_k , penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings:

$$D = L_k + \frac{3}{\beta}$$

$$L = H - H_{is} + D$$

$$\beta = \sqrt[4]{\frac{K_s \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	$K_s = 12177 \text{ kN/m}^3$
Calculated value	$\beta = 0.40477 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.16 + \frac{3}{0.405} = 8.57 \text{ m}$
Whole length of SSP	$L = 2.80 - 0.40 + 8.57 = 10.97 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	$K_s = 11614 \text{ kN/m}^3$
Calculated value	$\beta = 0.40002 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.47 + \frac{3}{0.400} = 8.97 \text{ m}$
Whole length of SSP	$L = 2.80 - 0.40 + 8.97 = 11.37 \text{ m}$

Therefore, whole length of SSP is set as 11.50 m in consideration of round unit of SSP length.

L_No.02_pp.27

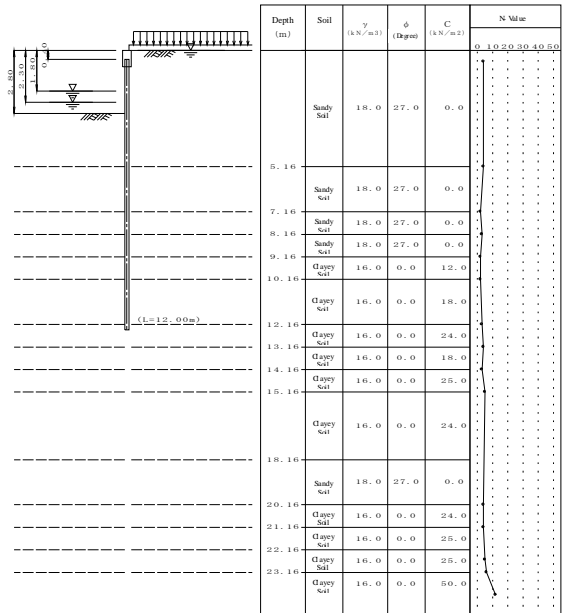
8 Calculation Result

		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	56700	
Section modulus	Z (cm ³)	2700	
Maximum bending moment	M_{max} (kN·m/m)	183.48	235.17
Stress intensity	σ (N/mm ²)	77 (18)	99 (270)
Lateral displacement	δ (mm)	45.22 (50.0)	62.60 (75.0)
Penetration depth	D (m)	8.57	8.97
Whole length of SSP	L (m)	11.50	

L_No.02_pp.28

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



— Steel Sheet Pile Design Calculation —

Left Bank No. 03_STA 2+854 - 2+950

1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.80 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Landside WL L_{land} = 0.00 m (Normal Condition)
 R side WL L_{land}' = 0.00 m (Seismic Condition)
 L_{land}' = 2.30 m (Normal Condition)
 L_{land}' = 1.80 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

L_No.03_pp.1

L_No.03_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load R = 1.1 kNm (Normal Condition)
 R' = 4.7 kNm (Seismic Condition)
 Depth of acting point H = -0.13 m (Normal Condition)
 H' = 0.14 m (Seismic Condition)
 Moment M_m = 0.1 kNm/m (Normal Condition)
 M_m' = 3.0 kNm/m (Seismic Condition)
 Depth of acting point H_m = 0.00 m (Seismic Condition)
 H_m' = 0.80 m (Normal Condition)
 (*Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_s = 6910 \times N^{0.406}$

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	4	11	20.16	4
2	5.16	4	12	21.16	4
3	7.16	2	13	22.60	5
4	8.16	3	14	23.16	6
5	9.16	2	15	24.16	12
6	10.16	2			
7	12.16	3			
8	13.16	4			
9	14.16	3			
10	15.16	5			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment share on landside

Vertical load on riverside not considered

1-7 Soil Modulus

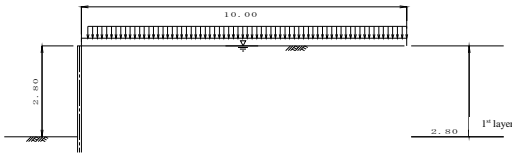
No	Depth (m)	Soil	N value	γ (kNm ³)	γ' (kNm ³)	φ	C (kNm ²)	a	k'	ζ (degree)		kh (kNm ³)	
										normal	seismic	normal	seismic
1	5.16	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
2	7.16	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
3	8.16	S	3.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	9.16	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
5	10.16	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
6	12.16	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	—	—
7	13.16	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
8	14.16	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	—	—
9	15.16	C	5.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
10	15.16	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
11	20.16	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
12	21.16	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
13	22.16	C	5.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
14	23.16	C	6.0	16.00	8.00	0.0	28.0	0.0	0.200	auto	auto	—	—
15	24.16	C	12.0	16.00	8.00	0.0	50.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C_s : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.00	10.00	10.00	0.24	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

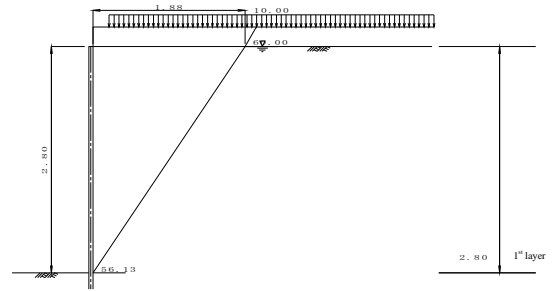
No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ²)	Seismic (kNm ²)
1	0.20	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

- Young's modulus E = 200000 Nmm²
- Inertia sectional moment I₀ = 63000 cm⁴
- Sectional factor Z₀ = 3150 cm³
- Corrosion margin t_c = 1.00 mm (riverside) t_s = 1.00 mm (landside)
- Corrosion rate (to I₀) n = 0.91
- Corrosion rate (to Z₀) n = 0.91
- Section efficiency (to I₀) u = 0.80
- Section efficiency (to Z₀) u = 1.00
- Round unit of SSP length 0.50 m
- Allowable stress σ_a = 180 Nmm (Normal)
 σ_a' = 270 Nmm (Seismic)
- Allowable displacement δ_a = 50.0 mm (Normal)
 δ_a' = 75.0 mm (Seismic)
- Bending of cantilever beam calculated as distributed load of each layer
- Reduction of material modulus: Reduced: I₀ applied to calculation of lateral coefficient of subgrade reaction
Not reduced: I₀ applied to calculation of penetration depth
Reduced: I₀ applied to calculation of section forces and displacement
Reduced: Z₀ applied to calculation of stresses

2 Calculation of Acting Load
2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wet} (kN/m ³)	Angle of rupture Z (degree)
1	2.80~0.00	Sandy Soil	27.0	9.0	0.0	28.00	14.15	27.44	56.13
2		Embankment	30.0	—	0.0	4.32	10.00	0.00	60.00

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm³) (ascending force considered under WL)
- h: thickness of layer (m)
- Q: surcharge load (kNm²)
- C: cohesive force of soil (kNm²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	56.13	2.80	0.00	0.00	1.88	2.80
2	60.00	0.24	1.88	2.80	2.02	3.04

Therefore, width of acting load shall be set as 1.88 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	0.47	8.42
Σ			8.42

γ : unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kNm ²)	l (m)	Q X l (kNm)
1	10.0	1.82	18.18
Σ			18.18

Q: surcharge load
l: width of surcharge load set by line of active rupture

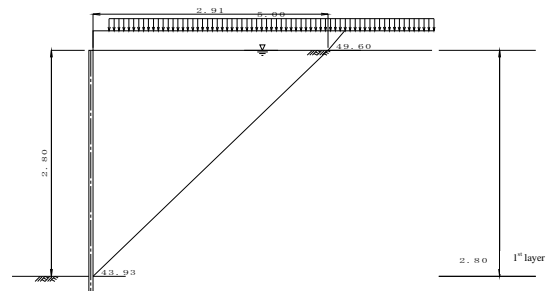
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{8.42 + 18.18 + 0.00}{1.88}$$

$$= 14.15 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wet} (kN/m ³)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.80~0.00	Sandy Soil	27.0	9.0	0.0	28.00	9.48	27.44	0.200	11.31	43.93
2		Embankment	30.0	—	0.0	4.32	5.00	0.00	0.200	11.31	49.60

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm³) (ascending force considered under WL)
- h: thickness of layer (m)
- Q: surcharge load (kNm²)
- C: cohesive force of soil (kNm²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.93	2.80	0.00	0.00	2.91	2.80
2	49.60	0.24	2.91	2.80	3.11	3.04

Therefore, width of acting load shall be set as 2.91 m

2-2-3 Acting Load by Filbankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	0.72	13.00
Σ			13.00

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q x l (kN/m)
1	5.0	2.91	14.56
Σ			14.56

Q : surcharge load
 l : wdth of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{13.00 + 14.56 + 0.00}{2.91}$$

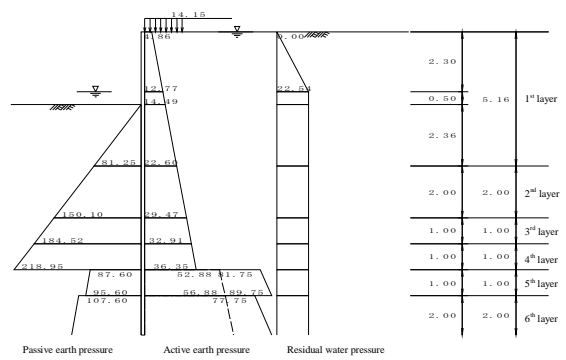
$$= 9.48 \text{ kN/m}^2$$

L_No.03_pp.9

L_No.03_pp.10

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C kN/m ²	$\Sigma \gamma h + Q_0$ (kN/m ²)	K_a	$K_a \times \cos \delta$
1 0.00~2.30	Sandy soil	10.0	27.0	—	14.152 57.152	0.3480 0.3480	0.34371 0.34371
2 2.30~2.80	Sandy soil	10.0	27.0	—	37.152 42.152	0.3480 0.3480	0.34371 0.34371
3 2.80~5.16	Sandy soil	10.0	27.0	—	42.152 65.752	0.3480 0.3480	0.34371 0.34371
4 5.16~7.16	Sandy soil	10.0	27.0	—	65.752 85.752	0.3480 0.3480	0.34371 0.34371
5 7.16~8.16	Sandy soil	10.0	27.0	—	85.752 95.752	0.3480 0.3480	0.34371 0.34371
6 8.16~9.16	Sandy soil	10.0	27.0	—	95.752 105.752	0.3480 0.3480	0.34371 0.34371
7 9.16~10.16	Clayey soil	8.0	—	12.0	105.752 113.752	—	—
8 10.16~12.16	Clayey soil	8.0	—	18.0	113.752 129.752	—	—
9 12.16~13.16	Clayey soil	8.0	—	24.0	129.752 137.752	—	—
10 13.16~14.16	Clayey soil	8.0	—	18.0	137.752 145.752	—	—
11 14.16~15.16	Clayey soil	8.0	—	25.0	145.752 153.752	—	—
12 15.16~18.16	Clayey soil	8.0	—	24.0	153.752 177.752	—	—
13 18.16~20.16	Sandy soil	10.0	27.0	—	177.752 197.752	0.3480 0.3480	0.34371 0.34371

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C kN/m ²	$\Sigma \gamma h + Q_0$ (kN/m ²)	K_a	$K_a \times \cos \delta$
14 20.16~21.16	Clayey soil	8.0	—	24.0	197.752 205.752	—	—
15 21.16~22.16	Clayey soil	8.0	—	25.0	205.752 213.752	—	—
16 22.16~23.16	Clayey soil	8.0	—	25.0	213.752 221.752	—	—
17 23.16~24.16	Clayey soil	8.0	—	50.0	221.752 229.752	—	—

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 9.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$\delta = 9.00, \beta = 0.00, \theta = 0.00$$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C kN/m ²	$\Sigma \gamma h + Q_0$ (kN/m ²)	K_p	$K_p \times \cos \delta$
3 2.80~5.16	Sandy soil	10.0	27.0	—	0.000 23.600	3.48553 3.48553	3.44261 3.44261
4 5.16~7.16	Sandy soil	10.0	27.0	—	23.600 43.600	3.48553 3.48553	3.44261 3.44261
5 7.16~8.16	Sandy soil	10.0	27.0	—	43.600 53.600	3.48553 3.48553	3.44261 3.44261
6 8.16~9.16	Sandy soil	10.0	27.0	—	53.600 63.600	3.48553 3.48553	3.44261 3.44261
7 9.16~10.16	Clayey soil	8.0	0.0	12.0	63.600 71.600	—	—
8 10.16~12.16	Clayey soil	8.0	0.0	18.0	71.600 87.600	—	—
9 12.16~13.16	Clayey soil	8.0	0.0	24.0	87.600 95.600	—	—
10 13.16~14.16	Clayey soil	8.0	0.0	18.0	95.600 103.600	—	—
11 14.16~15.16	Clayey soil	8.0	0.0	25.0	103.600 111.600	—	—
12 15.16~18.16	Clayey soil	8.0	0.0	24.0	111.600 135.600	—	—
13 18.16~20.16	Sandy soil	10.0	27.0	—	135.600 155.600	3.48553 3.48553	3.44261 3.44261
14 20.16~21.16	Clayey soil	8.0	0.0	24.0	155.600 163.600	—	—
15 21.16~22.16	Clayey soil	8.0	0.0	25.0	163.600 171.600	—	—
16 22.16~23.16	Clayey soil	8.0	0.0	25.0	171.600 179.600	—	—
17 23.16~24.16	Clayey soil	8.0	0.0	50.0	179.600 187.600	—	—

3-1-3 Lateral Pressure

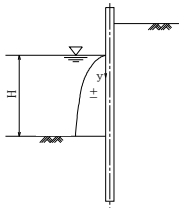
Depth (m)	Active side			Residual water pressure Pw kN/m ²	Passive side Pp kN/m ²
	Pu1 kN/m ²	Pu2 kN/m ²	Pu kN/m ²		
1 0.00~2.30	4.86 12.77	—	4.86 12.77	0.00 22.54	—
2 2.30~2.80	12.77 14.49	—	12.77 14.49	22.54 22.54	—
3 2.80~5.16	14.49 22.60	—	14.49 22.60	22.54 22.54	0.00 81.25
4 5.16~7.16	22.60 29.47	—	22.60 29.47	22.54 22.54	81.25 150.10
5 7.16~8.16	29.47 32.91	—	29.47 32.91	22.54 22.54	150.10 184.52
6 8.16~9.16	32.91 36.35	—	32.91 36.35	22.54 22.54	184.52 218.95
7 9.16~10.16	36.35 56.88	81.75 56.88	81.75 89.75	22.54 22.54	87.60 95.60
8 10.16~12.16	56.88 64.88	77.75 64.88	77.75 93.75	22.54 22.54	107.60 123.60
9 12.16~13.16	64.88 89.75	64.88 89.75	81.75 89.75	22.54 22.54	135.60 143.60
10 13.16~14.16	89.75 101.75	68.88 101.75	89.75 107.75	22.54 22.54	161.60 131.60
11 14.16~15.16	101.75 109.75	72.88 109.75	107.75 115.75	22.54 22.54	139.60 161.60
12 15.16~18.16	109.75 129.75	76.88 88.88	105.75 129.75	22.54 22.54	159.60 183.60
13 18.16~20.16	129.75 61.10	—	61.10 67.97	22.54 22.54	466.82 535.67
14 20.16~21.16	67.97 157.75	—	67.97 157.75	22.54 22.54	535.67 203.60
15 21.16~22.16	157.75 163.75	102.88 106.88	157.75 163.75	22.54 22.54	211.60 221.60
16 22.16~23.16	163.75 171.75	106.88 110.88	163.75 171.75	22.54 22.54	221.60 229.60
17 23.16~24.16	171.75 129.75	110.88 114.88	121.75 129.75	22.54 22.54	279.60 287.60

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P _w (kNm ²)
1	1.80	0.00	0.00
2	2.80	1.00	1.72

Where,

- k₆₁: design seismic coefficient
- γ_w: unit weight of water
- H: water depth of riverside
- y: depth from water surface to the point where active water pressure is calculated

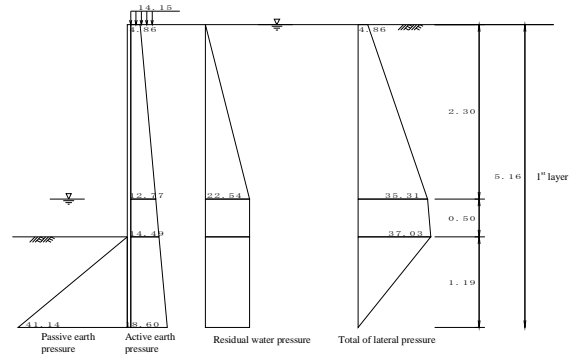


Passive earth pressure Active earth pressure Residual water pressure Total of lateral pressure

4 Imaginary Riverbed

Imaginary ground level L_i is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1	0.00~2.30	4.86 12.77	0.00 22.54	4.86 35.31
2	2.30~2.80	12.77 14.49	22.54 22.54	35.31 37.03
3	2.80~4.00	14.49 18.60	22.54 22.54	37.03 41.14
4	4.00~5.16	18.60 22.00	22.54 22.54	41.14 -36.11

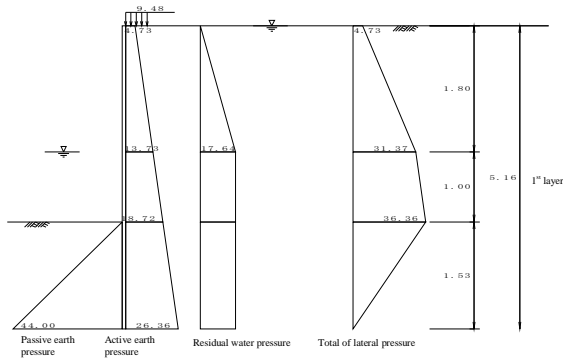
- P_a: Active earth pressure
- P_w: Residual water pressure
- P_p: Passive earth pressure
- P_s: Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_i: 1.20 m (GL -4.00 m)

L_No.03_pp.17

L_No.03_pp.18

4-2 Seismic Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1	0.00~1.80	4.73 13.73	0.00 17.64	4.73 31.37
2	1.80~2.80	13.73 18.72	17.64 17.64	31.37 36.36
3	2.80~4.33	18.72 26.36	17.64 17.64	36.36 44.00
4	4.33~5.16	26.36 30.51	17.64 17.64	44.00 -19.73

- P_a: Active earth pressure
- P_w: Residual water pressure
- P_p: Passive earth pressure
- P_s: Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_i: 1.53 m (GL -4.33 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below;

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

- Unit width B = 1.0000 m
- Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
- Corrosion rate η = 0.91
- Section efficiency u = 0.80
- Young's modulus E = 200000 Nmm²
- Inertia sectional moment I₀ = 63000 cm⁴ (original condition)
- I = 45864 cm⁴ (after reduction on by corrosion on and section)
- Inertia sectional moment I = 200000 × 10⁻⁸ × 45864 × 10⁻⁸ = 9.173 × 10⁷

Depth (m)	N value	Depth (m)	N value
1	0.50	11	20.16
2	5.16	12	21.16
3	7.16	13	22.60
4	8.16	14	23.16
5	9.16	15	24.16
6	10.16		
7	12.16		
8	13.16		
9	14.16		
10	15.16		

5-2 Normal Condition

K_s = 11748 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.423 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.36 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -3.99 m) to 2.36 m depth (GL -6.36 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1	3.99	1.17	4.0	4.66
2	5.16	1.20	4.0	4.08

$$L = 2h = 2.36 \quad \Sigma A = 8.74$$

$$A = (\text{upper N value} + \text{lower N value}) \times h/2$$

$$\begin{aligned} \text{Average } N' \text{ value} \quad N' &= \frac{\Sigma A}{L} \\ &= \frac{8.74}{2.36} \\ &= 3.70 \end{aligned}$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:
 $K_h = 6910 \times N'^{0.496} = 6910 \times 3.70^{0.496} = 11748 \text{ kN/m}^3$
 $K_h \text{ (normal condition)} = 11748 \text{ kNm}^3$

5-3 Seismic Condition

$K_h = 11486 \text{ kNm}^3$ is set tentatively.

$$\begin{aligned} \beta &= 4\sqrt{\frac{K_h \cdot B}{4 E I}} \\ &= 0.421 \text{ m}^{-1} \\ L &= \frac{1}{\beta} = 2.38 \text{ m} \end{aligned}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -4.33 m) and 2.38 m depth (GL -6.71 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	4.33	0.83	4.0	3.22
2	5.16	1.55	4.0	4.99

L = $\Sigma h = 2.38$ $\Sigma A = 8.31$

A (upper N value + lower N value) × h/2

$$\begin{aligned} \text{Average } N' \text{ value} \quad N' &= \frac{\Sigma A}{L} \\ &= \frac{8.31}{2.38} \\ &= 3.50 \end{aligned}$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:
 $K_h = 6910 \times N'^{0.496} = 6910 \times 3.50^{0.496} = 11486 \text{ kN/m}^3$
 $K_h \text{ (seismic condition)} = 11486 \text{ kNm}^3$

L_No. 03_pp.21

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force Ps (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~2.30	4.86 35.31	5.59 40.61	3.23 2.46	18.06 99.95
2	2.30~2.80	35.31 37.03	8.83 9.26	1.53 1.36	13.49 12.60
3	2.80~3.99	37.03 0.00	22.12 0.00	0.80 0.40	17.62 0.00

$\Sigma P = 86.41$ $\Sigma M = 161.73$

P : active earth pressure + residual water pressure - passive earth pressure
 P : load $P \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P = 1.1 \text{ kNm}$
 depth to acting position $H = -0.13 \text{ m}$
 moment $M_h = -0.1 \text{ kNm/m}$
 depth to acting position $H_h = 0.00 \text{ m}$
 Height from riverbed to top of coping $H = 2.80 \text{ m}$
 Depth of imaginary riverbed from riverbed $L_r = 1.19 \text{ m}$

Moment M_0 by arbitrary load is as below
 $M_0 = P \cdot (H + L_r - H) + M_h = 4.64 \text{ kNm}$

h_0 , Height of acting position of P_0 from imaginary riverbed

$$\begin{aligned} h_0 &= \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} \\ &= \frac{166.37}{87.51} = 1.90 \text{ m} \end{aligned}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load Ps (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~1.80	4.73 31.37	4.26 28.23	3.73 3.13	15.89 88.35
2	1.80~2.80	31.37 36.36	15.68 18.18	2.20 1.86	34.45 33.87
3	2.80~4.33	36.36 0.00	27.81 0.00	1.02 0.51	28.37 0.00

$\Sigma P = 94.17$ $\Sigma M = 200.94$

P : active earth pressure + residual water pressure - passive earth pressure
 P : load $P \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

L_No. 03_pp.22

Arbitrary load lateral load $P = 4.7 \text{ kNm}$
 depth to acting position $H = 0.14 \text{ m}$
 moment $M_h = 3.0 \text{ kNm/m}$
 depth to acting position $H_h = 0.80 \text{ m}$
 Height from riverbed to top of coping $H = 2.80 \text{ m}$
 Depth of imaginary riverbed from riverbed $L_r = 1.53 \text{ m}$

Moment M_0 by arbitrary load is as below
 $M_0 = P \cdot (H + L_r - H) + M_h = 22.69 \text{ kN-m}$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{dw} (kNm ²)	Load P_{dw} (kN)	Arm length Y (m)	Moment M_{dw} (kNm)
1	1.80~2.80	1.00	0.0 1.7	0.00 0.86	2.30 1.86	0.00 1.60

$\Sigma P_{dw} = 0.86$ $\Sigma M_{dw} = 1.60$

h_0 , Height of acting position of P_0 from imaginary riverbed

$$\begin{aligned} h_0 &= \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_{dw}}{\Sigma P + P_0 + \Sigma P_{dw}} \\ &= \frac{225.23}{99.73} = 2.26 \text{ m} \end{aligned}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000 \text{ m}$
 Corrosion margin $t_1 = 1.00 \text{ mm (active side)}$ $t_2 = 1.00 \text{ mm (passive side)}$
 Corrosion rate $\eta = 0.91$
 Section efficiency $\mu = 0.80$
 Young's modulus $E = 200000 \text{ Nmm}^2$
 Inertia sectional moment $I_0 = 63000 \text{ cm}^4$ (original condition)
 $I = 45864 \text{ cm}^4$ (after reduction by corrosion and section)
 $H = 200000 \times 10^3 \times 45864 \times 10^8 = 9.173 \times 10^8$

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)+1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$M_{ax} = M_0 \cdot \phi_a$

$$I_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$I_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction $K_h = 11748 \text{ kNm}^3$
 calculated value $\beta = 0.42301 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 87.51 \text{ kNm}$
 height of acting position of load $h_0 = 1.90 \text{ m}$
 moment $M_0 = 166.37 \text{ kNm/m}$

in consideration of $\psi_{0a} = 1.204$
 maximum moment $M_{0ax} = 200.37 \text{ kNm/m}$
 depth of generated position of M_{0ax} $L_c = 0.865 \text{ m}$
 depth of fixed point $l_1 = 2.722 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction $K_h = 11486 \text{ kNm}^3$
 calculated value $\beta = 0.42064 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 99.73 \text{ kNm}$
 height of acting position of load $h_0 = 2.26 \text{ m}$
 moment $M_0 = 225.23 \text{ kNm/m}$

in consideration of $\psi_{0a} = 1.158$
 maximum moment $M_{0ax} = 260.89 \text{ kNm/m}$
 depth of generated position of M_{0ax} $L_c = 0.789 \text{ m}$
 depth of fixed point $l_1 = 2.657 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin $t_1 = 1.00 \text{ mm (active side)}$ $t_2 = 1.00 \text{ mm (passive side)}$
 Corrosion rate $\eta = 0.91$
 Section efficiency $\mu = 1.00$
 Modulus of section $Z_0 = 3150 \text{ cm}^3$ (original condition)
 $Z = 2867 \text{ cm}^3$ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{200.37 \times 10^6}{2867 \times 10^3} = 70 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{260.89 \times 10^6}{2867 \times 10^3} = 91 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

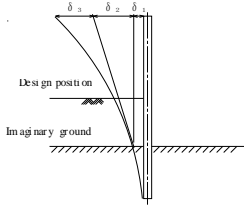
6-4-1 Normal Condition

Modulus of deformation

No.	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.30	3.23	0.808	0.239	5.59	1.334
		2.46	0.616	0.151	40.61	6.125
2	2.30~2.80	1.53	0.383	0.064	8.83	0.564
		1.36	0.341	0.051	9.26	0.477
3	2.80~3.99	0.80	0.199	0.019	22.12	0.411
		0.40	0.100	0.005	0.00	0.000
$\Sigma Q = 8.910$						

Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_s}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_s : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^2}$$

$$= \frac{(1 + 0.4230 \times 1.90) \times 87.51}{2 \times 2.00 \times 10^8 \times 45864 \times 10^{-8} \times 0.4230^2} = 0.01137 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_s)$$

$$= \frac{(1 + 2 \times 0.4230 \times 1.90) \times 87.51}{2 \times 2.00 \times 10^8 \times 45864 \times 10^{-8} \times 0.4230^2} \times (2.80 + 1.19) = 0.02778 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_s)^3}{E I}$$

$$= \frac{8.91 \times (2.80 + 1.19)^3}{2.00 \times 10^8 \times 45864 \times 10^{-8}} = 0.00619 \text{ m}$$

L_No.03_pp.25

Additional displacement δ_s' generated by horizontal load (P) and moment (M) acting at top of SSP considered

$$\delta_s' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_s' is calculated as 0.00027 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.99 m
 Horizontal load: P = 1.10
 Moment: M = 0.14

Displacement δ_{in} of cantilever beam by moment M_0 is additionally considered

$$\delta_{in} = \frac{M_0 \cdot h}{2 E I} \times (2 L - h) \quad (L = 4.33 \text{ m}, h = L - H_s, H_s = 0.80 \text{ m}, \text{ただし } \dots)$$

$$= \frac{3.00 \times 3.53}{2 \times 2.00 \times 10^8 \times 45864 \times 10^{-8}} \times (2 \times 4.33 - 3.53) = 0.00030 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01137 + 0.02778 + 0.00647$$

$$= 0.04562 \text{ m}$$

$$= 45.62 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

No.	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~1.80	3.73	0.861	0.264	4.26	1.127
		3.13	0.723	0.198	28.23	5.988
2	1.80~2.80	2.20	0.507	0.107	15.68	1.677
		1.86	0.430	0.079	18.18	1.442
3	2.80~4.33	1.02	0.236	0.026	27.81	0.711
		0.51	0.118	0.007	0.00	0.000
$\Sigma Q = 10.555$						

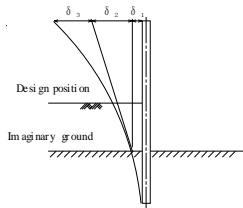
Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_s}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_s : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No.	Depth (m)	Y (m)	α	ζ	P _{sw} (kN)	Q _{sw} (kN)
1	1.80~2.80	2.20	0.507	0.107	0.00	0.000
		1.86	0.430	0.079	0.86	0.068
$\Sigma Q_{sw} = 0.068$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 12.046 + 0.068 = 12.114$

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^2}$$

$$= \frac{(1 + 0.4206 \times 2.26) \times 99.73}{2 \times 2.00 \times 10^8 \times 45864 \times 10^{-8} \times 0.4206^2} = 0.01424 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_s)$$

$$= \frac{(1 + 2 \times 0.4206 \times 2.26) \times 99.73}{2 \times 2.00 \times 10^8 \times 45864 \times 10^{-8} \times 0.4206^2} \times (2.80 + 1.53) = 0.03858 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_s)^3}{E I}$$

$$= \frac{12.11 \times (2.80 + 1.53)^3}{2.00 \times 10^8 \times 45864 \times 10^{-8}} = 0.01072 \text{ m}$$

Additional displacement δ_s' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_s' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

Displacement δ_{in} of cantilever beam by moment M_0 is additionally considered

$$\delta_{in} = \frac{M_0 \cdot h}{2 E I} \times (2 L - h) \quad (L = 4.33 \text{ m}, h = L - H_s, H_s = 0.80 \text{ m}, \text{ただし } \dots)$$

$$= \frac{3.00 \times 3.53}{2 \times 2.00 \times 10^8 \times 45864 \times 10^{-8}} \times (2 \times 4.33 - 3.53) = 0.00030 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01424 + 0.03858 + 0.01102$$

$$= 0.06384 \text{ m}$$

$$= 63.84 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 63000 \text{ cm}^4$ (original condition)
	$I = 63000 \text{ cm}^4$ (after reduction by corrosion and section)
$H = 200000 \times 10^3 \times 63000 \times 10^8$	$= 1.260 \times 10^9$

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_0 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{10} + D$$

$$\beta = 4\sqrt{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction	$K_b = 11748 \text{ kN/m}^3$
Calculated value	$\beta = 0.39074 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.19 + \frac{3}{0.391} = 8.87 \text{ m}$
Whole length of SSP	$L = 2.80 - 0.40 + 8.87 = 11.27 \text{ m}$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction	$K_b = 11486 \text{ kN/m}^3$
Calculated value	$\beta = 0.38854 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.53 + \frac{3}{0.389} = 9.25 \text{ m}$
Whole length of SSP	$L = 2.80 - 0.40 + 9.25 = 11.65 \text{ m}$

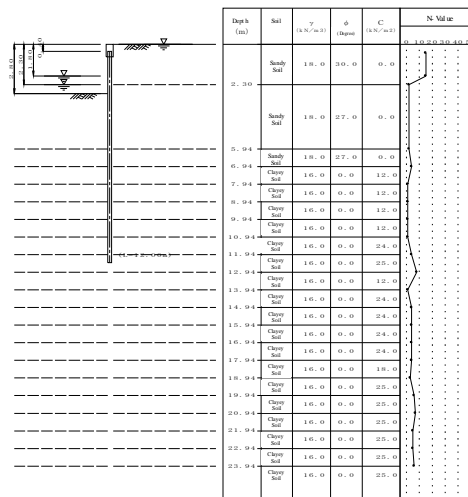
Therefore, whole length of SSP is set as 12.00 m in consideration of round unit of SSP length

8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	63000		
Section modulus	Z (cm ³)	3150		
Maximum bending moment	M_{max} (kNm/m)		200.37	260.89
Stress intensity	σ (N/mm ²)		70 (180)	91 (270)
Lateral displacement	δ (mm)		45.62 (50.0)	63.84 (75.0)
Penetration depth	D (m)		8.87	9.25
Whole length of SSP	L (m)	12.00		

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



— Steel Sheet Pile Design Calculation —

Left Bank No. 04 STA 2+950 - 3+072

1-2 Dimensions of Structure

Depth from cone top to riverbed H = 2.80 m
 Depth from cone top to rear side ground H_r = 0.00 m
 Depth from cone top to SSP top H_s = 0.40 m
 Landside WL L_{ns} = 0.00 m (Normal Condition)
 L_{ns}' = 0.00 m (Seismic Condition)
 Riverside WL L_{rs} = 2.30 m (Normal Condition)
 L_{rs}' = 1.80 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

L_No.04_pp.1

L_No.04_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^{-3}$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition
 Design earthquake intensity $k = 0.200$
 Dynamic water pressure due to earthquake considered as distributed load
 Arbitrary load Horizontal load $R = 0.0 \text{ kNm}$ (Normal Condition)
 $R' = 3.8 \text{ kNm}$ (Seismic Condition)
 Depth of acting point $H = 0.00 \text{ m}$ (Normal Condition)
 $H' = 0.29 \text{ m}$ (Seismic Condition)
 Moment $M_m = 0.0 \text{ kNm/m}$ (Normal Condition)
 $M_m' = 1.9 \text{ kNm/m}$ (Seismic Condition)
 Depth of acting point $H_m = 0.00 \text{ m}$ (Seismic Condition)
 $H_m' = 0.80 \text{ m}$ (Normal Condition)
 (*Depth' means distance from top of cone)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_s = 6910 \times N^{0.406}$

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	12.94	8	21	22.94	5
2	1.80	15	12	13.94	1	22	23.94	6
3	2.30	2	13	14.94	4	23	24.94	8
4	5.94	2	14	15.94	4			
5	6.94	4	15	16.94	4			
6	7.94	1	16	17.94	4			
7	8.94	1	17	18.94	3			
8	9.94	1	18	19.94	6			
9	10.94	1	19	20.94	7			
10	11.94	4	20	21.94	5			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

No	Depth (m)	Soil	N value	γ kNm ³	γ' kNm ³	ϕ	C kNm ²	a	k'	ζ (degree)		kh (kNm ³)	
										normal	seismic	normal	seismic
1	2.30	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	5.94	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
3	6.94	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	7.94	C	1.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
5	8.94	C	1.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
6	9.94	C	1.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
7	10.94	C	1.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
8	11.94	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
9	12.94	C	8.0	16.00	8.00	0.0	28.0	0.0	0.200	auto	auto	—	—
10	13.94	C	1.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
11	14.94	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
12	15.94	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
13	16.94	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
14	17.94	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
15	18.94	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	—	—
16	19.94	C	6.0	16.00	8.00	0.0	28.0	0.0	0.200	auto	auto	—	—
17	20.94	C	7.0	16.00	8.00	0.0	28.0	0.0	0.200	auto	auto	—	—
18	21.94	C	5.0	16.00	8.00	0.0	28.0	0.0	0.200	auto	auto	—	—
19	22.94	C	5.0	16.00	8.00	0.0	28.0	0.0	0.200	auto	auto	—	—
20	23.94	C	6.0	16.00	8.00	0.0	28.0	0.0	0.200	auto	auto	—	—
21	24.94	C	8.0	16.00	8.00	0.0	28.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

1-8 Steel Sheet Pile (SSP)

Young's modulus E = 200000 Nmm²
 Inertia sectional moment I_x = 56700 cm⁴
 Sectional factor Z₀ = 2700 cm³
 Corrosion margin t_r = 1.00 mm (ri verside) t_s = 1.00 mm (lands ide)
 Corrosion rate (to I_x) η = 0.88
 Corrosion rate (to Z₀) η = 0.88
 Section efficiency (to I_x) μ = 0.80
 Section efficiency (to Z₀) μ = 1.00

Round unit of SSP length 0.50 m

Allowable stress σ_a = 180 Nmm (Normal)
 σ_a' = 270 Nmm (Seismic)

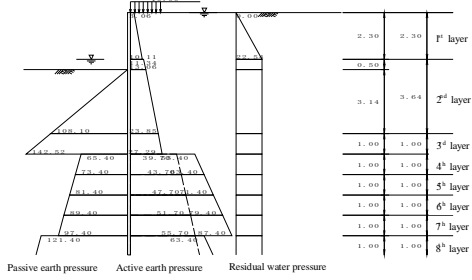
Allowable displacement δ_a = 50.0mm (Normal)
 δ_a' = 75.0mm (Seismic)

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus Reduced: I_x applied to calculation of lateral coefficient of subgrade reaction
 Not reduced: I_x applied to calculation of penetration depth
 Reduced: I_x applied to calculation of section forces and displacement
 Reduced: Z₀ applied to calculation of stresses

2 Lateral Pressure

2-1 Normal Condition



2-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ³)	φ (degree)	C (kNm ²)	Σγh-Qp (kNm ²)	Ka	Ka × cos δ
1 0.00~2.30	Sandy soil	10.0	30.0	---	10.000 33.000	0.31026 0.31026	0.30644 0.30644
2 2.30~2.80	Sandy soil	10.0	27.0	---	33.000 38.000	0.34800 0.34800	0.34371 0.34371
3 2.80~5.94	Sandy soil	10.0	27.0	---	38.000 69.400	0.34800 0.34800	0.34371 0.34371
4 5.94~6.94	Sandy soil	10.0	27.0	---	69.400 79.400	0.34800 0.34800	0.34371 0.34371
5 6.94~7.94	Clayey soil	8.0	---	12.0 12.0	79.400 87.400	---	---
6 7.94~8.94	Clayey soil	8.0	---	12.0 12.0	87.400 95.400	---	---
7 8.94~9.94	Clayey soil	8.0	---	12.0 12.0	95.400 103.400	---	---
8 9.94~10.94	Clayey soil	8.0	---	12.0 12.0	103.400 111.400	---	---
9 10.94~11.94	Clayey soil	8.0	---	24.0 24.0	111.400 119.400	---	---
10 11.94~12.94	Clayey soil	8.0	---	25.0 25.0	119.400 127.400	---	---
11 12.94~13.94	Clayey soil	8.0	---	12.0 12.0	127.400 135.400	---	---
12 13.94~14.94	Clayey soil	8.0	---	24.0 24.0	135.400 143.400	---	---
13 14.94~15.94	Clayey soil	10.0	---	24.0 24.0	143.400 153.400	---	---
14 15.94~16.94	Clayey soil	8.0	---	24.0 24.0	153.400 161.400	---	---
15 16.94~17.94	Clayey soil	8.0	---	24.0 24.0	161.400 169.400	---	---

Depth (m)	Soil	γ (kNm ³)	φ (degree)	C (kNm ²)	Σγh-Qp (kNm ²)	Ka	Ka × cos δ
16 17.94~18.94	Clayey soil	8.0	---	18.0 18.0	169.400 177.400	---	---
17 18.94~19.94	Clayey soil	8.0	---	25.0 25.0	177.400 185.400	---	---
18 19.94~20.94	Clayey soil	8.0	---	25.0 25.0	185.400 193.400	---	---
19 20.94~21.94	Clayey soil	8.0	---	25.0 25.0	193.400 201.400	---	---
20 21.94~22.94	Clayey soil	8.0	---	25.0 25.0	201.400 209.400	---	---
21 22.94~23.94	Clayey soil	8.0	---	25.0 25.0	209.400 217.400	---	---
22 23.94~24.94	Clayey soil	8.0	---	25.0 25.0	217.400 225.400	---	---

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below
 δ = 9.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Depth (m)	Soil	γ (kNm ³)	φ (degree)	C (kNm ²)	Σγh-Qp (kNm ²)	Kp	Kp × cos δ
16 17.94~18.94	Clayey soil	8.0	0.0	18.0 18.0	131.400 139.400	---	---
17 18.94~19.94	Clayey soil	8.0	0.0	25.0 25.0	139.400 147.400	---	---
18 19.94~20.94	Clayey soil	8.0	0.0	25.0 25.0	147.400 155.400	---	---
19 20.94~21.94	Clayey soil	8.0	0.0	25.0 25.0	155.400 163.400	---	---
20 21.94~22.94	Clayey soil	8.0	0.0	25.0 25.0	163.400 171.400	---	---
21 22.94~23.94	Clayey soil	8.0	0.0	25.0 25.0	171.400 179.400	---	---
22 23.94~24.94	Clayey soil	8.0	0.0	25.0 25.0	179.400 187.400	---	---

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below
 δ = -9.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

2-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ³)	φ (degree)	C (kNm ²)	Σγh-Qp (kNm ²)	Kp	Kp × cos δ
3 2.80~5.94	Sandy soil	10.0	27.0	---	0.000 31.400	3.48553 3.48553	3.44261 3.44261
4 5.94~6.94	Sandy soil	10.0	27.0	---	31.400 41.400	3.48553 3.48553	3.44261 3.44261
5 6.94~7.94	Clayey soil	8.0	0.0	12.0 12.0	41.400 49.400	---	---
6 7.94~8.94	Clayey soil	8.0	0.0	12.0 12.0	49.400 57.400	---	---
7 8.94~9.94	Clayey soil	8.0	0.0	12.0 12.0	57.400 65.400	---	---
8 9.94~10.94	Clayey soil	8.0	0.0	12.0 12.0	65.400 73.400	---	---
9 10.94~11.94	Clayey soil	8.0	0.0	24.0 24.0	73.400 81.400	---	---
10 11.94~12.94	Clayey soil	8.0	0.0	25.0 25.0	81.400 89.400	---	---
11 12.94~13.94	Clayey soil	8.0	0.0	12.0 12.0	89.400 97.400	---	---
12 13.94~14.94	Clayey soil	8.0	0.0	24.0 24.0	97.400 105.400	---	---
13 14.94~15.94	Clayey soil	10.0	0.0	24.0 24.0	105.400 115.400	---	---
14 15.94~16.94	Clayey soil	8.0	0.0	24.0 24.0	115.400 123.400	---	---
15 16.94~17.94	Clayey soil	8.0	0.0	24.0 24.0	123.400 131.400	---	---

2-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure Pw (kNm ²)	Passive side Pp (kNm ²)
	Ph1 (kNm ²)	Ph2 (kNm ²)	Ph (kNm ²)		
1 0.00~2.30	3.06	---	3.06	0.00	---
2 2.30~2.80	10.11	---	10.11	22.54	---
3 2.80~5.94	13.06	---	13.06	22.54	---
4 5.94~6.94	13.06	---	13.06	22.54	0.00
5 6.94~7.94	13.06	---	13.06	22.54	108.10
6 7.94~8.94	13.06	---	13.06	22.54	142.52
7 8.94~9.94	13.06	---	13.06	22.54	65.40
8 9.94~10.94	13.06	---	13.06	22.54	73.40
9 10.94~11.94	13.06	---	13.06	22.54	73.40
10 11.94~12.94	13.06	---	13.06	22.54	81.40
11 12.94~13.94	13.06	---	13.06	22.54	81.40
12 13.94~14.94	13.06	---	13.06	22.54	89.40
13 14.94~15.94	13.06	---	13.06	22.54	89.40
14 15.94~16.94	13.06	---	13.06	22.54	97.40
15 16.94~17.94	13.06	---	13.06	22.54	97.40

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 kNm ²	Pa2 kNm ²	Pa kNm ²		
19	19.94~20.94	189.49 203.15	90.20 94.20	189.49 203.15	17.64 17.64	197.40 205.40
20	20.94~21.94	203.15 217.76	94.20 98.20	203.15 217.76	17.64 17.64	205.40 213.40
21	21.94~22.94	217.76 233.73	98.20 102.20	217.76 233.73	17.64 17.64	213.40 221.40
22	22.94~23.94	233.73 251.78	102.20 106.20	233.73 251.78	17.64 17.64	221.40 229.40
23	23.94~24.94	251.78 273.38	106.20 110.20	251.78 273.38	17.64 17.64	229.40 237.40

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\sum \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \sum \gamma h + Q - 2C$
 $P_{a2} = K_c \cdot (\sum \gamma h + Q)$
 K_c : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\sum \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\sum \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \sum \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\sum \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

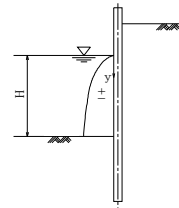
Where,

k_a : design seismic coefficient

γ_w : unit weight of water

H : water depth of riverside

y : depth from water surface to the point where active water pressure is calculated



2-2-4 Dynamic Water Pressure due to Earthquake

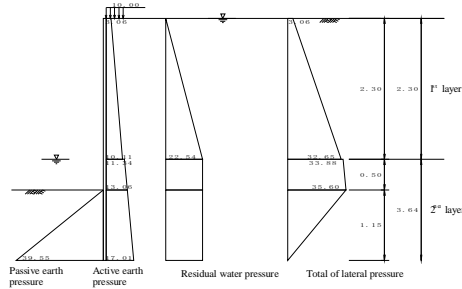
No	Depth Z (m)	WL y (m)	P _{dw} (kNm ²)
1	1.80	0.00	0.00
2	2.80	1.00	1.72

$$P_{dw} = \pm \frac{7}{8} k_{dw} \gamma_w \sqrt{H \cdot y}$$

3 Imaginary Riverbed

Imaginary ground level I_a is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

3-1 Normal Condition

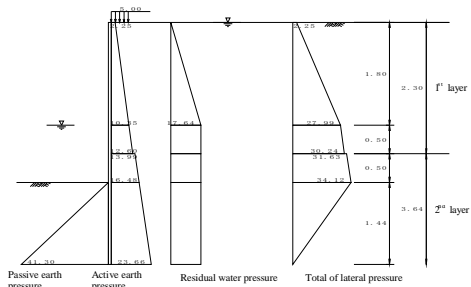


Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	P _s kNm ²
1	0.00~3.06	0.00	—	3.06
2	2.30~11.34	22.54	—	33.88
3	2.80~13.06	22.54	—	35.60
4	2.80~13.06	22.54	0.00	35.60
5	3.95~17.01	22.54	39.55	0.00
6	3.95~17.01	22.54	39.55	0.00
7	5.94~23.85	22.54	108.10	-61.70

- P_a : Active earth pressure
- P_w : Residual water pressure
- P_p : Passive earth pressure
- P_s : Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed I_a: 1.15 m (GL -3.95 m)

3-2 Seismic Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	P _s kNm ²
1	0.00~2.25	0.00	—	2.25
2	1.80~10.35	17.64	—	27.99
3	2.30~10.35	17.64	—	30.24
4	2.30~13.99	17.64	—	31.63
5	2.80~16.48	17.64	—	34.12
6	2.80~16.48	17.64	0.00	34.12
7	4.24~23.66	17.64	41.30	0.00
8	4.24~23.66	17.64	41.30	-40.51

- P_a : Active earth pressure
- P_w : Residual water pressure
- P_p : Passive earth pressure
- P_s : Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed I_a: 1.44 m (GL -4.24 m)

4 Modulus of Lateral Subgrade Reaction

4-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below:

$$K_h = 6910 \times N^{0.806}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

- Unit width B = 1.0000 m
- Corrosion margin $t_c = 1.00$ mm (active side) $t_r = 1.00$ mm (passive side)
- Corrosion rate $\eta = 0.88$
- Section efficiency $\mu = 0.80$
- Young's modulus E = 200000 N/mm²
- Inertia sectional moment L = 56700 cm⁴ (original condition)
- I = 39917 cm⁴ (after reduction by corrosion and section)
- Inertia sectional moment $\bar{I} = 200000 \times 10^8 \times 39917 \times 10^8 = 7.983 \times 10^7$

	Depth (m)	N value	Depth (m)	N value	Depth (m)	N value
1	0.50	15	11	12.94	8	21
2	1.80	15	12	13.94	1	22
3	2.30	2	13	14.94	1	22
4	5.94	2	14	15.94	4	23
5	6.94	4	15	16.94	4	23
6	7.94	1	16	17.94	4	23
7	8.94	1	17	18.94	3	23
8	9.94	1	18	19.94	6	23
9	10.94	1	19	20.94	7	23
10	11.94	4	20	21.94	5	23

4-2 Normal Condition

$K_h = 9296$ kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.413 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.42 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (CL -3.95 m) to 2.42 m depth (CL -6.37 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1	3.95	1.99	2.0	3.98
2	5.94	0.43	2.0	1.04

L = 2h = 2.42 ΣA = 5.03

A (upper N value + lower N value) × h/2

5 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

5-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

5-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~2.30	3.06 32.65	3.52	3.18 2.42	11.21 90.70
2	2.30~2.80	33.88 35.60	8.47	1.48 1.32	12.55 11.71
3	2.80~3.95	35.60 0.00	20.45	0.77 0.38	15.66 0.00

ΣP = 78.90 ΣM = 141.84

- P_s : active earth pressure + residual water pressure - passive earth pressure
- P: load $P = h/2 \times B$
- B: unit width = 1.000 m
- Y: height of acting position from imaginary riverbed
- M: moment by load $P \times Y$

- Arbitrary load lateral load $P = 0.4$ kNm
- depth to acting position H = 0.00 m
- moment $M_0 = 0.0$ kNm/m
- depth to acting position $H_0 = 0.00$ m
- Height from riverbed to top of coping H = 2.80 m
- Depth of imaginary riverbed from riverbed $L_0 = 1.15$ m

Moment M_0 by arbitrary load is as below

$$M_0 = P \cdot (H + L_0 - H_0) + M_0 = 0.00 \text{ kNm}$$

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{141.84}{78.90} = 1.80 \text{ m}$$

5-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P_s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~1.80	2.25 27.99	2.02	3.64 3.04	7.36 76.46
2	1.80~2.30	27.99 30.24	7.00	2.27 2.10	15.88 15.89
3	2.30~2.80	31.63 34.12	7.91	1.77 1.60	13.99 13.67
4	2.80~4.24	34.12 0.00	24.50	0.96 0.48	23.45 0.00

ΣP = 82.70 ΣM = 166.69

$$\text{average } n \text{ value } N' = \frac{\Sigma A}{L} = \frac{5.03}{2.42} = 2.08$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N'^{0.806} = 6910 \times 2.08^{0.806} = 9296 \text{ kN/m}^3$$

K_h (normal condition) = 9296 kNm³

4-3 Seismic Condition

$K_h = 9526$ kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.416 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.41 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (CL -4.24 m) and 2.41 m depth (CL -6.64 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1	4.24	1.70	2.0	3.41
2	5.94	0.70	2.0	1.90

L = 2h = 2.41 ΣA = 5.31

A (upper N value + lower N value) × h/2

$$\text{average } n \text{ value } N' = \frac{\Sigma A}{L} = \frac{5.31}{2.41} = 2.21$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N'^{0.806} = 6910 \times 2.21^{0.806} = 9526 \text{ kN/m}^3$$

K_h (seismic condition) = 9526 kNm³

- P_s : active earth pressure + residual water pressure - passive earth pressure
- P: load $P = h/2 \times B$
- B: unit width = 1.000 m
- Y: height of acting position from imaginary riverbed
- M: moment by load $P \times Y$

- Arbitrary load lateral load $P = 3.8$ kNm
- depth to acting position H = 0.29 m
- moment $M_0 = 1.9$ kNm/m
- depth to acting position $H_0 = 0.80$ m
- Height from riverbed to top of coping H = 2.80 m
- Depth of imaginary riverbed from riverbed $L_0 = 1.44$ m

Moment M_0 by arbitrary load is as below

$$M_0 = P \cdot (H + L_0 - H_0) + M_0 = 16.89 \text{ kNm}$$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{sw} (kNm ²)	Load P_{sw} (kN)	Arm length Y (m)	Moment M_{sw} (kNm)
1	1.80~2.80	1.00	0.0 1.7	0.00	2.10 1.77	0.00 1.52

ΣP_{sw} = 0.86 ΣM_{sw} = 1.52

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_{sw}}{\Sigma P + P_0 + \Sigma P_{sw}} = \frac{185.10}{87.36} = 2.12 \text{ m}$$

5-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

- Unit width B = 1.0000 m
- Corrosion margin $t_c = 1.00$ mm (active side) $t_r = 1.00$ mm (passive side)
- Corrosion rate $\eta = 0.88$
- Section efficiency $\mu = 0.80$
- Young's modulus E = 200000 N/mm²
- Inertia sectional moment $I_0 = 56700$ cm⁴ (original condition)
- I = 39917 cm⁴ (after reduction by corrosion and section)
- $\bar{I} = 200000 \times 10^8 \times 39917 \times 10^8 = 7.983 \times 10^7$

$$\beta = \sqrt[4]{\frac{K_s \cdot B}{4 E I}}$$

$$\phi_n = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_n$$

$$I_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$I_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

5-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_s = 9296 \text{ kNm}^3$
 resultant earth force (lateral) $P_0 = 78.90 \text{ kNm}$
 height of acting position of load moment $h_0 = 1.80 \text{ m}$
 $M_0 = 141.84 \text{ kN-m/m}$

in consideration of $\psi_n = 1.230$
 maximum moment $M_{max} = 174.51 \text{ kN-m/m}$
 depth of generated position of M_{max} $l_n = 0.926 \text{ m}$
 depth of 1° fixed point $l_i = 2.828 \text{ m}$

5-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_s = 9526 \text{ kNm}^3$
 resultant earth force (lateral) $P_0 = 87.36 \text{ kNm}$
 height of acting position of load moment $h_0 = 2.12 \text{ m}$
 $M_0 = 185.10 \text{ kN-m/m}$

in consideration of $\psi_n = 1.178$
 maximum moment $M_{max} = 218.05 \text{ kN-m/m}$
 depth of generated position of M_{max} $l_n = 0.836 \text{ m}$
 depth of 1° fixed point $l_i = 2.726 \text{ m}$

5-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin $t_c = 1.00 \text{ mm}$ (active side) $t_s = 1.00 \text{ mm}$ (passive side)
 Corrosion rate $n = 0.88$
 Section efficiency $u = 1.00$
 Module of section $Z_0 = 2700 \text{ cm}^3$ (original condition)
 $Z = 2376 \text{ cm}^3$ (after reduction by corrosion and section)

5-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{174.51 \times 10^6}{2376 \times 10^3} = 73 \text{ N/mm}^2 \leq \sigma_s = 180 \text{ N/mm}^2 \text{ (ok)}$$

5-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{218.05 \times 10^6}{2376 \times 10^3} = 92 \text{ N/mm}^2 \leq \sigma_s = 270 \text{ N/mm}^2 \text{ (ok)}$$

5-4 Displacement

5-4-1 Normal Condition

Modules of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.30	3.18 2.42	0.806 0.612	0.237 0.149	3.52 37.55	0.837 5.593
2	2.30~2.80	1.48 1.32	0.375 0.333	0.062 0.049	8.47 8.90	0.522 0.439
3	2.80~3.95	0.77 0.38	0.194 0.097	0.018 0.005	20.45 0.00	0.360 0.000
$\Sigma Q = 7.751$						

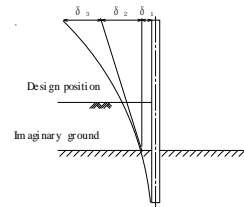
Y : Height from imaginary ri verbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_k}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.4131 \times 1.80) \times 78.90}{2 \times 2.00 \times 10^4 \times 39917 \times 10^3 \times 0.4131^3} = 0.01222 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L)$$

$$= \frac{(1+2 \times 0.4131 \times 1.80) \times 78.90}{2 \times 2.00 \times 10^4 \times 39917 \times 10^3 \times 0.4131^2} \times (2.80+1.15) = 0.02842 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L)^3}{E I}$$

$$= \frac{7.75 \times (2.80+1.15)^3}{2.00 \times 10^4 \times 39917 \times 10^3} = 0.00598 \text{ m}$$

Additional displacement δ_s generated by horizontal load (P) and moment (M) acting at top of SSP considered

$$\delta_s' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01222 + 0.02842 + 0.00598$$

$$= 0.04662 \text{ m}$$

$$= 46.62 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where

- Displacement at imaginary ground
- Displacement by angle of inclination slope at imaginary ground
- Displacement at higher part of imaginary ground as cantilever
- Displacement at top of SSP
- Allowable displacement

5-4-2 Seismic Condition

Modules of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~1.80	3.64 3.04	0.858 0.717	0.263 0.195	2.02 25.19	0.532 4.923
2	1.80~2.30	2.27 2.10	0.536 0.496	0.118 0.105	7.00 7.56	0.825 0.777
3	2.30~2.80	1.77 1.60	0.418 0.378	0.075 0.063	7.91 8.53	0.594 0.533
4	2.80~4.24	0.96 0.48	0.226 0.113	0.024 0.006	24.50 0.00	0.578 0.000
$\Sigma Q = 8.763$						

Y : Height from imaginary ri verbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_k}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

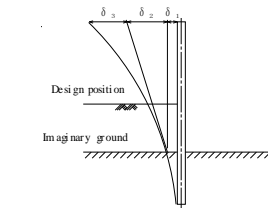
Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_w (kN)	Q_w (kN)
1	1.80~2.80	2.10 1.77	0.496 0.418	0.103 0.075	0.00 0.86	0.000 0.064
$\Sigma Q_w = 0.064$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 9.900 + 0.064 = 9.964$

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.4156 \times 2.12) \times 87.36}{2 \times 2.00 \times 10^4 \times 39917 \times 10^3 \times 0.4156^3} = 0.01433 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L)$$

$$= \frac{(1+2 \times 0.4156 \times 2.12) \times 87.36}{2 \times 2.00 \times 10^4 \times 39917 \times 10^3 \times 0.4156^2} \times (2.80+1.44) = 0.03705 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L)^3}{E I}$$

$$= \frac{9.96 \times (2.80+1.44)^3}{2.00 \times 10^4 \times 39917 \times 10^3} = 0.00948 \text{ m}$$

Additional displacement δ_1' generated by horizontal load (D) and moment (M) acting at top of SSP is considered

Displacement δ_m of cantilever beam by moment M_0 is additionally considered

$$\delta_m = \frac{M_0 \cdot h}{2 E I} \times (2 L - h) \quad (L=4.27 \text{ m, } h=L-H_1, H_1=0.80 \text{ m, ただし } h \leq L)$$

$$= \frac{2.20 \times 3.47}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8}} \times (2 \times 4.27 - 3.47) = 0.00024 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01433 + 0.03705 + 0.00969$$

$$= 0.06108 \text{ m}$$

$$= 61.08 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

- Where,
- δ_1 : Displacement at imaginary ground
 - δ_2 : Displacement by angle of inclination slope at imaginary ground
 - δ_3 : Displacement at higher part of imaginary ground as cantilever
 - δ : Displacement at top of SSP
 - δ_a : Allowable displacement

6 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 56700 \text{ cm}^4$ (original condition)
	I = 56700 cm ⁴ (after reduction by corrosion and section)
	$HI = 200000 \times 10^3 \times 56700 \times 10^{-8} = 1.134 \times 10^7$

6-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_0 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_1 + D$$

$$\beta = 4 \sqrt{\frac{K_s \cdot B}{4 E I}}$$

6-1-1 Normal Condition

Modulus of lateral subgrade reaction
Calculated value

$$K_s = 9296 \text{ kN/m}^3$$

$$\beta = 0.37836 \text{ m}^{-1}$$

Penetration length of SSP

$$D = 1.15 + \frac{3}{0.378} = 9.08 \text{ m}$$

Whole length of SSP

$$L = 2.80 - 0.40 + 9.08 = 11.48 \text{ m}$$

6-1-2 Seismic Condition

Modulus of lateral subgrade reaction
Calculated value

$$K_s = 9526 \text{ kN/m}^3$$

$$\beta = 0.38068 \text{ m}^{-1}$$

Penetration length of SSP

$$D = 1.44 + \frac{3}{0.381} = 9.32 \text{ m}$$

Whole length of SSP

$$L = 2.80 - 0.40 + 9.32 = 11.72 \text{ m}$$

Therefore, whole length of SSP is set as 12.00 m in consideration of round unit of SSP length

7 Calculation Result

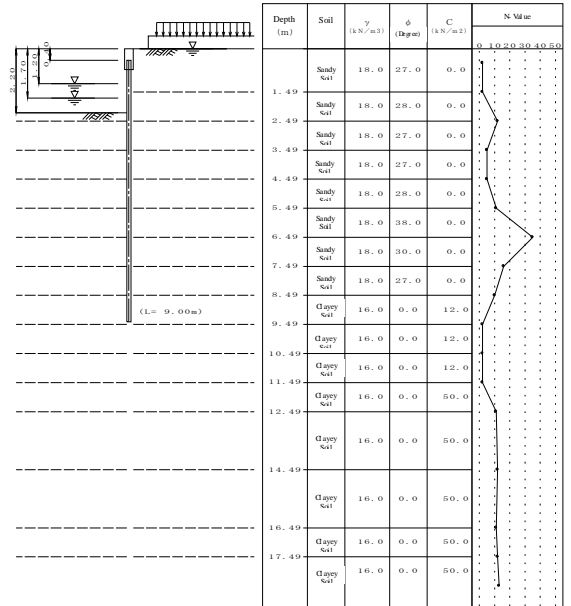
			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	56700		
Section modulus	Z (cm ³)	2700		
Maximum bending moment	M_{max} (kNm/m)		174.51	218.05
Stress intensity	σ (N/mm ²)		73 (180)	92 (270)
Lateral displacement	δ (mm)		46.02 (50.0)	61.08 (75.0)
Penetration depth	D (m)	12.00	9.08	9.32
Whole length of SSP	L (m)			

— Steel Sheet Pile Design Calculation —

Right Bank No. 05_STA 3+160 - 3+300

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.20 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Landside WL L_{land} = 0.00 m (Normal Condition)
 Riverside WL L_{river} = 1.70 m (Normal Condition)
 L_{land}' = 0.00 m (Seismic Condition)
 L_{river}' = 1.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.05_pp.1

R_No.05_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^{-3}$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load R = 0.0 kNm (Normal Condition)
 R' = 2.7 kNm (Seismic Condition)
 Depth of acting point H = 0.00 m (Normal Condition)
 H' = 0.40 m (Seismic Condition)
 Moment M_m = 0.0 kNm/m (Normal Condition)
 M_m' = 1.1 kNm/m (Seismic Condition)
 Depth of acting point H_m = 0.00 m (Seismic Condition)
 H_m' = 0.80 m (Normal Condition)
 (*Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_s = 6910 \times N^{0.406}$

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.49	2	11	10.49	2
2	1.49	2	12	11.49	2
3	2.49	2	13	12.49	11
4	3.49	5	14	14.49	12
5	4.49	5	15	16.49	11
6	5.49	11	16	17.49	12
7	6.49	35	17	18.49	13
8	7.49	16			
9	8.49	10			
10	9.49	2			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment share on landside

Vertical load on riverside not considered

1-7 Soil Modulus

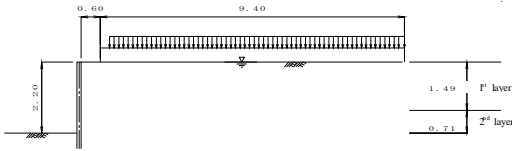
No	Depth (m)	Soil	N value	γ (kNm ³)	γ' (kNm ³)	φ	C (kNm ²)	a	k'	ζ (degree)		kh (kNm ³)	
										normal	seismic	normal	seismic
1	1.49	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
2	2.49	S	2.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
3	3.49	S	5.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	4.49	S	5.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
5	5.49	S	11.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
6	6.49	S	35.0	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	—	—
7	7.49	S	16.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
8	8.49	S	10.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
9	9.49	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
10	10.49	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
11	11.49	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
12	12.49	C	12.0	16.00	8.00	0.0	50.0	0.0	0.200	auto	auto	—	—
13	14.49	C	12.0	16.00	8.00	0.0	50.0	0.0	0.200	auto	auto	—	—
14	16.49	C	11.0	16.00	8.00	0.0	50.0	0.0	0.200	auto	auto	—	—
15	17.49	C	12.0	16.00	8.00	0.0	50.0	0.0	0.200	auto	auto	—	—
16	18.49	C	13.0	16.00	8.00	0.0	50.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C_c : soil cohesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.60	0.60	10.00	10.00	0.44	18.0	31.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ²)	Seismic (kNm ²)
1	0.88	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus $E = 200000 \text{ Nmm}^2$
 Inertia sectional moment $I_x = 24400 \text{ cm}^4$
 Sectional factor $Z_0 = 1610 \text{ cm}^3$

Corrosion margin $t_s = 1.00 \text{ mm (ri verside)}$ $t_b = 1.00 \text{ mm (lands ide)}$

Corrosion rate (to I_x) $n = 0.82$
 Corrosion rate (to Z_0) $n = 0.82$
 Section efficiency (to I_x) $u = 1.00$
 Section efficiency (to Z_0) $u = 1.00$

Round unit of SSP length 0.50 m

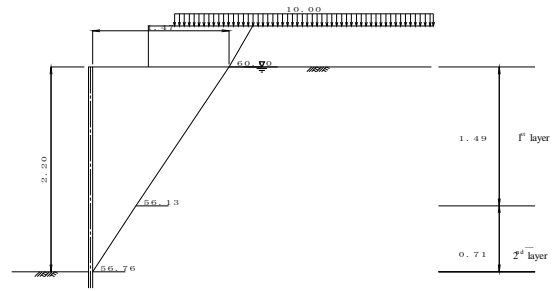
Allowable stress $\sigma_a = 180 \text{ Nmm (Normal)}$
 $\sigma_{a'} = 270 \text{ Nmm (Seismic)}$

Allowable displacement $\delta_a = 50.0 \text{ mm (Normal)}$
 $\delta_{a'} = 75.0 \text{ mm (Seismic)}$

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus: Reduced: I_x applied to calculation of lateral coefficient of subgrade reaction
 Not reduced: I_x applied to calculation of penetration depth
 Reduced: I_x applied to calculation of section forces and displacement
 Reduced: Z_0 applied to calculation of stresses

2 Calculation of Acting Load
2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma w h$ (kN/m ²)	Angle of rupture Z (degree)
1	2.20~1.49	Sandy Soil	28.0	9.0	0.0	22.00	11.09	21.56	56.76
2	1.49~0.00	Sandy Soil	27.0	9.0	0.0	14.90	11.09	14.60	56.13
3		Embankment	30.0	—	0.0	7.92	10.00	0.00	60.00

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesive force of soil (kNm⁻²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	56.76	0.71	0.00	0.00	0.47	0.71
2	56.13	1.49	0.47	0.71	1.47	2.20
3	60.00	0.44	1.47	2.20	1.72	2.64

Therefore, width of acting load shall be set as 1.47 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	0.44	7.86
Σ			7.86

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kNm ²)	l (m)	Q X l (kN/m)
1	10.0	0.84	8.39
Σ			8.39

Q: surcharge load
 l : width of surcharge load set by line of active rupture

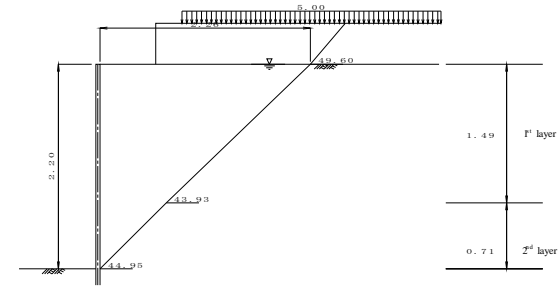
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{7.86 + 8.39 + 0.00}{1.47}$$

$$= 11.09 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma w h$ (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.20~1.49	Sandy Soil	28.0	9.0	0.0	22.00	10.35	21.56	0.200	11.31	44.95
2	1.49~0.00	Sandy Soil	27.0	9.0	0.0	14.90	10.35	14.60	0.200	11.31	43.93
3		Embankment	30.0	—	0.0	7.92	5.00	0.00	0.200	11.31	49.60

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesive force of soil (kNm⁻²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	44.95	0.71	0.00	0.00	0.71	0.71
2	43.93	1.49	0.71	0.71	2.26	2.20
3	49.60	0.44	2.26	2.20	2.63	2.64

Therefore, width of acting load shall be set as 2.26 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	0.81	14.62
Σ			14.62

γ : unit weight of embankment soil
 A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	1.75	8.76
Σ			8.76

Q: surcharge load
 l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

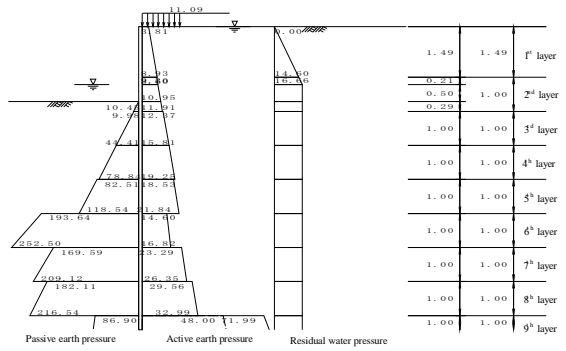
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{14.62 + 8.76 + 0.00}{2.26}$$

$$= 10.35 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q_0$ (kNm ⁻²)	K_a	$K_a \times \cos \delta$
1 0.00~1.49	Sandy soil	10.0	27.0	---	11.092 25.992	0.34800 0.34800	0.34371 0.34371
2 1.49~1.70	Sandy soil	10.0	28.0	---	25.992 28.092	0.33506 0.33506	0.33093 0.33093
3 1.70~2.20	Sandy soil	10.0	28.0	---	28.092 33.092	0.33506 0.33506	0.33093 0.33093
4 2.20~2.49	Sandy soil	10.0	28.0	---	33.092 35.992	0.33506 0.33506	0.33093 0.33093
5 2.49~3.49	Sandy soil	10.0	27.0	---	35.992 45.992	0.34800 0.34800	0.34371 0.34371
6 3.49~4.49	Sandy soil	10.0	27.0	---	45.992 55.992	0.34800 0.34800	0.34371 0.34371
7 4.49~5.49	Sandy soil	10.0	28.0	---	55.992 65.992	0.33506 0.33506	0.33093 0.33093
8 5.49~6.49	Sandy soil	10.0	38.0	---	65.992 75.992	0.22404 0.22404	0.22128 0.22128
9 6.49~7.49	Sandy soil	10.0	30.0	---	75.992 85.992	0.31026 0.31026	0.30644 0.30644
10 7.49~8.49	Sandy soil	10.0	27.0	---	85.992 95.992	0.34800 0.34800	0.34371 0.34371
11 8.49~9.49	Clayey soil	8.0	---	12.0	95.992 103.992	---	---
12 9.49~10.49	Clayey soil	8.0	---	12.0	103.992 111.992	---	---
13 10.49~11.49	Clayey soil	8.0	---	12.0	111.992 119.992	---	---

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q_0$ (kNm ⁻²)	K_a	$K_a \times \cos \delta$
14 11.49~12.49	Clayey soil	8.0	---	50.0 50.0	119.992 127.992	---	---
15 12.49~14.49	Clayey soil	8.0	---	50.0 50.0	127.992 143.992	---	---
16 14.49~16.49	Clayey soil	8.0	---	50.0 50.0	143.992 159.992	---	---
17 16.49~17.49	Clayey soil	8.0	---	50.0 50.0	159.992 167.992	---	---
18 17.49~18.49	Clayey soil	8.0	---	50.0 50.0	167.992 175.992	---	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$\delta = 9.00, \beta = 0.00, \theta = 0.00$$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q_0$ (kNm ⁻²)	K_p	$K_p \times \cos \delta$
4 2.20~2.49	Sandy soil	10.0	28.0	---	0.000 2.900	3.64796 3.64796	3.60305 3.60305
5 2.49~3.49	Sandy soil	10.0	27.0	---	2.900 12.900	3.48553 3.48553	3.44261 3.44261
6 3.49~4.49	Sandy soil	10.0	27.0	---	12.900 22.900	3.48553 3.48553	3.44261 3.44261
7 4.49~5.49	Sandy soil	10.0	28.0	---	22.900 32.900	3.64796 3.64796	3.60305 3.60305
8 5.49~6.49	Sandy soil	10.0	38.0	---	32.900 42.900	5.95910 5.95910	5.88573 5.88573
9 6.49~7.49	Sandy soil	10.0	30.0	---	42.900 52.900	4.00247 4.00247	3.95319 3.95319
10 7.49~8.49	Sandy soil	10.0	27.0	---	52.900 62.900	3.48553 3.48553	3.44261 3.44261
11 8.49~9.49	Clayey soil	8.0	0.0	12.0 20.0	62.900 70.900	---	---
12 9.49~10.49	Clayey soil	8.0	0.0	12.0 20.0	70.900 78.900	---	---
13 10.49~11.49	Clayey soil	8.0	0.0	12.0 20.0	78.900 86.900	---	---
14 11.49~12.49	Clayey soil	8.0	0.0	50.0 50.0	86.900 94.900	---	---
15 12.49~14.49	Clayey soil	8.0	0.0	50.0 50.0	94.900 110.900	---	---
16 14.49~16.49	Clayey soil	8.0	0.0	50.0 50.0	110.900 126.900	---	---
17 16.49~17.49	Clayey soil	8.0	0.0	50.0 50.0	126.900 134.900	---	---
18 17.49~18.49	Clayey soil	8.0	0.0	50.0 50.0	134.900 142.900	---	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$\delta = 9.00, \beta = 0.00, \theta = 0.00$$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

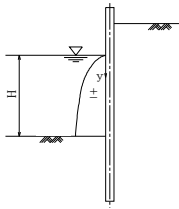
Depth (m)	Active side			Residual water pressure		Passive side	
	Pu1 (kNm ⁻²)	Pu2 (kNm ⁻²)	Pu (kNm ⁻²)	Pw (kNm ⁻²)	Pp (kNm ⁻²)	Pp (kNm ⁻²)	Pp (kNm ⁻²)
1 0.00~1.49	3.81	---	3.81	0.00	---	---	---
2 1.49~1.70	8.60	---	8.60	14.60	---	---	---
3 1.70~2.20	9.30	---	9.30	16.66	---	---	---
4 2.20~2.49	10.95	---	10.95	16.66	0.00	---	10.45
5 2.49~3.49	12.37	---	12.37	16.66	9.98	---	44.41
6 3.49~4.49	15.81	---	15.81	16.66	16.66	---	78.84
7 4.49~5.49	18.53	---	18.53	16.66	82.51	---	118.54
8 5.49~6.49	14.60	---	14.60	16.66	193.64	---	252.50
9 6.49~7.49	23.29	---	23.29	16.66	169.59	---	209.12
10 7.49~8.49	29.56	---	29.56	16.66	182.11	---	216.54
11 8.49~9.49	71.99	---	71.99	16.66	86.90	---	94.90
12 9.49~10.49	79.99	---	79.99	16.66	94.90	---	102.90
13 10.49~11.49	87.99	---	87.99	16.66	102.90	---	110.90
14 11.49~12.49	19.99	---	19.99	16.66	186.90	---	194.90
15 12.49~14.49	27.99	---	27.99	16.66	194.90	---	210.90
16 14.49~16.49	43.99	---	43.99	16.66	210.90	---	226.90
17 16.49~17.49	59.99	---	59.99	16.66	226.90	---	234.90
18 17.49~18.49	67.99	---	67.99	16.66	234.90	---	242.90

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P _w (kNm ²)
1	1.20	0.00	0.00
2	2.20	1.00	1.72

Where,

- k_{dw}: design seismic coefficient
- γ_w: unit weight of water
- H: water depth of riverside
- y: depth from water surface to the point where active water pressure is calculated

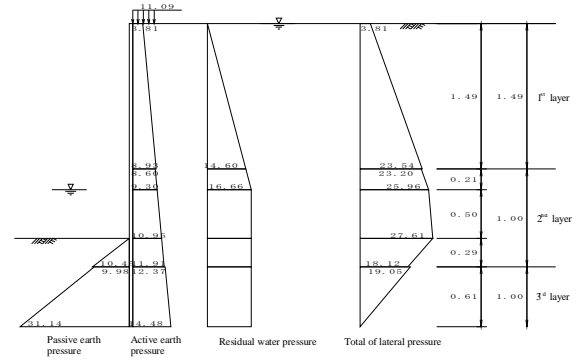


Passive earth pressure Active earth pressure Residual water pressure Total of lateral pressure

4 Imaginary Riverbed

Imaginary ground level L_i is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

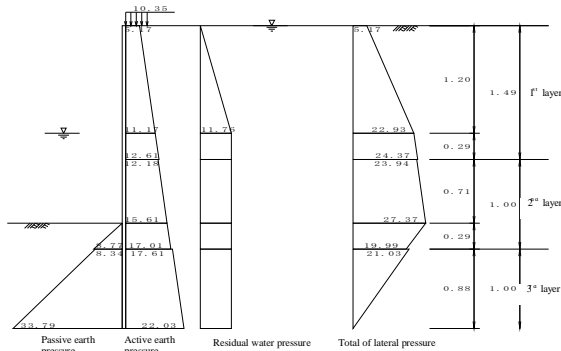


Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1 0.00~1.49	3.81 8.93	0.00 14.60	— —	3.81 23.54
2 1.49~1.70	8.40 9.30	14.60 16.66	— —	23.20 25.96
3 1.70~2.20	9.30 10.95	16.66 16.66	— —	25.96 27.61
4 2.20~2.49	10.95 11.91	16.66 16.66	0.00 10.45	27.61 18.12
5 2.49~3.11	12.37 14.48	16.66 16.66	9.98 31.14	18.05 0.00
6 3.11~3.49	14.48 15.81	16.66 16.66	31.14 44.41	0.00 -11.94

- P_a: Active earth pressure
- P_w: Residual water pressure
- P_p: Passive earth pressure
- P_s: Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_i: 0.91 m (CL -3.11 m)

4-2 Seismic Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1 0.00~1.20	5.17 11.17	0.00 11.76	— —	5.17 22.93
2 1.20~1.49	11.17 12.61	11.76 11.76	— —	22.93 24.37
3 1.49~2.20	12.18 15.61	11.76 11.76	— —	23.94 27.37
4 2.20~2.49	15.61 17.01	11.76 11.76	0.00 8.77	27.37 19.99
5 2.49~3.38	17.61 22.03	11.76 11.76	8.34 33.79	21.03 0.00
6 3.38~3.49	22.03 22.60	11.76 11.76	33.79 37.10	0.00 -2.74

- P_a: Active earth pressure
- P_w: Residual water pressure
- P_p: Passive earth pressure
- P_s: Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_i: 1.18 m (CL -3.38 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below:

$$K_h = 6910 \times N^{0.896}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

- Unit width B = 1.0000 m
- Corrosion margin t_c = 1.00 mm (active side) t_s = 1.00 mm (passive side)
- Corrosion rate n = 0.82
- Section efficiency η = 1.00
- Young's modulus E = 200000 N/mm²
- Inertia sectional moment I₀ = 24400 cm⁴ (original condition)
- Inertia sectional moment I = 20008 cm⁴ (after reduction by corrosion on and section)
- EI = 200000 × 10³ × 20008 × 10⁻⁸ = 4.002 × 10⁸

Depth (m)	N value	Depth (m)	N value
1	0.49	2	10.49
2	1.49	2	11.49
3	2.49	12	12.49
4	3.49	5	14.49
5	4.49	5	16.49
6	5.49	11	17.49
7	6.49	35	18.49
8	7.49	16	
9	8.49	10	
10	9.49	2	

5-2 Normal Condition

K_s = 13928 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.543 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 1.84 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (CL -3.10 m) to 1.84 m depth (CL -4.95 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)	
		upper	lower		
1	3.10	0.29	7.7	5.0	2.45
2	3.49	1.00	5.0	5.0	5.00
3	4.49	0.46	5.0	7.7	2.90

L = 2h = 1.84 ΣA = 10.35

A (upper N value + lower N value) × l/2

$$\begin{aligned} \text{average } \nu \text{ value } N' &= \frac{\sum A}{L} \\ &= \frac{10.35}{1.84} \\ &= 5.62 \end{aligned}$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:
 $K_u = 6910 \times N'^{0.806} = 6910 \times 5.62^{0.806} = 13928 \text{ kN/m}^3$
 Kh (normal condition) = 13928 kNm³

5-3 Seismic Condition

$K_s = 14174 \text{ kNm}^3$ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.546 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 1.83 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -3.37 m) and 1.83 m depth (GL -5.21 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	3.37	0.12	5.8	0.62
2	3.49	1.00	5.0	5.00
3	4.49	0.72	5.0	5.14
L=2h = 1.83		ΣA = 10.76		

$$A = (\text{upper N value} + \text{lower N value}) \times h/2$$

$$\begin{aligned} \text{average } \nu \text{ value } N' &= \frac{\sum A}{L} \\ &= \frac{10.76}{1.83} \\ &= 5.87 \end{aligned}$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:
 $K_u = 6910 \times N'^{0.806} = 6910 \times 5.87^{0.806} = 14174 \text{ kN/m}^3$
 Kh (seismic condition) = 14174 kNm³

R_No.05_pp.21

R_No.05_pp.22

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load Ps (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~1.20	5.17 22.93	3.10 13.76	2.97 2.57	9.23 35.42
2	1.20~1.49	22.93 24.37	3.32 3.53	2.08 1.98	6.91 7.00
3	1.49~2.20	23.94 27.37	8.50 9.71	1.65 1.41	14.01 13.71
4	2.20~2.49	27.37 19.99	3.97 2.90	1.08 0.98	4.28 2.84
5	2.49~3.37	21.03 0.00	9.30 0.00	0.59 0.29	5.49 0.00
ΣP = 58.10		ΣM = 98.89			

P : active earth pressure + residual water pressure - passive earth pressure
 P : load P₁ x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P = 2.7 kNm
 depth to acting position H = 0.40 m
 moment M₀ = 1.1 kNm/m
 depth to acting position H = 0.80 m
 Height from riverbed to top of coping H = 2.20 m
 Depth of imaginary riverbed from riverbed I_k = 1.17 m

Moment M₀ by arbitrary load is as below
 M = P · (H + I_k - H) + M₀ = 9.13 kN-m

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _{dw} (kNm ²)	Load P _{dw} (kN)	Arm length Y (m)	Moment M _{dw} (kNm)
1	1.20~2.20	1.00	0.0 1.7	0.00 0.86	1.84 1.51	0.00 1.29
ΣP _{dw} = 0.86		ΣM _{dw} = 1.29				

h₀ Height of acting position of B₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_0 + \sum M_{dw}}{\sum P + P_1 + \sum P_{dw}} = \frac{109.31}{61.66} = 1.77 \text{ m}$$

6 Sectional Force and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force B₀ & Acting Elevation h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force Ps (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~1.49	3.81 23.54	2.84 17.53	2.61 2.11	7.41 37.02
2	1.49~1.70	23.20 25.96	2.44 2.73	1.54 1.47	3.76 4.02
3	1.70~2.20	25.96 27.61	6.49 6.90	1.24 1.07	8.03 7.40
4	2.20~2.49	27.61 18.12	4.00 2.63	0.81 0.71	3.23 1.87
5	2.49~3.10	19.05 0.00	5.85 0.00	0.41 0.20	2.40 0.00
		ΣP = 51.41		ΣM = 75.14	

P : active earth pressure + residual water pressure - passive earth pressure
 P : load P₁ x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P = 0.0 kNm
 depth to acting position H = 0.00 m
 moment M₀ = 0.0 kNm/m
 depth to acting position H₀ = 0.00 m
 Height from riverbed to top of coping H = 2.20 m
 Depth of imaginary riverbed from riverbed I_k = 0.90 m

Moment M₀ by arbitrary load is as below
 M = P · (H + I_k - H) + M₀ = 0.00 kN-m

h₀ Height of acting position of B₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_0}{\sum P + P_1} = \frac{75.14}{51.41} = 1.46 \text{ m}$$

R_No.05_pp.23

R_No.05_pp.24

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as followings:

Corrosion margin	$t_s = 1.00$ mm (active side)	$t_s = 1.00$ mm (passive side)
Corrosion rate	$n = 0.82$	
Section efficiency	$u = 1.00$	
Module of section	$Z_0 = 1610$ cm ³ (original condition)	
	$Z = 1320$ cm ³ (after reduction by corrosion and section)	

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{90.80 \times 10^6}{1320 \times 10^3} = 69 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{126.14 \times 10^6}{1320 \times 10^3} = 96 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

6-4-1 Normal Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~	2.61	0.840	0.254	2.84	0.722
	1.49	2.11	0.680	0.179	17.53	3.135
2	1.49~	1.54	0.498	0.103	2.44	0.252
	1.70	1.47	0.475	0.095	2.73	0.259
3	1.70~	1.24	0.399	0.069	6.49	0.447
	2.20	1.07	0.345	0.055	6.90	0.364
4	2.20~	0.81	0.260	0.031	4.00	0.124
	2.49	0.71	0.259	0.024	2.63	0.064
5	2.49~	0.41	0.132	0.008	5.85	0.049
	3.10	0.20	0.066	0.002	0.00	0.000
$\Sigma Q = 5.415$						

Y : Height from imaginary ri verbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_s}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

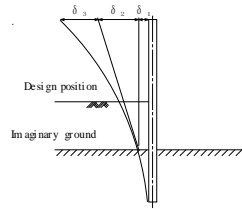
Q : $\zeta \times P$

P : Lateral force

H : Depth to desi gn position

L_s : Depth from desi gn position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1+0.5431 \times 1.46) \times 51.41}{2 \times 2.00 \times 10^8 \times 20008 \times 10^{-8} \times 0.5431^3} = 0.00719 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_s) = \frac{(1+2 \times 0.5431 \times 1.46) \times 51.41}{2 \times 2.00 \times 10^8 \times 20008 \times 10^{-8} \times 0.5431^2} \times (2.20+0.90) = 0.01750 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_s)^3}{E I} = \frac{5.41 \times (2.20+0.90)^3}{2.00 \times 10^8 \times 20008 \times 10^{-8}} = 0.00405 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.00719 + 0.01750 + 0.00405 = 0.02874 \text{ m} = 28.74 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where

δ_1 : Displacement at imaginary ground

δ_2 : Displacement by angle of inclination slope at imaginary ground

δ_3 : Displacement at higher part of imaginary ground as cantilever

δ : Displacement at top of SSP

δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~	2.97	0.881	0.274	3.10	0.851
	1.20	2.57	0.763	0.217	13.76	2.985
2	1.20~	2.08	0.616	0.151	3.32	0.501
	1.49	1.98	0.587	0.139	3.53	0.490
3	1.49~	1.65	0.488	0.100	8.50	0.849
	2.20	1.41	0.418	0.075	9.71	0.731
4	2.20~	1.08	0.319	0.046	3.97	0.181
	2.49	0.98	0.291	0.038	2.90	0.111
5	2.49~	0.59	0.175	0.014	9.30	0.134
	3.37	0.29	0.087	0.004	0.00	0.000
$\Sigma Q = 6.832$						

Y : Height from imaginary ri verbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_s}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

P : Lateral force

H : Depth to desi gn position

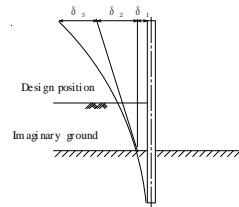
L_s : Depth from desi gn position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_w (kN)	Q_w (kN)
1	1.20~	1.84	0.546	0.122	0.00	0.000
	2.20	1.51	0.447	0.085	0.86	0.073
$\Sigma Q_w = 0.073$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 7.573 + 0.073 = 7.646$

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1+0.5455 \times 1.77) \times 61.66}{2 \times 2.00 \times 10^8 \times 20008 \times 10^{-8} \times 0.5455^3} = 0.00934 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_s) = \frac{(1+2 \times 0.5455 \times 1.77) \times 61.66}{2 \times 2.00 \times 10^8 \times 20008 \times 10^{-8} \times 0.5455^2} \times (2.20+1.17) = 0.02564 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_s)^3}{E I} = \frac{7.65 \times (2.20+1.17)^3}{2.00 \times 10^8 \times 20008 \times 10^{-8}} = 0.00734 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

Displacement δ_m of cantilever beam by moment M_m is additionally considered

$$= \frac{1.10 \times 2.57}{2 \times 2.00 \times 10^8 \times 20008 \times 10^{-8}} \times (2 \times 3.37 - 2.57) = 0.00015 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.00934 + 0.02564 + 0.00749 = 0.04246 \text{ m} = 42.46 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where

δ_1 : Displacement at imaginary ground

δ_2 : Displacement by angle of inclination slope at imaginary ground

δ_3 : Displacement at higher part of imaginary ground as cantilever

δ : Displacement at top of SSP

δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 24400 \text{ cm}^4$ (original condition)
	$I = 24400 \text{ cm}^4$ (after reduction by corrosion and section)
$H = 200000 \times 10^3 \times 24400 \times 10^8$	$= 4.880 \times 10^8$

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_0 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{10} + D$$

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction	$K_b = 13928 \text{ kN/m}^3$
Calculated value	$\beta = 0.51684 \text{ m}^{-1}$
Penetration length of SSP	$D = 0.90 + \frac{3}{0.517} = 6.71 \text{ m}$
Whole length of SSP	$L = 2.20 - 0.40 + 6.71 = 8.51 \text{ m}$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction	$K_b = 14174 \text{ kN/m}^3$
Calculated value	$\beta = 0.51911 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.17 + \frac{3}{0.519} = 6.95 \text{ m}$
Whole length of SSP	$L = 2.20 - 0.40 + 6.95 = 8.75 \text{ m}$

Therefore, whole length of SSP is set as 9.00 m in consideration of round unit of SSP length.

8 Calculation Result

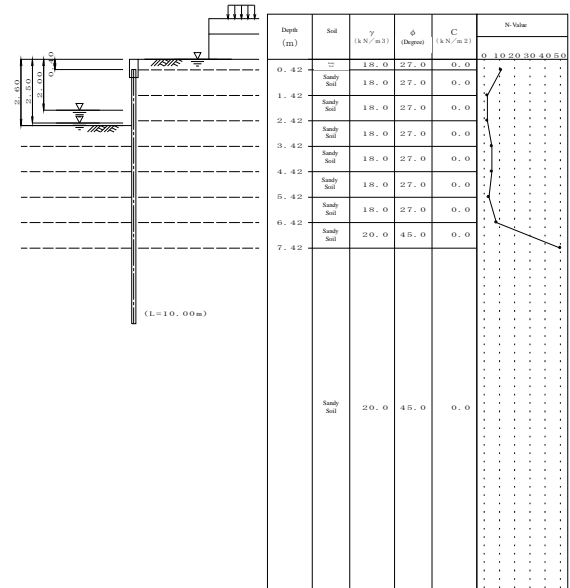
			Normal condition	Seismic condition
Inertia sectional moment	$I \text{ (cm}^4)$	24400		
Section modulus	$Z \text{ (cm}^3)$	1610		
Maximum bending moment	$M_{max} \text{ (kNm/m)}$		91.80	126.14
Stress intensity	$\sigma \text{ (N/mm}^2)$		69 (180)	96 (270)
Lateral displacement	$\delta \text{ (mm)}$		28.74 (50.0)	42.46 (75.0)
Penetration depth	$D \text{ (m)}$		6.71	6.95
Whole length of SSP	$L \text{ (m)}$	9.00		

— Steel Sheet Pile Design Calculation —

Left Bank No. 06_STA 6+116 - 6+219

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H₀ = 0.00 m
 Depth from coping top to SSP top H₁ = 0.40 m
 Landside WL L_{wa} = 0.00 m (Normal Condition)
 Riverside WL L_{wp} = 2.50 m (Normal Condition)
 Imaginary riverbed L_{wp}' = 2.00 m (Seismic Condition)

L_No.06_pp.1

L_No.06_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition
 Design earthquake intensity $k = 0.200$
 Dynamic water pressure due to earthquake considered as distributed load
 Arbitrary load Horizontal load Pt = 0.0 kN/m (Normal Condition)
 Pt' = 2.7 kN/m (Seismic Condition)
 Depth of acting point Ht = 0.00 m (Normal Condition)
 Ht' = 0.40 m (Seismic Condition)
 Moment Mm = 0.0 kN·m/m (Normal Condition)
 Mm' = 1.1 kN·m/m (Seismic Condition)
 Depth of acting point Hm = 0.00 m (Seismic Condition)
 Hm' = 0.80 m (Normal Condition)
 ('Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.406}$
 Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.42	11			
2	1.42	2			
3	2.42	2			
4	3.42	5			
5	4.42	5			
6	5.42	3			
7	6.42	8			
8	7.42	50			
9	20.00	50			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

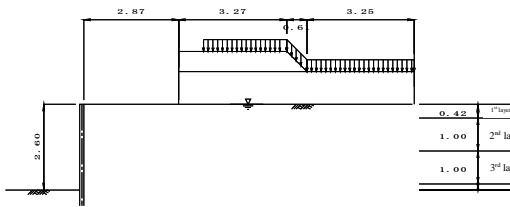
No	Depth (m)	Soil	N-value	γ	γ'	φ	C	a	k'	ζ (degree)		kh (kNm ⁻¹)	
										normal	seismic	normal	seismic
1	0.42	S	11.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
2	1.42	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
3	2.42	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	3.42	S	5.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
5	4.42	S	5.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
6	5.42	S	3.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
7	6.42	S	8.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
8	7.42	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—
9	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed (M)
 N-value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C₀ : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (underwater)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle φ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	2.87	2.87	10.00	10.00	0.99	18.0	30.0	0.0	auto	auto
2	Sandy soil	2.87	2.87	6.14	6.75	0.61	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ⁻²)	Seismic (kNm ⁻²)
1	3.62	10.00	10.0	5.0

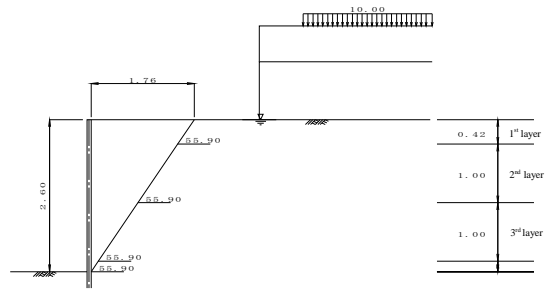
Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

- Young's modulus E = 200000 N/mm²
- Inertia sectional moment I₀ = 32400 cm⁴
- Sectional factor Z₀ = 1800 cm³
- Corrosion margin t₁ = 1.00 mm (riverside) t₂ = 1.00 mm (landside)
- Corrosion rate (to I₀) η = 0.85
- Corrosion rate (to Z₀) η = 0.85
- Section efficiency (to I₀) μ = 0.80
- Section efficiency (to Z₀) μ = 1.00
- Round unit of SSP length = 0.50 m
- Allowable stress σ_s = 180 N/mm² (Normal)
σ_s* = 270 N/mm² (Seismic)
- Allowable displacement δ_s = 50.0 mm (Normal)
δ_s* = 75.0 mm (Seismic)
- Bending of cantilever beam calculated as distributed load of each layer
- Reduction of material modulus Reduced: I₀ applied to calculation of lateral coefficient of subgrade reaction
Not reduced: I₀ applied to calculation of penetration depth
Reduced: I₀ applied to calculation of section forces and displacement
Reduced: Z₀ applied to calculation of stresses

L_No.06_pp 5

2 Calculation of Acting Load
2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m ²)	Σγh (kN/m ²)	Q (kN/m ²)	γwh (kN/m ²)	Angle of rupture Z (degree)
1	2.60~ 2.42	Sandy Soil	27.0	10.0	0.0	26.00	0.00	25.48	55.90
2	2.42~ 1.42	Sandy Soil	27.0	10.0	0.0	24.20	0.00	23.72	55.90
3	1.42~ 0.42	Sandy Soil	27.0	10.0	0.0	14.20	0.00	13.92	55.90
4	0.42~ 0.00	Sandy Soil	27.0	10.0	0.0	4.20	0.00	4.12	55.90

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since θ=0°

Where,

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- θ = tan⁻¹k or θ = tan⁻¹k'
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

L_No.06_pp 6

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	55.90	0.18	0.00	0.00	0.12	0.18
2	55.90	1.00	0.12	0.18	0.80	1.18
3	55.90	1.00	0.80	1.18	1.48	2.18
4	55.90	0.42	1.48	2.18	1.76	2.60

Therefore, width of acting load shall be set as 1.76m

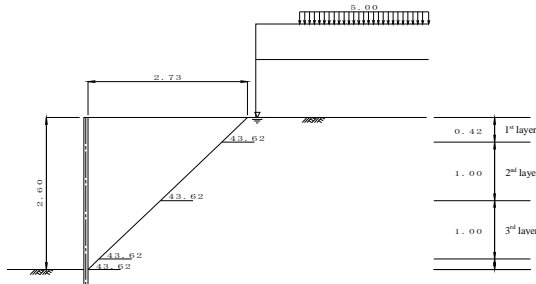
2-1-3 Calculation of Total Acting Load

$$Q = \frac{\sum (\gamma \times A) + \sum (Q \times 1) + \sum P}{L}$$

$$= \frac{0.00 + 0.00 + 0.00}{1.76}$$

$$= 0.00 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m ²)	Σγh (kN/m ²)	Q (kN/m ²)	γwh (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60~ 2.42	Sandy Soil	27.0	10.0	0.0	26.00	0.00	25.48	0.200	11.31	43.62
2	2.42~ 1.42	Sandy Soil	27.0	10.0	0.0	24.20	0.00	23.72	0.200	11.31	43.62
3	1.42~ 0.42	Sandy Soil	27.0	10.0	0.0	14.20	0.00	13.92	0.200	11.31	43.62
4	0.42~ 0.00	Sandy Soil	27.0	10.0	0.0	4.20	0.00	4.12	0.200	11.31	43.62

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

Where,

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- θ = tan⁻¹k or θ = tan⁻¹k'
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.62	0.18	0.00	0.00	0.19	0.18
2	43.62	1.00	0.19	0.18	1.24	1.18
3	43.62	1.00	1.24	1.18	2.29	2.18
4	43.62	0.42	2.29	2.18	2.73	2.60

Therefore, width of acting load shall be set as 2.73 m

2-2-3 Calculation of Total Acting Load

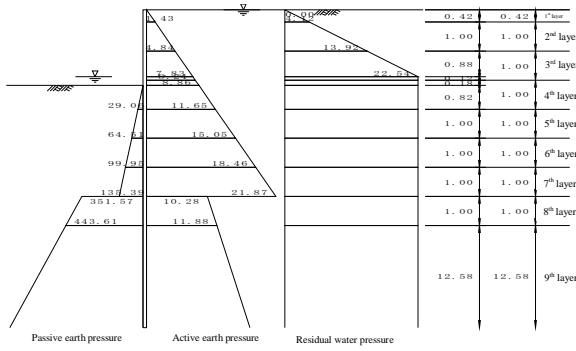
$$Q = \frac{\sum (\gamma \times A) + \sum (Q \times 1) + \sum P}{L}$$

$$= \frac{0.00 + 0.00 + 0.00}{2.73}$$

$$= 0.00 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below:

$$\delta = 10.00, \beta = 0.00, \theta = 0.00$$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q$ (kNm ⁻²)	K_p	$K_p \times \cos \delta$
6 2.60~3.42	Sandy soil	10.0	27.0	---	0.000 8.200	3.59892 3.59892	3.54425 3.54425
7 3.42~4.42	Sandy soil	10.0	27.0	---	8.200 18.200	3.59892 3.59892	3.54425 3.54425
8 4.42~5.42	Sandy soil	10.0	27.0	---	18.200 28.200	3.59892 3.59892	3.54425 3.54425
9 5.42~6.42	Sandy soil	10.0	27.0	---	28.200 38.200	3.59892 3.59892	3.54425 3.54425
10 6.42~7.42	Sandy soil	10.0	45.0	---	38.200 48.200	9.34548 9.34548	9.20351 9.20351
11 7.42~20.00	Sandy soil	10.0	45.0	---	48.200 174.000	9.34548 9.34548	9.20351 9.20351

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below:

$$\delta = -10.00, \beta = 0.00, \theta = 0.00$$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q$ (kNm ⁻²)	K_a	$K_a \times \cos \delta$
1 0.00~0.42	Sandy soil	10.0	27.0	---	0.000 4.200	0.34585 0.34585	0.34060 0.34060
2 0.42~1.42	Sandy soil	10.0	27.0	---	4.200 14.200	0.34585 0.34585	0.34060 0.34060
3 1.42~2.42	Sandy soil	10.0	27.0	---	14.200 24.200	0.34585 0.34585	0.34060 0.34060
4 2.42~2.50	Sandy soil	10.0	27.0	---	24.200 25.000	0.34585 0.34585	0.34060 0.34060
5 2.50~2.60	Sandy soil	10.0	27.0	---	25.000 26.000	0.34585 0.34585	0.34060 0.34060
6 2.60~3.42	Sandy soil	10.0	27.0	---	26.000 34.200	0.34585 0.34585	0.34060 0.34060
7 3.42~4.42	Sandy soil	10.0	27.0	---	34.200 44.200	0.34585 0.34585	0.34060 0.34060
8 4.42~5.42	Sandy soil	10.0	27.0	---	44.200 54.200	0.34585 0.34585	0.34060 0.34060
9 5.42~6.42	Sandy soil	10.0	27.0	---	54.200 64.200	0.34585 0.34585	0.34060 0.34060
10 6.42~7.42	Sandy soil	10.0	45.0	---	64.200 74.200	0.16262 0.16262	0.16015 0.16015
11 7.42~20.00	Sandy soil	10.0	45.0	---	74.200 200.000	0.16262 0.16262	0.16015 0.16015

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure	Passive side
	P_{a1} kNm ⁻²	P_{a2} kNm ⁻²	P_{a3} kNm ⁻²	P_w kNm ⁻²	P_p kNm ⁻²
1 0.00~0.42	0.00	1.43	---	0.00	4.12
2 0.42~1.42	1.43	4.84	---	4.84	13.92
3 1.42~2.42	4.84	8.24	---	8.24	23.72
4 2.42~2.50	8.24	8.51	---	8.51	24.50
5 2.50~2.60	8.51	8.86	---	8.86	24.50
6 2.60~3.42	8.86	11.65	---	11.65	24.50
7 3.42~4.42	11.65	15.05	---	15.05	24.50
8 4.42~5.42	15.05	18.46	---	18.46	24.50
9 5.42~6.42	18.46	21.87	---	21.87	24.50
10 6.42~7.42	21.87	11.88	---	11.88	24.50
11 7.42~20.00	11.88	32.03	---	32.03	24.50

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$

K_a : Equilibrium coefficient of compression: 0.5

Larger of P_{a1} or P_{a2} is applied as active earth pressure (P_a)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

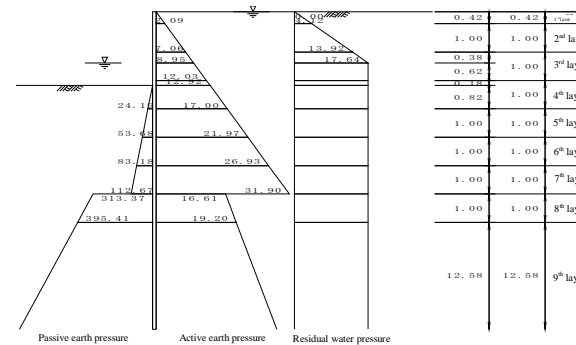
- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below:

$$\delta = 10.00, \beta = 0.00, \theta = 0.00$$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below:

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q$ (kNm ⁻²)	γ_{wh} (kNm ⁻²)	k (k)	θ (degree)	K_p	$K_p \times \cos \delta$
6 2.60~3.42	Sandy soil	10.0	27.0	---	0.000 8.200	0.00 8.04	0.200	11.31	2.99498 2.99498	2.94948 2.94948
7 3.42~4.42	Sandy soil	10.0	27.0	---	8.200 18.200	8.04 17.84	0.200	11.31	2.99498 2.99498	2.94948 2.94948
8 4.42~5.42	Sandy soil	10.0	27.0	---	18.200 28.200	17.84 27.64	0.200	11.31	2.99498 2.99498	2.94948 2.94948
9 5.42~6.42	Sandy soil	10.0	27.0	---	28.200 38.200	27.64 37.44	0.200	11.31	2.99498 2.99498	2.94948 2.94948
10 6.42~7.42	Sandy soil	10.0	45.0	---	38.200 48.200	37.44 47.24	0.200	11.31	8.33000 8.33000	8.20345 8.20345
11 7.42~20.00	Sandy soil	10.0	45.0	---	48.200 174.000	47.24 170.52	0.200	11.31	8.33000 8.33000	8.20345 8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below:

$$\delta = -10.00, \beta = 0.00, \theta = \tan^{-1} k$$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure		Passive side
		Pa1 kNm ²	Pa2 kNm ²	Pa kNm ²	Pw kNm ²	Pp kNm ²	
1	0.00~0.42	0.00	---	0.00	0.00	---	
		2.09	---	2.09	4.12	---	
2	0.42~1.42	2.09	---	2.09	4.12	---	
		7.06	---	7.06	13.92	---	
3	1.42~2.00	7.06	---	7.06	13.92	---	
		9.94	---	9.94	19.60	---	
4	2.00~2.42	9.94	---	9.94	19.60	---	
		12.03	---	12.03	19.60	---	
5	2.42~2.60	12.03	---	12.03	19.60	---	
		12.92	---	12.92	19.60	---	
6	2.60~3.42	12.92	---	12.92	19.60	0.00	
		17.00	---	17.00	19.60	24.19	
7	3.42~4.42	17.00	---	17.00	19.60	24.19	
		21.97	---	21.97	19.60	53.68	
8	4.42~5.42	21.97	---	21.97	19.60	53.68	
		26.93	---	26.93	19.60	83.18	
9	5.42~6.42	26.93	---	26.93	19.60	83.18	
		31.90	---	31.90	19.60	112.67	
10	6.42~7.42	16.61	---	16.61	19.60	313.37	
		19.20	---	19.20	19.60	395.41	
11	7.42~8.42	19.20	---	19.20	19.60	395.41	
		51.75	---	51.75	19.60	1427.40	

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P _w (kNm ²)
1	2.00	0.00	0.00
2	2.60	0.60	1.03

$$p_{dw} = \pm \frac{7}{8} k_{hs} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

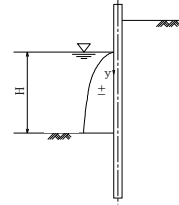
Where,

k_{hs}: design seismic coefficient

γ_w: unit weight of water

H: water depth of riverside

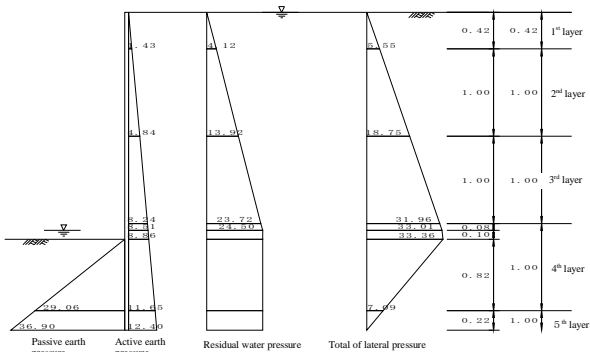
y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L_i is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

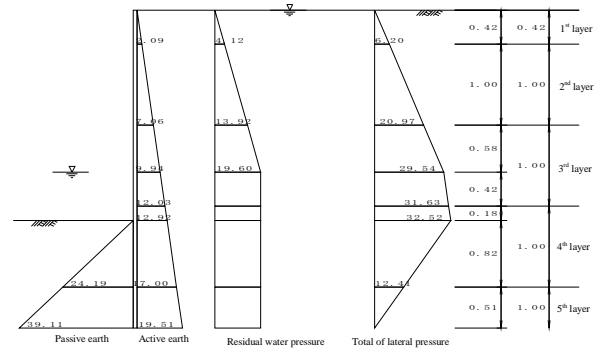


Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	P _s kNm ²
1	0.00~1.43	0.00~4.12	---	0.00~5.55
2	1.43~4.84	4.12~13.92	---	5.55~18.75
3	4.84~8.24	13.92~23.72	---	18.75~31.96
4	8.24~8.51	23.72~24.50	---	31.96~33.01
5	8.51~8.86	24.50~24.50	---	33.01~33.36
6	8.86~11.05	24.50~24.50	0.00~29.06	33.36~7.09
7	11.05~12.40	24.50~24.50	29.06~36.90	7.09~0.00
8	12.40~15.05	24.50~24.50	36.90~64.51	0.00~-24.95

P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 P_s: Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_i: 1.04 m (GL -3.64 m)

4-2 Seismic Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	P _s kNm ²
1	0.00~2.09	0.00~4.12	---	0.00~6.20
2	2.09~7.06	4.12~13.92	---	6.20~20.97
3	7.06~9.94	13.92~19.60	---	20.97~29.54
4	9.94~12.03	19.60~19.60	---	29.54~31.63
5	12.03~12.92	19.60~19.60	---	31.63~32.52
6	12.92~17.00	19.60~19.60	0.00~24.19	32.52~12.41
7	17.00~19.51	19.60~19.60	24.19~39.11	12.41~0.00
8	19.51~21.97	19.60~19.60	39.11~53.68	0.00~-12.12

P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 P_s: Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_i: 1.33 m (GL -3.93 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below:

$$K_s = 6910 \times N^{0.406}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width	B = 1.000 m
Corrosion margin	t ₁ = 1.00 mm (active side) t ₂ = 1.00 mm (passive side)
Corrosion rate	η = 0.85
Section efficiency	μ = 0.80
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 32400 cm ⁴ (original condition)
	I = 22032 cm ⁴ (after reduction by corrosion and section)
Inertia sectional moment	EI = 200000 x 10 ² x 22032 x 10 ⁻⁸ = 4.406 x 10 ⁷

Depth (m)	N value
1	0.42
2	1.42
3	2.42
4	3.42
5	4.42
6	5.42
7	6.42
8	7.42
9	21.00

5-2 Normal Condition

K_s = 12556 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.517 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 1.94 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.64 m) to 1.94 m depth (GL -5.58 m).

Depth Z (m)	Thickness h (m)	N-value upper	N-value lower	Area (m ²)
1	3.64	0.78	5.0	3.89
2	4.42	1.00	3.0	4.00
3	5.42	0.16	3.0	0.53

L = 2h = 1.94 ΣA = 8.43

A: (upper N-value + lower N-value) × h/2

L_No. 06_pp.17

$$\begin{aligned} \text{Average N-value } N' &= \frac{\Sigma A}{L} \\ &= \frac{8.43}{1.94} \\ &= 4.35 \end{aligned}$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_s = 6910 \times N^{0.406} = 6910 \times 4.35^{0.406} = 12556 \text{ kN/m}^3$$

$$K_h \text{ (normal condition)} = 12556 \text{ kN/m}^3$$

5-3 Seismic Condition

K_s = 12470 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.516 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 1.94 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.93 m) and 1.94 m depth (GL -5.86 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	3.93	0.49	5.0	2.47
2	4.42	1.00	3.0	4.00
3	5.42	0.44	3.0	1.83

L = 2h = 1.94 ΣA = 8.30

A: (upper N-value + lower N-value) × h/2

$$\begin{aligned} \text{Average N-value } N' &= \frac{\Sigma A}{L} \\ &= \frac{8.30}{1.94} \\ &= 4.28 \end{aligned}$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_s = 6910 \times N^{0.406} = 6910 \times 4.28^{0.406} = 12470 \text{ kN/m}^3$$

$$K_h \text{ (seismic condition)} = 12470 \text{ kN/m}^3$$

L_No. 06_pp.18

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Elevation h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total lateral force P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~0.42	0.00 5.55	0.00 1.16	3.50 3.36	0.00 3.91
2	0.42~1.42	5.55 18.75	2.77 9.38	2.89 2.55	8.01 23.95
3	1.42~2.42	18.75 31.96	9.38 15.98	1.89 1.55	17.70 24.84
4	2.42~2.50	31.96 33.01	1.28 1.32	1.19 1.17	1.53 1.54
5	2.50~2.60	33.01 33.36	1.65 1.67	1.11 1.07	1.83 1.79
6	2.60~3.42	33.36 7.09	13.68 2.91	0.77 0.49	10.50 1.44
7	3.42~3.64	0.00 0.00	0.00 0.00	0.15 0.07	0.12 0.00

ΣP = 61.95 ΣM = 97.16

P_s : active earth pressure + residual water pressure - passive earth pressure

P : load P_s x h/2 x B

B : unit width = 1.000 m

Y : height of acting position from imaginary riverbed

M : moment by load P x Y

Arbitrary load lateral load	P _i = 0.0 kN/m
depth to acting position	H _i = 0.00 m
moment	M _m = 0.0 kN·m/m
depth to acting position	H _m = 0.00 m
Height from riverbed to top of coping	H = 2.60 m
Depth of Imaginary riverbed from riverbed	L _k = 1.04 m

Moment M_i by arbitrary load is as below

$$M_i = P_i \cdot (H + L_k - H_i) + M_m = 0.00 \text{ kN} \cdot \text{m}$$

h₀: Height of acting position of P₀ from imaginary riverbed

$$\begin{aligned} h_0 &= \frac{M_0}{P_0} = \frac{\Sigma M + M_i}{\Sigma P + P_i} \\ &= \frac{97.16}{61.95} = 1.57 \text{ m} \end{aligned}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral Load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~0.42	0.00 6.20	0.00 1.30	3.79 3.65	0.00 4.75
2	0.42~1.42	6.20 20.97	3.10 20.97	3.17 2.84	9.84 29.77
3	1.42~2.00	20.97 28.54	6.08 8.57	2.31 2.12	14.07 18.15
4	2.00~2.42	28.54 31.63	6.20 6.64	1.79 1.65	11.08 10.93
5	2.42~2.60	31.63 32.52	2.85 2.93	1.45 1.39	4.12 4.06
6	2.60~3.42	32.52 12.41	13.33 5.09	1.05 0.78	14.04 3.97
7	3.42~3.93	0.00 0.00	3.14 0.00	0.34 0.17	1.06 0.00

ΣP = 69.72 ΣM = 125.83

P_s : active earth pressure + residual water pressure - passive earth pressure

P : load P_s x h/2 x B

B : unit width = 1.000 m

Y : height of acting position from imaginary riverbed

M : moment by load P x Y

Arbitrary load lateral load	P _i = 2.7 kN/m
depth to acting position	H _i = 0.40 m
moment	M _m = 1.1 kN·m/m
depth to acting position	H _m = 0.80 m
Height from riverbed to top of coping	H = 2.60 m
Depth of Imaginary riverbed from riverbed	L _k = 1.33 m

Moment M_i by arbitrary load is as below

$$M_i = P_i \cdot (H + L_k - H_i) + M_m = 10.62 \text{ kN} \cdot \text{m}$$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _w (kNm ²)	Load P _w (kN)	Arm length Y (m)	Moment M _w (kNm)
1	2.00~2.60	0.60	0.0 1.0	0.00 0.31	1.73 1.53	0.00 0.47

ΣP_w = 0.31 ΣM_w = 0.47

h₀: Height of acting position of P₀ from imaginary riverbed

$$\begin{aligned} h_0 &= \frac{M_0}{P_0} = \frac{\Sigma M + M_i + \Sigma M_{w_i}}{\Sigma P + P_i + \Sigma P_{w_i}} \\ &= \frac{136.92}{72.73} = 1.88 \text{ m} \end{aligned}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width	B	=	1.0000 m
Corrosion margin	t ₁	=	1.00 mm (active side)
Corrosion rate	t ₂	=	1.00 mm (passive side)
Section efficiency	η	=	0.85
Young's modulus	E	=	200000 N/mm ²
Inertia sectional moment	I ₀	=	32400 cm ⁴ (original condition)
	I	=	22032 cm ⁴ (after reduction by corrosion and section)
		=	4.406 × 10 ⁸

$$\beta = \sqrt[4]{\frac{K_h \cdot B}{4 E I}}$$

$$\phi_n = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_n$$

$$l_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value	K _h	=	12556 kN/m ³
resultant earth force (lateral)	P ₀	=	61.95 kN/m
height of acting position of load moment	h ₀	=	1.57 m
	M ₀	=	97.16 kN·m/m

in consideration of v _{im} = 1.202, maximum moment	M _{max}	=	116.79 kN·m/m
depth of generated position of M _{max}	l _m	=	0.706 m
depth of 1 st fixed point	l _i	=	2.226 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value	K _h	=	12470 kN/m ³
resultant earth force (lateral)	P ₀	=	72.73 kN/m
height of acting position of load moment	h ₀	=	1.88 m
	M ₀	=	136.92 kN·m/m

in consideration of v _{im} = 1.153, maximum moment	M _{max}	=	157.87 kN·m/m
depth of generated position of M _{max}	l _m	=	0.635 m
depth of 1 st fixed point	l _i	=	2.158 m

L_No. 06_pp.21

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin	t ₁	=	1.00 mm (active side)	t ₂	=	1.00 mm (passive side)
Corrosion rate	η	=	0.85			
Section efficiency	μ	=	1.00			
Module of section	Z ₀	=	1800 cm ³ (original condition)			
	Z	=	1530 cm ³ (after reduction by corrosion and section)			

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{116.79 \times 10^6}{1530 \times 10^3} = 76 \text{ N/mm}^2 \leq \sigma_s = 180 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{157.87 \times 10^6}{1530 \times 10^3} = 103 \text{ N/mm}^2 \leq \sigma_s = 270 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

6-4-1 Normal Condition

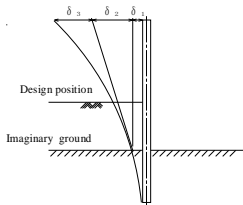
Modules of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~	3.50	0.962	0.314	0.00	0.000
	0.42	3.36	0.923	0.295	1.16	0.344
2	0.42~	2.89	0.793	0.231	2.77	0.642
	1.42	2.55	0.702	0.189	9.38	1.768
3	1.42~	1.89	0.518	0.111	9.38	1.042
	2.42	1.55	0.427	0.078	15.98	1.249
4	2.42~	1.19	0.328	0.048	1.28	0.061
	2.50	1.17	0.321	0.046	1.32	0.061
5	2.50~	1.11	0.304	0.042	1.65	0.069
	2.60	1.07	0.295	0.039	1.67	0.065
6	2.60~	0.77	0.211	0.021	13.68	0.283
	3.42	0.49	0.136	0.009	2.91	0.026
7	3.42~	0.15	0.041	0.001	0.78	0.001
	3.64	0.07	0.020	0.000	0.00	0.000
ΣQ						5.609

Y : Height from imaginary riverbed to acting position
 α : $\alpha = \frac{Y}{H+L_v}$
 ζ : $\zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : ζ × P
 P : Lateral force
 H : Depth to design position
 L_v : Depth from design position to imaginary ground

L_No. 06_pp.22

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.5166 \times 1.57) \times 61.95}{2 \times 2.00 \times 10^8 \times 22032 \times 10^{-8} \times 0.5166^3} = 0.00923 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_v)$$

$$= \frac{(1+2 \times 0.5166 \times 1.57) \times 61.95}{2 \times 2.00 \times 10^8 \times 22032 \times 10^{-8} \times 0.5166^2} \times (2.60+1.04) = 0.02513 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_v)^3}{E I}$$

$$= \frac{5.61 \times (2.60+1.04)^3}{2.00 \times 10^8 \times 22032 \times 10^{-8}} = 0.00615 \text{ m}$$

Additional displacement δ_{3'} generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_{3'} = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00923 + 0.02513 + 0.00615$$

$$= 0.04051 \text{ m}$$

$$= 40.51 \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where,

- Displacement at imaginary ground
- Displacement by angle of inclination slope at imaginary ground
- Displacement at higher part of imaginary ground as cantilever
- Displacement at top of SSP
- Allowable displacement

L_No. 06_pp.23

6-4-2 Seismic Condition

Modules of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~	3.79	0.964	0.316	0.00	0.000
	0.42	3.65	0.929	0.298	1.30	0.388
2	0.42~	3.17	0.808	0.239	3.10	0.740
	1.42	2.84	0.723	0.198	10.49	2.081
3	1.42~	2.31	0.589	0.139	6.08	0.848
	2.00	2.12	0.540	0.119	8.57	1.024
4	2.00~	1.79	0.455	0.088	6.20	0.545
	2.42	1.65	0.419	0.076	6.64	0.502
5	2.42~	1.45	0.368	0.060	2.85	0.169
	2.60	1.39	0.353	0.055	2.92	0.161
6	2.60~	1.05	0.268	0.033	13.33	0.436
	3.42	0.78	0.199	0.018	5.09	0.094
7	3.42~	0.34	0.086	0.004	3.14	0.011
	3.93	0.17	0.043	0.001	0.00	0.000
ΣQ						6.999

Y : Height from imaginary riverbed to acting position
 α : $\alpha = \frac{Y}{H+L_v}$
 ζ : $\zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : ζ × P
 P : Lateral force
 H : Depth to design position
 L_v : Depth from design position to imaginary ground

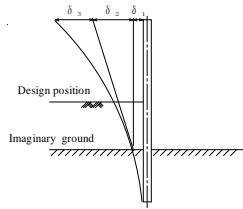
Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1	2.00~	1.73	0.440	0.082	0.00	0.000
	2.60	1.53	0.389	0.066	0.31	0.020
ΣQ _w						0.020

Therefore, modulus of deformation Q is calculated as below:
 Q = 7.762 + 0.020 = 7.782

L_No. 06_pp.24

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.5157 \times 1.88) \times 72.73}{2 \times 2.00 \times 10^8 \times 22032 \times 10^{-8} \times 0.5157^3} = 0.01186 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_0)$$

$$= \frac{(1 + 2 \times 0.5157 \times 1.88) \times 72.73}{2 \times 2.00 \times 10^8 \times 22032 \times 10^{-8} \times 0.5157^2} \times (2.60 + 1.33) = 0.03583 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_0)^3}{E I}$$

$$= \frac{7.78 \times (2.60 + 1.33)^3}{2.00 \times 10^8 \times 22032 \times 10^{-8}} = 0.01069 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01186 + 0.03583 + 0.01087$$

$$= 0.05856 \text{ m}$$

$$= 58.56 \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where,

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ : Displacement at top of SSP
- δ_a : Allowable displacement

L_No. 06_pp.25

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below:

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 32400 cm ⁴ (original condition)
	I = 32400 cm ⁴ (after reduction by corrosion and section)
EI	= 200000 x 10 ³ x 32400 x 10 ⁻⁸ = 6.480 x 10 ⁷

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L₀, penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = 4 \sqrt{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	K _b = 12556 kN/m ³
Calculated value	$\beta = 0.46914 \text{ m}^{-1}$
Penetration length of SSP	D = 1.04 + $\frac{3}{0.469}$ = 7.44 m
Whole length of SSP	L = 2.60 - 0.40 + 7.44 = 9.64 m

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	K _b = 12470 kN/m ³
Calculated value	$\beta = 0.46834 \text{ m}^{-1}$
Penetration length of SSP	D = 1.33 + $\frac{3}{0.468}$ = 7.73 m
Whole length of SSP	L = 2.60 - 0.40 + 7.73 = 9.93 m

Therefore, whole length of SSP is set as 10.00 m in consideration of round unit of SSP length.

L_No. 06_pp.26

8 Calculation Result

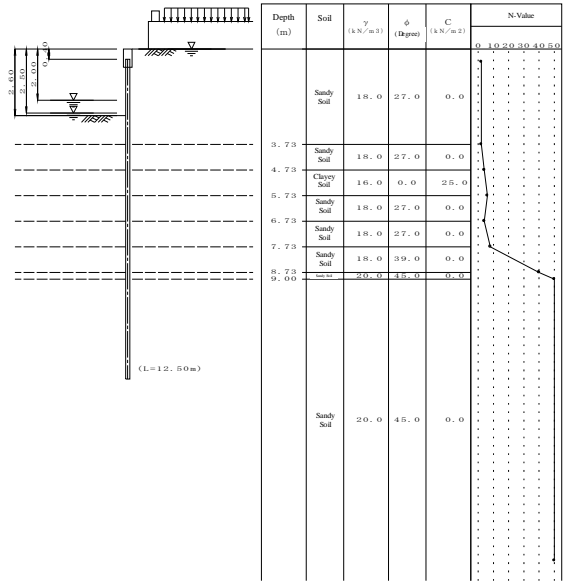
			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	32400		
Section modulus	Z (cm ³)	1800		
Maximum bending moment	M _{max} (kNm/m)		116.79	157.87
Stress intensity	σ (N/mm ²)		76 (180)	103 (270)
Lateral displacement	δ (mm)		40.51 (50.0)	58.56 (75.0)
Penetration depth	D (m)		7.44	7.73
Whole length of SSP	L (m)	10.00		

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Left Bank No 07_STA 6+249_6+269



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_a = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Landside WL L_{wa} = 0.00 m (Normal Condition)
 L_{wa} = 0.00 m (Seismic Condition)
 Riverside WL L_{wp} = 2.50 m (Normal Condition)
 L_{wp} = 2.00 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

L_No_07_pp 1

L_No_07_pp 2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load
 Pt = 6.5 kN/m (Normal Condition)
 Pt' = 9.8 kN/m (Seismic Condition)
 Depth of acting point Ht = -0.45 m (Normal Condition)
 Ht' = -0.20 m (Seismic Condition)
 Moment Mm = 2.9 kN·m/m (Normal Condition)
 Mm' = 9.8 kN·m/m (Seismic Condition)
 Depth of acting point Hm = 0.00 m (Seismic Condition)
 Hm = 0.80 m (Normal Condition)
 ('Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.406}$

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	2			
2	3.73	2			
3	4.73	4			
4	5.73	6			
5	6.73	4			
6	7.73	8			
7	8.73	40			
8	9.00	50			
9	20.00	50			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

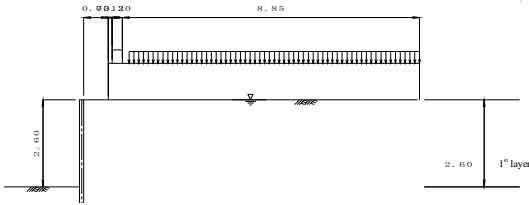
No	Depth (m)	Soil	N-value	γ (kNm³)	γ' (kNm³)	φ	C (kNm²)	a	k'	ζ (degree)		kh (kNm³)	
										normal	seismic	normal	seismic
1	3.73	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
2	4.73	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
3	5.73	C	6.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	-----	-----
4	6.73	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
5	7.73	S	8.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
6	8.73	S	40.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	-----	-----
7	9.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	-----	-----
8	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	-----	-----

Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed (M)
 N-value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C_s : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (underwater)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.73	0.73	10.00	10.00	1.08	18.0	30.0	0.0	auto	auto
2	Sandy soil	0.85	0.85	1.15	1.15	0.41	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ²)	Seismic (kNm ²)
1	1.35	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 86000 cm⁴
 Sectional factor Z₀ = 3820 cm³

Corrosion margin t₁ = 1.00 mm (riverside) t₂ = 1.00 mm (landside)

Corrosion rate (to I₀) η = 0.92
 Corrosion rate (to Z₀) η = 0.92
 Section efficiency (to I₀) μ = 0.80
 Section efficiency (to Z₀) μ = 1.00

Round unit of SSP length = 0.50 m

Allowable stress σ_a = 180 N/mm (Normal)
 σ_a' = 270 N/mm (Seismic)

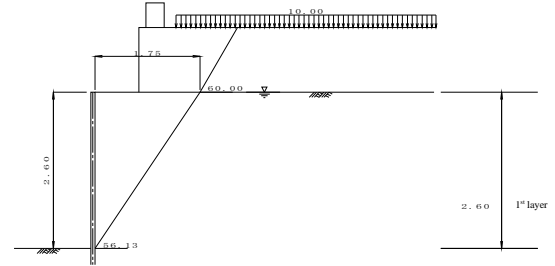
Allowable displacement δ_a = 50.0 mm (Normal)
 δ_a' = 75.0 mm (Seismic)

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus
 Reduced: I₀ applied to calculation of lateral coefficient of subgrade reaction
 Not reduced: I₀ applied to calculation of penetration depth
 Reduced: I₀ applied to calculation of section forces and displacement
 Reduced: Z₀ applied to calculation of stresses

L_No.07_pp.5

2 Calculation of Acting Load
 2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma w h w$ (kN/m ²)	Angle of rupture Z (degree)
1	2.60~ 0.00	Sandy Soil	27.0	9.0	0.0	26.00	21.89	25.48	56.13
2		Embankment	30.0	—	0.0	26.82	0.00	0.00	60.00

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

L_No.07_pp.6

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	56.13	2.60	0.00	0.00	1.75	2.60
2	60.00	1.08	1.75	2.60	2.37	3.68

Therefore, width of acting load shall be set as 1.75 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	1.43	25.80
2	18.0	0.12	2.21
Σ			28.01

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.02	10.19
Σ			10.19

Q : surcharge load
 l : width of surcharge load set by line of active rupture

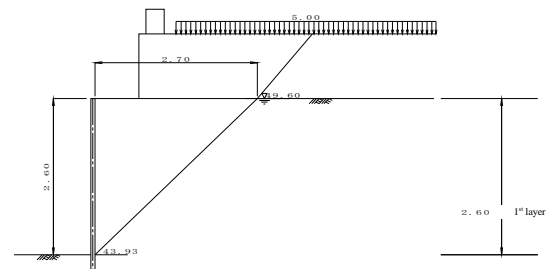
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{28.01 + 10.19 + 0.00}{1.75}$$

$$= 21.89 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma w h w$ (kN/m ²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60~ 0.00	Sandy Soil	27.0	9.0	0.0	26.00	22.51	25.48	0.200	11.31	43.93
2		Embankment	30.0	—	0.0	26.82	0.00	0.00	0.200	11.31	49.60

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.93	2.60	0.00	0.00	2.70	2.60
2	49.60	1.08	2.70	2.60	3.62	3.68

Therefore, width of acting load shall be set as 2.70 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	γ X A (kN/m)
1	18.0	2.62	47.22
2	18.0	0.12	2.21
Σ			49.43

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	2.27	11.34
Σ			11.34

Q: surcharge load
l : width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

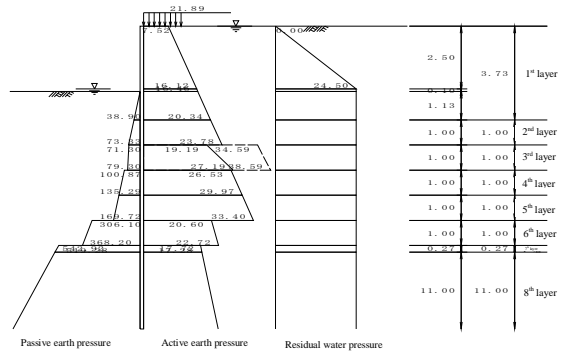
$$Q = \frac{\sum (\gamma \times A) + \sum (Q \times l) + \sum P}{L}$$

$$= \frac{49.43 + 11.34 + 0.00}{2.70}$$

$$= 22.51 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Q _s (kN/m ²)	K _a	K _a × cosδ
1 0.00~2.50	Sandy soil	10.0	27.0	---	21.887 46.887	0.34800 0.34800	0.34371 0.34371
2 2.50~2.60	Sandy soil	10.0	27.0	---	46.887 47.887	0.34800 0.34800	0.34371 0.34371
3 2.60~3.73	Sandy soil	10.0	27.0	---	47.887 59.187	0.34800 0.34800	0.34371 0.34371
4 3.73~4.73	Sandy soil	10.0	27.0	---	59.187 69.187	0.34800 0.34800	0.34371 0.34371
5 4.73~5.73	Clayey soil	8.0	---	25.0	69.187 77.187	---	---
6 5.73~6.73	Sandy soil	10.0	27.0	---	77.187 87.187	0.34800 0.34800	0.34371 0.34371
7 6.73~7.73	Sandy soil	10.0	27.0	---	87.187 97.187	0.34800 0.34800	0.34371 0.34371
8 7.73~8.73	Sandy soil	10.0	39.0	---	97.187 107.187	0.21458 0.21458	0.21193 0.21193
9 8.73~9.00	Sandy soil	10.0	45.0	---	107.187 109.887	0.16323 0.16323	0.16122 0.16122
10 9.00~20.00	Sandy soil	10.0	45.0	---	109.887 219.887	0.16323 0.16323	0.16122 0.16122

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below:
δ = 9.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Q _p (kN/m ²)	K _p	K _p × cosδ
3 2.60~3.73	Sandy soil	10.0	27.0	---	0.000 11.300	3.48553 3.48553	3.44261 3.44261
4 3.73~4.73	Sandy soil	10.0	27.0	---	11.300 21.300	3.48553 3.48553	3.44261 3.44261
5 4.73~5.73	Clayey soil	8.0	0.0	25.0	21.300 29.300	---	---
6 5.73~6.73	Sandy soil	10.0	27.0	---	29.300 39.300	3.48553 3.48553	3.44261 3.44261
7 6.73~7.73	Sandy soil	10.0	27.0	---	39.300 49.300	3.48553 3.48553	3.44261 3.44261
8 7.73~8.73	Sandy soil	10.0	39.0	---	49.300 59.300	6.28642 6.28642	6.20903 6.20903
9 8.73~9.00	Sandy soil	10.0	45.0	---	59.300 62.000	8.86593 8.86593	8.75678 8.75678
10 9.00~20.00	Sandy soil	10.0	45.0	---	62.000 172.000	8.86593 8.86593	8.75678 8.75678

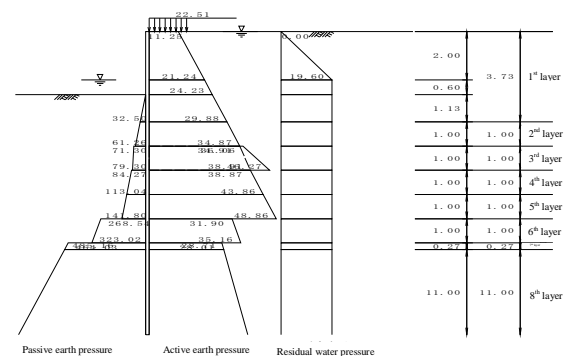
Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below:
δ = -9.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure		Passive side
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)	Pw (kN/m ²)	Pp (kN/m ²)	Pp (kN/m ²)
1 0.00~2.50	7.52	---	7.52	0.00	---	---
2 2.50~2.60	16.12	---	16.12	24.50	---	---
3 2.60~3.73	16.46	---	16.46	24.50	0.00	38.90
4 3.73~4.73	20.34	---	20.34	24.50	38.90	73.53
5 4.73~5.73	19.19	34.59	34.59	24.50	71.30	79.30
6 5.73~6.73	26.53	---	26.53	24.50	100.87	135.29
7 6.73~7.73	29.97	---	29.97	24.50	135.29	169.72
8 7.73~8.73	30.60	---	30.60	24.50	306.10	368.20
9 8.73~9.00	17.28	---	17.28	24.50	519.28	542.92
10 9.00~20.00	17.72	---	17.72	24.50	542.92	1506.17

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Q (kN/m ²)	γ _{shw} (kN/m ³)	k (k)	θ (degree)	K _a	K _a × cosδ	θ (degree)
1 0.00~2.00	Sandy Soil	10.0	27.0	---	22.51 19.60	0.00 0.200	0.200	11.31	0.50574	0.49951	---
2 2.00~2.60	Sandy Soil	10.0	27.0	---	42.51 48.51	19.60 25.48	0.200	11.31	0.50574	0.49951	---
3 2.60~3.73	Sandy Soil	10.0	27.0	---	48.51 59.81	25.48 36.55	0.200	11.31	0.50574	0.49951	---
4 3.73~4.73	Sandy Soil	10.0	27.0	---	59.81 69.81	36.55 46.35	0.200	11.31	0.50574	0.49951	---
5 4.73~5.73	Clayey Soil	8.0	---	25.0	69.81 77.81	46.35 56.15	0.200	11.31	---	---	38.46 37.73

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q$ (kNm ⁻²)	γ_{wb} (kNm ⁻³)	k (k)	θ (degree)	K_a	$K_a \times \cos \delta$	θ (degree)
6 5.73~ 6.73	Sandy Soil	10.0	27.0	---	77.81 87.81	56.15 65.95	0.200	11.31	0.50574 0.50574	0.49951 0.49951	---
7 6.73~ 7.73	Sandy Soil	10.0	27.0	---	87.81 97.81	65.95 75.75	0.200	11.31	0.50574 0.50574	0.49951 0.49951	---
8 7.73~ 8.73	Sandy Soil	10.0	39.0	---	97.81 107.81	75.75 85.55	0.200	11.31	0.33023 0.33023	0.32616 0.32616	---
9 8.73~ 9.00	Sandy Soil	10.0	45.0	---	107.81 110.51	85.55 88.20	0.200	11.31	0.26304 0.26304	0.25980 0.25980	---
10 9.00~ 20.00	Sandy Soil	10.0	45.0	---	110.51 220.51	88.20 196.00	0.200	11.31	0.26304 0.26304	0.25980 0.25980	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below;
 $\delta = 9.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below;

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q$ (kNm ⁻²)	γ_{wb} (kNm ⁻³)	k (k)	θ (degree)	K_p	$K_p \times \cos \delta$
3 2.60~ 3.73	Sandy soil	10.00	27.0	---	0.000 11.300	0.00 11.07	0.200	11.31	2.91211 2.91211	2.87626 2.87626
4 3.73~ 4.73	Sandy soil	10.00	27.0	---	11.300 21.300	11.07 20.87	0.200	11.31	2.91211 2.91211	2.87626 2.87626
5 4.73~ 5.73	Clayey soil	8.00	0.0	25.0 25.0	21.300 29.300	20.87 30.67	0.200	11.31	---	---
6 5.73~ 6.73	Sandy soil	10.00	27.0	---	29.300 39.300	30.67 40.47	0.200	11.31	2.91211 2.91211	2.87626 2.87626
7 6.73~ 7.73	Sandy soil	10.00	27.0	---	39.300 49.300	40.47 50.27	0.200	11.31	2.91211 2.91211	2.87626 2.87626
8 7.73~ 8.73	Sandy soil	10.00	39.0	---	49.300 59.300	50.27 60.07	0.200	11.31	5.51506 5.51506	5.44716 5.44716
9 8.73~ 9.00	Sandy soil	10.00	45.0	---	59.300 62.000	60.07 62.72	0.200	11.31	7.92269 7.92269	7.82515 7.82515
10 9.00~ 20.00	Sandy soil	10.00	45.0	---	62.000 172.000	62.72 170.52	0.200	11.31	7.92269 7.92269	7.82515 7.82515

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below;
 $\delta = -9.00, \beta = 0.00, \theta = \tan^{-1} k$

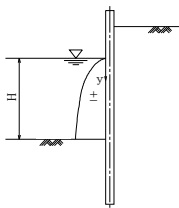
$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)} \right]^2}$$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	W.L. y (m)	P_{dw} (kNm ⁻²)
1	2.00	0.00	0.00
2	2.60	0.60	1.03

Where,

- k_{dw} : design seismic coefficient
- γ_w : unit weight of water
- H: water depth of riverside
- y: depth from water surface to the point where active water pressure is calculated

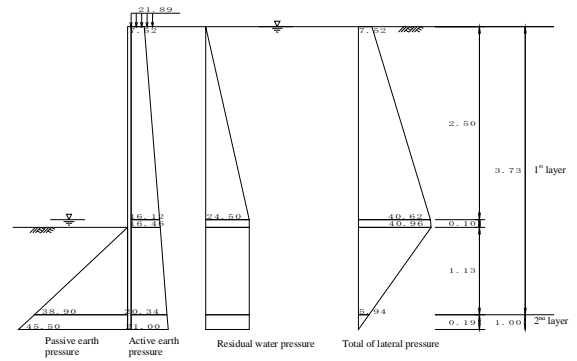


Passive earth pressure Active earth pressure Residual water pressure Total of lateral pressure

4 Imaginary Riverbed

Imaginary ground level L_x is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

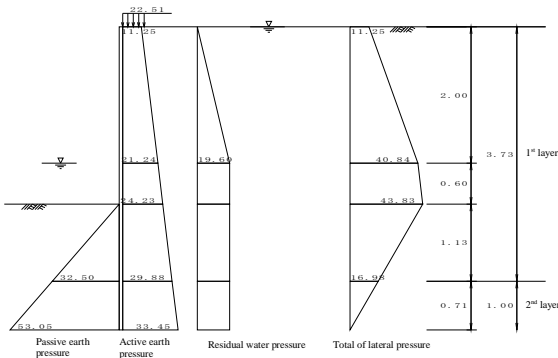


Depth (m)	P_a kNm ⁻²	P_w kNm ⁻²	P_p kNm ⁻²	P_s kNm ⁻²
1 0.00~ 2.50	7.52 16.12	0.00 24.50	---	7.52 40.62
2 2.50~ 2.60	16.12 16.46	24.50 24.50	---	40.62 40.96
3 2.60~ 3.73	16.46 20.34	24.50 24.50	0.00 38.90	40.96 5.94
4 3.73~ 3.92	20.34 21.00	24.50 24.50	38.90 45.50	5.94 0.00
5 3.92~ 4.73	21.00 23.78	24.50 24.50	45.50 73.33	0.00 -25.05

- P_a : Active earth pressure
- P_w : Residual water pressure
- P_p : Passive earth pressure
- P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed L_x : 1.32 m (GL -3.92 m)

4-2 Seismic Condition



Depth (m)	P_a kNm ²	P_w kNm ²	P_p kNm ²	P_x kNm ²
1 0.00~2.00	11.25 21.24	0.00 19.60	— —	11.25 40.84
2 2.00~2.60	21.24 24.23	19.60 19.60	— —	40.84 43.83
3 2.60~3.73	24.23 29.88	19.60 19.60	0.00 32.50	43.83 16.98
4 3.73~4.44	29.88 33.45	19.60 19.60	32.50 53.05	16.98 0.00
5 4.44~4.73	33.45 34.87	19.60 19.60	53.05 61.26	0.00 -6.79

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_x : Lateral pressure $P_x = P_a + P_w - P_p$

Imaginary riverbed L_x : 1.84 m (GL -4.44 m)

L_No. 07_pp.17

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to $1/\beta$ depth. The modulus are calculated by the formula below;

$$K_h = 6910 \times N^{0.666}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width $B = 1.0000$ m
 Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.92$
 Section efficiency $\mu = 0.80$
 Young's modulus $E = 200000$ N/mm²
 Inertia sectional moment $I_0 = 86000$ cm⁴(original condition)
 $I = 63296$ cm⁴(after reduction by corrosion and section)
 Inertia sectional moment $EI = 200000 \times 10^3 \times 63296 \times 10^{-8} = 1.266 \times 10^9$

Depth (m)	N value
1 0.50	2
2 3.73	4
4 4.73	6
5 6.73	8
6 7.73	40
7 8.73	50
8 9.00	50
9 20.00	50

5-2 Normal Condition

$K_h = 12727$ kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.398 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.51 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.92 m) to 2.51 m depth (GL -6.43 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1 3.92	0.81	2.4	4.0	2.58
2 4.73	1.00	4.0	6.0	5.00
3 5.73	0.70	6.0	8.6	3.72

$L = 2h = 2.51$ $\Sigma A = 11.30$

A: (upper N-value + lower N-value) \times h/2

L_No. 07_pp.18

$$\text{Average N-value } N' = \frac{\Sigma A}{L}$$

$$= \frac{11.30}{2.51} = 4.50$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.666} = 6910 \times 4.50^{0.666} = 12727 \text{ kN/m}^3$$

$$K_h \text{ (normal condition)} = 12727 \text{ kN/m}^3$$

5-3 Seismic Condition

$K_h = 13068$ kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.401 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.49 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.44 m) and 2.49 m depth (GL -6.94 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1 4.44	0.29	3.4	4.0	1.06
2 4.73	1.00	4.0	6.0	5.00
3 5.73	1.00	6.0	4.0	5.00
4 6.73	0.21	4.0	4.8	0.92

$L = 2h = 2.49$ $\Sigma A = 11.99$

A: (upper N-value + lower N-value) \times h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L}$$

$$= \frac{11.99}{2.49} = 4.80$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.666} = 6910 \times 4.80^{0.666} = 13068 \text{ kN/m}^3$$

$$K_h \text{ (seismic condition)} = 13068 \text{ kN/m}^3$$

L_No. 07_pp.19

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P_x (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00~2.50	2.50	7.52 40.62	9.40 30.77	3.09 2.26	29.04 114.49
2 2.50~2.60	0.10	40.62 40.96	2.03 2.05	1.39 1.36	2.82 2.78
3 2.60~3.73	1.13	40.96 5.94	23.14 3.36	0.95 0.57	21.87 1.91
4 3.73~3.92	0.19	5.94 0.00	0.57 0.00	0.13 0.06	0.07 0.00

$\Sigma P = 91.32$ $\Sigma M = 172.98$

P_x : active earth pressure + residual water pressure - passive earth pressure

P : load $P_x \times h/2 \times B$

B : unit width = 1.000 m

Y : height of acting position from imaginary riverbed

M : moment by load P \times Y

Arbitrary load lateral load $P_i = 6.5$ kN/m
 depth to acting position $H_i = -0.45$ m
 moment $M_m = 2.9$ kN·m/m
 depth to acting position $H_m = 0.00$ m
 Height from riverbed to top of coping $H = 2.60$ m
 Depth of Imaginary riverbed from riverbed $L_x = 1.32$ m

Moment M_i by arbitrary load is as below

$$M_i = P_i \cdot (H + L_x - H_i) + M_m = 31.32 \text{ kN} \cdot \text{m}$$

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_i}{\Sigma P + P_i} = \frac{204.30}{97.82} = 2.09 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P_x (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00~2.00	2.00	11.25 40.84	11.25 40.84	3.78 3.11	42.48 127.04
2 2.00~2.60	0.60	40.84 43.83	12.25 13.15	2.24 2.04	27.49 26.88
3 2.60~3.73	1.13	43.83 16.98	24.77 9.99	1.47 1.09	36.35 10.46
4 3.73~4.44	0.71	16.98 0.00	6.06 0.00	0.48 0.24	2.89 0.00

$\Sigma P = 117.90$ $\Sigma M = 273.59$

L_No. 07_pp.20

P_a : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1,000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_s = 9.8 \text{ kN/m}$
 depth to acting position $H_s = -0.20 \text{ m}$
 moment $M_m = 9.8 \text{ kN}\cdot\text{m/m}$
 depth to acting position $H_m = 0.80 \text{ m}$
 Height from riverbed to top of coping $H = 2.60 \text{ m}$
 Depth of Imaginary riverbed from riverbed $L_k = 1.84 \text{ m}$

Moment M , by arbitrary load is as below
 $M_i = P_s \cdot (H + L_k - H_s) + M_m = 55.31 \text{ kN}\cdot\text{m}$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{dw} (kN/m ²)	Load P_{dw} (kN)	Arm length Y (m)	Monert M_{dw} (kNm)
1	2.00~2.60	0.60	0.0 1.0	0.00 0.31	2.24 2.04	0.00 0.63
$\Sigma P_{dw} = 0.31 \quad \Sigma M_{dw} = 0.63$						

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_i + \Sigma M_{dw}}{\Sigma P + P_s + \Sigma P_{dw}} = \frac{329.54}{128.01} = 2.57 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as followings:

Unit width $B = 1.0000 \text{ m}$
 Corrosion margin $t_1 = 1.00 \text{ mm (active side)} \quad t_2 = 1.00 \text{ mm (passive side)}$
 Corrosion rate $\eta = 0.92$
 Section efficiency $\mu = 0.80$
 Young's modulus $E = 200000 \text{ N/mm}^2$
 Inertia sectional moment $I_0 = 86000 \text{ cm}^4$ (original condition)
 $I = 63296 \text{ cm}^4$ (after reduction by corrosion and section)
 $EI = 200000 \times 10^3 \times 63296 \times 10^{-8} = 1.266 \times 10^8$

L_No. 07_pp.21

L_No. 07_pp.22

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{243.99 \times 10^6}{3514 \times 10^3} = 69 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{375.38 \times 10^6}{3514 \times 10^3} = 107 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1 0.00~2.30	3.09 2.26	0.788 0.575	0.229 0.134	9.40 50.77	2.151 6.785
2 2.50~2.60	1.39 1.36	0.354 0.346	0.055 0.053	2.03 2.05	0.112 0.108
3 2.60~3.73	0.95 0.57	0.241 0.145	0.027 0.010	23.14 3.36	0.618 0.034
4 3.73~3.92	0.13 0.06	0.033 0.016	0.001 0.000	0.57 0.00	0.000 0.000
$\Sigma Q = 9.807$					

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_k} = \frac{Y}{(3-a) \times a^2}$$

$$\zeta : \zeta = \frac{P}{6}$$

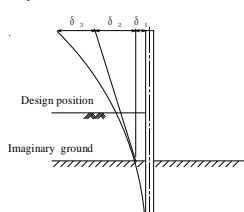
Q : $L \times P$

P : Lateral force

H : Depth to design position

L_k : Depth from design position to imaginary ground

Displacement



$$\beta = 4\sqrt{\frac{K_b \cdot B}{4EI}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$l_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction $K_b = 12727 \text{ kN/m}^3$
 calculated value $\beta = 0.39817 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 97.82 \text{ kN/m}$
 height of acting position of load $h_0 = 2.09 \text{ m}$
 moment $M_0 = 204.30 \text{ kN}\cdot\text{m/m}$

in consideration of $\psi_{in} = 1.194$,
 maximum moment $M_{max} = 243.99 \text{ kN}\cdot\text{m/m}$
 depth of generated position of M_{max} $l_m = 0.902 \text{ m}$
 depth of 1st fixed point $l_i = 2.875 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction $K_b = 13068 \text{ kN/m}^3$
 calculated value $\beta = 0.40081 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 128.01 \text{ kN/m}$
 height of acting position of load $h_0 = 2.57 \text{ m}$
 moment $M_0 = 329.54 \text{ kN}\cdot\text{m/m}$

in consideration of $\psi_{in} = 1.139$,
 maximum moment $M_{max} = 375.38 \text{ kN}\cdot\text{m/m}$
 depth of generated position of M_{max} $l_m = 0.787 \text{ m}$
 depth of 1st fixed point $l_i = 2.747 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as followings:

Corrosion margin $t_1 = 1.00 \text{ mm (active side)} \quad t_2 = 1.00 \text{ mm (passive side)}$
 Corrosion rate $\eta = 0.92$
 Section efficiency $\mu = 1.00$
 Module of section $Z_0 = 3820 \text{ cm}^3$ (original condition)
 $Z = 3514 \text{ cm}^3$ (after reduction by corrosion and section)

$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2EI\beta^2}$$

$$= \frac{(1+0.3982 \times 2.09) \times 97.82}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.3982^2} = 0.01121 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2EI\beta^2} \times (H+L_k)$$

$$= \frac{(1+2 \times 0.3982 \times 2.09) \times 97.82}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.3982^2} \times (2.60+1.32) = 0.02545 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{EI}$$

$$= \frac{9.81 \times (2.60+1.32)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00467 \text{ m}$$

Additional displacement δ_1' generated by horizontal load (P) and moment (M) acting at top of SSP considered.

$$\delta_1' = \frac{P L^3}{3EI} + \frac{M L^2}{2EI}$$

δ_1' is calculated as 0.00121 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: $L = 3.92 \text{ m}$
 Horizontal load: $P = 6.50$
 Moment: $M = 2.93$

Displacement δ_{in} of cantilever beam by moment M_m is additionally considered.

$$\delta_{in} = \frac{M_m \cdot h}{2EI} \times (2L-h) \quad (L=4.69 \text{ m}, h=L-H_s, H_s=0.80 \text{ m}, \therefore L=4.89 \text{ m})$$

$$= \frac{2.80 \times 3.89}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8}} \times (2 \times 4.69 - 3.89) = 0.00016 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.01121 + 0.02545 + 0.00060 = 0.04272 \text{ m} = 42.72 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where,

- Displacement at imaginary ground
- Displacement by angle of inclination slope at imaginary ground
- Displacement at higher part of imaginary ground as cantilever
- Displacement at top of SSP
- Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~	3.78	0.850	0.259	11.25	2.912
	2.00	3.11	0.700	0.188	40.84	7.670
2	2.00~	2.24	0.505	0.106	12.25	1.299
	2.60	2.04	0.460	0.090	13.15	1.178
3	2.60~	1.47	0.330	0.049	24.77	1.202
	3.73	1.09	0.245	0.028	9.59	0.265
4	3.73~	0.48	0.107	0.006	6.06	0.054
	4.44	0.24	0.054	0.001	0.00	0.000
$\Sigma Q = 14.559$						

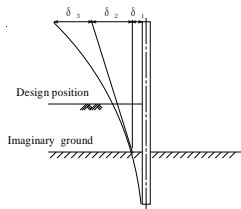
Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_1}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L₁ : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1	2.00~	2.24	0.505	0.106	0.00	0.000
	2.60	2.04	0.460	0.090	0.31	0.028
$\Sigma Q_w = 0.028$						

Therefore, modulus of deformation Q is calculated as below:
 $Q = 14.559 + 0.028 = 14.587$

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4008 \times 2.57) \times 128.01}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4008^3} = 0.01595 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^3} \times (H + L_1)$$

$$= \frac{(1 + 2 \times 0.4008 \times 2.57) \times 128.01}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4008^3} \times (2.60 + 1.84) = 0.04285 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I}$$

$$= \frac{14.59 \times (2.60 + 1.84)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.01011 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00242 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.44 m
 Horizontal load: P = 9.80
 Moment: M = 1.96

Displacement δ_{sm} of cantilever beam by moment M_m is additionally considered.

$$\delta_{sm} = \frac{M_m \cdot h}{2 E I} \times (2 L - h) \quad (L = 4.44 \text{ m, } h = L - H_s, H_s = 0.80 \text{ m, ただし } h \leq L)$$

$$= \frac{9.80 \times 3.64}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8}} \times (2 \times 4.44 - 3.64) = 0.00074 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01595 + 0.04285 + 0.01327$$

$$= 0.07208 \text{ m}$$

$$= 72.08 \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where:
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below:

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 86000 cm ⁴ (original condition)
	I = 86000 cm ⁴ (after reduction by corrosion and section)
EI = 200000 × 10 ⁷ × 86000 × 10 ⁸	= 1.720 × 10 ⁷

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L₁, penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings:

$$D = L_1 + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = 4 \sqrt{\frac{K_s \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	K _s = 12727 kN/m ³
Calculated value	$\beta = 0.36880 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.32 + \frac{3}{0.369} = 9.46 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.46 = 11.66 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	K _s = 13068 kN/m ³
Calculated value	$\beta = 0.37124 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.84 + \frac{3}{0.371} = 9.93 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.93 = 12.13 \text{ m}$

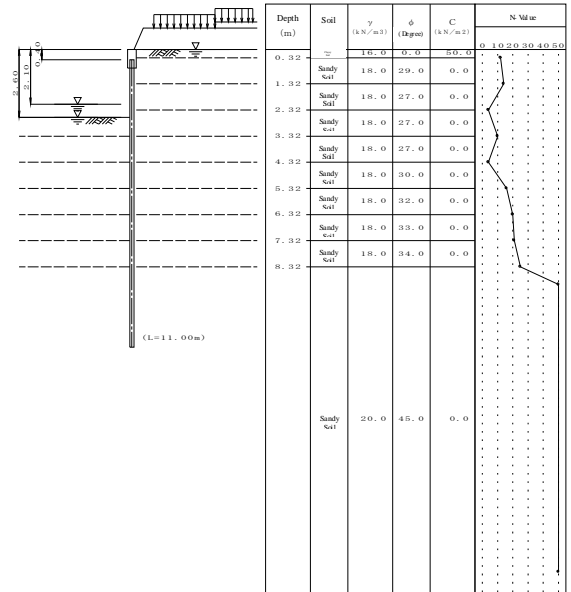
Therefore, whole length of SSP is set as 12.50 m in consideration of round unit of SSP length.

8 Calculation Result

		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	86000	
Section modulus	Z (cm ³)	3820	
Maximum bending moment	M _{max} (kNm/m)	243.99	375.38
Stress intensity	σ (N/mm ²)	69 (180)	107 (270)
Lateral displacement	δ (mm)	42.72 (50.0)	72.08 (75.0)
Penetration depth	D (m)	9.46	9.93
Whole length of SSP	L (m)	12.50	

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



— Steel Sheet Pile Design Calculation —

Left Bank No. 08_STA 6+376 - 6+482

1-2 Dimensions of Structure

Depth from coping top to riverbed	H = 2.60 m
Depth from coping top to rear side ground	H _r = 0.00 m
Depth from coping top to SSP top	H _s = 0.40 m
Landside WL	L _{land} = 0.00 m (Normal Condition)
	L _{land} ' = 0.00 m (Seismic Condition)
Riverside WL	L _{river} = 2.60 m (Normal Condition)
	L _{river} ' = 2.10 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

L_No.08_pp.1

L_No.08_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load	Horizontal load	Pt = 2.2 kNm (Normal Condition)
		Pt' = 7.6 kNm (Seismic Condition)
Depth of acting point	Ht = -0.40 m (Normal Condition)	
	Ht' = -0.15 m (Seismic Condition)	
Moment	Mm = 0.0 kNm/m (Normal Condition)	
	Mm' = 0.5 kNm/m (Seismic Condition)	
Depth of acting point	Hm = 0.00 m (Seismic Condition)	
	Hm' = 0.80 m (Normal Condition)	

(*Depth means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.406}$

Average N value calculated from average N value between imaginary riverbed and depth as $1/\beta$

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.32	12	11	20.00	50
2	1.32	14			
3	2.32	4			
4	3.32	10			
5	4.32	4			
6	5.32	16			
7	6.32	20			
8	7.32	21			
9	8.32	25			
10	9.00	50			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment share on landside

Vertical load on riverside not considered

1-7 Soil Modulus

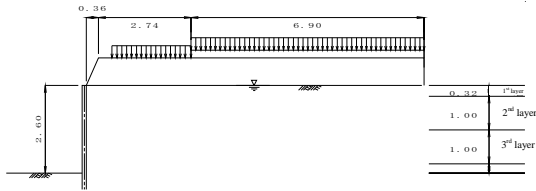
No	Depth (m)	Soil	N value	γ (kNm ³)	γ' (kNm ³)	φ	C (kNm ²)	a	k'	ζ (degree)		kh (kNm ³)	
										normal	seismic	normal	seismic
1	0.32	C	12.0	16.00	8.00	0.0	50.0	0.0	0.200	auto	auto	—	—
2	1.32	S	14.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	—	—
3	2.32	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	3.32	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
5	4.32	S	10.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
6	5.32	S	16.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
7	6.32	S	20.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	—	—
8	7.32	S	21.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
9	8.32	S	25.0	18.00	10.00	34.0	0.0	0.0	0.200	auto	auto	—	—
10	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture Z (degree)	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.36	10.00	10.00	0.82	18.0	30.0	0.0	auto	auto
2	Sandy soil	3.10	3.10	10.00	10.00	0.23	18.0	30.0	0.0	auto	auto

Surcharge load acting on an embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	0.76	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus E = 200000 Nmm²
 Inertia sectional moment I₀ = 63000 cm⁴
 Sectional factor Z₀ = 3150 cm³

Corrosion margin t_r = 1.00 mm (riverside) t_s = 1.00 mm (landside)

Corrosion rate (to I₀) η = 0.91
 Corrosion rate (to Z₀) η = 0.91
 Section efficiency (to I₀) μ = 0.80
 Section efficiency (to Z₀) μ = 1.00

Round unit of SSP length 0.50 m

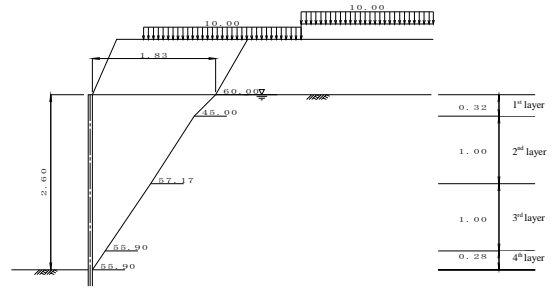
Allowable stress σ_a = 180 Nmm (Normal)
 σ_a' = 270 Nmm (Seismic)

Allowable displacement δ_a = 50.0mm (Normal)
 δ_a' = 75.0mm (Seismic)

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus Reduced I₀ applied to calculation of lateral coefficient of subgrade reaction
 Not reduced I₀ applied to calculation of penetration depth
 Reduced I₀ applied to calculation of section forces and displacement
 Reduced Z₀ applied to calculation of stresses

2 Calculation of Acting Load
 2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma w h$ (kN/m ²)	Angle of rupture Z (degree)
1	2.60~2.32	Sandy Soil	27.0	10.0	0.0	25.36	23.65	25.48	55.90
2	2.32~1.32	Sandy Soil	27.0	10.0	0.0	22.56	23.65	22.74	55.90
3	1.32~0.32	Sandy Soil	29.0	10.0	0.0	12.56	23.65	12.94	57.17
4	0.32~0.00	Clayey Soil	0.0	10.0	50.0	2.56	23.65	3.14	45.00
5		Embankment	30.0	—	0.0	18.90	10.00	0.00	60.00

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where:

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesive force of soil (kNm⁻²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	55.90	0.28	0.00	0.00	0.19	0.28
2	55.90	1.00	0.19	0.28	0.87	1.28
3	57.17	1.00	0.87	1.28	1.51	2.28
4	45.00	0.32	1.51	2.28	1.83	2.60
5	60.00	0.82	1.83	2.60	2.31	3.42

Therefore, width of acting load shall be set as 1.83 m

2-1-3 Acting Load by Embankment

No	γ (kNm ⁻³)	A (m ²)	$\gamma \times A$ (kNm)
1	18.0	1.55	27.87
Σ			27.87

γ : unit weight of embankment soil
 A: sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kNm ⁻²)	l (m)	Q X l (kNm)
1	10.0	1.55	15.45
Σ			15.45

Q: surcharge load
 l: width of surcharge load set by line of active rupture

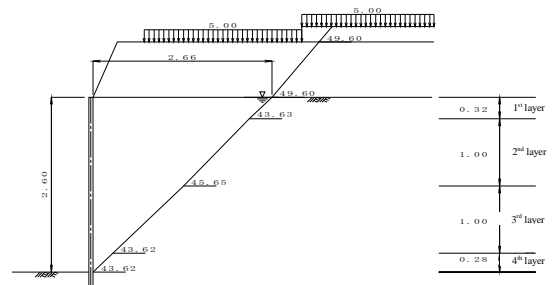
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{27.87 + 15.45 + 0.00}{1.83}$$

$$= 23.65 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma w h$ (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60~2.32	Sandy Soil	27.0	10.0	0.0	25.36	21.50	25.48	0.200	11.31	43.62
2	2.32~1.32	Sandy Soil	27.0	10.0	0.0	22.56	21.50	22.74	0.200	11.31	43.62
3	1.32~0.32	Sandy Soil	29.0	10.0	0.0	12.56	21.50	12.94	0.200	11.31	45.65
4	0.32~0.00	Clayey Soil	0.0	10.0	50.0	2.56	21.50	3.14	0.200	11.31	43.63
5		Embankment	30.0	—	0.0	18.90	5.00	0.00	0.200	11.31	49.60
6		Embankment	30.0	—	0.0	4.14	5.00	0.00	0.200	11.31	49.60

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where:

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesive force of soil (kNm⁻²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.62	0.28	0.00	0.00	0.29	0.28
2	43.62	1.00	0.29	0.28	1.34	1.28
3	45.65	1.00	1.34	1.28	2.32	2.28
4	43.63	0.32	2.32	2.28	2.66	2.60
5	49.60	0.82	2.66	2.60	3.35	3.42
6	49.60	0.23	3.35	3.42	3.55	3.65

Therefore, width of acting load shall be set as 2.66 m

2-2-3 Acting Load by Reinforcement

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.32	41.70
2	18.0	0.08	1.46
Σ			43.16

γ : unit weight of embankment soil

A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	2.34	11.70
2	5.0	0.00	0.00
3	5.0	0.45	2.25
Σ			13.95

Q: surcharge load

l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

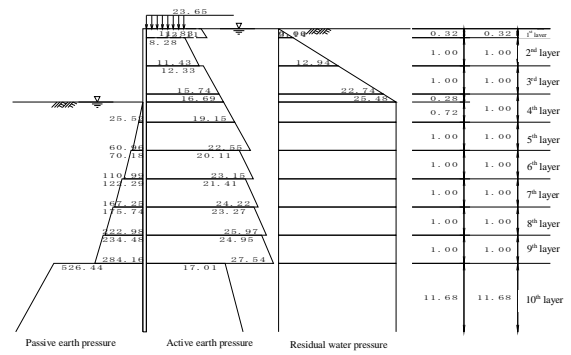
$$= \frac{43.16 + 13.95 + 0.00}{2.66}$$

$$= 21.50 \text{ kN/m}^2$$

L_No.08_pp.9

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_0$ (kN/m ²)	K_a	$K_a \times \cos\delta$
1 0.00~0.32	Clayey soil	8.0	—	50.0	23.653 26.213	—	—
2 0.32~1.32	Sandy soil	10.0	29.0	—	26.213 36.213	0.32058 0.32058	0.31571 0.31571
3 1.32~2.32	Sandy soil	10.0	27.0	—	36.213 46.213	0.34585 0.34585	0.34060 0.34060
4 2.32~2.60	Sandy soil	10.0	27.0	—	46.213 49.013	0.34585 0.34585	0.34060 0.34060
5 2.60~3.32	Sandy soil	10.0	27.0	—	49.013 56.213	0.34585 0.34585	0.34060 0.34060
6 3.32~4.32	Sandy soil	10.0	27.0	—	56.213 66.213	0.34585 0.34585	0.34060 0.34060
7 4.32~5.32	Sandy soil	10.0	30.0	—	66.213 76.213	0.30847 0.30847	0.30378 0.30378
8 5.32~6.32	Sandy soil	10.0	32.0	—	76.213 86.213	0.28525 0.28525	0.28092 0.28092
9 6.32~7.32	Sandy soil	10.0	33.0	—	86.213 96.213	0.27412 0.27412	0.26996 0.26996
10 7.32~8.32	Sandy soil	10.0	34.0	—	96.213 106.213	0.26331 0.26331	0.25931 0.25931
11 8.32~20.00	Sandy soil	10.0	45.0	—	106.213 223.013	0.16262 0.16262	0.16015 0.16015

L_No.08_pp.10

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_0$ (kN/m ²)	K_p	$K_p \times \cos\delta$
5 2.60~3.32	Sandy soil	10.0	27.0	—	0.000 7.200	3.59892 3.59892	3.54425 3.54425
6 3.32~4.32	Sandy soil	10.0	27.0	—	7.200 17.200	3.59892 3.59892	3.54425 3.54425
7 4.32~5.32	Sandy soil	10.0	30.0	—	17.200 27.200	4.14330 4.14330	4.08035 4.08035
8 5.32~6.32	Sandy soil	10.0	32.0	—	27.200 37.200	4.56530 4.56530	4.49594 4.49594
9 6.32~7.32	Sandy soil	10.0	33.0	—	37.200 47.200	4.79713 4.79713	4.72425 4.72425
10 7.32~8.32	Sandy soil	10.0	34.0	—	47.200 57.200	5.04448 5.04448	4.96784 4.96784
11 8.32~20.00	Sandy soil	10.0	45.0	—	57.200 174.000	9.34548 9.34548	9.20351 9.20351

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure	Passive side
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1 0.00~0.32	-76.35 -73.79	11.83 13.11	11.83 13.11	0.00 3.14	—
2 0.32~1.32	8.28 14.43	—	8.28 14.43	3.14 12.94	—
3 1.32~2.32	12.33 15.74	—	12.33 15.74	12.94 22.74	—
4 2.32~2.60	15.74 16.69	—	15.74 16.69	22.74 25.48	—
5 2.60~3.32	16.69 19.15	—	16.69 19.15	25.48 25.48	0.00 25.52
6 3.32~4.32	19.15 22.55	—	19.15 22.55	25.48 25.48	25.52 60.96
7 4.32~5.32	20.11 23.15	—	20.11 23.15	25.48 25.48	70.18 110.99
8 5.32~6.32	21.41 24.22	—	21.41 24.22	25.48 25.48	122.29 167.25
9 6.32~7.32	23.27 25.97	—	23.27 25.97	25.48 25.48	175.74 222.98
10 7.32~8.32	24.95 27.54	—	24.95 27.54	25.48 25.48	234.48 284.16

L_No.08_pp.11

Depth (m)	Active side			Residual water pressure	Passive side
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
11 8.32~20.00	17.01 35.72	—	17.01 35.72	25.48 25.48	526.44 1601.41

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos\delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$

K_a : Equilibrium coefficient of compression: 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos\delta$

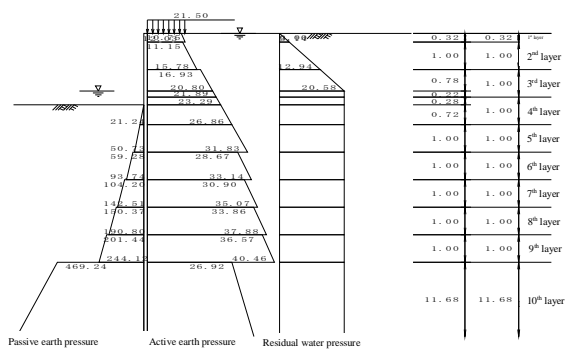
Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos\delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos\delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q$ (kN/m ²)	γ_{shw} (kN/m ²)	k	θ (degree)	K_a	$K_a \times \cos\delta$	δ (degree)
1 0.00~0.32	Clayey Soil	8.0	—	50.0	21.50 50.0	0.00	0.200	11.31	—	—	43.71 43.61
2 0.32~1.32	Sandy Soil	10.0	29.0	—	24.06 34.06	3.14	0.200	11.31	0.47058	0.46343	—

L_No.08_pp.12

No	Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q$ (kNm ⁻²)	γ_{shw} (kNm ⁻³)	k (k)	θ (degree)	K_a	$K_a \times \cos \delta$	θ (degree)
3	1.32~2.10	Sandy Soil	10.0	27.0	---	34.06 41.86	12.94 20.58	0.200	11.31	0.50461 0.50461	0.49695 0.49695	---
4	2.10~2.32	Sandy Soil	10.0	27.0	---	41.86 44.06	20.58 22.74	0.200	11.31	0.50461 0.50461	0.49695 0.49695	---
5	2.32~2.60	Sandy Soil	10.0	27.0	---	44.06 46.86	22.74 25.48	0.200	11.31	0.50461 0.50461	0.49695 0.49695	---
6	2.60~3.32	Sandy Soil	10.0	27.0	---	46.86 54.06	25.48 32.54	0.200	11.31	0.50461 0.50461	0.49695 0.49695	---
7	3.32~4.32	Sandy Soil	10.0	27.0	---	54.06 64.06	32.54 42.34	0.200	11.31	0.50461 0.50461	0.49695 0.49695	---
8	4.32~5.32	Sandy Soil	10.0	30.0	---	64.06 74.06	42.34 52.14	0.200	11.31	0.45442 0.45442	0.44752 0.44752	---
9	5.32~6.32	Sandy Soil	10.0	32.0	---	74.06 84.06	52.14 61.94	0.200	11.31	0.42366 0.42366	0.41722 0.41722	---
10	6.32~7.32	Sandy Soil	10.0	33.0	---	84.06 94.06	61.94 71.74	0.200	11.31	0.40899 0.40899	0.40278 0.40278	---
11	7.32~8.32	Sandy Soil	10.0	34.0	---	94.06 104.06	71.74 81.54	0.200	11.31	0.39477 0.39477	0.38878 0.38878	---
12	8.32~20.00	Sandy Soil	10.0	45.0	---	104.06 220.86	81.54 196.00	0.200	11.31	0.26273 0.26273	0.25874 0.25874	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of dayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

No	Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q$ (kNm ⁻²)	γ_{shw} (kNm ⁻³)	k (k)	θ (degree)	K_p	$K_p \times \cos \delta$
6	2.60~3.32	Sandy soil	10.00	27.0	---	0.000 7.200	0.00 7.06	0.200	11.31	2.9498 2.9498	2.9498 2.9498
7	3.32~4.32	Sandy soil	10.00	27.0	---	7.200 17.200	7.06 16.86	0.200	11.31	2.9498 2.9498	2.9498 2.9498
8	4.32~5.32	Sandy soil	10.00	30.0	---	17.200 27.200	16.86 26.66	0.200	11.31	3.4953 3.4953	3.44637 3.44637
9	5.32~6.32	Sandy soil	10.00	32.0	---	27.200 37.200	26.66 36.46	0.200	11.31	3.8902 3.8902	3.83102 3.83102
10	6.32~7.32	Sandy soil	10.00	33.0	---	37.200 47.200	36.46 46.26	0.200	11.31	4.10466 4.10466	4.04230 4.04230
11	7.32~8.32	Sandy soil	10.00	34.0	---	47.200 57.200	46.26 56.06	0.200	11.31	4.33360 4.33360	4.26776 4.26776
12	8.32~20.00	Sandy soil	10.00	45.0	---	57.200 174.000	56.06 170.52	0.200	11.31	8.33000 8.33000	8.20345 8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = -10.00, \beta = 0.00, \theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 kNm ⁻²	Pa2 kNm ⁻²	Pa kNm ⁻²	Pw kNm ⁻²	Pp kNm ⁻²
1	0.00~0.32	-74.11 -71.01	10.75 12.05	10.75 12.05	0.00 3.14	---
2	0.32~1.32	11.15 15.78	---	11.15 15.78	3.14 12.94	---
3	1.32~2.10	16.93 20.80	---	16.93 20.80	12.94 20.58	---
4	2.10~2.32	20.80 21.89	---	20.80 21.89	20.58 20.58	---
5	2.32~2.60	21.89 23.29	---	21.89 23.29	20.58 20.58	---
6	2.60~3.32	23.29 26.86	---	23.29 26.86	20.58 20.58	0.00 21.24
7	3.32~4.32	26.86 31.83	---	26.86 31.83	20.58 20.58	21.24 50.73
8	4.32~5.32	28.67 33.14	---	28.67 33.14	20.58 20.58	50.73 93.74
9	5.32~6.32	30.90 35.07	---	30.90 35.07	20.58 20.58	104.20 142.51
10	6.32~7.32	33.86 37.88	---	33.86 37.88	20.58 20.58	150.37 190.80
11	7.32~8.32	36.57 40.46	---	36.57 40.46	20.58 20.58	201.44 244.12

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 kNm ⁻²	Pa2 kNm ⁻²	Pa kNm ⁻²	Pw kNm ⁻²	Pp kNm ⁻²
12	8.32~20.00	26.92 57.14	---	26.92 57.14	20.58 20.58	469.24 1427.40

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = \left[K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a} \right] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = \left[K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p} \right] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	W/L y (m)	P_{dw} (kNm ⁻³)
1/2	2.10 2.60	0.00 0.50	0.00 0.86

$$P_{dw} = \pm \frac{7}{8} k_{dw} \cdot \gamma_w \cdot \sqrt{H} \cdot y$$

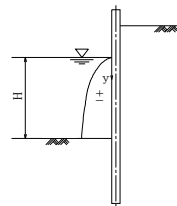
Where,

k_{dw} : design seismic coefficient

γ_w : unit weight of water

H: water depth of river side

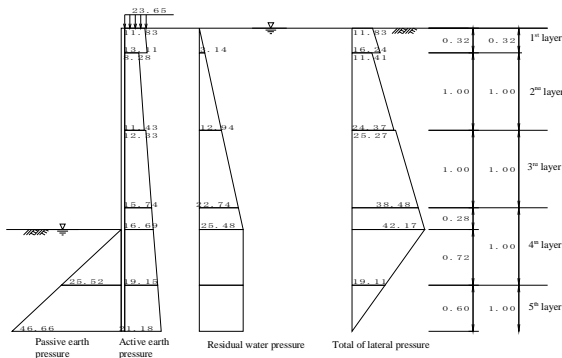
y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level I_4 is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition



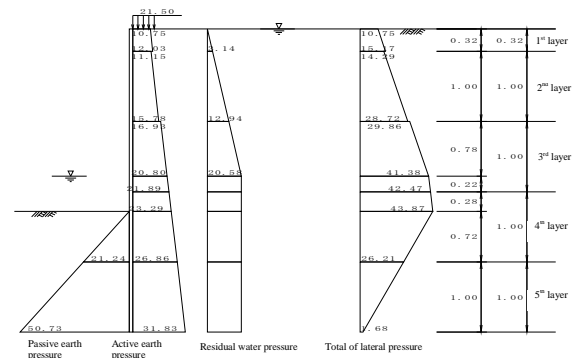
Depth (m)	P_a kNm ²	P_w kNm ²	P_p kNm ²	P_s kNm ²
1 0.00~0.32	11.83 13.11	0.00 3.14	— —	11.83 16.24
2 0.32~1.32	8.28 11.43	3.14 12.94	— —	11.41 24.37
3 1.32~2.32	12.33 15.74	12.94 22.74	— —	25.27 38.48
4 2.32~2.60	15.74 16.69	22.74 25.48	— —	38.48 42.17
5 2.60~3.32	16.69 19.15	25.48 25.48	0.00 25.52	42.17 19.11
6 3.32~3.92	19.15 21.18	25.48 25.48	25.52 46.66	19.11 0.00
7 3.92~4.32	21.18 22.55	25.48 25.48	46.66 60.96	0.00 -12.93

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed I_4 : 1.32 m (CL -3.92 m)

L_No.08_pp.17

4-2 Seismic Condition



Depth (m)	P_a kNm ²	P_w kNm ²	P_p kNm ²	P_s kNm ²
1 0.00~0.32	10.75 12.03	0.00 3.14	— —	10.75 15.17
2 0.32~1.32	11.15 15.78	3.14 12.94	— —	14.29 28.72
3 1.32~2.10	16.93 20.80	12.94 20.58	— —	29.86 41.38
4 2.10~2.32	20.80 21.89	20.58 20.58	— —	41.38 42.47
5 2.32~2.60	21.89 23.29	20.58 20.58	— —	42.47 43.87
6 2.60~3.32	23.29 26.86	20.58 20.58	0.00 21.24	43.87 26.21
7 3.32~4.32	26.86 31.83	20.58 20.58	21.24 50.73	26.21 1.68
8 4.32~5.32	28.67 33.14	20.58 20.58	50.28 93.74	-10.03 -40.02

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed I_4 : 1.72 m (CL -4.32 m)

4th layer

L_No.08_pp.18

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to $1/\beta$ depth. The modulus are calculated by the formula below.

$$K_h = 6910 \times N^{0.406}$$

where,

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4EI}}$$

- Unit width $B = 1.0000$ m
- Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
- Corrosion rate $\eta = 0.91$
- Section efficiency $\mu = 0.80$
- Young's modulus $E = 200000$ Nmm²
- Inertia sectional moment $I_0 = 63000$ cm⁴ (original condition)
- $I = 45864$ cm⁴ (after reduction by corrosion and section)
- Inertia sectional moment $I = 200000 \times 10^7 \times 45864 \times 10^3 = 9.173 \times 10^7$

Depth (m)	N-value	Depth (m)	N-value
1	0.32	12	—
2	1.32	14	—
3	2.32	4	—
4	3.32	10	—
5	4.32	4	—
6	5.32	16	—
7	6.32	20	—
8	7.32	21	—
9	8.32	25	—
10	9.00	50	—

5-2 Normal Condition

$K_h = 18659$ kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4EI}} = 0.475 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.11 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (CL -3.92 m) to 2.11 m depth (CL -6.02 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	3.92	0.40	6.4	4.0
2	4.32	1.00	4.0	16.0
3	5.32	0.70	16.0	18.8
L = 2h = 2.11		ΣA = 24.32		

A (upper N value + lower N value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{24.32}{2.11} = 11.55$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following.

$$K_h = 6910 \times N^{0.406} = 6910 \times 11.55^{0.406} = 18659 \text{ kN/m}^3$$

$$Kh \text{ (normal condition)} = 18659 \text{ kNm}^3$$

5-3 Seismic Condition

$K_h = 20281$ kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4EI}} = 0.485 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.06 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (CL -4.32 m) and 2.06 m depth (CL -6.38 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	4.32	1.00	4.0	16.0
2	5.32	1.00	16.0	20.0
3	6.32	0.06	20.0	20.1
L = 2h = 2.06		ΣA = 29.25		

A (upper N value + lower N value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{29.25}{2.06} = 14.18$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following.

$$K_h = 6910 \times N^{0.406} = 6910 \times 14.18^{0.406} = 20281 \text{ kN/m}^3$$

$$Kh \text{ (seismic condition)} = 20281 \text{ kNm}^3$$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

	Depth Z (m)	Thickness h (m)	Total of lateral force P_0 (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~0.32	0.32	11.83 16.24	1.89 2.60	3.81 3.70	7.21 9.62
2	0.32~1.32	1.00	11.41 24.37	5.71 12.18	3.26 2.93	18.62 35.70
3	1.32~2.32	1.00	25.27 38.48	12.63 19.24	2.26 1.93	28.59 37.12
4	2.32~2.60	0.28	38.48 42.17	5.39 5.90	1.50 1.41	8.10 8.32
5	2.60~3.32	0.72	42.17 19.11	15.18 6.88	1.08 0.84	16.34 5.75
6	3.32~3.92	0.60	19.11 0.00	5.70 0.00	0.40 0.20	2.27 0.00
			$\Sigma P = 93.30$	$\Sigma M = 177.65$		

P : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_0 \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P = 2.2$ kNm
 depth to acting position $H = -0.40$ m
 moment $M_0 = 0.0$ kNm/m
 depth to acting position $H_0 = 0.00$ m
 Height from riverbed to top of coping $H = 2.60$ m
 Depth of Imaginary riverbed from riverbed $L_0 = 1.32$ m

Moment M_0 by arbitrary load is as below
 $M_0 = P \cdot (H + L_0 - H_0) + M_0 = 9.50$ kNm

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{187.14}{95.50} = 1.96 \text{ m}$$

6-1-2 Seismic Condition

	Depth Z (m)	Thickness h (m)	Lateral load P_0 (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~0.32	0.32	10.75 15.17	1.72 2.43	4.21 4.11	7.25 9.96
2	0.32~1.32	1.00	14.29 26.72	7.14 14.36	3.67 3.33	26.19 47.87
3	1.32~2.10	0.78	29.86 41.38	11.65 16.14	2.74 2.48	31.91 40.02
4	2.10~2.32	0.22	41.38 42.47	4.55 4.67	2.15 2.07	9.77 9.69
5	2.32~2.60	0.28	42.47 43.87	5.95 6.14	1.81	11.34 11.14
6	2.60~3.32	0.72	43.87 26.21	15.79 9.43	1.48 1.24	23.37 11.70
7	3.32~4.32	1.00	26.21 0.84	13.10 0.84	0.67 0.33	8.74 0.28
			$\Sigma P = 113.92$	$\Sigma M = 249.22$		

P : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_0 \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P = 7.6$ kNm
 depth to acting position $H = -0.15$ m
 moment $M_0 = 0.5$ kNm/m
 depth to acting position $H_0 = 0.80$ m
 Height from riverbed to top of coping $H = 2.60$ m
 Depth of Imaginary riverbed from riverbed $L_0 = 1.72$ m

Moment M_0 by arbitrary load is as below
 $M_0 = P \cdot (H + L_0 - H_0) + M_0 = 34.47$ kNm

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{dw} (kNm ²)	Load P_{dw} (kN)	Arm length Y (m)	Moment M_{dw} (kNm)
1	2.10~2.60	0.50	0.0 0.9	0.00 0.21	2.05 1.89	0.00 0.40
			$\Sigma P_{dw} = 0.21$	$\Sigma M_{dw} = 0.40$		

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_{dw}}{\Sigma P + P_0 + \Sigma P_{dw}} = \frac{284.10}{121.73} = 2.33 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000$ m
 Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.91$
 Section efficiency $\mu = 0.80$
 Young's modulus $E = 200000$ N/mm²
 Inertia sectional moment $I_0 = 63000$ cm⁴ (original condition)
 $I = 45864$ cm⁴ (after reduction by corrosion and section)
 $EI = 200000 \times 10^8 \times 45864 \times 10^{-8} = 9.173 \times 10^7$

$$\beta = 4\sqrt{\frac{K_b \cdot B}{4EI}}$$

$$\phi_n = \frac{\sqrt{(1+2\beta h_0)+1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_n$$

$$l_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction $K_b = 18659$ kNm³
 calculated value $\beta = 0.47488$ m⁻¹
 resultant earth force (lateral) $P_0 = 95.50$ kNm
 height of acting position of load $h_0 = 1.96$ m
 moment $M_0 = 187.14$ kNm-m

in consideration of $\psi_{in} = 1.163$
 maximum moment $M_{max} = 217.74$ kNm-m
 depth of generated position of M_{max} $l_n = 0.708$ m
 depth of 1st fixed point $l_1 = 2.362$ m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction $K_b = 20281$ kNm³
 calculated value $\beta = 0.48488$ m⁻¹
 resultant earth force (lateral) $P_0 = 121.73$ kNm
 height of acting position of load $h_0 = 2.33$ m
 moment $M_0 = 284.10$ kNm-m

in consideration of $\psi_{in} = 1.120$
 maximum moment $M_{max} = 318.23$ kNm-m
 depth of generated position of M_{max} $l_n = 0.613$ m
 depth of 1st fixed point $l_1 = 2.233$ m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.91$
 Section efficiency $\mu = 1.00$
 Modulus of section $Z_0 = 3150$ cm³ (original condition)
 $Z = 2867$ cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{217.74 \times 10^6}{2867 \times 10^3} = 76 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{318.23 \times 10^6}{2867 \times 10^3} = 111 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

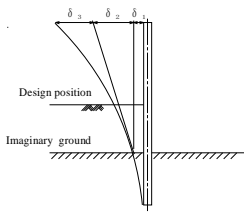
6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)	
1	0.00~0.32	3.81 3.70	0.973 0.946	0.320 0.306	1.89 2.60	0.605 0.796
2	0.32~1.32	3.26 2.93	0.833 0.748	0.251 0.210	5.71 12.18	1.430 2.559
3	1.32~2.32	2.26 1.93	0.578 0.493	0.135 0.101	12.63 19.24	1.703 1.952
4	2.32~2.60	1.50 1.41	0.384 0.360	0.064 0.057	5.39 5.90	0.346 0.337
5	2.60~3.32	1.08 0.84	0.275 0.214	0.034 0.021	15.18 6.88	0.521 0.146
6	3.32~3.92	0.40 0.20	0.102 0.051	0.005 0.001	5.70 0.00	0.028 0.000
					$\Sigma Q = 10.423$	

Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_0}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_0 : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1 + \beta \cdot h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4749 \times 1.96) \times 95.50}{2 \times 2.00 \times 10^8 \times 45864 \times 10^{-8} \times 0.4749^3} = 0.00938 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta \cdot h_0) \times P_0}{2 E I \beta^2} \times (H + L_0)$$

$$= \frac{(1 + 2 \times 0.4749 \times 1.96) \times 95.50}{2 \times 2.00 \times 10^8 \times 45864 \times 10^{-8} \times 0.4749^2} \times (2.60 + 1.32) = 0.02587 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_0)^3}{E I}$$

$$= \frac{10.42 \times (2.60 + 1.32)^3}{2.00 \times 10^8 \times 45864 \times 10^{-8}} = 0.00683 \text{ m}$$

Additional displacement δ_4' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_4' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_4' is calculated as 0.00055 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.92 m
 Horizontal load: P = 2.20
 Moment: M = 0.88

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00938 + 0.02587 + 0.00738$$

$$= 0.04263 \text{ m}$$

$$= 42.63 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where

- Displacement at imaginary ground
- Displacement by angle of inclination slope at imaginary ground
- Displacement at higher part of imaginary ground as cantilever
- Displacement at top of SSP
- Allowable displacement

L_No. 08_pp.25

L_No. 08_pp.26

6-4-2 Seismic Condition

Modulus of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~0.32	4.21 4.11	0.975 0.951	0.321 0.309	1.72 2.43	0.552 0.749
2	0.32~1.32	3.67 3.33	0.849 0.772	0.258 0.221	7.14 14.36	1.845 3.175
3	1.32~2.10	2.74 2.48	0.634 0.574	0.159 0.133	11.65 16.14	1.847 2.150
4	2.10~2.32	2.15 2.07	0.497 0.480	0.103 0.097	4.55 4.67	0.469 0.452
5	2.32~2.60	1.91 1.81	0.441 0.420	0.083 0.076	5.95 6.14	0.494 0.465
6	2.60~3.32	1.48 1.24	0.343 0.287	0.052 0.037	15.79 9.43	0.821 0.351
7	3.32~4.32	0.67 0.33	0.154 0.077	0.011 0.003	13.10 0.84	0.148 0.002
					$\Sigma Q = 13.522$	

Y : Height from imaginary riverbed to acting position

α : $\alpha = \frac{Y}{H + L_0}$

ζ : $\zeta = \frac{(3 - \alpha) \times \alpha^2}{6}$

Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

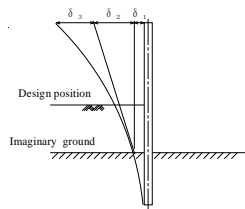
L_0 : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_w (kN)	Q_w (kN)
1	2.10~2.60	2.05 1.89	0.475 0.437	0.095 0.081	0.00 0.21	0.000 0.017
					$\Sigma Q_w = 0.017$	

Therefore, modulus of deformation Q is calculated as below
 $Q = 13.522 + 0.017 = 13.539$

Displacement



$$\delta_1 = \frac{(1 + \beta \cdot h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4849 \times 2.33) \times 121.73}{2 \times 2.00 \times 10^8 \times 45864 \times 10^{-8} \times 0.4849^3} = 0.01241 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta \cdot h_0) \times P_0}{2 E I \beta^2} \times (H + L_0)$$

$$= \frac{(1 + 2 \times 0.4849 \times 2.33) \times 121.73}{2 \times 2.00 \times 10^8 \times 45864 \times 10^{-8} \times 0.4849^2} \times (2.60 + 1.72) = 0.03979 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_0)^3}{E I}$$

$$= \frac{13.54 \times (2.60 + 1.72)^3}{2.00 \times 10^8 \times 45864 \times 10^{-8}} = 0.01190 \text{ m}$$

Additional displacement δ_4' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_4' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_4' is calculated as 0.00234 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.32 m
 Horizontal load: P = 7.60
 Moment: M = 1.14

Displacement δ_{in} of cantilever beam by moment M_0 is additionally considered

$$\delta_{in} = \frac{M_0 \cdot h}{2 E I} \times (2L - h) \quad (L = 4.32 \text{ m, } h = L - H_0, H_0 = 0.80 \text{ m, ただし } h \leq L)$$

$$= \frac{0.50 \times 3.52}{2 \times 2.00 \times 10^8 \times 45864 \times 10^{-8}} \times (2 \times 4.32 - 3.52) = 0.00005 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01241 + 0.03979 + 0.01429$$

$$= 0.06649 \text{ m}$$

$$= 66.49 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ_4' : Displacement at top of SSP
- δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B	=	1.0000 m
Corrosion rate	η	=	1.00
Section efficiency	μ	=	1.00
Young's modulus	E	=	200000 N/mm ²
Inertia sectional moment	I_0	=	63000 cm ⁴ (original condition)
	I	=	63000 cm ⁴ (after reduction by corrosion and section)
	EI	=	$200000 \times 10^3 \times 63000 \times 10^8 = 1.260 \times 10^9$

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_0 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{10} + D$$

$$\beta = 4 \sqrt{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	K_b	=	18659 kN/m ³
Calculated value	β	=	0.43865 m ⁻¹
Penetration length of SSP	D	=	$1.32 + \frac{3}{0.439} = 8.16$ m
Whole length of SSP	L	=	$2.60 - 0.40 + 8.16 = 10.36$ m

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	K_b	=	20281 kN/m ³
Calculated value	β	=	0.44788 m ⁻¹
Penetration length of SSP	D	=	$1.72 + \frac{3}{0.448} = 8.42$ m
Whole length of SSP	L	=	$2.60 - 0.40 + 8.42 = 10.62$ m

Therefore, whole length of SSP is set as 11.00 m in consideration of round unit of SSP length

8 Calculation Result

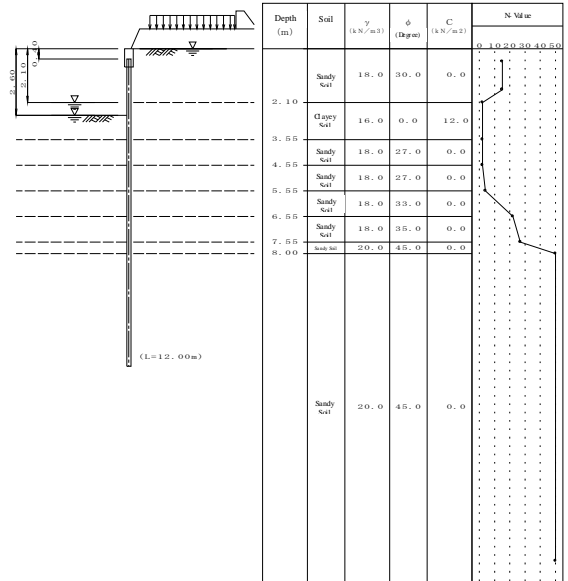
			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	63000		
Section modulus	Z (cm ³)	3150		
Maximum bending moment	M_{max} (kNm/m)		217.74	318.23
Stress intensity	σ (N/mm ²)		76 (180)	111 (270)
Lateral displacement	δ (mm)		42.63 (50.0)	66.49 (75.0)
Penetration depth	D (m)		8.16	8.42
Whole length of SSP	L (m)	11.00		

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Left Bank No 09_STA 7 + 326 - 7 + 444



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Landside WL L_{land} = 0.00 m (Normal Condition)
 L_{land}' = 0.00 m (Seismic Condition)
 Riverside WL L_{river} = 2.60 m (Normal Condition)
 L_{river}' = 2.10 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

L_No.09_pp.1

L_No.09_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^{-3}$
 Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load R = 2.0 kNm (Normal Condition)
 R' = 7.9 kNm (Seismic Condition)
 Depth of acting point H = -0.37 m (Normal Condition)
 H' = -0.18 m (Seismic Condition)
 Moment M_m = 0.0 kNm/m (Normal Condition)
 M_m' = 0.0 kNm/m (Seismic Condition)
 Depth of acting point H_m = 0.00 m (Seismic Condition)
 H_m' = 0.00 m (Normal Condition)
 (*Depth means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula K_s = 6910 × N'^{0.406}

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15			
2	1.00	15			
3	2.10	2			
4	3.55	2			
5	4.55	2			
6	5.55	4			
7	6.55	22			
8	7.55	27			
9	8.00	50			
10	20.00	50			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment share on landside

Vertical load on riverside not considered

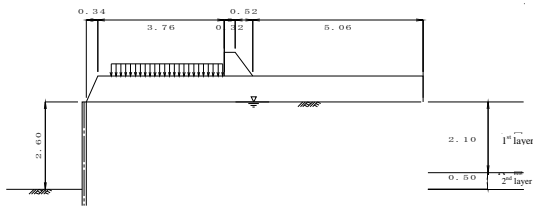
1-7 Soil Modulus

No	Depth (m)	Soil	N value	γ (kNm ⁻³)	γ' (kNm ⁻³)	φ	C (kNm ⁻²)	a	k'	ζ (degree)		kh (kNm ⁻¹)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	3.55	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
3	4.55	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	5.55	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
5	6.55	S	2.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
6	7.55	S	27.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	—	—
7	8.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—
8	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C_s : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction	Angle of wall friction	
	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.34	10.00	10.00	0.77	18.0	30.0	0.0	auto	auto
2	Sandy soil	4.10	4.10	4.42	4.98	0.70	18.0	30.0	0.0	auto	auto

Surcharge load acting on an embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ⁻²)	Seismic (kNm ⁻²)
1	0.74	4.05	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus $E = 200000 \text{ Nmm}^2$
 Inertia sectional moment $I_x = 86000 \text{ cm}^4$
 Sectional factor $Z_x = 3820 \text{ cm}^3$

Corrosion margin $t_s = 1.00 \text{ mm (riverside)}$ $t_b = 1.00 \text{ mm (landside)}$

Corrosion rate (to I_x) $\eta = 0.92$
 Corrosion rate (to Z_x) $\eta = 0.92$
 Section efficiency (to I_x) $\mu = 0.80$
 Section efficiency (to Z_x) $\mu = 1.00$

Round unit of SSP length 0.50 m

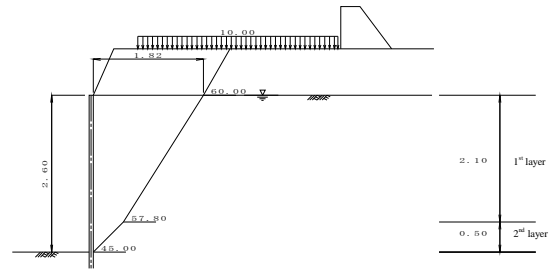
Allowable stress $\sigma_a = 180 \text{ Nmm (Normal)}$
 $\sigma_a' = 270 \text{ Nmm (Seismic)}$

Allowable displacement $\delta_a = 50.0 \text{ mm (Normal)}$
 $\delta_a' = 75.0 \text{ mm (Seismic)}$

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus
 Reduced: I_x applied to calculation of lateral coefficient of subgrade reaction
 Not reduced: I_x applied to calculation of penetration depth
 Reduced: I_x applied to calculation of section forces and displacement
 Reduced: Z_x applied to calculation of stresses

2 Calculation of Acting Load
 2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{hw} (kN/m ²)	Angle of rupture Z (degree)
1	2.60~ 2.10	Clayey Soil	0.0	10.0	12.0	25.00	22.64	25.48	45.00
2	2.10~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	22.64	20.58	57.80
3		Embankment	30.0	—	0.0	26.46	0.00	0.00	60.00

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.50	0.00	0.00	0.50	0.50
2	57.80	2.10	0.50	0.50	1.82	2.60
3	60.00	0.77	1.82	2.60	2.27	3.37

Therefore, width of acting load shall be set as 1.82 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	1.44	25.98
Σ			25.98

γ : unit weight of embankment soil
 A: sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q x l (kN/m)
1	10.0	1.53	15.27
Σ			15.27

Q: surcharge load
 l: width of surcharge load set by line of active rupture

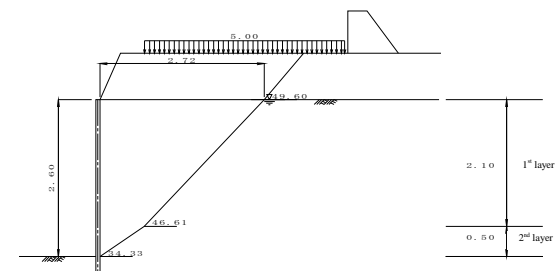
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{25.98 + 15.27 + 0.00}{1.82}$$

$$= 22.64 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{hw} (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60~ 2.10	Clayey Soil	0.0	10.0	12.0	25.00	19.51	25.48	0.200	11.31	34.33
2	2.10~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	19.51	20.58	0.200	11.31	46.61
3		Embankment	30.0	—	0.0	26.46	0.00	0.00	0.200	11.31	49.60

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	34.33	0.50	0.00	0.00	0.73	0.50
2	46.61	2.10	0.73	0.50	2.72	2.60
3	49.60	0.77	2.72	2.60	3.37	3.37

Therefore, width of acting load shall be set as 2.72 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.21	39.85
Σ			39.85

γ : unit weight of embankment soil
 A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	2.63	13.16
Σ			13.16

Q: surcharge load
 l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

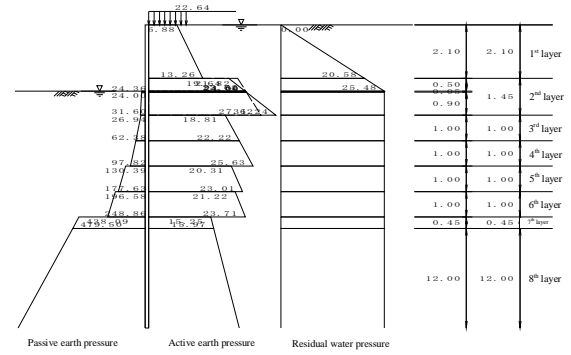
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{39.85 + 13.16 + 0.00}{2.72}$$

$$= 19.51 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_0$ (kN/m ²)	K_a	$K_a \times \cos\delta$
1 0.00~2.10	Sandy soil	10.0	30.0	—	22.636 43.636	0.30847 0.30847	0.30378 0.30378
2 2.10~2.60	Clayey soil	8.0	—	12.0 12.0	43.636 47.636	—	—
3 2.60~2.65	Clayey soil	8.0	—	12.0 12.0	47.636 48.000	—	—
4 2.65~3.55	Clayey soil	8.0	—	12.0 12.0	48.000 55.236	—	—
5 3.55~4.55	Sandy soil	10.0	27.0	—	55.236 65.236	0.34585 0.34585	0.34060 0.34060
6 4.55~5.55	Sandy soil	10.0	27.0	—	65.236 75.236	0.34585 0.34585	0.34060 0.34060
7 5.55~6.55	Sandy soil	10.0	33.0	—	75.236 85.236	0.27412 0.27412	0.26996 0.26996
8 6.55~7.55	Sandy soil	10.0	35.0	—	85.236 95.236	0.25279 0.25279	0.24895 0.24895
9 7.55~8.00	Sandy soil	10.0	45.0	—	95.236 99.736	0.16262 0.16262	0.16015 0.16015
10 8.00~20.00	Sandy soil	10.0	45.0	—	99.736 219.736	0.16262 0.16262	0.16015 0.16015

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_0$ (kN/m ²)	K_p	$K_p \times \cos\delta$
3 2.60~2.65	Clayey soil	8.0	0.0	12.0 12.0	0.000 0.364	—	—
4 2.65~3.55	Clayey soil	8.0	0.0	12.0 12.0	0.364 7.600	—	—
5 3.55~4.55	Sandy soil	10.0	27.0	—	7.600 17.600	3.59892 3.59892	3.54425 3.54425
6 4.55~5.55	Sandy soil	10.0	27.0	—	17.600 27.600	3.59892 3.59892	3.54425 3.54425
7 5.55~6.55	Sandy soil	10.0	33.0	—	27.600 37.600	4.79713 4.79713	4.72425 4.72425
8 6.55~7.55	Sandy soil	10.0	35.0	—	37.600 47.600	5.30876 5.30876	5.22810 5.22810
9 7.55~8.00	Sandy soil	10.0	45.0	—	47.600 52.100	9.34548 9.34548	9.20351 9.20351
10 8.00~20.00	Sandy soil	10.0	45.0	—	52.100 172.100	9.34548 9.34548	9.20351 9.20351

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = -10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure	Passive side
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1 0.00~2.10	6.88 13.26	—	6.88 13.26	0.00 21.58	—
2 2.10~2.60	19.64 23.64	21.82 23.82	21.82 23.82	20.58 25.48	—
3 2.60~2.65	23.64 24.00	23.82 24.00	23.82 24.00	24.00 24.36	—
4 2.65~3.55	24.00 31.24	24.00 27.62	24.00 31.24	25.48 31.60	—
5 3.55~4.55	18.81 22.22	—	18.81 22.22	25.48 62.38	—
6 4.55~5.55	22.22 25.63	—	22.22 25.63	25.48 97.82	—
7 5.55~6.55	20.31 23.01	—	20.31 23.01	25.48 130.39 177.63	—
8 6.55~7.55	21.22 23.71	—	21.22 23.71	25.48 196.58 248.86	—
9 7.55~8.00	15.25 15.97	—	15.25 15.97	25.48 438.09 479.50	—
10 8.00~20.00	15.97 35.19	—	15.97 35.19	25.48 479.50 1583.92	—

Formula for active earth pressure

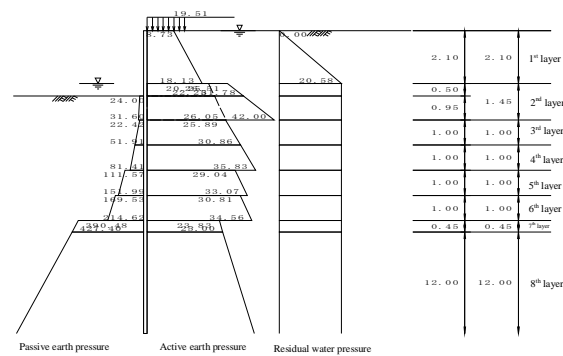
Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos\delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos\delta$

Formula for passive earth pressure

Sandy soil $P_{p1} = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos\delta$
 Clayey soil $P_{p1} = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_{p1} = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos\delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_0$ (kN/m ²)	$\gamma_{sw} w$ (kN/m ²)	k (k)	θ (degree)	K_a	$K_a \times \cos\delta$	θ (degree)
1 0.00~2.10	Sandy Soil	10.0	30.0	—	19.51 40.51	0.00 20.58	0.200 0.200	11.31 11.31	0.45442 0.45442	0.44752 0.44752	—
2 2.10~2.60	Clayey Soil	8.0	—	12.0 12.0	40.51 44.51	20.58 25.48	0.200 0.200	11.31 11.31	—	—	35.26 34.33
3 2.60~2.65	Clayey Soil	8.0	—	12.0 12.0	44.51 52.11	25.48 34.79	0.200 0.200	11.31 11.31	—	—	34.33 32.41
4 3.55~4.55	Sandy Soil	10.0	27.0	—	52.11 62.11	34.79 44.59	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	—
5 4.55~5.55	Sandy Soil	10.0	27.0	—	62.11 72.11	44.59 54.39	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	—
6 5.55~6.55	Sandy Soil	10.0	33.0	—	72.11 82.11	54.39 64.19	0.200 0.200	11.31 11.31	0.40899 0.40899	0.40278 0.40278	—

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma\gamma h+Q$ (kNm ⁻²)	γ_{wb} (kNm ⁻³)	k (k)	θ (degree)	K_a	$K_a \times \cos\delta$	θ (degree)
7 6.55~7.55	Sandy Soil	10.0	35.0	---	82.11 92.11	64.19 73.99	0.200	11.31	0.38098 0.38098	0.37519 0.37519	---
8 7.55~8.00	Sandy Soil	10.0	45.0	---	92.11 96.61	73.99 78.40	0.200	11.31	0.26273 0.26273	0.25874 0.25874	---
9 8.00~20.00	Sandy Soil	10.0	45.0	---	96.61 216.61	78.40 196.00	0.200	11.31	0.26273 0.26273	0.25874 0.25874	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of dayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan\theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma\gamma h+Q_p$ (kNm ⁻²)	γ_{wb} (kNm ⁻³)	k (k)	θ (degree)	K_p	$K_p \times \cos\delta$
3 2.60~3.55	Clayey soil	8.00	0.0	12.0 12.0	0.000 7.600	0.00 9.31	0.200	11.31	---	---
4 3.55~4.55	Sandy soil	10.00	27.0	---	7.600 17.600	9.31 19.11	0.200	11.31	2.99498 2.99498	2.94948 2.94948
5 4.55~5.55	Sandy soil	10.00	27.0	---	17.600 27.600	19.11 28.91	0.200	11.31	2.99498 2.99498	2.94948 2.94948
6 5.55~6.55	Sandy soil	10.00	33.0	---	27.600 37.600	28.91 38.71	0.200	11.31	4.10466 4.10466	4.04230 4.04230
7 6.55~7.55	Sandy soil	10.00	35.0	---	37.600 47.600	38.71 48.51	0.200	11.31	4.57827 4.57827	4.50872 4.50872
8 7.55~8.00	Sandy soil	10.00	45.0	---	47.600 52.100	48.51 52.92	0.200	11.31	8.33000 8.33000	8.20345 8.20345
9 8.00~20.00	Sandy soil	10.00	45.0	---	52.100 172.100	52.92 170.52	0.200	11.31	8.33000 8.33000	8.20345 8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = -10.00, \beta = 0.00, \theta = \tan^{-1}k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 kNm ⁻²	Pa2 kNm ⁻²	Pa kNm ⁻²		
1	0.00~2.10	8.73 18.13	---	8.73 18.13	0.00 20.58	---
2	2.10~2.60	26.51 31.78	20.25 22.25	26.51 31.78	20.58 20.58	---
3	2.60~3.55	31.78 42.00	22.25 26.05	31.78 42.00	20.58 20.58	24.00 31.60
4	3.55~4.55	25.89 30.86	---	25.89 30.86	20.58 20.58	22.42 51.91
5	4.55~5.55	30.86 35.83	---	30.86 35.83	20.58 20.58	51.91 81.41
6	5.55~6.55	29.04 33.07	---	29.04 33.07	20.58 20.58	111.57 151.99
7	6.55~7.55	---	---	30.81 34.56	20.58 20.58	169.53 214.62
8	7.55~8.00	---	---	23.83 25.00	20.58 20.58	390.48 427.40
9	8.00~20.00	25.00 56.04	---	25.00 56.04	20.58 20.58	427.40 1411.81

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos\delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos\delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos\delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos\delta$

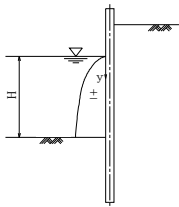
3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	W.L. y (m)	P_{dw} (kNm ⁻²)
1	2.10 2.60	0.00 0.50	0.00 0.86

$$P_{dw} = \pm \frac{7}{8} k_{dw} \cdot \gamma_w \cdot \sqrt{H} \cdot y$$

Where,

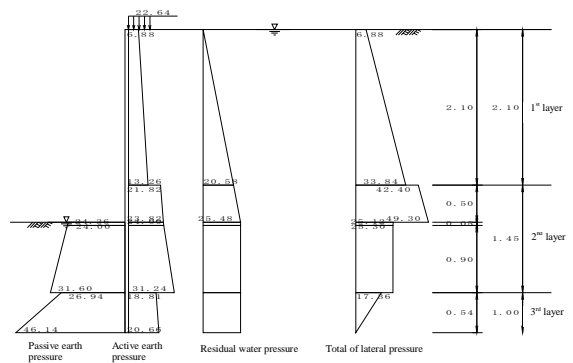
- k_{dw} : design seismic coefficient
- γ_w : unit weight of water
- H: water depth of riverside
- y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L_i is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

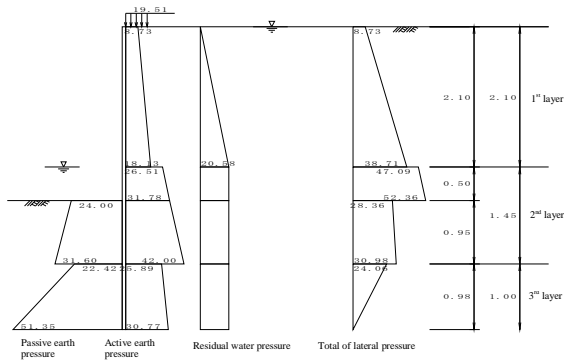


Depth (m)	Pa kNm ⁻²	Pw kNm ⁻²	Pp kNm ⁻²	P _t kNm ⁻²
1 0.00~2.10	6.88 13.26	0.00 20.58	---	6.88 33.84
2 2.10~2.60	21.82 23.82	20.58 25.48	---	42.40 49.30
3 2.60~2.65	23.82 24.00	25.48 25.48	24.00 34.36	25.20 25.12
4 2.65~3.55	24.00 31.24	25.48 25.48	24.36 31.60	25.12 25.12
5 3.55~4.09	18.81 20.66	25.48 25.48	26.94 46.14	17.36 0.00
6 4.09~4.55	20.66 22.22	25.48 25.48	46.14 62.38	0.00 -14.68

- P_a : Active earth pressure
- P_w : Residual water pressure
- P_p : Passive earth pressure
- P_t : Lateral pressure $P_t = P_a + P_w - P_p$

Imaginary riverbed L_i : 1.49 m (G.L. -4.09 m)

4-2 Seismic Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1 0.00~2.10	8.73 18.13	0.00 20.58	— —	8.73 38.71
2 2.10~2.60	26.51 31.78	20.58 20.58	— —	47.09 52.36
3 2.60~3.55	31.78 42.00	20.58 20.58	24.00 31.60	28.36 30.98
4 3.55~4.53	25.89 30.77	20.58 20.58	22.42 51.35	24.06 0.00
5 4.53~4.55	30.77 30.86	20.58 20.58	51.35 51.91	0.00 -0.47

Pa : Active earth pressure
 Pw : Residual water pressure
 Pp : Passive earth pressure
 Ps : Lateral pressure Ps = Pa + Pw - Pp

Imaginary riverbed L_i: 1.93 m (CL -4.53 m)

L_No.09_pp.17

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average Nvalue from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below:

$$K_h = 6910 \times N^{0.896}$$

where,

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4EI}}$$

Unit width B = 1.0000 m
 Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.92
 Section efficiency η = 0.80
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 86000 cm⁴ (original condition)
 I = 63296 cm⁴ (after reduction by corrosion on section)
 Inertia sectional moment EI = 200000 × 10³ × 63296 × 10⁻⁸ = 1.266 × 10⁷

Depth (m)	N value
1 0.50	15
2 1.00	15
3 2.10	2
4 3.55	2
5 4.55	2
6 5.55	4
7 6.55	22
8 7.55	27
9 8.00	50
10 20.00	50

5-2 Normal Condition

K_s = 14884 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4EI}}$$

$$= 0.414 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.42 \text{ m}$$

Therefore, average Nvalue is calculated on the actual Nvalue from imaginary riverbed (CL -4.09 m) to 2.42 m depth (CL -6.51 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1 4.09	0.46	2.0	2.0	0.92
2 4.55	1.00	2.0	4.0	3.00
3 5.55	0.96	4.0	21.2	12.07

$$L = \sum h = 2.42$$

$$\sum A = 15.98$$

$$A = (\text{upper Nvalue} + \text{lower Nvalue}) \times h/2$$

$$\text{average nvalue } N' = \frac{\sum A}{L} = \frac{15.98}{2.42} = 6.62$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following

$$K_h = 6910 \times N'^{0.896} = 6910 \times 6.62^{0.896} = 14884 \text{ kN/m}^3$$

$$Kh \text{ (normal condition)} = 14884 \text{ kNm}^3$$

5-3 Seismic Condition

K_s = 12470 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4EI}}$$

$$= 0.431 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.32 \text{ m}$$

Therefore, average Nvalue is calculated on the actual Nvalue from imaginary riverbed (CL -4.53 m) and 2.32 m depth (CL -6.85 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1 4.53	0.02	2.0	2.0	0.04
2 4.55	1.00	2.0	4.0	3.00
3 5.55	1.00	4.0	22.0	13.00
4 6.55	0.30	22.0	23.5	6.83

$$L = \sum h = 2.32$$

$$\sum A = 22.87$$

$$A = (\text{upper Nvalue} + \text{lower Nvalue}) \times h/2$$

$$\text{average nvalue } N' = \frac{\sum A}{L} = \frac{22.87}{2.32} = 9.86$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following

$$K_h = 6910 \times N'^{0.896} = 6910 \times 9.86^{0.896} = 17499 \text{ kN/m}^3$$

$$Kh \text{ (seismic condition)} = 17499 \text{ kNm}^3$$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Elevation h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force Ps (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00~2.10	2.10	6.88 33.84	7.22 35.53	3.39 2.69	24.49 95.63
2 2.10~2.60	0.50	42.40 49.30	10.60 12.52	1.83 1.66	19.35 20.44
3 2.60~2.65	0.05	25.30 25.12	0.57 0.57	1.48 1.46	0.85 0.83
4 2.65~3.55	0.90	25.12 25.12	11.36 11.36	1.14 0.84	13.00 9.58
5 3.55~4.09	0.54	17.36 0.00	4.70 0.00	0.36 0.18	1.70 0.00
			$\sum P = 94.24$		$\sum M = 185.87$

P₀ : active earth pressure + residual water pressure - passive earth pressure
 P : load P₀ × h/2 × B

B : unit width = 1.000 m

Y : height of acting position from imaginary riverbed

M : moment by load P × Y

Arbitrary load lateral load P = 2.0 kNm
 depth to acting position H = -0.37 m
 moment M₀ = -0.37 kNm/m

depth to acting position H₀ = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed I₀ = 1.49 m

Moment M₀ by arbitrary load is as below
 M₀ = P₀(H + I₀ - H_{0}) + M₀ = 8.92 kNm}

h₀ : Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_0}{\sum P + P_0} = \frac{194.80}{96.24} = 2.02 \text{ m}$$

6-1-2 Seismic Condition

No	Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M ₀ (kNm)
1	0.00~2.10	2.10	8.73 38.71	9.17 40.64	3.83 3.13	35.12 127.25
2	2.10~2.60	0.50	47.09 52.36	11.77 13.09	2.26 2.10	26.66 27.46
3	2.60~3.55	0.95	28.36 31.98	13.47 14.72	1.61 1.30	21.74 19.10
4	3.55~4.53	0.98	24.06 0.00	11.80 0.00	0.65 0.33	7.72 0.00
			ΣP = 114.66		ΣM = 265.04	

P : active earth pressure + residual water pressure - massive earth pressure
 P : load P_s x h² x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P = 7.9 kNm
 depth to acting position H = -0.18 m
 moment M₀ = 0.0 kNm/m
 depth to acting position H = 0.00 m
 Height from riverbed to top of cone H = 2.60 m
 Depth of imaginary riverbed from riverbed L = 1.93 m

Moment M₀ by arbitrary load is as below
 M = P x (H + L - H) + M₀ = 37.22 kN-m

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _{sw} (kN/m ²)	Load P _{sw} (kN)	Arm length Y (m)	Moment M _{sw} (kNm)
1	2.10~2.60	0.50	0.0 0.9	0.00 0.21	2.26 2.10	0.00 0.45
			ΣP _{sw} = 0.21		ΣM _{sw} = 0.45	

h₀ Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_i + \sum M_{sw}}{\sum P + P_i + \sum P_{sw}} = \frac{302.71}{122.77} = 2.47 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width B = 1.0000 m
 Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.92
 Section efficiency μ = 0.80
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 86000 cm⁴ (original condition)
 I = 63296 cm⁴ (after reduction by corrosion and section)
 Π = 200000 × 10³ × 63296 × 10⁸ = 1.266 × 10¹⁸

L_No. 09_pp.21

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{232.20 \times 10^6}{3514 \times 10^3} = 66 \text{ N/mm}^2 \leq \sigma_s = 180 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{342.88 \times 10^6}{3514 \times 10^3} = 98 \text{ N/mm}^2 \leq \sigma_s = 270 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.39 2.69	0.829 0.658	0.249 0.169	7.22 6.002
2	2.10~2.60	1.83 1.66	0.446 0.405	0.085 0.071	10.60 8.876
3	2.60~3.55	1.48 1.46	0.361 0.357	0.057 0.056	0.57 0.032
4	3.55~4.53	1.14 0.84	0.280 0.206	0.035 0.020	11.36 0.403
5	4.53~5.51	0.36 0.18	0.088 0.044	0.004 0.001	4.70 0.000
					ΣQ = 10.281

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_1}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : ζ x P
 P : Lateral force
 H : Depth to design position
 L₁ : Depth from design position to imaginary ground

$$\beta = 4\sqrt{\frac{K_b \cdot B}{4EI}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$I_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$I_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction K = 14884 kNm³
 calculated value β = 0.41406 m⁻¹
 resultant earth force (lateral) P₀ = 96.24 kNm
 height of acting position of load h₀ = 2.02 m
 moment M₀ = 194.80 kN-m/m

in consideration of ψ_{0a} = 1.192
 maximum moment M_{max} = 232.20 kN-m/m
 depth of generated position of M_{max} L = 0.864 m
 depth of fixed point l = 2.760 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction K = 17499 kNm³
 calculated value β = 0.43116 m⁻¹
 resultant earth force (lateral) P₀ = 122.77 kNm
 height of acting position of load h₀ = 2.47 m
 moment M₀ = 302.71 kN-m/m

in consideration of ψ_{0a} = 1.133
 maximum moment M_{max} = 342.88 kN-m/m
 depth of generated position of M_{max} L = 0.718 m
 depth of fixed point l = 2.540 m

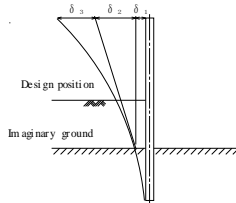
6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.92
 Section efficiency μ = 1.00
 Modulus of section Z₀ = 3820 cm³ (original condition)
 Z = 3514 cm³ (after reduction by corrosion and section)

L_No. 09_pp.22

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2EI\beta^3}$$

$$= \frac{(1+0.4141 \times 2.02) \times 96.24}{2 \times 2.00 \times 10^8 \times 63296 \times 10^8 \times 0.4141^3} = 0.00984 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2EI\beta^2} \times (H+L)$$

$$= \frac{(1+2 \times 0.4141 \times 2.02) \times 96.24}{2 \times 2.00 \times 10^8 \times 63296 \times 10^8 \times 0.4141^2} \times (2.60+1.49) = 0.02428 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L)^3}{EI}$$

$$= \frac{10.28 \times (2.60+1.49)^3}{2.00 \times 10^8 \times 63296 \times 10^8} = 0.00556 \text{ m}$$

Additional displacement δ₃' generated by horizontal load (P) and moment (M) acting at top of SSP considered

$$\delta_3' = \frac{PL^3}{3EI} + \frac{ML^2}{2EI}$$

δ₃' is calculated as 0.00041 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.09 m
 Horizontal load: P = 2.00
 Moment: M = 0.74

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00984 + 0.02428 + 0.00559$$

$$= 0.04009 \text{ m}$$

$$= 40.09 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where

Displacement at imaginary ground
 Displacement by angle of inclination slope at imaginary ground
 Displacement at higher part of imaginary ground as cantilever
 Displacement at top of SSP
 Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.83 3.13	0.846 0.691	0.257 0.184	9.17 40.64	2.353 7.469
2	2.10~2.60	2.26 2.10	0.500 0.463	0.104 0.091	11.77 13.09	1.225 1.186
3	2.60~3.55	1.61 1.30	0.356 0.286	0.056 0.037	13.47 14.72	0.753 0.546
4	3.55~4.53	0.65 0.33	0.144 0.072	0.010 0.003	11.80 0.00	0.117 0.000
$\Sigma Q = 13.649$						

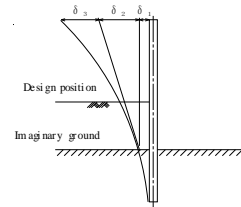
Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_s}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_s : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1	2.10~2.60	2.26 2.10	0.500 0.463	0.104 0.091	0.00 0.21	0.000 0.019
$\Sigma Q_w = 0.019$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 13.649 + 0.019 = 13.669$

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4312 \times 2.47) \times 122.77}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4312^3} = 0.01248 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_s)$$

$$= \frac{(1 + 2 \times 0.4312 \times 2.47) \times 122.77}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4312^2} \times (2.60 + 1.93) = 0.03695 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_s)^3}{E I}$$

$$= \frac{13.67 \times (2.60 + 1.93)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.01004 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P \cdot L^3}{3 E I} + \frac{M \cdot L^2}{2 E I}$$

δ_3' is calculated as 0.00205 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.53 m
 Horizontal load: P = 7.90
 Moment: M = 1.42

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01248 + 0.03695 + 0.01209$$

$$= 0.06152 \text{ m}$$

$$= 61.52 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 86000 cm ⁴ (original condition)
	I = 86000 cm ⁴ (after reduction by corrosion and section)
EI	= 200000 × 10 ³ × 86000 × 10 ⁸ = 1.720 × 10 ⁹

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_s, penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_s + \frac{3}{\beta}$$

$$L = H - H_{ic} + D$$

$$\beta = 4 \sqrt{\frac{K_b + B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction	K _b = 14884 kN/m ³
Calculated value	$\beta = 0.38352 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.49 + \frac{3}{0.384} = 9.31 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.31 = 11.51 \text{ m}$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction	K _b = 17499 kN/m ³
Calculated value	$\beta = 0.39935 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.93 + \frac{3}{0.399} = 9.44 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.44 = 11.64 \text{ m}$

Therefore, whole length of SSP is set as 12.00 m in consideration of round unit of SSP length

8 Calculation Result

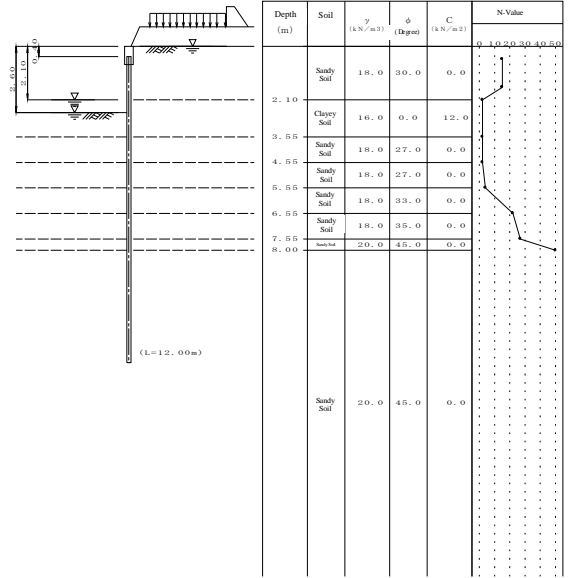
		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	86000	
Section modulus	Z (cm ³)	3820	
Maximum bending moment	M _{max} (kNm/m)	232.20	342.88
Stress intensity	σ (N/mm ²)	66 (180)	98 (270)
Lateral displacement	δ (mm)	40.09 (50.0)	61.52 (75.0)
Penetration depth	D (m)	9.31	9.44
Whole length of SSP	L (m)	12.00	

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Left Bank No_10_STA 7+494 - 7+514



1-2 Dimensions of Structure

Depth from coping top to riverbed	H = 2.60 m
Depth from coping top to rear side ground	H _r = 0.00 m
Depth from coping top to SSP top	H _s = 0.40 m
Land side WL	L _{land} = 0.00 m (Normal Condition)
	L _{land} ' = 0.00 m (Seismic Condition)
River side WL	L _{river} = 2.60 m (Normal Condition)
	L _{river} ' = 2.10 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

L_No_10_pp 1

L_No_10_pp 2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^{-3}$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition, - Seismic Condition
 Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load	Horizontal load	P _t = 2.0 kNm (Normal Condition)
		P _r = 7.9 kNm (Seismic Condition)
	Depth of acting point	H _t = -0.37 m (Normal Condition)
		H _r = -0.19 m (Seismic Condition)
	Moment	M _m = 0.0 kNm/m (Normal Condition)
		M _s = 0.0 kNm/m (Seismic Condition)
	Depth of acting point	H _m = 0.00 m (Seismic Condition)
		H _s = 0.00 m (Normal Condition)

(*Depth means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.406}$
 Average N value calculated from average N value between imaginary riverbed and depth as $1/\beta$

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15			
2	1.00	15			
3	2.10	2			
4	3.55	2			
5	4.55	2			
6	5.55	4			
7	6.55	22			
8	7.55	27			
9	8.00	50			
10	20.00	50			

1-6 Vertical Load

Vertical load on land side calculated in consideration of embankment share on land side

Vertical load on river side not considered

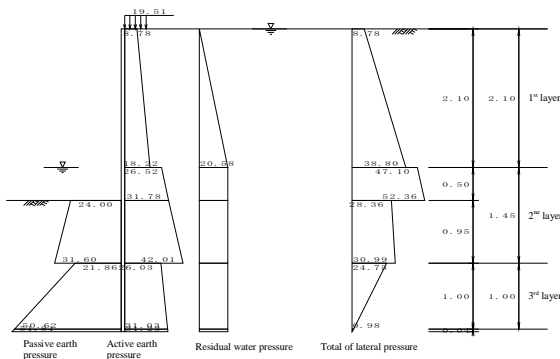
1-7 Soil Modulus

No	Depth (m)	Soil	N value	γ (kNm ⁻³)	γ' (kNm ⁻³)	ϕ	C (kNm ⁻²)	a	k'	ζ (degree)		kh (kNm ⁻¹)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	3.55	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
3	4.55	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	5.55	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
5	6.55	S	2.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
6	7.55	S	27.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	—	—
7	8.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—
8	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed(M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C_0 : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction		
Angle of wall friction	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

4-2 Seismic Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Pt kNm ²
1 0.00~2.10	8.78 18.22	0.00 20.58	— —	8.78 38.80
2 2.10~2.60	26.52 31.78	20.58 20.58	— —	47.10 52.36
3 2.60~3.55	31.78 42.01	20.58 20.58	24.00 31.60	28.36 30.99
4 3.55~4.55	26.03 31.03	20.58 20.58	21.86 30.62	24.75 0.98
5 4.55~4.59	31.03 31.23	20.58 20.58	50.62 51.81	0.98 0.00
6 4.59~5.55	31.23 36.02	20.58 20.58	51.81 79.38	0.00 -22.78

Pa : Active earth pressure
 Pw : Residual water pressure
 Pp : Passive earth pressure
 Pt : Lateral pressure Pt = Pa + Pw - Pp

Imaginary riverbed Lg: 1.99 m (CL -4.59 m)

L_No. 10_pp.17

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below;

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width B = 1.0000 m
 Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.92
 Section efficiency μ = 0.80
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 86000 cm⁴ (original condition)
 I = 63296 cm⁴ (after reduction on corrosion on section)
 Inertia sectional moment H = 200000 × 10³ × 63296 × 10⁻⁸ = 1.266 × 10⁷

Depth (m)	N value
1 0.50	15
2 1.60	15
3 2.10	2
4 3.55	2
5 4.55	2
6 5.55	4
7 6.55	22
8 7.55	27
9 8.00	30
10 20.00	30

5-2 Normal Condition

K_s = 15176 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.416 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.40 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (CL -4.14 m) to 2.40 m depth (CL -6.54 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1 4.14	0.41	2.0	2.0	0.82
2 4.55	1.00	2.0	4.0	3.00
3 5.55	0.99	4.0	21.9	12.87

L = Σh = 2.40 ΣA = 16.69

A (upper N value + lower N value) × h/2

L_No. 10_pp.18

Average N-value $N' = \frac{\Sigma A}{L} = \frac{16.69}{2.40} = 6.94$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:
 K_s = 6910 × N^{0.496} = 6910 × 6.94^{0.496} = 15176 kN/m³
 Kh (normal condition) = 15176 kNm³

5-3 Seismic Condition

K_s = 17851 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.433 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.31 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (CL -4.59 m) and 2.31 m depth (CL -6.90 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1 4.59	0.96	2.1	4.0	2.92
2 5.55	1.00	4.0	22.0	13.00
3 6.55	0.35	22.0	23.7	7.99

L = Σh = 2.31 ΣA = 23.90

A (upper N value + lower N value) × h/2

Average N-value $N' = \frac{\Sigma A}{L} = \frac{23.90}{2.31} = 10.36$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:
 K_s = 6910 × N^{0.496} = 6910 × 10.36^{0.496} = 17851 kN/m³
 Kh (seismic condition) = 17851 kNm³

L_No. 10_pp.19

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Elevation h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00~2.10	2.10	6.93 33.95	7.28 38.65	3.44 2.74	28.05 97.69
2 2.10~2.60	0.50	42.39 49.29	10.60 12.52	1.87 1.71	99.86 21.04
3 2.60~2.65	0.05	25.29 25.11	0.59 0.58	1.53 1.51	0.89 0.88
4 2.65~3.55	0.90	25.11 25.11	11.35 11.35	1.19 0.89	13.54 10.12
5 3.55~4.14	0.59	18.30 0.00	5.40 0.00	0.39 0.20	2.13 0.00
		ΣP = 95.11	ΣM = 191.19		

P₀ : active earth pressure + residual water pressure - passive earth pressure
 P : load P₀ × h/2 × B

B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P × Y

Arbitrary load lateral load P₀ = 2.0 kNm
 depth to acting position H₀ = -0.37 m
 moment M₀ = 0.0 kNm/m
 depth to acting position H_m = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed L_g = 1.54 m

Moment M₀ by arbitrary load is as below
 M₀ = P₀(H + L_g - H₀) + M_m = 9.02 kNm

h₀ : Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{200.21}{97.11} = 2.06 \text{ m}$$

L_No. 10_pp.20

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.89	0.848	0.258	9.22	2.375
		3.19	0.695	0.186	40.74	7.562
2	2.10~2.60	2.32	0.506	0.107	11.77	1.254
		2.16	0.470	0.095	13.09	1.219
3	2.60~3.55	1.67	0.365	0.058	13.47	0.787
		1.36	0.296	0.039	14.72	0.580
4	3.55~4.55	0.71	0.154	0.011	12.38	0.140
		0.37	0.082	0.003	0.49	0.002
5	4.55~4.99	0.03	0.006	0.000	0.02	0.000
		0.01	0.003	0.000	0.00	0.000
$\Sigma Q = 13.920$						

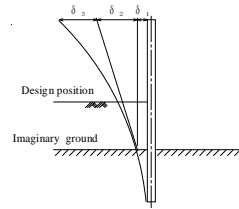
Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_1}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L₁ : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_{sw} (kN)	Q_{sw} (kN)
1	2.10~2.60	2.32	0.506	0.107	0.00	0.000
		2.16	0.470	0.095	0.21	0.020
$\Sigma Q_{sw} = 0.020$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 13.920 + 0.020 = 13.940$

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4333 \times 2.51) \times 124.02}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4333^3} = 0.01257 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_1)$$

$$= \frac{(1 + 2 \times 0.4333 \times 2.51) \times 124.02}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4333^2} \times (2.60 + 1.99) = 0.03803 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I}$$

$$= \frac{13.94 \times (2.60 + 1.99)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.01066 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P \cdot L^3}{3 E I} + \frac{M \cdot L^2}{2 E I}$$

δ_3' is calculated as 0.00214 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.59 m
 Horizontal load: P = 7.90
 Moment: M = 1.50

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01257 + 0.03803 + 0.01280$$

$$= 0.06339 \text{ m}$$

$$= 63.39 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	$I_0 = 86000 \text{ cm}^4$ (original condition)
	$I = 86000 \text{ cm}^4$ (after reduction by corrosion and section)
$EI = 200000 \times 10^3 \times 86000 \times 10^{-8}$	$= 1.720 \times 10^8$

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L₁, penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_1 + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = 4 \sqrt{\frac{K_s \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	$K_s = 15176 \text{ kN/m}^3$
Calculated value	$\beta = 0.38538 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.54 + \frac{3}{0.385} = 9.33 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.33 = 11.53 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	$K_s = 17851 \text{ kN/m}^3$
Calculated value	$\beta = 0.40135 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.99 + \frac{3}{0.401} = 9.47 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.47 = 11.67 \text{ m}$

Therefore, whole length of SSP is set as 12.00 m in consideration of round unit of SSP length

8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	86000		
Section modulus	Z (cm ³)	3820		
Maximum bending moment	M _{max} (kNm/m)		237.31	351.09
Stress intensity	σ (Nmm ²)		68 (180)	100 (270)
Lateral displacement	δ (mm)		41.11 (50.0)	63.39 (75.0)
Penetration depth	D (m)		9.33	9.47
Whole length of SSP	L (m)	12.00		

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B	=	1.0000 m
Corrosion rate	η	=	1.00
Section efficiency	μ	=	1.00
Young's modulus	E	=	200000 N/mm ²
Inertia sectional moment	I_0	=	63000 cm ⁴ (original condition)
	I	=	63000 cm ⁴ (after reduction by corrosion and section)
	H	=	$200000 \times 10^3 \times 63000 \times 10^8$
		=	1.260×10^9

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_0 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{10} + D$$

$$\beta = 4\sqrt{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction
Calculated value

$$K_b = 17770 \text{ kN/m}^3$$

$$\beta = 0.43333 \text{ m}^{-1}$$

Penetration length of SSP

$$D = 1.38 + \frac{3}{0.433} = 8.30 \text{ m}$$

Whole length of SSP

$$L = 2.60 - 0.40 + 8.30 = 10.50 \text{ m}$$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction
Calculated value

$$K_b = 17996 \text{ kN/m}^3$$

$$\beta = 0.43470 \text{ m}^{-1}$$

Penetration length of SSP

$$D = 1.65 + \frac{3}{0.435} = 8.56 \text{ m}$$

Whole length of SSP

$$L = 2.60 - 0.40 + 8.56 = 10.76 \text{ m}$$

Therefore, whole length of SSP is set as 11.00 m in consideration of round unit of SSP length

8 Calculation Result

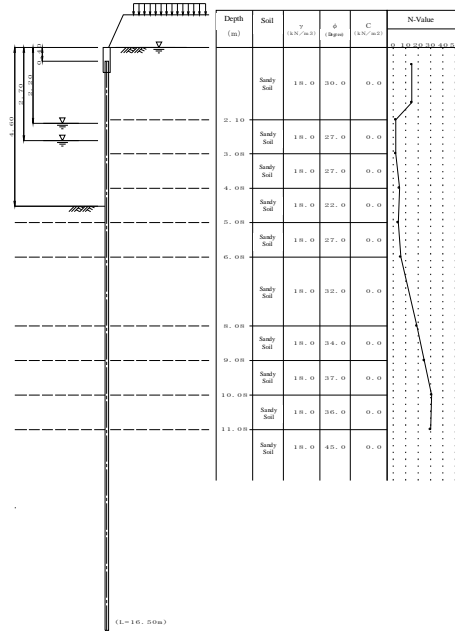
			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	63000		
Section modulus	Z (cm ³)	3150		
Maximum bending moment	M _{max} (kNm/m)		231.52	331.72
Stress intensity	σ (N/mm ²)		81 (180)	116 (270)
Lateral displacement	δ (mm)		46.51 (50.0)	70.08 (75.0)
Penetration depth	D (m)		8.30	8.56
Whole length of SSP	L (m)	11.00		

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Left Bank No. 12_STA 12+024 - 12+173



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 4.60 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Reverse WL L_{rev} = 0.00 m (Normal Condition)
 L_{rev}' = 0.00 m (Seismic Condition)
 Landside WL L_{top} = 2.70 m (Normal Condition)
 L_{top}' = 2.20 m (Seismic Condition)
 Imaginary riverbed calculated in consideration of geotechnical conditions

L_No.12_pp.1

L_No.12_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depth $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^{-3}$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition
 Design earthquake intensity k = 0.200
 Dynamic water pressure due to earthquake considered as distributed load

Arbitrarv load Horizontal load R = 2.6 kNm (Normal Condition)
 R' = 9.1 kNm (Seismic Condition)
 Depth of acting point H = -0.45 m (Normal Condition)
 H' = -0.28 m (Seismic Condition)
 Moment M_m = 0.0 kNm/m (Normal Condition)
 M_m' = 0.0 kNm/m (Seismic Condition)
 Depth of acting point H_m = 0.00 m (Normal Condition)
 H_m' = 0.00 m (Normal Condition)
 (*Depth means distance from top of coping)

Wind load Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.006}$
 Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.50	15	11	11.08	30
2	1.60	15	12	12.08	50
3	2.10	2			
4	3.08	2			
5	4.08	5			
6	5.08	4			
7	6.08	6			
8	8.08	19			
9	9.08	25			
10	10.08	31			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside
 Vertical load on riverside not considered

1-7 Soil Modulus

No	Depth (m)	Soil	N-value	γ (kNm ⁻³)	γ' (kNm ⁻³)	ϕ	C (kNm ⁻²)	a	k'	ζ (degree)		kh (kNm ⁻¹)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	3.08	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
3	4.08	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	5.08	S	4.0	18.00	10.00	22.0	0.0	0.0	0.200	auto	auto	—	—
5	6.08	S	6.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
6	8.08	S	19.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	—	—
7	9.08	S	25.0	18.00	10.00	34.0	0.0	0.0	0.200	auto	auto	—	—
8	10.08	S	31.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
9	11.08	S	30.0	18.00	10.00	36.0	0.0	0.0	0.200	auto	auto	—	—
10	12.08	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed(M)
 N-value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 kNm ²	Pa2 kNm ²	Pu kNm ²		
10	8.25~9.25	45.80 50.12	—	45.80 50.12	21.56 21.56	197.98 234.31
11	9.25~10.25	43.52 47.27	—	43.52 47.27	21.56 21.56	290.81 335.90
12	10.25~11.25	47.27 51.02	—	47.27 51.02	21.56 21.56	335.90 380.99
13	11.25~12.25	51.02 54.77	—	51.02 54.77	21.56 21.56	380.99 426.07
14	12.25~13.25	54.77 58.52	—	54.77 58.52	21.56 21.56	426.07 476.58
15	13.25~14.25	58.52 62.27	—	58.52 62.27	21.56 21.56	476.58 527.01
16	14.25~15.25	62.27 66.02	—	62.27 66.02	21.56 21.56	527.01 577.44
17	15.25~16.25	66.02 69.77	—	66.02 69.77	21.56 21.56	577.44 627.87
18	16.25~17.25	69.77 73.52	—	69.77 73.52	21.56 21.56	627.87 678.30
19	17.25~18.25	73.52 77.27	—	73.52 77.27	21.56 21.56	678.30 728.73
20	18.25~19.25	77.27 81.02	—	77.27 81.02	21.56 21.56	728.73 779.16
21	19.25~20.25	81.02 84.77	—	81.02 84.77	21.56 21.56	779.16 829.59
22	20.25~21.25	84.77 88.52	—	84.77 88.52	21.56 21.56	829.59 880.02

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\sum \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \sum \gamma h + Q - 2C$
 $P_{a1} = K_a \cdot (\sum \gamma h + Q)$
 K_c : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\sum \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\sum \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \sum \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\sum \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P _w (kNm ²)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

$$p_w = \pm \frac{7}{8} k_{hs} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

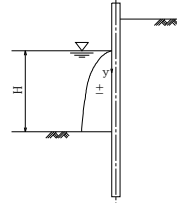
Where,

k_{hs}: design seismic coefficient

γ_w: unit weight of water

H: water depth of river side

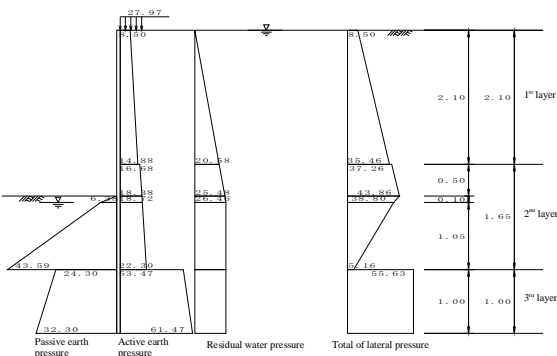
y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level I_q is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

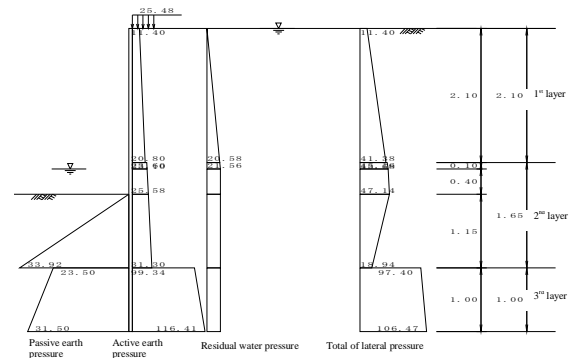


Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	P _s kNm ²
1	0.00~14.88	8.50 20.58	—	8.50 35.46
2	2.10~2.60	16.68 25.48	—	37.26 43.86
3	2.60~2.70	18.38 26.46	0.00 6.38	43.86 38.80
4	2.70~3.75	18.72 22.30	26.46 26.46	6.38 43.59
5	3.75~4.75	53.47 61.47	26.46 26.46	24.30 32.30
6	4.75~5.25	22.32 23.84	26.46 26.46	82.83 103.23

P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 P_s: Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed I_q: 2.15 m (CL -4.75 m)

4-2 Seismic Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	P _s kNm ²
1	0.00~2.10	11.40 20.80	0.00 20.58	11.40 41.38
2	2.10~2.20	23.10 23.60	20.58 21.56	43.68 45.16
3	2.20~2.60	23.60 25.58	21.56 21.56	45.16 47.14
4	2.60~3.75	25.58 31.30	21.56 21.56	0.00 33.92
5	3.75~4.75	99.34 116.41	21.56 21.56	23.50 31.50
6	4.75~5.25	31.77 34.00	21.56 21.56	67.20 84.44

P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 P_s: Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed I_q: 2.15 m (CL -4.75 m)

$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.3695 \times 1.81) \times 228.30}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8} \times 0.3695^3} = 0.01442 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_0)$$

$$= \frac{(1 + 2 \times 0.3695 \times 1.81) \times 228.30}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8} \times 0.3695^2} \times (2.60 + 2.15) = 0.03544 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L)^3}{E I}$$

$$= \frac{16.47 \times (2.60 + 2.15)^3}{2.00 \times 10^8 \times 130900 \times 10^{-8}} = 0.00674 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00149 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.75 m
 Horizontal load: P = 9.90
 Moment: M = 3.27

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01442 + 0.03544 + 0.00823$$

$$= 0.05810 \text{ m}$$

$$= 58.10 \text{ mm} \approx \delta_a = 75.00 \text{ mm (ok)}$$

- Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 154000 \text{ cm}^4$ (original condition)
	$I = 154000 \text{ cm}^4$ (after reduction by corrosion and section)
EI =	$200000 \times 10^3 \times 154000 \times 10^{-8} = 3.080 \times 10^5$

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_0 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as following:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = 4 \sqrt{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction
 Calculated value

$$K_b = 19512 \text{ kN/m}^3$$

$$\beta = 0.35475 \text{ m}^{-1}$$

Penetration length of SSP
 Whole length of SSP

$$D = 2.15 + \frac{3}{0.355} = 10.61 \text{ m}$$

$$L = 2.60 - 0.40 + 10.61 = 12.81 \text{ m}$$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction
 Calculated value

$$K_b = 19512 \text{ kN/m}^3$$

$$\beta = 0.35475 \text{ m}^{-1}$$

Penetration length of SSP
 Whole length of SSP

$$D = 2.15 + \frac{3}{0.355} = 10.61 \text{ m}$$

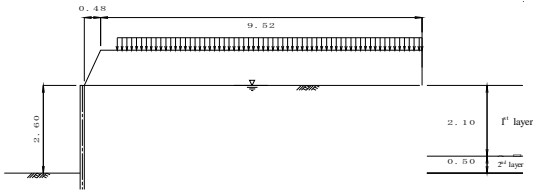
$$L = 2.60 - 0.40 + 10.61 = 12.81 \text{ m}$$

Therefore, whole length of SSP is set as 13.00 m in consideration of round unit of SSP length

8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (m ⁴)	154000		
Section modulus	Z (cm ³)	4160		
Maximum bending moment	M _{max} (kNm/m)		371.63	523.87
Stress intensity	σ (N/mm ²)		105 (185)	145 (278)
Lateral displacement	δ (mm)		41.86 (50.0)	58.10 (75.0)
Penetration depth	D (m)		10.61	10.61
Whole length of SSP	L (m)	13.00		

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.48	10.00	10.00	1.05	18.0	31.0	0.0	auto	auto

Surcharge load acting on embankment

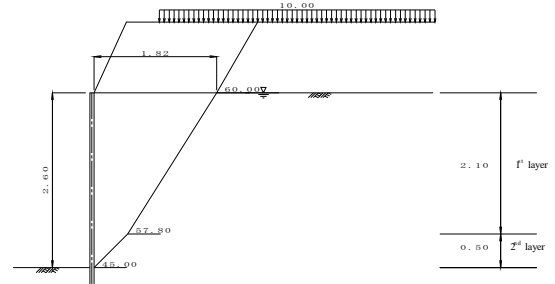
No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ²)	Seismic (kNm ²)
1	0.97	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Younge's modulus E = 200000 Nmm²
 Inertia sectional moment I₀ = 262000 cm⁴
 Sectional factor Z₀ = 5720 cm³
 Corrosion on marine t₁ = 1.00 mm (river side) t₂ = 1.00 mm (land side)
 Corrosion rate (to I₀) n = 0.86
 Corrosion rate (to Z₀) n = 0.89
 Section efficiency (to I₀) u = 1.00
 Section efficiency (to Z₀) u = 1.00
 Round unit of SSP length 0.50 m
 Allowable stress σ_a = 185 Nmm (Normal) σ_a' = 278 Nmm (Seismic)
 Allowable displacement δ_a = 50.0 mm (Normal) δ_a' = 75.0 mm (Seismic)
 Bending of cantilever beam calculated as distributed load of each layer
 Reduction of material modulus Reduced: I₀ applied to calculation of lateral coefficient of subgrade reaction
 Not reduced: I₀ applied to calculation of penetration depth
 Reduced: I₀ applied to calculation of section forces and displacement
 Reduced: Z₀ applied to calculation of stresses

2 Calculation of Acting Load
2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wh} (kN/m ²)	Angle of rupture Z (degree)
1	2.60~ 2.10	Clayey Soil	0.0	10.0	6.0	25.00	27.56	25.48	45.00
2	2.10~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	27.56	20.58	57.80
3		Embankment	30.0	—	0.0	18.90	10.00	0.00	60.00

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h: thickness of layer (m)
- Q: surcharge load (kNm²)
- C: cohesive force of soil (kNm²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.50	0.00	0.00	0.50	0.50
2	57.80	2.10	0.50	0.50	1.82	2.60
3	60.00	1.05	1.82	2.60	2.43	3.65

Therefore, width of acting load shall be set as 1.82 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	1.98	35.64
Σ			35.64

γ : unit weight of embankment soil
 A: sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kNm ²)	l (m)	Q X l (kNm)
1	10.0	1.46	14.59
Σ			14.59

Q: surcharge load
 l: width of surcharge load set by line of active rupture

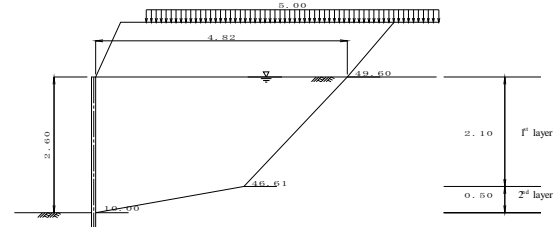
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{35.64 + 14.59 + 0.00}{1.82}$$

$$= 27.56 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wh} (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60~ 2.10	Clayey Soil	0.0	10.0	6.0	25.00	24.63	25.48	0.200	11.31	10.00
2	2.10~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	24.63	20.58	0.200	11.31	46.61
3		Embankment	30.0	—	0.0	18.90	5.00	0.00	0.200	11.31	49.60

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h: thickness of layer (m)
- Q: surcharge load (kNm²)
- C: cohesive force of soil (kNm²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	10.00	0.50	0.00	0.00	2.84	0.50
2	46.61	2.10	2.84	0.50	4.82	2.60
3	49.60	1.05	4.82	2.60	5.71	3.65

Therefore, width of acting load shall be set as 4.82 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	5.28	95.02
Σ			95.02

γ : unit weight of embankment soil
 A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	4.74	23.72
Σ			23.72

Q: surcharge load
 l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

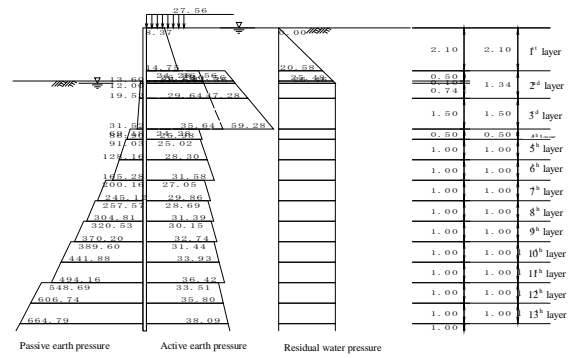
$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{95.02 + 23.72 + 0.00}{4.82}$$

$$= 24.63 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_0$ (kN/m ²)	Ka	Ka $\times \cos \delta$
1 0.00~2.10	Sandy soil	10.0	30.0	---	27.558 48.558	0.30847 0.30847	0.30378 0.30378
2 2.10~2.60	Clayey soil	8.0	---	6.0 6.0	48.558 52.558	---	---
3 2.60~2.70	Clayey soil	8.0	---	6.0 6.0	52.558 53.558	---	---
4 2.70~3.44	Clayey soil	8.0	---	6.0 6.0	53.558 59.278	---	---
5 3.44~4.94	Clayey soil	8.0	---	6.0 6.0	59.278 71.278	---	---
6 4.94~5.44	Sandy soil	10.0	27.0	---	71.278 76.278	0.34585 0.34585	0.34060 0.34060
7 5.44~6.44	Sandy soil	10.0	28.0	---	76.278 86.278	0.33303 0.33303	0.32798 0.32798
8 6.44~7.44	Sandy soil	10.0	28.0	---	86.278 96.278	0.33303 0.33303	0.32798 0.32798
9 7.44~8.44	Sandy soil	10.0	32.0	---	96.278 106.278	0.28525 0.28525	0.28092 0.28092
10 8.44~9.44	Sandy soil	10.0	33.0	---	106.278 116.278	0.27412 0.27412	0.26996 0.26996
11 9.44~10.44	Sandy soil	10.0	34.0	---	116.278 126.278	0.26331 0.26331	0.25931 0.25931
12 10.44~11.44	Sandy soil	10.0	35.0	---	126.278 136.278	0.25279 0.25279	0.24895 0.24895
13 11.44~12.44	Sandy soil	10.0	35.0	---	136.278 146.278	0.25279 0.25279	0.24895 0.24895

L_No. 14_pp 9

L_No. 14_pp 10

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_0$ (kN/m ²)	Ka	Ka $\times \cos \delta$
14 12.44~13.44	Sandy soil	10.0	37.0	---	146.278 156.278	0.23264 0.23264	0.22910 0.22910
15 13.44~14.44	Sandy soil	10.0	37.0	---	156.278 166.278	0.23264 0.23264	0.22910 0.22910
16 14.44~15.44	Sandy soil	10.0	37.0	---	166.278 176.278	0.23264 0.23264	0.22910 0.22910
17 15.44~16.44	Sandy soil	10.0	38.0	---	176.278 186.278	0.22298 0.22298	0.21959 0.21959
18 16.44~17.44	Sandy soil	10.0	39.0	---	186.278 196.278	0.21359 0.21359	0.21035 0.21035
19 17.44~18.44	Sandy soil	10.0	36.0	---	196.278 206.278	0.24257 0.24257	0.23889 0.23889
20 18.44~19.44	Sandy soil	10.0	38.0	---	206.278 216.278	0.22298 0.22298	0.21959 0.21959
21 19.44~20.44	Sandy soil	10.0	39.0	---	216.278 226.278	0.21359 0.21359	0.21035 0.21035
22 20.44~21.44	Sandy soil	10.0	38.0	---	226.278 236.278	0.22298 0.22298	0.21959 0.21959

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_0$ (kN/m ²)	Kp	Kp $\times \cos \delta$
14 12.44~13.44	Sandy soil	10.0	37.0	---	94.520 104.520	5.89457 5.89457	5.80501 5.80501
15 13.44~14.44	Sandy soil	10.0	37.0	---	104.520 114.520	5.89457 5.89457	5.80501 5.80501
16 14.44~15.44	Sandy soil	10.0	37.0	---	114.520 124.520	5.89457 5.89457	5.80501 5.80501
17 15.44~16.44	Sandy soil	10.0	38.0	---	124.520 134.520	6.21981 6.21981	6.12532 6.12532
18 16.44~17.44	Sandy soil	10.0	39.0	---	134.520 144.520	6.50948 6.50948	6.40967 6.40967
19 17.44~18.44	Sandy soil	10.0	36.0	---	144.520 154.520	5.99154 5.99154	5.90659 5.90659
20 18.44~19.44	Sandy soil	10.0	38.0	---	154.520 164.520	6.21981 6.21981	6.12532 6.12532
21 19.44~20.44	Sandy soil	10.0	39.0	---	164.520 174.520	6.50948 6.50948	6.40967 6.40967
22 20.44~21.44	Sandy soil	10.0	38.0	---	174.520 184.520	6.21981 6.21981	6.12532 6.12532

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = -10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_0$ (kN/m ²)	Kp	Kp $\times \cos \delta$
3 2.60~2.70	Clayey soil	16.0	0.0	6.0 6.0	0.000 1.600	---	---
4 2.70~3.44	Clayey soil	8.0	0.0	6.0 6.0	1.600 7.520	---	---
5 3.44~4.94	Clayey soil	8.0	0.0	6.0 6.0	7.520 19.520	---	---
6 4.94~5.44	Sandy soil	10.0	27.0	---	19.520 24.520	3.99892 3.99892	3.54425 3.54425
7 5.44~6.44	Sandy soil	10.0	28.0	---	24.520 34.520	3.76978 3.76978	3.71251 3.71251
8 6.44~7.44	Sandy soil	10.0	28.0	---	34.520 44.520	3.76978 3.76978	3.71251 3.71251
9 7.44~8.44	Sandy soil	10.0	32.0	---	44.520 54.520	4.96530 4.96530	4.49594 4.49594
10 8.44~9.44	Sandy soil	10.0	33.0	---	54.520 64.520	4.79713 4.79713	4.72425 4.72425
11 9.44~10.44	Sandy soil	10.0	34.0	---	64.520 74.520	5.04448 5.04448	4.96784 4.96784
12 10.44~11.44	Sandy soil	10.0	35.0	---	74.520 84.520	5.30876 5.30876	5.22810 5.22810
13 11.44~12.44	Sandy soil	10.0	35.0	---	84.520 94.520	5.30876 5.30876	5.22810 5.22810

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure	Passive side
	Pu ₁ (kN/m ²)	Pu ₂ (kN/m ²)	Pu ₃ (kN/m ²)	Pw (kN/m ²)	Pp (kN/m ²)
1 0.00~2.10	8.37 14.75	---	8.37 14.75	0.00 20.58	---
2 2.10~2.60	36.56 40.56	24.28 26.28	36.56 40.56	20.58 25.48	---
3 2.60~2.70	40.56 41.36	26.28 26.68	40.56 41.36	25.48 26.46	12.00 13.00
4 2.70~3.44	41.36 47.28	26.68 29.64	41.36 47.28	26.46 29.46	13.00 19.52
5 3.44~4.94	47.28 59.28	29.64 35.64	47.28 59.28	29.46 36.46	19.52 31.52
6 4.94~5.44	24.28 25.98	---	24.28 25.98	26.46 26.46	69.18 86.90
7 5.44~6.44	25.02 28.30	---	25.02 28.30	26.46 26.46	91.03 128.16
8 6.44~7.44	28.30 31.58	---	28.30 31.58	26.46 26.46	128.16 165.28
9 7.44~8.44	27.05 29.86	---	27.05 29.86	26.46 26.46	200.16 245.12
10 8.44~9.44	28.69 31.39	---	28.69 31.39	26.46 26.46	257.57 304.81
11 9.44~10.44	30.15 32.74	---	30.15 32.74	26.46 26.46	320.53 370.20
12 10.44~11.44	31.44 33.93	---	31.44 33.93	26.46 26.46	389.60 441.88

Depth (m)	Active side			Residual water pressure	
	Pa1 (kNm ²)	Pa2 (kNm ²)	Pu (kNm ²)	Pw (kNm ²)	Pp (kNm ²)
13	11.44~12.44	33.93	33.93	26.46	441.88
14	12.44~13.44	33.51	33.51	26.46	548.69
15	13.44~14.44	33.80	33.80	26.46	606.74
16	14.44~15.44	38.09	38.09	26.46	664.79
17	15.44~16.44	38.71	38.71	26.46	722.84
18	16.44~17.44	39.18	39.18	26.46	780.30
19	17.44~18.44	46.89	46.89	26.46	837.81
20	18.44~19.44	45.30	45.30	26.46	895.33
21	19.44~20.44	45.49	45.49	26.46	952.85
22	20.44~21.44	49.69	49.69	26.46	1010.37

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\sum \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Clayey soil $P_{a1} = \sum \gamma h + Q - 2C$
 $P_{a1} = K_a \cdot (\sum \gamma h + Q)$

K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\sum \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

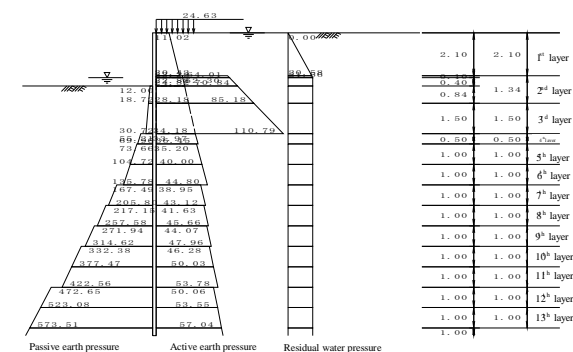
- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\sum \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Clayey soil $P_p = \sum \gamma h + Q + 2C$

Mixed soil $P_p = [K_p (\sum \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	γ _{hw} +Q (kNm ⁻³)	γ _{hw} (kNm ⁻³)	k (k)	θ (degree)	K _a	K _a × cos δ	θ (degree)
1	0.00~2.10	Sandy Soil	10.0	30.0	—	24.63	0.00	0.200	11.31	0.45442	0.44752
2	2.10~2.20	Clayey Soil	8.0	—	6.0	45.63	20.58	0.200	11.31	—	—
3	2.20~2.60	Clayey Soil	8.0	—	6.0	46.43	21.56	0.200	11.31	—	—
4	2.60~3.44	Clayey Soil	8.0	—	6.0	56.35	25.48	0.200	11.31	—	—
5	3.44~4.94	Clayey Soil	8.0	—	6.0	68.35	48.41	0.200	11.31	—	—
6	4.94~5.44	Sandy Soil	10.0	27.0	—	73.35	53.31	0.200	11.31	0.50461	0.49695
7	5.44~6.44	Sandy Soil	10.0	28.0	—	83.35	63.11	0.200	11.31	0.48730	0.47989
8	6.44~7.44	Sandy Soil	10.0	28.0	—	93.35	72.91	0.200	11.31	0.48730	0.47989
9	7.44~8.44	Sandy Soil	10.0	32.0	—	103.35	82.71	0.200	11.31	0.42366	0.41722
10	8.44~9.44	Sandy Soil	10.0	33.0	—	113.35	92.51	0.200	11.31	0.40899	0.40278
11	9.44~10.44	Sandy Soil	10.0	34.0	—	123.35	102.31	0.200	11.31	0.39477	0.38878
12	10.44~11.44	Sandy Soil	10.0	35.0	—	133.35	112.11	0.200	11.31	0.38098	0.37519
13	11.44~12.44	Sandy Soil	10.0	35.0	—	143.35	121.91	0.200	11.31	0.38098	0.37519

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	γ _{hw} +Q (kNm ⁻³)	γ _{hw} (kNm ⁻³)	k (k)	θ (degree)	K _a	K _a × cos δ	θ (degree)
14	12.44~13.44	Sandy Soil	10.0	37.0	—	143.35	121.91	0.200	11.31	0.35458	0.34919
15	13.44~14.44	Sandy Soil	10.0	37.0	—	153.35	131.71	0.200	11.31	0.35458	0.34919
16	14.44~15.44	Sandy Soil	10.0	37.0	—	163.35	141.51	0.200	11.31	0.35458	0.34919
17	15.44~16.44	Sandy Soil	10.0	38.0	—	173.35	151.31	0.200	11.31	0.34194	0.33674
18	16.44~17.44	Sandy Soil	10.0	39.0	—	183.35	161.11	0.200	11.31	0.32966	0.32465
19	17.44~18.44	Sandy Soil	10.0	36.0	—	193.35	170.91	0.200	11.31	0.36758	0.36200
20	18.44~19.44	Sandy Soil	10.0	38.0	—	203.35	180.71	0.200	11.31	0.34194	0.33674
21	19.44~20.44	Sandy Soil	10.0	39.0	—	213.35	190.51	0.200	11.31	0.32966	0.32465
22	20.44~21.44	Sandy Soil	10.0	38.0	—	223.35	200.31	0.200	11.31	0.34194	0.33674

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$\delta = 10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)} \right]}$$

Angle between surface of collapse and level surface of dayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \left[\frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta \right]$$

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	γ _{hw} +Qp (kNm ⁻³)	γ _{hw} (kNm ⁻³)	k (k)	θ (degree)	K _p	K _p × cos δ	θ (degree)
13	11.44~12.44	Sandy soil	10.0	35.0	—	83.720	86.63	0.200	11.31	4.57827	4.50872
14	12.44~13.44	Sandy soil	10.0	37.0	—	93.720	96.43	0.200	11.31	5.12098	5.04318
15	13.44~14.44	Sandy soil	10.0	37.0	—	103.720	106.23	0.200	11.31	5.12098	5.04318
16	14.44~15.44	Sandy soil	10.0	37.0	—	113.720	116.03	0.200	11.31	5.12098	5.04318
17	15.44~16.44	Sandy soil	10.0	38.0	—	123.720	125.83	0.200	11.31	5.42254	5.34016
18	16.44~17.44	Sandy soil	10.0	39.0	—	133.720	135.63	0.200	11.31	5.42254	5.34016
19	17.44~18.44	Sandy soil	10.0	36.0	—	143.720	145.43	0.200	11.31	5.74696	5.69565
20	18.44~19.44	Sandy soil	10.0	38.0	—	153.720	155.23	0.200	11.31	5.74696	5.69565
21	19.44~20.44	Sandy soil	10.0	39.0	—	163.720	165.03	0.200	11.31	4.84018	4.76665
22	20.44~21.44	Sandy soil	10.0	38.0	—	173.720	174.83	0.200	11.31	4.84018	4.76665

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below

$\delta = 10.00, \beta = 0.00, \theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)} \right]}$$

3-2-3 Lateral Pressure

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	γ _{hw} +Qp (kNm ⁻³)	γ _{hw} (kNm ⁻³)	k (k)	θ (degree)	K _p	K _p × cos δ	θ (degree)
4	2.60~3.44	Clayey soil	8.0	0.0	6.0	0.000	0.000	0.200	11.31	—	—
5	3.44~4.94	Clayey soil	8.0	0.0	6.0	6.720	8.225	0.200	11.31	—	—
6	4.94~5.44	Sandy soil	10.0	27.0	—	18.720	22.935	0.200	11.31	2.94998	2.94948
7	5.44~6.44	Sandy soil	10.0	28.0	—	23.720	27.835	0.200	11.31	2.94998	2.94948
8	6.44~7.44	Sandy soil	10.0	28.0	—	28.720	32.635	0.200	11.31	3.15550	3.10559
9	7.44~8.44	Sandy soil	10.0	32.0	—	33.720	37.435	0.200	11.31	3.15550	3.10559
10	8.44~9.44	Sandy soil	10.0	33.0	—	38.720	42.235	0.200	11.31	3.89012	3.83102
11	9.44~10.44	Sandy soil	10.0	34.0	—	43.720	47.035	0.200	11.31	4.10466	4.04230
12	10.44~11.44	Sandy soil	10.0	35.0	—	48.720	51.835	0.200	11.31	4.10466	4.04230

No	Depth (m)	Active side	Residual water pressure	Passive side
		Pa1 (kNm ²) / Pa2 (kNm ²) / Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)
1	0.00~2.10	11.02 / 20.42	0.00 / 20.58	—
2	2.10~2.20	62.30 / 64.01	22.82 / 21.56	—
3	2.20~2.60	64.01 / 70.84	23.22 / 24.82	—
4	2.60~3.44	70.84 / 85.18	24.82 / 21.56	12.00 / 18.72
5	3.44~4.94	85.18 / 110.79	28.18 / 21.56	18.72 / 30.72
6	4.94~5.44	33.97 / 36.45	33.97 / 36.45	21.56 / 21.56
7	5.44~6.44	35.20 / 40.00	35.20 / 40.00	21.56 / 73.66
8	6.44~7.44	40.00 / 44.80	40.00 / 44.80	21.56 / 104.72
9	7.44~8.44	38.95 / 43.12	38.95 / 43.12	21.56 / 167.40

No	Depth (m)	Active side			Residual water pressure	Passive side
		P _{a1} kNm ²	P _{a2} kNm ²	P _a kNm ²		
10	8.44~9.44	41.63 45.66	—	41.63 45.66	21.56	217.15 237.58
11	9.44~10.44	44.07 47.96	—	44.07 47.96	21.56	271.94 314.62
12	10.44~11.44	46.28 50.03	—	46.28 50.03	21.56	332.38 377.47
13	11.44~12.44	50.03 53.78	—	50.03 53.78	21.56	377.47 422.56
14	12.44~13.44	50.06 53.55	—	50.06 53.55	21.56	472.65 523.08
15	13.44~14.44	53.55 57.04	—	53.55 57.04	21.56	523.08 573.51
16	14.44~15.44	57.04 60.53	—	57.04 60.53	21.56	573.51 623.94
17	15.44~16.44	58.37 61.74	—	58.37 61.74	21.56	661.68 714.09
18	16.44~17.44	59.52 62.77	—	59.52 62.77	21.56	756.81 813.40
19	17.44~18.44	69.99 73.61	—	69.99 73.61	21.56	685.06 732.73
20	18.44~19.44	68.48 71.84	—	68.48 71.84	21.56	820.89 874.29
21	19.44~20.44	69.26 72.51	—	69.26 72.51	21.56	926.60 983.19
22	20.44~21.44	75.21 78.58	—	75.21 78.58	21.56	927.69 981.09

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of P_{a1} or P_{a2} is applied as active earth pressure (P_a)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P _{we} (kNm ²)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

$$P_{we} = \pm \frac{7}{8} k_{is} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

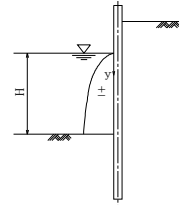
Where,

k_{is}: design seismic coefficient

γ_w: unit weight of water

H: water depth of riverside

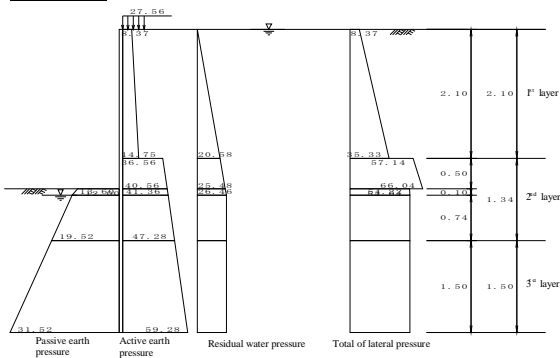
y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level I_i is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

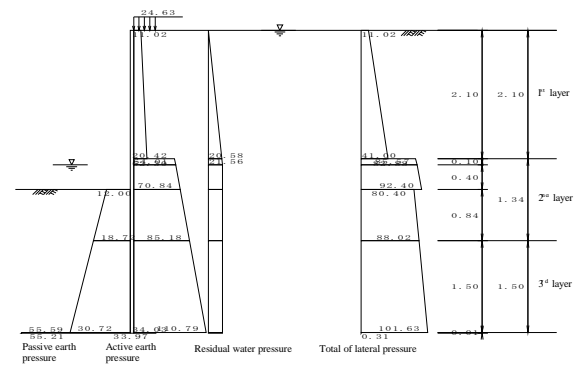


Depth (m)	P _a kNm ²	P _w kNm ²	P _p kNm ²	P _s kNm ²
1	8.37 14.75	0.00 20.58	—	8.37 35.33
2	36.56 40.56	20.58 25.48	—	57.14 66.04
3	40.56 41.36	25.48 26.46	12.00 13.60	54.04 54.22
4	41.36 47.28	26.46 26.46	13.60 19.52	54.22 54.22
5	47.28 59.28	26.46 26.46	19.52 31.52	54.22 54.22
6	24.28 25.98	26.46 26.46	69.18 86.90	-18.45 -34.46

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed I_i: 2.34 m (GL -4.94 m)

4-2 Seismic Condition



Depth (m)	P _a kNm ²	P _w kNm ²	P _p kNm ²	P _s kNm ²
1	11.02 20.42	0.00 20.58	—	11.02 41.00
2	62.30 64.01	20.58 21.56	—	82.88 85.57
3	64.01 70.84	21.56 21.56	—	85.57 92.40
4	70.84 85.18	21.56 21.56	12.00 18.72	80.40 88.02
5	85.18 110.79	21.56 21.56	18.72 30.72	88.02 101.63
6	33.97 34.03	21.56 21.56	55.21 55.59	0.31 0.00
7	34.03 36.45	21.56 21.56	55.59 69.96	0.00 -11.95

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed I_i: 2.35 m (GL -4.95 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below:

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width	B = 1.0000 m
Corrosion margin	t _v = 1.00 mm (active side) t _s = 1.00 mm (massive side)
Corrosion rate	n = 0.86
Section efficiency	η = 1.00
Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I ₀ = 262000 cm ⁴ (original condition)
	I = 225320 cm ⁴ (after reduction by corrosion and section)
Inertia sectional moment	EI = 200000 × 10 ³ × 225320 × 10 ⁸ = 4506 × 10 ¹³

Depth (m)	N value	Depth (m)	N value	Depth (m)	N value	
1	0.50	15	10.44	24	21.44	
2	1.60	12	11.44	28	21.44	
3	2.10	1	13	12.44	27	
4	3.44	1	14	13.44	31	
5	4.94	1	15	14.44	32	
6	5.44	8	16	15.44	32	
7	6.44	11	17	16.44	34	
8	7.44	12	18	17.44	39	
9	8.44	20	19	18.44	30	
10	9.44	22	20	19.44	35	

5-2 Normal Condition

K_s = 17903 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.316 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 3.17 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (CL -4.94 m) to 3.17 m depth (CL -8.11 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)	
		upper	lower		
1	4.94	0.50	1.0	8.0	2.25
2	5.44	1.00	8.0	11.0	9.50
3	6.44	1.00	11.0	12.0	11.50
4	7.44	0.67	12.0	17.3	9.79

L = Δh = 3.17 ΣA = 33.04

A (upper N value + lower N value) × h/2

$$\text{average n value } N' = \frac{\Sigma A}{L} = \frac{33.04}{3.17} = 10.43$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N'^{0.496} = 6910 \times 10.43^{0.496} = 17903 \text{ kN/m}^3$$

K_h (normal condition) = 17903 kNm³

5-3 Seismic Condition

K_s = 17946 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.316 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 3.17 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (CL -4.95 m) and 3.17 m depth (CL -8.12 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)	
		upper	lower		
1	4.95	0.49	1.2	8.0	2.24
2	5.44	1.00	8.0	11.0	9.50
3	6.44	1.00	11.0	12.0	11.50
4	7.44	0.68	12.0	17.4	9.98

L = Δh = 3.17 ΣA = 33.22

A (upper N value + lower N value) × h/2

$$\text{average n value } N' = \frac{\Sigma A}{L} = \frac{33.22}{3.17} = 10.49$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N'^{0.496} = 6910 \times 10.49^{0.496} = 17946 \text{ kN/m}^3$$

K_h (seismic condition) = 17946 kNm³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Elevation h₀

6-1-1 Normal Condition

Depth (m)	Thickness h (m)	Total of lateral force P ₀ (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
2	2.10~2.60	57.14 66.04	14.28 16.51	2.67 2.51	38.19 41.38
3	2.60~2.70	54.04 54.22	2.70 2.71	2.31 2.27	6.23 6.16
4	2.70~3.44	54.22 54.22	20.06 20.06	1.99 1.75	39.99 35.04
5	3.44~4.94	54.22 54.22	40.66 40.66	1.00 0.50	40.66 20.33

ΣP = 203.54 ΣM = 396.59

P : active earth pressure + residual water pressure - massive earth pressure
P : load P × h/2 × B
B : unit width = 1.000 m
Y : height of acting position from imaginary riverbed
M : moment by load P × Y

Arbitrary load lateral load
depth to acting position H = -0.49 m
moment M₀ = 0.0 kNm/m
depth to acting position H₀ = 0.00 m
Height from riverbed to top of cone H = 2.60 m
Depth of imaginary riverbed from riverbed L_k = 2.34 m

Moment M₀ by arbitrary load is as below
M₀ = P × (H + L_k - H₀) + M₀ = 16.83 kNm

h₀ : Height of acting position of P₀ from imaginary riverbed
$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_1} = \frac{413.42}{206.64} = 2.00 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P ₀ (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
2	2.10~2.20	82.88 85.57	4.14 4.28	2.52 2.79	11.68 11.92
3	2.20~2.60	85.57 92.40	17.11 18.48	2.62 2.49	44.83 45.94
4	2.60~3.44	80.40 88.02	33.77 36.97	2.07 1.79	69.59 66.28
5	3.44~4.94	88.02 101.63	66.02 76.22	1.01 1.51	66.86 39.08
6	4.94~4.95	0.31 0.00	0.00 0.00	0.01 0.00	0.00 0.00

ΣP = 311.62 ΣM = 558.76

P : active earth pressure + residual water pressure - massive earth pressure
P : load P × h/2 × B
B : unit width = 1.000 m
Y : height of acting position from imaginary riverbed
M : moment by load P × Y

Arbitrary load lateral load
depth to acting position H = -0.34 m
moment M₀ = 0.0 kNm/m
depth to acting position H₀ = 0.00 m
Height from riverbed to top of cone H = 2.60 m
Depth of imaginary riverbed from riverbed L = 2.35 m

Moment M₀ by arbitrary load is as below
M₀ = P × (H + L_k - H₀) + M₀ = 52.40 kNm

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P ₀ (kNm ²)	Load P ₀ (kN)	Arm length Y (m)	Moment M ₀ (kNm)

ΣP₀ = 0.14 ΣM₀ = 0.34

h₀ : Height of acting position of P₀ from imaginary riverbed
$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_1 + \Sigma P_{0i}} = \frac{611.50}{321.66} = 1.90 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width	B = 1.0000 m
Corrosion margin	t = 1.00 mm (active side) t _s = 1.00 mm (passive side)
Corrosion rate	n = 0.89
Section efficiency	u = 1.00
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 262000 cm ⁴ (original condition) I = 225320 cm ⁴ (after reduction by corrosion and section)
	H = 200000 × 10 ³ × 225320 × 10 ⁸ = 4.506 × 10 ¹⁷

$$\beta = \sqrt[4]{\frac{K_L \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)+1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$l_u = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value	K _L = 17903 kNm ³
resultant earth force (lateral)	P ₀ = 206.64 kNm
height of acting position of load moment	h ₀ = 2.00 m M ₀ = 413.42 kN-m/m

in consideration of $\psi_{0.2} = 1.292$

maximum moment	M _{max} = 534.17 kN-m/m
depth of generated position of M _{max}	l _u = 1.318 m
depth of I st fixed point	l _i = 3.806 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value	K _L = 17946 kNm ³
resultant earth force (lateral)	P ₀ = 321.66 kNm
height of acting position of load moment	h ₀ = 1.90 m M ₀ = 611.50 kN-m/m

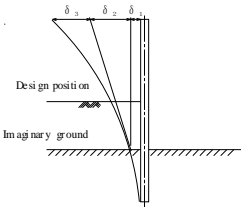
in consideration of $\psi_{0.2} = 1.314$

maximum moment	M _{max} = 803.55 kN-m/m
depth of generated position of M _{max}	l _u = 1.350 m
depth of I st fixed point	l _i = 3.836 m

L_No. 14_pp.25

L_No. 14_pp.26

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1+0.3157 \times 2.00) \times 206.64}{2 \times 2.00 \times 10^8 \times 225320 \times 10^{-8} \times 0.3157^3} = 0.01189 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_u) = \frac{(1+2 \times 0.3157 \times 2.00) \times 206.64}{2 \times 2.00 \times 10^8 \times 225320 \times 10^{-8} \times 0.3157^2} \times (2.60+2.34) = 0.02572 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_u)^3}{E I} = \frac{17.03 \times (2.60+2.34)^3}{2.00 \times 10^8 \times 225320 \times 10^{-8}} = 0.00456 \text{ m}$$

Additional displacement δ_4 generated by horizontal load (P) and moment (M) acting at top of SSP considered

$$\delta_4 = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_4 is calculated as 0.00032 m in consideration of following values:
Height from imaginary riverbed to top of SSP: L = 4.94 m
Horizontal load: P = 3.10
Moment: M = 1.52

$$\delta = \delta_1 + \delta_2 + \delta_3 + \delta_4 = 0.01189 + 0.02572 + 0.00456 + 0.00032 = 0.04248 \text{ m} = 42.48 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where

- Displacement at imaginary ground
- Displacement by angle of inclination slope at imaginary ground
- Displacement at higher part of imaginary ground as cantilever
- Displacement at top of SSP
- Allowable displacement

L_No. 14_pp.27

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin	t _a = 1.00 mm (active side) t _s = 1.00 mm (passive side)
Corrosion rate	n = 0.89
Section efficiency	u = 1.00
Module of section	Z ₀ = 5720 cm ³ (original condition) Z = 5091 cm ³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{534.17 \times 10^6}{5091 \times 10^3} = 105 \text{ N/mm}^2 \leq \sigma_s = 185 \text{ N/mm}^2 \text{ (ok)}$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{803.55 \times 10^6}{5091 \times 10^3} = 158 \text{ N/mm}^2 \leq \sigma_s = 278 \text{ N/mm}^2 \text{ (ok)}$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1 0.00~2.10	4.24 3.54	0.888 0.717	0.263 0.195	3.79 37.10	2.311 7.250
2 2.10~2.60	2.67 2.51	0.541 0.507	0.120 0.107	14.28 16.51	1.714 1.766
3 2.60~2.70	2.31 2.27	0.467 0.460	0.092 0.090	2.70 2.71	0.249 0.243
4 2.70~3.44	1.99 1.75	0.404 0.354	0.070 0.055	20.06 20.06	1.413 1.106
5 3.44~4.94	1.00 0.50	0.202 0.101	0.019 0.005	40.66 40.66	0.777 0.201
$\Sigma Q = 17.031$					

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_u}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

L_u : Depth from design position to imaginary ground

6-4-2 Seismic Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1 0.00~2.10	4.25 3.55	0.889 0.717	0.263 0.196	11.57 43.05	3.046 8.428
2 2.10~2.30	2.82 2.79	0.569 0.563	0.131 0.129	4.14 4.28	0.544 0.550
3 2.30~2.60	2.62 2.49	0.529 0.502	0.115 0.105	17.11 18.48	1.972 1.939
4 2.60~3.44	2.07 1.79	0.419 0.362	0.075 0.058	33.77 36.97	2.545 2.130
5 3.44~4.94	1.01 0.51	0.204 0.104	0.019 0.005	66.22 76.22	1.286 0.394
6 4.94~4.95	0.01 0.00	0.002 0.001	0.000 0.000	0.00 0.00	0.000 0.000
$\Sigma Q_w = 22.832$					

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_u}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

L_u : Depth from design position to imaginary ground

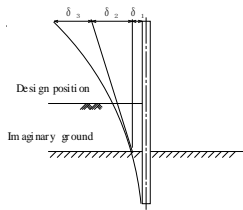
Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1	2.30~2.60	2.62 2.49	0.529 0.502	0.115 0.105	0.00 0.14	0.000 0.014
$\Sigma Q_w = 0.014$						

Therefore, modulus of deformation Q is calculated as below
Q = 22.832 + 0.014 = 22.847

L_No. 14_pp.28

Displacement



$$\delta_1 = \frac{(1 + \beta \cdot h_0) \times P_0}{2 E I \beta^2}$$

$$= \frac{(1 + 0.3159 \times 1.90) \times 321.66}{2 \times 2.00 \times 10^8 \times 225320 \times 10^{-8} \times 0.3159^2} = 0.01812 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta \cdot h_0) \times P_0}{2 E I \beta^2} \times (H + L_1)$$

$$= \frac{(1 + 2 \times 0.3159 \times 1.90) \times 321.66}{2 \times 2.00 \times 10^8 \times 225320 \times 10^{-8} \times 0.3159^2} \times (2.60 + 2.35) = 0.03899 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I}$$

$$= \frac{22.85 \times (2.60 + 2.35)^3}{2.00 \times 10^8 \times 225320 \times 10^{-8}} = 0.00616 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00098 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.95 m
 Horizontal load: P = 9.90
 Moment: M = 3.37

Displacement δ_{bn} of cantilever beam by moment M_b is additionally considered

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01812 + 0.03899 + 0.00714$$

$$= 0.06425 \text{ m}$$

$$= 64.25 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

- Where,
- δ_1 : Displacement at imaginary ground
 - δ_2 : Displacement by angle of inclination slope at imaginary ground
 - δ_3 : Displacement at higher part of imaginary ground as cantilever
 - δ : Displacement at top of SSP
 - δ_a : Allowable displacement

L_No. 14_pp.29

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 262000 cm ⁴ (original condition)
	I = 262000 cm ⁴ (after reduction by corrosion and section)
	H = 200000 × 10 ³ × 262000 × 10 ⁻⁸ = 5.240 × 10 ⁵

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L₁, penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_1 + \frac{3}{\beta}$$

$$L = H - H_1 + D$$

$$\beta = 4 \sqrt{\frac{K_a \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction
 Calculated value

$$K_a = 17903 \text{ kN/m}^3$$

$$\beta = 0.30401 \text{ m}^{-1}$$

Penetration length of SSP
 Whole length of SSP

$$D = 2.34 + \frac{3}{0.304} = 12.21 \text{ m}$$

$$L = 2.60 - 0.40 + 12.21 = 14.41 \text{ m}$$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction
 Calculated value

$$K_a = 17946 \text{ kN/m}^3$$

$$\beta = 0.30419 \text{ m}^{-1}$$

Penetration length of SSP
 Whole length of SSP

$$D = 2.35 + \frac{3}{0.304} = 12.22 \text{ m}$$

$$L = 2.60 - 0.40 + 12.22 = 14.42 \text{ m}$$

Therefore, whole length of SSP is set as 14.50 m in consideration of round unit of SSP length

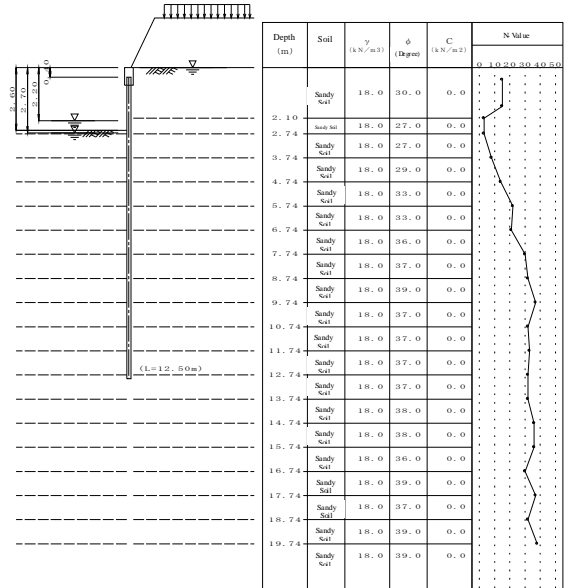
L_No. 14_pp.30

8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	262000		
Section modulus	Z (cm ³)	5720		
Maximum bending moment	M _{max} (kNm/m)		534.17	803.55
Stress intensity	σ (N/mm ²)		105 (185)	158 (278)
Lateral displacement	δ (mm)		42.48 (80.0)	64.25 (75.0)
Penetration depth	D (m)		12.21	12.22
Whole length of SSP	L (m)	14.50		

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



— Steel Sheet Pile Design Calculation —

Left Bank No. 15_STA 14+000 - 14+150

1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Landside WL L_{ws} = 0.00 m (Normal Condition)
 R side WL L_{ws}' = 0.00 m (Seismic Condition)
 Landside WL L_{ws} = 2.70 m (Normal Condition)
 Landside WL L_{ws}' = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

L_No.15_pp.1

L_No.15_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition
 Design earthquake intensity $k = 0.200$
 Dynamic water pressure due to earthquake considered as distributed load
 Arbitrary load Horizontal load R = 8.8 kNm (Normal Condition)
 R' = 19.7 kNm (Seismic Condition)
 Depth of acting point H = -0.90 m (Normal Condition)
 H' = -0.75 m (Seismic Condition)
 Moment M_m = 0.0 kNm/m (Normal Condition)
 M_m' = 14.2 kNm/m (Seismic Condition)
 Depth of acting point H_m = 0.00 m (Seismic Condition)
 H_m' = 0.80 m (Normal Condition)
 (*Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_s = 6910 \times N^{0.406}$
 Average N value calculated from average N value between imaginary riverbed and depth as l/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	9.74	37	21	19.74	38
2	1.00	15	12	10.74	32	22	21.74	39
3	2.10	3	13	11.74	33			
4	2.74	3	14	12.74	32			
5	3.74	8	15	13.74	32			
6	4.74	14	16	14.74	36			
7	5.74	22	17	15.74	36			
8	6.74	21	18	16.74	30			
9	7.74	30	19	17.74	37			
10	8.74	32	20	18.74	32			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment share on landside

Vertical load on riverside not considered

1-7 Soil Modulus

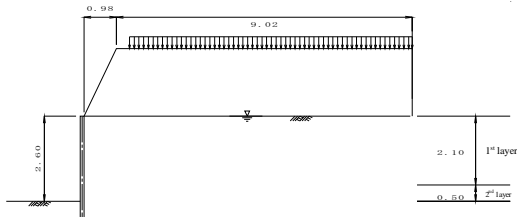
No	Depth (m)	Soil	N value	γ (kNm ³)	γ' (kNm ³)	φ	C (kNm ²)	a	k'	ζ (degree)		kh (kNm ³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	2.74	S	3.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
3	3.74	S	8.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	4.74	S	14.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	—	—
5	5.74	S	22.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
6	6.74	S	21.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
7	7.74	S	30.0	18.00	10.00	36.0	0.0	0.0	0.200	auto	auto	—	—
8	8.74	S	32.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
9	9.74	S	37.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	—	—
10	10.74	S	32.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
11	11.74	S	33.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
12	12.74	S	32.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
13	13.74	S	32.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
14	14.74	S	36.0	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	—	—
15	15.74	S	36.0	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	—	—
16	16.74	S	30.0	18.00	10.00	36.0	0.0	0.0	0.200	auto	auto	—	—
17	17.74	S	37.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	—	—
18	18.74	S	32.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
19	19.74	S	38.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	—	—
20	20.74	S	39.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed(M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C₀ : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.98	10.00	10.00	2.06	18.0	31.0	0.0	auto	auto

Surcharge load acting on embankment

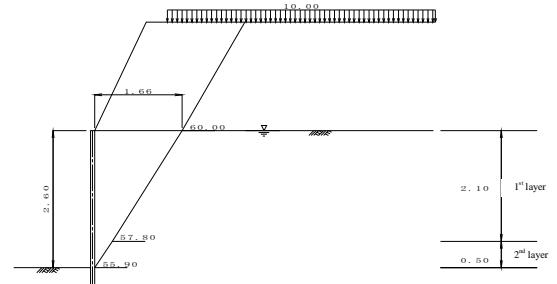
No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ²)	Seismic (kNm ²)
1	1.38	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus E = 200000 Nmm²
 Inertia sectional moment I₀ = 145000 cm⁴
 Sectional factor Z₀ = 4070 cm³
 Corrosion margin t_r = 1.00 mm (riverside) t_r = 1.00 mm (landside)
 Corrosion rate (to I₀) η = 0.88
 Corrosion rate (to Z₀) η = 0.88
 Section efficiency (to I₀) μ = 1.00
 Section efficiency (to Z₀) μ = 1.00
 Round unit of SSP length 0.50 m
 Allowable stress σ_a = 185 Nmm (Normal) σ_a' = 278 Nmm (Seismic)
 Allowable displacement δ_a = 50.0 mm (Normal) δ_a' = 75.0 mm (Seismic)
 Bending of cantilever beam calculated as distributed load of each layer
 Reduction of material modulus Reduced I₀ applied to calculation of lateral coefficient of subgrade reaction
 Not reduced I₀ applied to calculation of penetration depth
 Reduced I₀ applied to calculation of section forces and displacement
 Reduced Z₀ applied to calculation of stresses

2 Calculation of Acting Load
2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wh} (kN/m ²)	Angle of rupture Z (degree)
1	2.60~2.10	Sandy Soil	27.0	10.0	0.0	26.00	48.27	25.48	55.90
2	2.10~0.00	Sandy Soil	30.0	10.0	0.0	21.00	48.27	20.58	57.80
3		Embankment	30.0	—	0.0	37.08	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm²)
- C : cohesive force of soil (kNm⁻²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	55.90	0.50	0.00	0.00	0.34	0.50
2	57.80	2.10	0.34	0.50	1.66	2.60
3	60.00	2.06	1.66	2.60	2.85	4.66

Therefore, width of acting load shall be set as 1.66 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	3.64	65.47
Σ			65.47

γ : unit weight of embankment soil
 A: sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kNm ²)	l (m)	Q X l (kNm)
1	10.0	1.47	14.70
Σ			14.70

Q: surcharge load
 l: width of surcharge load set by line of active rupture

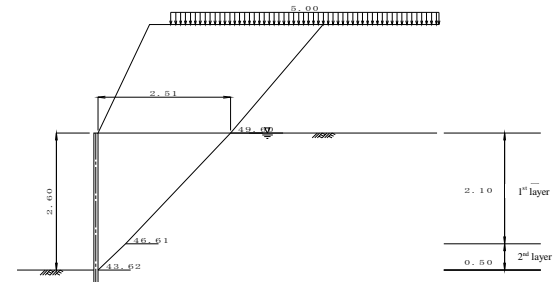
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{65.47 + 14.70 + 0.00}{1.66}$$

$$= 48.27 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wh} (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60~2.10	Sandy Soil	27.0	10.0	0.0	26.00	48.53	25.48	0.200	11.31	43.62
2	2.10~0.00	Sandy Soil	30.0	10.0	0.0	21.00	48.53	20.58	0.200	11.31	46.61
3		Embankment	30.0	—	0.0	37.08	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm²)
- C : cohesive force of soil (kNm⁻²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.62	0.50	0.00	0.00	0.52	0.50
2	46.61	2.10	0.52	0.50	2.51	2.60
3	49.60	2.06	2.51	2.60	4.26	4.66

Therefore, width of acting load shall be set as 2.51 m

2-2-3 Acting Load by Filbankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	5.97	107.40
Σ			107.40

γ : unit weight of embankment soil
 A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q x l (kN/m)
1	5.0	2.88	14.42
Σ			14.42

Q: surcharge load
 l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

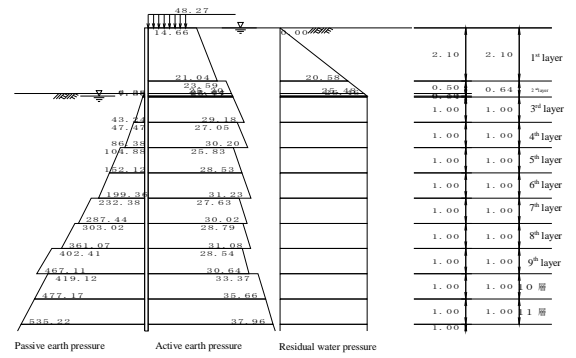
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{107.40 + 14.42 + 0.00}{2.51}$$

$$= 48.53 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_0$ (kN/m ²)	K_a	$K_a \times \cos \delta$
1	0.00~2.10	Sandy soil	10.0	30.0	---	48.269	0.30847
2	2.10~2.60	Sandy soil	10.0	27.0	---	69.269	0.34585
3	2.60~2.70	Sandy soil	10.0	27.0	---	74.269	0.34585
4	2.70~2.74	Sandy soil	10.0	27.0	---	75.269	0.34585
5	2.74~3.74	Sandy soil	10.0	27.0	---	75.669	0.34585
6	3.74~4.74	Sandy soil	10.0	29.0	---	85.669	0.32058
7	4.74~5.74	Sandy soil	10.0	33.0	---	95.669	0.27412
8	5.74~6.74	Sandy soil	10.0	33.0	---	105.669	0.27412
9	6.74~7.74	Sandy soil	10.0	36.0	---	115.669	0.24257
10	7.74~8.74	Sandy soil	10.0	37.0	---	125.669	0.23264
11	8.74~9.74	Sandy soil	10.0	39.0	---	135.669	0.21359
12	9.74~10.74	Sandy soil	10.0	37.0	---	145.669	0.23264
13	10.74~11.74	Sandy soil	10.0	37.0	---	155.669	0.23264

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_0$ (kN/m ²)	K_a	$K_a \times \cos \delta$
14	11.74~12.74	Sandy soil	10.0	37.0	---	165.669	0.23264
15	12.74~13.74	Sandy soil	10.0	37.0	---	175.669	0.23264
16	13.74~14.74	Sandy soil	10.0	38.0	---	185.669	0.22298
17	14.74~15.74	Sandy soil	10.0	38.0	---	195.669	0.22298
18	15.74~16.74	Sandy soil	10.0	36.0	---	205.669	0.24257
19	16.74~17.74	Sandy soil	10.0	39.0	---	215.669	0.21359
20	17.74~18.74	Sandy soil	10.0	37.0	---	225.669	0.23264
21	18.74~19.74	Sandy soil	10.0	39.0	---	235.669	0.21359
22	19.74~20.74	Sandy soil	10.0	39.0	---	245.669	0.21359

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_0$ (kN/m ²)	K_p	$K_p \times \cos \delta$
3	2.60~2.70	Sandy soil	18.0	27.0	---	3.59892	3.54425
4	2.70~2.74	Sandy soil	10.0	27.0	---	1.800	3.54425
5	2.74~3.74	Sandy soil	10.0	27.0	---	2.200	3.54425
6	3.74~4.74	Sandy soil	10.0	29.0	---	3.95996	3.80093
7	4.74~5.74	Sandy soil	10.0	33.0	---	4.79713	4.72425
8	5.74~6.74	Sandy soil	10.0	33.0	---	4.79713	4.72425
9	6.74~7.74	Sandy soil	10.0	36.0	---	5.99154	5.90659
10	7.74~8.74	Sandy soil	10.0	37.0	---	5.89457	5.80501
11	8.74~9.74	Sandy soil	10.0	39.0	---	6.56948	6.46967
12	9.74~10.74	Sandy soil	10.0	37.0	---	5.89457	5.80501
13	10.74~11.74	Sandy soil	10.0	37.0	---	5.89457	5.80501

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = -10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure	Passive side
	P_{H1} (kN/m ²)	P_{H2} (kN/m ²)	P_{H3} (kN/m ²)		
1	14.66	---	14.66	0.00	---
2	21.04	---	21.04	20.58	---
3	25.30	---	25.30	25.48	---
4	25.64	---	25.64	26.46	0.00
5	25.77	---	25.77	26.46	6.38
6	27.05	---	27.05	26.46	7.80
7	28.83	---	28.83	26.46	43.24
8	28.53	---	28.53	26.46	47.47
9	28.53	---	28.53	26.46	86.38
10	28.53	---	28.53	26.46	104.88
11	28.53	---	28.53	26.46	152.12
12	31.23	---	31.23	26.46	199.36
13	31.23	---	31.23	26.46	232.48
14	27.63	---	27.63	26.46	287.84
15	30.02	---	30.02	26.46	313.02
16	28.79	---	28.79	26.46	361.07
17	31.08	---	31.08	26.46	402.41
18	28.54	---	28.54	26.46	467.11
19	33.37	---	33.37	26.46	419.12
20	35.66	---	35.66	26.46	477.17
21	37.96	---	37.96	26.46	535.22

Depth (m)	Active side			Residual water pressure		Passive side
	Pa1 kNm ²	Pa2 kNm ²	Pa kNm ²	Pw kNm ²	Pp kNm ²	
14 11.74~12.74	37.96 40.25	---	37.96 40.25	26.46 26.46	535.22 593.27	
15 12.74~13.74	40.25 42.54	---	40.25 42.54	26.46 26.46	593.27 651.32	
16 13.74~14.74	40.77 42.97	---	40.77 42.97	26.46 26.46	687.26 745.31	
17 14.74~15.74	42.97 45.16	---	42.97 45.16	26.46 26.46	745.31 803.77	
18 15.74~16.74	49.13 51.52	---	49.13 51.52	26.46 26.46	727.97 783.04	
19 16.74~17.74	45.37 47.47	---	45.37 47.47	26.46 26.46	919.99 984.68	
20 17.74~18.74	51.70 53.99	---	51.70 53.99	26.46 26.46	883.52 941.57	
21 18.74~19.74	49.57 51.68	---	49.57 51.68	26.46 26.46	1049.38 1114.08	
22 19.74~20.74	51.68 53.78	---	51.68 53.78	26.46 26.46	1114.08 1178.77	

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a: Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

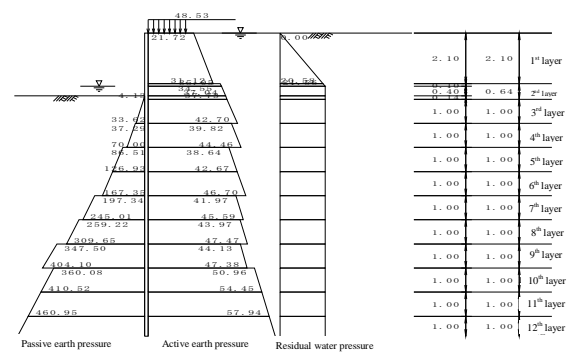
- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Q (kNm ⁻²)	γwhw (kNm ⁻²)	k (k)	θ (degree)	Ka	Ka × cosδ	θ (degree)
1 0.00~2.10	Sandy Soil	10.0	30.0	---	48.53 69.53	0.00 20.58	0.200 0.200	11.31 11.31	0.45442 0.45442	0.44752 0.44752	---
2 2.10~2.20	Sandy Soil	10.0	27.0	---	69.53 70.53	20.58 21.56	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	---
3 2.20~2.60	Sandy Soil	10.0	27.0	---	70.53 74.53	21.56 25.48	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	---
4 2.60~2.74	Sandy Soil	10.0	27.0	---	74.53 75.93	25.48 26.85	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	---
5 2.74~3.74	Sandy Soil	10.0	27.0	---	75.93 85.93	26.85 36.65	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	---
6 3.74~4.74	Sandy Soil	10.0	29.0	---	85.93 95.93	36.65 46.45	0.200 0.200	11.31 11.31	0.47058 0.47058	0.46343 0.46343	---
7 4.74~5.74	Sandy Soil	10.0	33.0	---	95.93 105.93	46.45 56.25	0.200 0.200	11.31 11.31	0.40899 0.40899	0.40278 0.40278	---
8 5.74~6.74	Sandy Soil	10.0	33.0	---	105.93 115.93	56.25 66.05	0.200 0.200	11.31 11.31	0.40899 0.40899	0.40278 0.40278	---
9 6.74~7.74	Sandy Soil	10.0	36.0	---	115.93 125.93	66.05 75.85	0.200 0.200	11.31 11.31	0.36758 0.36758	0.36200 0.36200	---
10 7.74~8.74	Sandy Soil	10.0	37.0	---	125.93 135.93	75.85 85.65	0.200 0.200	11.31 11.31	0.35458 0.35458	0.34919 0.34919	---
11 8.74~9.74	Sandy Soil	10.0	39.0	---	135.93 145.93	85.65 95.45	0.200 0.200	11.31 11.31	0.32966 0.32966	0.32465 0.32465	---
12 9.74~10.74	Sandy Soil	10.0	37.0	---	145.93 155.93	95.45 105.25	0.200 0.200	11.31 11.31	0.35458 0.35458	0.34919 0.34919	---
13 10.74~11.74	Sandy Soil	10.0	37.0	---	155.93 165.93	105.25 115.05	0.200 0.200	11.31 11.31	0.35458 0.35458	0.34919 0.34919	---
14 11.74~12.74	Sandy Soil	10.0	37.0	---	165.93 175.93	115.05 124.85	0.200 0.200	11.31 11.31	0.35458 0.35458	0.34919 0.34919	---

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Q (kNm ⁻²)	γwhw (kNm ⁻²)	k (k)	θ (degree)	Ka	Ka × cosδ	θ (degree)
15 12.74~13.74	Sandy Soil	10.0	37.0	---	175.93 185.93	124.85 134.65	0.200 0.200	11.31 11.31	0.35458 0.35458	0.34919 0.34919	---
16 13.74~14.74	Sandy Soil	10.0	38.0	---	185.93 195.93	134.65 144.45	0.200 0.200	11.31 11.31	0.34194 0.34194	0.33674 0.33674	---
17 14.74~15.74	Sandy Soil	10.0	38.0	---	195.93 205.93	144.45 154.25	0.200 0.200	11.31 11.31	0.34194 0.34194	0.33674 0.33674	---
18 15.74~16.74	Sandy Soil	10.0	36.0	---	205.93 215.93	154.25 164.05	0.200 0.200	11.31 11.31	0.36758 0.36758	0.36200 0.36200	---
19 16.74~17.74	Sandy Soil	10.0	39.0	---	215.93 225.93	164.05 173.85	0.200 0.200	11.31 11.31	0.32966 0.32966	0.32465 0.32465	---
20 17.74~18.74	Sandy Soil	10.0	37.0	---	225.93 235.93	173.85 183.65	0.200 0.200	11.31 11.31	0.35458 0.35458	0.34919 0.34919	---
21 18.74~19.74	Sandy Soil	10.0	39.0	---	235.93 245.93	183.65 193.45	0.200 0.200	11.31 11.31	0.32966 0.32966	0.32465 0.32465	---
22 19.74~20.74	Sandy Soil	10.0	39.0	---	245.93 255.93	193.45 203.25	0.200 0.200	11.31 11.31	0.32966 0.32966	0.32465 0.32465	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \left[1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta \right]$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Qp (kNm ⁻²)	γwhw (kNm ⁻²)	k (k)	θ (degree)	Kp	Kp × cosδ
4 2.60~2.74	Sandy soil	10.00	27.0	---	0.000 1.400	0.00 1.37	0.200 0.200	11.31 11.31	2.99498 2.99498	2.94948 2.94948
5 2.74~3.74	Sandy soil	10.00	27.0	---	1.400 11.400	1.37 11.17	0.200 0.200	11.31 11.31	2.99498 2.99498	2.94948 2.94948
6 3.74~4.74	Sandy soil	10.00	29.0	---	11.400 21.400	11.17 20.97	0.200 0.200	11.31 11.31	3.32141 3.32141	3.27095 3.27095
7 4.74~5.74	Sandy soil	10.00	33.0	---	21.400 31.400	20.97 30.77	0.200 0.200	11.31 11.31	4.10466 4.10466	4.04230 4.04230
8 5.74~6.74	Sandy soil	10.00	33.0	---	31.400 41.400	30.77 40.57	0.200 0.200	11.31 11.31	4.10466 4.10466	4.04230 4.04230
9 6.74~7.74	Sandy soil	10.00	36.0	---	41.400 51.400	40.57 50.37	0.200 0.200	11.31 11.31	4.84018 4.84018	4.76665 4.76665
10 7.74~8.74	Sandy soil	10.00	37.0	---	51.400 61.400	50.37 60.17	0.200 0.200	11.31 11.31	5.12098 5.12098	5.04318 5.04318
11 8.74~9.74	Sandy soil	10.00	39.0	---	61.400 71.400	60.17 69.97	0.200 0.200	11.31 11.31	5.74696 5.74696	5.69655 5.69655
12 9.74~10.74	Sandy soil	10.00	37.0	---	71.400 81.400	69.97 79.77	0.200 0.200	11.31 11.31	5.12098 5.12098	5.04318 5.04318
13 10.74~11.74	Sandy soil	10.00	37.0	---	81.400 91.400	79.77 89.57	0.200 0.200	11.31 11.31	5.12098 5.12098	5.04318 5.04318

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Qp (kNm ⁻²)	γwhw (kNm ⁻²)	k (k)	θ (degree)	Kp	Kp × cosδ
14 11.74~12.74	Sandy soil	10.00	37.0	---	91.400 101.400	89.57 99.37	0.200 0.200	11.31 11.31	5.12098 5.12098	5.04318 5.04318
15 12.74~13.74	Sandy soil	10.00	37.0	---	101.400 111.400	99.37 109.17	0.200 0.200	11.31 11.31	5.12098 5.12098	5.04318 5.04318
16 13.74~14.74	Sandy soil	10.00	38.0	---	111.400 121.400	109.17 118.97	0.200 0.200	11.31 11.31	5.42254 5.42254	5.34016 5.34016
17 14.74~15.74	Sandy soil	10.00	38.0	---	121.400 131.400	118.97 128.77	0.200 0.200	11.31 11.31	5.42254 5.42254	5.34016 5.34016
18 15.74~16.74	Sandy soil	10.00	36.0	---	131.400 141.400	128.77 138.57	0.200 0.200	11.31 11.31	4.84018 4.84018	4.76665 4.76665
19 16.74~17.74	Sandy soil	10.00	39.0	---	141.400 151.400	138.57 148.37	0.200 0.200	11.31 11.31	5.74696 5.74696	5.69655 5.69655
20 17.74~18.74	Sandy soil	10.00	37.0	---	151.400 161.400	148.37 158.17	0.200 0.200	11.31 11.31	5.12098 5.12098	5.04318 5.04318
21 18.74~19.74	Sandy soil	10.00	39.0	---	161.400 171.400	158.17 167.97	0.200 0.200	11.31 11.31	5.74696 5.74696	5.69655 5.69655
22 19.74~20.74	Sandy soil	10.00	39.0	---	171.400 181.400	167.97 177.77	0.200 0.200	11.31 11.31	5.74696 5.74696	5.69655 5.69655

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = 10.00, \beta = 0.00, \theta = \tan \theta$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure		Passive side
		Pa1 kNm ²	Pa2 kNm ²	Pa kNm ²	Pw kNm ²	Pp kNm ²	
1	0.00~2.10	21.72 31.12	---	21.72 31.12	0.00 20.58	---	
2	2.10~2.20	34.55 35.05	---	34.55 35.05	20.58 21.56	---	
3	2.20~2.60	35.05 37.04	---	35.05 37.04	21.56 25.48	---	
4	2.60~2.74	37.04 37.73	---	37.04 37.73	25.48 26.85	0.00 4.13	
5	2.74~3.74	37.73 42.70	---	37.73 42.70	26.85 36.65	4.13 33.62	
6	3.74~4.74	39.82 44.46	---	39.82 44.46	36.65 46.45	37.29 70.00	
7	4.74~5.74	38.64 42.67	---	38.64 42.67	46.45 56.25	86.51 126.93	
8	5.74~6.74	42.67 46.70	---	42.67 46.70	56.25 66.05	126.93 167.35	
9	6.74~7.74	41.97 45.59	---	41.97 45.59	66.05 75.85	197.34 245.	

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 kNm ²	Pa2 kNm ²	Pa kNm ²		
11	8.74~9.74	44.13 47.38	—	44.13 47.38	21.56 21.56	347.30 404.10
12	9.74~10.74	50.96 54.45	—	50.96 54.45	21.56 21.56	360.08 410.52
13	10.74~11.74	54.45 57.94	—	54.45 57.94	21.56 21.56	410.52 460.95
14	11.74~12.74	57.94 61.43	—	57.94 61.43	21.56 21.56	460.95 511.38
15	12.74~13.74	61.43 64.93	—	61.43 64.93	21.56 21.56	511.38 561.81
16	13.74~14.74	62.61 65.98	—	62.61 65.98	21.56 21.56	594.89 648.30
17	14.74~15.74	65.98 69.35	—	65.98 69.35	21.56 21.56	648.30 701.70
18	15.74~16.74	74.55 78.17	—	74.55 78.17	21.56 21.56	626.34 674.00
19	16.74~17.74	70.10 73.35	—	70.10 73.35	21.56 21.56	800.27 856.87
20	17.74~18.74	78.89 82.38	—	78.89 82.38	21.56 21.56	763.54 813.97
21	18.74~19.74	76.59 79.84	—	76.59 79.84	21.56 21.56	913.47 970.06
22	19.74~20.74	79.84 83.09	—	79.84 83.09	21.56 21.56	970.06 1026.66

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	p _w (kNm ³)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

$$p_w = \pm \frac{7}{8} k_{ho} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

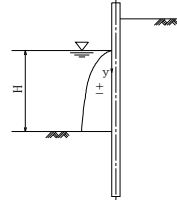
Where,

k_{ho}: design seismic coefficient

γ_w: unit weight of water

H: water depth of river side

y: depth from water surface to the point where active water pressure is calculated



- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\sum \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \sum \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\sum \gamma h + Q)$
 K_a: Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\sum \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\sum \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

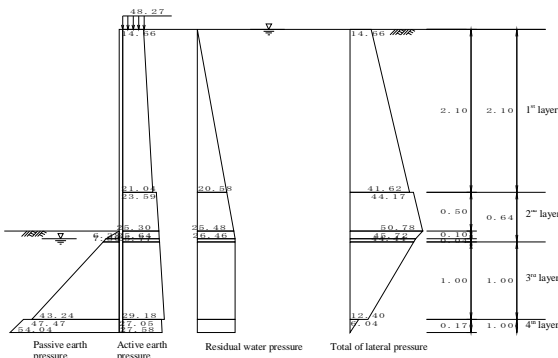
Clayey soil $P_p = \sum \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\sum \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

4 Imaginary Riverbed

Imaginary river level I₁ is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

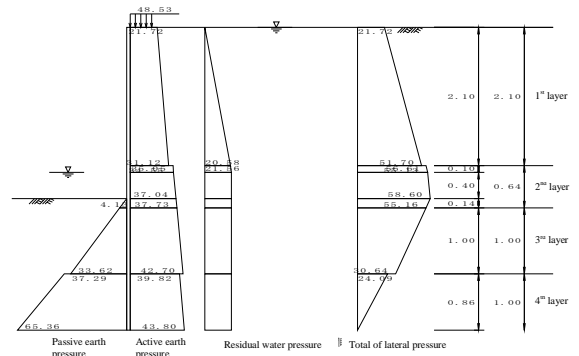


Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1	14.66 21.04	0.00 20.58	— —	14.66 41.62
2	23.59 25.30	20.58 25.48	— —	44.17 50.78
3	25.30 25.64	25.48 26.46	0.00 6.38	50.78 45.72
4	25.64 25.77	26.46 26.46	6.38 7.80	45.72 44.44
5	25.77 29.18	26.46 26.46	7.80 43.24	44.44 12.40
6	27.05 27.58	26.46 26.46	47.47 54.04	6.04 0.00
7	27.58 30.20	26.46 26.46	54.04 86.38	0.00 -29.72

P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 R: Lateral pressure R = P_a + P_w - P_p

Imaginary riverbed I₁: 1.31 m (CL -3.91 m)

4-2 Seismic Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1	21.72 31.12	0.00 20.58	— —	21.72 51.70
2	34.55 35.05	20.58 21.56	— —	55.13 56.61
3	35.05 37.04	21.56 21.56	— —	56.61 58.60
4	37.04 37.73	21.56 21.56	0.00 4.13	58.60 55.16
5	37.73 42.70	21.56 21.56	4.13 33.62	55.16 30.64
6	39.82 43.80	21.56 21.56	37.29 65.36	24.09 0.00
7	43.80 44.46	21.56 21.56	65.36 70.00	0.00 -3.98

P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 R: Lateral pressure R = P_a + P_w - P_p

Imaginary riverbed I₁: 2.00 m (CL -4.60 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below.

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4 E I}}$$

Unit width	B = 1.0000 m	Unit width	
Corrosion margin	t _c = 1.00 mm (active side)	t _s = 1.00 mm (massive side)	
Corrosion rate	η = 0.88		
Section efficiency	μ = 1.00		
Young's modulus	E = 200000 N/mm ²		
Inertia sectional moment	I ₀ = 145000 cm ⁴ (original condition)		
	I = 127600 cm ⁴ (after reduction by corrosion and section)		
Inertia sectional moment	EI = 200000 × 10 ³ × 127600 × 10 ⁸ = 2552 × 10 ¹⁵		

Depth (m)	N value	Depth (m)	N value	Depth (m)	N value
1	0.50	11	9.74	21	19.74
2	1.60	12	10.74	22	20.74
3	2.10	13	11.74		
4	2.74	14	12.74		
5	3.74	15	13.74		
6	4.74	16	14.74		
7	5.74	17	15.74		
8	6.74	18	16.74		
9	7.74	19	17.74		
10	8.74	20	18.74		

5-2 Normal Condition

K_s = 21838 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.389 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.61 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (CL -3.91 m) to 2.61 m depth (CL -6.52 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)	
		upper	lower		
1	3.91	0.83	9.0	14.0	9.56
2	4.74	1.00	14.0	22.0	18.00
3	5.74	0.78	22.0	21.2	16.93

L = Σh = 2.61 ΣA = 44.50

$$A = (\text{upper N value} + \text{lower N value}) \times h/2$$

L_No. 15_pp.21

$$\begin{aligned} \text{average n value } N' &= \frac{\Sigma A}{L} \\ &= \frac{44.50}{2.61} \\ &= 17.02 \end{aligned}$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following.

$$K_h = 6910 \times N'^{0.496} = 6910 \times 17.02^{0.496} = 21838 \text{ kN/m}^3$$

$$K_h \text{ (normal condition)} = 21838 \text{ kNm}^3$$

5-3 Seismic Condition

K_s = 23292 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.389 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.57 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (CL -4.60 m) and 2.57 m depth (CL -7.17 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)	
		upper	lower		
1	4.60	0.14	13.1	14.0	19.2
2	4.74	1.00	14.0	22.0	18.00
3	5.74	1.00	22.0	21.0	21.50
4	6.74	0.43	21.0	24.9	9.89

L = Σh = 2.57 ΣA = 51.32

$$A = (\text{upper N value} + \text{lower N value}) \times h/2$$

$$\begin{aligned} \text{average n value } N' &= \frac{\Sigma A}{L} \\ &= \frac{51.32}{2.57} \\ &= 19.94 \end{aligned}$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following.

$$K_h = 6910 \times N'^{0.496} = 6910 \times 19.94^{0.496} = 23292 \text{ kN/m}^3$$

$$K_h \text{ (seismic condition)} = 23292 \text{ kNm}^3$$

L_No. 15_pp.22

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Elevation h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~2.10	14.66 41.62	15.40 43.70	3.21 2.51	49.40 109.65
2	2.10~2.60	44.17 50.78	11.04 12.69	1.64 1.48	18.14 18.73
3	2.60~2.70	50.78 45.72	2.54 2.29	1.28 1.24	3.24 2.84
4	2.70~2.74	45.72 44.44	0.91 0.89	1.20 1.18	1.09 1.05
5	2.74~3.74	44.44 12.40	22.22 6.20	0.84 0.50	18.56 3.11
6	3.74~3.91	6.04 0.00	0.04 0.00	0.51 0.00	0.11 0.00

ΣP = 118.39 ΣM = 225.87

P : active earth pressure + residual water pressure - massive earth pressure
 P : load P_s × h/2 × B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P × Y

Arbitrary load lateral load P = 8.8 kNm
 depth to acting position H = -0.90 m
 moment M₀ = 0.0 kNm/m
 depth to acting position H₀ = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed L_k = 1.31 m

Moment M₀ by arbitrary load is as below
 M₀ = P₀ × (H + L_k - H_{0}) + M₀ = 42.32 kN-m}

h₀ : Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{268.19}{127.19} = 2.11 \text{ m}$$

L_No. 15_pp.23

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~2.10	21.72 51.70	22.80 54.28	3.90 3.20	88.90 173.60
2	2.10~2.20	55.13 56.61	2.76 2.83	2.46 2.43	6.79 6.88
3	2.20~2.60	56.61 86.60	11.32 11.72	2.26 2.13	25.64 24.98
4	2.60~2.74	86.60 55.16	4.10 3.86	1.95 1.90	8.01 7.36
5	2.74~3.74	55.16 30.64	27.58 15.32	1.52 1.19	42.06 18.25
6	3.74~4.60	24.09 0.00	10.34 0.00	0.57 0.29	5.92 0.00

ΣP = 166.92 ΣM = 408.40

P : active earth pressure + residual water pressure - massive earth pressure
 P : load P_s × h/2 × B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P × Y

Arbitrary load lateral load P = 19.7 kNm
 depth to acting position H = -0.75 m
 moment M₀ = 14.2 kNm/m
 depth to acting position H₀ = 0.80 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed L_k = 2.00 m

Moment M₀ by arbitrary load is as below
 M₀ = P₀ × (H + L_k - H_{0}) + M₀ = 119.56 kN-m}

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _{sw} (kNm ²)	Load P _{sw} (kN)	Arm length Y (m)	Moment M _{sw} (kNm)
1	2.20~2.60	0.40	0.0 0.7	0.00 0.14	2.26 2.13	0.00 0.29

ΣP_{sw} = 0.14 ΣM_{sw} = 0.29

h₀ : Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_{sw}}{\Sigma P + P_0 + \Sigma P_{sw}} = \frac{528.25}{186.76} = 2.83 \text{ m}$$

L_No. 15_pp.24

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width	B = 1.0000 m
Corrosion margin	t _c = 1.00 mm (active side) t _s = 1.00 mm (passive side)
Corrosion rate	n = 0.88
Section efficiency	u = 1.00
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 145000 cm ⁴ (original condition) I = 127600 cm ⁴ (after reduction by corrosion and section)
	H = 200000 × 10 ³ × 127600 × 10 ⁻⁸

$$\beta = \sqrt[4]{\frac{K_s \cdot B}{4 E I}}$$

$$\phi_n = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_n$$

$$l_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value	K _s = 21838 kNm ⁻³
resultant earth force (lateral)	P ₀ = 127.19 kNm
height of acting position of load moment	h ₀ = 2.11 m M ₀ = 268.19 kN-m/m

in consideration of $\psi_{lt} = 1.204$

maximum moment	M _{max} = 322.78 kN-m/m
depth of generated position of M _{max}	l _n = 0.956 m
depth of P fixed point	l _i = 3.009 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value	K _s = 23292 kNm ⁻³
resultant earth force (lateral)	P ₀ = 186.76 kNm
height of acting position of load moment	h ₀ = 2.83 m M ₀ = 528.25 kN-m/m

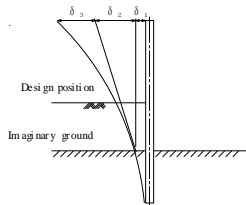
in consideration of $\psi_{lt} = 1.126$

maximum moment	M _{max} = 594.71 kN-m/m
depth of generated position of M _{max}	l _n = 0.780 m
depth of P fixed point	l _i = 2.800 m

L_No. 15_pp.25

L_No. 15_pp.26

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1+2 \times 0.3825 \times 2.11) \times 127.19}{2 \times 2.00 \times 10^8 \times 127600 \times 10^{-8} \times 0.3825^3} = 0.00805 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_s) = \frac{(1+2 \times 0.3825 \times 2.11) \times 127.19}{2 \times 2.00 \times 10^8 \times 127600 \times 10^{-8} \times 0.3825^2} \times (2.60+1.31) = 0.01740 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_s)^3}{E I} = \frac{13.29 \times (2.60+1.31)^3}{2.00 \times 10^8 \times 127600 \times 10^{-8}} = 0.00311 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00092 m in consideration of following values:
Height from imaginary riverbed to top of SSP: L = 3.91 m
Horizontal load: P = 8.80
Moment: M = 7.92

$$\delta = \delta_1 + \delta_2 + \delta_3 + \delta_3' = 0.00805 + 0.01740 + 0.00403 = 0.02948 \text{ m} = 29.48 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where

- Displacement at imaginary ground
- Displacement by angle of inclination slope at imaginary ground
- Displacement at higher part of imaginary ground as cantilever
- Displacement at top of SSP
- Allowable displacement

L_No. 15_pp.27

L_No. 15_pp.28

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin	t _c = 1.00 mm (active side) t _s = 1.00 mm (passive side)
Corrosion rate	n = 0.88
Section efficiency	u = 1.00
Module of section	Z = 4070 cm ³ (original condition) Z = 3582 cm ³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{322.78 \times 10^6}{3582 \times 10^3} = 90 \text{ N/mm}^2 \leq \sigma_s = 185 \text{ N/mm}^2 \text{ (ok)}$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{594.71 \times 10^6}{3582 \times 10^3} = 166 \text{ N/mm}^2 \leq \sigma_s = 278 \text{ N/mm}^2 \text{ (ok)}$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1 0.00~2.10	3.21 2.51	0.821 0.642	0.245 0.162	15.40 43.70	3.768 7.076
2 2.10~2.60	1.64 1.48	0.420 0.377	0.076 0.062	11.04 12.69	0.838 0.791
3 2.60~2.70	1.28 1.24	0.326 0.318	0.047 0.045	2.54 2.29	0.120 0.103
4 2.70~2.74	1.20 1.18	0.306 0.302	0.042 0.041	0.91 0.89	0.038 0.037
5 2.74~3.74	0.84 0.50	0.214 0.128	0.021 0.008	22.22 6.20	0.471 0.049
6 3.74~3.91	0.11 0.06	0.029 0.014	0.000 0.000	0.51 0.00	0.000 0.000
$\Sigma Q = 13.292$					

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_s}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

$$Q : \zeta \times P$$

P : Lateral force

H : Depth to design position

L_s : Depth from design position to imaginary ground

L_No. 15_pp.25

L_No. 15_pp.26

6-4-2 Seismic Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1 0.00~2.10	3.90 3.20	0.848 0.696	0.258 0.186	22.80 54.28	5.879 10.086
2 2.10~2.30	2.46 2.43	0.536 0.529	0.118 0.115	2.76 2.83	0.325 0.326
3 2.30~2.60	2.26 2.13	0.493 0.464	0.101 0.091	11.32 11.72	1.148 1.065
4 2.60~2.74	1.95 1.90	0.424 0.414	0.077 0.074	4.10 3.86	0.317 0.286
5 2.74~3.74	1.52 1.19	0.332 0.259	0.049 0.031	27.58 15.32	1.349 0.470
6 3.74~4.60	0.57 0.29	0.124 0.062	0.007 0.002	10.34 0.00	0.077 0.000
$\Sigma Q = 21.327$					

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_s}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

$$Q : \zeta \times P$$

P : Lateral force

H : Depth to design position

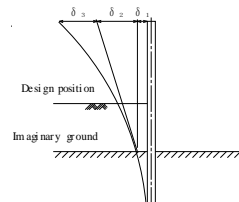
L_s : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1	2.30~2.60	2.26 2.13	0.493 0.464	0.101 0.091	0.00 0.14	0.000 0.012
$\Sigma Q_w = 0.012$						

Therefore, modulus of deformation Q is calculated as below
Q = 21.327 + 0.012 = 21.340

Displacement



L_No. 15_pp.27

L_No. 15_pp.28

$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.3887 \times 2.83) \times 186.76}{2 \times 2.00 \times 10^8 \times 127600 \times 10^{-8} \times 0.3887^3} = 0.01308 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_0)$$

$$= \frac{(1 + 2 \times 0.3887 \times 2.83) \times 186.76}{2 \times 2.00 \times 10^8 \times 127600 \times 10^{-8} \times 0.3887^2} \times (2.60 + 2.00) = 0.03563 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_0)^3}{E I}$$

$$= \frac{21.34 \times (2.60 + 2.00)^3}{2.00 \times 10^8 \times 127600 \times 10^{-8}} = 0.00813 \text{ m}$$

Additional displacement δ_4' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_4' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_4' is calculated as 0.00311 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.60 m
 Horizontal load P = 19.70
 Moment: M = 14.78

Displacement δ_{in} of cantilever beam by moment M_0 is additionally considered

$$\delta_{in} = \frac{M_0 \cdot h}{2 E I} \times (2 L - h) \quad (L = 4.60 \text{ m, } h = L - H_0, \text{ } H_0 = 0.80 \text{ m, } \text{ただし})$$

$$= \frac{14.20 \times 3.80}{2 \times 2.00 \times 10^8 \times 127600 \times 10^{-8}} \times (2 \times 4.60 - 3.80) = 0.00057 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01308 + 0.03563 + 0.01181$$

$$= 0.06053 \text{ m}$$

$$= 60.53 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

- Where,
- δ_1 : Displacement at imaginary ground
 - δ_2 : Displacement by angle of inclination slope at imaginary ground
 - δ_3 : Displacement at higher part of imaginary ground as cantilever
 - δ_4' : Displacement at top of SSP
 - δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 145000 cm ⁴ (original condition)
	I = 145000 cm ⁴ (after reduction by corrosion and section)
	H = 200000 × 10 ³ × 145000 × 10 ⁻⁸ = 2.900 × 10 ⁵

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L₀, penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = 4 \sqrt{\frac{K_0 \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction
 Calculated value

$$K_0 = 21838 \text{ kN/m}^3$$

$$\beta = 0.37042 \text{ m}^{-1}$$

Penetration length of SSP
 Whole length of SSP

$$D = 1.31 + \frac{3}{0.370} = 9.41 \text{ m}$$

$$L = 2.60 - 0.40 + 9.41 = 11.61 \text{ m}$$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction
 Calculated value

$$K_0 = 23292 \text{ kN/m}^3$$

$$\beta = 0.37643 \text{ m}^{-1}$$

Penetration length of SSP
 Whole length of SSP

$$D = 2.00 + \frac{3}{0.376} = 9.97 \text{ m}$$

$$L = 2.60 - 0.40 + 9.97 = 12.17 \text{ m}$$

Therefore, whole length of SSP is set as 12.50 m in consideration of round unit of SSP length

8 Calculation Result

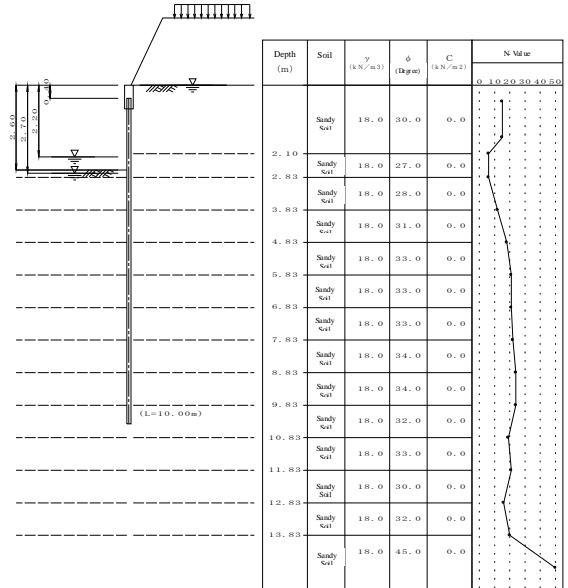
			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	145000		
Section modulus	Z (cm ³)	4070		
Maximum bending moment	M _{max} (kNm/m)		322.78	594.71
Stress intensity	σ (N/mm ²)		90 (185)	166 (278)
Lateral displacement	δ (mm)		29.48 (50.0)	60.53 (75.0)
Penetration depth	D (m)		9.41	9.97
Whole length of SSP	L (m)	12.50		

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Left Bank No. 16_STA 14+150 - 14+250



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground Hr = 0.00 m
 Depth from coping top to SSP top Hs = 0.40 m
 Landside WL L_{land} = 0.00 m (Normal Condition)
 Riverside WL L_{river} = 2.70 m (Normal Condition)
 L_{land}' = 0.00 m (Seismic Condition)
 L_{river}' = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

L_No.16_pp.1

L_No.16_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^{-3}$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition
 Design earthquake intensity $k = 0.200$
 Dynamic water pressure due to earthquake considered as distributed load
 Arbitrary load Horizontal load R = 89 kNm (Normal Condition)
 R' = 19.7 kNm (Seismic Condition)
 Depth of acting point H = -0.90 m (Normal Condition)
 H' = -0.75 m (Seismic Condition)
 Moment M_m = 0.0 kNm/m (Normal Condition)
 M_m' = 14.2 kNm/m (Seismic Condition)
 Depth of acting point H_m = 0.00 m (Seismic Condition)
 H_m' = 0.80 m (Normal Condition)
 (*Depth means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_h = 6910 \times N^{0.406}$

Average N value calculated from average N value between imaginary riverbed and depth as $1/\beta$

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	9.83	24
2	1.00	15	12	10.83	19
3	2.10	6	13	11.83	21
4	2.83	6	14	12.83	16
5	3.83	12	15	13.83	20
6	4.83	18	16	14.83	50
7	5.83	21			
8	6.83	21			
9	7.83	22			
10	8.83	24			

L_No.16_pp.3

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment share on landside

Vertical load on riverside not considered

1-7 Soil Modulus

No	Depth (m)	Soil	N value	γ kNm ³	γ' kNm ³	ϕ	C kNm ²	a	k'	ζ (degree)		kh (kNm ³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	2.83	S	6.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
3	3.83	S	12.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
4	4.83	S	18.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	—	—
5	5.83	S	21.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
6	6.83	S	21.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
7	7.83	S	22.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
8	8.83	S	24.0	18.00	10.00	34.0	0.0	0.0	0.200	auto	auto	—	—
9	9.83	S	24.0	18.00	10.00	34.0	0.0	0.0	0.200	auto	auto	—	—
10	10.83	S	19.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	—	—
11	11.83	S	21.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
12	12.83	S	16.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
13	13.83	S	21.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	—	—
14	14.83	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

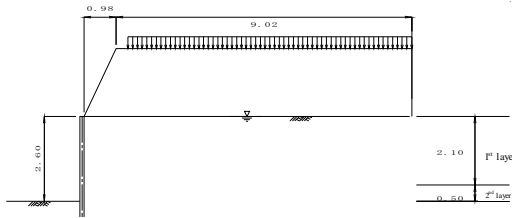
Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed(M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C_c : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

L_No.16_pp.4

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X coordinate				Embankment height h (m)	Wt unit weight γ (kNm ⁻³)	Internal friction angle φ (degree)	Cohesive force C (kNm ⁻²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.98	10.00	10.00	2.07	1.4	31.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ⁻²)	Seismic (kNm ⁻²)
1	1.34	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus E = 200000 Nmm²
 Inertia sectional moment I_o = 56700 cm⁴
 Sectional factor Z_o = 2700 cm³

Corrosion margin t_r = 1.00 mm (ri verside) t_r = 1.00 mm (landside)

Corrosion rate (to I_o) η = 0.88
 Corrosion rate (to Z_o) η = 0.88
 Section efficiency (to I_o) u = 0.80
 Section efficiency (to Z_o) u = 1.00

Round unit of SSP length 0.50 m

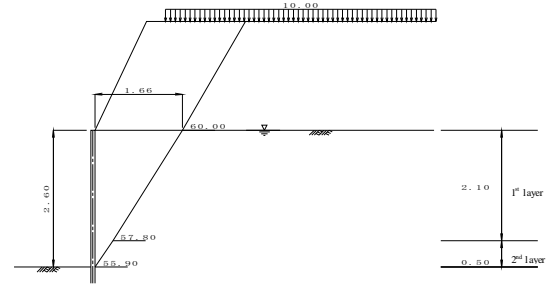
Allowable stress α = 180 Nmm (Normal)
 α' = 270 Nmm (Seismic)

Allowable displacement δ_a = 50.0 mm (Normal)
 δ_a' = 75.0 mm (Seismic)

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus Reduced I_o applied to calculation of lateral coefficient of subgrade reaction
 Not reduced I_o applied to calculation of penetration on depth
 Reduced I_o applied to calculation of section forces and displacement
 Reduced Z_o applied to calculation of stresses

2 Calculation of Acting Load
 2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kNm ⁻²)	Σγh (kNm ⁻²)	Q (kNm ⁻²)	γ _{shw} (kNm ⁻²)	Angle of rupture Z (degree)
1	2.60~ 2.10	Sandy Soil	27.0	10.0	0.0	26.00	12.21	25.48	55.90
2	2.10~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	12.21	20.58	57.80
3		Embankment	30.0	—	0.0	2.90	10.00	0.00	60.00

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since θ = 0°

Where

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 θ = tan⁻¹ k or θ = tan⁻¹ k'
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesive force of soil (kNm⁻²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	55.90	0.50	0.00	0.00	0.34	0.50
2	57.80	2.10	0.34	0.50	1.66	2.60
3	60.00	2.07	1.66	2.60	2.86	4.67

Therefore, width of acting load shall be set as 1.66 m

2-1-3 Acting Load by Embankment

No	γ (kNm ⁻³)	A (m ²)	γ X A (kNm)
1	1.4	3.66	5.13
Σ			5.13

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kNm ⁻²)	l (m)	Q X l (kNm)
1	10.0	1.52	15.16
Σ			15.16

Q : surcharge load
 l : width of surcharge load set by line of active rupture

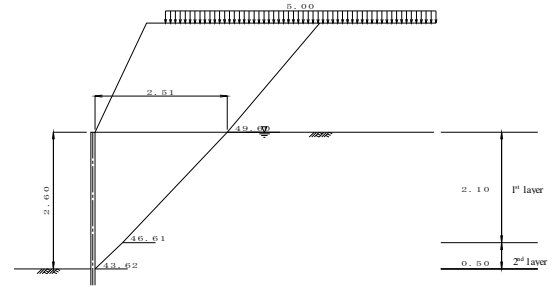
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\sum (\gamma \times A) + \sum (Q \times l) + \sum P}{L}$$

$$= \frac{5.13 + 15.16 + 0.00}{1.66}$$

$$= 12.21 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kNm ⁻²)	Σγh (kNm ⁻²)	Q (kNm ⁻²)	γ _{shw} (kNm ⁻²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60~ 2.10	Sandy Soil	27.0	10.0	0.0	26.00	9.19	25.48	0.200	11.31	43.62
2	2.10~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	9.19	20.58	0.200	11.31	46.61
3		Embankment	30.0	—	0.0	2.90	5.00	0.00	0.200	11.31	49.60

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 θ = tan⁻¹ k or θ = tan⁻¹ k'
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesive force of soil (kNm⁻²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.62	0.50	0.00	0.00	0.52	0.50
2	46.61	2.10	0.52	0.50	2.51	2.60
3	49.60	2.07	2.51	2.60	4.27	4.67

Therefore, width of acting load shall be set as 2.51 m

2-2-3 Acting Load by Embankment

No	γ (kNm ⁻³)	A (m ²)	$\gamma \times A$ (kNm)
1	1.4	6.00	8.41
Σ			8.41

γ : unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kNm ⁻²)	l (m)	Q X l (kNm)
1	5.0	2.93	14.66
Σ			14.66

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

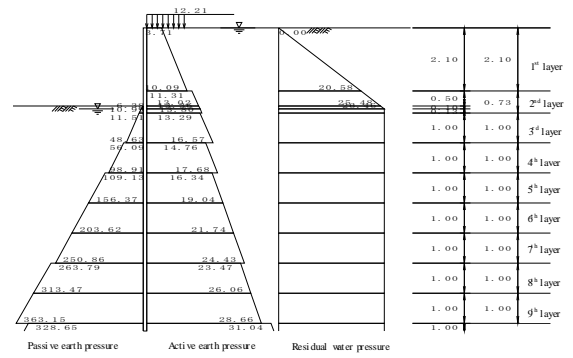
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{8.41 + 14.66 + 0.00}{2.51}$$

$$= 9.19 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q_h$ (kNm ⁻²)	K_a	$K_a \times \cos \delta$
1	0.00~2.10	Sandy soil	10.0	30.0	12.213 33.213	0.30847 0.30847	0.30378 0.30378
2	2.10~2.60	Sandy soil	10.0	27.0	33.213 38.213	0.34585 0.34585	0.34060 0.34060
3	2.60~2.70	Sandy soil	10.0	27.0	38.213 39.213	0.34585 0.34585	0.34060 0.34060
4	2.70~2.83	Sandy soil	10.0	27.0	39.213 40.513	0.34585 0.34585	0.34060 0.34060
5	2.83~3.83	Sandy soil	10.0	28.0	40.513 50.513	0.33303 0.33303	0.32798 0.32798
6	3.83~4.83	Sandy soil	10.0	31.0	50.513 60.513	0.29669 0.29669	0.29219 0.29219
7	4.83~5.83	Sandy soil	10.0	33.0	60.513 70.513	0.27412 0.27412	0.26996 0.26996
8	5.83~6.83	Sandy soil	10.0	33.0	70.513 80.513	0.27412 0.27412	0.26996 0.26996
9	6.83~7.83	Sandy soil	10.0	33.0	80.513 90.513	0.27412 0.27412	0.26996 0.26996
10	7.83~8.83	Sandy soil	10.0	34.0	90.513 100.513	0.26331 0.26331	0.25931 0.25931
11	8.83~9.83	Sandy soil	10.0	34.0	100.513 110.513	0.26331 0.26331	0.25931 0.25931
12	9.83~10.83	Sandy soil	10.0	32.0	110.513 120.513	0.28525 0.28525	0.28092 0.28092
13	10.83~11.83	Sandy soil	10.0	33.0	120.513 130.513	0.27412 0.27412	0.26996 0.26996

L_No. 16_pp.9

L_No. 16_pp.10

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q_h$ (kNm ⁻²)	K_a	$K_a \times \cos \delta$
14	11.83~12.83	Sandy soil	10.0	30.0	130.513 140.513	0.30847 0.30847	0.30378 0.30378
15	12.83~13.83	Sandy soil	10.0	32.0	140.513 150.513	0.28525 0.28525	0.28092 0.28092
16	13.83~14.83	Sandy soil	10.0	45.0	150.513 160.513	0.16262 0.16262	0.16015 0.16015

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q_p$ (kNm ⁻²)	K_p	$K_p \times \cos \delta$
3	2.60~2.70	Sandy soil	18.0	27.0	0.000 1.800	3.59892 3.59892	3.54425 3.54425
4	2.70~2.83	Sandy soil	10.0	27.0	1.800 3.100	3.59892 3.59892	3.54425 3.54425
5	2.83~3.83	Sandy soil	10.0	28.0	3.100 13.100	3.76978 3.76978	3.71251 3.71251
6	3.83~4.83	Sandy soil	10.0	31.0	13.100 23.100	4.34774 4.34774	4.28169 4.28169
7	4.83~5.83	Sandy soil	10.0	33.0	23.100 33.100	4.79713 4.79713	4.72425 4.72425
8	5.83~6.83	Sandy soil	10.0	33.0	33.100 43.100	4.79713 4.79713	4.72425 4.72425
9	6.83~7.83	Sandy soil	10.0	33.0	43.100 53.100	4.79713 4.79713	4.72425 4.72425
10	7.83~8.83	Sandy soil	10.0	34.0	53.100 63.100	5.04448 5.04448	4.96784 4.96784
11	8.83~9.83	Sandy soil	10.0	34.0	63.100 73.100	5.04448 5.04448	4.96784 4.96784
12	9.83~10.83	Sandy soil	10.0	32.0	73.100 83.100	4.56530 4.56530	4.49594 4.49594
13	10.83~11.83	Sandy soil	10.0	33.0	83.100 93.100	4.79713 4.79713	4.72425 4.72425
14	11.83~12.83	Sandy soil	10.0	30.0	93.100 103.100	4.14330 4.14330	4.08035 4.08035
15	12.83~13.83	Sandy soil	10.0	32.0	103.100 113.100	4.56530 4.56530	4.49594 4.49594
16	13.83~14.83	Sandy soil	10.0	45.0	113.100 123.100	9.34548 9.34548	9.20351 9.20351

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = -10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

L_No. 16_pp.11

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure Pw (kNm ⁻²)	Passive side Pp (kNm ⁻²)
	Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa3 (kNm ⁻²)		
1	0.00~2.10	3.71 10.09	3.71 10.09	0.00 21.58	—
2	2.10~2.60	11.31 13.02	11.31 13.02	21.58 25.48	—
3	2.60~2.70	13.02 13.36	13.02 13.36	25.48 26.46	0.00 6.38
4	2.70~2.83	13.36 13.80	13.36 13.80	26.46 26.46	6.38 10.99
5	2.83~3.83	13.29 16.57	13.29 16.57	26.46 26.46	11.51 48.63
6	3.83~4.83	14.76 17.68	14.76 17.68	26.46 26.46	56.09 98.91
7	4.83~5.83	16.34 19.04	16.34 19.04	26.46 26.46	109.13 156.37
8	5.83~6.83	19.04 21.74	19.04 21.74	26.46 26.46	156.37 213.62
9	6.83~7.83	21.74 24.43	21.74 24.43	26.46 26.46	213.62 250.86
10	7.83~8.83	23.47 26.06	23.47 26.06	26.46 26.46	263.79 313.47
11	8.83~9.83	26.06 28.66	26.06 28.66	26.46 26.46	313.47 363.15
12	9.83~10.83	31.04 33.85	31.04 33.85	26.46 26.46	363.15 373.61
13	10.83~11.83	32.53 35.23	32.53 35.23	26.46 26.46	392.59 439.83
14	11.83~12.83	39.65 42.09	39.65 42.09	26.46 26.46	379.88 420.08
15	12.83~13.83	39.47 42.28	39.47 42.28	26.46 26.46	463.53 508.49
16	13.83~14.83	24.11 25.71	24.11 25.71	26.46 26.46	1040.92 1132.95

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$

K_a : Equilibrium coefficient of compression 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

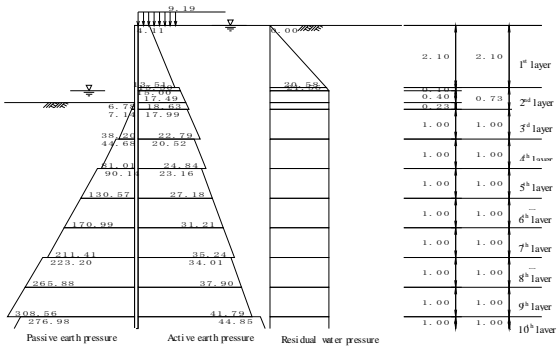
Sandy soil $P_{p1} = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Clayey soil $P_{p1} = \Sigma \gamma h + Q + 2C$

Mixed soil $P_{p1} = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

L_No. 16_pp.12

3-2 Seismic Condition



Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma\gamma h+Q$ (kNm ²)	γ_{wh} (kNm ²)	k (k)	θ (degree)	K_a	$K_a \times \cos\delta$	θ (degree)
15	12.83~13.83	Sandy Soil	10.0	32.0	---	137.49	125.73	0.200	11.31	0.42366	0.41722
16	13.83~14.83	Sandy Soil	10.0	45.0	---	157.49	135.53	0.200	11.31	0.26273	0.25874

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$\delta = 10.00, \beta = 0.00, \theta = 0.00$$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)} \right]}$$

Angle between surface of collapse and level surface of dayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan\theta$$

3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma\gamma h+Q$ (kNm ²)	γ_{wh} (kNm ²)	k (k)	θ (degree)	K_a	$K_a \times \cos\delta$	θ (degree)
1	0.00~2.10	Sandy Soil	10.0	30.0	---	9.19	0.00	0.200	11.31	0.45442	0.44752
2	2.10~2.20	Sandy Soil	10.0	27.0	---	30.19	20.58	0.200	11.31	0.50461	0.49695
3	2.20~2.60	Sandy Soil	10.0	27.0	---	31.19	21.56	0.200	11.31	0.50461	0.49695
4	2.60~2.83	Sandy Soil	10.0	27.0	---	35.19	25.48	0.200	11.31	0.50461	0.49695
5	2.83~3.83	Sandy Soil	10.0	28.0	---	37.49	27.73	0.200	11.31	0.48730	0.47989
6	3.83~4.83	Sandy Soil	10.0	31.0	---	47.49	37.53	0.200	11.31	0.43879	0.43213
7	4.83~5.83	Sandy Soil	10.0	33.0	---	57.49	47.33	0.200	11.31	0.40899	0.40278
8	5.83~6.83	Sandy Soil	10.0	33.0	---	67.49	57.13	0.200	11.31	0.40899	0.40278
9	6.83~7.83	Sandy Soil	10.0	33.0	---	77.49	66.93	0.200	11.31	0.40899	0.40278
10	7.83~8.83	Sandy Soil	10.0	34.0	---	87.49	76.73	0.200	11.31	0.39477	0.38878
11	8.83~9.83	Sandy Soil	10.0	34.0	---	97.49	86.53	0.200	11.31	0.39477	0.38878
12	9.83~10.83	Sandy Soil	10.0	32.0	---	107.49	96.33	0.200	11.31	0.42366	0.41722
13	10.83~11.83	Sandy Soil	10.0	33.0	---	117.49	106.13	0.200	11.31	0.40899	0.40278
14	11.83~12.83	Sandy Soil	10.0	30.0	---	127.49	115.93	0.200	11.31	0.45442	0.44752

L_No. 16_pp.13

L_No. 16_pp.14

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 kNm ²	Pa2 kNm ²	Pt kNm ²		
1	0.00~2.10	4.11	---	13.51	0.00	20.58
2	2.10~2.20	15.00	---	15.50	20.58	---
3	2.20~2.60	15.50	---	17.49	21.56	---
4	2.60~2.83	17.49	---	18.63	21.56	0.00
5	2.83~3.83	17.99	---	22.79	21.56	7.14
6	3.83~4.83	20.52	---	24.84	21.56	44.68
7	4.83~5.83	23.16	---	27.18	21.56	90.14
8	5.83~6.83	27.18	---	31.21	21.56	130.57
9	6.83~7.83	31.21	---	35.24	21.56	170.99
10	7.83~8.83	34.01	---	37.90	21.56	223.20
11	8.83~9.83	37.90	---	41.79	21.56	265.88
12	9.83~10.83	44.85	---	49.02	21.56	276.98
13	10.83~11.83	47.32	---	51.35	21.56	332.68
14	11.83~12.83	57.05	---	61.53	21.56	318.10
15	12.83~13.83	57.36	---	61.54	21.56	391.91
16	13.83~14.83	38.16	---	40.75	21.56	921.25

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos\delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos\delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos\delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos\delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P_{dw} (kNm ²)
1	2.20	0.00	0.00
2	2.60	0.40	0.09

$$p_{dw} = \pm \frac{7}{8} k_{dw} \cdot \gamma_w \cdot \sqrt{H} \cdot y$$

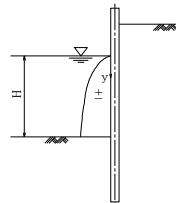
Where,

k_{dw} : design seismic coefficient

γ_w : unit weight of water

H: water depth of river side

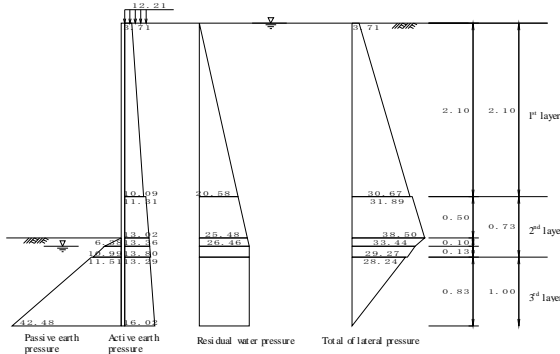
y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level I_0 is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

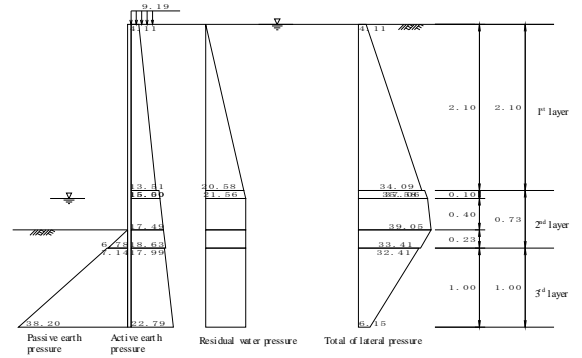


Depth (m)	P_a kNm ²	P_w kNm ²	P_p kNm ²	P_s kNm ²
1 0.00~2.10	3.71 10.09	0.00 20.58	— —	3.71 30.67
2 2.10~2.60	11.31 13.02	20.58 25.48	— —	31.89 38.50
3 2.60~2.70	13.02 13.36	25.48 26.46	0.00 6.38	38.50 33.44
4 2.70~2.83	13.36 13.80	26.46 26.46	6.38 10.99	33.44 29.27
5 2.83~3.66	13.29 16.02	26.46 26.46	11.51 42.48	28.24 0.00
6 3.66~3.83	16.02 16.57	26.46 26.46	42.48 48.63	0.00 -5.61

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed I_0 : 1.06 m (CL -3.66 m)

4-2 Seismic Condition



Depth (m)	P_a kNm ²	P_w kNm ²	P_p kNm ²	P_s kNm ²
1 0.00~2.10	4.11 13.51	0.00 20.58	— —	4.11 34.09
2 2.10~2.20	15.00 15.50	20.58 21.56	— —	35.58 37.06
3 2.20~2.60	15.50 17.49	21.56 21.56	— —	37.06 39.05
4 2.60~2.83	17.49 18.63	21.56 21.56	0.00 6.78	39.05 33.41
5 2.83~3.83	17.99 22.79	21.56 21.56	7.14 38.20	32.41 6.15
6 3.83~4.83	20.52 24.84	21.56 21.56	44.68 81.01	-2.60 -34.61

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed I_0 : 1.23 m (CL -3.83 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below.

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width	B = 1.0000 m
Corrosion margin	$t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
Corrosion rate	n = 0.88
Section efficiency	u = 0.80
Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	$I_0 = 56700$ cm ⁴ (original condition)
Inertia sectional moment	$I = 39917$ cm ⁴ (after reduction by corrosion on and section)
Inertia sectional moment	$EI = 200000 \times 10^8 \times 39917 \times 10^{-8} = 7.983 \times 10^8$

Depth (m)	N value	Depth (m)	N value
1 0.50	15	11 9.83	24
2 1.60	15	12 10.83	19
3 2.10	6	13 11.83	21
4 2.83	6	14 12.83	16
5 3.83	12	15 13.83	20
6 4.83	18	16 14.83	50
7 5.83	21		
8 6.83	21		
9 7.83	22		
10 8.83	24		

5-2 Normal Condition

$K_h = 21518$ kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.509 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 1.96 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (CL -3.66 m) to 1.96 m depth (CL -5.63 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 3.66	0.17	11.0	12.0	4.91
2 3.83	1.00	12.0	18.0	15.00
3 4.83	0.80	18.0	20.4	15.30

$L = 2h = 1.96$ $\Sigma A = 32.21$
 A (upper N value + lower N value) $\times h/2$

$$\text{Average N value } N' = \frac{\Sigma A}{L} = \frac{32.21}{1.96} = 16.41$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following.

$$K_h = 6910 \times N'^{0.496} = 6910 \times 16.41^{0.496} = 21518 \text{ kN/m}^3$$

K_h (normal condition) = 21518 kNm³

5-3 Seismic Condition

$K_h = 21914$ kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.512 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 1.95 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (CL -3.83 m) and 1.95 m depth (CL -5.78 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1 3.83	1.00	12.0	18.0	15.00
2 4.83	0.95	18.0	20.9	18.53

$L = 2h = 1.95$ $\Sigma A = 33.53$
 A (upper N value + lower N value) $\times h/2$

$$\text{Average N value } N' = \frac{\Sigma A}{L} = \frac{33.53}{1.95} = 17.16$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following.

$$K_h = 6910 \times N'^{0.496} = 6910 \times 17.16^{0.496} = 21914 \text{ kN/m}^3$$

K_h (seismic condition) = 21914 kNm³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

No	Depth Z (m)	Thickness h (m)	Total of lateral force P_0 (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~2.10	2.10	3.71 30.67	3.90 32.20	2.96 2.26	11.55 72.92
2	2.10~2.60	0.50	31.89 38.50	7.97 9.62	1.40 1.23	11.14 11.85
3	2.60~2.70	0.10	38.50 33.44	1.92 1.67	1.03 1.00	1.98 1.67
4	2.70~2.83	0.13	33.44 28.27	2.17 1.90	0.92 0.88	2.00 1.67
5	2.83~3.66	0.83	28.24 0.00	11.78 0.00	0.56 0.28	6.55 0.00
			$\Sigma P = 73.15$	$\Sigma M = 121.33$		

P_0 : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_0 \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P = 8.9$ kNm
 depth to acting position $H = -0.90$ m
 moment $M_0 = 0.0$ kNm/m
 depth to acting position $H_0 = 0.00$ m
 Height from riverbed to top of coping $H = 2.60$ m
 Depth of imaginary riverbed from riverbed $L_k = 1.06$ m

Moment M_0 by arbitrary load is as below
 $M_0 = P_0 \cdot (H + L_k - H_0) + M_0 = 40.62$ kN-m

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{\frac{P_0}{2}} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{161.96}{82.05} = 1.97 \text{ m}$$

L_No. 16_pp.21

6-1-2 Seismic Condition

No	Depth Z (m)	Thickness h (m)	Lateral load P_0 (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~2.10	2.10	4.11 34.09	4.32 35.79	3.13 2.43	13.51 86.98
2	2.10~2.20	0.10	35.58 37.06	1.78 1.85	1.70 1.66	3.02 3.08
3	2.20~2.60	0.40	37.06 39.05	7.41 7.81	1.50 1.36	11.09 10.65
4	2.60~2.83	0.23	39.05 33.41	4.40 3.84	1.15 1.08	5.18 4.14
5	2.83~3.83	1.00	32.41 6.15	16.20 3.08	0.67 0.33	10.80 1.03
			$\Sigma P = 86.58$	$\Sigma M = 149.48$		

P_0 : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_0 \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P = 19.7$ kNm
 depth to acting position $H = -0.75$ m
 moment $M_0 = 14.2$ kNm/m
 depth to acting position $H_0 = 0.80$ m
 Height from riverbed to top of coping $H = 2.60$ m
 Depth of imaginary riverbed from riverbed $L_k = 1.23$ m

Moment M_0 by arbitrary load is as below
 $M_0 = P_0 \cdot (H + L_k - H_0) + M_0 = 104.43$ kN-m

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{dw} (kNm ²)	Load P_{dw} (kN)	Arm length Y (m)	Moment M_{dw} (kNm)
1	2.20~2.60	0.40	0.0 0.7	0.00 0.14	1.50 1.36	0.00 0.19
			$\Sigma P_{dw} = 0.14$	$\Sigma M_{dw} = 0.19$		

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{\frac{P_0}{2}} = \frac{\Sigma M + M_0 + \Sigma M_{dw}}{\Sigma P + P_0 + \Sigma P_{dw}} = \frac{254.09}{106.41} = 2.39 \text{ m}$$

L_No. 16_pp.22

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000$ m
 Corrosion margin $t_c = 1.00$ mm (active side) $t_r = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.88$
 Section efficiency $\mu = 0.80$
 Young's modulus $E = 200000$ N/mm²
 Inertia sectional moment $I_0 = 56700$ cm⁴ (original condition)
 $I = 39917$ cm⁴ (after reduction by corrosion and section)
 $H = 20000 \times 10^3 \times 39917 \times 10^{-8} = 7.983 \times 10^7$

$$\beta = 4 \sqrt{\frac{K_b \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)+1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$l_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(0)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_b = 21518$ kNm³
 $\beta = 0.50949$ m⁻¹
 resultant earth force (lateral) $P_0 = 82.05$ kNm
 height of acting position of load moment $h_0 = 1.97$ m
 $M_0 = 161.96$ kN-m/m

in consideration of $\mu = 1.145$
 maximum moment $M_{max} = 185.41$ kN-m/m
 depth of generated position of M_{max} $l_n = 0.629$ m
 depth of 1° fixed point $l_1 = 2.171$ m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_b = 21914$ kNm³
 $\beta = 0.51182$ m⁻¹
 resultant earth force (lateral) $P_0 = 106.41$ kNm
 height of acting position of load moment $h_0 = 2.39$ m
 $M_0 = 254.09$ kN-m/m

in consideration of $\mu = 1.106$
 maximum moment $M_{max} = 281.06$ kN-m/m
 depth of generated position of M_{max} $l_n = 0.552$ m
 depth of 1° fixed point $l_1 = 2.087$ m

L_No. 16_pp.23

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin $t_c = 1.00$ mm (active side) $t_r = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.88$
 Section efficiency $\mu = 1.00$
 Modulus of section $Z_0 = 2700$ cm³ (original condition)
 $Z = 2376$ cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{185.41 \times 10^6}{2376 \times 10^3} = 78 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2 \text{ (ok)}$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{281.06 \times 10^6}{2376 \times 10^3} = 118 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2 \text{ (ok)}$$

6-4 Displacement

6-4-1 Normal Condition

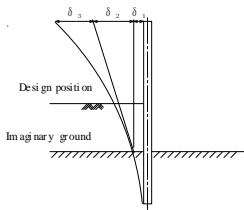
Modulus of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	2.96 2.26	0.809 0.618	0.239 0.152	3.90 32.20	0.931 4.882
2	2.10~2.60	1.40 1.23	0.381 0.336	0.063 0.050	7.97 9.62	0.506 0.482
3	2.60~2.70	1.03 1.00	0.281 0.272	0.036 0.034	1.92 1.67	0.069 0.056
4	2.70~2.83	0.92 0.88	0.251 0.240	0.029 0.026	2.17 1.90	0.063 0.050
5	2.83~3.66	0.56 0.28	0.152 0.076	0.011 0.003	11.78 0.00	0.129 0.000
			$\Sigma Q = 7.169$			

Y : Height from imaginary riverbed to acting position
 $\alpha = \alpha = \frac{Y}{H+L_k}$
 $\zeta = \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

L_No. 16_pp.24

Displacement



$$\delta_1 = \frac{(1 + \beta \cdot h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.5095 \times 1.97) \times 82.05}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5095^3} = 0.00779 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta \cdot h_0) \times P_0}{2 E I \beta^2} \times (H + L_1)$$

$$= \frac{(1 + 2 \times 0.5095 \times 1.97) \times 82.05}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5095^2} \times (2.60 + 1.06) = 0.02184 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I}$$

$$= \frac{7.17 \times (2.60 + 1.06)^3}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.00442 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00250 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.66 m
 Horizontal load: P = 8.90
 Moment: M = 8.01

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00779 + 0.02184 + 0.00692$$

$$= 0.03656 \text{ m}$$

$$= 36.56 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where

- Displacement at imaginary ground
- Displacement by angle of inclination slope at imaginary ground
- Displacement at higher part of imaginary ground as cantilever
- Displacement at top of SSP
- Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.13 2.43	0.817 0.634	0.243 0.159	4.32 35.79	1.049 5.681
2	2.10~2.20	1.70 1.66	0.443 0.434	0.084 0.081	1.78 1.85	0.149 0.149
3	2.20~2.60	1.50 1.36	0.391 0.356	0.066 0.056	7.41 7.81	0.492 0.436
4	2.60~2.83	1.15 1.08	0.301 0.281	0.041 0.036	4.49 3.84	0.183 0.138
5	2.83~3.83	0.67 0.33	0.174 0.087	0.014 0.004	16.20 3.08	0.231 0.011
ΣQ = 8.520						

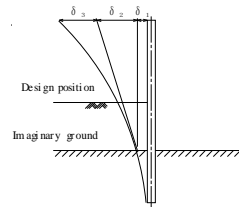
Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H + L_1}$
 $\zeta : \zeta = \frac{(3 - \alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_1 : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_w (kN)	Q_w (kN)
1	2.20~2.60	1.50 1.36	0.391 0.356	0.066 0.056	0.00 0.14	0.000 0.008
Σ Q_w = 0.008						

Therefore, modulus of deformation Q is calculated as below
 $Q = 8.520 + 0.008 = 8.527$

Displacement



$$\delta_1 = \frac{(1 + \beta \cdot h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.5118 \times 2.39) \times 106.41}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5118^3} = 0.01105 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta \cdot h_0) \times P_0}{2 E I \beta^2} \times (H + L_1)$$

$$= \frac{(1 + 2 \times 0.5118 \times 2.39) \times 106.41}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5118^2} \times (2.60 + 1.23) = 0.03356 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I}$$

$$= \frac{8.53 \times (2.60 + 1.23)^3}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.00600 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00598 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.83 m
 Horizontal load: P = 19.70
 Moment: M = 14.78

Displacement δ_{3a} of cantilever beam by moment M_0 is additionally considered

$$\delta_{3a} = \frac{M_0 \cdot h}{2 E I} \times (2 L - h) \quad (L = 3.83 \text{ m}, h = L - H_0, H_0 = 0.80 \text{ m}, \text{ただし } h \leq L)$$

$$= \frac{14.20 \times 3.03}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8}} \times (2 \times 3.83 - 3.03) = 0.00125 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01105 + 0.03356 + 0.01323$$

$$= 0.05783 \text{ m}$$

$$= 57.83 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ : Displacement at top of SSP
- δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	η = 1.00
Section efficiency	μ = 1.00
Young's modulus	E = 200000 Nmm ⁻²
Inertia sectional moment	I_0 = 56700 cm ⁴ (original condition)
	I = 56700 cm ⁴ (after reduction by corrosion and section)
H	= 200000 × 10 ³ × 56700 × 10 ⁸ = 1.134 × 10 ¹⁷

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_1 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_1 + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction	K_b = 21518 kN/m ³
Calculated value	β = 0.46669 m ⁻¹
Penetration length of SSP	D = 1.06 + $\frac{3}{0.467}$ = 7.49 m
Whole length of SSP	L = 2.60 - 0.40 + 7.49 = 9.69 m

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction	K_b = 21914 kN/m ³
Calculated value	β = 0.46883 m ⁻¹
Penetration length of SSP	D = 1.23 + $\frac{3}{0.469}$ = 7.63 m
Whole length of SSP	L = 2.60 - 0.40 + 7.63 = 9.83 m

Therefore, whole length of SSP is set as 10.00 m in consideration of round unit of SSP length

8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	56700		
Sectional radius	Z (cm ³)	2700		
Maximum bending moment	M_{max} (kNm/m)		185.41	281.06
Stress intensity	σ (Nmm ²)		78 (180)	118 (270)
Lateral displacement	δ (mm)		26.56 (51.0)	57.83 (75.0)
Penetration depth	D (m)		7.49	7.63
Whole length of SSP	L (m)	10.00		

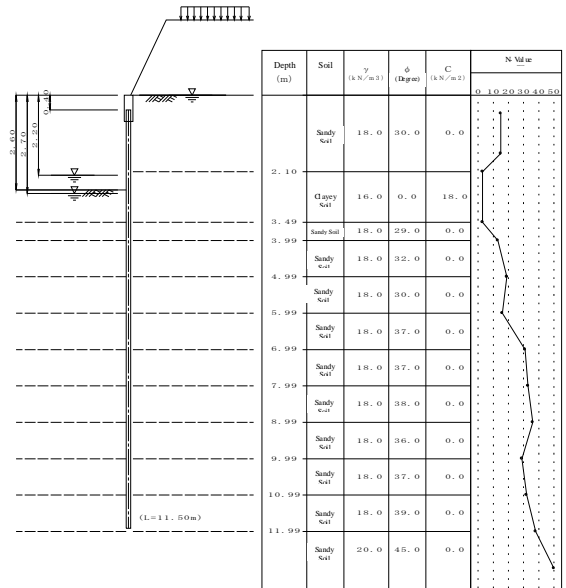
L_No. 16_pp.29

— Steel Sheet Pile Design Calculation —

Left Bank No. 17_STA 14+250-14+272

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Landside WL L_{land}' = 0.00 m (Normal Condition)
 Landside WL L_{land}' = 0.00 m (Seismic Condition)
 Riverside WL L_{river}' = 2.70 m (Normal Condition)
 Riverside WL L_{river}' = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

L_No.17_pp.1

L_No.17_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition
 Design earthquake intensity $k = 0.200$
 Dynamic water pressure due to earthquake considered as distributed load
 Arbitrary load Horizontal load R = 8.9 kNm (Normal Condition)
 R' = -19.7 kNm (Seismic Condition)
 Depth of acting point H = -0.90 m (Normal Condition)
 H' = -0.75 m (Seismic Condition)
 Moment M_m = 0.0 kNm/m (Normal Condition)
 M_m' = 14.2 kNm/m (Seismic Condition)
 Depth of acting point H_m' = 0.00 m (Seismic Condition)
 H_m' = 0.80 m (Normal Condition)
 (*Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_s = 6910 \times N^{0.406}$
 Average N value calculated from average N value between imaginary riverbed and depth as $1/\beta$

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	9.99	29
2	1.60	15	12	10.99	32
3	2.10	3	13	11.99	38
4	3.49	3	14	13.00	50
5	3.99	13			
6	4.99	19			
7	5.99	16			
8	6.99	31			
9	7.99	33			
10	8.99	36			

L_No.17_pp.3

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment share on landside

Vertical load on riverside not considered

1-7 Soil Modulus

No	Depth (m)	Soil	N value	γ (kNm ³)	γ' (kNm ³)	φ	C (kNm ²)	a	k'	ζ (degree)		kh (kNm ³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	3.49	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	—	—
3	3.99	S	13.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	—	—
4	4.99	S	19.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	—	—
5	5.99	S	16.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
6	6.99	S	31.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
7	7.99	S	33.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
8	8.99	S	36.0	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	—	—
9	9.99	S	29.0	18.00	10.00	36.0	0.0	0.0	0.200	auto	auto	—	—
10	10.99	S	32.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
11	11.99	S	38.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	—	—
12	13.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

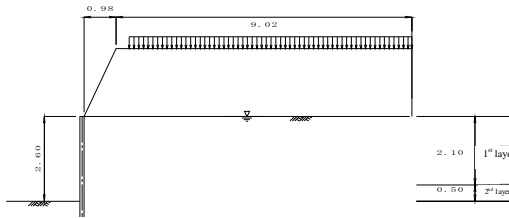
Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C_s : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	-10.00°	-10.00°
passive	-10.00°	-10.00°

L_No.17_pp.4

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight (kN/m³)	Internal friction angle (degree)	Cohesive force C (kN/m²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.98	10.00	10.00	2.07	18.0	31.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kNm²)	Seismic (kNm²)
1	1.38	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus E = 200000 Nmm²
 Inertia sectional moment I_s = 114000 cm⁴
 Sectional factor Z_s = 3250 cm³

Corrosion margin t_s = 1.00 mm (tri side) t_s = 1.00 mm (landside)

Corrosion rate (to I_s) η = 0.84
 Corrosion rate (to Z_s) η = 0.87
 Section efficiency (to I_s) μ = 1.00
 Section efficiency (to Z_s) μ = 1.00

Round unit of SSP length 0.50 m

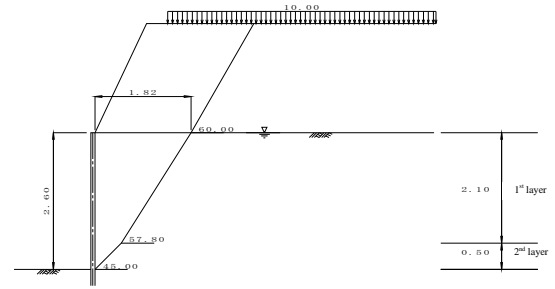
Allowable stress σ_s = 185 Nmm (Normal)
 σ_s' = 278 Nmm (Seismic)

Allowable displacement δ_s = 50.0 mm (Normal)
 δ_s' = 75.0 mm (Seismic)

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus: Reduced I_s applied to calculation of lateral coefficient of subgrade reaction
 Not reduced I_s applied to calculation of penetration on depth
 Reduced I_s applied to calculation of section forces and displacement
 Reduced Z_s applied to calculation of stresses

2 Calculation of Acting Load
 2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m²)	Σγh (kN/m²)	Q (kN/m²)	γwh (kN/m²)	Angle of rupture Z (degree)
1	2.60~ 2.10	Clayey Soil	0.0	10.0	18.0	25.00	48.44	25.48	45.00
2	2.10~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	48.44	20.58	57.80
3		Embankment	30.0	—	0.0	37.26	10.00	0.00	60.00

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since θ = 0°

Where,

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- θ = tan⁻¹k or θ = tan⁻¹k'
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm²)
- C : cohesive force of soil (kNm²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.50	0.00	0.00	0.50	0.50
2	57.80	2.10	0.50	0.50	1.82	2.60
3	60.00	2.07	1.82	2.60	3.02	4.67

Therefore, width of acting load shall be set as 1.82 m

2-1-3 Acting Load by Embankment

No	γ (kNm ⁻³)	A (m²)	γ X A (kNm)
1	18.0	4.00	71.91
Σ			71.91

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kNm ²)	l (m)	Q X l (kNm)
1	10.0	1.64	16.38
Σ			16.38

Q : surcharge load
 l : width of surcharge load set by line of active rupture

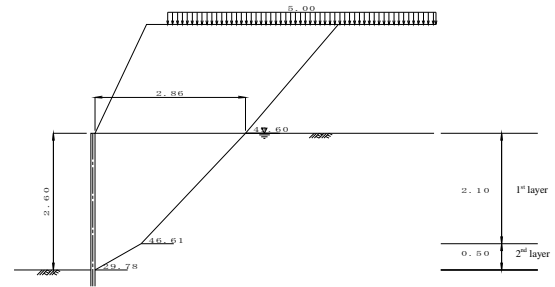
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{71.91 + 16.38 + 0.00}{1.82}$$

$$= 48.44 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m²)	Σγh (kN/m²)	Q (kN/m²)	γwh (kN/m²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60~ 2.10	Clayey Soil	0.0	10.0	18.0	25.00	48.02	25.48	0.200	11.31	29.78
2	2.10~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	48.02	20.58	0.200	11.31	46.61
3		Embankment	30.0	—	0.0	37.26	5.00	0.00	0.200	11.31	49.60

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where,

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- θ = tan⁻¹k or θ = tan⁻¹k'
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm²)
- C : cohesive force of soil (kNm²)

2-2-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	29.78	0.50	0.00	0.00	0.87	0.50
2	46.61	2.10	0.87	0.50	2.86	2.60
3	49.60	2.07	2.86	2.60	4.62	4.67

Therefore, width of acting load shall be set as 2.86 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	6.73	121.08
Σ			121.08

γ : unit weight of embankment soil
 A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	3.24	16.20
Σ			16.20

Q: surcharge load
 l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

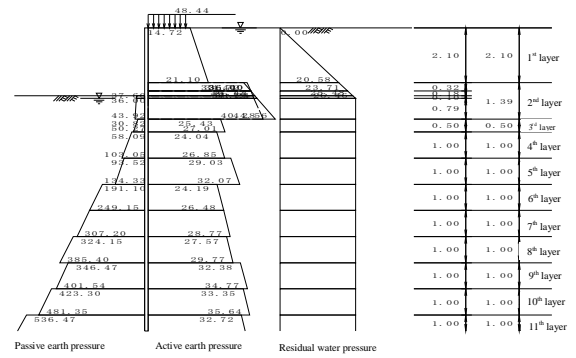
$$= \frac{121.08 + 16.20 + 0.00}{2.86}$$

$$= 48.02 \text{ kN/m}^2$$

L_No.17_pp.9

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_0$ (kN/m ²)	K_a	$K_a \times \cos\delta$
1 0.00~2.10	Sandy soil	10.0	30.0	---	48.445 69.445	0.30847 0.30847	0.30378 0.30378
2 2.10~2.42	Clayey soil	8.0	---	18.0 18.0	69.445 72.000	---	---
3 2.42~2.60	Clayey soil	8.0	---	18.0 18.0	72.000 73.445	---	---
4 2.60~2.70	Clayey soil	8.0	---	18.0 18.0	73.445 74.245	---	---
5 2.70~3.49	Clayey soil	8.0	---	18.0 18.0	74.245 80.565	---	---
6 3.49~3.99	Sandy soil	10.0	29.0	---	80.565 85.565	0.32058 0.32058	0.31571 0.31571
7 3.99~4.99	Sandy soil	10.0	32.0	---	85.565 95.565	0.28525 0.28525	0.28092 0.28092
8 4.99~5.99	Sandy soil	10.0	30.0	---	95.565 105.565	0.30847 0.30847	0.30378 0.30378
9 5.99~6.99	Sandy soil	10.0	37.0	---	105.565 115.565	0.23264 0.23264	0.22910 0.22910
10 6.99~7.99	Sandy soil	10.0	37.0	---	115.565 125.565	0.23264 0.23264	0.22910 0.22910
11 7.99~8.99	Sandy soil	10.0	38.0	---	125.565 135.565	0.22298 0.22298	0.21959 0.21959
12 8.99~9.99	Sandy soil	10.0	36.0	---	135.565 145.565	0.24257 0.24257	0.23889 0.23889
13 9.99~10.99	Sandy soil	10.0	37.0	---	145.565 155.565	0.23264 0.23264	0.22910 0.22910

L_No.17_pp.10

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_0$ (kN/m ²)	K_a	$K_a \times \cos\delta$
14 10.99~11.99	Sandy soil	10.0	39.0	---	155.565 165.565	0.21359 0.21359	0.21035 0.21035
15 11.99~13.00	Sandy soil	10.0	45.0	---	165.565 175.665	0.16262 0.16262	0.16015 0.16015

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_0$ (kN/m ²)	K_p	$K_p \times \cos\delta$
4 2.60~2.70	Clayey soil	16.0	0.0	18.0 18.0	0.000 1.600	---	---
5 2.70~3.49	Clayey soil	8.0	0.0	18.0 18.0	1.600 7.920	---	---
6 3.49~3.99	Sandy soil	10.0	29.0	---	7.920 12.920	3.95996 3.95996	3.89093 3.89093
7 3.99~4.99	Sandy soil	10.0	32.0	---	12.920 22.920	4.56530 4.56530	4.49594 4.49594
8 4.99~5.99	Sandy soil	10.0	30.0	---	22.920 32.920	4.14330 4.14330	4.08035 4.08035
9 5.99~6.99	Sandy soil	10.0	37.0	---	32.920 42.920	5.89457 5.89457	5.80501 5.80501
10 6.99~7.99	Sandy soil	10.0	37.0	---	42.920 52.920	5.89457 5.89457	5.80501 5.80501
11 7.99~8.99	Sandy soil	10.0	38.0	---	52.920 62.920	6.21981 6.21981	6.12532 6.12532
12 8.99~9.99	Sandy soil	10.0	36.0	---	62.920 72.920	5.59154 5.59154	5.50659 5.50659
13 9.99~10.99	Sandy soil	10.0	37.0	---	72.920 82.920	5.89457 5.89457	5.80501 5.80501
14 10.99~11.99	Sandy soil	10.0	39.0	---	82.920 92.920	6.50948 6.50948	6.40967 6.40967
15 11.99~13.00	Sandy soil	10.0	45.0	---	92.920 103.020	9.34548 9.34548	9.20351 9.20351

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = -10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure	Passive side
	P_{a1} (kN/m ²)	P_{a2} (kN/m ²)	P_{a3} (kN/m ²)		
1 0.00~2.10	14.72 21.10	---	14.72 21.10	0.00 20.58	---
2 2.10~2.42	33.44 36.00	34.72 36.00	34.72 36.00	23.78 23.71	---
3 2.42~2.60	36.00 37.44	36.00 36.72	36.00 37.44	23.71 25.48	---
4 2.60~2.70	37.44 38.24	36.72 37.12	37.44 38.24	25.48 26.46	36.00 37.60
5 2.70~3.49	38.24 44.56	37.12 40.28	38.24 44.56	26.46 26.46	37.60 43.92
6 3.49~3.99	25.43 27.01	---	25.43 27.01	26.46 26.46	30.82 30.27
7 3.99~4.99	24.04 26.85	---	24.04 26.85	26.46 26.46	58.09 103.05
8 4.99~5.99	29.03 32.07	---	29.03 32.07	26.46 26.46	93.52 134.33
9 5.99~6.99	24.19 26.48	---	24.19 26.48	26.46 26.46	191.10 249.15
10 6.99~7.99	26.48 28.77	---	26.48 28.77	26.46 26.46	249.15 307.20
11 7.99~8.99	27.57 29.77	---	27.57 29.77	26.46 26.46	324.15 385.40
12 8.99~9.99	32.38 34.77	---	32.38 34.77	26.46 26.46	346.47 401.54
13 9.99~10.99	33.35 35.64	---	33.35 35.64	26.46 26.46	423.30 481.35
14 10.99~11.99	32.72 34.83	---	32.72 34.83	26.46 26.46	536.47 601.16
15 11.99~13.00	26.52 28.13	---	26.52 28.13	26.46 26.46	855.19 948.15

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos\delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of P_{a1} or P_{a2} is applied as active earth pressure (P_a)

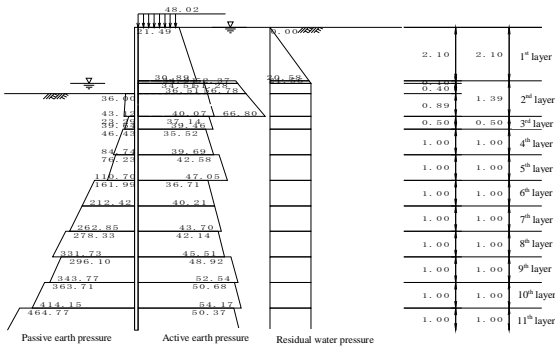
Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos\delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos\delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos\delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σh·Q (kNm ⁻²)	γ _{sbw} (kNm ⁻³)	k (k)	θ (degree)	K _a	K _a × cos δ	θ (degree)
1 000~210	Sandy Soil	18.0	30.0	—	48.02	0.00	0.200	11.31	0.45442	0.44752	—
2 210~220	Clayey Soil	18.0	8.0	18.0	69.02	20.58	0.200	11.31	—	—	30.60
3 220~260	Clayey Soil	18.0	8.0	18.0	69.82	21.56	0.200	11.31	—	—	30.44
4 260~349	Clayey Soil	18.0	8.0	18.0	73.02	25.48	0.200	11.31	—	—	30.44
5 349~399	Sandy Soil	10.0	29.0	—	80.14	34.20	0.200	11.31	0.47058	0.46343	—
6 399~499	Sandy Soil	10.0	32.0	—	85.14	39.10	0.200	11.31	0.42366	0.41722	—
7 499~599	Sandy Soil	10.0	30.0	—	95.14	48.90	0.200	11.31	0.45442	0.44752	—
8 599~699	Sandy Soil	10.0	37.0	—	105.14	58.70	0.200	11.31	0.35458	0.34919	—
9 699~799	Sandy Soil	10.0	37.0	—	115.14	68.50	0.200	11.31	0.35458	0.34919	—
10 799~899	Sandy Soil	10.0	38.0	—	125.14	78.30	0.200	11.31	0.34194	0.33674	—
11 899~999	Sandy Soil	10.0	36.0	—	135.14	88.10	0.200	11.31	0.36758	0.36200	—
12 999~1099	Sandy Soil	10.0	37.0	—	145.14	97.90	0.200	11.31	0.35458	0.34919	—
13 1099~1199	Sandy Soil	10.0	39.0	—	155.14	107.70	0.200	11.31	0.32966	0.32465	—
14 1199~1300	Sandy Soil	10.0	45.0	—	165.14	117.50	0.200	11.31	0.26273	0.25874	—

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σh·Qp (kNm ⁻²)	γ _{sbw} (kNm ⁻³)	k (k)	θ (degree)	K _p	K _p × cos δ
4 260~349	Clayey Soil	18.0	8.0	18.0	73.02	25.48	0.200	11.31	—	—
5 349~399	Sandy Soil	10.0	29.0	—	80.14	34.20	0.200	11.31	3.2141	3.27095
6 399~499	Sandy Soil	10.0	32.0	—	85.14	39.10	0.200	11.31	3.8012	3.83102
7 499~599	Sandy Soil	10.0	30.0	—	95.14	48.90	0.200	11.31	3.49953	3.44637
8 599~699	Sandy Soil	10.0	37.0	—	105.14	58.70	0.200	11.31	5.12098	5.04318
9 699~799	Sandy Soil	10.0	37.0	—	115.14	68.50	0.200	11.31	5.12098	5.04318
10 799~899	Sandy Soil	10.0	38.0	—	125.14	78.30	0.200	11.31	5.42254	5.34016
11 899~999	Sandy Soil	10.0	36.0	—	135.14	88.10	0.200	11.31	4.84018	4.76665
12 999~1099	Sandy Soil	10.0	37.0	—	145.14	97.90	0.200	11.31	5.12098	5.04318
13 1099~1199	Sandy Soil	10.0	39.0	—	155.14	107.70	0.200	11.31	5.74696	5.69965
14 1199~1300	Sandy Soil	10.0	45.0	—	165.14	117.50	0.200	11.31	8.33000	8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure	Passive side
		P _{a1} (kNm ⁻²)	P _{a2} (kNm ⁻²)	P _a (kNm ⁻²)		
1	0.00~2.10	21.49	—	21.49	0.00	—
2	2.10~2.20	51.28	34.51	51.28	20.58	—
3	2.20~2.60	52.37	34.91	52.37	21.56	—
4	2.60~3.49	56.78	36.51	56.78	21.56	36.00
5	3.49~3.99	37.14	—	37.14	21.56	23.29
6	3.99~4.99	35.52	—	35.52	21.56	46.43
7	4.99~5.99	42.58	—	42.58	21.56	76.23
8	5.99~6.99	36.71	—	36.71	21.56	161.99
9	6.99~7.99	40.21	—	40.21	21.56	212.42
10	7.99~8.99	42.14	—	42.14	21.56	278.33
11	8.99~9.99	48.92	—	48.92	21.56	296.10
12	9.99~10.99	50.68	—	50.68	21.56	363.71
13	10.99~11.99	30.37	—	30.37	21.56	464.77
14	11.99~13.00	42.73	—	42.73	21.56	755.70

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\sum \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
 Clayey soil $P_{a1} = \sum \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\sum \gamma h + Q)$
 K_a: Equilibrium coefficient of compression: 0.5
 Larger of P_{a1} or P_{a2} is applied as active earth pressure (P_a)

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\sum \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
 Clayey soil $P_p = \sum \gamma h + Q + 2C$
 Mixed soil $P_p = \left[K_p \cdot (\sum \gamma h + Q) + 2C \sqrt{K_p} \right] \cdot \cos \delta$

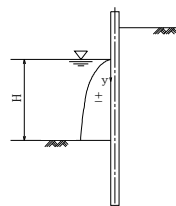
3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	W/L (y (m))	P _{sw} (kNm ⁻³)
1	2.20	0.00	0.00
2	2.60	0.40	0.09

$$p_{sw} = \pm \frac{7}{8} k_{sw} \cdot \gamma_w \cdot \sqrt{H} \cdot y$$

Where,

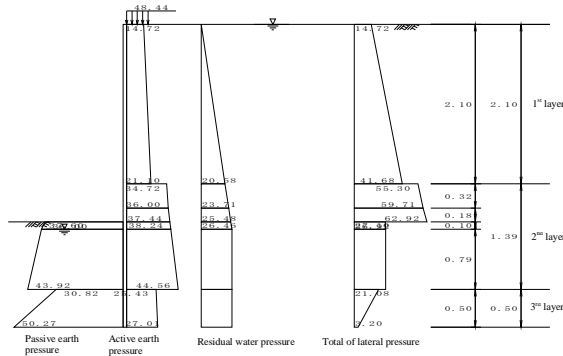
- k_{sw}: design seismic coefficient
- γ_w: unit weight of water
- H: water depth of river side
- y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level I_1 is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

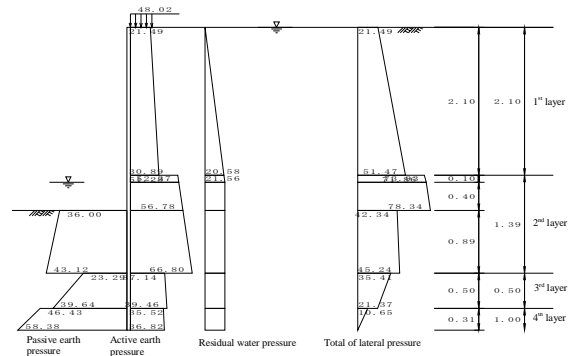


Depth (m)	P_a kNm ²	P_w kNm ²	P_p kNm ²	P_s kNm ²
1 0.00~2.10	14.72 21.10	0.00 20.58	— —	14.72 41.68
2 2.10~2.42	34.72 36.00	20.58 23.71	— —	55.30 59.71
3 2.42~2.60	36.00 37.44	23.71 25.48	— —	59.71 62.92
4 2.60~2.70	37.44 38.24	25.48 26.46	36.00 37.60	26.92 27.10
5 2.70~3.49	38.24 44.56	26.46 26.46	37.60 43.92	27.10 27.10
6 3.49~3.99	25.43 27.01	26.46 26.46	30.82 50.27	21.08 3.20
7 3.99~4.99	24.04 26.85	26.46 26.46	58.09 103.05	-7.59 -49.74

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed I_1 : 1.39 m (CL -3.99 m)

4-2 Seismic Condition



Depth (m)	P_a kNm ²	P_w kNm ²	P_p kNm ²	P_s kNm ²
1 0.00~2.10	21.49 30.89	0.00 20.58	— —	21.49 51.47
2 2.10~2.20	51.28 52.37	20.58 21.56	— —	71.86 73.93
3 2.20~2.60	52.37 56.78	21.56 21.56	— —	73.93 78.34
4 2.60~3.49	56.78 66.80	21.56 21.56	36.00 43.12	42.34 45.24
5 3.49~3.99	37.14 39.46	21.56 21.56	23.29 39.64	35.41 21.37
6 3.99~4.30	35.52 36.82	21.56 21.56	46.43 58.38	10.65 0.00
7 4.30~4.99	36.82 39.69	21.56 21.56	58.38 84.74	0.00 -23.49

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed I_1 : 1.70 m (CL -4.30 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below.

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width	B = 1.0000 m
Corrosion margin	$t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
Corrosion rate	$\eta = 0.84$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	$I_0 = 114000$ cm ⁴ (original condition)
Inertia sectional moment	$I = 95760$ cm ⁴ (after reduction by corrosion and section)
Inertia sectional moment	$EI = 200000 \times 10^3 \times 95760 \times 10^8 = 1.915 \times 10^9$

Depth (m)	N value	Depth (m)	N value
1 0.50	15	11 9.99	29
2 1.60	15	12 10.99	32
3 2.10	3	13 11.99	38
4 3.49	3	14 13.00	50
5 3.99	13		
6 4.99	19		
7 5.99	16		
8 6.99	31		
9 7.99	33		
10 8.99	36		

5-2 Normal Condition

$K_h = 21928$ kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.411 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.43 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (CL -3.99 m) to 2.43 m depth (CL -6.42 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1 3.99	1.00	13.0	19.0	16.00
2 4.99	1.00	19.0	16.0	17.50
3 5.99	0.45	16.0	22.5	8.29
L = Σh = 2.43		ΣA = 41.79		

A (upper N value + lower N value) × h/2

$$\text{Average N value } N' = \frac{\Sigma A}{L} = \frac{41.79}{2.43} = 17.19$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.496} = 6910 \times 17.19^{0.496} = 21928 \text{ kN/m}^3$$

K_h (normal condition) = 21928 kNm³

5-3 Seismic Condition

$K_h = 22602$ kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.414 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.41 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (CL -4.30 m) and 2.41 m depth (CL -6.71 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1 4.30	0.69	14.9	19.0	11.65
2 4.99	1.00	19.0	16.0	17.50
3 5.99	0.72	16.0	26.9	15.54
L = Σh = 2.41		ΣA = 44.69		

A (upper N value + lower N value) × h/2

$$\text{Average N value } N' = \frac{\Sigma A}{L} = \frac{44.69}{2.41} = 18.52$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.496} = 6910 \times 18.52^{0.496} = 22602 \text{ kN/m}^3$$

K_h (seismic condition) = 22602 kNm³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P_0 (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00~2.10	2.10	14.72 41.68	15.45 43.76	3.29 2.59	50.84 113.34
2 2.10~2.42	0.32	55.30 59.71	8.83 9.54	1.78 1.68	15.75 15.99
3 2.42~2.60	0.18	59.71 62.92	5.39 5.68	1.51 1.45	8.14 8.24
4 2.60~2.70	0.10	26.92 27.10	1.35 1.36	1.36 1.32	1.83 1.79
5 2.70~3.49	0.79	27.10 27.10	10.71 10.71	1.03 0.76	10.99 8.17
6 3.49~3.99	0.50	21.08 3.20	5.27 0.80	0.33 0.17	1.76 0.13
		$\Sigma P = 118.84$			$\Sigma M = 236.98$

P : active earth pressure + residual water pressure - passive earth pressure
 P : load $P \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P = 8.9$ kNm
 depth to acting position $H = -0.90$ m
 moment $M_0 = 0.0$ kNm/m
 depth to acting position $H_0 = 0.00$ m
 Height from riverbed to top of coping $H = 2.60$ m
 Depth of imaginary riverbed from riverbed $L_0 = 1.39$ m

Moment M_0 by arbitrary load is as below
 $M_0 = P \cdot (H + L_0 - H_0) + M_0 = 43.52$ kNm

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{280.50}{127.74} = 2.20 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P_0 (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00~2.10	2.10	21.49 51.47	22.56 54.04	3.60 2.90	81.27 156.82
2 2.10~2.20	0.10	71.86 73.93	3.89 3.70	2.17 2.14	7.79 7.89
3 2.20~2.60	0.40	73.93 78.34	14.79 15.67	1.97 1.84	29.11 28.76
4 2.60~3.49	0.89	42.34 45.24	18.84 20.13	1.41 1.11	26.48 22.32
5 3.49~3.99	0.50	35.41 21.37	8.85 5.34	0.65 0.48	5.71 2.56
6 3.99~4.30	0.31	10.65 0.00	1.66 0.00	0.21 0.10	0.35 0.00
		$\Sigma P = 169.18$			$\Sigma M = 369.07$

P : active earth pressure + residual water pressure - passive earth pressure
 P : load $P \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P = 19.7$ kNm
 depth to acting position $H = -0.75$ m
 moment $M_0 = 14.2$ kNm/m
 depth to acting position $H_0 = 0.80$ m
 Height from riverbed to top of coping $H = 2.60$ m
 Depth of imaginary riverbed from riverbed $L_0 = 1.70$ m

Moment M_0 by arbitrary load is as below
 $M_0 = P \cdot (H + L_0 - H_0) + M_0 = 113.72$ kNm

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{0w} (kNm ²)	Load P_{0w} (kN)	Arm length Y (m)	Moment M_{0w} (kNm)
1	2.20~2.60	0.40	0.0 0.7	0.00 0.14	1.97 1.84	0.00 0.25
			$\Sigma P_{0w} = 0.14$			$\Sigma M_{0w} = 0.25$

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_{0w}}{\Sigma P + P_0 + \Sigma P_{0w}} = \frac{483.04}{189.02} = 2.56 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000$ m
 Corrosion margin $t_c = 1.00$ mm (active side) $t_r = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.84$
 Section efficiency $\mu = 1.00$
 Young's modulus $E = 200000$ N/mm²
 Inertia sectional moment $I_0 = 114000$ cm⁴ (original condition)
 $I = 95760$ cm⁴ (after reduction by corrosion and section)
 $H = 20000 \times 10^3 \times 95760 \times 10^8 = 1.915 \times 10^9$

$$\beta = 4\sqrt{\frac{K_b \cdot B}{4EI}}$$

$$\phi_n = \frac{\sqrt{(1+2\beta h_0)+1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_n$$

$$l_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_{n1} = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_b = 21928$ kNm³
 $\beta = 0.41132$ m⁻¹
 resultant earth force (lateral) $P_0 = 127.74$ kNm
 height of acting position of load moment $h_0 = 2.20$ m
 $M_0 = 280.50$ kNm-m

in consideration of $\psi_{tm} = 1.171$, maximum moment $M_{max} = 328.52$ kNm-m
 depth of generated position of M_{max} $l_n = 0.832$ m
 depth of 1° fixed point $l_{n1} = 2.742$ m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_b = 22602$ kNm³
 $\beta = 0.41445$ m⁻¹
 resultant earth force (lateral) $P_0 = 189.02$ kNm
 height of acting position of load moment $h_0 = 2.56$ m
 $M_0 = 483.04$ kNm-m

in consideration of $\psi_{tm} = 1.133$, maximum moment $M_{max} = 547.52$ kNm-m
 depth of generated position of M_{max} $l_n = 0.749$ m
 depth of 1° fixed point $l_{n1} = 2.644$ m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin $t_c = 1.00$ mm (active side) $t_r = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.87$
 Section efficiency $\mu = 1.00$
 Modulus of section $Z_0 = 3250$ cm³ (original condition)
 $Z = 2828$ cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{328.52 \times 10^6}{2828 \times 10^3} = 116 \text{ N/mm}^2 \leq \sigma_a = 185 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{547.52 \times 10^6}{2828 \times 10^3} = 194 \text{ N/mm}^2 \leq \sigma_a = 278 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1 0.00~2.10	3.29 2.59	0.825 0.649	0.247 0.165	15.45 43.76	3.809 7.224
2 2.10~2.42	1.78 1.68	0.447 0.420	0.085 0.076	8.83 9.54	0.751 0.724
3 2.42~2.60	1.51 1.45	0.379 0.363	0.063 0.058	5.39 5.68	0.338 0.330
4 2.60~2.70	1.36 1.32	0.340 0.332	0.051 0.049	1.35 1.36	0.069 0.066
5 2.70~3.49	1.03 0.76	0.257 0.191	0.030 0.017	10.71 10.71	0.324 0.183
6 3.49~3.99	0.33 0.17	0.084 0.042	0.003 0.001	5.27 0.80	0.018 0.011
				$\Sigma Q = 13.838$	

Y : Height from imaginary riverbed to acting position

$$\alpha = \frac{Y}{H+L_1}$$

$$\zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

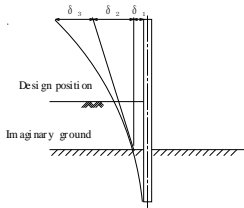
$$Q = \zeta \times P$$

P : Lateral force

H : Depth to design position

L_1 : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4113 \times 2.20) \times 127.74}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.4113^3} = 0.00912 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_s)$$

$$= \frac{(1 + 2 \times 0.4113 \times 2.20) \times 127.74}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.4113^2} \times (2.60 + 1.39) = 0.02207 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_s)^3}{E I}$$

$$= \frac{13.84 \times (2.60 + 1.39)^3}{2.00 \times 10^8 \times 95760 \times 10^{-8}} = 0.00459 \text{ m}$$

Additional displacement δ_4' generated by horizontal load (P) and moment (M) acting at top of SSP considered

$$\delta_4' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_4' is calculated as 0.00132 m in consideration of following values:

Height from imaginary riverbed to top of SSP: L = 3.99 m
Horizontal load: P = 8.90
Moment: M = 8.01

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00912 + 0.02207 + 0.00459$$

$$= 0.03710 \text{ m}$$

$$= 37.10 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ_4 : Displacement at top of SSP
- δ_a : Allowable displacement

L_No. 17_pp.25

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.00 2.90	0.837 0.675	0.253 0.176	22.56 54.04	5.702 9.531
	2.10~2.20	2.17 2.14	0.504 0.496	0.106 0.103	3.59 3.70	0.380 0.380
3	2.20~2.60	1.97 1.84	0.458 0.427	0.089 0.078	14.79 15.67	1.312 1.223
	2.60~3.49	1.41 1.11	0.327 0.258	0.048 0.030	18.84 20.13	0.896 0.611
5	3.49~3.99	0.65 0.48	0.150 0.111	0.011 0.006	8.85 5.34	0.095 0.052
	3.99~4.30	0.21 0.10	0.048 0.024	0.001 0.000	1.66 0.00	0.002 0.000
					$\Sigma Q = 20.163$	

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H + L_s}$$

$$\zeta : \zeta = \frac{(3 - \alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

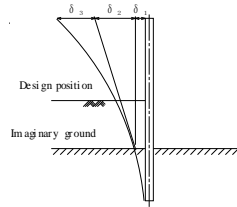
L_s : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_{dw} (kN)	Q_w (kN)
1	2.20~2.60	1.97 1.84	0.458 0.427	0.089 0.078	0.00 0.14	0.000 0.011
						$\Sigma Q_w = 0.011$

Therefore, modulus of deformation Q is calculated as below
 $Q = 20.163 + 0.011 = 20.174$

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4145 \times 2.56) \times 189.02}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.4145^3} = 0.01427 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_s)$$

$$= \frac{(1 + 2 \times 0.4145 \times 2.56) \times 189.02}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.4145^2} \times (2.60 + 1.70) = 0.03854 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_s)^3}{E I}$$

$$= \frac{20.17 \times (2.60 + 1.70)^3}{2.00 \times 10^8 \times 95760 \times 10^{-8}} = 0.00839 \text{ m}$$

Additional displacement δ_4' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_4' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_4' is calculated as 0.00344 m in consideration of following values:

Height from imaginary riverbed to top of SSP: L = 4.30 m
Horizontal load: P = 19.70
Moment: M = 14.78

Displacement δ_{bc} of cantilever beam by moment M_b is additionally considered

$$\delta_{bc} = \frac{M_b \cdot h}{2 E I} \times (2 L - h) \quad (L = 4.30 \text{ m, } h = L - H_s, H_s = 0.80 \text{ m, ただし})$$

$$= \frac{14.20 \times 3.50}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8}} \times (2 \times 4.30 - 3.50) = 0.00066 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01427 + 0.03854 + 0.01249$$

$$= 0.06531 \text{ m}$$

$$= 65.31 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ_4 : Displacement at top of SSP
- δ_a : Allowable displacement

L_No. 17_pp.27

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 Nmm ⁻²
Inertia sectional moment	$I_0 = 114000 \text{ cm}^4$ (Original condition)
	$I = 114000 \text{ cm}^4$ (after reduction by corrosion and section)
	$H = 200000 \times 10^3 \times 114000 \times 10^8 = 2.280 \times 10^8$

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_s , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_s + \frac{3}{\beta}$$

$$L = H - H_{1s} + D$$

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction
Calculated value

$$K_b = 21928 \text{ kN/m}^3$$

$$\beta = 0.39378 \text{ m}^{-1}$$

Penetration length of SSP

$$D = 1.39 + \frac{3}{0.394} = 9.01 \text{ m}$$

Whole length of SSP

$$L = 2.60 - 0.40 + 9.01 = 11.21 \text{ m}$$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction
Calculated value

$$K_b = 22602 \text{ kN/m}^3$$

$$\beta = 0.39677 \text{ m}^{-1}$$

Penetration length of SSP

$$D = 1.70 + \frac{3}{0.397} = 9.26 \text{ m}$$

Whole length of SSP

$$L = 2.60 - 0.40 + 9.26 = 11.46 \text{ m}$$

Therefore, whole length of SSP is set as 11.50 m in consideration of round unit of SSP length

L_No. 17_pp.28

8 Calculation Result

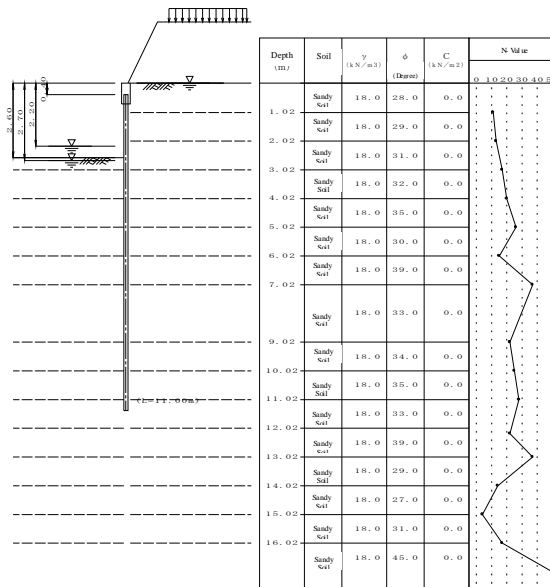
			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	114000		
Sectional radius	Z (cm ³)	3250		
Maximum bending moment	M_{max} (kNm/m)		328.52	547.52
Stress intensity	σ (N/mm ²)		116 (185)	194 (278)
Lateral displacement	δ (mm)		57.10 (50.0)	65.31 (75.0)
Penetration depth	D (m)	11.50	9.01	9.26
Whole length of SSP	L (m)			

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Left Bank No. 18_STA 15+236 - 15+311



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 R verside WL L_{ns} = 0.00 m (Normal Condition)
 L_{ns'} = 0.00 m (Seismic Condition)
 Landside WL L_{wp} = 2.70 m (Normal Condition)
 L_{wp'} = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

L_No.18_pp.1

L_No.18_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^3$

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load
 R = 9.3 kNm (Normal Condition)
 R' = 20.2 kNm (Seismic Condition)
 Depth of acting point H = -0.93 m (Normal Condition)
 H' = -0.75 m (Seismic Condition)
 Moment M_{ns} = 1.8 kNm/m (Normal Condition)
 M_{ns'} = 17.1 kNm/m (Seismic Condition)
 Depth of acting point H_{ns} = 0.00m (Seismic Condition)
 H_{ns'} = 0.80m (Normal Condition)
 (*Depth means distance from top of coping)

Wind load Impact load not considered

Minimum angle of rupture $\zeta_0 = 10 \text{ degrees}$

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h^2 Q}{2C}} \cdot \tan \theta$

Equilibrium factor of compression $K = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.405}$

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	1.02	11	11	12.20	22
2	2.02	13	12	13.02	37
3	3.02	17	13	14.02	14
4	4.02	20	14	15.02	4
5	5.02	26	15	16.02	17
6	6.02	15	16	17.02	50
7	7.02	37			
8	8.02	22			
9	10.02	25			
10	11.02	28			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

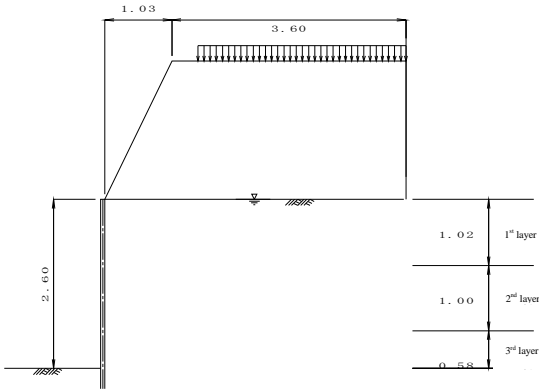
No	Depth (m)	Soil	N value	γ (kNm ³)	γ' (kNm ³)	φ	C (kNm ²)	a	k'	ζ (degree)		kh(kNm ³)	
										normal	seismic	normal	seismic
1	1.02	S	11.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
2	2.02	S	13.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	—	—
3	3.02	S	17.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	—	—
4	4.02	S	20.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	—	—
5	5.02	S	26.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	—	—
6	6.02	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
7	7.02	S	37.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	—	—
8	8.02	S	22.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
9	10.02	S	25.0	18.00	10.00	34.0	0.0	0.0	0.200	auto	auto	—	—
10	11.02	S	28.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	—	—
11	12.02	S	22.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
12	13.02	S	37.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	—	—
13	14.02	S	14.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	—	—
14	15.02	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
15	16.02	S	17.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	—	—
16	17.02	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal		Seismic	
	active	passive	9.00°	-9.00°
active	9.00°	-9.00°	9.00°	-9.00°
passive	-9.00°	9.00°	-9.00°	9.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	1.03	4.63	4.63	2.13	18.0	31.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	1.43	4.63	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

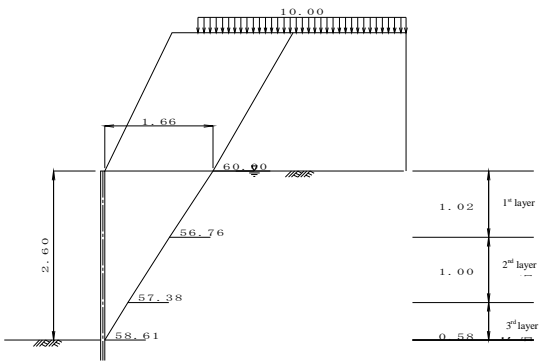
1-9 Steel Sheet Pile (SSP)

Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I ₀ = 86000 cm ⁴
Sectional factor	Z ₀ = 3820 cm ³
Corrosion margin	t ₁ = 1.00 mm (ri ver side) t ₂ = 1.00 mm (land side)
Corrosion rate (to I ₀)	η = 0.92
Corrosion rate (to Z ₀)	η = 0.92
Section efficiency (to I ₀)	μ = 0.80
Section efficiency (to Z ₀)	μ = 1.00
Round unit of SSP length	0.50 m
Allowable stress	σ_c = 180 Nmm ² (Normal) σ_c' = 270 Nmm ² (Seismic)
Allowable displacement	δ_s = 50.0 mm (Normal) δ_s' = 75.0 mm (Seismic)
Bending of cantilever beam	calculated as distributed load of each layer
Reduction of material modulus	Reduced I ₀ applied to calculation of lateral coefficient of subgrade reaction Not Reduced I ₀ applied to calculation of penetration depth Reduced I ₀ applied to calculation of section forces and displacement Reduced Z ₀ applied to calculation of stresses

2 Calculation of Acting Load

2-1 Normal Condition

2-1-1 Angle of Active Rupture



No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma \times h \times A$ (kN/m)	Angle of rupture Z (degree)
1	2.60- 2.02	Sandy Soil	31.0	9.0	0.0	26.00	49.44	25.48	58.61
2	2.02- 1.02	Sandy Soil	29.0	9.0	0.0	20.20	49.44	19.80	57.38
3	1.02- 0.00	Sandy Soil	28.0	9.0	0.0	10.20	49.44	10.00	56.76
4		Embankment	31.0	—	0.0	38.34	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta=0^\circ$

- Where
- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
 - ϕ : internal friction angle (degree)
 - δ : wall friction angle (degree)
 - θ : earthquake coefficient on angle (degree)
 - $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
 - γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
 - h : thickness of layer (m)
 - Q : surcharge load (kNm⁻²)
 - C : cohesive force of soil (kNm⁻²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	58.61	0.58	0.00	0.00	0.35	0.58
2	57.38	1.00	0.25	0.58	0.99	1.58
3	56.76	1.02	0.99	1.58	1.66	2.60
4	60.00	2.13	1.66	2.60	2.89	4.73

Therefore, width of acting load shall be set as 1.66 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	3.75	67.56
Σ			67.56

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.46	14.62
Σ			14.62

Q : surcharge load
l : width of surcharge load set by line of active rupture

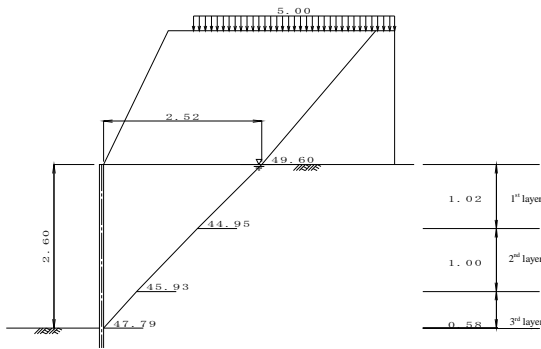
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{67.56 + 14.62 + 0.00}{1.66}$$

$$= 49.44 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	47.79	0.58	0.00	0.00	0.53	0.58
2	45.93	1.00	0.53	0.58	1.49	1.58
3	44.95	1.02	1.49	1.58	2.52	2.60
4	49.60	2.13	2.52	2.60	4.33	4.73

Therefore, width of acting load shall be set as 2.52 m

2-2-3 Acting Load by Bin bankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	6.19	111.46
Σ			111.46

γ : unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q x l (kN/m)
1	5.0	2.90	14.49
Σ			14.49

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{111.46 + 14.49 + 0.00}{2.52}$$

$$= 50.06 \text{ kN/m}^2$$

2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{sub} (kN/m ³)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60- 2.02	Sandy Soil	31.0	9.0	0.0	26.00	50.06	25.48	0.200	11.31	47.79
2	2.02- 1.02	Sandy Soil	29.0	9.0	0.0	30.20	50.06	19.80	0.200	11.31	45.93
3	1.02- 0.00	Sandy Soil	28.0	9.0	0.0	10.20	50.06	10.00	0.200	11.31	44.95
4		Embankment	30.0	—	0.0	38.34	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

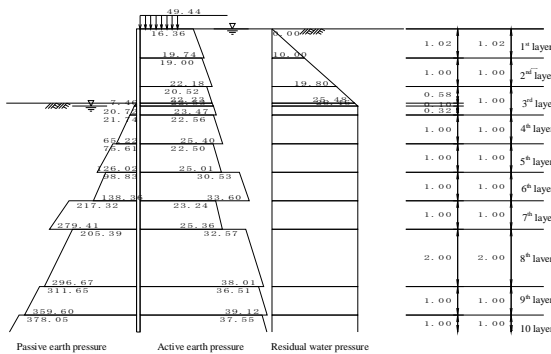
$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h: thickness of layer (m)
- Q: surcharge load (kN/m²)
- C: cohesive force of soil (kN/m²)

3 Lateral Pressure

3-1 Normal Condition



Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q$ (kN/m ²)	K_a	$K_a \times \cos \delta$
14	12.02- 13.02	Sandy soil	39.0	—	169.639	0.21458	0.21193
15	13.02- 14.02	Sandy soil	29.0	—	179.639	0.32248	0.31851
16	14.02- 15.02	Sandy soil	27.0	—	189.639	0.34800	0.34371
17	15.02- 16.02	Sandy soil	31.0	—	199.639	0.29838	0.29471
18	16.02- 17.02	Sandy soil	45.0	—	209.639	0.16323	0.16122

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \theta - \beta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_p$ (kN/m ²)	K_p	$K_p \times \cos \delta$
4	2.60- 2.70	Sandy soil	18.0	31.0	0.000	4.19615	4.14448
5	2.70- 3.02	Sandy soil	10.0	31.0	1.800	4.19615	4.14448
6	3.02- 4.02	Sandy soil	10.0	32.0	5.000	4.40199	4.34780
7	4.02- 5.02	Sandy soil	10.0	35.0	15.000	5.10344	5.04061
8	5.02- 6.02	Sandy soil	10.0	30.0	25.000	4.00247	3.95319
9	6.02- 7.02	Sandy soil	10.0	39.0	35.000	6.28642	6.20903
10	7.02- 9.02	Sandy soil	10.0	33.0	45.000	4.62104	4.56415
11	9.02- 10.02	Sandy soil	10.0	34.0	65.000	4.85443	4.79467
12	10.02- 11.02	Sandy soil	10.0	35.0	75.000	5.10344	5.04061
13	11.02- 12.02	Sandy soil	10.0	33.0	85.000	4.62104	4.56415
14	12.02- 13.02	Sandy soil	10.0	39.0	95.000	6.28642	6.20903
15	13.02- 14.02	Sandy soil	10.0	29.0	105.000	3.82002	3.77299

3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q$ (kN/m ²)	K_a	$K_a \times \cos \delta$
1	0.00- 1.02	Sandy soil	10.0	28.0	49.439	0.33506	0.33993
2	1.02- 2.02	Sandy soil	10.0	29.0	59.639	0.32248	0.31851
3	2.02- 2.60	Sandy soil	10.0	31.0	69.639	0.29838	0.29471
4	2.60- 2.70	Sandy soil	10.0	31.0	75.439	0.29838	0.29471
5	2.70- 3.02	Sandy soil	10.0	31.0	76.439	0.29838	0.29471
6	3.02- 4.02	Sandy soil	10.0	32.0	79.639	0.28683	0.28330
7	4.02- 5.02	Sandy soil	10.0	35.0	89.639	0.25410	0.25097
8	5.02- 6.02	Sandy soil	10.0	30.0	99.639	0.31026	0.30644
9	6.02- 7.02	Sandy soil	10.0	39.0	108.639	0.21458	0.21193
10	7.02- 9.02	Sandy soil	10.0	33.0	119.639	0.27561	0.27222
11	9.02- 10.02	Sandy soil	10.0	34.0	139.639	0.26470	0.26144
12	10.02- 11.02	Sandy soil	10.0	35.0	149.639	0.25410	0.25097
13	11.02- 12.02	Sandy soil	10.0	33.0	159.639	0.27561	0.27222

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma\gamma h+Q$ (kNm ⁻²)	K _p	K _p × cos δ
16 14.02-15.02	Sandy soil	110.0	27.0	---	115.000 125.000	3.48553 3.48553	3.44261 3.44261
17 15.02-16.02	Sandy soil	110.0	31.0	---	125.000 135.000	4.19615 4.19615	4.14448 4.14448
18 16.02-17.02	Sandy soil	110.0	45.0	---	135.000 145.000	8.86593 8.86593	8.75678 8.75678

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$

K_a: Equilibrium coefficient of compression 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

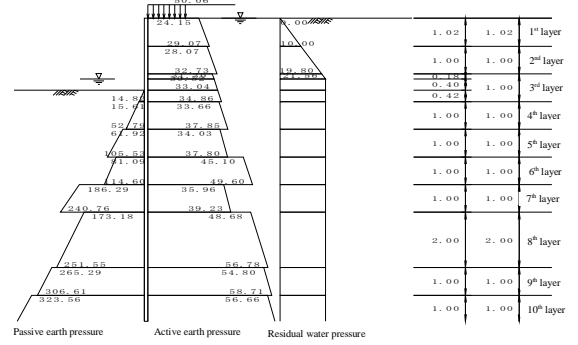
Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = -9.0^\circ$, $\beta = 0.00$, $\theta = 0.00$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure (kNm ⁻²)	Passive side (kNm ⁻²)
	Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)		
1 0.00-1.02	16.36 19.74	---	16.36 19.74	0.00 10.00	---
2 1.02-2.02	19.00 22.18	---	19.00 22.18	10.00 19.80	---
3 2.02-2.60	20.52 22.23	---	20.52 22.23	19.80 25.48	---
4 2.60-2.70	22.23 22.53	---	22.23 22.53	25.48 26.46	0.00 7.46
5 2.70-3.02	22.53 23.47	---	22.53 23.47	26.46 26.46	7.46 20.72
6 3.02-4.02	22.56 23.40	---	22.56 23.40	26.46 26.46	21.74 65.22
7 4.02-5.02	22.50 23.01	---	22.50 23.01	26.46 26.46	75.61 126.02
8 5.02-6.02	30.53 33.60	---	30.53 33.60	26.46 26.46	98.83 138.36
9 6.02-7.02	23.24 25.36	---	23.24 25.36	26.46 26.46	217.32 279.41
10 7.02-9.02	32.57 38.01	---	32.57 38.01	26.46 26.46	205.39 296.67
11 9.02-10.02	36.51 39.12	---	36.51 39.12	26.46 26.46	311.65 359.60
12 10.02-11.02	37.55 40.06	---	37.55 40.06	26.46 26.46	378.05 428.45
13 11.02-12.02	43.46 46.18	---	43.46 46.18	26.46 26.46	387.95 433.59
14 12.02-13.02	35.95 38.07	---	35.95 38.07	26.46 26.46	389.86 651.95
15 13.02-14.02	57.22 60.40	---	57.22 60.40	26.46 26.46	396.16 433.89
16 14.02-15.02	65.18 68.62	---	65.18 68.62	26.46 26.46	395.90 430.33
17 15.02-16.02	58.84 61.78	---	58.84 61.78	26.46 26.46	518.06 599.51
18 16.02-17.02	33.80 35.41	---	33.80 35.41	26.46 26.46	1182.16 1269.73



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma\gamma h+Q$ (kNm ⁻²)	γ_{whw} (kNm ⁻²)	k (k)	θ (degree)	K _a	K _a × cos δ	θ (degree)
1 0.00-1.02	Sandy Soil	110.0	28.0	---	50.06 60.26	0.00 0.200	0.200	11.31	0.48839 0.48839	0.48237 0.48237	---
2 1.02-2.02	Sandy Soil	110.0	29.0	---	70.26 80.26	10.00 19.80	0.200	11.31	0.47163 0.47163	0.46582 0.46582	---
3 2.02-2.20	Sandy Soil	110.0	31.0	---	70.26 72.06	19.80 21.56	0.200	11.31	0.43976 0.43976	0.43434 0.43434	---
4 2.20-2.60	Sandy Soil	110.0	31.0	---	72.06 76.06	21.56 25.48	0.200	11.31	0.43976 0.43976	0.43434 0.43434	---
5 2.60-3.02	Sandy Soil	110.0	31.0	---	76.06 80.26	25.48 29.60	0.200	11.31	0.43976 0.43976	0.43434 0.43434	---
6 3.02-4.02	Sandy Soil	110.0	32.0	---	80.26 90.26	29.60 39.40	0.200	11.31	0.42457 0.42457	0.41935 0.41935	---

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma\gamma h+Q$ (kNm ⁻²)	γ_{whw} (kNm ⁻²)	k (k)	θ (degree)	K _a	K _a × cos δ	θ (degree)
7 4.02-5.02	Sandy Soil	110.0	35.0	---	90.26 100.26	39.40 49.20	0.200	11.31	0.38174 0.38174	0.37704 0.37704	---
8 5.02-6.02	Sandy Soil	110.0	30.0	---	100.26 110.26	49.20 59.00	0.200	11.31	0.45543 0.45543	0.44982 0.44982	---
9 6.02-7.02	Sandy Soil	110.0	39.0	---	110.26 120.26	59.00 68.80	0.200	11.31	0.33023 0.33023	0.32616 0.32616	---
10 7.02-9.02	Sandy Soil	110.0	33.0	---	120.26 140.26	68.80 88.40	0.200	11.31	0.40986 0.40986	0.40481 0.40481	---
11 9.02-10.02	Sandy Soil	110.0	34.0	---	140.26 150.26	88.40 98.20	0.200	11.31	0.39559 0.39559	0.39072 0.39072	---
12 10.02-11.02	Sandy Soil	110.0	35.0	---	150.26 160.26	98.20 108.00	0.200	11.31	0.38174 0.38174	0.37704 0.37704	---
13 11.02-12.02	Sandy Soil	110.0	33.0	---	160.26 170.26	108.00 117.80	0.200	11.31	0.40986 0.40986	0.40481 0.40481	---
14 12.02-13.02	Sandy Soil	110.0	39.0	---	170.26 180.26	117.80 127.60	0.200	11.31	0.33023 0.33023	0.32616 0.32616	---
15 13.02-14.02	Sandy Soil	110.0	29.0	---	180.26 190.26	127.60 137.40	0.200	11.31	0.47163 0.47163	0.46582 0.46582	---
16 14.02-15.02	Sandy Soil	110.0	27.0	---	190.26 200.26	137.40 147.20	0.200	11.31	0.50574 0.50574	0.49951 0.49951	---
17 15.02-16.02	Sandy Soil	110.0	31.0	---	200.26 210.26	147.20 157.00	0.200	11.31	0.43976 0.43976	0.43434 0.43434	---
18 16.02-17.02	Sandy Soil	110.0	45.0	---	210.26 220.26	157.00 166.80	0.200	11.31	0.26304 0.26304	0.25980 0.25980	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 9.0^\circ$, $\beta = 0.00$, $\theta = \tan^{-1} k$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of dayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \left[1 - \frac{\Sigma \gamma h + 2Q}{2C} \right] \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma\gamma h+Q$ (kNm ⁻²)	γ_{whw} (kNm ⁻²)	k (k)	θ (degree)	K _p	K _p × cos δ
5 2.60-3.02	Sandy soil	110.0	31.0	---	0.00 4.200	0.00 4.12	0.200	11.31	3.57258 3.57258	3.52859 3.52859
6 3.02-4.02	Sandy soil	110.0	32.0	---	4.200 14.200	4.12 13.92	0.200	11.31	3.76368 3.76368	3.71734 3.71734
7 4.02-5.02	Sandy soil	110.0	35.0	---	14.200 24.200	13.92 23.72	0.200	11.31	4.41499 4.41499	4.36064 4.36064
8 5.02-6.02	Sandy soil	110.0	30.0	---	24.200 34.200	23.72 33.52	0.200	11.31	3.39273 3.39273	3.35096 3.35096
9 6.02-7.02	Sandy soil	110.0	39.0	---	34.200 44.200	33.52 43.32	0.200	11.31	5.51506 5.51506	5.44716 5.44716

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = -9.0^\circ$, $\beta = 0.00$, $\theta = \tan^{-1} k$

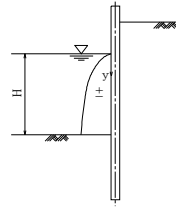
$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure (kNm ⁻²)	Passive side (kNm ⁻²)
		Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)		
1	0.00-1.02	24.15 29.07	---	24.15 29.07	0.00 10.00	---
2	1.02-2.02	28.07 32.73	---	28.07 32.73	10.00 19.80	---
3	2.02-2.20	30.52 31.30	---	30.52 31.30	19.80 21.56	---
4	2.20-2.60	31.30 33.04	---	31.30 33.04	21.56 25.48	---
5	2.60-3.02	33.04 34.86	---	33.04 34.86	25.48 29.60	0.00 14.82
6	3.02-4.02	33.66 37.85	---	33.66 37.85	25.48 29.60	15.61 52.79
7	4.02-5.02	34.03 37.80	---	34.03 37.80	25.48 29.60	61.92 105.53
8	5.02-6.02	45.10 49.60	---	45.10 49.60	25.48 29.60	81.09 114.60
9	6.02-7.02	35.96 39.23	---	35.96 39.23	25.48 29.60	186.29 240.76
10	7.02-9.02	48.68 56.78	---	48.68 56.78	25.48 29.60	173.18 251.55

No	Depth (m)	Active side			Residual water pressure		Passive side	
		Pa1 (kNm ²)	Pa2 (kNm ²)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	Ps (kNm ²)	
11	9.02-10.02	54.80 58.71	---	54.80 58.71	21.56 21.56	265.29 306.61		
12	10.02-11.02	56.66 60.43	---	56.66 60.43	21.56 21.56	323.56 367.17		
13	11.02-12.02	64.88 68.92	---	64.88 68.92	21.56 21.56	329.91 369.09		
14	12.02-13.02	55.53 58.79	---	55.53 58.79	21.56 21.56	513.12 567.59		
15	13.02-14.02	83.97 88.63	---	83.97 88.63	21.56 21.56	331.73 363.56		
16	14.02-15.02	95.04 100.03	---	95.04 100.03	21.56 21.56	328.47 357.23		
17	15.02-16.02	86.98 91.33	---	86.98 91.33	21.56 21.56	438.25 473.54		
18	16.02-17.02	54.63 57.22	---	54.63 57.22	21.56 21.56	1050.14 1128.39		

Where:
 K_a : design seismic coefficient
 γ_w : unit weight of water
 H : water depth of riverside
 y : depth from water surface to the point where active water pressure is calculated



- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

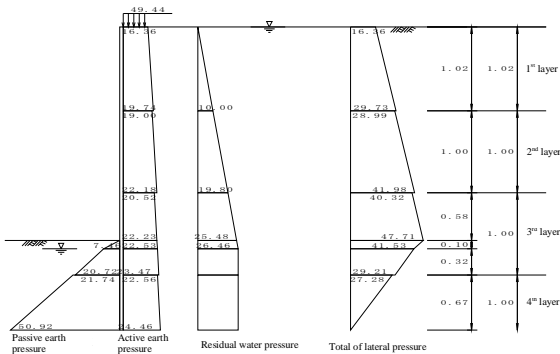
No	Depth Z (m)	WL y (m)	P _{dw} (kNm ²)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

$p_{dw} = \pm \frac{7}{8} k_{dw} \cdot \gamma_w \cdot \sqrt{H \cdot y}$

4 Imaginary Riverbed

Imaginary ground level L_4 is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

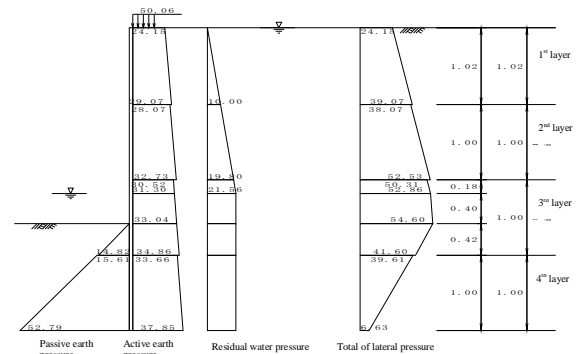


Depth (m)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	Ps (kNm ²)
1	0.00-1.02	16.36 19.74	0.00 10.00	16.36 29.73
2	1.02-2.02	19.00 22.18	10.00 19.80	28.99 41.98
3	2.02-2.60	20.52 22.23	19.80 25.48	40.32 47.71
4	2.60-2.70	22.23 22.53	25.48 26.46	0.00 7.46
5	2.70-3.02	22.53 23.47	26.46 26.46	7.46 20.72
6	3.02-3.69	22.56 24.46	26.46 26.46	21.74 50.92
7	3.69-4.02	24.46 25.40	26.46 26.46	50.92 68.22

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Tentative imaginary riverbed L_4 : 1.09 m (GL -3.69 m)

4-2 Seismic Condition



Depth (m)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	Ps (kNm ²)
1	0.00-1.02	24.15 29.07	0.00 10.00	24.15 39.07
2	1.02-2.02	28.07 32.73	10.00 19.80	38.07 52.53
3	2.02-2.20	30.52 31.30	19.80 21.56	50.31 52.86
4	2.20-2.60	31.30 33.04	21.56 21.56	52.86 54.60
5	2.60-3.02	33.04 34.86	21.56 21.56	54.60 41.60
6	3.02-4.02	33.66 37.85	21.56 21.56	15.61 52.79
7	4.02-5.02	34.05 37.80	21.56 21.56	61.92 105.53

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Tentative imaginary riverbed L_4 : 1.42 m (GL -4.02 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below

$$K_h = 6910 \times N^{0.606}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

- Unit width B = 1.0000 m
- Corrosion margin t_1 = 1.00 mm (active side) t_2 = 1.00 mm (passive side)
- Corrosion rate η = 0.92
- Section efficiency μ = 0.80
- Young's modulus E = 200000 Nmm²
- Inertia sectional moment I_0 = 86000 cm⁴ (original condition)
- Inertia sectional moment I = 63296 cm⁴ (after reduction by corrosion and section)
- Inertia sectional moment H = 200000 x 10⁷ x 63296 x 10⁻⁸ = 1.266 x 10⁷

	Depth (m)	N-value	Depth (m)	N-value
1	1.02	11	11	12.20
2	2.02	13	12	13.02
3	3.02	17	13	14.02
4	4.02	20	14	15.02
5	5.02	26	15	16.02
6	6.02	15	16	17.02
7	7.02	37		
8	8.02	22		
9	10.02	28		
10	11.02	28		

5-2 Normal Condition

$K_h = 24199 \text{ kNm}^3$ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.468 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.14 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.69 m) to 2.14 m depth (GL -5.83 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)	
		upper	lower		
1	3.69	0.33	19.0	20.0	6.41
2	4.02	1.00	20.0	26.0	23.00
3	5.02	0.81	26.0	17.1	17.45
L = 2h = 2.14				ΣA = 46.87	

$$A = (\text{upper N-value} + \text{lower N-value}) \times h/2$$

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{46.87}{2.14} = 21.91$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following

$$K_h = 6910 \times N^{0.606} = 6910 \times 21.91^{0.606} = 24199 \text{ kN/m}^3$$

$$K_h \text{ (normal condition)} = 24199 \text{ kNm}^3$$

5-3 Seismic Condition

$K_h = 23969 \text{ kNm}^3$ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.466 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.14 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.02 m) to 2.14 m depth (GL -6.16 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)	
		upper	lower		
1	4.02	1.00	20.0	26.0	23.00
2	5.02	1.00	26.0	15.0	20.50
3	6.02	0.14	15.0	18.2	2.39
L = 2h = 2.14				ΣA = 45.89	

$$A = (\text{upper N-value} + \text{lower N-value}) \times h/2$$

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{45.89}{2.14} = 21.40$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following

$$K_h = 6910 \times N^{0.606} = 6910 \times 21.40^{0.606} = 23969 \text{ kN/m}^3$$

$$K_h \text{ (seismic condition)} = 23969 \text{ kNm}^3$$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Position h_0

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force Ps (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-1.02	16.36 29.73	8.34 15.16	3.35 3.01	27.96 45.66
2	1.02-2.02	28.99 41.98	14.50 20.99	2.34 2.00	33.89 42.07
3	2.02-2.60	40.32 47.71	11.69 13.84	1.48 1.28	17.28 17.77
4	2.60-2.70	47.71 41.53	2.39 2.08	1.06 1.02	2.52 2.13
5	2.70-3.02	41.53 29.21	6.64 4.67	0.88 0.78	5.88 3.64
6	3.02-3.69	27.28 0.00	9.16 0.00	0.45 0.22	4.10 0.00
ΣP = 109.46				ΣM = 202.91	

- P : active earth pressure + residual water pressure - passive earth pressure
- P : load $P_0 \times h/2 \times B$
- B : unit width = 1.000 m
- Y : height of acting position from imaginary riverbed
- M : moment by load $P \times Y$

- Arbitrary load lateral load P = 9.3 kNm
- depth to acting position H = -0.93 m
- moment M_0 = 1.8 kNm/m
- depth to acting position H_0 = 0.00 m
- Height from riverbed to top of coping H = 2.60 m
- Depth of imaginary riverbed from riverbed L_k = 1.09 m

Moment M_0 by arbitrary load is as below
 $M = P \cdot (H + L_k - H_0) + M_0 = 44.78 \text{ kN}\cdot\text{m}$

h_0 Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{247.68}{118.76} = 2.09 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load Ps (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-1.02	24.15 39.07	12.32 19.92	3.68 3.34	45.32 66.54
2	1.02-2.02	38.07 52.53	19.03 26.26	2.67 2.33	50.76 61.28

Depth Z (m)	Thickness h (m)	Lateral load Ps (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)	
3	2.02-2.20	0.18	50.31 52.86	4.53 4.76	1.94 1.88	8.78 8.94
4	2.20-2.60	0.40	52.86 54.60	10.57 10.92	1.69 1.55	17.83 16.96
5	2.60-3.02	0.42	54.60 41.60	11.47 8.74	1.28 1.14	14.68 9.96
6	3.02-4.02	1.00	39.61 6.63	19.80 3.31	0.67 0.33	13.20 1.10
ΣP = 151.63				ΣM = 315.37		

- P : active earth pressure + residual water pressure - passive earth pressure
- P : load $P_0 \times h/2 \times B$
- B : unit width = 1.000 m
- Y : height of acting position from imaginary riverbed
- M : moment by load $P \times Y$

- Arbitrary load lateral load P = 20.2 kNm
- depth to acting position H = -0.75 m
- moment M_0 = 17.1 kNm/m
- depth to acting position H_0 = 0.80 m
- Height from riverbed to top of coping H = 2.60 m
- Depth of imaginary riverbed from riverbed L_k = 1.42 m

Moment M_0 by arbitrary load is as below
 $M = P \cdot (H + L_k - H_0) + M_0 = 113.45 \text{ kN}\cdot\text{m}$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{dw} (kNm ²)	Load P_{dw} (kN)	Arm length Y (m)	Moment M_{dw} (kNm)
1	2.20-2.60	0.40	0.0 0.7	0.00 0.14	1.69 1.55	0.00 0.21
ΣB _w = 0.14				ΣM _{dw} = 0.21		

h_0 Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_{dw}}{\Sigma P + P_0 + \Sigma P_{dw}} = \frac{429.03}{171.97} = 2.49 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as followings:

Unit width	B	=	1,0000 m
Corrosion margin	t ₁	=	1.00 mm (active side) t ₂ = 1.00 mm (passive side)
Corrosion rate	n	=	0.92
Section efficiency	u	=	0.80
Young's modulus	E	=	200000 Nmm ²
Inertia sectional moment	I ₀	=	86000 cm ⁴ (original condition)
	I	=	63296 cm ⁴ (after reduction by corrosion and section)
		=	1.266x 10 ⁸

$$B = 20000 \times 10^3 \times 63296 \times 10^8$$

$$\beta = \sqrt[4]{\frac{K_s \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$l_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value	K _s	=	24199 kNm ⁻³
resultant earth force (lateral)	P ₀	=	0.46755 m ⁻¹
height of acting position of load moment	h ₀	=	118.76 kNm
	h	=	2.09 m
	M ₀	=	247.68 kNm/m

in consideration of φ_{max} = 1.152

maximum moment	M _{max}	=	285.33 kNm/m
depth of generated position of M _{max}	L	=	0.699 m
depth of l ^o fixed point	l	=	2.379 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value	K	=	23969 kNm ⁻³
resultant earth force (lateral)	β	=	0.46644 m ⁻¹
height of acting position of load moment	P ₀	=	171.97 kNm
	h ₀	=	2.49 m
	M ₀	=	429.03 kNm/m

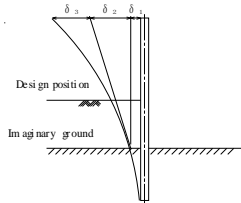
in consideration of φ_{max} = 1.115

maximum moment	M _{max}	=	478.31 kNm/m
depth of generated position of M _{max}	L	=	0.626 m
depth of l ^o fixed point	l	=	2.310 m

L_No. 18_pp.25

L_No. 18_pp.26

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1+0.4676 \times 2.09) \times 118.76}{2 \times 2.00 \times 10^8 \times 63296 \times 10^8 \times 0.4676^3} = 0.00906 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_1) = \frac{(1+2 \times 0.4676 \times 2.09) \times 118.76}{2 \times 2.00 \times 10^8 \times 63296 \times 10^8 \times 0.4676^2} \times (2.60+1.09) = 0.02337 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_1)^3}{E I} = \frac{12.95 \times (2.60+1.09)^3}{2.00 \times 10^8 \times 63296 \times 10^8} = 0.00515 \text{ m}$$

Additional displacement δ₃' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ₃' is calculated as 0.00170 m in consideration of following values:

- Height from imaginary riverbed to top of SSP: L = 3.69 m
- Horizontal load: P = 9.30
- Moment: M = 8.65

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.00906 + 0.02337 + 0.00694 = 0.03937 \text{ m} = 39.37 \text{ mm} \leq \delta_a = 50.00 \text{ mm}$$

- Where,
- δ₁: Displacement at imaginary ground
 - δ₂: Displacement by angle of inclination slope at imaginary ground
 - δ₃: Displacement at higher part of imaginary ground as cantilever
 - δ: Displacement at top of SSP
 - δ_a: Allowable displacement

L_No. 18_pp.27

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as followings:

Corrosion margin	t ₁	=	1.00 mm (active side) t ₂ = 1.00 mm (passive side)
Corrosion rate	n	=	0.92
Section efficiency	u	=	1.00
Module of section	Z ₀	=	3820 cm ³ (original condition)
	Z	=	3514 cm ³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{285.33 \times 10^6}{3514 \times 10^3} = 81 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{478.31 \times 10^6}{3514 \times 10^3} = 136 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2$$

6-4 Displacement

6-4-1 Normal Condition

Modulus of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-1.02	3.35	0.908	0.287	8.34	2.398
		3.01	0.816	0.242	15.16	3.674
2	1.02-2.02	2.34	0.633	0.158	14.50	2.294
		2.00	0.543	0.121	20.99	2.535
3	2.02-2.60	1.48	0.400	0.069	11.69	0.812
		1.28	0.308	0.054	13.84	0.741
4	2.60-2.70	1.06	0.287	0.037	2.39	0.089
		1.02	0.278	0.035	2.08	0.073
5	2.70-3.02	0.88	0.240	0.026	6.64	0.176
		0.78	0.211	0.021	4.67	0.096
6	3.02-3.69	0.45	0.121	0.007	9.16	0.065
		0.22	0.061	0.002	0.00	0.000
ΣQ =						12.951

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_1} = \frac{(3-\alpha) \times \alpha^2}{6}$$

- Q : ζ × P
- P : Lateral force
- H : Depth to design position
- L₁ : Depth from design position to imaginary ground

L_No. 18_pp.26

6-4-2 Seismic Condition

Modulus of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-1.02	3.68	0.915	0.291	12.32	3.586
		3.34	0.831	0.250	19.92	4.972
2	1.02-2.02	2.67	0.663	0.171	19.03	3.262
		2.33	0.580	0.136	26.26	3.568
3	2.02-2.20	1.94	0.483	0.098	4.53	0.442
		1.88	0.468	0.092	4.76	0.439
4	2.20-2.60	1.69	0.420	0.076	10.57	0.800
		1.55	0.386	0.065	10.92	0.710
5	2.60-3.02	1.28	0.318	0.045	11.47	0.520
		1.14	0.284	0.036	8.74	0.318
6	3.02-4.02	0.67	0.166	0.013	19.80	0.257
		0.33	0.083	0.003	3.31	0.011
ΣQ =						18.886

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_1} = \frac{(3-\alpha) \times \alpha^2}{6}$$

- Q : ζ × P
- P : Lateral force
- H : Depth to design position
- L₁ : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

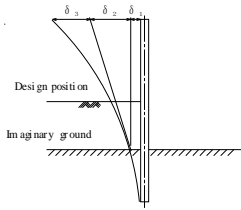
No	Depth (m)	Y (m)	α	ζ	P _{eq} (kN)	Q _{eq} (kN)
1	2.20-2.60	1.69	0.420	0.076	0.00	0.000
		1.55	0.386	0.065	0.14	0.009
ΣQ _{eq} =						0.009

Therefore, modulus of deformation Q is calculated as below
Q = 18.886 + 0.009 = 18.895

L_No. 18_pp.27

L_No. 18_pp.28

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4664 \times 2.49) \times 171.97}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4664^3} = 0.01448 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_0)$$

$$= \frac{(1 + 2 \times 0.4664 \times 2.49) \times 171.97}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4664^2} \times (2.60 + 1.42) = 0.04176 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_0)^3}{E I}$$

$$= \frac{18.89 \times (2.60 + 1.42)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00970 \text{ m}$$

Additional displacement δ_4' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_4' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_4' is calculated as 0.00442 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.02 m
 Horizontal load P = 20.20
 Moment: M = 15.15

Displacement δ_{in} of cantilever beam by moment M_0 is additionally considered

$$\delta_{in} = \frac{M_0 \cdot h}{2 E I} \times (2 L - h) \quad (L = 4.02 \text{ m, } h = L - H_0, H_0 = 0.80 \text{ m, } h \leq L)$$

$$= \frac{17.10 \times 3.22}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8}} \times (2 \times 4.02 - 3.22) = 0.00105 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3 + \delta_4' + \delta_{in}$$

$$= 0.01448 + 0.04176 + 0.00970 + 0.00442 + 0.00105$$

$$= 0.07141 \text{ m}$$

$$= 71.41 \text{ mm} \leq \delta_a = 75.00 \text{ mm}$$

Where:
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	n = 1.00
Section efficiency	u = 1.00
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 86000 cm ⁴ (original condition)
	I = 86000 cm ⁴ (after reduction by corrosion and section)
	H = 200000 x 10 ³ x 86000 x 10 ⁻⁸ = 1.720 x 10 ⁸

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L₀, penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{01} + D$$

$$\beta = 4 \sqrt{\frac{K_{01} \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction	K ₀₁ = 24199 kN/m ³
Calculated value	$\beta = 0.43306 \text{ m}^{-1}$
Penetration length of SSP	D = 1.09 + $\frac{3}{0.433} = 8.02 \text{ m}$
Whole length of SSP	L = 2.60 - 0.40 + 8.02 = 10.22 m

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction	K ₀₁ = 23969 kN/m ³
Calculated value	$\beta = 0.43203 \text{ m}^{-1}$
Penetration length of SSP	D = 1.42 + $\frac{3}{0.432} = 8.36 \text{ m}$
Whole length of SSP	L = 2.60 - 0.40 + 8.36 = 10.56 m

Therefore, whole length of SSP is set as 11.00 m in consideration of round unit of SSP length

8 Calculation Result

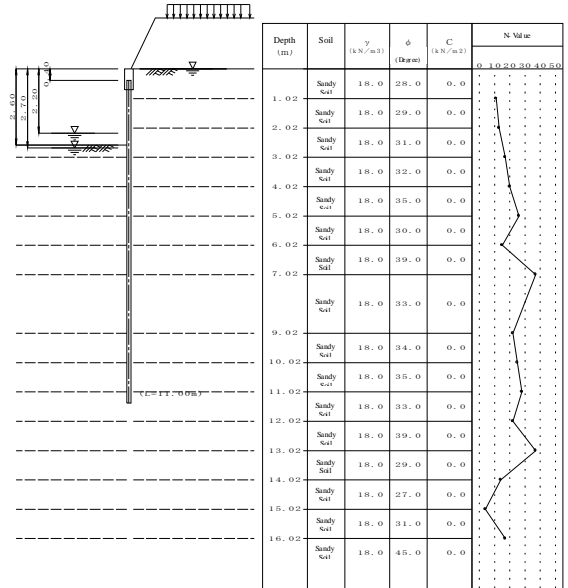
		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	86000	
Section modulus	Z (cm ³)	3820	
Maximum bending moment	M _{max} (kNm/m)	285.33	478.31
Stress intensity	σ (N/mm ²)	81 (180)	136 (270)
Lateral displacement	δ (mm)	39.37 (50.0)	71.41 (75.0)
Penetration depth	D (m)	8.02	8.36
Whole length of SSP	L (m)	11.00	

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Left Bank No. 19_STA 15+311 - 15+424



1-2 Dimensions of Structure

Depth from coping top to riverbed	H = 2.60 m
Depth from coping top to rear side ground	H _r = 0.00 m
Depth from coping top to SSP top	H _s = 0.40 m
Riverside WL	L _{rs} = 0.00 m (Normal Condition)
	L _{rs} ' = 0.00 m (Seismic Condition)
Landside WL	L _{lp} = 2.70 m (Normal Condition)
	L _{lp} ' = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

L_No.19_pp.1

L_No.19_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
- Seismic Condition

Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load	Horizontal load	R = 6.7 kNm (Normal Condition)
		R' = 15.7 kNm (Seismic Condition)
Depth of acting point	H = -0.77 m (Normal Condition)	
	H' = -0.60 m (Seismic Condition)	
Moment	M _{ns} = 0.0 kNm/m (Normal Condition)	
	M _{ns} ' = 8.4 kNm/m (Seismic Condition)	
Depth of acting point	H _{ns} = 0.00m (Seismic Condition)	
	H _{ns} ' = 0.80m (Normal Condition)	
		(*Depth means distance from top of coping)

Wind load Impact load not considered

Minimum angle of rupture $\zeta_0 = 10 \text{ degrees}$

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$

Equilibrium factor of compression $K = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.405}$

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	1.02	11	11	12.02	22
2	2.02	13	12	13.02	37
3	3.02	17	13	14.02	14
4	4.02	20	14	15.02	4
5	5.02	26	15	16.02	17
6	6.02	15	16	17.02	50
7	7.02	37			
8	9.02	22			
9	10.02	28			
10	11.02	28			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

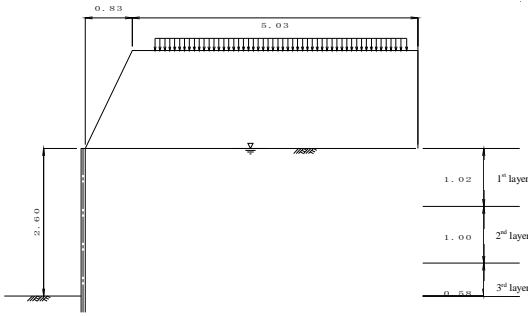
No	Depth (m)	Soil	N value	γ (kNm ⁻³)	γ' (kNm ⁻³)	φ	C (kNm ⁻²)	a	k'	ζ (degree)		kh (kNm ⁻³)	
										normal	seismic	normal	seismic
1	1.02	S	11.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	-----	-----
2	2.02	S	13.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	-----	-----
3	3.02	S	17.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	-----	-----
4	4.02	S	20.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	-----	-----
5	5.02	S	26.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	-----	-----
6	6.02	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----
7	7.02	S	37.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	-----	-----
8	9.02	S	22.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	-----	-----
9	10.02	S	25.0	18.00	10.00	34.0	0.0	0.0	0.200	auto	auto	-----	-----
10	11.02	S	28.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	-----	-----
11	12.02	S	22.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	-----	-----
12	13.02	S	37.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	-----	-----
13	14.02	S	14.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	-----	-----
14	15.02	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
15	16.02	S	17.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	-----	-----
16	17.02	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	-----	-----

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Angle of wall friction	
	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.83	5.86	5.86	1.73	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	1.23	5.66	10.0	5.0

Angle of rupture in embankment

calculated in consideration of embankment conditions

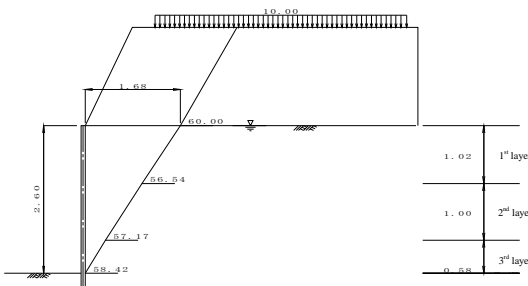
1-9 Steel Sheet Pile (SSP)

Young's modulus	E = 20000 Nmm ²
Inertia sectional moment	I ₀ = 86000 cm ⁴
Sectional factor	Z ₀ = 3820 cm ³
Corrosion margin	t ₁ = 1.00mm (reverse) t ₂ = 1.00mm (landside)
Corrosion rate (to I ₀)	η = 0.92
Corrosion rate (to Z ₀)	η = 0.92
Section efficiency (to I ₀)	μ = 0.80
Section efficiency (to Z ₀)	μ = 1.00
Round unit of SSP length	0.50m
Allowable stress	σ_a = 180 Nmm ² (Normal) σ_a' = 270 Nmm ² (Seismic)
Allowable displacement	δ_a = 50.0mm (Normal) δ_a' = 75.0mm (Seismic)

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus Reduced: I₀ applied to calculation of lateral coefficient of subgrade reaction
Not reduced: I₀ applied to calculation of penetration depth
Reduced: I₀ applied to calculation of section forces and displacement
Reduced: Z₀ applied to calculation of stresses

2 Calculation of Acting Load
2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{whw} (kN/m ²)	Angle of rupture Z (degree)
1	2.60- 2.02	Sandy Soil	31.0	10.0	0.0	26.00	41.33	25.48	58.42
2	2.02- 1.02	Sandy Soil	29.0	10.0	0.0	20.20	41.33	19.80	57.17
3	1.02- 0.00	Sandy Soil	28.0	10.0	0.0	10.20	41.33	10.00	56.54
4		Embankment	30.0	—	0.0	31.14	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	58.42	0.58	0.00	0.00	0.36	0.58
2	57.17	1.00	0.36	0.58	1.00	1.58
3	56.54	1.02	1.00	1.58	1.68	2.60
4	60.00	1.73	1.68	2.60	2.67	4.33

Therefore, width of acting load shall be set as 1.68 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	3.05	54.81
Σ			54.81

γ : unit weight of embankment soil

A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q x l (kN/m)
1	10.0	1.44	14.45
Σ			14.45

Q : surcharge load

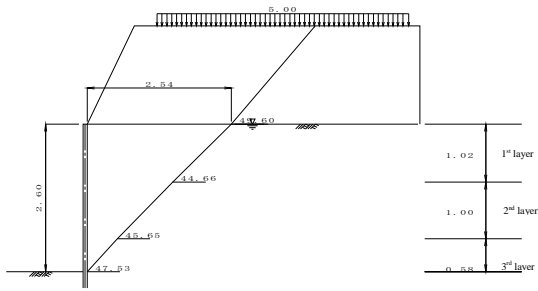
l : width of surcharge load set by line of active rupture

2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{54.81 + 14.45 + 0.00}{1.68}$$

$$= 41.33 \text{ kN/m}^2$$



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m ²)	Σγh (kN/m ²)	Q (kN/m ²)	γ _{sw} h (kN/m ²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60- 2.02	Sandy Soil	31.0	10.0	0.0	26.00	40.55	25.48	0.200	11.31	47.53
2	2.02- 1.02	Sandy Soil	29.0	10.0	0.0	20.20	40.55	19.80	0.200	11.31	45.65
3	1.02- 0.00	Sandy Soil	28.0	10.0	0.0	10.20	40.55	10.00	0.200	11.31	44.66
4		Embankment	30.0	—	0.0	31.14	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Where,

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earth bank combination angle (degree)
- θ = tan⁻¹ k or θ = tan⁻¹ k'
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesive force of soil (kNm⁻²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	47.53	0.58	0.00	0.00	0.53	0.58
2	45.65	1.00	0.53	0.58	1.51	1.58
3	44.66	1.02	1.51	1.58	2.54	2.60
4	49.60	1.73	2.54	2.60	4.01	4.33

Therefore, width of acting load shall be set as 2.54 m

2-2-3 Acting Load by Em bankment

No	γ (kNm ⁻³)	A (m ²)	γ X A (kNm)
1	18.0	4.95	89.12
Σ			89.12

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kNm ⁻²)	l (m)	Q X l (kNm)
1	5.0	2.78	13.91
Σ			13.91

Q : surcharge load
l : width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

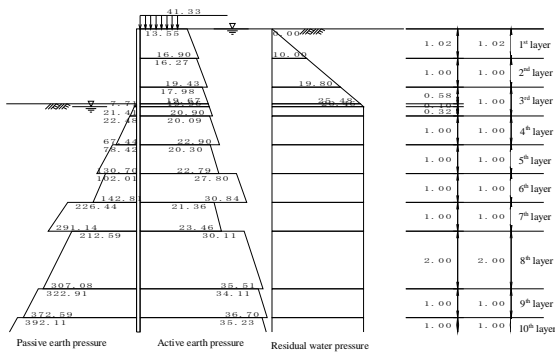
$$Q = \frac{\sum (\gamma \times A) + \sum (Q \times l) + \sum P}{L}$$

$$= \frac{89.12 + 13.91 + 0.00}{2.54}$$

$$= 40.55 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Q (kNm ⁻²)	K _a	K _a × cos δ
1	0.00- 1.02	Sandy soil	10.0	28.0	41.329 51.529	0.33303 0.33303	0.32798 0.32798
2	1.02- 2.02	Sandy soil	10.0	29.0	51.529 61.529	0.32088 0.32088	0.31571 0.31571
3	2.02- 2.60	Sandy soil	10.0	31.0	61.529 67.329	0.29669 0.29669	0.29219 0.29219
4	2.60- 2.70	Sandy soil	10.0	31.0	67.329 68.329	0.29669 0.29669	0.29219 0.29219
5	2.70- 3.02	Sandy soil	10.0	31.0	68.329 71.529	0.29669 0.29669	0.29219 0.29219
6	3.02- 4.02	Sandy soil	10.0	32.0	71.529 81.529	0.28525 0.28525	0.28092 0.28092
7	4.02- 5.02	Sandy soil	10.0	35.0	81.529 91.529	0.25279 0.25279	0.24895 0.24895
8	5.02- 6.02	Sandy soil	10.0	30.0	91.529 101.529	0.30847 0.30847	0.30378 0.30378
9	6.02- 7.02	Sandy soil	10.0	39.0	101.529 111.529	0.21359 0.21359	0.21035 0.21035
10	7.02- 9.02	Sandy soil	10.0	33.0	111.529 131.529	0.27412 0.27412	0.26996 0.26996
11	9.02- 10.02	Sandy soil	10.0	34.0	131.529 141.529	0.26331 0.26331	0.25931 0.25931
12	10.02- 11.02	Sandy soil	10.0	35.0	141.529 151.529	0.25279 0.25279	0.24895 0.24895
13	11.02- 12.02	Sandy soil	10.0	33.0	151.529 161.529	0.27412 0.27412	0.26996 0.26996

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Q (kNm ⁻²)	K _a	K _a × cos δ
14	12.02- 13.02	Sandy soil	10.0	39.0	161.529 171.529	0.21359 0.21359	0.21035 0.21035
15	13.02- 14.02	Sandy soil	10.0	29.0	171.529 181.529	0.32088 0.32088	0.31571 0.31571
16	14.02- 15.02	Sandy soil	10.0	27.0	181.529 191.529	0.34585 0.34585	0.34060 0.34060
17	15.02- 16.02	Sandy soil	10.0	31.0	191.529 201.529	0.29669 0.29669	0.29219 0.29219
18	16.02- 17.02	Sandy soil	10.0	45.0	201.529 211.529	0.16262 0.16262	0.16015 0.16015

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(\beta - \theta)} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Q (kNm ⁻²)	K _p	K _p × cos δ
4	2.60- 2.70	Sandy soil	10.0	31.0	0.000 1.800	4.34774 4.34774	4.28169 4.28169
5	2.70- 3.02	Sandy soil	10.0	31.0	1.800 5.000	4.34774 4.34774	4.28169 4.28169
6	3.02- 4.02	Sandy soil	10.0	32.0	5.000 15.000	4.56530 4.56530	4.49594 4.49594
7	4.02- 5.02	Sandy soil	10.0	35.0	15.000 25.000	5.30876 5.30876	5.22810 5.22810
8	5.02- 6.02	Sandy soil	10.0	30.0	25.000 35.000	4.14330 4.14330	4.08035 4.08035
9	6.02- 7.02	Sandy soil	10.0	39.0	35.000 45.000	6.56948 6.56948	6.46967 6.46967
10	7.02- 9.02	Sandy soil	10.0	33.0	45.000 65.000	4.79713 4.79713	4.72425 4.72425
11	9.02- 10.02	Sandy soil	10.0	34.0	65.000 75.000	5.04448 5.04448	4.96784 4.96784
12	10.02- 11.02	Sandy soil	10.0	35.0	75.000 85.000	5.30876 5.30876	5.22810 5.22810
13	11.02- 12.02	Sandy soil	10.0	33.0	85.000 95.000	4.79713 4.79713	4.72425 4.72425
14	12.02- 13.02	Sandy soil	10.0	39.0	95.000 105.000	6.56948 6.56948	6.46967 6.46967

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma\gamma h+Q$ (kNm ⁻²)	K_p	$K_p \times \cos\delta$
15 13.02-14.02	Sandy soil	10.0	29.0	---	105.000 115.000	3.95096 3.95096	3.89093 3.89093
16 14.02-15.02	Sandy soil	10.0	27.0	---	115.000 125.000	3.59892 3.59892	3.54425 3.54425
17 15.02-16.02	Sandy soil	10.0	31.0	---	125.000 135.000	4.34774 4.34774	4.28169 4.28169
18 16.02-17.02	Sandy soil	10.0	45.0	---	135.000 145.000	9.34548 9.34548	9.20351 9.20351

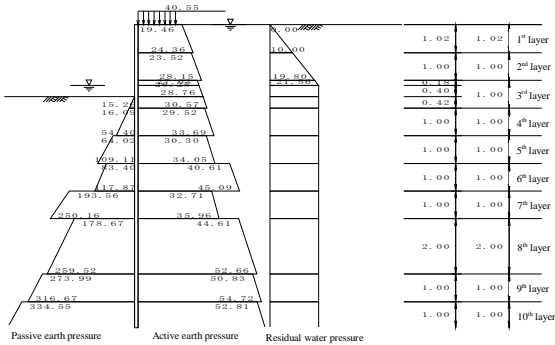
Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = -10.01 \quad \beta = 0.01 \quad \theta = 0.00$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta - \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure (kNm ⁻²)	Passive side (kNm ⁻²)
	Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)		
1 0.00-1.02	13.55	---	13.55	0.00	---
2 1.02-2.02	16.27	---	16.27	10.00	---
3 2.02-3.02	19.43	---	19.43	19.80	---
4 3.02-4.02	23.09	---	23.09	29.60	---
5 4.02-5.02	27.27	---	27.27	39.40	---
6 5.02-6.02	31.97	---	31.97	49.20	---
7 6.02-7.02	37.19	---	37.19	59.00	---
8 7.02-8.02	42.93	---	42.93	68.80	---
9 8.02-9.02	49.19	---	49.19	78.60	---
10 9.02-10.02	55.97	---	55.97	88.40	---
11 10.02-11.02	63.27	---	63.27	98.20	---
12 11.02-12.02	71.09	---	71.09	108.00	---
13 12.02-13.02	79.43	---	79.43	117.80	---
14 13.02-14.02	88.29	---	88.29	127.60	---
15 14.02-15.02	97.67	---	97.67	137.40	---
16 15.02-16.02	107.57	---	107.57	147.20	---
17 16.02-17.02	117.99	---	117.99	157.00	---
18 17.02-18.02	128.93	---	128.93	166.80	---

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma\gamma h+Q$ (kNm ⁻²)	γ_{shw} (kNm ⁻²)	k (k)	θ (degree)	K_a	$K_a \times \cos\delta$	θ (degree)
1 0.00-1.02	Sandy Soil	10.0	28.0	---	40.55 50.75	0.00 10.00	0.200 0.200	11.31 11.31	0.48730 0.47989	0.47989 0.47989	---
2 1.02-2.02	Sandy Soil	10.0	29.0	---	50.75 60.75	10.00 19.80	0.200 0.200	11.31 11.31	0.47058 0.47058	0.46343 0.46343	---
3 2.02-3.02	Sandy Soil	10.0	31.0	---	60.75 70.75	19.80 29.60	0.200 0.200	11.31 11.31	0.43879 0.43879	0.43213 0.43213	---
4 3.02-4.02	Sandy Soil	10.0	31.0	---	70.75 80.75	29.60 39.40	0.200 0.200	11.31 11.31	0.43879 0.43879	0.43213 0.43213	---
5 4.02-5.02	Sandy Soil	10.0	31.0	---	80.75 90.75	39.40 49.20	0.200 0.200	11.31 11.31	0.38098 0.38098	0.37519 0.37519	---
6 5.02-6.02	Sandy Soil	10.0	30.0	---	90.75 100.75	49.20 59.00	0.200 0.200	11.31 11.31	0.45442 0.45442	0.44752 0.44752	---
7 6.02-7.02	Sandy Soil	10.0	31.0	---	100.75 110.75	59.00 68.80	0.200 0.200	11.31 11.31	0.32966 0.32966	0.32465 0.32465	---
8 7.02-8.02	Sandy Soil	10.0	33.0	---	110.75 120.75	68.80 78.60	0.200 0.200	11.31 11.31	0.40899 0.40899	0.40278 0.40278	---
9 8.02-9.02	Sandy Soil	10.0	34.0	---	120.75 130.75	78.60 88.40	0.200 0.200	11.31 11.31	0.39477 0.39477	0.38878 0.38878	---
10 9.02-10.02	Sandy Soil	10.0	35.0	---	130.75 140.75	88.40 98.20	0.200 0.200	11.31 11.31	0.38098 0.38098	0.37519 0.37519	---
11 10.02-11.02	Sandy Soil	10.0	33.0	---	140.75 150.75	98.20 108.00	0.200 0.200	11.31 11.31	0.40899 0.40899	0.40278 0.40278	---
12 11.02-12.02	Sandy Soil	10.0	33.0	---	150.75 160.75	108.00 117.80	0.200 0.200	11.31 11.31	0.32966 0.32966	0.32465 0.32465	---
13 12.02-13.02	Sandy Soil	10.0	39.0	---	160.75 170.75	117.80 127.60	0.200 0.200	11.31 11.31	0.32966 0.32966	0.32465 0.32465	---

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma\gamma h+Q$ (kNm ⁻²)	γ_{shw} (kNm ⁻²)	k (k)	θ (degree)	K_a	$K_a \times \cos\delta$	θ (degree)
15 13.02-14.02	Sandy Soil	10.0	29.0	---	170.75 180.75	127.60 137.40	0.200 0.200	11.31 11.31	0.47058 0.47058	0.46343 0.46343	---
16 14.02-15.02	Sandy Soil	10.0	27.0	---	180.75 190.75	137.40 147.20	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	---
17 15.02-16.02	Sandy Soil	10.0	31.0	---	190.75 200.75	147.20 157.00	0.200 0.200	11.31 11.31	0.43879 0.43879	0.43213 0.43213	---
18 16.02-17.02	Sandy Soil	10.0	45.0	---	200.75 210.75	157.00 166.80	0.200 0.200	11.31 11.31	0.26273 0.26273	0.25874 0.25874	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.01 \quad \beta = 0.00 \quad \theta = \tan^{-1} k$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma\gamma h+Q$ (kNm ⁻²)	γ_{shw} (kNm ⁻²)	k (k)	θ (degree)	K_p	$K_p \times \cos\delta$
5 2.60-3.02	Sandy soil	10.00	31.0	---	0.000 4.200	0.00 4.12	0.200 0.200	11.31 11.31	3.68877 3.68877	3.63273 3.63273
6 3.02-4.02	Sandy soil	10.00	32.0	---	4.200 14.200	4.12 13.92	0.200 0.200	11.31 11.31	3.89012 3.89012	3.83102 3.83102
7 4.02-5.02	Sandy soil	10.00	35.0	---	14.200 24.200	13.92 23.72	0.200 0.200	11.31 11.31	4.57827 4.57827	4.50872 4.50872
8 5.02-6.02	Sandy soil	10.00	30.0	---	24.200 34.200	23.72 33.52	0.200 0.200	11.31 11.31	3.49953 3.49953	3.44637 3.44637
9 6.02-7.02	Sandy soil	10.00	39.0	---	34.200 44.200	33.52 43.32	0.200 0.200	11.31 11.31	5.74696 5.74696	5.65965 5.65965
10 7.02-8.02	Sandy soil	10.00	33.0	---	44.200 64.200	43.32 62.92	0.200 0.200	11.31 11.31	4.10466 4.10466	4.04230 4.04230
11 8.02-9.02	Sandy soil	10.00	34.0	---	64.200 74.200	62.92 72.72	0.200 0.200	11.31 11.31	4.33360 4.33360	4.26776 4.26776
12 9.02-10.02	Sandy soil	10.00	35.0	---	74.200 84.200	72.72 82.52	0.200 0.200	11.31 11.31	4.57827 4.57827	4.50872 4.50872
13 10.02-11.02	Sandy soil	10.00	33.0	---	84.200 94.200	82.52 92.32	0.200 0.200	11.31 11.31	4.10466 4.10466	4.04230 4.04230
14 11.02-12.02	Sandy soil	10.00	39.0	---	94.200 104.200	92.32 102.12	0.200 0.200	11.31 11.31	5.74696 5.74696	5.65965 5.65965
15 12.02-13.02	Sandy soil	10.00	29.0	---	104.200 114.200	102.12 111.92	0.200 0.200	11.31 11.31	3.32141 3.32141	3.27095 3.27095
16 13.02-14.02	Sandy soil	10.00	27.0	---	114.200 124.200	111.92 121.72	0.200 0.200	11.31 11.31	2.94948 2.94948	2.94948 2.94948
17 14.02-15.02	Sandy soil	10.00	31.0	---	124.200 134.200	121.72 131.52	0.200 0.200	11.31 11.31	3.68877 3.68877	3.63273 3.63273

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q_p$ (kNm ⁻²)	$\gamma_{sat} h_w$ (kNm ⁻²)	k (k)	θ (degree)	K_p	$K_p \times \cos \delta$
18	16.02-17.02	Sandy soil	10.00	45.0	134.200 144.200	131.52 141.32	0.200	11.31 11.31	8.33000 8.33000	8.20345 8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = -10.00$ $\beta = 0.00$ $\theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure (kNm ⁻²)	Passive side (kNm ⁻²)
		Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)		
1	0.00-1.02	19.46 24.36	—	19.46 24.36	0.00 10.00	—
2	1.02-2.02	23.52 28.15	—	23.52 28.15	10.00 19.80	—
3	2.02-2.20	26.25 27.03	—	26.25 27.03	19.80 21.56	—
4	2.20-2.60	27.03 28.76	—	27.03 28.76	21.56 21.56	—
5	2.60-3.02	28.76 30.57	—	28.76 30.57	21.56 21.56	0.00 15.26
6	3.02-4.02	29.52 33.69	—	29.52 33.69	21.56 21.56	16.09 54.40
7	4.02-5.02	30.30 34.05	—	30.30 34.05	21.56 21.56	64.02 109.11
8	5.02-6.02	40.61 45.09	—	40.61 45.09	21.56 21.56	83.40 117.87
9	6.02-7.02	32.71 35.96	—	32.71 35.96	21.56 21.56	193.56 250.16
10	7.02-9.02	44.61 52.66	—	44.61 52.66	21.56 21.56	178.67 259.52
11	9.02-10.02	50.83 54.72	—	50.83 54.72	21.56 21.56	273.99 316.67
12	10.02-11.02	52.81 56.56	—	52.81 56.56	21.56 21.56	334.55 379.63
13	11.02-12.02	60.72 64.75	—	60.72 64.75	21.56 21.56	340.36 380.78
14	12.02-13.02	52.19 55.43	—	52.19 55.43	21.56 21.56	533.14 589.74
15	13.02-14.02	79.13 83.77	—	79.13 83.77	21.56 21.56	340.83 373.54
16	14.02-15.02	89.82 94.79	—	89.82 94.79	21.56 21.56	336.83 366.32
17	15.02-16.02	82.43 86.75	—	82.43 86.75	21.56 21.56	451.19 487.51
18	16.02-17.02	51.94 54.53	—	51.94 54.53	21.56 21.56	1100.90 1182.94

L_No. 19_pp.17

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Gayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Gayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P _w (kNm ⁻²)
1	2.20	0.00	0.00
2	2.60	0.40	0.09

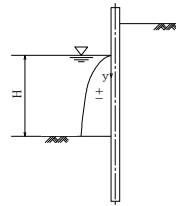
$$P_w = \pm \frac{7}{8} k_{ws} \cdot \gamma_w \cdot \sqrt{H} \cdot y$$

Where k_{ws} : design seismic coefficient

γ_w : unit weight of water

H : water depth of riverside

y : depth from water surface to the point where active water pressure is calculated

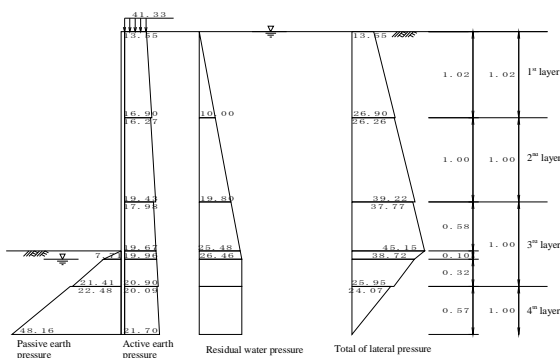


L_No. 19_pp.18

4 Imaginary Riverbed

Imaginary ground level L_i is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition



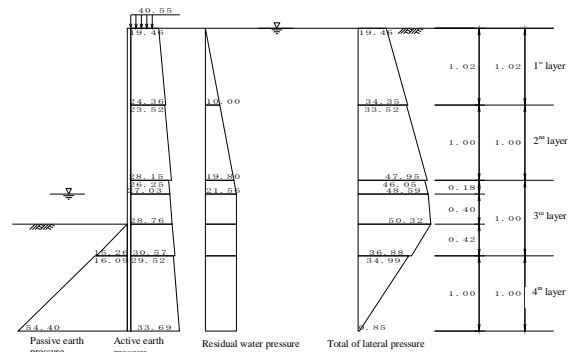
Depth (m)	Pa (kNm ⁻²)	Pw (kNm ⁻²)	Pp (kNm ⁻²)	Ps (kNm ⁻²)
1	13.55 16.90	0.00 10.00	—	13.55 26.90
2	16.27 19.43	10.00 19.80	—	26.26 39.22
3	17.98 19.67	19.80 25.48	—	37.77 45.15
4	19.67 19.96	25.48 26.46	0.00 7.71	45.15 28.72
5	19.96 20.90	26.46 26.46	7.71 21.41	28.72 25.95
6	20.09 21.70	26.46 26.46	22.48 48.16	24.07 0.00
7	21.70 22.90	26.46 26.46	48.16 67.44	0.00 -18.08

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_i : Lateral pressure $P_i = P_a + P_w - P_p$

Terrative imaginary riverbed L_i : 0.99 m (GL -3.59 m)

L_No. 19_pp.19

4-2 Seismic Condition



Depth (m)	Pa (kNm ⁻²)	Pw (kNm ⁻²)	Pp (kNm ⁻²)	Ps (kNm ⁻²)
1	13.55 16.90	0.00 10.00	—	19.46 34.35
2	16.27 19.43	10.00 19.80	—	33.52 47.95
3	17.98 19.67	19.80 25.48	—	46.05 48.59
4	19.67 19.96	25.48 26.46	0.00 15.26	48.59 50.32
5	19.96 20.90	26.46 26.46	0.00 15.26	50.32 36.88
6	20.09 21.70	26.46 26.46	16.09 54.40	34.99 0.85
7	21.70 22.90	26.46 26.46	21.56 21.56	-12.17 -53.50

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_i : Lateral pressure $P_i = P_a + P_w - P_p$

Terrative imaginary riverbed L_i : 1.42 m (GL -4.02 m)

L_No. 19_pp.20

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below

$$K_b = 6910 \times N^{0.406}$$

where,

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4EI}}$$

Unit width B = 1.0000 m
 Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate n = 0.92
 Section efficiency $\mu = 0.80$
 Young's modulus E = 200000 Nmm²
 Inertia sectional moment I = 86000 cm⁴ (original condition)
 Inertia sectional moment EI = 63296 cm⁴ (after reduction by corrosion and section) = 1.266 x 10⁸

Depth (m)	N-value	Depth (m)	N-value
1	1.02	11	12.02
2	2.02	12	13.02
3	3.02	13	14.02
4	4.02	14	15.02
5	5.02	15	16.02
6	6.02	15	17.02
7	7.02	17	
8	8.02	22	
9	10.02	25	
10	11.02	28	

5-2 Normal Condition

K = 24225 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4EI}} = 0.468 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.14 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (CL -3.59 m) to 2.14 m depth (CL -5.73 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	3.59	0.43	18.7	20.0
2	4.02	1.00	20.0	26.0
3	5.02	0.71	26.0	18.2
L = Zh = 2.14				ΣA = 46.98

$$A = (\text{upper N-value} + \text{lower N-value}) \times h/2$$

$$\text{Average N-value } N' = \frac{\sum A}{L} = \frac{46.98}{2.14} = 21.97$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following

$$K_b = 6910 \times N'^{0.406} = 6910 \times 21.97^{0.406} = 24225 \text{ kN/m}^3$$

$$Kh \text{ (normal condition)} = 24225 \text{ kNm}^3$$

5-3 Seismic Condition

K = 23969 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4EI}} = 0.466 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.14 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (CL -4.02 m) to 2.14 m depth (CL -6.16 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	4.02	1.00	20.0	26.0
2	5.02	1.00	26.0	15.0
3	6.02	0.14	15.0	18.2
L = Zh = 2.14				ΣA = 45.89

$$A = (\text{upper N-value} + \text{lower N-value}) \times h/2$$

$$\text{Average N-value } N' = \frac{\sum A}{L} = \frac{45.89}{2.14} = 21.40$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following

$$K_b = 6910 \times N'^{0.406} = 6910 \times 21.40^{0.406} = 23969 \text{ kN/m}^3$$

$$Kh \text{ (seismic condition)} = 23969 \text{ kNm}^3$$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Height h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-1.02	13.55 26.90	6.91 13.72	3.25 2.91	22.48 39.93
2	1.02-2.02	26.26 39.22	13.13 19.61	2.24 1.90	29.39 37.35
3	2.02-2.60	37.77 45.15	10.95 13.09	1.38 1.18	15.09 15.51
4	2.60-2.70	45.15 38.72	2.26 1.94	0.96 0.92	2.16 1.79
5	2.70-3.02	38.72 25.95	6.19 4.15	0.78 0.68	4.86 2.81
6	3.02-3.59	24.07 0.00	6.87 0.00	0.38 0.19	2.62 0.00
ΣP = 98.84					ΣM = 173.99

P : active earth pressure + residual water pressure - passive earth pressure
 P₀ : load P_s x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P = 6.7 kNm
 depth to acting position H = -0.77 m
 moment M₀ = 0.0 kNm/m
 depth to acting position H₀ = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed L₀ = 0.99 m

$$\text{Moment } M_0 \text{ by arbitrary load is as below}$$

$$M = P \cdot (H + L_0 - H_0) + M_0 = 29.22 \text{ kNm}$$

$$h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_0}{\sum P + P_0} = \frac{203.21}{105.54} = 1.93 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-1.02	19.46 34.35	9.92 17.52	3.68 3.34	36.52 58.51
2	1.02-2.02	33.52 47.95	16.76 23.97	2.67 2.33	44.69 55.94

Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
3	2.02-2.20	0.18	46.05 48.59	4.14 4.37	1.94 1.88
4	2.20-2.60	0.40	48.59 50.32	9.72 10.06	1.69 1.55
5	2.60-3.02	0.42	50.32 36.88	10.57 7.74	1.28 1.14
6	3.02-4.02	1.00	34.99 0.85	17.49 0.43	0.67 0.33
ΣP = 132.71					ΣM = 278.11

P : active earth pressure + residual water pressure - passive earth pressure
 P₀ : load P_s x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P = 15.7 kNm
 depth to acting position H = -0.60 m
 moment M₀ = 8.4 kNm/m
 depth to acting position H₀ = 0.80 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed L₀ = 1.42 m

Moment M₀ by arbitrary load is as below
 $M = P \cdot (H + L_0 - H_0) + M_0 = 80.93 \text{ kNm}$

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _{sw} (kNm ²)	Load P _{sw} (kN)	Arm length Y (m)	Moment M _{sw} (kNm)
1	2.20-2.60	0.40	0.0 0.7	0.00 0.14	1.69 1.55	0.00 0.21
ΣP _{sw} = 0.14 ΣM _{sw} = 0.21						

h₀ : Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_0 + \sum M_{sw}}{\sum P + P_0 + \sum P_{sw}} = \frac{359.26}{148.54} = 2.42 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width B = 1.0000 m
 Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate n = 0.92
 Section efficiency $\mu = 0.80$
 Young's modulus E = 200000 Nmm²
 Inertia sectional moment I = 86000 cm⁴ (original condition)
 Inertia sectional moment EI = 63296 cm⁴ (after reduction by corrosion and section) = 1.266 x 10⁸

$$\beta = 4\sqrt{\frac{K_s \cdot B}{4EI}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$I_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$I_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{10} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_s = 24225 \text{ kNm}^3$
 resultant earth force (lateral) $P_0 = 105.54 \text{ kNm}$
 height of acting position of load moment $h_0 = 1.93 \text{ m}$
 $M_{0a} = 203.21 \text{ kNm-m}$
 in consideration of $\psi_0 = 1.172$, maximum moment $M_{max} = 238.16 \text{ kNm-m}$
 depth of generated position of M_{max} $l_a = 0.753 \text{ m}$
 depth of fixed point $l = 2.413 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_s = 23969 \text{ kNm}^3$
 resultant earth force (lateral) $P_0 = 148.54 \text{ kNm}$
 height of acting position of load moment $h_0 = 2.42 \text{ m}$
 $M_{0a} = 359.26 \text{ kNm-m}$
 in consideration of $\psi_0 = 1.121$, maximum moment $M_{max} = 402.63 \text{ kNm-m}$
 depth of generated position of M_{max} $l_a = 0.639 \text{ m}$
 depth of fixed point $l = 2.323 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as followings:

Corrosion margin $t_c = 1.00 \text{ mm}$ (active side) $t_c = 1.00 \text{ mm}$ (passive side)
 Corrosion rate $n = 0.92$
 Section efficiency $u = 1.00$
 Module of section $Z_0 = 3820 \text{ cm}^3$ (original condition)
 $Z = 3514 \text{ cm}^3$ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{238.16 \times 10^6}{3514 \times 10^3} = 68 \text{ N/mm}^2 \leq \sigma_s = 180 \text{ N/mm}^2$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{402.63 \times 10^6}{3514 \times 10^3} = 115 \text{ N/mm}^2 \leq \sigma_s = 270 \text{ N/mm}^2$$

6-4 Displacement

6-4-1 Normal Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-1.02	3.25 2.91	0.905 0.811	0.286 0.240	6.91 13.72	1.978 3.289
2	1.02-2.02	2.24 1.90	0.623 0.530	0.154 0.116	13.13 19.61	2.020 2.270
3	2.02-2.60	1.38 1.18	0.384 0.330	0.064 0.048	10.95 13.09	0.703 0.634
4	2.60-2.70	0.96 0.92	0.267 0.257	0.032 0.030	2.26 1.94	0.073 0.059
5	2.70-3.02	0.78 0.68	0.218 0.189	0.022 0.017	6.19 4.15	0.137 0.069
6	3.02-3.59	0.38 0.19	0.106 0.053	0.005 0.001	6.87 0.00	0.037 0.000
$\Sigma Q = 11.270$						

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_s}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

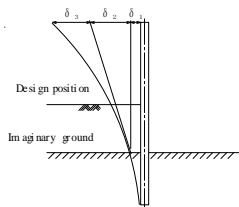
Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

L_s : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2EI\beta^2}$$

$$= \frac{(1+0.4677 \times 1.93) \times 105.54}{2 \times 2.00 \times 10^8 \times 63296 \times 10^8 \times 0.4677^2} = 0.00774 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2EI\beta^2} \times (H+L_s)$$

$$= \frac{(1+2 \times 0.4677 \times 1.93) \times 105.54}{2 \times 2.00 \times 10^8 \times 63296 \times 10^8 \times 0.4677^2} \times (2.60+0.99) = 0.01917 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_s)^2}{EI}$$

$$= \frac{11.27 \times (2.60+0.99)^2}{2.00 \times 10^8 \times 63296 \times 10^8} = 0.00412 \text{ m}$$

Additional displacement δ_4 generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_4 = \frac{P L^3}{3EI} + \frac{M L^2}{2EI}$$

δ_4 is calculated as 0.00108 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: $L = 3.59 \text{ m}$
 Horizontal load: $P = 6.70$
 Moment: $M = 5.16$

$$\delta = \delta_1 + \delta_2 + \delta_3 + \delta_4$$

$$= 0.00774 + 0.01917 + 0.00520$$

$$= 0.03212 \text{ m}$$

$$= 32.12 \text{ mm} \leq \delta_a = 50.00 \text{ mm}$$

Where,

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ_4 : Displacement at top of SSP
- δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-1.02	3.68 3.34	0.915 0.851	0.291 0.250	9.92 17.52	2.890 4.372
2	1.02-2.02	2.67 2.33	0.663 0.580	0.171 0.136	16.76 23.97	2.872 3.257
3	2.02-2.20	1.94 1.88	0.483 0.468	0.098 0.092	4.14 4.37	0.405 0.404
4	2.20-2.60	1.69 1.55	0.420 0.386	0.076 0.065	9.72 10.06	0.736 0.655
5	2.60-3.02	1.28 1.14	0.318 0.284	0.045 0.036	10.57 7.74	0.479 0.282
6	3.02-4.02	0.67 0.33	0.166 0.083	0.013 0.003	17.49 0.43	0.227 0.001
$\Sigma Q = 16.579$						

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_s}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

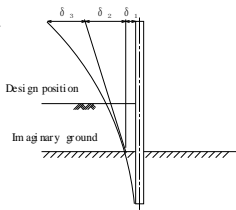
L_s : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_w (kN)	Q_w (kN)
1	2.20-2.60	1.69 1.55	0.420 0.386	0.076 0.065	0.00 0.14	0.000 0.009
$\Sigma Q_w = 0.009$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 16.579 + 0.009 = 16.588$

Displacement



$$\delta_1 = \frac{(1 + \beta h) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4664 \times 2.42) \times 148.54}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4664^3} = 0.01230 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h) \times P_0}{2 E I \beta^2} \times (H + L_1)$$

$$= \frac{(1 + 2 \times 0.4664 \times 2.42) \times 148.54}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4664^2} \times (2.60 + 1.42) = 0.03530 \text{ m}$$

$$= \frac{16.59 \times (2.60 + 1.42)^2}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00851 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00329 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.02 m
 Horizontal load: P = 15.70
 Moment: M = 9.42

Displacement δ_{3b} of cantilever beam by moment M_b is additionally considered

$$\delta_{3b} = \frac{M_b \cdot h}{2 E I} \times (2 L - h) \quad (L = 4.02 \text{ m, } h = L - H_a, H_a = 0.80 \text{ m, } h \leq L)$$

$$= \frac{8.40 \times 3.22}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8}} \times (2 \times 4.02 - 3.22) = 0.00051 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01230 + 0.03530 + 0.01231$$

$$= 0.05992 \text{ m}$$

$$= 59.92 \leq \delta_a = 75.00 \text{ mm}$$

L_No. 19_pp.29

L_No. 19_pp.30

Where:
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	n = 1.00
Section efficiency	u = 1.00
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 86000 cm ⁴ (original condition)
	I = 86000 cm ⁴ (after reduction by corrosion and section)
	H = 200000 x 10 ³ x 86000 x 10 ⁻⁸ = 1.720 x 10 ⁸

7-1 Penetration Depth and Whole Length of SSP (Change)

Based on the depth of imaginary riverbed as L₁, penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_1 + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = 4 \sqrt{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction	K _b = 24225 kN/m ³
Calculated value	$\beta = 0.43318 \text{ m}^{-1}$
Penetration length of SSP	D = 0.99 + $\frac{3}{0.433} = 7.92 \text{ m}$
Whole length of SSP	L = 2.60 - 0.40 + 7.92 = 10.12 m

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction	K _b = 23969 kN/m ³
Calculated value	$\beta = 0.43203 \text{ m}^{-1}$
Penetration length of SSP	D = 1.42 + $\frac{3}{0.432} = 8.36 \text{ m}$
Whole length of SSP	L = 2.60 - 0.40 + 8.36 = 10.56 m

Therefore, whole length of SSP is set as 11.00 m in consideration of round unit of SSP length

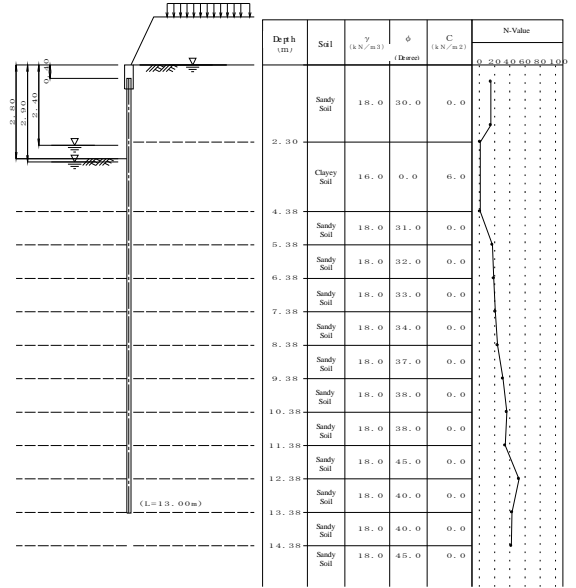
8 Calculation Result

		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	86000	
Section modulus	Z (cm ³)	3820	
Maximum bending moment	M _{max} (kNm/m)	38.16	402.63
Stress intensity	σ (N/mm ²)	88 (180)	115 (270)
Lateral displacement	δ (mm)	32.12 (50.0)	59.92 (75.0)
Penetration depth	D (m)	7.92	8.36
Whole length of SSP	L (m)	11.00	

1 Design Conditions

— Steel Sheet Pile Design Calculation —

Left Bank No. 20_STA 15+443 - 15+548



1-1 Longitudinal Section of SSP & Considered Geological Survey Log

1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.80 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 R verside WL L_{rs} = 0.00 m (Normal Condition)
 L_{rs}' = 0.00 m (Seismic Condition)
 Landside WL L_{lp} = 2.90 m (Normal Condition)
 L_{lp}' = 2.40 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

L_No.20_pp.1

L_No.20_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load R = 5.0 kNm (Normal Condition)
 R' = 12.7 kNm (Seismic Condition)
 Depth of acting point H = -0.65 m (Normal Condition)
 H' = -0.47 m (Seismic Condition)
 Moment M₀ = 0.0 kNm/m (Normal Condition)
 M₀' = 4.5 kNm/m (Seismic Condition)
 Depth of acting point H₀' = 0.00m (Seismic Condition)
 H₀ = 0.80m (Normal Condition)
 (*Depth means distance from top of coping)

Wind load Impact load not considered

Minimum angle of rupture $\zeta_0 = 10 \text{ degrees}$

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$

Equilibrium factor of compression $K = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.405}$

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	11.38	34
2	1.80	15	12	12.38	52
3	2.30	1	13	13.38	43
4	4.38	1	14	14.38	42
5	5.38	17	15	15.00	50
6	6.38	19			
7	7.38	21			
8	8.38	24			
9	9.38	31			
10	10.38	36			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

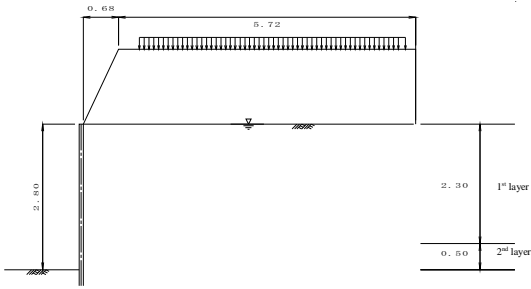
No	Depth (m)	Soil	N value	γ (kNm ⁻³)	γ' (kNm ⁻³)	φ	C (kNm ⁻²)	a	k'	ζ (degree)		kh(kNm ⁻³)	
										normal	seismic	normal	seismic
1	2.30	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----
2	4.38	C	1.0	16.00	8.00	0.0	6.0	0.0	0.200	auto	auto	-----	-----
3	5.38	S	17.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	-----	-----
4	6.38	S	19.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	-----	-----
5	7.38	S	21.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	-----	-----
6	8.38	S	24.0	18.00	10.00	34.0	0.0	0.0	0.200	auto	auto	-----	-----
7	9.38	S	31.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	-----	-----
8	10.38	S	36.0	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	-----	-----
9	11.38	S	34.0	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	-----	-----
10	12.38	S	52.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	-----	-----
11	13.38	S	43.0	18.00	10.00	40.0	0.0	0.0	0.200	auto	auto	-----	-----
12	14.38	S	42.0	18.00	10.00	40.0	0.0	0.0	0.200	auto	auto	-----	-----
13	15.00	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	-----	-----

Note) depth : from top of coping to bottom of the layer C : soil adhesion
 soil : sandy (S), clayey (C), mixed (M) a : slope of soil adhesion
 N value : average N value in the layer k' : design seismic coefficient (under water)
 γ : wet unit weight of soil ζ : angle of active rupture
 γ' : saturated unit weight of soil kh : modulus of subgrade reaction
 φ : internal friction angle of soil

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.68	6.40	6.40	1.44	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	1.08	6.20	10.0	5.0

Angle of rupture in embankment

calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I _x = 177000 cm ⁴
Sectional factor	Z _x = 5050 cm ³
Corrosion margin	t ₁ = 1.00 mm (ri verside) t ₂ = 1.00 mm (landside)
Corrosion rate (to I ₀)	η = 0.86
Corrosion rate (to Z ₀)	η = 0.89
Section efficiency (to I ₀)	μ = 1.00
Section efficiency (to Z ₀)	μ = 1.00

Round unit of SSP length 0.50 m

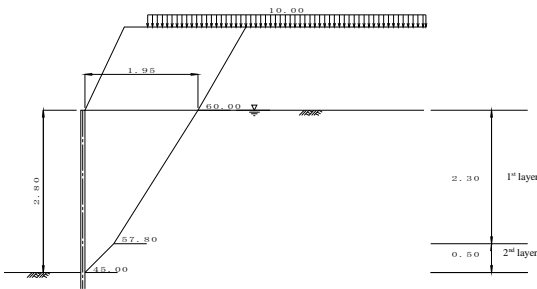
Allowable stress σ_a = 185 Nmm² (Normal)
 σ_a' = 278 Nmm² (Seismic)

Allowable displacement δ_a = 50.0 mm (Normal)
 δ_a' = 75.0 mm (Seismic)

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus
 Reduced: I₀ applied to calculation of lateral coefficient of subgrade reaction
 Not reduced: I₀ applied to calculation of penetration depth
 Reduced: I₀ applied to calculation of section forces and displacement
 Reduced: Z₀ applied to calculation of stresses

2 Calculation of Acting Load
 2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma \times h \times A$ (kN/m)	Angle of rupture Z (degree)
1	2.80- 2.30	Clayey Soil	0.0	10.0	6.0	27.00	35.65	27.44	45.00
2	2.30- 0.00	Sandy Soil	30.0	10.0	0.0	23.00	35.65	22.54	57.80
3		Embankment	30.0	—	0.0	25.92	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta=0^\circ$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthbank combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm²)
- C : cohesive force of soil (kNm²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.50	0.00	0.00	0.50	0.50
2	57.80	2.30	0.50	0.50	1.95	2.80
3	60.00	1.44	1.95	2.80	2.78	4.24

Therefore, width of acting load shall be set as 1.95 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.91	52.46
Σ			52.46

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.70	17.00
Σ			17.00

Q : surcharge load
 l : width of surcharge load set by line of active rupture

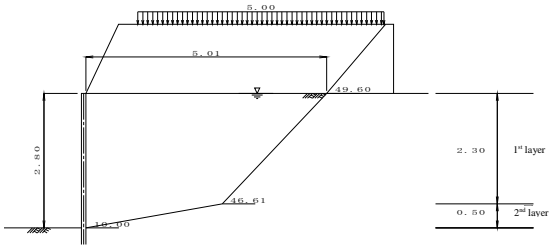
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{52.46 + 17.00 + 0.00}{1.95}$$

$$= 35.65 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma\gamma h$ (kN/m ²)	Q (kN/m ²)	γwh (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.80- 2.30	Clayey Soil	0.0	10.0	6.0	27.00	32.44	27.44	0.200	11.31	10.00
2	2.30- 0.00	Sandy Soil	30.0	10.0	0.0	23.00	32.44	22.54	0.200	11.31	46.61
3		Embankment	30.0	—	0.0	25.92	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta) \cdot \sin(\phi - \theta)}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-2-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	10.00	0.50	0.00	0.00	2.84	0.50
2	46.61	2.30	2.84	0.50	5.01	2.80
3	49.60	1.44	5.01	2.80	6.24	4.24

Therefore, width of acting load shall be set as 5.01 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	7.61	136.93
Σ			136.93

γ : unit weight of embankment soil

A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q x l (kN/m)
1	5.0	5.12	25.60
Σ			25.60

Q : surcharge load

l : width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

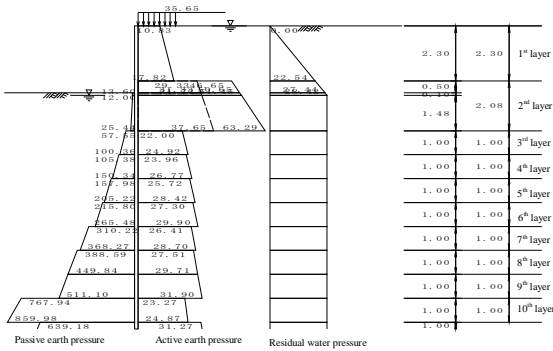
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{136.93 + 25.60 + 0.00}{5.01}$$

$$= 32.44 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q$ (kN/m ²)	K_a	$K_a \times \cos \delta$
1	0.00- 2.30	Sandy soil	10.0	30.0	35.651	0.30847	0.30378
2	2.30- 2.80	Clayey soil	8.0	—	38.651	—	—
3	2.80- 2.90	Clayey soil	8.0	—	62.651	—	—
4	2.90- 4.38	Clayey soil	8.0	—	63.451	—	—
5	4.38- 5.38	Sandy soil	10.0	31.0	75.291	0.29669	0.29219
6	5.38- 6.38	Sandy soil	10.0	32.0	85.291	0.28525	0.28992
7	6.38- 7.38	Sandy soil	10.0	33.0	95.291	0.27412	0.26996
8	7.38- 8.38	Sandy soil	10.0	34.0	105.291	0.26331	0.25931
9	8.38- 9.38	Sandy soil	10.0	37.0	115.291	0.25264	0.22910
10	9.38- 10.38	Sandy soil	10.0	38.0	125.291	0.22298	0.21959
11	10.38- 11.38	Sandy soil	10.0	38.0	135.291	0.22298	0.21959
12	11.38- 12.38	Sandy soil	10.0	45.0	145.291	0.16262	0.16015
13	12.38- 13.38	Sandy soil	10.0	40.0	155.291	0.20447	0.20137

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q$ (kN/m ²)	K_a	$K_a \times \cos \delta$
14	13.38- 14.38	Sandy soil	10.0	—	165.291	0.20447	0.20137
15	14.38- 15.00	Sandy soil	10.0	45.0	175.291	0.16262	0.16015

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q$ (kN/m ²)	K_p	$K_p \times \cos \delta$
3	2.80- 2.90	Clayey soil	16.0	0.0	6.0	0.000	—
4	2.90- 4.38	Clayey soil	8.0	0.0	6.0	1.600	—
5	4.38- 5.38	Sandy soil	10.0	31.0	13.440	4.34774	4.28169
6	5.38- 6.38	Sandy soil	10.0	32.0	23.440	4.56530	4.49594
7	6.38- 7.38	Sandy soil	10.0	33.0	33.440	4.79713	4.72425
8	7.38- 8.38	Sandy soil	10.0	34.0	43.440	5.04448	4.96784
9	8.38- 9.38	Sandy soil	10.0	37.0	53.440	5.89457	5.80801
10	9.38- 10.38	Sandy soil	10.0	38.0	63.440	6.21981	6.12532
11	10.38- 11.38	Sandy soil	10.0	38.0	73.440	6.21981	6.12532
12	11.38- 12.38	Sandy soil	10.0	45.0	83.440	9.34548	9.20351
13	12.38- 13.38	Sandy soil	10.0	40.0	93.440	6.94605	6.84053
14	13.38- 14.38	Sandy soil	10.0	40.0	103.440	6.94605	6.84053
15	14.38- 15.00	Sandy soil	10.0	45.0	113.440	9.34548	9.20351

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure (kNm ⁻²)	Passive side (kNm ⁻²)
	Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)		
1 0.00-2.30	10.83	---	10.83	0.00	---
2 2.30-2.80	46.65	20.33	46.65	22.54	---
3 2.80-2.90	50.65	31.33	50.65	27.44	12.00
4 2.90-4.38	51.45	31.73	51.45	28.42	13.60
5 4.38-5.38	22.00	---	22.00	28.42	57.55
6 5.38-6.38	23.96	---	23.96	28.42	100.36
7 6.38-7.38	25.72	---	25.72	28.42	147.98
8 7.38-8.38	27.30	---	27.30	28.42	215.80
9 8.38-9.38	26.41	---	26.41	28.42	310.22
10 9.38-10.38	27.51	---	27.51	28.42	388.59
11 10.38-11.38	29.71	---	29.71	28.42	449.84
12 11.38-12.38	23.27	---	23.27	28.42	767.94
13 12.38-13.38	31.27	---	31.27	28.42	639.18
14 13.38-14.38	33.28	---	33.28	28.42	707.58
15 14.38-15.00	28.07	---	28.07	28.42	1044.05

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$

K_a : Equilibrium coefficient of compression 0.5

Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

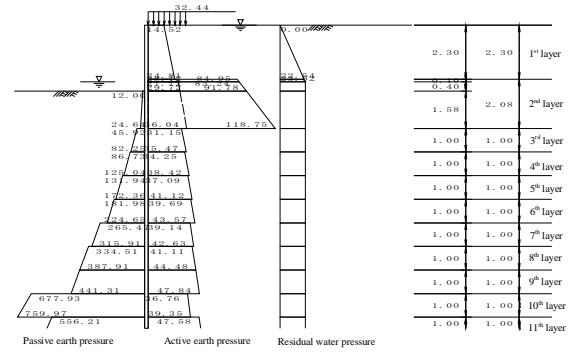
Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

L_No. 20_pp.13

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q$ (kNm ⁻²)	γ_{wh} (kNm ⁻²)	k (k)	θ (degree)	K_a	$K_a \times \cos \delta$	θ (degree)
1 0.00-2.30	Sandy Soil	10.0	30.0	---	32.44	0.00	0.200	11.31	0.45442	0.44752	---
2 2.30-2.40	Clayey Soil	8.0	---	6.0	58.44	22.54	0.200	11.31	---	---	10.00
3 2.40-2.80	Clayey Soil	8.0	---	6.0	56.24	23.52	0.200	11.31	---	---	10.00
4 2.80-4.38	Clayey Soil	8.0	---	6.0	59.44	27.44	0.200	11.31	---	---	10.00
5 4.38-5.38	Sandy Soil	10.0	31.0	---	72.08	42.92	0.200	11.31	0.43879	0.43213	---
6 5.38-6.38	Sandy Soil	10.0	32.0	---	82.08	52.72	0.200	11.31	0.42566	0.41722	---
7 6.38-7.38	Sandy Soil	10.0	33.0	---	92.08	62.52	0.200	11.31	0.40899	0.40278	---
8 7.38-8.38	Sandy Soil	10.0	34.0	---	102.08	72.32	0.200	11.31	0.39477	0.38878	---
9 8.38-9.38	Sandy Soil	10.0	37.0	---	112.08	82.12	0.200	11.31	0.35458	0.34919	---
10 9.38-10.38	Sandy Soil	10.0	38.0	---	122.08	91.92	0.200	11.31	0.34194	0.33674	---
11 10.38-11.38	Sandy Soil	10.0	38.0	---	132.08	101.72	0.200	11.31	0.34194	0.33674	---
12 11.38-12.38	Sandy Soil	10.0	45.0	---	142.08	111.52	0.200	11.31	0.26273	0.25874	---
13 12.38-13.38	Sandy Soil	10.0	40.0	---	152.08	121.32	0.200	11.31	0.31772	0.31289	---
14 13.38-14.38	Sandy Soil	10.0	40.0	---	162.08	131.12	0.200	11.31	0.31772	0.31289	---

L_No. 20_pp.14

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q$ (kNm ⁻²)	γ_{wh} (kNm ⁻²)	k (k)	θ (degree)	K_a	$K_a \times \cos \delta$	θ (degree)
15 14.38-15.00	Sandy Soil	10.0	45.0	---	172.08	140.92	0.200	11.31	0.26273	0.25874	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(\beta - \theta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q_p$ (kNm ⁻²)	γ_{wh} (kNm ⁻²)	k (k)	θ (degree)	K_p	$K_p \times \cos \delta$
4 2.80-4.38	Clayey soil	8.00	0.0	6.0	0.00	0.00	0.200	11.31	---	---
5 4.38-5.38	Sandy soil	10.00	31.0	---	12.640	15.48	0.200	11.31	3.68877	3.63273
6 5.38-6.38	Sandy soil	10.00	32.0	---	22.640	25.28	0.200	11.31	3.89012	3.83102
7 6.38-7.38	Sandy soil	10.00	33.0	---	32.640	35.08	0.200	11.31	4.10466	4.04230
8 7.38-8.38	Sandy soil	10.00	34.0	---	42.640	44.88	0.200	11.31	4.33360	4.26776
9 8.38-9.38	Sandy soil	10.00	37.0	---	52.640	54.68	0.200	11.31	5.12098	5.04318
10 9.38-10.38	Sandy soil	10.00	38.0	---	62.640	64.48	0.200	11.31	5.42254	5.34016
11 10.38-11.38	Sandy soil	10.00	38.0	---	72.640	74.28	0.200	11.31	5.42254	5.34016
12 11.38-12.38	Sandy soil	10.00	45.0	---	82.640	84.08	0.200	11.31	8.33000	8.20345
13 12.38-13.38	Sandy soil	10.00	40.0	---	92.640	93.88	0.200	11.31	6.09659	6.00397
14 13.38-14.38	Sandy soil	10.00	40.0	---	102.640	103.68	0.200	11.31	6.09659	6.00397
15 14.38-15.00	Sandy soil	10.00	45.0	---	112.640	113.48	0.200	11.31	8.33000	8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(\beta - \theta)}} \right]^2}$$

L_No. 20_pp.15

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure (kNm ⁻²)	Passive side (kNm ⁻²)
		Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)		
1 0.00-2.30	14.52	---	14.52	0.00	---	
2 2.30-2.40	83.24	27.72	83.24	22.54	---	
3 2.40-2.80	84.95	28.12	84.95	23.52	---	
4 2.80-4.38	91.78	29.72	91.78	23.52	12.00	
5 4.38-5.38	31.15	---	31.15	23.52	45.92	
6 5.38-6.38	34.25	---	34.25	23.52	86.73	
7 6.38-7.38	37.09	---	37.09	23.52	131.94	
8 7.38-8.38	39.69	---	39.69	23.52	181.98	
9 8.38-9.38	39.14	---	39.14	23.52	265.47	
10 9.38-10.38	41.11	---	41.11	23.52	334.51	
11 10.38-11.38	44.48	---	44.48	23.52	387.91	
12 11.38-12.38	36.76	---	36.76	23.52	677.93	
13 12.38-13.38	47.88	---	47.88	23.52	556.21	
14 13.38-14.38	50.71	---	50.71	23.52	616.25	
15 14.38-15.00	44.52	---	44.52	23.52	924.04	

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$

K_a : Equilibrium coefficient of compression 0.5

Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

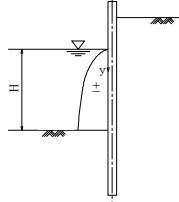
L_No. 20_pp.16

No	Depth Z (m)	WL y (m)	P _w (kNm ²)
1	2.40	0.00	0.00
2	2.80	0.40	0.69

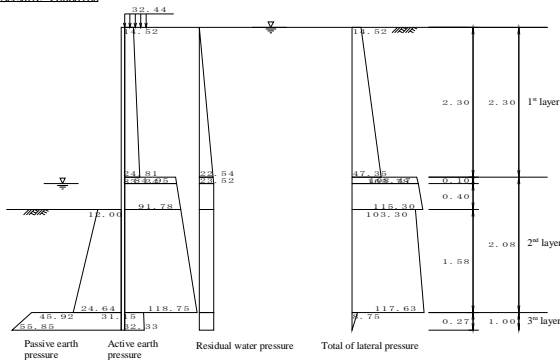
$$p_{dw} = \pm \frac{7}{8} k_{ds} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

Where:

- k_{ds}: design seismic coefficient
- γ_w: unit weight of water
- H: water depth of riverside
- y: depth from water surface to the point where active water pressure is calculated



4-2 Seismic Condition



Depth (m)	P _a (kNm ²)	P _w (kNm ²)	P _p (kNm ²)	P _s (kNm ²)
1 0.00-2.30	14.52 24.81	0.00 22.54	— —	14.52 47.35
2 2.30-2.40	83.24 84.95	22.54 23.52	— —	105.78 108.47
3 2.40-2.80	84.95 91.78	23.52 23.52	— —	108.47 115.30
4 2.80-4.38	91.78 118.75	23.52 23.52	12.00 24.64	103.30 117.63
5 4.38-4.65	31.15 32.33	23.52 23.52	45.92 55.85	8.75 0.00
6 4.65-5.38	32.33 35.47	23.52 23.52	55.85 82.25	0.00 -23.26

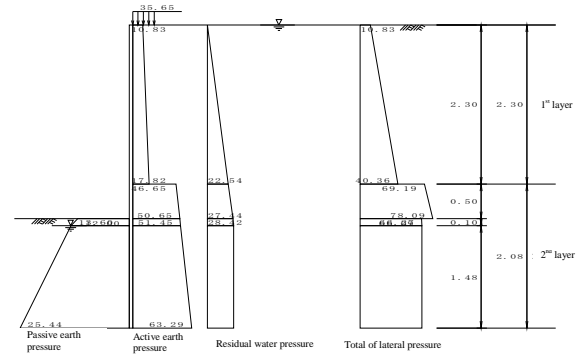
- P_a: Active earth pressure
- P_w: Residual water pressure
- P_p: Passive earth pressure
- P_s: Lateral pressure P_s = P_a + P_w - P_p

Tentative imaginary riverbed I₄: 1.85 m (GL -4.65 m)

4 Imaginary Riverbed

Imaginary ground level I₄ is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition



Depth (m)	P _a (kNm ²)	P _w (kNm ²)	P _p (kNm ²)	P _s (kNm ²)
1 0.00-2.30	10.83 17.82	0.00 22.54	— —	10.83 40.36
2 2.30-2.80	46.65 50.65	22.54 27.44	— —	69.19 78.09
3 2.80-2.90	50.65 51.45	27.44 28.42	12.00 13.60	66.09 66.27
4 2.90-4.38	51.45 63.29	28.42 28.42	13.60 25.44	66.27 66.27
5 4.38-5.38	22.00 24.92	28.42 28.42	57.55 100.36	-7.13 -47.02

- P_a: Active earth pressure
- P_w: Residual water pressure
- P_p: Passive earth pressure
- P_s: Lateral pressure P_s = P_a + P_w - P_p

Tentative imaginary riverbed I₄: 1.58 m (GL -4.38 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

- Unit width B = 1.0000 m
- Corrosion margin t_a = 1.00 mm (active side) t_p = 1.00 mm (passive side)
- Corrosion rate n = 0.86
- Section efficiency u = 1.00
- Young's modulus E = 200000 Nmm²
- Inertia sectional moment I₀ = 177000 cm⁴ (original condition)
- I = 152220 cm⁴ (after reduction by corrosion and section)
- Inertia sectional moment EI = 200000 x 10³ x 152220 x 10⁻⁸ = 3.044 x 10⁸

Depth (m)	N-value	Depth (m)	N-value
1 0.30	15	11 11.38	24
2 1.80	15	12 12.38	52
3 2.30	1	13 13.38	43
4 4.38	1	14 14.38	42
5 5.38	17	15 15.00	50
6 6.38	19		
7 7.38	21		
8 8.38	24		
9 9.38	31		
10 10.38	36		

5-2 Normal Condition

K = 20877 kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.362 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.76 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -4.38 m) to 2.76 m depth (GL -7.14 m).

	Depth Z (m)	Thickness h (m)	N value		Area (m ²)
			upper	lower	
1	4.38	1.00	1.0	17.0	9.00
2	5.38	1.00	17.0	19.0	18.00
3	6.38	0.76	19.0	20.5	15.09
L = 2h = 2.76					ΣA = 42.09

A (upper N value + lower N value) × h/2

$$\text{Average } N \text{ value } N' = \frac{\Sigma A}{L} = \frac{42.07}{2.76} = 15.23$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N'^{0.406} = 6910 \times 15.23^{0.406} = 20877 \text{ kN/m}^3$$

$$K_h \text{ (normal condition)} = 20877 \text{ kNm}^3$$

5-3 Seismic Condition

$$K_s = 21792 \text{ kNm}^3 \text{ is set tentatively.}$$

$$\beta = \sqrt[4]{\frac{K_h \cdot B}{4 E I}} = 0.366 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.73 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -4.65 m) to 2.73 m depth (GL -7.39 m).

	Depth Z (m)	Thickness h (m)	N value		Area (m ²)
			upper	lower	
1	4.65	0.73	5.4	17.0	8.13
2	5.38	1.00	17.0	19.0	18.00
3	6.38	1.00	19.0	21.0	20.00
4	7.38	0.01	21.0	21.0	0.16
L = 2h = 2.73					ΣA = 46.29

A (upper N value + lower N value) × h/2

$$\text{Average } N \text{ value } N' = \frac{\Sigma A}{L} = \frac{46.29}{2.73} = 16.93$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following:

$$K_h = 6910 \times N'^{0.406} = 6910 \times 16.93^{0.406} = 21792 \text{ kN/m}^3$$

$$K_h \text{ (seismic condition)} = 21792 \text{ kNm}^3$$

L_No. 20_pp.21

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Elevation h₀

6-1-1 Normal Condition

	Depth Z (m)	Thickness h (m)	Total of lateral force P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.30	2.30	10.83 40.36	12.45 46.41	3.61 2.85	45.00 132.12
2	2.30-2.80	0.50	69.19 78.09	17.30 19.52	1.91 1.75	33.10 34.10
3	2.80-2.90	0.10	66.09 66.27	3.30 3.31	1.55 1.51	5.11 5.01
4	2.90-4.38	1.48	66.27 66.27	49.04 49.04	0.99 0.49	48.99 24.19
			ΣP = 200.38	ΣM = 327.02		

P : active earth pressure + residual water pressure - passive earth pressure
 P : load P_s × h/2 × B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P × Y

Arbitrary load lateral load P = 5.0 kNm
 depth to acting position H = -0.65 m
 moment M₀ = 0.0 kNm/m
 depth to acting position H₀ = 0.00 m
 Height from riverbed to top of coping H = 2.80 m
 Depth of imaginary riverbed from riverbed L_k = 1.58 m

Moment M₀ by arbitrary load is as below

$$M_0 = P_0 \cdot (H + L_k - H_0) + M_0 = 25.15 \text{ kN}\cdot\text{m}$$

h₀ : Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{352.17}{205.38} = 1.71 \text{ m}$$

6-1-2 Seismic Condition

	Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.30	2.30	14.52 47.35	16.70 54.45	3.89 3.12	64.89 169.90
2	2.30-2.40	0.10	105.78 108.47	5.29 5.42	2.32 2.29	12.27 12.40
3	2.40-2.80	0.40	108.47 115.30	21.69 23.06	2.12 1.99	45.99 45.81
4	2.80-4.38	1.58	103.30 117.63	81.60 92.93	1.33 0.80	108.26 74.35

L_No. 20_pp.22

	Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
5	4.38-4.65	0.27	8.75 0.00	1.20 0.09	0.18 0.00	0.22 0.00
			ΣP = 302.34	ΣM = 534.09		

P : active earth pressure + residual water pressure - passive earth pressure
 P : load P_s × h/2 × B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P × Y

Arbitrary load lateral load P = 12.7 kNm
 depth to acting position H = -0.47 m
 moment M₀ = 4.5 kNm/m
 depth to acting position H₀ = 0.80 m
 Height from riverbed to top of coping H = 2.80 m
 Depth of imaginary riverbed from riverbed L_k = 1.85 m

Moment M₀ by arbitrary load is as below
 $M_0 = P_0 \cdot (H + L_k - H_0) + M_0 = 69.57 \text{ kN}\cdot\text{m}$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _{sw} (kNm ²)	Load P _{sw} (kN)	Arm length Y (m)	Moment M _{sw} (kNm)
1	2.40-2.80	0.40	0.0 0.7	0.00 0.14	2.12 1.99	0.00 0.27
			ΣP _{sw} = 0.14	ΣM _{sw} = 0.27		

h₀ : Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_{sw}}{\Sigma P + P_0 + \Sigma P_{sw}} = \frac{603.93}{315.18} = 1.92 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width B = 1.000 m
 Corrosion margin t_c = 1.00 mm (active side) t_s = 1.00 mm (passive side)
 Corrosion rate η = 1.00
 Section efficiency μ = 1.00
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 177000 cm⁴ (original condition)
 I = 152220 cm⁴ (after reduction by corrosion and section)
 EI = 20000 × 10³ × 152220 × 10⁸ = 3.044 × 10¹⁷

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value K_s = 20877 kNm³
 resultant earth force (lateral) β = 0.36185 m⁻¹
 height of acting position of load P₀ = 205.38 kNm
 moment h₀ = 1.71 m
 M₀ = 352.17 kNm-m

in consideration of φ_{0n} = 1.300, maximum moment M_{0,ax} = 457.70 kNm-m/m
 depth of generated position of M_{0,ax} L = 1.160 m
 depth of Ist fixed point l₁ = 3.330 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value K_s = 21792 kNm³
 resultant earth force (lateral) β = 0.36575 m⁻¹
 height of acting position of load P₀ = 315.18 kNm
 moment h₀ = 1.92 m
 M₀ = 603.93 kNm-m

in consideration of φ_{0n} = 1.251, maximum moment M_{0,ax} = 755.48 kNm-m/m
 depth of generated position of M_{0,ax} L = 1.079 m
 depth of Ist fixed point l₁ = 3.226 m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin t_c = 1.00 mm (active side) t_s = 1.00 mm (passive side)
 Corrosion rate η = 0.89
 Section efficiency u = 1.00
 Modulus of section Z₀ = 5050 cm³ (original condition)
 Z = 4495 cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{457.70 \times 10^6}{4495 \times 10^3} = 102 \text{ N/mm}^2 \leq \sigma_s = 185 \text{ N/mm}^2$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{755.48 \times 10^6}{4495 \times 10^3} = 168 \text{ N/mm}^2 \leq \sigma_s = 278 \text{ N/mm}^2$$

6.4 Displacement

6-4-1 Normal Condition

Modules of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.30	3.61 2.85	0.825 0.680	0.247 0.165	12.45 46.41	3.073 7.678
2	2.30-2.80	1.91 1.75	0.437 0.399	0.082 0.069	17.30 19.52	1.410 1.346
3	2.80-2.90	1.55 1.51	0.353 0.346	0.055 0.053	3.30 3.31	0.182 0.175
4	2.90-4.38	0.99 0.49	0.225 0.113	0.023 0.006	49.04 49.04	1.151 0.299
$\Sigma Q = 15.314$						

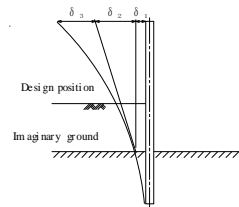
Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_k}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$
P : Lateral force
H : Depth to design position
L_k : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.3619 \times 1.71) \times 205.38}{2 \times 2.00 \times 10^8 \times 152220 \times 10^{-8} \times 0.3619^3} = 0.01154 \text{ m}$$

$$\delta_2 = \frac{(1+2 \beta h_0) \times P_0}{2 E I \beta^3} \times (H+L_k)$$

$$= \frac{(1+2 \times 0.3619 \times 1.71) \times 205.38}{2 \times 2.00 \times 10^8 \times 152220 \times 10^{-8} \times 0.3619^3} \times (2.80+1.58) = 0.02529 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{E I}$$

$$= \frac{15.31 \times (2.80+1.58)^3}{2.00 \times 10^8 \times 152220 \times 10^{-8}} = 0.00423 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00056 m in consideration of following values:
Height from imaginary riverbed to top of SSP: L = 4.38 m
Horizontal load P = 5.00
Moment: M = 3.25

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01154 + 0.02529 + 0.00479$$

$$= 0.04161 \text{ m}$$

$$= 41.61 \text{ mm} \leq \delta_a = 50.00 \text{ mm}$$

Where:
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

6-4-2 Seismic Condition

Modules of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.30	3.89 3.12	0.835 0.670	0.252 0.175	16.70 54.45	4.202 9.504
2	2.30-2.40	2.32 2.29	0.499 0.491	0.104 0.101	5.29 5.42	0.548 0.548
3	2.40-2.80	2.12 1.99	0.456 0.427	0.088 0.078	21.69 23.06	1.909 1.803
4	2.80-4.38	1.33 0.80	0.285 0.172	0.037 0.014	81.60 92.93	3.001 1.295
5	4.38-4.65	0.18 0.09	0.039 0.020	0.001 0.000	1.20 0.00	0.001 0.000
$\Sigma Q = 22.811$						

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_k}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

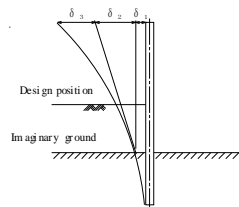
Q : $\zeta \times P$
P : Lateral force
H : Depth to design position
L_k : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_{lw} (kN)	Q_{lw} (kN)
1	2.40-2.80	2.12 1.99	0.456 0.427	0.088 0.078	0.00 0.14	0.000 0.011
$\Sigma Q_{lw} = 0.011$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 22.811 + 0.011 = 22.822$

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.3658 \times 1.92) \times 315.18}{2 \times 2.00 \times 10^8 \times 152220 \times 10^{-8} \times 0.3658^3} = 0.01799 \text{ m}$$

$$\delta_2 = \frac{(1+2 \beta h_0) \times P_0}{2 E I \beta^3} \times (H+L_k)$$

$$= \frac{(1+2 \times 0.3658 \times 1.92) \times 315.18}{2 \times 2.00 \times 10^8 \times 152220 \times 10^{-8} \times 0.3658^3} \times (2.80+1.85) = 0.04325 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{E I}$$

$$= \frac{22.82 \times (2.80+1.85)^3}{2.00 \times 10^8 \times 152220 \times 10^{-8}} = 0.00755 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00161 m in consideration of following values:
Height from imaginary riverbed to top of SSP: L = 4.65 m
Horizontal load P = 12.70
Moment: M = 5.97

Displacement δ_{3a} of cantilever beam by moment M_a is additionally considered

$$\delta_{3a} = \frac{M_a \cdot h}{2 E I} \times (2 L - h) \quad (L = 4.65 \text{ m}, h = L - H_a, H_a = 0.80 \text{ m}, h \leq L)$$

$$= \frac{4.50 \times 3.85}{2 \times 2.00 \times 10^8 \times 152220 \times 10^{-8}} \times (2 \times 4.65 - 3.85) = 0.00016 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01799 + 0.04325 + 0.00932$$

$$= 0.07056 \text{ m}$$

$$= 70.56 \text{ mm} \leq \delta_a = 75.00 \text{ mm}$$

Where:
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	n = 1.00
Section efficiency	u = 1.00
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 177000 cm ⁴ (original condition)
	I = 177000 cm ⁴ (after reduction by corrosion and section)
H	= 200000 x 10 ³ x 177000 x 10 ⁸ = 3.540 x 10 ¹⁷

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L₀, penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction	K _b = 20877 kN/m ²
Calculated value	β = 0.34846 m ⁻¹
Penetration length of SSP	D = 1.58 + $\frac{3}{0.348}$ = 10.19 m
Whole length of SSP	L = 2.80 - 0.40 + 10.19 = 12.59 m

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction	K _b = 21792 kN/m ²
Calculated value	β = 0.35222 m ⁻¹
Penetration length of SSP	D = 1.85 + $\frac{3}{0.352}$ = 10.37 m
Whole length of SSP	L = 2.80 - 0.40 + 10.37 = 12.77 m

Therefore, whole length of SSP is set as 13.00 m in consideration of round unit of SSP length

8 Calculation Result

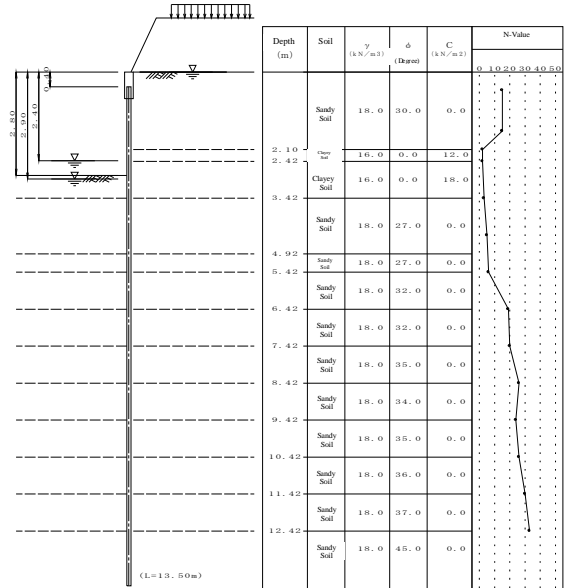
			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	177000		
Section modulus	Z (cm ³)	8080		
Maximum bending moment	M _{max} (kNm/m)		457.70	755.48
Stress intensity	σ (N/mm ²)		102 (185)	168 (278)
Lateral displacement	δ (mm)		41.61 (30.0)	70.56 (75.0)
Penetration depth	D (m)		10.19	10.37
Whole length of SSP	L (m)	13.00		

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Left Bank No. 21_STA 15+747 - 15+870



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.80 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 R verse WL L_{ns} = 0.00 m (Normal Condition)
 Landside WL L_{ns}' = 0.00 m (Seismic Condition)
 Landside WL L_{sp} = 2.90 m (Normal Condition)
 Landside WL L_{sp}' = 2.40 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

L_No.21 pp 1

L_No.21 pp 2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^{-3}$

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load $R = 5.1 \text{ kNm}$ (Normal Condition)
 $R' = 12.9 \text{ kNm}$ (Seismic Condition)
 Depth of acting point $H = -0.66 \text{ m}$ (Normal Condition)
 $H' = -0.48 \text{ m}$ (Seismic Condition)
 Moment $M_a = 0.0 \text{ kNm/m}$ (Normal Condition)
 $M_a' = 4.7 \text{ kNm/m}$ (Seismic Condition)
 Depth of acting point $H_a = 0.00 \text{ m}$ (Seismic Condition)
 $H_a = 0.80 \text{ m}$ (Normal Condition)
 (*Depth' means distance from top of coping)

Wind load Impact load not considered

Minimum angle of rupture $\zeta = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h^2 Q}{2C}} \cdot \tan \theta$

Equilibrium factor of compression $K = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_h = 6910 \times N^{0.496}$

Average N value calculated from average N value between imaginary riverbed and depth as 1/3

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	9.42	24
2	1.00	15	12	10.42	26
3	2.10	2	13	11.42	30
4	2.42	2	14	12.42	35
5	3.42	3	15	13.42	50
6	4.42	5	16	20.00	50
7	5.42	6			
8	6.42	19			
9	7.42	20			
10	8.42	26			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

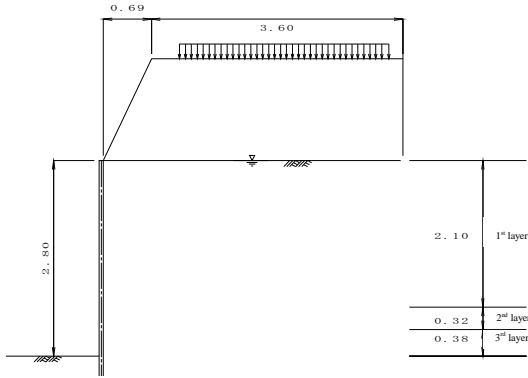
No	Depth (m)	Soil	N value	γ (kNm ⁻³)	γ' (kNm ⁻³)	ϕ	C (kNm ⁻²)	a	k'	ζ (degree)		kh (kNm ⁻³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----
2	2.42	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	-----	-----
3	3.42	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	-----	-----
4	4.92	S	5.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
5	5.42	S	6.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
6	6.42	S	19.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	-----	-----
7	7.42	S	20.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	-----	-----
8	8.42	S	26.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	-----	-----
9	9.42	S	24.0	18.00	10.00	34.0	0.0	0.0	0.200	auto	auto	-----	-----
10	10.42	S	26.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	-----	-----
11	11.42	S	30.0	18.00	10.00	36.0	0.0	0.0	0.200	auto	auto	-----	-----
12	12.42	S	33.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	-----	-----
13	13.42	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	-----	-----

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Em bankment on Landside



Em bankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.69	4.29	4.29	1.46	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	1.09	4.09	10.0	5.0

Angle of rupture in embankment

calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Youn's modulus	E = 200000 Nmm ²
Inertia sectional moment	I _x = 154000 cm ⁴
Sectional factor	Z _x = 4160 cm ³
Corrosion margin	t _r = 1.00 mm (ri verside) t _s = 1.00 mm (landside)
Corrosion rate (to I _x)	η = 0.85
Corrosion rate (to Z _x)	η = 0.87
Section efficiency (to I _x)	μ = 1.00
Section efficiency (to Z _x)	μ = 1.00

Round unit of SSP length 0.50 m

Allowable stress σ_s = 187 Nmm² (Normal)
 σ_s' = 278 Nmm² (Seismic)

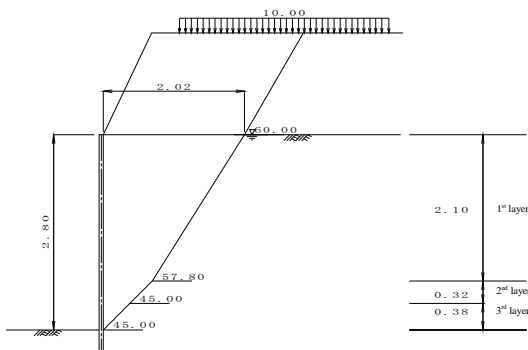
Allowable displacement δ_s = 50.0 mm (Normal)
 δ_s' = 75.0 mm (Seismic)

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus Reduced: I_x applied to calculation of lateral coefficient of subgrade reaction
 Not reduced: I_x applied to calculation of penetration depth
 Reduced: I_x applied to calculation of section forces and displacement
 Reduced: Z_x applied to calculation of stresses

2 Calculation of Acting Load

2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma \times h \times A$ (kN/m)	Angle of rupture Z (degree)
1	2.80- 2.42	Clayey Soil	0.0	10.0	18.0	26.60	36.05	27.44	45.00
2	2.42- 2.10	Clayey Soil	0.0	10.0	12.0	23.56	36.05	23.72	45.00
3	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	36.05	20.58	57.80
4		Embankment	30.0	—	0.0	26.28	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta=0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earth quake correction angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.38	0.00	0.00	0.38	0.38
2	45.00	0.32	0.38	0.38	0.70	0.70
3	57.80	2.10	0.70	0.70	2.02	2.80
4	60.00	1.46	2.02	2.80	2.87	4.26

Therefore, width of acting load shall be set as 2.02 m

2-1-3 Acting Load by Em bankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	3.06	55.16
Σ			55.16

γ : unit weight of embankment soil

A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.78	17.75
Σ			17.75

Q : surcharge load
 l : width of surcharge load set by line of active rupture

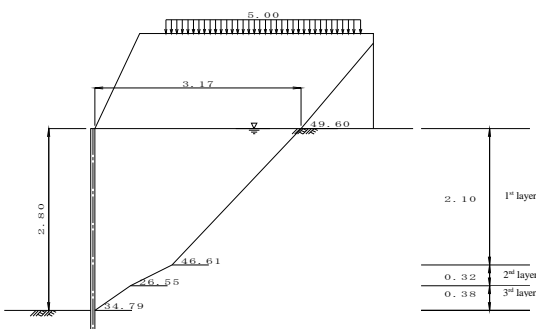
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{55.16 + 17.75 + 0.00}{2.02}$$

$$= 36.05 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	34.79	0.38	0.00	0.00	0.55	0.38
2	26.55	0.32	0.55	0.38	1.19	0.70
3	46.61	2.10	1.19	0.70	3.17	2.80
4	49.60	1.31	3.17	2.80	4.29	4.11

Therefore, width of acting load shall be set as 3.17 m

2-2-3 Acting Load by Earthbankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	5.03	90.47
Σ			90.47

γ : unit weight of embankment soil

A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q x l (kN/m)
1	5.0	3.00	15.00
Σ			15.00

Q: surcharge load

l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{90.47 + 15.00 + 0.00}{3.17}$$

$$= 33.24 \text{ kN/m}^2$$

2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{shw} (kN/m ²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.80-2.42	Clayey Soil	0.0	10.0	18.0	26.60	33.24	27.44	0.200	11.31	34.79
2	2.42-2.10	Clayey Soil	0.0	10.0	12.0	23.56	33.24	23.72	0.200	11.31	26.55
3	2.10-0.00	Sandy Soil	30.0	10.0	0.0	21.00	33.24	20.58	0.200	11.31	46.61
4		Embankment	30.0	—	0.0	26.28	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

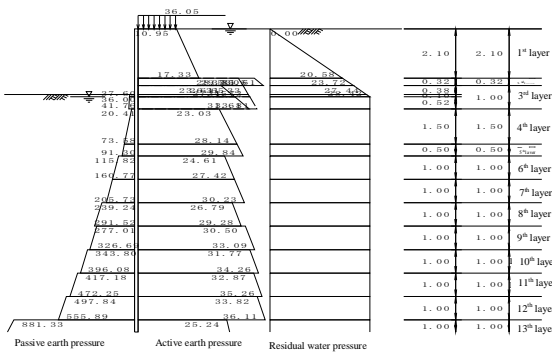
$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = 4 \tan^{-1} k$ or $\theta = 4 \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h: thickness of layer (m)
- Q: surcharge load (kN/m²)
- C: cohesive force of soil (kN/m²)

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q$ (kN/m ²)	K_a	$K_a \times \cos \delta$
1 0.00-2.10	Sandy soil	10.0	30.0	—	36.052 / 57.052	0.30847 / 0.30847	0.30378 / 0.30378
2 2.10-2.42	Clayey soil	8.0	—	12.0	57.052 / 59.612	—	—
3 2.42-2.80	Clayey soil	8.0	—	18.0	59.612 / 62.652	—	—
4 2.80-2.90	Sandy soil	8.0	—	18.0	62.652 / 63.452	—	—
5 2.90-3.42	Clayey soil	8.0	—	18.0	63.452 / 67.612	—	—
6 3.42-4.92	Sandy soil	10.0	27.0	—	67.612 / 82.612	0.34585 / 0.34585	0.34060 / 0.34060
7 4.92-5.42	Sandy soil	10.0	27.0	—	82.612 / 87.612	0.34585 / 0.34585	0.34060 / 0.34060
8 5.42-6.42	Sandy soil	10.0	32.0	—	87.612 / 97.612	0.28525 / 0.28525	0.28092 / 0.28092
9 6.42-7.42	Sandy soil	10.0	32.0	—	97.612 / 107.612	0.28525 / 0.28525	0.28092 / 0.28092
10 7.42-8.42	Sandy soil	10.0	35.0	—	107.612 / 117.612	0.25279 / 0.25279	0.24895 / 0.24895
11 8.42-9.42	Sandy soil	10.0	34.0	—	117.612 / 127.612	0.26331 / 0.26331	0.25931 / 0.25931
12 9.42-10.42	Sandy soil	10.0	35.0	—	127.612 / 137.612	0.25279 / 0.25279	0.24895 / 0.24895
13 10.42-11.42	Sandy soil	10.0	36.0	—	137.612 / 147.612	0.24257 / 0.24257	0.23889 / 0.23889

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q$ (kN/m ²)	K_a	$K_a \times \cos \delta$
14 11.42-12.42	Sandy soil	10.0	37.0	—	147.612 / 157.612	0.23264 / 0.23264	0.22910 / 0.22910
15 12.42-13.42	Sandy soil	10.0	45.0	—	157.612 / 167.612	0.16262 / 0.16262	0.16015 / 0.16015

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q$ (kN/m ²)	K_p	$K_p \times \cos \delta$
4 2.80-2.90	Clayey soil	8.0	0.0	18.0	0.000 / 1.600	—	—
5 2.90-3.42	Clayey soil	8.0	0.0	18.0	1.600 / 3.760	—	—
6 3.42-4.92	Sandy soil	10.0	27.0	—	5.760 / 20.760	3.59892 / 3.59892	3.54425 / 3.54425
7 4.92-5.42	Sandy soil	10.0	27.0	—	20.760 / 25.760	3.59892 / 3.59892	3.54425 / 3.54425
8 5.42-6.42	Sandy soil	10.0	32.0	—	25.760 / 35.760	4.56530 / 4.56530	4.49594 / 4.49594
9 6.42-7.42	Sandy soil	10.0	32.0	—	35.760 / 45.760	4.56530 / 4.56530	4.49594 / 4.49594
10 7.42-8.42	Sandy soil	10.0	35.0	—	45.760 / 55.760	5.30876 / 5.30876	5.22810 / 5.22810
11 8.42-9.42	Sandy soil	10.0	34.0	—	55.760 / 65.760	5.04448 / 5.04448	4.96784 / 4.96784
12 9.42-10.42	Sandy soil	10.0	35.0	—	65.760 / 75.760	5.30876 / 5.30876	5.22810 / 5.22810
13 10.42-11.42	Sandy soil	10.0	36.0	—	75.760 / 85.760	5.59154 / 5.59154	5.50659 / 5.50659
14 11.42-12.42	Sandy soil	10.0	37.0	—	85.760 / 95.760	5.89457 / 5.89457	5.80501 / 5.80501
15 12.42-13.42	Sandy soil	10.0	45.0	—	95.760 / 105.760	9.34548 / 9.34548	9.20351 / 9.20351

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

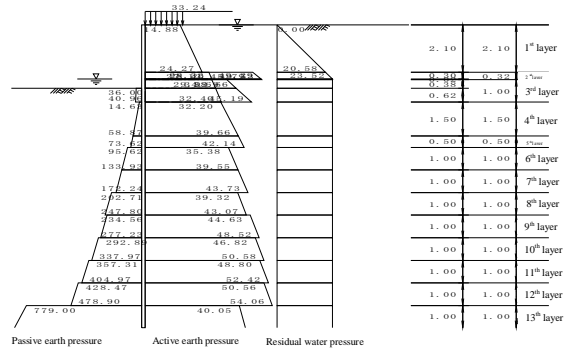
Table with columns: Depth (m), Active side (Pa1, Pa2, Pa), Residual water pressure (Pw), and Passive side (Pp). Rows 1-14 show soil pressure data at various depths.

Formula for active earth pressure
Sandy soil Pa1 = Ka * [Sigma gamma h + Q / cos(-beta)] * cos delta
Clayey soil Pa1 = Sigma gamma h + Q - 2 C
Pa1 = Ka * (Sigma gamma h + Q)
Ka: Equilibrium coefficient of compression 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)
Mixed soil Pa1 = [Ka * (Sigma gamma h + Q) - 2 C * sqrt(Ka)] * cos delta

Formula for passive earth pressure
Sandy soil Pp = Kp * [Sigma gamma h + Q / cos(-beta)] * cos delta
Clayey soil Pp = Sigma gamma h + Q + 2 C
Mixed soil Pp = [Kp * (Sigma gamma h + Q) + 2 C * sqrt(Kp)] * cos delta

L_No.21 pp 13

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Table with columns: Depth (m), Soil, gamma (kNm^-3), phi (degree), C (kNm^-2), Sph+Q (kNm^-2), gammahw (kNm^-2), k (k), theta (degree), Ka, Kp, and theta (degree). Rows 1-14 provide soil modulus parameters for different soil types and depths.

L_No.21 pp 14

Table with 11 columns: Depth (m), Soil, gamma, phi, C, Sph+Q, gammahw, k, theta, Ka, Kp. Row 15 shows data for depth 12.42-13.42m.

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below
delta = 10.0Q, beta = 0.00, theta = tan k

Equation for Ka: Ka = cos^2(phi - theta) / (cos theta * cos(delta + theta) * [1 - sqrt(sin(phi + delta) * sin(phi - beta - theta) / (cos(delta + theta) * cos(-beta)))]^2)

Angle between surface of collapse and level surface of dayey soil zeta is calculated by the formula below

Equation for zeta: zeta = tan^-1 [1 - (Sigma gamma h + 2Q) / (2C * tan theta)]

3-2-2 Soil Modulus of Passive Side

Table with columns: Depth (m), Soil, gamma, phi, C, Sph+Qp, gammahw, k, theta, Kp, and Kp * cos delta. Rows 5-15 provide soil modulus parameters for various soil types and depths.

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below
delta = -10.0Q, beta = 0.00, theta = tan k

Equation for Kp: Kp = cos^2(phi - theta) / (cos theta * cos(delta - theta) * [1 - sqrt(sin(phi - delta) * sin(phi + beta - theta) / (cos(delta - theta) * cos(-beta)))]^2)

3-2-3 Lateral Pressure

L_No.21 pp 15

Table with columns: No, Depth (m), Active side (Pa1, Pa2, Pa), Residual water pressure (Pw), and Passive side (Pp). Rows 1-15 show soil pressure data for various depths.

Formula for active earth pressure
Sandy soil Pa1 = Ka * [Sigma gamma h + Q / cos(-beta)] * cos delta
Clayey soil Pa1 = Sigma gamma h + Q - 2 C
Pa1 = Ka * (Sigma gamma h + Q)
Ka: Equilibrium coefficient of compression 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)
Mixed soil Pa1 = [Ka * (Sigma gamma h + Q) - 2 C * sqrt(Ka)] * cos delta

Formula for passive earth pressure
Sandy soil Pp = Kp * [Sigma gamma h + Q / cos(-beta)] * cos delta
Clayey soil Pp = Sigma gamma h + Q + 2 C
Mixed soil Pp = [Kp * (Sigma gamma h + Q) + 2 C * sqrt(Kp)] * cos delta

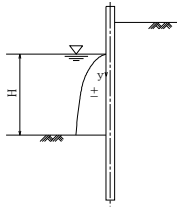
3-2-4 Dynamic Water Pressure due to Earthquake

L_No.21 pp 16

No	Depth Z (m)	WL y (m)	Pw (kNm ²)
1	2.40	0.00	0.00
2	2.80	0.40	0.69

$$p_w = \pm \frac{7}{8} k_{cs} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

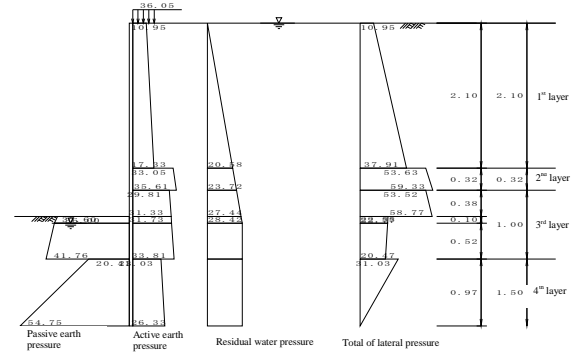
Where:
 k_{cs} : design seismic coefficient
 γ_w : unit weight of water
 H : water depth of riverside
 y : depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L_i is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4.1 Normal Condition

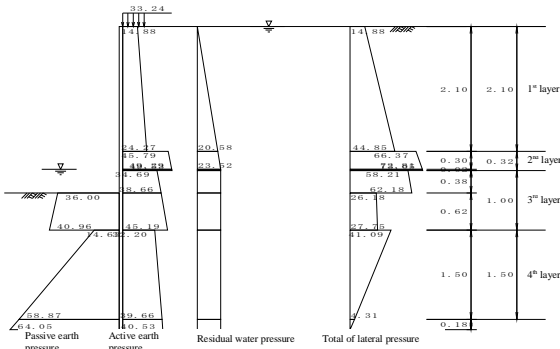


Depth (m)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	Pt (kNm ²)
1 0.00-2.10	10.95 17.33	0.00 20.58	— —	10.95 37.91
2 2.10-2.42	33.05 35.61	— 20.58	— 23.72	53.63 59.33
3 2.42-2.80	29.81 31.33	23.72 27.44	— —	53.52 58.77
4 2.80-2.90	31.33 31.73	27.44 28.42	36.00 37.60	27.77 22.55
5 2.90-3.42	31.73 33.81	28.42 28.42	37.60 41.76	22.55 20.47
6 3.42-4.39	23.03 26.33	28.42 28.42	20.41 54.75	31.03 0.00
7 4.39-4.92	26.33 28.14	28.42 28.42	54.75 73.58	0.00 -17.02

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_t : Lateral pressure $P_t = P_a + P_w - P_p$

Tentative imaginary riverbed L_i : 1.59 m (GL -4.39 m)

4.2 Seismic Condition



Depth (m)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	Pt (kNm ²)
1 0.00-2.10	14.88 24.27	0.00 20.58	— —	14.88 44.85
2 2.10-2.40	45.79 49.29	20.58 23.52	— —	66.37 72.81
3 2.40-2.42	49.29 49.53	23.52 23.52	— —	72.81 73.05
4 2.42-2.80	34.69 38.66	23.52 23.52	— —	58.21 62.18
5 2.80-3.42	38.66 45.19	23.52 23.52	36.00 40.96	26.18 27.75
6 3.42-4.92	32.20 39.66	23.52 23.52	14.63 58.87	41.09 4.31
7 4.92-5.10	39.66 40.53	23.52 23.52	58.87 64.05	4.31 0.00
8 5.10-5.42	40.53 42.14	23.52 23.52	64.05 73.62	0.00 -7.96

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_t : Lateral pressure $P_t = P_a + P_w - P_p$

Tentative imaginary riverbed L_i : 2.30 m (GL -5.10 m)

5 Modulus of Lateral Subgrade Reaction

5.1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/3 depth. The modulus are calculated by the formula below

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width $B = 1.0000$ m
 Corrosion margin $t = 1.00$ mm (active side) $t_s = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.85$
 Section efficiency $\mu = 1.00$
 Young's modulus $E = 200000$ Nmm²
 Inertia sectional moment $I_0 = 154000$ cm⁴ (original condition)
 $I = 130900$ cm⁴ (after reduction by corrosion and section)
 Inertia sectional moment $EI = 20000 \times 10^3 \times 130900 \times 10^{-8} = 2.618 \times 10^7$

Depth (m)	N-value	Depth (m)	N-value
1 0.30	15	11 9.42	24
2 1.60	15	12 10.42	26
3 2.10	2	13 11.42	30
4 2.42	2	14 12.42	33
5 3.42	3	15 13.42	50
6 4.42	5	16 20.00	50
7 5.42	6		
8 6.42	19		
9 7.42	20		
10 8.42	26		

5.2 Normal Condition

$K_h = 18704$ kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.366 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.74 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -4.39) to 2.74 m depth (GL -7.13m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 4.39	0.03	4.9	5.0	0.16
2 4.42	1.00	5.0	6.0	5.50
3 5.42	1.00	6.0	19.0	12.50
4 6.42	0.70	19.0	19.7	13.63

$$L = 2h = 2.74$$

$$\Sigma A = 31.78$$

$$A = (\text{upper N-value} + \text{lower N-value}) \times h/2$$

$$\begin{aligned} \text{Average } N\text{-value} &= \frac{\sum A}{L} \\ &= \frac{31.78}{2.74} \\ &= 11.62 \end{aligned}$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.406} = 6910 \times 11.62^{0.406} = 18704 \text{ kN/m}^3$$

$$K_h \text{ (normal condition)} = 18704 \text{ kNm}^3$$

5-3 Seismic Condition

$K_s = 20964 \text{ kNm}^3$ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4EI}}$$

$$= 0.376 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.66 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed ($GL - 5.10 \text{ m}$) to 2.66 m depth ($GL - 7.75 \text{ m}$).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)	
		upper	lower		
1	5.10	0.32	5.7	6.0	1.89
2	5.42	1.00	6.0	19.0	12.50
3	6.42	1.00	19.0	20.0	38.50
4	7.42	0.33	20.0	22.0	7.02
L = 2h = 2.66		ΣA = 40.91			

$$A \text{ (upper } N\text{-value} + \text{ lower } N\text{-value)} \times h/2$$

$$\begin{aligned} \text{Average } N\text{-value } N' &= \frac{\sum A}{L} \\ &= \frac{40.91}{2.66} \\ &= 15.39 \end{aligned}$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following:

$$K_h = 6910 \times N^{0.406} = 6910 \times 15.39^{0.406} = 20964 \text{ kN/m}^3$$

$$K_s \text{ (seismic condition)} = 20964 \text{ kNm}^3$$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Position h_0

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P_0 (kNm)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	10.95 37.91	11.50 39.81	3.69 2.99	42.42 118.97
2	2.10-2.42	0.32 53.63 59.33	8.88 9.49	2.18 2.08	18.72 19.70
3	2.42-2.80	0.38 53.52 58.77	10.17 11.17	1.84 1.72	18.73 19.15
4	2.80-2.90	0.10 22.77 22.55	1.14 1.13	1.56 1.52	1.77 1.72
5	2.90-3.42	0.52 22.55 20.47	5.86 5.32	1.32 1.14	7.71 6.08
6	3.42-4.39	0.97 31.03 0.00	15.03 0.00	0.65 0.32	9.71 0.00
				ΣP = 119.19	ΣM = 264.68

P_0 : active earth pressure + residual water pressure - passive earth pressure

P : load $P_0 \times h/2 \times B$

B : unit width = 1.000 m

Y : height of acting position from imaginary riverbed

M : moment by load $P \times Y$

Arbitrary load lateral load $P = 5.1 \text{ kNm}$
 depth to acting position $H = -0.66 \text{ m}$
 moment $M_0 = 0.0 \text{ kNm/m}$
 depth to acting position $H_1 = 0.00 \text{ m}$
 Height from riverbed to top of coping $H = 2.80 \text{ m}$
 Depth of imaginary riverbed from riverbed $L_k = 1.59 \text{ m}$

Moment M_0 by arbitrary load is as below

$$M_0 = P \cdot (H + L_k - H) + M_0 = 25.75 \text{ kNm}$$

h_0 : Height of acting position of P_0 from imaginary riverbed

$$\begin{aligned} h_0 &= \frac{M_0}{P_0} = \frac{\sum M + M_0}{\sum P + P_0} \\ &= \frac{290.43}{124.29} = 2.34 \text{ m} \end{aligned}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P_0 (kNm)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	14.88 44.85	15.62 47.10	4.40 3.70	68.66 174.05
2	2.10-2.40	0.30 66.37 72.81	9.95 10.92	2.90 2.80	28.82 30.53
3	2.40-2.42	0.02 72.81 73.05	0.73 0.73	2.69 2.68	1.96 1.96
4	2.42-2.80	0.38 58.21 62.18	11.06 11.81	2.55 2.42	28.19 28.62
5	2.80-3.42	0.62 26.18 27.75	8.11 8.60	2.09 1.88	16.95 16.19
6	3.42-4.92	1.50 41.09 3.23	30.82 3.23	1.18 0.68	36.25 2.18
7	4.92-5.10	0.18 4.31 0.00	0.38 0.00	0.12 0.06	0.04 0.00
				ΣP = 159.07	ΣM = 434.40

P_0 : active earth pressure + residual water pressure - passive earth pressure

P : load $P_0 \times h/2 \times B$

B : unit width = 1.000 m

Y : height of acting position from imaginary riverbed

M : moment by load $P \times Y$

Arbitrary load lateral load $P = 12.9 \text{ kNm}$
 depth to acting position $H = -0.48 \text{ m}$
 moment $M_0 = 4.7 \text{ kNm/m}$
 depth to acting position $H_1 = 0.80 \text{ m}$
 Height from riverbed to top of coping $H = 2.80 \text{ m}$
 Depth of imaginary riverbed from riverbed $L_k = 2.30 \text{ m}$

Moment M_0 by arbitrary load is as below
 $M_0 = P \cdot (H + L_k - H) + M_0 = 76.63 \text{ kNm}$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{dw} (kNm ²)	Load P_{dw} (kN)	Arm length Y (m)	Moment M_{dw} (kNm)
1	2.40-2.80	0.40	0.0 0.7	0.00 0.14	2.56 2.43	0.00 0.33
					ΣP _{dw} = 0.14	ΣM _{dw} = 0.33

h_0 : Height of acting position of P_0 from imaginary riverbed

$$\begin{aligned} h_0 &= \frac{M_0}{P_0} = \frac{\sum M + M_0 + \sum M_{dw}}{\sum P + P_0 + \sum P_{dw}} \\ &= \frac{511.36}{172.11} = 2.97 \text{ m} \end{aligned}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width	$B = 1.000 \text{ m}$
Corrosion margin	$t_1 = 1.00 \text{ mm}$ (active side) $t_2 = 1.00 \text{ mm}$ (passive side)
Corrosion rate	$\eta = 0.85$
Section efficiency	$\mu = 1.00$
Young's modulus	$E = 200000 \text{ Nmm}^2$
Inertia sectional moment	$I_0 = 154000 \text{ cm}^4$ (original condition)
	$I = 130900 \text{ cm}^4$ (after reduction by corrosion and section)
	$H = 20000 \times 10^3 \times 130900 \times 10^8 = 2.618 \times 10^9$

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4EI}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{ax} = M_0 \cdot \phi_a$$

$$l_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_h = 18704 \text{ kNm}^3$
 resultant earth force (lateral) $P_0 = 124.29 \text{ kNm}$
 height of acting position of load moment $h_0 = 2.34 \text{ m}$
 $M_0 = 290.43 \text{ kNm-m}$

in consideration of $\phi_m = 1.187$, maximum moment $M_{max} = 344.59 \text{ kNm-m}$
 depth of generated position of M_{max} $L = 0.968 \text{ m}$
 depth of l' fixed point $l = 3.116 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_h = 20964 \text{ kNm}^3$
 resultant earth force (lateral) $P_0 = 172.11 \text{ kNm}$
 height of acting position of load moment $h_0 = 2.97 \text{ m}$
 $M_0 = 511.36 \text{ kNm-m}$

in consideration of $\phi_m = 1.123$, maximum moment $M_{max} = 574.02 \text{ kNm-m}$
 depth of generated position of M_{max} $L = 0.797 \text{ m}$
 depth of l' fixed point $l = 2.885 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as followings:

Corrosion margin	t _c = 1.00 mm (active side)	t _r = 1.00 mm (rassive side)
Corrosion rate	n = 0.87	
Section efficiency	u = 1.00	
Module of section	Z ₀ = 4160 cm ³ (original condition)	
	Z = 3619 cm ³ (after reduction by corrosion and section)	

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{344.59 \times 10^6}{3619 \times 10^3} = 95 \text{ N/mm}^2 \leq \sigma_a = 185 \text{ N/mm}^2 \quad (\text{ok})$$

6-5-1 Normal Condition

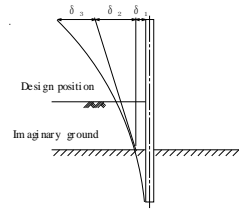
$$\sigma = \frac{M_{max}}{Z} = \frac{574.02 \times 10^6}{3619 \times 10^3} = 159 \text{ N/mm}^2 \leq \sigma_a = 278 \text{ N/mm}^2 \quad (\text{ok})$$

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	3.69 2.99	0.841 0.681	0.254 0.179	11.50 39.81	2.924 7.135
2	2.10-2.42	2.18 2.08	0.497 0.473	0.103 0.094	8.58 9.49	0.885 0.894
3	2.42-2.80	1.84 1.72	0.420 0.391	0.076 0.066	10.17 11.17	0.770 0.742
4	2.80-2.90	1.56 1.52	0.354 0.347	0.055 0.053	1.14 1.13	0.063 0.060
5	2.90-3.42	1.32 1.14	0.300 0.260	0.040 0.031	5.86 5.32	0.237 0.165
6	3.42-4.39	0.65 0.32	0.147 0.074	0.010 0.003	15.03 0.00	0.155 0.000
$\Sigma Q = 14.029$						

Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_k}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.3656 \times 2.34) \times 124.29}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8} \times 0.3656^3} = 0.00901 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_k)$$

$$= \frac{(1+2 \times 0.3656 \times 2.34) \times 124.29}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8} \times 0.3656^2} \times (2.80+1.59) = 0.02111 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{E I}$$

$$= \frac{14.03 \times (2.80+1.59)^3}{2.00 \times 10^8 \times 130900 \times 10^{-8}} = 0.00453 \text{ m}$$

Additional displacement δ_s' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_s' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_s' is calculated as 0.00067 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.39 m
 Horizontal load: P = 5.10
 Moment: M = 3.37

$$\delta = \delta_1 + \delta_2 + \delta_3 + \delta_s'$$

$$= 0.00901 + 0.02111 + 0.00520 + 0.00067$$

$$= 0.0352 \text{ m}$$

$$= 35.52 \text{ mm} \leq \delta_a = 50.00 \text{ mm}$$

Where:
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ_s' : Displacement at top of SSP
 δ_a : Allowable displacement

6-5-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	4.40 3.70	0.863 0.725	0.265 0.199	15.62 47.10	4.141 9.392
2	2.10-2.40	2.90 2.80	0.568 0.549	0.131 0.123	9.95 10.92	1.303 1.343
3	2.40-2.42	2.69 2.68	0.528 0.526	0.115 0.114	0.73 0.73	0.084 0.083
4	2.42-2.80	2.55 2.42	0.500 0.475	0.104 0.095	11.06 11.81	1.153 1.123
5	2.80-3.42	2.09 1.88	0.410 0.369	0.073 0.060	8.11 8.60	0.589 0.515
6	3.42-4.92	1.18 0.68	0.231 0.133	0.025 0.008	30.82 3.23	0.757 0.027
7	4.92-5.10	0.12 0.06	0.023 0.011	0.000 0.000	0.38 0.00	0.000 0.000
$\Sigma Q = 20.510$						

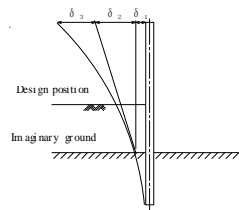
Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_k}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1	2.40-2.80	2.56 2.43	0.503 0.477	0.105 0.096	0.00 0.14	0.000 0.013
$\Sigma Q_{w} = 0.013$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 20.510 + 0.013 = 20.523$

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.3762 \times 2.97) \times 172.11}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8} \times 0.3762^3} = 0.01308 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_k)$$

$$= \frac{(1+2 \times 0.3762 \times 2.97) \times 172.11}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8} \times 0.3762^2} \times (2.80+2.30) = 0.03830 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{E I}$$

$$= \frac{20.52 \times (2.80+2.30)^3}{2.00 \times 10^8 \times 130900 \times 10^{-8}} = 0.01037 \text{ m}$$

Additional displacement δ_s' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_s' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_s' is calculated as 0.00248 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 5.10 m
 Horizontal load: P = 12.90
 Moment: M = 6.19

Displacement δ_a of cantilever beam by moment M₀ is additionally considered

$$\delta_{a0} = \frac{M_0 \cdot h}{2 E I} \times (2 L - h) \quad (L = 5.10 \text{ m}, h = L - H_a, H_a = 0.80 \text{ m}, h \leq L)$$

$$= \frac{4.70 \times 4.30}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8}} \times (2 \times 5.10 - 4.30) = 0.00023 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3 + \delta_s' + \delta_{a0}$$

$$= 0.01308 + 0.03830 + 0.01038 + 0.00248 + 0.00023$$

$$= 0.06446 \text{ m}$$

$$= 64.46 \text{ mm} \leq \delta_a = 75.00 \text{ mm}$$

Where:
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ_s' : Displacement at top of SSP
 δ_{a0} : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	$I_0 = 154000 \text{ cm}^4$ (original condition)
	I = 154000 cm ⁴ (after reduction by corrosion and section)
H = 200000 x 10 ³ x 154000 x 10 ⁸	= 3.080 x 10 ¹⁷

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_0 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_0 + D$$

$$\beta = \sqrt[4]{\frac{K_s \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction	$K_s = 18704 \text{ kN/m}^3$
Calculated value	$\beta = 0.35102 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.59 + \frac{3}{0.351} = 10.14 \text{ m}$
Whole length of SSP	$L = 2.80 - 0.40 + 10.14 = 12.54 \text{ m}$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction	$K_s = 20964 \text{ kN/m}^3$
Calculated value	$\beta = 0.36117 \text{ m}^{-1}$
Penetration length of SSP	$D = 2.30 + \frac{3}{0.361} = 10.60 \text{ m}$
Whole length of SSP	$L = 2.80 - 0.40 + 10.60 = 13.00 \text{ m}$

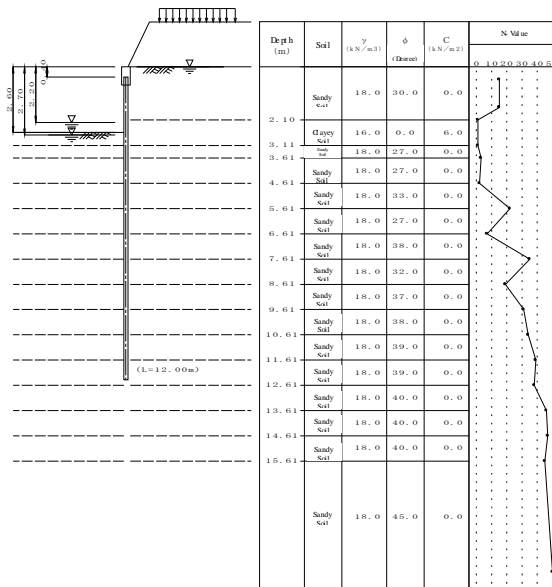
Therefore, whole length of SSP is set as 13.50 m in consideration of round unit of SSP length.

8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	154000		
Section modulus	Z (cm ³)	4160		
Maximum bending moment	M_{max} (kNm/m)		344.59	574.02
Stress intensity	σ (N/mm ²)		95 (185)	159 (278)
Lateral displacement	δ (mm)		35.22 (80.0)	64.46 (75.0)
Penetration depth	D (m)		10.14	10.60
Whole length of SSP	L (m)	13.50		

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



— Steel Sheet Pile Design Calculation —

Left Bank No. 22_STA 15+965 - 16+150

1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H₁ = 0.00 m
 Depth from coping top to SSP top H₂ = 0.40 m
 R verside WL L₁ = 0.00 m (Normal Condition)
 L_{1s} = 0.00 m (Seismic Condition)
 Landside WL L₂ = 2.70 m (Normal Condition)
 L_{2s} = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

L_No.22 pp.1

L_No.22 pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^3$

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load R = 9.6 kNm (Normal Condition)
 R' = 20.7 kNm (Seismic Condition)
 Depth of acting point H = -0.95 m (Normal Condition)
 H' = -0.77 m (Seismic Condition)
 Moment M₀ = 0.5 kNm/m (Normal Condition)
 M_{0s} = 18.2 kNm/m (Seismic Condition)
 Depth of acting point H₀ = 0.00 m (Seismic Condition)
 H_{0s} = 0.80 m (Normal Condition)
 ("Depth" means distance from top of coping)

Wind load Impact load not considered

Minimum angle of rupture $\zeta_0 = 10 \text{ degrees}$

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$

Equilibrium factor of compression K = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_h = 6910 \times N^{0.496}$

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	9.61	31
2	1.00	15	12	10.61	34
3	2.10	1	13	11.61	39
4	3.11	1	14	12.61	38
5	3.61	3	15	13.61	46
6	4.61	2	16	14.61	47
7	5.61	22	17	15.61	45
8	6.61	7	18	20.00	50
9	7.61	35			
10	8.61	19			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

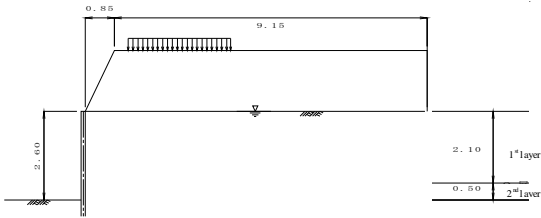
No	Depth (m)	Soil	N value	γ (kNm ³)	γ' (kNm ³)	φ	C (kNm ²)	a	k'	ζ (degree)		kh(kNm ⁻¹)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	3.11	C	1.0	16.00	8.00	0.0	6.0	0.0	0.200	auto	auto	—	—
3	3.61	S	3.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	4.61	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
5	5.61	S	22.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
6	6.61	S	7.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
7	7.61	S	35.0	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	—	—
8	8.61	S	19.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	—	—
9	9.61	S	31.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
10	10.61	S	34.0	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	—	—
11	11.61	S	39.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	—	—
12	12.61	S	38.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	—	—
13	13.61	S	46.0	18.00	10.00	40.0	0.0	0.0	0.200	auto	auto	—	—
14	14.61	S	47.0	18.00	10.00	40.0	0.0	0.0	0.200	auto	auto	—	—
15	15.61	S	45.0	18.00	10.00	40.0	0.0	0.0	0.200	auto	auto	—	—
16	20.00	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer C : soil adhesion
 soil : sandy (S), clayey (C), mixed (M) a : slope of soil adhesion
 N value : average N value in the layer k' : design seismic coefficient (under water)
 γ : wet unit weight of soil ζ : angle of active rupture
 γ' : saturated unit weight of soil kh : modulus of subgrade reaction
 φ : internal friction angle of soil

Angle of wall friction

Angle of wall friction	Normal		Seismic	
	active	passive	active	passive
	9.00°	-9.00°	9.00°	-9.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	Coordinate				Embankment height (m)	Wet unit weight (kNm ⁻³)	Internal friction angle (degree)	Cohesive force (kNm ⁻²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.85	10.00	10.00	1.78	4.5	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ²)	Seismic (kNm ²)
1	1.25	4.25	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus E = 200000 Nmm⁻²
 Inertia sectional moment I₀ = 114000 cm⁴
 Sectional factor Z₀ = 3250 cm³

Corrosion margin t₁ = 1.00 mm (river side) t₂ = 1.00 mm (landside)

Corrosion rate (to I₀) η = 0.84
 Corrosion rate (to Z₀) η = 0.87
 Section efficiency (to I₀) μ = 1.00
 Section efficiency (to Z₀) μ = 1.00

Round unit of SSP length 0.50 m

Allowable stress σ_a = 185 Nmm⁻² (Normal)
 σ_a' = 278 Nmm⁻² (Seismic)

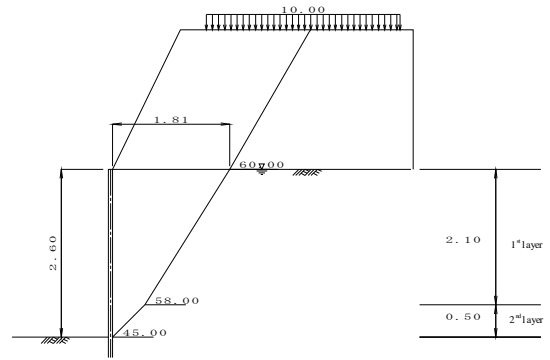
Allowable displacement δ_a = 50.0 mm (Normal)
 δ_a' = 75.0 mm (Seismic)

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus Reduced: I₀ applied to calculation of lateral coefficient of subgrade reaction
 Not reduced: I₀ applied to calculation of penetration depth
 Reduced: I₀ applied to calculation of section forces and displacement
 Reduced: Z₀ applied to calculation of stresses

L_No.22 pp 5

2 Calculation of Acting Load
 2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kNm ⁻²)	Σγh (kNm ²)	Q (kNm ²)	γsubw (kNm ⁻³)	Angle of rupture Z (degree)
1	2.60- 2.10	Clayey Soil	0.0	9.0	6.0	25.00	17.18	25.48	45.00
2	2.10- 0.00	Sandy Soil	30.0	9.0	0.0	21.00	17.18	20.58	58.00
3		Embankment	30.0	—	0.0	8.01	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since θ=0°

Where

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake com h ratio on angle (degree)
 θ = tan⁻¹ k or θ = tan⁻¹ k'
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm²)
- C : cohesive force of soil (kNm⁻²)

L_No.22 pp 6

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.50	0.00	0.00	0.50	0.50
2	58.00	2.10	0.50	0.50	1.81	2.60
3	60.00	1.78	1.81	2.60	2.84	4.38

Therefore, width of acting load shall be set as 1.81 m

2-1-3 Acting Load by Embankment

No	γ (kNm ⁻³)	A (m ²)	γ X A (kNm ²)
1	4.5	3.38	15.23
Σ			15.23

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kNm ²)	l (m)	Q X l (kNm ²)
1	10.0	1.59	15.90
Σ			15.90

Q : surcharge load
 l : width of surcharge load set by line of active rupture

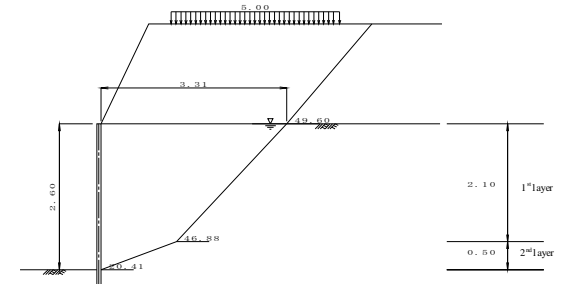
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\sum (\gamma \times A) + \sum (Q \times l) + \sum P}{L}$$

$$= \frac{15.23 + 15.90 + 0.00}{1.81}$$

$$= 17.18 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kNm ⁻²)	Σγh (kNm ²)	Q (kNm ²)	γsubw (kNm ⁻³)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60- 2.10	Clayey Soil	0.0	9.0	6.0	25.00	13.35	25.48	0.200	11.31	20.41
2	2.10- 0.00	Sandy Soil	30.0	9.0	0.0	21.00	13.35	20.58	0.200	11.31	46.88
3		Embankment	30.0	—	0.0	8.01	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Where

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake com h ratio on angle (degree)
 θ = tan⁻¹ k or θ = tan⁻¹ k'
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm²)
- C : cohesive force of soil (kNm⁻²)

L_No.22 pp 8

2-2-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	23.41	0.50	0.00	0.00	1.34	0.50
2	46.88	2.10	1.34	0.50	3.31	2.60
3	49.60	1.78	3.31	2.60	4.82	4.38

Therefore, width of acting load shall be set as 3.31 m

2-2-3 Acting Load by lin bankment

No	γ (kNm ³)	A (m ²)	$\gamma \times A$ (kNm)
1	4.5	6.48	29.18
Σ			29.18

γ : unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kNm ²)	l (m)	Q x l (kNm)
1	5.0	3.00	15.00
Σ			15.00

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

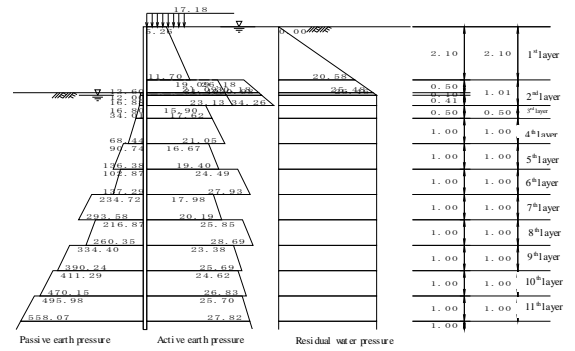
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{29.18 + 15.00 + 0.00}{3.31}$$

$$= 13.35 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma(h+Q)$ (kNm ²)	K_a	$K_a \times \cos \delta$
1	0.00-2.10	Sandy soil	10.0	30.0	17.176 38.176	0.31026 0.31026	0.30644 0.30644
2	2.10-2.60	Clayey soil	8.0	—	6.0 38.176 42.176	—	—
3	2.60-2.70	Clayey soil	8.0	—	6.0 42.176 49.176	—	—
4	2.70-3.11	Clayey soil	8.0	—	6.0 49.176 55.176	—	—
5	3.11-3.61	Sandy soil	10.0	27.0	—	46.256 51.256	0.34800 0.34800
6	3.61-4.61	Sandy soil	10.0	27.0	—	51.256 61.256	0.34800 0.34800
7	4.61-5.61	Sandy soil	10.0	33.0	—	61.256 71.256	0.27561 0.27561
8	5.61-6.61	Sandy soil	10.0	27.0	—	71.256 81.256	0.34800 0.34800
9	6.61-7.61	Sandy soil	10.0	38.0	—	81.256 91.256	0.22404 0.22404
10	7.61-8.61	Sandy soil	10.0	32.0	—	91.256 101.256	0.28683 0.28683
11	8.61-9.61	Sandy soil	10.0	37.0	—	101.256 111.256	0.23377 0.23377
12	9.61-10.61	Sandy soil	10.0	38.0	—	111.256 121.256	0.22404 0.22404
13	10.61-11.61	Sandy soil	10.0	39.0	—	121.256 131.256	0.21458 0.21458

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma(h+Q)$ (kNm ²)	K_a	$K_a \times \cos \delta$
14	11.61-12.61	Sandy soil	10.0	39.0	—	131.256 141.256	0.21458 0.21458
15	12.61-13.61	Sandy soil	10.0	40.0	—	141.256 151.256	0.20538 0.20538
16	13.61-14.61	Sandy soil	10.0	40.0	—	151.256 161.256	0.20538 0.20538
17	14.61-15.61	Sandy soil	10.0	40.0	—	161.256 171.256	0.20538 0.20538
18	15.61-20.00	Sandy soil	10.0	45.0	—	171.256 215.156	0.16323 0.16323

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma(h+Q)$ (kNm ²)	K_p	$K_p \times \cos \delta$
16	13.61-14.61	Sandy soil	10.0	40.0	—	109.880 119.880	6.63830 6.63830
17	14.61-15.61	Sandy soil	10.0	40.0	—	119.880 129.880	6.63830 6.63830
18	15.61-20.00	Sandy soil	10.0	45.0	—	129.880 173.780	8.86593 8.86593

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = 9.00, \beta = 0.00, \theta = 0.00$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(\beta)}} \right]^2}$$

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 9.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

3-1-2 Soil Modulus of Passive Side

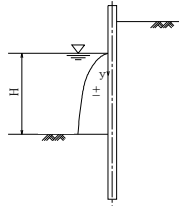
Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma(h+Q)$ (kNm ²)	K_p	$K_p \times \cos \delta$
4	2.70-3.11	Clayey soil	8.0	0.0	6.0 1.600 4.880	—	—
5	3.11-3.61	Sandy soil	10.0	27.0	—	4.880 9.880	3.48553 3.48553
6	3.61-4.61	Sandy soil	10.0	27.0	—	9.880 19.880	3.48553 3.48553
7	4.61-5.61	Sandy soil	10.0	33.0	—	19.880 29.880	4.62104 4.62104
8	5.61-6.61	Sandy soil	10.0	27.0	—	29.880 39.880	3.48553 3.48553
9	6.61-7.61	Sandy soil	10.0	38.0	—	39.880 49.880	5.95910 5.95910
10	7.61-8.61	Sandy soil	10.0	32.0	—	49.880 59.880	4.40199 4.40199
11	8.61-9.61	Sandy soil	10.0	37.0	—	59.880 69.880	5.65410 5.65410
12	9.61-10.61	Sandy soil	10.0	38.0	—	69.880 79.880	5.95910 5.95910
13	10.61-11.61	Sandy soil	10.0	39.0	—	79.880 89.880	6.28642 6.28642
14	11.61-12.61	Sandy soil	10.0	39.0	—	89.880 99.880	6.28642 6.28642
15	12.61-13.61	Sandy soil	10.0	40.0	—	99.880 109.880	6.63830 6.63830

Depth (m)	Active side			Residual water pressure Pw (kNm ²)	Passive side Pp (kNm ²)
	Pa1 (kNm ²)	Pa2 (kNm ²)	Pa (kNm ²)		
1	0.00-2.10	5.26 11.70	—	5.26 20.58	—
2	2.10-2.60	26.18 30.18	19.09 21.09	26.18 30.18	20.58 25.48
3	2.60-2.70	30.18 30.98	21.09 21.49	30.18 30.98	25.48 26.46
4	2.70-3.11	30.98 34.26	21.49 23.13	30.98 34.26	26.46 26.46
5	3.11-3.61	15.90 17.62	—	15.90 17.62	26.46 34.01
6	3.61-4.61	17.62 21.05	—	17.62 21.05	34.01 68.44
7	4.61-5.61	16.67 19.40	—	16.67 19.40	90.74 136.38
8	5.61-6.61	24.49 27.95	—	24.49 27.95	102.87 137.29
9	6.61-7.61	17.98 20.19	—	17.98 20.19	224.72 293.58
10	7.61-8.61	25.85 28.69	—	25.85 28.69	216.87 260.35
11	8.61-9.61	23.38 25.69	—	23.38 25.69	334.40 390.24
12	9.61-10.61	24.62 26.83	—	24.62 26.83	411.29 470.15
13	10.61-11.61	25.70 27.82	—	25.70 27.82	495.98 558.07
14	11.61-12.61	27.82 29.94	—	27.82 29.94	558.07 620.16
15	12.61-13.61	28.65 30.68	—	28.65 30.68	654.87 720.44
16	13.61-14.61	30.68 32.71	—	30.68 32.71	720.44 786.00
17	14.61-15.61	32.71 34.74	—	32.71 34.74	786.00 851.57
18	15.61-20.00	27.61 34.69	—	27.61 34.69	1137.33 1521.75

No	Depth Z (m)	W.L. y (m)	Pw (kNm ²)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

$$p_{dw} = \pm \frac{7}{8} k_{ds} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

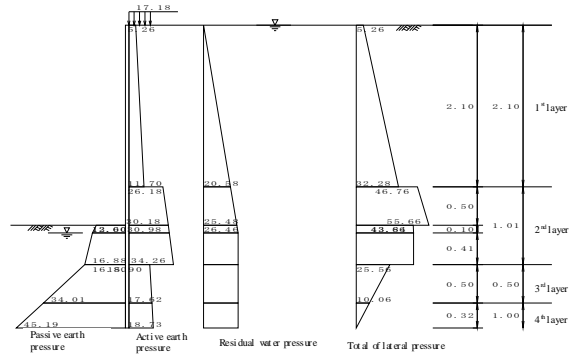
Where:
 k_{ds} : design seismic coefficient
 γ_w : unit weight of water
 H : water depth of riverside
 y : depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level I_1 is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

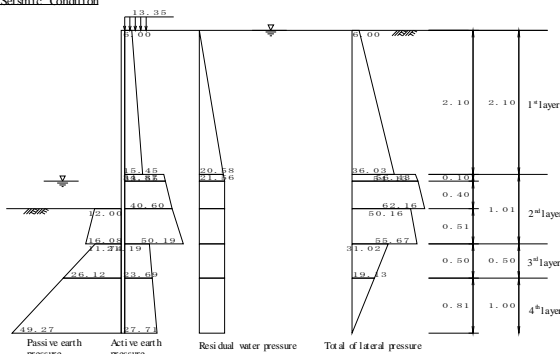


Depth (m)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	Ps (kNm ²)
1 0.00-2.10	5.26 11.70	0.00 20.58	— —	5.26 32.28
2 2.10-2.60	26.18 30.18	20.58 25.48	— —	46.76 55.66
3 2.60-2.70	30.18 30.98	25.48 26.46	12.00 13.60	43.66 43.84
4 2.70-3.11	30.98 34.26	26.46 26.46	13.60 16.88	43.84 43.84
5 3.11-3.61	15.90 17.62	26.46 26.46	16.80 34.01	25.56 10.06
6 3.61-3.94	17.62 18.73	26.46 26.46	34.01 45.19	10.06 0.00
7 3.94-4.61	18.73 21.05	26.46 26.46	45.19 68.44	0.00 -20.92

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Tentative imaginary riverbed I_1 : 1.34 m (GL -3.94 m)

4-2 Seismic Condition



Depth (m)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	Ps (kNm ²)
1 0.00-2.10	6.00 15.45	0.00 20.58	— —	6.00 36.03
2 2.10-2.20	33.55 34.87	20.58 21.56	— —	54.13 56.43
3 2.20-2.60	34.87 40.60	21.56 21.56	— —	56.43 62.16
4 2.60-3.11	40.60 50.19	21.56 21.56	12.00 16.08	50.16 55.67
5 3.11-3.61	21.19 23.69	21.56 21.56	11.74 26.12	31.02 19.13
6 3.61-4.42	23.69 27.71	21.56 21.56	26.12 49.27	19.13 0.00
7 4.42-4.61	27.71 28.68	21.56 21.56	49.27 54.88	0.00 -4.63

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Tentative imaginary riverbed I_1 : 1.82 m (GL -4.42 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width	B = 1.0000 m
Corrosion margin	$t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
Corrosion rate	$\eta = 0.84$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	$I_0 = 114000$ cm ⁴ (original condition)
	I = 95760 cm ⁴ (after reduction by corrosion on and section)
Inertia sectional moment	EI = 200000 x 10 ³ x 95760 x 10 ⁻⁸ = 1.915 x 10 ⁷

Depth (m)	N value	Depth (m)	N value
1 0.50	15	11 9.61	31
2 1.00	15	12 10.61	34
3 2.10	1	13 11.61	39
4 3.11	1	14 12.61	38
5 3.61	3	15 13.61	46
6 4.61	2	16 14.61	47
7 5.61	22	17 15.61	45
8 6.61	7	18 20.00	50
9 7.61	35		
10 8.61	19		

5-2 Normal Condition

$K_h = 18033$ kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.392 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.55 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -3.93 m) to 2.55 m depth (GL -6.49 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1 3.93	0.68	2.7	2.0	1.58
2 4.61	1.00	2.0	22.0	12.00
3 5.61	0.88	22.0	8.8	13.53

$$L = 2h = 2.55$$

$$\Sigma A = 27.11$$

$$A = (\text{upper N value} + \text{lower N value}) \times h/2$$

$$\text{Average } N\text{-value } N' = \frac{\sum A}{L}$$

$$= \frac{27.11}{2.55}$$

$$= 10.62$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N'^{0.006} = 6910 \times 10.62^{0.006} = 18033 \text{ kN/m}^3$$

$$K_h \text{ (normal condition)} = 18033 \text{ kNm}^3$$

5-3 Seismic Condition

$K_s = 19056 \text{ kNm}^3$ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.397 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.52 \text{ m}$$

Therefore, average N -value is calculated on the actual N -value from imaginary riverbed ($L = 4.42 \text{ m}$) to 2.52 m depth ($L = 6.93 \text{ m}$).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	4.42	0.19	2.0	0.41
2	4.61	1.00	2.0	12.00
3	5.61	1.00	7.0	14.50
4	6.61	0.32	7.0	3.72
ΣA = 30.63				

$$L = \sum h = 2.52$$

$$A \text{ (upper N-value + lower N-value)} \times 1/2$$

$$\text{Average } N\text{-value } N' = \frac{\sum A}{L}$$

$$= \frac{30.63}{2.52}$$

$$= 12.16$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following:

$$K_h = 6910 \times N'^{0.006} = 6910 \times 12.16^{0.006} = 19056 \text{ kN/m}^3$$

$$K_h \text{ (seismic condition)} = 19056 \text{ kNm}^3$$

Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
4	2.60-3.11	50.16 55.67	12.79 14.20	1.65 1.48	21.04 20.94
5	3.11-3.61	31.02 19.13	7.75 4.78	1.14 0.97	8.83 4.65
6	3.61-4.42	19.13 0.00	7.70 0.00	0.54 0.27	4.13 0.00
ΣP = 120.60					ΣM = 257.30

P : active earth pressure + residual water pressure - passive earth pressure
 P : load P_s x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P = 20.7 kNm
 depth to acting position H = -0.77 m
 moment M₀ = 18.2 kNm/m
 depth to acting position H₀ = 0.80 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed L₀ = 1.82 m

Moment M₀ by arbitrary load is as below
 M₀ = P₀ · (H + L₀ - H) + M₀ = 125.53 kNm

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _w (kNm ²)	Load P _w (kN)	Arm length Y (m)	Moment M _w (kNm)
1	2.20-2.60	0.40	0.0 0.7	0.00 0.14	2.08 1.95	0.00 0.27
ΣP _w = 0.14					ΣM _w = 0.27	

h₀ Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_i + \sum M_w}{\sum P + P_i + \sum P_w}$$

$$= \frac{383.10}{141.44} = 2.71 \text{ m}$$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Height h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	5.26 32.28	5.53 33.89	3.23 2.53	17.88 85.91
2	2.10-2.60	46.76 55.66	11.69 13.91	1.67 1.50	19.50 20.89
3	2.60-2.70	43.66 43.84	2.18 2.19	1.30 1.27	2.84 2.78
4	2.70-3.11	43.84 43.84	8.99 8.99	1.10 0.96	9.87 8.64
5	3.11-3.61	25.56 10.06	6.39 2.52	0.66 0.49	4.21 1.24
6	3.61-3.93	10.06 0.00	1.63 0.00	0.22 0.11	0.35 0.00
ΣP = 97.91					ΣM = 174.10

P : active earth pressure + residual water pressure - passive earth pressure
 P : load P_s x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P = 9.6 kNm
 depth to acting position H = -0.95 m
 moment M₀ = 0.5 kNm/m
 depth to acting position H₀ = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed L₀ = 1.33 m

Moment M₀ by arbitrary load is as below

$$M_0 = P_0 \cdot (H + L_0 - H) + M_0 = 47.39 \text{ kNm}$$

h₀ Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_i}{\sum P + P_i}$$

$$= \frac{221.49}{107.51} = 2.06 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	6.00 36.03	6.30 37.83	3.72 3.02	23.42 114.00
2	2.10-2.20	54.13 56.43	2.71 2.82	2.28 2.25	6.18 6.34
3	2.20-2.60	56.43 62.16	11.29 12.43	2.08 1.95	23.49 24.22

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width B = 1.0000 m
 Corrosion margin t_c = 1.00 mm (active side) t_c = 1.00 mm (passive side)
 Corrosion rate η = 0.84
 Section efficiency μ = 1.00
 Young's modulus E = 200000 Nmm²
 Inertia sectional moment I₀ = 114000 cm⁴ (original condition)
 I = 95760 cm⁴ (after reduction by corrosion and section)
 EI = 200000 x 10⁸ x 95760 x 10⁸ = 1.915 x 10¹⁷

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{ax} = M_0 \cdot \phi_a$$

$$l_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction K_s = 18033 kNm³
 calculated value β = 0.39170 m⁻¹
 resultant earth force (lateral) P₀ = 107.51 kNm
 height of acting position of load moment h₀ = 2.06 m
 M₀ = 221.49 kNm/m

in consideration of ψ₀ = 1.203
 maximum moment M_{max} = 266.53 kNm/m
 depth of generated position of M_{max} L = 0.933 m
 depth of l⁰ fixed point l = 2.938 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction K_s = 19056 kNm³
 calculated value β = 0.39714 m⁻¹
 resultant earth force (lateral) P₀ = 141.44 kNm
 height of acting position of load moment h₀ = 2.71 m
 M₀ = 383.10 kNm/m

in consideration of ψ₀ = 1.130
 maximum moment M_{max} = 432.99 kNm/m
 depth of generated position of M_{max} L = 0.774 m
 depth of l⁰ fixed point l = 2.751 m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as followings:

Corrosion margin	t _c	=	1.00 mm (active side)	t _c	=	1.00 mm (rassive side)
Corrosion rate	n	=	0.87			
Section efficiency	u	=	1.00			
Module of section	Z ₀	=	3250 cm ³ (original condition)			
	Z	=	2828 cm ³ (after reduction by corrosion and section)			

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{266.53 \times 10^6}{2828 \times 10^3} = 94 \text{ N/mm}^2 \leq \sigma_s = 185 \text{ N/mm}^2$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{432.99 \times 10^6}{2828 \times 10^3} = 153 \text{ N/mm}^2 \leq \sigma_s = 278 \text{ N/mm}^2$$

6-4 Displacement

6-4-1 Normal Condition

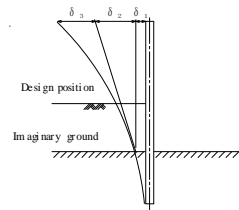
Modulus of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	3.23 0.644	0.822 0.165	5.53 33.89	1.356 5.522
2	2.10-2.60	1.67 1.50	0.424 0.382	11.69 13.91	0.902 0.884
3	2.60-2.70	1.30 1.27	0.331 0.322	0.049 2.18	2.18 0.106
4	2.70-3.11	1.10 0.96	0.279 0.244	8.99 8.99	0.317 0.246
5	3.11-3.61	0.66 0.49	0.167 0.125	6.39 2.52	0.084 0.019
6	3.61-3.93	0.22 0.11	0.055 0.028	1.63 0.00	0.002 0.000
$\Sigma Q = 9.542$					

- Y : Height from imaginary riverbed to acting position
- $\alpha : \alpha = \frac{Y}{H+L_k}$
- $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
- Q : $\zeta \times P$
- P : Lateral force
- H : Depth to design position
- L_k : Depth from design position to imaginary ground

L_No. 22 pp 25

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.3917 \times 2.06) \times 107.51}{2 \times 2.00 \times 10^9 \times 95760 \times 10^{-8} \times 0.3917^2} = 0.00844 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_k)$$

$$= \frac{(1 + 2 \times 0.3917 \times 2.06) \times 107.51}{2 \times 2.00 \times 10^9 \times 95760 \times 10^{-8} \times 0.3917^2} \times (2.60 + 1.33) = 0.01882 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_k)^3}{E I}$$

$$= \frac{9.54 \times (2.60 + 1.33)^3}{2.00 \times 10^9 \times 95760 \times 10^{-8}} = 0.00304 \text{ m}$$

Additional displacement δ_5' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_5' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_5' is calculated as 0.00139 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.93 m
 Horizontal load: P = 9.60
 Moment: M = 9.12

Displacement δ_6 of cantilever beam by moment M_0 is additionally considered

$$\delta_6 = \frac{M_0 \cdot h}{2 E I} \times (2 L - h) \quad (L = 3.93 \text{ m}, h = L - H_s, H_s = 0.00 \text{ m}, h \leq L)$$

$$= \frac{0.50 \times 3.93}{2 \times 2.00 \times 10^9 \times 95760 \times 10^{-8}} \times (2 \times 3.93 - 3.93) = 0.00002 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00844 + 0.01882 + 0.00304$$

$$= 0.03170 \text{ m}$$

$$= 31.70 \text{ mm} \leq \delta_a = 50.00 \text{ mm}$$

L_No. 22 pp 26

Where

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ : Displacement at top of SSP
- δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	3.72 3.02	0.841 0.180	6.30 37.83	1.606 6.813
2	2.10-2.20	2.28 2.25	0.517 0.509	2.71 2.82	0.299 0.304
3	2.20-2.60	2.08 1.95	0.472 0.441	11.29 12.43	1.057 1.032
4	2.60-3.11	1.65 1.48	0.373 0.334	12.79 14.20	0.778 0.704
5	3.11-3.61	1.14 0.97	0.258 0.220	7.75 4.78	0.236 0.107
6	3.61-4.42	0.54 0.27	0.122 0.061	7.70 0.00	0.055 0.000
$\Sigma Q = 12.991$					

- Y : Height from imaginary riverbed to acting position
- $\alpha : \alpha = \frac{Y}{H+L_k}$
- $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
- Q : $\zeta \times P$
- P : Lateral force
- H : Depth to design position
- L_k : Depth from design position to imaginary ground

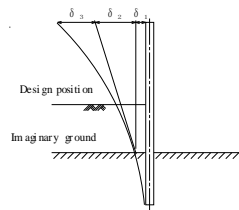
Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1	2.20-2.60	2.08 1.95	0.472 0.441	0.094 0.083	0.00 0.14	0.000 0.011
$\Sigma Q_w = 0.011$						

Therefore modulus of deformation Q is calculated as below
 $Q = 12.991 + 0.011 = 13.002$

L_No. 22 pp 27

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.3971 \times 2.71) \times 141.44}{2 \times 2.00 \times 10^9 \times 95760 \times 10^{-8} \times 0.3971^2} = 0.01224 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_k)$$

$$= \frac{(1 + 2 \times 0.3971 \times 2.71) \times 141.44}{2 \times 2.00 \times 10^9 \times 95760 \times 10^{-8} \times 0.3971^2} \times (2.60 + 1.82) = 0.03257 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_k)^3}{E I}$$

$$= \frac{13.00 \times (2.60 + 1.82)^3}{2.00 \times 10^9 \times 95760 \times 10^{-8}} = 0.00584 \text{ m}$$

Additional displacement δ_5' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_5' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_5' is calculated as 0.00391 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.42 m
 Horizontal load: P = 20.70
 Moment: M = 15.94

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01224 + 0.03257 + 0.00584$$

$$= 0.05466 \text{ m}$$

$$= 55.46 \text{ mm} \leq \delta_a = 75.00 \text{ mm}$$

- Where
- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ : Displacement at top of SSP
- δ_a : Allowable displacement

L_No. 22 pp 28

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$u = 1.00$
Young's modulus	$E = 200000 \text{ N/mm}^2$
Inertia sectional moment	$I_0 = 114000 \text{ cm}^4$ (original condition)
	$I = 114000 \text{ cm}^4$ (after reduction by corrosion on and section)
$H = 200000 \times 10^3 \times 114000 \times 10^8$	$= 2.280 \times 10^9$

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_v , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_v + \frac{3}{\beta}$$

$$L = H - H_{i1} + D$$

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	$K_b = 18033 \text{ kN/m}^3$
Calculated value	$\beta = 0.37499 \text{ m}^{-3/4}$
Penetration length of SSP	$D = 1.33 + \frac{3}{0.375} = 9.33 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.33 = 11.53 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	$K_b = 19056 \text{ kN/m}^3$
Calculated value	$\beta = 0.38020 \text{ m}^{-3/4}$
Penetration length of SSP	$D = 1.82 + \frac{3}{0.380} = 9.71 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.71 = 11.91 \text{ m}$

Therefore, whole length of SSP is set as 12.00 m in consideration of round unit of SSP length

8 Calculation Result

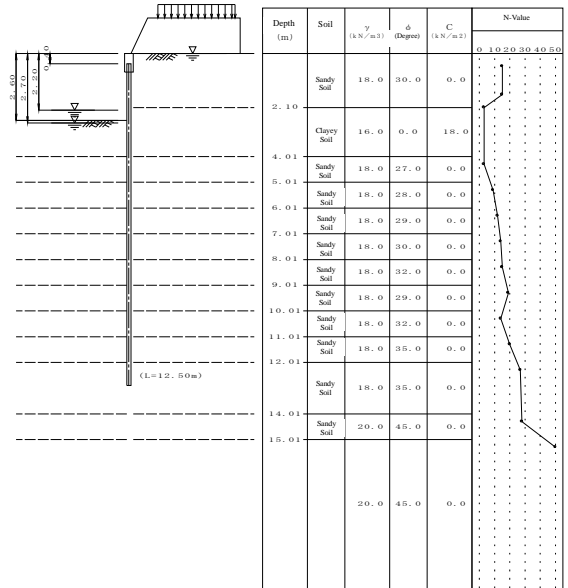
			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	114000		
Section modulus	Z (cm ³)	3250		
Maximun bending moment	M _{max} (kNm/m)		266.53	432.99
Stress intensity	σ (N/mm ²)		94 (18%)	153 (27%)
Lateral displacement	δ (mm)		31.70 (80.0)	55.46 (75.0)
Penetration depth	D (m)	12.00	9.33	9.71
Whole length of SSP	L (m)			

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Left Bank No. 23_STA. 16+150 - 16+200



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 R versus WL L_{ns} = 0.00 m (Normal Condition)
 L_{ns'} = 0.00 m (Seismic Condition)
 Landside WL L_{ns} = 2.70 m (Normal Condition)
 L_{ns'} = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

L_No.23 pp 1

L_No.23 pp 2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^{-3}$

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load Pt = 4.7 kNm (Normal Condition)
 Pt' = 12.5 kNm (Seismic Condition)
 Depth of acting point Ht = -0.63 m (Normal Condition)
 Ht' = -0.48 m (Seismic Condition)
 Moment M_{at} = 0.0 kNm/m (Normal Condition)
 M_{at'} = 2.7 kNm/m (Seismic Condition)
 Depth of acting point H_{at} = 0.00 m (Seismic Condition)
 H_{at'} = 0.80 m (Normal Condition)
 (*Depth means distance from top of coping)

Wind load Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula K₅₀ = 6910 × N^{0.496}

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.50	15	11	11.31	20
2	1.60	15	12	12.31	27
3	2.10	3	13	14.31	28
4	4.31	3	14	15.31	50
5	5.31	9	15	20.00	50
6	6.31	12			
7	7.31	14			
8	8.31	15			
9	9.31	19			
10	10.31	14			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

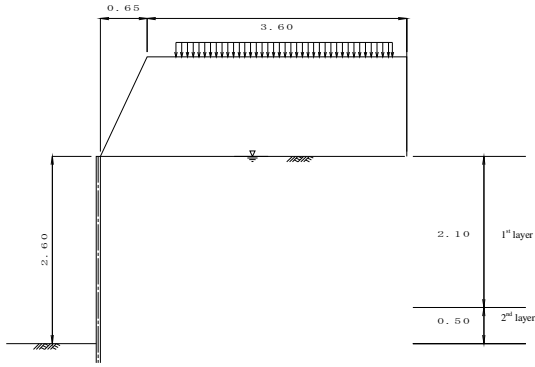
No	Depth (m)	Soil	N-value	γ (kN/m ³)	γ' (kN/m ³)	φ	C (kN/m ²)	a	k'	ζ (degree)		kh(kN/m ³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----
2	4.01	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	-----	-----
3	5.01	S	9.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
4	6.01	S	12.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	-----	-----
5	7.01	S	14.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	-----	-----
6	8.01	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----
7	9.01	S	19.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	-----	-----
8	10.01	S	14.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	-----	-----
9	11.01	S	20.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	-----	-----
10	12.01	S	27.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	-----	-----
11	14.01	S	28.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	-----	-----
12	15.01	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	-----	-----
13	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	-----	-----

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C_s : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle φ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.65	4.25	4.25	1.38	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	1.05	4.05	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

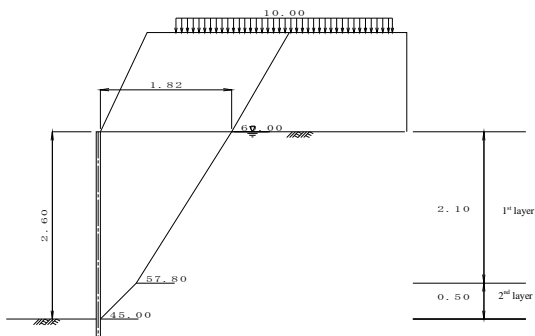
1-9 Steel Sheet Pile (SSP)

- Young's modulus E = 200000 Nmm⁻²
- Inertia sectional moment I₀ = 11400 cm⁴
- Sectional factor Z₀ = 3250 cm³
- Corrosion margin t_r = 1.00 mm (ri verside) t_r = 1.00 mm (landside)
- Corrosion rate (to I₀) η₁ = 0.84
- Corrosion rate (to Z₀) η₂ = 0.87
- Section efficiency (to I₀) μ = 1.00
- Section efficiency (to Z₀) μ = 1.00
- Round unit of SSP length = 0.50 m
- Allowable stress σ_a = 185 Nmm⁻² (Normal)
σ_a' = 278 Nmm⁻² (Seismic)
- Allowable displacement δ_a = 50.0 mm (Normal)
δ_a' = 75.0 mm (Seismic)
- Bending of cantilever beam calculated as distributed load of each layer
- Reduction of material modulus Reduced: I₀ applied to calculation of lateral coefficient of subgrade reaction
Not reduced: I₀ applied to calculation of penetration depth
Reduced: I₀ applied to calculation of section forces and displacement
Reduced: Z₀ applied to calculation of stresses

2 Calculation of Acting Load

2-1 Normal Condition

2-1-1 Angle of Active Rupture



No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m ²)	Σγh (kN/m ²)	Q (kN/m ²)	γwh (kN/m ²)	Angle of rupture Z (degree)
1	2.60- 2.10	Clayey Soil	0.0	10.0	18.0	25.00	34.45	25.48	45.00
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	34.45	20.58	57.80
3		Embankment	30.0	—	0.0	24.84	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since θ=0°

- Where
- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
 - φ : internal friction angle (degree)
 - δ : wall friction angle (degree)
 - θ : earthquake coefficient on angle (degree)
 - θ = ar⁻¹k or θ = ar⁻¹k'
 - γ : unit weight of soil (kN/m³) (ascending force considered under WL)
 - h : thickness of layer (m)
 - Q : surcharge load (kN/m²)
 - C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.50	0.00	0.00	0.50	0.50
2	57.80	2.10	0.50	0.50	1.82	2.60
3	60.00	1.38	1.82	2.60	2.62	3.98

Therefore, width of acting load shall be set as 1.82 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	γ X A (kN/m)
1	18.0	2.62	47.09
Σ			47.09

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.57	15.69
Σ			15.69

Q : surcharge load
l : width of surcharge load set by line of active rupture

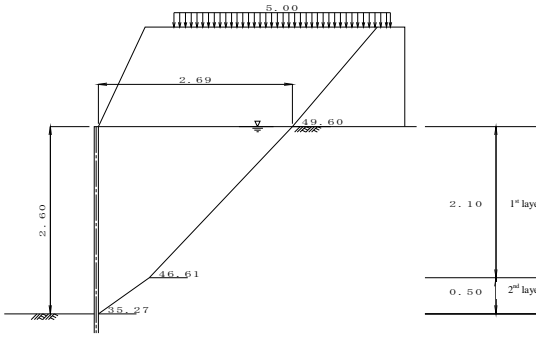
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\sum (\gamma \times A) + \sum (Q \times l) + \sum P}{L}$$

$$= \frac{47.09 + 15.69 + 0.00}{1.82}$$

$$= 34.45 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-2 Coordinates of line of Active Rupture

Table with 6 columns: No, Angle of rupture z (degree), Thickness of layer Z (m), Coordinate of lower end (X (m), Y (m)), Coordinate of upper end (X (m), Y (m)). Rows 1, 2, 3.

Therefore, width of acting load shall be set as 2.69 m

2-2-3 Acting Load by Embankment

Table with 4 columns: No, gamma (kN/m^3), A (m^2), gamma x A (kN/m). Rows 1, sum.

gamma: unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

Table with 4 columns: No, Q (kN/m^2), l (m), Q x l (kN/m). Rows 1, sum.

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

Q = (gamma x A) + (Q x l) + P
= 73.39 + 14.08 + 0.00
= 32.49 kN/m^2

2-2-1 Angle of Active Rupture

Table with 12 columns: No, Depth (m), Soil, phi (degree), delta (degree), C (kN/m^2), Sigma zh (kN/m^2), Q (kN/m^2), gamma hw (kN/m^2), k (k), theta (degree), Angle of rupture z (degree). Rows 1, 2, 3.

Angle of active rupture of sandy soil
z = 90 - tan^-1 [-sin(phi+theta) + sqrt(cos(delta+theta) * sin(phi+delta) / sin(phi-theta))] / cos(phi+delta)

Angle of active rupture of clayey soil
z = tan^-1 [1 - (Sigma gamma h + 2Q) / (2C) * tan theta]

Where,

- z: angle of active rupture (degree, z >= 10.00)
phi: internal friction angle (degree)
delta: wall friction angle (degree)
theta: earthquake combination angle (degree)
theta = tan^-1 k or theta = tan^-1 k'

3 Lateral Pressure

3-1 Normal Condition

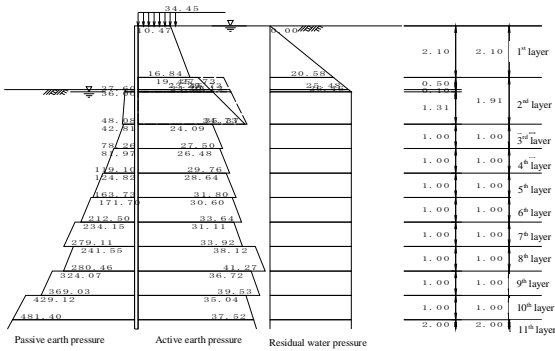


Table with 6 columns: Depth (m), Soil, gamma (kN/m^3), phi (degree), C (kN/m^2), Sigma h+Qa (kN/m^2), Ka, Ka x cos delta. Rows 14, 15.

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below

Ka = cos^2(phi - theta) / [cos theta * cos(delta + theta) * (1 + sqrt(sin(phi + delta) * sin(phi - theta - beta) / (cos(delta + theta) * cos(beta))))^2]

3-1-2 Soil Modulus of Passive Side

Table with 8 columns: Depth (m), Soil, gamma (kN/m^3), phi (degree), C (kN/m^2), Sigma h+Qp (kN/m^2), Kp, Kp x cos delta. Rows 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15.

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below

Kp = cos^2(phi - theta) / [cos theta * cos(delta - theta) * (1 - sqrt(sin(phi - delta) * sin(phi + theta - beta) / (cos(delta - theta) * cos(beta))))^2]

3-1-1 Soil Modulus of Active Side

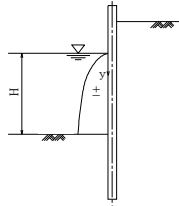
Table with 7 columns: Depth (m), Soil, gamma (kN/m^3), phi (degree), C (kN/m^2), Sigma h+Qa (kN/m^2), Ka, Ka x cos delta. Rows 1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13.

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P _{dw} (kN/m ²)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

$$p_{dw} = \pm \frac{7}{8} k_w \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

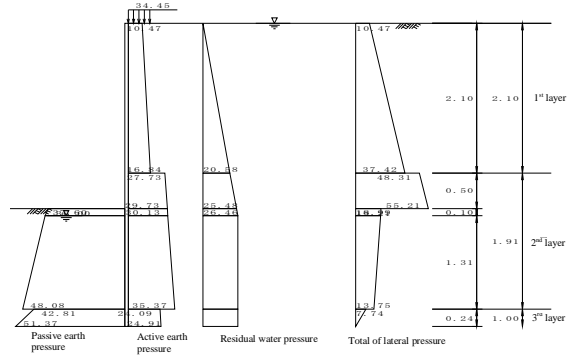
Where:
 k_w: design seismic coefficient
 γ_w: unit weight of water
 H: water depth of riverside
 y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L_i is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition



Depth (m)	P _a (kN/m ²)	P _w (kN/m ²)	P _p (kN/m ²)	P _s (kN/m ²)
1 0.00-2.10	10.47 16.84	0.00 20.58	— —	10.47 37.42
2 2.10-2.60	27.73 29.73	20.58 25.48	— —	48.31 55.21
3 2.60-2.70	29.73 30.13	25.48 26.46	36.00 37.60	19.21 18.99
4 2.70-4.01	30.13 35.37	26.46 26.46	37.60 48.08	18.99 13.75
5 4.01-4.25	24.09 24.91	26.46 26.46	42.81 51.37	7.74 0.00
6 4.25-5.01	24.91 27.50	26.46 26.46	51.37 78.26	0.00 -24.30

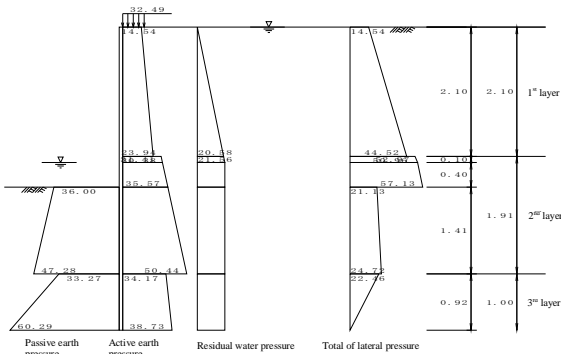
P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 P_s: Lateral pressure P_s = P_a + P_w - P_p

Tentative imaginary riverbed L_i: 1.65 m (GL -4.25 m)

L_No. 23 pp 17

L_No. 23 pp 18

4-2 Seismic Condition



Depth (m)	P _a (kN/m ²)	P _w (kN/m ²)	P _p (kN/m ²)	P _s (kN/m ²)
1 0.00-2.10	14.54 23.94	0.00 20.58	— —	14.54 44.52
2 2.10-2.20	30.38 31.41	20.58 21.56	— —	50.96 52.97
3 2.20-2.60	31.41 35.57	21.56 21.56	— —	52.97 57.13
4 2.60-4.01	35.57 50.44	21.56 21.56	36.00 47.28	21.13 24.72
5 4.01-4.93	34.17 38.73	21.56 21.56	33.27 60.29	22.46 0.00
6 4.93-5.01	38.73 39.14	21.56 21.56	60.29 62.76	0.00 -2.06

P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 P_s: Lateral pressure P_s = P_a + P_w - P_p

Tentative imaginary riverbed L_i: 2.33 m (GL -4.93 m)

L_No. 23 pp 19

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/3 depth. The modulus are calculated by the formula below

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width B = 1.0000 m
 Corrosion margin t_c = 1.00 mm (active side) t_r = 1.00 mm (passive side)
 Corrosion rate η = 0.84
 Section efficiency μ = 1.00
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I = 114000 cm⁴ (original condition)
 I_c = 95760 cm⁴ (after reduction by corrosion and section)
 EI = 200000 x 10³ x 95760 x 10⁻⁸ = 1.915x 10⁵

Depth (m)	N-value	Depth (m)	N-value
1	0.50	11	11.31
2	1.60	12	12.31
3	2.10	3	13
4	4.31	3	14.31
5	5.31	9	15.31
6	6.31	12	20.00
7	7.31	14	
8	8.31	15	
9	9.31	19	
10	10.31	14	

5-2 Normal Condition

K_s = 16876 kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.385 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.60 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -4.25 m) to 2.60 m depth (GL -6.85 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	4.25	0.06	3.0	3.0
2	4.31	1.00	3.0	9.0
3	5.31	1.00	9.0	12.0
4	6.31	0.54	12.0	13.1

L = Σh = 2.60 ΣA = 23.41

$$A = (\text{upper N-value} + \text{lower N-value}) \times h/2$$

L_No. 23 pp 20

Average N-value $N' = \frac{\Sigma A}{L}$
 $= \frac{23.41}{2.60}$
 $= 9.02$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:
 $K_h = 6910 \times N'^{0.496} = 6910 \times 9.02^{0.496} = 16876 \text{ kN/m}^3$
 $K_h \text{ (normal condition)} = 16876 \text{ kNm}^3$

5-3 Seismic Condition

$K_h = 18494 \text{ kNm}^3$ is set tentatively.

$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$
 $= 0.394 \text{ m}^{-1}$

$L = \frac{1}{\beta} = 2.54 \text{ m}$

Therefore, average N value is calculated on the actual N-value from imaginary riverbed (CL -4.93 m) to 2.54 m depth (CL -7.46 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	4.93	0.38	9.0	3.01
2	5.31	1.00	12.0	10.50
3	6.31	1.00	14.0	13.00
4	7.31	0.15	14.0	2.15
L = 2h = 2.54		ΣA = 28.67		

A (upper N-value + lower N-value) × h/2

Average N-value $N' = \frac{\Sigma A}{L}$
 $= \frac{28.67}{2.54}$
 $= 11.30$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following:

$K_h = 6910 \times N'^{0.496} = 6910 \times 11.30^{0.496} = 18494 \text{ kN/m}^3$

$K_h \text{ (seismic condition)} = 18494 \text{ kNm}^3$

L_No. 23 pp.21

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Height h_0

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00-2.10	10.47 37.42	10.99 39.30	3.55 2.85	39.03 112.05
2	2.10-2.60	0.50 55.21	48.31 13.80	1.98 1.82	23.97 25.09
3	2.60-2.70	0.10 19.21 18.99	0.96 0.95	1.62 1.58	1.55 1.50
4	2.70-4.01	1.31 18.99 13.75	12.44 9.00	1.11 0.68	13.86 6.11
5	4.01-4.25	0.24 7.74 0.00	0.93 0.00	0.16 0.08	0.15 0.00
			ΣP = 100.44	ΣM = 223.32	

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_s = 4.7 \text{ kNm}$
 depth to acting position $H_s = -0.63 \text{ m}$
 moment $M_m = 0.0 \text{ kNm/m}$
 depth to acting position $H_m = 0.00 \text{ m}$
 Height from riverbed to top of coping $H = 2.60 \text{ m}$
 Depth of imaginary riverbed from riverbed $L_k = 1.65 \text{ m}$

Moment M_0 by arbitrary load is as below

$M_0 = P_s \cdot (H + L_k - H_s) + M_m = 22.94 \text{ kNm}$

h_0 Height of acting position of P_0 from imaginary riverbed

$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_s}$
 $= \frac{246.26}{105.14} = 2.34 \text{ m}$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00-2.10	14.54 44.52	15.27 46.74	4.23 3.53	64.52 164.82
2	2.10-2.20	0.10 50.96 52.97	2.55 2.65	2.79 2.76	7.12 7.31
3	2.20-2.60	0.40 52.97 57.13	10.59 11.43	2.59 2.46	27.47 28.10
4	2.60-4.01	1.41 21.13 24.72	14.89 17.43	1.86 1.39	27.64 24.16

L_No. 23 pp.22

Depth Z (m)	Thickness h (m)	Lateral load P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
5	4.01-4.93	0.92 22.46 0.00	10.29 0.00	0.61 0.31	6.28 0.00
			ΣP = 131.84	ΣM = 357.40	

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_s = 12.5 \text{ kNm}$
 depth to acting position $H_s = -0.48 \text{ m}$
 moment $M_m = 2.7 \text{ kNm/m}$
 depth to acting position $H_m = 0.80 \text{ m}$
 Height from riverbed to top of coping $H = 2.60 \text{ m}$
 Depth of imaginary riverbed from riverbed $L_k = 2.33 \text{ m}$

Moment M_0 by arbitrary load is as below
 $M_0 = P_s \cdot (H + L_k - H_s) + M_m = 70.27 \text{ kNm}$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{sw} (kN/m ²)	Load P_{sw} (kN)	Arm length Y (m)	Moment M_{sw} (kN·m)
1	2.20-2.60	0.40	0.0 0.7	0.00 2.46	2.59 2.46	0.00 0.34
			ΣP _{sw} = 0.14	ΣM _{sw} = 0.34		

h_0 Height of acting position of P_0 from imaginary riverbed

$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_{sw}}{\Sigma P + P_s + \Sigma P_{sw}}$
 $= \frac{428.02}{144.48} = 2.96 \text{ m}$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.000 \text{ m}$
 Corrosion margin $t_1 = 1.00 \text{ mm}$ (active side) $t_2 = 1.00 \text{ mm}$ (passive side)
 Corrosion rate $\eta = 0.84$
 Section efficiency $u = 1.00$
 Young's modulus $E = 200000 \text{ Nmm}^2$
 Inertia sectional moment $I_n = 114000 \text{ cm}^4$ (original condition)
 $I = 95760 \text{ cm}^4$ (after reduction by corrosion and section)
 $EI = 200000 \times 10^3 \times 95760 \times 10^8 = 1.915 \times 10^{13}$

6-2-1 Normal Condition

modulus of lateral subgrade reaction $K_h = 16876 \text{ kNm}^3$
 calculated value $\beta = 0.38526 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 105.14 \text{ kN/m}$
 height of acting position of load $h_0 = 2.34 \text{ m}$
 moment $M_0 = 246.26 \text{ kNm/m}$

in consideration of $\phi_m = 1.171$,
 maximum moment $M_{max} = 288.48 \text{ kNm/m}$
 depth of generated position of M_{max} $l_m = 0.889 \text{ m}$
 depth of 1st fixed point $l_1 = 2.928 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction $K_h = 18494 \text{ kNm}^3$
 calculated value $\beta = 0.39417 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 144.48 \text{ kN/m}$
 height of acting position of load $h_0 = 2.96 \text{ m}$
 moment $M_0 = 428.05 \text{ kNm/m}$

in consideration of $\phi_m = 1.114$,
 maximum moment $M_{max} = 476.93 \text{ kNm/m}$
 depth of generated position of M_{max} $l_m = 0.739 \text{ m}$
 depth of 1st fixed point $l_1 = 2.731 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin $t_1 = 1.00 \text{ mm}$ (active side) $t_2 = 1.00 \text{ mm}$ (passive side)
 Corrosion rate $\eta = 0.87$
 Section efficiency $u = 1.00$
 Modulus of section $Z_o = 3250 \text{ cm}^3$ (original condition)
 $Z = 2828 \text{ cm}^3$ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{288.48 \times 10^6}{2828 \times 10^3} = 102 \text{ N/mm}^2 \leq \sigma_a = 185 \text{ N/mm}^2$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{476.93 \times 10^6}{2828 \times 10^3} = 169 \text{ N/mm}^2 \leq \sigma_a = 278 \text{ N/mm}^2$$

6-4 Displacement

6-4-1 Normal Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	3.55 2.85	0.835 0.671	0.252 0.175	10.99 39.30	2.766 6.862
2	2.10-2.60	1.98 1.82	0.467 0.428	0.092 0.078	12.08 13.80	1.111 1.082
3	2.60-2.70	1.62 1.58	0.381 0.373	0.063 0.061	0.96 0.95	0.061 0.058
4	2.70-4.01	1.11 0.68	0.262 0.160	0.031 0.012	12.44 9.00	0.390 0.108
5	4.01-4.25	0.16 0.08	0.038 0.019	0.001 0.000	0.93 0.00	0.001 0.000
					$\Sigma Q = 12.440$	

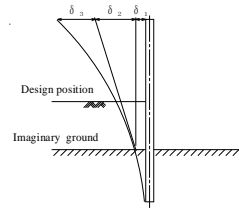
Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_k}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.3853 \times 2.34) \times 105.14}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.3853^3} = 0.00913 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_k)$$

$$= \frac{(1 + 2 \times 0.3853 \times 2.34) \times 105.14}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.3853^2} \times (2.60 + 1.65) = 0.02205 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_k)^3}{E I}$$

$$= \frac{12.44 \times (2.60 + 1.65)^3}{2.00 \times 10^8 \times 95760 \times 10^{-8}} = 0.00499 \text{ m}$$

Additional displacement δ'_3 generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta'_3 = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ'_3 is calculated as 0.00077 m in consideration of following values:

Height from imaginary riverbed to top of SSP: L = 4.25 m
 Horizontal load P = 4.70
 Moment: M = 2.96

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00913 + 0.02205 + 0.00576$$

$$= 0.03694 \text{ m}$$

$$= 36.94 \approx \delta_a = 50.00 \text{ mm}$$

Where:
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	4.23 3.53	0.858 0.716	0.263 0.198	15.27 46.74	4.011 9.118
2	2.10-2.20	2.79 2.76	0.567 0.560	0.130 0.128	2.55 2.65	0.332 0.338
3	2.20-2.60	2.59 2.46	0.526 0.499	0.114 0.104	10.59 11.43	1.210 1.187
4	2.60-4.01	1.86 1.39	0.377 0.281	0.062 0.036	14.89 17.43	0.924 0.625
5	4.01-4.93	0.61 0.31	0.124 0.062	0.007 0.002	10.29 0.00	0.076 0.000
					$\Sigma Q = 17.821$	

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_k}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

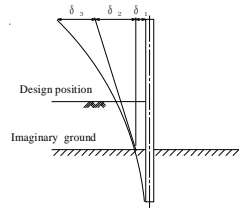
Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _{sw} (kN)	Q _{sw} (kN)
1	2.20-2.60	2.59 2.46	0.526 0.499	0.114 0.104	0.00 0.14	0.000 0.014
					$\Sigma Q_{sw} = 0.014$	

Therefore modulus of deformation Q is calculated as below
 $Q = 17.821 + 0.014 = 17.836$

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.3942 \times 2.96) \times 144.48}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.3942^3} = 0.01335 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_k)$$

$$= \frac{(1 + 2 \times 0.3942 \times 2.96) \times 144.48}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.3942^2} \times (2.60 + 2.33) = 0.03989 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_k)^3}{E I}$$

$$= \frac{17.84 \times (2.60 + 2.33)^3}{2.00 \times 10^8 \times 95760 \times 10^{-8}} = 0.01113 \text{ m}$$

Additional displacement δ'_3 generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta'_3 = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ'_3 is calculated as 0.00298 m in consideration of following values:

Height from imaginary riverbed to top of SSP: L = 4.93 m
 Horizontal load P = 12.50
 Moment: M = 6.00

Displacement δ_{in} of cantilever beam by moment M_m is additionally considered

$$\delta_{in} = \frac{M_m \cdot h}{2 E I} \times (2 L - h) \quad (L = 4.93 \text{ m}, h = L - H_s, H_s = 0.00 \text{ m}, h \leq L)$$

$$= \frac{2.70 \times 4.13}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8}} \times (2 \times 4.93 - 4.13) = 0.00017 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01335 + 0.03989 + 0.01428$$

$$= 0.06752 \text{ m}$$

$$= 67.52 \approx \delta_a = 75.00 \text{ mm}$$

Where:
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 114000 cm ⁴ (original condition)
	I = 114000 cm ⁴ (after reduction by corrosion and section)
EI = 200000 x 10 ³ x 114000 x 10 ⁻⁸	= 2.280 x 10 ⁹

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_s, penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_s + \frac{3}{\beta}$$

$$L = H - H_{i1} + D$$

$$\beta = \sqrt[4]{\frac{K_s \cdot B}{4EI}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	K _s = 16876 kN/m ³
Calculated value	$\beta = 0.36882 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.65 + \frac{3}{0.369} = 9.79 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.79 = 11.99 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	K _s = 18494 kN/m ³
Calculated value	$\beta = 0.37736 \text{ m}^{-1}$
Penetration length of SSP	$D = 2.33 + \frac{3}{0.377} = 10.28 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 10.28 = 12.48 \text{ m}$

Therefore, whole length of SSP is set as 12.50 m in consideration of round unit of SSP length

8 Calculation Result

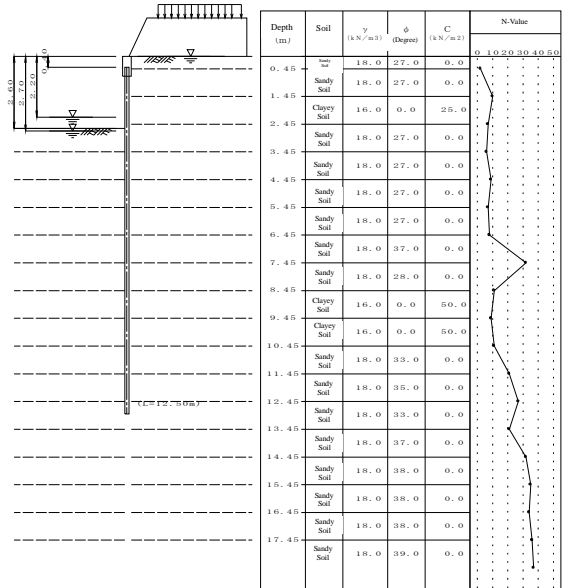
		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	114000	
Section modulus	Z (cm ³)	3250	
Maximum bending moment	M _{max} (kN·m/m)	288.48	476.93
Stress intensity	σ (N/mm ²)	102 (185)	169 (278)
Lateral displacement	δ (mm)	36.94 (50.0)	67.52 (75.0)
Penetration depth	D (m)	9.79	10.28
Whole length of SSP	L (m)	12.50	

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Left Bank No. 24_STA. 16+200_16+300



1-2 Dimensions of Structure

Depth from coping top to riverbed $H = 2.60$ m
 Depth from coping top to rear side ground $H_0 = 0.00$ m
 Depth from coping top to SSP top $H_1 = 0.40$ m
 Riverside WL $L_{w0} = 0.00$ m (Normal Condition)
 $L_{w1} = 0.00$ m (Seismic Condition)
 Landside WL $L_{w2} = 2.70$ m (Normal Condition)
 $L_{w3} = 2.20$ m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

L_No.24 pp.1

L_No.24 pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load $P_t = 4.7 \text{ kN/m}$ (Normal Condition)
 $P_t' = 12.5 \text{ kN/m}$ (Seismic Condition)
 Depth of acting point $H_t = -0.63 \text{ m}$ (Normal Condition)
 $H_t' = -0.48 \text{ m}$ (Seismic Condition)
 Moment $M_m = 0.0 \text{ kN-m/m}$ (Normal Condition)
 $M_m' = 2.8 \text{ kN-m/m}$ (Seismic Condition)
 Depth of acting point $H_m = 0.00 \text{ m}$ (Seismic Condition)
 $H_m = 0.80 \text{ m}$ (Normal Condition)
 (*'Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_s = 6910 \times N^{0.406}$

Average N-value calculated from average N-value between imaginary riverbed and depth as $1/\beta$

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.45	2	11	10.45	11
2	1.45	10	12	11.45	21
3	2.45	7	13	12.45	27
4	3.45	6	14	13.45	21
5	4.45	9	15	14.45	32
6	5.45	7	16	15.45	35
7	6.45	8	17	16.45	34
8	7.45	32	18	17.45	36
9	8.45	11	19	18.45	37
10	9.45	9			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

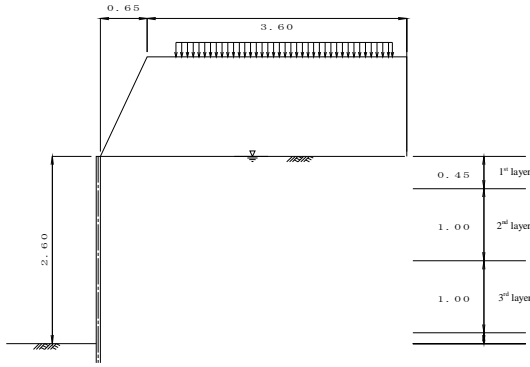
No	Depth (m)	Soil	N-value	γ (kN/m ³)	γ' (kN/m ³)	ϕ	C (kN/m ²)	a	k'	ζ (degree)		kh(kN/m ³)	
										normal	seismic	normal	seismic
1	0.45	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
2	1.45	S	10.0	18.00	10.00	0.0	0.0	0.0	0.200	auto	auto	—	—
3	2.45	C	7.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
4	3.45	S	6.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
5	4.45	S	9.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
6	5.45	S	7.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
7	6.45	S	8.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
8	7.45	S	32.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
9	8.45	S	11.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
10	9.45	C	9.0	16.00	8.00	0.0	50.0	0.0	0.200	auto	auto	—	—
11	10.45	C	11.0	16.00	8.00	0.0	50.0	0.0	0.200	auto	auto	—	—
12	11.45	S	21.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
13	12.45	S	27.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	—	—
14	13.45	S	21.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
15	14.45	S	32.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
16	15.45	S	35.0	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	—	—
17	16.45	S	34.0	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	—	—
18	17.45	S	36.0	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	—	—
19	18.45	S	37.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer C_0 : soil adhesion
 soil : sandy (S), clayey (C), mixed (M) a : slope of soil adhesion
 N-value : average N-value in the layer k' : design seismic coefficient (underwater)
 γ : wet unit weight of soil ζ : angle of active rupture
 γ' : saturated unit weight of soil kh : modulus of subgrade reaction
 ϕ : internal friction angle of soil

Angle of wall friction

Angle of wall friction	Normal		Seismic	
	active	passive	active	passive
	9.00°	-9.00°	9.00°	-9.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.65	4.25	4.25	1.38	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

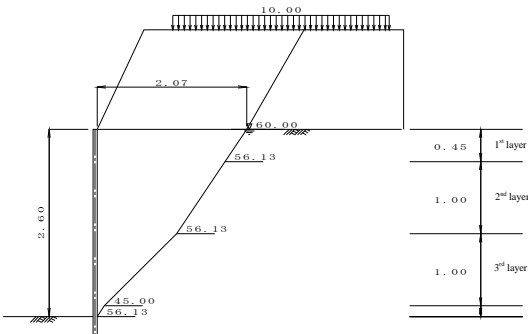
No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	1.05	4.05	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 114000 cm ⁴
Sectional factor	Z ₀ = 3250 cm ³
Corrosion margin	t ₁ = 1.00 mm (riverside) t ₂ = 1.00 mm (landside)
Corrosion rate (to L ₀)	η = 0.84
Corrosion rate (to Z ₀)	η = 0.88
Section efficiency (to I ₀)	μ = 1.00
Section efficiency (to Z ₀)	μ = 1.00
Round unit of SSP length	0.50 m
Allowable stress	σ_a = 185 N/mm ² (Normal) σ'_a = 278 N/mm ² (Seismic)
Allowable displacement	δ_a = 50.0 mm (Normal) δ'_a = 75.0 mm (Seismic)
Bending of cantilever beam	calculated as distributed load of each layer
Reduction of material modulus	Reduced: I ₀ applied to calculation of lateral coefficient of subgrade reaction Not reduced: I ₀ applied to calculation of penetration depth Reduced: I ₀ applied to calculation of section forces and displacement Reduced: Z ₀ applied to calculation of stresses

2 Calculation of Acting Load
2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma w h w$ (kN/m ²)	Angle of rupture ζ (degree)
1	2.60- 2.45	Sandy Soil	27.0	9.0	0.0	24.00	34.50	25.48	56.13
2	2.45- 1.45	Clayey Soil	0.0	9.0	25.0	22.50	34.50	24.01	45.00
3	1.45- 0.45	Sandy Soil	27.0	9.0	0.0	14.50	34.50	14.21	56.13
4	0.45- 0.00	Sandy Soil	27.0	9.0	0.0	4.50	34.50	4.41	56.13
5		Embankment	30.0	—	0.0	24.84	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	56.13	0.15	0.00	0.00	0.10	0.15
2	45.00	1.00	0.10	0.15	1.10	1.15
3	56.13	1.00	1.10	1.15	1.77	2.15
4	56.13	0.45	1.77	2.15	2.07	2.60
5	60.00	1.38	2.07	2.60	2.87	3.98

Therefore, width of acting load shall be set as 2.07 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.96	53.34
Σ			53.34

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.82	18.21
Σ			18.21

Q : surcharge load
l : width of surcharge load set by line of active rupture

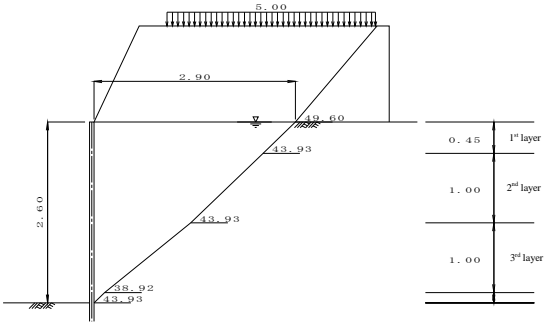
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{53.34 + 18.21 + 0.00}{2.07}$$

$$= 34.50 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma\gamma h$ (kN/m ²)	Q (kN/m ²)	γwh (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60- 2.45	Sandy Soil	27.0	9.0	0.0	24.00	32.26	25.48	0.200	11.31	43.93
2	2.45- 1.45	Clayey Soil	0.0	9.0	25.0	22.50	32.26	24.01	0.200	11.31	38.92
3	1.45- 0.45	Sandy Soil	27.0	9.0	0.0	14.50	32.26	14.21	0.200	11.31	43.93
4	0.45- 0.00	Sandy Soil	27.0	9.0	0.0	4.50	32.26	4.41	0.200	11.31	43.93
5		Embankment	30.0	—	0.0	24.84	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta) \cdot \sin(\phi - \theta)}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

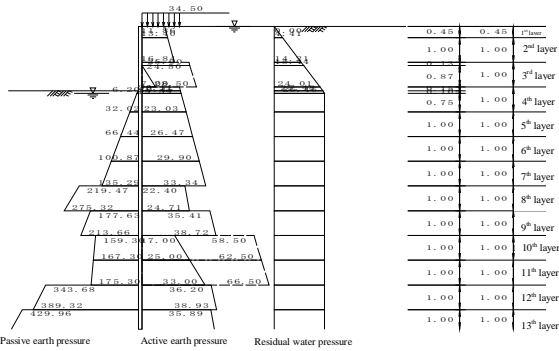
Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

L_No.24 pp.9

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_a$ (kN/m ²)	K_a	$K_a \times \cos \delta$
1	0.00- 0.45	Sandy soil	10.0	27.0	34.498 38.998	0.34800 0.34800	0.34371 0.34371
2	0.45- 1.45	Sandy soil	10.0	27.0	38.998 48.998	0.34800 0.34800	0.34371 0.34371
3	1.45- 1.58	Clayey soil	8.0	—	25.0 50.000	—	—
4	1.58- 2.45	Clayey soil	8.0	—	25.0 56.998	—	—
5	2.45- 2.60	Sandy soil	10.0	27.0	56.998 58.498	0.34800 0.34800	0.34371 0.34371
6	2.60- 2.70	Sandy soil	10.0	27.0	58.498 59.498	0.34800 0.34800	0.34371 0.34371
7	2.70- 3.45	Sandy soil	10.0	27.0	59.498 66.998	0.34800 0.34800	0.34371 0.34371
8	3.45- 4.45	Sandy soil	10.0	27.0	66.998 76.998	0.34800 0.34800	0.34371 0.34371
9	4.45- 5.45	Sandy soil	10.0	27.0	76.998 86.998	0.34800 0.34800	0.34371 0.34371
10	5.45- 6.45	Sandy soil	10.0	27.0	86.998 96.998	0.34800 0.34800	0.34371 0.34371
11	6.45- 7.45	Sandy soil	10.0	37.0	96.998 106.998	0.23377 0.23377	0.23089 0.23089
12	7.45- 8.45	Sandy soil	10.0	28.0	106.998 116.998	0.33506 0.33506	0.33093 0.33093
13	8.45- 9.45	Clayey soil	8.0	—	50.0 124.998	—	—

L_No.24 pp.11

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.93	0.15	0.00	0.00	0.16	0.15
2	38.92	1.00	0.16	0.15	1.39	1.15
3	43.93	1.00	1.39	1.15	2.43	2.15
4	43.93	0.45	2.43	2.15	2.90	2.60
5	49.60	1.38	2.90	2.60	4.07	3.98

Therefore, width of acting load shall be set as 2.90 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	4.36	78.54
Σ			78.54

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	3.00	15.00
Σ			15.00

Q : surcharge load
l : width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{78.54 + 15.00 + 0.00}{2.90}$$

$$= 32.26 \text{ kN/m}^2$$

L_No.24 pp.10

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_a$ (kN/m ²)	K_a	$K_a \times \cos \delta$
14	9.45- 10.45	Clayey soil	8.0	—	124.998 132.998	—	—
15	10.45- 11.45	Sandy soil	10.0	33.0	132.998 142.998	0.27561 0.27561	0.27222 0.27222
16	11.45- 12.45	Sandy soil	10.0	35.0	142.998 152.998	0.25410 0.25410	0.25097 0.25097
17	12.45- 13.45	Sandy soil	10.0	33.0	152.998 162.998	0.27561 0.27561	0.27222 0.27222
18	13.45- 14.45	Sandy soil	10.0	37.0	162.998 172.998	0.23377 0.23377	0.23089 0.23089
19	14.45- 15.45	Sandy soil	10.0	38.0	172.998 182.998	0.22404 0.22404	0.22128 0.22128
20	15.45- 16.45	Sandy soil	10.0	38.0	182.998 192.998	0.22404 0.22404	0.22128 0.22128
21	16.45- 17.45	Sandy soil	10.0	38.0	192.998 202.998	0.22404 0.22404	0.22128 0.22128
22	17.45- 18.45	Sandy soil	10.0	39.0	202.998 212.998	0.21458 0.21458	0.21193 0.21193

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below;
 $\delta = 9.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \theta - \beta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_p$ (kN/m ²)	K_p	$K_p \times \cos \delta$
6	2.60- 2.70	Sandy soil	18.0	27.0	0.000 1.800	3.48553 3.48553	3.44261 3.44261
7	2.70- 3.45	Sandy soil	10.0	27.0	1.800 9.300	3.48553 3.48553	3.44261 3.44261
8	3.45- 4.45	Sandy soil	10.0	27.0	9.300 19.300	3.48553 3.48553	3.44261 3.44261
9	4.45- 5.45	Sandy soil	10.0	27.0	19.300 29.300	3.48553 3.48553	3.44261 3.44261

L_No.24 pp.12

Depth (m)	Soil	γ (kN/m³)	φ (degree)	C (kN/m²)	Σγh+Qp (kN/m²)	Kp	Kp × cosδ
10 5.45-6.45	Sandy soil	29.300	27.0	—	39.300	3.48553	3.44261
11 6.45-7.45	Sandy soil	39.300	37.0	—	49.300	5.65410	5.58449
12 7.45-8.45	Sandy soil	49.300	28.0	—	59.300	3.64796	3.60305
13 8.45-9.45	Clayey soil	50.0	0.0	50.0	67.300	—	—
14 9.45-10.45	Clayey soil	50.0	0.0	50.0	75.300	—	—
15 10.45-11.45	Sandy soil	75.300	33.0	—	85.300	4.62104	4.56415
16 11.45-12.45	Sandy soil	85.300	35.0	—	95.300	5.10344	5.04061
17 12.45-13.45	Sandy soil	95.300	33.0	—	105.300	4.62104	4.56415
18 13.45-14.45	Sandy soil	105.300	37.0	—	115.300	5.65410	5.58449
19 14.45-15.45	Sandy soil	115.300	38.0	—	125.300	5.95910	5.88573
20 15.45-16.45	Sandy soil	125.300	38.0	—	135.300	5.95910	5.88573
21 16.45-17.45	Sandy soil	135.300	38.0	—	145.300	5.95910	5.88573
22 17.45-18.45	Sandy soil	145.300	39.0	—	155.300	6.28642	6.20903

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below:
 δ= -9.00, β= 0.00, θ= 0.00

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure Pw (kN/m²)	Passive side Pp (kN/m²)
	Pa1 (kN/m²)	Pa2 (kN/m²)	Pa (kN/m²)		
1 0.00-0.45	11.86 13.40	—	11.86 13.40	0.00 4.41	—
2 0.45-1.45	13.40 16.84	—	13.40 16.84	4.41 14.21	—
3 1.45-1.58	-1.00 0.00	24.50 25.00	24.50 25.00	14.21 15.44	—
4 1.58-2.45	0.00 7.00	25.00 28.50	25.00 28.50	15.44 24.01	—
5 2.45-2.60	19.59 20.11	—	19.59 20.11	24.01 25.48	—
6 2.60-2.70	20.11 20.45	—	20.11 20.45	25.48 26.46	0.00 6.20
7 2.70-3.45	20.45 23.03	—	20.45 23.03	26.46 26.46	6.20 32.02

L_No.24 pp.13

Depth (m)	Active side			Residual water pressure Pw (kN/m²)	Passive side Pp (kN/m²)
	Pa1 (kN/m²)	Pa2 (kN/m²)	Pa (kN/m²)		
8 3.45-4.45	23.03 26.47	—	23.03 26.47	26.46 26.46	32.02 66.44
9 4.45-5.45	26.47 29.90	—	26.47 29.90	26.46 26.46	66.44 100.87
10 5.45-6.45	29.90 33.34	—	29.90 33.34	26.46 26.46	100.87 135.29
11 6.45-7.45	22.40 24.71	—	22.40 24.71	26.46 26.46	219.47 275.32
12 7.45-8.45	35.41 38.72	—	35.41 38.72	26.46 26.46	177.63 213.66
13 8.45-9.45	17.00 25.00	58.50 62.50	58.50 62.50	26.46 26.46	159.20 167.30
14 9.45-10.45	25.00 33.00	66.50 66.50	62.50 66.50	26.46 26.46	167.30 175.30
15 10.45-11.45	36.20 38.93	—	36.20 38.93	26.46 26.46	343.68 389.32
16 11.45-12.45	35.89 38.40	—	35.89 38.40	26.46 26.46	429.96 480.37
17 12.45-13.45	41.65 44.37	—	41.65 44.37	26.46 26.46	434.96 480.60
18 13.45-14.45	37.64 39.94	—	37.64 39.94	26.46 26.46	588.05 643.89
19 14.45-15.45	38.28 40.49	—	38.28 40.49	26.46 26.46	678.62 737.48
20 15.45-16.45	40.49 42.71	—	40.49 42.71	26.46 26.46	737.48 796.34
21 16.45-17.45	42.71 44.92	—	42.71 44.92	26.46 26.46	796.34 855.20
22 17.45-18.45	43.02 45.14	—	43.02 45.14	26.46 26.46	902.17 964.26

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

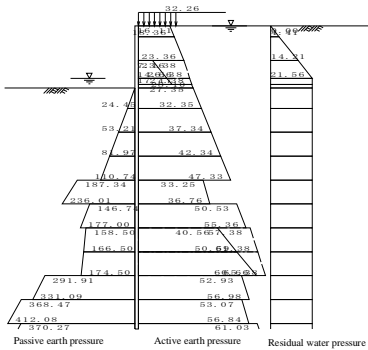
Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

L_No.24 pp.14

3-2 Seismic Condition



Depth (m)	Soil	γ (kN/m³)	φ (degree)	C (kN/m²)	Σγh+Qp (kN/m²)	γ _{hw} (kN/m³)	k (k)	θ (degree)	Ka	Ka × cosδ	θ (degree)
15 11.45-12.45	Sandy Soil	10.0	35.0	—	140.76	112.21	0.200	11.31	0.38174	0.37704	—
16 12.45-13.45	Sandy Soil	10.0	33.0	—	150.76	122.01	0.200	11.31	0.40986	0.40481	—
17 13.45-14.45	Sandy Soil	10.0	37.0	—	160.76	131.81	0.200	11.31	0.35524	0.35087	—
18 14.45-15.45	Sandy Soil	10.0	38.0	—	170.76	141.61	0.200	11.31	0.34256	0.33834	—
19 15.45-16.45	Sandy Soil	10.0	38.0	—	180.76	151.41	0.200	11.31	0.34256	0.33834	—
20 16.45-17.45	Sandy Soil	10.0	38.0	—	190.76	161.21	0.200	11.31	0.34256	0.33834	—
21 17.45-18.45	Sandy Soil	10.0	39.0	—	200.76	171.01	0.200	11.31	0.33023	0.32616	—

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below:
 δ= 9.00, β= 0.00, θ= tan⁻¹k

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below:

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m³)	φ (degree)	C (kN/m²)	Σγh+Qp (kN/m²)	γ _{hw} (kN/m³)	k (k)	θ (degree)	Kp	Kp × cosδ
6 2.60-3.45	Sandy Soil	10.00	27.0	—	0.000	0.00	0.200	11.31	2.91211	2.87626
7 3.45-4.45	Sandy Soil	10.00	27.0	—	8.500	8.33	0.200	11.31	2.91211	2.87626
8 4.45-5.45	Sandy Soil	10.00	27.0	—	18.500	18.13	0.200	11.31	2.91211	2.87626
9 5.45-6.45	Sandy Soil	10.00	27.0	—	28.500	27.93	0.200	11.31	2.91211	2.87626
10 6.45-7.45	Sandy Soil	10.00	37.0	—	38.500	37.73	0.200	11.31	4.92675	4.86609
11 7.45-8.45	Sandy Soil	10.00	28.0	—	48.500	47.53	0.200	11.31	3.06329	3.02557
12 8.45-9.45	Clayey Soil	8.00	0.0	50.0	58.500	57.33	0.200	11.31	—	—
13 9.45-10.45	Clayey Soil	8.00	0.0	50.0	66.500	67.13	0.200	11.31	—	—
14 10.45-11.45	Sandy Soil	10.00	33.0	—	74.500	76.93	0.200	11.31	3.96703	3.91819
15 11.45-12.45	Sandy Soil	10.00	35.0	—	84.500	86.73	0.200	11.31	4.41499	4.36064
16 12.45-13.45	Sandy Soil	10.00	33.0	—	94.500	96.53	0.200	11.31	3.96703	3.91819

L_No.24 pp.15

L_No.24 pp.16

No	Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_p$ (kN/m ²)	γ_{wh} (kN/m ²)	k (k)	θ (degree)	Kp	Kp $\times \cos \delta$
17	13.45-14.45	Sandy Soil	10.00	37.0	---	104.500 114.500	106.33 116.13	0.200 0.200	11.31 11.31	4.92675 4.92675	4.86609 4.86609
18	14.45-15.45	Sandy Soil	10.00	38.0	---	114.500 124.500	116.13 125.93	0.200 0.200	11.31 11.31	5.21042 5.21042	5.14627 5.14627
19	15.45-16.45	Sandy Soil	10.00	38.0	---	124.500 134.500	125.93 135.73	0.200 0.200	11.31 11.31	5.21042 5.21042	5.14627 5.14627
20	16.45-17.45	Sandy Soil	10.00	38.0	---	134.500 144.500	135.73 145.53	0.200 0.200	11.31 11.31	5.21042 5.21042	5.14627 5.14627
21	17.45-18.45	Sandy Soil	10.00	39.0	---	144.500 154.500	145.53 155.33	0.200 0.200	11.31 11.31	5.51506 5.51506	5.44716 5.44716

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below;
 $\delta = -9.00, \beta = 0.00, \theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure Pw (kN/m ²)	Passive side Pp (kN/m ²)
		Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1	0.00-0.45	16.11 18.36	---	16.11 18.36	0.00 4.41	---
2	0.45-1.45	18.36 23.36	---	18.36 23.36	4.41 14.21	---
3	1.45-2.20	7.16 14.66	23.38 26.38	23.38 26.38	14.21 21.56	---
4	2.20-2.45	14.66 17.17	26.38 27.38	26.38 27.38	21.56 21.56	---
5	2.45-2.60	27.35 28.10	---	27.35 28.10	21.56 21.56	---
6	2.60-3.45	28.10 32.35	---	28.10 32.35	21.56 21.56	0.00 24.45
7	3.45-4.45	32.35 37.34	---	32.35 37.34	21.56 21.56	24.45 53.21
8	4.45-5.45	37.34 42.34	---	37.34 42.34	21.56 21.56	53.21 81.97
9	5.45-6.45	42.34 47.33	---	42.34 47.33	21.56 21.56	81.97 110.74
10	6.45-7.45	33.25 36.76	---	33.25 36.76	21.56 21.56	187.34 236.01
11	7.45-8.45	50.53 55.56	---	50.53 55.56	21.56 21.56	146.74 177.00
12	8.45-9.45	40.56 50.59	57.38 61.38	57.38 61.38	21.56 21.56	158.50 166.50
13	9.45-10.45	50.59 60.66	61.38 65.38	61.38 65.38	21.56 21.56	166.50 174.50
14	10.45-11.45	52.93 56.98	---	52.93 56.98	21.56 21.56	201.91 331.09

L_No.24 pp.17

No	Depth (m)	Active side			Residual water pressure Pw (kN/m ²)	Passive side Pp (kN/m ²)
		Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
15	11.45-12.45	53.07 56.84	---	53.07 56.84	21.56 21.56	368.47 412.08
16	12.45-13.45	61.03 65.08	---	61.03 65.08	21.56 21.56	370.27 409.45
17	13.45-14.45	56.41 59.91	---	56.41 59.91	21.56 21.56	508.51 557.17
18	14.45-15.45	57.77 61.16	---	57.77 61.16	21.56 21.56	589.25 640.71
19	15.45-16.45	61.16 64.54	---	61.16 64.54	21.56 21.56	640.71 692.17
20	16.45-17.45	64.54 67.92	---	64.54 67.92	21.56 21.56	692.17 743.64
21	17.45-18.45	65.48 68.74	---	65.48 68.74	21.56 21.56	787.11 841.59

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a: Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_{p1} = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
 Clayey soil $P_{p1} = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_{p1} = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

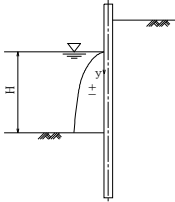
No	Depth Z (m)	WL y (m)	P _{aw} (kN/m ²)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

$$P_{aw} = \pm \frac{7}{8} k_{aw} \cdot \gamma_w \cdot \sqrt{H} \cdot y$$

Where,
 k_{aw}: design seismic coefficient

L_No.24 pp.18

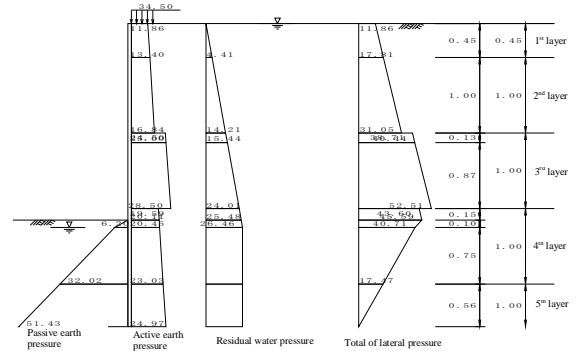
γ_w : unit weight of water
 H: water depth of riverside
 y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L_a is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

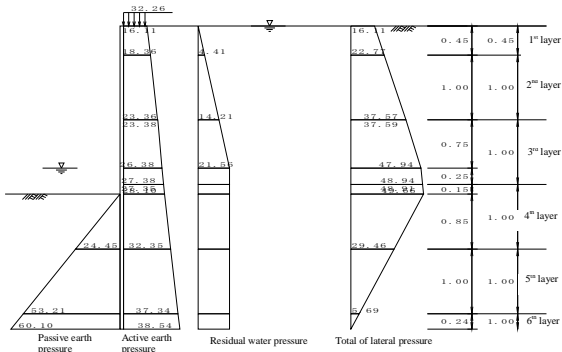
4-1 Normal Condition



Depth (m)	Pa (kN/m ²)	Pw (kN/m ²)	Pp (kN/m ²)	Ps (kN/m ²)
1	0.00-0.45	11.86 13.40	0.00 4.41	11.86 17.81
2	0.45-1.45	13.40 16.84	4.41 14.21	17.81 31.05
3	1.45-1.58	24.50 25.00	14.21 15.44	38.71 40.44
4	1.58-2.45	25.00 28.50	15.44 24.01	40.44 53.31
5	2.45-2.60	19.59 20.11	24.01 25.48	43.60 45.59
6	2.60-2.70	20.11 20.45	25.48 26.46	45.59 40.71
7	2.70-3.45	20.45 23.03	26.46 26.46	40.71 17.47
8	3.45-4.01	23.03 24.97	26.46 26.46	17.47 0.00
9	4.01-4.45	24.97 26.47	26.46 26.46	0.00 -13.52

P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 P_s: Lateral pressure P_s = P_a + P_w - P_p

Tentative imaginary riverbed L_a: 1.41 m (GL -4.01 m)



Depth (m)	Pa (kN/m ²)	Pw (kN/m ²)	Pp (kN/m ²)	Ps (kN/m ²)
1 0.00-0.45	16.11 18.36	0.00 4.41	---	16.11 22.77
2 0.45-1.45	18.36 23.36	4.41 14.21	---	22.77 37.57
3 1.45-2.20	23.38 26.38	14.21 21.56	---	37.59 47.94
4 2.20-2.45	26.38 27.38	21.56 21.56	---	47.94 48.94
5 2.45-2.60	27.35 28.10	21.56 21.56	---	48.91 49.66
6 2.60-3.45	28.10 32.35	21.56 21.56	0.00 24.45	49.66 29.46
7 3.45-4.45	32.35 37.34	21.56 21.56	24.45 53.21	29.46 5.69
8 4.45-4.69	37.34 38.54	21.56 21.56	53.21 60.10	5.69 0.00
9 4.69-5.45	38.54 42.34	21.56 21.56	60.10 81.97	0.00 -18.08

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Tentative imaginary riverbed L_d : 2.09 m (GL -4.69 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below;

$$K_h = 6910 \times N'^{0.406}$$

where,

$$\beta = 4\sqrt[4]{\frac{K_h \cdot B}{4 E I}}$$

Unit width $B = 1.0000$ m
 Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.84$
 Section efficiency $\mu = 1.00$
 Young's modulus $E = 200000$ N/mm²
 Inertia sectional moment $I_0 = 114000$ cm⁴ (original condition)
 $I = 95760$ cm⁴ (after reduction by corrosion and section)
 Inertia sectional moment $EI = 20000 \times 10^3 \times 95760 \times 10^{-8} = 1.915 \times 10^8$

Depth (m)	N-value	Depth (m)	N-value
1 0.45	2	11 10.45	11
2 1.45	10	12 11.45	21
3 2.45	7	13 12.45	27
4 3.45	6	14 13.45	21
5 4.45	9	15 14.45	32
6 5.45	7	16 15.45	35
7 6.45	8	17 16.45	34
8 7.45	32	18 17.45	36
9 8.45	11	19 18.45	37
10 9.45	9		

5-2 Normal Condition

$K_h = 16100$ kN/m³ is set tentatively.

$$\beta = 4\sqrt[4]{\frac{K_h \cdot B}{4 E I}} = 0.381 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.63 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.01 m) to 2.63 m depth (GL -6.64 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 4.01	0.44	7.7	9.0	3.64
2 4.45	1.00	9.0	7.0	8.00
3 5.45	1.00	7.0	8.0	7.50
4 6.45	0.19	8.0	12.6	1.96
L = Σh = 2.63				ΣA = 21.10

A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{21.10}{2.63} = 8.03$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N'^{0.406} = 6910 \times 8.03^{0.406} = 16100 \text{ kN/m}^3$$

K_h (normal condition) = 16100 kN/m³

5-3 Seismic Condition

$K_h = 18072$ kN/m³ is set tentatively.

$$\beta = 4\sqrt[4]{\frac{K_h \cdot B}{4 E I}} = 0.392 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.55 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.69 m) to 2.55 m depth (GL -7.24 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 4.69	0.76	8.5	7.0	5.90
2 5.45	1.00	7.0	8.0	7.50
3 6.45	0.79	8.0	27.0	13.84
L = Σh = 2.55				ΣA = 27.24

A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{27.24}{2.55} = 10.68$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following:

$$K_h = 6910 \times N'^{0.406} = 6910 \times 10.68^{0.406} = 18072 \text{ kN/m}^3$$

K_h (seismic condition) = 18072 kN/m³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force Ps (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1 0.00-0.45	0.45	11.86 17.81	2.67 4.01	3.86 3.71	10.31 14.89
2 0.45-1.45	1.00	17.81 31.05	8.91 15.53	3.23 2.90	28.77 44.98
3 1.45-1.58	0.13	38.71 40.44	2.42 2.53	2.52 2.48	6.12 6.28
4 1.58-2.45	0.87	40.44 52.51	17.69 22.96	2.15 1.86	37.97 42.61
5 2.45-2.60	0.15	43.60 45.59	3.27 3.42	1.51 1.46	4.95 5.00
6 2.60-2.70	0.10	45.59 40.71	2.28 2.04	1.38 1.35	3.15 2.74
7 2.70-3.45	0.75	40.71 17.47	15.27 6.55	1.06 0.81	16.24 5.33
8 3.45-4.01	0.56	17.47 0.00	4.93 0.00	0.38 0.19	1.85 0.00
				ΣP = 114.47	ΣM = 231.19

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P = P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_0 = 4.7$ kN/m
 depth to acting position $H_1 = -0.63$ m
 moment $M_m = 0.0$ kN·m/m
 depth to acting position $H_m = 0.00$ m
 Height from riverbed to top of coping $H = 2.60$ m
 Depth of Imaginary riverbed from riverbed $L_k = 1.41$ m

Moment M_0 by arbitrary load is as below

$$M_0 = P_0 \cdot (H + L_k - H_1) + M_m = 21.83 \text{ kN} \cdot \text{m}$$

h_0 , Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_m}{\Sigma P + P_0} = \frac{231.19}{263.02} = 2.12 \text{ m}$$

6-1-2 Seismic Condition

No	Depth Z (m)	Thickness h (m)	Lateral load P _s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00-0.45	0.45	16.11 22.77	3.63 5.12	4.54 4.39	16.46 22.49
2	0.45-1.45	1.00	22.77 37.57	11.39 18.78	3.91 3.57	44.47 67.11
3	1.45-2.20	0.75	37.59 47.94	14.10 17.98	2.99 2.74	42.14 49.25
4	2.20-2.45	0.25	47.94 48.94	5.99 6.12	2.41 2.32	14.42 14.21
5	2.45-2.60	0.15	48.91 49.66	3.67 3.72	2.19 2.14	8.03 7.97
6	2.60-3.45	0.85	49.66 29.46	21.11 12.52	1.81 1.52	38.12 19.07
7	3.45-4.45	1.00	29.46 5.69	14.73 2.85	0.91 0.57	13.35 1.63
8	4.45-4.69	0.24	5.69 0.00	0.68 0.00	0.16 0.08	0.11 0.00
			ΣP = 142.38	ΣM = 358.82		

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load P_s x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y
 Arbitrary load lateral load P_s = 12.5 kN/m
 depth to acting position H_s = -0.48 m
 moment M_s = 2.8 kN·m/m
 depth to acting position H_s = 0.80 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of Imaginary riverbed from riverbed L_k = 2.09 m
 Moment M_i by arbitrary load is as below
 M_i = P_s · (H + L_k - H_s) + M_s = 67.42 kN·m

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _{sw} (kN/m ²)	Load P _{sw} (kN)	Arm length Y (m)	Moment M _{sw} (kN·m)
1	2.20-2.60	0.40	0.0 0.7	0.00 0.14	2.36 2.22	0.00 0.31
			ΣP _{sw} = 0.14	ΣM _{sw} = 0.31		

h₀, Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_i + \Sigma M_{sw}}{\Sigma P + P_s + \Sigma P_{sw}} = \frac{426.55}{155.02} = 2.75 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width B = 1.000 m
 Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.84
 Section efficiency μ = 1.00
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I = 114000 cm⁴ (original condition)
 I = 95760 cm⁴ (after reduction by corrosion and section)
 EI = 200000 x 10³ x 95760 x 10⁻⁸ = 1.915 x 10⁷

$$\beta = \sqrt[4]{\frac{K_s \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$l_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction K_s = 16100 kN/m³
 calculated value β = 0.38075 m⁻¹
 resultant earth force (lateral) P₀ = 119.17 kN/m
 height of acting position of load h₀ = 2.12 m
 moment M₀ = 253.02 kN·m/m

in consideration of φ_m = 1.203,
 maximum moment M_{max} = 304.33 kN·m/m
 depth of generated position of M_{max} l_m = 0.959 m
 depth of 1st fixed point l_i = 3.021 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction K_s = 18072 kN/m³
 calculated value β = 0.39191 m⁻¹
 resultant earth force (lateral) P₀ = 155.02 kN/m
 height of acting position of load h₀ = 2.75 m
 moment M₀ = 426.55 kN·m/m

in consideration of φ_m = 1.130,
 maximum moment M_{max} = 481.88 kN·m/m
 depth of generated position of M_{max} l_m = 0.783 m
 depth of 1st fixed point l_i = 2.787 m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.88
 Section efficiency μ = 1.00
 Module of section Z₀ = 3250 cm³ (original condition)
 Z = 2860 cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{304.33 \times 10^3}{2860 \times 10^3} = 106 \text{ N/mm}^2 \leq \sigma_a = 185 \text{ N/mm}^2$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{481.88 \times 10^3}{2860 \times 10^3} = 168 \text{ N/mm}^2 \leq \sigma_a = 278 \text{ N/mm}^2$$

6-4 Displacement

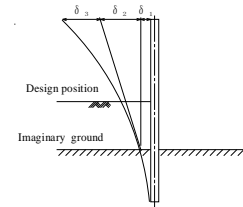
6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-0.45	3.86 3.71	0.963 0.925	0.315 0.296	2.67 4.01
2	0.45-1.45	3.23 2.90	0.805 0.722	0.237 0.198	8.91 15.53
3	1.45-2.20	2.52 2.48	0.628 0.618	0.156 0.152	2.42 2.53
4	2.20-2.45	2.15 1.86	0.535 0.462	0.118 0.090	17.69 22.96
5	2.45-2.60	1.51 1.46	0.377 0.365	0.062 0.058	3.27 3.42
6	2.60-2.70	1.38 1.35	0.344 0.336	0.052 0.050	2.28 2.04
7	2.70-3.45	1.06 0.81	0.265 0.203	0.032 0.019	15.27 6.55
8	3.45-4.01	0.38 0.19	0.094 0.047	0.004 0.001	4.93 0.00
					ΣQ = 13.385

Y : Height from imaginary riverbed to acting position
 α : α = $\frac{Y}{H+L_k}$
 ζ : ζ = $\frac{(3-\alpha) \times \alpha^2}{6}$
 Q : ζ × P
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1+0.3808 \times 2.12) \times 119.17}{2 \times 2.00 \times 10^9 \times 95760 \times 10^{-8} \times 0.3808^3} = 0.01019 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_k) = \frac{(1+2 \times 0.3808 \times 2.12) \times 119.17}{2 \times 2.00 \times 10^9 \times 95760 \times 10^{-8} \times 0.3808^2} \times (2.60+1.41) = 0.02254 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{E I} = \frac{13.38 \times (2.60+1.41)^3}{2.00 \times 10^9 \times 95760 \times 10^{-8}} = 0.00452 \text{ m}$$

Additional displacement δ₄ generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_4' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ₄' is calculated as 0.00065 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.01 m
 Horizontal load: P = 4.70
 Moment: M = 2.96

$$\delta = \delta_1 + \delta_2 + \delta_3 + \delta_4' = 0.01019 + 0.02254 + 0.00452 + 0.00065 = 0.03791 \text{ m} = 37.91 \text{ mm} \leq \delta_a = 50.00 \text{ mm}$$

Where,
 δ₁ : Displacement at imaginary ground
 δ₂ : Displacement by angle of inclination slope at imaginary ground
 δ₃ : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-0.45	4.54 4.39	0.968 0.936	0.317 0.301	3.63 5.12	1.151 1.544
2	0.45-1.45	3.91 3.57	0.833 0.762	0.251 0.217	11.39 18.78	2.853 4.067
3	1.45-2.20	2.99 2.74	0.637 0.584	0.160 0.137	14.10 17.98	2.256 2.470
4	2.20-2.45	2.41 2.32	0.513 0.495	0.109 0.102	5.99 6.12	0.654 0.627
5	2.45-2.60	2.19 2.14	0.467 0.456	0.092 0.088	3.67 3.72	0.338 0.329
6	2.60-3.45	1.81 1.52	0.385 0.325	0.065 0.047	21.11 12.52	1.364 0.589
7	3.45-4.45	0.91 0.57	0.193 0.122	0.017 0.007	14.73 2.85	0.257 0.020
8	4.45-4.69	0.16 0.08	0.034 0.017	0.001 0.000	0.68 0.00	0.000 0.000
$\Sigma Q = 18.519$						

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_k}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

L_k : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

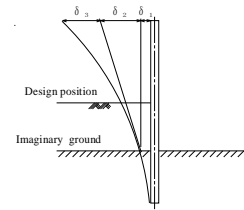
No	Depth (m)	Y (m)	α	ζ	P _{sw} (kN)	Q _{sw} (kN)
1	2.20-2.60	2.36 2.22	0.502 0.474	0.105 0.095	0.00 0.14	0.000 0.013
$\Sigma Q_{sw} = 0.013$						

Therefore, modulus of deformation Q is calculated as below:

$$Q = 18.519 + 0.013 = 18.532$$

L_No.24 pp.29

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.3919 \times 2.75) \times 155.02}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.3919^3} = 0.01397 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_k)$$

$$= \frac{(1 + 2 \times 0.3919 \times 2.75) \times 155.02}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.3919^2} \times (2.60 + 2.09) = 0.03901 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_k)^3}{E I}$$

$$= \frac{18.53 \times (2.60 + 2.09)^3}{2.00 \times 10^8 \times 95760 \times 10^{-8}} = 0.00998 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00259 m in consideration of following values:
Height from imaginary riverbed to top of SSP: L = 4.69 m
Horizontal load: P = 12.50
Moment: M = 6.00

Displacement δ_{3m} of cantilever beam by moment M_m is additionally considered.

$$\delta_{3m} = \frac{M_m \cdot h}{2 E I} \times (2 L - h) \quad (L = 4.69 \text{ m}, h = L - H_s, H_s = 0.80 \text{ m}, h \leq L)$$

$$= \frac{2.80 \times 3.89}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8}} \times (2 \times 4.69 - 3.89) = 0.00016 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01397 + 0.03901 + 0.01272$$

$$= 0.06570 \text{ m}$$

$$= 65.70 \text{ mm} \approx \delta_a = 75.00 \text{ mm}$$

L_No.24 pp.30

Where,

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ : Displacement at top of SSP
- δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below:

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 114000 cm ⁴ (original condition)
	I = 114000 cm ⁴ (after reduction by corrosion and section)
EI = 200000 x 10 ³ x 114000 x 10 ⁻⁸	= 2.280 x 10 ⁷

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_k, penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings:

$$D = L_k + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	$K_b = 16100 \text{ kN/m}^2$
Calculated value	$\beta = 0.36451 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.41 + \frac{3}{0.365} = 9.64 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.64 = 11.84 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	$K_b = 18072 \text{ kN/m}^2$
Calculated value	$\beta = 0.37519 \text{ m}^{-1}$
Penetration length of SSP	$D = 2.09 + \frac{3}{0.375} = 10.09 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 10.09 = 12.29 \text{ m}$

Therefore, whole length of SSP is set as 12.50 m in consideration of round unit of SSP length.

L_No.24 pp.31

8 Calculation Result

		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	114000	
Section modulus	Z (cm ³)	3250	
Maximum bending moment	M _{max} (kN·m/m)		481.88
Stress intensity	σ (N/mm ²)		168 (278)
Lateral displacement	δ (mm)		37.91 (50.0)
Penetration depth	D (m)	12.50	9.64
Whole length of SSP	L (m)		65.70 (75.0)

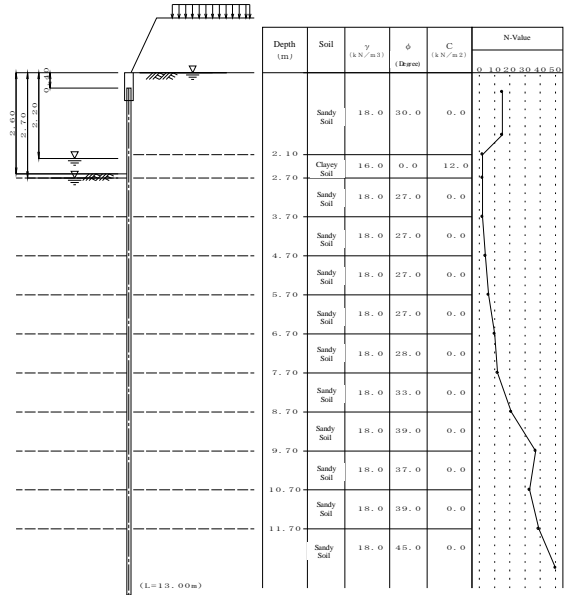
L_No.24 pp.32

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Left Bank No. 25_STA. 16+300 - 16+450



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 R verside WL L_r = 0.00 m (Normal Condition)
 L_r' = 0.00 m (Seismic Condition)
 Landside WL L_l = 2.70 m (Normal Condition)
 L_l' = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

L_No.25 pp.1

L_No.25 pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^{-3}$

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load Pt = 4.7 kNm (Normal Condition)
 Pt' = 12.6 kNm (Seismic Condition)
 Depth of acting point H_t = -0.64 m (Normal Condition)
 H_t' = -0.48 m (Seismic Condition)
 Moment M_m = 0.0 kNm/m (Normal Condition)
 M_m' = 2.9 kNm/m (Seismic Condition)
 Depth of acting point H_m = 0.00 m (Seismic Condition)
 H_m' = 0.80 m (Normal Condition)
 (* Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula K_b = 6910 × N^{0.406}

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	9.70	37
2	1.60	15	12	10.70	35
3	2.10	2	13	11.70	39
4	2.70	2	14	12.70	50
5	3.70	2			
6	4.70	4			
7	5.70	6			
8	6.70	10			
9	7.70	12			
10	8.70	21			

L_No.25 pp.3

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

No	Depth (m)	Soil	N value	γ (kNm ⁻³)	γ' (kNm ⁻³)	φ	C (kNm ⁻²)	a	k'	ζ (degree)		kh(kNm ⁻¹)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	2.70	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
3	3.70	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	4.70	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
5	5.70	S	6.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
6	6.70	S	10.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
7	7.70	S	12.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
8	8.70	S	21.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
9	9.70	S	37.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	—	—
10	10.70	S	35.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
11	11.70	S	39.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	—	—
12	12.70	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

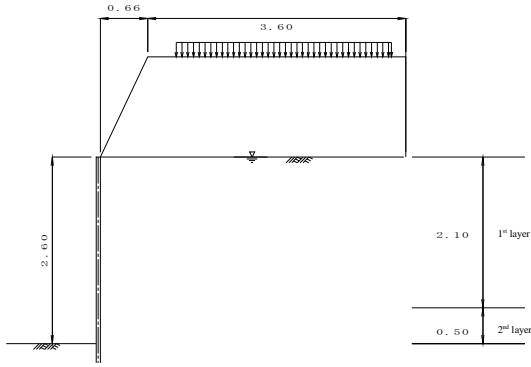
Note) depth : from top of coping to bottom of the layer C_s : soil adhesion
 soil : sandy (S), clayey (C), mixed (M) a : slope of soil adhesion
 N value : average N value in the layer k' : design seismic coefficient (under water)
 γ : wet unit weight of soil ζ : angle of active rupture
 γ' : saturated unit weight of soil kh : modulus of subgrade reaction
 φ : internal friction angle of soil

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

L_No.25 pp.4

1-8 Fin bankment on Landside



Fin bankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.66	4.26	4.26	1.40	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	1.06	4.06	10.0	5.0

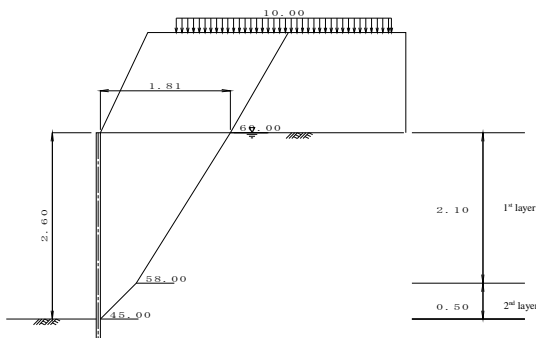
Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Ssd. Sheet Pile (SSP)

Young's modulus	E = 20000 Nmm ⁻²
Inertia sectional moment	I ₀ = 11400cm ⁴
Sectional factor	Z ₀ = 3250 cm ³
Corrosion margin	t _r = 1.00 mm (ri verside) t _s = 1.00 mm (landside)
Corrosion rate (to I ₀)	η = 0.84
Corrosion rate (to Z ₀)	η = 0.88
Section efficiency (to I ₀)	μ = 1.00
Section efficiency (to Z ₀)	μ = 1.00
Round unit of SSP length	0.50 m
Allowable stress	σ_a = 185 Nmm ⁻² (Normal) σ_a' = 278 Nmm ⁻² (Seismic)
Allowable displacement	δ_a = 50.0mm (Normal) δ_a' = 75.0mm (Seismic)
Bending of cantilever beam	calculated as distributed load of each layer
Reduction of material modulus	Reduced I ₀ applied to calculation of lateral coefficient of subgrade reaction Not reduced I ₀ applied to calculation of penetration depth Reduced I ₀ applied to calculation of section forces and displacement Reduced Z ₀ applied to calculation of stresses

2 Calculation of Acting Load
2-1 Normal Condition

2-1-1 Angle of Active Rupture



No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma \times h \times A$ (kN/m)	Angle of rupture Z (degree)
1	2.60- 2.10	Clayey Soil	0.0	9.0	12.0	25.00	34.84	25.48	45.00
2	2.10- 0.00	Sandy Soil	30.0	9.0	0.0	21.00	34.84	20.58	58.00
3		Embankment	30.0	—	0.0	25.20	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = 4 \cdot \tan^{-1} k$ or $\theta = 4 \cdot \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.50	0.00	0.00	0.50	0.50
2	58.00	2.10	0.50	0.50	1.81	2.60
3	60.00	1.40	1.81	2.60	2.62	4.00

Therefore, width of acting load shall be set as 1.81 m

2-1-3 Acting Load by Fin Bankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.64	47.54
Σ			47.54

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.56	15.61
Σ			15.61

Q : surcharge load
l : width of surcharge load set by line of active rupture

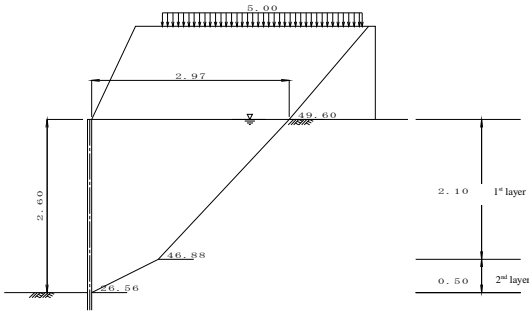
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{47.54 + 15.61 + 0.00}{1.81}$$

$$= 34.84 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m ²)	Σyh (kN/m ²)	Q (kN/m ²)	γhw (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60- 2.10	Clayey Soil	0.0	9.0	12.0	25.00	32.51	25.48	0.200	11.31	26.56
2	2.10- 0.00	Sandy Soil	30.0	9.0	0.0	21.00	32.51	20.58	0.200	11.31	46.88
3		Embankment	30.0		0.0	25.20	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) \cdot \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Where,

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- θ = tan⁻¹ k' or θ = tan⁻¹ k''
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesive force of soil (kNm⁻²)

L_No.25 pp.9

L_No.25 pp.10

2-2-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	26.56	0.50	0.00	0.00	1.00	0.50
2	46.88	2.10	1.00	0.50	2.97	2.60
3	49.60	1.40	2.97	2.60	4.16	4.00

Therefore, width of acting load shall be set as 2.97 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	γ X A (kN/m)
1	18.0	4.53	81.46
Σ			81.46

γ : unit weight of embankment soil

A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	3.00	15.00
Σ			15.00

Q : surcharge load

l : width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

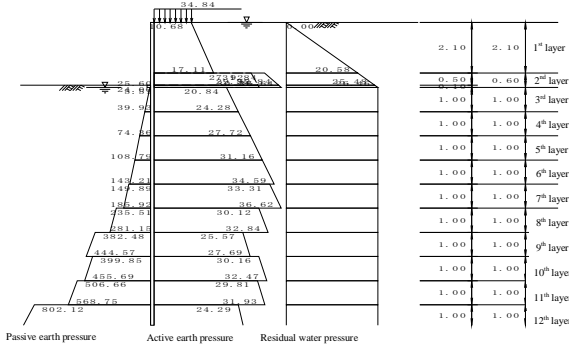
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{81.46 + 15.00 + 0.00}{2.97}$$

$$= 32.51 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σyh+Q (kN/m ²)	Ka	Ka × cos δ
1	0.00- 2.10	Sandy soil	10.0	30.0	34.842	0.31026	0.30644
2	2.10- 2.60	Clayey soil	8.0	12.0	55.842	0.34800	0.34371
3	2.60- 2.70	Clayey soil	8.0	12.0	59.842	0.34800	0.34371
4	2.70- 3.70	Sandy soil	10.0	27.0	60.642	0.34800	0.34371
5	3.70- 4.70	Sandy soil	10.0	27.0	70.642	0.34800	0.34371
6	4.70- 5.70	Sandy soil	10.0	27.0	80.642	0.34800	0.34371
7	5.70- 6.70	Sandy soil	10.0	27.0	90.642	0.34800	0.34371
8	6.70- 7.70	Sandy soil	10.0	28.0	100.642	0.33906	0.33993
9	7.70- 8.70	Sandy soil	10.0	33.0	110.642	0.27561	0.27222
10	8.70- 9.70	Sandy soil	10.0	39.0	120.642	0.21458	0.21193
11	9.70- 10.70	Sandy soil	10.0	37.0	130.642	0.23377	0.23889
12	10.70- 11.70	Sandy soil	10.0	39.0	140.642	0.21458	0.21193
13	11.70- 12.70	Sandy soil	10.0	45.0	150.642	0.16323	0.16122

L_No.25 pp.11

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σyh+Q (kN/m ²)	Kp	Kp × cos δ
3	2.60- 2.70	Clayey soil	16.0	12.0	0.000	1.600	—
4	2.70- 3.70	Sandy soil	10.0	27.0	1.600	3.48553	3.44261
5	3.70- 4.70	Sandy soil	10.0	27.0	11.600	3.48553	3.44261
6	4.70- 5.70	Sandy soil	10.0	27.0	21.600	3.48553	3.44261
7	5.70- 6.70	Sandy soil	10.0	27.0	31.600	3.48553	3.44261
8	6.70- 7.70	Sandy soil	10.0	28.0	41.600	3.64796	3.60305
9	7.70- 8.70	Sandy soil	10.0	33.0	51.600	4.62104	4.56415
10	8.70- 9.70	Sandy soil	10.0	39.0	61.600	6.28642	6.20903
11	9.70- 10.70	Sandy soil	10.0	37.0	71.600	5.65410	5.58449
12	10.70- 11.70	Sandy soil	10.0	39.0	81.600	6.28642	6.20903
13	11.70- 12.70	Sandy soil	10.0	45.0	91.600	8.86593	8.75678

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure Pw (kN/m ²)	Passive side Pp (kN/m ²)
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1	0.00- 2.10	10.68	17.11	0.00	20.58
2	2.10- 2.60	31.84	27.92	31.84	25.48
3	2.60- 2.70	35.84	29.92	35.84	25.48
4	2.70- 3.70	36.64	30.32	36.64	26.46
5	3.70- 4.70	20.84	24.28	20.84	26.46
6	4.70- 5.70	20.84	24.28	20.84	26.46
7	5.70- 6.70	20.84	24.28	20.84	26.46
8	6.70- 7.70	20.84	24.28	20.84	26.46
9	7.70- 8.70	20.84	24.28	20.84	26.46
10	8.70- 9.70	20.84	24.28	20.84	26.46
11	9.70- 10.70	20.84	24.28	20.84	26.46
12	10.70- 11.70	20.84	24.28	20.84	26.46
13	11.70- 12.70	20.84	24.28	20.84	26.46

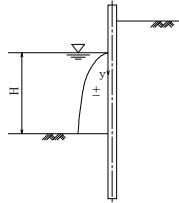
L_No.25 pp.12

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	Pw (kNm ²)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

$$p_{dw} = \pm \frac{7}{8} k_{dw} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

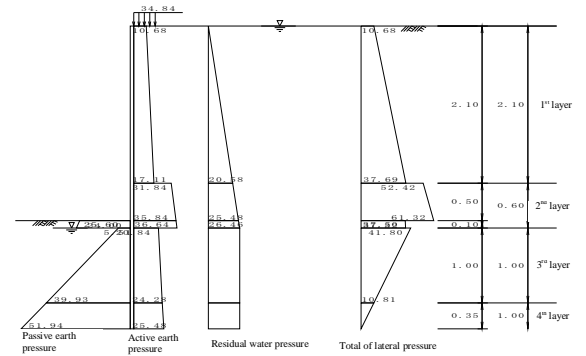
Where:
 k_{dw} : design seismic coefficient
 γ_w : unit weight of water
 H : water depth of riverside
 y : depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L_i is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

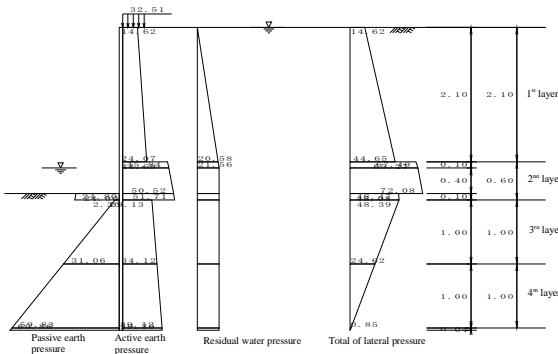


Depth (m)	P _a (kNm ²)	P _w (kNm ²)	P _p (kNm ²)	P _s (kNm ²)
1 0.00-2.10	10.68 17.11	0.00 20.58	— —	10.68 37.69
2 2.10-2.60	31.84 35.84	20.58 25.48	— —	52.42 61.32
3 2.60-2.70	35.84 36.64	25.48 26.46	24.00 25.60	37.32 37.50
4 2.70-3.70	20.84 24.28	26.46 26.46	5.51 39.93	41.80 10.81
5 3.70-4.05	24.28 25.48	26.46 26.46	39.93 51.94	10.81 0.00
6 4.05-4.70	25.48 27.72	26.46 26.46	51.94 74.36	0.00 -20.18

P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 P_s: Lateral pressure P_s = P_a + P_w - P_p

Tentative imaginary riverbed L_i: 1.45 m (GL -4.05 m)

4-2 Seismic Condition



Depth (m)	P _a (kNm ²)	P _w (kNm ²)	P _p (kNm ²)	P _s (kNm ²)
1 0.00-2.10	14.62 24.07	0.00 20.58	— —	14.62 44.65
2 2.10-2.20	44.69 45.84	20.58 21.56	— —	65.27 67.40
3 2.20-2.60	45.84 50.52	21.56 21.56	— —	67.40 72.08
4 2.60-2.70	50.52 51.71	21.56 21.56	24.00 24.80	48.08 48.47
5 2.70-3.70	29.13 34.12	21.56 21.56	2.30 31.06	48.39 24.62
6 3.70-4.70	34.12 39.12	21.56 21.56	31.06 59.83	24.62 0.85
7 4.70-4.74	39.12 39.30	21.56 21.56	59.83 60.86	0.85 0.00
8 4.74-5.70	39.30 44.11	21.56 21.56	60.86 88.59	0.00 -22.92

P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 P_s: Lateral pressure P_s = P_a + P_w - P_p

Tentative imaginary riverbed L_i: 2.14 m (GL -4.74 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width B = 1.0000 m
 Corrosion margin t_v = 1.00 mm (active side) t_p = 1.00 mm (passive side)
 Corrosion rate η = 0.84
 Section efficiency μ = 1.00
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 114000 cm⁴ (original condition)
 I = 95760 cm⁴ (after reduction by corrosion on and section)
 Inertia sectional moment EI = 200000 x 10³ x 95760 x 10⁻⁸ = 1.915 x 10⁷

Depth (m)	N-value	Depth (m)	N-value
1	0.50	11	9.70
2	1.60	12	10.70
3	2.10	13	11.70
4	2.70	14	12.70
5	3.70		
6	4.70		
7	5.70		
8	6.70		
9	7.70		
10	8.70		

5-2 Normal Condition

K_s = 14131 kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.369 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.71 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -4.05 m) to 2.71 m depth (GL -6.76 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	4.05	0.65	2.7	4.0
2	4.70	1.00	4.0	6.0
3	5.70	1.00	6.0	10.0
4	6.70	0.06	10.0	10.1
L = 2h = 2.71		ΣA = 15.81		

A (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L}$$

$$= \frac{15.81}{2.71}$$

$$= 5.82$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N'^{0.999} = 6910 \times 5.82^{0.999} = 14131 \text{ kN/m}^3$$

$$K_h \text{ (normal condition)} = 14131 \text{ kNm}^{-3}$$

5-3 Seismic Condition

$K_h = 15746 \text{ kNm}^{-3}$ is set tentatively.

$$\beta = \sqrt[4]{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.379 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.64 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -4.74 m) to 2.64 m depth (GL -7.38 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	4.74-2.10	0.96	4.1	4.86
2	5.70-2.20	1.00	6.0	8.00
3	6.70-2.60	0.68	10.0	7.23
L = 2h = 2.64		ΣA = 20.08		

$$A \text{ (upper N-value + lower N-value)} \times h/2$$

$$\text{Average N-value } N' = \frac{\Sigma A}{L}$$

$$= \frac{20.08}{2.64}$$

$$= 7.60$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following:

$$K_h = 6910 \times N'^{0.999} = 6910 \times 7.60^{0.999} = 15746 \text{ kN/m}^3$$

$$K_h \text{ (seismic condition)} = 15746 \text{ kNm}^{-3}$$

L_No 25 pp 21

6-1-2 Seismic Condition

No	Depth Z (m)	Thickness h (m)	Lateral load P ₀ (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	2.10	14.62	15.36	4.04	61.97
			44.65	46.88	3.34	156.40
2	2.10-2.20	0.10	65.27	3.26	2.60	8.49
			67.40	3.37	2.57	8.66
3	2.20-2.60	0.40	67.40	13.48	2.40	32.39
			72.08	14.42	2.27	33.71
4	2.60-2.70	0.10	48.08	2.40	2.10	5.05
			48.47	2.42	2.07	5.01
5	2.70-3.70	1.00	48.39	24.19	1.70	41.19
			24.62	12.31	1.57	16.85
6	3.70-4.70	1.00	24.62	12.31	0.70	8.65
			0.85	0.43	0.37	0.16
7	4.70-4.74	0.04	0.85	0.02	0.02	0.00
			0.00	0.00	0.01	0.00
			ΣP = 150.85			ΣM = 377.53

P_0 : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_0 \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_0 = 12.6 \text{ kNm}$
 depth to acting position $H = -0.48 \text{ m}$
 moment $M_m = 2.9 \text{ kNm/m}$
 depth to acting position $H_m = 0.80 \text{ m}$
 Height from riverbed to top of coping $H = 2.60 \text{ m}$
 Depth of imaginary riverbed from riverbed $L_s = 2.14 \text{ m}$

Moment M_0 by arbitrary load is as below
 $M_0 = P_0 \cdot (H + L_s - H) + M_m = 68.62 \text{ kN-m}$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _{0w} (kNm ²)	Load P _w (kN)	Arm length Y (m)	Moment M _{0w} (kNm)
1	2.20-2.60	0.40	0.0	0.00	2.40	0.00
			0.7	0.14	2.27	0.31
			ΣP _{0w} = 0.14			ΣM _{0w} = 0.31

h_0 Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_1 + \Sigma M_{0w}}{\Sigma P + P_1 + \Sigma P_{0w}}$$

$$= \frac{446.46}{163.59} = 2.73 \text{ m}$$

6 Sectional Force and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Position h_0

6-1-1 Normal Condition

	Depth Z (m)	Thickness h (m)	Total of lateral force P ₀ (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	2.10	10.68	11.21	3.35	37.54
			37.69	39.58	2.65	104.83
2	2.10-2.60	0.50	52.42	13.11	1.78	23.35
			61.32	15.33	1.62	24.76
3	2.60-2.70	0.10	37.32	1.87	1.42	2.64
			37.50	1.88	1.38	2.59
4	2.70-3.70	1.00	41.80	20.90	1.02	21.22
			10.81	5.40	0.68	3.69
5	3.70-4.05	0.35	10.81	1.88	0.23	0.44
			0.00	0.00	0.12	0.00
			ΣP = 111.15			ΣM = 221.07

P_0 : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_0 \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_0 = 4.7 \text{ kNm}$
 depth to acting position $H = -0.64 \text{ m}$
 moment $M_m = 0.0 \text{ kNm-m}$
 depth to acting position $H_m = 0.00 \text{ m}$
 Height from riverbed to top of coping $H = 2.60 \text{ m}$
 Depth of imaginary riverbed from riverbed $L_s = 1.45 \text{ m}$

Moment M_0 by arbitrary load is as below

$$M_0 = P_0 \cdot (H + L_s - H) + M_m = 22.04 \text{ kN-m}$$

h_0 Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_1}{\Sigma P + P_1}$$

$$= \frac{243.10}{115.85} = 2.10 \text{ m}$$

L_No 25 pp 22

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as following:

Unit width $B = 1.000 \text{ m}$
 Corrosion margin $t_s = 1.00 \text{ mm}$ (active side) $t_r = 1.00 \text{ mm}$ (passive side)
 Corrosion rate $\eta = 0.84$
 Section efficiency $\mu = 1.00$
 Young's modulus $E = 200000 \text{ Nmm}^{-2}$
 Inertia sectional moment $I_0 = 114000 \text{ cm}^4$ (original condition)
 $I = 95760 \text{ cm}^4$ (after reduction by corrosion and section)
 $EI = 200000 \times 10^3 \times 95760 \times 10^8 = 1.915 \times 10^8$

$$\beta = \sqrt[4]{\frac{K_h \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$l_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_h = 14131 \text{ kNm}^{-3}$
 resultant earth force (lateral) $P_0 = 0.36853 \text{ m}^{-1}$
 height of acting position of load $h_0 = 115.85 \text{ kNm}$
 moment $M_0 = 2.10 \text{ m}$
 $M_0 = 243.10 \text{ kNm-m}$

in consideration of $\psi_{0w} = 1.217$, maximum moment $M_{max} = 295.80 \text{ kNm-m}$
 depth of generated position of M_{max} $l_m = 1.015 \text{ m}$
 depth of 1° fixed point $l_i = 3.146 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_h = 15746 \text{ kNm}^{-3}$
 resultant earth force (lateral) $P_0 = 0.37864 \text{ m}^{-1}$
 height of acting position of load $h_0 = 163.59 \text{ kNm}$
 moment $M_0 = 2.73 \text{ m}$
 $M_0 = 446.46 \text{ kNm-m}$

in consideration of $\psi_{0w} = 1.139$, maximum moment $M_{max} = 508.42 \text{ kNm-m}$
 depth of generated position of M_{max} $l_m = 0.832 \text{ m}$
 depth of 1° fixed point $l_i = 2.907 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin	t _c	=	1.00 mm (active side)	t _r =1.00 mm (russive side)
Corrosion rate	n	=	0.88	
Section efficiency	u	=	1.00	
Module of section	Z _o	=	3250 cm ³ (original condition)	
	Z	=	2860 cm ³ (after reduction by corrosion and section)	

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{295.80 \times 10^6}{2860 \times 10^3} = 103 \text{ N/mm}^2 \leq \sigma_a = 185 \text{ N/mm}^2$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{508.42 \times 10^6}{2860 \times 10^3} = 178 \text{ N/mm}^2 \leq \sigma_a = 278 \text{ N/mm}^2$$

6-4 Displacement

6-4-1 Normal Condition

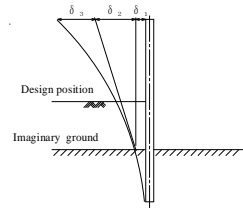
Modules of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	3.35 2.65	0.827 0.654	0.248 0.167	11.21 39.58	2.777 6.622
2	2.10-2.60	1.78 1.62	0.440 0.399	0.083 0.069	13.11 15.33	1.083 1.088
3	2.60-2.70	1.42 1.38	0.350 0.341	0.054 0.052	1.87 1.88	0.101 0.097
4	2.70-3.70	1.02 0.68	0.251 0.168	0.029 0.013	20.90 5.40	0.602 0.072
5	3.70-4.05	0.23 0.12	0.057 0.029	0.002 0.000	1.88 0.00	0.013 0.000
$\Sigma Q = 12.416$						

Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_i}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_i : Depth from design position to imaginary ground

L_No. 25 pp.25

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^2} = \frac{(1+0.3685 \times 2.10) \times 115.85}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.3685^2} = 0.01072 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_i) = \frac{(1+2 \times 0.3685 \times 2.10) \times 115.85}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.3685^2} \times (2.60+1.45) = 0.02296 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_i)^3}{E I} = \frac{12.42 \times (2.60+1.45)^3}{2.00 \times 10^8 \times 95760 \times 10^{-8}} = 0.00430 \text{ m}$$

Additional displacement δ'_1 generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta'_1 = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ'_1 is calculated as 0.00067 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.05 m
 Horizontal load: P = 4.70
 Moment: M = 3.01

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.01072 + 0.02296 + 0.00497 = 0.03865 \text{ m} = 38.65 \leq \delta_a = 50.00 \text{ mm}$$

Where:
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ' : Displacement at top of SSP
 δ_a : Allowable displacement

L_No. 25 pp.26

6-4-2 Seismic Condition

Modules of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	4.04 3.34	0.852 0.704	0.260 0.190	15.36 46.88	3.992 8.900
2	2.10-2.20	2.60 2.57	0.550 0.542	0.123 0.121	3.26 3.37	0.402 0.406
3	2.20-2.60	2.40 2.27	0.507 0.479	0.107 0.096	13.48 14.42	1.441 1.391
4	2.60-2.70	2.10 2.07	0.444 0.437	0.084 0.082	2.40 2.42	0.302 0.198
5	2.70-3.70	1.70 1.37	0.359 0.289	0.057 0.038	24.19 12.31	1.376 0.465
6	3.70-4.70	0.70 0.37	0.148 0.078	0.010 0.003	12.31 0.43	0.129 0.001
7	4.70-4.74	0.02 0.01	0.005 0.003	0.000 0.000	0.02 0.00	0.000 0.000
$\Sigma Q = 18.903$						

Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_i}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_i : Depth from design position to imaginary ground

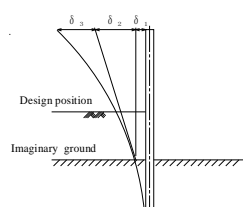
Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _{eq} (kN)	Q _{eq} (kN)
1	2.20-2.60	2.40 2.27	0.507 0.479	0.107 0.096	0.00 0.14	0.000 0.013
$\Sigma Q_{eq} = 0.013$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 18.903 + 0.013 = 18.916$

L_No. 25 pp.27

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^2} = \frac{(1+0.3786 \times 2.73) \times 163.59}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.3786^2} = 0.01600 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_i) = \frac{(1+2 \times 0.3786 \times 2.73) \times 163.59}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.3786^2} \times (2.60+2.14) = 0.04326 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_i)^3}{E I} = \frac{18.92 \times (2.60+2.14)^3}{2.00 \times 10^8 \times 95760 \times 10^{-8}} = 0.01049 \text{ m}$$

Additional displacement δ'_1 generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta'_1 = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ'_1 is calculated as 0.00268 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.74 m
 Horizontal load: P = 12.60
 Moment: M = 6.05

Displacement δ_{3a} of cantilever beam by moment M_{3a} is additionally considered

$$\delta_{3a} = \frac{M_{3a} \cdot h}{2 E I} \times (2L-h) \quad (L=4.74 \text{ m}, h=L-H_{3a}, H_{3a}=0.80 \text{ m}, h \leq L)$$

$$= \frac{2.90 \times 3.94}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8}} \times (2 \times 4.74 - 3.94) = 0.00016 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.01600 + 0.04326 + 0.01334 = 0.07260 \text{ m} = 72.60 \leq \delta_a = 75.00 \text{ mm}$$

Where:
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ' : Displacement at top of SSP
 δ_a : Allowable displacement

L_No. 25 pp.28

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Younge's modulus	E = 200000 Nmm ²
Inertia sectional moment	I ₀ = 114000 cm ⁴ (original condition)
	I = 114000 cm ⁴ (after reduction by corrosion and section)
H	= 200000 x 10 ³ x 114000 x 10 ⁻⁸ = 2.280 x 10 ⁵

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L₀ penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = \sqrt[4]{\frac{K_0 \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	K ₀ = 14131 kN/m ³
Calculated value	$\beta = 0.35282 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.45 + \frac{3}{0.353} = 9.95 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.95 = 12.15 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	K ₀ = 15746 kN/m ³
Calculated value	$\beta = 0.36249 \text{ m}^{-1}$
Penetration length of SSP	$D = 2.14 + \frac{3}{0.362} = 10.41 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 10.41 = 12.61 \text{ m}$

Therefore, whole length of SSP is set as 13.00 m in consideration of round unit of SSP length

8 Calculation Result

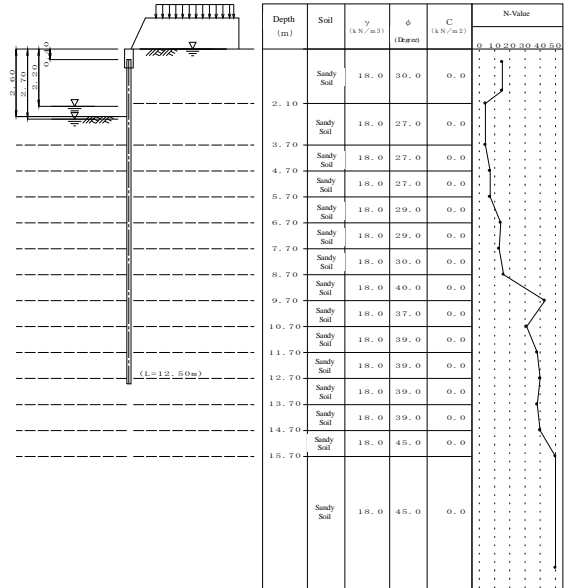
		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	114000	
Section radius	Z (cm)	3250	
Maximum bending moment	M _{max} (kNm/m)	295.80	508.42
Stress intensity	σ (N/mm ²)	103 (185)	178 (276)
Lateral displacement	δ (mm)	38.65 (50.0)	72.49 (75.0)
Penetration depth	D (m)	9.95	10.41
Whole length of SSP	L (m)	13.00	

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Left Bank No. 26_STA. 16+450 - 16+552



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 R versus WL L_r = 0.00 m (Normal Condition)
 L_r' = 0.00 m (Seismic Condition)
 Landside WL L_l = 2.70 m (Normal Condition)
 L_l' = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

L_No.26 pp 1

L_No.26 pp 2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^{-3}$

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load
 R = 3.8 kNm (Normal Condition)
 R' = 11.1 kNm (Seismic Condition)
 Depth of acting point H = -0.56 m (Normal Condition)
 H' = -0.41 m (Seismic Condition)
 Moment M_m = 0.0 kNm/m (Normal Condition)
 M_m' = 0.4 kNm/m (Seismic Condition)
 Depth of acting point H_m = 0.00m (Seismic Condition)
 H_m = 0.80m (Normal Condition)
 (* 'Depth' means distance from top of coping)

Wind load Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_s = 6910 \times N'^{0.406}$

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.50	15	11	10.70	31
2	1.60	15	12	11.70	38
3	2.10	4	13	12.70	40
4	3.70	4	14	13.70	38
5	4.70	7	15	14.70	40
6	5.70	7	16	15.70	50
7	6.70	14	17	21.00	50
8	7.70	13			
9	8.70	16			
10	9.70	43			

L_No.26 pp 3

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

No	Depth (m)	Soil	N-value	γ (kNm ⁻³)	γ' (kNm ⁻³)	φ	C (kNm ⁻²)	a	k'	ζ (degree)		kh (kNm ⁻¹)	
										normal	seismic	normal	seismic
1	2.10	S	15	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	3.70	S	4	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
3	4.70	S	7	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	5.70	S	7	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
5	6.70	S	14	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	—	—
6	7.70	S	13	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	—	—
7	8.70	S	16	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
8	9.70	S	43	18.00	10.00	40.0	0.0	0.0	0.200	auto	auto	—	—
9	10.70	S	31	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
10	11.70	S	38	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	—	—
11	12.70	S	40	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	—	—
12	13.70	S	38	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	—	—
13	14.70	S	40	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	—	—
14	15.70	S	50	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—
15	21.00	S	50	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

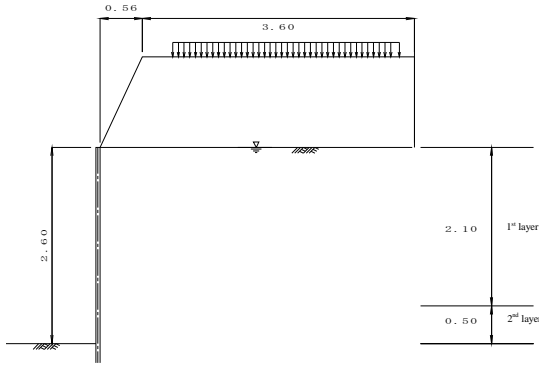
Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (O), mixed (M)
 N value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal & Seismic	
	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

L_No.26 pp 4

1-8 Fin bankment on Landside



Fin bankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.56	4.16	4.16	1.20	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	0.96	3.96	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I ₀ = 114000 cm ⁴
Sectional factor	Z ₀ = 3250 cm ³
Corrosion margin	t _r = 1.00 mm (ri verside) t _s = 1.00 mm (landside)
Corrosion rate (to I ₀)	η = 0.84
Corrosion rate (to Z ₀)	η = 0.87
Section efficiency (to I ₀)	μ = 1.00
Section efficiency (to Z ₀)	μ = 1.00

Round unit of SSP length 0.50 m

Allowable stress σ_a = 185 Nmm² (Normal)
 σ_a' = 278 Nmm² (Seismic)

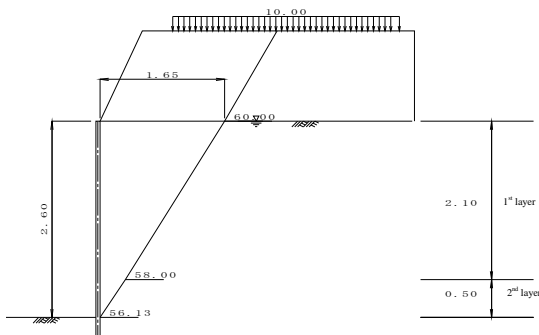
Allowable displacement δ_a = 50.0mm (Normal)
 δ_a' = 75.0mm (Seismic)

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus
 Reduced I₀ applied to calculation of lateral coefficient of subgrade reaction
 Not reduced I₀ applied to calculation of penetration depth
 Reduced I₀ applied to calculation of section forces and displacement
 Reduced Z₀ applied to calculation of stresses

2 Calculation of Acting Load

2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma \times h \times w$ (kN/m ²)	Angle of rupture Z (degree)
1	2.60- 2.10	Sandy Soil	27.0	9.0	0.0	26.00	30.85	25.48	56.13
2	2.10- 0.00	Sandy Soil	30.0	9.0	0.0	21.00	30.85	20.58	58.00
3		Embankment	30.0	—	0.0	21.60	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.0^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WD)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	56.13	0.50	0.00	0.00	0.34	0.50
2	58.00	2.10	0.34	0.50	1.65	2.60
3	60.00	1.20	1.65	2.60	2.34	3.80

Therefore, width of acting load shall be set as 1.65 m

2-1-3 Acting Load by Fin bankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.06	37.03
Σ			37.03

γ : unit weight of embankment soil

A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.38	13.81
Σ			13.81

Q : surcharge load

l : width of surcharge load set by line of active rupture

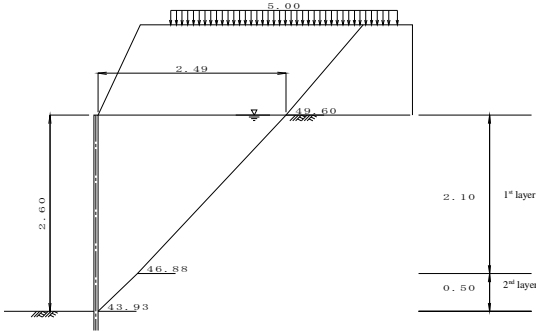
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{37.03 + 13.81 + 0.00}{1.65}$$

$$= 30.85 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.93	0.50	0.00	0.00	0.52	0.50
2	46.88	2.10	0.52	0.50	2.49	2.60
3	49.60	1.20	2.49	2.60	3.51	3.80

Therefore, width of acting load shall be set as 2.49 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	3.26	58.67
Σ			58.67

γ : unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q x l (kN/m)
1	5.0	2.55	12.73
Σ			12.73

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{58.67 + 12.73 + 0.00}{2.49}$$

$$= 28.73 \text{ kN/m}^2$$

2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{sub} (kN/m ²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60- 2.10	Sandy Soil	27.0	9.0	0.0	26.00	28.73	25.48	0.200	11.31	43.93
2	2.10- 0.00	Sandy Soil	30.0	9.0	0.0	21.00	28.73	20.58	0.200	11.31	46.88
3		Embankment	30.0	—	0.0	21.60	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\phi + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

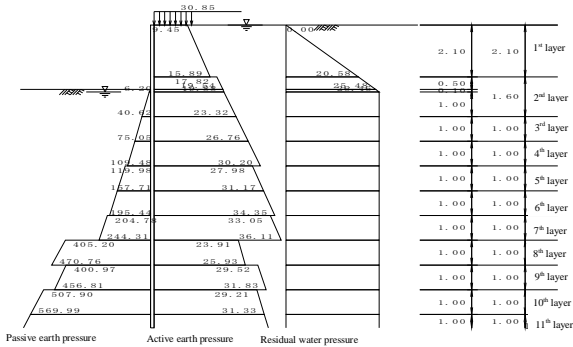
$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Where:

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h: thickness of layer (m)
- Q: surcharge load (kN/m²)
- C: cohesive force of soil (kN/m²)

3 Lateral Pressure

3-1 Normal Condition



Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_0$ (kN/m ²)	K_p	$K_p \times \cos \delta$
13	11.70- 12.70	Sandy soil	10.0	39.0	—	147.849	0.21458
14	12.70- 13.70	Sandy soil	10.0	39.0	—	157.849	0.21458
15	13.70- 14.70	Sandy soil	10.0	39.0	—	167.849	0.21458
16	14.70- 15.70	Sandy soil	10.0	45.0	—	177.849	0.16323
17	15.70- 20.00	Sandy soil	10.0	45.0	—	230.849	0.16323

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_0$ (kN/m ²)	K_p	$K_p \times \cos \delta$
3	2.60- 2.70	Sandy soil	18.0	27.0	—	0.000	3.44261
4	2.70- 3.70	Sandy soil	10.0	27.0	—	1.800	3.44261
5	3.70- 4.70	Sandy soil	10.0	27.0	—	11.800	3.44261
6	4.70- 5.70	Sandy soil	10.0	27.0	—	21.800	3.44261
7	5.70- 6.70	Sandy soil	10.0	29.0	—	31.800	3.44261
8	6.70- 7.70	Sandy soil	10.0	29.0	—	41.800	3.44261
9	7.70- 8.70	Sandy soil	10.0	30.0	—	51.800	3.44261
10	8.70- 9.70	Sandy soil	10.0	40.0	—	61.800	3.44261
11	9.70- 10.70	Sandy soil	10.0	37.0	—	71.800	3.44261
12	10.70- 11.70	Sandy soil	10.0	39.0	—	81.800	3.44261
13	11.70- 12.70	Sandy soil	10.0	39.0	—	91.800	3.44261
14	12.70- 13.70	Sandy soil	10.0	39.0	—	101.800	3.44261
15	13.70- 14.70	Sandy soil	10.0	39.0	—	111.800	3.44261

3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_0$ (kN/m ²)	K_a	$K_a \times \cos \delta$
1	0.00- 2.10	Sandy soil	10.0	30.0	—	30.849	0.30644
2	2.10- 2.60	Sandy soil	10.0	27.0	—	51.849	0.34371
3	2.60- 2.70	Sandy soil	10.0	27.0	—	56.849	0.34371
4	2.70- 3.70	Sandy soil	10.0	27.0	—	67.849	0.34371
5	3.70- 4.70	Sandy soil	10.0	27.0	—	77.849	0.34371
6	4.70- 5.70	Sandy soil	10.0	27.0	—	87.849	0.34371
7	5.70- 6.70	Sandy soil	10.0	29.0	—	97.849	0.31851
8	6.70- 7.70	Sandy soil	10.0	29.0	—	107.849	0.31851
9	7.70- 8.70	Sandy soil	10.0	30.0	—	117.849	0.30644
10	8.70- 9.70	Sandy soil	10.0	40.0	—	127.849	0.20285
11	9.70- 10.70	Sandy soil	10.0	37.0	—	137.849	0.23889
12	10.70- 11.70	Sandy soil	10.0	39.0	—	147.849	0.2193

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Qp (kNm ⁻²)	Kp	Kp × cosδ
16 14.70-15.70	Sandy soil	10.0	45.0	---	121.800 131.800	8 86593 8 86593	8 75678 8 75678
17 15.70-20.00	Sandy soil	10.0	45.0	---	131.800 174.800	8 86593 8 86593	8 75678 8 75678

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below
 δ= -9.0q β= 0.00, θ= 0.00

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure Pw (kNm ⁻²)	Passive side Pp (kNm ⁻²)
	Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa3 (kNm ⁻²)		
1 0.00-2.10	9.45 15.89	---	9.45 15.89	0.00 20.58	---
2 2.10-2.60	17.82 19.54	---	17.82 19.54	20.58 25.48	---
3 2.60-2.70	19.54 19.88	---	19.54 19.88	25.48 26.46	0.00 6.20
4 2.70-3.70	19.88 23.32	---	19.88 23.32	26.46 40.62	6.20 40.62
5 3.70-4.70	23.32 26.76	---	23.32 26.76	40.62 75.05	40.62 75.05
6 4.70-5.70	26.76 30.20	---	26.76 30.20	75.05 109.48	75.05 109.48
7 5.70-6.70	27.98 31.17	---	27.98 31.17	26.46 157.71	119.98 157.71
8 6.70-7.70	31.17 34.35	---	31.17 34.35	26.46 195.44	157.71 195.44
9 7.70-8.70	33.06 36.11	---	33.06 36.11	26.46 244.31	204.78 244.31
10 8.70-9.70	23.91 25.93	---	23.91 25.93	26.46 405.20	405.20 470.76
11 9.70-10.70	29.52 31.83	---	29.52 31.83	26.46 454.81	400.97 454.81
12 10.70-11.70	29.21 31.33	---	29.21 31.33	26.46 497.90	450.90 497.90
13 11.70-12.70	31.33 33.45	---	31.33 33.45	26.46 569.99	497.90 652.08
14 12.70-13.70	33.45 35.57	---	33.45 35.57	26.46 694.17	652.08 694.17
15 13.70-14.70	35.57 37.69	---	35.57 37.69	26.46 756.20	694.17 756.20
16 14.70-15.70	28.67 30.29	---	28.67 30.29	26.46 1066.58	1066.58 1154.14
17 15.70-20.00	30.29 37.22	---	30.29 37.22	26.46 1530.68	1154.14 1530.68

- Formula for active earth pressure

$$\text{Sandy soil } P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$$

$$\text{Clayey soil } P_{a1} = \Sigma \gamma h + Q - 2C$$

$$P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$$

Ka : Equilibrium coefficient of compression; 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

$$\text{Mixed soil } P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$$

L_No 26 pp 13

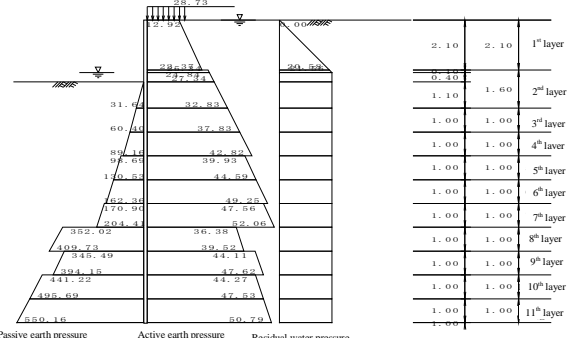
- Formula for passive earth pressure

$$\text{Sandy soil } P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$$

$$\text{Clayey soil } P_p = \Sigma \gamma h + Q + 2C$$

$$\text{Mixed soil } P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Q (kNm ⁻²)	γwbw (kNm ⁻²)	k (k)	θ (degree)	Ka	Ka × cosδ	θ (degree)
1 0.00-2.10	Sandy Soil	10.0	30.0	---	26.73 49.73	0.00 20.58	0.200 0.200	11.31	0.45543	0.44982	---
2 2.10-2.20	Sandy Soil	10.0	27.0	---	49.73 50.73	20.58 21.56	0.200 0.200	11.31	0.50574	0.49951	---
3 2.20-2.60	Sandy Soil	10.0	27.0	---	50.73 54.73	21.56 25.48	0.200 0.200	11.31	0.50574	0.49951	---
4 2.60-3.70	Sandy Soil	10.0	27.0	---	54.73 65.73	25.48 36.26	0.200 0.200	11.31	0.50574	0.49951	---
5 3.70-4.70	Sandy Soil	10.0	27.0	---	65.73 75.73	36.26 46.06	0.200 0.200	11.31	0.50574	0.49951	---
6 4.70-5.70	Sandy Soil	10.0	27.0	---	75.73 85.73	46.06 55.86	0.200 0.200	11.31	0.50574	0.49951	---
7 5.70-6.70	Sandy Soil	10.0	29.0	---	85.73 95.73	55.86 65.66	0.200 0.200	11.31	0.47163	0.46582	---
8 6.70-7.70	Sandy Soil	10.0	29.0	---	95.73 105.73	65.66 75.46	0.200 0.200	11.31	0.47163	0.46582	---
9 7.70-8.70	Sandy Soil	10.0	30.0	---	105.73 115.73	75.46 85.26	0.200 0.200	11.31	0.45543	0.44982	---
10 8.70-9.70	Sandy Soil	10.0	40.0	---	115.73 125.73	85.26 95.06	0.200 0.200	11.31	0.31824	0.31432	---

L_No 26 pp 14

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Q (kNm ⁻²)	γwbw (kNm ⁻²)	k (k)	θ (degree)	Ka	Ka × cosδ	θ (degree)
11 9.70-10.70	Sandy Soil	10.0	37.0	---	125.73 135.73	95.06 104.86	0.200 0.200	11.31	0.35524	0.35087	---
12 10.70-11.70	Sandy Soil	10.0	39.0	---	135.73 145.73	104.86 114.66	0.200 0.200	11.31	0.33023	0.32616	---
13 11.70-12.70	Sandy Soil	10.0	39.0	---	145.73 155.73	114.66 124.46	0.200 0.200	11.31	0.33023	0.32616	---
14 12.70-13.70	Sandy Soil	10.0	39.0	---	155.73 165.73	124.46 134.26	0.200 0.200	11.31	0.33023	0.32616	---
15 13.70-14.70	Sandy Soil	10.0	39.0	---	165.73 175.73	134.26 144.06	0.200 0.200	11.31	0.33023	0.32616	---
16 14.70-15.70	Sandy Soil	10.0	45.0	---	175.73 185.73	144.06 153.86	0.200 0.200	11.31	0.26304	0.25980	---
17 15.70-20.00	Sandy Soil	10.0	45.0	---	185.73 228.73	153.86 196.00	0.200 0.200	11.31	0.26304	0.25980	---

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below
 δ= 9.0Q β= 0.0Q θ= tan k

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of dayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Qp (kNm ⁻²)	γwbw (kNm ⁻²)	k (k)	θ (degree)	Kp	Kp × cosδ
4 2.60-3.70	Sandy Soil	10.0	27.0	---	0.00 11.00	0.00 10.78	0.200 0.200	11.31	2.91211	2.87626
5 3.70-4.70	Sandy Soil	10.0	27.0	---	11.00 21.00	10.78 20.58	0.200 0.200	11.31	2.91211	2.87626
6 4.70-5.70	Sandy Soil	10.0	27.0	---	21.00 31.00	20.58 30.38	0.200 0.200	11.31	2.91211	2.87626
7 5.70-6.70	Sandy Soil	10.0	29.0	---	31.00 41.00	30.38 40.18	0.200 0.200	11.31	3.22324	3.18356
8 6.70-7.70	Sandy Soil	10.0	29.0	---	41.00 51.00	40.18 49.98	0.200 0.200	11.31	3.22324	3.18356
9 7.70-8.70	Sandy Soil	10.0	30.0	---	51.00 61.00	49.98 59.78	0.200 0.200	11.31	3.39273	3.35096
10 8.70-9.70	Sandy Soil	10.0	40.0	---	61.00 71.00	59.78 69.58	0.200 0.200	11.31	5.84277	5.77084
11 9.70-10.70	Sandy Soil	10.0	37.0	---	71.00 81.00	69.58 79.38	0.200 0.200	11.31	4.92675	4.86609
12 10.70-11.70	Sandy Soil	10.0	39.0	---	81.00 91.00	79.38 89.18	0.200 0.200	11.31	5.51506	5.44716
13 11.70-12.70	Sandy Soil	10.0	39.0	---	91.00 101.00	89.18 98.98	0.200 0.200	11.31	5.51506	5.44716

L_No 26 pp 15

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Qp (kNm ⁻²)	γwbw (kNm ⁻²)	k (k)	θ (degree)	Kp	Kp × cosδ
14 12.70-13.70	Sandy Soil	10.0	39.0	---	101.00 111.00	98.98 108.78	0.200 0.200	11.31	5.51506	5.44716
15 13.70-14.70	Sandy Soil	10.0	39.0	---	111.00 121.00	108.78 118.58	0.200 0.200	11.31	5.51506	5.44716
16 14.70-15.70	Sandy Soil	10.0	45.0	---	121.00 131.00	118.58 128.38	0.200 0.200	11.31	7.92269	7.82515
17 15.70-20.00	Sandy Soil	10.0	45.0	---	131.00 174.00	128.38 170.52	0.200 0.200	11.31	7.92269	7.82515

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below
 δ= -9.0Q β= 0.0Q θ= tan k

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure Pw (kNm ⁻²)	Passive side Pp (kNm ⁻²)
		Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa3 (kNm ⁻²)		
1 0.00-2.10	12.92 22.97	---	12.92 22.97	0.00 20.58	---	
2 2.10-2.20	24.84 25.34	---	24.84 25.34	20.58 21.56	---	
3 2.20-2.60	25.34 27.34	---	25.34 27.34	21.56 21.56	---	
4 2.60-3.70	27.34 32.83	---	27.34 32.83	21.56 31.64	0.00 31.64	
5 3.70-4.70	32.83 37.83	---	32.83 37.83	31.64 21.56	60.40 60.40	
6 4.70-5.70	37.83 42.82	---	37.83 42.82	21.56 21.56	60.40 89.16	
7 5.70-6.70	39.93 44.59	---	39.93 44.59	21.56 21.56	98.69 130.53	
8 6.70-7.70	44.59 49.25	---	44.59 49.25	21.56 21.56	130.53 162.36	
9 7.70-8.70	47.56 52.06	---	47.56 52.06	21.56 21.56	170.90 204.41	
10 8.70-9.70	36.38 39.52	---	36.38 39.52	21.56 21.56	352.02 409.73	
11 9.70-10.70	44.11 47.62	---	44.11 47.62	21.56 21.56	345.49 394.15	
12 10.70-11.70	44.27 47.53	---	44.27 47.53	21.56 21.56	441.22 495.69	
13 11.70-12.70	47.53 50.79	---	47.53 50.79	21.56 21.56	495.69 550.16	
14 12.70-13.70	50.79 54.05	---	50.79 54.05	21.56 21.56	550.16 604.63	

L_No 26 pp 16

No	Depth (m)	Active side			Residual water pressure (kNm ²)	Passive side (kNm ²)
		Pa1 (kNm ²)	Pa2 (kNm ²)	Pa (kNm ²)		
15	13.70-14.70	54.05 57.32	---	54.05 57.32	21.56 21.56	404.63 659.11
16	14.70-15.70	45.65 48.25	---	45.65 48.25	21.56 21.56	946.84 1025.09
17	15.70-20.00	48.25 59.42	---	48.25 59.42	21.56 21.56	1025.09 1561.58

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\sum \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \sum \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\sum \gamma h + Q)$
 K_a : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\sum \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\sum \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

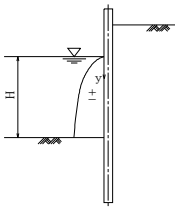
Clayey soil $P_p = \sum \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\sum \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	W.L. y (m)	β_w (kNm ²)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

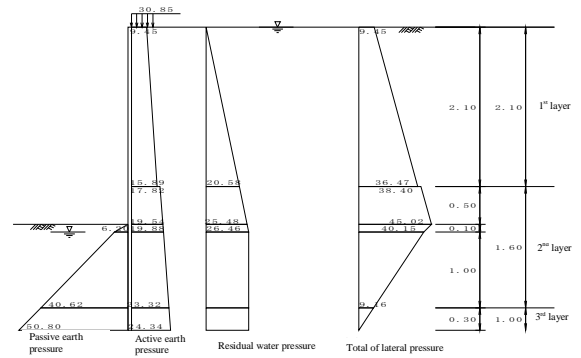
Where k_a : design seismic coefficient
 γ_w : unit weight of water
 H: water depth of river side
 y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

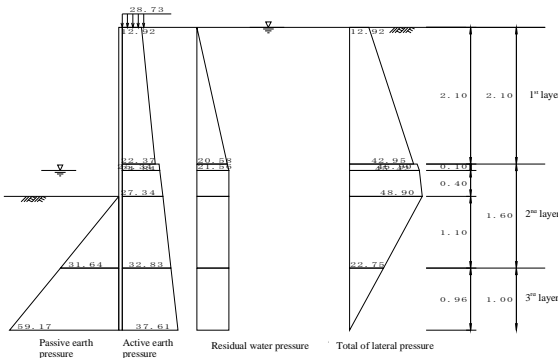


Depth (m)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	Pt (kNm ²)
1 0.00-2.10	9.45 15.89	0.00 20.58	---	9.45 36.47
2 2.10-2.60	17.82 19.54	20.58 25.48	---	38.40 45.02
3 2.60-2.70	19.54 19.88	25.48 26.46	0.00 6.20	45.02 40.15
4 2.70-3.70	19.88 23.32	26.46 26.46	6.20 40.62	40.15 9.16
5 3.70-4.00	23.32 24.34	26.46 26.46	40.62 50.80	9.16 0.00
6 4.00-4.70	24.34 26.76	26.46 26.46	50.80 75.05	0.00 -21.83

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_t : Lateral pressure $P_t = P_a + P_w - P_p$

Tentative imaginary riverbed L_1 : 1.40 m (GL -4.00 m)

4-2 Seismic Condition



Depth (m)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	Pt (kNm ²)
1 0.00-2.10	12.92 22.37	0.00 20.58	---	12.92 42.95
2 2.10-2.20	24.84 25.34	20.58 21.56	---	45.42 46.90
3 2.20-2.60	25.34 27.34	21.56 21.56	---	46.90 48.90
4 2.60-3.70	27.34 32.83	21.56 21.56	0.00 31.64	48.90 22.75
5 3.70-4.66	32.83 37.61	21.56 21.56	31.64 59.17	22.75 0.00
6 4.66-4.70	37.61 37.83	21.56 21.56	59.17 60.40	0.00 -1.02

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_t : Lateral pressure $P_t = P_a + P_w - P_p$

Tentative imaginary riverbed L_1 : 2.06 m (GL -4.66 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/3 depth. The modulus are calculated by the formula below

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4EI}}$$

Unit width $B = 1.0000$ m
 Corrosion margin $t_c = 1.00$ mm (active side) $t_p = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.84$
 Section efficiency $\mu = 1.00$
 Young's modulus $E = 200000$ Nmm²
 Inertia sectional moment $I_o = 114000$ cm⁴ (original condition)
 $I = 95760$ cm⁴ (after reduction by corrosion on section)
 Inertia sectional moment $EI = 200000 \times 10^3 \times 95760 \times 10^8 = 1.915 \times 10^7$

Depth (m)	N value	Depth (m)	N value
1	0.50	11	10.70
2	1.60	12	11.70
3	2.10	13	12.70
4	3.70	14	13.70
5	4.70	15	14.70
6	5.70	16	15.70
7	6.70	17	20.00
8	7.70		
9	8.70		
10	9.70		

5-2 Normal Condition

$K_h = 15960$ kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4EI}}$$

$$= 0.380 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.63 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -4.00 m) to 2.63 m depth (GL -6.63 m).

Depth Z (m)	Thickness (m)	N value		Area (m ²)
		upper	lower	
1	4.00	0.70	4.9	7.0
2	4.70	1.00	7.0	7.0
3	5.70	0.93	7.0	13.5

$$L = \sum h = 2.63 \quad \sum A = 20.69$$

$$A (\text{upper N value} + \text{lower N value}) \times h/2$$

$$\begin{aligned}\text{Average N-value } N' &= \frac{\Sigma A}{L} \\ &= \frac{20.69}{2.63} \\ &= 7.86\end{aligned}$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N'^{0.496} = 6910 \times 7.86^{0.496} = 15960 \text{ kN/m}^3$$

$$K_h \text{ (normal condition)} = 15960 \text{ kNm}^3$$

5-3 Seismic Condition

$K_h = 17419 \text{ kNm}^3$ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.388 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.58 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.66 m) to 2.58 m depth (GL -7.23 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)	
		upper	lower		
1	4.66	0.04	6.9	7.0	0.30
2	4.70	1.00	7.0	7.0	7.00
3	5.70	1.00	7.0	14.0	10.50
4	6.70	0.53	14.0	13.5	7.31
L = 2h = 2.58		ΣA = 25.11			

$$A \text{ (upper N-value + lower N-value)} \times h/2$$

$$\begin{aligned}\text{Average N-value } N' &= \frac{\Sigma A}{L} \\ &= \frac{25.11}{2.58} \\ &= 9.75\end{aligned}$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following:

$$K_h = 6910 \times N'^{0.496} = 6910 \times 9.75^{0.496} = 17419 \text{ kN/m}^3$$

$$K_h \text{ (seismic condition)} = 17419 \text{ kNm}^3$$

L_No. 26 pp.21

Case: Left Bank No. 26_STA 16+450_16+552

Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)	
3	2.20-2.60	0.40	46.90	9.38	2.32	21.80
			48.90	9.78	2.19	21.42
4	2.60-3.70	1.10	48.90	26.89	1.69	45.47
			22.75	12.51	1.32	16.57
5	3.70-4.66	0.96	22.75	10.89	0.64	6.95
			0.00	0.00	0.32	0.00
ΣP = 132.74		ΣM = 324.36				

P : active earth pressure + residual water pressure - passive earth pressure
P : load P_s x h/2 x B
B : unit width = 1.000 m
Y : height of acting position from imaginary riverbed
M : moment by load P x Y

Arbitrary load lateral load P = 11.1 kNm
depth to acting position H = -0.41 m
moment M₀ = 0.4 kNm/m
depth to acting position H₀ = 0.80 m
Height from riverbed to top of coping H = 2.60 m
Depth of Imaginary riverbed from riverbed L_k = 2.06 m

Moment M₀ by arbitrary load is as below
M = P₀ (H + L_{k} - H_{0}) + M₀ = 56.65 kN·m}}

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _w (kNm ²)	Load P _w (kN)	Arm length Y (m)	Moment M _w (kNm)
1	2.20-2.60	0.40	0.0	0.00	2.32	0.00
			0.7	0.14	2.19	0.30
ΣP _w = 0.14		ΣM _w = 0.30				

h₀ : Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_1 + \Sigma M_w}{\Sigma P + P_1 + \Sigma P_w}$$

$$= \frac{381.31}{143.97} = 2.65 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width B = 1.000 m
Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
Corrosion rate η = 0.84
Section efficiency μ = 1.00
Young's modulus E = 200000 Nmm²
Inertia sectional moment I₀ = 114000 cm⁴ (original condition)
I = 95760 cm⁴ (after reduction by corrosion and section)
EI = 200000 x 10³ x 95760 x 10⁸ = 1.915 x 10¹⁶

L_No. 26 pp.23

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Position h₀

6-1-1 Normal Condition

	Depth Z (m)	Thickness h (m)	Total of lateral force P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	2.10	9.45	9.93	3.30	32.71
			36.47	38.29	2.60	99.39
2	2.10-2.60	0.50	38.40	9.60	1.73	16.60
			45.02	11.25	1.56	17.58
3	2.60-2.70	0.10	45.02	2.25	1.36	3.07
			40.15	2.01	1.33	2.67
4	2.70-3.70	1.00	40.15	20.07	0.96	19.31
			9.16	4.58	0.63	2.88
5	3.70-4.00	0.30	9.16	1.35	0.20	0.27
			0.00	0.00	0.10	0.00
		ΣP = 99.34		ΣM = 194.47		

P : active earth pressure + residual water pressure - passive earth pressure

P : load P_s x h/2 x B

B : unit width = 1.000 m

Y : height of acting position from imaginary riverbed

M : moment by load P x Y

Arbitrary load lateral load P = 3.8 kNm
depth to acting position H = -0.56 m
moment M₀ = 0.0 kNm/m
depth to acting position H₀ = 0.00 m
Height from riverbed to top of coping H = 2.60 m
Depth of Imaginary riverbed from riverbed L_k = 1.40 m

Moment M₀ by arbitrary load is as below

$$M = P_0 (H + L_k - H_0) + M_0 = 17.31 \text{ kN·m}$$

h₀ : Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_1}{\Sigma P + P_1}$$

$$= \frac{211.79}{103.14} = 2.05 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)	
1	0.00-2.10	2.10	12.92	13.57	3.96	53.69
			42.95	45.10	3.26	146.89
2	2.10-2.20	0.10	45.42	2.27	2.52	5.73
			46.90	2.49	2.49	5.84

L_No. 26 pp.22

Case: Left Bank No. 26_STA 16+450_16+552

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$\phi_{0a} = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{0a} = M_0 \cdot \phi_{0a}$$

$$I_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$I_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(a)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction K = 15960 kNm³
calculated value β = 0.37992 m⁻¹
resultant earth force (lateral) P₀ = 103.14 kNm
height of acting position of load h₀ = 2.05 m
moment M₀ = 211.79 kNm/m

in consideration of φ_{0a} = 1.214

maximum moment M_{0a} = 257.10 kNm/m
depth of generated position of M_{0a} L = 0.980 m
depth of Ist fixed point l = 3.047 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction K = 17419 kNm³
calculated value β = 0.38832 m⁻¹
resultant earth force (lateral) P₀ = 143.97 kNm
height of acting position of load h₀ = 2.65 m
moment M₀ = 381.31 kNm/m

in consideration of φ_{0a} = 1.140

maximum moment M_{0a} = 434.62 kNm/m
depth of generated position of M_{0a} L = 0.814 m
depth of Ist fixed point l = 2.837 m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
Corrosion rate η = 0.87
Section efficiency μ = 1.00
Module of section Z₀ = 3250 cm³ (original condition)
Z = 2828 cm³ (after reduction by corrosion and section)

L_No. 26 pp.24

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{257.10 \times 10^6}{2828 \times 10^3} = 91 \text{ N/mm}^2 \leq \sigma_s = 185 \text{ N/mm}^2$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{434.62 \times 10^6}{2828 \times 10^3} = 154 \text{ N/mm}^2 \leq \sigma_s = 278 \text{ N/mm}^2$$

6-4 Displacement

6-4-1 Normal Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	3.30 2.60	0.825 0.650	0.247 0.165	9.93 38.29	2.448 6.330
2	2.10-2.60	1.73 1.56	0.433 0.391	0.080 0.065	9.69 11.25	0.769 0.748
3	2.60-2.70	1.36 1.33	0.341 0.333	0.052 0.049	2.25 2.01	0.116 0.099
4	2.70-3.70	0.96 0.63	0.241 0.157	0.027 0.012	20.07 4.58	0.535 0.054
5	3.70-4.00	0.20 0.10	0.049 0.025	0.001 0.000	1.35 0.00	0.002 0.000
$\Sigma Q = 11.101$						

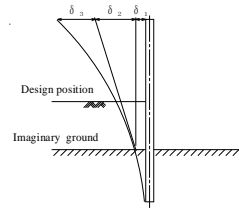
Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_k}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.3799 \times 2.05) \times 103.14}{2 \times 2.00 \times 10^9 \times 95760 \times 10^{-8} \times 0.3799^3} = 0.00874 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_k)$$

$$= \frac{(1+2 \times 0.3799 \times 2.05) \times 103.14}{2 \times 2.00 \times 10^9 \times 95760 \times 10^{-8} \times 0.3799^2} \times (2.60+1.40) = 0.01908 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{E I}$$

$$= \frac{11.10 \times (2.60+1.40)^3}{2.00 \times 10^9 \times 95760 \times 10^{-8}} = 0.00370 \text{ m}$$

Additional displacement δ'_s generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta'_s = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ'_s is calculated as 0.00051 m in consideration of following values:

Height from imaginary riverbed to top of SSP: L = 4.00 m
 Horizontal load P = 3.80
 Moment: M = 2.13

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00874 + 0.01908 + 0.00370$$

$$= 0.03203 \text{ m}$$

$$= 32.03 \text{ mm} \leq \delta_a = 50.00 \text{ mm}$$

Where

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ : Displacement at top of SSP
- δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	3.96 3.26	0.850 0.699	0.259 0.188	13.57 45.10	3.511 8.458
2	2.10-2.20	2.52 2.49	0.542 0.535	0.120 0.118	2.27 2.34	0.273 0.276
3	2.20-2.60	2.32 2.19	0.499 0.470	0.104 0.093	9.38 9.78	0.974 0.912
4	2.60-3.70	1.69 1.32	0.363 0.284	0.058 0.037	26.89 12.51	1.557 0.458
5	3.70-4.66	0.64 0.32	0.137 0.069	0.009 0.002	10.89 0.00	0.098 0.000
$\Sigma Q = 16.516$						

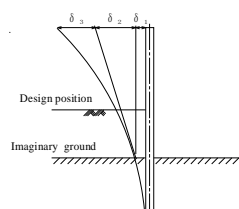
Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_k}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.3883 \times 2.65) \times 143.97}{2 \times 2.00 \times 10^9 \times 95760 \times 10^{-8} \times 0.3883^3} = 0.01302 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_k)$$

$$= \frac{(1+2 \times 0.3883 \times 2.65) \times 143.97}{2 \times 2.00 \times 10^9 \times 95760 \times 10^{-8} \times 0.3883^2} \times (2.60+2.06) = 0.03549 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{E I}$$

$$= \frac{16.53 \times (2.60+2.06)^3}{2.00 \times 10^9 \times 95760 \times 10^{-8}} = 0.00872 \text{ m}$$

Additional displacement δ'_s generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta'_s = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ'_s is calculated as 0.00221 m in consideration of following values:

Height from imaginary riverbed to top of SSP: L = 4.66 m
 Horizontal load P = 11.10
 Moment: M = 4.55

Displacement δ_m of cantilever beam by moment M_m is additionally considered

$$\delta_m = \frac{M_m \cdot h}{2 E I} \times (2L - h) \quad (L=4.66 \text{ m}, h=L-H_s, H_s=0.80 \text{ m}, h \leq L)$$

$$= \frac{0.40 \times 3.86}{2 \times 2.00 \times 10^9 \times 95760 \times 10^{-8}} \times (2 \times 4.66 - 3.86) = 0.00002 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01302 + 0.03549 + 0.00872$$

$$= 0.05946 \text{ m}$$

$$= 59.46 \text{ mm} \leq \delta_a = 75.00 \text{ mm}$$

Where

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ : Displacement at top of SSP
- δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Younge's modulus	E = 200000 Nmm ²
Inertia sectional moment	$I_0 = 114000 \text{ cm}^4$ (original condition)
	I = 114000 cm ⁴ (after reduction by corrosion and section)
H	= 200000 x 10 ³ x 114000 x 10 ⁸ = 2.280 x 10 ⁹

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_0 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings.

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = \sqrt[4]{\frac{K_L \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	$K_L = 15960 \text{ kN/m}^3$
Calculated value	$\beta = 0.36372 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.40 + \frac{3}{0.364} = 9.64 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.64 = 11.84 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	$K_L = 17419 \text{ kN/m}^3$
Calculated value	$\beta = 0.37175 \text{ m}^{-1}$
Penetration length of SSP	$D = 2.06 + \frac{3}{0.372} = 10.13 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 10.13 = 12.33 \text{ m}$

Therefore, whole length of SSP is set as 12.50 m in consideration of round unit of SSP length.

8 Calculation Result

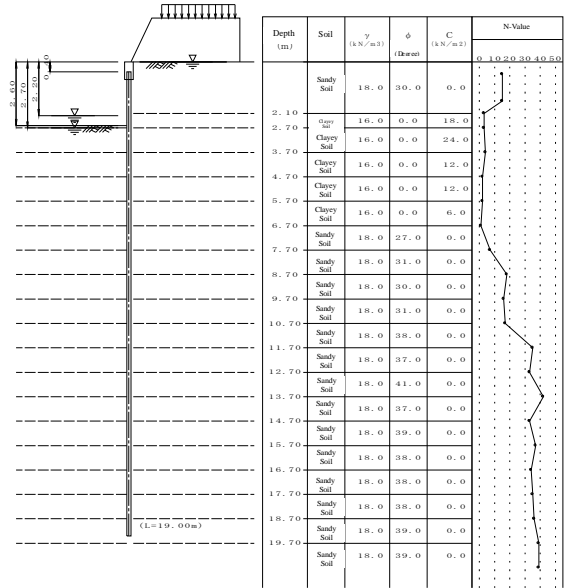
		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	114000	
Section radius	Z (cm)	3250	
Maximum bending moment	M_{max} (kNm/m)	257.10	434.62
Stress intensity	σ (N/mm ²)	91 (185)	154 (270)
Lateral displacement	δ (mm)	32.03 (50.0)	59.46 (75.0)
Penetration depth	D (m)	9.64	10.13
Whole length of SSP	L (m)	12.50	

— Steel Sheet Pile Design Calculation —

Left Bank No. 27_STA. 16+552 - 16+564

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



1-2 Dimensions of Structure

Depth from coping top to riverbed $H = 2.60$ m
 Depth from coping top to rear side ground $H_r = 0.00$ m
 Depth from coping top to SSP top $H_s = 0.40$ m
 R verse WL $L_{ns} = 0.00$ m (Normal Condition)
 $L_{ns}' = 0.00$ m (Seismic Condition)
 Landside WL $L_{ns} = 2.70$ m (Normal Condition)
 $L_{ns}' = 2.20$ m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

L_No.27 pp.1

L_No.27 pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^{-3}$

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load $P_t = 7.1 \text{ kNm}$ (Normal Condition)
 $P_t' = 16.5 \text{ kNm}$ (Seismic Condition)
 Depth of acting point $H_t = -0.80 \text{ m}$ (Normal Condition)
 $H_t' = -0.63 \text{ m}$ (Seismic Condition)
 Moment $M_{tm} = 0.0 \text{ kNm/m}$ (Normal Condition)
 $M_{tm}' = 9.6 \text{ kNm/m}$ (Seismic Condition)
 Depth of acting point $H_{tm} = 0.00 \text{ m}$ (Normal Condition)
 $H_{tm}' = 0.80 \text{ m}$ (Normal Condition)
 (* 'Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.466}$

Average N value calculated from average N value between imaginary riverbed and depth as 1/3

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	9.70	16	21	19.70	39
2	1.60	15	12	10.70	17	22	20.70	39
3	2.10	3	13	11.70	35			
4	2.70	3	14	12.70	33			
5	3.70	4	15	13.70	42			
6	4.70	2	16	14.70	33			
7	5.70	2	17	15.70	37			
8	6.70	1	18	16.70	34			
9	7.70	7	19	17.70	35			
10	8.70	18	20	18.70	36			

L_No.27 pp.3

L_No.27 pp.4

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

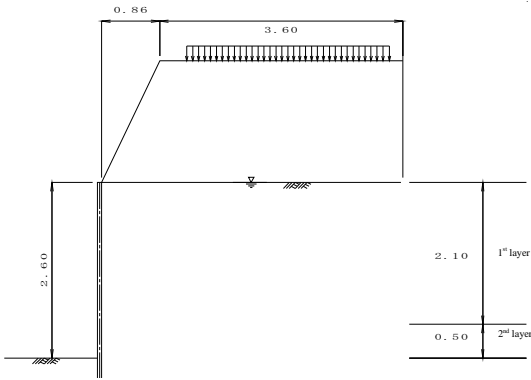
No	Depth (m)	Soil	N value	γ (kNm ⁻³)	γ' (kNm ⁻³)	ϕ	C (kNm ⁻²)	a	k'	ζ (degree)	kh (kNm ⁻¹)			
											normal	seismic	normal	seismic
1	2.10	S	15	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----	
2	2.70	C	30	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	-----	-----	
3	3.70	C	40	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	-----	-----	
4	4.70	C	20	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	-----	-----	
5	5.70	C	20	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	-----	-----	
6	6.70	C	10	16.00	8.00	0.0	6.0	0.0	0.200	auto	auto	-----	-----	
7	7.70	S	70	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----	
8	8.70	S	180	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	-----	-----	
9	9.70	S	160	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----	
10	10.70	S	170	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	-----	-----	
11	11.70	S	350	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	-----	-----	
12	12.70	S	330	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	-----	-----	
13	13.70	S	420	18.00	10.00	41.0	0.0	0.0	0.200	auto	auto	-----	-----	
14	14.70	S	330	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	-----	-----	
15	15.70	S	370	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	-----	-----	
16	16.70	S	340	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	-----	-----	
17	17.70	S	350	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	-----	-----	
18	18.70	S	360	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	-----	-----	
19	19.70	S	390	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	-----	-----	
20	20.70	S	390	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	-----	-----	

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C_c : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	-10.00°	-10.00°
passive	-10.00°	-10.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.86	4.46	4.46	1.80	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	1.26	4.26	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

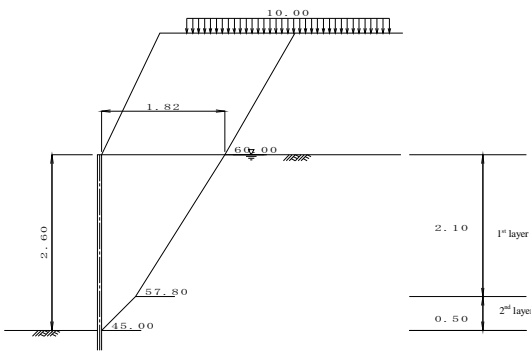
1-9 Reel Sheet File (SSP)

- Young's modulus $E = 200000 \text{ Nmm}^2$
- Inertia sectional moment $I_0 = 709000 \text{ cm}^4$
- Sectional factor $Z_0 = 11400 \text{ cm}^3$
- Corrosion margin $t_s = 1.00 \text{ mm (river side)}$ $t_s = 1.00 \text{ mm (land side)}$
- Corrosion rate (to I_0) $\eta = 0.88$
- Corrosion rate (to Z_0) $\eta = 0.89$
- Section efficiency (to I_0) $\mu = 1.00$
- Section efficiency (to Z_0) $\mu = 1.00$
- Round unit of SSP length 0.50 m
- Allowable stress $\sigma_a = 185 \text{ Nmm}^2 \text{ (Normal)}$
 $\sigma_a' = 278 \text{ Nmm}^2 \text{ (Seismic)}$
- Allowable displacement $\delta_a = 50.0 \text{ mm (Normal)}$
 $\delta_a' = 75.0 \text{ mm (Seismic)}$
- Bending of cantilever beam calculated as distributed load of each layer
- Reduction of material modulus Reduced: I_0 applied to calculation of lateral coefficient of subgrade reaction
Not reduced: I_0 applied to calculation of penetration depth
Reduced: I_0 applied to calculation of section forces and displacement
Reduced: Z_0 applied to calculation of stresses

2 Calculation of Acting Load

2-1 Normal Condition

2-1-1 Angle of Active Rupture



No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma \times h \times A$ (kN/m)	Angle of rupture ζ (degree)
1	2.60- 2.10	Clayey Soil	0.0	10.0	18.0	25.00	42.78	25.48	45.00
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	42.78	20.58	57.80
3	—	Embankment	30.0	—	0.0	32.40	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta=0^\circ$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.50	0.00	0.00	0.50	0.50
2	57.80	2.10	0.50	0.50	1.82	2.60
3	60.00	1.80	1.82	2.60	2.86	4.40

Therefore, width of acting load shall be set as 1.82 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	3.44	61.95
Σ			61.95

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.60	16.02
Σ			16.02

Q : surcharge load
l : width of surcharge load set by line of active rupture

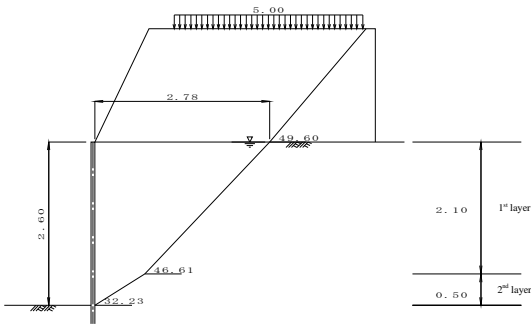
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{61.95 + 16.02 + 0.00}{1.82}$$

$$= 42.78 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	32.23	0.50	0.00	0.00	0.79	0.50
2	46.61	2.10	0.79	0.50	2.78	2.60
3	49.60	1.80	2.78	2.60	4.31	4.40

Therefore, width of acting load shall be set as 2.78 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	5.61	100.90
Σ			100.90

γ : unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	3.00	15.00
Σ			15.00

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{100.90 + 15.00 + 0.00}{2.78}$$

$$= 41.72 \text{ kN/m}^2$$

2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{sub} (kN/m ³)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60- 2.10	Clayey Soil	0.0	10.0	18.0	25.00	41.72	25.48	0.200	11.31	32.23
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	41.72	20.58	0.200	11.31	46.61
3		Embankment	30.0	—	0.0	32.40	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

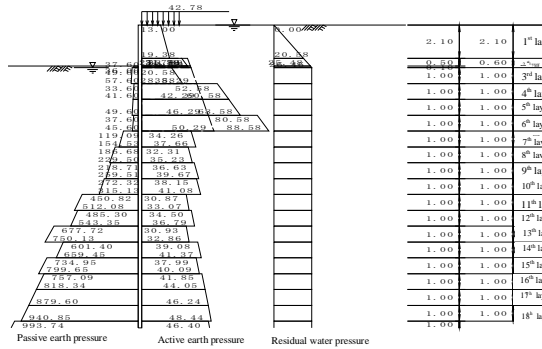
$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = 4 \tan^{-1} k$ or $\theta = 4 \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h: thickness of layer (m)
- Q: surcharge load (kN/m²)
- C: cohesive force of soil (kN/m²)

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q$ (kN/m ²)	K_a	$K_a \times \cos \delta$
1	0.00- 2.10	Sandy soil	10.0	30.0	—	42.782 0.30847	0.30378 0.30378
2	2.10- 2.60	Clayey soil	8.0	—	18.0 18.0	63.782 67.782	— —
3	2.60- 2.70	Clayey soil	8.0	—	18.0 18.0	67.782 68.582	— —
4	2.70- 3.70	Clayey soil	8.0	—	24.0 24.0	68.582 76.582	— —
5	3.70- 4.70	Clayey soil	8.0	—	12.0 12.0	76.582 84.582	— —
6	4.70- 5.70	Clayey soil	8.0	—	12.0 12.0	84.582 92.582	— —
7	5.70- 6.70	Clayey soil	8.0	—	6.0 6.0	92.582 100.582	— —
8	6.70- 7.70	Sandy soil	10.0	27.0	—	100.582 110.582	0.34585 0.34585
9	7.70- 8.70	Sandy soil	10.0	31.0	—	110.582 121.582	0.29669 0.29669
10	8.70- 9.70	Sandy soil	10.0	30.0	—	120.582 130.582	0.30847 0.30847
11	9.70- 10.70	Sandy soil	10.0	31.0	—	130.582 140.582	0.29669 0.29669
12	10.70- 11.70	Sandy soil	10.0	38.0	—	140.582 150.582	0.22298 0.22298

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.0^\circ$, $\beta = 0.00$, $\theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \theta - \beta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q$ (kN/m ²)	K_p	$K_p \times \cos \delta$
3	2.60- 2.70	Clayey soil	16.0	0.0	18.0 18.0	0.000 1.600	— —
4	2.70- 3.70	Clayey soil	8.0	0.0	24.0 24.0	1.600 9.600	— —
5	3.70- 4.70	Clayey soil	8.0	0.0	12.0 12.0	9.600 17.600	— —
6	4.70- 5.70	Clayey soil	8.0	0.0	12.0 12.0	17.600 25.600	— —
7	5.70- 6.70	Clayey soil	8.0	0.0	6.0 6.0	25.600 33.600	— —
8	6.70- 7.70	Sandy soil	10.0	27.0	—	33.600 43.600	3.59892 3.59892
9	7.70- 8.70	Sandy soil	10.0	31.0	—	43.600 53.600	4.34774 4.34774

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma h+Q_p$ (kNm ²)	$\gamma_{sat} w$ (kNm ²)	k (k)	θ (degree)	Kp	Kp $\times \cos \delta$
12 9.70-10.70	Sandy Soil	10.00	31.0	---	62.800 72.800	69.58 79.38	0.200	11.31	3.68877 3.68877	3.63273 3.63273
13 10.70-11.70	Sandy Soil	10.00	38.0	---	72.800 82.800	79.28 89.18	0.200	11.31	5.42254 5.42254	5.34016 5.34016
14 11.70-12.70	Sandy Soil	10.00	37.0	---	82.800 92.800	89.18 98.98	0.200	11.31	5.12098 5.12098	5.04318 5.04318
15 12.70-13.70	Sandy Soil	10.00	41.0	---	92.800 102.800	98.98 108.78	0.200	11.31	6.47409 6.47409	6.37573 6.37573
16 13.70-14.70	Sandy Soil	10.00	37.0	---	102.800 112.800	108.78 118.58	0.200	11.31	5.12098 5.12098	5.04318 5.04318
17 14.70-15.70	Sandy Soil	10.00	39.0	---	112.800 122.800	118.58 128.38	0.200	11.31	5.74696 5.74696	5.65965 5.65965
18 15.70-16.70	Sandy Soil	10.00	38.0	---	122.800 132.800	128.38 138.18	0.200	11.31	5.42254 5.42254	5.34016 5.34016
19 16.70-17.70	Sandy Soil	10.00	38.0	---	132.800 142.800	138.18 147.98	0.200	11.31	5.42254 5.42254	5.34016 5.34016
20 17.70-18.70	Sandy Soil	10.00	38.0	---	142.800 152.800	147.98 157.78	0.200	11.31	5.42254 5.42254	5.34016 5.34016
21 18.70-19.70	Sandy Soil	10.00	39.0	---	152.800 162.800	157.78 167.58	0.200	11.31	5.74696 5.74696	5.65965 5.65965
22 19.70-20.70	Sandy Soil	10.00	39.0	---	162.800 172.800	167.58 177.38	0.200	11.31	5.74696 5.74696	5.65965 5.65965

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below
 $\delta = -10.00$ $\beta = 0.00$ $\theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side		Residual water pressure		Passive side	
		Pa1 (kNm ²)	Pa2 (kNm ²)	Pw (kNm ²)	Pp (kNm ²)		
1	0.00-2.10	18.67 28.07	---	18.67 28.07	0.00 ---	---	
2	2.10-2.20	42.63 43.70	31.36 31.76	42.63 43.70	20.58 21.56	---	
3	2.20-2.60	43.70 47.98	31.76 33.36	43.70 47.98	21.56 21.56	---	
4	2.60-2.70	47.98 49.06	33.36 33.76	47.98 49.06	21.56 21.56	36.00 36.80	
5	2.70-3.70	35.58 45.91	33.76 37.76	35.58 45.91	21.56 21.56	48.80 56.80	
6	3.70-4.70	91.00 108.07	37.76 41.76	91.00 108.07	21.56 21.56	32.80 40.80	
7	4.70-5.70	108.07 125.15	41.76 45.76	108.07 125.15	21.56 21.56	40.80 48.80	

L_No. 27 pp 17

No	Depth (m)	Active side			Residual water pressure		Passive side	
		Pa1 (kNm ²)	Pa2 (kNm ²)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)		
8	5.70-6.70	160.23 177.31	45.76 49.76	160.23 177.31	21.56 21.56	36.80 44.80		
9	6.70-7.70	49.45 54.42	---	49.45 54.42	21.56 21.56	96.74 126.24		
10	7.70-8.70	47.32 51.65	---	47.32 51.65	21.56 21.56	155.48 191.81		
11	8.70-9.70	53.49 57.96	---	53.49 57.96	21.56 21.56	181.97 216.43		
12	9.70-10.70	55.97 60.29	---	55.97 60.29	21.56 21.56	228.14 264.46		
13	10.70-11.70	46.98 50.35	---	46.98 50.35	21.56 21.56	388.76 442.17		
14	11.70-12.70	52.21 55.70	---	52.21 55.70	21.56 21.56	417.58 468.01		
15	12.70-13.70	48.09 51.10	---	48.09 51.10	21.56 21.56	591.67 655.43		
16	13.70-14.70	59.19 62.68	---	59.19 62.68	21.56 21.56	518.44 568.87		
17	14.70-15.70	58.28 61.53	---	58.28 61.53	21.56 21.56	638.41 695.01		
18	15.70-16.70	63.82 67.19	---	63.82 67.19	21.56 21.56	655.77 709.17		
19	16.70-17.70	67.19 70.55	---	67.19 70.55	21.56 21.56	709.17 762.58		
20	17.70-18.70	70.55 73.92	---	70.55 73.92	21.56 21.56	762.58 815.98		
21	18.70-19.70	71.27 74.51	---	71.27 74.51	21.56 21.56	864.79 921.39		
22	19.70-20.70	74.51 77.76	---	74.51 77.76	21.56 21.56	921.39 977.99		

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$

K_a : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

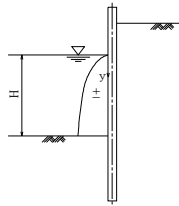
3-2-4 Dynamic Water Pressure due to Earthquake

L_No. 27 pp 18

No	Depth Z (m)	W.L. y (m)	P_w (kNm ²)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

$$P_w = \pm \frac{7}{8} k_{dw} \gamma_w \sqrt{H \cdot y}$$

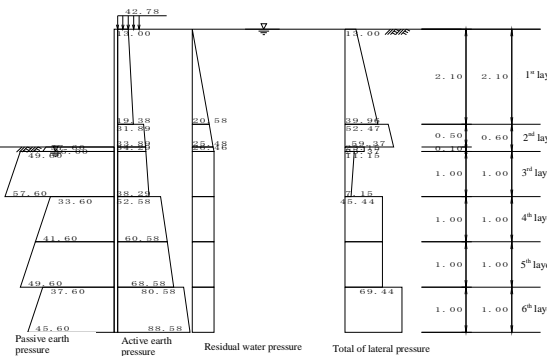
Where,
 k_{dw} : design seismic coefficient
 γ_w : unit weight of water
 H: water depth of riverside
 y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L_i is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4.1 Normal Condition

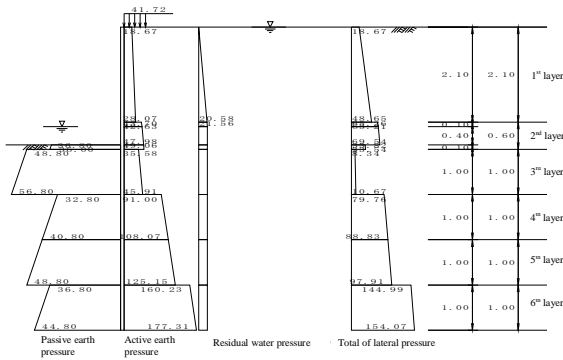


Depth (m)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	P _i (kNm ²)
1 0.00-2.10	13.00 19.38	0.00 ---	---	13.00 39.96
2 2.10-2.60	31.89 33.89	20.58 25.48	---	52.47 59.37
3 2.60-2.70	33.89 34.29	25.48 26.46	36.00 37.60	23.37 23.15
4 2.70-3.70	34.29 38.29	26.46 26.46	49.60 57.60	11.15 7.15
5 3.70-4.70	52.58 60.58	26.46 26.46	33.60 41.60	45.44 45.44
6 4.70-5.70	60.58 68.58	26.46 26.46	41.60 49.60	45.44 45.44
7 5.70-6.70	80.58 88.58	26.46 26.46	37.60 45.60	69.44 69.44
8 6.70-7.70	34.26 37.66	26.46 26.46	119.09 154.53	-58.37 -90.41

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_i : Lateral pressure $P_i = P_a + P_w - P_p$

Tentative imaginary riverbed L_i: 4.10 m (GL -6.70 m)

4-2 Seismic Condition



Depth (m)	P _a (kNm ²)	P _w (kNm ²)	P _p (kNm ²)	P _t (kNm ²)
1 0.00-2.10	18.67 28.07	0.00 20.58	—	18.67 48.65
2 2.10-2.20	42.63 43.70	20.58 21.56	—	63.21 65.26
3 2.20-2.60	43.70 47.98	21.56 21.56	—	65.26 69.54
4 2.60-2.70	47.98 49.06	21.56 21.56	36.00 36.80	33.54 33.82
5 2.70-3.70	35.58 45.91	21.56 21.56	48.80 56.80	8.34 10.67
6 3.70-4.70	91.00 108.07	21.56 21.56	32.80 40.80	79.76 88.83
7 4.70-5.70	108.07 125.15	21.56 21.56	40.80 48.80	88.83 97.91
8 5.70-6.70	160.23 177.31	21.56 21.56	36.80 44.80	144.99 154.07
9 6.70-7.70	49.45 54.42	21.56 21.56	96.74 126.24	-25.73 -30.25

P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 P_t: Lateral pressure P_t = P_a + P_w - P_p

Tentative imaginary riverbed L_g: 4.10 m (CL -6.70 m)

L_No 27 pp 21

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below

$$K_h = 6910 \times N^{0.666}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width B = 1.0000 m
 Corrosion on margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.88
 Section efficiency μ = 1.00
 Young's modulus E = 200000 Nmm²
 Inertia sectional moment I₀ = 709000 cm⁴ (original condition)
 I = 623920 cm⁴ (after reduction by corrosion and section)
 EI = 200000 x 10³ x 623920 x 10⁻⁸ = 1.248 x 10⁶

Depth (m)	N value	Depth (m)	N value	Depth (m)	N value
1 0.50	15	11 9.70	16	21 19.70	39
2 1.60	15	12 10.70	17	22 20.70	39
3 2.10	3	13 11.70	35		
4 2.70	3	14 12.70	33		
5 3.70	4	15 13.70	42		
6 4.70	2	16 14.70	33		
7 5.70	2	17 15.70	37		
8 6.70	1	18 16.70	34		
9 7.70	7	19 17.70	35		
10 8.70	18	20 18.70	36		

5-2 Normal Condition

K_h = 19276 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.249 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 4.01 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (CL -6.70 m) to 4.01 m depth (CL -10.71 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1 6.70	1.00	1.0	7.0	4.00
2 7.70	1.00	7.0	18.0	12.80
3 8.70	1.00	18.0	16.0	17.60
4 9.70	1.00	16.0	17.0	16.50
5 10.70	0.01	17.0	17.2	0.20

L = Zh = 4.01

A (upper N value + lower N value) × h/2

L_No 27 pp 22

Average N-value N' = $\frac{\Sigma A}{L}$

= $\frac{50.20}{4.01}$
 = 12.51

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

K_h = 6910 × N'^{0.666} = 6910 × 12.51^{0.666} = 19276 kN/m³

K_h (normal condition) = 19276 kNm³

5-3 Seismic Condition

K_h = 19276 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.249 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 4.01 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (CL -6.70 m) to 4.01 m depth (CL -10.71 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1 6.70	1.00	1.0	7.0	4.00
2 7.70	1.00	7.0	18.0	12.80
3 8.70	1.00	18.0	16.0	17.60
4 9.70	1.00	16.0	17.0	16.50
5 10.70	0.01	17.0	17.2	0.20

L = Zh = 4.01

A (upper N value + lower N value) × h/2

Average N-value N' = $\frac{\Sigma A}{L}$

= $\frac{50.20}{4.01}$
 = 12.51

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following:

K_h = 6910 × N'^{0.666} = 6910 × 12.51^{0.666} = 19276 kN/m³

K_h (seismic condition) = 19276 kNm³

L_No 27 pp 23

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Height h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P ₀ (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00-2.10	2.10	13.00 39.96	13.65 41.95	6.00 5.30	81.88 222.35
2 2.10-2.60	0.50	52.47 59.37	13.12 14.84	4.43 4.27	58.16 63.33
3 2.60-2.70	0.10	23.37 23.15	1.17 1.16	4.07 4.03	4.75 4.67
4 2.70-3.70	1.00	11.15 7.15	5.58 3.58	3.67 3.33	20.44 11.92
5 3.70-4.70	1.00	45.44 45.44	22.72 22.72	2.67 2.33	60.59 53.02
6 4.70-5.70	1.00	45.44 45.44	22.72 22.72	1.67 1.33	37.87 30.29
7 5.70-6.70	1.00	69.44 69.44	34.72 34.72	0.67 0.33	23.15 11.57
			ΣP = 255.56		ΣM = 683.98

P₀: active earth pressure + residual water pressure - passive earth pressure
 P: load P₀ x h/2 x B
 B: unit width = 1.000 m
 Y: height of acting position from imaginary riverbed
 M: moment by load P x Y

Arbitrary load lateral load P₀ = 7.1 kNm
 depth to acting position H₀ = -0.80 m
 moment M₀ = 0.0 kNm-m
 depth to acting position H_m = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of Imaginary riverbed from riverbed L_k = 4.10 m

Moment M₀ by arbitrary load is as below

M₀ = P₀ × (H + L_{k} - H_{0}) + M₀ = 53.25 kN-m}}

h₀: Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{737.23}{262.46} = 2.81 \text{ m}$$

L_No 27 pp 24

6.1 Seismic Condition

	Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ⁻²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	2.10	18.67 48.65	19.60 51.08	6.00 5.30	117.61 270.72
2	2.10-2.20	0.10	63.21 65.26	3.16 3.26	4.57 4.53	14.43 14.79
3	2.20-2.60	0.40	65.26 69.54	13.05 13.91	4.37 4.23	56.99 58.88
4	2.60-2.70	0.10	33.54 33.82	1.68 1.69	4.07 4.03	6.82 6.82
5	2.70-3.70	1.00	8.34 10.67	4.17 5.34	3.67 3.33	15.29 17.78
6	3.70-4.70	1.00	79.76 88.83	39.88 44.42	2.67 2.33	106.34 103.64
7	4.70-5.70	1.00	88.83 97.91	44.42 48.95	1.67 1.33	74.03 65.27
8	5.70-6.70	1.00	144.99 154.07	72.50 77.03	0.67 0.33	48.33 25.68
			ΣP = 444.13	ΣM = 1003.42		

P : active earth pressure + residual water pressure - passive earth pressure
 P_s : load P_s x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y
 Arbitrary load lateral load P₁ = 16.5 kNm
 depth to acting position H₁ = -0.63 m
 moment M₁ = 9.6 kN-m/m
 depth to acting position H₂ = 0.80 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed L_k = 4.10 m
 Moment M₁ by arbitrary load is as below
 M₁ = P₁ · (H + L_k - H₁) + M₁ = 130.55 kN-m

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _{sw} (kNm ⁻²)	Load P _{sw} (kN)	Arm length Y (m)	Moment M _{sw} (kNm)
1	2.20-2.60	0.40	0.0 0.7	0.00 0.14	4.37 4.23	0.00 0.58
			ΣP _{sw} = 0.14	ΣM _{sw} = 0.58		

h₀ : Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_1 + \Sigma M_{sw}}{\Sigma P + P_1 + \Sigma P_{sw}}$$

$$= \frac{1134.55}{460.77} = 2.46 \text{ m}$$

6.2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:
 Unit width B = 1.0000 m
 Corrosion margin t_a = 1.00 mm (active side) t_r = 1.00 mm (passive side)
 Corrosion rate η = 0.88
 Section efficiency μ = 1.00
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 709000 cm⁴ (original condition)
 I = 623920 cm⁴ (after reduction by corrosion and section)
 E I = 200000 x 10³ x 623920 x 10⁻⁸ = 1.248 x 10⁶

$$\beta = \sqrt[4]{\frac{K_0 \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$I_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$I_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6.2 Normal Condition

modulus of lateral subgrade reaction K₀ = 19276 kNm⁻³
 calculated value β = 0.24929 m⁻¹
 resultant earth force (lateral) P₀ = 262.46 kNm
 height of acting position of load h₀ = 2.81 m
 moment M₀ = 737.23 kN-m/m

in consideration of φ_m = 1.251,
 maximum moment M_{max} = 922.47 kN-m/m
 depth of generated position of M_{max} I_m = 1.583 m
 depth of 1° fixed point I₁ = 4.734 m

6.2 Seismic Condition

modulus of lateral subgrade reaction K₀ = 19276 kNm⁻³
 calculated value β = 0.24929 m⁻¹
 resultant earth force (lateral) P₀ = 460.77 kNm
 height of acting position of load h₀ = 2.46 m
 moment M₀ = 1134.55 kN-m/m

in consideration of φ_m = 1.304,
 maximum moment M_{max} = 1479.84 kN-m/m
 depth of generated position of M_{max} I_m = 1.693 m
 depth of 1° fixed point I₁ = 4.843 m

6.3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin t_a = 1.00 mm (active side) t_r = 1.00 mm (passive side)
 Corrosion rate η = 0.89
 Section efficiency μ = 1.00
 Modulus of section Z₀ = 11400 cm³ (original condition)
 Z = 10146 cm³ (after reduction by corrosion and section)

6.3 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{922.47 \times 10^6}{10146 \times 10^3} = 91 \text{ N/mm}^2 \leq \sigma_a = 185 \text{ N/mm}^2$$

6.3 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{1479.84 \times 10^6}{10146 \times 10^3} = 146 \text{ N/mm}^2 \leq \sigma_a = 278 \text{ N/mm}^2$$

6.4 Displacement

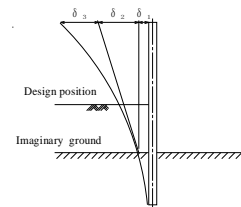
6.4 Normal Condition

Modulus of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)	
1	0.00-2.10	6.00 5.30	0.896 0.791	0.281 0.230	13.65 41.55	3.838 9.665
2	2.10-2.60	4.43 4.27	0.662 0.637	0.171 0.160	13.12 14.84	2.238 2.571
3	2.60-2.70	4.07 4.03	0.607 0.602	0.147 0.145	1.17 1.16	0.172 0.168
4	2.70-3.70	3.67 3.33	0.547 0.498	0.122 0.103	5.58 3.58	0.683 0.369
5	3.70-4.70	2.67 2.33	0.398 0.348	0.069 0.054	22.72 22.72	1.561 1.218
6	4.70-5.70	1.67 1.33	0.249 0.199	0.028 0.018	22.72 22.72	0.645 0.420
7	5.70-6.70	0.67 0.33	0.100 0.050	0.005 0.001	34.72 34.72	0.166 0.042
					ΣQ = 23.556	

Y : Height from imaginary riverbed to acting position
 α : α = $\frac{Y}{H+L_k}$
 ζ : ζ = $\frac{(3-\alpha) \times \alpha^2}{6}$
 Q : ζ × P
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.2493 \times 2.81) \times 262.46}{2 \times 2.00 \times 10^8 \times 623920 \times 10^{-8} \times 0.2493^3} = 0.01154 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_k)$$

$$= \frac{(1+2 \times 0.2493 \times 2.81) \times 262.46}{2 \times 2.00 \times 10^8 \times 623920 \times 10^{-8} \times 0.2493^2} \times (2.60+4.10) = 0.02722 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{E I}$$

$$= \frac{23.56 \times (2.60+4.10)^3}{2.00 \times 10^8 \times 623920 \times 10^{-8}} = 0.00568 \text{ m}$$

Additional displacement δ'₃ generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ'₃ is calculated as 0.00067 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 6.70 m
 Horizontal load: P = 7.10
 Moment: M = 5.68

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01154 + 0.02722 + 0.00635$$

$$= 0.04511 \text{ m}$$

$$= 45.11 \text{ mm} \leq \delta_a = 50.00 \text{ mm}$$

Where:
 δ₁ : Displacement at imaginary ground
 δ₂ : Displacement by angle of inclination slope at imaginary ground
 δ₃ : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

6.4 Seismic Condition

Modulus of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	6.00 5.30	0.896 0.791	0.281 0.230	19.60 51.08	5.514 11.767
2	2.10-2.20	4.57 4.53	0.682 0.677	0.180 0.177	3.16 3.26	0.567 0.578
3	2.20-2.60	4.37 4.23	0.652 0.652	0.166 0.158	13.05 13.91	2.170 2.191
4	2.60-2.70	4.07 4.03	0.607 0.602	0.147 0.145	1.68 1.69	0.246 0.245
5	2.70-3.70	3.67 3.33	0.547 0.498	0.122 0.103	4.17 5.34	0.510 0.551
6	3.70-4.70	2.67 2.33	0.398 0.348	0.069 0.054	39.88 44.42	2.740 2.381
7	4.70-5.70	1.67 1.33	0.249 0.199	0.028 0.018	44.42 48.95	1.260 0.905
8	5.70-6.70	0.67 0.33	0.100 0.050	0.005 0.001	72.03 77.03	0.347 0.094
$\Sigma Q = 32.067$						

Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_1}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L₁ : Depth from design position to imaginary ground

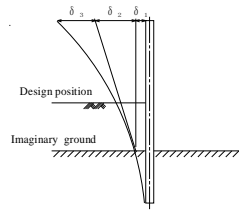
Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1	2.20-2.60	4.37 4.23	0.652 0.632	0.166 0.158	0.00 0.14	0.000 0.022
$\Sigma Q_{w} = 0.022$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 32.067 + 0.022 = 32.089$

L_No. 27 pp 29

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1 + 0.2493 \times 2.46) \times 460.77}{2 \times 2.00 \times 10^8 \times 623920 \times 10^{-8} \times 0.2493^3} = 0.01923 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_1) = \frac{(1 + 2 \times 0.2493 \times 2.46) \times 460.77}{2 \times 2.00 \times 10^8 \times 623920 \times 10^{-8} \times 0.2493^2} \times (2.60 + 4.10) = 0.04434 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I} = \frac{32.09 \times (2.60 + 4.10)^3}{2.00 \times 10^8 \times 623920 \times 10^{-8}} = 0.00773 \text{ m}$$

Additional displacement δ'_1 generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta'_1 = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ'_1 is calculated as 0.00151 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 6.70 m
 Horizontal load P = 16.50
 Moment: M = 10.40

Displacement δ_{3a} of cantilever beam by moment M_a is additionally considered

$$\delta_{3a} = \frac{M_a \cdot h}{2 E I} \times (2 L - h) \quad (L = 6.70 \text{ m}, h = L - H_0, H_0 = 0.80 \text{ m}, h \leq L)$$

$$= \frac{9.60 \times 5.90}{2 \times 2.00 \times 10^8 \times 623920 \times 10^{-8}} \times (2 \times 6.70 - 5.90) = 0.00017 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.01923 + 0.04434 + 0.00773 = 0.07299 \text{ m} = 72.99 \text{ mm} \leq \delta_a = 75.00 \text{ mm}$$

Where
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

L_No. 27 pp 30

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I ₀ = 709000 cm ⁴ (original condition)
	I = 709000 cm ⁴ (after reduction by corrosion and section)
	EI = 200000 x 10 ³ x 709000 x 10 ⁻⁸ = 1.418x 10 ⁷

7.4 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L₁ penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_1 + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = \sqrt[4]{\frac{K_s \cdot B}{4 E I}}$$

7.4 Normal Condition

Modules of lateral subgrade reaction	K _s = 19276 kN/m ³
Calculated value	$\beta = 0.24144 \text{ m}^{-1}$
Penetration length of SSP	$D = 4.10 + \frac{3}{0.241} = 16.53 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 16.53 = 18.73 \text{ m}$

7.4 Seismic Condition

Modules of lateral subgrade reaction	K _s = 19276 kN/m ³
Calculated value	$\beta = 0.24144 \text{ m}^{-1}$
Penetration length of SSP	$D = 4.10 + \frac{3}{0.241} = 16.53 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 16.53 = 18.73 \text{ m}$

Therefore, whole length of SSP is set as 19.00 m in consideration of round unit of SSP length

L_No. 27 pp 31

8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	709000		
Section modulus	Z (cm ³)	11400		
Maximun bending moment	M _a (kNm/m)		922.47	1479.84
Stress intensity	σ (N/mm ²)		91 (18S)	146 (278)
Lateral displacement	δ (mm)		45.11 (30.0)	72.99 (75.0)
Penetration depth	D (m)		16.53	16.53
Whole length of SSP	L (m)	19.00		

L_No. 27 pp 32

CHAPTER 2 STEEL SHEET PILE (SSP) REVETMENT (RIGHT BANK)

Table R 3.1.1 Design Results of SSP Revetment in Each Section (Right Bank)

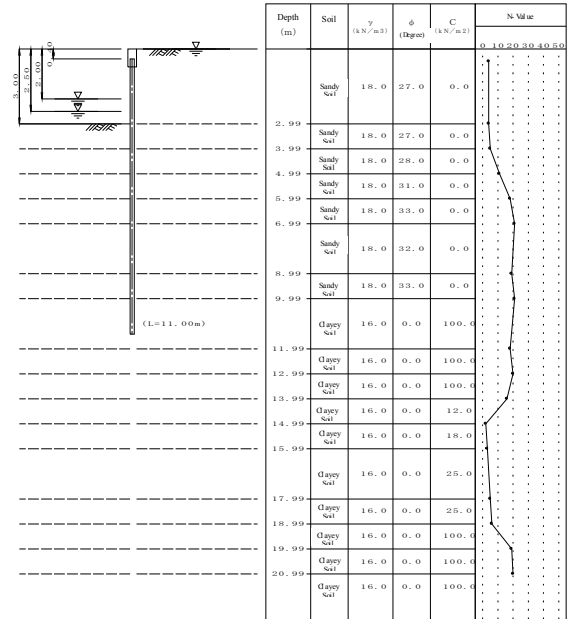
No.	Section			EL. of Design Riverbed (EI, m)	Designed SSP Revetment			Result of Design Calculation			
	from	to	Bank		Type	Z ₀ (cm ³)	Length (m)	Stress (N/mm ²)		Displacement (mm)	
								Normal (acceptable)	Seismic (acceptable)	Normal (50)	Seismic (75)
1	3+649	3+753	R	9.6	IV _w	2700	11.0	84 (180)	105 (270)	44.85	59.20
2	5+046	5+100	R	10.0	V _L	3150	12.0	62 (180)	94 (270)	38.92	64.94
3	5+100	5+223	R	10.0	VI _L	3820	12.5	66 (180)	90 (270)	41.86	61.62
4	5+262	5+340	R	10.0	VI _L	3820	13.0	53 (180)	81 (270)	36.53	61.33
5	5+340	5+414	R	10.0	VI _L	3820	13.0	60 (180)	92 (270)	38.83	65.28
6	5+545	5+639	R	10.0	10H + 450x200x12x25	902+2320	14.0	97 (185)	148 (278)	45.02	69.06
7	6+337	6+510	R	10.1	V _L	3150	12.0	65 (180)	88 (270)	43.3	62.39
8	8+222	8+250	R	10.1	10H + 550x250x12x28	902+3940	15.0	90 (185)	112 (278)	43.66	54.73
9	8+250	8+400	R	10.1	VI _L	3820	12.0	66 (180)	99 (270)	39.39	63.44
10	8+400	8+510	R	10.1	10H + 450x250x9x22	902+2490	13.5	110 (185)	151 (278)	44.71	61.74
11	8+510	8+650	R	10.1	VI _L	3820	12.5	63 (180)	96 (270)	39.34	65.21
12	8+650	8+800	R	10.1	10H + 400x200x9x22	902+1760	13.0	112 (185)	139 (278)	46.89	58.09
13	8+800	8+900	R	10.1	VI _L	3820	11.5	78 (180)	119 (270)	44.53	71.14
14	8+900	9+000	R	10.1	VI _L	3820	12.0	73 (180)	107 (270)	43.87	68.49
15	9+000	9+150	R	10.1	VI _L	3820	12.0	63 (180)	96 (270)	36.81	60.07
16	9+150	9+200	R	8.1	10H + 650x250x12x28	902+4850	16.5	100 (185)	127 (278)	47.39	64.03
17	9+200	9+341	R	10.1	IV _w	2700	10.5	81 (180)	121 (270)	39.29	64.16
18	9+430	9+550	R	10.1	VI _L	3820	12.5	64 (180)	98 (270)	40.83	66.06
19	9+550	9+650	R	10.1	VI _L	3820	12.0	64 (180)	98 (270)	38.59	61.89
20	9+650	9+723	R	10.1	VI _L	3820	12.0	64 (180)	98 (270)	40.10	63.28
21	9+723	9+750	R	10.1	10H + 400x200x9x22	902+1760	12.5	104 (185)	161 (278)	37.00	60.18
22	9+750	9+770	R	10.1	VI _L	3820	12.0	67 (180)	103 (270)	38.99	64.46
23	9+770	9+830	R	8.1	10H + 600x250x12x28	902+4390	15.5	105 (185)	127 (278)	47.65	60.19
24	9+830	9+947	R	10.1	VI _L	3820	12.0	64 (180)	99 (270)	38.87	64.22
25	10+956	11+050	R	8.2	10H + 500x200x12x25	902+2650	14.0	117 (185)	156 (278)	46.91	65.65
26	11+050	11+150	R	8.2	10H + 750x250x12x25	902+5390	18.0	97 (185)	147 (278)	42.57	70.16
27	11+150	11+263	R	8.2	10H + 650x200x12x28	902+4020	15.0	115 (185)	138 (278)	46.55	56.42
28	11+610	11+653	R	10.2	IV _w	2700	11.0	77 (180)	124 (270)	41.21	72.72
29	11+788	11+803	R	10.2	VI _L	3820	11.5	71 (180)	112 (270)	39.41	68.30
30	13+578	13+700	R	10.2	IV _w	2700	11.0	70 (180)	121 (270)	36.40	67.54
31	13+700	13+802	R	10.2	IV _w	2700	10.0	73 (180)	122 (270)	33.63	60.37
32	13+802	13+900	R	10.2	VI _L	3820	11.5	75 (180)	100 (270)	44.81	60.35
33	13+900	14+000	R	10.2	VI _L	3820	12.0	59 (180)	109 (270)	32.76	69.21
34	14+000	14+100	R	10.2	IV _w	2700	10.0	67 (180)	109 (270)	29.52	50.95
35	14+100	14+200	R	10.2	III _w	1800	8.5	105 (180)	162 (270)	43.44	69.47
36	14+200	14+300	R	10.2	V _L	3150	10.0	74 (180)	126 (270)	35.00	65.18
37	14+300	14+350	R	10.2	10H + 400x200x9x22	902+1760	12.0	76 (185)	203 (278)	23.24	69.65
38	14+350	14+395	R	10.2	10H + 500x250x12x28	902+3500	13.5	91 (185)	166 (278)	32.88	66.13
39	14+835	14+943	R	10.2	IV _w	2700	10.0	72 (180)	114 (270)	31.55	52.44
40	14+983	15+075	R	10.2	10H + 400x200x9x22	902+1760	11.5	97 (185)	178 (278)	30.17	58.36
41	15+409	15+441	R	10.2	10H + 450x250x9x22	902+2490	11.5	76 (185)	208 (278)	21.20	63.73
42	15+476	15+494	R	10.2	IV _w	2700	9.5	82 (180)	142 (270)	33.58	61.28
43	16+667	16+724	R	10.2	VI _L	3820	11.0	69 (180)	121 (270)	36.07	69.50
44	16+760	16+840	R	10.2	10H + 450x250x9x22	902+2490	13.0	79 (185)	158 (278)	26.14	61.14

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 01_STA 3+649 - 3+753



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 3.00 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP ton H = 0.40 m
 Landside WL L_{land} = 0.00 m (Normal Condition)
 Riverside WL L_{river} = 2.50 m (Normal Condition)
 L_{river}' = 2.00 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.01_pp.1

R_No.01_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition
 Design earthquake intensity k = 0.200
 Dynamic water pressure due to earthquake considered as distributed load
 Arbitrary load Horizontal load R = 0.0 kNm (Normal Condition)
 R' = 4.1 kNm (Seismic Condition)
 Depth of acting point H = 0.00 m (Normal Condition)
 H' = 0.26 m (Seismic Condition)
 Moment M_m = 0.0 kNm/m (Normal Condition)
 M_m' = 2.2 kNm/m (Seismic Condition)
 Depth of acting point H_m = 0.00 m (Seismic Condition)
 H_m' = 0.80 m (Normal Condition)
 (*Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula K_s = 6910 × N' 0.406

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	4	11	13.99	16
2	2.99	4	12	14.99	2
3	3.99	5	13	15.99	3
4	4.99	11	14	17.99	5
5	5.99	18	15	18.99	6
6	6.99	21	16	19.99	19
7	8.99	19	17	20.99	20
8	9.99	21	18	21.99	21
9	11.99	18			
10	12.99	20			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

No	Depth (m)	Soil	N-value	γ (kNm ³)	γ' (kNm ³)	ϕ	C (kNm ²)	a	k'	ζ (degree)		kh (kNm ³)	
										normal	seismic	normal	seismic
1	2.99	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
2	3.99	S	5.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
3	4.99	S	11.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
4	5.99	S	18.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	—	—
5	6.99	S	21.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
6	8.99	S	19.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	—	—
7	9.99	S	21.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
8	11.99	C	18.0	16.00	8.00	0.0	100.0	0.0	0.200	auto	auto	—	—
9	12.99	C	20.0	16.00	8.00	0.0	100.0	0.0	0.200	auto	auto	—	—
10	13.99	C	16.0	16.00	8.00	0.0	100.0	0.0	0.200	auto	auto	—	—
11	14.99	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
12	15.99	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	—	—
13	17.99	C	5.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
14	18.99	C	6.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
15	19.99	C	19.0	16.00	8.00	0.0	100.0	0.0	0.200	auto	auto	—	—
16	20.99	C	20.0	16.00	8.00	0.0	100.0	0.0	0.200	auto	auto	—	—
17	21.99	C	16.0	16.00	8.00	0.0	100.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed(M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C_s : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

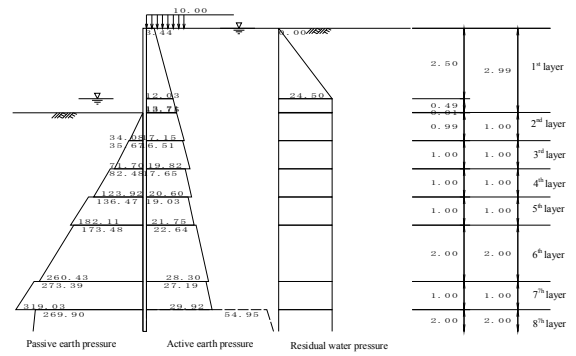
Angle of wall friction	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

1-8 Steel Sheet Pile (SSP)

Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I _x = 56700 cm ⁴
Sectional factor	Z _x = 2700 cm ³
Corrosion margin	t _r = 1.00 mm (riverside) t _s = 1.00 mm (landside)
Corrosion rate (to I _x)	n = 0.88
Corrosion rate (to Z _x)	n = 0.88
Section efficiency (to I _x)	u = 0.80
Section efficiency (to Z _x)	u = 1.00
Round unit of SSP length	0.50 m
Allowable stress	σ _a = 180 Nmm (Normal) σ _a ' = 270 Nmm (Seismic)
Allowable displacement	δ _a = 50.0mm (Normal) δ _a ' = 75.0mm (Seismic)
Bending of cantilever beam	calculated as distributed load of each layer
Reduction of material modulus	Reduced: I _x applied to calculation of lateral coefficient of subgrade reaction Not reduced: I _x applied to calculation of penetration depth Reduced: I _x applied to calculation of section forces and displacement Reduced: Z _x applied to calculation of stresses

2 Lateral Pressure

2-1 Normal Condition



2-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σyh+Qh (kNm ⁻²)	Ka	Kp × cosδ
14.99~15.99	Clayey soil	8.0	---	18.0 18.0	149.900 157.900	---	---
15.99~17.99	Clayey soil	8.0	---	25.0 25.0	157.900 173.900	---	---
17.99~18.99	Clayey soil	8.0	---	25.0 25.0	173.900 181.900	---	---
18.99~19.99	Clayey soil	8.0	---	100.0 100.0	181.900 189.900	---	---
19.99~20.99	Clayey soil	8.0	---	100.0 100.0	189.900 197.900	---	---
20.99~21.25	Clayey soil	8.0	---	100.0 100.0	197.900 200.000	---	---
21.25~21.99	Clayey soil	8.0	---	100.0 100.0	200.000 205.900	---	---

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σyh+Qh (kNm ⁻²)	Ka	Kp × cosδ
14.99~15.99	Clayey soil	8.0	---	18.0 18.0	149.900 157.900	---	---
15.99~17.99	Clayey soil	8.0	---	25.0 25.0	157.900 173.900	---	---
17.99~18.99	Clayey soil	8.0	---	25.0 25.0	173.900 181.900	---	---
18.99~19.99	Clayey soil	8.0	---	100.0 100.0	181.900 189.900	---	---
19.99~20.99	Clayey soil	8.0	---	100.0 100.0	189.900 197.900	---	---
20.99~21.25	Clayey soil	8.0	---	100.0 100.0	197.900 200.000	---	---
21.25~21.99	Clayey soil	8.0	---	100.0 100.0	200.000 205.900	---	---

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σyh+Qh (kNm ⁻²)	Kp	Kp × cosδ
18.99~19.99	Clayey soil	8.0	0.0	100.0	149.900 157.900	---	---
19.99~20.99	Clayey soil	8.0	0.0	100.0	157.900 160.000	---	---
20.99~21.25	Clayey soil	8.0	0.0	100.0	160.000 165.900	---	---

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

2-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σyh+Qh (kNm ⁻²)	Kp	Kp × cosδ
4.00~3.99	Sandy soil	10.0	27.0	---	0.000 9.900	3.44261 3.48553	3.44261 3.44261
3.99~4.99	Sandy soil	10.0	28.0	---	9.900 19.900	3.64796 3.64796	3.60305 3.60305
4.99~5.99	Sandy soil	10.0	31.0	---	19.900 29.900	4.19615 4.19615	4.14448 4.14448
5.99~6.99	Sandy soil	10.0	33.0	---	29.900 39.900	4.62104 4.62104	4.56415 4.56415
6.99~8.99	Sandy soil	10.0	32.0	---	39.900 59.900	4.40199 4.40199	4.34780 4.34780
8.99~9.99	Sandy soil	10.0	33.0	---	59.900 69.900	4.62104 4.62104	4.56415 4.56415
9.99~11.99	Clayey soil	8.0	0.0	100.0 100.0	69.900 85.900	---	---
11.99~12.99	Clayey soil	8.0	0.0	100.0 100.0	85.900 93.900	---	---
12.99~13.99	Clayey soil	8.0	0.0	100.0 100.0	93.900 101.900	---	---
13.99~14.99	Clayey soil	8.0	0.0	12.0 12.0	101.900 109.900	---	---
14.99~15.99	Clayey soil	8.0	0.0	18.0 18.0	109.900 117.900	---	---
15.99~17.99	Clayey soil	8.0	0.0	25.0 25.0	117.900 133.900	---	---
17.99~18.99	Clayey soil	8.0	0.0	25.0 25.0	133.900 141.900	---	---
18.99~19.99	Clayey soil	8.0	0.0	100.0 100.0	141.900 149.900	---	---

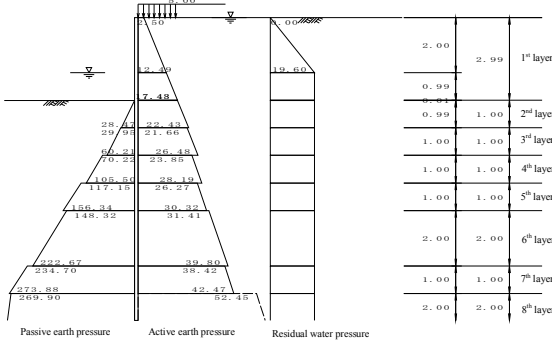
2-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure		Passive side	
	Ph1 (kNm ⁻²)	Ph2 (kNm ⁻²)	Ph (kNm ⁻²)	Pw (kNm ⁻²)	Pw (kNm ⁻²)	Pp (kNm ⁻²)	Pp (kNm ⁻²)
1.00~2.50	3.44	---	3.44	0.00	---	---	---
2.50~2.99	12.03	---	12.03	24.50	---	---	---
2.99~3.00	13.71	---	13.71	24.50	---	---	---
3.00~3.99	13.75	---	13.75	24.50	---	---	---
3.99~4.99	17.15	---	17.15	24.50	---	0.00	34.08
4.99~5.99	16.51	---	16.51	24.50	---	35.67	---
5.99~6.99	19.82	---	19.82	24.50	---	71.70	---
6.99~7.99	17.65	---	17.65	24.50	---	82.48	---
7.99~8.99	20.60	---	20.60	24.50	---	123.92	---
8.99~9.99	19.03	---	19.03	24.50	---	136.47	---
9.99~10.99	21.75	---	21.75	24.50	---	182.11	---
10.99~11.99	22.64	---	22.64	24.50	---	173.48	---
11.99~12.99	28.30	---	28.30	24.50	---	260.43	---
12.99~13.99	27.19	---	27.19	24.50	---	273.39	---
13.99~14.99	29.92	---	29.92	24.50	---	319.03	---
14.99~15.99	-90.10	54.95	54.95	24.50	---	269.90	---
15.99~16.99	-74.10	62.95	62.95	24.50	---	285.90	---
16.99~17.99	-78.10	62.95	62.95	24.50	---	285.90	---
17.99~18.99	-66.10	66.95	66.95	24.50	---	293.90	---
18.99~19.99	-66.10	66.95	66.95	24.50	---	293.90	---
19.99~20.99	-58.10	70.95	70.95	24.50	---	301.90	---
20.99~21.25	117.90	70.95	117.90	24.50	---	125.90	---
21.25~21.99	125.90	74.95	125.90	24.50	---	133.90	---
21.99~22.99	113.90	74.95	113.90	24.50	---	145.90	---
22.99~23.99	121.90	78.95	121.90	24.50	---	153.90	---
23.99~24.99	107.90	78.95	107.90	24.50	---	167.90	---
24.99~25.99	123.90	86.95	123.90	24.50	---	183.90	---
25.99~26.99	131.90	86.95	131.90	24.50	---	183.90	---
26.99~27.99	18.10	90.95	90.95	24.50	---	341.90	---
27.99~28.99	-10.10	94.95	94.95	24.50	---	349.90	---
28.99~29.99	-10.10	94.95	94.95	24.50	---	349.90	---
29.99~30.99	-2.10	98.95	98.95	24.50	---	357.90	---
30.99~31.99	-2.10	98.95	98.95	24.50	---	357.90	---
31.99~32.99	0.00	100.00	100.00	24.50	---	360.00	---
32.99~33.99	0.00	100.00	100.00	24.50	---	360.00	---
33.99~34.99	0.00	102.95	102.95	24.50	---	365.90	---

- Formula for active earth pressure
 Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 $P_{a1} = \Sigma \gamma h + Q - 2C$
 Clayey soil $P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)
 Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure
 Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

2-2 Seismic Condition



2-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ³)	φ (degree)	C (kNm ²)	Σγh+Q (kNm ²)	γwhw (kNm ²)	k (k)	θ (degree)	K _a	K _a × cosδ	θ (degree)
1 0.00~2.00	Sandy Soil	10.0	27.0	---	5.00 25.00	0.00 19.60	0.200 0.200	11.31 11.31	0.50574 0.50574	0.49951 0.49951	---
2 2.00~2.99	Sandy Soil	10.0	27.0	---	25.00 34.90	19.60 29.30	0.200 0.200	11.31 11.31	0.50574 0.50574	0.49951 0.49951	---
3 2.99~3.00	Sandy Soil	10.0	27.0	---	34.90 35.00	29.30 29.40	0.200 0.200	11.31 11.31	0.50574 0.50574	0.49951 0.49951	---
4 3.00~3.99	Sandy Soil	10.0	27.0	---	35.00 44.90	29.40 39.10	0.200 0.200	11.31 11.31	0.50574 0.50574	0.49951 0.49951	---
5 3.99~4.99	Sandy Soil	10.0	28.0	---	44.90 54.90	39.10 48.90	0.200 0.200	11.31 11.31	0.48839 0.48839	0.48237 0.48237	---

R_No.01_pp.9

Passive earth pressure Active earth pressure Residual water pressure

Depth (m)	Soil	γ (kNm ³)	φ (degree)	C (kNm ²)	Σγh+Qp (kNm ²)	γwhw (kNm ²)	k (k)	θ (degree)	K _p	K _p × cosδ	θ (degree)
8 6.99~8.99	Sandy soil	10.00	32.0	---	39.900 59.900	39.10 58.70	0.200 0.200	11.31 11.31	3.76368 3.76368	3.71734 3.71734	---
9 8.99~9.99	Clayey soil	10.00	33.0	---	59.900 69.900	58.70 68.50	0.200 0.200	11.31 11.31	3.96703 3.96703	3.91819 3.91819	---
10 9.99~11.99	Clayey soil	8.00	0.0	100.0 100.0	69.900 85.900	68.50 88.10	0.200 0.200	11.31 11.31	---	---	---
11 11.99~12.99	Clayey soil	8.00	0.0	100.0 100.0	85.900 93.900	88.10 97.90	0.200 0.200	11.31 11.31	---	---	---
12 12.99~13.99	Clayey soil	8.00	0.0	100.0 100.0	93.900 101.900	97.90 107.70	0.200 0.200	11.31 11.31	---	---	---
13 13.99~14.99	Clayey soil	8.00	0.0	12.0 12.0	101.900 109.900	107.70 117.50	0.200 0.200	11.31 11.31	---	---	---
14 14.99~15.99	Clayey soil	8.00	0.0	18.0 18.0	109.900 117.900	117.50 127.30	0.200 0.200	11.31 11.31	---	---	---
15 15.99~17.99	Clayey soil	8.00	0.0	25.0 25.0	117.900 133.900	127.30 146.90	0.200 0.200	11.31 11.31	---	---	---
16 17.99~18.99	Clayey soil	8.00	0.0	25.0 25.0	133.900 141.900	146.90 156.70	0.200 0.200	11.31 11.31	---	---	---
17 18.99~19.99	Clayey soil	8.00	0.0	100.0 100.0	141.900 149.900	156.70 166.50	0.200 0.200	11.31 11.31	---	---	---
18 19.99~20.99	Clayey soil	8.00	0.0	100.0 100.0	149.900 157.900	166.50 176.30	0.200 0.200	11.31 11.31	---	---	---
19 20.99~21.99	Clayey soil	8.00	0.0	100.0 100.0	157.900 165.900	176.30 186.10	0.200 0.200	11.31 11.31	---	---	---

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = -9.00, \beta = 0.00, \theta = \tan^{-1}k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

2-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure P _w kNm ²	Passive side P _p kNm ²
		Pa1 kNm ²	Pa2 kNm ²	P _a kNm ²		
1	0.00~2.00	2.50 12.49	---	2.50 12.49	0.00 19.60	---
2	2.00~2.99	12.49 17.43	---	12.49 17.43	19.60 19.60	---
3	2.99~3.00	17.43 17.48	---	17.43 17.48	19.60 19.60	---
4	3.00~3.99	17.48 22.43	---	17.48 22.43	19.60 19.60	0.00 28.47
5	3.99~4.99	21.66 26.48	---	21.66 26.48	19.60 19.60	29.95 60.21
6	4.99~5.99	23.85 28.19	---	23.85 28.19	19.60 19.60	70.22 105.50
7	5.99~6.99	26.27 30.32	---	26.27 30.32	19.60 19.60	117.15 156.34

R_No.01_pp.11

Depth (m)	Soil	γ (kNm ³)	φ (degree)	C (kNm ²)	Σγh+Q (kNm ²)	γwhw (kNm ²)	k (k)	θ (degree)	K _a	K _a × cosδ	θ (degree)
6 4.99~5.99	Sandy Soil	10.0	31.0	---	54.90 64.90	48.90 58.70	0.200 0.200	11.31 11.31	0.43976 0.43976	0.43434 0.43434	---
7 5.99~6.99	Sandy Soil	10.0	33.0	---	64.90 74.90	58.70 68.50	0.200 0.200	11.31 11.31	0.40986 0.40986	0.40481 0.40481	---
8 6.99~8.99	Sandy Soil	10.0	32.0	---	74.90 84.90	68.50 78.30	0.200 0.200	11.31 11.31	0.42457 0.42457	0.41935 0.41935	---
9 8.99~9.99	Sandy Soil	10.0	33.0	---	84.90 94.90	78.30 88.10	0.200 0.200	11.31 11.31	0.40986 0.40986	0.40481 0.40481	---
10 9.99~11.99	Clayey Soil	8.00	---	100.0 100.0	104.90 120.90	97.90 117.50	0.200 0.200	11.31 11.31	---	---	43.33 43.07
11 11.99~12.99	Clayey Soil	8.00	---	100.0 100.0	120.90 136.90	117.50 137.10	0.200 0.200	11.31 11.31	---	---	43.07 42.94
12 12.99~13.99	Clayey Soil	8.00	---	100.0 100.0	136.90 152.90	137.10 157.30	0.200 0.200	11.31 11.31	---	---	42.94 42.81
13 13.99~14.99	Clayey Soil	8.00	---	12.0 12.0	152.90 168.90	157.30 177.50	0.200 0.200	11.31 11.31	---	---	10.00 10.00
14 14.99~15.99	Clayey Soil	8.00	---	18.0 18.0	168.90 184.90	177.50 197.70	0.200 0.200	11.31 11.31	---	---	22.24 19.31
15 15.99~17.99	Clayey Soil	8.00	---	25.0 25.0	184.90 200.90	197.70 217.90	0.200 0.200	11.31 11.31	---	---	31.26 28.89
16 17.99~18.99	Clayey Soil	8.00	---	25.0 25.0	200.90 216.90	217.90 238.10	0.200 0.200	11.31 11.31	---	---	28.89 27.56
17 18.99~19.99	Clayey Soil	8.00	---	100.0 100.0	216.90 232.90	238.10 258.30	0.200 0.200	11.31 11.31	---	---	42.13 41.99
18 19.99~20.99	Clayey Soil	8.00	---	100.0 100.0	232.90 248.90	258.30 278.50	0.200 0.200	11.31 11.31	---	---	41.99 41.85
19 20.99~21.99	Clayey Soil	8.00	---	100.0 100.0	248.90 264.90	278.50 298.70	0.200 0.200	11.31 11.31	---	---	41.85 41.70

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \left(1 - \frac{\Sigma \gamma h + 2Q}{2C} \right) \cdot \tan \theta$$

2-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ³)	φ (degree)	C (kNm ²)	Σγh+Qp (kNm ²)	γwhw (kNm ²)	k (k)	θ (degree)	K _p	K _p × cosδ	θ (degree)
4 3.00~3.99	Sandy soil	10.00	27.0	---	0.000 9.900	0.00 9.70	0.200 0.200	11.31 11.31	2.91211 2.91211	2.87626 2.87626	---
5 3.99~4.99	Sandy soil	10.00	28.0	---	9.900 19.900	9.70 19.50	0.200 0.200	11.31 11.31	3.06329 3.06329	3.02557 3.02557	---
6 4.99~5.99	Sandy soil	10.00	31.0	---	19.900 29.900	19.50 29.30	0.200 0.200	11.31 11.31	3.57258 3.57258	3.52859 3.52859	---
7 5.99~6.99	Sandy soil	10.00	33.0	---	29.900 39.900	29.30 39.10	0.200 0.200	11.31 11.31	3.96703 3.96703	3.91819 3.91819	---

R_No.01_pp.10

Passive earth pressure Active earth pressure Residual water pressure

No	Depth (m)	Active side			Residual water pressure P _w kNm ²	Passive side P _p kNm ²
		Pa1 kNm ²	Pa2 kNm ²	P _a kNm ²		
8	6.99~8.99	31.41 39.80	---	31.41 39.80	19.60 19.60	148.32 222.67
9	8.99~9.99	38.42 42.47	---	38.42 42.47	19.60 19.60	234.70 273.88
10	9.99~11.99	-73.20 -53.69	52.45 60.45	52.45 60.45	19.60 19.60	269.90 285.90
11	11.99~12.99	-53.69 -43.92	60.45 64.45	60.45 64.45	19.60 19.60	285.90 293.90
12	12.99~13.99	-43.92 -34.13	64.45 68.45	64.45 68.45	19.60 19.60	293.90 301.90
13	13.99~14.99	222.01 239.08	68.45 72.45	222.01 239.08	19.60 19.60	125.90 133.90
14	14.99~15.99	164.39 182.30	72.45 76.45	164.39 182.30	19.60 19.60	145.90 153.90
15	15.99~17.99	146.92 171.02	76.45 84.45	146.92 171.02	19.60 19.60	167.90 183.90
16	17.99~18.99	171.02 183.74	84.45 88.45	171.02 183.74	19.60 19.60	183.90 191.90
17	18.99~19.99	15.01 24.88	88.45 92.45	88.45 92.45	19.60 19.60	341.90 349.90
18	19.99~20.99	24.88 34.76	92.45 96.45	92.45 96.45	19.60 19.60	349.90 357.90
19	20.99~21.99	34.76 44.66	96.45 100.45	96.45 100.45	19.60 19.60	357.90 365.90

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)
 Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

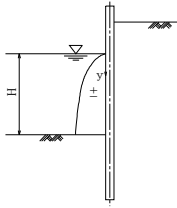
R_No.01_pp.12

2-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	W.L. y (m)	P _w (kNm ²)
1	2.00	0.00	0.00
2	3.00	1.00	1.72

Where,

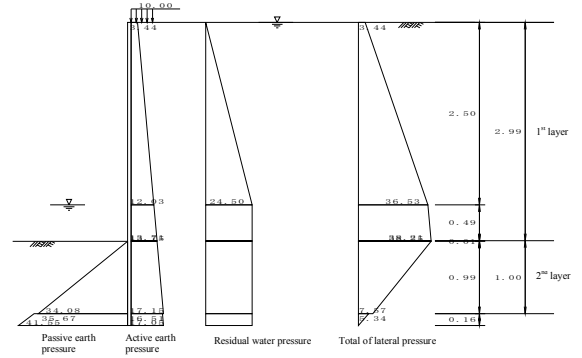
- k_{bs}: design seismic coefficient
- γ_w: unit weight of water
- H: water depth of river side
- y: depth from water surface to the point where active water pressure is calculated



3 Imaginary Riverbed

Imaginary ground level L_i is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure

3-1 Normal Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1 0.00~2.50	3.44 12.03	0.00 12.03	— —	3.44 36.53
2 2.50~2.99	12.03 13.71	24.50 24.50	— —	36.53 38.21
3 2.99~3.00	13.71 13.75	24.50 24.50	— —	38.21 38.25
4 3.00~3.99	13.75 17.15	24.50 24.50	0.00 34.08	38.25 7.57
5 3.99~4.15	16.51 17.05	24.50 24.50	35.67 41.55	5.34 0.00
6 4.15~4.99	17.05 19.82	24.50 24.50	41.55 71.70	0.00 -27.38

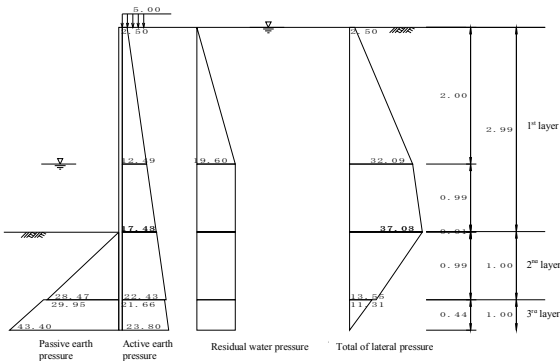
- P_a: Active earth pressure
- P_w: Residual water pressure
- P_p: Passive earth pressure
- P_s: Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_i: 1.15 m (GL -4.15 m)

R_No.01_pp.13

R_No.01_pp.14

3-2 Seismic Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1 0.00~2.00	2.50 12.49	0.00 12.49	— —	2.50 32.09
2 2.00~2.99	12.49 17.43	19.60 19.60	— —	32.09 37.03
3 2.99~3.00	17.43 17.48	19.60 19.60	— —	37.03 37.08
4 3.00~3.99	17.48 22.43	19.60 19.60	0.00 28.47	37.08 13.55
5 3.99~4.44	21.66 23.80	19.60 19.60	29.95 43.40	11.31 0.00
6 4.44~4.99	23.80 26.48	19.60 19.60	43.40 60.21	0.00 -14.13

- P_a: Active earth pressure
- P_w: Residual water pressure
- P_p: Passive earth pressure
- P_s: Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_i: 1.44 m (GL -4.44 m)

4 Modulus of Lateral Subgrade Reaction

4-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below:

$$K_h = 6910 \times N^{0.096}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4EI}}$$

- Unit width B = 1.0000 m
- Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
- Corrosion rate n = 0.88
- Section efficiency u = 0.80
- Young's modulus E = 200000 N/mm²
- Inertia sectional moment I₀ = 56700 cm⁴ (original condition)
- I = 39917 cm⁴ (after reduction by corrosion and i/c r)
- Inertia sectional moment EI = 200000 × 10⁸ × 39917 × 10⁻⁸ = 7.983 × 10⁸

Depth (m)	N value	Depth (m)	N value
1 0.50	4	11 13.99	16
2 2.99	4	12 14.99	2
3 3.99	5	13 15.99	3
4 4.99	11	14 17.99	5
5 5.99	18	15 18.99	6
6 6.99	21	16 19.99	19
7 8.99	19	17 20.99	20
8 9.99	21	18 21.99	21
9 11.99	18		
10 12.99	20		

4-2 Normal Condition

K_s = 19175 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4EI}}$$

$$= 0.495 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.02 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -4.15 m) to 2.02 m depth (GL -6.17 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1 4.15	0.84	6.0	11.0	7.10
2 4.99	1.00	11.0	18.0	14.50
3 5.99	0.18	18.0	18.6	3.35

$$L = 2h = 2.02 \quad \Sigma A = 24.96$$

$$A = (\text{upper N value} + \text{lower N value}) \times h/2$$

$$\begin{aligned} \text{average } N\text{-value } N' &= \frac{\sum A}{L} \\ &= \frac{24.96}{2.02} \\ &= 12.35 \end{aligned}$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following
 $K_c = 6910 \times N'^{0.896} = 6910 \times 12.35^{0.896} = 19175 \text{ kN/m}^3$
 Kh (normal condition) = 19175 kNm³

4-3 Seismic Condition

$K_c = 20162 \text{ kNm}^3$ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.501 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 1.99 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (CL -4.43 m) and 1.99 m depth (CL -6.43 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)	
		upper	lower		
1	4.43	0.56	7.7	11.0	5.18
2	4.99	1.00	11.0	18.0	14.50
3	5.99	0.44	18.0	19.3	8.20

$$L = 2h = 1.99 \quad \Sigma A = 27.88$$

A (upper N-value + lower N-value) × h/2

$$\begin{aligned} \text{average } N\text{-value } N' &= \frac{\Sigma A}{L} \\ &= \frac{27.88}{1.99} \\ &= 13.98 \end{aligned}$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following
 $K_c = 6910 \times N'^{0.896} = 6910 \times 13.98^{0.896} = 20162 \text{ kN/m}^3$
 Kh (seismic condition) = 20162 kNm³

R_No.01_pp.17

R_No.01_pp.18

5-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load Ps (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~2.00	2.50 32.09	2.50 32.09	3.77 3.10	9.41 99.51
2	2.00~2.99	32.09 37.03	18.88 18.33	2.10 1.77	33.43 32.53
3	2.99~3.00	37.03 37.08	0.19 0.19	1.44 1.44	0.27 0.27
4	3.00~3.99	37.08 13.55	18.36 6.71	1.10 0.77	20.27 5.20
5	3.99~4.43	11.31 0.00	2.51 0.00	0.30 0.15	0.74 0.00

$$\Sigma P = 96.75 \quad \Sigma M = 201.63$$

P_0 : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_0 \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load
 depth to acting position $H = 0.26 \text{ m}$
 moment $M_0 = 2.2 \text{ kNm/m}$
 Height from riverbed to top of coping $H = 0.80 \text{ m}$
 Depth of imaginary riverbed from riverbed $I_k = 1.43 \text{ m}$

Moment M_0 by arbitrary load is as below
 $M = P \cdot (H + I_k - H) + M_0 = 19.32 \text{ kN-m}$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{dw} (kNm ²)	Load P_{dw} (kN)	Arm length Y (m)	Moment M_{dw} (kNm)
1	2.00~3.00	1.00	0.0 1.7	0.00 0.86	2.10 1.77	0.00 1.52

$$\Sigma P_{dw} = 0.86 \quad \Sigma M_{dw} = 1.52$$

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_{dw}}{\Sigma P + P_0 + \Sigma P_{dw}}$$

$$= \frac{222.46}{101.71} = 2.19 \text{ m}$$

5 Sectional Force and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

5-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

5-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~2.50	3.44 36.53	4.30 45.66	3.32 2.49	14.26 113.55
2	2.50~2.99	36.53 38.21	8.95 9.36	1.49 1.33	13.34 12.42
3	2.99~3.00	38.21 38.25	0.19 0.19	1.16 1.16	0.22 0.22
4	3.00~3.99	38.25 7.57	18.93 3.75	0.82 0.49	15.39 1.85
5	3.99~4.15	5.34 0.00	0.44 0.00	0.11 0.05	0.05 0.00

$$\Sigma P = 91.77 \quad \Sigma M = 171.49$$

P_0 : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_0 \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load
 depth to acting position $H = 0.00 \text{ m}$
 moment $M_0 = 0.0 \text{ kNm/m}$
 Height from riverbed to top of coping $H = 0.00 \text{ m}$
 Depth of imaginary riverbed from riverbed $I_k = 1.15 \text{ m}$

Moment M_0 by arbitrary load is as below
 $M = P \cdot (H + I_k - H) + M_0 = 0.00 \text{ kNm}$

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0}$$

$$= \frac{171.49}{91.77} = 1.87 \text{ m}$$

5-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000 \text{ m}$
 Corrosion margin $t_c = 1.00 \text{ mm}$ (active side) $t_s = 1.00 \text{ mm}$ (passive side)
 Corrosion rate $\eta = 0.88$
 Section efficiency $\mu = 0.80$
 Young's modulus $E = 200000 \text{ Nmm}^2$
 Inertia sectional moment $I_0 = 56700 \text{ cm}^4$ (original condition)
 $I = 39917 \text{ cm}^4$ (after reduction by corrosion and section)
 $EI = 200000 \times 10^3 \times 39917 \times 10^8 = 7.983 \times 10^8$

$$\beta = 4\sqrt{\frac{K_b \cdot B}{4 E I}}$$

$$\phi_n = \frac{\sqrt{(1+2\beta h_0)^2+1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_n$$

$$1_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$1_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

5-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_c = 19175 \text{ kNm}^3$
 $\beta = 0.49502 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 91.77 \text{ kN/m}$
 height of acting position of load $h_0 = 1.87 \text{ m}$
 moment $M_0 = 171.49 \text{ kN-m/m}$

in consideration of $\psi_c = 1.165$,
 maximum moment $M_{max} = 199.79 \text{ kN-m/m}$
 depth of generated position of M_{max} $L_c = 0.682 \text{ m}$
 depth of fixed point $l_c = 2.268 \text{ m}$

5-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_c = 20162 \text{ kNm}^3$
 $\beta = 0.50127 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 101.71 \text{ kN/m}$
 height of acting position of load $h_0 = 2.19 \text{ m}$
 moment $M_0 = 222.46 \text{ kN-m/m}$

in consideration of $\psi_c = 1.126$,
 maximum moment $M_{max} = 250.57 \text{ kN-m/m}$
 depth of generated position of M_{max} $L_c = 0.606 \text{ m}$
 depth of fixed point $l_c = 2.172 \text{ m}$

R_No.01_pp.19

R_No.01_pp.20

5-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as followings:

Corrosion margin	t _c = 1.00 mm (active side)	t _s = 1.00 mm (passive side)
Corrosion rate	n = 0.88	
Section efficiency	u = 1.00	
Module of section	Z ₀ = 2700 cm ³ (original condition)	
	Z = 2376 cm ³ (after reduction by corrosion and section)	

5-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{199.79 \times 10^6}{2376 \times 10^3} = 84 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2 \quad (\text{ok})$$

5-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{250.57 \times 10^6}{2376 \times 10^3} = 105 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2 \quad (\text{ok})$$

5-4 Displacement

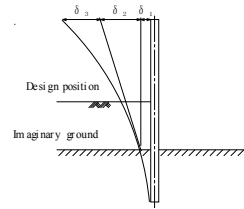
5-4-1 Normal Condition

Modulus of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.50	3.32	0.799	0.234	4.30	1.007
		2.49	0.599	0.143	45.66	6.551
2	2.50~2.99	1.49	0.359	0.057	8.95	0.507
		1.33	0.319	0.046	9.36	0.427
3	2.99~3.00	1.16	0.279	0.035	0.19	0.007
		1.16	0.278	0.035	0.19	0.007
4	3.00~3.99	0.82	0.198	0.018	18.93	0.347
		0.49	0.119	0.007	3.75	0.025
5	3.99~4.15	0.11	0.026	0.000	0.44	0.000
		0.05	0.013	0.000	0.00	0.000
$\Sigma Q = 8.878$						

Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_1}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L₁ : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1+0.4950 \times 1.87) \times 91.77}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.4950^3} = 0.00912 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_1) = \frac{(1+2 \times 0.4950 \times 1.87) \times 91.77}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.4950^2} \times (3.00+1.15) = 0.02776 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_1)^3}{E I} = \frac{8.88 \times (3.00+1.15)^3}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.00797 \text{ m}$$

Additional displacement δ' generated by horizontal load (P) and moment (M) acting at top of SSP considered

$$\delta' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.00912 + 0.02776 + 0.00797 = 0.04485 \text{ m} = 44.85 \text{ mm} \leq \delta_a = 50.00 \text{ mm} \quad (\text{ok})$$

Where
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

5-4-2 Seismic Condition

Modulus of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.00	3.77	0.850	0.259	2.50	0.646
		3.10	0.699	0.188	32.09	6.017
2	2.00~2.99	2.10	0.475	0.095	15.88	1.506
		1.77	0.400	0.069	18.33	1.272
3	2.99~3.00	1.44	0.325	0.047	0.19	0.009
		1.44	0.324	0.047	0.19	0.009
4	3.00~3.99	1.10	0.249	0.028	18.36	0.522
		0.77	0.175	0.014	6.71	0.096
5	3.99~4.43	0.30	0.067	0.002	2.51	0.005
		0.15	0.033	0.001	0.00	0.000
$\Sigma Q = 10.083$						

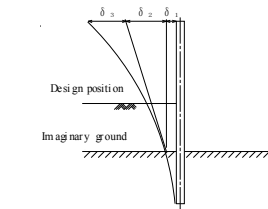
Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_1}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L₁ : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1	2.00~3.00	2.10	0.474	0.095	0.00	0.000
		1.77	0.399	0.069	0.86	0.059
$\Sigma Q_w = 0.059$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 11.329 + 0.059 = 11.388$

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1+0.5013 \times 2.19) \times 101.71}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5013^3} = 0.01060 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_1) = \frac{(1+2 \times 0.5013 \times 2.19) \times 101.71}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5013^2} \times (3.00+1.43) = 0.03589 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_1)^3}{E I} = \frac{11.39 \times (3.00+1.43)^3}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.01244 \text{ m}$$

Additional displacement δ' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.01060 + 0.03589 + 0.01270 = 0.05920 \text{ m} = 59.20 \text{ mm} \leq \delta_a = 75.00 \text{ mm} \quad (\text{ok})$$

Where
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

6 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B	=	1.0000 m	
Corrosion rate	η	=	1.00	
Section efficiency	μ	=	1.00	
Young's modulus	E	=	200000 N/mm ²	
Inertia sectional moment	I_0	=	56700 cm ⁴ (original condition)	
	I	=	56700 cm ⁴ (after reduction by corrosion and section)	
H	=	200000 × 10 ³ × 56700 × 10 ⁸	=	1.134 × 10 ¹⁸

6-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_0 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{10} + D$$

$$\beta = 4\sqrt{\frac{K_{10} \cdot B}{4 E I}}$$

6-1-1 Normal Condition

Modulus of lateral subgrade reaction	K_{10}	=	19175 kN/m ³
Calculated value	β	=	0.45344 m ⁻¹
Penetration length of SSP	D	=	1.15 + $\frac{3}{0.453}$ = 7.77 m
Whole length of SSP	L	=	3.00 - 0.40 + 7.77 = 10.37 m

6-1-2 Seismic Condition

Modulus of lateral subgrade reaction	K_{10}	=	20162 kN/m ³
Calculated value	β	=	0.45916 m ⁻¹
Penetration length of SSP	D	=	1.43 + $\frac{3}{0.459}$ = 7.97 m
Whole length of SSP	L	=	3.00 - 0.40 + 7.97 = 10.57 m

Therefore, whole length of SSP is set as 11.00 m in consideration of round unit of SSP length.

7 Calculation Result

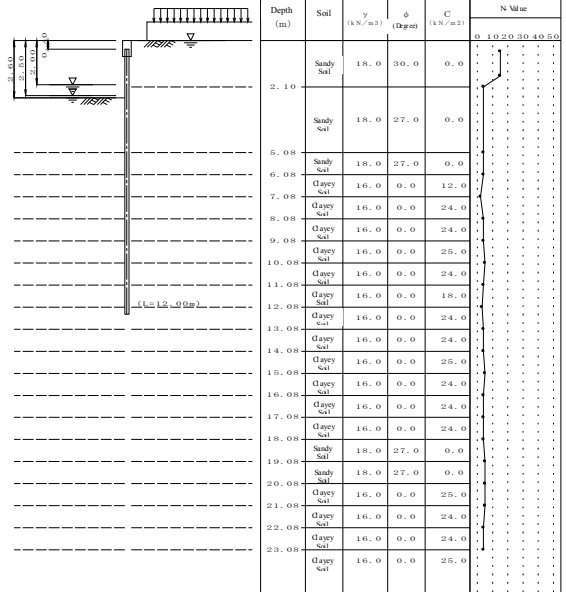
		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	56700	
Section modulus	Z (cm ³)	2700	
Maximum bending moment	M_{max} (kNm/m)	199.79	250.57
Stress intensity	σ (N/mm ²)	84 (180)	105 (200)
Lateral displacement	δ (mm)	44.85 (50.0)	59.20 (75.0)
Penetration depth	D (m)	7.77	7.97
Whole length of SSP	L (m)	11.00	

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 02_STA 5+046 - 5+100



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP ton H = 0.40 m
 Landside WL L_{ws} = 0.00 m (Normal Condition)
 L_{ws}' = 0.00 m (Seismic Condition)
 Riverside WL L_{ws} = 2.50 m (Normal Condition)
 L_{ws}' = 2.00 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.02_pp.1

R_No.02_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula

$$L = \frac{3}{\beta}$$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^{-3}$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition
 Design earthquake intensity k = 0.200
 Dynamic water pressure due to earthquake considered as distributed load
 Arbitrary load Horizontal load P = 0.0 kNm (Normal Condition)
 P' = 2.7 kNm (Seismic Condition)
 Depth of acting point H = 0.00 m (Normal Condition)
 H' = 0.40 m (Seismic Condition)
 Moment M_m = 0.0 kNm/m (Normal Condition)
 M_m' = 1.1 kNm/m (Seismic Condition)
 Depth of acting point H_m = 0.00 m (Seismic Condition)
 H_m' = 0.80 m (Normal Condition)
 (*Depth means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula K_s = 6910 × N'^{0.406}

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.50	15	11	12.08	3	21	22.08	4
2	1.60	15	12	13.08	4	22	23.08	4
3	2.10	4	13	14.08	4	23	24.08	5
4	5.08	4	14	15.08	5			
5	6.08	4	15	16.08	4			
6	7.08	2	16	17.08	4			
7	8.08	4	17	18.08	4			
8	9.08	4	18	19.08	5			
9	10.08	5	19	20.08	5			
10	11.08	4	20	21.08	5			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment share on landside

Vertical load on riverside not considered

1-7 Soil Modulus

No	Depth (m)	Soil	N-value	γ (kNm ⁻³)	γ' (kNm ⁻³)	φ	C (kNm ⁻²)	a	k'	ζ (degree)		k(kNm ⁻¹)	
										normal	seismic	normal	seismic
1	2.10	S	15	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	5.08	S	4	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
3	6.08	S	4	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	7.08	C	2	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
5	8.08	C	4	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
6	9.08	C	4	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
7	10.08	C	5	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
8	11.08	C	4	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
9	12.08	C	3	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	—	—
10	13.08	C	4	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
11	14.08	C	4	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
12	15.08	C	5	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
13	16.08	C	4	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
14	17.08	C	4	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
15	18.08	C	4	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
16	19.08	S	5	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
17	20.08	S	5	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
18	21.08	C	5	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
19	22.08	C	4	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
20	23.08	C	4	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
21	24.08	C	5	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(O), mixed(M)
 N-value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C_s : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

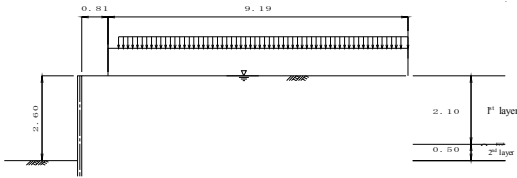
Angle of wall friction

Angle of wall friction	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

R_No.02_pp.3

R_No.02_pp.4

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle φ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.81	0.81	10.00	10.00	0.84	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ²)	Seismic (kNm ²)
1	1.13	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus E = 200000 Nmm²
 Inertia sectional moment I₀ = 63000 cm⁴
 Sectional factor Z₀ = 3150 cm³
 Corrosion margin t_r = 1.00 mm (riverside) t_l = 1.00 mm (landside)

Corrosion rate (to I₀) n = 0.92
 Corrosion rate (to Z₀) n = 0.92
 Section efficiency (to I₀) u = 0.80
 Section efficiency (to Z₀) u = 1.00

Round unit of SSP length 0.50 m

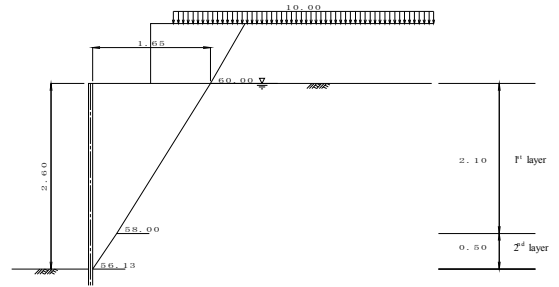
Allowable stress α = 180 Nmm (Normal)
 α' = 270 Nmm (Seismic)

Allowable displacement δ_s = 50.0 mm (Normal)
 δ_s' = 75.0 mm (Seismic)

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus
 Reduced I₀ applied to calculation of lateral coefficient of subgrade reaction
 Not reduced I₀ applied to calculation of penetration depth
 Reduced I₀ applied to calculation of section forces and displacement
 Reduced Z₀ applied to calculation of stresses

2 Calculation of Acting Load
 2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m ²)	Σγh (kN/m ²)	Q (kN/m ²)	γ _w hw (kN/m ²)	Angle of rupture Z (degree)
1	2.60~ 2.10	Sandy Soil	27.0	9.0	0.0	26.00	16.00	25.48	56.13
2	2.10~ 0.00	Sandy Soil	30.0	9.0	0.0	21.00	16.00	20.58	58.00
3		Embankment	30.0	—	0.0	15.12	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since θ = 0°

Where

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 θ = tan⁻¹ k or θ = tan⁻¹ k'
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm²)
- C : cohesive force of soil (kNm²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	56.13	0.50	0.00	0.00	0.34	0.50
2	58.00	2.10	0.34	0.50	1.65	2.60
3	60.00	0.84	1.65	2.60	2.13	3.44

Therefore, width of acting load shall be set as 1.65 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	γ X A (kNm)
1	18.0	0.91	16.34
Σ			16.34

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kNm ²)	l (m)	Q X l (kNm)
1	10.0	1.00	10.03
Σ			10.03

Q : surcharge load
 l : width of surcharge load set by line of active rupture

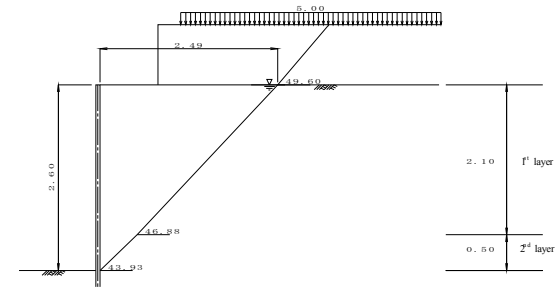
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\sum (\gamma \times A) + \sum (Q \times l) + \Sigma P}{L}$$

$$= \frac{16.34 + 10.03 + 0.00}{1.65}$$

$$= 16.00 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m ²)	Σγh (kN/m ²)	Q (kN/m ²)	γ _w hw (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60~ 2.10	Sandy Soil	27.0	9.0	0.0	26.00	16.53	25.48	0.200	11.31	43.93
2	2.10~ 0.00	Sandy Soil	30.0	9.0	0.0	21.00	16.53	20.58	0.200	11.31	46.88
3		Embankment	30.0	—	0.0	15.12	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 θ = tan⁻¹ k or θ = tan⁻¹ k'
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm²)
- C : cohesive force of soil (kNm²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.93	0.50	0.00	0.00	0.52	0.50
2	46.88	2.10	0.52	0.50	2.49	2.60
3	49.60	0.84	2.49	2.60	3.20	3.44

Therefore, width of acting load shall be set as 2.49 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	1.71	30.74
Σ			30.74

γ : unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q x l (kN/m)
1	5.0	2.07	10.35
Σ			10.35

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

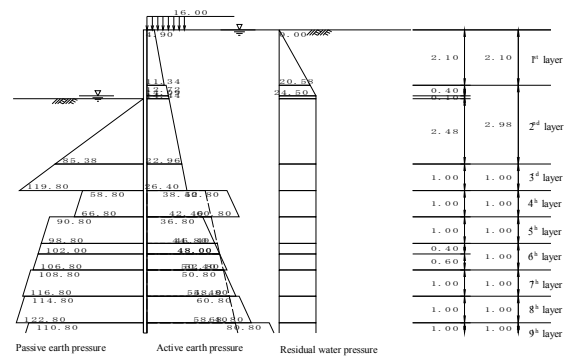
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{30.74 + 10.35 + 0.00}{2.49}$$

$$= 16.53 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_h$ (kN/m ²)	Ka	Ka $\times \cos \delta$
1	0.00~2.10	Sandy soil	10.0	30.0	15.999 36.999	0.31026 0.31026	0.30644 0.30644
2	2.10~2.50	Sandy soil	10.0	27.0	36.999 40.999	0.34800 0.34800	0.34371 0.34371
3	2.50~2.60	Sandy soil	10.0	27.0	40.999 41.999	0.34800 0.34800	0.34371 0.34371
4	2.60~5.08	Sandy soil	10.0	27.0	41.999 66.799	0.34800 0.34800	0.34371 0.34371
5	5.08~6.08	Sandy soil	10.0	27.0	66.799 76.799	0.34800 0.34800	0.34371 0.34371
6	6.08~7.08	Clayey soil	8.0	—	12.0 76.799 84.799	—	—
7	7.08~8.08	Clayey soil	8.0	—	24.0 84.799 92.799	—	—
8	8.08~8.48	Clayey soil	8.0	—	24.0 92.799 96.000	—	—
9	8.48~9.08	Clayey soil	8.0	—	24.0 96.000 100.799	—	—
10	9.08~10.08	Clayey soil	8.0	—	25.0 100.799 108.799	—	—
11	10.08~11.08	Clayey soil	8.0	—	24.0 108.799 116.799	—	—
12	11.08~12.08	Clayey soil	8.0	—	18.0 116.799 124.799	—	—
13	12.08~13.08	Clayey soil	8.0	—	24.0 124.799 132.799	—	—

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_h$ (kN/m ²)	Ka	Ka $\times \cos \delta$
14	13.08~14.08	Clayey soil	8.0	—	24.0 132.799 140.799	—	—
15	14.08~15.08	Clayey soil	8.0	—	25.0 140.799 148.799	—	—
16	15.08~16.08	Clayey soil	8.0	—	24.0 148.799 156.799	—	—
17	16.08~17.08	Clayey soil	8.0	—	24.0 156.799 164.799	—	—
18	17.08~18.08	Clayey soil	8.0	—	24.0 164.799 172.799	—	—
19	18.08~19.08	Sandy soil	10.0	27.0	—	172.799 182.799 0.34800 0.34800	0.34371 0.34371
20	19.08~20.08	Sandy soil	10.0	27.0	—	182.799 192.799 0.34800 0.34800	0.34371 0.34371
21	20.08~21.08	Clayey soil	8.0	—	25.0 192.799 200.799	—	—
22	21.08~22.08	Clayey soil	8.0	—	24.0 200.799 208.799	—	—
23	22.08~23.08	Clayey soil	8.0	—	24.0 208.799 216.799	—	—
24	23.08~24.08	Clayey soil	8.0	—	25.0 216.799 224.799	—	—

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below
 $\delta = 9.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_p$ (kN/m ²)	Kp	Kp $\times \cos \delta$
4	2.60~5.08	Sandy soil	10.0	27.0	—	0.000 24.800 3.48553 3.48553	3.44261 3.44261
5	5.08~6.08	Sandy soil	10.0	27.0	—	24.800 34.800 3.48553 3.48553	3.44261 3.44261
6	6.08~7.08	Clayey soil	8.0	0.0	12.0 42.800	—	—
7	7.08~8.08	Clayey soil	8.0	0.0	24.0 50.800	—	—
8	8.08~8.48	Clayey soil	8.0	0.0	24.0 54.001	—	—
9	8.48~9.08	Clayey soil	8.0	0.0	24.0 58.800	—	—
10	9.08~10.08	Clayey soil	8.0	0.0	25.0 66.800	—	—
11	10.08~11.08	Clayey soil	8.0	0.0	24.0 74.800	—	—
12	11.08~12.08	Clayey soil	8.0	0.0	18.0 82.800	—	—

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_h$ (kN/m ²)	Kp	Kp $\times \cos \delta$
13	12.08~13.08	Clayey soil	8.0	0.0	24.0 82.800 90.800	—	—
14	13.08~14.08	Clayey soil	8.0	0.0	24.0 90.800 98.800	—	—
15	14.08~15.08	Clayey soil	8.0	0.0	25.0 98.800 106.800	—	—
16	15.08~16.08	Clayey soil	8.0	0.0	24.0 106.800 114.800	—	—
17	16.08~17.08	Clayey soil	8.0	0.0	24.0 114.800 122.800	—	—
18	17.08~18.08	Clayey soil	8.0	0.0	24.0 122.800 130.800	—	—
19	18.08~19.08	Sandy soil	10.0	27.0	—	130.800 140.800 3.48553 3.48553	3.44261 3.44261
20	19.08~20.08	Sandy soil	10.0	27.0	—	140.800 150.800 3.48553 3.48553	3.44261 3.44261
21	20.08~21.08	Clayey soil	8.0	0.0	25.0 150.800 158.800	—	—
22	21.08~22.08	Clayey soil	8.0	0.0	24.0 158.800 166.800	—	—
23	22.08~23.08	Clayey soil	8.0	0.0	24.0 166.800 174.800	—	—
24	23.08~24.08	Clayey soil	8.0	0.0	25.0 174.800 182.800	—	—

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below
 $\delta = 9.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure Pw (kN/m ²)	Passive side Pp (kN/m ²)
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1	0.00~2.10	4.90 11.34	—	4.90 20.58	—
2	2.10~2.50	12.72 14.09	—	12.72 24.50	—
3	2.50~2.60	14.09 14.44	—	14.09 24.50	—
4	2.60~5.08	14.44 22.96	—	14.44 24.50	0.00 85.38
5	5.08~6.08	22.96 26.40	—	22.96 24.50	85.38 119.80
6	6.08~7.08	52.80 60.80	38.40 42.40	52.80 60.80	58.80 66.80
7	7.08~8.08	36.80 44.80	42.40 46.40	42.40 46.40	90.80 98.80
8	8.08~8.48	44.80 48.00	46.40 48.00	46.40 48.00	98.80 102.00
9	8.48~9.08	48.00 52.80	48.00 50.40	48.00 52.80	102.00 106.80

Table with columns: Depth (m), Active side (Pa1, Pa2, Pa, Pw), and Passive side (Pp). Rows represent data from 10m to 24m depth.

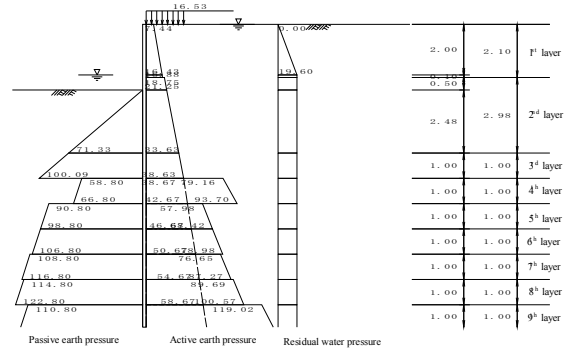
Formula for active earth pressure

Pa1 = Ka * [Sigma gamma h + Q / cos(-beta)] * cos delta
Pa2 = Ka * (Sigma gamma h + Q)
Ka = Equilibrium coefficient of compression

Formula for passive earth pressure

Pp = Kp * [Sigma gamma h + Q / cos(-beta)] * cos delta
Pp = Sigma gamma h + Q + 2C
Kp = [Ka (Sigma gamma h + Q) + 2C sqrt(Ka)] * cos delta

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Table with columns: Depth (m), Soil, gamma (kNm^-3), phi (degree), C (kNm^-2), Sigma h+Q (kNm^-2), gamma hw (kNm^-2), k (k), theta (degree), Ka, Ka / cos delta, theta (degree). Rows 1-14.

Table with columns: Depth (m), Soil, gamma, phi, C, Sigma h+Q, gamma hw, k, theta, Ka, Ka / cos delta, theta. Rows 15-23.

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below
delta = 9.00, beta = 0.00, theta = 0.00

Ka = cos^2(phi - theta) / (cos theta * cos(delta + theta) * [1 + sqrt(sin(phi + delta) * sin(phi - beta - theta) / (cos(delta + theta) * cos(-beta)))]^2)

Angle between surface of collapse and level surface of dayey soil zeta is calculated by the formula below

zeta = tan^-1 [sqrt(1 - (Sigma gamma h + 2Q) / (2C * tan theta))] * tan theta

3-2-2 Soil Modulus of Passive Side

Table with columns: Depth (m), Soil, gamma, phi, C, Sigma h+Q, gamma hw, k, theta, Kp, Kp / cos delta. Rows 4-12.

Table with columns: Depth (m), Soil, gamma, phi, C, Sigma h+Q, gamma hw, k, theta, Kp, Kp / cos delta. Rows 13-23.

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below
delta = -9.00, beta = 0.00, theta = tan^-1 k

Kp = cos^2(phi - theta) / (cos theta * cos(delta - theta) * [1 - sqrt(sin(phi - delta) * sin(phi + beta - theta) / (cos(delta - theta) * cos(-beta)))]^2)

3-2-3 Lateral Pressure

Table with columns: No, Depth (m), Active side (Pa1, Pa2, Pa), Residual water pressure (Pw), and Passive side (Pp). Rows 1-8.

No	Depth (m)	Active side			Residual water pressure		Passive side	
		Pa1 kNm ²	Pa2 kNm ²	Pa kNm ²	Pw kNm ²	Pp kNm ²	Pp kNm ²	
9	9.08~10.08	76.65 87.27	50.67 54.67	76.65 87.27	19.60 19.60	108.80 116.80		
10	10.08~11.08	89.69 100.57	54.67 58.67	89.69 100.57	19.60 19.60	114.80 122.80		
11	11.08~12.08	119.02 132.40	58.67 62.67	119.02 132.40	19.60 19.60	110.80 118.80		
12	12.08~13.08	111.65 122.97	62.67 66.67	111.65 122.97	19.60 19.60	130.80 138.80		
13	13.08~14.08	122.97 134.58	66.67 70.67	122.97 134.58	19.60 19.60	138.80 146.80		
14	14.08~15.08	131.54 143.22	70.67 74.67	131.54 143.22	19.60 19.60	148.80 156.80		
15	15.08~16.08	146.55 158.96	74.67 78.67	146.55 158.96	19.60 19.60	154.80 162.80		
16	16.08~17.08	158.96 171.94	78.67 82.67	158.96 171.94	19.60 19.60	162.80 170.80		
17	17.08~18.08	171.94 185.70	82.67 86.67	171.94 185.70	19.60 19.60	170.80 178.80		
18	18.08~19.08	86.58 91.58	— —	86.58 91.58	19.60 19.60	376.21 404.98		
19	19.08~20.08	91.58 96.57	— —	91.58 96.57	19.60 19.60	404.98 433.74		
20	20.08~21.08	217.42 234.95	96.67 100.67	217.42 234.95	19.60 19.60	200.80 208.80		
21	21.08~22.08	247.60 277.12	100.67 104.67	247.60 277.12	19.60 19.60	206.80 214.80		
22	22.08~23.08	277.12 323.50	104.67 108.67	277.12 323.50	19.60 19.60	214.80 222.80		
23	23.08~24.08	283.67 332.05	108.67 112.67	283.67 332.05	19.60 19.60	224.80 232.80		

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	Pw (kNm ²)
1	2.00	0.00	0.00
2	2.60	0.60	1.03

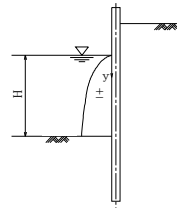
Where,

k_{a2} : design seismic coefficient

γ_w : unit weight of water

H: water depth of river side

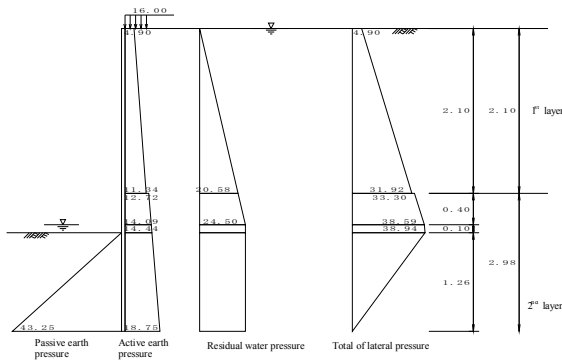
y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level Ix is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure

4-1 Normal Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1	4.90 11.34	0.00 20.58	— —	4.90 31.92
2	12.72 14.09	20.58 24.50	— —	33.30 38.59
3	14.09 14.44	24.50 24.50	— —	38.59 38.94
4	14.44 18.75	24.50 24.50	0.00 43.25	38.94 0.00
5	18.75 22.96	24.50 24.50	43.25 83.38	0.00 -37.92

P_a : Active earth pressure

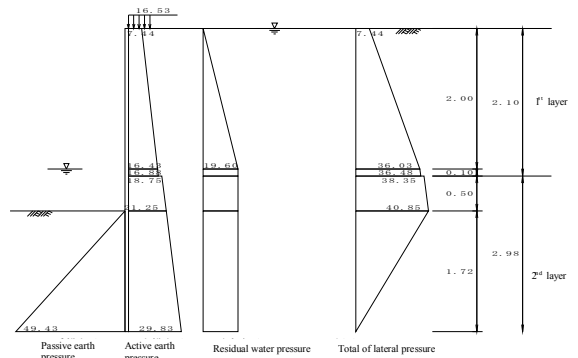
P_w : Residual water pressure

P_p : Passive earth pressure

P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed Ix: 1.26 m (CL -3.86 m)

4-2 Seismic Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1	7.44 16.43	0.00 19.60	— —	7.44 36.03
2	16.43 16.88	19.60 19.60	— —	36.03 36.48
3	18.75 21.25	19.60 19.60	— —	38.35 40.85
4	21.25 29.83	19.60 19.60	0.00 49.43	40.85 0.00
5	29.83 33.63	19.60 19.60	49.43 71.33	0.00 -18.10

P_a : Active earth pressure

P_w : Residual water pressure

P_p : Passive earth pressure

P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed Ix: 1.72 m (CL -4.32 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below.

$$K_h = 6910 \times N^{0.406}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width	B = 1.0000 m
Corrosion margin	t _s = 1.00 mm (active side) t _r = 1.00 mm (massive side)
Corrosion rate	η = 0.92
Section efficiency	μ = 0.80
Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I _o = 63000 cm ⁴ (original condition)
	I = 46368 cm ⁴ (after reduction by corrosion and joint)
Inertia sectional moment	I = 200000 × 10 ³ × 46368 × 10 ⁸ = 9.274 × 10 ¹⁷

Depth (m)	N value	Depth (m)	N value	Depth (m)	N value
1	0.50	11	12.08	21	22.08
2	1.60	12	13.08	22	23.08
3	2.10	13	14.08	23	24.08
4	5.08	14	15.08		
5	6.08	15	16.08		
6	7.08	16	17.08		
7	8.08	17	18.08		
8	9.08	18	19.08		
9	10.08	19	20.08		
10	11.08	20	21.08		

5-2 Normal Condition

K_s = 12123 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.425 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.35 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (CL -3.86 m) to 2.35 m depth (CL -6.21 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1	3.86	4.0	4.0	4.89
2	5.08	4.0	4.0	4.00
3	6.08	4.0	3.7	0.50

L = Σh = 2.35 ΣA = 9.39

A (upper N value + lower N value) × h/2

$$\text{Average N value } N' = \frac{\Sigma A}{L} = \frac{9.39}{2.35} = 3.99$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following.

$$K_h = 6910 \times N'^{0.406} = 6910 \times 3.99^{0.406} = 12123 \text{ kN/m}^3$$

$$K_h \text{ (normal condition)} = 12123 \text{ kNm}^3$$

5-3 Seismic Condition

K_s = 11942 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.424 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.36 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (CL -4.32 m) and 2.36 m depth (CL -6.68 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1	4.32	4.0	4.0	3.05
2	5.08	4.0	4.0	4.00
3	6.08	4.0	2.8	2.04

L = Σh = 2.36 ΣA = 9.08

A (upper N value + lower N value) × h/2

$$\text{Average N value } N' = \frac{\Sigma A}{L} = \frac{9.08}{2.36} = 3.85$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following.

$$K_h = 6910 \times N'^{0.406} = 6910 \times 3.85^{0.406} = 11942 \text{ kN/m}^3$$

$$K_h \text{ (seismic condition)} = 11942 \text{ kNm}^3$$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Elevation h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~2.10	4.90 31.92	5.15 33.51	3.16 2.46	16.25 82.32
2	2.10~2.50	33.30 38.59	6.66 7.72	1.62 1.49	10.81 11.50
3	2.50~2.60	38.59 38.94	1.93 1.95	1.32 1.29	2.55 2.51
4	2.60~3.86	38.94 0.00	24.46 0.00	0.84 0.42	20.49 0.00

ΣP = 81.38 ΣM = 146.43

P₀: active earth pressure + residual water pressure - passive earth pressure
 P: load P × h/2 × B
 B: unit width = 1.000 m
 Y: height of acting position from imaginary riverbed
 M: moment by load P × Y

Arbitrary load lateral load P₀ = 0.0 kNm
 depth to acting position H = 0.00 m
 moment M₀ = 0.0 kNm/m
 depth to acting position H = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed I_k = 1.26 m

Moment M₀ by arbitrary load is as below
 M₀ = P₀ × (H + I_k - H) + M₀ = 0.00 kNm

h₀: Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{146.43}{81.38} = 1.80 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~2.00	7.44 36.03	7.44 36.03	3.65 2.99	27.16 107.57
2	2.00~2.10	36.03 36.48	1.80 1.82	2.29 2.25	4.12 4.11
3	2.10~2.60	38.35 40.85	3.59 10.21	2.05 1.89	19.67 19.25
4	2.60~4.32	40.85 0.00	35.10 0.00	1.15 0.57	40.21 0.00

ΣP = 101.99 ΣM = 222.08

P₀: active earth pressure + residual water pressure - passive earth pressure
 P: load P × h/2 × B
 B: unit width = 1.000 m
 Y: height of acting position from imaginary riverbed
 M: moment by load P × Y

Arbitrary load lateral load P₀ = 2.7 kNm
 depth to acting position H = 0.40 m
 moment M₀ = 1.1 kNm/m
 depth to acting position H = 0.80 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed I_k = 1.72 m

Moment M₀ by arbitrary load is as below
 M₀ = P₀ × (H + I_k - H) + M₀ = 11.68 kNm

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _{dw} (kNm ²)	Load P _{dw} (kN)	Arm length Y (m)	Moment M _{dw} (kNm)
1	2.00~2.60	0.60	0.0 1.0	0.00 0.31	2.12 1.92	0.00 0.59

ΣP_{dw} = 0.31 ΣM_{dw} = 0.59

h₀: Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_{dw}}{\Sigma P + P_0 + \Sigma P_{dw}} = \frac{234.35}{105.00} = 2.23 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width	B = 1.0000 m
Corrosion margin	t _s = 1.00 mm (active side) t _r = 1.00 mm (passive side)
Corrosion rate	η = 0.92
Section efficiency	μ = 0.80
Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I _o = 63000 cm ⁴ (original condition)
	I = 46368 cm ⁴ (after reduction by corrosion and section)
	I = 200000 × 10 ³ × 46368 × 10 ⁸ = 9.274 × 10 ¹⁷

$$\beta = 4\sqrt{\frac{K_b \cdot B}{4 E I}}$$

$$\phi_n = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_n$$

$$I_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$I_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_b = 12123 \text{ kNm}^3$
 $\beta = 0.42518 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 81.38 \text{ kNm}$
 height of acting position of load moment $h_0 = 1.80 \text{ m}$
 $M_0 = 146.43 \text{ kN-m/m}$

in consideration of $\psi_{in} = 1.220$, maximum moment $M_{max} = 178.69 \text{ kN-m/m}$
 depth of generated position of M... $L_s = 0.885 \text{ m}$
 depth of P' fixed point $l = 2.732 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_b = 11942 \text{ kNm}^3$
 $\beta = 0.42358 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 105.00 \text{ kNm}$
 height of acting position of load moment $h_0 = 2.23 \text{ m}$
 $M_0 = 234.35 \text{ kN-m/m}$

in consideration of $\psi_{in} = 1.160$, maximum moment $M_{max} = 271.73 \text{ kN-m/m}$
 depth of generated position of M... $L_s = 0.786 \text{ m}$
 depth of P' fixed point $l = 2.640 \text{ m}$

6-3 Stress Intensity

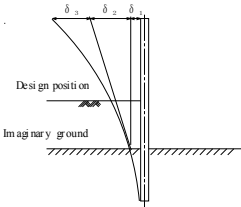
Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin $t_c = 1.00 \text{ mm}$ (active side) $t_s = 1.00 \text{ mm}$ (passive side)
 Corrosion rate $n = 0.92$
 Section efficiency $u = 1.00$
 Module of section $Z_0 = 3150 \text{ cm}^3$ (original condition)
 $Z = 2898 \text{ cm}^3$ (after reduction by corrosion and section)

R_No. 02_pp.25

R_No. 02_pp.26

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.4252 \times 1.80) \times 81.38}{2 \times 2.00 \times 10^8 \times 46368 \times 10^{-8} \times 0.4252^3} = 0.01008 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_s)$$

$$= \frac{(1+2 \times 0.4252 \times 1.80) \times 81.38}{2 \times 2.00 \times 10^8 \times 46368 \times 10^{-8} \times 0.4252^2} \times (2.60+1.26) = 0.02368 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_s)^3}{E I}$$

$$= \frac{8.35 \times (2.60+1.26)^3}{2.00 \times 10^8 \times 46368 \times 10^{-8}} = 0.00516 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01008 + 0.02368 + 0.00516$$

$$= 0.03892 \text{ m}$$

$$= 38.92 \text{ mm} \approx \delta_a = 50.00 \text{ mm (ok)}$$

Where

- Displacement at imaginary ground
- Displacement by angle of inclination on slope at imaginary ground
- Displacement at higher part of imaginary ground as cantilever
- Displacement at top of SSP
- Allowable displacement

R_No. 02_pp.27

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{178.69 \times 10^6}{2898 \times 10^3} = 62 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2 \text{ (ok)}$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{271.73 \times 10^6}{2898 \times 10^3} = 94 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2 \text{ (ok)}$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.16 2.46	0.818 0.637	0.244 0.160	5.15 33.51	1.254 5.355
2	2.10~2.50	1.62 1.49	0.421 0.386	0.076 0.065	6.66 7.72	0.507 0.502
3	2.50~2.60	1.32 1.29	0.343 0.334	0.052 0.050	1.93 1.95	0.101 0.097
4	2.60~3.86	0.84 0.42	0.217 0.109	0.022 0.006	24.46 0.00	0.535 0.000
$\Sigma Q = 8.350$						

Y : Height from imaginary ground to acting position

$$\alpha : \alpha = \frac{Y}{H+L_s}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

L_s : Depth from design position to imaginary ground

R_No. 02_pp.27

R_No. 02_pp.28

6-4-2 Seismic Condition

Modules of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.00	3.65 2.99	0.846 0.691	0.257 0.184	7.44 36.03	1.909 6.625
2	2.00~2.10	2.29 2.25	0.529 0.521	0.115 0.112	1.80 1.82	0.208 0.205
3	2.10~2.60	2.05 1.89	0.475 0.437	0.095 0.081	9.59 10.21	0.911 0.831
4	2.60~4.32	1.15 0.57	0.265 0.133	0.032 0.008	35.10 0.00	1.126 0.000
$\Sigma Q = 11.815$						

Y : Height from imaginary ground to acting position

$$\alpha : \alpha = \frac{Y}{H+L_s}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

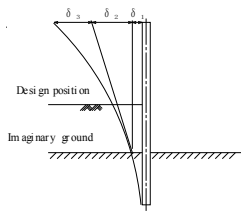
L_s : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1	2.00~2.60	2.12 1.92	0.491 0.444	0.101 0.084	0.00 0.31	0.000 0.026
$\Sigma Q_w = 0.026$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 12.590 + 0.026 = 12.616$

Displacement



$$\delta_1 = \frac{(1 + \beta \cdot h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4236 \times 2.23) \times 105.00}{2 \times 2.00 \times 10^8 \times 46368 \times 10^{-8} \times 0.4236^3} = 0.01449 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta \cdot h_0) \times P_0}{2 E I \beta^2} \times (H + L_1)$$

$$= \frac{(1 + 2 \times 0.4236 \times 2.23) \times 105.00}{2 \times 2.00 \times 10^8 \times 46368 \times 10^{-8} \times 0.4236^2} \times (2.60 + 1.72) = 0.03939 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I}$$

$$= \frac{12.62 \times (2.60 + 1.72)^3}{2.00 \times 10^8 \times 46368 \times 10^{-8}} = 0.01096 \text{ m}$$

Additional displacement δ_4 generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_4 = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

$$= \frac{1.10 \times 3.52}{2 \times 2.00 \times 10^8 \times 46368 \times 10^{-8}} \times (2 \times 4.32 - 3.52) = 0.00011 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01449 + 0.03939 + 0.01106$$

$$= 0.06494 \text{ m}$$

$$= 64.94 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

- Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

R_No. 02_pp.29

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I _o = 63000 cm ⁴ (original condition)
	I = 63000 cm ⁴ (after reduction by corrosion and section)
H	= 200000 × 10 ³ × 63000 × 10 ⁻⁸ = 1.260 × 10 ⁷

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L₁, penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_1 + \frac{3}{\beta}$$

$$L = H - H_1 + D$$

$$\beta = 4 \sqrt{\frac{K_s \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction
 Calculated value

$$K_s = 12123 \text{ kN/m}^3$$

$$\beta = 0.3982 \text{ m}^{-1}$$

Penetration length of SSP

$$D = 1.26 + \frac{3}{0.394} = 8.87 \text{ m}$$

Whole length of SSP

$$L = 2.60 - 0.40 + 8.87 = 11.07 \text{ m}$$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction
 Calculated value

$$K_s = 11942 \text{ kN/m}^3$$

$$\beta = 0.39234 \text{ m}^{-1}$$

Penetration length of SSP

$$D = 1.72 + \frac{3}{0.392} = 9.37 \text{ m}$$

Whole length of SSP

$$L = 2.60 - 0.40 + 9.37 = 11.57 \text{ m}$$

Therefore, whole length of SSP is set as 12.00 m in consideration of round unit of SSP length

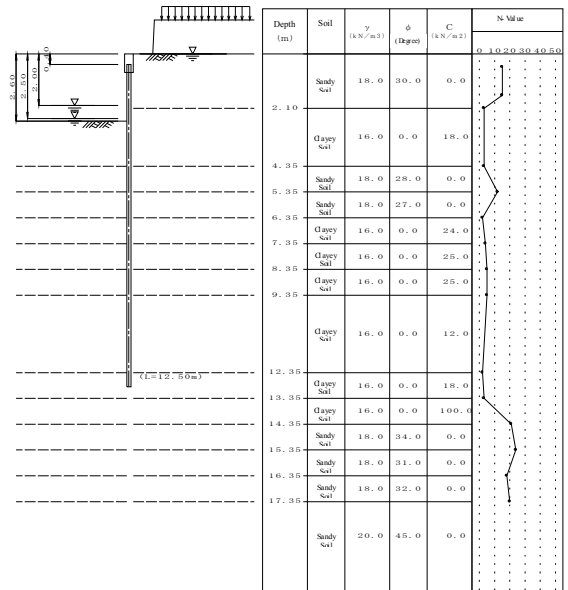
R_No. 02_pp.30

8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	63000		
Section modulus	Z (cm ³)	3150		
Maximum bending moment	M _{max} (kNm/m)		178.69	271.73
Stress intensity	σ (N/mm ²)		62 (180)	94 (270)
Lateral displacement	δ (mm)		38.92 (50.0)	64.94 (75.0)
Penetration depth	D (m)		8.87	9.37
Whole length of SSP	L (m)	12.00		

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



— Steel Sheet Pile Design Calculation —

Right Bank No. 03_STA_5+100 - 5+223

1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Landside WL L_{land} = 0.00 m (Normal Condition)
 L_{land}' = 0.00 m (Seismic Condition)
 Riverside WL L_{river} = 2.50 m (Normal Condition)
 L_{river}' = 2.00 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.03_pp.1

R_No.03_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load R = 0.0 kNm (Normal Condition)
 R' = 2.7 kNm (Seismic Condition)
 Depth of acting point H = 0.00 m (Normal Condition)
 H' = 0.40 m (Seismic Condition)
 Moment M_m = 0.0 kNm/m (Normal Condition)
 M_m' = 1.1 kNm/m (Seismic Condition)
 Depth of acting point H_m = 0.00 m (Seismic Condition)
 H_m' = 0.80 m (Normal Condition)
 (*Depth means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula K_s = 6910 × N'^{0.466}

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	13.35	3
2	1.60	15	12	14.35	21
3	2.10	3	13	15.35	24
4	4.35	3	14	16.35	18
5	5.35	12	15	17.35	20
6	6.35	2	16	20.00	40
7	7.35	4			
8	8.35	5			
9	9.35	5			
10	12.35	2			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

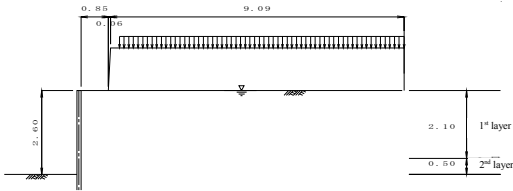
No	Depth (m)	Soil	N-value	γ	γ'	φ	C	a	k'	ζ (degree)		kh (kNm ³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	4.35	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	—	—
3	5.35	S	12.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
4	6.35	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
5	7.35	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
6	8.35	C	5.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
7	9.35	C	5.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
8	12.35	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
9	13.35	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	—	—
10	14.35	C	21.0	16.00	8.00	0.0	100.0	0.0	0.200	auto	auto	—	—
11	15.35	S	24.0	18.00	10.00	34.0	0.0	0.0	0.200	auto	auto	—	—
12	16.35	S	18.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	—	—
13	17.35	S	20.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	—	—
14	20.00	S	40.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C₀ : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.85	0.91	10.00	10.00	1.32	18.0	30.0	0.0	auto	auto

Surcharge load acting on an embankment

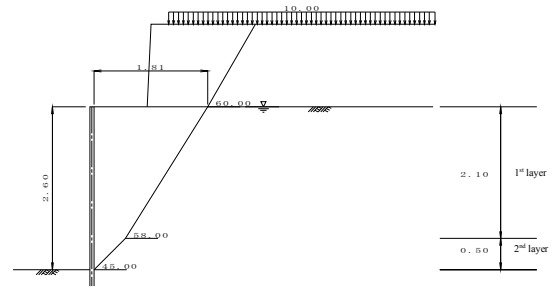
No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ²)	Seismic (kNm ²)
1	1.19	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of an embankment conditions

1-9 Soil Shear Ble (SSP)

- Young's modulus $E = 200000 \text{ Nmm}^2$
- Inertia sectional moment $I_0 = 86000 \text{ cm}^4$
- Sectional factor $Z_0 = 3820 \text{ cm}^3$
- Corrosion margin $t_r = 1.00 \text{ mm (riverside)}$, $t_l = 1.00 \text{ mm (landside)}$
- Corrosion rate (to I_0) $n = 0.92$
- Corrosion rate (to Z_0) $n = 0.92$
- Section efficiency (to I_0) $u = 0.80$
- Section efficiency (to Z_0) $u = 1.00$
- Round unit of SSP length 0.50 m
- Allowable stress $\sigma_a = 180 \text{ Nmm (Normal)}$, $\sigma_a' = 270 \text{ Nmm (Seismic)}$
- Allowable displacement $\delta_a = 50.0 \text{ mm (Normal)}$, $\delta_a' = 75.0 \text{ mm (Seismic)}$
- Bending of cantilever beam calculated as distributed load of each layer
- Reduction of material modulus: Reduced I_0 applied to calculation of lateral coefficient of subgrade reaction; Not reduced I_0 applied to calculation of penetration depth; Reduced I_0 applied to calculation of section forces and displacement; Reduced Z_0 applied to calculation of stresses

2 Calculation of Acting Load
2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma_{w/h}$ (kN/m ²)	Angle of rupture Z (degree)
1	2.60~ 2.10	Clayey Soil	0.0	9.0	18.0	25.00	24.86	25.48	45.00
2	2.10~ 0.00	Sandy Soil	30.0	9.0	0.0	21.00	24.86	20.58	58.00
3		Embankment	30.0	—	0.0	23.76	10.00	0.00	60.00

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm²)
- C : cohesive force of soil (kNm²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.50	0.00	0.00	0.50	0.50
2	58.00	2.10	0.50	0.50	1.81	2.60
3	60.00	1.32	1.81	2.60	2.57	3.92

Therefore, width of acting load shall be set as 1.81 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	1.73	31.21
Σ			31.21

γ : unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kNm ²)	l (m)	Q X l (kNm ³)
1	10.0	1.38	13.84
Σ			13.84

Q: surcharge load
l: width of surcharge load set by line of active rupture

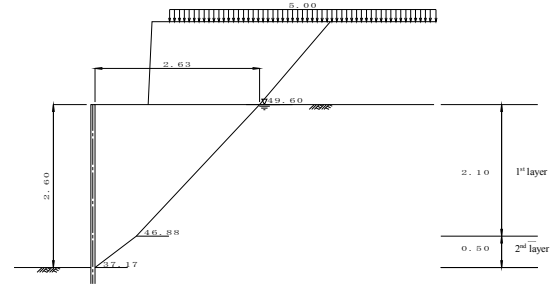
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{31.21 + 13.84 + 0.00}{1.81}$$

$$= 24.86 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma_{w/h}$ (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60~ 2.10	Clayey Soil	0.0	9.0	18.0	25.00	25.75	25.48	0.200	11.31	37.17
2	2.10~ 0.00	Sandy Soil	30.0	9.0	0.0	21.00	25.75	20.58	0.200	11.31	46.88
3		Embankment	30.0	—	0.0	23.76	5.00	0.00	0.200	11.31	49.60

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm²)
- C : cohesive force of soil (kNm²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	37.17	0.50	0.00	0.00	0.66	0.50
2	46.88	2.10	0.66	0.50	2.63	2.60
3	49.60	1.32	2.63	2.60	3.75	3.92

Therefore, width of acting load shall be set as 2.63 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	3.05	54.83
Σ			54.83

γ : unit weight of embankment soil
 A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	2.56	12.80
Σ			12.80

Q: surcharge load
 l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

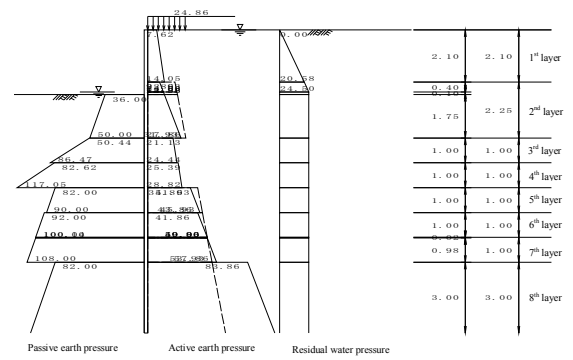
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{54.83 + 12.80 + 0.00}{2.63}$$

$$= 25.75 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_h$ (kN/m ²)	K_a	$K_a \times \cos\delta$
1 0.00~2.10	Sandy soil	10.0	30.0	---	24.858 45.858	0.31026 0.31026	0.30644 0.30644
2 2.10~2.50	Clayey soil	8.0	---	18.0 18.0	45.858 49.058	---	---
3 2.50~2.60	Clayey soil	8.0	---	18.0 18.0	49.058 49.858	---	---
4 2.60~4.35	Clayey soil	8.0	---	18.0 18.0	49.858 63.858	---	---
5 4.35~5.35	Sandy soil	10.0	28.0	---	63.858 73.858	0.33506 0.33506	0.33093 0.33093
6 5.35~6.35	Sandy soil	10.0	27.0	---	73.858 83.858	0.34800 0.34800	0.34371 0.34371
7 6.35~7.35	Clayey soil	8.0	---	24.0 24.0	83.858 91.858	---	---
8 7.35~8.35	Clayey soil	8.0	---	25.0 25.0	91.858 99.858	---	---
9 8.35~8.37	Clayey soil	8.0	---	25.0 25.0	99.858 100.000	---	---
10 8.37~9.35	Clayey soil	8.0	---	25.0 25.0	100.000 107.858	---	---
11 9.35~12.35	Clayey soil	8.0	---	12.0 12.0	107.858 131.858	---	---
12 12.35~13.35	Clayey soil	8.0	---	18.0 18.0	131.858 139.858	---	---
13 13.35~14.35	Clayey soil	8.0	---	100.0 100.0	139.858 147.858	---	---

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_h$ (kN/m ²)	K_a	$K_a \times \cos\delta$
14 14.35~15.35	Sandy soil	10.0	34.0	---	147.858 157.858	0.26470 0.26470	0.26144 0.26144
15 15.35~16.35	Sandy soil	10.0	31.0	---	157.858 167.858	0.29838 0.29838	0.29471 0.29471
16 16.35~17.35	Sandy soil	10.0	32.0	---	167.858 177.858	0.28683 0.28683	0.28330 0.28330
17 17.35~20.00	Sandy soil	10.0	45.0	---	177.858 204.358	0.16323 0.16323	0.16122 0.16122

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 9.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_h$ (kN/m ²)	K_p	$K_p \times \cos\delta$
4 2.60~4.35	Clayey soil	8.0	0.0	18.0 18.0	0.000 14.000	---	---
5 4.35~5.35	Sandy soil	10.0	28.0	---	14.000 24.000	3.64796 3.64796	3.60305 3.60305
6 5.35~6.35	Sandy soil	10.0	27.0	---	24.000 34.000	3.48553 3.48553	3.44261 3.44261
7 6.35~7.35	Clayey soil	8.0	0.0	24.0 24.0	34.000 42.000	---	---
8 7.35~8.35	Clayey soil	8.0	0.0	25.0 25.0	42.000 50.000	---	---
9 8.35~8.37	Clayey soil	8.0	0.0	25.0 25.0	50.000 50.142	---	---
10 8.37~9.35	Clayey soil	8.0	0.0	25.0 25.0	50.142 58.000	---	---
11 9.35~12.35	Clayey soil	8.0	0.0	12.0 12.0	58.000 82.000	---	---
12 12.35~13.35	Clayey soil	8.0	0.0	18.0 18.0	82.000 90.000	---	---
13 13.35~14.35	Clayey soil	8.0	0.0	100.0 100.0	90.000 98.000	---	---
14 14.35~15.35	Sandy soil	10.0	34.0	---	98.000 108.000	4.85443 4.85443	4.79467 4.79467
15 15.35~16.35	Sandy soil	10.0	31.0	---	108.000 118.000	4.19615 4.19615	4.14448 4.14448
16 16.35~17.35	Sandy soil	10.0	32.0	---	118.000 128.000	4.40199 4.40199	4.34780 4.34780
17 17.35~20.00	Sandy soil	10.0	45.0	---	128.000 154.500	8.86593 8.86593	8.75678 8.75678

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 9.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure	Passive side
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)	Pw (kN/m ²)	Pp (kN/m ²)
1 0.00~2.10	7.62 14.05	---	7.62 14.05	0.00 24.58	---
2 2.10~2.50	9.86 13.06	22.93 24.53	22.93 24.53	24.58 24.50	---
3 2.50~2.60	13.06 13.86	24.53 24.93	24.53 24.93	24.50 24.50	---
4 2.60~4.35	13.86 4.35	24.93 27.86	24.93 31.93	24.50 24.50	36.00 50.00
5 4.35~5.35	21.13 24.44	---	21.13 24.44	24.50 24.50	50.44 86.47
6 5.35~6.35	25.29 28.82	---	25.29 28.82	24.50 24.50	82.62 117.05
7 6.35~7.35	35.86 43.86	41.93 45.93	41.93 45.93	24.50 24.50	82.00 90.00
8 7.35~8.35	41.86 49.86	45.93 49.93	45.93 49.93	24.50 24.50	92.00 100.00
9 8.35~8.37	49.86 50.00	49.93 50.00	49.93 50.00	24.50 24.50	100.00 100.14
10 8.37~9.35	50.00 57.86	50.00 53.93	50.00 57.86	24.50 24.50	100.14 108.00
11 9.35~12.35	83.86 107.86	53.93 65.93	83.86 107.86	24.50 24.50	82.00 106.00
12 12.35~13.35	95.86 103.86	65.93 69.93	95.86 103.86	24.50 24.50	118.00 126.00
13 13.35~14.35	-60.14 -52.14	69.93 73.93	69.93 73.93	24.50 24.50	290.00 298.00
14 14.35~15.35	38.66 41.27	---	38.66 41.27	24.50 24.50	469.88 517.82
15 15.35~16.35	46.52 49.47	---	46.52 49.47	24.50 24.50	447.60 489.05
16 16.35~17.35	47.55 50.39	---	47.55 50.39	24.50 24.50	513.04 556.52
17 17.35~20.00	28.67 32.95	---	28.67 32.95	24.50 24.50	100.87 1352.92

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\sum \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \sum \gamma h + Q - 2C$
 $P_{a1} = K_a \cdot (\sum \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\sum \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

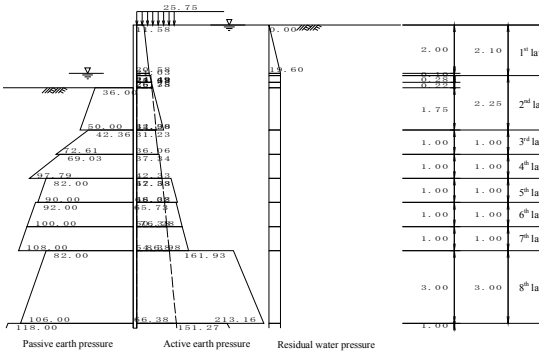
- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\sum \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \sum \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\sum \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\sum \gamma h + Q$ (kNm ²)	γ_{whw} (kNm ²)	k (k)	θ (degree)	K_a	$K_a \times \cos \delta$	δ (degree)
1 0.00~2.00	Sandy Soil	10.0	30.0	---	25.75 45.75	0.00 0.200	11.31	0.45543	0.44982	---	---
2 2.00~2.10	Sandy Soil	10.0	30.0	---	45.75 46.75	0.200 0.200	11.31	0.45543	0.44982	---	---
3 2.10~2.38	Clayey Soil	8.0	---	18.0 18.0	46.75 48.98	20.58 0.200	11.31	---	---	---	37.70
4 2.38~2.60	Clayey Soil	8.0	---	18.0 18.0	48.98 50.75	---	11.31	---	---	---	37.17
5 2.60~4.35	Clayey Soil	8.0	---	18.0 18.0	50.75 64.75	25.48 0.200	11.31	---	---	---	37.17 35.19

R_No. 03 pp.13

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\sum \gamma h + Q$ (kNm ²)	γ_{whw} (kNm ²)	k (k)	θ (degree)	K_a	$K_a \times \cos \delta$	δ (degree)
6 4.35~5.35	Sandy Soil	10.0	28.0	---	64.75 74.75	0.00 0.200	11.31	0.48839	0.48237	---	---
7 5.35~6.35	Sandy Soil	10.0	27.0	---	74.75 84.75	52.43 62.23	0.200	11.31	0.50574	0.49951	---
8 6.35~7.35	Clayey Soil	8.0	---	24.0 24.0	84.75 92.75	62.23 72.03	0.200	11.31	---	---	36.50 35.43
9 7.35~8.35	Clayey Soil	8.0	---	25.0 25.0	92.75 100.75	72.03 81.83	0.200	11.31	---	---	35.95 35.10
10 8.35~9.35	Clayey Soil	8.0	---	25.0 25.0	100.75 108.75	81.83 91.63	0.200	11.31	---	---	35.10 34.20
11 9.35~12.35	Clayey Soil	8.0	---	12.0 12.0	108.75 140.75	91.63 121.03	0.200	11.31	---	---	10.00 10.00
12 12.35~13.35	Clayey Soil	8.0	---	18.0 18.0	140.75 140.75	121.03 130.83	0.200	11.31	---	---	19.06 15.31
13 13.35~14.35	Clayey Soil	8.0	---	100.0 100.0	140.75 148.75	130.83 140.63	0.200	11.31	---	---	42.39 42.26
14 14.35~15.35	Sandy Soil	10.0	34.0	---	148.75 158.75	140.63 150.43	0.200	11.31	0.39559	0.39072	---
15 15.35~16.35	Sandy Soil	10.0	31.0	---	158.75 168.75	150.43 160.23	0.200	11.31	0.43976	0.43434	---
16 16.35~17.35	Sandy Soil	10.0	32.0	---	168.75 178.75	160.23 170.03	0.200	11.31	0.42457	0.41935	---
17 17.35~20.00	Sandy Soil	10.0	45.0	---	178.75 205.25	170.03 196.00	0.200	11.31	0.26304	0.25980	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$\delta = 9.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)} \right]^2}$$

Angle between surface of collapse and level surface of dayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\sum \gamma h + Q_p$ (kNm ²)	γ_{whw} (kNm ²)	k (k)	θ (degree)	K_p	$K_p \times \cos \delta$
5 2.60~4.35	Clayey Soil	8.00	0.0	18.0 18.0	0.000 14.000	0.000 17.15	0.200	11.31	---	---
6 4.35~5.35	Sandy Soil	10.00	28.0	---	14.000 24.000	17.15 26.95	0.200	11.31	3.06329 3.06329	3.02557 3.02557
7 5.35~6.35	Sandy Soil	10.00	27.0	---	24.000 34.000	26.95 36.75	0.200	11.31	2.91211 2.91211	2.87626 2.87626
8 6.35~7.35	Clayey Soil	8.00	0.0	24.0 24.0	34.000 42.000	36.75 46.55	0.200	11.31	---	---
9 7.35~8.35	Clayey Soil	8.00	0.0	25.0 25.0	42.000 50.000	46.55 56.35	0.200	11.31	---	---
10 8.35~9.35	Clayey Soil	8.00	0.0	25.0 25.0	50.000 58.000	56.35 66.15	0.200	11.31	---	---

R_No. 03 pp.14

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\sum \gamma h + Q_p$ (kNm ²)	γ_{whw} (kNm ²)	k (k)	θ (degree)	K_p	$K_p \times \cos \delta$
11 9.35~12.35	Clayey Soil	8.00	0.0	12.0 12.0	58.000 82.000	66.15 95.55	0.200	11.31	---	---
12 12.35~13.35	Clayey Soil	8.00	0.0	18.0 18.0	82.000 90.000	95.55 105.35	0.200	11.31	---	---
13 13.35~14.35	Clayey Soil	8.00	0.0	100.0 100.0	90.000 98.000	105.35 115.15	0.200	11.31	---	---
14 14.35~15.35	Sandy Soil	10.00	34.0	---	98.000 108.000	115.15 124.95	0.200	11.31	4.18373 4.18373	4.13222 4.13222
15 15.35~16.35	Sandy Soil	10.00	31.0	---	108.000 118.000	124.95 134.75	0.200	11.31	3.57258 3.57258	3.52859 3.52859
16 16.35~17.35	Sandy Soil	10.00	32.0	---	118.000 128.000	134.75 144.55	0.200	11.31	3.76368 3.76368	3.71734 3.71734
17 17.35~20.00	Sandy Soil	10.00	45.0	---	128.000 154.000	144.55 170.52	0.200	11.31	7.92369 7.92369	7.82515 7.82515

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below

$\delta = -9.00, \beta = 0.00, \theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure, Pw (kNm ²)	Passive side, Pp (kNm ²)
		Pa1 (kNm ²)	Pa2 (kNm ²)	Pa (kNm ²)		
1	0.00~2.00	11.58 20.58	---	11.58 20.58	0.00 19.60	---
2	2.00~2.10	20.58 21.05	---	20.58 21.05	19.60 19.60	---
3	2.10~2.38	21.65 24.49	23.38 24.49	23.38 24.49	19.60 19.60	---
4	2.38~2.60	24.49 26.75	24.49 25.38	24.49 26.75	19.60 19.60	---
5	2.60~4.35	26.75 44.90	25.38 32.38	26.75 44.90	19.60 19.60	36.00 50.00
6	4.35~5.35	31.23 36.06	---	31.23 36.06	19.60 19.60	42.36 72.61
7	5.35~6.35	37.34 42.33	---	37.34 42.33	19.60 19.60	69.03 97.79
8	6.35~7.35	57.53 68.02	42.38 46.38	57.53 68.02	19.60 19.60	82.00 90.00
9	7.35~8.35	65.73 76.28	46.38 50.38	65.73 76.28	19.60 19.60	92.00 100.00
10	8.35~9.35	76.28 86.98	50.38 54.38	76.28 86.98	19.60 19.60	100.00 108.00
11	9.35~12.35	161.93 213.16	54.38 66.38	161.93 213.16	19.60 19.60	82.00 106.00
12	12.35~13.35	151.27 172.89	66.38 70.38	151.27 172.89	19.60 19.60	118.00 126.00

R_No. 03 pp.15

No	Depth (m)	Active side			Residual water pressure, Pw (kNm ²)	Passive side, Pp (kNm ²)
		Pa1 (kNm ²)	Pa2 (kNm ²)	Pa (kNm ²)		
13	13.35~14.35	-29.24 -19.42	70.38 74.38	70.38 74.38	19.60 19.60	290.00 298.00
14	14.35~15.35	58.12 62.03	---	58.12 62.03	19.60 19.60	404.96 446.28
15	15.35~16.35	68.95 73.30	---	68.95 73.30	19.60 19.60	381.09 416.37
16	16.35~17.35	70.77 74.96	---	70.77 74.96	19.60 19.60	438.65 475.82
17	17.35~20.00	46.44 53.32	---	46.44 53.32	19.60 19.60	1001.62 1208.99

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\sum \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \sum \gamma h + Q - 2C$
 $P_{a1} = K_a \cdot (\sum \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\sum \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\sum \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \sum \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\sum \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

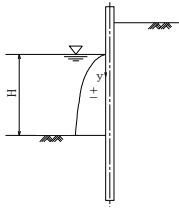
3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	W.L. y (m)	P _w (kNm ⁻³)
1	2.00	0.00	0.00
2	2.60	0.60	1.03

$$p_{da} = \pm \frac{7}{8} k_{hs} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

Where,

- k_{hs} : design seismic coefficient
- γ_w : unit weight of water
- H : water depth of river side
- y : depth from water surface to the point where active water pressure is calculated

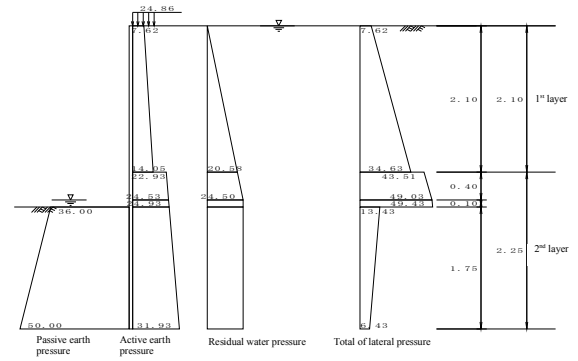


Passive earth pressure Active earth pressure Residual water pressure Total of lateral pressure

4 Imaginary Riverbed

Imaginary ground level I_x is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure

4.1 Normal Condition



Depth (m)	P_a kNm ²	P_w kNm ²	P_p kNm ²	P_s kNm ²
1 0.00~2.10	7.62 14.05	0.00 20.58	— —	7.62 34.63
2 2.10~2.50	22.93 24.53	20.58 24.50	— —	43.51 49.03
3 2.50~2.60	24.53 24.93	24.50 24.50	— —	49.03 49.43
4 2.60~4.35	24.93 31.93	24.50 24.50	36.00 50.00	13.43 6.43
5 4.35~5.35	21.13 24.44	24.50 24.50	50.44 86.47	-4.81 -27.53

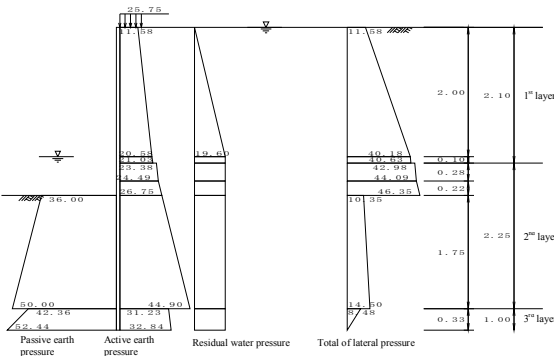
- P_a : Active earth pressure
- P_w : Residual water pressure
- P_p : Passive earth pressure
- P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed I_x : 1.75 m (GL -4.35 m)

R_No.03_pp.17

R_No.03_pp.18

4.2 Seismic Condition



Depth (m)	P_a kNm ²	P_w kNm ²	P_p kNm ²	P_s kNm ²
1 0.00~2.00	11.58 20.58	0.00 19.60	— —	11.58 40.18
2 2.00~2.10	20.58 21.03	19.60 19.60	— —	40.18 40.63
3 2.10~2.38	23.38 24.49	19.60 19.60	— —	42.98 44.09
4 2.38~2.60	24.49 26.75	19.60 19.60	— —	44.09 46.35
5 2.60~4.35	26.75 44.90	19.60 19.60	36.00 50.00	10.35 14.50
6 4.35~4.68	31.23 32.84	19.60 19.60	42.36 52.44	8.48 0.00
7 4.68~5.35	32.84 36.06	19.60 19.60	52.44 72.61	0.00 -16.96

- P_a : Active earth pressure
- P_w : Residual water pressure
- P_p : Passive earth pressure
- P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed I_x : 2.08 m (GL -4.68 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/3 depth. The modulus are calculated by the formula below:

$$K_h = 6910 \times N^{0.896}$$

where,

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

- Unit width $B = 1.0000$ m
- Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
- Corrosion rate $n = 0.92$
- Section efficiency $u = 0.80$
- Young's modulus $E = 200000$ Nmm²
- Inertia sectional moment $I_0 = 86000$ cm⁴ (original condition)
- $I = 63296$ cm⁴ (after reduction by corrosion and joint)
- Inertia sectional moment $I = 200000 \times 10^6 \times 63296 \times 10^8 = 1.266 \times 10^8$

Depth (m)	N value	Depth (m)	N value
1 0.50	15	11 13.35	3
2 1.00	15	12 14.35	21
3 2.10	3	13 15.35	24
4 4.35	3	14 16.35	18
5 5.35	12	15 17.35	20
6 6.35	2	16 20.00	40
7 7.35	4		
8 8.35	5		
9 9.35	5		
10 12.35	2		

5-2 Normal Condition

$K_h = 14689$ kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}} = 0.413 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.42 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -4.35 m) to 2.42 m depth (GL -6.77 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1 4.35	1.00	3.0	12.0	7.50
2 5.35	1.00	12.0	2.0	7.00
3 6.35	0.42	2.0	2.8	1.03
L = 2h = 2.42		ΣA = 15.53		

$$A \text{ (upper N value + lower N value)} \times h/2$$

$$\begin{aligned} \text{Average } \nu\text{-value } N' &= \frac{\sum A}{L} \\ &= \frac{15.53}{2.42} \\ &= 6.41 \end{aligned}$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following
 $K_h = 6910 \times N'^{0.496} = 6910 \times 6.41^{0.496} = 14689 \text{ kN/m}^3$
 Kh (normal condition) = 14689 kNm³

5-3 Seismic Condition

$K_h = 14510 \text{ kNm}^3$ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.411 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.43 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.68 m) and 2.43 m depth (GL -7.11 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 0.00~	0.67	6.0	12.0	6.00
2 0.67~	1.00	12.0	2.0	7.00
3 1.67~	0.76	2.0	3.5	2.11
L = Σh = 2.43		ΣA = 15.11		

$$A (\text{upper N-value} + \text{lower N-value}) \times L/2$$

$$\begin{aligned} \text{Average } \nu\text{-value } N' &= \frac{\sum A}{L} \\ &= \frac{15.11}{2.43} \\ &= 6.22 \end{aligned}$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following
 $K_h = 6910 \times N'^{0.496} = 6910 \times 6.22^{0.496} = 14510 \text{ kN/m}^3$
 Kh (seismic condition) = 14510 kNm³

R_No. 03_pp.21

R_No. 03_pp.22

Depth Z (m)	Thickness h (m)	Lateral load Ps (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
5 2.60~	1.75	10.35	9.06	1.50	13.59
6 4.35~	0.33	8.48	1.41	0.11	0.31
ΣP = 101.10		ΣM = 268.89			

P : active earth pressure + residual water pressure - passive earth pressure
 P : load P x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P = 2.7 kNm
 depth to acting position H = 0.40 m
 moment M₀ = 1.1 kNm/m
 depth to acting position H = 0.80 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed l_k = 2.08 m

Moment M_i by arbitrary load is as below
 $M = P \cdot (H + l_k - H) + M_0 = 12.66 \text{ kN-m}$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _w (kNm ²)	Load P _w (kN)	Arm length Y (m)	Moment M _w (kNm)
1	2.00~	0.60	0.0	0.00	2.48	0.00
	2.60		1.0	0.31	2.28	0.70
ΣP _w = 0.31		ΣM _w = 0.70				

h₀ Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_i + \sum M_w}{\sum P + P_i + \sum P_w}$$

$$= \frac{282.26}{104.11} = 2.71 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as following:

Unit width	B = 1.0000 m
Corrosion margin	t _i = 1.00 mm (active side) t _s = 1.00 mm (passive side)
Corrosion rate	n = 0.92
Section efficiency	u = 0.80
Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I ₀ = 86000 cm ⁴ (original condition) I = 63296 cm ⁴ (after reduction by corrosion and section)
	B = 200000 × 10 ⁸ × 63296 × 10 ⁸ = 1.266 × 10 ⁹

6 Sectional Force and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Elevation h₀

6-1-1 Normal Condition

	Depth Z (m)	Thickness h (m)	Total of lateral force Ps (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~	2.10	7.62	8.00	3.65	29.19
	2.10		34.63	36.36	2.95	107.27
2	2.10~	0.40	43.51	8.70	2.12	18.42
	2.50		49.03	9.81	1.98	19.45
3	2.50~	0.10	49.03	2.45	1.82	4.45
	2.60		49.43	2.47	1.78	4.41
4	2.60~	1.75	13.43	11.75	1.17	13.71
	4.35		6.43	5.63	0.58	3.28
		ΣP = 85.17		ΣM = 200.19		

P₀ : active earth pressure + residual water pressure - passive earth pressure
 P : load P x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P = 0.0 kNm
 depth to acting position H = 0.00 m
 moment M₀ = 0.0 kNm/m
 depth to acting position H = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed l_k = 1.75 m

Moment M_i by arbitrary load is as below

$$M_i = P \cdot (H + l_k - H) + M_0 = 0.00 \text{ kN-m}$$

h₀ Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_i}{\sum P + P_i}$$

$$= \frac{200.19}{85.17} = 2.35 \text{ m}$$

6-1-2 Seismic Condition

	Depth Z (m)	Thickness h (m)	Lateral load Ps (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~	2.00	11.58	11.58	4.02	46.53
	2.00		40.18	40.18	3.35	134.60
2	2.00~	0.10	40.18	2.01	2.65	5.32
	2.10		40.63	2.03	2.62	5.32
3	2.10~	0.28	42.98	5.98	2.49	14.89
	2.38		44.09	6.14	2.40	14.71
4	2.38~	0.22	44.09	4.89	2.23	10.90
	2.60		46.35	5.14	2.16	11.08

R_No. 03_pp.21

R_No. 03_pp.22

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$\phi_n = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_n$$

$$l_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction K_s = 14689 kNm³
 calculated value β = 0.41269 m⁻¹
 resultant earth force (lateral) P₀ = 85.17 kNm
 height of acting position of load h₀ = 2.35 m
 moment M₀ = 200.19 kNm-m/m

in consideration of u = 1.153,
 maximum moment M_{max} = 230.87 kNm-m/m
 depth of generated position of M_{max} l_n = 0.794 m
 depth of fixed point l_i = 2.698 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction K_s = 14510 kNm³
 calculated value β = 0.41144 m⁻¹
 resultant earth force (lateral) P₀ = 104.11 kNm
 height of acting position of load h₀ = 2.71 m
 moment M₀ = 282.26 kNm-m/m

in consideration of u = 1.123,
 maximum moment M_{max} = 316.96 kNm-m/m
 depth of generated position of M_{max} l_n = 0.730 m
 depth of fixed point l_i = 2.638 m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as following:

Corrosion margin	t _i = 1.00 mm (active side) t _s = 1.00 mm (passive side)
Corrosion rate	n = 0.92
Section efficiency	u = 1.00
Module of section	Z ₀ = 3820 cm ³ (original condition) Z = 3514 cm ³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{230.87 \times 10^6}{3514 \times 10^3} = 66 \text{ N/mm}^2 \leq \sigma_s = 180 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{316.96 \times 10^6}{3514 \times 10^3} = 90 \text{ N/mm}^2 \leq \sigma_s = 270 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.65 2.95	0.839 0.678	0.254 0.178	8.00 36.36	2.028 6.472
2	2.10~2.50	2.12 1.98	0.487 0.456	0.099 0.088	8.70 9.81	0.863 0.864
3	2.50~2.60	1.82 1.78	0.418 0.410	0.075 0.073	2.45 2.47	0.184 0.179
4	2.60~4.35	1.17 0.58	0.268 0.134	0.033 0.009	11.75 5.63	0.385 0.048
$\Sigma Q = 11.024$						

Y : Height from imaginary ground to acting position

$$\alpha : \alpha = \frac{Y}{H+L_k}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

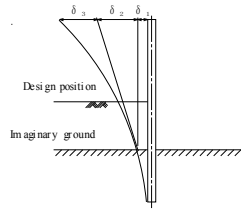
Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

L_k : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4127 \times 2.35) \times 85.17}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4127^3} = 0.00943 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_k)$$

$$= \frac{(1 + 2 \times 0.4127 \times 2.35) \times 85.17}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4127^2} \times (2.60 + 1.75) = 0.02526 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_k)^3}{E I}$$

$$= \frac{11.02 \times (2.60 + 1.75)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00717 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00943 + 0.02526 + 0.00717$$

$$= 0.04186 \text{ m}$$

$$= 41.86 \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where

δ_1 : Displacement at imaginary ground

δ_2 : Displacement by angle of inclination slope at imaginary ground

δ_3 : Displacement at higher part of imaginary ground as cantilever

δ : Displacement at top of SSP

δ_a : Allowable displacement

6-4-2 Seismic Condition

Modules of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.00	4.02 3.35	0.858 0.715	0.263 0.195	11.58 40.18	3.042 7.828
2	2.00~2.10	2.65 2.62	0.566 0.559	0.130 0.127	2.01 2.03	0.261 0.258
3	2.10~2.38	2.49 2.40	0.532 0.512	0.116 0.109	5.98 6.14	0.696 0.667
4	2.38~2.60	2.23 2.16	0.476 0.461	0.095 0.090	4.89 5.14	0.466 0.461
5	2.60~4.35	1.50 0.92	0.320 0.196	0.046 0.018	9.06 12.69	0.415 0.227
6	4.35~4.68	0.22 0.11	0.047 0.024	0.001 0.000	1.41 0.00	0.002 0.000
$\Sigma Q = 14.324$						

Y : Height from imaginary ground to acting position

$$\alpha : \alpha = \frac{Y}{H+L_k}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

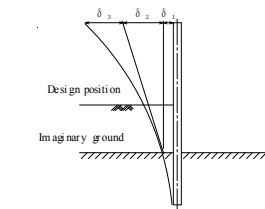
L_k : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1	2.00~2.60	2.48 2.28	0.530 0.488	0.116 0.100	0.00 0.31	0.000 0.031
$\Sigma Q_w = 0.031$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 15.109 + 0.031 = 15.140$

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4114 \times 2.71) \times 104.11}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4114^3} = 0.01249 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_k)$$

$$= \frac{(1 + 2 \times 0.4114 \times 2.71) \times 104.11}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4114^2} \times (2.60 + 2.08) = 0.03676 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_k)^3}{E I}$$

$$= \frac{15.14 \times (2.60 + 2.08)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.01228 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

$$= \frac{1.10 \times 3.88}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8}} \times (2 \times 4.68 - 3.88) = 0.00009 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01249 + 0.03676 + 0.01238$$

$$= 0.06162 \text{ m}$$

$$= 61.62 \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where

δ_1 : Displacement at imaginary ground

δ_2 : Displacement by angle of inclination slope at imaginary ground

δ_3 : Displacement at higher part of imaginary ground as cantilever

δ : Displacement at top of SSP

δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B	=	1.0000 m	
Corrosion rate	n	=	1.00	
Section efficiency	u	=	1.00	
Young's modulus	E	=	200000 N/mm ²	
Inertia sectional moment	I ₀	=	86000 cm ⁴ (original condition)	
	I	=	86000 cm ⁴ (after reduction by corrosion and section)	
H	=	200000 × 10 ³ × 86000 × 10 ⁸	=	1.720 × 10 ⁸

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L₀, penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{10} + D$$

$$\beta = 4\sqrt{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction
Calculated value

$$K_b = 14689 \text{ kN/m}^3$$

$$\beta = 0.38225 \text{ m}^{-1}$$

Penetration length of SSP

$$D = 1.75 + \frac{3}{0.382} = 9.60 \text{ m}$$

Whole length of SSP

$$L = 2.60 - 0.40 + 9.60 = 11.80 \text{ m}$$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction
Calculated value

$$K_b = 14510 \text{ kN/m}^3$$

$$\beta = 0.38109 \text{ m}^{-1}$$

Penetration length of SSP

$$D = 2.08 + \frac{3}{0.381} = 9.96 \text{ m}$$

Whole length of SSP

$$L = 2.60 - 0.40 + 9.96 = 12.16 \text{ m}$$

Therefore, whole length of SSP is set as 12.50 m in consideration of round unit of SSP length.

8 Calculation Result

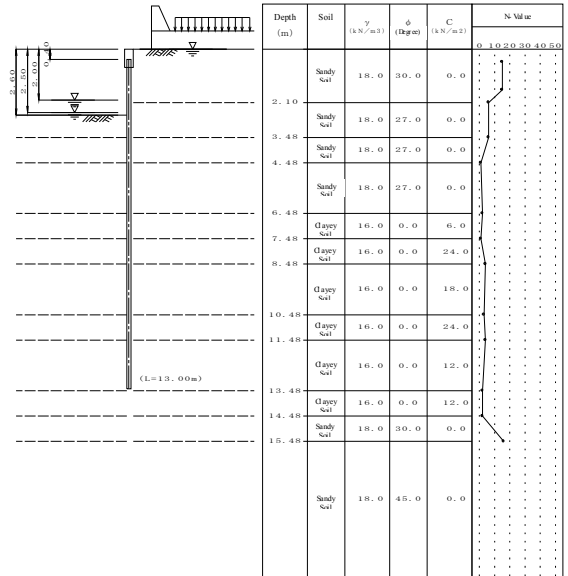
		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	86000	
Section modulus	Z (cm ³)	3820	
Maximum bending moment	M _{max} (kNm/m)	230.87	316.96
Stress intensity	σ (N/mm ²)	66 (180)	90 (270)
Lateral displacement	δ (mm)	41.86 (50.0)	61.62 (75.0)
Penetration depth	D (m)	9.60	9.96
Whole length of SSP	L (m)	12.50	

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 04_STA 5+262 - 5+340



1-2 Dimensions of Structure

Depth from coring top to riverbed H = 2.60 m
 Depth from coring top to rear side ground H_r = 0.00 m
 Depth from coring top to SSP top H_s = 0.40 m
 Reverse of WL L_{rev} = 0.00 m (Normal Condition)
 Reverse of WL L_{rev} = 0.00 m (Seismic Condition)
 Landside WL L_{land} = 2.50 m (Normal Condition)
 Landside WL L_{land} = 2.00 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.04_pp.1

R_No.04_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration dents $L = \frac{\sigma}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition
 Design earthquake intensity $k = 0.200$
 Dynamic water pressure due to earthquake considered as distributed load
 Arbitrary load Horizontal load R = 0.0 kNm (Normal Condition)
 R' = 2.7 kNm (Seismic Condition)
 Depth of acting point H = 0.00 m (Normal Condition)
 H' = 0.40 m (Seismic Condition)
 Moment M_m = 0.0 kN-m/m (Normal Condition)
 M_m = 1.1 kN-m/m (Seismic Condition)
 Depth of acting point H_m = 0.00 m (Seismic Condition)
 H_m = 0.80 m (Normal Condition)
 ('Depth' means distance from top of coring)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$

Equilibrium factor of compression K = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_{50} = 6910 \times N^{0.496}$

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	13.48	2
2	1.60	15	12	14.48	2
3	2.10	6	13	15.48	16
4	3.48	6	14	20.00	20
5	4.48	1			
6	6.48	2			
7	7.48	1			
8	8.48	4			
9	10.48	3			
10	11.48	4			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

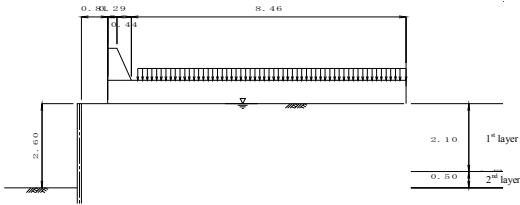
No	Depth (m)	Soil	N value	γ (kNm ³)	γ' (kNm ³)	φ	C (kNm ²)	a	k'	ζ (degree)		kh (kNm ³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----
2	3.48	S	6.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
3	4.48	S	1.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
4	6.48	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
5	7.48	C	1.0	16.00	8.00	0.0	6.0	0.0	0.200	auto	auto	-----	-----
6	8.48	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	-----	-----
7	10.48	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	-----	-----
8	11.48	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	-----	-----
9	13.48	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	-----	-----
10	14.48	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	-----	-----
11	15.48	S	16.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----
12	20.00	S	20.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	-----	-----

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C_s : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.81	0.81	10.00	10.00	0.72	18.0	30.0	0.0	auto	auto
2	Sandy soil	0.81	0.81	1.10	1.54	0.99	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ²)	Seismic (kNm ²)
1	1.74	10.00	10.0	5.0

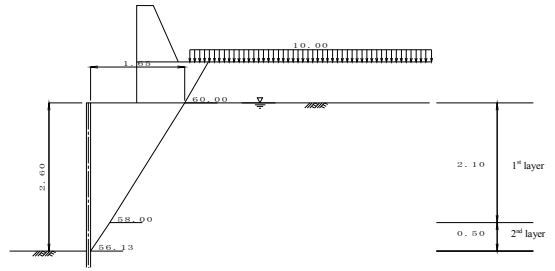
Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

- Young's modulus E = 200000 Nmm²
 Inertia sectional moment I₀ = 86000 cm⁴
 Sectional factor Z₀ = 3820 cm³
- Corrosion margin t₁ = 1.00 mm (reverse) t₂ = 1.00 mm (landside)
- Corrosion rate (to I₀) η = 0.92
 Corrosion rate (to Z₀) η = 0.92
 Section efficiency (to I₀) μ = 0.80
 Section efficiency (to Z₀) μ = 1.00
- Round unit of SSP length = 0.50 m
- Allowable stress σ_s = 180 Nmm² (Normal)
 σ_s' = 270 Nmm² (Seismic)
- Allowable displacement δ_s = 50.0 mm (Normal)
 δ_s' = 75.0 mm (Seismic)
- Bending of cantilever beam calculated as distributed load of each layer
- Reduction of material modulus Reduced: I₀ applied to calculation of lateral coefficient of subgrade reaction
 Not reduced: I₀ applied to calculation of penetration depth
 Reduced: I₀ applied to calculation of section forces and displacement
 Reduced: Z₀ applied to calculation of stresses

R_No_04_pp.5

2 Calculation of Acting Load
 2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kNm ²)	Q (kNm ²)	γ_{wh} (kNm ²)	Angle of rupture Z (degree)
1	2.60~ 2.10	Sandy Soil	27.0	9.0	0.0	26.00	15.70	25.48	56.13
2	2.10~ 0.00	Sandy Soil	30.0	9.0	0.0	21.00	15.70	20.58	58.00
3		Embankment	30.0	—	0.0	30.78	0.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm²)
- C : cohesive force of soil (kNm²)

R_No_04_pp.6

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	56.13	0.50	0.00	0.00	0.34	0.50
2	58.00	2.10	0.34	0.50	1.65	2.60
3	60.00	0.72	1.65	2.60	2.06	3.32

Therefore, width of acting load shall be set as 1.65 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	0.75	13.55
2	18.0	0.50	9.09
Σ			22.64

γ : unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kNm ²)	l (m)	Q x l (kN/m)
1	10.0	0.32	3.24
Σ			3.24

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-1-5 Calculation of Total Acting Load

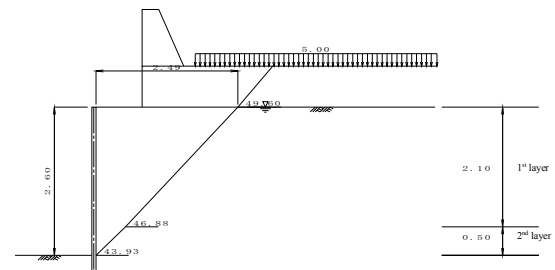
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{22.64 + 3.24 + 0.00}{1.65}$$

$$= 15.70 \text{ kN/m}^2$$

R_No_04_pp.7

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kNm ²)	Q (kNm ²)	γ_{wh} (kNm ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60~ 2.10	Sandy Soil	27.0	9.0	0.0	26.00	16.72	25.48	0.200	11.31	43.93
2	2.10~ 0.00	Sandy Soil	30.0	9.0	0.0	21.00	16.72	20.58	0.200	11.31	46.88
3		Embankment	30.0	—	0.0	30.78	0.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm²)
- C : cohesive force of soil (kNm²)

R_No_04_pp.8

2-2-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.93	0.50	0.00	0.00	0.52	0.50
2	46.88	2.10	0.52	0.50	2.49	2.60
3	49.60	0.72	2.49	2.60	3.10	3.32

Therefore, width of acting load shall be set as 2.49 m

2-2-3 Acting Load by lim bankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	1.43	25.69
2	18.0	0.50	9.09
Σ			34.78

γ : unit weight of embankment soil

A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q x l (kN/m)
1	5.0	1.36	6.79
Σ			6.79

Q: surcharge load

l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

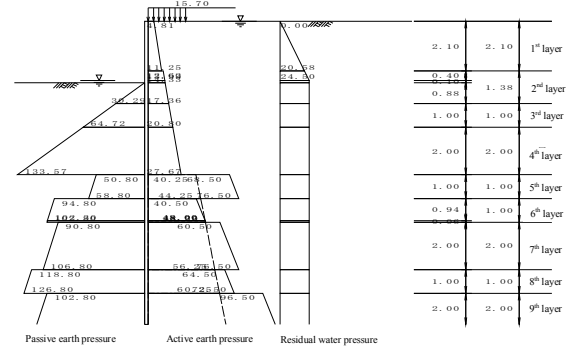
$$= \frac{34.78 + 6.79 + 0.00}{2.49}$$

$$= 16.72 \text{ kN/m}^2$$

R_No 04_pp 9

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_0$ (kN/m ²)	Ka	Ka x cos δ
1	0.00~2.10	Sandy soil	10.0	30.0	15.703 36.703	0.31026 0.31026	0.30644 0.30644
2	2.10~2.50	Sandy soil	10.0	27.0	36.703 40.703	0.34800 0.34800	0.34371 0.34371
3	2.50~2.60	Sandy soil	10.0	27.0	40.703 41.703	0.34800 0.34800	0.34371 0.34371
4	2.60~3.48	Sandy soil	10.0	27.0	41.703 50.503	0.34800 0.34800	0.34371 0.34371
5	3.48~4.48	Sandy soil	10.0	27.0	50.503 60.503	0.34800 0.34800	0.34371 0.34371
6	4.48~6.48	Sandy soil	10.0	27.0	60.503 80.503	0.34800 0.34800	0.34371 0.34371
7	6.48~7.48	Clayey soil	8.0	6.0	80.503 88.503	—	—
8	7.48~8.42	Clayey soil	8.0	24.0	88.503 96.000	—	—
9	8.42~8.48	Clayey soil	8.0	24.0	96.000 96.503	—	—
10	8.48~10.48	Clayey soil	8.0	18.0	96.503 112.503	—	—
11	10.48~11.48	Clayey soil	8.0	24.0	112.503 120.503	—	—
12	11.48~13.48	Clayey soil	8.0	12.0	120.503 136.503	—	—
13	13.48~14.48	Clayey soil	8.0	12.0	136.503 144.503	—	—

R_No 04_pp 10

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_0$ (kN/m ²)	Ka	Ka x cos δ
14	14.48~15.48	Sandy soil	10.0	30.0	144.503 154.503	0.31026 0.31026	0.30644 0.30644
15	15.48~20.00	Sandy soil	10.0	45.0	154.503 199.703	0.16323 0.16323	0.16122 0.16122

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_0$ (kN/m ²)	Kp	Kp x cos δ
4	2.60~3.48	Sandy soil	10.0	27.0	0.000 8.800	3.48553 3.48553	3.44261 3.44261
5	3.48~4.48	Sandy soil	10.0	27.0	8.800 18.800	3.48553 3.48553	3.44261 3.44261
6	4.48~6.48	Sandy soil	10.0	27.0	18.800 38.800	3.48553 3.48553	3.44261 3.44261
7	6.48~7.48	Clayey soil	8.0	0.0	6.0 46.800	—	—
8	7.48~8.42	Clayey soil	8.0	0.0	24.0 54.297	—	—
9	8.42~8.48	Clayey soil	8.0	0.0	24.0 54.800	—	—
10	8.48~10.48	Clayey soil	8.0	0.0	18.0 70.800	—	—
11	10.48~11.48	Clayey soil	8.0	0.0	24.0 78.800	—	—
12	11.48~13.48	Clayey soil	8.0	0.0	12.0 78.800	—	—
13	13.48~14.48	Clayey soil	8.0	0.0	12.0 102.800	—	—
14	14.48~15.48	Sandy soil	10.0	30.0	102.800 112.800	4.00247 4.00247	3.95319 3.95319
15	15.48~20.00	Sandy soil	10.0	45.0	112.800 158.000	8.86593 8.86593	8.75678 8.75678

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

R_No 04_pp 11

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure (kN/m ²)	Passive side (kN/m ²)
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1	0.00~2.10	4.81 11.25	— —	— 20.88	— —
2	2.10~2.50	12.62 13.99	— —	20.58 24.50	— —
3	2.50~2.60	13.99 14.33	— —	24.50 24.50	— —
4	2.60~3.48	14.33 17.36	— —	24.50 24.50	0.00 30.29
5	3.48~4.48	17.36 20.80	— —	24.50 24.50	30.29 64.72
6	4.48~6.48	20.80 27.67	— —	24.50 24.50	64.72 133.57
7	6.48~7.48	68.50 76.50	40.25 44.25	24.50 24.50	50.80 58.80
8	7.48~8.42	40.50 48.00	44.25 48.00	24.50 24.50	94.80 102.30
9	8.42~8.48	48.00 48.50	48.00 48.50	24.50 24.50	102.30 102.80
10	8.48~10.48	60.50 76.50	48.25 56.25	24.50 24.50	90.80 106.80
11	10.48~11.48	64.50 72.50	56.25 60.25	24.50 24.50	118.80 126.80
12	11.48~13.48	96.50 112.50	60.25 68.25	24.50 24.50	102.80 118.80
13	13.48~14.48	112.50 120.50	68.25 72.25	24.50 24.50	118.80 126.80
14	14.48~15.48	44.28 47.25	— —	24.50 24.50	406.39 445.92
15	15.48~20.00	24.91 32.20	— —	24.50 24.50	587.76 1383.57

- Formula for active earth pressure

$$\text{Sandy soil } P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$$

$$\text{Clayey soil } P_{a1} = \Sigma \gamma h + Q - 2C$$

$$P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$$

K_a : Equilibrium coefficient of compression: 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

$$\text{Mixed soil } P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$$

- Formula for passive earth pressure

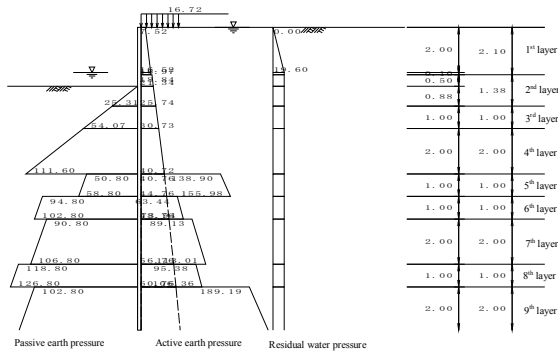
$$\text{Sandy soil } P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$$

$$\text{Clayey soil } P_p = \Sigma \gamma h + Q + 2C$$

$$\text{Mixed soil } P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$$

R_No 04_pp 12

3-2 Seismic Condition



Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)} \right]^2}$$

Angle between surface of collapse and level surface of dayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kN/m ²)	Σγh+Q (kNm ⁻²)	γ _w h _w (kNm ⁻²)	k (k)	θ (degree)	Kp	Kp × cos δ
4 2.60~3.48	Sandy soil	10.00	27.0	---	0.000	0.00	0.200	11.31	2.91211	2.87626
5 3.48~4.48	Sandy soil	10.00	27.0	---	8.800	8.62	0.200	11.31	2.91211	2.87626
6 4.48~6.48	Sandy soil	10.00	27.0	---	18.800	18.42	0.200	11.31	2.91211	2.87626
7 6.48~7.48	Clayey soil	8.00	0.0	6.0	38.800	38.02	0.200	11.31	---	---
8 7.48~8.48	Clayey soil	8.00	0.0	6.0	48.800	47.82	0.200	11.31	---	---
9 8.48~10.48	Clayey soil	8.00	0.0	18.0	58.800	57.62	0.200	11.31	---	---
10 10.48~11.48	Clayey soil	8.00	0.0	24.0	70.800	77.22	0.200	11.31	---	---
11 11.48~13.48	Clayey soil	8.00	0.0	12.0	78.800	87.02	0.200	11.31	---	---
12 13.48~14.48	Clayey soil	8.00	0.0	12.0	94.800	106.62	0.200	11.31	---	---
13 14.48~15.48	Sandy soil	10.00	30.0	---	102.800	116.42	0.200	11.31	3.39273	3.35096
14 15.48~20.00	Sandy soil	10.00	45.0	---	112.800	126.22	0.200	11.31	7.92269	7.82515

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 kNm ⁻²	Pa2 kNm ⁻²	Pa kNm ⁻²		
1	0.00~2.00	7.52	---	7.52	0.00	---
2	2.00~2.10	16.52	---	16.52	19.60	---
3	2.10~2.60	18.84	---	18.84	19.60	---
4	2.60~3.48	21.34	---	21.34	19.60	0.00
5	3.48~4.48	25.74	---	25.74	19.60	25.31
6	4.48~6.48	30.73	---	30.73	19.60	54.07
7	6.48~7.48	138.90	40.76	138.90	19.60	50.80
8	7.48~8.48	63.44	44.76	63.44	19.60	94.80
9	8.48~10.48	89.13	48.76	89.13	19.60	106.80
10	10.48~11.48	95.38	56.76	95.38	19.60	118.80
11	11.48~13.48	189.19	60.76	189.19	19.60	102.80
12	13.48~14.48	223.34	68.76	223.34	19.60	118.80
13	14.48~15.48	65.46	---	65.46	19.60	344.48
14	15.48~20.00	40.41	---	40.41	19.60	882.68

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

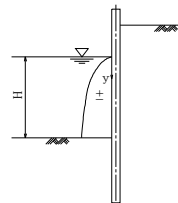
3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P _w (kNm ⁻³)
1	2.00	0.00	0.00
2	2.60	0.60	1.03

$$p_w = \pm \frac{7}{8} k_{ws} \cdot \gamma_w \cdot \sqrt{H} \cdot y$$

Where,

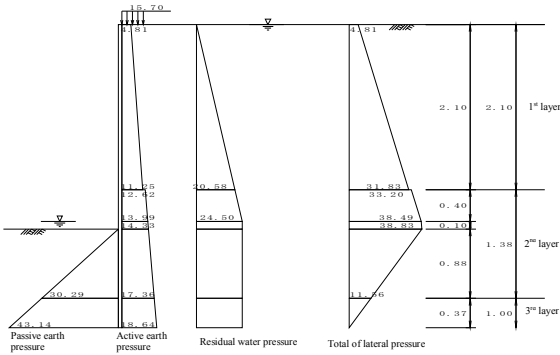
- k_{ws} : design seismic coefficient
- γ_w : unit weight of water
- H: water depth of riverside
- y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level I_L is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition



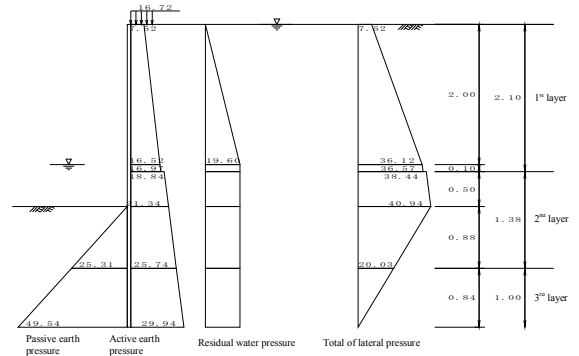
Depth (m)	P_a kNm ²	P_w kNm ²	P_p kNm ²	P_s kNm ²
1 0.00~2.10	4.81 11.25	0.00 20.58	— —	4.81 31.83
2 2.10~2.50	12.62 13.99	20.58 24.50	— —	33.20 38.49
3 2.50~2.60	13.99 14.33	24.50 24.50	— —	38.49 38.83
4 2.60~3.48	14.33 17.36	24.50 24.50	0.00 30.29	38.83 11.56
5 3.48~3.85	17.36 18.64	24.50 24.50	30.29 43.14	11.56 0.00
6 3.85~4.48	18.64 20.80	24.50 24.50	43.14 64.72	0.00 -19.43

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed I_L : 1.25 m (GL -3.85 m)

R_No.04_pp 17

4-2 Seismic Condition



Depth (m)	P_a kNm ²	P_w kNm ²	P_p kNm ²	P_s kNm ²
1 0.00~2.00	7.52 16.52	0.00 19.60	— —	7.52 36.12
2 2.00~2.10	16.52 16.97	19.60 19.60	— —	36.12 36.57
3 2.10~2.60	18.84 21.34	19.60 19.60	— —	38.44 40.94
4 2.60~3.48	21.34 25.74	19.60 19.60	0.00 25.31	40.94 20.03
5 3.48~4.32	25.74 29.94	19.60 19.60	25.31 49.54	20.03 0.00
6 4.32~4.48	29.94 30.73	19.60 19.60	49.54 54.07	0.00 -3.74

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed I_L : 1.72 m (GL -4.32 m)

R_No.04_pp 18

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below.

$$K_h = 6910 \times N^{1.496}$$

where,

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width $B = 1.0000$ m
 Corrosion margin $t_a = 1.00$ mm (active side) $t_r = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.92$
 Section efficiency $\mu = 0.80$
 Young's modulus $E = 200000$ Nmm²
 Inertia sectional moment $I_a = 86000$ cm⁴ (original condition)
 $I = 63296$ cm⁴ (after reduction by corrosion and section)
 Inertia sectional moment $EI = 200000 \times 10^7 \times 63296 \times 10^{-8} = 1.266 \times 10^7$

Depth (m)	N-value	Depth (m)	N-value
1 0.50	15	11 13.48	2
2 1.60	15	12 14.48	2
3 2.10	6	13 15.48	16
4 3.48	6	14 20.00	20
5 4.48	1		
6 4.48	2		
7 7.48	1		
8 8.48	4		
9 10.48	3		
10 11.48	4		

5-2 Normal Condition

$K_h = 8699$ kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}} = 0.362 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.76 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.85 m) to 2.76 m depth (GL -6.62 m).

R_No.04_pp 19

5-3 Seismic Condition

$K_h = 8223$ kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}} = 0.357 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.80 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.32 m) and 2.80 m depth (GL -7.12 m).

Depth (m)	Thickness (m)	N-value upper	N-value lower	Area (m ²)
1 4.32	0.16	1.8	1.0	0.22
2 4.48	2.00	1.0	2.0	3.00
3 6.48	0.64	2.0	1.4	1.08
L = 2h = 2.80		ΣA = 4.30		

A (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{4.30}{2.80} = 1.53$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following.
 $K_h = 6910 \times N^{1.496} = 6910 \times 1.53^{1.496} = 8223$ kNm³
 K_h (seismic condition) = 8223 kNm³

R_No.04_pp 20

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_b & Acting Elevation h_b

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P_b (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00~2.10	2.10	4.81 31.83	5.05 33.42	3.15 2.45	15.93 81.98
2 2.10~2.50	0.40	33.20 38.49	6.64 7.70	1.62 1.49	10.75 11.44
3 2.50~2.60	0.10	38.49 38.83	1.92 1.94	1.32 1.29	2.54 2.50
4 2.60~3.48	0.88	38.83 11.56	17.09 5.09	0.96 0.67	16.40 3.39
5 3.48~3.85	0.37	11.56 0.00	2.16 0.00	0.25 0.12	0.54 0.00
		$\Sigma P = 81.01$			$\Sigma M = 145.48$

P : active earth pressure + residual water pressure - passive earth pressure
 P : load $P \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P = 0.0$ kNm
 depth to acting position $H = 0.00$ m
 moment $M_b = 0.0$ kNm/m
 depth to acting position $H_b = 0.00$ m
 Height from riverbed to top of conra $H = 2.60$ m
 Depth of imaginary riverbed from riverbed $I_k = 1.25$ m

Moment M_b by arbitrary load is as below
 $M_b = P \cdot (H + I_k - H) + M_b = 0.00$ kNm
 h_b Height of acting position of P_b from imaginary riverbed

$$h_o = \frac{M_o}{P_o} = \frac{\Sigma M + M_b}{\Sigma P + P_i} = \frac{145.48}{81.01} = 1.80 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P_b (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00~2.00	2.00	7.52 36.12	7.52 36.12	3.66 2.99	27.50 107.97
2 2.00~2.10	0.10	36.12 36.57	1.81 1.83	2.29 2.26	4.13 4.12
3 2.10~2.60	0.50	38.44 40.94	9.61 10.24	2.06 1.89	19.76 19.34

R_No. 04_pp 21

R_No. 04_pp 21

$$\beta = 4\sqrt{\frac{K_a \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_o)^2 + 1}}{2\beta h_o} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_o})$$

$$M_{max} = M_o \cdot \phi_a$$

$$I_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_o}$$

$$I_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_o}{\beta h_o}$$

$$M(o) = \frac{P_o}{\beta} \times \exp^{-\beta x} (\beta h_o \cdot \cos \beta x + (1+\beta h_o) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_s = 8699 \text{ kNm}^{-3}$
 resultant earth force (lateral) $P_b = 0.36204 \text{ m}^{-1}$
 height of acting position of load $P_b = 81.01 \text{ kNm}$
 moment $M_o = 145.48 \text{ kNm/m}$

in consideration of $\phi_{in} = 1.280$,
 maximum moment $M_{max} = 186.22 \text{ kNm/m}$
 depth of generated position of M_{max} $l_s = 1.133 \text{ m}$
 depth of I^1 fixed point $l_i = 3.302 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_s = 8223 \text{ kNm}^{-3}$
 resultant earth force (lateral) $P_b = 0.35698 \text{ m}^{-1}$
 height of acting position of load $P_b = 105.39 \text{ kNm}$
 moment $M_o = 235.60 \text{ kNm/m}$

in consideration of $\phi_{in} = 1.207$,
 maximum moment $M_{max} = 284.31 \text{ kNm/m}$
 depth of generated position of M_{max} $l_s = 1.030 \text{ m}$
 depth of I^1 fixed point $l_i = 3.230 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as followings:

Corrosion margin $t_s = 1.00 \text{ mm}$ (active side) $t_r = 1.00 \text{ mm}$ (passive side)
 Corrosion rate $n = 0.92$
 Section efficiency $\eta = 1.00$
 Module of section $Z_o = 3820 \text{ cm}^3$ (original condition)
 $Z = 3514 \text{ cm}^3$ (after reduction by corrosion and section)

Depth Z (m)	Thickness h (m)	Lateral load P_b (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
4 2.60~3.48	0.88	40.94 20.03	18.01 8.81	1.43 1.14	25.75 10.01
5 3.48~4.32	0.84	20.03 0.00	8.44 0.00	0.56 0.28	4.74 0.00
		$\Sigma P = 102.38$			$\Sigma M = 223.31$

P_b : active earth pressure + residual water pressure - passive earth pressure
 P : load $P \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P = 2.7$ kNm
 depth to acting position $H = 0.40$ m
 moment $M_b = 1.1$ kNm/m
 depth to acting position $H_b = 0.80$ m
 Height from riverbed to top of conra $H = 2.60$ m
 Depth of imaginary riverbed from riverbed $I_k = 1.72$ m

Moment M_b by arbitrary load is as below
 $M_b = P \cdot (H + I_k - H) + M_b = 11.69$ kNm

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{dw} (kNm ²)	Load P_{dw} (kN)	Arm length Y (m)	Moment M_{dw} (kNm)
1	2.00~2.60	0.60	0.0 1.0	0.0 0.31	2.12 1.92	0.00 0.59
		$\Sigma P_{dw} = 0.31$				$\Sigma M_{dw} = 0.59$

h_b Height of acting position of P_b from imaginary riverbed

$$h_o = \frac{M_o}{P_o} = \frac{\Sigma M + M_b + \Sigma M_{dw}}{\Sigma P + P_i + \Sigma P_{dw}} = \frac{235.60}{105.39} = 2.24 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as followings:

Unit width $B = 1.0000 \text{ m}$
 Corrosion margin $t_i = 1.00 \text{ mm}$ (active side) $t_r = 1.00 \text{ mm}$ (passive side)
 Corrosion rate $n = 0.92$
 Section efficiency $\eta = 0.80$
 Young's modulus $E = 200000 \text{ Nm/m}^2$
 Inertia sectional moment $I_o = 86000 \text{ cm}^4$ (original condition)
 $I = 63296 \text{ cm}^4$ (after reduction by corrosion and section)
 $H = 20000 \times 10^3 \times 63296 \times 10^{-8} = 1.266 \times 10^7$

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{186.22 \times 10^6}{3514 \times 10^3} = 53 \text{ N/mm}^2 \leq \sigma_s = 180 \text{ N/mm}^2 \text{ (ok)}$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{284.31 \times 10^6}{3514 \times 10^3} = 81 \text{ N/mm}^2 \leq \sigma_s = 270 \text{ N/mm}^2 \text{ (ok)}$$

6-4 Displacement

6-4-1 Normal Condition

Modulus of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1 0.00~2.10	3.15 2.45	0.818 0.637	0.244 0.160	5.05 33.42	1.220 5.336
2 2.10~2.50	1.62 1.49	0.420 0.386	0.076 0.065	6.64 7.70	0.504 0.499
3 2.50~2.60	1.32 1.29	0.343 0.334	0.052 0.050	1.92 1.94	0.100 0.096
4 2.60~3.48	0.96 0.67	0.249 0.173	0.028 0.014	17.09 5.09	0.486 0.072
5 3.48~3.85	0.25 0.12	0.065 0.032	0.002 0.001	2.16 0.00	0.004 0.000
				$\Sigma Q = 8.328$	

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H + I_i}$$

$$\zeta : \zeta = \frac{(3 - \alpha) \times \alpha^2}{6}$$

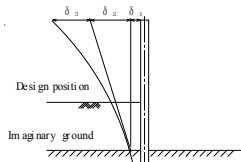
Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

I_i : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1 + 0.3620 \times 1.80) \times 81.01}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.3620^3} = 0.01113 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_s) = \frac{(1 + 2 \times 0.3620 \times 1.80) \times 81.01}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.3620^2} \times (2.60 + 1.25) = 0.02164 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_s)^3}{E I} = \frac{8.33 \times (2.60 + 1.25)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00376 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.01113 + 0.02164 + 0.00376 = 0.03653 \text{ m} = 36.53 \text{ mm} \approx \delta_a = 50.00 \text{ mm (ok)}$$

- Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~	3.66	0.846	0.257	7.52	1.932
	2.00	2.99	0.692	0.184	36.12	6.646
2	2.00~	2.29	0.530	0.115	1.81	0.209
	2.10	2.26	0.522	0.112	1.83	0.206
3	2.10~	2.06	0.476	0.095	9.61	0.915
	2.60	1.89	0.437	0.082	10.24	0.835
4	2.60~	1.43	0.331	0.049	18.01	0.876
	3.48	1.14	0.263	0.032	8.81	0.278
5	3.48~	0.56	0.130	0.008	8.44	0.068
	4.32	0.28	0.065	0.002	0.00	0.000
						$\Sigma Q = 11.964$

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H + L_s}$$

$$\zeta : \zeta = \frac{(3 - \alpha) \times \alpha^2}{6}$$

$$Q : \zeta \times P$$

P : Lateral force

H : Depth to design position

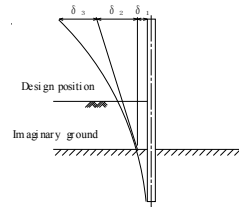
L_s : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	R_w (kN)	Q_w (kN)
1	2.00~	2.12	0.491	0.101	0.00	0.000
	2.60	1.92	0.445	0.084	0.31	0.026
						$\Sigma Q_w = 0.026$

Therefore, modulus of deformation Q is calculated as below
 $Q = 12.739 + 0.026 = 12.765$

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1 + 0.3570 \times 2.24) \times 105.39}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.3570^3} = 0.01645 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_s) = \frac{(1 + 2 \times 0.3570 \times 2.24) \times 105.39}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.3570^2} \times (2.60 + 1.72) = 0.03666 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_s)^3}{E I} = \frac{12.76 \times (2.60 + 1.72)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00814 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.01645 + 0.03666 + 0.00822 = 0.06133 \text{ m} = 61.33 \text{ mm} \approx \delta_a = 75.00 \text{ mm (ok)}$$

- Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 86000 \text{ cm}^4$ (original condition) $I = 86000 \text{ cm}^4$ (after reduction by corrosion and section)
	$E I = 200000 \times 10^8 \times 86000 \times 10^8 = 1.720 \times 10^9$

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_s , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_s + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = \sqrt[4]{\frac{K_h \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction	$K_h = 8699 \text{ kN/m}^3$
Calculated value	$\beta = 0.33533 \text{ m}^{-1}$

Penetration length of SSP $D = 1.25 + \frac{3}{0.335} = 10.20 \text{ m}$
 Whole length of SSP $L = 2.60 - 0.40 + 10.20 = 12.40 \text{ m}$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction	$K_h = 8223 \text{ kN/m}^3$
Calculated value	$\beta = 0.33064 \text{ m}^{-1}$

Penetration length of SSP $D = 1.72 + \frac{3}{0.331} = 10.80 \text{ m}$
 Whole length of SSP $L = 2.60 - 0.40 + 10.80 = 13.00 \text{ m}$

Therefore, whole length of SSP is set as 13.00m in consideration of round unit of SSP length

8 Calculation Result

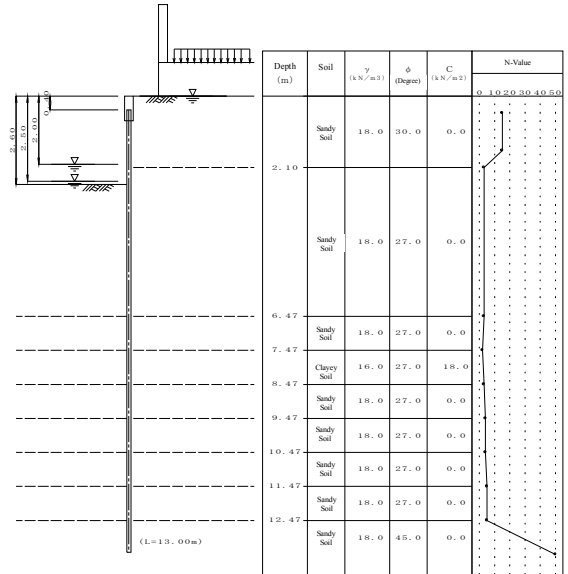
			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	86000		
Section modulus	Z (cm ³)	3820		
Maximum bending moment	M_{max} (kNm/m)		186.22	284.31
Stress intensity	σ (N/mm ²)		53 (180)	81 (270)
Lateral displacement	δ (mm)		36.53 (50.0)	61.33 (75.0)
Penetration depth	D (m)	13.00	10.20	10.80
Whole length of SSP	L (m)			

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 05_STA 5+340 - 5+414



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP ton H_s = 0.40 m
 Reverse WL L_{rev} = 0.00 m (Normal Condition)
 Landside WL L_{land} = 0.00 m (Seismic Condition)
 L_{land}' = 2.50 m (Normal Condition)
 L_{land}' = 2.00 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.05_pp.1

R_No.05_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water γ_w = 9.8 kN/m³
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition
 Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load
 Horizontal load Pt = 0.0 kNm (Normal Condition)
 Pt' = 2.7 kNm (Seismic Condition)
 Depth of acting point Ht = 0.00 m (Normal Condition)
 Ht' = 0.40 m (Seismic Condition)
 Moment M_m = 0.0 kN-m/m (Normal Condition)
 M_m' = 1.1 kN-m/m (Seismic Condition)
 Depth of acting point H_m = 0.00 m (Seismic Condition)
 H_m = 0.80 m (Normal Condition)
 ('Depth' means distance from top of coping)

Wind load Impact load not considered

Minimum angle of rupture ζ_θ = 10 degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) ζ = tan⁻¹ √(1 - (Σγh+2Q) / 2C) · tan θ

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula K_b = 6910 × N'^{0.406}
 Average N-value calculated from average N-value between imaginary riverbed and depth as 1/3

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.50	15	11	13.47	50
2	1.60	15	12	20.00	50
3	2.10	3			
4	6.47	3			
5	7.47	2			
6	8.47	3			
7	9.47	4			
8	10.47	4			
9	11.47	5			
10	12.47	5			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

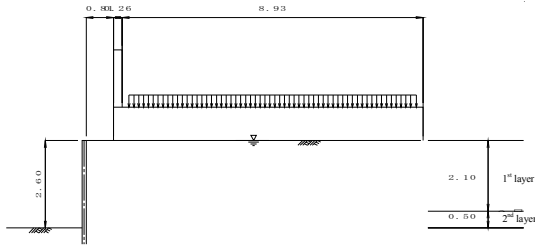
No	Depth (m)	Soil	N-value	γ kN/m ³	γ' kN/m ³	φ	C kN/m ²	a	k'	ζ (degree)		kh(kN/m')	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----
2	6.47	S	3.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
3	7.47	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
4	8.47	C	3.0	16.00	8.00	27.0	18.0	0.0	0.200	auto	auto	-----	-----
5	9.47	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
6	10.47	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
7	11.47	S	5.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
8	12.47	S	5.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
9	13.47	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	-----	-----

Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed(M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C_s : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

1-8 Em bankment on Landside



Em bankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.81	0.81	10.00	10.00	0.99	18.0	30.0	0.0	auto	auto
2	Sandy soil	0.81	0.81	10.07	10.07	1.70	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	1.27	9.80	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

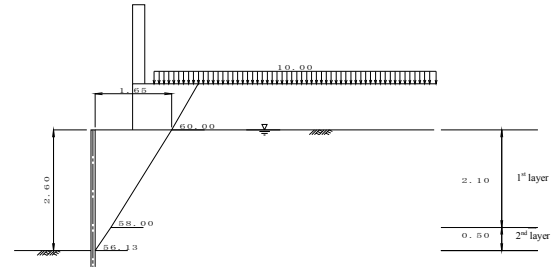
1-9 Steel Sheet Pile (SSP)

Young's modulus E = 200000 Nmm²
 Inertia sectional moment I_w = 86000 cm⁴
 Sectional factor Z_a = 3820 cm³
 Corrosion margin t_s = 1.00 mm (ri verside) t_s = 1.00 mm (landside)
 Corrosion rate (to I_a) η = 0.92
 Corrosion rate (to Z_a) η = 0.92
 Section efficiency (to I_a) μ = 0.80
 Section efficiency (to Z_a) μ = 1.00
 Round unit of SSP length 0.50 m
 Allowable stress σ_s = 180 Nmm² (Normal)
 σ_s = 270 Nmm² (Seismic)
 Allowable displacement δ_s = 50.0 mm (Normal)
 δ_s = 75.0 mm (Seismic)
 Bending of cantilever beam calculated as distributed load of each layer
 Reduction of material modulus Reduced: I₀ applied to calculation of lateral coefficient of subgrade reaction
 Not Reduced: I₀ applied to calculation of penetration depth
 Reduced: I₀ applied to calculation of section forces and displacement
 Reduced: Z₀ applied to calculation of stresses

R_No_05_pp.5

2 Calculation of Acting Load

2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wh} (kN/m ²)	Angle of rupture Z (degree)
1	2.60 ~ 2.10	Sandy Soil	27.0	9.0	0.0	26.00	22.74	25.48	56.13
2	2.10 ~ 0.00	Sandy Soil	30.0	9.0	0.0	21.00	22.74	20.58	58.00
3		Embankment	30.0	—	0.0	48.42	0.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesive force of soil (kNm⁻²)

R_No_05_pp.6

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	56.13	0.50	0.00	0.00	0.34	0.50
2	58.00	2.10	0.34	0.50	1.65	2.60
3	60.00	0.99	1.65	2.60	2.22	3.59

Therefore, width of acting load shall be set as 1.65 m

2-1-3 Acting Load by Em bankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	1.11	20.02
2	18.0	0.44	7.96
Σ			27.98

γ : unit weight of embankment soil
 A: sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	0.95	9.49
Σ			9.49

Q: surcharge load
 l: width of surcharge load set by line of active rupture

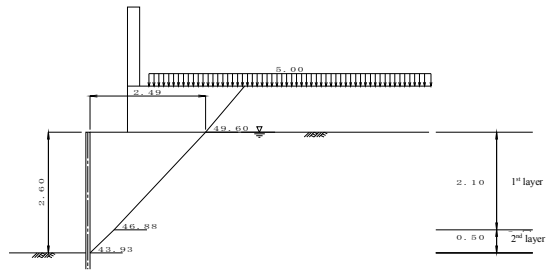
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{27.98 + 9.49 + 0.00}{1.65}$$

$$= 22.74 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wh} (kN/m ²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60 ~ 2.10	Sandy Soil	27.0	9.0	0.0	26.00	22.37	25.48	0.200	11.31	43.93
2	2.10 ~ 0.00	Sandy Soil	30.0	9.0	0.0	21.00	22.37	20.58	0.200	11.31	46.88
3		Embankment	30.0	—	0.0	48.42	0.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesive force of soil (kNm⁻²)

R_No_05_pp.7

R_No_05_pp.8

2-2-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.93	0.50	0.00	0.00	0.52	0.50
2	46.88	2.10	0.52	0.50	2.49	2.60
3	49.60	0.99	2.49	2.60	3.33	3.59

Therefore, width of acting load shall be set as 2.49 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.08	37.37
2	18.0	0.44	7.96
Σ			45.32

γ : unit weight of embankment soil

A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q x l (kN/m)
1	5.0	2.06	10.29
Σ			10.29

Q: surcharge load

l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

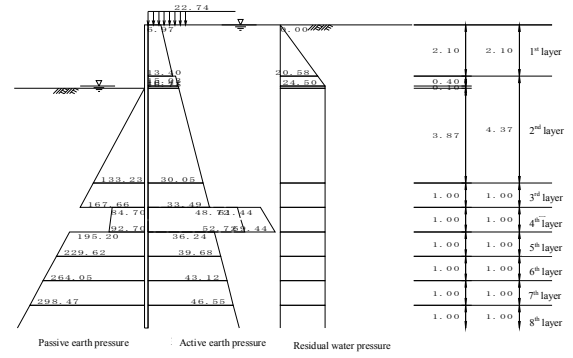
$$= \frac{45.32 + 10.29 + 0.00}{2.49}$$

$$= 22.37 \text{ kN/m}^2$$

R_No 05_pp 9

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_0$ (kN/m ²)	Ka	$Ka \times \cos \delta$
1	0.00~2.10	Sandy soil	10.0	30.0	22.741 43.741	0.31026 0.31026	0.30644 0.30644
2	2.10~2.50	Sandy soil	10.0	27.0	43.741 47.741	0.34800 0.34800	0.34371 0.34371
3	2.50~2.60	Sandy soil	10.0	27.0	47.741 48.741	0.34800 0.34800	0.34371 0.34371
4	2.60~6.47	Sandy soil	10.0	27.0	48.741 87.441	0.34800 0.34800	0.34371 0.34371
5	6.47~7.47	Sandy soil	10.0	27.0	87.441 97.441	0.34800 0.34800	0.34371 0.34371
6	7.47~8.47	Clayey soil	8.0	18.0	97.441 105.441	—	—
7	8.47~9.47	Sandy soil	10.0	27.0	105.441 115.441	0.34800 0.34800	0.34371 0.34371
8	9.47~10.47	Sandy soil	10.0	27.0	115.441 125.441	0.34800 0.34800	0.34371 0.34371
9	10.47~11.47	Sandy soil	10.0	27.0	125.441 135.441	0.34800 0.34800	0.34371 0.34371
10	11.47~12.47	Sandy soil	10.0	27.0	135.441 145.441	0.34800 0.34800	0.34371 0.34371
11	12.47~13.47	Sandy soil	10.0	45.0	145.441 155.441	0.16323 0.16323	0.16122 0.16122

R_No 05_pp 10

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_0$ (kN/m ²)	Kp	$Kp \times \cos \delta$
4	2.60~6.47	Sandy soil	10.0	27.0	0.000 38.700	3.48553 3.48553	3.44261 3.44261
5	6.47~7.47	Sandy soil	10.0	27.0	38.700 48.700	3.48553 3.48553	3.44261 3.44261
6	7.47~8.47	Clayey soil	8.0	27.0	48.700 56.700	—	—
7	8.47~9.47	Sandy soil	10.0	27.0	56.700 66.700	3.48553 3.48553	3.44261 3.44261
8	9.47~10.47	Sandy soil	10.0	27.0	66.700 76.700	3.48553 3.48553	3.44261 3.44261
9	10.47~11.47	Sandy soil	10.0	27.0	76.700 86.700	3.48553 3.48553	3.44261 3.44261
10	11.47~12.47	Sandy soil	10.0	27.0	86.700 96.700	3.48553 3.48553	3.44261 3.44261
11	12.47~13.47	Sandy soil	10.0	45.0	96.700 106.700	8.86593 8.86593	8.75678 8.75678

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

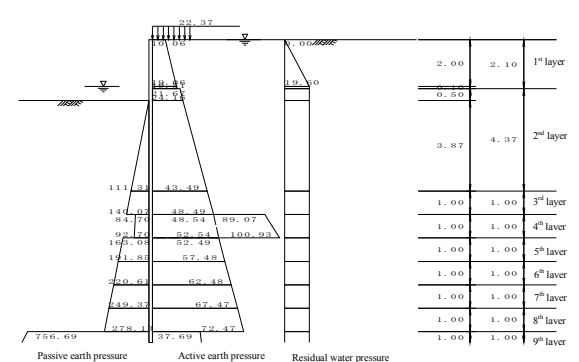
$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure Pw (kN/m ²)	Passive side Pp (kN/m ²)
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1	0.00~2.10	6.97 13.40	—	0.00 20.58	—
2	2.10~2.50	15.03 16.41	—	20.58 24.50	—
3	2.50~2.60	16.41 16.75	—	24.50 24.50	—
4	2.60~6.47	16.75 30.05	—	24.50 133.23	0.00
5	6.47~7.47	30.05 33.49	—	24.50 167.66	—
6	7.47~8.47	61.44 69.44	48.72 69.44	24.50 24.50	84.70 92.70
7	8.47~9.47	36.24 39.68	—	24.50 229.62	195.20 229.62
8	9.47~10.47	39.68 43.12	—	24.50 264.05	229.62 264.05
9	10.47~11.47	43.12 46.55	—	24.50 298.47	264.05 298.47

R_No 05_pp 11

3-2 Seismic Condition



R_No 05_pp 12

3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q$ (kN/m ²)	$\gamma_w h_w$ (kN/m ²)	k (k)	θ (degree)	Ka	$K_a \times \cos \delta$	θ (degree)
1	0.00~2.00	Sandy Soil	10.0	30.0	22.37 42.37	0.00 19.60	0.200 0.200	11.31 11.31	0.45543 0.45543	0.44982 0.44982	—
2	2.00~2.10	Sandy Soil	10.0	30.0	42.37 43.37	19.60 20.58	0.200 0.200	11.31 11.31	0.45543 0.45543	0.44982 0.44982	—
3	2.10~2.60	Sandy Soil	10.0	27.0	43.37 48.37	20.58 25.48	0.200 0.200	11.31 11.31	0.50574 0.50574	0.49951 0.49951	—
4	2.60~6.47	Sandy Soil	10.0	27.0	48.37 87.07	25.48 63.41	0.200 0.200	11.31 11.31	0.50574 0.50574	0.49951 0.49951	—
5	6.47~7.47	Sandy Soil	10.0	27.0	87.07 97.07	63.41 73.21	0.200 0.200	11.31 11.31	0.50574 0.50574	0.49951 0.49951	—
6	7.47~8.47	Clayey Soil	8.0	—	18.0 105.07	73.21 83.01	0.200 0.200	11.31 11.31	—	—	30.11 28.38
7	8.47~9.47	Sandy Soil	10.0	27.0	105.07 115.07	83.01 92.81	0.200 0.200	11.31 11.31	0.50574 0.50574	0.49951 0.49951	—
8	9.47~10.47	Sandy Soil	10.0	27.0	115.07 125.07	92.81 102.61	0.200 0.200	11.31 11.31	0.50574 0.50574	0.49951 0.49951	—
9	10.47~11.47	Sandy Soil	10.0	27.0	125.07 135.07	102.61 112.41	0.200 0.200	11.31 11.31	0.50574 0.50574	0.49951 0.49951	—
10	11.47~12.47	Sandy Soil	10.0	27.0	135.07 145.07	112.41 122.21	0.200 0.200	11.31 11.31	0.50574 0.50574	0.49951 0.49951	—
11	12.47~13.47	Sandy Soil	10.0	45.0	145.07 155.07	122.21 132.01	0.200 0.200	11.31 11.31	0.26304 0.26304	0.25980 0.25980	—

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 9.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \left[1 - \frac{\Sigma \gamma h + 2Q}{2C} \right] \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Qp$ (kN/m ²)	$\gamma_w h_w$ (kN/m ²)	k (k)	θ (degree)	Kp	$K_p \times \cos \delta$
4	2.60~6.47	Sandy soil	10.00	27.0	0.000 38.700	0.00 37.93	0.200 0.200	11.31 11.31	2.91211 2.91211	2.87626 2.87626
5	6.47~7.47	Sandy soil	10.00	27.0	38.700 48.700	37.93 47.73	0.200 0.200	11.31 11.31	2.91211 2.91211	2.87626 2.87626
6	7.47~8.47	Clayey soil	8.00	27.0	18.0 56.700	47.73 57.53	0.200 0.200	11.31 11.31	—	—
7	8.47~9.47	Sandy soil	10.00	27.0	56.700 66.700	57.53 67.33	0.200 0.200	11.31 11.31	2.91211 2.91211	2.87626 2.87626
8	9.47~10.47	Sandy soil	10.00	27.0	66.700 76.700	67.33 77.13	0.200 0.200	11.31 11.31	2.91211 2.91211	2.87626 2.87626
9	10.47~11.47	Sandy soil	10.00	27.0	76.700 86.700	77.13 86.93	0.200 0.200	11.31 11.31	2.91211 2.91211	2.87626 2.87626

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = \left[K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a} \right] \cdot \cos \delta$

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = \left[K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p} \right] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P_{dw} (kN/m ²)
1	2.00	0.00	0.00
2	2.60	0.60	1.03

$$P_{dw} = \pm \frac{7}{8} k_{dw} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

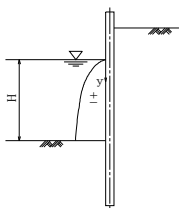
Where,

k_{dw} : design seismic coefficient

γ_w : unit weight of water

H: water depth of riverside

y: depth from water surface to the point where active water pressure is calculated



Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Qp$ (kN/m ²)	$\gamma_w h_w$ (kN/m ²)	k (k)	θ (degree)	Kp	$K_p \times \cos \delta$
10	11.47~12.47	Sandy soil	10.00	27.0	86.700 96.700	86.93 96.73	0.200 0.200	11.31 11.31	2.91211 2.91211	2.87626 2.87626
11	12.47~13.47	Sandy soil	10.00	45.0	96.700 106.53	96.73 106.53	0.200 0.200	11.31 11.31	7.92269 7.92269	7.82515 7.82515

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = -9.00, \beta = 0.00, \theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

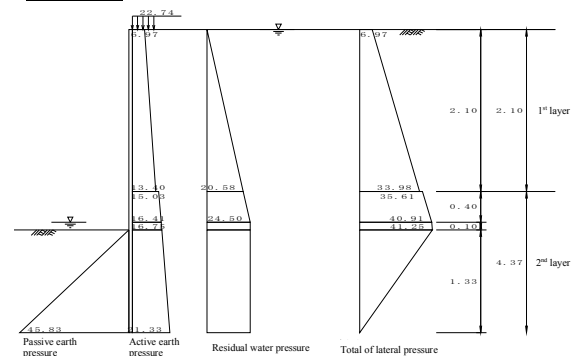
3-2-3 Lateral Pressure

No	Depth (m)	Active side		Residual water pressure	Passive side
		Pa1 kN/m ²	Pa2 kN/m ²		
1	0.00~2.00	10.06 19.06	—	10.06 19.60	0.00 19.60
2	2.00~2.10	19.06 19.51	—	19.06 19.51	19.60 19.60
3	2.10~2.60	21.67 24.16	—	21.67 24.16	19.60 19.60
4	2.60~6.47	24.16 43.49	—	24.16 43.49	19.60 111.31
5	6.47~7.47	43.49 48.49	—	43.49 48.49	19.60 111.31
6	7.47~8.47	89.07 100.93	48.54 52.54	89.07 100.93	19.60 19.60
7	8.47~9.47	52.49 57.48	—	52.49 57.48	19.60 191.85
8	9.47~10.47	57.48 62.48	—	57.48 62.48	19.60 191.85
9	10.47~11.47	62.48 67.47	—	62.48 67.47	19.60 220.61
10	11.47~12.47	67.47 72.47	—	67.47 72.47	19.60 249.37
11	12.47~13.47	37.69 40.29	—	37.69 40.29	19.60 756.69 834.94

4 Imaginary Riverbed

Imaginary ground level I_g is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4.1 Normal Condition



Depth (m)	Pa kN/m ²	Pw kN/m ²	Pp kN/m ²	Ps kN/m ²	
1	0.00~2.10	6.97 13.40	0.00 20.58	— —	6.97 33.98
2	2.10~2.50	15.03 16.41	20.58 24.50	— —	35.61 40.91
3	2.50~2.60	16.41 16.75	24.50 24.50	— —	40.91 41.25
4	2.60~3.93	16.75 21.33	24.50 24.50	0.00 45.83	41.25 0.00
5	3.93~6.47	21.33 30.05	24.50 24.50	45.83 133.23	0.00 -78.67

P_a : Active earth pressure

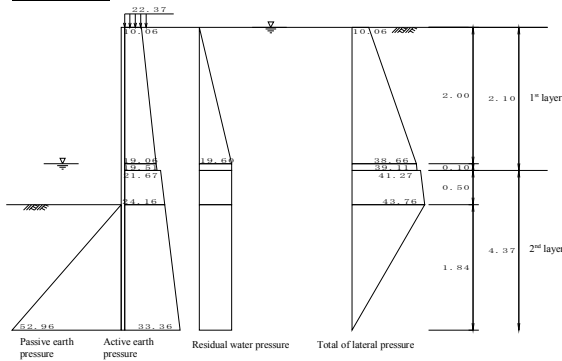
P_w : Residual water pressure

P_p : Passive earth pressure

P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed I_g : 1.33 m (GL - 3.93 m)

4-2 Seismic Condition



Depth (m)	Pa _s (kN/m ²)	Pw _s (kN/m ²)	Pp _s (kN/m ²)	Ps _s (kN/m ²)
1 0.00~2.00	10.06 19.06	0.00 19.60	— —	10.06 38.66
2 2.00~2.10	19.06 19.51	19.60 19.60	— —	38.66 39.11
3 2.10~2.60	21.67 24.16	19.60 19.60	— —	41.27 43.76
4 2.60~4.44	24.16 33.36	19.60 19.60	0.00 52.96	43.76 0.00
5 4.44~6.47	33.36 43.49	19.60 19.60	52.96 111.31	0.00 -48.22

Pa_s: Active earth pressure
 Pw_s: Residual water pressure
 Pp_s: Passive earth pressure
 Ps_s: Lateral pressure Ps = Pa + Pw - Pp

Imaginary riverbed L_i: 1.84 m (GL -4.44 m)

R_No.05_pp 17

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below;

$$K_{L0} = 6910 \times N^{0.896}$$

where,

$$\beta = 4 \sqrt{\frac{Kh \cdot B}{4 E I}}$$

Unit width B = 1.0000 m
 Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.92
 Section efficiency μ = 0.80
 Young's modulus E = 200000 Nmm²
 Inertia sectional moment I₀ = 86000 cm⁴ (original condition)
 I = 63296 cm⁴ (after reduction by corrosion on and section)
 Inertia sectional moment EI = 200000 × 10³ × 63296 × 10⁻⁸ = 1.266 × 10⁷

Depth (m)	N-value	Depth (m)	N-value
1 0.50	15	11 13.47	50
2 1.60	15	12 20.00	50
3 2.10	3		
4 6.47	3		
5 7.47	2		
6 8.47	3		
7 9.47	4		
8 10.47	4		
9 11.47	5		
10 12.47	5		

5-2 Normal Condition

K_s = 10792 kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}} = 0.382 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.62 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.93 m) to 2.62 m depth (GL -6.55 m).

R_No.05_pp 18

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 3.93	2.54	3.0	3.0	7.62
2 6.47	0.08	3.0	2.9	

L = Σh = 2.62 ΣA = 7.85

A (upper N-value + lower N-value) × h/2

Average N-value $N' = \frac{\Sigma A}{L} = \frac{7.85}{2.62} = 3.00$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

K_s = 6910 × N^{0.896} = 6910 × 3.00^{0.896} = 10792 kN/m³

Kh (normal condition) = 10792 kNm³

5-3 Seismic Condition

K_s = 10695 kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}} = 0.381 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.62 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.44 m) and 2.62 m depth (GL -7.06 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 4.44	2.03	3.0	3.0	6.09
2 6.47	0.59	3.0	2.4	

L = Σh = 2.62 ΣA = 7.69

A (upper N-value + lower N-value) × h/2

Average N-value $N' = \frac{\Sigma A}{L} = \frac{7.69}{2.62} = 2.93$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following:

K_s = 6910 × N^{0.896} = 6910 × 2.93^{0.896} = 10695 kN/m³

Kh (seismic condition) = 10695 kNm³

R_No.05_pp 19

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Elevation h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force Ps (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1 0.00~2.10	2.10	6.97 33.98	7.32 35.68	3.23 2.53	23.64 90.32
2 2.10~2.50	0.40	35.61 40.91	7.12 8.18	1.70 1.56	12.09 12.80
3 2.50~2.60	0.10	40.91 41.25	2.05 2.06	1.40 1.36	2.86 2.81
4 2.60~3.93	1.33	41.25 0.00	27.46 0.00	0.89 0.44	24.37 0.00
		ΣP = 89.87	ΣM = 168.90		

Ps: active earth pressure + residual water pressure - passive earth pressure

P: load Ps × h/2 × B

B: unit width = 1.000 m

Y: height of acting position from imaginary riverbed

M: moment by load P × Y

Arbitrary load lateral load P_l = 0.0 kNm
 depth to acting position H_l = 0.00 m
 moment M_l = 0.0 kN·m/m
 depth to acting position H_l = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed L_k = 1.33 m

Moment M_l by arbitrary load is as below

$$M_l = P_l(H + L_k - H_l) + M_{l0} = 0.00 \text{ kN·m}$$

h₀: Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_l}{\Sigma P + P_l} = \frac{168.90}{89.87} = 1.88 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load Ps (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1 0.00~2.00	2.00	10.06 38.66	10.06 38.66	3.77 3.11	37.99 120.16
2 2.00~2.10	0.10	38.66 39.11	1.93 1.96	2.41 2.37	4.65 4.64
3 2.10~2.60	0.50	41.27 43.76	10.32 10.94	2.17 2.01	22.43 21.97
		ΣP = 114.16	ΣM = 261.30		

R_No.05_pp 20

P_1 : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_1 \times h_2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_1 = 2.7$ kNm
 depth to acting position $H = 0.40$ m
 moment $M_{a1} = 1.1$ kNm/m
 depth to acting position $H = 0.80$ m
 Height from riverbed to top of coping $H = 2.60$ m
 Depth of imaginary riverbed from riverbed $L_1 = 1.84$ m

Moment M_0 by arbitrary load is as below
 $M_0 = P_1 \cdot (H + L_1 - H) + M_{a1} = 12.01$ kNm

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{dw} (kN/m ²)	Load P_{dw} (kN)	Arm length Y (m)	Moment M_{dw} (kN·m)
1	2.00~2.60	0.60	0.0 1.0	0.00 0.31	2.24 2.04	0.00 0.63
			$\Sigma P_{dw} = 0.31$	$\Sigma M_{dw} = 0.63$		

h_0 Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_1 + \Sigma M_{dw}}{\Sigma P + P_1 + \Sigma P_{dw}} = \frac{273.95}{117.17} = 2.34 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000$ m
 Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.52$
 Section efficiency $n = 0.80$
 Young's modulus $E = 200000$ N/mm²
 Inertia sectional moment $I_0 = 86000$ cm⁴ (original condition)
 $I = 63296$ cm⁴ (after reduction by corrosion and section)
 $EI = 200000 \times 10^3 \times 63296 \times 10^{-8} = 1.266 \times 10^5$

R_No.05_pp.21

$$\sigma = \frac{M_{max}}{Z} = \frac{285.33 \times 10^6}{3514 \times 10^3} = 81 \text{ N/mm}^2 \leq \sigma_a = 185 \text{ N/mm}^2$$

$$M_{max} = M_0 \cdot \phi_m$$

$$I_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$I_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction $K_s = 10792$ kNm³
 calculated value $\beta = 0.38122$ m⁻¹
 resultant earth force (lateral) $P_0 = 89.87$ kNm
 height of acting position of load $h_0 = 1.88$ m
 moment $M_0 = 168.90$ kNm/m
 in consideration of $\phi_m = 1.242$
 maximum moment $M_{max} = 209.79$ kNm/m
 depth of generated position of M_{max} $I_1 = 1.019$ m
 depth of 1st fixed point $I_1 = 3.075$ m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction $K_s = 10695$ kNm³
 calculated value $\beta = 0.38122$ m⁻¹
 resultant earth force (lateral) $P_0 = 117.17$ kNm
 height of acting position of load $h_0 = 2.34$ m
 moment $M_0 = 273.95$ kNm/m
 in consideration of $\phi_m = 1.175$
 maximum moment $M_{max} = 321.81$ kNm/m
 depth of generated position of M_{max} $I_1 = 1.095$ m
 depth of 1st fixed point $I_1 = 2.965$ m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.92$
 Section efficiency $n = 1.00$
 Modulus of section $Z_0 = 3820$ cm³ (original condition)
 $Z = 3514$ cm³ (after reduction by corrosion and section)

R_No.05_pp.22

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{209.79 \times 10^6}{3514 \times 10^3} = 60 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2 \text{ (ok)}$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{321.81 \times 10^6}{3514 \times 10^3} = 92 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2 \text{ (ok)}$$

6-4 Displacement

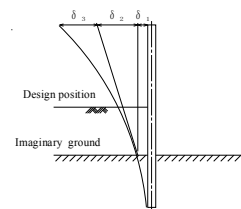
6-4-1 Normal Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.23 2.53	0.822 0.644	0.245 0.163	7.32 35.68	1.795 5.809
	2	2.10~2.50	1.70 1.56	0.432 0.398	0.080 0.069	7.12 8.18
3		2.50~2.60	1.40 1.36	0.356 0.347	0.056 0.053	2.05 2.06
	4	2.60~3.93	0.89 0.44	0.226 0.113	0.024 0.006	27.46 0.00
					$\Sigma Q = 9.605$	

Y : Height from imaginary riverbed to acting position
 α : $\alpha = \frac{Y}{H+L_1}$
 ζ : $\zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_1 : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^2}$$

$$= \frac{(1+0.3821 \times 1.88) \times 89.87}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.3821^2} = 0.01093 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_1)$$

$$= \frac{(1+2 \times 0.3821 \times 1.88) \times 89.87}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.3821^2} \times (2.60+1.33) = 0.02329 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_1)^3}{E I}$$

$$= \frac{9.61 \times (2.60+1.33)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00461 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01093 + 0.02329 + 0.00461$$

$$= 0.03883 \text{ m}$$

$$= 38.83 \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.00	3.77	0.850	0.259	10.06	2.605
		3.11	0.700	0.188	38.66	7.258
2	2.00~2.10	2.41	0.542	0.120	1.93	0.233
		2.37	0.535	0.117	1.96	0.230
3	2.10~2.60	2.17	0.490	0.100	10.32	1.035
		2.01	0.452	0.087	10.34	0.950
4	2.60~4.44	1.23	0.276	0.035	40.29	1.397
		0.61	0.138	0.009	0.00	0.000
$\Sigma Q = 13.707$						

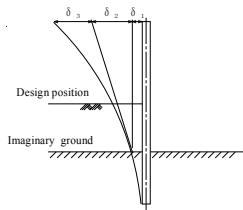
Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_1}$
 $\zeta : \zeta = \frac{\zeta \times P}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L₁ : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _{eq} (kN)	Q _{eq} (kN)
1	2.00~2.60	2.24	0.505	0.106	0.00	0.000
		2.04	0.460	0.089	0.31	0.028
$EQ_{eq} = 0.028$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 14.486 + 0.028 = 14.514$

Displacement



R_No. 05_pp 25

$$\delta_1 = \frac{(1 + \beta h) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.3812 \times 2.34) \times 117.17}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.3812^3} = 0.01580 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h) \times P_0}{2 E I \beta^2} \times (H + L_1)$$

$$= \frac{(1 + 2 \times 0.3812 \times 2.34) \times 117.17}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.3812^2} \times (2.60 + 1.84) = 0.03935 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I}$$

$$= \frac{14.51 \times (2.60 + 1.84)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.01004 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01580 + 0.03935 + 0.01013$$

$$= 0.06528 \text{ m}$$

$$= 65.28 \text{ mm} \leq \bar{\alpha} = 75.00 \text{ mm (ok)}$$

Where
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 $\bar{\alpha}$: Allowable displacement

R_No. 05_pp 26

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 86000 cm ⁴ (original condition)
	I = 86000 cm ⁴ (after reduction by corrosion and section)
EI = 200000 x 10 ³ x 86000 x 10 ⁻⁸	= 1.720 x 10 ⁷

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_k penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_k + \frac{3}{\beta}$$

$$L = H - H_{l1} + D$$

$$\beta = 4 \sqrt{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	K _b = 10792 kN/m ³
Calculated value	$\beta = 0.35390 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.33 + \frac{3}{0.354} = 9.81 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.81 = 12.01 \text{ m}$

7-1-2 Seismic Co

Modules of lateral subgrade reaction	K _b = 10695 kN/m ³
Calculated value	$\beta = 0.35310 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.84 + \frac{3}{0.353} = 10.34 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 10.34 = 12.54 \text{ m}$

Therefore, whole length of SSP is set as 13.00 m in consideration of round unit of SSP length

R_No. 05_pp 27

8 Calculation Result

		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	86000	
Section modulus	Z (cm ³)	3820	
Maximum bending moment	M _{max} (kN·m/m)	209.79	321.81
Stress intensity	σ (N/mm ²)	60 (180)	92 (270)
Lateral displacement	δ (mm)	38.83 (50.0)	65.28 (75.0)
Penetration depth	D (m)	9.81	10.34
Whole length of SSP	L (m)	13.00	

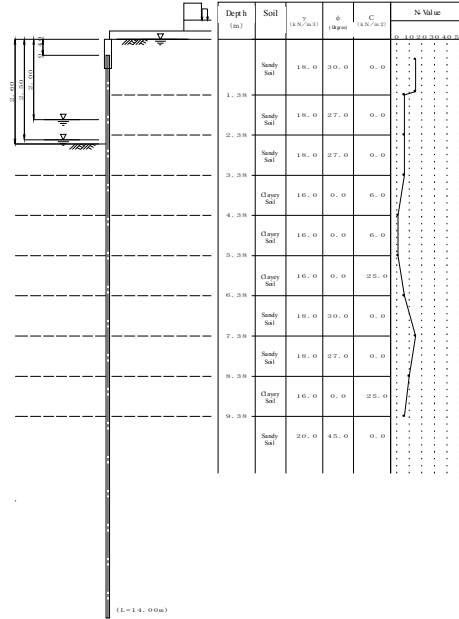
R_No. 05_pp 28

— Steel Sheet Pile Design Calculation —

Right Bank No. 06_STA 5+545 - 5+639

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP ton H_s = 0.40 m
 Landside WL L_{land} = 0.00 m (Normal Condition)
 Riverside WL L_{river} = 2.50 m (Normal Condition)
 L_{land}' = 0.00 m (Seismic Condition)
 L_{river}' = 2.00 m (Normal Condition)
 L_{river}' = 2.00 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.06_pp.1

R_No.06_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^{-3}$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load R = 2.1 kNm (Normal Condition)
 R' = 6.2 kNm (Seismic Condition)
 Depth of acting point H = -0.22 m (Normal Condition)
 H' = -0.01 m (Seismic Condition)
 Moment M_m = 0.5 kNm/m (Normal Condition)
 M_m' = 5.0 kNm/m (Seismic Condition)
 Depth of acting point H_m = 0.00 m (Seismic Condition)
 H_m = 0.80 m (Normal Condition)
 (*Depth means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula K_s = 6910 × N'^{0.400}

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	9.38	6
2	1.30	15	12	10.38	50
3	1.38	6			
4	2.38	6			
5	3.38	6			
6	4.38	1			
7	5.38	1			
8	6.38	6			
9	7.38	15			
10	8.38	10			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment share on landside

Vertical load on riverside not considered

1-7 Soil Modulus

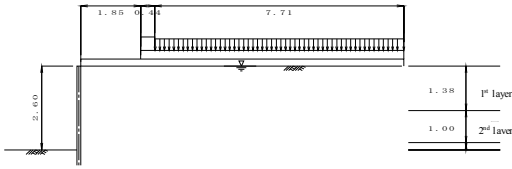
No	Depth (m)	Soil	N-value	γ		φ	C	a	k'	ζ (degree)		kh (kNm³)	
				γ (Normal)	γ' (Seismic)					normal	seismic	normal	seismic
1	1.38	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	2.38	S	6.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
3	3.38	S	6.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	4.38	C	1.0	16.00	8.00	0.0	6.0	0.0	0.200	auto	auto	—	—
5	5.38	C	1.0	16.00	8.00	0.0	6.0	0.0	0.200	auto	auto	—	—
6	6.38	C	6.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
7	7.38	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
8	8.38	S	10.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
9	9.38	C	6.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
10	10.38	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C_s : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Unit weight γ (kNm ⁻³)	Internal friction angle φ (degree)	Cohesive force C (kNm ⁻²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.00	10.00	10.00	0.21	18.0	30.0	0.0	auto	auto
2	Sandy soil	1.85	1.85	10.00	10.00	0.27	18.0	30.0	0.0	auto	auto
3	Sandy soil	1.85	1.85	2.29	2.29	0.42	24.0	45.0	0.0	auto	auto

Surcharge load acting on an embankment

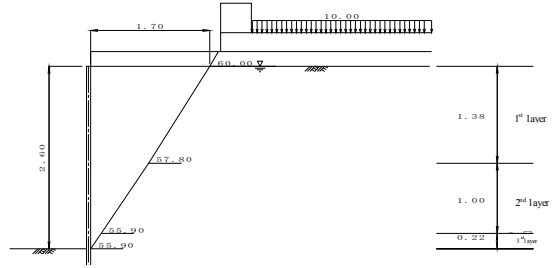
No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ⁻²)	Seismic (kNm ⁻²)
1	2.30	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of an embankment conditions

1-9 Steel Sheet Pile (SSP)

- Young's modulus: $E = 200000 \text{ Nmm}^2$
- Inertia sectional moment: $I_x = 145000 \text{ cm}^4$
- Sectional factor: $Z_0 = 4070 \text{ cm}^3$
- Corrosion margin: $t_r = 1.00 \text{ mm (river side)}$, $t_s = 1.00 \text{ mm (land side)}$
- Corrosion rate (to I_x): $n = 0.88$
- Corrosion rate (to Z_0): $n = 0.88$
- Section efficiency (to I_x): $u = 1.00$
- Section efficiency (to Z_0): $u = 1.00$
- Round unit of SSP length: 0.50 m
- Allowable stress: $\sigma_a = 185 \text{ Nmm (Normal)}$, $\sigma_a' = 278 \text{ Nmm (Seismic)}$
- Allowable displacement: $\delta_a = 50.0 \text{ mm (Normal)}$, $\delta_a' = 75.0 \text{ mm (Seismic)}$
- Bending of cantilever beam: calculated as distributed load of each layer
- Reduction of material modulus: Reduced: I_x applied to calculation of lateral coefficient of subgrade reaction; Not reduced: I_x applied to calculation of penetration depth; Reduced: I_x applied to calculation of section forces and displacement; Reduced: Z_0 applied to calculation of stresses

2 Calculation of Acting Load
2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kNm ⁻²)	Σγh (kNm ⁻²)	Q (kNm ⁻²)	γ _{shw} (kNm ⁻²)	Angle of rupture Z (degree)
1	2.60~2.38	Sandy Soil	27.0	10.0	0.0	26.00	3.92	25.48	55.90
2	2.38~1.38	Sandy Soil	27.0	10.0	0.0	23.80	3.92	23.32	55.90
3	1.38~0.00	Sandy Soil	30.0	10.0	0.0	13.80	3.92	13.52	57.80
4		Embankment	30.0	—	0.0	18.72	0.00	0.00	60.00

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

- Where:
- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
 - ϕ : internal friction angle (degree)
 - δ : wall friction angle (degree)
 - θ : earthquake combination angle (degree)
 - $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
 - γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
 - h : thickness of layer (m)
 - Q : surcharge load (kNm⁻²)
 - C : cohesive force of soil (kNm⁻²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	55.90	0.22	0.00	0.00	0.15	0.22
2	55.90	1.00	0.15	0.22	0.83	1.22
3	57.80	1.38	0.83	1.22	1.70	2.60
4	60.00	0.21	1.70	2.60	1.82	2.81

Therefore, width of acting load shall be set as 1.70 m

2-1-3 Acting Load by Embankment

No	γ (kNm ⁻³)	A (m ²)	γ X A (kNm)
1	18.0	0.37	6.64
Σ			6.64

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

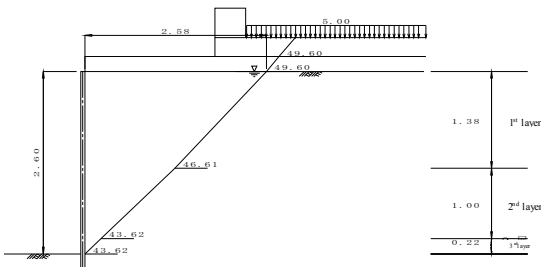
2-1-4 Calculation of Total Acting Load

$$Q = \frac{\sum (\gamma \times A) + \sum (Q \times 1) + \sum P}{L}$$

$$= \frac{6.64 + 0.00 + 0.00}{1.70}$$

$$= 3.92 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kNm ⁻²)	Σγh (kNm ⁻²)	Q (kNm ⁻²)	γ _{shw} (kNm ⁻²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60~2.38	Sandy Soil	27.0	10.0	0.0	26.00	8.90	25.48	0.200	11.31	43.62
2	2.38~1.38	Sandy Soil	27.0	10.0	0.0	23.80	8.90	23.32	0.200	11.31	43.62
3	1.38~0.00	Sandy Soil	30.0	10.0	0.0	13.80	8.90	13.52	0.200	11.31	46.61
4		Embankment	30.0	—	0.0	18.72	0.00	0.00	0.200	11.31	49.60
5		Embankment	30.0	—	0.0	14.94	0.00	0.00	0.200	11.31	49.60

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

- Where:
- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
 - ϕ : internal friction angle (degree)
 - δ : wall friction angle (degree)
 - θ : earthquake combination angle (degree)
 - $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
 - γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
 - h : thickness of layer (m)
 - Q : surcharge load (kNm⁻²)
 - C : cohesive force of soil (kNm⁻²)

2-2-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.62	0.22	0.00	0.00	0.23	0.22
2	43.62	1.00	0.23	0.22	1.28	1.22
3	46.61	1.38	1.28	1.22	2.58	2.60
4	49.60	0.21	2.58	2.60	2.76	2.81
5	49.60	0.27	2.76	2.81	2.99	3.08

Therefore, width of acting load shall be set as 2.58 m

2-2-3 Acting Load by Embankment

No	γ (kNm ⁻³)	A (m ²)	γ X A (kNm)
1	18.0	0.56	10.11
2	18.0	0.28	5.00
3	24.0	0.18	4.44
Σ			19.54

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kNm ²)	l (m)	Q X l (kNm)
1	5.0	0.69	3.47
Σ			3.47

Q surcharge load

l : width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

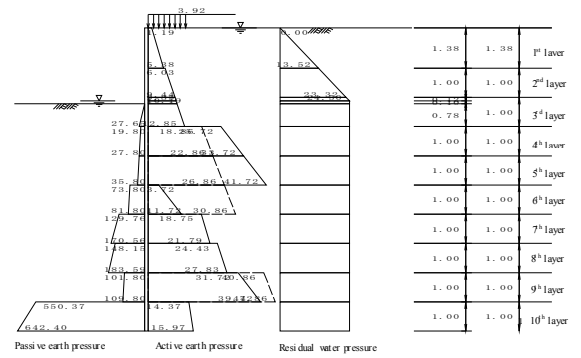
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{19.54 + 3.47 + 0.00}{2.58}$$

$$= 8.90 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ³)	φ (degree)	C (kNm ²)	Σγh+Qh (kNm ²)	Ka	Ka × cos δ	
1	0.00~1.38	Sandy soil	10.0	30.0	---	3.915 17.715	0.30847 0.30847	0.30378 0.30378
2	1.38~2.38	Sandy soil	10.0	27.0	---	17.715 27.715	0.34585 0.34585	0.34060 0.34060
3	2.38~2.50	Sandy soil	10.0	27.0	---	27.715 28.915	0.34585 0.34585	0.34060 0.34060
4	2.50~2.60	Sandy soil	10.0	27.0	---	28.915 29.915	0.34585 0.34585	0.34060 0.34060
5	2.60~3.38	Sandy soil	10.0	27.0	---	29.915 37.715	0.34585 0.34585	0.34060 0.34060
6	3.38~4.38	Clayey soil	8.0	---	6.0	37.715 45.715	---	---
7	4.38~5.38	Clayey soil	8.0	---	6.0	45.715 53.715	---	---
8	5.38~6.38	Clayey soil	8.0	---	25.0 25.0	53.715 61.715	---	---
9	6.38~7.38	Sandy soil	10.0	30.0	---	61.715 71.715	0.30847 0.30847	0.30378 0.30378
10	7.38~8.38	Sandy soil	10.0	27.0	---	71.715 81.715	0.34585 0.34585	0.34060 0.34060
11	8.38~9.38	Clayey soil	8.0	---	25.0 25.0	81.715 89.715	---	---
12	9.38~10.38	Sandy soil	10.0	45.0	---	89.715 99.715	0.16262 0.16262	0.16015 0.16015

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ³)	φ (degree)	C (kNm ²)	Σγh+Qp (kNm ²)	Kp	Kp × cos δ	
5	2.60~3.38	Sandy soil	10.0	27.0	---	0.000 7.800 3.59892	3.54425 3.54425	
6	3.38~4.38	Clayey soil	8.0	0.0	6.0	7.800 15.800	---	---
7	4.38~5.38	Clayey soil	8.0	0.0	6.0	15.800 23.800	---	---
8	5.38~6.38	Clayey soil	8.0	0.0	25.0	23.800 31.800	---	---
9	6.38~7.38	Sandy soil	10.0	30.0	---	31.800 41.800 4.14330	4.08035 4.08035	
10	7.38~8.38	Sandy soil	10.0	27.0	---	41.800 51.800 3.59892	3.54425 3.54425	
11	8.38~9.38	Clayey soil	8.0	0.0	25.0	51.800 59.800	---	---
12	9.38~10.38	Sandy soil	10.0	45.0	---	59.800 69.800 9.34548	9.20351 9.20351	

Depth (m)	Active side			Residual water pressure	Passive side
	Pa1 kNm ²	Pa2 kNm ²	Pa kNm ²		
11	8.38~9.38	31.72 39.72	40.86 44.86	40.86 44.86	24.50 101.80 109.80
12	9.38~10.38	14.37 15.97	---	14.37 15.97	24.50 550.37 642.40

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_c \cdot (\Sigma \gamma h + Q)$

Kc : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

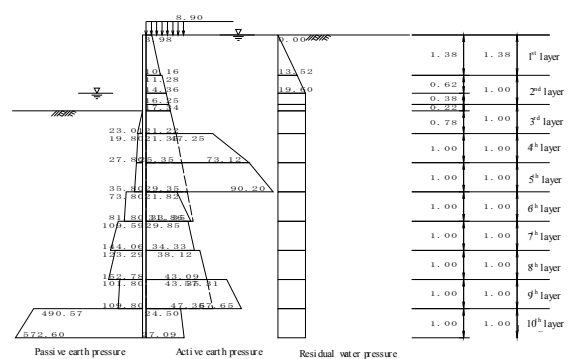
- Formula for passive earth pressure

Sandy soil $P_{p1} = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{p2} = \Sigma \gamma h + Q + 2C$

Mixed soil $P_{p3} = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure	Passive side
	Pa1 kNm ²	Pa2 kNm ²	Pa kNm ²		
1	0.00~1.38	1.19 5.38	---	1.19 5.38	0.00 13.52
2	1.38~2.38	6.03 9.44	---	6.03 9.44	13.52 23.32
3	2.38~2.50	9.44 9.85	---	9.44 9.85	23.32 24.50
4	2.50~2.60	9.85 10.19	---	9.85 10.19	24.50 24.50
5	2.60~3.38	10.19 12.85	---	10.19 12.85	24.50 27.65
6	3.38~4.38	25.72 33.72	18.86 22.86	25.72 33.72	24.50 27.80
7	4.38~5.38	33.72 41.72	22.86 26.86	33.72 41.72	24.50 35.80
8	5.38~6.38	3.72 11.72	26.86 30.86	26.86 30.86	24.50 81.80
9	6.38~7.38	18.75 21.79	---	18.75 21.79	129.76 170.56
10	7.38~8.38	24.43 27.83	---	24.43 27.83	148.15 183.59

3-2-1 Soil Modulus of Active Side

No	Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma(h+Q)$ (kNm ⁻²)	γ_{wh} (kNm ⁻²)	k (k)	θ (degree)	Ka	$Ka \times \cos\delta$	θ (degree)
1	0.00~1.38	Sandy Soil	10.0	30.0	---	8.90 22.70	0.00 13.52	0.200	11.31	0.45442 0.45442	0.44752 0.44752	---
2	1.38~2.00	Sandy Soil	10.0	27.0	---	22.70 28.90	13.52 19.60	0.200	11.31	0.50461 0.50461	0.49695 0.49695	---
3	2.00~2.38	Sandy Soil	10.0	27.0	---	28.90 32.70	19.60 23.32	0.200	11.31	0.50461 0.50461	0.49695 0.49695	---
4	2.38~2.60	Sandy Soil	10.0	27.0	---	32.70 34.90	23.32 25.48	0.200	11.31	0.50461 0.50461	0.49695 0.49695	---
5	2.60~3.38	Sandy Soil	10.0	27.0	---	34.90 42.70	25.48 33.12	0.200	11.31	0.50461 0.50461	0.49695 0.49695	---
6	3.38~4.38	Clayey Soil	8.0	---	6.0 6.0	42.70 50.70	33.12 42.92	0.200	11.31	---	---	20.51 10.00
7	4.38~5.38	Clayey Soil	8.0	---	6.0 6.0	50.70 58.70	42.92 52.72	0.200	11.31	---	---	10.00 10.00
8	5.38~6.38	Clayey Soil	8.0	---	25.0 25.0	58.70 66.70	52.72 62.52	0.200	11.31	---	---	41.50 39.87
9	6.38~7.38	Sandy Soil	10.0	30.0	---	66.70 76.70	62.52 72.32	0.200	11.31	0.45442 0.45442	0.44752 0.44752	---
10	7.38~8.38	Sandy Soil	10.0	27.0	---	76.70 86.70	72.32 82.12	0.200	11.31	0.50461 0.50461	0.49695 0.49695	---
11	8.38~9.38	Clayey Soil	8.0	---	25.0 25.0	86.70 94.70	82.12 91.92	0.200	11.31	---	---	38.16 37.42
12	9.38~10.38	Sandy Soil	10.0	45.0	---	94.70 104.70	91.92 101.72	0.200	11.31	0.26273 0.26273	0.25874 0.25874	---

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below
 $\delta = 10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)} \right]}$$

Angle between surface of collapse and level surface of dayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

3-2-2 Soil Modulus of Passive Side

No	Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma(h+Q)$ (kNm ⁻²)	γ_{wh} (kNm ⁻²)	k (k)	θ (degree)	Kp	$Kp \times \cos\delta$
5	2.60~3.38	Sandy soil	10.00	27.0	---	0.000 7.800	0.00 7.64	0.200	11.31	2.99498 2.99498	2.94948 2.94948
6	3.38~4.38	Clayey soil	8.00	0.0	6.0 6.0	7.800 15.800	7.64 17.44	0.200	11.31	---	---
7	4.38~5.38	Clayey soil	8.00	0.0	6.0 6.0	15.800 23.800	17.44 27.24	0.200	11.31	---	---
8	5.38~6.38	Clayey soil	8.00	0.0	25.0 25.0	23.800 31.800	27.24 37.04	0.200	11.31	---	---
9	6.38~7.38	Sandy soil	10.00	30.0	---	31.800 41.800	37.04 46.84	0.200	11.31	3.49953 3.49953	3.44637 3.44637

R_No. 06 pp.13

No	Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma(h+Q)$ (kNm ⁻²)	γ_{wh} (kNm ⁻²)	k (k)	θ (degree)	Kp	$Kp \times \cos\delta$
10	7.38~8.38	Sandy soil	10.00	27.0	---	41.800 51.800	46.84 56.64	0.200	11.31	2.99498 2.99498	2.94948 2.94948
11	8.38~9.38	Clayey soil	8.00	0.0	25.0 25.0	51.800 59.800	56.64 66.44	0.200	11.31	---	---
12	9.38~10.38	Sandy soil	10.00	45.0	---	59.800 69.800	66.44 76.24	0.200	11.31	8.33000 8.33000	8.20345 8.20345

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below
 $\delta = 10.00, \beta = 0.00, \theta = \tan \alpha$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)} \right]}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure Pw (kNm ⁻²)	Passive side Pp (kNm ⁻²)
		Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)		
1	0.00~1.38	3.98 10.16	---	3.98 10.16	0.00 13.52	---
2	1.38~2.00	11.28 14.36	---	11.28 14.36	13.52 19.60	---
3	2.00~2.38	14.36 16.25	---	14.36 16.25	19.60 19.60	---
4	2.38~2.60	16.25 17.34	---	16.25 17.34	19.60 19.60	---
5	2.60~3.38	17.34 21.22	---	17.34 21.22	19.60 19.60	0.00 23.01
6	3.38~4.38	47.25 73.12	21.35 25.35	47.25 73.12	19.60 19.60	19.80 27.80
7	4.38~5.38	73.12 90.20	25.35 29.35	73.12 90.20	19.60 19.60	27.80 35.80
8	5.38~6.38	21.82 31.86	29.35 33.35	29.35 33.35	19.60 19.60	73.80 81.80
9	6.38~7.38	29.85 34.33	---	29.85 34.33	19.60 19.60	109.59 144.06
10	7.38~8.38	38.12 43.09	---	38.12 43.09	19.60 19.60	123.29 152.78
11	8.38~9.38	57.31 67.65	43.35 47.35	57.31 67.65	19.60 19.60	101.80 109.80
12	9.38~10.38	24.50 27.09	---	24.50 27.09	19.60 19.60	490.57 572.60

R_No. 06 pp.14

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$

Ka: Equilibrium coefficient of compression 0.5

Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	Pwe (kNm ⁻²)
1	2.00	0.00	0.00
2	2.60	0.60	1.03

$$P_{we} = \pm \frac{7}{8} k_{hw} \gamma_w \sqrt{H \cdot y}$$

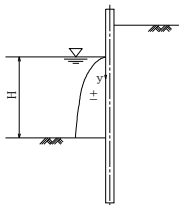
Where,

k_{hw}: design seismic coefficient ...

γ_w : unit weight of water

H: water depth of riverside

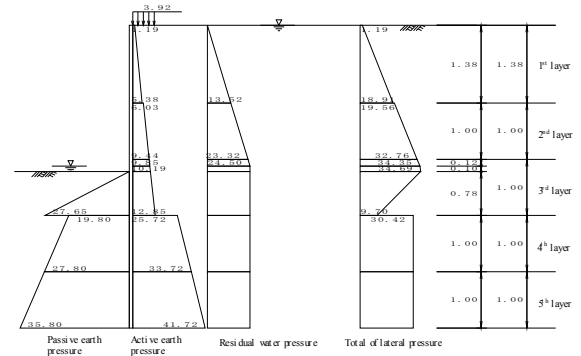
y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level Lx is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure

4-1 Normal Condition



Depth (m)	Pa (kNm ⁻²)	Pw (kNm ⁻²)	Pp (kNm ⁻²)	Ps (kNm ⁻²)
1	0.00~1.38	1.19 5.38	0.00 13.52	1.19 18.91
2	1.38~2.38	6.03 9.44	13.52 23.32	19.56 32.76
3	2.38~2.50	9.44 9.85	23.32 24.50	32.76 34.35
4	2.50~2.60	9.85 10.19	24.50 24.50	34.35 34.69
5	2.60~3.38	10.19 12.85	24.50 24.50	34.69 47.35
6	3.38~4.38	25.72 33.72	24.50 24.50	30.42 30.42
7	4.38~5.38	33.72 41.72	24.50 24.50	30.42 30.42
8	5.38~6.38	26.86 30.86	24.50 24.50	-22.44 -26.44

Pa: Active earth pressure

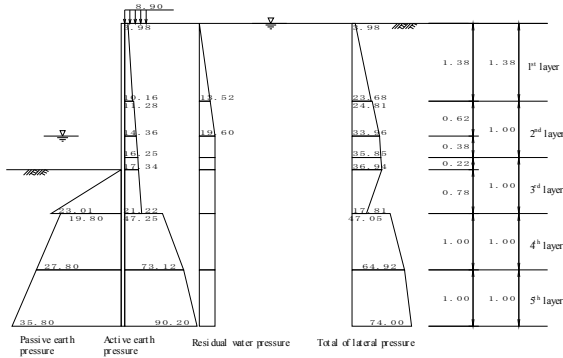
Pw: Residual water pressure

Pp: Passive earth pressure

Ps: Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed Lx: 2.78 m (GL - 5.38 m)

4-2 Seismic Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1 0.00~1.38	3.98 10.16	0.00 13.52	---	3.98 23.68
2 1.38~2.00	11.28 14.36	13.52 19.60	---	24.81 33.96
3 2.00~2.38	14.36 16.25	19.60 19.60	---	33.96 35.85
4 2.38~2.60	16.25 17.34	19.60 19.60	---	35.85 36.94
5 2.60~3.38	17.34 21.22	19.60 19.60	0.00 23.01	36.94 17.81
6 3.38~4.38	47.25 73.12	19.60 19.60	19.80 27.80	47.05 64.92
7 4.38~5.38	73.12 90.20	19.60 19.60	27.80 33.80	64.92 74.00
8 5.38~6.38	29.35 33.35	19.60 19.60	73.80 81.80	-24.85 -28.85

Pa : Active earth pressure
 Pw : Residual water pressure
 Pp : Passive earth pressure
 Ps : Lateral pressure Ps = Pa + Pw - Pp

Imaginary riverbed L: 2.78 m (GL -5.38 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average Nvalue from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below:

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width B = 1.000 m
 Corrosion margin tc = 1.00 mm (active side) ts = 1.00 mm (passive side)
 Corrosion rate η = 0.88
 Section efficiency u = 1.00
 Young's modulus E = 200000 Nmm²
 Inertia sectional moment I0 = 145000 cm⁴ (original condition)
 I = 127600 cm⁴ (after reduction by corrosion and joint)
 Inertia sectional moment EI = 200000 × 10³ × 127600 × 10⁸ = 2.552 × 10¹⁶

Depth (m)	N-value	Depth (m)	N-value
1 0.50	15	11 9.38	6
2 1.30	15	12 10.38	50
3 1.38	6		
4 2.38	6		
5 3.38	6		
6 4.38	1		
7 5.38	1		
8 6.38	6		
9 7.38	15		
10 8.38	10		

5-2 Normal Condition

Ks = 16641 kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}} = 0.357 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.80 \text{ m}$$

Therefore, average Nvalue is calculated on the actual Nvalue from imaginary riverbed (GL -5.38 m) to 2.80 m depth (GL -8.18 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 5.38	1.00	1.0	6.0	3.50
2 6.38	1.00	6.0	15.0	10.50
3 7.38	0.80	15.0	11.0	10.38

L = Σh = 2.80 ΣA = 24.38

A (upper Nvalue + lower Nvalue) × h/2

$$\text{Average nvalue } N' = \frac{\Sigma A}{L} = \frac{24.38}{2.80} = 8.71$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.496} = 6910 \times 8.71^{0.496} = 16641 \text{ kN/m}^3$$

$$K_h \text{ (normal condition)} = 16641 \text{ kNm}^3$$

5-3 Seismic Condition

Ks = 16641 kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}} = 0.357 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.80 \text{ m}$$

Therefore, average Nvalue is calculated on the actual Nvalue from imaginary riverbed (GL -5.38 m) and 2.80 m depth (GL -8.18 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 5.38	1.00	1.0	6.0	3.50
2 6.38	1.00	6.0	15.0	10.50
3 7.38	0.80	15.0	11.0	10.38

L = Σh = 2.80 ΣA = 24.38

A (upper Nvalue + lower Nvalue) × h/2

$$\text{Average nvalue } N' = \frac{\Sigma A}{L} = \frac{24.38}{2.80} = 8.71$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.496} = 6910 \times 8.71^{0.496} = 16641 \text{ kN/m}^3$$

$$K_h \text{ (seismic condition)} = 16641 \text{ kNm}^3$$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Elevation h₀

6-1-1 Normal Condition

Depth (m)	Thickness h (m)	Total of lateral force Ps (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00~1.38	1.38	1.19 18.91	0.82 13.04	4.92 4.46	4.04 58.18
2 1.38~2.38	1.00	19.56 32.76	9.78 16.38	3.67 3.33	35.86 54.61
3 2.38~2.50	0.12	32.76 34.35	1.97 2.06	2.96 2.92	5.82 6.02
4 2.50~2.60	0.10	34.35 34.69	1.72 1.73	2.85 2.81	4.89 4.88
5 2.60~3.38	0.78	34.69 9.70	13.53 3.78	2.52 2.26	34.09 8.55
6 3.38~4.38	1.00	30.42 30.42	15.21 15.21	1.67 1.33	25.35 20.28
7 4.38~5.38	1.00	30.42 30.42	15.21 15.21	0.67 0.33	10.14 5.07

ΣP = 125.65 ΣM = 277.76

P₀ : active earth pressure + residual water pressure - passive earth pressure

P : load P₀ × h/2 × B

B : unit width = 1.000 m

Y : height of acting position from imaginary riverbed

M : moment by load P × Y

Arbitrary load lateral load P₀ = 21 kNm
 depth to acting position H = -0.22 m
 moment M₀ = 0.5 kNm/m
 depth to acting position H₀ = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed L₀ = 2.78 m

Moment M₀ by arbitrary load is as below

$$M_0 = P_0 \cdot (H + L_0 - H_0) + M_0 = 12.26 \text{ kNm}$$

h₀ : Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{290.02}{127.75} = 2.27 \text{ m}$$

6-1-2 Seismic Condition

	Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~1.38	1.38	3.98 23.68	2.75 16.34	4.92 4.46	13.52 72.88
2	1.38~2.00	0.62	24.81 33.96	7.69 10.53	3.79 3.59	29.17 37.76
3	2.00~2.38	0.38	33.96 35.85	6.45 6.81	3.25 3.13	20.99 21.30
4	2.38~2.60	0.22	35.85 36.94	3.94 4.06	2.93 2.85	11.54 11.60
5	2.60~3.38	0.78	36.94 17.81	14.41 6.98	2.52 2.26	36.31 15.70
6	3.38~4.38	1.00	47.05 64.92	23.52 32.46	1.67 1.33	39.21 43.28
7	4.38~5.38	1.00	64.92 74.00	32.46 37.00	0.67 0.33	21.64 12.33
ΣP = 205.38 ΣM = 387.24						

P : active earth pressure + residual water pressure - massive earth pressure
 P : load P_s x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P = 6.2 kNm
 depth to acting position H = 0.01 m
 moment M₀ = 5.0 kNm/m
 depth to acting position H = 0.80 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed L_k = 2.78 m

Moment M₀ by arbitrary load is as below
 M = P₀ · (H + L_k - H) + M₀ = 38.42 kNm

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _w (kNm ²)	Load P _w (kN)	Arm length Y (m)	Moment M _w (kNm)
1	2.00~2.60	0.60	0.0 1.0	0.00 0.31	3.18 2.98	0.00 0.92
ΣP _w = 0.31 ΣM _w = 0.92						

h₀ Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_i + \Sigma M_w}{\Sigma P + P_i + \Sigma P_w} = \frac{426.58}{211.89} = 2.01 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width B = 1.0000 m
 Corrosion margin t_a = 1.00 mm (active side) t_s = 1.00 mm (massive side)
 Corrosion rate η = 0.88
 Section efficiency μ = 1.00
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 145000 cm⁴ (original condition)
 I = 127600 cm⁴ (after reduction by corrosion and section)
 H = 200000 × 10³ × 127600 × 10⁸ = 2.552 × 10¹⁷

$$\beta = 4\sqrt{\frac{K_b \cdot B}{4EI}}$$

$$\phi_n = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

M_{max} = M₀ · φ_n

$$I_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$I_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction K_b = 16641 kNm³
 calculated value β = 0.35732 m⁻¹
 resultant earth force (lateral) P₀ = 127.75 kNm
 height of acting position of load moment M₀ = 290.02 kNm/m

in consideration of ψ = 1.202,
 maximum moment M_{max} = 348.52 kNm/m
 depth of generated position of M_{max} L_n = 1.020 m
 depth of fixed point l = 3.218 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction K_b = 16641 kNm³
 calculated value β = 0.35732 m⁻¹
 resultant earth force (lateral) P₀ = 211.89 kNm
 height of acting position of load moment M₀ = 426.58 kNm/m

in consideration of ψ = 1.241,
 maximum moment M_{max} = 529.58 kNm/m
 depth of generated position of M_{max} L_n = 1.089 m
 depth of fixed point l = 3.287 m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin t_a = 1.00 mm (active side) t_s = 1.00 mm (massive side)
 Corrosion rate η = 0.88
 Section efficiency μ = 1.00
 Modulus of section Z₀ = 4070 cm³ (original condition)
 Z = 3582 cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{348.52 \times 10^6}{3582 \times 10^3} = 97 \text{ N/mm}^2 \leq \sigma_a = 185 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{529.58 \times 10^6}{3582 \times 10^3} = 148 \text{ N/mm}^2 \leq \sigma_a = 278 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

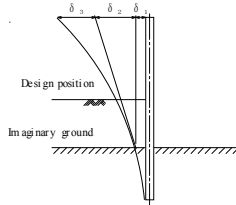
6-4-1 Normal Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~1.38	4.92 4.46	0.915 0.829	0.291 0.249	0.82 13.04	0.239 3.244
2	1.38~2.38	3.67 3.33	0.682 0.620	0.179 0.152	9.78 16.38	1.755 2.495
3	2.38~2.50	2.96 2.92	0.550 0.543	0.124 0.121	1.97 2.06	0.243 0.249
4	2.50~2.60	2.88 2.81	0.529 0.523	0.115 0.113	1.72 1.75	0.198 0.196
5	2.60~3.38	2.52 2.26	0.468 0.420	0.093 0.076	13.53 3.78	1.252 0.287
6	3.38~4.38	1.67 1.33	0.310 0.248	0.043 0.028	15.21 15.21	0.654 0.428
7	4.38~5.38	0.67 0.33	0.124 0.062	0.007 0.002	15.21 15.21	0.112 0.029
ΣQ = 11.381						

Y : Height from imaginary riverbed to acting position
 α : α = $\frac{Y}{H+L_k}$
 ζ : ζ = $\frac{(3-\alpha) \times \alpha^2}{6}$
 Q : ζ × P
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2EI\beta^3} = \frac{(1+0.3573 \times 2.27) \times 127.75}{2 \times 2.00 \times 10^8 \times 127600 \times 10^8 \times 0.3573^3} = 0.00994 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2EI\beta^2} \times (H+L_k) = \frac{(1+2 \times 0.3573 \times 2.27) \times 127.75}{2 \times 2.00 \times 10^8 \times 127600 \times 10^8 \times 0.3573^2} \times (2.60+2.78) = 0.02766 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{EI} = \frac{11.38 \times (2.60+2.78)^3}{2.00 \times 10^8 \times 127600 \times 10^8} = 0.00694 \text{ m}$$

Additional displacement δ₃' generated by horizontal load (P) and moment (M) acting at top of SSP considered

$$\delta_3' = \frac{PL^3}{3EI} + \frac{ML^2}{2EI}$$

Displacement δ_{3n} of cantilever beam by moment M₀ is additionally considered

$$\delta_{3n} = \frac{M_0 \cdot h}{2EI} \times (2L - h) \quad (L=5.38 \text{ m}, h=L-H_n, H_n=0.00 \text{ m}, \text{ただし } h \leq L)$$

$$= \frac{0.50 \times 5.38}{2 \times 2.00 \times 10^8 \times 127600 \times 10^8} \times (2 \times 5.38 - 5.38) = 0.00003 \text{ m}$$

δ₃' is calculated as 0.00045 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 5.38 m
 Horizontal load P = 2.10
 Moment: M = 0.46

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00994 + 0.02766 + 0.00743$$

$$= 0.04502 \text{ m}$$

$$= 45.02 \text{ mm} \approx \delta_a = 50.00 \text{ mm (ok)}$$

Where
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~1.38	4.92 4.46	0.915 0.829	0.291 0.249	2.75 16.34	0.799 4.064
2	1.38~2.00	3.79 3.59	0.705 0.667	0.190 0.173	7.69 10.53	1.462 1.820
3	2.00~2.38	3.25 3.13	0.605 0.581	0.146 0.136	6.45 6.81	0.942 0.927
4	2.38~2.60	2.93 2.85	0.544 0.530	0.121 0.116	3.94 4.06	0.478 0.471
5	2.60~3.38	2.52 2.26	0.468 0.420	0.093 0.076	14.41 6.95	1.334 0.527
6	3.38~4.38	1.67 1.33	0.310 0.248	0.043 0.028	23.52 32.46	1.012 0.915
7	4.38~5.38	0.67 0.33	0.124 0.062	0.007 0.002	32.46 37.00	0.239 0.070
					$\Sigma Q = 15.058$	

Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_1}$
 $\zeta : \zeta = \frac{1}{(3-\alpha) \times \alpha^2}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_1 : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1	2.00~2.60	3.18 2.98	0.591 0.554	0.140 0.125	0.00 0.31	0.000 0.039
					$\Sigma Q_w = 0.039$	

Therefore, modulus of deformation Q is calculated as below
 $Q = 15.058 + 0.039 = 15.097$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

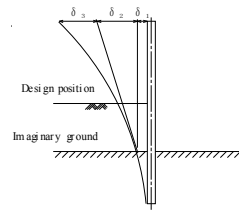
$$= 0.01565 + 0.04266 + 0.01075$$

$$= 0.06906 \text{ m}$$

$$= 69.06 \text{ mm} \approx \delta_a = 75.00 \text{ mm (ok)}$$

Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.3573 \times 2.01) \times 211.89}{2 \times 2.00 \times 10^9 \times 127600 \times 10^{-8} \times 0.3573^3} = 0.01565 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_1)$$

$$= \frac{(1 + 2 \times 0.3573 \times 2.01) \times 211.89}{2 \times 2.00 \times 10^9 \times 127600 \times 10^{-8} \times 0.3573^2} \times (2.60 + 2.78) = 0.04266 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I}$$

$$= \frac{15.10 \times (2.60 + 2.78)^3}{2.00 \times 10^9 \times 127600 \times 10^{-8}} = 0.00921 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00126 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 5.38 m
 Horizontal load: P = 6.20
 Moment: M = 0.06

Displacement δ_{3a} of cantilever beam by moment M_0 is additionally considered

$$\delta_{3a} = \frac{M_0 \cdot h}{2 E I} \times (2L - h) \quad (L = 5.38 \text{ m}, h = L - H_0, H_0 = 0.80 \text{ m}, \text{ただし } h \geq L)$$

$$= \frac{5.00 \times 4.58}{2 \times 2.00 \times 10^9 \times 127600 \times 10^{-8}} \times (2 \times 5.38 - 4.58) = 0.00028 \text{ m}$$

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 145000 \text{ cm}^4$ (original condition)
	$I = 145000 \text{ cm}^4$ (after reduction by corrosion and section)
H	$H = 200000 \times 10^3 \times 145000 \times 10^{-8} = 2.900 \times 10^7$

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_0 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{10} + D$$

$$\beta = \sqrt[4]{\frac{K_s \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction
 Calculated value

$$K_s = 16641 \text{ kN/m}^3$$

$$\beta = 0.34609 \text{ m}^{-1}$$

Penetration length of SSP

$$D = 2.78 + \frac{3}{0.346} = 11.45 \text{ m}$$

Whole length of SSP

$$L = 2.60 - 0.40 + 11.45 = 13.65 \text{ m}$$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction
 Calculated value

$$K_s = 16641 \text{ kN/m}^3$$

$$\beta = 0.34609 \text{ m}^{-1}$$

Penetration length of SSP

$$D = 2.78 + \frac{3}{0.346} = 11.45 \text{ m}$$

Whole length of SSP

$$L = 2.60 - 0.40 + 11.45 = 13.65 \text{ m}$$

Therefore, whole length of SSP is set as 14.00 m in consideration of round unit of SSP length

8 Calculation Result

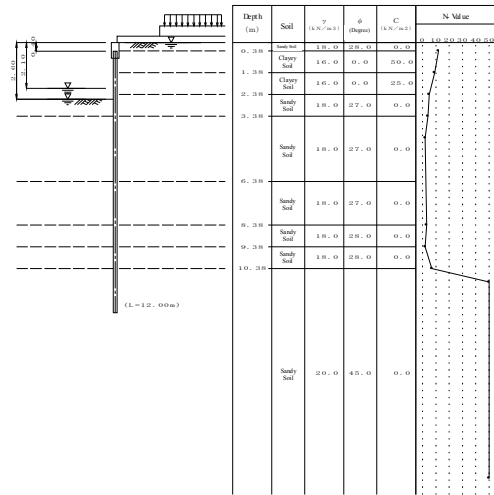
			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	145000		
Section modulus	Z (cm ³)	4070		
Maximum bending moment	M_{max} (kNm/m)		348.52	529.58
Stress intensity	σ (Nmm ²)		97 (185)	148 (278)
Lateral displacement	δ (mm)		45.02 (50.0)	69.06 (75.0)
Penetration depth	D (m)	14.00	11.45	11.45
Whole length of SSP	L (m)			

— Steel Sheet Pile Design Calculation —

Right Bank No. 07 STA_6+337 - 6+510

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground Hr = 0.00 m
 Depth from coping top to SSP top Hs = 0.40 m
 Landside WL L_{land} = 0.00 m (Normal Condition)
 L_{land}' = 0.00 m (Seismic Condition)
 Riverside WL L_{river} = 2.60 m (Normal Condition)
 L_{river}' = 2.10 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.07_pp.1

R_No.07_pp.2

Sandy

Case: Right Bank No. 07 STA_6+337 - 6+510

Case: Right Bank No. 07 STA_6+337 - 6+510

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^3$
 Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load R = 1.2 kNm (Normal Condition)
 R' = 5.4 kNm (Seismic Condition)
 Depth of acting point H = -0.14 m (Normal Condition)
 H' = 0.08 m (Seismic Condition)
 Moment M_m = 0.2 kNm/m (Normal Condition)
 M_m' = 3.9 kNm/m (Seismic Condition)
 Depth of acting point H_m = 0.00 m (Seismic Condition)
 H_m' = 0.80 m (Normal Condition)
 (*Depth means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula K_s = 6910 × N'^{0.406}

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.38	12			
2	1.38	9			
3	2.38	10			
4	3.38	10			
5	4.38	10			
6	5.38	10			
7	6.38	10			
8	7.38	10			
9	8.38	10			
10	11.00	50			
10	20.00	50			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

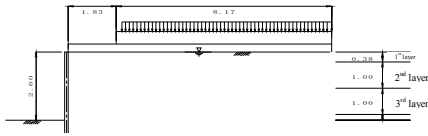
1-7 Soil Modulus

No	Depth (m)	Soil	N-value	γ (kNm ³)	γ' (kNm ³)	φ	C (kNm ²)	a	k'	ζ (degree)		kh (kNm ³)	
										normal	seismic	normal	seismic
1	0.38	S	12.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
2	1.38	C	9.0	16.00	8.00	0.0	20.0	0.0	0.200	auto	auto	—	—
3	2.38	C	5.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
4	3.38	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
5	4.38	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
6	5.38	S	3.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
7	6.38	S	2.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
8	7.38	S	2.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
9	8.38	S	2.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
10	10.38	S	7.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
8	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C_s : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction		
Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 fin bankment on Landside



fin bankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.00	10.00	10.00	0.30	18.0	30.0	0.0	auto	auto
2	Sandy soil	1.83	1.83	10.00	10.00	0.47	18.0	30.0	0.0	auto	auto

Surcharge load acting on an bankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ²)	Seismic (kNm ²)
1	2.04	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus E = 200000 Nmm²
 Inertia sectional moment I_x = 63000 cm⁴
 Sectional factor Z_x = 3150 cm³

Corrosion margin t_r = 1.00 mm (riverside) t_s = 1.00 mm (landside)

Corrosion rate (to I_x) η = 0.91
 Corrosion rate (to Z_x) η = 0.91
 Section efficiency (to I_x) μ = 0.80
 Section efficiency (to Z_x) μ = 1.00

Round unit of SSP length 0.50 m

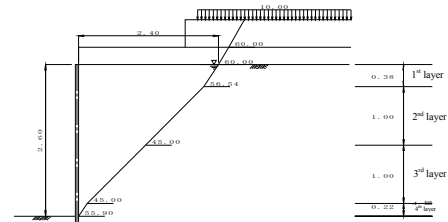
Allowable stress σ_a = 180 Nmm (Normal)
 σ_a' = 270 Nmm (Seismic)

Allowable displacement δ_a = 50.0 mm (Normal)
 δ_a' = 75.0 mm (Seismic)

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus Reduced: I_x applied to calculation of lateral coefficient of subgrade reaction
 Not reduced: I_x applied to calculation of penetration depth
 Reduced: I_x applied to calculation of section forces and displacement
 Reduced: Z_x applied to calculation of stresses

2 Calculation of Acting Load
 2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{hw} (kN/m ²)	Angle of rupture Z (degree)
1	2.60~ 2.38	Sandy Soil	27.0	10.0	0.0	22.00	12.05	25.48	55.90
2	2.38~ 1.38	Clayey Soil	0.0	10.0	25.0	19.80	12.05	23.32	45.00
3	1.38~ 0.38	Clayey Soil	0.0	10.0	50.0	11.80	12.05	13.52	45.00
4	0.38~ 0.00	Sandy Soil	28.0	10.0	0.0	3.80	12.05	3.72	56.54
5		Embankment	30.0	—	0.0	13.86	10.00	0.00	60.00
6		Embankment	30.0	—	0.0	8.46	10.00	0.00	60.00

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm²)
- C : cohesive force of soil (kNm²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	55.90	0.22	0.00	0.00	0.15	0.22
2	45.00	1.00	0.15	0.22	1.15	1.22
3	45.00	1.00	1.15	1.22	2.15	2.22
4	56.54	0.38	2.15	2.22	2.40	2.60
5	60.00	0.30	2.40	2.60	2.57	2.90
6	60.00	0.47	2.57	2.90	2.84	3.37

Therefore, width of acting load shall be set as 2.40 m

2-1-3 Acting Load by fin bankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	0.75	13.43
2	18.0	0.41	7.44
Σ			20.86

γ : unit weight of embankment soil
 A: sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kNm ²)	l (m)	Q X l (kNm)
1	10.0	0.80	8.05
Σ			8.05

Q: surcharge load
 l: width of surcharge load set by line of active rupture

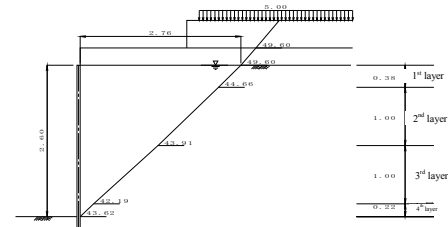
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{20.86 + 8.05 + 0.00}{2.40}$$

$$= 12.05 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{hw} (kN/m ²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60~ 2.38	Sandy Soil	27.0	10.0	0.0	22.00	12.38	25.48	0.200	11.31	43.62
2	2.38~ 1.38	Clayey Soil	0.0	10.0	25.0	19.80	12.38	23.32	0.200	11.31	42.19
3	1.38~ 0.38	Clayey Soil	0.0	10.0	50.0	11.80	12.38	13.52	0.200	11.31	43.91
4	0.38~ 0.00	Sandy Soil	28.0	10.0	0.0	3.80	12.38	3.72	0.200	11.31	44.66
5		Embankment	30.0	—	0.0	13.86	5.00	0.00	0.200	11.31	49.60
6		Embankment	30.0	—	0.0	8.46	5.00	0.00	0.200	11.31	49.60

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm²)
- C : cohesive force of soil (kNm²)

2-2-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.62	0.22	0.00	0.00	0.23	0.22
2	42.19	1.00	0.23	0.22	1.33	1.22
3	43.91	1.00	1.33	1.22	2.37	2.22
4	44.66	0.38	2.37	2.22	2.76	2.60
5	49.60	0.30	2.76	2.60	3.01	2.90
6	49.60	0.47	3.01	2.90	3.41	3.37

Therefore, width of acting load shall be set as 2.76 m

2-2-3 Acting Load by Embankment

No	γ (kNm ³)	A (m ²)	$\gamma \times A$ (kNm)
1	18.0	0.87	15.58
2	18.0	0.65	11.70
Σ			27.27

γ : unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kNm ²)	l (m)	Q x l (kNm)
1	5.0	1.37	6.86
Σ			6.86

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

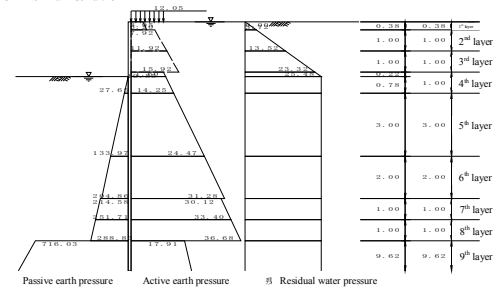
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{27.27 + 6.86 + 0.00}{2.76}$$

$$= 12.38 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q_0$ (kNm ²)	K_a	$K_a \times \cos \delta$
1 0.00~0.38	Sandy soil	10.0	28.0	---	12.046 15.846	0.33303 0.33303	0.32798 0.32798
2 0.38~1.38	Clayey soil	8.0	---	50.0 50.0	15.846 23.846	---	---
3 1.38~2.38	Clayey soil	8.0	---	28.0 28.0	23.846 31.846	---	---
4 2.38~2.60	Sandy soil	10.0	27.0	---	31.846 34.046	0.34585 0.34585	0.34060 0.34060
5 2.60~3.38	Sandy soil	10.0	27.0	---	34.046 41.846	0.34585 0.34585	0.34060 0.34060
6 3.38~6.38	Sandy soil	10.0	27.0	---	41.846 71.846	0.34585 0.34585	0.34060 0.34060
7 6.38~8.38	Sandy soil	10.0	27.0	---	71.846 91.846	0.34585 0.34585	0.34060 0.34060
8 8.38~9.38	Sandy soil	10.0	28.0	---	91.846 101.846	0.33303 0.33303	0.32798 0.32798
9 9.38~10.38	Sandy soil	10.0	28.0	---	101.846 111.846	0.33303 0.33303	0.32798 0.32798
10 10.38~20.00	Sandy soil	10.0	45.0	---	111.846 208.046	0.16262 0.16262	0.16015 0.16015

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q_p$ (kNm ²)	K_p	$K_p \times \cos \delta$
5 2.60~3.38	Sandy soil	10.0	27.0	---	0.000 7.800	3.59892 3.59892	3.54425 3.54425
6 3.38~6.38	Sandy soil	10.0	27.0	---	7.800 37.800	3.59892 3.59892	3.54425 3.54425
7 6.38~8.38	Sandy soil	10.0	27.0	---	37.800 57.800	3.59892 3.59892	3.54425 3.54425
8 8.38~9.38	Sandy soil	10.0	28.0	---	57.800 67.800	3.76978 3.76978	3.71251 3.71251
9 9.38~10.38	Sandy soil	10.0	28.0	---	67.800 77.800	3.76978 3.76978	3.71251 3.71251
10 10.38~20.00	Sandy soil	10.0	45.0	---	77.800 174.000	9.34548 9.34548	9.20351 9.20351

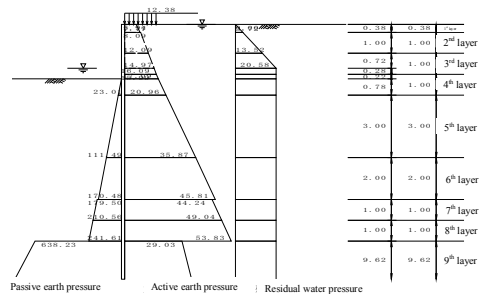
Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = -10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure	Passive side
	P_{a1} (kNm ²)	P_{a2} (kNm ²)	P_{a3} (kNm ²)	P_w (kNm ²)	P_p (kNm ²)
1 0.00~0.38	3.95 5.20	---	3.95 5.20	0.00 3.72	---
2 0.38~1.38	-84.15 -26.15	7.92 11.92	7.92 11.92	3.72 13.52	---
3 1.38~2.38	-26.15 -18.15	11.92 15.92	11.92 15.92	13.52 23.32	---
4 2.38~2.60	10.85 11.60	---	10.85 11.60	23.32 25.48	---
5 2.60~3.38	11.60 14.25	---	11.60 14.25	25.48 25.48	0.00 27.65
6 3.38~6.38	14.25 24.47	---	14.25 24.47	25.48 25.48	27.65 133.97
7 6.38~8.38	24.47 31.28	---	24.47 31.28	25.48 25.48	133.97 204.86
8 8.38~9.38	30.12 33.40	---	30.12 33.40	25.48 25.48	214.58 251.71
9 9.38~10.38	33.40 36.68	---	33.40 36.68	25.48 25.48	251.71 288.83
10 10.38~20.00	17.91 33.32	---	17.91 33.32	25.48 25.48	716.03 1601.41

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q$ (kNm ²)	γ_{wh} (kNm ²)	k (k)	θ (degree)	K_a	$K_a \times \cos \delta$	θ (degree)
1 0.00~0.38	Sandy Soil	10.0	28.0	---	12.38 16.18	0.00 3.72	0.200 0.200	11.31 11.31	0.48730 0.48730	0.47989 0.47989	---
2 0.38~1.38	Clayey Soil	8.0	---	50.0 50.0	16.18 24.18	3.72 13.52	0.200 0.200	11.31 11.31	---	---	44.16 42.35
3 1.38~2.10	Clayey Soil	8.0	---	25.0 25.0	24.18 29.94	13.52 20.58	0.200 0.200	11.31 11.31	---	---	42.74 42.35
4 2.10~2.38	Clayey Soil	8.0	---	25.0 25.0	29.94 32.18	20.58 23.32	0.200 0.200	11.31 11.31	---	---	42.35 42.19
5 2.38~2.60	Sandy Soil	10.0	27.0	---	32.18 34.38	23.32 25.48	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	---
6 2.60~3.38	Sandy Soil	10.0	27.0	---	34.38 42.18	25.48 33.12	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	---
7 3.38~6.38	Sandy Soil	10.0	27.0	---	42.18 72.18	33.12 62.52	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	---

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q$ (kNm ⁻²)	γ_{wb} (kNm ⁻³)	k (k)	θ (degree)	K_a	$K_a \times \cos \delta$	θ (degree)
8 6.38~8.38	Sandy Soil	10.0	27.0	---	72.18 92.18	62.52 82.12	0.200	11.31	0.50461 0.50461	0.49695 0.49695	---
9 8.38~9.38	Sandy Soil	10.0	28.0	---	92.18 102.18	82.12 91.92	0.200	11.31	0.48730 0.48730	0.47989 0.47989	---
10 9.38~10.38	Sandy Soil	10.0	28.0	---	102.18 112.18	91.92 101.72	0.200	11.31	0.48730 0.48730	0.47989 0.47989	---
11 10.38~20.00	Sandy Soil	10.0	45.0	---	112.18 208.38	101.72 196.00	0.200	11.31	0.26273 0.26273	0.25874 0.25874	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of dayey side ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q_p$ (kNm ⁻²)	γ_{wb} (kNm ⁻³)	k (k)	θ (degree)	K_p	$K_p \times \cos \delta$
6 2.60~3.38	Sandy soil	10.00	27.0	---	0.000 7.800	0.00 7.64	0.200	11.31	2.99498 2.99498	2.94948 2.94948
7 3.38~6.38	Sandy soil	10.00	27.0	---	7.800 37.800	7.64 37.04	0.200	11.31	2.99498 2.99498	2.94948 2.94948
8 6.38~8.38	Sandy soil	10.00	27.0	---	37.800 57.800	37.04 56.64	0.200	11.31	2.99498 2.99498	2.94948 2.94948
9 8.38~9.38	Sandy soil	10.00	28.0	---	57.800 67.800	56.64 66.44	0.200	11.31	3.15350 3.15350	3.10559 3.10559
10 9.38~10.38	Sandy soil	10.00	28.0	---	67.800 77.800	66.44 76.24	0.200	11.31	3.15350 3.15350	3.10559 3.10559
11 10.38~20.00	Sandy soil	10.00	45.0	---	77.800 174.000	76.24 170.52	0.200	11.31	8.33000 8.33000	8.20345 8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = -10.00, \beta = 0.00, \theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 kNm ⁻²	Pa2 kNm ⁻²	Pa kNm ⁻²		
1	0.00~0.38	5.94 7.77	---	5.94 7.77	0.00 3.72	---
2	0.38~1.38	-80.53 -70.87	8.09 12.09	8.09 12.09	3.72 13.52	---

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 kNm ⁻²	Pa2 kNm ⁻²	Pa kNm ⁻²		
3	1.38~2.10	-20.74 -13.70	12.09 14.97	12.09 14.97	13.52 20.58	---
4	2.10~2.38	-13.70 -10.96	14.97 16.09	14.97 16.09	20.58 20.58	---
5	2.38~2.60	15.99 17.09	---	15.99 17.09	20.58 20.58	---
6	2.60~3.38	17.09 20.96	---	17.09 20.96	20.58 20.58	0.00 23.01
7	3.38~6.38	20.96 35.87	---	20.96 35.87	20.58 20.58	23.01 111.49
8	6.38~8.38	35.87 45.81	---	35.87 45.81	20.58 20.58	111.49 170.48
9	8.38~9.38	---	---	44.24 49.04	20.58 20.58	179.50 210.56
10	9.38~10.38	---	---	49.04 53.83	20.58 20.58	210.56 241.61
11	10.38~20.00	29.03 53.92	---	29.03 53.92	20.58 20.58	638.23 1427.40

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$

K_a : Equilibrium coefficient of compression: 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

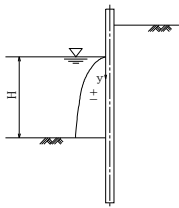
3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	W.L. y (m)	P_w (kNm ⁻³)
1	2.10	0.00	0.00
2	2.60	0.50	0.86

$$P_w = \pm \frac{7}{8} k_w \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

Where,

- k_w : design seismic coefficient
- γ_w : unit weight of water
- H: water depth of riverside
- y: depth from water surface to the point where active water pressure is calculated

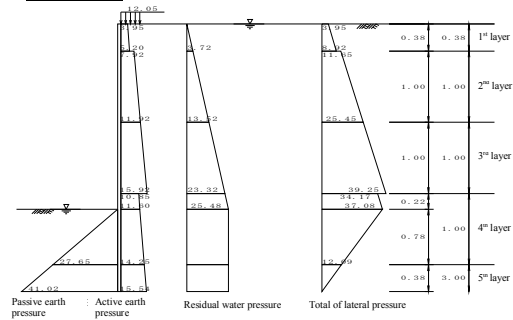


Passive earth pressure Active earth pressure Residual water pressure Total of lateral pressure

4 Imaginary Riverbed

Imaginary ground level L_x is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure

4-1 Normal Condition



Depth (m)	Pa kNm ⁻²	Pw kNm ⁻²	Pp kNm ⁻²	Ps kNm ⁻²
1 0.00~0.38	3.95 5.20	0.00 3.72	---	3.95 8.92
2 0.38~1.38	7.92 11.92	3.72 13.52	---	11.65 25.45
3 1.38~2.38	11.92 15.92	13.52 23.32	---	25.45 39.25
4 2.38~2.60	10.85 11.60	23.32 25.48	---	34.17 37.08
5 2.60~3.38	11.60 14.25	25.48 25.48	0.00 27.65	37.08 12.09
6 3.38~3.76	14.25 15.54	25.48 25.48	27.65 41.02	12.09 0.00
7 3.76~6.38	15.54 24.47	25.48 25.48	41.02 133.97	0.00 -84.02

P_a : Active earth pressure

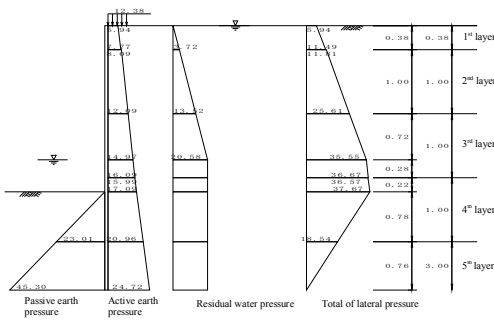
P_w : Residual water pressure

P_p : Passive earth pressure

P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed L_x : 1.16 m (GL -3.76 m)

4-2 Seismic Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1 0.00~0.38	5.94 7.77	0.00 3.72	---	5.94 11.49
2 0.38~1.38	8.09 12.09	3.72 13.52	---	11.81 25.61
3 1.38~2.10	12.09 14.97	13.52 20.58	---	25.61 35.55
4 2.10~2.38	14.97 16.09	20.58 20.58	---	35.55 36.67
5 2.38~2.60	15.99 17.09	20.58 20.58	---	36.57 37.67
6 2.60~3.38	17.09 20.96	20.58 20.58	0.00 23.01	37.67 18.54
7 3.38~4.14	20.96 24.72	20.58 20.58	23.01 43.30	18.54 0.00
8 4.14~6.38	24.72 35.87	20.58 20.58	43.30 111.49	0.00 -55.04

Pa : Active earth pressure
 Pw : Residual water pressure
 Pp : Passive earth pressure
 Ps : Lateral pressure Ps = Pa + Pw - Pp

Imaginary riverbed I_a: 1.54 m (GL -4.14 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below;

$$K_h = 6910 \times N^{0.406}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width B = 1.0000 m
 Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.91
 Section efficiency μ = 0.80
 Young's modulus E = 200000 Nmm²
 Inertia sectional moment I₀ = 63000 cm⁴ (original condition)
 I = 45864 cm⁴ (after reduction by corrosion on and section)
 H = 200000 × 10⁷ × 45864 × 10³ = 9.173 × 10¹⁷

Depth (m)	N-value
1	0.38
2	1.38
3	2.38
4	3.38
5	4.38
6	5.38
7	6.38
8	7.38
9	8.38
10	9.38
	10.00
	20.00

5-2 Normal Condition

K_s = 9741 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.404 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.48 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.76 m) to 2.48 m depth (GL -6.23 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	3.76	0.62	3.2	1.63
2	4.38	1.85	2.0	2.5
L = 2h = 2.48		ΣA = 5.77		

A (upper N-value + lower N-value) × h/2

Average N-value $N' = \frac{\Sigma A}{L}$

$$= \frac{5.77}{2.48} = 2.33$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following

$$K_h = 6910 \times N^{0.406} = 6910 \times 2.33^{0.406} = 9741 \text{ kN/m}^3$$

$$K_h \text{ (normal condition)} = 9741 \text{ kNm}^3$$

5-3 Seismic Condition

K_s = 9649 kNm³ is set tentatively

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.403 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.48 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.14 m) and 2.48 m depth (GL -6.62 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	4.14	0.24	2.0	0.55
2	4.38	2.24	2.0	2.6
L = 2h = 2.48		ΣA = 5.65		

A (upper N-value + lower N-value) × h/2

Average N-value $N' = \frac{\Sigma A}{L}$

$$= \frac{5.65}{2.48} = 2.28$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following

$$K_h = 6910 \times N^{0.406} = 6910 \times 2.28^{0.406} = 9649 \text{ kN/m}^3$$

$$K_h \text{ (seismic condition)} = 9649 \text{ kNm}^3$$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Elevation h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force Ps (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~0.38	3.95 8.92	0.75 1.69	3.63 3.50	2.73 5.94
2	0.38~1.38	11.65 25.45	5.82 12.72	3.04 2.71	17.73 34.49
3	1.38~2.38	25.45 39.25	12.72 19.62	2.04 1.71	26.01 33.57
4	2.38~2.60	34.17 37.08	3.76 4.08	1.30 1.23	4.90 5.02
5	2.60~3.38	37.08 12.09	14.46 4.71	0.90 0.64	12.97 3.00
6	3.38~3.76	12.09 0.00	2.28 0.00	0.25 0.13	0.57 0.00
		ΣP = 82.63	ΣM = 146.93		

P : active earth pressure + residual water pressure - passive earth pressure
 P : load P₀ × h/2 × B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P × Y

Arbitrary load lateral load P = 1.2 kNm
 depth to acting position H = -0.14 m
 moment M₀ = 0.2 kNm/m
 depth to acting position H₀ = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed I_a = 1.16 m

Moment M₀ by arbitrary load is as below
 M₀ = P₀ (H + I_a - H₀) + M₀ = 4.88 kNm

h₀ : Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{151.80}{83.83} = 1.81 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load Ps (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~0.38	5.94 11.49	1.13 2.18	4.01 3.88	4.53 8.48
2	0.38~1.38	11.81 25.61	5.91 12.81	3.42 3.09	20.22 39.56
3	1.38~2.10	25.61 35.55	9.22 12.80	2.52 2.28	23.20 29.13

No.	Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
4	2.10~2.38	0.28	35.55 36.67	4.98 5.13	1.94 1.85	9.67 9.49
5	2.38~2.60	0.22	36.57 37.67	4.02 4.14	1.68 1.61	6.77 6.67
6	2.60~3.38	0.78	37.67 18.54	14.69 7.23	1.28 1.02	18.74 7.34
7	3.38~4.14	0.76	18.54 0.00	7.00 0.00	0.50 0.25	3.53 0.00
			ΣP = 91.25	ΣM = 187.31		

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load P × h/2 × B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P × Y

Arbitrary load lateral load P = 5.4 kNm
 depth to acting position H = 0.08 m
 moment M₀ = 3.9 kNm/m
 depth to acting position H = 0.80 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed L = 1.54 m

Moment M₀ by arbitrary load is as below
 M = P × (H + L_k - H) + M₀ = 25.80 kNm

Dynamic water pressure

No.	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _w (kNm ²)	Load P _w (kN)	Arm length Y (m)	Moment M _w (kNm)
1	2.10~2.60	0.50	0.0 0.9	0.00 0.21	1.87 1.70	0.00 0.37
			ΣP _w = 0.21	ΣM _w = 0.37		

h_a : Height of acting position of P₀ from imaginary riverbed

$$h_a = \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_w}{\Sigma P + P_0 + \Sigma P_w}$$

$$= \frac{213.48}{96.86} = 2.20 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width B = 1.0000 m
 Corrosion margin t_s = 1.00 mm (active side) t_r = 1.00 mm (passive side)
 Corrosion rate η = 0.91
 Section efficiency μ = 0.80
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 63000 cm⁴ (original condition)
 I = 45864 cm⁴ (after reduction by corrosion and section)
 EI = 200000 × 10³ × 45864 × 10⁸ = 9.173 × 10¹⁷

$$\beta = 4\sqrt{\frac{K_0 \cdot B}{4EI}}$$

$$\phi_n = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_n$$

$$l_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction K = 9741 kNm³
 calculated value β = 0.40366 m⁻¹
 resultant earth force (lateral) P₀ = 83.83 kNm
 height of acting position of load h₀ = 1.81 m
 moment M₀ = 151.80 kNm/m

in consideration of ψ₀ = 1.236
 maximum moment M_{max} = 187.60 kNm/m
 depth of generated position of M_{max} L = 0.956 m
 depth of fixed point l₁ = 2.902 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction K = 9649 kNm³
 calculated value β = 0.40270 m⁻¹
 resultant earth force (lateral) P₀ = 96.86 kNm
 height of acting position of load h₀ = 2.20 m
 moment M₀ = 213.48 kNm/m

in consideration of ψ₀ = 1.176
 maximum moment M_{max} = 251.02 kNm/m
 depth of generated position of M_{max} L = 0.859 m
 depth of fixed point l₁ = 2.809 m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin t_s = 1.00 mm (active side) t_r = 1.00 mm (passive side)
 Corrosion rate η = 0.91
 Section efficiency μ = 1.00
 Module of section Z₀ = 31500 cm³ (original condition)
 Z = 2867 cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{187.60 \times 10^6}{2867 \times 10^3} = 65 \text{ N/mm}^2 \leq \sigma_s = 180 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{251.02 \times 10^6}{2867 \times 10^3} = 88 \text{ N/mm}^2 \leq \sigma_s = 270 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

6-4-1 Normal Condition

Modulus of deformation

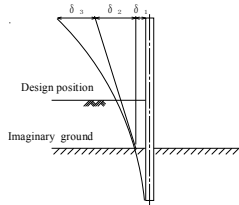
Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~0.38	0.966 0.933	0.316 0.300	0.75 1.69	0.238 0.508
2	0.38~1.38	0.810 0.721	0.240 0.198	5.82 12.72	1.395 2.515
3	1.38~2.38	0.544 0.455	0.121 0.088	12.72 19.62	1.541 1.195
4	2.38~2.60	0.347 0.328	0.053 0.048	3.76 4.08	0.200 0.195
5	2.60~3.38	0.239 0.170	0.026 0.014	14.46 4.71	0.380 0.064
6	3.38~4.14	0.25 0.033	0.002 0.001	2.28 0.00	0.005 0.000
ΣQ = 8.765					

Y : Height from imaginary riverbed to acting position

$$\alpha = \frac{Y}{H+L}$$

$$\zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$
 Q : Σ P
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2EI\beta^3}$$

$$= \frac{(1+0.4037 \times 1.81) \times 83.83}{2 \times 2.00 \times 10^8 \times 45864 \times 10^8 \times 0.4037^3} = 0.01203 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2EI\beta^2} \times (H+L)$$

$$= \frac{(1+2 \times 0.4037 \times 1.81) \times 83.83}{2 \times 2.00 \times 10^8 \times 45864 \times 10^8 \times 0.4037^2} \times (2.60+1.16) = 0.02594 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L)^3}{EI}$$

$$= \frac{8.77 \times (2.60+1.16)^3}{2.00 \times 10^8 \times 45864 \times 10^8} = 0.00507 \text{ m}$$

Additional displacement δ' generated by horizontal load (P) and moment (M) acting at top of SSP considered

$$\delta' = \frac{PL^3}{3EI} + \frac{ML^2}{2EI}$$

δ' is calculated as 0.00024 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.76 m
 Horizontal load: P = 1.20
 Moment: M = 0.17

Displacement δ₀ of cantilever beam by moment M₀ is additionally considered

$$\delta_0 = \frac{M_0 \cdot h}{2EI} \times (2L-h) \quad (L=4.27 \text{ m}, h=L-H_0, H_0=0.80 \text{ m}, \text{ただし } h \leq L)$$

$$= \frac{2.20 \times 3.47}{2 \times 2.00 \times 10^8 \times 39917 \times 10^8} \times (2 \times 4.27 - 3.47) = 0.00024 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01203 + 0.02594 + 0.00533$$

$$= 0.04330 \text{ m}$$

$$= 43.30 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where

- Displacement at imaginary ground
- Displacement by angle of inclination slope at imaginary ground
- Displacement at higher part of imaginary ground as cantilever
- Displacement at top of SSP
- Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~0.38	4.01 3.88	0.969 0.939	0.318 0.303	1.13 2.18	0.389 0.661
2	0.38~1.38	3.42 3.09	0.828 0.747	0.248 0.210	5.91 12.81	1.465 2.685
3	1.38~2.10	2.52 2.28	0.608 0.550	0.148 0.124	9.22 12.80	1.360 1.582
4	2.10~2.38	1.94 1.85	0.470 0.447	0.093 0.085	4.98 5.13	0.463 0.437
5	2.38~2.60	1.68 1.61	0.407 0.389	0.072 0.066	4.02 4.14	0.288 0.273
6	2.60~3.38	1.28 1.02	0.308 0.246	0.043 0.028	14.69 7.23	0.627 0.200
7	3.38~4.14	0.50 0.25	0.122 0.061	0.007 0.002	7.00 0.00	0.050 0.000
$\Sigma Q = 10.447$						

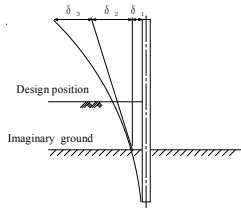
Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_1}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L₁ : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1	2.10~2.60	1.87 1.70	0.452 0.412	0.087 0.073	0.00 0.21	0.000 0.016
$\Sigma Q_w = 0.016$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 12.195 + 0.016 = 12.211$

Displacement



R_No. 07_pp.25

$$\delta_1 = \frac{(1+\beta h) \times P_0}{2 E I \beta^2} = \frac{(1+0.4027 \times 2.20) \times 96.86}{2 \times 2.00 \times 10^9 \times 45864 \times 10^4 \times 0.4027^2} = 0.01526 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h) \times P_0 \times (H+L_1)}{2 E I \beta^2} = \frac{(1+2 \times 0.4027 \times 2.20) \times 96.86}{2 \times 2.00 \times 10^9 \times 45864 \times 10^4 \times 0.4027^2} \times (2.60+1.54) = 0.03737 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_1)^3}{E I} = \frac{12.21 \times (2.60+1.54)^3}{2.00 \times 10^9 \times 45864 \times 10^4} = 0.00942 \text{ m}$$

Additional displacement δ_1' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

Displacement δ_3 of cantilever beam by moment M_0 is additionally considered

$$\delta_3 = \frac{M_0 \cdot h}{2 E I} \times (2L-h) \quad (L=4.27 \text{ m, } h=L-H_0, H_0=0.80 \text{ m, ただし } h \leq L)$$

$$= \frac{2.20 \times 3.47}{2 \times 2.00 \times 10^9 \times 39917 \times 10^4} \times (2 \times 4.27 - 3.47) = 0.00024 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.01526 + 0.03737 + 0.00977 = 0.06239 \text{ m} = 62.39 \text{ mm} \leq \delta_{\text{allow}} = 75.00 \text{ mm (ok)}$$

Where
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_{allow} : Allowable displacement

R_No. 07_pp.26

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 63000 cm ⁴ (original condition)
	I = 63000 cm ⁴ (after reduction by corrosion and section)
	EI = 200000 × 10 ⁸ × 63000 × 10 ⁸ = 1.260 × 10 ¹⁷

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L₁, penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_1 + \frac{3}{\beta}$$

$$L = H - H_{10} + D$$

$$\beta = 4 \sqrt{\frac{K_{10} \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	K ₁₀ = 9741 kN/m ³
Calculated value	$\beta = 0.37286 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.16 + \frac{3}{0.373} = 9.20 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.20 = 11.40 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	K ₁₀ = 9649 kN/m ³
Calculated value	$\beta = 0.37198 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.54 + \frac{3}{0.372} = 9.60 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.60 = 11.80 \text{ m}$

Therefore, whole length of SSP is set as 12.00 m in consideration of round unit of SSP length

R_No. 07_pp.27

8 Calculation Result

		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	63000	
Section modulus	Z (cm ³)	3150	
Maximum bending moment	M _{max} (kNm/m)	187.60	251.02
Stress intensity	σ (N/mm ²)	65 (180)	88 (270)
Lateral displacement	δ (mm)	43.20 (50.0)	62.39 (75.0)
Penetration depth	D (m)	9.20	9.60
Whole length of SSP	L (m)	12.00	

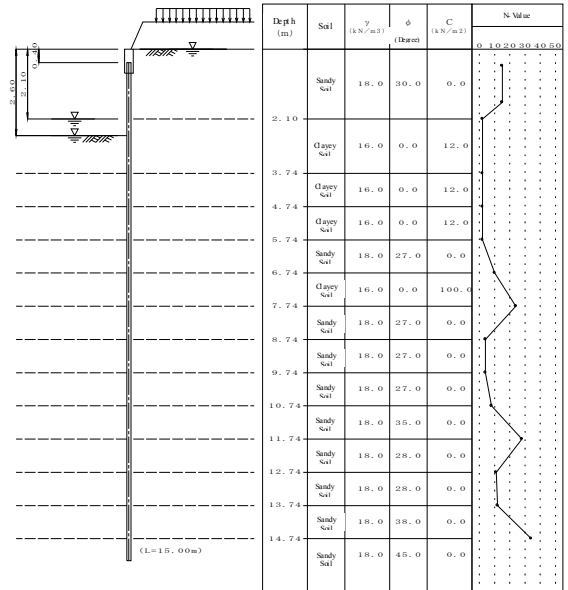
R_No. 07_pp.28

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 8_STA 8+222 - 8+250



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Riverside WL L_{rs} = 0.00 m (Normal Condition)
 Landside WL L_{ls} = 0.00 m (Seismic Condition)
 L_{wp} = 2.60 m (Normal Condition)
 L_{ws} = 2.10 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No. 8_pp.1

R_No. 8_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load R = 2.1 kNm (Normal Condition)
 R' = 5.9 kNm (Seismic Condition)
 Depth of acting point H = -0.39 m (Normal Condition)
 H' = -0.50 m (Seismic Condition)
 Moment M₀ = 0.0 kNm/m (Normal Condition)
 M₀' = 0.0 kNm/m (Seismic Condition)
 Depth of acting point H₀' = 0.00 m (Seismic Condition)
 H₀ = 0.00 m (Normal Condition)
 (Depth means distance from top of coping)

Wind load Impact load not considered

Minimum angle of rupture $\zeta_0 = 10 \text{ degrees}$

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h^2 Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.405}$

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.50	15	11	10.74	8
2	1.60	15	12	11.74	28
3	2.10	2	13	12.74	11
4	3.74	2	14	13.74	12
5	4.74	2	15	14.74	34
6	5.74	2	16	15.74	50
7	6.74	10			
8	7.74	24			
9	8.74	4			
10	9.74	4			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

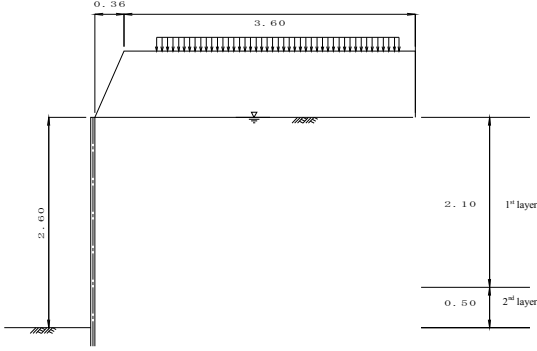
No	Depth (m)	Soil	N value	γ (kNm ⁻³)	γ' (kNm ⁻³)	ϕ	C (kNm ⁻²)	a	k'	ζ (degree)		kh (kNm ⁻¹)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	3.74	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
3	4.74	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
4	5.74	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
5	6.74	S	10.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
6	7.74	C	24.0	16.00	8.00	0.0	100.0	0.0	0.200	auto	auto	—	—
7	8.74	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
8	9.74	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
9	10.74	S	8.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
10	11.74	S	28.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	—	—
11	12.74	S	11.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
12	13.74	S	12.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
13	14.74	S	34.0	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	—	—
14	15.74	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed(M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Em bankment on Landside



1-9 Steel Sheet Pile (SSP)

Young's modulus	$E = 200000 \text{ Nmm}^2$
Inertia sectional moment	$I_0 = 252000 \text{ cm}^4$
Sectional factor	$Z_0 = 6090 \text{ cm}^3$
Corrosion margin	$t_1 = 1.00 \text{ mm (ri verside)} \quad t_2 = 1.00 \text{ mm (landside)}$
Corrosion rate (to I_0)	$\eta = 0.86$
Corrosion rate (to Z_0)	$\eta = 0.89$
Section efficiency (to I_0)	$\mu = 1.00$
Section efficiency (to Z_0)	$\mu = 1.00$
Round unit of SSP length	0.50 m
Allowable stress	$\sigma_s = 185 \text{ Nmm}^2 \text{ (Normal)}$ $\sigma_s' = 278 \text{ Nmm}^2 \text{ (Seismic)}$
Allowable displacement	$\delta_s = 50.0 \text{ mm (Normal)}$ $\delta_s' = 75.0 \text{ mm (Seismic)}$

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus
 Reduced: I_0 applied to calculation of lateral coefficient of subgrade reaction
 Not reduced: I_0 applied to calculation of penetration depth
 Reduced: I_0 applied to calculation of section forces and displacement
 Reduced: Z_0 applied to calculation of stresses

Em bankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m^3)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m^2)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.36	3.96	3.96	0.82	18.0	30.0	0.0	auto	auto

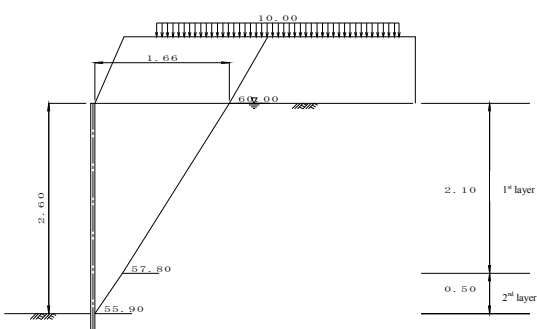
Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m^2)	Seismic (kN/m^2)
1	0.76	3.76	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

2 Calculation of Acting Load

2-1 Normal Condition



2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.50	0.00	0.00	0.50	0.50
2	57.80	2.10	0.50	0.50	1.82	2.60
3	60.00	0.82	1.82	2.60	2.30	3.42

Therefore, width of acting load shall be set as 1.82 m

2-1-3 Acting Load by Embankment

No	γ (kN/m^3)	A (m^2)	$\gamma \times A$ (kN/m)
1	18.0	1.54	27.74
Σ			27.74

γ : unit weight of embankment soil
 A: sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m^2)	l (m)	Q X l (kN/m)
1	10.0	1.54	15.36
Σ			15.36

Q: surcharge load
 l: width of surcharge load set by line of active rupture

2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{27.74 + 15.36 + 0.00}{1.82}$$

$$= 23.65 \text{ kN/m}^2$$

2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m^2)	$\Sigma \gamma h$ (kN/m^2)	Q (kN/m^2)	$\gamma w h w$ (kN/m^2)	Angle of rupture Z (degree)
1	2.60 ~ 2.10	Clayey Soil	0.0	10.0	12.0	25.00	23.65	25.48	45.00
2	2.10 ~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	23.65	20.58	57.80
3		Embankment	30.0	—	0.0	14.76	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

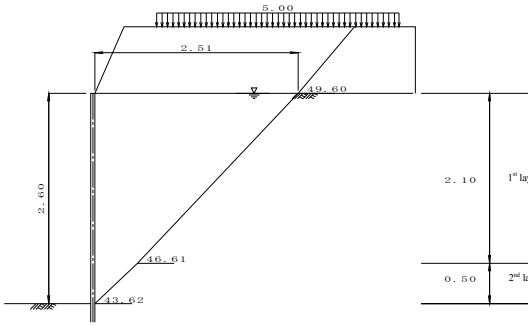
$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta=0^\circ$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m^3) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m^2)
- C : cohesive force of soil (kN/m^2)

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma\gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma h w$ (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60 ~ 2.10	Clayey Soil	0.0	10.0	12.0	25.00	20.56	25.48	0.200	11.31	33.83
2	2.10 ~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	20.56	20.58	0.200	11.31	46.61
3		Embankment	30.0	—	0.0	14.76	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	33.83	0.50	0.00	0.00	0.75	0.50
2	46.61	2.10	0.75	0.50	2.73	2.60
3	49.60	0.82	2.73	2.60	3.43	3.42

Therefore, width of acting load shall be set as 2.73 m

2-2-3 Acting Load by Em bankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.38	42.81
Σ			42.81

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	2.67	13.35
Σ			13.35

Q : surcharge load
l : width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

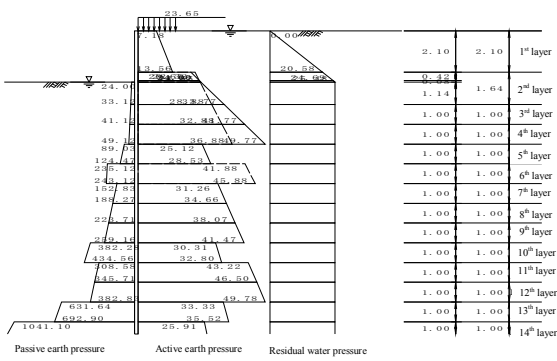
$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{42.81 + 13.35 + 0.00}{2.73}$$

$$= 20.56 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q$ (kN/m ²)	K_a	$K_a \times \cos \delta$
1	0.00 ~ 2.10	Sandy soil	10.0	30.0	22.647 44.647	0.30847 0.30847	0.30378 0.30378
2	2.10 ~ 2.52	Clayey soil	8.0	—	12.0 44.647	—	—
3	2.52 ~ 2.60	Clayey soil	8.0	—	12.0 48.000	—	—
4	2.60 ~ 3.74	Clayey soil	8.0	—	12.0 48.647	—	—
5	3.74 ~ 4.74	Clayey soil	8.0	—	12.0 57.767	—	—
6	4.74 ~ 5.74	Clayey soil	8.0	—	12.0 65.767	—	—
7	5.74 ~ 6.74	Sandy soil	10.0	27.0	73.767 83.767	0.34585 0.34585	0.34060 0.34060
8	6.74 ~ 7.74	Clayey soil	8.0	—	100.0 91.767	—	—
9	7.74 ~ 8.74	Sandy soil	10.0	27.0	91.767 101.767	0.34585 0.34585	0.34060 0.34060
10	8.74 ~ 9.74	Sandy soil	10.0	27.0	101.767 111.767	0.34585 0.34585	0.34060 0.34060
11	9.74 ~ 10.74	Sandy soil	10.0	27.0	111.767 121.767	0.34585 0.34585	0.34060 0.34060
12	10.74 ~ 11.74	Sandy soil	10.0	35.0	121.767 131.767	0.25279 0.25279	0.24895 0.24895
13	11.74 ~ 12.74	Sandy soil	10.0	28.0	131.767 141.767	0.33303 0.33303	0.32798 0.32798

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q$ (kN/m ²)	K_p	$K_p \times \cos \delta$
14	12.74 ~ 13.74	Sandy soil	10.0	28.0	141.767 151.767	0.33303 0.33303	0.32798 0.32798
15	13.74 ~ 14.74	Sandy soil	10.0	38.0	151.767 161.767	0.22298 0.22298	0.21959 0.21959
16	14.74 ~ 15.74	Sandy soil	10.0	45.0	161.767 171.767	0.16262 0.16262	0.16015 0.16015

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.00^\circ$, $\beta = 0.00^\circ$, $\theta = 0.00^\circ$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q$ (kN/m ²)	K_p	$K_p \times \cos \delta$
4	2.60 ~ 3.74	Clayey soil	8.0	0.0	12.0 9.120	—	—
5	3.74 ~ 4.74	Clayey soil	8.0	0.0	12.0 17.120	—	—
6	4.74 ~ 5.74	Clayey soil	8.0	0.0	12.0 25.120	—	—
7	5.74 ~ 6.74	Sandy soil	10.0	27.0	25.120 35.120	3.59892 3.59892	3.54425 3.54425
8	6.74 ~ 7.74	Clayey soil	8.0	0.0	100.0 43.120	—	—
9	7.74 ~ 8.74	Sandy soil	10.0	27.0	43.120 53.120	3.59892 3.59892	3.54425 3.54425
10	8.74 ~ 9.74	Sandy soil	10.0	27.0	53.120 63.120	3.59892 3.59892	3.54425 3.54425
11	9.74 ~ 10.74	Sandy soil	10.0	27.0	63.120 73.120	3.59892 3.59892	3.54425 3.54425
12	10.74 ~ 11.74	Sandy soil	10.0	35.0	73.120 83.120	5.20876 5.20876	5.22810 5.22810
13	11.74 ~ 12.74	Sandy soil	10.0	28.0	83.120 93.120	3.76978 3.76978	3.71251 3.71251
14	12.74 ~ 13.74	Sandy soil	10.0	28.0	93.120 103.120	3.76978 3.76978	3.71251 3.71251
15	13.74 ~ 14.74	Sandy soil	10.0	38.0	103.120 113.120	6.21981 6.21981	6.12532 6.12532
16	14.74 ~ 15.74	Sandy soil	10.0	45.0	113.120 123.120	9.34548 9.34548	9.20351 9.20351

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = 10.00^\circ$, $\beta = 0.00^\circ$, $\theta = 0.00^\circ$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure	Passive side
	Pa1 (kNm ²)	Pa2 (kNm ²)	Pa (kNm ²)		
1 0.00-2.10	7.18 13.86	—	7.18 13.86	0.00 20.58	—
2 2.10-2.52	20.65 24.00	22.32 24.00	22.32 24.00	20.58 24.69	—
3 2.52-2.60	24.00 24.65	24.00 24.65	24.00 24.65	24.69 25.48	—
4 2.60-3.74	24.65 33.77	24.32 28.88	24.65 33.77	25.48 33.12	24.00 33.12
5 3.74-4.74	33.77 41.77	28.88 32.88	33.77 41.77	33.12 35.48	41.12 41.12
6 4.74-5.74	41.77 49.77	32.88 36.88	41.77 49.77	35.48 37.84	41.12 49.12
7 5.74-6.74	49.77 57.77	36.88 40.88	49.77 57.77	37.84 40.20	49.12 56.12
8 6.74-7.74	57.77 65.77	40.88 44.88	57.77 65.77	40.20 42.56	56.12 63.12
9 7.74-8.74	65.77 73.77	44.88 48.88	65.77 73.77	42.56 44.92	63.12 70.12
10 8.74-9.74	73.77 81.77	48.88 52.88	73.77 81.77	44.92 47.28	70.12 77.12
11 9.74-10.74	81.77 89.77	52.88 56.88	81.77 89.77	47.28 49.64	77.12 84.12
12 10.74-11.74	89.77 97.77	56.88 60.88	89.77 97.77	49.64 52.00	84.12 91.12
13 11.74-12.74	97.77 105.77	60.88 64.88	97.77 105.77	52.00 54.36	91.12 98.12
14 12.74-13.74	105.77 113.77	64.88 68.88	105.77 113.77	54.36 56.72	98.12 105.12
15 13.74-14.74	113.77 121.77	68.88 72.88	113.77 121.77	56.72 59.08	105.12 112.12
16 14.74-15.74	121.77 129.77	72.88 76.88	121.77 129.77	59.08 61.44	112.12 119.12

Formula for active earth pressure

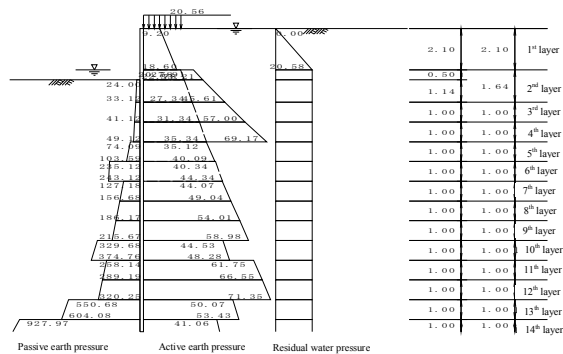
Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(\beta)}] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(\beta)}] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q$ (kNm ²)	γ_{sw} (kNm ³)	k (k)	θ (degree)	K_a	$K_a \cdot \cos \delta$	θ (degree)
1 0.00-2.10	Sandy Soil	10.0	30.0	—	20.56	0.00	0.200	11.31	0.45442	0.44752	—
2 2.10-2.60	Clayey Soil	8.0	—	12.0	41.56	20.58	0.200	11.31	—	—	34.78
3 2.60-3.74	Clayey Soil	8.0	—	12.0	54.56	25.48	0.200	11.31	—	—	33.83
4 3.74-4.74	Clayey Soil	8.0	—	12.0	62.68	36.65	0.200	11.31	—	—	31.41
5 4.74-5.74	Clayey Soil	8.0	—	12.0	70.68	46.45	0.200	11.31	—	—	28.96
6 5.74-6.74	Sandy Soil	10.0	27.0	—	80.68	56.25	0.200	11.31	0.50461	0.49695	—
7 6.74-7.74	Clayey Soil	8.0	—	100.0	88.68	66.05	0.200	11.31	—	—	43.47
8 7.74-8.74	Sandy Soil	10.0	27.0	—	98.68	75.85	0.200	11.31	0.50461	0.49695	—
9 8.74-9.74	Sandy Soil	10.0	27.0	—	108.68	85.65	0.200	11.31	0.50461	0.49695	—
10 9.74-10.74	Sandy Soil	10.0	27.0	—	118.68	95.45	0.200	11.31	0.50461	0.49695	—
11 10.74-11.74	Sandy Soil	10.0	35.0	—	128.68	105.25	0.200	11.31	0.38098	0.37519	—
12 11.74-12.74	Sandy Soil	10.0	28.0	—	138.68	115.05	0.200	11.31	0.48730	0.47989	—

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q$ (kNm ²)	γ_{sw} (kNm ³)	k (k)	θ (degree)	K_a	$K_a \cdot \cos \delta$	θ (degree)
13 12.74-13.74	Sandy Soil	10.0	28.0	—	148.68	124.85	0.200	11.31	0.48730	0.47989	—
14 13.74-14.74	Sandy Soil	10.0	38.0	—	158.68	134.65	0.200	11.31	0.34194	0.33674	—
15 14.74-15.74	Sandy Soil	10.0	45.0	—	168.68	144.45	0.200	11.31	0.26273	0.25874	—

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.0^\circ$ $\beta = 0.00$ $\theta = \tan^{-1} k$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q_p$ (kNm ²)	γ_{sw} (kNm ³)	k (k)	θ (degree)	K_p	$K_p \cdot \cos \delta$
3 2.60-3.74	Clayey soil	8.00	0.0	12.0	0.000	0.00	0.200	11.31	—	—
4 3.74-4.74	Clayey soil	8.00	0.0	12.0	9.120	11.17	0.200	11.31	—	—
5 4.74-5.74	Clayey soil	8.00	0.0	12.0	17.120	20.97	0.200	11.31	—	—
6 5.74-6.74	Sandy soil	10.00	27.0	—	25.120	30.77	0.200	11.31	2.99498	2.94948
7 6.74-7.74	Clayey soil	8.00	0.0	100.0	35.120	40.57	0.200	11.31	—	—
8 7.74-8.74	Sandy soil	10.00	27.0	—	43.120	50.37	0.200	11.31	2.99498	2.94948
9 8.74-9.74	Sandy soil	10.00	27.0	—	51.120	60.17	0.200	11.31	2.99498	2.94948
10 9.74-10.74	Sandy soil	10.00	27.0	—	59.120	69.97	0.200	11.31	2.99498	2.94948
11 10.74-11.74	Sandy soil	10.00	35.0	—	67.120	79.77	0.200	11.31	4.57827	4.50872
12 11.74-12.74	Sandy soil	10.00	28.0	—	75.120	89.57	0.200	11.31	3.15350	3.10559
13 12.74-13.74	Sandy soil	10.00	28.0	—	83.120	99.37	0.200	11.31	3.15350	3.10559
14 13.74-14.74	Sandy soil	10.00	38.0	—	91.120	109.17	0.200	11.31	5.42254	5.34016
15 14.74-15.74	Sandy soil	10.00	45.0	—	99.120	118.97	0.200	11.31	8.33000	8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = -10.0^\circ$ $\beta = 0.00$ $\theta = \tan^{-1} k$

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

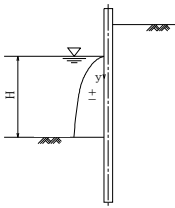
Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

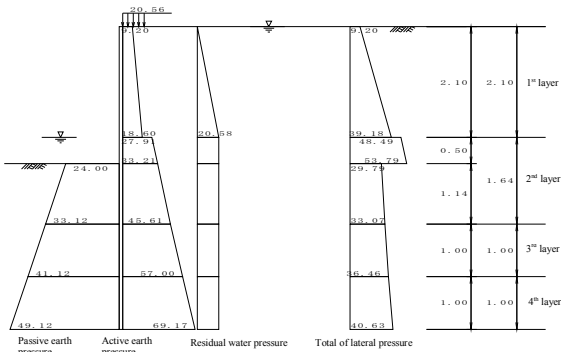
No	Depth Z (m)	WL y (m)	P _w (kNm ²)
1	2.10	0.00	0.00
2	2.60	0.50	0.86

$$p_w = \pm \frac{7}{8} k_{hs} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

Where,
 k_{hs} : design seismic coefficient
 γ_w : unit weight of water
 H : water depth of river side
 y : depth from water surface to the point where active water pressure is calculated



4-2 Seismic Condition



Depth (m)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	Ps (kNm ²)
1 0.00-2.10	9.20 18.60	0.00 20.58	— —	9.20 39.18
2 2.10-2.60	27.91 33.21	20.58 20.58	— —	48.49 53.79
3 2.60-3.74	33.21 45.61	20.58 20.58	24.00 33.12	29.79 33.07
4 3.74-4.74	45.61 57.00	20.58 20.58	33.12 41.12	33.07 36.46
5 4.74-5.74	57.00 69.17	20.58 20.58	41.12 49.12	36.46 40.63
6 5.74-6.74	69.17 80.59	20.58 20.58	49.12 57.12	40.63 44.80

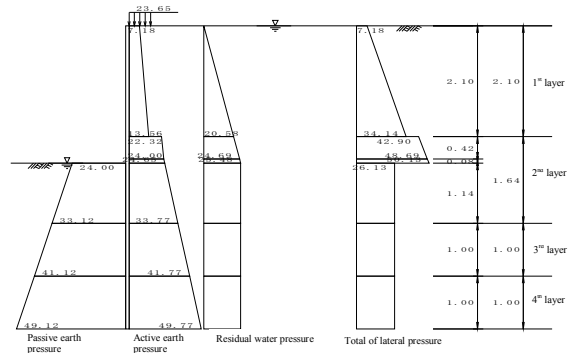
P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 P_s: Lateral pressure P_s = P_a + P_w - P_p

Tentative imaginary riverbed I₄: 3.14 m (GL -5.74 m)

4 Imaginary Riverbed

Imaginary ground level I₄ is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition



Depth (m)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	Ps (kNm ²)
1 0.00-2.10	7.18 13.56	0.00 20.58	— —	7.18 34.14
2 2.10-2.52	22.32 24.00	20.58 24.69	— —	42.90 48.69
3 2.52-2.60	24.00 24.65	24.69 25.48	— —	48.69 50.13
4 2.60-3.74	24.65 33.77	25.48 25.48	24.00 33.12	26.13 26.13
5 3.74-4.74	33.77 41.77	25.48 25.48	33.12 41.12	26.13 26.13
6 4.74-5.74	41.77 49.77	25.48 25.48	41.12 49.12	26.13 26.13
7 5.74-6.74	49.77 58.53	25.48 25.48	49.12 57.12	-38.43 -70.46

P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 P_s: Lateral pressure P_s = P_a + P_w - P_p

Tentative imaginary riverbed I₄: 3.14 m (GL -5.74 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width B = 1.0000 m
 Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.86
 Section efficiency μ = 1.00
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 252000 cm⁴ (original condition)
 I = 216720 cm⁴ (after reduction by corrosion and)
 Inertia sectional moment EI = 200000 × 10³ × 216720 × 10⁻⁸ = 4.334 × 10⁶

Depth (m)	N-value	Depth (m)	N-value
1 0.50	15	11 10.74	8
2 1.00	15	12 11.74	28
3 2.10	2	13 12.74	11
4 3.74	2	14 13.74	12
5 4.74	2	15 14.74	34
6 5.74	2	16 15.74	50
7 6.74	10		
8 7.74	24		
9 8.74	4		
10 9.74	4		

5-2 Normal Condition

K_s = 19008 kNm⁻³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.324 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 3.09 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -5.74 m) to 3.09 m depth (GL -8.83 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)	
		upper	lower		
1	5.74	1.00	2.0	10.0	6.00
2	6.74	1.00	10.0	24.0	17.00
3	7.74	1.00	24.0	4.0	14.00
4	8.74	0.09	4.0	4.0	0.36
L = 2h = 3.09				ΣA = 37.36	

A (upper N-value + lower N-value) × h/2

Average N-value $N' = \frac{\Sigma A}{L} = \frac{37.36}{3.09} = 12.09$

Calculated K_s is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following

$K_s = 6910 \times N'^{0.896} = 6910 \times 12.09^{0.896} = 19008 \text{ kN/m}^3$

K_s (normal condition) = 19008 kNm³

5-3 Seismic Condition

$K_s = 19008 \text{ kNm}^3$ is set tentatively.

$\beta = 4\sqrt{\frac{K_h \cdot B}{4EI}} = 0.324 \text{ m}^{-1}$

$L = \frac{1}{\beta} = 3.09 \text{ m}$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -5.74 m) to 3.09 m depth (GL -8.83 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)	
		upper	lower		
1	5.74	1.00	2.0	10.0	6.00
2	6.74	1.00	10.0	24.0	17.00
3	7.74	1.00	24.0	4.0	14.00
4	8.74	0.09	4.0	4.0	0.36
L = 2h = 3.09				ΣA = 37.36	

A (upper N-value + lower N-value) × h/2

Average N-value $N' = \frac{\Sigma A}{L} = \frac{37.36}{3.09} = 12.09$

Calculated K_s is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following

$K_s = 6910 \times N'^{0.896} = 6910 \times 12.09^{0.896} = 19008 \text{ kN/m}^3$

K_s (seismic condition) = 19008 kNm³

R_No.8_pp.21

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	7.18 34.14	7.54 38.85	5.04 4.34	38.01 155.59
2	2.10-2.52	42.90 48.69	8.99 10.20	3.50 3.36	31.47 34.29
3	2.52-2.60	48.69 50.13	1.97 2.03	3.19 3.17	6.29 6.42
4	2.60-3.74	26.13 26.13	14.89 14.89	2.76 2.38	41.10 35.44
5	3.74-4.74	26.13 26.13	13.06 13.06	1.67 1.33	21.77 17.42
6	4.74-5.74	26.13 26.13	13.06 13.06	0.67 0.33	8.71 4.35
			ΣP = 148.62		ΣM = 400.87

P_0 : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_0 \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_0 = 2.1 \text{ kNm}$
 depth to acting position $H = -0.39 \text{ m}$
 moment $M_0 = 0.0 \text{ kNm-m/m}$
 depth to acting position $H_0 = 0.00 \text{ m}$
 Height from riverbed to top of coping $H = 2.60 \text{ m}$
 Depth of imaginary riverbed from riverbed $L_0 = 3.14 \text{ m}$

Moment M_0 by arbitrary load is as below

$M_0 = P_0 \cdot (H + H_0 - H) + M_0 = 12.87 \text{ kN-m}$

h_0 : Height of acting position of P_0 from imaginary riverbed

$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{413.74}{150.72} = 2.75 \text{ m}$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P_s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	9.20 39.18	9.66 41.14	5.04 4.34	48.69 178.54
2	2.10-2.60	48.49 53.79	12.12 13.45	3.47 3.31	42.11 44.46

R_No.8_pp.22

Depth Z (m)	Thickness h (m)	Lateral load P_s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
3	2.60-3.74	29.79 33.07	16.98 18.85	2.76 2.38	46.86 44.86
4	3.74-4.74	33.07 36.46	16.53 18.23	1.67 1.33	27.56 24.31
5	4.74-5.74	36.46 40.63	18.23 20.31	0.67 0.33	12.15 6.77
			ΣP = 185.51		ΣM = 476.31

P_0 : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_0 \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_0 = 5.9 \text{ kNm}$
 depth to acting position $H = -0.50 \text{ m}$
 moment $M_0 = 0.0 \text{ kNm-m/m}$
 depth to acting position $H_0 = 0.0 \text{ m}$
 Height from riverbed to top of coping $H = 2.60 \text{ m}$
 Depth of imaginary riverbed from riverbed $L_0 = 3.14 \text{ m}$

Moment M_0 by arbitrary load is as below
 $M_0 = P_0 \cdot (H + H_0 - H) + M_0 = 36.82 \text{ kN-m}$

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{sw} (kNm ²)	Load P_{sw} (kN)	Arm length Y (m)	Moment M_{sw} (kNm)
1	2.10-2.60	0.50	0.0 0.9	0.00 0.21	3.47 3.31	0.00 0.71
			Σ P_{sw} = 0.21			Σ M_{sw} = 0.71

h_0 : Height of acting position of P_0 from imaginary riverbed

$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_{sw}}{\Sigma P + P_0 + \Sigma P_{sw}} = \frac{513.83}{191.62} = 2.68 \text{ m}$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as followings:

Unit width $B = 1.0000 \text{ m}$
 Corrosion margin $t_1 = 1.00 \text{ mm}$ (active side) $t_2 = 1.00 \text{ mm}$ (passive side)
 Corrosion rate $\eta = 0.86$
 Section efficiency $\beta = 1.00$
 Young's modulus $E = 200000 \text{ N/mm}^2$
 Inertia sectional moment $I_0 = 252000 \text{ cm}^4$ (original condition)
 $I = 216720 \text{ cm}^4$ (after reduction by corrosion and section)
 $I = 20000 \times 10^7 \times 216720 \times 10^8 = 4.334 \times 10^7$

R_No.8_pp.23

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_s = 19008 \text{ kNm}^3$
 resultant earth force (lateral) $\beta = 0.32358 \text{ m}^{-1}$
 height of acting position of load $P_0 = 150.72 \text{ kNm}$
 moment $h_0 = 2.75 \text{ m}$
 $M_0 = 413.74 \text{ kNm-m/m}$

in consideration of $\omega = 1.176$,
 maximum moment $M_{max} = 486.42 \text{ kNm-m}$
 depth of generated position of M_{max} $L = 1.068 \text{ m}$
 depth of fixed point $L = 3.496 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_s = 19008 \text{ kNm}^3$
 resultant earth force (lateral) $\beta = 0.32358 \text{ m}^{-1}$
 height of acting position of load $P_0 = 191.62 \text{ kNm}$
 moment $h_0 = 2.68 \text{ m}$
 $M_0 = 513.83 \text{ kNm-m/m}$

in consideration of $\omega = 1.182$,
 maximum moment $M_{max} = 607.39 \text{ kNm-m}$
 depth of generated position of M_{max} $L = 1.083 \text{ m}$
 depth of fixed point $L = 3.510 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as followings:

Corrosion margin $t_1 = 1.00 \text{ mm}$ (active side) $t_2 = 1.00 \text{ mm}$ (passive side)
 Corrosion rate $\eta = 0.89$
 Section efficiency $\beta = 1.00$
 Modulus of section $Z_0 = 6090 \text{ cm}^3$ (original condition)
 $Z = 5420 \text{ cm}^3$ (after reduction by corrosion and section)

R_No.8_pp.24

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{486.42 \times 10^6}{5420 \times 10^3} = 90 \text{ N/mm}^2 \leq \sigma_a = 185 \text{ N/mm}^2$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{607.39 \times 10^6}{5420 \times 10^3} = 112 \text{ N/mm}^2 \leq \sigma_a = 278 \text{ N/mm}^2$$

6-4 Displacement

6-4-1 Normal Condition

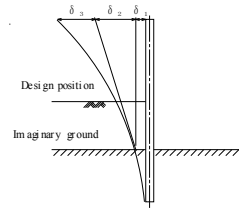
Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	5.04 4.34	0.878 0.756	0.273 0.214	7.54 35.85	2.057 7.665
2	2.10~2.52	3.50 3.36	0.610 0.585	0.148 0.138	8.99 10.20	1.332 1.407
3	2.52~2.60	3.19 3.17	0.556 0.552	0.126 0.124	1.97 2.03	0.248 0.252
4	2.60~3.74	2.76 2.38	0.481 0.415	0.097 0.074	14.89 14.89	1.446 1.103
5	3.74~4.74	1.67 1.33	0.290 0.232	0.038 0.025	13.06 13.06	0.497 0.325
6	4.74~5.74	0.67 0.33	0.116 0.058	0.006 0.002	13.06 13.06	0.085 0.022
$\Sigma Q = 16.438$						

Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_k}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

R_No. 8_pp.25

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1+0.3236 \times 2.75) \times 150.72}{2 \times 2.00 \times 10^8 \times 216720 \times 10^{-8} \times 0.3236^3} = 0.00969 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_k) = \frac{(1+2 \times 0.3236 \times 2.75) \times 150.72}{2 \times 2.00 \times 10^8 \times 216720 \times 10^{-8} \times 0.3236^2} \times (2.60+3.14) = 0.02646 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{E I} = \frac{16.44 \times (2.60+3.14)^3}{2.00 \times 10^8 \times 216720 \times 10^{-8}} = 0.00717 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00034 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 5.74 m
 Horizontal load: P = 2.10
 Moment: M = 0.82

$$\delta = \delta_1 + \delta_2 + \delta_3 + \delta_3' = 0.00969 + 0.02646 + 0.00751 + 0.00034 = 0.04366 \text{ m} = 43.66 \text{ mm} \leq \delta_a = 50.00 \text{ mm}$$

Where:
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ_3' : Displacement at top of SSP
 δ_a : Allowable displacement

R_No. 8_pp.26

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	5.04 4.34	0.878 0.756	0.273 0.214	9.66 41.14	2.634 8.795
2	2.10~2.60	3.47 3.31	0.605 0.576	0.146 0.134	12.12 13.45	1.772 1.803
3	2.60~3.74	2.76 2.38	0.481 0.415	0.097 0.074	16.98 18.85	1.648 1.396
4	3.74~4.74	1.67 1.33	0.290 0.232	0.038 0.025	16.53 18.23	0.630 0.454
5	4.74~5.74	0.67 0.33	0.116 0.058	0.006 0.002	18.23 20.31	0.118 0.034
$\Sigma Q = 19.283$						

Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_k}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

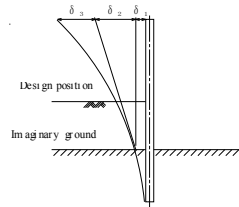
Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_{tw} (kN)	Q_{tw} (kN)
1	2.10~2.60	3.47 3.31	0.605 0.576	0.146 0.134	0.00 0.21	0.000 0.029
$\Sigma Q_{tw} = 0.029$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 19.283 + 0.029 = 19.312$

R_No. 8_pp.27

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1+0.3236 \times 2.68) \times 191.62}{2 \times 2.00 \times 10^8 \times 216720 \times 10^{-8} \times 0.3236^3} = 0.01219 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_k) = \frac{(1+2 \times 0.3236 \times 2.68) \times 191.62}{2 \times 2.00 \times 10^8 \times 216720 \times 10^{-8} \times 0.3236^2} \times (2.60+3.14) = 0.03315 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{E I} = \frac{19.31 \times (2.60+3.14)^3}{2.00 \times 10^8 \times 216720 \times 10^{-8}} = 0.00843 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00097 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 5.74 m
 Horizontal load: P = 5.90
 Moment: M = 2.95

$$\delta = \delta_1 + \delta_2 + \delta_3 + \delta_3' = 0.01219 + 0.03315 + 0.00940 + 0.00097 = 0.05473 \text{ m} = 54.73 \text{ mm} \leq \delta_a = 75.00 \text{ mm}$$

Where:
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ_3' : Displacement at top of SSP
 δ_a : Allowable displacement

R_No. 8_pp.28

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 252000 \text{ cm}^4$ (original condition)
	I = 252000 cm ⁴ (after reduction by corrosion and section)
	$I = 200000 \times 10^3 \times 252000 \times 10^{-8} = 5.040 \times 10^7$

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as I_0 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_i + \frac{3}{\beta}$$

$$L = H - H_{i1} + D$$

$$\beta = 4\sqrt{\frac{K_s \cdot B}{4EI}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction Calculated value	$K_s = 19008 \text{ kN/m}^3$ $\beta = 0.31161 \text{ m}^{-1}$
Penetration length of SSP	$D = 3.14 + \frac{3}{0.312} = 12.77 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 12.77 = 14.97 \text{ m}$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction Calculated value	$K_s = 19008 \text{ kN/m}^3$ $\beta = 0.31161 \text{ m}^{-1}$
Penetration length of SSP	$D = 3.14 + \frac{3}{0.312} = 12.77 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 12.77 = 14.97 \text{ m}$

Therefore, whole length of SSP is set as 15.00 m in consideration of round unit of SSP length.

8 Calculation Result

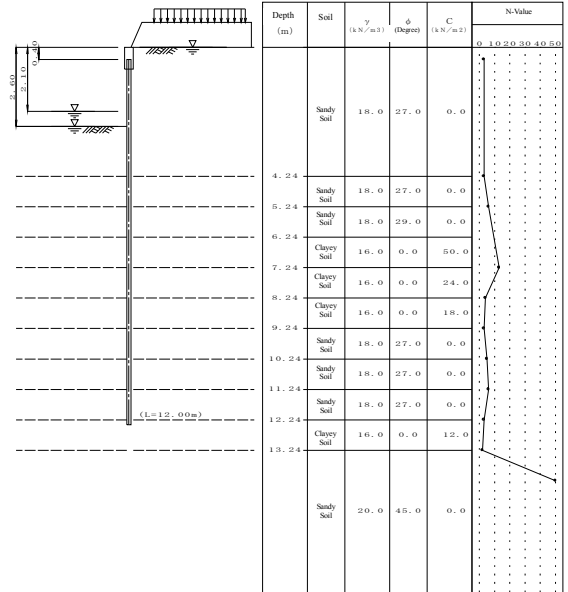
			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	252000		
Section modulus	Z (cm ³)	6090		
Maximum bending moment	M _{max} (kNm/m)		486.42	607.39
Stress intensity	σ (N/mm ²)		90 (18%)	112 (27%)
Lateral displacement	δ (mm)		43.66 (80.0)	54.73 (75.0)
Penetration depth	D (m)	15.00	12.77	12.77
Whole length of SSP	L (m)			

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No 9_STA_8+250 - 8+400



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_g = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Reverse WL L_{rev} = 0.00 m (Normal Condition)
 Reverse WL L_{rev} = 0.00 m (Seismic Condition)
 Landside WL L_{wp} = 2.60 m (Normal Condition)
 Landside WL L_{wp} = 2.10 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.9_pp.1

R_No.9_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^{-3}$

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load P = 2.2 kNm (Normal Condition)
 P' = 8.3 kNm (Seismic Condition)
 Depth of acting point H = -0.40 m (Normal Condition)
 H' = -0.22 m (Seismic Condition)
 Moment Mm = 0.0 kNm/m (Normal Condition)
 Mm' = 0.0 kNm/m (Seismic Condition)
 Depth of acting point Hm' = 0.00m (Seismic Condition)
 Hm = 0.00m (Normal Condition)
 (*Depth means distance from top of coping)

Wind load Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2C}{2C}} \cdot \tan \theta$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula K_h = 6910 × N^{0.405}

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.40	3	11	14.24	50
2	4.24	3	12	17.24	50
3	5.24	6			
4	7.24	13			
5	8.24	4			
6	9.24	3			
7	10.24	5			
8	11.24	6			
9	12.24	3			
10	13.24	2			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

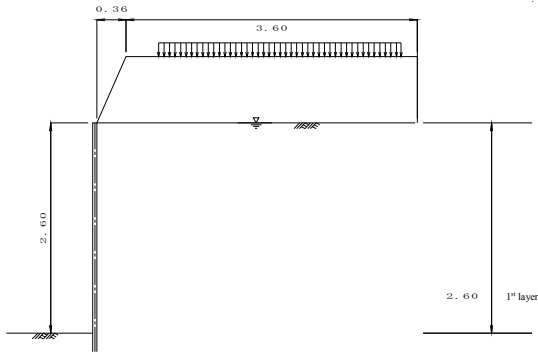
No	Depth (m)	Soil	N-value	γ (kNm ³)	γ' (kNm ³)	ϕ	C (kNm ²)	a	k'	ζ (degree)		kh (kNm)	
										normal	seismic	normal	seismic
1	4.24	S	3.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
2	5.24	S	6.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
3	6.24	S	13.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	-----	-----
4	7.24	C	13.0	16.00	8.00	0.0	50.0	0.0	0.200	auto	auto	-----	-----
5	8.24	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	-----	-----
6	9.24	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	-----	-----
7	10.24	S	5.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
8	11.24	S	6.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
9	12.24	S	3.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
10	13.24	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	-----	-----
11	17.24	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	-----	-----

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N-value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C_s : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle φ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.36	3.96	3.96	0.82	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	0.76	3.76	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

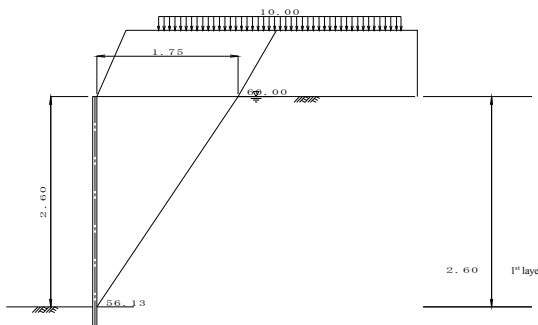
1-9 Steel Sheet Pile (SSP)

- Young's modulus E = 200000 Nmm⁻²
- Inertia sectional moment I₀ = 86000 cm⁴
- Sectional factor Z₀ = 3820 cm³
- Corrosion margin t₁ = 1.00 mm (ri verside) t₂ = 1.00 mm (landside)
- Corrosion rate (to I₀) η = 0.92
- Corrosion rate (to Z₀) η = 0.92
- Section efficiency (to I₀) μ = 0.80
- Section efficiency (to Z₀) μ = 1.00
- Round unit of SSP length 0.50 m
- Allowable stress σ_a = 180 Nmm⁻² (Normal)
σ_a' = 270 Nmm⁻² (Seismic)
- Allowable displacement δ_a = 50.0 mm (Normal)
δ_a' = 75.0 mm (Seismic)
- Bending of cantilever beam calculated as distributed load of each layer
- Reduction of material modulus Reduced I₀ applied to calculation of lateral coefficient of subgrade reaction
Not reduced I₀ applied to calculation of penetration depth
Reduced I₀ applied to calculation of section forces and displacement
Reduced Z₀ applied to calculation of stresses

2 Calculation of Acting Load

2-1 Normal Condition

2-1-1 Angle of Active Rupture



No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m ²)	Σγh (kN/m ²)	Q (kN/m ²)	γwhw (kN/m ²)	Angle of rupture Z (degree)
1	2.60 ~ 0.00	Sandy Soil	27.0	9.0	0.0	26.00	23.60	25.48	56.13
2		Embankment	30.0	0.0	0.0	14.76	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since θ=0°

Where,

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthbank combination angle (degree)
θ = tan⁻¹k or θ = tan⁻¹k'
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesive force of soil (kNm⁻²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	56.13	2.60	0.00	0.00	1.75	2.60
2	60.00	0.82	1.75	2.60	2.22	3.42

Therefore, width of acting load shall be set as 1.75 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	γ X A (kN/m)
1	18.0	1.48	26.60
Σ			26.60

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.46	14.59
Σ			14.59

Q : surcharge load
l : width of surcharge load set by line of active rupture

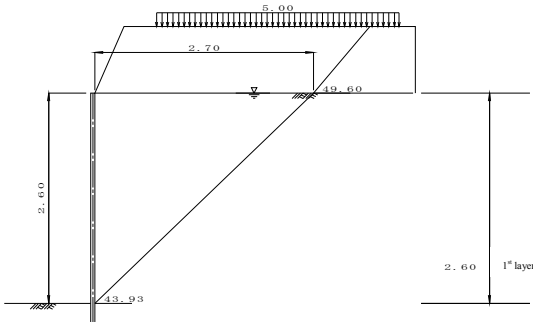
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{26.60 + 14.59 + 0.00}{1.75}$$

$$= 23.60 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.93	2.60	0.00	0.00	2.70	2.60
2	49.60	0.82	2.70	2.60	3.40	3.42

Therefore, width of acting load shall be set as 270 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.35	42.33
Σ			42.33

γ : unit weight of embankment soil
 A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q x l (kN/m)
1	5.0	2.64	13.19
Σ			13.19

Q: surcharge load
 l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{42.33 + 13.19 + 0.00}{2.70}$$

$$= 20.57 \text{ kN/m}^2$$

2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma h w$ (kN/m ²)	k (k ²)	θ (degree)	Angle of rupture Z (degree)
1	2.60 ~ 0.00	Sandy Soil	27.0	9.0	0.0	26.00	20.57	25.48	0.200	11.31	43.93
2		Embankment	30.0	—	0.0	14.76	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

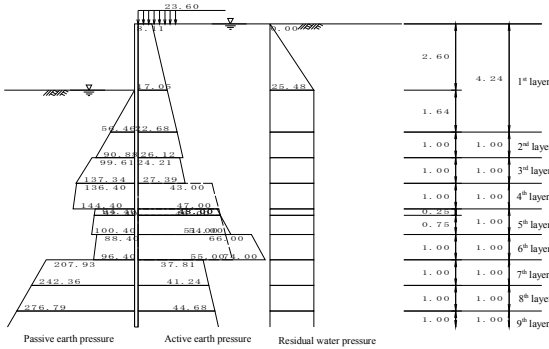
$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = 4 \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WD)
- h: thickness of layer (m)
- Q: surcharge load (kN/m²)
- C: cohesive force of soil (kN/m²)

3 Lateral Pressure

3-1 Normal Condition



Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \theta - \beta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_p$ (kN/m ²)	K_p	$K_p \cdot \cos \delta$
2	2.60~4.24	Sandy soil	10.0	27.0	0.000 16.400	3.48553 3.48553	3.44261 3.44261
3	4.24~5.24	Sandy soil	10.0	27.0	16.400 26.400	3.48553 3.48553	3.44261 3.44261
4	5.24~6.24	Sandy soil	10.0	29.0	26.400 36.400	3.82002 3.82002	3.77299 3.77299
5	6.24~7.24	Clayey soil	8.0	0.0	50.0 50.0	— —	— —
6	7.24~7.49	Clayey soil	8.0	0.0	24.0 24.0	44.400 46.402	— —
7	7.49~8.24	Clayey soil	8.0	0.0	24.0 24.0	46.402 52.400	— —
8	8.24~9.24	Clayey soil	8.0	0.0	18.0 18.0	52.400 60.400	— —
9	9.24~10.24	Sandy soil	10.0	27.0	60.400 70.400	3.48553 3.48553	3.44261 3.44261
10	10.24~11.24	Sandy soil	10.0	27.0	70.400 80.400	3.48553 3.48553	3.44261 3.44261
11	11.24~12.24	Sandy soil	10.0	27.0	80.400 90.400	3.48553 3.48553	3.44261 3.44261
12	12.24~13.24	Clayey soil	8.0	0.0	12.0 12.0	90.400 98.400	— —
13	13.24~17.24	Sandy soil	10.0	45.0	— —	98.400 138.400	8.75678 8.75678

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure Pw (kN/m ²)	Passive side Pp (kN/m ²)
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1	0.00~2.60	8.11 17.05	— —	8.11 17.05	0.00 25.48
2	2.60~4.24	17.05 22.68	— —	17.05 22.68	25.48 56.46
3	4.24~5.24	22.68 26.12	— —	22.68 26.12	56.46 90.88
4	5.24~6.24	26.12 27.39	— —	26.12 27.39	90.88 137.34
5	6.24~7.24	-14.00 -6.00	43.00 47.00	43.00 47.00	25.48 144.40

3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_a$ (kN/m ²)	K_a	$K_a \cdot \cos \delta$
1	0.00~2.60	Sandy soil	10.0	27.0	23.598 49.598	0.34800 0.34800	0.34371 0.34371
2	2.60~4.24	Sandy soil	10.0	27.0	49.598 65.998	0.34800 0.34800	0.34371 0.34371
3	4.24~5.24	Sandy soil	10.0	27.0	65.998 75.998	0.34800 0.34800	0.34371 0.34371
4	5.24~6.24	Sandy soil	10.0	29.0	75.998 85.998	0.32248 0.32248	0.31851 0.31851
5	6.24~7.24	Clayey soil	8.0	—	50.0 50.0	85.998 93.998	— —
6	7.24~7.49	Clayey soil	8.0	—	24.0 24.0	93.998 96.000	— —
7	7.49~8.24	Clayey soil	8.0	—	24.0 24.0	96.000 101.998	— —
8	8.24~9.24	Clayey soil	8.0	—	18.0 18.0	101.998 109.998	— —
9	9.24~10.24	Sandy soil	10.0	27.0	109.998 119.998	0.34800 0.34800	0.34371 0.34371
10	10.24~11.24	Sandy soil	10.0	27.0	119.998 129.998	0.34800 0.34800	0.34371 0.34371
11	11.24~12.24	Sandy soil	10.0	27.0	129.998 139.998	0.34800 0.34800	0.34371 0.34371
12	12.24~13.24	Clayey soil	8.0	—	12.0 12.0	139.998 147.998	— —
13	13.24~17.24	Sandy soil	10.0	45.0	147.998 187.998	0.16323 0.16323	0.16122 0.16122

Depth (m)	Active side			Residual water pressure (kNm ²)	Passive side (kNm ²)	
	Pa1 (kNm ²)	Pa2 (kNm ²)	Pa (kNm ²)			
6	7.24-7.49	46.00 48.00	47.00 48.00	47.00 48.00	25.48 25.48	92.40 94.40
7	7.49-8.24	48.00 54.00	48.00 51.00	48.00 54.00	25.48 25.48	94.40 100.40
8	8.24-9.24	66.00 74.00	51.00 55.00	66.00 74.00	25.48 25.48	88.40 96.40
9	9.24-10.24	37.81 41.24	---	37.81 41.24	25.48 25.48	207.93 242.36
10	10.24-11.24	41.24 44.68	---	41.24 44.68	25.48 25.48	242.36 276.79
11	11.24-12.24	44.68 48.12	---	44.68 48.12	25.48 25.48	276.79 311.21
12	12.24-13.24	116.00 124.00	70.00 74.00	116.00 124.00	25.48 25.48	114.40 122.40
13	13.24-17.24	23.86 30.31	---	23.86 30.31	25.48 25.48	861.67 1211.94

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$

K_a : Equilibrium coefficient of compression: 0.5

Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

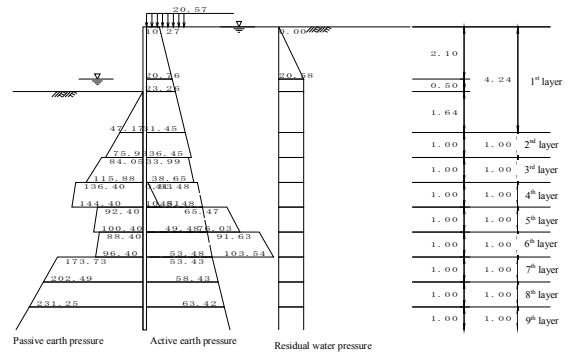
Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q$ (kNm ²)	γ_{wh} (kNm ²)	k (k)	θ (degree)	K_a	$K_a \times \cos \delta$	θ (degree)	
1	0.00-2.10	Sandy Soil	10.0	27.0	---	20.57 41.57	0.00 20.58	0.200	11.31	0.50574	0.49951	---
2	2.10-2.60	Sandy Soil	10.0	27.0	---	41.57 46.57	20.58 25.48	0.200	11.31	0.50574	0.49951	---
3	2.60-4.24	Sandy Soil	10.0	27.0	---	46.57 62.97	25.48 41.55	0.200	11.31	0.50574	0.49951	---
4	4.24-5.24	Sandy Soil	10.0	27.0	---	62.97 72.97	41.55 51.35	0.200	11.31	0.50574	0.49951	---
5	5.24-6.24	Sandy Soil	10.0	29.0	---	72.97 82.97	51.35 61.15	0.200	11.31	0.47163	0.46582	---
6	6.24-7.24	Clayey Soil	8.0	---	50.0	82.97 90.97	61.15 70.95	0.200	11.31	---	---	41.68 41.39
7	7.24-8.24	Clayey Soil	8.0	---	24.0	90.97 98.97	70.95 80.75	0.200	11.31	---	---	36.19 35.32
8	8.24-9.24	Clayey Soil	8.0	---	18.0	98.97 106.97	80.75 90.55	0.200	11.31	---	---	30.10 28.36
9	9.24-10.24	Sandy Soil	10.0	27.0	---	106.97	90.55	0.200	11.31	0.50574	0.49951	---
10	10.24-11.24	Sandy Soil	10.0	27.0	---	116.97	100.35	0.200	11.31	0.50574	0.49951	---
11	11.24-12.24	Sandy Soil	10.0	27.0	---	126.97	110.15	0.200	11.31	0.50574	0.49951	---
12	12.24-13.24	Clayey Soil	8.0	---	12.0 12.0	136.97 144.97	119.95 129.75	0.200	11.31	---	---	10.00 10.00
13	13.24-17.24	Sandy Soil	10.0	45.0	---	144.97 184.97	129.75 168.95	0.200	11.31	0.26304	0.25980	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 9.00, \beta = 0.00, \theta = \tan^{-1}k$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of dayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q_p$ (kNm ²)	γ_{wh} (kNm ²)	k (k)	θ (degree)	K_p	$K_p \times \cos \delta$	
3	2.60-4.24	Sandy soil	10.00	27.0	0.00 16.400	0.00 16.07	0.200 0.200	11.31	2.91211	2.87626	
4	4.24-5.24	Sandy soil	10.00	27.0	16.400 26.400	16.07 25.87	0.200 0.200	11.31	2.91211	2.87626	
5	5.24-6.24	Sandy soil	10.00	29.0	26.400 36.400	25.87 35.67	0.200 0.200	11.31	3.22224	3.18356	
6	6.24-7.24	Clayey soil	8.00	0.0	50.0 50.0	36.400 44.400	35.67 45.47	0.200 0.200	11.31	---	---
7	7.24-8.24	Clayey soil	8.00	0.0	24.0 24.0	44.400 52.400	45.47 55.27	0.200 0.200	11.31	---	---
8	8.24-9.24	Clayey soil	8.00	0.0	18.0 18.0	52.400 60.400	55.27 65.07	0.200 0.200	11.31	---	---
9	9.24-10.24	Sandy soil	10.00	27.0	60.400 70.400	65.07 74.87	0.200 0.200	11.31	2.91211	2.87626	
10	10.24-11.24	Sandy soil	10.00	27.0	70.400 80.400	74.87 84.67	0.200 0.200	11.31	2.91211	2.87626	
11	11.24-12.24	Sandy soil	10.00	27.0	80.400 90.400	84.67 94.47	0.200 0.200	11.31	2.91211	2.87626	
12	12.24-13.24	Clayey soil	8.00	0.0	12.0 12.0	90.400 98.400	94.47 104.27	0.200 0.200	11.31	---	---
13	13.24-17.24	Sandy soil	10.00	45.0	98.400 138.400	104.27 143.47	0.200 0.200	11.31	7.92269	7.82515	

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = -9.00, \beta = 0.00, \theta = \tan^{-1}k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 (kNm ²)	Pa2 (kNm ²)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)
1	0.00-2.10	10.27 20.76	---	10.27 20.76	0.00 20.58	---
2	2.10-2.60	20.76 23.26	---	20.76 23.26	20.58 20.58	---
3	2.60-4.24	23.26 31.45	---	23.26 31.45	20.58 20.58	0.00 47.17
4	4.24-5.24	31.45 36.45	---	31.45 36.45	20.58 20.58	47.17 75.95
5	5.24-6.24	33.99 38.65	---	33.99 38.65	20.58 20.58	84.05 115.88
6	6.24-7.24	0.93 10.81	41.48 45.48	41.48 45.48	20.58 20.58	136.40 144.40
7	7.24-8.24	65.47 76.03	45.48 49.48	65.47 76.03	20.58 20.58	92.40 100.40
8	8.24-9.24	91.63 103.54	49.48 53.48	91.63 103.54	20.58 20.58	88.40 96.40
9	9.24-10.24	53.43 58.43	---	53.43 58.43	20.58 20.58	173.73 202.49
10	10.24-11.24	58.43 63.42	---	58.43 63.42	20.58 20.58	202.49 231.25
11	11.24-12.24	63.42 68.42	---	63.42 68.42	20.58 20.58	231.25 260.01
12	12.24-13.24	222.15 239.23	68.48 72.48	222.15 239.23	20.58 20.58	114.40 122.40
13	13.24-17.24	37.66 48.06	---	37.66 48.06	20.58 20.58	769.99 1083.00

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$

K_a : Equilibrium coefficient of compression: 0.5

Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

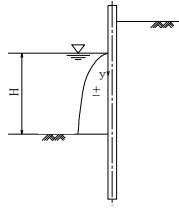
Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P_{dw} (kNm ²)
1	2.10	0.00	0.00
2	2.60	0.50	0.86

$$p_{dr} = \pm \frac{7}{8} k_{ds} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

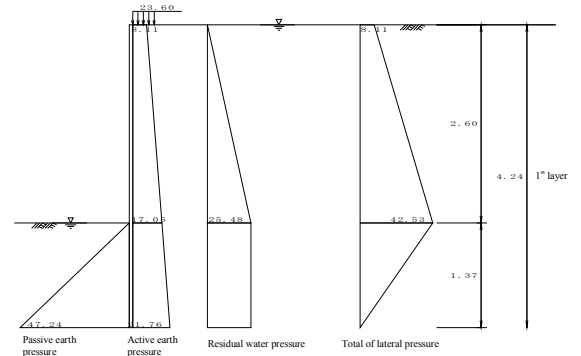
Where
 k_{ds} : design seismic coefficient
 γ_w : unit weight of water
 H : water depth of riverside
 y : depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L_4 is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition



Depth (m)	P_a (kNm ²)	P_w (kNm ²)	P_p (kNm ²)	P_s (kNm ²)
1 0.00-2.60	8.11 17.05	0.00 25.48	— —	8.11 42.53
2 2.60-3.97	17.05 21.76	25.48 25.48	0.00 47.24	42.53 0.00
3 3.97-4.24	21.76 22.68	25.48 25.48	47.24 56.46	0.00 -8.29

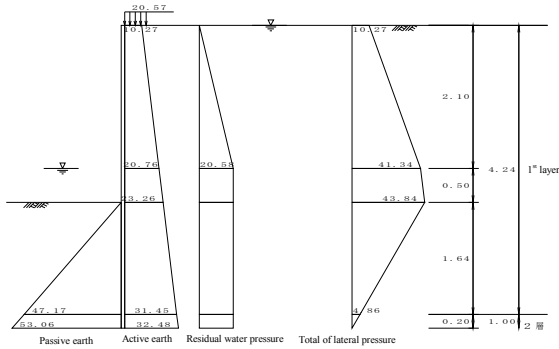
P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Tentative imaginary riverbed L_4 : 1.37 m (GL -3.97 m)

R_No.9_pp.17

R_No.9_pp.18

4-2 Seismic Condition



Depth (m)	P_a (kNm ²)	P_w (kNm ²)	P_p (kNm ²)	P_s (kNm ²)
1 0.00-2.10	10.27 20.76	0.00 20.58	— —	10.27 41.34
2 2.10-2.60	20.76 23.26	20.58 20.58	— —	41.34 43.84
3 2.60-4.24	23.26 31.45	20.58 20.58	0.00 47.17	43.84 4.86
4 4.24-4.45	31.45 32.48	20.58 20.58	47.17 53.06	4.86 0.00
5 4.45-5.24	32.48 36.45	20.58 20.58	53.06 75.93	0.00 -18.90

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Tentative imaginary riverbed L_4 : 1.85 m (GL -4.45 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width $B = 1.0000$ m
 Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.92$
 Section efficiency $\mu = 0.80$
 Young's modulus $E = 200000$ Nmm²
 Inertia sectional moment $I_0 = 86000$ cm⁴ (original condition)
 Inertia sectional moment $I = 63296$ cm⁴ (after reduction by corrosion on and section)
 $EI = 200000 \times 10^4 \times 63296 \times 10^{-8} = 1.266 \times 10^7$

Depth (m)	N-value	Depth (m)	N-value
1 0.40	3	11 14.24	50
2 4.24	3	12 17.24	50
3 5.24	6		
4 7.24	13		
5 8.24	4		
6 9.24	3		
7 10.24	5		
8 11.24	6		
9 12.24	3		
10 13.24	2		

5-2 Normal Condition

$K_h = 14339$ kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.410 \text{ m}^{-3}$$

$$L = \frac{1}{\beta} = 2.44 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -3.97 m) to 2.44 m depth (GL -6.41 m).

R_No.9_pp.19

R_No.9_pp.20

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)	
		upper	lower		
1	3.97	0.27	3.0	3.0	0.80
2	4.24	1.00	3.0	6.0	4.50
3	5.24	1.17	6.0	10.1	9.42

L = 2h = 2.44 ΣA = 14.72

A (upper N-value + lower N-value) × h/2

Average N-value $N' = \frac{\Sigma A}{L}$
 $= \frac{14.72}{2.44}$
 $= 6.04$

Calculated K_b is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$K_b = 6910 \times N'^{0.406} = 6910 \times 6.04^{0.406} = 14339 \text{ kN/m}^3$

K_b (normal condition) = 14339 kNm³

5-3 Seismic Condition

$K_b = 15623 \text{ kNm}^3$ is set tentatively:

$\beta = \sqrt[4]{\frac{K_b \cdot B}{4 E I}}$
 $= 0.419 \text{ m}^{-1}$

$L = \frac{1}{\beta} = 2.39 \text{ m}$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.44 m) to 2.39 m depth (GL -6.83 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)	
		upper	lower		
1	4.44	0.80	3.6	6.0	3.82
2	5.24	1.39	6.0	11.6	13.97

L = 2h = 2.39 ΣA = 17.79

A (upper N-value + lower N-value) × h/2

Average N-value $N' = \frac{\Sigma A}{L}$
 $= \frac{17.79}{2.39}$
 $= 7.46$

Calculated K_b is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following:

$K_b = 6910 \times N'^{0.406} = 6910 \times 7.46^{0.406} = 15623 \text{ kN/m}^3$

K_b (seismic condition) = 15623 kNm³

Arbitrary load lateral load $P_l = 8.3 \text{ kNm}$
 depth to acting position $H_a = -0.22 \text{ m}$
 moment $M_m = 0.0 \text{ kN-m/m}$
 depth to acting position $H_m = 0.00 \text{ m}$
 Height from riverbed to top of coping $H = 2.60 \text{ m}$
 Depth of imaginary riverbed from riverbed $L_a = 1.84 \text{ m}$

Moment M_0 by arbitrary load is as below
 $M_0 = P_l \cdot (H + L_a - H_a) + M_m = 38.72 \text{ kN-m}$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{dw} (kNm ³)	Load P (kN)	Arm length Y (m)	Moment M_{dw} (kNm)
1	2.10-2.60	0.50	0.0 0.9	0.00 0.21	2.18 2.01	0.00 0.43

$\Sigma P_{dw} = 0.21$ $\Sigma M_{dw} = 0.43$

h_0 Height of acting position of P_0 from imaginary riverbed

$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_l + \Sigma M_{dw}}{\Sigma P + P_l + \Sigma P_{dw}}$
 $= \frac{305.99}{124.44} = 2.46 \text{ m}$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000 \text{ m}$
 Corrosion margin $t_1 = 1.00 \text{ mm (active side)}$ $t_2 = 1.00 \text{ mm (passive side)}$
 Corrosion rate $\eta = 0.92$
 Section efficiency $\mu = 0.80$
 Young's modulus $E = 200000 \text{ N/mm}^2$
 Inertia sectional moment $I_0 = 86000 \text{ cm}^4$ (original condition)
 $I = 63296 \text{ cm}^4$ (after reduction by corrosion and section)
 $EI = 200000 \times 10^3 \times 63296 \times 10^8 = 1.266 \times 10^8$

$\beta = \sqrt[4]{\frac{K_b \cdot B}{4 E I}}$

$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$

$M_{max} = M_0 \cdot \phi_a$

$1_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$

$1_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$

$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Height h_0

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kNm ³)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.60	8.11 42.53	10.54 55.29	3.11 2.24	32.75 123.78
2	2.60-3.97	42.53 0.00	29.18 0.00	0.91 0.46	26.70 0.00

$\Sigma P = 95.01$ $\Sigma M = 183.23$

P_0 : active earth pressure + residual water pressure - passive earth pressure
 P_l : load $P_l \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_l = 2.2 \text{ kNm}$
 depth to acting position $H_a = -0.40 \text{ m}$
 moment $M_m = 0.0 \text{ kN-m/m}$
 depth to acting position $H_m = 0.00 \text{ m}$
 Height from riverbed to top of coping $H = 2.60 \text{ m}$
 Depth of imaginary riverbed from riverbed $L_a = 1.37 \text{ m}$

Moment M_0 by arbitrary load is as below
 $M_0 = P_l \cdot (H + L_a - H_a) + M_m = 9.62 \text{ kN-m}$

h_0 Height of acting position of P_0 from imaginary riverbed

$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_l}{\Sigma P + P_l}$
 $= \frac{192.85}{97.21} = 1.98 \text{ m}$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P_s (kNm ³)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	10.27 41.54	10.79 43.41	3.74 3.04	40.40 132.17
2	2.10-2.60	41.34 43.84	10.34 10.96	2.18 2.01	22.51 22.04
3	2.60-4.24	43.84 4.86	35.95 3.99	1.30 0.75	46.66 3.00
4	4.24-4.44	4.86 0.00	0.50 0.00	0.14 0.07	0.07 0.00

$\Sigma P = 115.93$ $\Sigma M = 266.84$

P_0 : active earth pressure + residual water pressure - passive earth pressure
 P_l : load $P_l \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

6-2-1 Normal Condition

modulus of lateral subgrade reaction $K_b = 14339 \text{ kNm}^3$
 calculated value $\beta = 0.41022 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 97.21 \text{ kNm}$
 height of acting position of load $h_0 = 1.98 \text{ m}$
 moment $M_0 = 192.85 \text{ kN-m/m}$

in consideration of $\psi_{0a} = 1.201$,
 maximum moment $M_{max} = 231.56 \text{ kN-m/m}$
 depth of generated position of M_{max} $1_m = 0.886 \text{ m}$
 depth of 1st fixed point $1_i = 2.801 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction $K_b = 15623 \text{ kNm}^3$
 calculated value $\beta = 0.41911 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 124.44 \text{ kNm}$
 height of acting position of load $h_0 = 2.46 \text{ m}$
 moment $M_0 = 305.99 \text{ kN-m/m}$

in consideration of $\psi_{0a} = 1.139$,
 maximum moment $M_{max} = 348.64 \text{ kN-m/m}$
 depth of generated position of M_{max} $1_m = 0.753 \text{ m}$
 depth of 1st fixed point $1_i = 2.627 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as followings:

Corrosion margin	t _c	=	1.00 mm (active side)	t _v	=	1.00 mm (massive side)
Corrosion rate	n	=	0.92			
Section efficiency	u	=	1.00			
Module of section	Z _o	=	3820 cm ³ (original condition)			
	Z	=	3514 cm ³ (after reduction by corrosion and section)			

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{231.56 \times 10^6}{3514 \times 10^3} = 66 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2$$

6-3-2 Seismic Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{348.64 \times 10^6}{3514 \times 10^3} = 99 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2$$

6-4 Displacement

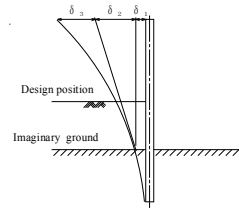
6-4-1 Normal Condition

Modulus of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)	
1	0.00~2.60	3.11 2.24	0.782 0.864	0.226 0.129	10.54 55.29	2.383 7.132
2	2.60~3.97	0.91 0.46	0.230 0.115	0.024 0.006	29.18 0.00	0.715 0.000
$\Sigma Q = 10.229$						

Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_1}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L₁ : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1 + 0.4102 \times 1.98) \times 97.21}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4102^3} = 0.01009 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_1) = \frac{(1 + 2 \times 0.4102 \times 1.98) \times 97.21}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4102^2} \times (2.60 + 1.37) = 0.02382 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I} = \frac{10.23 \times (2.60 + 1.37)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00507 \text{ m}$$

Additional displacement δ'_3 generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta'_3 = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ'_3 is calculated as 0.00042 m in consideration of following values:

Height from imaginary riverbed to top of SSP: L = 3.97 m
 Horizontal load: P = 2.20
 Moment: M = 0.88

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.01009 + 0.02382 + 0.00548 = 0.03939 \text{ m} = 39.39 \text{ mm} \leq \delta_a = 50.00 \text{ mm}$$

Where
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)	
1	0.00~2.10	3.74 3.04	0.843 0.685	0.255 0.181	10.79 43.41	2.753 7.859
2	2.10~2.60	2.18 2.01	0.490 0.453	0.100 0.087	10.34 10.96	1.038 0.953
3	2.60~4.24	1.30 0.75	0.292 0.169	0.038 0.013	35.95 3.99	1.384 0.054
4	4.24~4.44	0.14 0.07	0.031 0.015	0.000 0.000	0.80 0.00	0.000 0.000
$\Sigma Q = 14.042$						

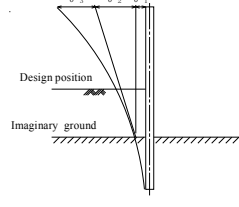
Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_1}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L₁ : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _{sw} (kN)	Q _{sw} (kN)
1	2.10~2.60	2.18 2.01	0.490 0.453	0.100 0.087	0.00 0.21	0.000 0.019
$\Sigma Q_{sw} = 0.019$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 14.042 + 0.019 = 14.060$

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1 + 0.4191 \times 2.46) \times 124.44}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4191^3} = 0.01356 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_1) = \frac{(1 + 2 \times 0.4191 \times 2.46) \times 124.44}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4191^2} \times (2.60 + 1.84) = 0.03807 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I} = \frac{14.06 \times (2.60 + 1.84)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00975 \text{ m}$$

Additional displacement δ'_3 generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta'_3 = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ'_3 is calculated as 0.00206 m in consideration of following values:

Height from imaginary riverbed to top of SSP: L = 4.44 m
 Horizontal load: P = 8.30
 Moment: M = 1.83

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.01356 + 0.03807 + 0.01181 = 0.06344 \text{ m} = 63.44 \text{ mm} \leq \delta_a = 75.00 \text{ mm}$$

Where
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B	=	1.0000 m
Corrosion rate	η	=	1.00
Section efficiency	μ	=	1.00
Young's modulus	E	=	200000 N/mm ²
Inertia sectional moment	I_0	=	860000 cm ⁴ (original condition)
	I	=	860000 cm ⁴ (after reduction by corrosion and section)
EI = 200000 x 10 ³ x 86000 x 10 ⁻⁸		=	1.720 x 10 ⁷

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as I_s , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_s + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = 4\sqrt{\frac{K_s \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	K_s	=	14339 kN/m ³
Calculated value	β	=	0.37995 m ⁻¹
Penetration length of SSP	D	=	$1.37 + \frac{3}{0.380} = 9.27$ m
Whole length of SSP	L	=	$2.60 - 0.40 + 9.27 = 11.47$ m

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	K_s	=	15623 kN/m ³
Calculated value	β	=	0.38819 m ⁻¹
Penetration length of SSP	D	=	$1.84 + \frac{3}{0.388} = 9.57$ m
Whole length of SSP	L	=	$2.60 - 0.40 + 9.57 = 11.77$ m

Therefore, whole length of SSP is set as 12.00 m in consideration of round unit of SSP length.

8 Calculation Result

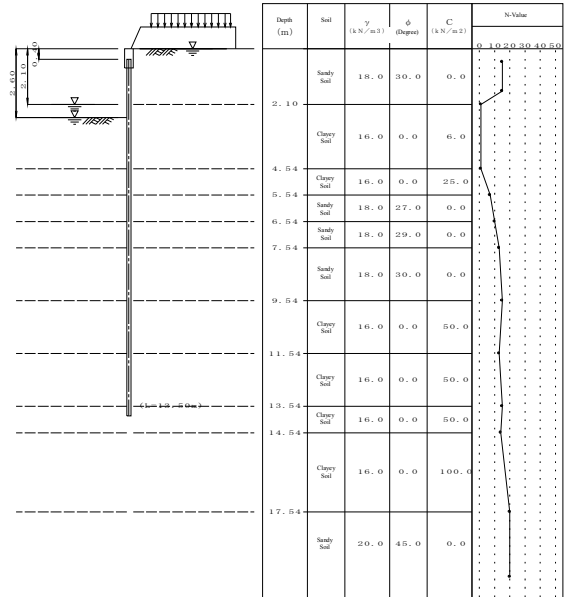
			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	860000		
Section modulus	Z (cm ³)	3820		
Maximum bending moment	M _{max} (kNm/m)		231.56	348.64
Stress intensity	σ (N/mm ²)		66 (180)	99 (270)
Lateral displacement	δ (mm)		39.39 (50.0)	63.44 (75.0)
Penetration depth	D (m)		9.27	9.57
Whole length of SSP	L (m)	12.00		

— Steel Sheet Pile Design Calculation —

Right Bank No. 10_STA_8+400 - 8+510

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H₀ = 0.00 m
 Depth from coping top to SSP top H_h = 0.40 m
 Landside WL L_w = 0.00 m (Normal Condition)
 Riverside WL L_w = 0.00 m (Seismic Condition)
 L_{wp} = 2.60 m (Normal Condition)
 L_{wp} = 2.10 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.10_pp.1

R_No.10_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition
 Design earthquake intensity k = 0.200
 Dynamic water pressure due to earthquake considered as distributed load
 Arbitrary load Horizontal load Pt = 2.2 kN/m (Normal Condition)
 Pt' = 8.3 kN/m (Seismic Condition)
 Depth of acting point Ht = -0.40 m (Normal Condition)
 Ht' = -0.22 m (Seismic Condition)
 Moment Mm = 0.0 kN·m/m (Normal Condition)
 Mm' = 0.0 kN·m/m (Seismic Condition)
 Depth of acting point Hm = 0.00 m (Seismic Condition)
 Hm = 0.00 m (Normal Condition)
 ('Depth' means distance from top of coping)

Wind load, Impact load not considered
 Minimum angle of rupture $\zeta_0 = 10 \text{ degrees}$
 Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$
 Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_{L0} = 6910 \times N^{0.406}$
 Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.50	15	11	14.54	14
2	1.60	15	12	17.54	20
3	2.10	1	13	20.00	20
4	4.54	1			
5	5.54	7			
6	6.54	10			
7	7.54	13			
8	9.54	15			
9	11.54	13			
10	13.54	15			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside
 Vertical load on riverside not considered

1-7 Soil Modulus

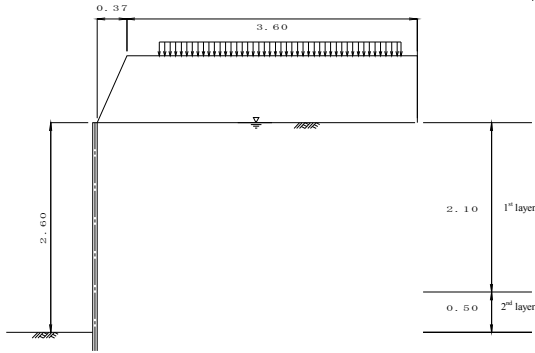
No	Depth (m)	Soil	N-value	γ (kNm ⁻³)	γ' (kNm ⁻³)	ϕ	C (kNm ⁻²)	a	k'	ζ (degree)		kh (kNm ⁻¹)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	4.54	C	1.0	16.00	6.00	0.0	6.0	0.0	0.200	auto	auto	—	—
3	5.54	C	7.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
4	6.54	S	10.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
5	7.54	S	13.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	—	—
6	9.54	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
7	11.54	C	13.0	16.00	8.00	0.0	50.0	0.0	0.200	auto	auto	—	—
8	13.54	C	15.0	16.00	8.00	0.0	50.0	0.0	0.200	auto	auto	—	—
9	14.54	C	14.0	16.00	8.00	0.0	50.0	0.0	0.200	auto	auto	—	—
10	17.54	C	20.0	16.00	8.00	0.0	100.0	0.0	0.200	auto	auto	—	—
11	20.00	S	20.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer C_a : soil adhesion
 soil : sandy (S), clayey (C), mixed (M) a : slope of soil adhesion
 N-value : average N-value in the layer k' : design seismic coefficient (underwater)
 γ : wet unit weight of soil ζ : angle of active rupture
 γ' : saturated unit weight of soil kh : modulus of subgrade reaction
 ϕ : internal friction angle of soil

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle φ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.37	3.97	3.97	0.83	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ²)	Seismic (kNm ²)
1	0.77	3.77	10.0	5.0

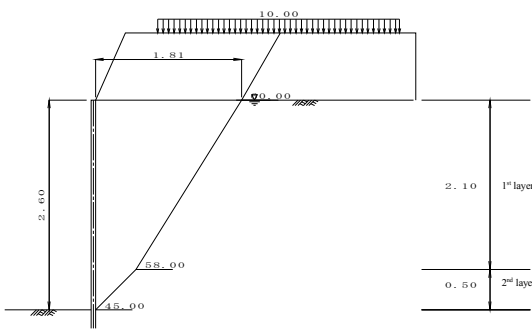
Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 154000 cm ⁴
Sectional factor	Z ₀ = 4160 cm ³
Corrosion margin	t ₁ = 1.00 mm (riverside) t ₂ = 1.00 mm (landside)
Corrosion rate (to I ₀)	η = 0.85
Corrosion rate (to Z ₀)	η = 0.87
Section efficiency (to I ₀)	μ = 1.00
Section efficiency (to Z ₀)	μ = 1.00
Round unit of SSP length	0.50 m
Allowable stress	σ _s = 185 N/mm ² (Normal) σ _s ' = 275 N/mm ² (Seismic)
Allowable displacement	δ _s = 50.0 mm (Normal) δ _s ' = 75.0 mm (Seismic)
Bending of cantilever beam	calculated as distributed load of each layer
Reduction of material modulus	Reduced: I ₀ applied to calculation of lateral coefficient of subgrade reaction Not reduced: I ₀ applied to calculation of penetration depth Reduced: I ₀ applied to calculation of section forces and displacement Reduced: Z ₀ applied to calculation of stresses

2 Calculation of Acting Load

2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m ²)	Σγh (kN/m ²)	Q (kN/m ²)	γwhw (kN/m ²)	Angle of rupture Z (degree)
1	2.60- 2.10	Clayey Soil	0.0	9.0	6.0	24.00	23.79	25.48	45.00
2	2.10- 0.00	Sandy Soil	30.0	9.0	0.0	21.00	23.79	20.58	58.00
3		Embankment	30.0	—	0.0	14.94	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since θ=0°

Where,

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- θ = tan⁻¹k or θ = tan⁻¹k'
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.50	0.00	0.00	0.50	0.50
2	58.00	2.10	0.50	0.50	1.81	2.60
3	60.00	0.83	1.81	2.60	2.29	3.43

Therefore, width of acting load shall be set as 1.81m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	γ X A (kNm)
1	18.0	1.55	27.89
Σ			27.89

γ : unit weight of embankment soil

A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kNm)
1	10.0	1.52	15.22
Σ			15.22

Q : surcharge load

l : width of surcharge load set by line of active rupture

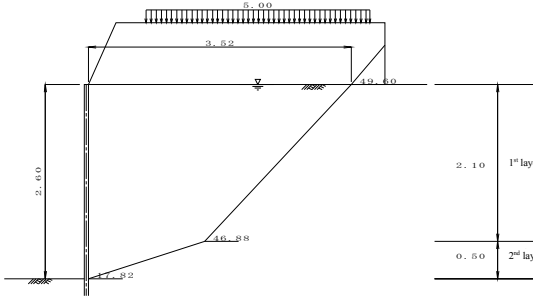
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{27.89 + 15.22 + 0.00}{1.81}$$

$$= 23.79 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma\gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wh} (kN/m ²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60- 2.10	Clayey Soil	0.0	9.0	6.0	24.00	19.71	25.48	0.200	11.31	17.82
2	2.10- 0.00	Sandy Soil	30.0	9.0	0.0	21.00	19.71	20.88	0.200	11.31	46.88
3		Embankment	30.0	—	0.0	14.94	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	17.82	0.50	0.00	0.00	1.56	0.50
2	46.88	2.10	1.56	0.50	3.52	2.60
3	49.60	0.53	3.52	2.60	3.97	3.13

Therefore, width of acting load shall be set as 3.52 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	3.02	54.42
Σ			54.42

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q x l (kN/m)
1	5.0	3.00	15.00
Σ			15.00

Q : surcharge load
l : width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

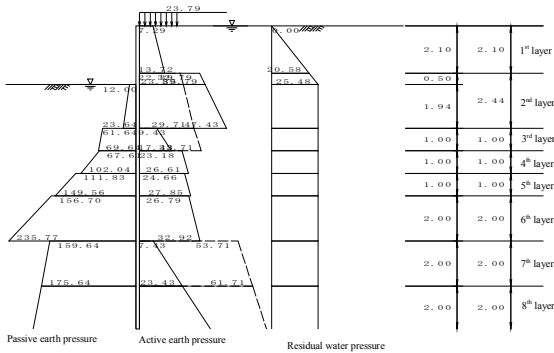
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{54.42 + 15.00 + 0.00}{3.52}$$

$$= 19.71 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_h$ (kN/m ²)	K_a	$K_a \times \cos\delta$
1	0.00- 2.10	Sandy soil	10.0	30.0	23.786	0.31026	0.30644
2	2.10- 2.60	Clayey soil	6.0	6.0	44.786	0.31026	0.30644
3	2.60- 4.54	Clayey soil	6.0	6.0	47.786	0.31026	0.30644
4	4.54- 5.54	Clayey soil	8.0	25.0	59.426	0.31026	0.30644
5	5.54- 6.54	Sandy soil	10.0	27.0	67.426	0.34800	0.34371
6	6.54- 7.54	Sandy soil	10.0	29.0	77.426	0.32248	0.31851
7	7.54- 9.54	Sandy soil	10.0	30.0	87.426	0.31026	0.30644
8	9.54- 11.54	Clayey soil	8.0	50.0	107.426	0.31026	0.30644
9	11.54- 13.54	Clayey soil	8.0	50.0	123.426	0.31026	0.30644
10	13.54- 14.54	Clayey soil	8.0	50.0	139.426	0.31026	0.30644
11	14.54- 17.54	Clayey soil	8.0	100.0	147.426	0.16323	0.16122
12	17.54- 20.00	Sandy soil	10.0	45.0	171.426	0.16323	0.16122

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below;

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(\phi - \beta)} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_h$ (kN/m ²)	K_p	$K_p \times \cos\delta$
3	2.60- 4.54	Clayey soil	6.0	6.0	0.000	11.640	—
4	4.54- 5.54	Clayey soil	8.0	25.0	11.640	19.640	—
5	5.54- 6.54	Sandy soil	10.0	27.0	19.640	3.48553	3.44261
6	6.54- 7.54	Sandy soil	10.0	29.0	29.640	3.82002	3.77299
7	7.54- 9.54	Sandy soil	10.0	30.0	39.640	4.00247	3.95319
8	9.54- 11.54	Clayey soil	8.0	50.0	59.640	—	—
9	11.54- 13.54	Clayey soil	8.0	50.0	75.640	—	—
10	13.54- 14.54	Clayey soil	8.0	50.0	91.640	—	—
11	14.54- 17.54	Clayey soil	8.0	100.0	99.640	—	—
12	17.54- 20.00	Sandy soil	10.0	45.0	123.640	8.86593	8.75678

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below;

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(\phi - \beta)} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side				Residual water pressure		Passive side
	P_{a1} (kN/m ²)	P_{a2} (kN/m ²)	P_u (kN/m ²)	P_w (kN/m ²)	P_p (kN/m ²)		
1	0.00- 2.10	7.29	13.72	7.29	0.00		
2	2.10- 2.60	32.79	22.39	32.79	20.88		
3	2.60- 4.54	35.79	23.89	35.79	25.48		
4	4.54- 5.54	47.43	29.71	47.43	25.48		
5	5.54- 6.54	23.18	26.61	23.18	25.48		
6	6.54- 7.54	24.66	27.85	24.66	25.48		

Depth (m)	Active side				Residual water pressure	Passive side
	Pa1 (kNm ²)	Pa2 (kNm ²)	Pa (kNm ²)	Pw (kNm ²)		
7 7.54-9.54	26.79 32.92	---	26.79 32.92	25.48 25.48	156.70 235.77	
8 9.54-11.54	7.43 23.43	53.71 61.71	53.71 61.71	25.48 25.48	159.64 175.64	
9 11.54-13.54	23.43 39.43	61.71 69.71	61.71 69.71	25.48 25.48	175.64 191.64	
10 13.54-14.54	39.43 47.43	69.71 73.71	69.71 73.71	25.48 25.48	191.64 199.64	
11 14.54-17.54	-52.57 -28.57	73.71 85.71	73.71 85.71	25.48 25.48	209.64 323.64	
12 17.54-20.00	27.64 31.60	---	27.64 31.60	25.48 25.48	1082.69 1298.10	

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\sum \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \sum \gamma h + Q - 2C$

$P_{a2} = K_a \cdot (\sum \gamma h + Q)$

K_a : Equilibrium coefficient of compression: 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\sum \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

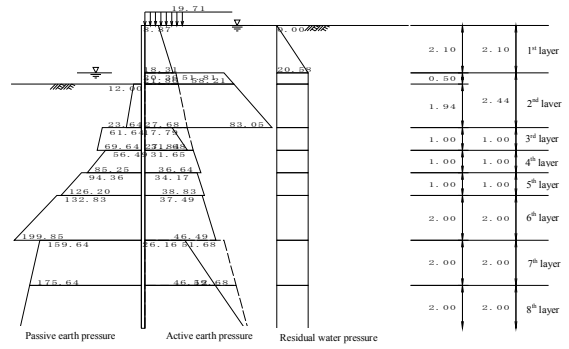
- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\sum \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \sum \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\sum \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\sum \gamma h + Q$ (kNm ²)	$\gamma_{sub} h$ (kNm ²)	k (k)	θ (degree)	K_a	$K_a > \cos \delta$	θ (degree)
1 0.00-2.10	Sandy Soil	10.0	30.0	---	19.71 40.71	0.00 20.58	0.200 0.200	11.31 11.31	0.45543 0.45543	0.44982 0.44982	---
2 2.10-2.60	Clayey Soil	6.0	---	6.0 6.0	40.71 43.71	20.58 25.48	0.200 0.200	11.31 11.31	---	---	10.00 10.00
3 2.60-4.54	Clayey Soil	6.0	---	6.0 6.0	43.71 55.35	25.48 44.49	0.200 0.200	11.31 11.31	---	---	10.00 10.00
4 4.54-5.54	Clayey Soil	8.0	---	25.0 25.0	55.35 63.35	44.49 54.29	0.200 0.200	11.31 11.31	---	---	39.91 39.25
5 5.54-6.54	Sandy Soil	10.0	27.0	---	63.35 73.35	54.29 64.09	0.200 0.200	11.31 11.31	0.50574 0.50574	0.49951 0.49951	---
6 6.54-7.54	Sandy Soil	10.0	29.0	---	73.35 83.35	64.09 73.89	0.200 0.200	11.31 11.31	0.47163 0.47163	0.46582 0.46582	---
7 7.54-9.54	Sandy Soil	10.0	30.0	---	83.35 103.35	73.89 93.49	0.200 0.200	11.31 11.31	0.45543 0.45543	0.44982 0.44982	---
8 9.54-11.54	Clayey Soil	8.0	---	50.0 50.0	103.35 113.09	93.49 113.09	0.200 0.200	11.31 11.31	---	---	40.97 40.35
9 11.54-13.54	Clayey Soil	8.0	---	50.0 50.0	113.09 135.35	113.09 132.69	0.200 0.200	11.31 11.31	---	---	40.35 39.71
10 13.54-13.78	Clayey Soil	8.0	---	50.0 50.0	135.35 137.26	132.69 137.26	0.200 ---	11.31 ---	---	---	39.71 ---
11 13.78-14.54	Clayey Soil	8.0	---	50.0 50.0	137.26 143.35	142.49 143.35	0.200 ---	11.31 ---	---	---	39.38 ---
12 14.54-17.19	Clayey Soil	8.0	---	100.0 100.0	143.35 164.59	142.49 164.59	0.200 ---	11.31 ---	---	---	42.45 ---
13 17.19-17.54	Clayey Soil	8.0	---	100.0 100.0	164.59 167.35	171.89 171.89	0.200 ---	11.31 ---	---	---	42.04 ---
14 17.54-20.00	Sandy Soil	10.0	45.0	---	167.35 191.95	171.89 196.00	0.200 0.200	11.31 11.31	0.26304 0.26304	0.25980 0.25980	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below;

$\delta = 9.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below;

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\sum \gamma h + Q_p$ (kNm ²)	$\gamma_{sub} h$ (kNm ²)	k (k)	θ (degree)	K_p	$K_p \times \cos \delta$
3 2.60-4.54	Clayey soil	6.00	0.0	6.0 6.0	0.000 11.640	0.00 19.01	0.200 0.200	11.31 11.31	---	---
4 4.54-5.54	Clayey soil	8.00	0.0	25.0 25.0	11.640 19.640	19.01 28.81	0.200 0.200	11.31 11.31	---	---
5 5.54-6.54	Sandy soil	10.00	27.0	---	19.640 29.640	28.81 38.61	0.200 0.200	11.31 11.31	2.91211 2.91211	2.87626 2.87626
6 6.54-7.54	Sandy soil	10.00	29.0	---	29.640 39.640	38.61 48.41	0.200 0.200	11.31 11.31	3.22324 3.22324	3.18356 3.18356
7 7.54-9.54	Sandy soil	10.00	30.0	---	39.640 59.640	48.41 68.01	0.200 0.200	11.31 11.31	3.39273 3.39273	3.35096 3.35096
8 9.54-11.54	Clayey soil	8.00	0.0	50.0 50.0	59.640 75.640	68.01 87.61	0.200 0.200	11.31 11.31	---	---
9 11.54-13.54	Clayey soil	8.00	0.0	50.0 50.0	75.640 91.640	87.61 107.21	0.200 0.200	11.31 11.31	---	---
10 13.54-13.78	Clayey soil	8.00	0.0	50.0 50.0	91.640 93.522	107.21 ---	0.200 ---	11.31 ---	---	---
11 13.78-14.54	Clayey soil	8.00	0.0	50.0 50.0	93.522 99.640	---	0.200 ---	11.31 ---	---	---
12 14.54-17.19	Clayey soil	8.00	0.0	100.0 100.0	99.640 120.873	117.01 ---	0.200 ---	11.31 ---	---	---
13 17.19-17.54	Clayey soil	8.00	0.0	100.0 100.0	120.873 123.640	146.41 ---	0.200 ---	11.31 ---	---	---
14 17.54-20.00	Sandy soil	10.00	45.0	---	123.640 148.240	146.41 170.52	0.200 0.200	11.31 11.31	7.92269 7.92269	7.82515 7.82515

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below;

$\delta = -9.00, \beta = 0.00, \theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side				Residual water pressure	Passive side
		Pa1 (kNm ²)	Pa2 (kNm ²)	Pa (kNm ²)	Pw (kNm ²)		
1	0.00-2.10	8.87 18.31	---	8.87 18.31	0.00 20.58	---	---

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\sum \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \sum \gamma h + Q - 2C$

$P_{a2} = K_a \cdot (\sum \gamma h + Q)$

K_a : Equilibrium coefficient of compression: 0.5

Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\sum \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\sum \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \sum \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\sum \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

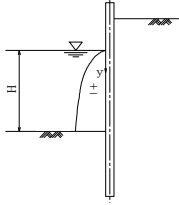
3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P _w (kNm ²)
1	2.10	0.00	0.00
2	2.60	0.50	0.86

$$p_{dw} = \pm \frac{7}{8} k_{hs} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

Where,

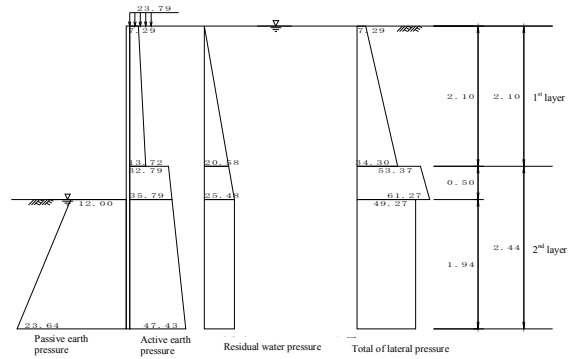
- k_{hs}: design seismic coefficient
- γ_w: unit weight of water
- H: water depth of riverside
- y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L_i is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1 0.00-2.10	7.29 13.72	0.00 20.58	— —	7.29 34.30
2 2.10-2.60	32.79 35.79	20.58 25.48	— —	53.37 61.27
3 2.60-4.54	35.79 47.43	25.48 25.48	12.00 23.64	49.27 49.27
4 4.54-5.54	29.71 33.71	25.48 25.48	61.64 69.64	-6.45 -10.45

- P_a: Active earth pressure
- P_w: Residual water pressure
- P_p: Passive earth pressure
- P_s: Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_i: 1.94 m (GL -4.54 m)

R_No. 10_pp.17

R_No. 10_pp.18

4-2 Seismic Condition

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below;

$$K_h = 6910 \times N^{0.006}$$

where,

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

- Unit width B = 1.0000 m
- Corrosion margin t₁ = 1.00 mm (active side)
- Corrosion rate η = 0.85
- Section efficiency μ = 1.00
- Young's modulus E = 200000 N/mm²
- Inertia sectional moment I₀ = 154000 cm⁴ (original condition)
- Inertia sectional moment I = 130900 cm⁴ (after reduction by corrosion and section)
- Inertia sectional moment EI = 200000 × 10³ × 130900 × 10⁻⁸ = 2.618 × 10⁷

Depth (m)	N-value	Depth (m)	N-value
1 0.50	15	11 14.54	14
2 1.60	15	12 17.54	20
3 2.10	1	13 20.00	20
4 4.54	1		
5 5.54	7		
6 6.54	10		
7 7.54	13		
8 9.54	15		
9 11.54	13		
10 13.54	15		

5-2 Normal Condition

K_h = 15867 kN/m³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.351 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.85 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.54 m) to 2.85 m depth (GL -7.39 m).

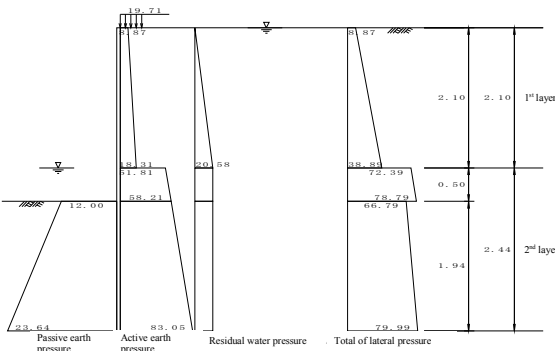
Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 4.54	1.00	1.0	7.0	4.00
2 5.54	1.00	7.0	10.0	8.50
3 6.54	0.85	10.0	12.6	9.59

$$L = \sum h = 2.85$$

$$\sum A = 22.09$$

$$A: (\text{upper N-value} + \text{lower N-value}) \times h/2$$

4-2 Seismic Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1 0.00-2.10	8.87 18.31	0.00 20.58	— —	8.87 38.89
2 2.10-2.60	51.81 58.21	20.58 20.58	— —	72.39 78.79
3 2.60-4.54	58.21 83.05	20.58 20.58	12.00 23.64	66.79 79.99
4 4.54-5.54	27.68 31.68	20.58 20.58	61.64 69.64	-13.38 -17.38

- P_a: Active earth pressure
- P_w: Residual water pressure
- P_p: Passive earth pressure
- P_s: Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_i: 1.94 m (GL -4.54 m)

R_No. 10_pp.19

R_No. 10_pp.20

$$\begin{aligned} \text{Average N-value } N' &= \frac{\sum A}{L} \\ &= \frac{22.09}{2.85} \\ &= 7.75 \end{aligned}$$

Calculated K_b is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_b = 6910 \times N'^{0.406} = 6910 \times 7.75^{0.406} = 15867 \text{ kN/m}^3$$

$$K_b \text{ (normal condition)} = 15867 \text{ kN/m}^3$$

5-3 Seismic Condition

$K_b = 15867 \text{ kN/m}^3$ is set tentatively.

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4EI}}$$

$$= 0.351 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.85 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.54 m) and 2.85 m depth (GL -7.39 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	4.54	1.00	7.0	4.00
2	5.54	1.00	10.0	8.50
3	6.54	0.85	10.0	9.29

$L = \sum h = 2.85$ $\sum A = 22.09$

A: (upper N-value + lower N-value) × h/2

$$\begin{aligned} \text{Average N-value } N' &= \frac{\sum A}{L} \\ &= \frac{22.09}{2.85} \\ &= 7.75 \end{aligned}$$

Calculated K_b is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_b = 6910 \times N'^{0.406} = 6910 \times 7.75^{0.406} = 15867 \text{ kN/m}^3$$

$$K_b \text{ (seismic condition)} = 15867 \text{ kN/m}^3$$

R_No. 10_pp.21

Arbitrary load lateral load $P_i = 8.3 \text{ kN/m}$
 depth to acting position $H_i = 0.22 \text{ m}$
 moment $M_m = 0.0 \text{ kN}\cdot\text{m/m}$
 depth to acting position $H_m = 0.00 \text{ m}$
 Height from riverbed to top of coping $H = 2.60 \text{ m}$
 Depth of Imaginary riverbed from riverbed $L_k = 1.94 \text{ m}$
 Moment M_i by arbitrary load is as below
 $M_i = P_i \cdot (H + L_k - H_i) + M_m = 39.51 \text{ kN}\cdot\text{m}$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{dw} (kN/m ²)	Load P_{dw} (kN)	Arm length Y (m)	Moment M_{dw} (kN·m)
1	2.10~2.60	0.50	0.0 0.9	0.00 0.21	2.27 2.11	0.00 0.45

$\sum P_{dw} = 0.21$ $\sum M_{dw} = 0.45$

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_i + \sum M_{dw}}{\sum P + P_i + \sum P_{dw}}$$

$$= \frac{420.54}{238.83} = 1.76 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as followings:

Unit width $B = 1.0000 \text{ m}$
 Corrosion margin $\nu = 1.00 \text{ mm (active side)}$ $t_2 = 1.00 \text{ mm (passive side)}$
 Corrosion rate $\eta = 0.85$
 Section efficiency $\mu = 1.00$
 Young's modulus $E = 200000 \text{ N/mm}^2$
 Inertia sectional moment $I_0 = 154000 \text{ cm}^4 \text{ (original condition)}$
 $I = 130900 \text{ cm}^4 \text{ (after reduction by corrosion and section)}$
 $EI = 200000 \times 10^8 \times 130900 \times 10^8 = 2.618 \times 10^9$

$$\beta = 4\sqrt{\frac{K_b \cdot B}{4EI}}$$

$$\phi_a = \frac{\sqrt{(1 + 2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1 + 2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$I_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1 + 2\beta h_0}$$

$$I_i = \frac{1}{\beta} \times \tan^{-1} \frac{1 + \beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1 + \beta h_0) \sin \beta x)$$

R_No. 10_pp.23

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~2.10	2.29 34.30	7.65 36.02	3.84 3.14	29.39 113.10
2	2.10~2.60	53.37 61.27	13.34 15.32	2.27 2.11	30.33 32.27
3	2.60~4.54	49.27 49.27	47.79 47.79	1.29 0.65	61.81 30.90

$\sum P = 167.91$ $\sum M = 297.79$

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_i = 2.2 \text{ kN/m}$
 depth to acting position $H_i = -0.40 \text{ m}$
 moment $M_m = 0.0 \text{ kN}\cdot\text{m/m}$
 depth to acting position $H_m = 0.00 \text{ m}$
 Height from riverbed to top of coping $H = 2.60 \text{ m}$
 Depth of Imaginary riverbed from riverbed $L_k = 1.94 \text{ m}$

Moment M_i by arbitrary load is as below
 $M_i = P_i \cdot (H + L_k - H_i) + M_m = 10.87 \text{ kN}\cdot\text{m}$

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_i}{\sum P + P_i}$$

$$= \frac{308.66}{170.11} = 1.81 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~2.10	8.87 38.89	9.31 40.84	3.84 3.14	35.75 128.23
2	2.10~2.60	72.39 78.79	18.10 19.70	2.27 2.11	41.14 41.50
3	2.60~4.54	66.79 79.99	64.78 77.59	1.29 0.65	83.79 50.18

$\sum P = 230.32$ $\sum M = 380.58$

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

R_No. 10_pp.22

6-2-1 Normal Condition

modulus of lateral subgrade reaction $K_b = 15867 \text{ kN/m}^3$
 calculated value $\beta = 0.35085 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 170.11 \text{ kN/m}$
 height of acting position of load $h_0 = 1.81 \text{ m}$
 moment $M_0 = 308.66 \text{ kN}\cdot\text{m/m}$

in consideration of $\psi_{0a} = 1.289$,
 maximum moment $M_{max} = 397.78 \text{ kN}\cdot\text{m/m}$
 depth of generated position of M_{max} $I_n = 1.181 \text{ m}$
 depth of 1° fixed point $I_i = 3.420 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction $K_b = 15867 \text{ kN/m}^3$
 calculated value $\beta = 0.35085 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 238.83 \text{ kN/m}$
 height of acting position of load $h_0 = 1.76 \text{ m}$
 moment $M_0 = 420.54 \text{ kN}\cdot\text{m/m}$

in consideration of $\psi_{0a} = 1.302$,
 maximum moment $M_{max} = 547.35 \text{ kN}\cdot\text{m/m}$
 depth of generated position of M_{max} $I_n = 1.199 \text{ m}$
 depth of 1° fixed point $I_i = 3.437 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as followings:

Corrosion margin $t_1 = 1.00 \text{ mm (active side)}$ $t_2 = 1.00 \text{ mm (passive side)}$
 Corrosion rate $\eta = 0.87$
 Section efficiency $\mu = 1.00$
 Module of section $Z_0 = 4160 \text{ cm}^3 \text{ (original condition)}$
 $Z = 3619 \text{ cm}^3 \text{ (after reduction by corrosion and section)}$

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{397.78 \times 10^6}{3619 \times 10^3} = 110 \text{ N/mm}^2 \leq \sigma_a = 185 \text{ N/mm}^2 \text{ (ok)}$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{547.35 \times 10^6}{3619 \times 10^3} = 151 \text{ N/mm}^2 \leq \sigma_a = 278 \text{ N/mm}^2 \text{ (ok)}$$

R_No. 10_pp.24

6-4 Displacement

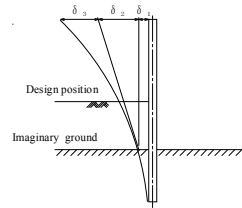
6-4-1 Normal Condition

Modules of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00- 2.10	3.84 3.14	0.846 0.692	0.257 0.184	7.65 36.02	1.966 6.629
2	2.10- 2.60	2.27 2.11	0.501 0.464	0.104 0.091	13.34 15.32	1.393 1.394
3	2.60- 4.54	1.29 0.65	0.285 0.142	0.037 0.010	47.79 47.79	1.755 0.462
$\Sigma Q = 13.999$						

- Y : Height from imaginary riverbed to acting position
- $\alpha : \alpha = \frac{Y}{H+L_k}$
- $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
- Q : $\zeta \times P$
- P : Lateral force
- H : Depth to design position
- L_k : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.3509 \times 1.81) \times 170.11}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8} \times 0.3509^3} = 0.01231 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_k)$$

$$= \frac{(1 + 2 \times 0.3509 \times 1.81) \times 170.11}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8} \times 0.3509^2} \times (2.60 + 1.94) = 0.02724 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_k)^3}{E I}$$

$$= \frac{13.60 \times (2.60 + 1.94)^3}{2.00 \times 10^8 \times 130900 \times 10^{-8}} = 0.00486 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00030 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.54 m
 Horizontal load: P = 2.20
 Moment: M = 0.88

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01231 + 0.02724 + 0.00516$$

$$= 0.04471 \text{ m}$$

$$= 44.71 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

- Where,
- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ : Displacement at top of SSP
- δ_a : Allowable displacement

6-4-2 Seismic Condition

Modules of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00- 2.10	3.84 3.14	0.846 0.692	0.257 0.184	9.31 40.84	2.391 7.516
2	2.10- 2.60	2.27 2.11	0.501 0.464	0.104 0.091	18.10 19.70	1.890 1.795
3	2.60- 4.54	1.29 0.65	0.285 0.142	0.037 0.010	64.78 77.59	2.379 0.750
$\Sigma Q = 16.719$						

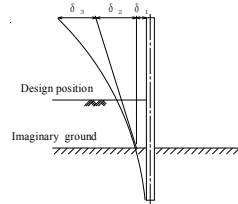
- Y : Height from imaginary riverbed to acting position
- $\alpha : \alpha = \frac{Y}{H+L_k}$
- $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
- Q : $\zeta \times P$
- P : Lateral force
- H : Depth to design position
- L_k : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	Q_{se} (kN)	Q_{sw} (kN)
1	2.10- 2.60	2.27 2.11	0.501 0.464	0.104 0.091	0.00 0.21	0.000 0.020
$\Sigma Q_{sw} = 0.020$						

Therefore, modulus of deformation Q is calculated as below:
 $Q = 16.719 + 0.020 = 16.738$

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.3509 \times 1.76) \times 238.83}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8} \times 0.3509^3} = 0.01709 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_k)$$

$$= \frac{(1 + 2 \times 0.3509 \times 1.76) \times 238.83}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8} \times 0.3509^2} \times (2.60 + 1.94) = 0.03761 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_k)^3}{E I}$$

$$= \frac{16.74 \times (2.60 + 1.94)^3}{2.00 \times 10^8 \times 130900 \times 10^{-8}} = 0.00598 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00106 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.54 m
 Horizontal load: P = 8.30
 Moment: M = 1.83

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01709 + 0.03761 + 0.00704$$

$$= 0.06174 \text{ m}$$

$$= 61.74 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

- Where,
- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ : Displacement at top of SSP
- δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below:

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 154000 cm ⁴ (original condition)
	I = 154000 cm ⁴ (after reduction by corrosion and section)
EI = 200000 × 10 ³ × 154000 × 10 ⁻⁸	= 3.080 × 10 ⁵

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_s, penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings:

$$D = L_s + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = 4\sqrt{\frac{K_s \cdot B}{4EI}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	K _s = 15867 kN/m ³
Calculated value	$\beta = 0.33688 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.94 + \frac{3}{0.337} = 10.85 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 10.85 = 13.05 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	K _s = 15867 kN/m ³
Calculated value	$\beta = 0.33688 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.94 + \frac{3}{0.337} = 10.85 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 10.85 = 13.05 \text{ m}$

Therefore, whole length of SSP is set as 13.50 m in consideration of round unit of SSP length.

8 Calculation Result

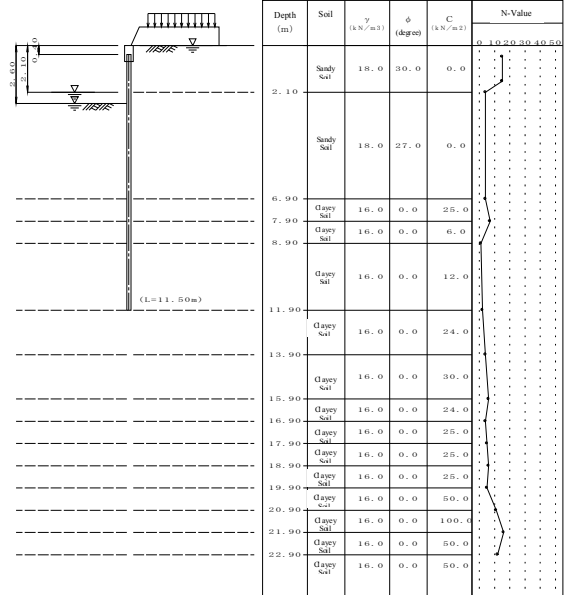
		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	154000	
Section modulus	Z (cm ³)	4160	
Maximum bending moment	M _{max} (kNm/m)	397.78	547.35
Stress intensity	σ (N/mm ²)	110 (185)	151 (278)
Lateral displacement	δ (mm)	44.71 (50.0)	61.74 (75.0)
Penetration depth	D (m)	10.85	10.85
Whole length of SSP	L (m)	13.50	

— Steel Sheet Pile Design Calculation —

Right Bank No. 11_STA 8+510 - 8+650

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



1-2 Dimensions of Structure

Depth from coping top to riverbed	H = 2.60 m
Depth from coping top to rear side ground	H _r = 0.00 m
Depth from coping top to SSP top	H _s = 0.40 m
Riverside WL	L _{rs} = 0.00 m (Normal Condition)
	L _{rs} ' = 0.00 m (Seismic Condition)
Landside WL	L _{lp} = 2.60 m (Normal Condition)
	L _{lp} ' = 2.10 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.11_pp.1

R_No.11_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula

$$\text{Penetration depth } L = \frac{3}{\beta}$$

1-4 Constant Numbers for Design

Unit weight of water	γ _w = 9.8 kN/m ³
Type of water pressure	trapezoidal water pressure
Lateral pressure	calculated in consideration of site conditions
Study case	- Normal Condition - Seismic Condition
Design earthquake intensity	k = 0.200
Dynamic water pressure due to earthquake	considered as distributed load

Arbitrary load	Horizontal load	Pt = 2.2 kNm (Normal Condition)
		Pt' = 8.4 kNm (Seismic Condition)
Depth of acting point	H = -0.40 m (Normal Condition)	
	H' = -0.22 m (Seismic Condition)	
Moment	Mm = 0.0 kNm/m (Normal Condition)	
	Mm' = 0.0 kNm/m (Seismic Condition)	
Depth of acting point	Hm' = 0.00 m (Seismic Condition)	
	Hm = 0.00 m (Normal Condition)	

(*Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture φ₀ = 10 degrees

Rear side angle of slope not considered

$$\text{Angle of rupture (clayey soil)} \zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

$$\text{Applied formula } K_b = 6910 \times N^{0.400}$$

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.50	15	11	17.90	5
2	1.60	15	12	18.90	6
3	2.10	4	13	19.90	5
4	6.90	4	14	20.90	11
5	7.90	7	15	21.90	16
6	8.90	1	16	22.90	12
7	11.90	2	17	23.90	13
8	13.90	4			
9	15.90	6			
10	16.90	4			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

No	Depth (m)	Soil	N-value	γ (kN/m ³)	γ' (kN/m ³)	φ	C (kN/m ²)	a	k'	ζ (degree)		kh (kNm ⁻¹)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	6.90	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
3	7.90	C	7.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
4	8.90	C	1.0	16.00	8.00	0.0	6.0	0.0	0.200	auto	auto	—	—
5	11.90	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
6	13.90	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
7	15.90	C	6.0	16.00	8.00	0.0	30.0	0.0	0.200	auto	auto	—	—
8	16.90	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
9	17.90	C	5.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
10	18.90	C	6.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
11	19.90	C	5.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
12	20.90	C	11.0	16.00	8.00	0.0	50.0	0.0	0.200	auto	auto	—	—
13	21.90	C	16.0	16.00	8.00	0.0	100.0	0.0	0.200	auto	auto	—	—
14	22.90	C	12.0	16.00	8.00	0.0	50.0	0.0	0.200	auto	auto	—	—
15	23.90	C	13.0	16.00	8.00	0.0	50.0	0.0	0.200	auto	auto	—	—

Note) depth: from top of coping to bottom of the layer
 soil: sandy (S), clayey (C), mixed (M)
 N-value: average N-value in the layer
 γ: wet unit weight of soil
 γ': saturated unit weight of soil
 φ: internal friction angle of soil
 C_c: soil adhesion
 a: slope of soil adhesion
 K': design seismic coefficient (under water)
 ζ: angle of active rupture
 kh: modulus of subgrade reaction

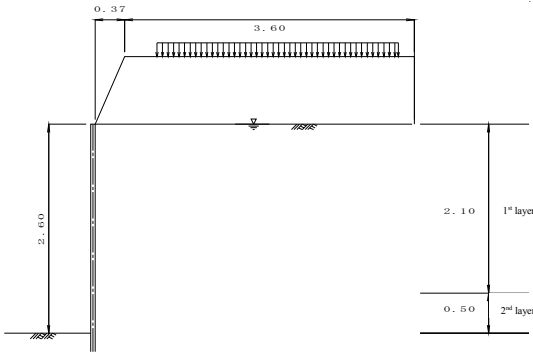
Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

R_No.11_pp.3

R_No.11_pp.4

1-8 Em bankment on Landside



Em bankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.37	3.97	3.97	0.84	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	0.77	3.77	10.0	5.0

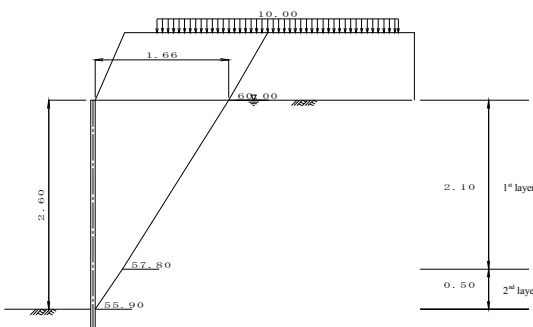
Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I ₀ = 86000 cm ⁴
Sectional factor	Z ₀ = 3820 cm ³
Corrosion margin	t ₁ = 1.00 mm (ri verside) t ₂ = 1.00 mm (landside)
Corrosion rate (to L ₀)	η = 0.92
Corrosion rate (to Z ₀)	η = 0.92
Section efficiency (to L ₀)	μ = 0.80
Section efficiency (to Z ₀)	μ = 1.00
Round unit of SSP length	0.50 m
Allowable stress	σ_a = 180 Nmm ² (Normal) σ_a' = 270 Nmm ² (Seismic)
Allowable displacement	δ_a = 50.0 mm (Normal) δ_a' = 75.0 mm (Seismic)
Bending of cantilever beam	calculated as distributed load of each layer
Reduction of material modulus	Reduced: I ₀ applied to calculation of lateral coefficient of subgrade reaction Not reduced: I ₀ applied to calculation of penetration depth Reduced: I ₀ applied to calculation of section forces and displacement Reduced: Z ₀ applied to calculation of stresses

2 Calculation of Acting Load

2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma w h w$ (kN/m ²)	Angle of rupture Z (degree)
1	2.60- 2.10	Sandy Soil	27.0	10.0	0.0	26.00	23.93	25.48	55.90
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	23.93	20.58	57.80
3		Embankment	30.0	—	0.0	15.12	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.0^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesive force of soil (kNm⁻²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	55.90	0.50	0.00	0.00	0.34	0.50
2	57.80	2.10	0.34	0.50	1.66	2.60
3	60.00	0.84	1.66	2.60	2.15	3.44

Therefore, width of acting load shall be set as 1.66 m

2-1-3 Acting Load by Em bankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	1.44	25.98
Σ			25.98

γ : unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.38	13.76
Σ			13.76

Q: surcharge load
l: width of surcharge load set by line of active rupture

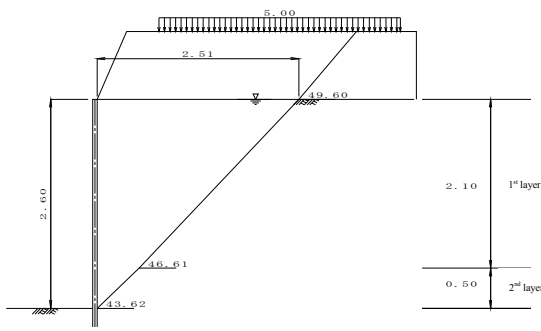
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{25.98 + 13.76 + 0.00}{1.66}$$

$$= 23.93 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.62	0.50	0.00	0.00	0.52	0.50
2	46.61	2.10	0.52	0.50	2.51	2.60
3	49.60	0.84	2.51	2.60	3.22	3.44

Therefore, width of acting load shall be set as 251 m

2-2-3 Acting Load by Imbankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.25	40.56
Σ			40.56

γ : unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q x l (kN/m)
1	5.0	2.45	12.27
Σ			12.27

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{40.56 + 12.27 + 0.00}{2.51}$$

$$= 21.05 \text{ kN/m}^2$$

2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wh} (kN/m ²)	k (k ²)	θ (degree)	Angle of rupture Z (degree)
1	2.60- 2.10	Sandy Soil	27.0	10.0	0.0	26.00	21.05	25.48	0.200	11.31	43.62
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	21.05	20.58	0.200	11.31	46.61
3		Embankment	30.0	—	0.0	15.12	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

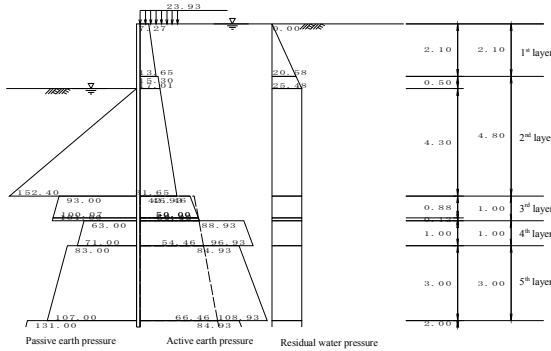
$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h: thickness of layer (m)
- Q: surcharge load (kN/m²)
- C: cohesive force of soil (kN/m²)

3 Lateral Pressure

3-1 Normal Condition



Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_h$ (kN/m)	K_a	$K_a \times \cos \delta$
14	19.90- 20.28	Clayey soil	8.0	—	50.0	196.927	200.000
15	20.28- 20.90	Clayey soil	8.0	—	50.0	200.000	204.927
16	20.90- 21.90	Clayey soil	8.0	—	100.0	204.927	212.927
17	21.90- 22.90	Clayey soil	8.0	—	50.0	212.927	220.927
18	22.90- 23.90	Clayey soil	8.0	—	50.0	220.927	228.927

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \theta - \beta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_h$ (kN/m)	K_p	$K_p \times \cos \delta$
3	2.60- 6.90	Sandy soil	10.0	27.0	—	0.000	3.59892
4	6.90- 7.78	Clayey soil	8.0	0.0	25.0	43.000	50.073
5	7.78- 7.90	Clayey soil	8.0	0.0	25.0	50.073	51.000
6	7.90- 8.90	Clayey soil	8.0	0.0	6.0	51.000	59.000
7	8.90- 11.90	Clayey soil	8.0	0.0	12.0	59.000	83.000
8	11.90- 13.90	Clayey soil	8.0	0.0	24.0	83.000	99.000
9	13.90- 15.90	Clayey soil	8.0	0.0	30.0	99.000	115.000
10	15.90- 16.90	Clayey soil	8.0	0.0	24.0	115.000	123.000
11	16.90- 17.90	Clayey soil	8.0	0.0	25.0	123.000	131.000
12	17.90- 18.90	Clayey soil	8.0	0.0	25.0	131.000	139.000
13	18.90- 19.90	Clayey soil	8.0	0.0	25.0	139.000	147.000
14	19.90- 20.28	Clayey soil	8.0	0.0	50.0	147.000	150.073
15	20.28- 20.90	Clayey soil	8.0	0.0	50.0	150.073	155.000
16	20.90- 21.90	Clayey soil	8.0	0.0	100.0	155.000	163.000
17	21.90- 22.90	Clayey soil	8.0	0.0	50.0	163.000	171.000
18	22.90- 23.90	Clayey soil	8.0	0.0	50.0	171.000	179.000

3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_h$ (kN/m)	K_a	$K_a \times \cos \delta$
1	0.00- 2.10	Sandy soil	10.0	30.0	—	23.927	0.30847
2	2.10- 2.60	Sandy soil	10.0	27.0	—	44.927	0.34585
3	2.60- 6.90	Sandy soil	10.0	27.0	—	49.927	0.34585
4	6.90- 7.78	Clayey soil	8.0	—	25.0	92.927	100.000
5	7.78- 7.90	Clayey soil	8.0	—	25.0	100.927	—
6	7.90- 8.90	Clayey soil	8.0	—	6.0	100.927	—
7	8.90- 11.90	Clayey soil	8.0	—	12.0	108.927	—
8	11.90- 13.90	Clayey soil	8.0	—	24.0	132.927	—
9	13.90- 15.90	Clayey soil	8.0	—	30.0	148.927	—
10	15.90- 16.90	Clayey soil	8.0	—	24.0	164.927	—
11	16.90- 17.90	Clayey soil	8.0	—	25.0	172.927	—
12	17.90- 18.90	Clayey soil	8.0	—	25.0	180.927	—
13	18.90- 19.90	Clayey soil	8.0	—	25.0	188.927	—

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = -10.0\%$ $\beta = 0.00$ $\theta = 0.00$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side				Residual water pressure	Passive side
	Pa1 kNm ²	Pa2 kNm ²	Pb kNm ²	Pw kNm ²		
1	0.00-2.10	7.27 13.65	---	7.27 13.65	0.00 20.58	---
2	2.10-2.60	15.30 17.01	---	15.30 17.01	20.58 25.48	---
3	2.60-6.90	17.01 31.65	---	17.01 31.65	25.48 25.48	0.00 152.40
4	6.90-7.78	42.93 50.00	46.46 50.00	46.46 50.00	25.48 25.48	93.00 100.07
5	7.78-7.90	50.00 50.93	50.00 50.46	50.00 50.93	25.48 25.48	100.07 101.00
6	7.90-8.90	88.93 96.93	50.46 54.46	88.93 96.93	25.48 25.48	63.00 71.00
7	8.90-11.90	84.93 108.93	54.46 66.46	84.93 108.93	25.48 25.48	83.00 107.00
8	11.90-13.90	84.93 100.93	66.46 74.46	84.93 100.93	25.48 25.48	131.00 147.00
9	13.90-15.90	88.93 104.93	74.46 82.46	88.93 104.93	25.48 25.48	159.00 175.00
10	15.90-16.90	116.93 124.93	82.46 86.46	116.93 124.93	25.48 25.48	163.00 171.00
11	16.90-17.90	122.93 130.93	86.46 90.46	122.93 130.93	25.48 25.48	173.00 181.00
12	17.90-18.90	130.93 138.93	90.46 94.46	130.93 138.93	25.48 25.48	181.00 189.00
13	18.90-19.90	138.93 146.93	94.46 98.46	138.93 146.93	25.48 25.48	189.00 197.00
14	19.90-20.28	96.93 100.00	98.46 100.00	98.46 100.00	25.48 25.48	247.00 250.07
15	20.28-20.90	100.00 104.93	100.00 102.46	100.00 104.93	25.48 25.48	250.07 255.00
16	20.90-21.90	4.93 12.93	102.46 106.46	102.46 106.46	25.48 25.48	355.00 363.00
17	21.90-22.90	112.93 120.93	106.46 110.46	112.93 120.93	25.48 25.48	263.00 271.00
18	22.90-23.90	120.93 128.93	110.46 114.46	120.93 128.93	25.48 25.48	271.00 279.00

Formula for active earth pressure

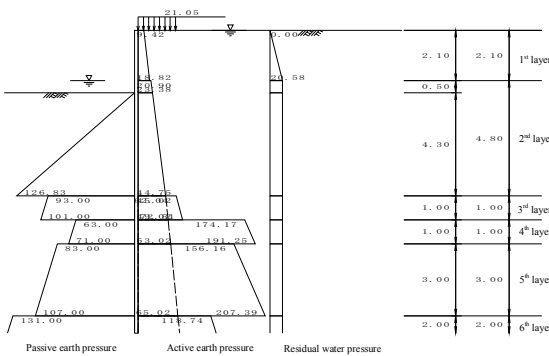
Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q$ (kNm ²)	γ_{whw} (kNm ²)	k (k)	θ (degree)	K_a	$K_a \times \cos \delta$	ζ (degree)
1	0.00-2.10	Sandy Soil	10.0	30.0	---	21.05 42.05	0.00 20.58	0.200 0.200	11.31 11.31	0.45442 0.44752	---
2	2.10-2.60	Sandy Soil	10.0	27.0	---	42.05 47.05	20.58 25.48	0.200 0.200	11.31 11.31	0.50461 0.49695	---
3	2.60-6.90	Sandy Soil	10.0	27.0	---	47.05 90.05	25.48 67.62	0.200 0.200	11.31 11.31	0.50461 0.49695	---
4	6.90-7.90	Clayey Soil	8.0	---	25.0 25.0	90.05 98.05	67.62 77.42	0.200 0.200	11.31 11.31	---	36.70 35.89
5	7.90-8.90	Clayey Soil	8.0	---	6.0 6.0	98.05 106.05	77.42 87.22	0.200 0.200	11.31 11.31	---	10.00 10.00
6	8.90-11.90	Clayey Soil	8.0	---	12.0 12.0	106.05 130.05	87.22 116.62	0.200 0.200	11.31 11.31	---	10.00 10.00
7	11.90-13.90	Clayey Soil	8.0	---	24.0 24.0	130.05 146.05	116.62 136.22	0.200 0.200	11.31 11.31	---	31.33 28.86
8	13.90-15.90	Clayey Soil	8.0	---	30.0 30.0	146.05 162.05	136.22 155.82	0.200 0.200	11.31 11.31	---	33.65 31.97
9	15.90-16.90	Clayey Soil	8.0	---	24.0 24.0	162.05 170.05	155.82 165.62	0.200 0.200	11.31 11.31	---	25.96 24.29
10	16.90-17.90	Clayey Soil	8.0	---	25.0 25.0	170.05 178.05	165.62 175.42	0.200 0.200	11.31 11.31	---	25.89 24.29
11	17.90-18.90	Clayey Soil	8.0	---	25.0 25.0	178.05 186.05	175.42 185.22	0.200 0.200	11.31 11.31	---	24.29 22.50
12	18.90-19.90	Clayey Soil	8.0	---	25.0 25.0	186.05 194.05	185.22 195.02	0.200 0.200	11.31 11.31	---	22.50 20.49
13	19.90-20.90	Clayey Soil	8.0	---	30.0 30.0	194.05 202.05	195.02 204.82	0.200 0.200	11.31 11.31	---	37.05 36.66

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q$ (kNm ²)	γ_{whw} (kNm ²)	k (k)	θ (degree)	K_a	$K_a \times \cos \delta$	ζ (degree)
14	20.90-21.90	Clayey Soil	8.0	---	100.0 100.0	202.05 210.05	204.82 214.62	0.200 0.200	11.31 11.31	---	41.39 41.25
15	21.90-22.90	Clayey Soil	8.0	---	50.0 50.0	210.05 218.05	214.62 224.42	0.200 0.200	11.31 11.31	---	36.25 35.84
16	22.90-23.90	Clayey Soil	8.0	---	50.0 50.0	218.05 226.05	224.42 234.22	0.200 0.200	11.31 11.31	---	35.84 35.42

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = -10.0\%$ $\beta = 0.00$ $\theta = \tan k$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q_p$ (kNm ²)	γ_{whw} (kNm ²)	k (k)	θ (degree)	K_p	$K_p \times \cos \delta$
3	2.60-6.90	Sandy soil	10.00	27.0	---	0.000 43.000	0.00 42.14	0.200 0.200	11.31 11.31	2.94948 2.94948
4	6.90-7.90	Clayey soil	8.00	0.0	25.0 25.0	43.000 51.000	42.14 51.94	0.200 0.200	11.31 11.31	---
5	7.90-8.90	Clayey soil	8.00	0.0	6.0 6.0	51.000 59.000	51.94 61.74	0.200 0.200	11.31 11.31	---
6	8.90-11.90	Clayey soil	8.00	0.0	12.0 12.0	59.000 83.000	61.74 91.14	0.200 0.200	11.31 11.31	---
7	11.90-13.90	Clayey soil	8.00	0.0	24.0 24.0	83.000 99.000	91.14 110.74	0.200 0.200	11.31 11.31	---
8	13.90-15.90	Clayey soil	8.00	0.0	30.0 30.0	99.000 115.000	110.74 130.34	0.200 0.200	11.31 11.31	---
9	15.90-16.90	Clayey soil	8.00	0.0	24.0 24.0	115.000 123.000	130.34 140.14	0.200 0.200	11.31 11.31	---
10	16.90-17.90	Clayey soil	8.00	0.0	25.0 25.0	123.000 131.000	140.14 149.94	0.200 0.200	11.31 11.31	---
11	17.90-18.90	Clayey soil	8.00	0.0	25.0 25.0	131.000 139.000	149.94 159.74	0.200 0.200	11.31 11.31	---
12	18.90-19.90	Clayey soil	8.00	0.0	25.0 25.0	139.000 147.000	159.74 169.54	0.200 0.200	11.31 11.31	---
13	19.90-20.90	Clayey soil	8.00	0.0	50.0 50.0	147.000 155.000	169.54 179.34	0.200 0.200	11.31 11.31	---
14	20.90-21.90	Clayey soil	8.00	0.0	100.0 100.0	155.000 163.000	179.34 189.14	0.200 0.200	11.31 11.31	---
15	21.90-22.90	Clayey soil	8.00	0.0	50.0 50.0	163.000 171.000	189.14 198.94	0.200 0.200	11.31 11.31	---
16	22.90-23.90	Clayey soil	8.00	0.0	50.0 50.0	171.000 179.000	198.94 208.74	0.200 0.200	11.31 11.31	---

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = -10.00$ $\beta = 0.00$ $\theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure Pw kNm ²	Passive side Pp kNm ²
		Pa1 kNm ²	Pa2 kNm ²	Pa kNm ²		
1	0.00-2.10	9.42 18.82	—	9.42 18.82	0.00 20.58	—
2	2.10-2.60	20.90 23.38	—	20.90 23.38	20.58 20.58	—
3	2.60-6.90	23.38 44.75	—	23.38 44.75	20.58 20.58	0.00 126.83
4	6.90-7.90	62.04 72.51	45.02 49.02	62.04 72.51	20.58 20.58	93.00 101.00
5	7.90-8.90	174.17 191.25	49.02 53.02	174.17 191.25	20.58 20.58	63.00 71.00
6	8.90-11.90	156.16 207.39	53.02 65.02	156.16 207.39	20.58 20.58	83.00 107.00
7	11.90-13.90	118.74 142.27	65.02 73.02	118.74 142.27	20.58 20.58	131.00 147.00
8	13.90-15.90	124.89 147.18	73.02 81.02	124.89 147.18	20.58 20.58	159.00 175.00
9	15.90-16.90	167.63 181.39	81.02 85.02	167.63 181.39	20.58 20.58	163.00 171.00
10	16.90-17.90	176.47 190.28	85.02 89.02	176.47 190.28	20.58 20.58	173.00 181.00
11	17.90-18.90	190.28 205.17	89.02 93.02	190.28 205.17	20.58 20.58	181.00 189.00
12	18.90-19.90	205.17 221.67	93.02 97.02	205.17 221.67	20.58 20.58	189.00 197.00
13	19.90-20.90	141.48 151.95	97.02 101.02	141.48 151.95	20.58 20.58	247.00 255.00
14	20.90-21.90	46.30 56.23	101.02 105.02	46.30 56.23	20.58 20.58	355.00 363.00
15	21.90-22.90	162.49 173.08	105.02 109.02	162.49 173.08	20.58 20.58	263.00 271.00
16	22.90-23.90	173.08 183.75	109.02 113.02	173.08 183.75	20.58 20.58	271.00 279.00

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)
 Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

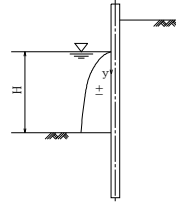
3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	Pw (kNm ²)
1	2.10	0.00	0.00
2	2.60	0.50	0.86

$$P_w = \pm \frac{7}{8} k_{ws} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

Where

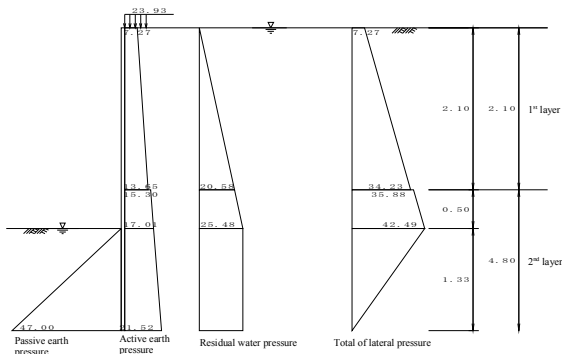
- k_{ws} : design seismic coefficient
- γ_w : unit weight of water
- H: water depth of riverside
- y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level I_k is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

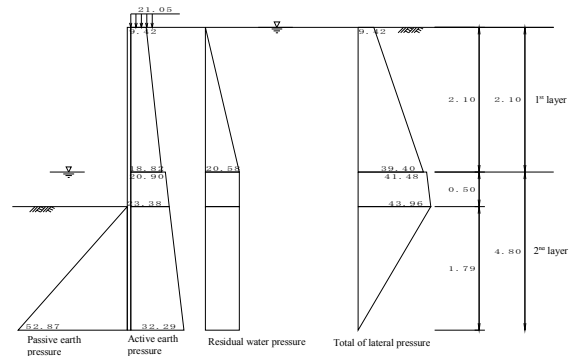


Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1	7.27 13.65	0.00 20.58	—	7.27 34.23
2	15.30 17.01	20.58 25.48	—	35.88 42.49
3	17.01 21.52	25.48 25.48	0.00 47.00	42.49 0.00
4	21.52 31.65	25.48 25.48	47.00 152.40	0.00 -95.27

- P_a : Active earth pressure
- P_w : Residual water pressure
- P_p : Passive earth pressure
- P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Tentative imaginary riverbed I_k : 1.33 m (CL -3.93 m)

4-2 Seismic Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1	9.42 18.82	0.00 20.58	—	9.42 39.40
2	20.90 23.38	20.58 20.58	—	41.48 43.96
3	23.38 32.29	20.58 20.58	0.00 20.58	43.96 0.00
4	43.96 44.75	20.58 20.58	52.87 126.83	0.00 -61.50

- P_a : Active earth pressure
- P_w : Residual water pressure
- P_p : Passive earth pressure
- P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Tentative imaginary riverbed I_k : 1.79 m (CL -4.39 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below

$$K_s = 6910 \times N^{0.606}$$

where,

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4EI}}$$

Unit width B = 1.0000 m
 Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.92
 Section efficiency μ = 0.80
 Young's modulus E = 200000 Nmm²
 Inertia sectional moment I₀ = 86000 cm⁴ (original condition)
 I = 63296 cm⁴ (after reduction by corrosion on section)
 Inertia sectional moment EI = 200000 x 10³ x 63296 x 10⁸ = 1.266 x 10¹⁷

Depth Z (m)	N-value	Depth Z (m)	N-value
1	0.50	11	17.90
2	1.60	12	18.90
3	2.10	13	19.90
4	6.90	14	20.90
5	7.90	15	21.90
6	8.90	16	22.90
7	11.90	17	23.90
8	13.90		
9	15.90		
10	16.90		

5-2 Normal Condition

K_s = 12131 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4EI}} = 0.393 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.54 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (CL - 3.93 m) to 2.54 m depth (CL - 6.47 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	3.93	2.54	4.0	10.17

L = 2h = 2.54 ΣA = 10.17

$$A (\text{upper N-value} + \text{lower N-value}) \times h/2$$

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{10.17}{2.54} = 4.00$$

Calculated K_s is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following

$$K_s = 6910 \times N^{0.606} = 6910 \times 4.00^{0.606} = 12131 \text{ kN/m}^3$$

$$K_s (\text{normal condition}) = 12131 \text{ kNm}^3$$

5-3 Seismic Condition

K_s = 12132 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4EI}} = 0.393 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.54 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (CL - 4.39 m) to 2.34 m depth (CL - 6.74 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	4.39	2.51	4.0	10.03
2	6.90	0.03	4.0	0.14

L = 2h = 2.54 ΣA = 10.17

$$A (\text{upper N-value} + \text{lower N-value}) \times h/2$$

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{10.17}{2.54} = 4.00$$

Calculated K_s is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following

$$K_s = 6910 \times N^{0.606} = 6910 \times 4.00^{0.606} = 12132 \text{ kN/m}^3$$

$$K_s (\text{seismic condition}) = 12132 \text{ kNm}^3$$

R_No. 11_pp.21

R_No. 11_pp.22

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Height h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P ₀ (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	7.27 34.23	7.63 35.94	3.23 2.53	24.62 90.79
2	2.10-2.60	35.88 42.49	8.97 10.62	1.66 1.49	14.89 15.86
3	2.60-3.93	42.49 0.00	28.17 0.00	0.88 0.44	24.91 0.00
		ΣP = 91.33			ΣM = 171.06

P : active earth pressure + residual water pressure - passive earth pressure
 P₀ : load P₀ x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P₀ = 2.2 kNm
 depth to acting position H = -0.40 m
 moment M₀ = 0.0 kNm-m/m
 height from riverbed to top of coping H₀ = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed L₀ = 1.33 m

Moment M₀ by arbitrary load is as below
 M₀ = P₀ · (H + L₀ - H) + M₀ = 9.52 kN-m

h₀ : Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{180.58}{93.53} = 1.93 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P ₀ (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	9.42 39.40	9.89 41.37	3.69 2.99	36.52 123.79
2	2.10-2.60	41.48 43.96	10.37 10.99	2.13 1.96	22.04 21.53
3	2.60-4.39	43.96 0.00	39.40 0.00	1.19 0.60	47.08 0.00
		ΣP = 112.02			ΣM = 280.96

P : active earth pressure + residual water pressure - passive earth pressure
 P₀ : load P₀ x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P₀ = 8.4 kNm
 depth to acting position H = -0.22 m
 moment M₀ = 0.0 kNm-m/m
 height from riverbed to top of coping H₀ = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed L₀ = 1.79 m

Moment M₀ by arbitrary load is as below
 M₀ = P₀ · (H + L₀ - H) + M₀ = 38.74 kN-m

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P ₀ (kNm ²)	Load P ₀ (kN)	Arm length Y (m)	Moment M ₀ (kNm)
1	2.10-2.60	0.50	0.0 0.9	0.00 0.21	2.13 1.96	0.00 0.42
			ΣP ₀ = 0.21			ΣM ₀ = 0.42

h₀ : Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{290.13}{120.63} = 2.41 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000 \text{ m}$
 Corrosion margin $t_1 = 1.00 \text{ mm (active side)}$ $t_2 = 1.00 \text{ mm (passive side)}$
 Corrosion rate $n = 0.92$
 Section efficiency $u = 0.80$
 Young's modulus $E = 200000 \text{ Nmm}^2$
 Inertia sectional moment $I = 86000 \text{ cm}^4$ (original condition)
 $I = 63296 \text{ cm}^4$ (after reduction by corrosion and section)
 $I = 1.266 \times 10^8$

$$H = 200000 \times 10^2 \times 63296 \times 10^8$$

$$\beta = 4\sqrt{\frac{K_a \cdot B}{4EI}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)+1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$l_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_a = 12132 \text{ kNm}^3$
 $\beta = 0.39343 \text{ m}^{-1}$
 resultant earth force (lateral) $P_h = 93.53 \text{ kNm}$
 height of acting position of load moment $h_0 = 1.93 \text{ m}$
 $M_0 = 180.58 \text{ kNm/m}$

in consideration of $u = 1.223$, maximum moment $M_{max} = 220.79 \text{ kNm/m}$
 depth of generated position of M_{max} $l_a = 0.961 \text{ m}$
 depth of 1st fixed point $l_1 = 2.957 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_a = 12132 \text{ kNm}^3$
 $\beta = 0.39343 \text{ m}^{-1}$
 resultant earth force (lateral) $P_h = 120.63 \text{ kNm}$
 height of acting position of load moment $h_0 = 2.41 \text{ m}$
 $M_0 = 290.13 \text{ kNm/m}$

in consideration of $u = 1.159$, maximum moment $M_{max} = 336.35 \text{ kNm/m}$
 depth of generated position of M_{max} $l_a = 0.846 \text{ m}$
 depth of 1st fixed point $l_1 = 2.842 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin $t_1 = 1.00 \text{ mm (active side)}$ $t_2 = 1.00 \text{ mm (passive side)}$
 Corrosion rate $n = 0.92$
 Section efficiency $u = 1.00$
 Module of section $Z = 3820 \text{ cm}^3$ (original condition)
 $Z = 3514 \text{ cm}^3$ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{220.79 \times 10^6}{3514 \times 10^3} = 63 \text{ N/mm}^2 \leq \sigma_s = 180 \text{ N/mm}^2$$

6-3-2 Seismic Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{336.35 \times 10^6}{3514 \times 10^3} = 96 \text{ N/mm}^2 \leq \sigma_s = 270 \text{ N/mm}^2$$

6-4 Displacement

6-4-1 Normal Condition

Modulus of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	3.23 2.53	0.822 0.643	0.245 0.163	7.63 5.844
	2	2.10-2.60	1.66 1.49	0.423 0.380	0.077 0.063
3	2.60-3.93	0.88 0.44	0.225 0.113	0.023 0.006	28.17 0.000
	$\Sigma Q = 9.734$				

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_a}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

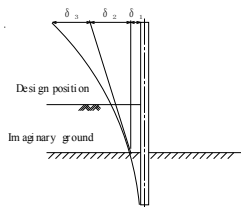
$$Q : \zeta \times P$$

P : Lateral force

H : Depth to design position

L_a : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2EI\beta^2} = \frac{(1+0.3934 \times 1.93) \times 93.53}{2 \times 2.00 \times 10^8 \times 63296 \times 10^8 \times 0.3934^2} = 0.01067 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2EI\beta^2} \times (H+L_a) = \frac{(1+2 \times 0.3934 \times 1.93) \times 93.53}{2 \times 2.00 \times 10^8 \times 63296 \times 10^8 \times 0.3934^2} \times (2.60+1.33) = 0.02361 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_a)^2}{EI} = \frac{9.73 \times (2.60+1.33)^2}{2.00 \times 10^8 \times 63296 \times 10^8} = 0.00465 \text{ m}$$

Additional displacement δ_4 generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_4 = \frac{P L^3}{3EI} + \frac{M L^2}{2EI}$$

δ_4 is calculated as 0.00040 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.93 m
 Horizontal load: P = 2.20
 Moment: M = 0.88

$$\delta = \delta_1 + \delta_2 + \delta_3 + \delta_4 = 0.01067 + 0.02361 + 0.00506 + 0.00040 = 0.03974 \text{ m} = 39.74 \approx \delta_4 = 50.00 \text{ mm}$$

Where,

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ_4 : Displacement at top of SSP
- δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	3.69 2.99	0.841 0.681	0.254 0.179	9.89 7.420
	2	2.10-2.60	2.13 1.96	0.484 0.446	0.098 0.085
3	2.60-4.39	1.19 0.60	0.272 0.136	0.034 0.009	39.40 0.000
	$\Sigma Q = 13.210$				

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_a}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

$$Q : \zeta \times P$$

P : Lateral force

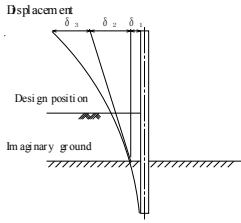
H : Depth to design position

L_a : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_w (kN)	Q_w (kN)
1	2.10-2.60	2.13 1.96	0.484 0.446	0.098 0.085	0.00 0.21	0.000 0.018
$\Sigma Q_w = 0.018$						

Therefore modulus of deformation Q is calculated as below
 $Q = 13.210 + 0.018 = 13.228$



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.3934 \times 2.41) \times 120.63}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.3934^3} = 0.01523 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_0)$$

$$= \frac{(1 + 2 \times 0.3934 \times 2.41) \times 120.63}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.3934^2} \times (2.60 + 1.79) = 0.03911 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_0)^3}{E I}$$

$$= \frac{13.23 \times (2.60 + 1.79)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00886 \text{ m}$$

Additional displacement δ_5 generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_5 = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_5 is calculated as 0.00202 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.39 m
 Horizontal load: P = 8.40
 Moment: M = 1.85

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01523 + 0.03911 + 0.00887$$

$$= 0.06521 \text{ m}$$

$$= 65.21 \text{ mm} \leq \delta_a = 75.00 \text{ mm}$$

Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ_4 : Displacement at top of SSP
 δ_5 : Allowable displacement

R_No. 11_pp.29

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 Nmm ⁻²
Inertia sectional moment	$I_0 = 86000 \text{ cm}^4$ (original condition)
	I = 86000 cm ⁴ (after reduction by corrosion and section)
H	= 200000 x 10 ³ x 86000 x 10 ⁻⁸ = 1.720 x 10 ⁶

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_0 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_0 + D$$

$$\beta = \sqrt[4]{\frac{K_0 \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction	$K_0 = 12131 \text{ kN/m}^3$
Calculated value	$\beta = 0.36440 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.33 + \frac{3}{0.364} = 9.56 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.56 = 11.76 \text{ m}$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction	$K_0 = 12132 \text{ kN/m}^3$
Calculated value	$\beta = 0.36441 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.79 + \frac{3}{0.364} = 10.03 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 10.03 = 12.23 \text{ m}$

Therefore, whole length of SSP is set as 12.50 m in consideration of round unit of SSP length

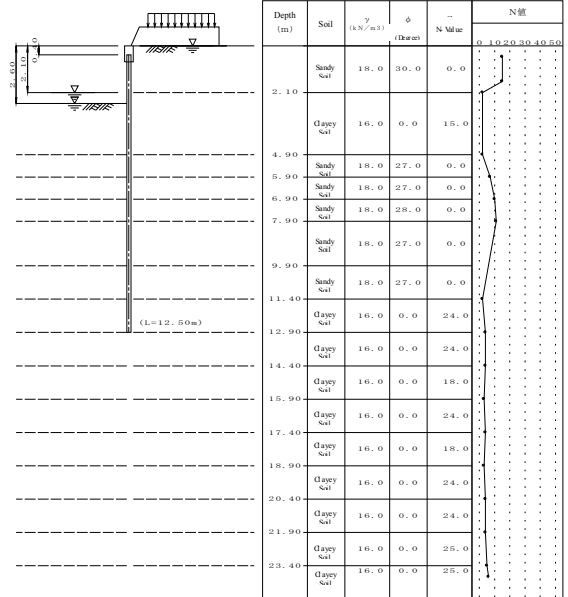
R_No. 11_pp.30

8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	86000		
Section modulus	Z (cm ³)	3820		
Maximum bending moment	M_{max} (kNm/m)		220.79	336.35
Stress intensity	σ (Nmm ⁻²)		63 (180)	96 (270)
Lateral displacement	δ (mm)		39.34 (50.0)	65.21 (75.0)
Penetration depth	D (m)		9.56	10.03
Whole length of SSP	L (m)	12.50		

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



— Steel Sheet Pile Design Calculation —

Right Bank No. 12_STA 8+650 - 8+800

1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H₁ = 0.00 m
 Depth from coping top to SSP top H₂ = 0.40 m
 R verse WL L₁ = 0.00 m (Normal Condition)
 Landside WL L_{1s} = 0.00 m (Seismic Condition)
 L₂ = 2.60 m (Normal Condition)
 L_{2s} = 2.10 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.12_pp.1

R_No.12_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula

$$\text{Penetration depth } L = \frac{3}{\beta}$$

1-4 Constant Numbers for Design

Unit weight of water γ_w = 9.8 kN/m³

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load Pt = 2.2 kNm (Normal Condition)
 Pt' = 8.4 kNm (Seismic Condition)
 Depth of acting point H = -0.41 m (Normal Condition)
 H' = -0.23 m (Seismic Condition)
 Moment Mm = 0.0 kNm/m (Normal Condition)
 Mm' = 0.0 kNm/m (Seismic Condition)
 Depth of acting point Hm = 0.00 m (Seismic Condition)
 Hm' = 0.00 m (Normal Condition)
 (* Depth 'm' means distance from top of coping)

Wind load, impact load not considered

Minimum angle of rupture φ₀ = 10 degrees

Rear side angle of slope not considered

$$\text{Angle of rupture (clayey soil)} \zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula K_s = 6910 × N^{0.406}

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	15.90	3
2	1.60	15	12	17.40	4
3	2.10	2	13	18.90	3
4	4.90	2	14	20.40	4
5	5.90	7	15	21.90	4
6	6.90	10	16	23.40	5
7	7.90	11	17	23.90	6
8	11.40	2			
9	12.90	4			
10	14.40	4			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

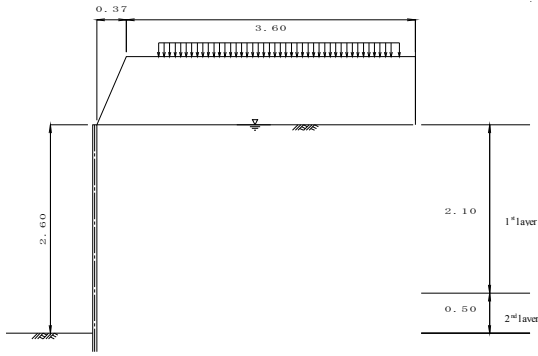
No	Depth (m)	Soil	N value	γ (kNm ⁻³)	γ' (kNm ⁻³)	φ	C (kNm ⁻²)	a	k'	ζ (degree)		kh (kNm ⁻¹)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	4.90	C	2.0	16.00	8.00	0.0	15.0	0.0	0.200	auto	auto	—	—
3	5.90	S	7.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	6.90	S	10.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
5	7.90	S	11.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
6	9.90	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
7	11.40	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
8	12.90	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
9	14.40	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
10	15.90	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	—	—
11	17.40	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
12	18.90	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	—	—
13	20.40	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
14	21.90	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
15	23.40	C	5.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
16	23.90	C	6.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Em bankment on Landside



Em bankment shape and soil modulus

No	Soil	X coordinate				Em bankment height h (m)	Wet unit weight γ (kNm ⁻³)	Internal friction angle φ (degree)	Cohesive force C (kNm ⁻²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.37	3.97	3.97	0.85	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ⁻²)	Seismic (kNm ⁻²)
1	0.77	3.77	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

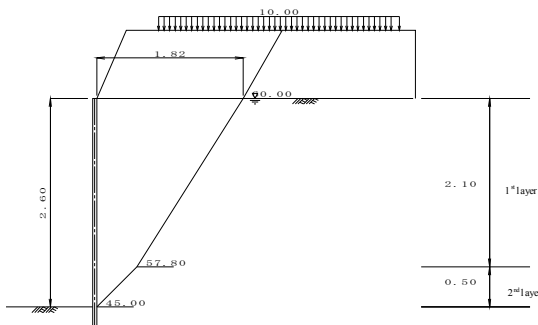
1-9 Steel Sheet Pile (SSP)

Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I ₀ = 114000 cm ⁴
Sectional factor	Z ₀ = 3250 cm ³
Corrosion margin	t ₁ = 1.00 mm (ri verside) t ₂ = 1.00 mm (landside)
Corrosion rate (to I ₀)	η ₁ = 0.84
Corrosion rate (to Z ₀)	η ₂ = 0.87
Section efficiency (to I ₀)	μ = 1.00
Section efficiency (to Z ₀)	μ = 1.00
Round unit of SSP length	0.50 m
Allowable stress	σ _a = 185 Nmm ² (Normal) σ _a ' = 278 Nmm ² (Seismic)
Allowable displacement	δ _a = 50.0 mm (Normal) δ _a ' = 75.0 mm (Seismic)
Bending of cantilever beam	calculated as distributed load of each layer
Reduction of material modulus	Reduced I ₀ applied to calculation of lateral coefficient of subgrade reaction Not reduced I ₀ applied to calculation of penetration depth Reduced I ₀ applied to calculation of section forces and displacement Reduced Z ₀ applied to calculation of stresses

2 Calculation of Acting Load

2-1 Normal Condition

2-1-1 Angle of Active Rupture



No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kNm ⁻²)	Σγh (kNm ⁻²)	Q (kNm ⁻²)	γwh (kNm ⁻²)	Angle of rupture Z (degree)
1	2.60- 2.10	Clayey Soil	0.0	10.0	15.0	24.27	24.27	25.48	45.00
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	24.27	20.58	57.80
3		Em bankment	30.0	—	0.0	15.30	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since θ=0°

Where:

- ζ: angle of active rupture (degree, ζ ≥ 10.00°)
- φ: internal friction angle (degree)
- δ: wall friction angle (degree)
- θ: earthquake combination angle (degree)
- θ = tan⁻¹k or θ = tan⁻¹k'
- γ: unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h: thickness of layer (m)
- Q: surcharge load (kNm⁻²)
- C: cohesive force of soil (kNm⁻²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.50	0.00	0.00	0.50	0.50
2	57.80	2.10	0.50	0.50	1.82	2.60
3	60.00	0.85	1.82	2.60	2.31	3.45

Therefore, width of acting load shall be set as 1.82 m

2-1-3 Acting Load by Em bankment

No	γ (kNm ⁻³)	A (m ²)	γ X A (kNm)
1	18.0	1.60	28.81
Σ			28.81

γ: unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kNm ⁻²)	l (m)	Q X l (kNm)
1	10.0	1.54	15.43
Σ			15.43

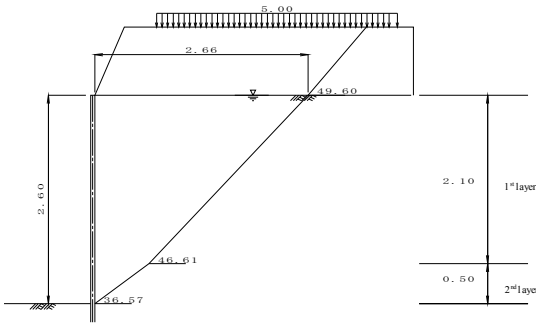
Q: surcharge load
l: width of surcharge load set by line of active rupture

2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{28.81 + 15.43 + 0.00}{1.82}$$

$$= 24.27 \text{ kN/m}^2$$



2-2 Earthquake Condition

2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kNm ²)	$\Sigma \gamma h$ (kNm ³)	Q (kNm ²)	γwh (kNm ²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60- 2.10	Clayey Soil	0.0	10.0	15.0	25.00	21.23	25.48	0.200	11.31	36.57
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	21.23	20.58	0.200	11.31	46.61
3		Em bankment	30.0	—	0.0	15.30	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.0^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm³) (ascending force considered under WL)
- h: thickness of layer (m)
- Q: surcharge load (kNm²)
- C: cohesive force of soil (kNm²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	36.57	0.50	0.00	0.00	0.67	0.50
2	46.61	2.10	0.67	0.50	2.66	2.60
3	49.60	0.85	2.66	2.60	3.38	3.45

Therefore, width of acting load shall be set as 2.66 m

2-2-3 Acting Load by Em bankment

No	γ (kNm ³)	A (m)	$\gamma \times A$ (kNm)
1	18.0	2.41	43.39
Σ			43.39

γ : unit weight of em bankment soil

A: sectional area of em bankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kNm ²)	l (m)	Q X l (kNm)
1	5.0	2.61	13.06
Σ			13.06

Q: surcharge load

l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

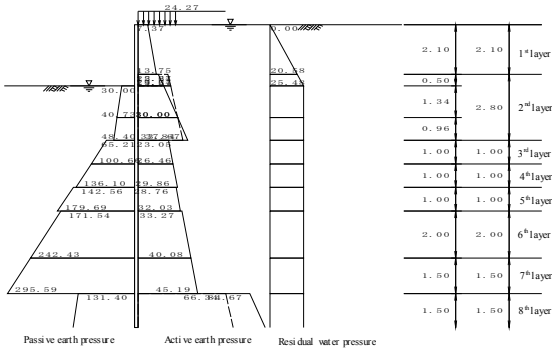
$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{43.39 + 13.06 + 0.00}{2.66}$$

$$= 21.23 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q_p$ (kNm ²)	K_a	$K_a \times \cos \delta$
1	0.00- 2.10	Sandy soil	10.0	30.0	24.275 45.275	0.30847 0.30847	0.30378 0.30378
2	2.10- 2.60	Clayey soil	8.0	—	15.0 45.275	— 0.34585	— 0.34060
3	2.60- 3.94	Clayey soil	8.0	—	15.0 60.000	— 0.34585	— 0.34060
4	3.94- 4.90	Clayey soil	8.0	—	15.0 67.675	— 0.34585	— 0.34060
5	4.90- 5.90	Sandy soil	10.0	27.0	67.675 77.675	0.34585 0.34585	0.34060 0.34060
6	5.90- 6.90	Sandy soil	10.0	27.0	77.675 87.675	0.34585 0.34585	0.34060 0.34060
7	6.90- 7.90	Sandy soil	10.0	28.0	87.675 97.675	0.33303 0.33303	0.32798 0.32798
8	7.90- 9.90	Sandy soil	10.0	27.0	97.675 117.675	0.34585 0.34585	0.34060 0.34060
9	9.90- 11.40	Sandy soil	10.0	27.0	117.675 132.675	0.34585 0.34585	0.34060 0.34060
10	11.40- 12.90	Clayey soil	8.0	—	24.0 144.675	— —	— —
11	12.90- 14.40	Clayey soil	8.0	—	24.0 144.675	— —	— —
12	14.40- 15.90	Clayey soil	8.0	—	18.0 156.675	— —	— —
13	15.90- 17.40	Clayey soil	8.0	—	24.0 168.675	— —	— —
14	17.40- 18.90	Clayey soil	8.0	—	18.0 180.675	— —	— —

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q_p$ (kNm ²)	K_a	$K_a \times \cos \delta$
15	18.90- 20.40	Clayey soil	8.0	—	24.0 204.675	—	—
16	20.40- 21.90	Clayey soil	8.0	—	24.0 216.675	—	—
17	21.90- 23.40	Clayey soil	8.0	—	25.0 216.675	—	—
18	23.40- 23.90	Clayey soil	8.0	—	25.0 228.675	—	—

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \theta - \beta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q_p$ (kNm ²)	K_p	$K_p \times \cos \delta$
3	2.60- 3.94	Clayey soil	8.0	0.0	15.0 10.725	— —	— —
4	3.94- 4.90	Clayey soil	8.0	0.0	15.0 15.0	— —	— —
5	4.90- 5.90	Sandy soil	10.0	27.0	— 18.400	3.59892 3.59892	3.54425 3.54425
6	5.90- 6.90	Sandy soil	10.0	27.0	— 38.400	3.59892 3.59892	3.54425 3.54425
7	6.90- 7.90	Sandy soil	10.0	28.0	— 48.400	— 3.76978	— 3.71251
8	7.90- 9.90	Sandy soil	10.0	27.0	— 68.400	— 3.59892	— 3.54425
9	9.90- 11.40	Sandy soil	10.0	27.0	— 88.400	— 3.59892	— 3.54425
10	11.40- 12.90	Clayey soil	8.0	0.0	24.0 83.400	— —	— —
11	12.90- 14.40	Clayey soil	8.0	0.0	24.0 95.400	— —	— —
12	14.40- 15.90	Clayey soil	8.0	0.0	18.0 107.400	— —	— —
13	15.90- 17.40	Clayey soil	8.0	0.0	24.0 119.400	— —	— —
14	17.40- 18.90	Clayey soil	8.0	0.0	18.0 131.400	— —	— —
15	18.90- 20.40	Clayey soil	8.0	0.0	24.0 143.400	— —	— —
16	20.40- 21.90	Clayey soil	8.0	0.0	24.0 155.400	— —	— —
17	21.90- 23.40	Clayey soil	8.0	0.0	25.0 167.400	— —	— —
18	23.40- 23.90	Clayey soil	8.0	0.0	25.0 179.400	— —	— —

Coefficient of passive earth pressure of sandy soil \$K_p\$ is calculated by the formula below
 $\delta = -10.0\%$, $\beta = 0.0\%$, $\theta = 0.00$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure (kNm ⁻²)	Passive side (kNm ⁻²)
	Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)		
1	0.00-2.10	7.57 13.75	7.57	0.00	—
2	2.10-2.60	15.27 19.27	22.64 24.64	20.58	—
3	2.60-3.94	19.27 30.00	24.64 30.00	25.48	30.00
4	3.94-4.90	30.00 37.67	30.00 33.84	25.48	40.73
5	4.90-5.90	23.05 26.46	23.05	25.48	65.21
6	5.90-6.90	26.46 29.86	26.46	25.48	100.66
7	6.90-7.90	28.76 32.03	28.76	25.48	142.56
8	7.90-9.90	33.27 40.08	33.27	25.48	171.54
9	9.90-11.40	40.08 45.19	40.08	25.48	242.43
10	11.40-12.90	84.67 96.67	66.34 72.34	84.67	131.40
11	12.90-14.40	96.67 108.67	72.34 78.34	96.67	155.40
12	14.40-15.90	120.67 132.67	78.34 84.34	120.67	143.40
13	15.90-17.40	120.67 132.67	84.34 90.34	120.67	167.40
14	17.40-18.90	144.67 156.67	90.34 96.34	144.67	167.40
15	18.90-20.40	144.67 156.67	96.34 102.34	144.67	191.40
16	20.40-21.90	156.67 168.67	102.34 108.34	156.67	203.40
17	21.90-23.40	166.67 178.67	108.34 114.34	166.67	217.40
18	23.40-23.90	178.67 182.67	114.34 182.67	178.67	229.40

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$

K_a : Equilibrium coefficient of cam stress on 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

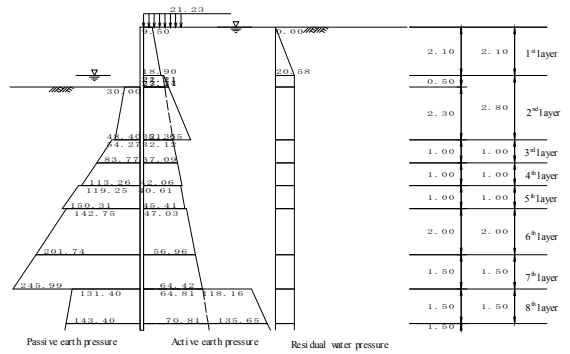
- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q$ (kNm ⁻²)	γ_{whw} (kNm ⁻²)	k (k)	θ (degree)	K_a	$K_a \times \cos \delta$	θ (degree)
1	0.00-2.10	Sandy Soil	10.0	30.0	21.23 42.23	0.00 20.58	0.200	11.31	0.45442	0.44752	—
2	2.10-2.60	Clayey Soil	8.0	—	15.0 15.0	20.58 25.48	0.200	11.31	—	—	37.22 36.57
3	2.60-4.90	Clayey Soil	8.0	—	15.0 15.0	46.23 64.63	0.200	11.31	—	—	36.57 33.18
4	4.90-5.90	Sandy Soil	10.0	27.0	64.63 74.63	48.02 57.82	0.200	11.31	0.50461	0.49695	—
5	5.90-6.90	Sandy Soil	10.0	27.0	74.63 84.63	57.82 67.62	0.200	11.31	0.50461	0.49695	—
6	6.90-7.90	Sandy Soil	10.0	28.0	84.63 94.63	67.62 77.42	0.200	11.31	0.48730	0.47989	—
7	7.90-9.90	Sandy Soil	10.0	27.0	94.63 114.63	77.42 97.02	0.200	11.31	0.50461	0.49695	—
8	9.90-11.40	Sandy Soil	10.0	27.0	114.63 129.63	97.02 111.72	0.200	11.31	0.50461	0.49695	—
9	11.40-12.90	Clayey Soil	8.0	—	24.0 24.0	129.63 141.63	0.200	11.31	—	—	31.36 29.55
10	12.90-14.40	Clayey Soil	8.0	—	24.0 24.0	141.63 153.63	0.200	11.31	—	—	29.55 27.52

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q$ (kNm ⁻²)	γ_{whw} (kNm ⁻²)	k (k)	θ (degree)	K_a	$K_a \times \cos \delta$	θ (degree)
11	14.40-15.90	Clayey Soil	8.0	—	18.0 18.0	153.63 155.82	0.200	11.31	—	—	10.00 10.00
12	15.90-17.40	Clayey Soil	8.0	—	24.0 24.0	165.63 170.52	0.200	11.31	—	—	25.20 22.49
13	17.40-18.90	Clayey Soil	8.0	—	18.0 18.0	177.63 189.63	0.200	11.31	—	—	10.00 10.00
14	18.90-20.40	Clayey Soil	8.0	—	24.0 24.0	189.63 201.63	0.200	11.31	—	—	19.21 14.96
15	20.40-21.90	Clayey Soil	8.0	—	24.0 24.0	201.63 213.63	0.200	11.31	—	—	14.96 10.00
16	21.90-23.40	Clayey Soil	8.0	—	25.0 25.0	213.63 225.63	0.200	11.31	—	—	13.83 10.00
17	23.40-23.90	Clayey Soil	8.0	—	25.0 25.0	225.63 229.32	0.200	11.31	—	—	10.00 10.00

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q_p$ (kNm ⁻²)	γ_{whw} (kNm ⁻²)	k (k)	θ (degree)	K_p	$K_p \times \cos \delta$
13	17.40-18.90	Clayey soil	8.00	0.0	18.0 18.0	131.400 145.04	0.200	11.31	—	—
14	18.90-20.40	Clayey soil	8.00	0.0	24.0 24.0	143.400 155.400	0.200	11.31	—	—
15	20.40-21.90	Clayey soil	8.00	0.0	24.0 24.0	155.400 167.400	0.200	11.31	—	—
16	21.90-23.40	Clayey soil	8.00	0.0	25.0 25.0	167.400 189.14	0.200	11.31	—	—
17	23.40-23.90	Clayey soil	8.00	0.0	25.0 25.0	179.400 183.400	0.200	11.31	—	—

Coefficient of passive earth pressure of sandy soil \$K_p\$ is calculated by the formula below
 $\delta = -10.0\%$, $\beta = 0.0\%$, $\theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure (kNm ⁻²)	Passive side (kNm ⁻²)
		Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)		
1	0.00-2.10	9.50 18.90	—	9.50	0.00	—
2	2.10-2.60	22.21 27.34	21.11 23.11	22.21 27.34	20.58	—
3	2.60-4.90	27.34 31.65	23.11 32.31	27.34 31.65	20.58	30.00
4	4.90-5.90	32.12 37.09	—	32.12 37.09	20.58	54.27 83.77
5	5.90-6.90	37.09 42.06	—	37.09 42.06	20.58	83.77 113.26
6	6.90-7.90	40.61 45.41	—	40.61 45.41	20.58	119.25 150.31
7	7.90-9.90	47.03 56.96	—	47.03 56.96	20.58	142.75 201.74
8	9.90-11.40	56.96 64.42	—	56.96 64.42	20.58	201.74 245.99
9	11.40-12.90	118.16 135.65	64.81 70.81	118.16 135.65	20.58	131.40 143.40
10	12.90-14.40	135.65 154.03	70.81 76.81	135.65 154.03	20.58	143.40 155.40
11	14.40-15.90	222.63 248.24	76.81 82.81	222.63 248.24	20.58	143.40 155.40
12	15.90-17.40	173.73 195.53	82.81 88.81	173.73 195.53	20.58	167.40 179.40
13	17.40-18.90	273.85 299.46	88.81 94.81	273.85 299.46	20.58	167.40 179.40
14	18.90-20.40	221.23 256.30	94.81 100.81	221.23 256.30	20.58	191.40 203.40

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 (kNm ²)	Pa2 (kNm ²)	Pa (kNm ²)		
15	20.40-21.90	256.30 315.60	100.81 106.81	256.30 315.60	20.58 20.58	203.40 215.40
16	21.90-23.40	279.50 335.36	106.81 112.81	279.50 335.36	20.58 20.58	217.40 229.40
17	23.40-23.90	335.36 343.90	112.81 114.81	335.36 343.90	20.58 20.58	229.40 233.40

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

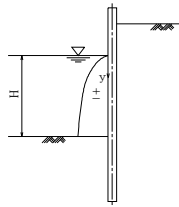
Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	Pw (kNm ³)
1	2.10	0.00	0.00
2	2.60	0.50	0.86

$P_{dw} = \pm \frac{7}{8} k_{dw} \gamma_w \sqrt{H \cdot y}$

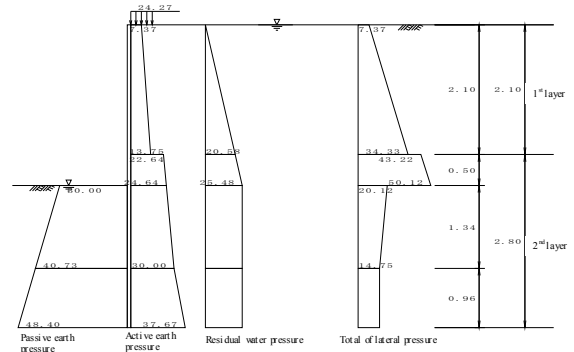
Where
 k_{dw} : design seismic coefficient
 γ_w : unit weight of water
 H: water depth of riverside
 y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level I_4 is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

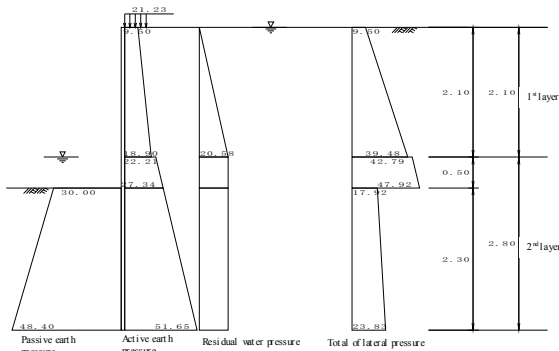


Depth (m)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	Ps (kNm ²)
1	0.00-2.10	7.37 13.75	0.00 20.58	7.37 34.33
2	2.10-2.60	22.64 24.64	20.58 25.48	43.22 50.12
3	2.60-3.94	24.64 30.00	25.48 25.48	30.00 40.73
4	3.94-4.90	30.00 37.67	25.48 25.48	40.73 48.40
5	4.90-5.90	23.05 26.46	25.48 25.48	65.21 100.66

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Tentative imaginary riverbed I_4 : 2.30 m (GL -4.90 m)

4-2 Seismic Condition



Depth (m)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	Ps (kNm ²)
1	0.00-2.10	9.50 18.90	0.00 20.58	9.50 39.48
2	2.10-2.60	22.21 27.34	20.58 20.58	42.79 47.92
3	2.60-4.90	27.34 51.65	20.58 20.58	48.40 23.83
4	4.90-5.90	32.12 37.09	20.58 20.58	54.27 83.77

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Tentative imaginary riverbed I_4 : 2.30 m (GL -4.90 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to $1/\beta$ depth. The modulus are calculated by the formula below

$K_{L0} = 6910 \times N^{0.496}$

where,

$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$

Unit width $B = 1.0000$ m
 Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.84$
 Section efficiency $\mu = 1.00$
 Young's modulus $E = 200000$ Nmm²
 Inertia sectional moment $I_0 = 114000$ cm⁴ (original condition)
 $I = 95760$ cm⁴ (after reduction by corrosion and section)
 Inertia sectional moment $EI = 200000 \times 10^3 \times 95760 \times 10^8 = 1.915 \times 10^9$

Depth (m)	N-value	Depth (m)	N-value
1	0.50	11	15.90
2	1.60	12	17.40
3	2.10	13	18.90
4	4.90	14	20.40
5	5.90	15	21.90
6	6.90	16	23.40
7	7.90	17	24.90
8	11.40		
9	12.90		
10	14.40		

5-2 Normal Condition

$K = 15603$ kNm³ is set tentatively.

$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$

$= 0.270$ m⁻¹

$L = \frac{1}{\beta} = 3.70$ m

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -4.90 m) to 2.65 m depth (GL -7.55 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)	
		upper	lower		
1	4.90	1.00	2.0	7.0	4.50
2	5.90	1.00	7.0	10.0	8.50
3	6.90	0.65	10.0	10.6	6.68

L = 2h = 2.65 ΣA = 19.68

$$A (\text{upper N-value} + \text{lower N-value}) \times l/2$$

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{19.68}{2.65} = 7.43$$

Calculated K_s is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_s = 6910 \times N'^{0.896} = 6910 \times 7.43^{0.896} = 15603 \text{ kN/m}^3$$

$$K_s (\text{normal condition}) = 15603 \text{ kNm}^3$$

5-3 Seismic Condition

$K_s = 15603 \text{ kNm}^3$ is set tentatively.

$$\beta = \sqrt[4]{\frac{K_s \cdot B}{4 E I}} = 0.378 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.65 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.90 m) to 2.65 m depth (GL -7.55 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)	
		upper	lower		
1	4.90	1.00	2.0	7.0	4.50
2	5.90	1.00	7.0	10.0	8.50
3	6.90	0.65	10.0	10.6	6.68

L = 2h = 2.65 ΣA = 19.68

$$A (\text{upper N-value} + \text{lower N-value}) \times l/2$$

$$\text{average N-value } N' = \frac{\Sigma A}{L} = \frac{19.68}{2.65} = 7.43$$

Calculated K_s is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following:

$$K_s = 6910 \times N'^{0.896} = 6910 \times 7.43^{0.896} = 15603 \text{ kN/m}^3$$

$$K_s (\text{seismic condition}) = 15603 \text{ kNm}^3$$

R_No. 12_pp.21

Arbitrary load lateral load $P = 8.4 \text{ kNm}$
 depth to acting position $H = -0.23 \text{ m}$
 moment $M_a = 0.0 \text{ kNm-m}$
 height from riverbed to top of coping $H_c = 0.00 \text{ m}$
 Depth of imaginary riverbed from riverbed $I_k = 2.30 \text{ m}$
 Moment M_a by arbitrary load is as below
 $M_a = P \cdot (H + I_k - H_c) + M_a = 43.09 \text{ kN-m}$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{dw} (kNm ²)	Load P_{dw} (kN)	Arm length Y (m)	Moment M_{dw} (kNm)
1	2.10-	0.50	0.0	0.00	2.63	0.00
	2.60		0.9	0.21	2.47	0.53

Σ P_{dw} = 0.21 Σ M_{dw} = 0.53

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_a + \Sigma M_{dw}}{\Sigma P + P_a + \Sigma P_{dw}} = \frac{340.93}{130.73} = 2.61 \text{ m}$$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Height h_0

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-	7.37	7.74	4.20	32.32
	2.10	34.33	36.05	3.50	126.18
2	2.10-	43.22	10.80	2.63	28.45
	2.60	50.12	12.53	2.47	30.91
3	2.60-	20.12	13.49	1.85	24.99
	3.94	14.75	9.89	1.41	13.91
4	3.94-	14.75	7.08	0.64	4.53
	4.90	14.75	7.08	0.32	2.26

ΣP = 104.66 ΣM = 263.74

P : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$

B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P = 2.2 \text{ kNm}$
 depth to acting position $H = -0.41 \text{ m}$
 moment $M_a = 0.0 \text{ kNm-m}$
 height from riverbed to top of coping $H_c = 0.00 \text{ m}$
 Depth of imaginary riverbed from riverbed $I_k = 2.30 \text{ m}$

Moment M_a by arbitrary load is as below
 $M_a = P \cdot (H + I_k - H_c) + M_a = 11.68 \text{ kN-m}$

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_a}{\Sigma P + P_a} = \frac{275.42}{106.86} = 2.58 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P_s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-	9.50	9.98	4.20	41.90
	2.10	39.48	41.45	3.50	145.08
2	2.10-	42.79	10.70	2.63	28.17
	2.60	47.92	11.98	2.47	29.55
3	2.60-	17.92	20.61	1.53	31.61
	4.90	23.83	27.40	0.77	21.01

ΣP = 122.12 ΣM = 297.31

P : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$

B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

R_No. 12_pp.22

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000 \text{ m}$
 Corrosion margin $t_c = 1.00 \text{ mm}$ (active side) $t_r = 1.00 \text{ mm}$ (passive side)
 Corrosion rate $\eta = 0.84$
 Section efficiency $\mu = 1.00$
 Young's modulus $E = 200000 \text{ Nmm}^2$
 Inertia sectional moment $I_0 = 114000 \text{ cm}^4$ (original condition)
 $I = 95760 \text{ cm}^4$ (after reduction by corrosion and section)
 $I = 1.915 \times 10^8$

$$\beta = \sqrt[4]{\frac{K_s \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{ax} = M_0 \cdot \phi_a$$

$$l_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_r = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_s = 15603 \text{ kNm}^3$
 resultant earth force (lateral) $P_0 = 106.86 \text{ kNm}$
 height of acting position of load moment $h_0 = 2.58 \text{ m}$
 $M_0 = 275.42 \text{ kNm-m}$

in consideration of $\psi = 1.152$,
 maximum moment $M_{ax} = 317.38 \text{ kNm-m}$
 depth of generated position of M_{ax} $L = 0.866 \text{ m}$
 depth of 1° fixed point $l = 2.945 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_s = 15603 \text{ kNm}^3$
 resultant earth force (lateral) $P_0 = 130.73 \text{ kNm}$
 height of acting position of load moment $h_0 = 2.61 \text{ m}$
 $M_0 = 340.93 \text{ kNm-m}$

in consideration of $\psi = 1.150$,
 maximum moment $M_{ax} = 391.93 \text{ kNm-m}$
 depth of generated position of M_{ax} $L = 0.860 \text{ m}$
 depth of 1° fixed point $l = 2.939 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin	t _c	=	1.00 mm (active side)	t _r	=	1.00 mm (passive side)
Corrosion rate	n	=	0.87			
Section efficiency	u	=	1.00			
Module of section	Z ₀	=	3250 cm ³ (original condition)			
	Z	=	2828 cm ³ (after reduction by corrosion and section)			

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{317.38 \times 10^6}{2828 \times 10^3} = 112 \text{ N/mm}^2 \leq \sigma_a = 185 \text{ N/mm}^2$$

6-3-2 Seismic Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{391.93 \times 10^6}{2828 \times 10^3} = 139 \text{ N/mm}^2 \leq \sigma_a = 278 \text{ N/mm}^2$$

6-4 Displacement

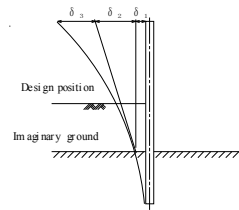
6-4-1 Normal Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	4.20 3.30	0.857 0.714	0.262 0.194	7.74 36.05	2.032 7.007
2	2.10~2.60	2.63 2.47	0.537 0.503	0.119 0.105	10.80 12.53	1.281 1.321
3	2.60~3.94	1.85 1.41	0.378 0.287	0.063 0.037	13.49 9.89	0.843 0.368
4	3.94~4.90	0.64 0.32	0.131 0.065	0.008 0.002	7.08 7.08	0.058 0.015
$\Sigma Q = 12.924$						

Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_k}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1+0.3778 \times 2.58) \times 106.86}{2 \times 2.00 \times 10^9 \times 95760 \times 10^{-8} \times 0.3778^3} = 0.01021 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_k) = \frac{(1+2 \times 0.3778 \times 2.58) \times 106.86}{2 \times 2.00 \times 10^9 \times 95760 \times 10^{-8} \times 0.3778^2} \times (2.60+2.30) = 0.02823 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{E I} = \frac{12.92 \times (2.60+2.30)^3}{2.00 \times 10^9 \times 95760 \times 10^{-8}} = 0.00794 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00051 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.90 m
 Horizontal load: P = 2.20
 Moment: M = 0.90

$$\delta = \delta_1 + \delta_2 + \delta_3 + \delta_3' = 0.01021 + 0.02823 + 0.00794 + 0.00051 = 0.04689 \text{ m} = 46.89 \leq \delta_a = 50.00 \text{ mm}$$

Where:
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	4.20 3.30	0.857 0.714	0.262 0.194	9.98 41.45	2.617 8.057
2	2.10~2.60	2.63 2.47	0.537 0.503	0.119 0.105	10.70 11.98	1.268 1.263
3	2.60~4.90	1.53 0.77	0.313 0.156	0.044 0.012	20.61 27.40	0.904 0.318
$\Sigma Q = 14.427$						

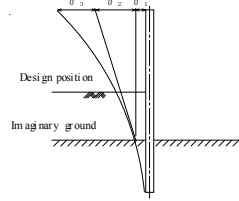
Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_k}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1	2.10~2.60	2.63 2.47	0.537 0.503	0.119 0.105	0.00 0.21	0.000 0.023
$\Sigma Q_w = 0.023$						

Therefore modulus of deformation Q is calculated as below
 $Q = 14.427 + 0.023 = 14.450$

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1+0.3778 \times 2.61) \times 130.73}{2 \times 2.00 \times 10^9 \times 95760 \times 10^{-8} \times 0.3778^3} = 0.01257 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_k) = \frac{(1+2 \times 0.3778 \times 2.61) \times 130.73}{2 \times 2.00 \times 10^9 \times 95760 \times 10^{-8} \times 0.3778^2} \times (2.60+2.30) = 0.03481 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{E I} = \frac{14.45 \times (2.60+2.30)^3}{2.00 \times 10^9 \times 95760 \times 10^{-8}} = 0.00888 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00184 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.90 m
 Horizontal load: P = 8.40
 Moment: M = 1.93

$$\delta = \delta_1 + \delta_2 + \delta_3 + \delta_3' = 0.01257 + 0.03481 + 0.00184 + 0.00172 = 0.05094 \text{ m} = 50.94 \leq \delta_a = 75.00 \text{ mm}$$

Where:
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$u = 1.00$
Young's modulus	$E = 200000 \text{ N/mm}^2$
Inertia sectional moment	$I_0 = 114000 \text{ cm}^4$ (original condition)
	$I = 114000 \text{ cm}^4$ (after reduction by corrosion and section)
$EI = 200000 \times 10^3 \times 114000 \times 10^8$	$= 2.280 \times 10^9$

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_k , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_k + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = \sqrt[4]{\frac{K_s \cdot B}{4EI}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction Calculated value	$K_s = 15603 \text{ kN/m}^3$ $\beta = 0.36166 \text{ m}^{-3}$
Penetration length of SSP	$D = 2.30 + \frac{3}{0.362} = 10.60 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 10.60 = 12.80 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction Calculated value	$K_s = 15603 \text{ kN/m}^3$ $\beta = 0.36166 \text{ m}^{-3}$
Penetration length of SSP	$D = 2.30 + \frac{3}{0.362} = 10.60 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 10.60 = 12.80 \text{ m}$

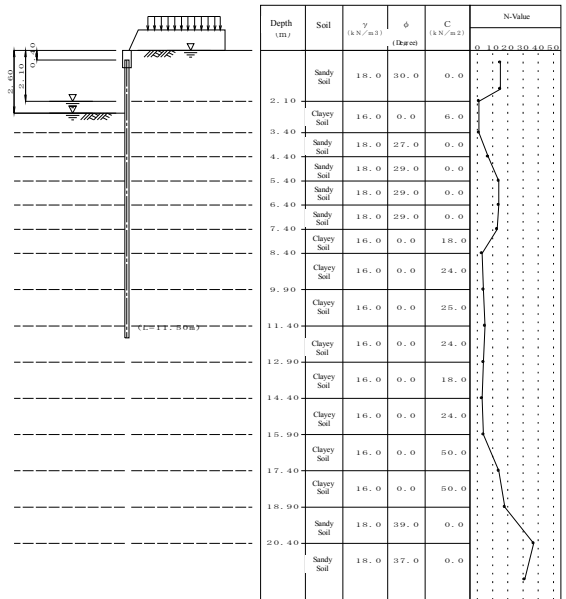
Therefore, whole length of SSP is set as 13.00 m in consideration of round unit of SSP length.

8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	114000		
Section modulus	Z (cm ³)	3250		
Maximum bending moment	M_{max} (kNm.m)		317.38	391.93
Stress intensity	σ (N/mm ²)		112 (185)	139 (278)
Lateral displacement	δ (mm)		46.89 (30.0)	58.09 (75.0)
Penetration depth	D (m)		10.60	10.60
Whole length of SSP	L (m)	13.00		

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



— Steel Sheet Pile Design Calculation —

Right Bank No. 13_STA 8+800 - 8+900

1-2 Dimensions of Structure

Depth from coping top to riverbed $H = 2.60$ m
 Depth from coping top to rear side ground $H_r = 0.00$ m
 Depth from coping top to SSP top $H_s = 0.40$ m
 Reverse WL $L_{rev} = 0.00$ m (Normal Condition)
 $L_{rev} = 0.00$ m (Seismic Condition)
 Landside WL $L_{land} = 2.60$ m (Normal Condition)
 $L_{land} = 2.10$ m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No. 13_pp 1

R_No. 13_pp 2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8$ kNm⁻³

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load $P_t = 2.3$ kNm (Normal Condition)
 $P_t = 8.5$ kNm (Seismic Condition)
 Depth of acting point $H = -0.41$ m (Normal Condition)
 $H = -0.23$ m (Seismic Condition)
 Moment $M_m = 0.0$ kNm/m (Normal Condition)
 $M_m = 0.0$ kNm/m (Seismic Condition)
 Depth of acting point $H_m = 0.00$ m (Seismic Condition)
 $H_m = 0.00$ m (Normal Condition)
 (*Depth means distance from top of coping)

Wind load Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_h = 6910 \times N^{0.006}$

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/3

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.50	15	11	11.40	5
2	1.60	15	12	12.90	4
3	2.10	1	13	14.40	3
4	3.40	1	14	15.90	4
5	4.40	7	15	17.40	14
6	5.40	14	16	18.90	18
7	6.40	14	17	20.40	37
8	7.40	13	18	21.90	31
9	8.40	3			
10	9.90	4			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

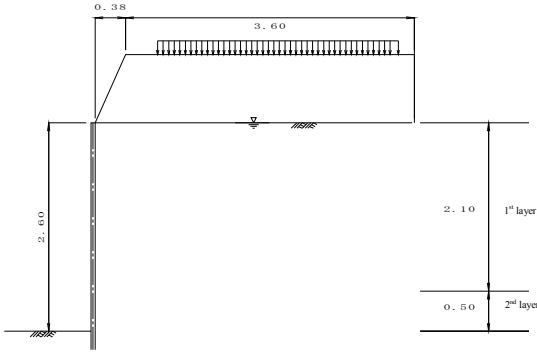
No	Depth (m)	Soil	N-value	γ (kNm ⁻³)	γ' (kNm ⁻³)	ϕ	C (kNm ⁻²)	a	k'	ζ (degree)		kh (kNm ⁻³)	
										normal	seismic		
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----
2	3.40	C	1.0	16.00	8.00	0.0	6.0	0.0	0.200	auto	auto	-----	-----
3	4.40	S	7.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
4	5.40	S	14.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	-----	-----
5	6.40	S	14.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	-----	-----
6	7.40	S	13.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	-----	-----
7	8.40	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	-----	-----
8	9.90	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	-----	-----
9	11.40	C	5.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	-----	-----
10	12.90	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	-----	-----
11	14.40	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	-----	-----
12	15.90	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	-----	-----
13	17.40	C	14.0	16.00	8.00	0.0	50.0	0.0	0.200	auto	auto	-----	-----
14	18.90	C	16.0	16.00	8.00	0.0	50.0	0.0	0.200	auto	auto	-----	-----
15	20.40	S	37.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	-----	-----
16	21.90	S	31.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	-----	-----

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N-value : average N-value in the layer
 γ' : wet unit weight of soil
 γ : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Em bankment on Landside



Em bankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.38	3.98	3.98	0.85	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

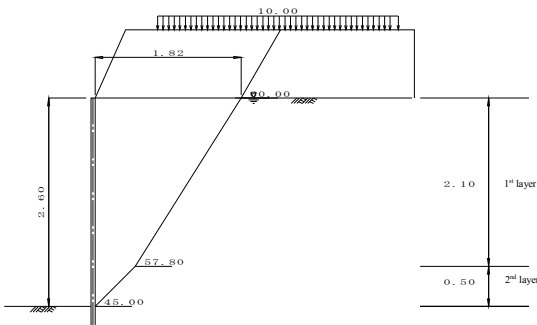
No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	0.78	3.78	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus	E = 20000 Nmm ²
Inertia sectional moment	I ₀ = 86000 cm ⁴
Sectional factor	Z ₀ = 3820 cm ³
Corrosion margin	t _s = 1.00 mm (ri verside) t _s = 1.00 mm (lands ide)
Corrosion rate (to I ₀)	η = 0.92
Corrosion rate (to Z ₀)	η = 0.92
Section efficiency (to I ₀)	μ = 0.80
Section efficiency (to Z ₀)	μ = 1.00
Round unit of SSP length	0.50 m
Allowable stress	σ_a = 180 Nmm ² (Normal) σ_a' = 270 Nmm ² (Seismic)
Allowable displacement	δ_b = 50.0mm (Normal) δ_b' = 75.0mm (Seismic)
Bending of cantilever beam	calculated as distributed load of each layer
Reduction of material modulus	Reduced I ₀ applied to calculation of lateral coefficient of subgrade reaction Not reduced I ₀ applied to calculation of penetration depth Reduced I ₀ applied to calculation of section forces and displacement Reduced Z ₀ applied to calculation of stresses

2 Calculation of Acting Load
2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γwh (kN/m ²)	Angle of rupture Z (degree)
1	2.60- 2.10	Clayey Soil	0.0	10.0	6.0	25.00	24.18	25.48	45.00
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	24.18	20.58	57.80
3		Embankment	30.0	—	0.0	15.30	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta=0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.0^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earth quake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.50	0.00	0.00	0.50	0.50
2	57.80	2.10	0.50	0.50	1.82	2.60
3	60.00	0.85	1.82	2.60	2.31	3.45

Therefore, width of acting load shall be set as 1.82 m

2-1-3 Acting Load by Em bankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times X \times A$ (kN/m)
1	18.0	1.60	28.73
Σ			28.73

γ : unit weight of embankment soil

A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.53	15.33
Σ			15.33

Q : surcharge load

l : width of surcharge load set by line of active rupture

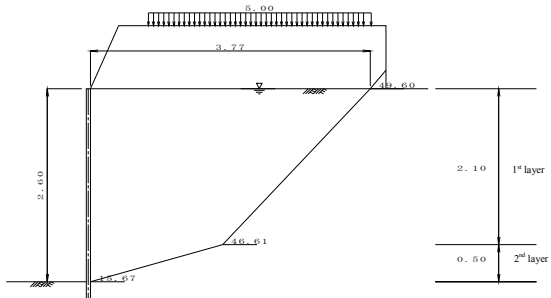
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{28.73 + 15.33 + 0.00}{1.82}$$

$$= 24.18 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	15.67	0.50	0.00	0.00	1.78	0.50
2	46.61	2.10	1.78	0.50	3.77	2.60
3	49.60	0.25	3.77	2.60	3.98	2.85

Therefore, width of acting load shall be set as 3.77 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	3.20	57.51
Σ			57.51

γ : unit weight of embankment soil

A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q x l (kN/m)
1	5.0	3.00	15.00
Σ			15.00

Q: surcharge load

l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{57.51 + 15.00 + 0.00}{3.77}$$

$$= 19.24 \text{ kN/m}^2$$

2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma h w$ (kN/m ²)	k (k')	θ (degree)	Angle of rupture ζ (degree)
1	2.60-2.10	Clayey Soil	0.0	10.0	6.0	25.00	19.24	25.48	0.200	11.31	15.67
2	2.10-0.00	Sandy Soil	30.0	10.0	0.0	21.00	19.24	20.58	0.200	11.31	46.61
3		Embankment	30.0	—	0.0	15.30	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

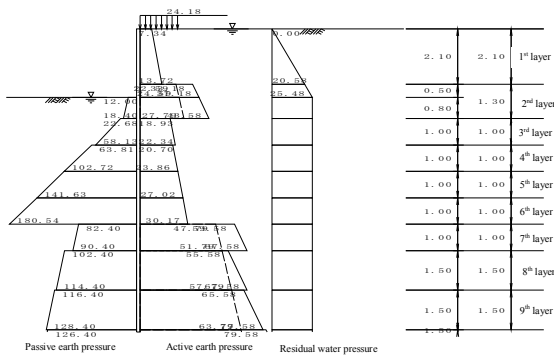
$$\zeta = \tan^{-1} \left[1 - \frac{\Sigma \gamma h + 2Q}{2C} \right] \cdot \tan \theta$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h: thickness of layer (m)
- Q: surcharge load (kN/m²)
- C: cohesive force of soil (kN/m²)

3 Lateral Pressure

3-1 Normal Condition



Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q$ (kN/m ²)	K_a	$K_a \times \cos \delta$
14	15.90-17.40	Clayey soil	8.0	—	50.0	163.578	—
15	17.40-18.90	Clayey soil	8.0	—	50.0	175.578	—
16	18.90-20.40	Sandy soil	10.0	39.0	—	187.578	0.21359
17	20.40-21.90	Sandy soil	10.0	37.0	—	202.578	0.21359

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_p$ (kN/m ²)	K_p	$K_p \times \cos \delta$
3	2.60-3.40	Clayey soil	8.0	0.0	6.0	0.000	—
4	3.40-4.40	Sandy soil	10.0	27.0	—	6.400	3.59892
5	4.40-5.40	Sandy soil	10.0	29.0	—	16.400	3.59892
6	5.40-6.40	Sandy soil	10.0	29.0	—	26.400	3.59892
7	6.40-7.40	Sandy soil	10.0	29.0	—	36.400	3.59892
8	7.40-8.40	Clayey soil	8.0	0.0	18.0	46.400	—
9	8.40-9.90	Clayey soil	8.0	0.0	24.0	54.400	—
10	9.90-11.40	Clayey soil	8.0	0.0	25.0	66.400	—
11	11.40-12.90	Clayey soil	8.0	0.0	24.0	78.400	—
12	12.90-14.40	Clayey soil	8.0	0.0	18.0	90.400	—
13	14.40-15.90	Clayey soil	8.0	0.0	24.0	102.400	—
14	15.90-17.40	Clayey soil	8.0	0.0	50.0	114.400	—
15	17.40-18.90	Clayey soil	8.0	0.0	50.0	126.400	—
16	18.90-20.40	Sandy soil	10.0	39.0	—	138.400	5.60948
17	20.40-21.90	Sandy soil	10.0	37.0	—	153.400	5.60948

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below

3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_a$ (kN/m ²)	K_a	$K_a \times \cos \delta$
1	0.00-2.10	Sandy soil	10.0	30.0	—	24.178	0.30847
2	2.10-2.60	Clayey soil	8.0	—	6.0	45.178	—
3	2.60-3.40	Clayey soil	8.0	—	6.0	49.178	—
4	3.40-4.40	Sandy soil	10.0	27.0	—	55.578	0.34585
5	4.40-5.40	Sandy soil	10.0	29.0	—	65.578	0.32058
6	5.40-6.40	Sandy soil	10.0	29.0	—	75.578	0.32058
7	6.40-7.40	Sandy soil	10.0	29.0	—	85.578	0.32058
8	7.40-8.40	Clayey soil	8.0	—	18.0	95.578	—
9	8.40-9.90	Clayey soil	8.0	—	24.0	103.578	—
10	9.90-11.40	Clayey soil	8.0	—	25.0	115.578	—
11	11.40-12.90	Clayey soil	8.0	—	24.0	127.578	—
12	12.90-14.40	Clayey soil	8.0	—	18.0	139.578	—
13	14.40-15.90	Clayey soil	8.0	—	24.0	151.578	—

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure (kNm ²)	Passive side (kNm ²)
		Pa ₁ (kNm ²)	Pa ₂ (kNm ²)	Pa ₃ (kNm ²)		
1	0.00-2.10	8.61 18.01	—	8.61 18.01	0.00 20.58	—
2	2.10-2.60	50.81 59.34	20.12 22.12	50.81 59.34	20.58 20.58	—
3	2.60-3.40	59.34 73.00	22.12 25.32	59.34 73.00	20.58 20.58	12.00 18.40
4	3.40-4.40	25.17 30.14	—	25.17 30.14	20.58 20.58	18.88 48.37
5	4.40-5.40	28.10 32.74	—	28.10 32.74	20.58 20.58	53.64 86.35
6	5.40-6.40	32.74 37.37	—	32.74 37.37	20.58 20.58	86.35 119.06
7	6.40-7.40	37.37 42.01	—	37.37 42.01	20.58 20.58	119.06 151.77
8	7.40-8.40	79.62 91.01	45.32 49.32	79.62 91.01	20.58 20.58	82.40 90.40
9	8.40-9.90	75.54 91.63	49.32 55.32	75.54 91.63	20.58 20.58	102.40 114.40
10	9.90-11.40	89.17 105.49	55.32 61.32	89.17 105.49	20.58 20.58	116.40 128.40
11	11.40-12.90	108.13 125.16	61.32 67.32	108.13 125.16	20.58 20.58	126.40 138.40
12	12.90-14.40	151.23 182.07	67.32 73.32	151.23 182.07	20.58 20.58	126.40 138.40
13	14.40-15.90	142.90 161.63	73.32 79.32	142.90 161.63	20.58 20.58	150.40 162.40
14	15.90-17.40	95.75 111.12	79.32 85.32	95.75 111.12	20.58 20.58	214.40 226.40
15	17.40-18.90	111.12 126.59	85.32 91.32	111.12 126.59	20.58 20.58	226.40 238.40
16	18.90-20.40	59.30 64.17	—	59.30 64.17	20.58 20.58	783.30 868.19
17	20.40-21.90	69.02 74.25	—	69.02 74.25	20.58 20.58	773.62 849.27

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\sum \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Clayey soil $P_{a1} = \sum \gamma h + Q - 2C$

$P_{a2} = K_a \cdot (\sum \gamma h + Q)$

K_a : Equilibrium coefficient of compression 0.5

Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\sum \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\sum \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Clayey soil $P_p = \sum \gamma h + Q + 2C$

Mixed soil $P_p = [K_p (\sum \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

R_No. 13_pp.17

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P _w (kNm ²)
1	2.10	0.00	0.00
2	2.60	0.50	0.86

$$P_w = \pm \frac{7}{8} k_{sw} \cdot \gamma_w \cdot \sqrt{H} \cdot y$$

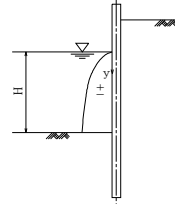
Where,

k_{sw} : design seismic coefficient

γ_w : unit weight of water

H : water depth of riverside

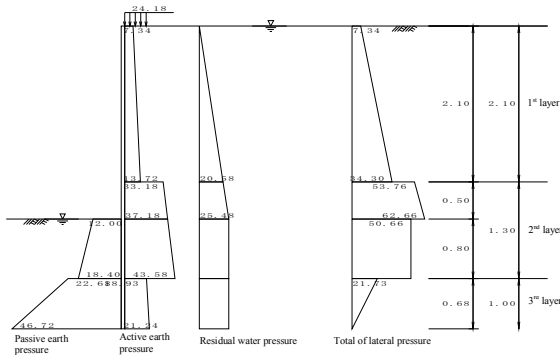
y : depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level I_k is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

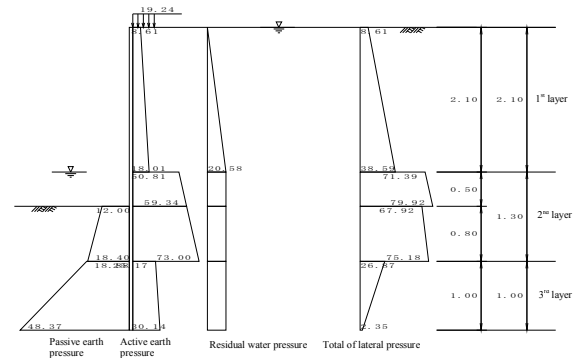


Depth (m)	Pa ₁ (kNm ²)	Pa ₂ (kNm ²)	P _w (kNm ²)	P _p (kNm ²)	P _s (kNm ²)
1	7.34	13.72	0.00	20.58	7.34
2	33.18	37.18	20.58	25.48	53.76
3	37.18	43.58	25.48	25.48	50.66
4	18.93	21.24	25.48	25.48	21.73
5	4.08	22.34	25.48	25.48	0.00

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Tentative imaginary riverbed I_k : 1.48 m (GL -4.08 m)

4-2 Seismic Condition



Depth (m)	Pa ₁ (kNm ²)	Pa ₂ (kNm ²)	P _w (kNm ²)	P _p (kNm ²)	P _s (kNm ²)
1	8.61	18.01	0.00	20.58	8.61
2	50.81	59.34	20.58	20.58	71.39
3	59.34	73.00	20.58	20.58	67.92
4	25.17	30.14	20.58	20.58	26.87
5	28.10	32.74	20.58	20.58	-4.96

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Tentative imaginary riverbed I_k : 1.80 m (GL -4.40 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below

$$K_b = 6910 \times N^{0.406}$$

where,

$$\beta = \sqrt[4]{\frac{Kh \cdot B}{4EI}}$$

- Unit width B = 1.0000 m
- Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
- Corrosion rate η = 0.92
- Section efficiency μ = 0.82
- Young's modulus E = 200000 Nmm²
- Inertia sectional moment I₀ = 86000 cm⁴ (original condition)
- I = 63296 cm⁴ (after reduction by corrosion on section)
- Inertia sectional moment EI = 200000 x 10³ x 63296 x 10⁻⁸ = 1.266 x 10⁷

Depth (m)	N-value	Depth (m)	N-value
1	0.50	15	11.40
2	1.60	15	12.90
3	2.10	1	13.40
4	3.40	1	14.90
5	4.40	7	15.40
6	5.40	14	16.90
7	6.40	14	17.40
8	7.40	13	18.90
9	8.40	3	19.40
10	9.40	4	20.90

5-2 Normal Condition

K_b = 18526 kNm³ is set tentatively.

$$\beta = \sqrt[4]{\frac{Kh \cdot B}{4EI}} = 0.437 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.29 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (CL - 4.08 m) to 2.29 m depth (CL - 6.36 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)	
		upper	lower		
1	4.08	0.32	5.1	7.0	1.94
2	4.40	1.00	7.0	14.0	10.50
3	5.40	0.96	14.0	14.0	13.51
L = 2h = 2.29				ΣA = 25.95	

$$A = (\text{upper N-value} + \text{lower N-value}) \times h/2$$

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{25.95}{2.29} = 11.35$$

Calculated K_b is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_b = 6910 \times N'^{0.406} = 6910 \times 11.35^{0.406} = 18526 \text{ kN/m}^3$$

$$K_b \text{ (normal condition)} = 18526 \text{ kNm}^3$$

5-3 Seismic Condition

K_b = 19229 kNm³ is set tentatively.

$$\beta = \sqrt[4]{\frac{Kh \cdot B}{4EI}} = 0.441 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.27 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (CL - 4.40 m) to 2.27 m depth (CL - 6.67 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)	
		upper	lower		
1	4.40	1.00	7.0	14.0	10.50
2	5.40	1.00	14.0	14.0	14.00
3	6.40	0.27	14.0	13.7	3.68
L = 2h = 2.27				ΣA = 28.18	

$$A = (\text{upper N-value} + \text{lower N-value}) \times h/2$$

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{28.18}{2.27} = 12.44$$

Calculated K_b is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following:

$$K_b = 6910 \times N'^{0.406} = 6910 \times 12.44^{0.406} = 19229 \text{ kN/m}^3$$

$$K_b \text{ (seismic condition)} = 19229 \text{ kNm}^3$$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Elevation h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P ₀ (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	7.34	7.71	3.38	26.05
		34.30	36.02	2.68	96.47
2	2.10-2.60	53.76	13.44	1.81	24.35
		62.66	15.66	1.64	25.77
3	2.60-3.40	50.66	20.26	1.21	24.55
		50.66	20.26	0.94	19.15
4	3.40-4.08	21.73	7.37	0.45	3.33
		0.00	0.00	0.23	0.00
ΣP = 120.73			ΣM = 219.66		

P₀: active earth pressure + residual water pressure - passive earth pressure

P: load P₀ x h/2 x B

B: unit width = 1.000 m

Y: height of acting position from imaginary riverbed

M: moment by load P x Y

- Arbitrary load lateral load P₁ = 2.3 kNm
- depth to acting position H₁ = -0.41 m
- moment M₁ = 0.0 kNm/m
- depth to acting position H_m = 0.00 m
- Height from riverbed to top of coping H = 2.60 m
- Depth of imaginary riverbed from riverbed L_k = 1.48 m

Moment M₁ by arbitrary load is as below
M₁ = P₁ · (H + L_k - H_{1}) + M_m = 10.32 kNm}

h₀ Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_1}{\Sigma P + P_1} = \frac{229.98}{123.03} = 1.87 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P ₀ (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	8.61	9.04	3.70	33.46
		38.59	40.52	3.00	121.56
2	2.10-2.60	71.39	17.85	2.13	38.07
		79.92	19.98	1.97	39.30
3	2.60-3.40	67.92	27.17	1.53	41.66
		75.18	30.07	1.27	38.09
4	3.40-4.40	26.87	13.44	0.67	8.96
		2.35	1.17	0.33	0.39
ΣP = 159.24			ΣM = 321.49		

P₀: active earth pressure + residual water pressure - passive earth pressure

P: load P₀ x h/2 x B

B: unit width = 1.000 m

Y: height of acting position from imaginary riverbed

M: moment by load P x Y

- Arbitrary load lateral load P₁ = 8.5 kNm
- depth to acting position H₁ = -0.23 m
- moment M₁ = 0.0 kNm/m
- depth to acting position H_m = 0.00 m
- Height from riverbed to top of coping H = 2.60 m
- Depth of imaginary riverbed from riverbed L_k = 1.80 m

Moment M₁ by arbitrary load is as below
M₁ = P₁ · (H + L_k - H_{1}) + M_m = 39.36 kNm}

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _{dw} (kNm ²)	Load P _{dw} (kN)	Arm length Y (m)	Moment M _{dw} (kNm)
1	2.10-2.60	0.50	0.0	0.00	2.13	0.00
			0.9	0.21	1.97	0.42
ΣP _{dw} = 0.21			ΣM _{dw} = 0.42			

h₀ Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_1 + \Sigma M_{dw}}{\Sigma P + P_1 + \Sigma P_{dw}} = \frac{361.27}{167.96} = 2.15 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

- Unit width B = 1.0000 m
- Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
- Corrosion rate η = 0.92
- Section efficiency μ = 0.80
- Young's modulus E = 200000 Nmm²
- Inertia sectional moment I₀ = 86000 cm⁴ (original condition)
- I = 63296 cm⁴ (after reduction by corrosion on section)
- EI = 200000 x 10³ x 63296 x 10⁻⁸ = 1.266 x 10⁷

$$\beta = \sqrt[4]{\frac{K_0 \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$I_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$I_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_0 = 18526 \text{ kNm}^{-3}$
 resultant earth force (lateral) $P_0 = 123.03 \text{ kNm}$
 height of acting position of load moment $h_0 = 1.87 \text{ m}$
 $M_0 = 229.98 \text{ kNm/m}$

in consideration of $\psi_{0a} = 1.199$, maximum moment $M_{max} = 275.83 \text{ kNm/m}$
 depth of generated position of M_{max} $I_m = 0.829 \text{ m}$
 depth of 1st fixed point $I_1 = 2.625 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_0 = 19229 \text{ kNm}^{-3}$
 resultant earth force (lateral) $P_0 = 167.96 \text{ kNm}$
 height of acting position of load moment $h_0 = 2.15 \text{ m}$
 $M_0 = 361.27 \text{ kNm/m}$

in consideration of $\psi_{0a} = 1.158$, maximum moment $M_{max} = 418.51 \text{ kNm/m}$
 depth of generated position of M_{max} $I_m = 0.752 \text{ m}$
 depth of 1st fixed point $I_1 = 2.532 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as followings:

Corrosion margin $t_1 = 1.00 \text{ mm}$ (active side) $t_2 = 1.00 \text{ mm}$ (passive side)
 Corrosion rate $n = 0.92$
 Section efficiency $u = 1.00$
 Module of section $Z_0 = 3820 \text{ cm}^3$ (original condition)
 $Z = 3514 \text{ cm}^3$ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{275.83 \times 10^6}{3514 \times 10^3} = 78 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2$$

6-3-2 Seismic Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{418.51 \times 10^6}{3514 \times 10^3} = 119 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2$$

6-4 Displacement

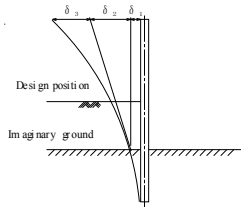
6-4-1 Normal Condition

Modulus of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)	
1	0.00-2.10	3.38 2.68	0.828 0.657	0.248 0.168	7.71 36.02	1.915 6.067
2	2.10-2.60	1.81 1.64	0.444 0.403	0.084 0.070	13.44 15.66	1.130 1.103
3	2.60-3.40	1.21 0.94	0.297 0.232	0.040 0.025	20.26 20.26	0.806 0.502
4	3.40-4.08	0.45 0.23	0.111 0.055	0.006 0.002	7.37 0.00	0.044 0.000
$\Sigma Q = 11.565$						

Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_1}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_1 : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.4374 \times 1.87) \times 123.03}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4374^3} = 0.01056 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_1)$$

$$= \frac{(1+2 \times 0.4374 \times 1.87) \times 123.03}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4374^2} \times (2.60+1.48) = 0.02730 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_1)^3}{E I}$$

$$= \frac{11.57 \times (2.60+1.48)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00620 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00047 m in consideration of following values:

Height from imaginary riverbed to top of SSP: L = 4.08 m
 Horizontal load: P = 2.30
 Moment: M = 0.94

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01056 + 0.02730 + 0.00667$$

$$= 0.04453 \text{ m}$$

$$= 44.53 \text{ mm} \leq \delta_a = 50.00 \text{ mm}$$

Where,

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ : Displacement at top of SSP
- δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

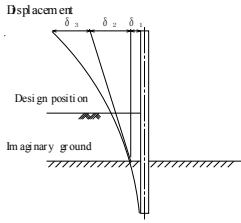
Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)	
1	0.00-2.10	3.18 2.48	0.820 0.639	0.244 0.161	9.99 41.46	2.438 6.665
2	2.10-2.60	1.61 1.45	0.416 0.373	0.074 0.061	9.87 10.43	0.735 0.635
3	2.60-3.88	0.85 0.43	0.220 0.110	0.022 0.006	26.71 2.14	0.599 0.012
4	3.40-4.40	0.67 0.33	0.152 0.076	0.011 0.003	13.44 1.17	0.146 0.043
$\Sigma Q = 15.771$						

Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_1}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_1 : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_w (kN)	Q_w (kN)
1	2.10-2.60	2.13 1.97	0.485 0.447	0.099 0.085	0.00 0.21	0.000 0.018
$\Sigma Q_w = 0.018$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 15.771 + 0.018 = 15.789$



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4414 \times 2.15) \times 167.96}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4414^3} = 0.01503 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_0)$$

$$= \frac{(1 + 2 \times 0.4414 \times 2.15) \times 167.96}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4414^2} \times (2.60 + 1.80) = 0.04342 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_0)^3}{E I}$$

$$= \frac{15.79 \times (2.60 + 1.80)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.01062 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00206 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.40 m
 Horizontal load: P = 8.50
 Moment: M = 1.96

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01503 + 0.04342 + 0.01268$$

$$= 0.07114 \text{ m}$$

$$= 71.14 \text{ mm} \leq \delta_a = 75.00 \text{ mm}$$

- Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 86000 cm ⁴ (original condition)
	I = 86000 cm ⁴ (after reduction by corrosion and section)
	$E = 200000 \times 10^3 \times 86000 \times 10^{-8}$
	$I = 1.720 \times 10^8$

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L₀, penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_0 + D$$

$$\beta = 4 \sqrt{\frac{K_h + B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction	K _h = 18526 kN/m ³
Calculated value	$\beta = 0.40509 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.48 + \frac{3}{0.405} = 8.88 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 8.88 = 11.08 \text{ m}$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction	K _h = 19229 kN/m ³
Calculated value	$\beta = 0.40888 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.80 + \frac{3}{0.409} = 9.14 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.14 = 11.34 \text{ m}$

Therefore, whole length of SSP is set as 11.50 m in consideration of round unit of SSP length

8 Calculation Result

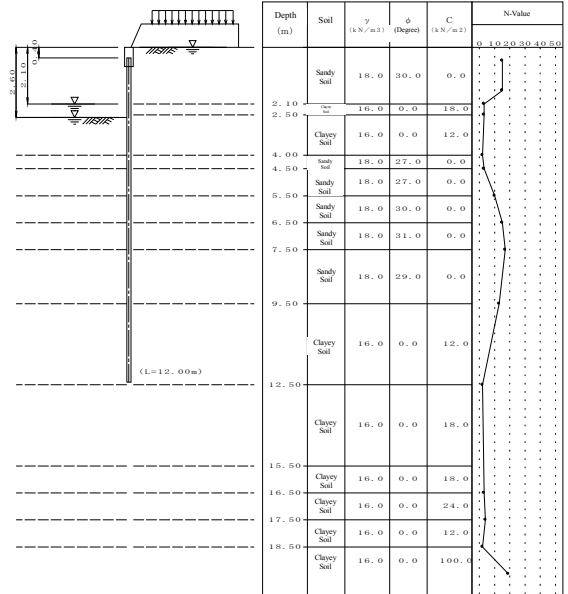
		Normal condition	Seismic condition
Inertia sectional moment	I (m ⁴)	86000	
Section modulus	Z (cm ³)	3820	
Maximum bending moment	M _{max} (kNm/m)	275.83	418.51
Stress intensity	σ (N/mm ²)	78 (180)	119 (270)
Lateral displacement	δ (mm)	44.53 (50.0)	71.14 (75.0)
Penetration depth	D (m)	8.88	9.14
Whole length of SSP	L (m)	11.50	

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 14_STA 8+900 - 9+000



1-2 Dimensions of Structure

Depth from coping top to riverbed $H = 2.60$ m
 Depth from coping top to rear side ground $H_0 = 0.00$ m
 Depth from coping top to SSP top $H_R = 0.40$ m
 Riverside WL $L_{ra} = 0.00$ m (Normal Condition)
 Landside WL $L_{rp} = 2.60$ m (Normal Condition)
 $L_{wp} = 2.10$ m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No. 14_pp 1

R_No. 14_pp 2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8$ kN/m³

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load $P_t = 2.3$ kN/m (Normal Condition)
 $P_t' = 8.5$ kN/m (Seismic Condition)
 Depth of acting point $H_t = -0.41$ m (Normal Condition)
 $H_t' = -0.23$ m (Seismic Condition)
 Moment $M_m = 0.0$ kN-m/m (Normal Condition)
 $M_m' = 0.0$ kN-m/m (Seismic Condition)
 Depth of acting point $H_m = 0.00$ m (Seismic Condition)
 $H_m = 0.00$ m (Normal Condition)
 ('Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.405}$

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/3

N-value distribution

No	depth (m)	N-Value	No	depth (m)	N-Value
1	0.50	15	11	12.50	2
2	1.60	15	12	16.50	3
3	2.10	3	13	17.50	4
4	2.50	3	14	18.50	2
5	4.00	2	15	19.50	19
6	4.50	3			
7	5.50	10			
8	6.50	15			
9	7.50	17			
10	9.50	13			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on front side not considered

1-7 Soil Modulus

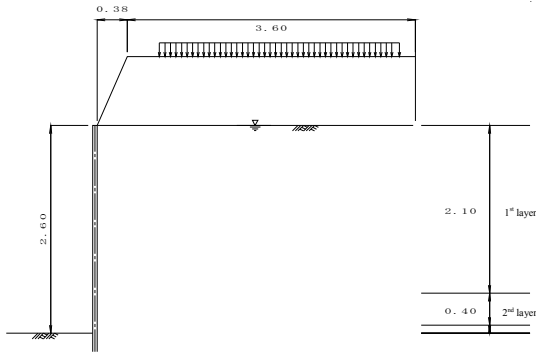
No	depth (m)	Soil	N-value	γ (kN/m ³)	γ' (kN/m ³)	ϕ	C (kN/m ²)	a	k'	ζ (degree)		kh(kN/m ³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto		
2	2.50	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto		
3	4.00	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto		
4	4.50	S	3.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto		
5	5.50	S	10.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto		
6	6.50	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto		
7	7.50	S	17.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto		
8	9.50	S	13.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto		
9	12.50	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto		
10	15.50	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto		
11	16.50	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto		
12	17.50	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto		
13	18.50	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto		
14	19.50	C	19.0	16.00	8.00	0.0	100.0	0.0	0.200	auto	auto		

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N-value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C_s : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (underwater)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.38	3.98	3.98	0.86	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	0.78	3.78	10.0	5.0

Angle of rupture in embankment

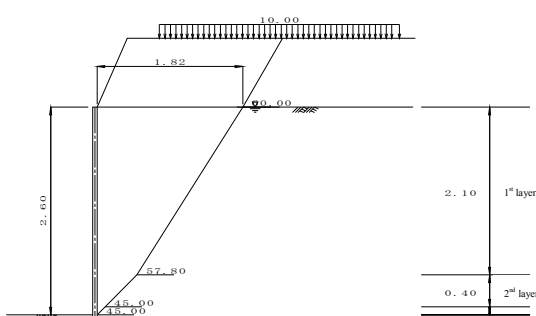
calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 86000 cm ⁴
Sectional factor	Z ₀ = 3820 cm ³
Corrosion margin	t ₁ = 1.00 mm (riverside) t ₂ = 1.00 mm (landside)
Corrosion rate (to I ₀)	η = 0.92
Corrosion rate (to Z ₀)	η = 0.92
Section efficiency (to I ₀)	μ = 0.80
Section efficiency (to Z ₀)	μ = 1.00
Round unit of SSP length	0.50 m
Allowable stress	σ_a = 180 N/mm ² (Normal) σ_a' = 270 N/mm ² (Seismic)
Allowable displacement	δ_a = 50.0 mm (Normal) δ_a' = 75.0 mm (Seismic)
Bending of cantilever beam	calculated as distributed load of each layer
Reduction of material modulus	Reduced: I ₀ applied to calculation of lateral coefficient of subgrade reaction Not reduced: I ₀ applied to calculation of penetration depth Reduced: I ₀ applied to calculation of section forces and displacement Reduced: Z ₀ applied to calculation of stresses

2 Calculation of Acting Load

2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma w h w$ (kN/m ²)	Angle of rupture Z (degree)
1	2.60- 2.50	Clayey Soil	0.0	10.0	12.0	25.00	24.42	25.48	45.00
2	2.50- 2.10	Clayey Soil	0.0	10.0	18.0	24.20	24.42	24.50	45.00
3	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	24.42	20.58	57.80
4		Embankment	30.0	—	0.0	15.48	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta=0^\circ$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.10	0.00	0.00	0.10	0.10
2	45.00	0.40	0.10	0.10	0.50	0.50
3	57.80	2.10	0.50	0.50	1.82	2.60
4	60.00	0.86	1.82	2.60	2.32	3.46

Therefore, width of acting load shall be set as 1.82 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	1.62	29.11
Σ			29.11

γ : unit weight of embankment soil

A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.54	15.39
Σ			15.39

Q : surcharge load

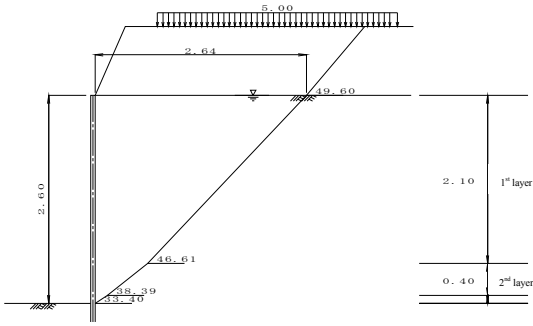
l : width of surcharge load set by line of active rupture

2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{1.82}$$

$$= \frac{29.11 + 15.39 + 0.00}{1.82}$$

$$= 24.42 \text{ kN/m}^2$$



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma\gamma h$ (kN/m ²)	Q (kN/m ²)	γwh (kN/m ²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60- 2.50	Clayey Soil	0.0	10.0	12.0	25.00	21.42	25.48	0.200	11.31	33.40
2	2.50- 2.10	Clayey Soil	0.0	10.0	18.0	24.20	21.42	24.50	0.200	11.31	38.39
3	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	21.42	20.58	0.200	11.31	46.61
4		Embankment	30.0	—	0.0	15.48	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi - \theta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	33.40	0.10	0.00	0.00	0.15	0.10
2	38.39	0.40	0.15	0.10	0.66	0.50
3	46.61	2.10	0.66	0.50	2.64	2.60
4	49.60	0.86	2.64	2.60	3.37	3.46

Therefore, width of acting load shall be set as 2.64 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.42	43.62
Σ			43.62

γ : unit weight of embankment soil

A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	2.59	12.97
Σ			12.97

Q: surcharge load

l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

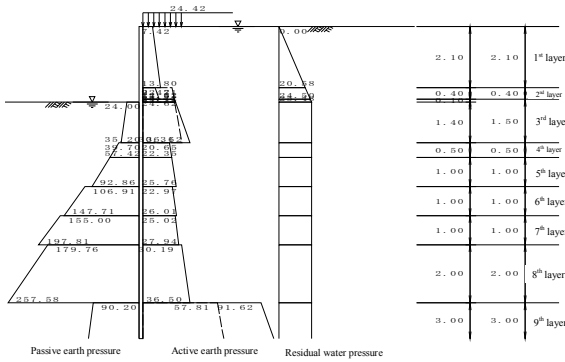
$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{43.62 + 12.97 + 0.00}{2.64}$$

$$= 21.42 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_a$ (kN/m ²)	K_a	$K_a \times \cos \delta$
1	0.00- 2.10	Sandy soil	10.0	30.0	—	24.419 45.419	0.30847 0.30847
2	2.10- 2.50	Clayey soil	8.0	—	18.0	45.419 48.619	—
3	2.50- 2.60	Clayey soil	8.0	—	12.0	48.619 49.419	—
4	2.60- 4.00	Clayey soil	8.0	—	12.0	49.419 60.619	—
5	4.00- 4.50	Sandy soil	10.0	27.0	—	60.619 65.619	0.34585 0.34585
6	4.50- 5.50	Sandy soil	10.0	27.0	—	65.619 75.619	0.34585 0.34585
7	5.50- 6.50	Sandy soil	10.0	30.0	—	75.619 85.619	0.30847 0.30847
8	6.50- 7.50	Sandy soil	10.0	31.0	—	85.619 95.619	0.29669 0.29669
9	7.50- 9.50	Sandy soil	10.0	29.0	—	95.619 115.619	0.32058 0.32058
10	9.50- 12.50	Clayey soil	8.0	—	12.0	115.619 139.619	—
11	12.50- 15.50	Clayey soil	8.0	—	18.0	139.619 163.619	—
12	15.50- 16.50	Clayey soil	8.0	—	18.0	163.619 171.619	—
13	16.50- 17.50	Clayey soil	8.0	—	24.0	171.619 179.619	—

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_a$ (kN/m ²)	K_a	$K_a \times \cos \delta$
14	17.50- 18.50	Clayey soil	8.0	—	12.0	179.619 187.619	—
15	18.50- 19.50	Clayey soil	8.0	—	100.0	187.619 195.619	—

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below;

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

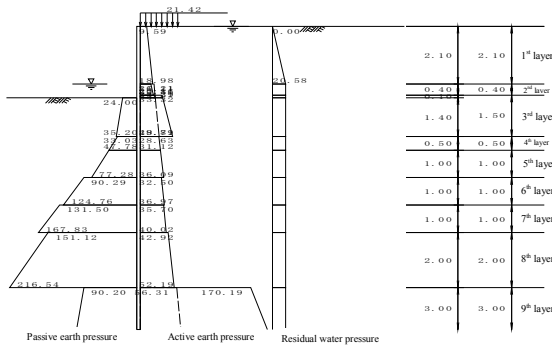
3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_p$ (kN/m ²)	K_p	$K_p \times \cos \delta$
4	2.60- 4.00	Clayey soil	8.0	0.0	12.0	0.000 11.200	—
5	4.00- 4.50	Sandy soil	10.0	27.0	—	11.200 16.200	3.59892 3.59892
6	4.50- 5.50	Sandy soil	10.0	27.0	—	16.200 26.200	3.59892 3.59892
7	5.50- 6.50	Sandy soil	10.0	30.0	—	26.200 36.200	4.14330 4.14330
8	6.50- 7.50	Sandy soil	10.0	31.0	—	36.200 46.200	4.34774 4.34774
9	7.50- 9.50	Sandy soil	10.0	29.0	—	46.200 66.200	3.95096 3.95096
10	9.50- 12.50	Clayey soil	8.0	0.0	12.0	66.200 90.200	—
11	12.50- 15.50	Clayey soil	8.0	0.0	18.0	90.200 114.200	—
12	15.50- 16.50	Clayey soil	8.0	0.0	18.0	114.200 122.200	—
13	16.50- 17.50	Clayey soil	8.0	0.0	24.0	122.200 130.200	—
14	17.50- 18.50	Clayey soil	8.0	0.0	12.0	130.200 138.200	—
15	18.50- 19.50	Clayey soil	8.0	0.0	100.0	138.200 146.200	—

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below;

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

Depth (m)	Active side				Residual water pressure (kN/m ²)	Passive side (kN/m ²)
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)	Pw (kN/m ²)		
1 0.00-2.10	7.42 13.80	—	7.42 13.80	0.00 20.58	—	—
2 2.10-2.50	9.42 12.62	22.71 24.31	22.71 24.31	20.58 24.50	—	—
3 2.50-2.60	24.62 25.42	24.31 24.71	24.62 25.42	24.50 25.48	—	—
4 2.60-4.00	25.42 36.62	24.71 30.31	25.42 36.62	25.48 25.48	24.00 35.20	—
5 4.00-4.50	20.65 22.35	—	20.65 22.35	25.48 25.48	39.70 57.42	—
6 4.50-5.50	22.35 25.76	—	22.35 25.76	25.48 25.48	57.42 92.86	—
7 5.50-6.50	22.97 26.01	—	22.97 26.01	25.48 25.48	106.91 147.71	—
8 6.50-7.50	25.02 27.94	—	25.02 27.94	25.48 25.48	155.00 197.81	—
9 7.50-9.50	30.19 36.50	—	30.19 36.50	25.48 25.48	179.76 257.58	—
10 9.50-12.50	91.62 115.62	57.81 69.81	91.62 115.62	25.48 25.48	90.20 114.20	—
11 12.50-15.50	103.62 127.62	69.81 81.81	103.62 127.62	25.48 25.48	126.20 150.20	—
12 15.50-16.50	127.62 135.62	81.81 85.81	127.62 135.62	25.48 25.48	150.20 158.20	—
13 16.50-17.50	123.62 131.62	85.81 89.81	123.62 131.62	25.48 25.48	170.20 178.20	—
14 17.50-18.50	155.62 163.62	89.81 93.81	155.62 163.62	25.48 25.48	154.20 162.20	—
15 18.50-19.50	-12.38 -4.38	93.81 97.81	93.81 97.81	25.48 25.48	338.20 346.20	—



Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(\delta - \beta)} \right] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a: Equilibrium coefficient of compression. 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(\delta - \beta)} \right] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

R_No. 14_pp.13

3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Q (kN/m ²)	γwhw (kN/m ²)	k (k)	θ (degree)	Ka	Ka >cosδ	θ (degree)
1 0.00-2.10	Sandy Soil	10.0	30.0	—	21.42 42.42	0.00 20.58	0.200 0.200	11.31	0.45442	0.44752	—
2 2.10-2.50	Clayey Soil	8.0	—	18.0	42.42 45.62	20.58 24.50	0.200 0.200	11.31	—	—	38.78 38.39
3 2.50-2.60	Clayey Soil	8.0	—	12.0	45.62 46.42	24.50 25.48	0.200 0.200	11.31	—	—	33.60 33.40
4 2.60-4.00	Clayey Soil	8.0	—	12.0	46.42 57.62	25.48 39.20	0.200 0.200	11.31	—	—	33.40 30.30
5 4.00-4.50	Sandy Soil	10.0	27.0	—	57.62 62.62	39.20 44.10	0.200 0.200	11.31	0.50461	0.49695	—
6 4.50-5.50	Sandy Soil	10.0	27.0	—	62.62 72.62	44.10 53.90	0.200 0.200	11.31	0.50461	0.49695	—
7 5.50-6.50	Sandy Soil	10.0	30.0	—	72.62 82.62	53.90 63.70	0.200 0.200	11.31	0.45442	0.44752	—
8 6.50-7.50	Sandy Soil	10.0	31.0	—	82.62 92.62	63.70 73.50	0.200 0.200	11.31	0.43879	0.43213	—
9 7.50-9.50	Sandy Soil	10.0	29.0	—	92.62 112.62	73.50 93.10	0.200 0.200	11.31	0.47058	0.46343	—
10 9.50-12.50	Clayey Soil	8.0	—	12.0	112.62 136.62	93.10 122.50	0.200 0.200	11.31	—	—	10.00 10.00
11 12.50-15.50	Clayey Soil	8.0	—	18.0	136.62 160.62	122.50 151.90	0.200 0.200	11.31	—	—	19.25 10.00
12 15.50-16.50	Clayey Soil	8.0	—	18.0	160.62 168.62	151.90 161.70	0.200 0.200	11.31	—	—	10.00 10.00
13 16.50-17.50	Clayey Soil	8.0	—	24.0	168.62 176.62	161.70 171.50	0.200 0.200	11.31	—	—	24.53 22.69
14 17.50-18.50	Clayey Soil	8.0	—	12.0	176.62 184.62	171.50 181.30	0.200 0.200	11.31	—	—	10.00 10.00

R_No. 14_pp.14

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Q (kN/m ²)	γwhw (kN/m ²)	k (k)	θ (degree)	Ka	Ka >cosδ	θ (degree)
15 18.50-19.50	Clayey Soil	8.0	—	100.0 100.0	184.62 192.62	181.30 191.10	0.200 0.200	11.31 11.31	—	—	41.70 41.56

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;
 δ = 10.00, β = 0.00, θ = tan⁻¹k

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(\delta - \beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below;

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Qp (kN/m ²)	γwhw (kN/m ²)	k (k)	θ (degree)	Kp	Kp >cosδ
4 2.60-4.00	Clayey soil	8.00	0.0	12.0 12.0	0.00 11.200	0.00 13.72	0.200 0.200	11.31	—	—
5 4.00-4.50	Sandy soil	10.00	27.0	—	11.200 16.200	13.72 18.62	0.200 0.200	11.31	2.99498	2.94948
6 4.50-5.50	Sandy soil	10.00	27.0	—	16.200 26.200	18.62 28.42	0.200 0.200	11.31	2.99498	2.94948
7 5.50-6.50	Sandy soil	10.00	30.0	—	26.200 36.200	28.42 38.22	0.200 0.200	11.31	3.49953	3.44637
8 6.50-7.50	Sandy soil	10.00	31.0	—	36.200 46.200	38.22 48.02	0.200 0.200	11.31	3.68877	3.63273
9 7.50-9.50	Sandy soil	10.00	29.0	—	46.200 66.200	48.02 67.62	0.200 0.200	11.31	3.32141	3.27095
10 9.50-12.50	Clayey soil	8.00	0.0	12.0 12.0	66.200 90.200	67.62 97.02	0.200 0.200	11.31	—	—
11 12.50-15.50	Clayey soil	8.00	0.0	18.0 18.0	90.200 114.200	97.02 126.42	0.200 0.200	11.31	—	—
12 15.50-16.50	Clayey soil	8.00	0.0	18.0 18.0	114.200 122.200	126.42 136.22	0.200 0.200	11.31	—	—
13 16.50-17.50	Clayey soil	8.00	0.0	24.0 24.0	122.200 130.200	136.22 146.02	0.200 0.200	11.31	—	—
14 17.50-18.50	Clayey soil	8.00	0.0	12.0 12.0	130.200 138.200	146.02 155.82	0.200 0.200	11.31	—	—
15 18.50-19.50	Clayey soil	8.00	0.0	100.0 100.0	138.200 146.200	155.82 165.62	0.200 0.200	11.31	—	—

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below;
 δ = -10.00, β = 0.00, θ = tan⁻¹k

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(\delta - \beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side				Residual water pressure (kN/m ²)	Passive side (kN/m ²)
		Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)	Pw (kN/m ²)		
1 0.00-2.10	9.59 18.98	—	9.59 18.98	0.00 20.58	—	—	
2 2.10-2.50	16.11 20.16	21.21 22.81	21.21 22.81	20.58 20.58	—	—	
3 2.50-2.60	33.32 34.39	22.81 23.21	33.32 34.39	20.58 20.58	—	—	
4 2.60-4.00	34.39 49.79	23.21 28.81	34.39 49.79	20.58 20.58	24.00 35.20	—	
5 4.00-4.50	28.63 31.12	—	28.63 31.12	20.58 20.58	33.03 47.78	—	
6 4.50-5.50	31.12 36.09	—	31.12 36.09	20.58 20.58	47.78 77.28	—	
7 5.50-6.50	32.50 36.97	—	32.50 36.97	20.58 20.58	90.29 124.76	—	
8 6.50-7.50	35.70 40.02	—	35.70 40.02	20.58 20.58	131.50 167.83	—	
9 7.50-9.50	42.92 52.19	—	42.92 52.19	20.58 20.58	151.12 216.54	—	
10 9.50-12.50	170.19 221.41	56.31 68.31	170.19 221.41	20.58 20.58	90.20 114.20	—	
11 12.50-15.50	157.03 237.55	68.31 80.31	157.03 237.55	20.58 20.58	126.20 150.20	—	
12 15.50-16.50	237.55 254.62	80.31 84.31	237.55 254.62	20.58 20.58	150.20 158.20	—	
13 16.50-17.50	178.98 193.67	84.31 88.31	178.98 193.67	20.58 20.58	170.20 178.20	—	
14 17.50-18.50	306.78 323.85	88.31 92.31	306.78 323.85	20.58 20.58	154.20 162.20	—	
15 18.50-19.50	24.73 34.62	92.31 96.31	24.73 34.62	20.58 20.58	338.20 346.20	—	

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(\delta - \beta)} \right] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a: Equilibrium coefficient of compression. 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(\delta - \beta)} \right] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

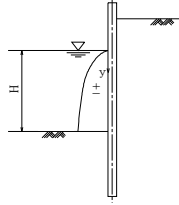
R_No. 14_pp.15

R_No. 14_pp.16

No	Depth Z (m)	WL y (m)	P _{dw} (kN/m ²)
1	2.10	0.00	0.00
2	2.60	0.50	0.86

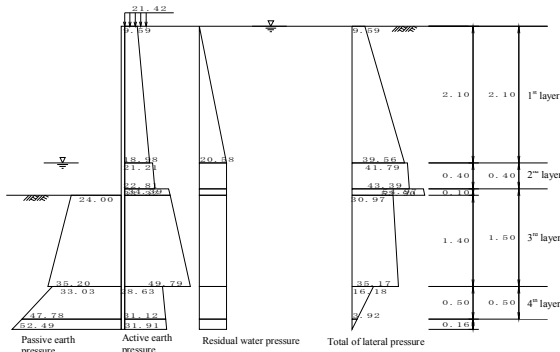
$$p_{dw} = \pm \frac{7}{8} k_{ds} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

Where:
 k_{ds}: design seismic coefficient
 γ_w: unit weight of water
 H: water depth of riverside
 y: depth from water surface to the point where active water pressure is calculated



R_No. 14_pp.17

4-2 Seismic Condition



Depth (m)	Pa (kN/m ²)	Pw (kN/m ²)	Pp (kN/m ²)	Ps (kN/m ²)
1 0.00-2.10	9.59 18.98	0.00 20.58	— —	9.59 39.56
2 2.10-2.50	21.21 22.81	20.58 20.58	— —	41.79 43.39
3 2.50-2.60	33.32 34.39	20.58 20.58	— —	53.90 54.97
4 2.60-4.00	34.39 49.79	20.58 20.58	24.00 35.20	30.97 35.17
5 4.00-4.50	28.63 31.12	20.58 20.58	33.03 47.78	16.18 3.92
6 4.50-4.66	31.12 31.91	20.58 20.58	47.78 52.49	3.92 0.00
7 4.66-5.50	31.91 36.09	20.58 20.58	52.49 77.28	0.00 -20.61

P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 P_s: Lateral pressure P_s = P_a + P_w - P_p

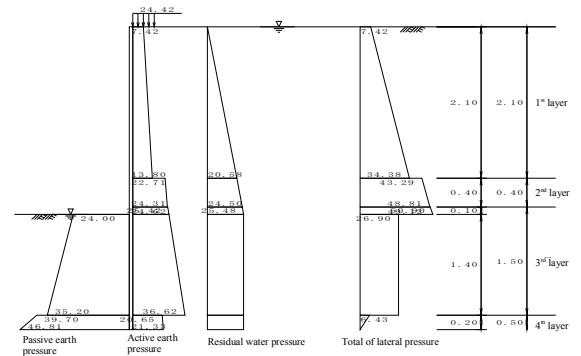
Tentative imaginary riverbed L₄: 2.06 m (GL -4.66 m)

R_No. 14_pp.19

4 Imaginary Riverbed

Imaginary ground level L₄ is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition



Depth (m)	Pa (kN/m ²)	Pw (kN/m ²)	Pp (kN/m ²)	Ps (kN/m ²)
1 0.00-2.10	7.42 13.80	0.00 20.58	— —	7.42 34.38
2 2.10-2.50	22.71 24.31	20.58 24.50	— —	43.29 48.81
3 2.50-2.60	24.62 25.42	24.50 25.48	— —	49.12 50.90
4 2.60-4.00	25.42 36.62	25.48 25.48	24.00 35.20	26.90 26.90
5 4.00-4.20	20.65 21.33	25.48 25.48	39.70 46.81	6.43 0.00
6 4.20-4.50	21.33 22.35	25.48 25.48	46.81 57.42	0.00 -9.59

P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 P_s: Lateral pressure P_s = P_a + P_w - P_p

Tentative imaginary riverbed L₄: 1.60 m (GL -4.20 m)

R_No. 14_pp.18

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below;

$$K_h = 6910 \times N^{0.406}$$

where,

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width B = 1.0000 m
 Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.92
 Section efficiency μ = 0.80
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 86000 cm⁴ (original condition)
 I = 63296 cm⁴ (after reduction by corrosion and section)
 Inertia sectional moment EI = 200000 x 10³ x 63296 x 10⁻⁸ = 1.266 x 10⁵

Depth (m)	N-value	Depth (m)	N-value
1 0.50	15	11 12.50	2
2 1.00	15	12 16.50	3
3 2.10	3	13 17.50	4
4 2.50	3	14 18.50	2
5 4.00	2	15 19.50	19
6 4.50	3		
7 5.50	10		
8 6.50	15		
9 7.50	17		
10 9.50	13		

5-2 Normal Condition

K_h = 16668 kN/m³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.426 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.35 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.20 m) to 2.35 m depth (GL -6.55 m).

R_No. 14_pp.20

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	4.20	0.30	3.0	0.81
2	4.50	1.00	3.0	6.50
3	4.50	1.00	10.0	12.50
4	6.50	0.05	15.0	0.73
L = Σh = 2.35				ΣA = 20.54

A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\sum A}{L}$$

$$= \frac{20.54}{2.35}$$

$$= 8.75$$

Calculated K_b is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_b = 6910 \times N'^{0.006} = 6910 \times 8.75^{0.006} = 16668 \text{ kN/m}^3$$

$$K_b \text{ (normal condition)} = 16668 \text{ kN/m}^3$$

5-3 Seismic Condition

$K_b = 18351 \text{ kN/m}^3$ is set tentatively.

$$\beta = 4\sqrt{\frac{K_b \cdot B}{4 E I}}$$

$$= 0.436 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.29 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.66 m) to 2.29 m depth (GL -6.95 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	4.66	0.84	4.1	5.93
2	4.50	1.00	10.0	12.50
3	6.50	0.45	15.0	6.98
L = Σh = 2.29				ΣA = 25.41

A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\sum A}{L}$$

$$= \frac{25.41}{2.29}$$

$$= 11.09$$

Calculated K_b is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following:

$$K_b = 6910 \times N'^{0.006} = 6910 \times 11.09^{0.006} = 18351 \text{ kN/m}^3$$

$$K_b \text{ (seismic condition)} = 18351 \text{ kN/m}^3$$

R_No. 14_pp.21

Depth Z (m)	Thickness h (m)	Lateral load Ps (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
6	4.50-4.66	0.16	3.92	0.31	0.03
					0.00
ΣP = 125.72					ΣM = 291.54

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_l = 8.5 \text{ kN/m}$
 depth to acting position $H_l = -0.23 \text{ m}$
 moment $M_m = 0.0 \text{ kN·m/m}$
 depth to acting position $H_m = 0.00 \text{ m}$
 Height from riverbed to top of coping $H = 2.60 \text{ m}$
 Depth of Imaginary riverbed from riverbed $L_k = 2.06 \text{ m}$

Moment M_l by arbitrary load is as below
 $M_l = P_l \cdot (H + L_k - H_l) + M_m = 41.56 \text{ kN·m}$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{dw} (kN/m ²)	Load P_{dw} (kN)	Arm length Y (m)	Moment M_{dw} (kN·m)
1	2.10-2.60	0.50	0.0	0.00	2.39	0.00
					0.21	0.48
ΣP _{dw} = 0.21					ΣM _{dw} = 0.48	

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_l + \sum M_{dw}}{\sum P + P_l + \sum P_{dw}}$$

$$= \frac{333.58}{134.44} = 2.48 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as followings:

Unit width	B = 1.0000 m
Corrosion margin	$t_1 = 1.00 \text{ mm}$ (active side) $t_2 = 1.00 \text{ mm}$ (passive side)
Corrosion rate	$\eta = 0.92$
Section efficiency	$\mu = 0.80$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 86000 \text{ cm}^4$ (original condition)
	I = 63296 cm ⁴ (after reduction by corrosion and section)
	EI = 200000 × 10 ³ × 63296 × 10 ⁸ = 1.266 × 10 ¹⁷

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00-2.10	7.42	7.79	3.50	27.27
					34.38
2	2.10-2.50	43.29	8.66	1.97	17.03
					48.81
3	2.50-2.60	49.12	2.46	1.67	4.10
					50.90
4	2.60-4.00	26.90	18.83	1.13	21.35
					26.90
5	4.00-4.20	6.43	0.65	0.13	0.09
					0.00
ΣP = 105.61					ΣM = 205.56

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_l = 2.3 \text{ kN/m}$
 depth to acting position $H_l = -0.41 \text{ m}$
 moment $M_m = 0.0 \text{ kN·m/m}$
 depth to acting position $H_m = 0.00 \text{ m}$
 Height from riverbed to top of coping $H = 2.60 \text{ m}$
 Depth of Imaginary riverbed from riverbed $L_k = 1.60 \text{ m}$

Moment M_l by arbitrary load is as below
 $M_l = P_l \cdot (H + L_k - H_l) + M_m = 10.60 \text{ kN·m}$

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_l}{\sum P + P_l}$$

$$= \frac{216.17}{107.91} = 2.00 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00-2.10	9.59	10.06	3.96	39.85
					39.56
2	2.10-2.50	41.79	8.36	2.43	20.28
					43.39
3	2.50-2.60	53.90	2.69	2.13	5.73
					54.97
4	2.60-4.00	30.97	21.68	1.59	34.53
					35.17
5	4.00-4.50	16.18	4.04	0.49	1.99
					3.92

R_No. 14_pp.22

$$\beta = 4\sqrt{\frac{K_b \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$I_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$I_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction $K_b = 16668 \text{ kN/m}^3$
 calculated value $\beta = 0.42595 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 107.91 \text{ kN/m}$
 height of acting position of load $h_0 = 2.00 \text{ m}$
 moment $M_0 = 216.17 \text{ kN·m/m}$

in consideration of $\psi_{0a} = 1.187$,
 maximum moment $M_{max} = 256.55 \text{ kN·m/m}$
 depth of generated position of M_{max} $I_m = 0.831 \text{ m}$
 depth of 1st fixed point $I_1 = 2.675 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction $K_b = 18351 \text{ kN/m}^3$
 calculated value $\beta = 0.43632 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 134.44 \text{ kN/m}$
 height of acting position of load $h_0 = 2.48 \text{ m}$
 moment $M_0 = 333.58 \text{ kN·m/m}$

in consideration of $\psi_{0a} = 1.129$,
 maximum moment $M_{max} = 376.59 \text{ kN·m/m}$
 depth of generated position of M_{max} $I_m = 0.701 \text{ m}$
 depth of 1st fixed point $I_1 = 2.501 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin	t_1	=	1.00 mm (active side)	t_2	=	1.00 mm (passive side)
Corrosion rate	η	=	0.92			
Section efficiency	μ	=	1.00			
Module of section	Z_0	=	3820 cm ³ (original condition)			
	Z	=	3514 cm ³ (after reduction by corrosion and section)			

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{256.55 \times 10^6}{3514 \times 10^3} = 73 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{376.59 \times 10^6}{3514 \times 10^3} = 107 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	3.50 2.80	0.833 0.667	0.251 0.173	7.79 36.10	1.953 6.240
2	2.10-2.50	1.97 1.83	0.468 0.437	0.093 0.081	8.66 9.76	0.801 0.795
3	2.50-2.60	1.67 1.63	0.397 0.389	0.068 0.066	2.46 2.54	0.168 0.168
4	2.60-4.00	1.13 0.67	0.270 0.159	0.033 0.012	18.83 18.83	0.624 0.225
5	4.00-4.20	0.13 0.07	0.032 0.016	0.001 0.000	0.65 0.00	0.000 0.000
$\Sigma Q = 10.975$						

Y : Height from imaginary riverbed to acting position

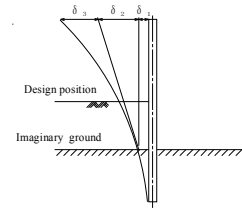
$$\alpha : \alpha = \frac{Y}{H+L_k}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$
P : Lateral force
H : Depth to design position
L_k : Depth from design position to imaginary ground

R_No. 14_pp.25

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.4260 \times 2.00) \times 107.91}{2 \times 2.00 \times 10^9 \times 63296 \times 10^{-8} \times 0.4260^3} = 0.10122 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_k)$$

$$= \frac{(1+2 \times 0.4260 \times 2.00) \times 107.91}{2 \times 2.00 \times 10^9 \times 63296 \times 10^{-8} \times 0.4260^2} \times (2.60+1.60) = 0.02671 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{E I}$$

$$= \frac{10.97 \times (2.60+1.60)^3}{2.00 \times 10^9 \times 63296 \times 10^{-8}} = 0.00643 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00051 m in consideration of following values:
Height from imaginary riverbed to top of SSP: L = 4.20 m
Horizontal load: P = 2.30
Moment: M = 0.94

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.10122 + 0.02671 + 0.00643$$

$$= 0.04387 \text{ m}$$

$$= 43.87 \leq \delta_a = 50.00 \text{ mm}$$

Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

R_No. 14_pp.26

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	3.96 3.26	0.850 0.700	0.259 0.188	10.06 41.54	2.605 7.794
2	2.10-2.50	2.43 2.29	0.521 0.492	0.112 0.101	8.36 8.68	0.936 0.878
3	2.50-2.60	2.13 2.09	0.456 0.449	0.088 0.086	2.69 2.75	0.238 0.236
4	2.60-4.00	1.59 1.13	0.342 0.222	0.052 0.027	21.68 24.62	1.122 0.661
5	4.00-4.50	0.49 0.33	0.106 0.070	0.005 0.002	4.04 0.98	0.022 0.002
6	4.50-4.66	0.11 0.05	0.023 0.011	0.000 0.000	0.31 0.00	0.000 0.000
$\Sigma Q = 14.496$						

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_k}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$
P : Lateral force
H : Depth to design position
L_k : Depth from design position to imaginary ground

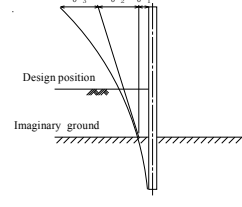
Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_{se} (kN)	Q_{se} (kN)
1	2.10-2.60	2.39 2.23	0.514 0.478	0.109 0.096	0.00 0.21	0.000 0.021
$\Sigma Q_{se} = 0.021$						

Therefore, modulus of deformation Q is calculated as below:
 $Q = 14.496 + 0.021 = 14.516$

R_No. 14_pp.27

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.4363 \times 2.48) \times 134.44}{2 \times 2.00 \times 10^9 \times 63296 \times 10^{-8} \times 0.4363^3} = 0.01331 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_k)$$

$$= \frac{(1+2 \times 0.4363 \times 2.48) \times 134.44}{2 \times 2.00 \times 10^9 \times 63296 \times 10^{-8} \times 0.4363^2} \times (2.60+2.06) = 0.04114 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{E I}$$

$$= \frac{14.52 \times (2.60+2.06)^3}{2.00 \times 10^9 \times 63296 \times 10^{-8}} = 0.01160 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00243 m in consideration of following values:
Height from imaginary riverbed to top of SSP: L = 4.66 m
Horizontal load: P = 8.50
Moment: M = 1.96

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01331 + 0.04114 + 0.01160$$

$$= 0.06605 \text{ m}$$

$$= 66.05 \leq \delta_a = 75.00 \text{ mm}$$

Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

R_No. 14_pp.28

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below:

Unit width	B	=	1.0000 m
Corrosion rate	η	=	1.00
Section efficiency	μ	=	1.00
Young's modulus	E	=	200000 N/mm ²
Inertia sectional moment	I_0	=	86000 cm ⁴ (original condition)
	I	=	86000 cm ⁴ (after reduction by corrosion and section)
EI = 200000 x 10 ³ x 86000 x 10 ⁻⁸		=	1.720 x 10 ⁹

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_k , penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings:

$$D = L_k + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = 4\sqrt{\frac{K_s \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	K_s	=	16668 kN/m ³
Calculated value	β	=	0.39453 m ⁻¹
Penetration length of SSP	D	=	1.60 + $\frac{3}{0.395}$ = 9.20 m
Whole length of SSP	L	=	2.60 - 0.40 + 9.20 = 11.40 m

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	K_s	=	18351 kN/m ³
Calculated value	β	=	0.40413 m ⁻¹
Penetration length of SSP	D	=	2.06 + $\frac{3}{0.404}$ = 9.48 m
Whole length of SSP	L	=	2.60 - 0.40 + 9.48 = 11.68 m

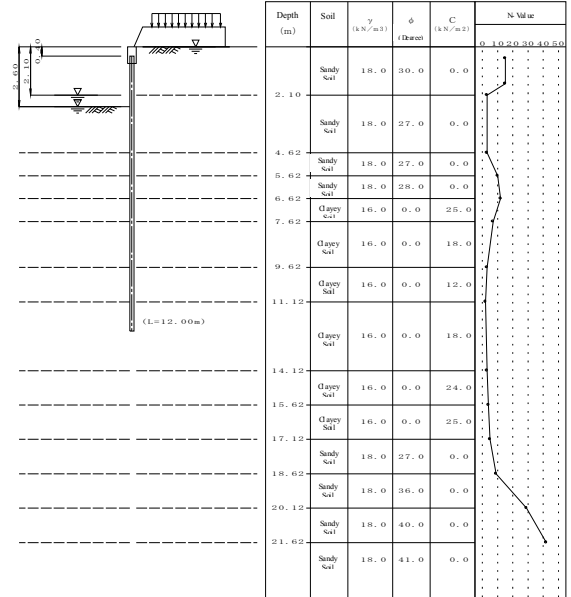
Therefore, whole length of SSP is set as 12.00 m in consideration of round unit of SSP length.

8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	86000		
Section modulus	Z (cm ³)	3820		
Maximum bending moment	M_{max} (kN·m/m)		256.55	376.59
Stress intensity	σ (N/mm ²)		73 (180)	107 (270)
Lateral displacement	δ (mm)		43.87 (50.0)	68.49 (75.0)
Penetration depth	D (m)		9.20	9.48
Whole length of SSP	L (m)	12.00		

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



— Steel Sheet Pile Design Calculation —

Right Bank No. 15_STA 9+000 - 9+150

1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Reverse WL L_{rev} = 0.00 m (Normal Condition)
 L_{rev}' = 0.00 m (Seismic Condition)
 Landside WL L_{land} = 2.60 m (Normal Condition)
 L_{land}' = 2.10 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No. 15_pp.1

R_No. 15_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^3$

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load Pt = 2.3 kNm (Normal Condition)
 Pt' = 8.6 kNm (Seismic Condition)
 Depth of acting point H = -0.41 m (Normal Condition)
 H' = -0.24 m (Seismic Condition)
 Moment Mm = 0.0 kNm/m (Normal Condition)
 Mm' = 0.0 kNm/m (Seismic Condition)
 Depth of acting point Hm' = 0.00 m (Seismic Condition)
 Hm = 0.00 m (Normal Condition)
 (*Depth means distance from top of coping)

Wind load Impact load not considered

Minimum angle of rupture $\zeta_0 = 10 \text{ degrees}$

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h^2 Q}{2C}} \cdot \tan \theta$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.405}$

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	15.62	4
2	1.60	15	12	17.12	5
3	2.10	3	13	18.62	9
4	4.62	3	14	20.12	20
5	5.62	10	15	21.62	42
6	6.62	12	16	23.12	45
7	7.62	7			
8	9.62	3			
9	11.12	2			
10	14.12	3			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

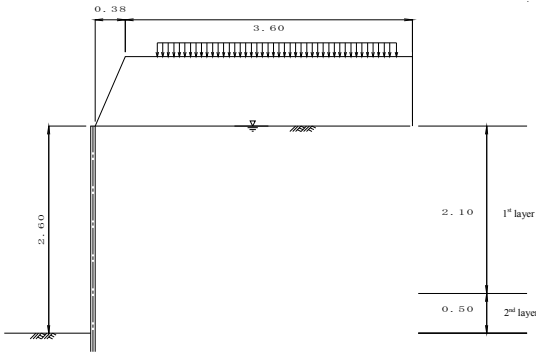
No	Depth (m)	Soil	N value	γ (kNm ³)	γ' (kNm ³)	φ	C (kNm ²)	a	k'	ζ (degree)		kh (kNm ³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	4.62	S	3.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
3	5.62	S	10.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	6.62	S	12.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
5	7.62	C	7.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
6	9.62	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	—	—
7	11.12	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
8	14.12	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	—	—
9	15.62	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
10	17.12	C	5.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
11	18.62	S	9.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
12	20.12	S	20.0	18.00	10.00	36.0	0.0	0.0	0.200	auto	auto	—	—
13	21.62	S	42.0	18.00	10.00	40.0	0.0	0.0	0.200	auto	auto	—	—
14	23.12	S	45.0	18.00	10.00	41.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Em bankment on Landside



Em bankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.38	3.98	3.98	0.87	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	0.78	3.78	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus $E = 200000 \text{ Nmm}^2$
 Inertia sectional moment $I_0 = 86000 \text{ cm}^4$
 Sectional factor $Z_0 = 3820 \text{ cm}^3$

Corrosion margin $t_1 = 1.00 \text{ mm (ri verside)}$ $t_2 = 1.00 \text{ mm (landside)}$

Corrosion rate (to I_0) $\eta_1 = 0.92$
 Corrosion rate (to Z_0) $\eta_2 = 0.92$
 Section efficiency (to I_0) $\mu = 0.80$
 Section efficiency (to Z_0) $\mu = 1.00$

Round unit of SSP length 0.50 m

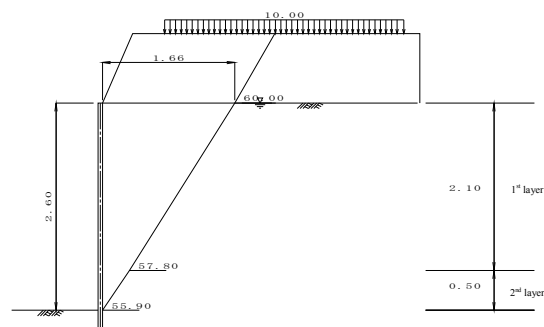
Allowable stress $\sigma_s = 180 \text{ Nmm}^2$ (Normal)
 $\sigma_s' = 270 \text{ Nmm}^2$ (Seismic)

Allowable displacement $\delta_s = 50.0 \text{ mm}$ (Normal)
 $\delta_s' = 75.0 \text{ mm}$ (Seismic)

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus Reduced: I_0 applied to calculation of lateral coefficient of subgrade reaction
 Not reduced: I_0 applied to calculation of penetration depth
 Reduced: I_0 applied to calculation of section forces and displacement
 Reduced: Z_0 applied to calculation of stresses

2 Calculation of Acting Load
 2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma \times X \times A$ (kN/m)	Angle of rupture Z (degree)
1	2.60- 2.10	Sandy Soil	27.0	10.0	0.0	26.00	24.56	25.48	55.90
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	24.56	20.58	57.80
3		Embankment	30.0	—	0.0	15.66	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake coefficient on angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	55.90	0.50	0.00	0.00	0.34	0.50
2	57.80	2.10	0.34	0.50	1.66	2.60
3	60.00	0.87	1.66	2.60	2.16	3.47

Therefore, width of acting load shall be set as 1.66 m

2-1-3 Acting Load by Em bankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times X \times A$ (kN/m)
1	18.0	1.50	26.97
Σ			26.97

γ : unit weight of embankment soil

A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.38	13.83
Σ			13.83

Q : surcharge load

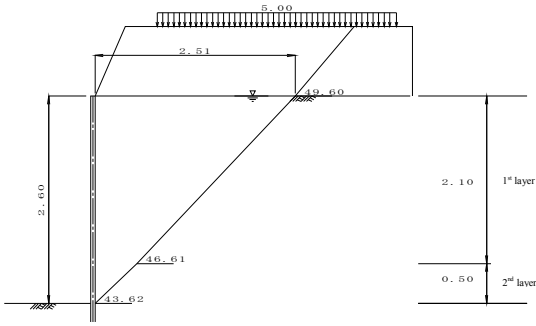
l : width of surcharge load set by line of active rupture

2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{26.97 + 13.83 + 0.00}{1.66}$$

$$= 24.56 \text{ kN/m}^2$$



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma\gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wh} (kN/m ²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60- 2.10	Sandy Soil	27.0	10.0	0.0	26.00	21.70	25.48	0.200	11.31	43.62
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	21.70	20.58	0.200	11.31	46.61
3		Embankment	30.0	—	0.0	15.66	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.0^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake coefficient on angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesive force of soil (kNm⁻²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.62	0.50	0.00	0.00	0.52	0.50
2	46.61	2.10	0.52	0.50	2.51	2.60
3	49.60	0.87	2.51	2.60	3.25	3.47

Therefore, width of acting load shall be set as 251 m

2-2-3 Acting Load by Embankment

No	γ (kNm ⁻³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.34	42.13
Σ			42.13

γ : unit weight of embankment soil

A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kNm ⁻²)	l (m)	Q x l (kN/m)
1	5.0	2.47	12.35
Σ			12.35

Q : surcharge load

l : width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

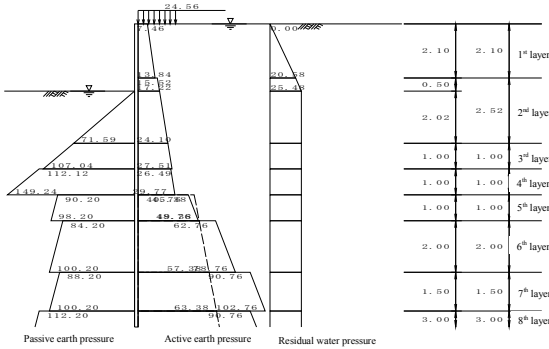
$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{42.13 + 12.35 + 0.00}{2.51}$$

$$= 21.70 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma\gamma h + Q$ (kNm ⁻²)	K_a	$K_a \times \cos \delta$
1	0.00- 2.10	Sandy soil	10.0	30.0	24.565 45.565	0.30847 0.30847	0.30378 0.30378
2	2.10- 2.60	Sandy soil	10.0	27.0	45.565 50.565	0.34585 0.34585	0.34060 0.34060
3	2.60- 4.62	Sandy soil	10.0	27.0	50.565 70.765	0.34585 0.34585	0.34060 0.34060
4	4.62- 5.62	Sandy soil	10.0	27.0	70.765 80.765	0.34585 0.34585	0.34060 0.34060
5	5.62- 6.62	Sandy soil	10.0	28.0	80.765 90.765	0.33303 0.33303	0.32798 0.32798
6	6.62- 7.62	Clayey soil	8.0	—	25.0 90.765	— —	— —
7	7.62- 9.62	Clayey soil	8.0	—	18.0 98.765	— —	— —
8	9.62- 11.12	Clayey soil	8.0	—	12.0 114.765	— —	— —
9	11.12- 14.12	Clayey soil	8.0	—	18.0 126.765	— —	— —
10	14.12- 15.62	Clayey soil	8.0	—	24.0 150.765	— —	— —
11	15.62- 17.12	Clayey soil	8.0	—	25.0 162.765	— —	— —
12	17.12- 18.62	Sandy soil	10.0	27.0	174.765 189.765	0.34585 0.34585	0.34060 0.34060
13	18.62- 20.12	Sandy soil	10.0	36.0	189.765 204.765	0.24257 0.24257	0.23889 0.23889

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma\gamma h + Q$ (kNm ⁻²)	K_a	$K_a \times \cos \delta$
14	20.12- 21.62	Sandy soil	10.0	40.0	204.765 219.765	0.20447 0.20447	0.20137 0.20137
15	21.62- 23.12	Sandy soil	10.0	41.0	219.765 234.765	0.19561 0.19561	0.19264 0.19264

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.0^\circ$, $\beta = 0.00$, $\theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma\gamma h + Q$ (kNm ⁻²)	K_p	$K_p \times \cos \delta$
3	2.60- 4.62	Sandy soil	10.0	27.0	0.00 20.200	3.59892 3.59892	3.54425 3.54425
4	4.62- 5.62	Sandy soil	10.0	27.0	20.200 30.200	3.59892 3.59892	3.54425 3.54425
5	5.62- 6.62	Sandy soil	10.0	28.0	30.200 40.200	3.76978 3.76978	3.71251 3.71251
6	6.62- 7.62	Clayey soil	8.0	0.0	25.0 48.200	— —	— —
7	7.62- 9.62	Clayey soil	8.0	0.0	18.0 64.200	— —	— —
8	9.62- 11.12	Clayey soil	8.0	0.0	12.0 76.200	— —	— —
9	11.12- 14.12	Clayey soil	8.0	0.0	18.0 100.200	— —	— —
10	14.12- 15.62	Clayey soil	8.0	0.0	24.0 112.200	— —	— —
11	15.62- 17.12	Clayey soil	8.0	0.0	25.0 124.200	— —	— —
12	17.12- 18.62	Sandy soil	10.0	27.0	124.200 139.200	3.59892 3.59892	3.54425 3.54425
13	18.62- 20.12	Sandy soil	10.0	36.0	139.200 154.200	5.59154 5.59154	5.50659 5.50659
14	20.12- 21.62	Sandy soil	10.0	40.0	154.200 169.200	6.94605 6.94605	6.84053 6.84053
15	21.62- 23.12	Sandy soil	10.0	41.0	169.200 184.200	7.35235 7.35235	7.24065 7.24065

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = 10.0^\circ$, $\beta = 0.00$, $\theta = 0.00$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure	Passive side
	Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)	Pw (kNm ⁻²)	Pp (kNm ⁻²)
1 0.00-2.10	7.46 13.84	—	7.46 13.84	0.00 20.58	—
2 2.10-2.60	15.52 17.22	—	15.52 17.22	20.58 25.48	—
3 2.60-4.62	17.22 24.10 27.51	—	17.22 24.10 27.51	25.48 71.59 107.04	0.00
4 4.62-5.62	24.10 27.51	—	24.10 27.51	25.48 25.48	71.59
5 5.62-6.62	26.49 29.77	—	26.49 29.77	25.48 25.48	112.12 149.24
6 6.62-7.62	40.76 48.76	45.38 49.38	45.38 49.38	25.48 25.48	90.20 98.20
7 7.62-9.62	62.76 78.76	49.38 57.38	62.76 78.76	25.48 25.48	84.20 100.20
8 9.62-11.12	90.76 102.76	57.38 63.38	90.76 102.76	25.48 25.48	88.20 100.20
9 11.12-14.12	90.76 114.76	63.38 75.38	90.76 114.76	25.48 25.48	112.20 136.20
10 14.12-15.62	102.76 114.76	75.38 81.38	102.76 114.76	25.48 25.48	148.20 160.20
11 15.62-17.12	112.76 124.76	81.38 87.38	112.76 124.76	25.48 25.48	162.20 174.20
12 17.12-18.62	59.52 64.63	—	59.52 64.63	25.48 25.48	440.20 493.36
13 18.62-20.12	43.33 48.92	—	43.33 48.92	25.48 25.48	766.52 849.12
14 20.12-21.62	41.23 44.23	—	41.23 44.23	25.48 25.48	1054.81 1157.42
15 21.62-23.12	42.33 45.22	—	42.33 45.22	25.48 25.48	1225.12 1335.73

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

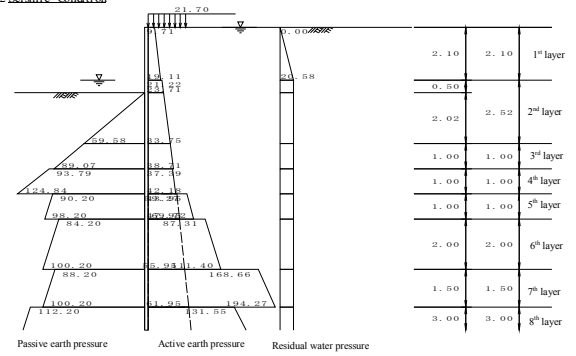
Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q$ (kNm ⁻²)	γ_{whw} (kNm ⁻²)	k (k)	θ (degree)	Ka	Ka $\times \cos \delta$	θ (degree)
1 0.00-2.10	Sandy Soil	10.0	30.0	—	21.71 42.71	0.00 20.58	0.200 0.200	11.31	0.45442	0.44752	—
2 2.10-2.60	Sandy Soil	10.0	27.0	—	42.71 47.71	20.58 25.48	0.200 0.200	11.31	0.50461	0.49695	—
3 2.60-4.62	Sandy Soil	10.0	27.0	—	47.71 67.91	25.48 45.28	0.200 0.200	11.31	0.50461	0.49695	—
4 4.62-5.62	Sandy Soil	10.0	27.0	—	67.91 77.91	45.28 55.08	0.200 0.200	11.31	0.50461	0.49695	—
5 5.62-6.62	Sandy Soil	10.0	28.0	—	77.91 87.91	55.08 64.88	0.200 0.200	11.31	0.48730	0.47989	—
6 6.62-7.62	Clayey Soil	8.0	—	25.0 25.0	87.91 95.91	64.88 74.68	0.200 0.200	11.31	—	—	36.85 36.04
7 7.62-9.62	Clayey Soil	8.0	—	18.0 18.0	95.91 111.91	74.68 94.28	0.200 0.200	11.31	—	—	30.49 26.92
8 9.62-11.12	Clayey Soil	8.0	—	12.0 12.0	111.91 123.91	94.28 108.98	0.200 0.200	11.31	—	—	10.00 10.00
9 11.12-14.12	Clayey Soil	8.0	—	18.0 18.0	123.91 147.91	108.98 138.38	0.200 0.200	11.31	—	—	23.61 13.51
10 14.12-15.62	Clayey Soil	8.0	—	24.0 24.0	147.91 159.91	138.38 153.08	0.200 0.200	11.31	—	—	28.44 26.25
11 15.62-17.12	Clayey Soil	8.0	—	25.0 25.0	159.91 171.91	153.08 167.78	0.200 0.200	11.31	—	—	27.61 25.40
12 17.12-18.62	Sandy Soil	10.0	27.0	—	171.91 186.91	167.78 182.48	0.200 0.200	11.31	0.50461	0.49695	—
13 18.62-20.12	Sandy Soil	10.0	36.0	—	186.91 201.91	182.48 197.18	0.200 0.200	11.31	0.36758	0.36200	—
14 20.12-21.62	Sandy Soil	10.0	40.0	—	201.91 216.91	197.18 211.88	0.200 0.200	11.31	0.31772	0.31289	—

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q$ (kNm ⁻²)	γ_{whw} (kNm ⁻²)	k (k)	θ (degree)	Ka	Ka $\times \cos \delta$	θ (degree)
15 21.62-23.12	Sandy Soil	10.0	41.0	—	216.91 231.91	211.88 226.58	0.200 0.200	11.31	0.30610	0.30145	—

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below
 $\delta = 10.00$, $\beta = 0.00$, $\theta = \tan^{-1} k$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q_p$ (kNm ⁻²)	γ_{whw} (kNm ⁻²)	k (k)	θ (degree)	Kp	Kp $\times \cos \delta$
3 2.60-4.62	Sandy soil	10.0	27.0	—	0.000 20.200	0.000 19.800	0.200 0.200	11.31	2.94948	2.94948
4 4.62-5.62	Sandy soil	10.0	27.0	—	20.200 30.200	19.800 29.600	0.200 0.200	11.31	2.94948	2.94948
5 5.62-6.62	Sandy soil	10.0	28.0	—	30.200 40.200	29.600 39.400	0.200 0.200	11.31	3.15350	3.10559
6 6.62-7.62	Clayey soil	8.0	0.0	25.0 25.0	40.200 48.200	39.400 49.200	0.200 0.200	11.31	—	—
7 7.62-9.62	Clayey soil	8.0	0.0	18.0 18.0	48.200 64.200	49.200 68.800	0.200 0.200	11.31	—	—
8 9.62-11.12	Clayey soil	8.0	0.0	12.0 12.0	64.200 76.200	68.800 83.500	0.200 0.200	11.31	—	—
9 11.12-14.12	Clayey soil	8.0	0.0	18.0 18.0	76.200 100.200	83.500 112.900	0.200 0.200	11.31	—	—
10 14.12-15.62	Clayey soil	8.0	0.0	24.0 24.0	100.200 112.200	112.900 127.600	0.200 0.200	11.31	—	—
11 15.62-17.12	Clayey soil	8.0	0.0	25.0 25.0	112.200 124.200	127.600 142.300	0.200 0.200	11.31	—	—
12 17.12-18.62	Sandy soil	10.0	27.0	—	124.200 139.200	142.300 157.000	0.200 0.200	11.31	2.94948	2.94948
13 18.62-20.12	Sandy soil	10.0	36.0	—	139.200 154.200	157.000 171.700	0.200 0.200	11.31	4.84018	4.76665
14 20.12-21.62	Sandy soil	10.0	40.0	—	154.200 169.200	171.700 186.400	0.200 0.200	11.31	6.09659	6.00397
15 21.62-23.12	Sandy soil	10.0	41.0	—	169.200 184.200	186.400 201.100	0.200 0.200	11.31	6.47409	6.37573

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below
 $\delta = -10.00$, $\beta = 0.00$, $\theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 (kNm ²)	Pa2 (kNm ²)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)
1	0.00-2.10	9.71 19.11	—	9.71 19.11	0.00 20.58	—
2	2.10-2.60	21.22 23.71	—	21.22 23.71	20.58 20.58	—
3	2.60-4.62	23.71 33.75	—	23.71 33.75	20.58 20.58	0.00 59.58
4	4.62-5.62	33.75 38.71	—	33.75 38.71	20.58 20.58	59.58 89.07
5	5.62-6.62	37.39 42.18	—	37.39 42.18	20.58 20.58	93.79 124.84
6	6.62-7.62	59.27 69.72	43.95 47.95	59.27 69.72	20.58 20.58	90.20 98.20
7	7.62-9.62	87.31 111.40	47.95 55.95	87.31 111.40	20.58 20.58	84.20 100.20
8	9.62-11.12	168.66 194.27	55.95 61.95	168.66 194.27	20.58 20.58	88.20 100.20
9	11.12-14.12	131.55 191.78	61.95 73.95	131.55 191.78	20.58 20.58	112.20 136.20
10	14.12-15.62	145.21 164.25	73.95 79.95	145.21 164.25	20.58 20.58	148.20 160.20
11	15.62-17.12	160.18 179.78	79.95 85.95	160.18 179.78	20.58 20.58	162.20 174.20
12	17.12-18.62	85.43 92.88	—	85.43 92.88	20.58 20.58	366.32 410.57
13	18.62-20.12	67.66 73.09	—	67.66 73.09	20.58 20.58	663.52 735.02
14	20.12-21.62	63.17 67.87	—	63.17 67.87	20.58 20.58	925.81 1015.87
15	21.62-23.12	65.39 69.91	—	65.39 69.91	20.58 20.58	1078.77 1174.41

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

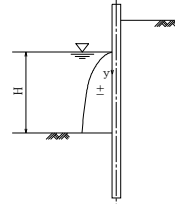
Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	Pw (kNm ²)
1	2.10	0.00	0.00
2	2.60	0.50	0.86

$$P_{aw} = \pm \frac{7}{8} k_{aw} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

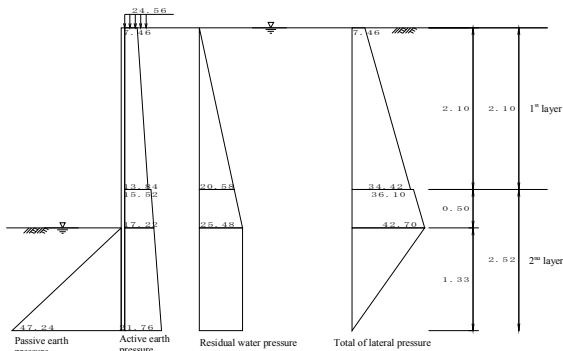
Where
 k_{aw} : design seismic coefficient
 γ_w : unit weight of water
 H : water depth of riverside
 y : depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level I_k is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

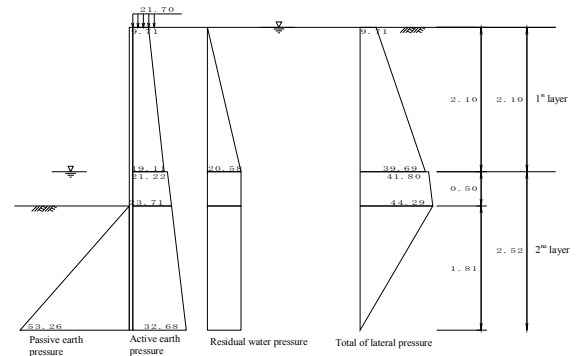


Depth (m)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	Ps (kNm ²)
1	7.46 13.84	0.00 20.58	—	7.46 34.42
2	15.52 17.22	20.58 25.48	—	36.10 42.70
3	17.22 21.76	25.48 25.48	0.00 47.24	42.70 0.00
4	21.76 24.10	25.48 25.48	47.24 71.59	0.00 -22.01

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Tentative imaginary riverbed I_k : 1.33 m (GL -3.93 m)

4-2 Seismic Condition



Depth (m)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	Ps (kNm ²)
1	9.71 19.11	0.00 20.58	—	9.71 39.69
2	21.22 23.71	20.58 20.58	—	41.80 44.29
3	23.71 32.68	20.58 20.58	0.00 53.26	44.29 0.00
4	32.68 33.75	20.58 20.58	53.26 59.58	0.00 -5.25

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Tentative imaginary riverbed I_k : 1.81 m (GL -4.41 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below

$$K_s = 6910 \times N^{0.406}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width	B = 1.0000 m
Corrosion margin	t ₁ = 1.00 mm (active side) t ₂ = 1.00 mm (passive side)
Corrosion rate	η = 0.92
Section efficiency	μ = 0.80
Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I ₀ = 86000 cm ⁴ (original condition)
	I = 63296 cm ⁴ (after reduction by corrosion and section)
Inertia sectional moment	EI = 200000 x 10 ³ x 63296 x 10 ⁸ = 1.266 x 10 ¹⁷

Depth Z (m)	N-value	Depth (m)	N-value
1	0.50	11	15.62
2	1.60	12	17.12
3	2.10	13	18.62
4	4.62	14	20.12
5	5.62	15	21.62
6	6.62	16	23.12
7	7.62		
8	9.62		
9	11.12		
10	14.12		

5-2 Normal Condition

K_s = 15019 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.415 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.41 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.93 m) to 2.41 m depth (GL -6.34 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	3.93	0.69	3.0	2.06
2	4.62	1.00	3.0	6.50
3	5.62	0.72	10.0	7.72
L = 2h = 2.41 ΣA = 16.31				

$$A = (\text{upper N-value} + \text{lower N-value}) \times h/2$$

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{16.31}{2.41} = 6.77$$

Calculated K_s is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following

$$K_s = 6910 \times N'^{0.406} = 6910 \times 6.77^{0.406} = 15019 \text{ kN/m}^3$$

$$K_s \text{ (normal condition)} = 15019 \text{ kNm}^3$$

5-3 Seismic Condition

K_s = 16399 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.424 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.36 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.41 m) to 2.36 m depth (GL -6.76 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	4.41	0.21	3.0	0.64
2	4.62	1.00	3.0	6.50
3	5.62	1.00	10.0	11.00
4	6.62	0.14	12.0	1.67
L = 2h = 2.36 ΣA = 19.81				

$$A = (\text{upper N-value} + \text{lower N-value}) \times h/2$$

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{19.81}{2.36} = 8.40$$

Calculated K_s is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following

$$K_s = 6910 \times N'^{0.406} = 6910 \times 8.40^{0.406} = 16399 \text{ kN/m}^3$$

$$K_s \text{ (seismic condition)} = 16399 \text{ kNm}^3$$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Height h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	7.46	7.84	3.23	25.33
		34.42	36.14	2.53	91.55
2	2.10-2.60	36.10	9.02	1.67	15.04
		42.70	10.68	1.50	16.01
3	2.60-3.93	42.70	28.46	0.89	25.29
		0.00	0.00	0.44	0.00
ΣP = 92.14 ΣM = 173.21					

P : active earth pressure + residual water pressure - passive earth pressure
 P₀ : load P_s x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P = 2.3 kNm
 depth to acting position H = -0.41 m
 moment M₀ = 0.0 kNm-m/m
 depth to acting position H₀ = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed L₀ = 1.33 m

Moment M₀ by arbitrary load is as below
 M₀ = P · (H + L₀ - H) + M₀ = 9.99 kNm

h₀ : Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{183.20}{94.44} = 1.94 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	9.71	10.20	3.71	37.80
		39.69	41.68	3.01	125.27
2	2.10-2.60	41.80	10.45	2.14	22.35
		44.29	11.07	1.97	21.84
3	2.60-4.41	44.29	39.99	1.20	48.14
		0.00	0.00	0.60	0.00
ΣP = 113.38 ΣM = 255.39					

P : active earth pressure + residual water pressure - passive earth pressure
 P₀ : load P_s x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P = 8.6 kNm
 depth to acting position H = -0.24 m
 moment M₀ = 0.0 kNm-m/m
 depth to acting position H₀ = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed L₀ = 1.81 m

Moment M₀ by arbitrary load is as below
 M₀ = P · (H + L₀ - H) + M₀ = 39.95 kNm

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _{sw} (kNm ²)	Load P _{sw} (kN)	Arm length Y (m)	Moment M _{sw} (kNm)
1	2.10-2.60	0.50	0.0	0.00	2.14	0.00
			0.9	0.21	1.97	0.42
ΣP _{sw} = 0.21 ΣM _{sw} = 0.42						

h₀ : Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_{sw}}{\Sigma P + P_0 + \Sigma P_{sw}} = \frac{295.77}{122.20} = 2.42 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width	B = 1.0000 m
Corrosion margin	t ₁ = 1.00 mm (active side) t ₂ = 1.00 mm (passive side)
Corrosion rate	η = 0.92
Section efficiency	μ = 0.80
Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I ₀ = 86000 cm ⁴ (original condition)
	I = 63296 cm ⁴ (after reduction by corrosion and section)
EI	200000 x 10 ³ x 63296 x 10 ⁸ = 1.266 x 10 ¹⁷

$$\beta = 4\sqrt{\frac{K_s \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{ax} = M_0 \cdot \phi_a$$

$$I_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$I_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1 + \beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction
calculated value
resultant earth force (lateral)
height of active position of load
moment

$K_0 = 15019 \text{ kNm}^3$
 $\beta = 0.4150 \text{ m}^{-1}$
 $P_0 = 94.44 \text{ kNm}$
 $h_0 = 1.94 \text{ m}$
 $M_{0a} = 183.20 \text{ kNm/m}$

in consideration of $\psi_0 = 1.204$,
maximum moment
depth of generated position of M_{0a}
depth of fixed point

$M_{0ax} = 220.59 \text{ kNm/m}$
 $l_0 = 0.882 \text{ m}$
 $l = 2.774 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction
calculated value
resultant earth force (lateral)
height of active position of load
moment

$K_0 = 16399 \text{ kNm}^3$
 $\beta = 0.42421 \text{ m}^{-1}$
 $P_0 = 122.20 \text{ kNm}$
 $h_0 = 2.42 \text{ m}$
 $M_{0a} = 295.77 \text{ kNm/m}$

in consideration of $\psi_0 = 1.140$,
maximum moment
depth of generated position of M_{0a}
depth of fixed point

$M_{0ax} = 337.23 \text{ kNm/m}$
 $l_0 = 0.746 \text{ m}$
 $l = 2.597 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as followings:

Corrosion margin $t_c = 1.00 \text{ mm}$ (active side) $t_r = 1.00 \text{ mm}$ (passive side)
Corrosion rate $n = 0.92$
Section efficiency $u = 1.00$
Module of section $Z = 3820 \text{ cm}^3$ (original condition)
 $Z = 3514 \text{ cm}^3$ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{220.59 \times 10^6}{3514 \times 10^3} = 63 \text{ N/mm}^2 \leq \sigma_s = 180 \text{ N/mm}^2$$

6-3-2 Seismic Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{337.23 \times 10^6}{3514 \times 10^3} = 96 \text{ N/mm}^2 \leq \sigma_s = 270 \text{ N/mm}^2$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

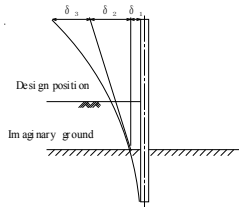
Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)	
1	0.00-2.10	3.23 2.53	0.822 0.644	0.245 0.163	7.84 36.14	1.922 5.886
2	2.10-2.60	1.67 1.50	0.424 0.381	0.077 0.063	9.02 10.68	0.696 0.677
3	2.60-3.93	0.89 0.44	0.226 0.113	0.024 0.006	28.46 0.00	0.672 0.000
					$\Sigma Q = 9.853$	

Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_k}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
Q : $\zeta \times P$
P : Lateral force
H : Depth to design position
 L_k : Depth from design position to imaginary ground

R_No. 15_pp.25

R_No. 15_pp.26

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^2}$$

$$= \frac{(1 + 0.4150 \times 1.94) \times 94.44}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4150^2} = 0.00942 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_k)$$

$$= \frac{(1 + 2 \times 0.4150 \times 1.94) \times 94.44}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4150^2} \times (2.60 + 1.33) = 0.02223 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_k)^2}{E I}$$

$$= \frac{9.85 \times (2.60 + 1.33)^2}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00473 \text{ m}$$

Additional displacement δ_4 generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_4 = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_4 is calculated as 0.00043 m in consideration of following values:
Height from imaginary riverbed to top of SSP: $L = 3.93 \text{ m}$
Horizontal load: $P = 2.30$
Moment: $M = 0.94$

$$\delta = \delta_1 + \delta_2 + \delta_3 + \delta_4$$

$$= 0.00942 + 0.02223 + 0.00516 + 0.00043$$

$$= 0.03681 \text{ m}$$

$$= 36.81 \text{ mm} \leq \delta_a = 50.00 \text{ mm}$$

Where

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ_4 : Displacement at top of SSP
- δ_a : Allowable displacement

R_No. 15_pp.27

R_No. 15_pp.28

6-4-2 Seismic Condition

Modules of deformation

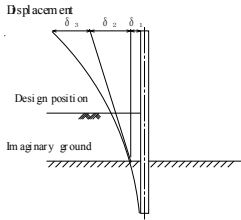
Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)	
1	0.00-2.10	3.71 3.01	0.841 0.682	0.255 0.180	10.20 41.68	2.596 7.493
2	2.10-2.60	2.14 1.97	0.486 0.448	0.099 0.085	10.45 11.07	1.032 0.944
3	2.60-4.41	1.20 0.60	0.273 0.137	0.034 0.009	39.99 0.00	1.357 0.000
					$\Sigma Q = 13.423$	

Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_k}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
Q : $\zeta \times P$
P : Lateral force
H : Depth to design position
 L_k : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_w (kN)	Q_w (kN)
1	2.10-2.60	2.14 1.97	0.486 0.448	0.099 0.085	0.00 0.21	0.000 0.018
						$\Sigma Q_w = 0.018$

Therefore, modulus of deformation Q is calculated as below
 $Q = 13.423 + 0.018 = 13.441$



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1 + 0.4242 \times 2.42) \times 122.20}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4242^3} = 0.01281 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_1) = \frac{(1 + 2 \times 0.4242 \times 2.42) \times 122.20}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4242^2} \times (2.60 + 1.81) = 0.03608 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I} = \frac{13.44 \times (2.60 + 1.81)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00908 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00209 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.41 m
 Horizontal load: P = 8.60
 Moment: M = 2.06

$$\delta = \delta_1 + \delta_2 + \delta_3 + \delta_3' = 0.01281 + 0.03608 + 0.01117 + 0.00209 = 0.06215 \text{ m} = 62.15 \text{ mm}$$

- Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ_3' : Displacement at top of SSP
 δ : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$u = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 86000 \text{ cm}^4$ (original condition)
	I = 86000 cm ⁴ (after reduction by corrosion and section)
	$EI = 200000 \times 10^3 \times 86000 \times 10^8 = 1.720 \times 10^9$

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_1 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_1 + \frac{3}{\beta}$$

$$L = H - H_1 + D$$

$$\beta = 4 \sqrt{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction	$K_b = 15019 \text{ kN/m}^3$
Calculated value	$\beta = 0.38438 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.33 + \frac{3}{0.384} = 9.14 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.14 = 11.34 \text{ m}$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction	$K_b = 16399 \text{ kN/m}^3$
Calculated value	$\beta = 0.39292 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.81 + \frac{3}{0.393} = 9.44 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.44 = 11.64 \text{ m}$

Therefore, whole length of SSP is set as 12.00 m in consideration of round unit of SSP length

8 Calculation Result

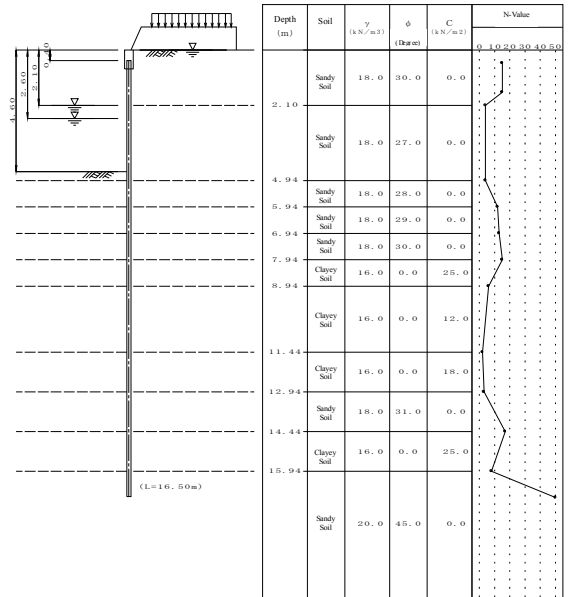
			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	86000		
Section modulus	Z (cm ³)	3820		
Maximum bending moment	M_{max} (kNm/m)		220.59	337.23
Stress intensity	σ (N/mm ²)		63 (180)	96 (270)
Lateral displacement	δ (mm)		36.81 (50.0)	60.07 (75.0)
Penetration depth	D (m)		9.14	9.44
Whole length of SSP	L (m)	12.00		

— Steel Sheet Pile Design Calculation —

Right Bank No. 16_STA 9+150 - 9+200

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 4.60 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Reverse WL L_{rs} = 0.00 m (Normal Condition)
 Landside WL L_{ls} = 0.00 m (Seismic Condition)
 L_{ls}' = 2.60 m (Normal Condition)
 L_{ls}' = 2.10 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.16_pp.1

R_No.16_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^3$

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load $P_t = 2.3 \text{ kNm}$ (Normal Condition)
 $P_t' = 8.6 \text{ kNm}$ (Seismic Condition)
 Depth of acting point $H = -0.42 \text{ m}$ (Normal Condition)
 $H' = -0.24 \text{ m}$ (Seismic Condition)
 Moment $M_m = 0.0 \text{ kNm/m}$ (Normal Condition)
 $M_m' = 0.0 \text{ kNm/m}$ (Seismic Condition)
 Depth of acting point $H_m' = 0.00 \text{ m}$ (Seismic Condition)
 $H_m = 0.00 \text{ m}$ (Normal Condition)
 (*Depth means distance from top of coping)

Wind load Impact load not considered

Minimum angle of rupture $\zeta_0 = 10 \text{ degrees}$

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.405}$

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	14.44	17
2	1.60	15	12	15.94	8
3	2.10	4	13	16.94	50
4	4.94	4	14	20.00	50
5	5.94	12			
6	6.94	13			
7	7.94	15			
8	8.94	6			
9	11.44	2			
10	12.94	3			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

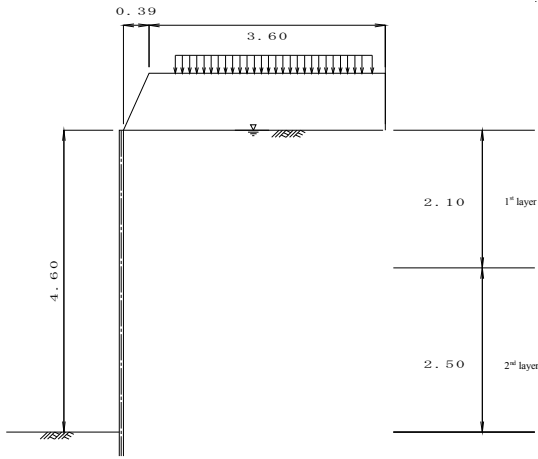
No	Depth (m)	Soil	N value	γ (kNm ³)	γ' (kNm ³)	ϕ	C (kNm ²)	a	k'	ζ (degree)		kh (kNm ³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----
2	4.94	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
3	5.94	S	12.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	-----	-----
4	6.94	S	13.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	-----	-----
5	7.94	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----
6	8.94	C	6.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	-----	-----
7	11.44	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	-----	-----
8	12.94	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	-----	-----
9	14.44	S	17.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	-----	-----
10	15.94	C	8.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	-----	-----
11	19.94	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	-----	-----

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Em bankment on Landside



Em bankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle φ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.39	3.99	3.99	0.87	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	0.79	3.79	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I _x = 342000 cm ⁴
Sectional factor	Z _x = 7200 cm ³
Corrosion margin	t _r = 1.00 mm (ri verside) t _s = 1.00 mm (landside)
Corrosion rate (to I ₀)	η = 0.87
Corrosion rate (to Z ₀)	η = 0.89
Section efficiency (to I ₀)	μ = 1.00
Section efficiency (to Z ₀)	μ = 1.00
Round unit of SSP length	0.50 m
Allowable stress	σ _a = 185 Nmm ² (Normal) σ _a ' = 278 Nmm ² (Seismic)
Allowable displacement	δ _a = 50.0 mm (Normal) δ _a ' = 75.0 mm (Seismic)
Bending of cantilever beam	calculated as distributed load of each layer
Reduction of material modulus	Reduced I ₀ applied to calculation of lateral coefficient of subgrade reaction Not reduced I ₀ applied to calculation of penetration depth Reduced I ₀ applied to calculation of section forces and displacement Reduced Z ₀ applied to calculation of stresses

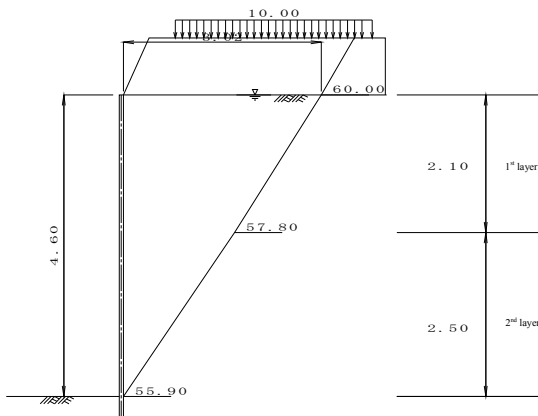
R_No. 16_pp.5

R_No. 16_pp.6

2 Calculation of Acting Load
2-1 Normal Condition

$\theta = \tan^{-1}k$ or $\theta = \tan^{-1}k'$
 γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
 h : thickness of layer (m)
 Q : surcharge load (kNm⁻²)
 C : cohesive force of soil (kNm⁻²)

2-1-1 Angle of Active Rupture



2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	55.90	2.50	0.00	0.00	1.69	2.50
2	57.80	2.10	1.69	2.50	3.02	4.60
3	60.00	0.87	3.02	4.60	3.52	5.47

Therefore, width of acting load shall be set as 3.02 m

2-1-3 Acting Load by Em bankment

No	γ (kN/m ³)	A (m ²)	γ X A (kN/m)
1	18.0	2.67	48.10
Σ			48.10

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	2.73	27.27
Σ			27.27

Q : surcharge load
 l : width of surcharge load set by line of active rupture

2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{48.10 + 27.27 + 0.00}{3.02}$$

$$= 25.00 \text{ kN/m}^2$$

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m ²)	Σγh (kN/m ²)	Q (kN/m ²)	γwhw (kN/m ²)	Angle of rupture Z (degree)
1	4.60- 2.10	Sandy Soil	27.0	10.0	0.0	46.00	25.00	45.08	55.90
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	25.00	20.58	57.80
3		Embankment	30.0	—	0.0	15.66	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

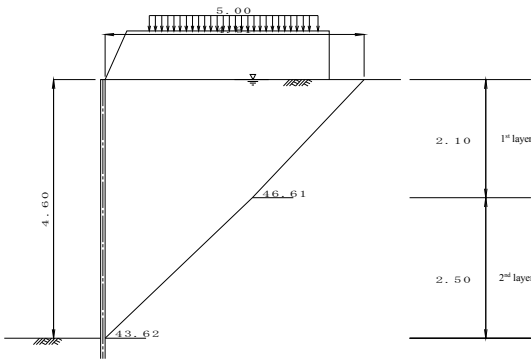
Angle of active rupture of clayey soil ζ is set as 45° since θ=0°

Where

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake coefficient angle (degree)

R_No. 16_pp.7

R_No. 16_pp.8



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m ²)	Σγh (kN/m ²)	Q (kN/m ²)	γ _{sub} (kN/m ³)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	4.60- 2.10	Sandy Soil	27.0	10.0	0.0	46.00	16.15	45.08	0.200	11.31	43.62
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	16.15	20.58	0.200	11.31	46.61

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

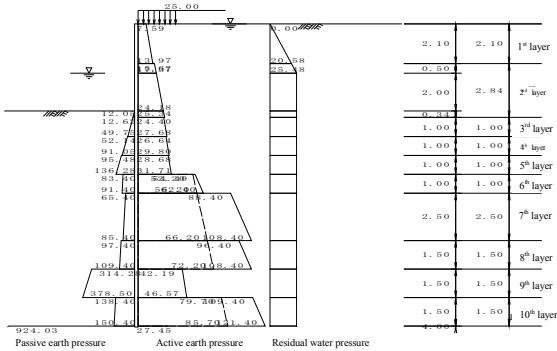
$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Where,

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- θ = tan⁻¹ k or θ = tan⁻¹ k'
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Q (kN/m ²)	K _a	K _a × cos δ
1 0.00- 2.10	Sandy soil	10.0	30.0	---	24.997 45.997	0.30847 0.30847	0.30378 0.30378
2 2.10- 2.60	Sandy soil	10.0	27.0	---	45.997 50.997	0.34585 0.34585	0.34060 0.34060
3 2.60- 4.60	Sandy soil	10.0	27.0	---	50.997 70.997	0.34585 0.34585	0.34060 0.34060
4 4.60- 4.94	Sandy soil	10.0	27.0	---	70.997 74.397	0.34585 0.34585	0.34060 0.34060
5 4.94- 5.94	Sandy soil	10.0	28.0	---	74.397 84.397	0.33303 0.33303	0.32798 0.32798
6 5.94- 6.94	Sandy soil	10.0	29.0	---	84.397 94.397	0.32058 0.32058	0.31571 0.31571
7 6.94- 7.94	Sandy soil	10.0	30.0	---	94.397 104.397	0.30847 0.30847	0.30378 0.30378
8 7.94- 8.94	Clayey soil	8.0	---	25.0 25.0	104.397 112.397	---	---
9 8.94- 11.44	Clayey soil	8.0	---	12.0 12.0	112.397 132.397	---	---
10 11.44- 12.94	Clayey soil	8.0	---	18.0 18.0	132.397 144.397	---	---
11 12.94- 14.44	Sandy soil	10.0	31.0	---	144.397 159.397	0.29669 0.29669	0.29219 0.29219
12 14.44- 15.94	Clayey soil	8.0	---	25.0 25.0	159.397 171.397	---	---
13 15.94- 19.94	Sandy soil	10.0	45.0	---	171.397 211.397	0.16262 0.16262	0.16015 0.16015

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.62	2.50	0.00	0.00	2.62	2.50
2	46.61	2.10	2.62	2.50	4.61	4.60

Therefore, width of acting load shall be set as 4.61 m

2-2-3 Acting Load by Imbankment

No	γ (kN/m ³)	A (m ²)	γ X A (kN/m)
1	18.0	3.30	59.43
Σ			59.43

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	3.00	15.00
Σ			15.00

Q : surcharge load
l : width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{59.43 + 15.00 + 0.00}{4.61}$$

$$= 16.15 \text{ kN/m}^2$$

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(\phi - \beta)} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Q _p (kN/m ²)	K _p	K _p × cos δ
4 4.60- 4.94	Sandy soil	10.0	27.0	---	0.000 3.400	3.59892 3.59892	3.54425 3.54425
5 4.94- 5.94	Sandy soil	10.0	28.0	---	3.400 13.400	3.76978 3.76978	3.71251 3.71251
6 5.94- 6.94	Sandy soil	10.0	29.0	---	13.400 23.400	3.95096 3.95096	3.89093 3.89093
7 6.94- 7.94	Sandy soil	10.0	30.0	---	23.400 33.400	4.14330 4.14330	4.08035 4.08035
8 7.94- 8.94	Clayey soil	8.0	0.0	25.0 25.0	33.400 41.400	---	---
9 8.94- 11.44	Clayey soil	8.0	0.0	12.0 12.0	41.400 61.400	---	---
10 11.44- 12.94	Clayey soil	8.0	0.0	18.0 18.0	61.400 73.400	---	---
11 12.94- 14.44	Sandy soil	10.0	31.0	---	73.400 88.400	4.34774 4.34774	4.28169 4.28169
12 14.44- 15.94	Clayey soil	8.0	0.0	25.0 25.0	88.400 100.400	---	---
13 15.94- 19.94	Sandy soil	10.0	45.0	---	100.400 140.400	9.34548 9.34548	9.20351 9.20351

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(\phi - \beta)} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure		Passive side
	Pa1 kN/m ²	Pa2 kN/m ²	Pa kN/m ²	Pw kN/m ²	Pp kN/m ²	
1 0.00- 2.10	7.59 13.97	---	13.97	7.59 20.58	---	---
2 2.10- 2.60	15.67 17.37	---	17.37	15.67 25.48	---	---
3 2.60- 4.60	17.37 24.18	---	24.18	17.37 25.48	---	---
4 4.60- 4.94	24.18 25.34	---	24.18 25.34	24.18 25.48	0.00 12.05	---
5 4.94- 5.94	24.40 27.68	---	27.68	24.40 25.48	12.62 49.75	---
6 5.94- 6.94	26.64 29.80	---	29.80	26.64 25.48	52.14 91.05	---
7 6.94- 7.94	28.68 31.71	---	31.71	28.68 25.48	95.48 136.28	---

Depth (m)	Active side			Residual water pressure	Passive side	
	Pa1 (kNm ²)	Pa2 (kNm ²)	Pa (kNm ²)			
8	7.94-8.94	54.40 62.40	52.20 56.20	54.40 62.40	25.48 25.48	83.40 91.40
9	8.94-11.44	88.40 108.40	66.20 66.20	88.40 108.40	25.48 25.48	65.40 85.40
10	11.44-12.94	96.40 108.40	72.20 72.20	96.40 108.40	25.48 25.48	97.40 109.40
11	12.94-14.44	42.19 46.57	---	42.19 46.57	25.48 25.48	314.28 378.50
12	14.44-15.94	109.40 121.40	79.70 85.70	109.40 121.40	25.48 25.48	138.40 150.40
13	15.94-19.94	27.45 33.86	---	27.45 33.86	25.48 25.48	924.03 1292.17

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

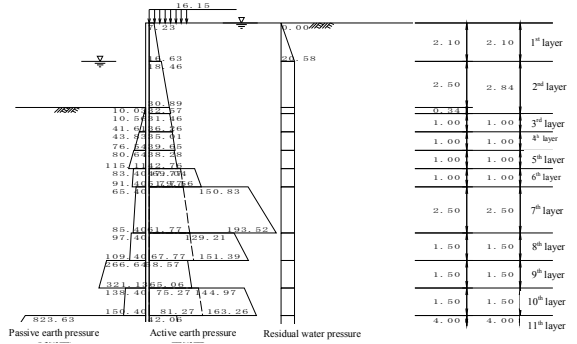
- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q$ (kNm ²)	γ_{wb} (kNm ³)	k (k)	θ (degree)	K_a	$K_a \cdot \cos \delta$	θ (degree)
1	0.00-2.10	Sandy Soil	10.0	30.0	16.15 37.15	0.00 20.58	0.200 0.200	11.31 11.31	0.45442 0.45442	0.44752 0.44752	---
2	2.10-4.60	Sandy Soil	10.0	27.0	37.15 65.55	20.58 48.41	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	---
3	4.60-4.94	Sandy Soil	10.0	27.0	62.15 65.55	45.08 48.41	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	---
4	4.94-5.94	Sandy Soil	10.0	28.0	65.55 75.55	48.41 58.21	0.200 0.200	11.31 11.31	0.48730 0.48730	0.47989 0.47989	---
5	5.94-6.94	Sandy Soil	10.0	29.0	75.55 85.55	58.21 68.01	0.200 0.200	11.31 11.31	0.47058 0.47058	0.46343 0.46343	---
6	6.94-7.94	Sandy Soil	10.0	30.0	85.55 95.55	68.01 77.81	0.200 0.200	11.31 11.31	0.45442 0.45442	0.44752 0.44752	---
7	7.94-8.94	Clayey Soil	8.0	---	25.0 103.55	95.55 87.61	0.200 0.200	11.31 11.31	---	---	36.64 35.83
8	8.94-11.44	Clayey Soil	8.0	---	12.0 123.55	87.61 112.11	0.200 0.200	11.31 11.31	---	---	10.00 10.00
9	11.44-12.94	Clayey Soil	8.0	---	18.0 135.55	123.55 126.81	0.200 0.200	11.31 11.31	---	---	25.32 21.63
10	12.94-14.44	Sandy Soil	10.0	31.0	135.55 150.55	126.81 141.51	0.200 0.200	11.31 11.31	0.43879 0.43879	0.43213 0.43213	---
11	14.44-15.94	Clayey soil	8.0	---	25.0 162.55	150.55 156.21	0.200 0.200	11.31 11.31	---	---	30.00 28.10
12	15.94-19.94	Sandy Soil	10.0	45.0	162.55 202.55	156.21 195.41	0.200 0.200	11.31 11.31	0.26273 0.26273	0.25874 0.25874	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.00$, $\beta = 0.00$, $\theta = \tan^{-1} k$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q_p$ (kNm ²)	γ_{wb} (kNm ³)	k (k)	θ (degree)	K_p	$K_p \cdot \cos \delta$
3	4.60-4.94	Sandy soil	10.00	27.0	0.000 3.400	0.00 3.33	0.200 0.200	11.31 11.31	2.99498 2.99498	2.94948 2.94948
4	4.94-5.94	Sandy soil	10.00	28.0	3.400 13.400	3.33 13.13	0.200 0.200	11.31 11.31	3.15350 3.15350	3.10559 3.10559
5	5.94-6.94	Sandy soil	10.00	29.0	13.400 23.400	13.13 22.93	0.200 0.200	11.31 11.31	3.32141 3.32141	3.27095 3.27095
6	6.94-7.94	Sandy soil	10.00	30.0	23.400 33.400	22.93 32.73	0.200 0.200	11.31 11.31	3.49953 3.49953	3.44637 3.44637
7	7.94-8.94	Clayey soil	8.00	0.0	25.0 41.400	32.73 42.53	0.200 0.200	11.31 11.31	---	---
8	8.94-11.44	Clayey soil	8.00	0.0	12.0 61.400	42.53 67.03	0.200 0.200	11.31 11.31	---	---
9	11.44-12.94	Clayey soil	8.00	0.0	18.0 73.400	67.03 81.73	0.200 0.200	11.31 11.31	---	---
10	12.94-14.44	Sandy soil	10.00	31.0	73.400 88.400	81.73 96.43	0.200 0.200	11.31 11.31	3.68877 3.68877	3.63273 3.63273
11	14.44-15.94	Clayey soil	8.00	0.0	25.0 100.400	96.43 111.13	0.200 0.200	11.31 11.31	---	---
12	15.94-19.94	Sandy soil	10.00	45.0	100.400 140.400	111.13 150.33	0.200 0.200	11.31 11.31	8.33000 8.33000	8.20345 8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = 10.00$, $\beta = 0.00$, $\theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 (kNm ²)	Pa2 (kNm ²)	Pa (kNm ²)		
1	0.00-2.10	7.23 16.63	---	7.23 16.63	0.00 20.58	---
2	2.10-4.60	18.46 30.89	---	18.46 30.89	20.58 20.58	---
3	4.60-4.94	30.89 32.57	---	30.89 32.57	20.58 20.58	0.00 10.03
4	4.94-5.94	31.46 36.26	---	31.46 36.26	20.58 20.58	10.56 41.61
5	5.94-6.94	35.01 39.65	---	35.01 39.65	20.58 20.58	43.83 76.54
6	6.94-7.94	38.28 42.76	---	38.28 42.76	20.58 20.58	80.64 115.11
7	7.94-8.94	69.04 79.56	47.77 51.77	69.04 79.56	20.58 20.58	83.40 91.40
8	8.94-11.44	150.83 193.52	51.77 61.77	150.83 193.52	20.58 20.58	65.40 85.40
9	11.44-12.94	129.21 151.39	61.77 67.77	129.21 151.39	20.58 20.58	97.40 109.40
10	12.94-14.44	58.57 65.06	---	58.57 65.06	20.58 20.58	266.64 321.13
11	14.44-15.94	144.97 163.26	75.27 81.27	144.97 163.26	20.58 20.58	138.40 150.40
12	15.94-19.94	42.06 52.41	---	42.06 52.41	20.58 20.58	823.63 1151.76

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

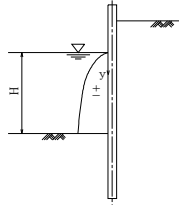
Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

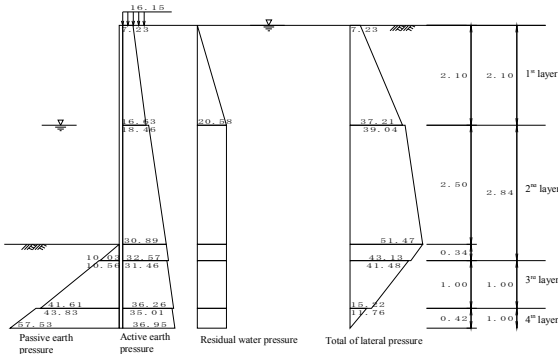
No	Depth Z (m)	W.L y (m)	P _{dw} (kNm ²)
1	2.10	0.00	0.00
2	3.10	1.00	2.71
3	4.10	2.00	3.83
4	4.60	2.50	4.29

$$p_{dw} = \pm \frac{7}{8} k_{ds} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

Where,
 k_{ds}: design seismic coefficient
 γ_w: unit weight of water
 H: water depth of riverside
 y: depth from water surface to the point where active water pressure is calculated



4-2 Seismic Condition



Depth (m)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	Ps (kNm ²)
1 0.00-2.10	7.23 16.63	0.00 20.58	— —	7.23 37.21
2 2.10-4.60	18.46 30.89	20.58 20.58	— —	39.04 51.47
3 4.60-4.94	30.89 32.57	20.58 20.58	0.00 10.03	51.47 43.13
4 4.94-5.94	31.46 36.26	20.58 20.58	10.56 41.61	41.48 15.22
5 5.94-6.36	35.01 36.95	20.58 20.58	43.83 57.53	11.76 0.00
6 6.36-6.94	36.95 39.63	20.58 20.58	57.53 75.54	0.00 -16.31

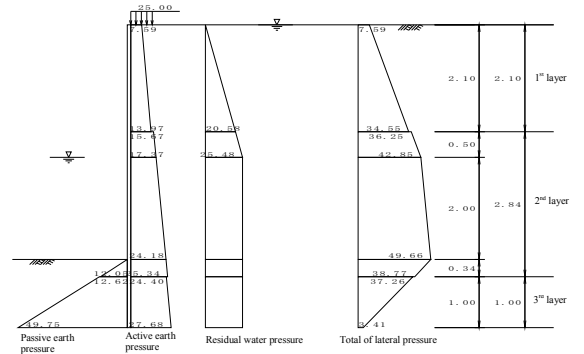
P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 P_s: Lateral pressure P_s = P_a + P_w - P_p

Tentative imaginary riverbed I₄: 1.76 m (GL -6.36 m)

4 Imaginary Riverbed

Imaginary ground level I₄ is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition



Depth (m)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	Ps (kNm ²)
1 0.00-2.10	7.59 13.97	0.00 20.58	— —	7.59 34.55
2 2.10-2.60	15.67 17.37	20.58 25.48	— —	36.25 42.85
3 2.60-4.60	17.37 24.18	25.48 25.48	— —	42.85 49.66
4 4.60-4.94	24.18 25.34	25.48 25.48	0.00 12.05	49.66 38.77
5 4.94-5.94	24.40 27.68	25.48 25.48	12.62 49.75	37.26 3.41
6 5.94-6.94	26.64 29.80	25.48 25.48	52.14 91.05	-0.01 -35.77

P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 P_s: Lateral pressure P_s = P_a + P_w - P_p

Tentative imaginary riverbed I₄: 1.34 m (GL -5.94 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below

$$K_{L0} = 6910 \times N^{0.496}$$

where,

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width B = 1.0000 m
 Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.87
 Section efficiency μ = 1.00
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 342000 cm⁴ (original condition)
 I = 297540 cm⁴ (after reduction by corrosion and section)
 Inertia sectional moment EI = 200000 × 10³ × 297540 × 10⁻⁸ = 5.951 × 10⁷

Depth (m)	N value	Depth (m)	N value
1 0.50	15	11 14.44	17
2 1.60	15	12 15.94	8
3 2.10	4	13 16.94	50
4 4.94	4	14 20.00	50
5 5.94	12		
6 6.94	13		
7 7.94	15		
8 8.94	6		
9 11.44	2		
10 12.94	3		

5-2 Normal Condition

K_L = 18709 kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.298 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 3.36 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -5.94 m) to 3.36m depth (GL -9.30 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 5.94	1.00	12.0	13.0	12.50
2 6.94	1.00	13.0	15.0	14.00
3 7.94	1.00	15.0	6.0	10.50
4 8.94	0.36	6.0	5.4	2.05
L = 2h = 3.36				ΣA = 39.05

A (upper N-value + lower N-value) × h/2

Average N-value $N' = \frac{\Sigma A}{L} = \frac{39.05}{3.36} = 11.63$

Calculated K_s is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following

$K_s = 6910 \times N'^{0.006} = 6910 \times 11.63^{0.006} = 18709 \text{ kN/m}^3$

K_s (normal condition) = 18709 kNm³

5-3 Seismic Condition

$K_s = 18080 \text{ kNm}^3$ is set tentatively.

$\beta = 4\sqrt{\frac{K_s \cdot B}{4 E I}} = 0.295 \text{ m}^{-1}$

$L = \frac{1}{\beta} = 3.39 \text{ m}$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (CL - 6.36 m) to 3.39 m depth (CL - 9.75 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 6.36	0.58	12.4	13.0	7.39
2 6.94	1.00	13.0	15.0	14.00
3 7.94	1.00	15.0	6.0	10.50
4 8.94	0.81	6.0	4.7	4.32
L = 2h = 3.39				ΣA = 36.20

A (upper N-value + lower N-value) × h/2

Average N-value $N' = \frac{\Sigma A}{L} = \frac{36.20}{3.39} = 10.69$

Calculated K_s is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following

$K_s = 6910 \times N'^{0.006} = 6910 \times 10.69^{0.006} = 18080 \text{ kN/m}^3$

K_s (seismic condition) = 18080 kNm³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Height h_0

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00-2.10	2.10	7.59 34.55	7.97 36.28	5.24 4.54	41.78 164.71
2 2.10-2.60	0.50	36.25 42.85	9.06 10.71	3.67 3.51	33.29 37.56
3 2.60-4.60	2.00	42.85 49.66	42.85 49.66	2.67 2.01	114.55 99.65
4 4.60-4.94	0.34	49.66 38.77	8.44 6.59	1.23 1.11	10.36 7.34
5 4.94-5.94	1.00	37.26 3.41	18.63 1.71	0.67 0.33	12.42 0.57
		ΣP = 191.91			ΣM = 522.23

P : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load $P = 2.3 \text{ kNm}$
 depth to acting position $H = -0.42 \text{ m}$
 moment $M_0 = 0.0 \text{ kNm/m}$
 depth to acting position $h_0 = 0.00 \text{ m}$
 Height from riverbed to top of cone $H = 4.60 \text{ m}$
 Depth of imaginary riverbed from riverbed $L_0 = 1.34 \text{ m}$

Moment M_0 by arbitrary load is as below
 $M_0 = P_0 \cdot (H + L_0 - h_0) + M_0 = 14.63 \text{ kNm}$

h_0 Height of acting position of P_0 from imaginary riverbed

$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{536.86}{194.21} = 2.76 \text{ m}$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P_s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00-2.10	2.10	7.23 37.21	7.59 39.07	5.66 4.96	42.94 193.72
2 2.10-4.60	2.50	39.04 51.47	48.80 64.33	3.43 2.59	167.17 166.76
3 4.60-4.94	0.34	51.47 43.13	8.75 7.33	1.65 1.53	14.40 11.23
4 4.94-5.94	1.00	41.48 15.22	20.74 7.61	1.09 0.75	22.51 5.72
5 5.94-6.36	0.42	11.76 0.00	2.46 0.00	0.28 0.14	0.69 0.00
		ΣP = 206.68			ΣM = 625.16

P : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load $P = 8.6 \text{ kNm}$
 depth to acting position $H = -0.24 \text{ m}$
 moment $M_0 = 0.0 \text{ kNm/m}$
 depth to acting position $h_0 = 0.00 \text{ m}$
 Height from riverbed to top of cone $H = 4.60 \text{ m}$
 Depth of imaginary riverbed from riverbed $L_0 = 1.76 \text{ m}$

Moment M_0 by arbitrary load is as below
 $M_0 = P_0 \cdot (H + L_0 - h_0) + M_0 = 36.75 \text{ kNm}$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{sw} (kNm ²)	Load P_{sw} (kN)	Arm length Y (m)	Moment M_{sw} (kNm)
1	2.10-3.10	1.00	0.0 2.7	0.00 1.36	3.93 3.59	0.00 4.87
2	3.10-4.10	1.00	2.7 3.8	1.36 1.92	2.93 2.59	3.97 4.97
3	4.10-4.60	0.50	3.8 4.3	0.96 1.07	2.09 1.93	2.01 2.06
			ΣP _{sw} = 6.66			ΣM _{sw} = 17.88

h_0 Height of acting position of P_0 from imaginary riverbed

$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_{sw}}{P_0 + \Sigma P + \Sigma P_{sw}} = \frac{699.79}{221.94} = 3.15 \text{ m}$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000 \text{ m}$
 Corrosion margin $t_1 = 1.00 \text{ mm}$ (active side) $t_2 = 1.00 \text{ mm}$ (passive side)
 Corrosion rate $\eta = 0.87$
 Section efficiency $\mu = 1.00$
 Youne's modulus $E = 200000 \text{ Nmm}^2$
 Inertia sectional moment $I_0 = 342000 \text{ cm}^4$ (original condition)
 $I = 297540 \text{ cm}^4$ (after reduction by corrosion and section)
 $I = 5.951 \times 10^7$

$\beta = 4\sqrt{\frac{K_s \cdot B}{4 E I}}$

$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$

$M_{ax} = M_0 \cdot \phi_a$

$l_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$

$l_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$

$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1 + \beta h_0) \sin \beta x)$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_s = 18709 \text{ kNm}^3$
 resultant earth force (lateral) $P_0 = 0.29775 \text{ m}^{-1}$
 height of acting position of load moment $h_0 = 194.21 \text{ kNm}$
 $M_0 = 2.76 \text{ m}$
 $M_0 = 536.86 \text{ kNm-m}$

in consideration of $\psi_{sw} = 1.197$,
 maximum moment $M_{max} = 642.80 \text{ kNm/m}$
 depth of generated position of M_{max} $l = 1.213 \text{ m}$
 depth of I^* fixed point $l = 3.851 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_s = 18080 \text{ kNm}^3$
 resultant earth force (lateral) $\beta = 0.29522 \text{ m}^{-1}$
 height of acting position of load moment $h_0 = 221.94 \text{ kNm}$
 $M_0 = 3.15 \text{ m}$
 $M_0 = 699.79 \text{ kNm-m}$

in consideration of $\psi_{sw} = 1.163$,
 maximum moment $M_{max} = 814.14 \text{ kNm/m}$
 depth of generated position of M_{max} $l = 1.139 \text{ m}$
 depth of I^* fixed point $l = 3.799 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin	t _c	=	1.00 mm (active side)	t _r	=	1.00 mm (passive side)
Corrosion rate	n	=	0.89			
Section efficiency	u	=	1.00			
Module of section	Z ₀	=	7200 cm ³ (original condition)			
	Z	=	6408 cm ³ (after reduction by corrosion and section)			

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{642.80 \times 10^6}{6408 \times 10^3} = 100 \text{ N/mm}^2 \leq \sigma_a = 185 \text{ N/mm}^2$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{814.14 \times 10^6}{6408 \times 10^3} = 127 \text{ N/mm}^2 \leq \sigma_a = 278 \text{ N/mm}^2$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)	
1	0.00-2.10	5.24 4.54	0.882 0.764	0.275 0.218	7.97 36.28	2.190 7.897
2	2.10-2.60	3.67 3.51	0.618 0.590	0.152 0.140	9.06 10.71	1.376 1.499
3	2.60-4.60	2.67 2.01	0.450 0.338	0.086 0.051	42.85 49.66	3.689 2.515
4	4.60-4.94	1.23 1.11	0.207 0.187	0.020 0.016	8.44 6.59	0.168 0.109
5	4.94-5.94	0.67 0.33	0.112 0.056	0.006 0.002	18.63 1.71	0.113 0.003
$\Sigma Q = 19.557$						

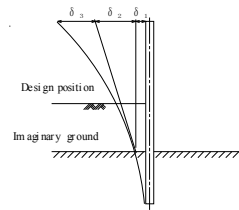
Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_k}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$
P : Lateral force
H : Depth to design position
L_k : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.2978 \times 2.76) \times 194.21}{2 \times 2.00 \times 10^8 \times 297540 \times 10^{-8} \times 0.2978^3} = 0.01127 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_k)$$

$$= \frac{(1+2 \times 0.2978 \times 2.76) \times 194.21}{2 \times 2.00 \times 10^8 \times 297540 \times 10^{-8} \times 0.2978^2} \times (4.60+1.34) = 0.02893 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{E I}$$

$$= \frac{19.56 \times (4.60+1.34)^3}{2.00 \times 10^8 \times 297540 \times 10^{-8}} = 0.00689 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00030 m in consideration of following values:

Height from imaginary riverbed to top of SSP: L = 5.94 m
Horizontal load: P = 2.30
Moment: M = 0.97

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01127 + 0.02893 + 0.00719$$

$$= 0.04739 \text{ m}$$

$$= 47.39 \text{ mm} \leq \delta_a = 50.00 \text{ mm}$$

Where:
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

6-4-2 Seismic Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)	
1	0.00-2.10	5.66 4.96	0.890 0.780	0.279 0.225	7.59 39.07	2.114 8.791
2	2.10-4.60	3.43 2.59	0.539 0.408	0.119 0.072	48.80 64.33	5.810 4.619
3	4.60-4.94	1.65 1.53	0.259 0.241	0.031 0.027	8.75 7.33	0.268 0.196
4	4.94-5.94	1.09 0.75	0.171 0.118	0.014 0.007	20.74 7.61	0.285 0.051
5	5.94-6.36	0.28 0.14	0.044 0.022	0.001 0.000	2.46 0.00	0.002 0.000
$\Sigma Q = 22.135$						

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_k}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

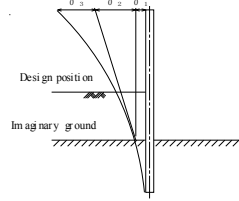
Q : $\zeta \times P$
P : Lateral force
H : Depth to design position
L_k : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1	2.10-3.10	3.93 3.59	0.617 0.565	0.151 0.130	0.00 1.36	0.000 0.176
2	3.10-4.10	2.93 2.59	0.460 0.408	0.090 0.072	1.36 1.92	0.121 0.138
3	4.10-4.60	2.09 1.93	0.329 0.303	0.048 0.041	0.96 1.07	0.046 0.044
$\Sigma Q_w = 0.525$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 22.135 + 0.525 = 22.660$

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.2952 \times 3.15) \times 221.94}{2 \times 2.00 \times 10^8 \times 297540 \times 10^{-8} \times 0.2952^3} = 0.01399 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_k)$$

$$= \frac{(1+2 \times 0.2952 \times 3.15) \times 221.94}{2 \times 2.00 \times 10^8 \times 297540 \times 10^{-8} \times 0.2952^2} \times (4.60+1.76) = 0.03894 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{E I}$$

$$= \frac{22.66 \times (4.60+1.76)^3}{2.00 \times 10^8 \times 297540 \times 10^{-8}} = 0.00979 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00131 m in consideration of following values:

Height from imaginary riverbed to top of SSP: L = 6.36 m
Horizontal load: P = 8.60
Moment: M = 2.06

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01399 + 0.03894 + 0.01110$$

$$= 0.06403 \text{ m}$$

$$= 64.03 \text{ mm} \leq \delta_a = 75.00 \text{ mm}$$

Where:
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$u = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 342000 \text{ cm}^4$ (original condition)
	I = 342000 cm ⁴ (after reduction by corrosion and section)
H = 200000 x 10 ³ x 342000 x 10 ⁸	= 6.840 x 10 ¹⁷

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_v , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_v + \frac{3}{\beta}$$

$$L = H - H_{ii} + D$$

$$\beta = \sqrt[4]{\frac{K_s \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction Calculated value	$K_s = 18709 \text{ kN/m}^3$ $\beta = 0.28756 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.34 + \frac{3}{0.288} = 11.77 \text{ m}$
Whole length of SSP	$L = 4.60 - 0.40 + 11.77 = 15.97 \text{ m}$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction Calculated value	$K_s = 18080 \text{ kN/m}^3$ $\beta = 0.28512 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.76 + \frac{3}{0.285} = 12.28 \text{ m}$
Whole length of SSP	$L = 4.60 - 0.40 + 12.28 = 16.48 \text{ m}$

Therefore, whole length of SSP is set as 16.50 m in consideration of round unit of SSP length.

8 Calculation Result

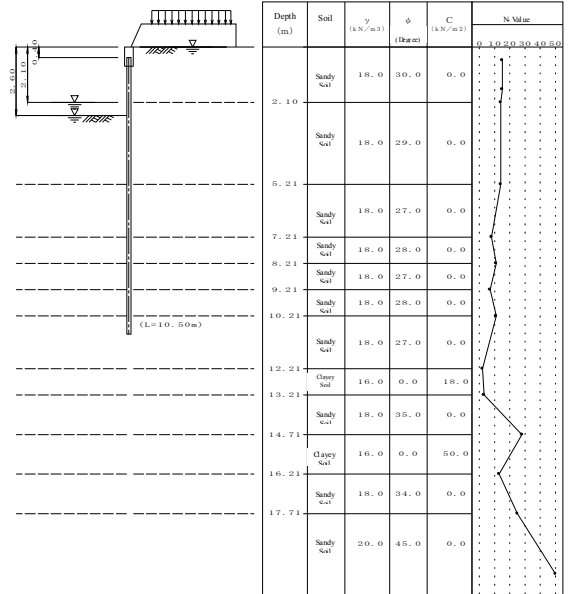
			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	342000		
Section modulus	Z (cm ³)	7200		
Maximum bending moment	M _{max} (kNm/m)		642.80	814.14
Stress intensity	σ (N/mm ²)		100 (185)	127 (278)
Lateral displacement	δ (mm)		47.29 (80.0)	64.03 (75.0)
Penetration depth	D (m)	16.50	11.77	12.28
Whole length of SSP	L (m)			

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 17_STA 9+200 - 9+341



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Reverse side WL L_{rev} = 0.00 m (Normal Condition)
 Landside WL L_{land} = 2.60 m (Normal Condition)
 L_{land}' = 2.10 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.17_pp.1

R_No.17_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^3$

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load Pt = 2.4 kNm (Normal Condition)
 Pt' = 8.6 kNm (Seismic Condition)
 Depth of acting point H = -0.42 m (Normal Condition)
 H' = -0.24 m (Seismic Condition)
 Moment Mm = 0.0 kNm/m (Normal Condition)
 Mm' = 0.0 kNm/m (Seismic Condition)
 Depth of acting point Hm' = 0.00 m (Seismic Condition)
 Hm = 0.00 m (Normal Condition)
 (*Depth means distance from top of coping)

Wind load Impact load not considered

Minimum angle of rupture $\zeta_0 = 10 \text{ degrees}$

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.405}$

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	14.71	28
2	1.60	15	12	16.21	13
3	2.10	14	13	17.71	25
4	5.21	14	14	20.00	50
5	7.21	8			
6	8.21	11			
7	9.21	7			
8	10.21	11			
9	12.21	2			
10	13.21	3			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

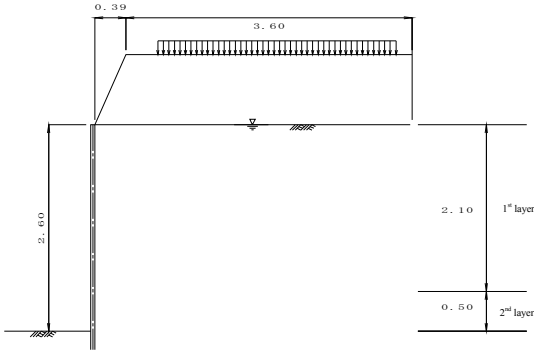
No	Depth (m)	Soil	N value	γ (kNm³)	γ' (kNm³)	φ	C (kNm²)	a	k'	ζ (degree)		kh (kNm³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----
2	5.21	S	14.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	-----	-----
3	7.21	S	8.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
4	8.21	S	11.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	-----	-----
5	9.21	S	7.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
6	10.21	S	11.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	-----	-----
7	12.21	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
8	13.21	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	-----	-----
9	14.71	S	28.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	-----	-----
10	16.21	C	13.0	16.00	8.00	0.0	50.0	0.0	0.200	auto	auto	-----	-----
11	17.71	S	25.0	18.00	10.00	34.0	0.0	0.0	0.200	auto	auto	-----	-----
12	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	-----	-----

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	-10.00°	-10.00°
passive	10.00°	10.00°

1-8 Em bankment on Landside



Em bankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.39	3.99	3.99	0.88	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	0.79	3.79	10.0	5.0

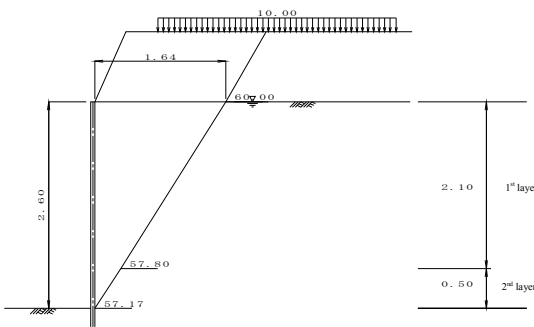
Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I _x = 56700 cm ⁴
Sectional factor	Z _x = 2700 cm ³
Corrosion margin	t ₁ = 1.00 mm (ri verside) t ₂ = 1.00 mm (landside)
Corrosion rate (to I ₀)	η = 0.88
Corrosion rate (to Z ₀)	η = 0.88
Section efficiency (to I ₀)	μ = 1.00
Section efficiency (to Z ₀)	μ = 1.00
Round unit of SSP length	0.50 m
Allowable stress	σ_a = 180 Nmm ² (Normal) σ_a' = 270 Nmm ² (Seismic)
Allowable displacement	δ_a = 50.0 mm (Normal) δ_a' = 75.0 mm (Seismic)
Bending of cantilever beam	calculated as distributed load of each layer
Reduction of material modulus	Reduced: I ₀ applied to calculation of lateral coefficient of subgrade reaction Not reduced: I ₀ applied to calculation of penetration depth Reduced: I ₀ applied to calculation of section forces and displacement Reduced: Z ₀ applied to calculation of stresses

2 Calculation of Acting Load

2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma \times h \times A$ (kN/m)	Angle of rupture Z (degree)
1	2.60- 2.10	Sandy Soil	29.0	10.0	0.0	26.00	24.69	25.48	57.17
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	24.69	20.58	57.80
3		Embankment	30.0	—	0.0	15.84	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	57.17	0.50	0.00	0.00	0.32	0.50
2	57.80	2.10	0.32	0.50	1.64	2.60
3	60.00	0.88	1.64	2.60	2.15	3.48

Therefore, width of acting load shall be set as 1.64 m

2-1-3 Acting Load by Em bankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times X \times A$ (kN/m)
1	18.0	1.50	26.99
Σ			26.99

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.36	13.63
Σ			13.63

Q : surcharge load
l : width of surcharge load set by line of active rupture

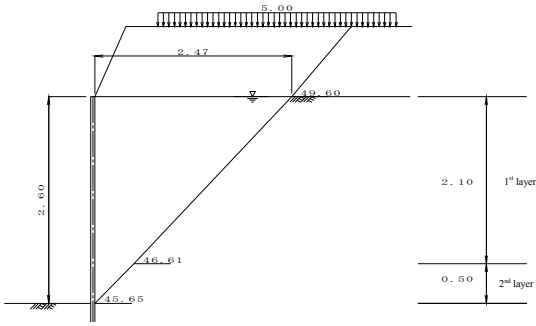
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{26.99 + 13.63 + 0.00}{1.64}$$

$$= 24.69 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.65	0.50	0.00	0.00	0.49	0.50
2	46.61	2.10	0.49	0.50	2.47	2.60
3	49.60	0.88	2.47	2.60	3.22	3.48

Therefore, width of acting load shall be set as 2.47 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.34	42.03
Σ			42.03

γ : unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q x l (kN/m)
1	5.0	2.43	12.17
Σ			12.17

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{42.03 + 12.17 + 0.00}{2.47}$$

$$= 21.91 \text{ kN/m}^2$$

2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wh} (kN/m ²)	k (k ²)	θ (degree)	Angle of rupture Z (degree)
1	2.60- 2.10	Sandy Soil	29.0	10.0	0.0	26.00	21.91	25.48	0.200	11.31	45.65
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	21.91	20.58	0.200	11.31	46.61
3		Embankment	30.0	—	0.0	15.84	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

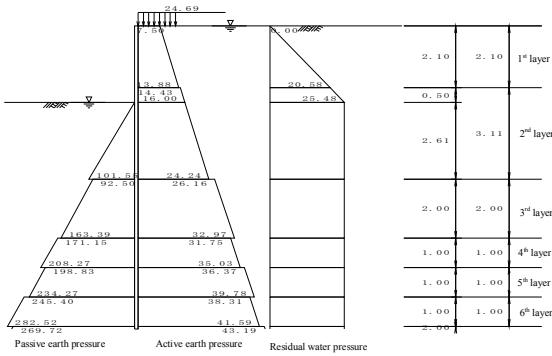
$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.0^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake coefficient angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h: thickness of layer (m)
- Q: surcharge load (kN/m²)
- C: cohesive force of soil (kN/m²)

3 Lateral Pressure

3-1 Normal Condition



Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)} \right]}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_p$ (kN/m ²)	K_p	$K_p \times \cos \delta$
3	2.60- 5.21	Sandy soil	10.0	29.0	0.000 26.100	3.95096 3.95096	3.89093 3.89093
4	5.21- 7.21	Sandy soil	10.0	27.0	26.100 46.100	3.59892 3.59892	3.54425 3.54425
5	7.21- 8.21	Sandy soil	10.0	28.0	46.100 56.100	3.76978 3.76978	3.71251 3.71251
6	8.21- 9.21	Sandy soil	10.0	27.0	56.100 66.100	3.59892 3.59892	3.54425 3.54425
7	9.21- 10.21	Sandy soil	10.0	28.0	66.100 76.100	3.76978 3.76978	3.71251 3.71251
8	10.21- 12.21	Sandy soil	10.0	27.0	76.100 96.100	3.59892 3.59892	3.54425 3.54425
9	12.21- 13.21	Clayey soil	8.0	0.0	18.0 104.100	96.100 104.100	— —
10	13.21- 14.71	Sandy soil	10.0	35.0	104.100 119.100	5.30876 5.30876	5.22810 5.22810
11	14.71- 16.21	Clayey soil	8.0	0.0	50.0 131.100	119.100 131.100	— —
12	16.21- 17.71	Sandy soil	10.0	34.0	131.100 146.100	5.04448 5.04448	4.96784 4.96784
13	17.71- 20.00	Sandy soil	10.0	45.0	146.100 169.000	9.34548 9.34548	9.20351 9.20351

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)} \right]}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure (kN/m ²)	Passive side (kN/m ²)
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1	0.00- 2.10	7.50 13.88	— —	7.50 13.88	0.00 20.58
2	2.10- 2.60	14.43 16.00	— —	14.43 16.00	20.58 25.48
3	2.60- 5.21	16.00 24.24	— —	16.00 24.24	25.48 101.55
4	5.21- 7.21	26.16 32.97	— —	26.16 32.97	25.48 163.39
5	7.21- 8.21	31.75 35.03	— —	31.75 35.03	25.48 208.27
6	8.21- 9.21	36.37 39.78	— —	36.37 39.78	25.48 198.83

3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_a$ (kN/m ²)	K_a	$K_a \times \cos \delta$
1	0.00- 2.10	Sandy soil	10.0	30.0	24.695 45.695	0.30847 0.30847	0.30378 0.30378
2	2.10- 2.60	Sandy soil	10.0	29.0	45.695 50.695	0.32058 0.32058	0.31571 0.31571
3	2.60- 5.21	Sandy soil	10.0	29.0	50.695 76.795	0.32058 0.32058	0.31571 0.31571
4	5.21- 7.21	Sandy soil	10.0	27.0	76.795 96.795	0.34585 0.34585	0.34060 0.34060
5	7.21- 8.21	Sandy soil	10.0	28.0	96.795 106.795	0.33303 0.33303	0.32798 0.32798
6	8.21- 9.21	Sandy soil	10.0	27.0	106.795 116.795	0.34585 0.34585	0.34060 0.34060
7	9.21- 10.21	Sandy soil	10.0	28.0	116.795 126.795	0.33303 0.33303	0.32798 0.32798
8	10.21- 12.21	Sandy soil	10.0	27.0	126.795 146.795	0.34585 0.34585	0.34060 0.34060
9	12.21- 13.21	Clayey soil	8.0	—	146.795 154.795	— —	— —
10	13.21- 14.71	Sandy soil	10.0	35.0	154.795 169.795	0.25279 0.25279	0.24895 0.24895
11	14.71- 16.21	Clayey soil	8.0	—	169.795 181.795	— —	— —
12	16.21- 17.71	Sandy soil	10.0	34.0	181.795 196.795	0.26331 0.26331	0.25931 0.25931
13	17.71- 20.00	Sandy soil	10.0	45.0	196.795 211.397	0.16262 0.16262	0.16015 0.16015

Depth (m)	Active side			Residual water pressure		Passive side
	Pa1 (kNm ²)	Pa2 (kNm ²)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	
7	9.21-10.21	38.31 41.59	38.31 41.59	25.48 25.48	245.40 282.52	
8	10.21-12.21	43.19 50.00	43.19 50.00	25.48 25.48	269.72 340.60	
9	12.21-13.21	110.79 118.79	73.40 77.40	110.79 118.79	25.48 25.48	132.10 140.10
10	13.21-14.71	38.54 42.27	38.54 42.27	25.48 25.48	544.25 622.67	
11	14.71-16.21	69.79 81.79	84.90 90.90	84.90 90.90	25.48 25.48	219.10 231.10
12	16.21-17.71	47.14 51.03	47.14 51.03	25.48 25.48	651.28 725.80	
13	17.71-20.00	31.52 35.18	31.52 35.18	25.48 25.48	1344.63 1555.39	

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$

K_a : Equilibrium coefficient of compression 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

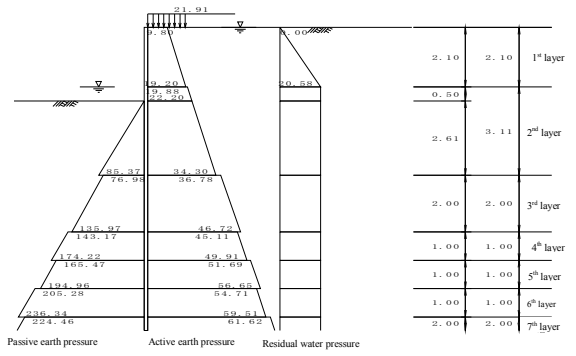
Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q$ (kNm ²)	γ_{wh} (kNm ²)	k (k)	θ (degree)	K_a	$K_a \times \cos \delta$	θ (degree)
1	0.00-2.10	Sandy Soil	10.0	30.0	21.91 42.91	0.00 20.58	0.200	11.31	0.45442	0.44752	
2	2.10-2.60	Sandy Soil	10.0	29.0	42.91 47.91	20.58 25.48	0.200	11.31	0.47058	0.46343	
3	2.60-5.21	Sandy Soil	10.0	29.0	47.91 74.01	25.48 51.06	0.200	11.31	0.47058	0.46343	
4	5.21-7.21	Sandy Soil	10.0	27.0	74.01 94.01	51.06 70.66	0.200	11.31	0.50461	0.49695	
5	7.21-8.21	Sandy Soil	10.0	28.0	94.01 104.01	70.66 80.46	0.200	11.31	0.48730	0.47989	
6	8.21-9.21	Sandy Soil	10.0	27.0	104.01 114.01	80.46 90.26	0.200	11.31	0.50461	0.49695	
7	9.21-10.21	Sandy Soil	10.0	28.0	114.01 124.01	90.26 100.06	0.200	11.31	0.48730	0.47989	
8	10.21-12.21	Sandy Soil	10.0	27.0	124.01 144.01	100.06 119.66	0.200	11.31	0.50461	0.49695	
9	12.21-13.21	Clayey Soil	8.0		18.0 144.01	119.66 129.46	0.200	11.31			15.63 10.42
10	13.21-14.71	Sandy Soil	10.0	35.0	152.01 167.01	129.46 144.16	0.200	11.31	0.38098	0.37519	
11	14.71-16.21	Clayey Soil	8.0		50.0 167.01	144.16 158.86	0.200	11.31			38.27 37.72
12	16.21-17.71	Sandy Soil	10.0	34.0	179.01 194.01	158.86 173.56	0.200	11.31	0.39477	0.38878	
13	17.71-20.00	Sandy Soil	10.0	45.0	194.01 216.91	173.56 196.00	0.200	11.31	0.26273	0.25874	

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.00$, $\beta = 0.00$, $\theta = \tan^{-1} k$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q_p$ (kNm ²)	γ_{wh} (kNm ²)	k (k)	θ (degree)	K_p	$K_p \times \cos \delta$
3	2.60-5.21	Sandy soil	10.00	29.0	0.000 26.100	0.00 25.58	0.200	11.31	3.32141 3.32141	3.27095 3.27095
4	5.21-7.21	Sandy soil	10.00	27.0	26.100 46.100	25.58 45.18	0.200	11.31	2.94948 2.94948	2.94948 2.94948
5	7.21-8.21	Sandy soil	10.00	28.0	46.100 56.100	45.18 54.98	0.200	11.31	3.15350 3.15350	3.10559 3.10559
6	8.21-9.21	Sandy soil	10.00	27.0	56.100 66.100	54.98 64.78	0.200	11.31	2.94948 2.94948	2.94948 2.94948
7	9.21-10.21	Sandy soil	10.00	28.0	66.100 76.100	64.78 74.58	0.200	11.31	3.15350 3.15350	3.10559 3.10559
8	10.21-12.21	Sandy soil	10.00	27.0	76.100 96.100	74.58 94.18	0.200	11.31	2.94948 2.94948	2.94948 2.94948
9	12.21-13.21	Clayey soil	8.00	0.0	18.0 104.100	94.18 103.98	0.200	11.31		
10	13.21-14.71	Sandy soil	10.00	35.0	104.100 119.100	103.98 118.68	0.200	11.31	4.57827 4.57827	4.50872 4.50872
11	14.71-16.21	Clayey soil	8.00	0.0	50.0 131.100	118.68 133.38	0.200	11.31		
12	16.21-17.71	Sandy soil	10.00	34.0	131.100 146.100	133.38 148.08	0.200	11.31	4.33360 4.33360	4.26776 4.26776
13	17.71-20.00	Sandy soil	10.00	45.0	146.100 169.000	148.08 170.52	0.200	11.31	8.33000 8.33000	8.20345 8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = 10.00$, $\beta = 0.00$, $\theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure		Passive side
		Pa1 (kNm ²)	Pa2 (kNm ²)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	
1	0.00-2.10	9.80 19.20		9.80 19.20	0.00 20.58		
2	2.10-2.60	19.88 22.20		19.88 22.20	20.58 20.58		
3	2.60-5.21	22.20 34.30		22.20 34.30	20.58 20.58	0.00 85.37	
4	5.21-7.21	36.78 46.72		36.78 46.72	20.58 20.58	76.98 135.97	
5	7.21-8.21	45.11 49.91		45.11 49.91	20.58 20.58	143.17 174.22	
6	8.21-9.21	51.69 56.65		51.69 56.65	20.58 20.58	165.47 194.96	
7	9.21-10.21	54.71 59.51		54.71 59.51	20.58 20.58	205.28 236.34	
8	10.21-12.21	61.62 71.56		61.62 71.56	20.58 20.58	224.46 283.44	
9	12.21-13.21	177.58 216.12	72.00 76.00	177.58 216.12	20.58 20.58	132.10 140.10	
10	13.21-14.71	57.03 62.66		57.03 62.66	20.58 20.58	469.36 536.99	
11	14.71-16.21	106.52 121.98	83.50 89.50	106.52 121.98	20.58 20.58	219.10 231.10	
12	16.21-17.71	69.59 75.42		69.59 75.42	20.58 20.58	559.50 623.52	
13	17.71-20.00	50.20 56.12		50.20 56.12	20.58 20.58	1198.52 1386.38	

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$

K_a : Equilibrium coefficient of compression 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

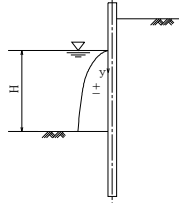
Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P _w (kNm ²)
1	2.10	0.00	0.00
2	2.60	0.50	0.86

$$p_{dv} = \pm \frac{7}{8} k_{ds} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

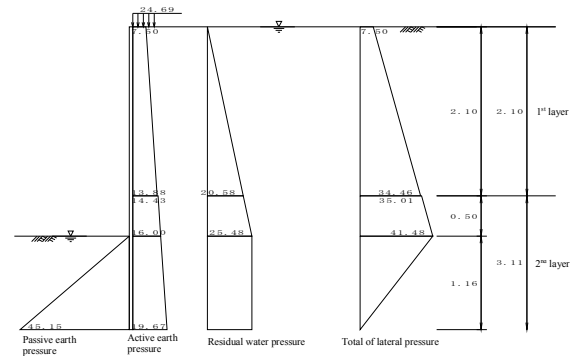
Where
 k_{ds}: design seismic coefficient
 γ_w: unit weight of water
 H: water depth of riverside
 y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level I₄ is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

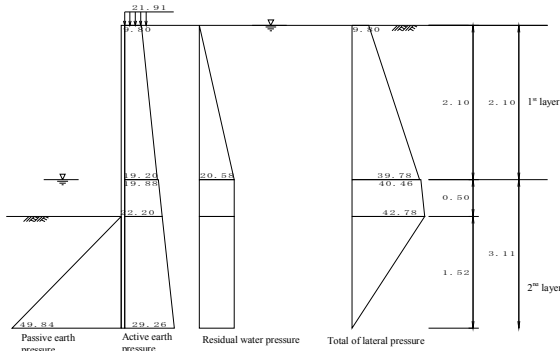


Depth (m)	P _a (kNm ²)	P _w (kNm ²)	P _p (kNm ²)	P _s (kNm ²)
1 0.00-2.10	7.50 13.88	0.00 20.58	— —	7.50 34.46
2 2.10-2.60	14.43 16.00	20.58 25.48	— —	35.01 41.48
3 2.60-3.76	16.00 19.67	25.48 25.48	0.00 45.15	41.48 0.00
4 3.76-5.21	19.67 24.24	25.48 25.48	45.15 101.55	0.00 -51.83

P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 P_s: Lateral pressure P_s = P_a + P_w - P_p

Tentative imaginary riverbed I₄: 1.16 m (GL -3.76 m)

4-2 Seismic Condition



Depth (m)	P _a (kNm ²)	P _w (kNm ²)	P _p (kNm ²)	P _s (kNm ²)
1 0.00-2.10	9.80 19.20	0.00 20.58	— —	9.80 39.78
2 2.10-2.60	19.88 22.20	20.58 20.58	— —	40.46 42.78
3 2.60-4.12	22.20 29.26	20.58 20.58	0.00 49.84	42.78 0.00
4 4.12-5.21	29.26 34.30	20.58 20.58	49.84 85.37	0.00 -30.50

P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 P_s: Lateral pressure P_s = P_a + P_w - P_p

Tentative imaginary riverbed I₄: 1.52 m (GL -4.12 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below

$$K_{50} = 6910 \times N^{0.496}$$

where,

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width B = 1.0000 m
 Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.88
 Section efficiency μ = 0.80
 Young's modulus E = 200000 Nmm²
 Inertia sectional moment I₀ = 56700 cm⁴ (original condition)
 Inertia sectional moment I = 39917 cm⁴ (after reduction by corrosion and joint)
 EI = 200000 x 10³ x 39917 x 10⁻⁸ = 7.983 x 10⁷

Depth (m)	N-value	Depth (m)	N-value
1 0.50	15	11 14.71	28
2 1.00	15	12 16.21	13
3 2.10	14	13 17.71	25
4 5.21	14	14 20.00	50
5 7.21	8		
6 8.21	11		
7 9.21	7		
8 10.21	11		
9 12.21	2		
10 13.21	3		

5-2 Normal Condition

K₅₀ = 20042 kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.501 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.00 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -3.76 m) to 2.00 m depth (GL -5.76 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1	3.76	1.45	14.0	20.30
2	5.21	0.55	14.0	7.23

$L = 2h = 2.00$ $\Sigma A = 27.52$

A (upper N value + lower N value) \times $h/2$

average N value $N' = \frac{\Sigma A}{L}$

$$= \frac{27.52}{2.00}$$

$$= 13.77$$

Calculated K_s is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$K_s = 6910 \times N'^{0.406} = 6910 \times 13.77^{0.406} = 20042 \text{ kNm}^3$

K_s (normal condition) = 20042 kNm³

5-3 Seismic Condition

$K_s = 19801 \text{ kNm}^3$ is set tentatively.

$$\beta = 4\sqrt{\frac{K_s \cdot B}{4 E I}}$$

$$= 0.499 \text{ m}^{-1}$$

$L = \frac{1}{\beta} = 2.00 \text{ m}$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -4.12 m) to 2.00 m depth (GL -6.13 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1	4.12	1.09	14.0	15.21
2	5.21	0.92	14.0	11.59

$L = 2h = 2.00$ $\Sigma A = 26.79$

A (upper N value + lower N value) \times $h/2$

average N value $N' = \frac{\Sigma A}{L}$

$$= \frac{26.79}{2.00}$$

$$= 13.37$$

Calculated K_s is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following:

$K_s = 6910 \times N'^{0.406} = 6910 \times 13.37^{0.406} = 19801 \text{ kNm}^3$

K_s (seismic condition) = 19801 kNm³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Height h_0

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P_0 (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	7.50 34.46	7.88 36.18	3.06 2.36	24.11 83.41
2	2.10-2.60	35.01 41.48	8.75 10.37	1.49 1.33	13.07 13.76
3	2.60-3.76	41.48 0.00	24.07 0.00	0.77 0.39	18.62 0.00

$\Sigma P = 87.25$ $\Sigma M = 154.96$

P_0 : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_0 \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_0 = 2.4 \text{ kNm}$
 depth to acting position $H = -0.42 \text{ m}$
 moment $M_0 = 0.0 \text{ kNm/m}$
 depth to acting position $H_0 = 0.00 \text{ m}$
 Height from riverbed to top of coping $H = 2.60 \text{ m}$
 Depth of imaginary riverbed from riverbed $L_0 = 1.16 \text{ m}$

Moment M_0 by arbitrary load is as below
 $M_0 = P_0 \cdot (H + L_0 - H) + M_0 = 10.03 \text{ kNm}$

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0}$$

$$= \frac{165.00}{89.65} = 1.84 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P_0 (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	9.80 39.78	10.29 41.77	3.42 2.72	35.24 113.77
2	2.10-2.60	40.46 42.78	10.12 10.70	1.86 1.69	18.79 18.08
3	2.60-4.12	42.78 0.00	32.59 0.00	1.02 0.51	33.11 0.00

$\Sigma P = 105.47$ $\Sigma M = 218.99$

P_0 : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_0 \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_0 = 8.6 \text{ kNm}$
 depth to acting position $H = -0.24 \text{ m}$
 moment $M_0 = 0.0 \text{ kNm/m}$
 depth to acting position $H_0 = 0.00 \text{ m}$
 Height from riverbed to top of coping $H = 2.60 \text{ m}$
 Depth of imaginary riverbed from riverbed $L_0 = 1.52 \text{ m}$

Moment M_0 by arbitrary load is as below
 $M_0 = P_0 \cdot (H + L_0 - H) + M_0 = 37.53 \text{ kNm}$

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{0w} (kNm ²)	Load P_{0w} (kN)	Arm length Y (m)	Moment M_{0w} (kNm)
1	2.10-2.60	0.50	0.0 0.9	0.00 0.21	1.86 1.69	0.00 0.36

$\Sigma P_{0w} = 0.21$ $\Sigma M_{0w} = 0.36$

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_{0w}}{\Sigma P + P_0 + \Sigma P_{0w}}$$

$$= \frac{256.88}{114.28} = 2.25 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000 \text{ m}$
 Corrosion margin $t_1 = 1.00 \text{ mm (active side)}$ $t_2 = 1.00 \text{ mm (passive side)}$
 Corrosion rate $\eta = 0.88$
 Section efficiency $u = 0.80$
 Young's modulus $E = 200000 \text{ Nmm}^2$
 Inertia sectional moment $I_0 = 56700 \text{ cm}^4$ (original condition)
 $I = 39917 \text{ cm}^4$ (after reduction by corrosion and section)
 $H = 200000 \times 10^3 \times 39917 \times 10^8 = 7.983 \times 10^8$

$$\beta = 4\sqrt{\frac{K_s \cdot B}{4 E I}}$$

$$\phi_0 = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$M_{max} = M_0 \cdot \phi_0$

$$I_0 = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$I_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_s = 20042 \text{ kNm}^3$
 resultant earth force (lateral) $\beta = 0.50052 \text{ m}^{-1}$
 height of acting position of load $P_0 = 89.65 \text{ kNm}$
 moment $h_0 = 1.84 \text{ m}$
 $M_0 = 165.00 \text{ kNm/m}$

in consideration of $\omega = 1.166$,
 maximum moment $M_{max} = 192.40 \text{ kNm/m}$
 depth of generated position of M_{max} $L = 0.676 \text{ m}$
 depth of I^* fixed point $l = 2.245 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_s = 19801 \text{ kNm}^3$
 resultant earth force (lateral) $\beta = 0.49901 \text{ m}^{-1}$
 height of acting position of load $P_0 = 114.28 \text{ kNm}$
 moment $h_0 = 2.25 \text{ m}$
 $M_0 = 256.88 \text{ kNm/m}$

in consideration of $\omega = 1.122$,
 maximum moment $M_{max} = 288.18 \text{ kNm/m}$
 depth of generated position of M_{max} $L = 0.599 \text{ m}$
 depth of I^* fixed point $l = 2.173 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin	t _c	=	1.00 mm (active side)	t _r	=	1.00 mm (passive side)
Corrosion rate	n	=	0.88			
Section efficiency	u	=	1.00			
Module of section	Z ₀	=	2700 cm ³ (original condition)			
	Z	=	2376 cm ³ (after reduction by corrosion and section)			

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{192.40 \times 10^6}{2376 \times 10^3} = 81 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{288.18 \times 10^6}{2376 \times 10^3} = 121 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	3.06	0.814	0.241	7.88	1.901
		2.36	0.628	0.156	36.18	5.637
2	2.10-2.60	1.49	0.397	0.068	8.75	0.599
		1.33	0.353	0.055	10.37	0.570
3	2.60-3.76	0.77	0.206	0.020	24.07	0.474
		0.39	0.103	0.005	0.00	0.000
$\Sigma Q = 9.181$						

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_1}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

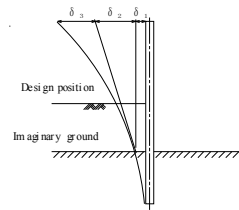
Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

L₁ : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1+0.5005 \times 1.84) \times 89.65}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5005^3} = 0.00860 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_1) = \frac{(1+2 \times 0.5005 \times 1.84) \times 89.65}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5005^2} \times (2.60+1.16) = 0.02396 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_1)^3}{E I} = \frac{9.18 \times (2.60+1.16)^3}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.00611 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00062 m in consideration of following values:

Height from imaginary riverbed to top of SSP: L = 3.76 m

Horizontal load: P = 2.40

Moment: M = 1.01

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.00860 + 0.02396 + 0.00674 = 0.03929 \text{ m} = 39.29 \text{ mm} \leq \delta_a = 50.00 \text{ mm}$$

Where

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ : Displacement at top of SSP
- δ_a : Allowable displacement

6-4-2 Seismic Condition

Modules of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	3.42	0.830	0.249	10.29	2.566
		2.72	0.661	0.170	41.77	7.105
2	2.10-2.60	1.86	0.450	0.086	10.12	0.872
		1.69	0.410	0.073	10.70	0.776
3	2.60-4.12	1.02	0.246	0.028	32.59	0.908
		0.51	0.123	0.007	0.00	0.000
$\Sigma Q = 12.227$						

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_1}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

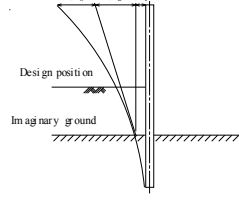
L₁ : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1	2.10-2.60	1.86	0.450	0.086	0.00	0.000
		1.69	0.410	0.073	0.21	0.016
$\Sigma Q_w = 0.016$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 12.227 + 0.016 = 12.242$

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1+0.4990 \times 2.25) \times 114.28}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.4990^3} = 0.01222 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_1) = \frac{(1+2 \times 0.4990 \times 2.25) \times 114.28}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.4990^2} \times (2.60+1.52) = 0.03844 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_1)^3}{E I} = \frac{12.24 \times (2.60+1.52)^3}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.01075 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00274 m in consideration of following values:

Height from imaginary riverbed to top of SSP: L = 4.12 m

Horizontal load: P = 8.60

Moment: M = 2.06

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.01222 + 0.03844 + 0.01349 = 0.06416 \text{ m} = 64.16 \text{ mm} \leq \delta_a = 75.00 \text{ mm}$$

Where

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ : Displacement at top of SSP
- δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	n = 1.00
Section efficiency	u = 1.00
Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I ₀ = 56700 cm ⁴ (original condition)
	I = 56700 cm ⁴ (after reduction by corrosion and section)
EI = 200000 x 10 ⁸ x 56700 x 10 ⁸	= 1.134 x 10 ¹⁷

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as I_s, penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_s + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = 4\sqrt{\frac{K_s \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction	K _s = 20042 kN/m ³
Calculated value	β = 0.45848 m ⁻¹
Penetration length of SSP	D = 1.16 + $\frac{3}{0.458}$ = 7.70 m
Whole length of SSP	L = 2.60 - 0.40 + 7.70 = 9.90 m

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction	K _s = 19801 kN/m ³
Calculated value	β = 0.45709 m ⁻¹
Penetration length of SSP	D = 1.52 + $\frac{3}{0.457}$ = 8.09 m
Whole length of SSP	L = 2.60 - 0.40 + 8.09 = 10.29 m

Therefore, whole length of SSP is set as 10.50 m in consideration of round unit of SSP length.

8 Calculation Result

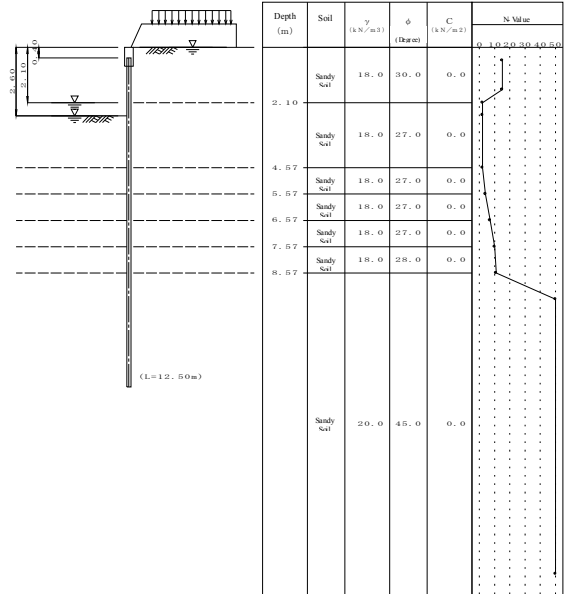
			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	56700		
Section radius	Z (cm ³)	2700		
Maximum bending moment	M _{max} (kNm/m)		192.40	288.18
Stress intensity	σ (N/mm ²)		81 (180)	121 (270)
Lateral displacement	δ (mm)		39.29 (50.0)	64.16 (75.0)
Penetration depth	D (m)		7.70	8.09
Whole length of SSP	L (m)	10.50		

— Steel Sheet Pile Design Calculation —

Right Bank No. 18_STA 9+430 - 550

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



1-2 Dimensions of Structure

Depth from coping top to riverbed	H	=	2.60 m
Depth from coping top to rear side ground	H _r	=	0.00 m
Depth from coping top to SSP top	H _s	=	0.40 m
Riverside WL	L _{rs}	=	0.00 m (Normal Condition)
	L _{rs'}	=	0.00 m (Seismic Condition)
Landside WL	L _{ls}	=	2.60 m (Normal Condition)
	L _{ls'}	=	2.10 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.18_pp.1

R_No.18_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^3$

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
- Seismic Condition

Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load	Horizontal load	Pt	=	2.4 kNm (Normal Condition)
		Pt'	=	8.7 kNm (Seismic Condition)
	Depth of acting point	H	=	-0.42 m (Normal Condition)
		H'	=	-0.25 m (Seismic Condition)
	Moment	Mm	=	0.0 kNm/m (Normal Condition)
		Mm'	=	0.0 kNm/m (Seismic Condition)
	Depth of acting point	Hm'	=	0.00 m (Seismic Condition)
		Hm	=	0.00 m (Normal Condition)

(*Depth means distance from top of coping)

Wind load Impact load not considered

Minimum angle of rupture $\zeta_0 = 10 \text{ degrees}$

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.405}$

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	20.00	50
2	1.60	15			
3	2.10	20			
4	2.57	20			
5	4.57	20			
6	5.57	40			
7	6.57	7			
8	7.57	10			
9	8.57	11			
10	9.57	50			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

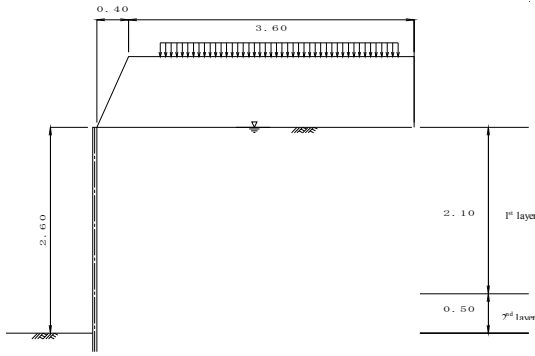
No	Depth (m)	Soil	N value	γ (kNm ³)	γ' (kNm ³)	ϕ	C (kNm ²)	a	k'	ζ (degree)		kh (kNm ⁻¹)	
										normal	seismic		
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	4.57	S	20	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
3	5.57	S	40	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	6.57	S	7.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
5	7.57	S	10.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
6	8.57	S	11.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
7	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C_c : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Em bankment on Landside



Em bankment shape and soil modulus

No	Soil	X coordinate				Em bankment height (m)	Wet unit weight (kNm ⁻³)	Internal friction angle (degree)	Cohesive force (kNm ⁻²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.40	4.00	4.00	0.89	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ⁻²)	Seismic (kNm ⁻²)
1	0.80	3.80	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

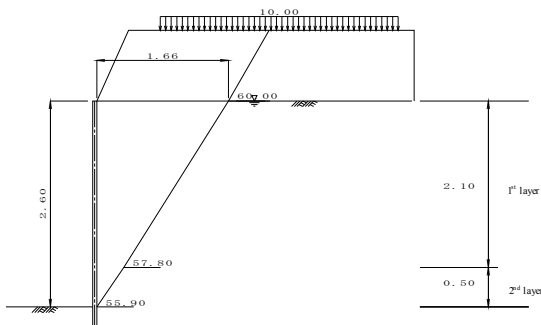
1-9 Steel Sheet Pile (SSP)

Young's modulus	E = 200000 Nmm ⁻²
Inertia sectional moment	I _x = 86000 cm ⁴
Sectional factor	Z _x = 3820 cm ³
Corrosion margin	t ₁ = 1.00 mm (ri verside) t ₂ = 1.00 mm (landside)
Corrosion rate (to I ₀)	η = 0.92
Corrosion rate (to Z ₀)	η = 0.92
Section efficiency (to I ₀)	μ = 0.80
Section efficiency (to Z ₀)	μ = 1.00
Round unit of SSP length	0.50 m
Allowable stress	σ _a = 180 Nmm ⁻² (Normal) σ _a ' = 270 Nmm ⁻² (Seismic)
Allowable displacement	δ _a = 50.0mm (Normal) δ _a ' = 75.0mm (Seismic)

Bending of cantilever beam calculated as distributed load of each layer
Reduction of material modulus Reduced: I₀ applied to calculation of lateral coefficient of subgrade reaction
Not reduced: I₀ applied to calculation of penetration depth
Reduced: I₀ applied to calculation of section forces and displacement
Reduced: Z₀ applied to calculation of stresses

2 Calculation of Acting Load
2-1 Normal Condition

2-1-1 Angle of Active Rupture



No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kNm ⁻²)	Σγh (kNm ⁻²)	Q (kNm ⁻²)	γwh (kNm ⁻²)	Angle of rupture Z (degree)
1	2.60- 2.10	Sandy Soil	27.0	10.0	0.0	26.00	24.85	25.48	55.90
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	24.85	20.58	57.80
3		Em bankment	30.0	—	0.0	16.02	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since θ=0°

- Where
- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
 - φ : internal friction angle (degree)
 - δ : wall friction angle (degree)
 - θ : earthquake combination angle (degree)
 - θ = tan⁻¹ k or θ = tan⁻¹ k'
 - γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
 - h : thickness of layer (m)
 - Q : surcharge load (kNm⁻²)
 - C : cohesive force of soil (kNm⁻²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	55.90	0.50	0.00	0.00	0.34	0.50
2	57.80	2.10	0.34	0.50	1.66	2.60
3	60.00	0.89	1.66	2.60	2.17	3.49

Therefore, width of acting load shall be set as 1.66 m

2-1-3 Acting Load by Em bankment

No	γ (kNm ⁻³)	A (m ²)	γ X A (kNm)
1	18.0	1.53	27.52
Σ			27.52

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kNm ⁻²)	l (m)	Q X l (kNm)
1	10.0	1.37	13.75
Σ			13.75

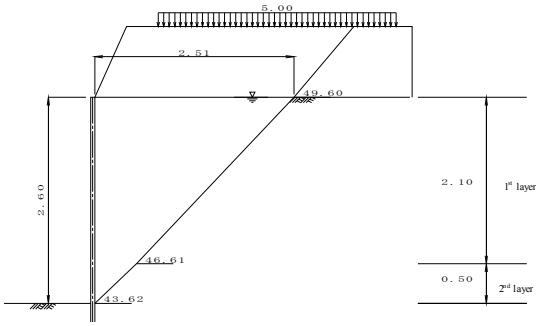
Q : surcharge load
l : width of surcharge load set by line of active rupture

2-1-5 Calculation of Total Acting Load

$$Q = \frac{\sum (\gamma \times A) + \sum (Q \times l) + \sum P}{L}$$

$$= \frac{27.52 + 13.75 + 0.00}{1.66}$$

$$= 24.85 \text{ kNm}^2$$



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kNm ²)	$\Sigma\gamma h$ (kNm ²)	Q (kNm ²)	γ_{shw} (kNm ²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60- 2.10	Sandy Soil	27.0	10.0	0.0	26.00	22.08	25.48	0.200	11.31	43.62
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	22.08	20.58	0.200	11.31	46.61
3		fin banent	30.0	—	0.0	16.02	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \theta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake coefficient on angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm²)
- C : cohesive force of soil (kNm²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.62	0.50	0.00	0.00	0.52	0.50
2	46.61	2.10	0.52	0.50	2.51	2.60
3	49.60	0.89	2.51	2.60	3.27	3.49

Therefore, width of acting load shall be set as 2.51 m

2-2-3 Acting Load by fin banent

No	γ (kNm ³)	A (m ²)	$\gamma \times A$ (kNm)
1	18.0	2.39	43.07
Σ			43.07

γ : unit weight of embankment soil

A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kNm ²)	l (m)	Q X l (kNm)
1	5.0	2.47	12.34
Σ			12.34

Q : surcharge load

l : width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

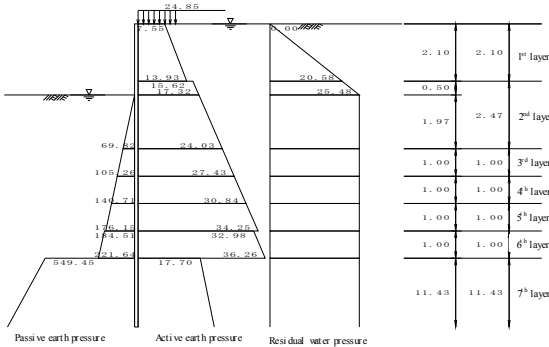
$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{43.07 + 12.34 + 0.00}{2.51}$$

$$= 22.08 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma\gamma h + Q$ (kNm ²)	K_a	$K_a \times \cos \delta$
1	0.00- 2.10	Sandy soil	10.0	30.0	—	24.846 0.30847	0.30378 0.30378
2	2.10- 2.60	Sandy soil	10.0	27.0	—	45.846 0.34585	0.34060 0.34060
3	2.60- 4.57	Sandy soil	10.0	27.0	—	50.846 0.34585	0.34060 0.34060
4	4.57- 5.57	Sandy soil	10.0	27.0	—	70.546 0.34585	0.34060 0.34060
5	5.57- 6.57	Sandy soil	10.0	27.0	—	80.546 0.34585	0.34060 0.34060
6	6.57- 7.57	Sandy soil	10.0	27.0	—	90.546 0.34585	0.34060 0.34060
7	7.57- 8.57	Sandy soil	10.0	28.0	—	100.546 0.33303	0.32798 0.32798
8	8.57- 20.00	Sandy soil	10.0	45.0	—	110.546 0.16262	0.16015 0.16015

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma\gamma h + Q$ (kNm ²)	K_p	$K_p \times \cos \delta$
3	2.60- 4.57	Sandy soil	10.0	27.0	—	0.000 3.59892	3.54425 3.54425
4	4.57- 5.57	Sandy soil	10.0	27.0	—	19.700 3.59892	3.54425 3.54425
5	5.57- 6.57	Sandy soil	10.0	27.0	—	29.700 3.59892	3.54425 3.54425
6	6.57- 7.57	Sandy soil	10.0	27.0	—	39.700 3.59892	3.54425 3.54425
7	7.57- 8.57	Sandy soil	10.0	28.0	—	49.700 3.76978	3.71251 3.71251
8	8.57- 20.00	Sandy soil	10.0	45.0	—	59.700 9.34548	9.20351 9.20351

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure P_w (kNm ²)	Passive side P_p (kNm ²)
	P_{a1} (kNm ²)	P_{a2} (kNm ²)	P_a (kNm ²)		
1	0.00- 2.10	7.55 13.92	— —	0.00 20.58	— —
2	2.10- 2.60	15.62 17.32	— —	15.62 25.48	— —
3	2.60- 4.57	17.32 24.03	— —	17.32 25.48	0.00 69.82
4	4.57- 5.57	24.03 27.43	— —	24.03 25.48	69.82 105.26
5	5.57- 6.57	27.43 30.84	— —	27.43 25.48	105.26 140.71
6	6.57- 7.57	30.84 34.25	— —	30.84 25.48	140.71 176.15
7	7.57- 8.57	32.98 36.26	— —	32.98 25.48	184.51 221.64
8	8.57- 20.00	17.70 36.01	— —	17.70 25.48	549.45 1601.41

• Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$P_{a2} = K_c \cdot (\Sigma \gamma h + Q)$

K_c : Equilibrium coefficient of compression (Pa)

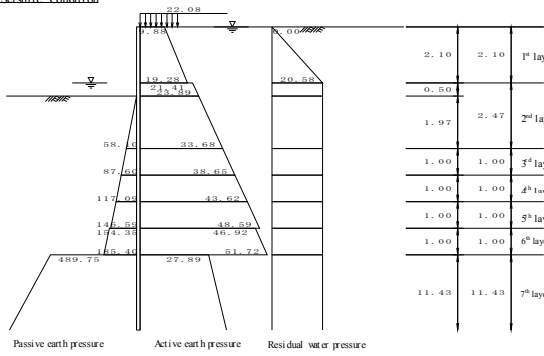
Larger of P_{a1} or P_{a2} is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2 C$
 Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2 C \sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q$ (kNm ²)	γ_{sat} (kNm ³)	k (k)	θ (degree)	K_a	$K_a \times \cos \delta$	θ (degree)
1 0.00-2.10	Sandy Soil	10.0	30.0	—	22.08 43.08	0.00 20.58	0.200 0.200	11.31 11.31	0.45442 0.45442	0.44752 0.44752	—
2 2.10-2.60	Sandy Soil	10.0	27.0	—	43.08 48.08	20.58 25.48	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	—
3 2.60-4.57	Sandy Soil	10.0	27.0	—	48.08 67.78	25.48 44.79	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	—
4 4.57-5.57	Sandy Soil	10.0	27.0	—	67.78 77.78	44.79 54.59	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	—
5 5.57-6.57	Sandy Soil	10.0	27.0	—	77.78 87.78	54.59 64.39	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	—
6 6.57-7.57	Sandy Soil	10.0	27.0	—	87.78 97.78	64.39 74.19	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	—
7 7.57-8.57	Sandy Soil	10.0	28.0	—	97.78 107.78	74.19 83.99	0.200 0.200	11.31 11.31	0.48730 0.48730	0.47989 0.47989	—
8 8.57-20.00	Sandy Soil	10.0	45.0	—	107.78 222.08	83.99 196.00	0.200 0.200	11.31 11.31	0.26273 0.26273	0.25874 0.25874	—

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.00$, $\beta = 0.00$, $\theta = \tan^{-1} k$

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2 C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of P_{a1} or P_{a2} is applied as active earth pressure (P_a)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2 C \sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

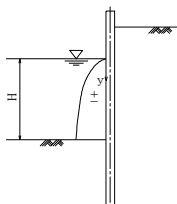
Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2 C$
 Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2 C \sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P_w (kNm ²)
1	2.10	0.00	0.00
2	2.60	0.50	0.86

$P_w = \pm \frac{7}{8} k_h \cdot \gamma_w \cdot \sqrt{H} \cdot y$

Where,
 k_h : design seismic coefficient
 γ_w : unit weight of water
 H : water depth of riverside
 y : depth from water surface to the point where active water pressure is calculated



$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q$ (kNm ²)	γ_{sat} (kNm ³)	k (k)	θ (degree)	K_p	$K_p \times \cos \delta$
3 2.60-4.57	Sandy soil	10.00	27.0	—	0.000 19.700	0.00 19.31	0.200 0.200	11.31 11.31	2.9498 2.9498	2.94948 2.94948
4 4.57-5.57	Sandy soil	10.00	27.0	—	19.700 29.700	19.31 29.11	0.200 0.200	11.31 11.31	2.9498 2.9498	2.94948 2.94948
5 5.57-6.57	Sandy soil	10.00	27.0	—	29.700 39.700	29.11 38.91	0.200 0.200	11.31 11.31	2.9498 2.9498	2.94948 2.94948
6 6.57-7.57	Sandy soil	10.00	27.0	—	39.700 49.700	38.91 48.71	0.200 0.200	11.31 11.31	2.9498 2.9498	2.94948 2.94948
7 7.57-8.57	Sandy soil	10.00	28.0	—	49.700 59.700	48.71 58.51	0.200 0.200	11.31 11.31	3.15350 3.15350	3.10559 3.10559
8 8.57-20.00	Sandy soil	10.00	45.0	—	59.700 174.000	58.51 170.52	0.200 0.200	11.31 11.31	8.33000 8.33000	8.20345 8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = 10.00$, $\beta = 0.00$, $\theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

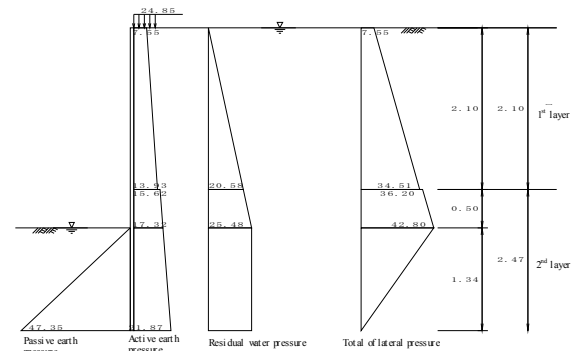
3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure P_w (kNm ²)	Passive side P_p (kNm ²)
		P_{a1} (kNm ²)	P_{a2} (kNm ²)	P_a (kNm ²)		
1	0.00-2.10	9.88 19.28	—	9.88 19.28	0.00 20.58	—
2	2.10-2.60	21.41 23.89	—	21.41 23.89	20.58 20.58	—
3	2.60-4.57	23.89 33.68	—	23.89 33.68	20.58 20.58	0.00 58.10
4	4.57-5.57	33.68 38.65	—	33.68 38.65	20.58 20.58	58.10 87.60
5	5.57-6.57	38.65 43.62	—	38.65 43.62	20.58 20.58	87.60 117.09
6	6.57-7.57	43.62 48.59	—	43.62 48.59	20.58 20.58	117.09 146.59
7	7.57-8.57	46.92 51.72	—	46.92 51.72	20.58 20.58	154.35 185.40
8	8.57-20.00	27.89 57.46	—	27.89 57.46	20.58 20.58	489.75 1427.40

4 Imaginary Riverbed

Imaginary ground level I_1 is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure

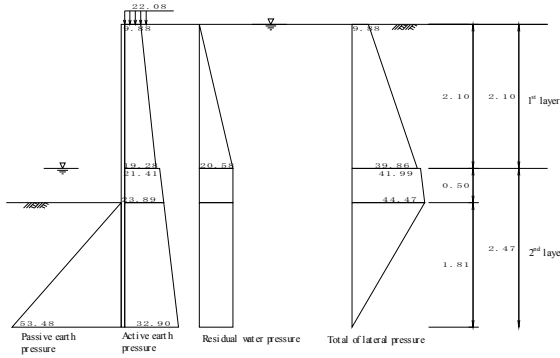
4-1 Normal Condition



Depth (m)	P_a (kNm ²)	P_w (kNm ²)	P_p (kNm ²)	P_s (kNm ²)
1 0.00-2.10	7.55 13.93	0.00 20.58	—	7.55 34.51
2 2.10-2.60	15.62 17.32	20.58 25.48	—	36.20 42.80
3 2.60-3.94	17.32 21.87	25.48 25.48	0.00 47.35	42.80 0.00
4 3.94-4.57	21.87 24.03	25.48 25.48	47.35 69.82	0.00 -20.31

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Tentative imaginary riverbed I_1 : 1.34 m (GL - 3.94 m)



Depth (m)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	Ps (kNm ²)
1 0.00-2.10	9.88 19.28	0.00 20.58	— —	9.88 39.86
2 2.10-2.60	21.41 23.89	20.58 20.58	— —	41.99 44.47
3 2.60-4.41	23.89 32.90	20.58 20.58	0.00 53.48	44.47 0.00
4 4.41-4.57	32.90 33.68	20.58 20.58	53.48 58.10	0.00 -3.84

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Tentative imaginary riverbed L_1 : 1.81 m (GL -4.41 m)

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to $1/\beta$ depth. The modulus are calculated by the formula below

$$K_h = 6910 \times N^{0.666}$$

where,

$$\beta = 4 \sqrt[4]{\frac{K_h \cdot B}{4 E I}}$$

Unit width $B = 1.0000$ m
 Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.92$
 Section efficiency $\mu = 0.80$
 Young's modulus $E = 200000$ Nmm²
 Inertia sectional moment $I_0 = 86000$ cm⁴ (original condition)
 $I = 63296$ cm⁴ (after reduction by corrosion and joint)
 Inertia sectional moment $EI = 200000 \times 10^3 \times 63296 \times 10^{-8} = 1,266 \times 10^8$

Depth (m)	N-value	Depth (m)	N-value
1	0.50	15	—
2	1.60	15	—
3	2.10	2	—
4	2.57	2	—
5	4.57	2	—
6	5.57	4	—
7	6.57	7	—
8	7.57	10	—
9	8.57	11	—
10	9.57	50	—

5-2 Normal Condition

$K_h = 11656$ kNm³ is set tentatively.

$$\beta = 4 \sqrt[4]{\frac{K_h \cdot B}{4 E I}} = 0.390 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.57 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -3.94 m) to 2.57 m depth (GL -6.50 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 3.94	0.63	2.0	2.0	1.27
2 4.57	1.00	2.0	4.0	3.00
3 5.57	0.93	4.0	6.8	5.04

$L = \Sigma h = 2.57$ $\Sigma A = 9.31$

A (upper N-value + lower N-value) \times $1/2$

Average N-value $N' = \frac{\Sigma A}{L} = \frac{9.31}{2.57} = 3.63$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following

$$K_h = 6910 \times N^{0.666} = 6910 \times 3.63^{0.666} = 11656 \text{ kN/m}^3$$

K_h (normal condition) = 11656 kNm³

5-3 Seismic Condition

$K_h = 12803$ kNm³ is set tentatively.

$$\beta = 4 \sqrt[4]{\frac{K_h \cdot B}{4 E I}} = 0.399 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.51 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -4.41 m) to 2.51 m depth (GL -6.92 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 4.41	0.16	2.0	2.0	0.31
2 4.57	1.00	2.0	4.0	3.00
3 5.57	1.00	4.0	7.0	5.50
4 6.57	0.35	7.0	8.1	2.64

$L = \Sigma h = 2.51$ $\Sigma A = 11.46$

A (upper N-value + lower N-value) \times $1/2$

Average N-value $N' = \frac{\Sigma A}{L} = \frac{11.46}{2.51} = 4.57$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following

$$K_h = 6910 \times N^{0.666} = 6910 \times 4.57^{0.666} = 12803 \text{ kN/m}^3$$

K_h (seismic condition) = 12803 kNm³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_R & Acting Height h_0

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00-2.10	2.10	7.55 34.51	7.93 36.23	3.24 2.54	25.65 91.88
2 2.10-2.60	0.50	36.20 42.80	9.05 10.70	1.67 1.50	15.10 16.08
3 2.60-3.94	1.34	42.80 0.00	28.59 0.00	0.89 0.45	25.46 0.00

$\Sigma P = 92.49$ $\Sigma M = 174.17$

P : active earth pressure + residual water pressure - passive earth pressure
 P_s : load $P_s \times 1/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P = 2.4$ kNm
 depth to acting position $H = -0.42$ m
 moment $M_h = 0.0$ kNm/m
 depth to acting position $H_h = 0.00$ m
 Height from riverbed to top of concrete $H = 2.60$ m
 Depth of imaginary riverbed from riverbed $L_s = 1.34$ m

Moment M_h by arbitrary load is as below
 $M_h = P_s \cdot (H + L_s - H_h) + M_h = 10.45$ kN-m

h_0 : Height of acting position of P_R from imaginary riverbed

$$h_0 = \frac{M_h}{P_s} = \frac{\Sigma M + M_h}{\Sigma P + P_s} = \frac{184.62}{94.89} = 1.95 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P_s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00-2.10	2.10	9.88 39.86	10.37 41.85	3.71 3.01	38.52 126.10
2 2.10-2.60	0.50	41.99 44.47	10.50 11.12	2.15 1.98	22.53 22.01
3 2.60-4.41	1.81	44.47 0.00	40.32 0.00	1.21 0.60	48.74 0.00

$\Sigma P = 114.16$ $\Sigma M = 257.91$

P : active earth pressure + residual water pressure - passive earth pressure
 P_s : load $P_s \times 1/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $R = 8.7 \text{ kNm}$
 depth to acting position $H = -0.25 \text{ m}$
 moment $M_h = 0.0 \text{ kNm/m}$
 depth to acting position $H_1 = 0.00 \text{ m}$
 Height from riverbed to top of concrete $H = 2.60 \text{ m}$
 Depth of imaginary riverbed from riverbed $L_1 = 1.81 \text{ m}$
 Moment M_a by arbitrary load is as below
 $M_a = R \cdot (H + L_1 - H) + M_h = 40.57 \text{ kNm}$

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{dw} (kNm ²)	Load P_{dw} kN	Arm length Y (m)	Moment M_{dw} (kNm)
1	2.10-2.60	0.50	0.00-0.09	0.00-0.21	2.15-1.98	0.00-0.42
			$\Sigma P_{dw} = 0.21$			$\Sigma M_{dw} = 0.42$

h_a Height of acting position of P_0 from imaginary riverbed

$$h_a = \frac{M_0}{P_0} = \frac{\Sigma M + M_a + \Sigma M_{dw}}{\Sigma P + P_1 + \Sigma P_{dw}}$$

$$= \frac{298.90}{123.07} = 2.43 \text{ m}$$

6-2 Sectional Forces

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000 \text{ m}$
 Corrosion margin $t_c = 1.00 \text{ mm (active side)}$ $t_r = 1.00 \text{ mm (passive side)}$
 Corrosion rate $\eta = 0.92$
 Section efficiency $\mu = 0.80$
 Young's modulus $E = 200000 \text{ Nmm}^2$
 Inertia sectional moment $I_0 = 86000 \text{ cm}^4$ (original condition)
 $I = 63296 \text{ cm}^4$ (after reduction by corrosion and joint)
 $I = 1.266 \times 10^7$
 $B = 200000 \times 10^3 \times 63296 \times 10^8$

$$\beta = 4\sqrt{\frac{K_a \cdot B}{4EI}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_a)^2 + 1}}{2\beta h_a} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_a})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$l_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_a}$$

$$l_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_a}{\beta h_a}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_a \cdot \cos \beta x + (1+\beta h_a) \sin \beta x)$$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin $t_c = 1.00 \text{ mm (active side)}$ $t_r = 1.00 \text{ mm (passive side)}$
 Corrosion rate $\eta = 0.92$
 Section efficiency $\mu = 1.00$
 Module of section $Z_0 = 3820 \text{ cm}^3$ (original condition)
 $Z = 3514 \text{ cm}^3$ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{225.88 \times 10^6}{3514 \times 10^3} = 64 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{344.83 \times 10^6}{3514 \times 10^3} = 98 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	3.24-2.54	0.822-0.644	0.245-0.163	7.93-36.23	1.944-5.905
2	2.10-2.60	1.67-1.50	0.424-0.382	0.077-0.064	9.05-10.70	0.699-0.680
3	2.60-3.94	0.89-0.45	0.226-0.113	0.024-0.006	28.59-0.00	0.677-0.000
$\Sigma Q = 9.906$						

Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_1}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L₁ : Depth from design position to imaginary ground

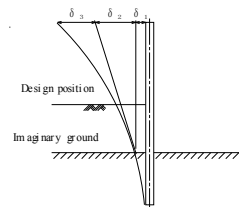
6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_a = 11656 \text{ kNm}^3$
 resultant earth force (lateral) $P_0 = 0.38951 \text{ m}^3$
 height of acting position of load moment $h_a = 94.89 \text{ kNm}$
 $h_0 = 1.95 \text{ m}$
 $M_0 = 184.62 \text{ kNm/m}$
 in consideration of $\psi = 1.223$,
 maximum moment $M_{max} = 225.88 \text{ kNm/m}$
 depth of generated position of M_{max} $l_a = 0.971 \text{ m}$
 depth of 1st fixed point $l_i = 2.988 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_a = 12803 \text{ kNm}^3$
 resultant earth force (lateral) $P_0 = 0.39876 \text{ m}^3$
 height of acting position of load moment $h_a = 123.07 \text{ kNm}$
 $h_0 = 2.43 \text{ m}$
 $M_0 = 298.90 \text{ kNm/m}$
 in consideration of $\psi = 1.154$,
 maximum moment $M_{max} = 344.83 \text{ kNm/m}$
 depth of generated position of M_{max} $l_a = 0.823 \text{ m}$
 depth of 1st fixed point $l_i = 2.793 \text{ m}$

Displacement



$$\delta_1 = \frac{(1+\beta h_a) \times P_0}{2EI\beta^3}$$

$$= \frac{(1+0.3895 \times 1.95) \times 94.89}{2 \times 2.00 \times 10^8 \times 63296 \times 10^8 \times 0.3895^3} = 0.01115 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_a) \times P_0}{2EI\beta^2} \times (H+L_1)$$

$$= \frac{(1+2 \times 0.3895 \times 1.95) \times 94.89}{2 \times 2.00 \times 10^8 \times 63296 \times 10^8 \times 0.3895^2} \times (2.60+1.34) = 0.02446 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_1)^3}{EI}$$

$$= \frac{9.91 \times (2.60+1.34)^3}{2.00 \times 10^8 \times 63296 \times 10^8} = 0.00477 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{PL^3}{3EI} + \frac{ML^2}{2EI}$$

δ_3' is calculated as 0.00045 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: $L = 3.94 \text{ m}$
 Horizontal load: $P = 2.40$
 Moment: $M = 1.01$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01115 + 0.02446 + 0.00522$$

$$= 0.04083 \text{ m}$$

$$= 40.83 \text{ mm} \leq \delta_a = 50.00 \text{ mm}$$

Where

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination on slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ_3' : Displacement at top of SSP
- δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.71 3.01	0.841 0.683	0.255 0.180	10.37 41.85	2.642 7.535
2	2.10~2.60	2.15 1.98	0.486 0.449	0.099 0.086	10.50 11.12	1.040 0.952
3	2.60~4.41	1.21 0.60	0.274 0.137	0.034 0.009	40.32 0.00	1.374 0.000
$\Sigma Q = 13.543$						

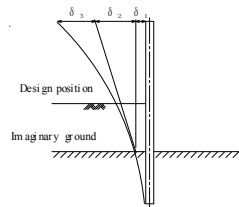
Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_1}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L₁ : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1	2.10~2.60	2.15 1.98	0.486 0.449	0.099 0.086	0.00 0.21	0.000 0.018
$\Sigma Q_w = 0.018$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 13.543 + 0.018 = 13.561$

Displacement



$$\delta_1 = \frac{(1 + \beta \cdot h_0) \times P_0}{2 E I \beta^2}$$

$$= \frac{(1 + 0.3988 \times 2.43) \times 123.07}{2 \times 2.00 \times 10^9 \times 63296 \times 10^{-8} \times 0.3988^2} = 0.01509 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta \cdot h_0) \times P_0}{2 E I \beta^2} \times (H + L_1)$$

$$= \frac{(1 + 2 \times 0.3988 \times 2.43) \times 123.07}{2 \times 2.00 \times 10^9 \times 63296 \times 10^{-8} \times 0.3988^2} \times (2.60 + 1.81) = 0.03962 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I}$$

$$= \frac{13.56 \times (2.60 + 1.81)^3}{2.00 \times 10^9 \times 63296 \times 10^{-8}} = 0.00921 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00214 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.41 m
 Horizontal load P = 8.70
 Moment M = 2.18

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01509 + 0.03962 + 0.01134$$

$$= 0.06606 \text{ m}$$

$$= 66.06 \text{ mm} \approx \delta_a = 75.00 \text{ mm}$$

Where:
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion margin	t _c = 1.00 mm (active side) t _s = 1.00 mm (passive side)
Corrosion rate	n = 1.00
Section efficiency	u = 1.00
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I _o = 86000 cm ⁴ (original condition) I = 86000 cm ⁴ (after reduction by corrosion and section)
	H = 200000 x 10 ³ x 86000 x 10 ⁸ = 1.720 x 10 ⁸

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L₁, penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_1 + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = 4 \sqrt{\frac{K_s \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction	K _s = 11656 kN/m ³
Calculated value	$\beta = 0.36078 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.34 + \frac{3}{0.361} = 9.65 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.65 = 11.85 \text{ m}$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction	K _s = 12803 kN/m ³
Calculated value	$\beta = 0.36935 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.81 + \frac{3}{0.369} = 9.94 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.94 = 12.14 \text{ m}$

Therefore, whole length of SSP is set as 12.50 m in consideration of round unit of SSP length

8 Calculation Result

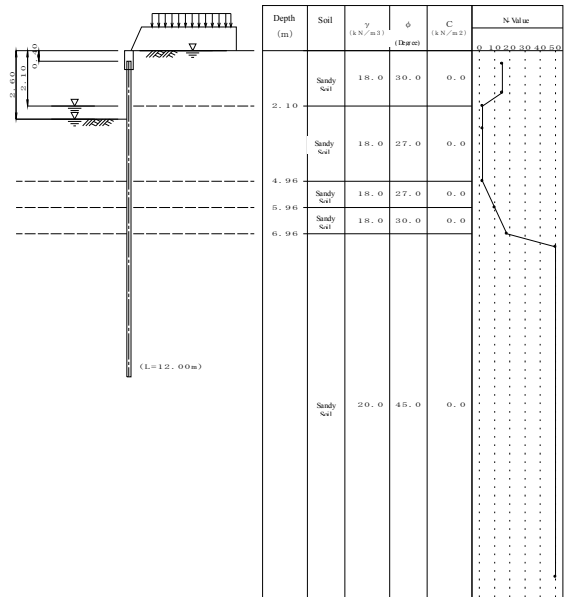
		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	86000	
Section modulus	Z (cm ³)	3820	
Maximum bending moment	M _{max} (kNm/m)		
Stress intensity	σ (N/mm ²)	64 (180)	98 (270)
Lateral displacement	δ (mm)	40.83 (50.0)	66.06 (75.0)
Penetration depth	D (m)	9.65	9.94
Whole length of SSP	L (m)	12.50	

— Steel Sheet Pile Design Calculation —

Right Bank No. 19_STA 9+550 - 9+650

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



1-2 Dimensions of Structure

Depth from coping top to riverbed	H	=	2.60 m
Depth from coping top to rear side ground	H _r	=	0.00 m
Depth from coping top to SSP top	H _s	=	0.40 m
Riverside WL	L _{rs}	=	0.00 m (Normal Condition)
	L _{rs'}	=	0.00 m (Seismic Condition)
Landside WL	L _{lp}	=	2.60 m (Normal Condition)
	L _{lp'}	=	2.10 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.19_pp.1

R_No.19_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^3$

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
- Seismic Condition

Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load	Horizontal load	Pt	=	2.4 kNm (Normal Condition)
		Pt'	=	8.7 kNm (Seismic Condition)
	Depth of acting point	H	=	-0.43 m (Normal Condition)
		H'	=	-0.25 m (Seismic Condition)
	Moment	Mm	=	0.0 kNm/m (Normal Condition)
		Mm'	=	0.0 kNm/m (Seismic Condition)
	Depth of acting point	Hm'	=	0.00 m (Seismic Condition)
		Hm	=	0.00 m (Normal Condition)

(*Depth means distance from top of coping)

Wind load Impact load not considered

Minimum angle of rupture $\zeta_0 = 10 \text{ degrees}$

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.405}$

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	depth (m)	N Value
1	0.50	15			
2	1.60	15			
3	2.10	2			
4	2.96	2			
5	4.96	2			
6	5.96	10			
7	6.96	18			
8	7.46	50			
9	20.00	50			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

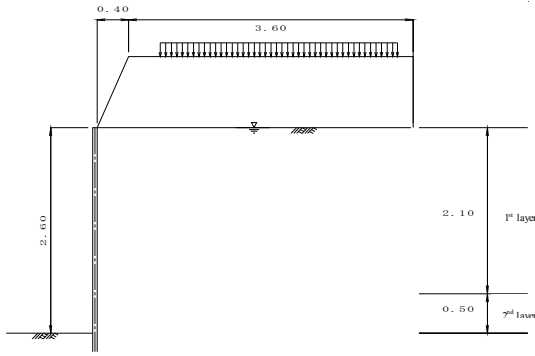
No	Depth (m)	Soil	N value	γ (kNm ³)	γ' (kNm ³)	ϕ	C (kNm ²)	a	k'	ζ (degree)		kh (kNm ³)	
										normal	seismic		
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----
2	4.96	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
3	5.96	S	10.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
4	6.96	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----
5	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	-----	-----

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	-10.00°	-10.00°
passive	-10.00°	-10.00°

1-8 Em bankment on Landside



Em bankment shape and soil modulus

No	Soil	X coordinate				Em bankment height (m)	Wet unit weight (kNm ³)	Internal friction angle (degree)	Cohesive force (kNm ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.40	4.00	4.00	0.90	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ²)	Seismic (kNm ²)
1	0.80	3.80	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

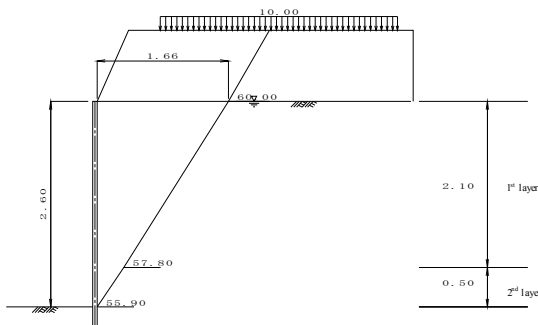
1-9 Steel Sheet Pile (SSP)

- Young's modulus E = 200000 Nmm²
- Inertia sectional moment I₀ = 86000 cm⁴
- Sectional factor Z₀ = 3820 cm³
- Corrosion margin t₁ = 1.00 mm (ri verside) t₂ = 1.00 mm (landside)
- Corrosion rate (to I₀) η₁ = 0.92
- Corrosion rate (to Z₀) η₂ = 0.92
- Section efficiency (to I₀) μ = 0.80
- Section efficiency (to Z₀) μ = 1.00
- Round unit of SSP length 0.50 m
- Allowable stress σ_a = 180 Nmm² (Normal)
σ_a' = 270 Nmm² (Seismic)
- Allowable displacement δ_a = 50.0 mm (Normal)
δ_a' = 75.0 mm (Seismic)
- Bending of cantilever beam calculated as distributed load of each layer
- Reduction of material modulus Reduced I₀ applied to calculation of lateral coefficient of subgrade reaction
Not reduced I₀ applied to calculation of penetration depth
Reduced I₀ applied to calculation of section forces and displacement
Reduced Z₀ applied to calculation of stresses

2 Calculation of Acting Load

2-1 Normal Condition

2-1-1 Angle of Active Rupture



No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kNm ²)	Σγh (kNm ²)	Q (kNm ²)	γwh (kNm ²)	Angle of rupture Z (degree)
1	2.60- 2.10	Sandy Soil	27.0	10.0	0.0	26.00	25.10	25.48	55.90
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	25.10	20.58	57.80
3		Em bankment	30.0	—	0.0	16.20	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since θ=0°

Where

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
θ = tan⁻¹ k or θ = tan⁻¹ k'
- γ : unit weight of soil (kNm³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm²)
- C : cohesive force of soil (kNm²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	55.90	0.50	0.00	0.00	0.34	0.50
2	57.80	2.10	0.34	0.50	1.66	2.60
3	60.00	0.90	1.66	2.60	2.18	3.50

Therefore, width of acting load shall be set as 1.66 m

2-1-3 Acting Load by Em bankment

No	γ (kNm ³)	A (m ²)	γ X A (kNm)
1	18.0	1.55	27.88
Σ			27.88

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kNm ²)	l (m)	Q X l (kNm)
1	10.0	1.38	13.81
Σ			13.81

Q : surcharge load
l : width of surcharge load set by line of active rupture

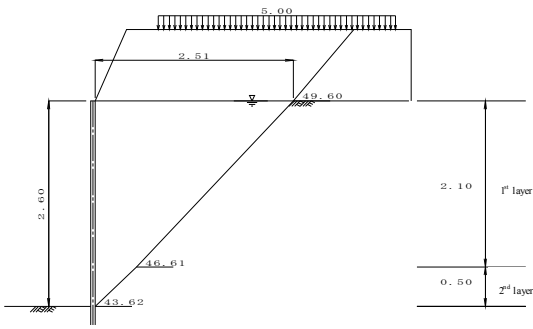
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{27.88 + 13.81 + 0.00}{1.66}$$

$$= 25.10 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end X (m) Y (m)		Coordinate of upper end X (m) Y (m)	
1	43.62	0.50	0.00	0.00	0.52	0.50
2	46.61	2.10	0.52	0.50	2.51	2.60
3	49.60	0.90	2.51	2.60	3.28	3.50

Therefore, width of acting load shall be set as 251 m

2-2-3 Acting Load by Imbankment

No	γ (kNm ⁻³)	A (m ²)	$\gamma \times A$ (kNm)
1	18.0	2.42	43.63
Σ			43.63

γ : unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kNm ⁻²)	l (m)	Q X l (kNm)
1	5.0	2.48	12.38
Σ			12.38

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{43.63 + 12.38 + 0.00}{2.51}$$

$$= 22.31 \text{ kN/m}^2$$

2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kNm ⁻²)	$\Sigma \gamma h$ (kNm ⁻²)	Q (kNm ⁻²)	γ_{shw} (kNm ⁻²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60- 2.10	Sandy Soil	27.0	10.0	0.0	26.00	22.31	25.48	0.200	11.31	43.62
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	22.31	20.58	0.200	11.31	46.61
3		Imbankment	30.0	—	0.0	16.20	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

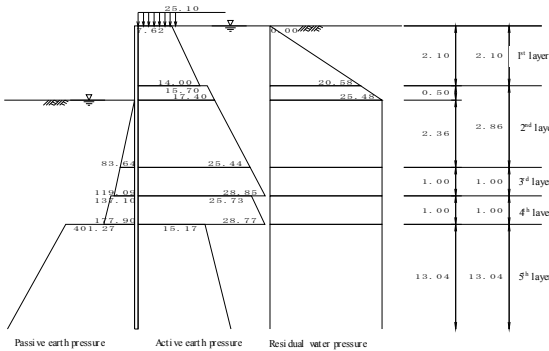
$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.0^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h: thickness of layer (m)
- Q: surcharge load (kNm⁻²)
- C: cohesive force of soil (kNm⁻²)

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q$ (kNm ⁻²)	K_a	$K_a \times \cos \delta$
1	0.00- 2.10	Sandy soil	10.0	30.0	—	25.095 46.095	0.30847 0.30847
2	2.10- 2.60	Sandy soil	10.0	27.0	—	46.095 51.095	0.34585 0.34585
3	2.60- 4.96	Sandy soil	10.0	27.0	—	51.095 74.695	0.34585 0.34585
4	4.96- 5.96	Sandy soil	10.0	27.0	—	74.695 84.695	0.34585 0.34585
5	5.96- 6.96	Sandy soil	10.0	30.0	—	84.695 94.695	0.30847 0.30847
6	6.96- 20.00	Sandy soil	10.0	45.0	—	94.695 225.095	0.16262 0.16262

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q$ (kNm ⁻²)	K_p	$K_p \times \cos \delta$
3	2.60- 4.96	Sandy soil	10.0	27.0	—	0.000 23.600	3.59892 3.59892
4	4.96- 5.96	Sandy soil	10.0	27.0	—	23.600 33.600	3.59892 3.59892

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q$ (kNm ⁻²)	K_p	$K_p \times \cos \delta$
5	5.96- 6.96	Sandy soil	10.0	30.0	—	33.600 43.600	4.14330 4.14330
6	6.96- 20.00	Sandy soil	10.0	45.0	—	43.600 174.000	9.34548 9.34548

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side				Residual water pressure	Passive side
	Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)	Pw (kNm ⁻²)		
1	0.00- 2.10	7.62 14.00	—	7.62 14.00	0.00 20.58	—
2	2.10- 2.60	15.70 17.40	—	15.70 17.40	20.58 25.48	—
3	2.60- 4.96	17.40 25.44	—	17.40 25.44	25.48 25.48	0.00 83.64
4	4.96- 5.96	25.44 28.85	—	25.44 28.85	25.48 25.48	83.64 119.09
5	5.96- 6.96	25.73 28.77	—	25.73 28.77	25.48 25.48	137.10 177.90
6	6.96- 20.00	15.17 36.05	—	15.17 36.05	25.48 25.48	401.27 1601.41

• Formula for active earth pressure

$$\text{Sandy soil } P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$$

$$\text{Clayey soil } P_{a1} = \Sigma \gamma h + Q - 2C$$

$$P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$$

K_a : Equilibrium coefficient of compression 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

$$\text{Mixed soil } P_{a1} = \left[K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a} \right] \cdot \cos \delta$$

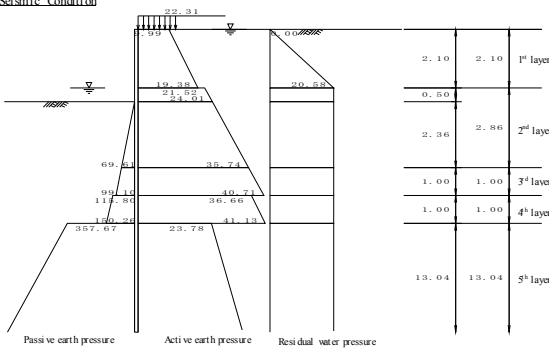
• Formula for passive earth pressure

$$\text{Sandy soil } P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(\beta)} \right] \cdot \cos \delta$$

$$\text{Clayey soil } P_p = \Sigma \gamma h + Q + 2C$$

$$\text{Mixed soil } P_p = \left[K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p} \right] \cdot \cos \delta$$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

No	Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Q (kNm ⁻²)	γ _{sw} w (kNm ⁻²)	k (k)	θ (degree)	K _a	K _a × cos δ	θ (degree)
1	0.00-2.10	Sandy Soil	10.00	30.0	---	22.31	0.00	0.200	11.31	0.45442	0.44752	---
2	2.10-2.60	Sandy Soil	10.00	27.0	---	43.31	20.58	0.200	11.31	0.50461	0.49695	---
3	2.60-4.96	Sandy Soil	10.00	27.0	---	48.31	25.48	0.200	11.31	0.50461	0.49695	---
4	4.96-5.96	Sandy Soil	10.00	27.0	---	71.91	48.61	0.200	11.31	0.50461	0.49695	---
5	5.96-6.96	Sandy Soil	10.00	30.0	---	81.91	58.41	0.200	11.31	0.45442	0.44752	---
6	6.96-20.00	Sandy Soil	10.00	45.0	---	91.91	68.21	0.200	11.31	0.26273	0.25874	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.00, \beta = 0.00, \theta = \tan^{-1} k$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of dayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Q (kNm ⁻²)	γ _{sw} w (kNm ⁻²)	k (k)	θ (degree)	K _p	K _p × cos δ	
3	2.60-4.96	Sandy soil	10.00	27.0	---	0.000	23.600	0.200	11.31	2.9498	2.9498
4	4.96-5.96	Sandy soil	10.00	27.0	---	23.600	23.13	0.200	11.31	2.9498	2.9498
5	5.96-6.96	Sandy soil	10.00	30.0	---	33.600	32.93	0.200	11.31	3.49953	3.44637
6	6.96-20.00	Sandy soil	10.00	45.0	---	43.600	42.73	0.200	11.31	8.33000	8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = -10.00, \beta = 0.00, \theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side		Residual water pressure		Passive side	
		Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pw (kNm ⁻²)	Pp (kNm ⁻²)		
1	0.00-2.10	9.99	---	0.00	---	---	---
2	2.10-2.60	21.52	---	20.58	---	---	---
3	2.60-4.96	24.01	---	20.58	0.00	69.61	---
4	4.96-5.96	35.74	---	20.58	69.61	99.10	---
5	5.96-6.96	41.13	---	20.58	115.80	150.26	---
6	6.96-20.00	57.52	---	20.58	357.67	1427.40	---

Formula for active earth pressure

Sandy soil $P_{ai} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
 Clayey soil $P_{ai} = \Sigma \gamma h + Q - 2C$

$P_{ai} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a: Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{ai} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

Sandy soil $P_{pi} = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
 Clayey soil $P_{pi} = \Sigma \gamma h + Q + 2C$

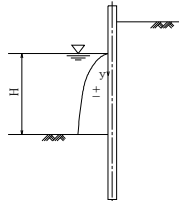
Mixed soil $P_{pi} = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P _w (kNm ⁻²)
1	2.10	0.00	0.00
2	2.60	0.50	0.86

$$p_w = \pm \frac{7}{8} k_w \cdot \gamma_w \cdot \sqrt{H} \cdot y$$

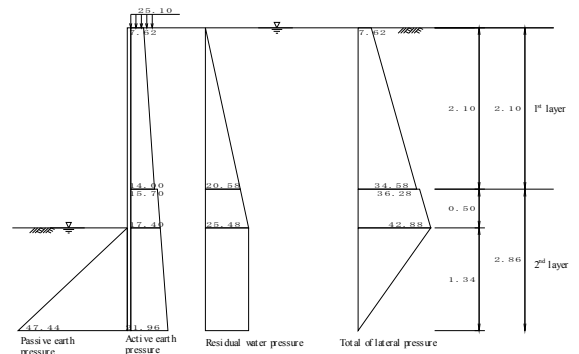
Where
 k_w: design seismic coefficient
 γ_w: unit weight of water
 H: water depth of riverside
 y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level I_i is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure

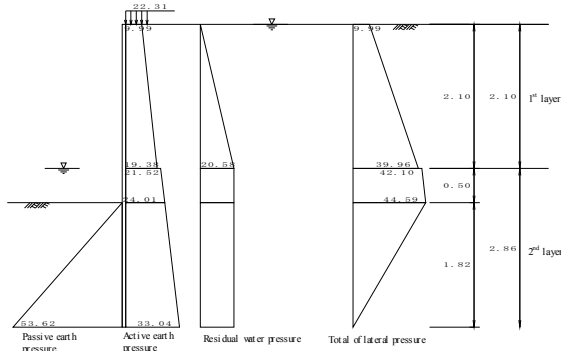
4-1 Normal Condition



Depth (m)	Pa (kNm ⁻²)	Pw (kNm ⁻²)	Pp (kNm ⁻²)	Ps (kNm ⁻²)
1	7.62	0.00	---	7.62
2	15.70	20.58	---	36.28
3	17.40	25.48	0.00	42.88
4	21.96	25.48	47.44	0.00
	25.44	25.48	83.64	-32.72

P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 P_s: Lateral pressure P_s = P_a + P_w - P_p

Tentative imaginary riverbed I_i: 1.34 m (GL -3.94 m)



Depth (m)	Pa (kNm ⁻²)	Pw (kNm ⁻²)	Pp (kNm ⁻²)	Pt (kNm ⁻²)
1 0.00-2.10	9.99 19.38	0.00 20.58	—	9.99 39.96
2 2.10-2.60	21.52 24.01	20.58 20.58	—	42.10 44.59
3 2.60-4.42	24.01 33.04	20.58 20.58	0.00 53.62	44.59 0.00
4 4.42-4.96	33.04 35.74	20.58 20.58	53.62 69.61	0.00 -13.29

Pa : Active earth pressure
 Pw : Residual water pressure
 Pp : Passive earth pressure
 Pt : Lateral pressure Pt = Pa + Pw - Pp

Tentative imaginary riverbed L_i: 1.82 m (GL -4.42 m)

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below

$$K_h = 6910 \times N^{0.806}$$

where,

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width B = 1.0000 m
 Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.92
 Section efficiency μ = 0.80
 Young's modulus E = 200000 Nmm²
 Inertia sectional moment I₀ = 86000 cm⁴ (original condition)
 I = 63296 cm⁴ (after reduction by corrosion and section)
 EI = 200000 x 10³ x 63296 x 10⁻⁸ = 1,266 x 10⁸

Depth (m)	N value
1 0.50	15
2 1.60	15
3 2.10	2
4 2.96	2
5 4.96	2
6 5.96	10
7 6.96	18
8 7.46	50
9 20.00	50

5-2 Normal Condition

K_s = 13688 kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}} = 0.405 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.47 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -3.94 m) to 2.47 m depth (GL -6.40 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1 3.94	1.02	2.0	2.0	2.04
2 4.96	1.00	2.0	10.0	6.00
3 5.96	0.44	10.0	13.6	5.24

L = Σh = 2.47 ΣA = 13.28

A (upper N value + lower N value) × 1/2

$$\text{average N value } N' = \frac{\Sigma A}{L} = \frac{13.28}{2.47} = 5.39$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following

$$K_h = 6910 \times N^{0.806} = 6910 \times 5.39^{0.806} = 13688 \text{ kN/m}^3$$

$$K_h \text{ (normal condition)} = 13688 \text{ kNm}^3$$

5-3 Seismic Condition

K_s = 15806 kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}} = 0.420 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.38 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -4.42 m) to 2.38 m depth (GL -6.80 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1 4.42	0.54	2.0	2.0	1.08
2 4.96	1.00	2.0	10.0	6.00
3 5.96	0.84	10.0	16.7	11.18

L = Σh = 2.38 ΣA = 18.26

A (upper N value + lower N value) × 1/2

$$\text{average N value } N' = \frac{\Sigma A}{L} = \frac{18.26}{2.38} = 7.67$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following

$$K_h = 6910 \times N^{0.806} = 6910 \times 7.67^{0.806} = 15806 \text{ kN/m}^3$$

$$K_h \text{ (seismic condition)} = 15806 \text{ kNm}^3$$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Height h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00-2.10	2.10	7.62 34.58	8.00 36.31	3.24 2.54	25.92 92.18
2 2.10-2.60	0.50	36.28 42.88	9.07 10.72	1.67 1.51	15.16 16.14
3 2.60-3.94	1.34	42.88 0.00	28.70 0.00	0.89 0.45	25.61 0.00

ΣP = 92.81 ΣM = 175.02

P₀: active earth pressure + residual water pressure - passive earth pressure
 P_s: load P_s × 1/2 × B
 B: unit width = 1.000 m
 Y: height of acting position from imaginary riverbed
 M: moment by load P × Y

Arbitrary load lateral load P = 2.4 kNm
 depth to acting position H = -0.43 m
 moment M₀ = 0.0 kNm/m
 depth to acting position H₀ = 0.00 m
 Height from riverbed to top of concrete H = 2.60 m
 Depth of imaginary riverbed from riverbed L_i = 1.34 m

Moment M₀ by arbitrary load is as below
 M₀ = P₀ × (H + L_i - H) + M₀ = 10.48 kNm

h₀: Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{185.50}{95.21} = 1.95 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00-2.10	2.10	9.99 39.96	10.48 41.96	3.72 3.02	38.98 126.64
2 2.10-2.60	0.50	42.10 44.59	10.53 11.15	2.15 1.98	22.65 22.12
3 2.60-4.42	1.82	44.59 0.00	40.53 0.00	1.21 0.61	49.13 0.00

ΣP = 114.65 ΣM = 259.52

P₀: active earth pressure + residual water pressure - passive earth pressure
 P_s: load P_s × 1/2 × B
 K_s = 6910 × N^{0.806} = 6910 × 7.67^{0.806} = 15806 kN/m³
 B: unit width = 1.000 m
 Y: height of acting position from imaginary riverbed
 M: moment by load P × Y

Arbitrary load lateral load $R = 8.7 \text{ kNm}$
 depth to acting position $H = -0.25 \text{ m}$
 moment $M_0 = 0.0 \text{ kNm/m}$
 depth to acting position $H_0 = 0.00 \text{ m}$
 Height from riverbed to top of cone $H = 2.60 \text{ m}$
 Depth of imaginary riverbed from riverbed $L_0 = 1.82 \text{ m}$
 Moment M_0 by arbitrary load is as below
 $M_0 = R \cdot (H + L_0 - H_0) + M_0 = 40.61 \text{ kNm}$

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{dw} (kNm ²)	Load P_{dw} (kN)	Arm length Y (m)	Moment M_{dw} (kNm)
1	2.10-2.60	0.50	0.00 0.09	0.00 0.21	2.15 1.98	0.00 0.43
			$\Sigma P_{dw} = 0.21$		$\Sigma M_{dw} = 0.43$	

h_0 Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_{dw}}{\Sigma P + P_0 + \Sigma P_{dw}}$$

$$= \frac{300.56}{123.57} = 2.43 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000 \text{ m}$
 Corrosion margin $t_1 = 1.00 \text{ mm (active side)}$ $t_2 = 1.00 \text{ mm (passive side)}$
 Corrosion rate $n = 0.92$
 Section efficiency $u = 1.00$
 Young's modulus $E = 200000 \text{ N/mm}^2$
 Inertia sectional moment $I_0 = 86000 \text{ cm}^4$ (original condition)
 $I = 63296 \text{ cm}^4$ (after reduction by corrosion and section)
 $H = 200000 \times 10^3 \times 63296 \times 10^8 = 1.266 \times 10^9$

$$\beta = 4\sqrt{\frac{K_0 \cdot B}{4EI}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)+1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$l_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction $K_0 = 13688 \text{ kNm}^3$
 calculated value $\beta = 0.40548 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 95.21 \text{ kNm}$
 height of acting position of load moment $h_0 = 1.95 \text{ m}$
 $M_0 = 185.50 \text{ kNm/m}$

in consideration of $\psi = 1.210$,
 maximum moment $M_{max} = 224.44 \text{ kNm/m}$
 depth of generated position of M_{max} $L = 0.912 \text{ m}$
 depth of 1st fixed point $l = 2.849 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction $K_0 = 15806 \text{ kNm}^3$
 calculated value $\beta = 0.42033 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 123.57 \text{ kNm}$
 height of acting position of load moment $h_0 = 2.43 \text{ m}$
 $M_0 = 300.56 \text{ kNm/m}$

in consideration of $\psi = 1.141$,
 maximum moment $M_{max} = 342.98 \text{ kNm/m}$
 depth of generated position of M_{max} $L = 0.755 \text{ m}$
 depth of 1st fixed point $l = 2.624 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin $t_1 = 1.00 \text{ mm (active side)}$ $t_2 = 1.00 \text{ mm (passive side)}$
 Corrosion rate $n = 0.92$
 Section efficiency $u = 1.00$
 Module of section $Z_0 = 3820 \text{ cm}^3$ (original condition)
 $Z = 3514 \text{ cm}^3$ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{224.44 \times 10^6}{3514 \times 10^3} = 64 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{342.98 \times 10^6}{3514 \times 10^3} = 98 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2$$

6-4 Displacement

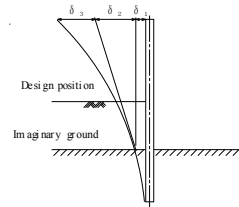
6-4-1 Normal Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	3.24 2.54	0.822 0.645	0.245 0.163	8.00 36.31	1.964 5.922
2	2.10-2.60	1.67 1.51	0.424 0.382	0.077 0.064	9.07 10.72	0.702 0.683
3	2.60-3.94	0.89 0.45	0.227 0.113	0.024 0.006	28.70 0.00	0.681 0.000
					$\Sigma Q = 9.952$	

Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_0}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L₀ : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2EI\beta^3}$$

$$= \frac{(1+0.4055 \times 1.95) \times 95.21}{2 \times 2.00 \times 10^9 \times 63296 \times 10^8 \times 0.4055^3} = 0.01010 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2EI\beta^2} \times (H+L_0)$$

$$= \frac{(1+2 \times 0.4055 \times 1.95) \times 95.21}{2 \times 2.00 \times 10^9 \times 63296 \times 10^8 \times 0.4055^2} \times (2.60+1.34) = 0.02324 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_0)^2}{EI}$$

$$= \frac{9.95 \times (2.60+1.34)^2}{2.00 \times 10^9 \times 63296 \times 10^8} = 0.00480 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{PL^3}{3EI} + \frac{ML^2}{2EI}$$

δ_3' is calculated as 0.00045 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.94m
 Horizontal load: P = 2.40
 Moment: M = 1.03

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01010 + 0.02324 + 0.00525$$

$$= 0.03859 \text{ m}$$

$$= 38.59 \leq \delta_a = 50.00 \text{ mm}$$

Where
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination on slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.72 3.02	0.842 0.683	0.255 0.180	10.48 41.96	2.671 7.561
2	2.10~2.60	2.15 1.98	0.487 0.449	0.099 0.086	10.53 11.15	1.045 0.956
3	2.60~4.42	1.21 0.61	0.274 0.137	0.034 0.009	40.53 0.00	1.386 0.000
$\Sigma Q = 13.620$						

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_1}$$

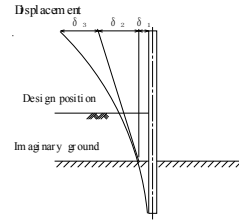
$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$
P : Lateral force
H : Depth to design position
L₁ : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	Q _w (kN)	Q _e (kN)
1	2.10~2.60	2.15 1.98	0.487 0.449	0.099 0.086	0.00 0.21	0.000 0.018
$\Sigma Q_w = 0.018$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 13.620 + 0.018 = 13.638$



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4203 \times 2.43) \times 123.57}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4203^3} = 0.01329 \text{ m}$$

$$\delta_2 = \frac{(1 + 2\beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_1)$$

$$= \frac{(1 + 2 \times 0.4203 \times 2.43) \times 123.57}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4203^2} \times (2.60 + 1.82) = 0.03716 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I}$$

$$= \frac{13.64 \times (2.60 + 1.82)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00929 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00214 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.42 m
 Horizontal load: P = 8.70
 Moment: M = 2.18

$$\delta = \delta_1 + \delta_2 + \delta_3 + \delta_3'$$

$$= 0.01329 + 0.03716 + 0.01143$$

$$= 0.06189 \text{ m}$$

$$= 61.89 \text{ mm} \approx \delta_a = 75.00 \text{ mm}$$

Where:
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$u = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 86000 cm ⁴ (original condition)
	I = 86000 cm ⁴ (after reduction by corrosion and section)
$EI = 200000 \times 10^8 \times 86000 \times 10^8$	= 1.720 × 10 ¹⁷

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L₁, penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_1 + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = 4 \sqrt{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction	K _b = 13688 kN/m ³
Calculated value	$\beta = 0.37557 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.34 + \frac{3}{0.376} = 9.33 \text{ m}$
Whole length of SSP	L = 2.60 - 0.40 + 9.33 = 11.53 m

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction	K _b = 15806 kN/m ³
Calculated value	$\beta = 0.38932 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.82 + \frac{3}{0.389} = 9.52 \text{ m}$
Whole length of SSP	L = 2.60 - 0.40 + 9.52 = 11.72 m

Therefore, whole length of SSP is set as 12.00 m in consideration of round unit of SSP length

8 Calculation Result

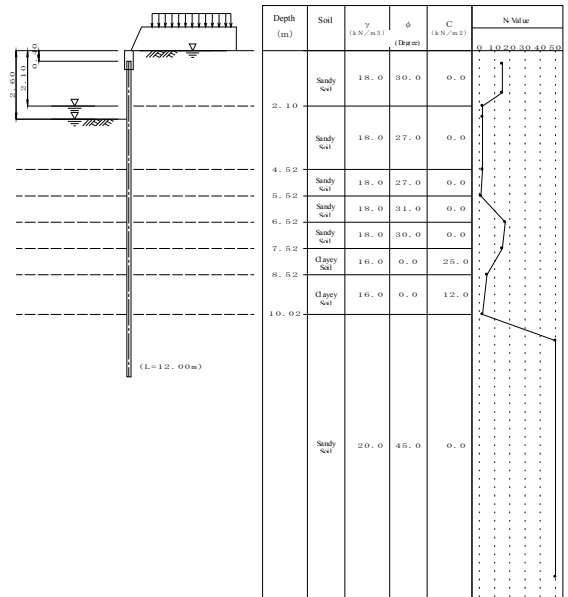
		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	86000	
Section modulus	Z (cm ³)	3820	
Maximum bending moment	M _{max} (kNm/m)	224.44	342.98
Stress intensity	σ (N/mm ²)	64 (180)	98 (270)
Lateral displacement	δ (mm)	38.59 (50.0)	61.89 (75.0)
Penetration depth	D (m)	9.33	9.52
Whole length of SSP	L (m)	12.00	

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 20_STA 9+650 - 9+723



1-2 Dimensions of Structure

Depth from coping top to riverbed	H	=	2.60 m
Depth from coping top to rear side ground	H _r	=	0.00 m
Depth from coping top to SSP top	H _s	=	0.40 m
Riverside WL	L _{ws}	=	0.00 m (Normal Condition)
	L _{ws'}	=	0.00 m (Seismic Condition)
Landside WL	L _{wl}	=	2.60 m (Normal Condition)
	L _{wl'}	=	2.10 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.20_pp.1

R_No.20_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^3$

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
- Seismic Condition

Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load	Horizontal load	Pt	=	2.5 kNm (Normal Condition)
		Pt'	=	8.8 kNm (Seismic Condition)
	Depth of acting point	H	=	-0.43 m (Normal Condition)
		H'	=	-0.26 m (Seismic Condition)
	Moment	Mm	=	0.0 kNm/m (Normal Condition)
		Mm'	=	0.0 kNm/m (Seismic Condition)
	Depth of acting point	Hm'	=	0.00 m (Seismic Condition)
		Hm	=	0.00 m (Normal Condition)

(*Depth means distance from top of coping)

Wind load Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.405}$

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	11.02	50
2	1.60	15	12	20.00	50
3	2.10	2			
4	2.52	2			
5	4.52	2			
6	5.52	2			
7	6.52	17			
8	7.52	15			
9	8.52	5			
10	10.02	2			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on front side not considered

1-7 Soil Modulus

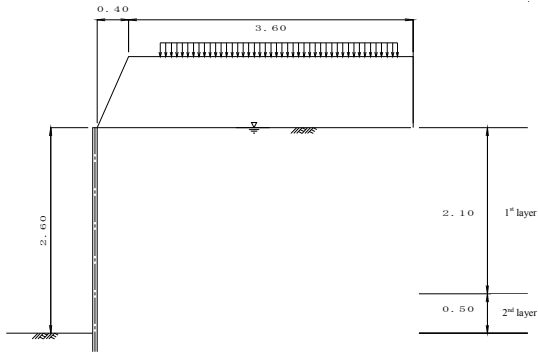
No	Depth (m)	Soil	N value	γ (kNm ³)	γ' (kNm ³)	φ	C (kNm ²)	a	k'	ζ (degree)		kh (kNm ³)
										normal	seismic	
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	
2	4.52	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	
3	5.52	S	1.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	
4	6.52	S	17.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	
5	7.52	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	
6	8.52	C	5.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	
7	10.02	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	
8	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Em bankment on Landside



Em bankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.40	4.00	4.00	0.90	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	0.80	3.80	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

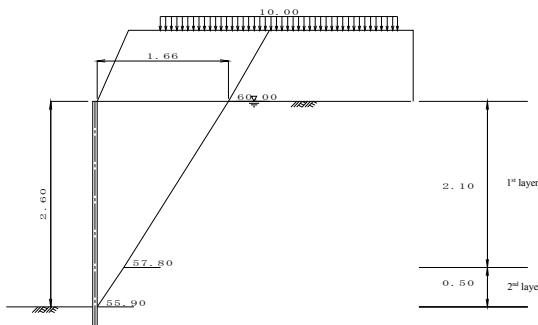
1-9 Steel Sheet Pile (SSP)

Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I ₀ = 86000 cm ⁴
Sectional factor	Z ₀ = 3820 cm ³
Corrosion margin	t ₁ = 1.00 mm (ri verside) t ₂ = 1.00 mm (landside)
Corrosion rate (to I ₀)	η_1 = 0.92
Corrosion rate (to Z ₀)	η_2 = 0.92
Section efficiency (to I ₀)	μ = 0.80
Section efficiency (to Z ₀)	μ = 1.00
Round unit of SSP length	0.50 m
Allowable stress	σ_c = 180 Nmm ² (Normal) σ_c' = 270 Nmm ² (Seismic)
Allowable displacement	δ_s = 50.0mm (Normal) δ_s' = 75.0mm (Seismic)
Bending of cantilever beam	calculated as distributed load of each layer
Reduction of material modulus	Reduced I ₀ applied to calculation of lateral coefficient of subgrade reaction Not reduced I ₀ applied to calculation of penetration depth Reduced I ₀ applied to calculation of section forces and displacement Reduced Z ₀ applied to calculation of stresses

2 Calculation of Acting Load

2-1 Normal Condition

2-1-1 Angle of Active Rupture



No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γwh (kN/m ²)	Angle of rupture Z (degree)
1	2.60- 2.10	Sandy Soil	27.0	10.0	0.0	26.00	25.10	25.48	55.90
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	25.10	20.58	57.80
3		Embankment	30.0	—	0.0	16.20	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	55.90	0.50	0.00	0.00	0.34	0.50
2	57.80	2.10	0.34	0.50	1.66	2.60
3	60.00	0.90	1.66	2.60	2.18	3.50

Therefore, width of acting load shall be set as 1.66 m

2-1-3 Acting Load by Em bankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	1.55	27.88
Σ			27.88

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.38	13.81
Σ			13.81

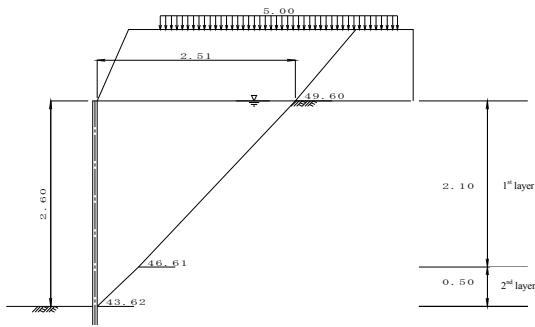
Q : surcharge load
l : width of surcharge load set by line of active rupture

2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{27.88 + 13.81 + 0.00}{1.66}$$

$$= 25.10 \text{ kN/m}^2$$



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m ²)	Σγh (kN/m ²)	Q (kN/m ²)	γwh (kN/m ²)	k (k ²)	θ (degree)	Angle of rupture Z (degree)
1	2.60- 2.10	Sandy Soil	27.0	10.0	0.0	26.00	22.31	25.48	0.200	11.31	43.62
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	22.31	20.58	0.200	11.31	46.61
3		Embankment	30.0		0.0	16.20	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Where

- ζ : angle of active rupture (degree, ζ ≥ 10.0°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earth backfill combination angle (degree)
- θ = tan⁻¹ k or θ = tan⁻¹ k'
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesive force of soil (kNm⁻²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.62	0.50	0.00	0.00	0.52	0.50
2	46.61	2.10	0.52	0.50	2.51	2.60
3	49.60	0.90	2.51	2.60	3.28	3.50

Therefore, width of acting load shall be set as 2.51 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	γ X A (kN/m)
1	18.0	2.42	43.63
Σ			43.63

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	2.48	12.38
Σ			12.38

Q : surcharge load
l : width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

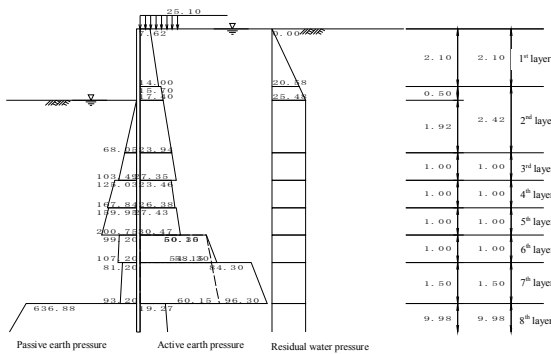
$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{43.63 + 12.38 + 0.00}{2.51}$$

$$= 22.31 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Q (kNm ⁻²)	Kp	Kp × cos δ
3	2.60- 4.52	Sandy soil	10.0	27.0	0.000 19.200	3.59892 3.59892	3.54425 3.54425
4	4.52- 5.52	Sandy soil	10.0	27.0	19.200 29.200	3.59892 3.59892	3.54425 3.54425
5	5.52- 6.52	Sandy soil	10.0	31.0	29.200 39.200	4.34774 4.34774	4.28169 4.28169
6	6.52- 7.52	Sandy soil	10.0	30.0	39.200 49.200	4.14330 4.14330	4.08035 4.08035
7	7.52- 8.52	Clayey soil	8.0	0.0	49.200 57.200	— —	— —
8	8.52- 10.02	Clayey soil	8.0	12.0	57.200 69.200	— —	— —
9	10.02- 20.00	Sandy soil	10.0	45.0	69.200 169.000	9.34548 9.34548	9.20551 9.20551

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below
δ = 10.00°, β = 0.00°, θ = 0.00°

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Q (kNm ⁻²)	Ka	Ka × cos δ
1	0.00- 2.10	Sandy soil	10.0	30.0	25.095 46.095	0.30847 0.30847	0.30378 0.30378
2	2.10- 2.60	Sandy soil	10.0	27.0	46.095 51.095	0.34585 0.34585	0.34060 0.34060
3	2.60- 4.52	Sandy soil	10.0	27.0	51.095 70.295	0.34585 0.34585	0.34060 0.34060
4	4.52- 5.52	Sandy soil	10.0	27.0	70.295 80.295	0.34585 0.34585	0.34060 0.34060
5	5.52- 6.52	Sandy soil	10.0	31.0	80.295 90.295	0.29669 0.29669	0.29219 0.29219
6	6.52- 7.52	Sandy soil	10.0	30.0	90.295 100.295	0.30847 0.30847	0.30378 0.30378
7	7.52- 8.52	Clayey soil	8.0	—	100.295 108.295	— —	— —
8	8.52- 10.02	Clayey soil	8.0	12.0	108.295 120.295	— —	— —
9	10.02- 20.00	Sandy soil	10.0	45.0	120.295 220.095	0.16262 0.16262	0.16015 0.16015

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below
δ = 10.00°, β = 0.00°, θ = 0.00°

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure (kNm ⁻²)	Passive side (kNm ⁻²)
	Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)		
1	0.00- 2.10	7.62 14.00	— —	7.62 14.00	0.00 20.58
2	2.10- 2.60	15.70 17.40	— —	15.70 17.40	20.58 25.48
3	2.60- 4.52	17.40 23.94	— —	17.40 23.94	25.48 68.05
4	4.52- 5.52	23.94 27.35	— —	23.94 27.35	25.48 103.49
5	5.52- 6.52	23.46 26.38	— —	23.46 26.38	25.48 167.84
6	6.52- 7.52	27.43 30.47	— —	27.43 30.47	25.48 200.75
7	7.52- 8.52	50.30 58.30	50.15 54.15	50.30 58.30	99.20 107.20
8	8.52- 10.02	84.30 96.30	54.15 60.15	84.30 96.30	81.20 93.20
9	10.02- 20.00	19.27 35.25	— —	19.27 35.25	636.88 1555.39

• Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

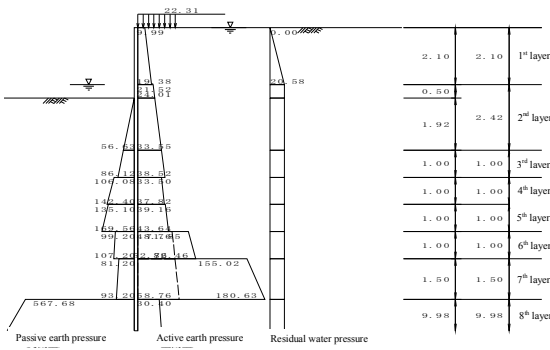
Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
K_a : Equilibrium coefficient of compression 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q$ (kNm ⁻²)	γ_{wbw} (kNm ⁻³)	k (k)	θ (degree)	K_a	$K_a \times \cos \delta$	θ (degree)
1 0.00-2.10	Sandy Soil	10.0	30.0	—	23.31 43.31	0.00 20.88	0.200 0.200	11.31 11.31	0.45442 0.45442	0.44752 0.44752	—
2 2.10-2.60	Sandy Soil	10.0	27.0	—	43.31 48.31	20.88 25.48	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	—
3 2.60-4.52	Sandy Soil	10.0	27.0	—	48.31 67.51	25.48 44.30	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	—
4 4.52-5.52	Sandy Soil	10.0	27.0	—	67.51 77.51	44.30 54.10	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	—
5 5.52-6.52	Sandy Soil	10.0	31.0	—	77.51 87.51	54.10 63.90	0.200 0.200	11.31 11.31	0.43879 0.43879	0.43213 0.43213	—
6 6.52-7.52	Sandy Soil	10.0	30.0	—	87.51 97.51	63.90 73.70	0.200 0.200	11.31 11.31	0.45442 0.45442	0.44752 0.44752	—
7 7.52-8.52	Clayey Soil	8.0	—	25.0 25.0	97.51 105.51	73.70 83.50	0.200 0.200	11.31 11.31	—	—	35.81 34.96
8 8.52-10.02	Clayey Soil	8.0	—	12.0 12.0	105.51 117.51	83.50 98.20	0.200 0.200	11.31 11.31	—	—	10.00 10.00
9 10.02-20.00	Sandy Soil	10.0	45.0	—	117.51 217.31	98.20 196.00	0.200 0.200	11.31 11.31	0.26273 0.26273	0.25874 0.25874	—

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.00$ $\beta = 0.00$ $\theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q_p$ (kNm ⁻²)	γ_{wbw} (kNm ⁻³)	k (k)	θ (degree)	K_p	$K_p \times \cos \delta$
3 2.60-4.52	Sandy soil	10.00	27.0	—	0.000 19.200	0.00 18.82	0.200 0.200	11.31 11.31	2.99498 2.99498	2.94948 2.94948
4 4.52-5.52	Sandy soil	10.00	27.0	—	19.200 29.200	18.82 28.62	0.200 0.200	11.31 11.31	2.99498 2.99498	2.94948 2.94948
5 5.52-6.52	Sandy soil	10.00	31.0	—	29.200 39.200	28.62 38.42	0.200 0.200	11.31 11.31	3.68877 3.68877	3.63273 3.63273
6 6.52-7.52	Sandy soil	10.00	30.0	—	39.200 49.200	38.42 48.22	0.200 0.200	11.31 11.31	3.49953 3.49953	3.44637 3.44637
7 7.52-8.52	Clayey Soil	8.00	0.0	25.0 25.0	49.200 57.200	48.22 58.02	0.200 0.200	11.31 11.31	—	—
8 8.52-10.02	Clayey Soil	8.00	0.0	12.0 12.0	57.200 69.200	58.02 72.72	0.200 0.200	11.31 11.31	—	—
9 10.02-20.00	Sandy Soil	10.00	45.0	—	69.200 169.000	72.72 170.52	0.200 0.200	11.31 11.31	8.33000 8.33000	8.20345 8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = -10.00$ $\beta = 0.00$ $\theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)		
1	0.00-2.10	9.99 19.38	—	9.99 19.38	0.00 20.88	—
2	2.10-2.60	21.52 24.01	—	21.52 24.01	20.88 20.88	—
3	2.60-4.52	24.01 33.55	—	24.01 33.55	20.88 20.88	0.00 56.63
4	4.52-5.52	33.55 38.52	—	33.55 38.52	20.88 20.88	56.63 86.12
5	5.52-6.52	33.50 37.82	—	33.50 37.82	20.88 20.88	106.08 142.40
6	6.52-7.52	39.16 43.64	—	39.16 43.64	20.88 20.88	135.10 169.56
7	7.52-8.52	71.85 82.46	48.76 52.76	71.85 82.46	20.88 20.88	99.20 107.20
8	8.52-10.02	155.02 180.63	52.76 58.76	155.02 180.63	20.88 20.88	81.20 93.20
9	10.02-20.00	30.40 56.23	—	30.40 56.23	20.88 20.88	567.68 1386.38

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

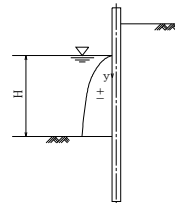
3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P _w (kNm ⁻²)
1	2.10	0.00	0.00
2	2.60	0.50	0.86

$$P_w = \pm \frac{7}{8} k_w \cdot \gamma_w \cdot \sqrt{H} \cdot y$$

Where

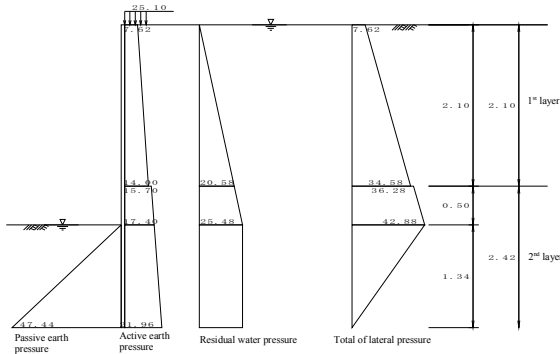
- k_w : design seismic coefficient
- γ_w : unit weight of water
- H: water depth of river side
- y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level I_i is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

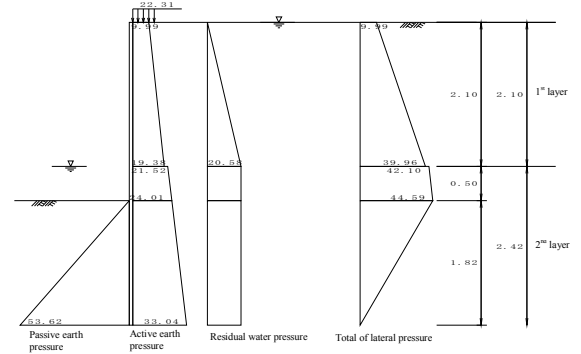


Depth (m)	P_a (kNm ²)	P_w (kNm ²)	P_p (kNm ²)	P_s (kNm ²)
1 0.00-2.10	7.62 14.00	0.00 20.58	— —	7.62 34.38
2 2.10-2.60	15.70 17.40	20.58 25.48	— —	36.28 42.88
3 2.60-3.94	17.40 21.96	25.48 25.48	0.00 47.44	42.88 0.00
4 3.94-4.52	21.96 23.94	25.48 25.48	47.44 68.02	0.00 -18.63

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Tentative imaginary riverbed I_i : 1.34 m (GL -3.94 m)

4-2 Seismic Condition



Depth (m)	P_a (kNm ²)	P_w (kNm ²)	P_p (kNm ²)	P_s (kNm ²)
1 0.00-2.10	9.99 19.38	0.00 20.58	— —	9.99 39.96
2 2.10-2.60	21.52 24.01	20.58 20.58	— —	42.10 44.59
3 2.60-4.42	24.01 33.04	20.58 20.58	0.00 53.62	44.59 0.00
4 4.42-4.52	33.04 33.55	20.58 20.58	53.62 56.63	0.00 -2.50

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Tentative imaginary riverbed I_i : 1.82 m (GL -4.42 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to l/β depth. The modulus are calculated by the formula below

$$K_h = 6910 \times N^{0.406}$$

where,

$$\beta = \sqrt[4]{\frac{K_h \cdot B}{4 E I}}$$

Unit width $B = 1.0000$ m
 Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.92$
 Section efficiency $\mu = 0.80$
 Young's modulus $E = 200000$ Nmm²
 Inertia sectional moment $I_0 = 86000$ cm⁴ (original condition)
 $I = 63296$ cm⁴ (after reduction by corrosion and section)
 Inertia sectional moment $EI = 200000 \times 10^7 \times 63296 \times 10^{-8} = 1.266 \times 10^9$

Depth (m)	N-value	Depth (m)	N-value
1	0.50	11	11.02
2	1.60	15	20.00
3	2.10		
4	2.52		
5	4.52		
6	5.52		
7	6.52		
8	7.52		
9	8.52		
10	10.02		

5-2 Normal Condition

$K_h = 12438$ kNm³ is set tentatively.

$$\beta = \sqrt[4]{\frac{K_h \cdot B}{4 E I}} = 0.396 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.53 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.94 m) to 2.53 m depth (GL -6.46 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	3.94	0.58	2.0	1.16
2	4.52	1.00	2.0	1.50
3	5.52	0.94	1.0	8.08

$$A (\text{upper N-value} + \text{lower N-value}) \times h/2$$

$$\begin{aligned} \text{Average N-value } N' &= \frac{\sum A}{L} \\ &= \frac{10.74}{2.53} \\ &= 4.25 \end{aligned}$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following

$$K_h = 6910 \times N'^{0.406} = 6910 \times 4.25^{0.406} = 12438 \text{ kN/m}^3$$

$$K_h (\text{normal condition}) = 12438 \text{ kNm}^3$$

5-3 Seismic Condition

$K_h = 14866$ kNm³ is set tentatively.

$$\beta = \sqrt[4]{\frac{K_h \cdot B}{4 E I}} = 0.414 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.42 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.42 m) to 2.42 m depth (GL -6.83 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	4.42	0.10	2.0	0.20
2	4.52	1.00	2.0	1.50
3	5.52	1.00	17.0	9.10
4	6.52	0.31	17.0	5.24

$$A (\text{upper N-value} + \text{lower N-value}) \times h/2$$

$$\begin{aligned} \text{Average N-value } N' &= \frac{\sum A}{L} \\ &= \frac{15.94}{2.42} \\ &= 6.60 \end{aligned}$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following

$$K_h = 6910 \times N'^{0.406} = 6910 \times 6.60^{0.406} = 14866 \text{ kN/m}^3$$

$$K_h (\text{seismic condition}) = 14866 \text{ kNm}^3$$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Height h_0

6-1-1 Normal Condition

No	Depth Z (m)	Thickness h (m)	Total of lateral force P_0 (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M_0 (kNm)
1	0.00-2.10	2.10	7.62 34.58	8.00 36.31	3.24 2.54	25.92 92.18
2	2.10-2.60	0.50	36.28 42.88	9.07 10.72	1.67 1.51	15.16 16.14
3	2.60-3.94	1.34	42.88 0.00	28.70 0.00	0.89 0.45	25.61 0.00
			$\Sigma P = 92.81$			$\Sigma M = 175.02$

P_0 : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_0 \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P = 2.5$ kNm
 depth to acting position $H = -0.43$ m
 moment $M_0 = 0.0$ kNm-m
 depth to acting position $H_0 = 0.00$ m
 Height from riverbed to top of coring $H = 2.60$ m
 Depth of imaginary riverbed from riverbed $L_0 = 1.34$ m

Moment M_0 by arbitrary load is as below
 $M_0 = P \cdot (H + L_0 - H) + M_0 = 10.92$ kN-m

h_0 Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0}$$

$$= \frac{185.94}{95.31} = 1.95 \text{ m}$$

6-1-2 Seismic Condition

No	Depth Z (m)	Thickness h (m)	Lateral load P_0 (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M_0 (kNm)
1	0.00-2.10	2.10	9.99 39.96	10.48 41.96	3.72 3.02	38.98 126.64
2	2.10-2.60	0.50	42.10 44.59	10.53 11.15	2.15 1.98	22.65 22.12
3	2.60-4.42	1.82	44.59 0.00	40.53 0.00	1.21 0.61	49.13 0.00
			$\Sigma P = 114.65$			$\Sigma M = 259.52$

P_0 : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_0 \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P = 8.8$ kNm
 depth to acting position $H = -0.26$ m
 moment $M_0 = 0.0$ kNm-m
 depth to acting position $H_0 = 0.00$ m
 Height from riverbed to top of coring $H = 2.60$ m
 Depth of imaginary riverbed from riverbed $L_0 = 1.82$ m

Moment M_0 by arbitrary load is as below
 $M_0 = P \cdot (H + L_0 - H) + M_0 = 41.17$ kN-m

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_0 (kNm ²)	Load P_0 (kN)	Arm length Y (m)	Moment M_0 (kNm)
1	2.10-2.60	0.50	0.0 0.9	0.0 0.21	2.15 1.98	0.00 0.43
			$\Sigma P_0 = 0.21$			$\Sigma M_0 = 0.43$

h_0 Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_{0w}}{\Sigma P + P_0 + \Sigma P_{0w}}$$

$$= \frac{301.12}{123.67} = 2.43 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000$ m
 Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $n = 0.92$
 Section efficiency $u = 0.80$
 Young's modulus $E = 200000$ N/mm²
 Inertia sectional moment $I_0 = 86000$ cm⁴ (original condition)
 $I = 63296$ cm⁴ (after reduction by corrosion and section)
 $H = 200000 \times 10^3 \times 63296 \times 10^8 = 1.266 \times 10^9$

$$\beta = \sqrt[4]{\frac{K_A \cdot B}{4 E I}}$$

$$\phi_{sa} = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_{sa}$$

$$I_{sa} = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$I_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_0 = 12438$ kNm³
 $\beta = 0.39589$ m⁻¹
 resultant earth force (lateral) $P_0 = 95.31$ kNm
 height of acting position of load moment $h_0 = 1.95$ m
 $M_0 = 185.94$ kNm-m/m

in consideration of $\psi_{01} = 1.217$, maximum moment $M_{max} = 226.32$ kNm-m
 depth of generated position of M_{max} $L = 0.946$ m
 depth of 1st fixed point $l = 2.930$ m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_0 = 14866$ kNm³
 $\beta = 0.41393$ m⁻¹
 resultant earth force (lateral) $P_0 = 123.67$ kNm
 height of acting position of load moment $h_0 = 2.43$ m
 $M_0 = 301.12$ kNm-m/m

in consideration of $\psi_{01} = 1.144$, maximum moment $M_{max} = 344.58$ kNm-m
 depth of generated position of M_{max} $L = 0.774$ m
 depth of 1st fixed point $l = 2.671$ m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $n = 0.92$
 Section efficiency $u = 1.00$
 Modulus of section $Z_0 = 3820$ cm³ (original condition)
 $Z = 3514$ cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{226.32 \times 10^6}{3514 \times 10^3} = 64 \text{ N/mm}^2 \leq \sigma_{sa} = 180 \text{ N/mm}^2$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{344.58 \times 10^6}{3514 \times 10^3} = 98 \text{ N/mm}^2 \leq \sigma_{sa} = 270 \text{ N/mm}^2$$

6-4 Displacement

6-4-1 Normal Condition

Modulus of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	3.24 2.54	0.822 0.645	8.00 36.31	1.964 5.922
2	2.10-2.60	1.67 1.51	0.424 0.382	9.07 10.72	0.702 0.683
3	2.60-3.94	0.89 0.45	0.227 0.113	28.70 0.00	0.681 0.000
$\Sigma Q = 9.952$					

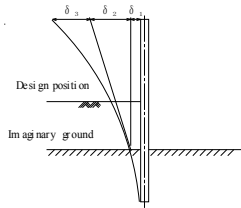
Y : Height from imaginary riverbed to acting position

$$\alpha = \frac{Y}{H+L_0}$$

$$\zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_0 : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.3959 \times 1.95) \times 95.31}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.3959^3} = 0.01075 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_0)$$

$$= \frac{(1 + 2 \times 0.3959 \times 1.95) \times 95.31}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.3959^2} \times (2.60 + 1.34) = 0.02407 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_0)^3}{E I}$$

$$= \frac{9.95 \times (2.60 + 1.34)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00480 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00047 m in consideration of following values:

Height from imaginary riverbed to top of SSP: L = 3.94m
 Horizontal load: P = 2.50
 Moment: M = 1.08

$$\delta = \delta_1 + \delta_2 + \delta_3 + \delta_3'$$

$$= 0.01075 + 0.02407 + 0.00527$$

$$= 0.04010 \text{ m}$$

$$= 40.10 \text{ mm} \leq \delta_a = 50.00 \text{ mm}$$

Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	3.72 3.02	0.842 0.683	0.255 0.180	10.48 41.96	2.671 7.561
2	2.10-2.60	2.15 1.98	0.487 0.449	0.099 0.086	10.53 11.15	1.045 0.956
3	2.60-4.42	1.21 0.61	0.274 0.137	0.034 0.009	40.53 0.00	1.386 0.000
$\Sigma Q = 13.620$						

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H + L_0}$$

$$\zeta : \zeta = \frac{(3 - \alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

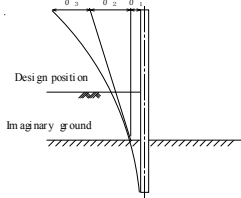
L₀ : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1	2.10-2.60	2.15 1.98	0.487 0.449	0.099 0.086	0.00 0.21	0.000 0.018
$\Sigma Q_w = 0.018$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 13.620 + 0.018 = 13.638$

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4139 \times 2.43) \times 123.67}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4139^3} = 0.01383 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_0)$$

$$= \frac{(1 + 2 \times 0.4139 \times 2.43) \times 123.67}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4139^2} \times (2.60 + 1.82) = 0.03798 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_0)^3}{E I}$$

$$= \frac{13.64 \times (2.60 + 1.82)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00929 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00217 m in consideration of following values:

Height from imaginary riverbed to top of SSP: L = 4.42 m
 Horizontal load: P = 8.80
 Moment: M = 2.29

$$\delta = \delta_1 + \delta_2 + \delta_3 + \delta_3'$$

$$= 0.01383 + 0.03798 + 0.01147$$

$$= 0.06328 \text{ m}$$

$$= 63.28 \text{ mm} \leq \delta_a = 75.00 \text{ mm}$$

Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$u = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 86000 cm ⁴ (original condition)
	I = 86000 cm ⁴ (after reduction by corrosion on section)
	H = 200000 x 10 ³ x 86000 x 10 ⁸ = 1.720 x 10 ¹⁷

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L₀, penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{01} + D$$

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction	K _b = 12438 kN/m ³
Calculated value	$\beta = 0.36668 \text{ m}^{-1}$
Penetration length of SSP	D = 1.34 + $\frac{3}{0.367}$ = 9.52 m
Whole length of SSP	L = 2.60 - 0.40 + 9.52 = 11.72 m

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction	K _b = 14866 kN/m ³
Calculated value	$\beta = 0.38340 \text{ m}^{-1}$
Penetration length of SSP	D = 1.82 + $\frac{3}{0.383}$ = 9.64 m
Whole length of SSP	L = 2.60 - 0.40 + 9.64 = 11.84 m

Therefore, whole length of SSP is set as 12.00 m in consideration of round unit of SSP length

8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	86000		
Section modulus	Z (cm ³)	3820		
Maximum bending moment	M_{max} (kNm/m)		226.32	344.58
Stress intensity	σ (N/mm ²)		54 (18.0)	88 (27.0)
Lateral displacement	δ (mm)		40.10 (50.0)	63.28 (75.0)
Penetration depth	D (m)		9.52	9.64
Wheel length of SSP	L (m)	12.00		

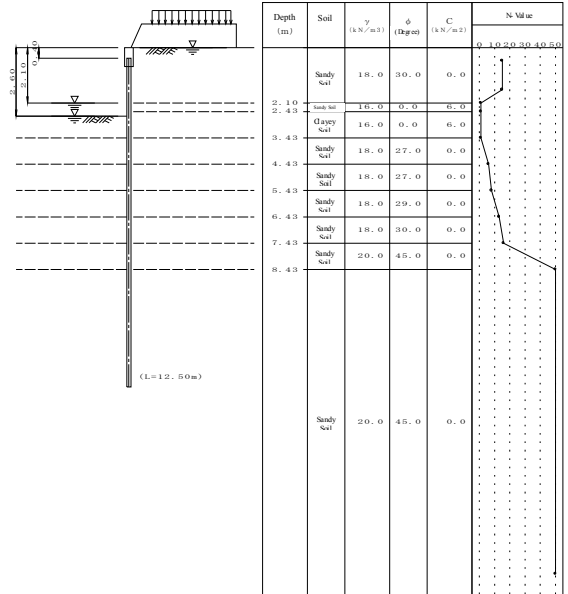
R_No.20_pp.29

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 21_STA_9+723 - 9+750



1-2 Dimensions of Structure

Depth from coping top to riverbed	H	=	2.60 m
Depth from coping top to rear side ground	H _r	=	0.00 m
Depth from coping top to SSP top	H _s	=	0.40 m
Landside WL	L _{land}	=	0.00 m (Normal Condition)
	L _{land} '	=	0.00 m (Seismic Condition)
Riverside WL	L _{river}	=	2.60 m (Normal Condition)
	L _{river} '	=	2.10 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.21_pp.1

R_No.21_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load	Horizontal load	P	=	2.5 kNm	(Normal Condition)
		P'	=	8.8 kNm	(Seismic Condition)
Depth of acting point	H	H	=	-0.43 m	(Normal Condition)
		H'	=	-0.26 m	(Seismic Condition)
Moment	M _m	M _m	=	0.0 kNm/m	(Normal Condition)
		M _m '	=	0.0 kNm/m	(Seismic Condition)
Depth of acting point	H _m	H _m	=	0.00 m	(Seismic Condition)
		H _m '	=	0.00 m	(Normal Condition)

(*Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_s = 6910 \times N^{0.406}$

Average N value calculated from average N value between imaginary riverbed and depth as $1/\beta$

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	20.00	50
2	1.60	15			
3	2.10	1			
4	2.43	1			
5	3.43	1			
6	4.43	6			
7	5.43	8			
8	6.43	13			
9	7.43	16			
10	8.43	50			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

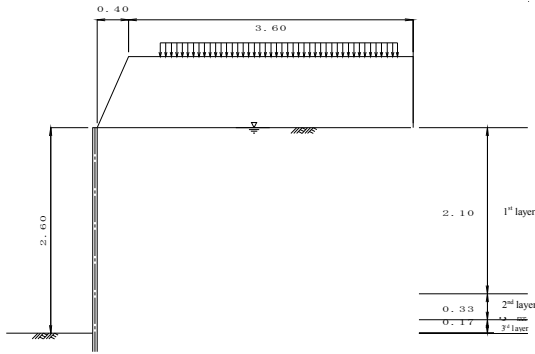
1-7 Soil Modulus

No	Depth (m)	Soil	N-value	γ (kNm ³)	γ' (kNm ³)	ϕ	C (kNm ²)	a	k'	ζ (degree)		kh (kNm ³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	---	---
2	2.43	C	1.0	16.00	8.00	0.0	6.0	0.0	0.200	auto	auto	---	---
3	3.43	C	1.0	16.00	8.00	0.0	6.0	0.0	0.200	auto	auto	---	---
4	4.43	S	6.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	---	---
5	5.43	S	8.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	---	---
6	6.43	S	13.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	---	---
7	7.43	S	16.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	---	---
8	8.43	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	---	---
9	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	---	---

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C_c : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction		
Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Imbankment on Landside



1-9 Steel Sheet Pile (SSP)

Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I ₀ = 114000 cm ⁴
Sectional factor	Z = 3250 cm ³
Corrosion margin	t _r = 1.00 mm (river side) t _s = 1.00 mm (landside)
Corrosion rate (to I ₀)	η = 0.84
Corrosion rate (to Z)	η = 0.87
Section efficiency (to I ₀)	μ = 1.00
Section efficiency (to Z)	μ = 1.00
Round unit of SSP length	0.50 m
Allowable stress	σ _s = 185 Nmm (Normal) σ _s ' = 278 Nmm (Seismic)
Allowable displacement	δ _s = 50.0 mm (Normal) δ _s ' = 75.0 mm (Seismic)
Bending of cantilever beam	calculated as distributed load of each layer
Reduction of material modulus	Reduced I ₀ applied to calculation of lateral coefficient of subgrade reaction Not reduced I ₀ applied to calculation of penetration depth Reduced I ₀ applied to calculation of section forces and displacement Reduced Z applied to calculation of stresses

Imbankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle φ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.40	4.00	4.00	0.90	18.0	30.0	0.0	auto	auto

Surcharge load acting on an embankment

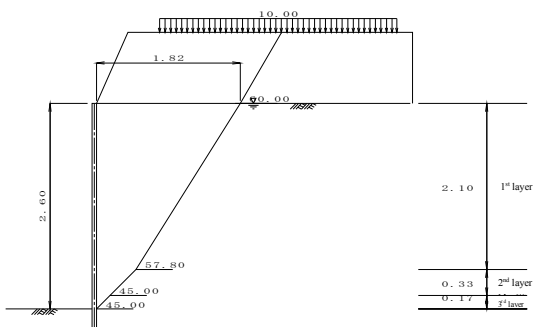
No	Acting period		Load	
	t ₀ (m)	t ₁ (m)	Normal (kNm ²)	Seismic (kNm ²)
1	0.80	3.80	10.0	5.0

Angle of rupture in embankment calculated in consideration of an embankment conditions

R_No.21_pp.5

R_No.21_pp.6

2 Calculation of Acting Load
2-1 Normal Condition



2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.17	0.00	0.00	0.17	0.17
2	45.00	0.33	0.17	0.17	0.50	0.50
3	57.80	2.10	0.50	0.50	1.82	2.60
4	60.00	0.90	1.82	2.60	2.34	3.50

Therefore, width of acting load shall be set as 1.82 m

2-1-3 Acting Load by Imbankment

No	γ (kN/m ³)	A (m ²)	γ X A (kN/m)
1	18.0	1.69	30.49
Σ			30.49

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.54	15.42
Σ			15.42

Q : surcharge load
l : width of surcharge load set by line of active rupture

2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{30.49 + 15.42 + 0.00}{1.82}$$

$$= 25.19 \text{ kN/m}^2$$

2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m ²)	Σγh (kN/m ²)	Q (kN/m ²)	γhw (kN/m ²)	Angle of rupture Z (degree)
1	2.60~ 2.43	Clayey Soil	0.0	10.0	6.0	25.00	25.19	25.48	45.00
2	2.43~ 2.10	Clayey Soil	0.0	10.0	6.0	23.64	25.19	23.81	45.00
3	2.10~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	25.19	20.58	57.80
4		Embankment	30.0	—	0.0	16.20	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \theta) + \sqrt{\cos^2(\phi + \theta) + \sin^2(\phi + \delta)}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since θ = 0°

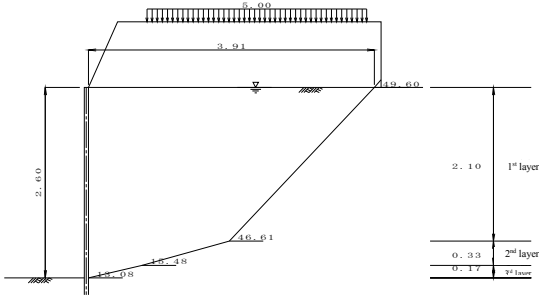
Where

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
θ = tan⁻¹k or θ = tan⁻¹k'
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

R_No.21_pp.7

R_No.21_pp.8

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma\gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma_{sw} h$ (kN/m ²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60~2.43	Clayey Soil	0.0	10.0	6.0	25.00	19.56	25.48	0.200	11.31	13.08
2	2.43~2.10	Clayey Soil	0.0	10.0	6.0	23.64	19.56	23.81	0.200	11.31	15.48
3	2.10~0.00	Sandy Soil	30.0	10.0	0.0	21.00	19.56	20.58	0.200	11.31	46.61
4		Embankment	30.0	—	0.0	16.20	5.00	0.00	0.200	11.31	49.60

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)} \cdot \frac{\cos(\phi + \delta)}{\sin(\phi - \theta)}}{\cos(\phi + \delta)}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesive force of soil (kNm⁻²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	13.08	0.17	0.00	0.00	0.73	0.17
2	15.48	0.33	0.73	0.17	1.92	0.50
3	46.61	2.10	1.92	0.50	3.91	2.60
4	49.60	0.11	3.91	2.60	4.00	2.71

Therefore, width of acting load shall be set as 3.91 m

2-2-3 Acting Load by Embankment

No	γ (kNm ⁻³)	A (m ²)	$\gamma \times A$ (kNm)
1	18.0	3.42	61.47
Σ			61.47

γ : unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kNm ⁻²)	l (m)	Q x l (kNm)
1	5.0	3.00	15.00
Σ			15.00

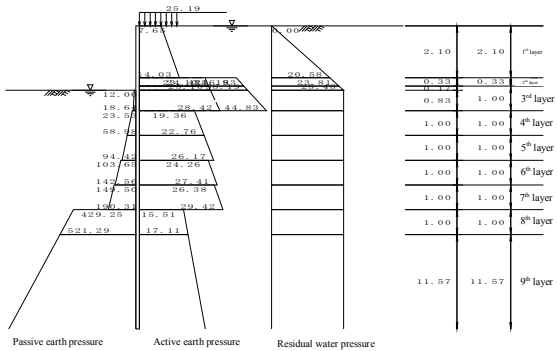
Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L} = \frac{61.47 + 15.00 + 0.00}{3.91} = 19.56 \text{ kNm}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma\gamma h + Q_p$ (kNm ⁻²)	Kp	$K_p / \cos \delta$
4	2.60~3.43	Clayey soil	8.0	6.0	0.000	—	—
5	3.43~4.43	Sandy soil	10.0	27.0	6.640	3.59892	3.54425
6	4.43~5.43	Sandy soil	10.0	27.0	16.640	3.59892	3.54425
7	5.43~6.43	Sandy soil	10.0	29.0	26.640	3.59892	3.54425
8	6.43~7.43	Sandy soil	10.0	30.0	36.640	3.95096	3.89093
9	7.43~8.43	Sandy soil	10.0	45.0	46.640	4.14330	4.08035
10	8.43~20.00	Sandy soil	10.0	45.0	56.640	9.34548	9.20351

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure Pw (kNm ⁻²)	Passive side Pp (kNm ⁻²)
	Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)		
1	0.00~2.10	7.65	14.03	7.65	0.00
2	2.10~2.43	34.19	23.10	34.19	20.58
3	2.43~2.60	36.83	24.42	36.83	23.81
4	2.60~3.43	38.19	25.10	38.19	25.48
5	3.43~4.43	38.19	25.10	38.19	25.48
6	4.43~5.43	38.19	25.10	38.19	25.48
7	5.43~6.43	38.19	25.10	38.19	25.48
8	6.43~7.43	38.19	25.10	38.19	25.48
9	7.43~8.43	38.19	25.10	38.19	25.48
10	8.43~20.00	38.19	25.10	38.19	25.48

3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma\gamma h + Q_a$ (kNm ⁻²)	K_a	$K_a / \cos \delta$
1	0.00~2.10	Sandy soil	10.0	6.0	25.193	0.30847	0.30378
2	2.10~2.43	Clayey soil	8.0	6.0	46.193	—	—
3	2.43~2.60	Clayey soil	8.0	6.0	48.833	—	—
4	2.60~3.43	Clayey soil	8.0	6.0	50.193	—	—
5	3.43~4.43	Sandy soil	10.0	27.0	50.193	0.34585	0.34060
6	4.43~5.43	Sandy soil	10.0	27.0	66.833	0.34585	0.34060
7	5.43~6.43	Sandy soil	10.0	29.0	76.833	0.32058	0.31571
8	6.43~7.43	Sandy soil	10.0	30.0	86.833	0.30847	0.30378
9	7.43~8.43	Sandy soil	10.0	45.0	96.833	0.16262	0.16015
10	8.43~20.00	Sandy soil	10.0	45.0	106.833	0.16262	0.16015

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Formula for active earth pressure

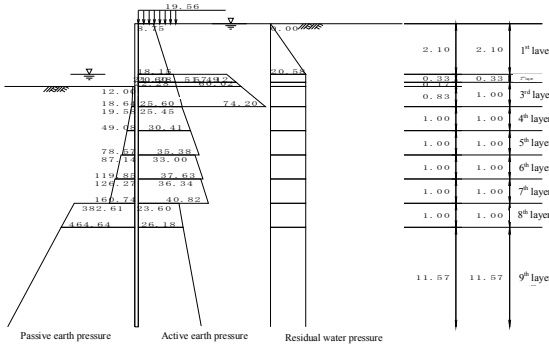
Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q$ (kNm ⁻²)	γ_{wh} (kNm ⁻³)	k (k)	θ (degree)	K_a	$K_a \times \cos \delta$	θ (degree)
1 0.00~2.10	Sandy Soil	10.0	30.0	—	19.56 40.56	0.00 20.58	0.200 0.200	11.31	0.45442 0.45442	0.44752 0.44752	—
2 2.10~2.43	Clayey Soil	8.0	—	6.0 6.0	40.56 43.20	20.58 23.81	0.200 0.200	11.31	—	—	10.00 10.00
3 2.43~2.60	Clayey Soil	8.0	—	6.0 6.0	43.20 44.56	23.81 25.48	0.200 0.200	11.31	—	—	10.00 10.00
4 2.60~3.43	Clayey Soil	8.0	—	6.0 6.0	44.56 51.20	25.48 33.61	0.200 0.200	11.31	—	—	10.00 10.00
5 3.43~4.43	Sandy Soil	10.0	27.0	—	51.20 61.20	33.61 43.41	0.200 0.200	11.31	0.50461 0.50461	0.49695 0.49695	—
6 4.43~5.43	Sandy Soil	10.0	27.0	—	61.20 71.20	43.41 53.21	0.200 0.200	11.31	0.50461 0.50461	0.49695 0.49695	—

R_No.21_pp.13

Passive earth pressure Active earth pressure Residual water pressure

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q$ (kNm ⁻²)	γ_{wh} (kNm ⁻³)	k (k)	θ (degree)	K_a	$K_a \times \cos \delta$	θ (degree)
7 5.43~6.43	Sandy Soil	10.0	29.0	—	71.20 81.20	53.21 63.01	0.200 0.200	11.31	0.47058 0.47058	0.46343 0.46343	—
8 6.43~7.43	Sandy Soil	10.0	30.0	—	81.20 91.20	63.01 72.81	0.200 0.200	11.31	0.45442 0.45442	0.44752 0.44752	—
9 7.43~8.43	Sandy Soil	10.0	45.0	—	91.20 101.20	72.81 82.61	0.200 0.200	11.31	0.26273 0.26273	0.25874 0.25874	—
10 8.43~20.00	Sandy Soil	10.0	45.0	—	101.20 216.90	82.61 196.00	0.200 0.200	11.31	0.26273 0.26273	0.25874 0.25874	—

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$\delta = 10.00, \beta = 0.00, \theta = 0.00$
 $K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot [1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}]^2}$

Angle between surface of collapse and level surface of day soil ζ is calculated by the formula below

$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q_p$ (kNm ⁻²)	γ_{wh} (kNm ⁻³)	k (k)	θ (degree)	K_p	$K_p \times \cos \delta$
4 2.60~3.43	Clayey soil	8.00	0.0	6.0 6.0	0.000 6.640	0.000 8.13	0.200 0.200	11.31	—	—
5 3.43~4.43	Sandy soil	10.00	27.0	—	6.640 16.640	8.13 17.95	0.200 0.200	11.31	2.99498 2.99498	2.94948 2.94948
6 4.43~5.43	Sandy soil	10.00	27.0	—	16.640 26.640	17.95 27.73	0.200 0.200	11.31	2.99498 2.99498	2.94948 2.94948
7 5.43~6.43	Sandy soil	10.00	29.0	—	26.640 36.640	27.73 37.53	0.200 0.200	11.31	3.32141 3.32141	3.27095 3.27095
8 6.43~7.43	Sandy soil	10.00	30.0	—	36.640 46.640	37.53 47.33	0.200 0.200	11.31	3.49953 3.49953	3.44637 3.44637
9 7.43~8.43	Sandy soil	10.00	45.0	—	46.640 56.640	47.33 57.13	0.200 0.200	11.31	8.33000 8.33000	8.20345 8.20345
10 8.43~20.00	Sandy soil	10.00	45.0	—	56.640 172.340	57.13 170.52	0.200 0.200	11.31	8.33000 8.33000	8.20345 8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below

$\delta = 10.00, \beta = 0.00, \theta = \tan^{-1} \frac{Q}{C}$
 $K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot [1 - \frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}]^2}$

R_No.21_pp.14

3-2-3 Lateral Pressure

No	Depth (m)	Active side				Residual water pressure	Passive side
		Pa1 kNm ²	Pa2 kNm ²	Pp kNm ²	Pw kNm ²		
1	0.00~2.10	8.75 18.15	—	8.75 18.15	0.00 20.58	—	
2	2.10~2.43	51.49 57.12	20.28 21.60	51.49 57.12	20.58 20.58	—	
3	2.43~2.60	57.12 60.02	21.60 22.28	57.12 60.02	20.58 20.58	—	
4	2.60~3.43	60.02 74.20	22.28 25.60	60.02 74.20	20.58 20.58	12.00 18.64	
5	3.43~4.43	25.45 30.41	—	25.45 30.41	20.58 20.58	19.58 49.08	
6	4.43~5.43	30.41 35.38	—	30.41 35.38	20.58 20.58	49.08 78.57	
7	5.43~6.43	33.00 37.63	—	33.00 37.63	20.58 20.58	87.14 119.85	
8	6.43~7.43	36.34 40.82	—	36.34 40.82	20.58 20.58	126.27 160.74	
9	7.43~8.43	23.60 26.18	—	23.60 26.18	20.58 20.58	382.61 464.64	
10	8.43~20.00	26.18 56.12	—	26.18 56.12	20.58 20.58	464.64 1413.78	

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P _w (kNm ⁻³)
1	2.10 2.60	0.00 0.50	0.00 0.86

$P_w = \pm \frac{7}{8} k_{w1} \cdot \gamma_w \cdot \sqrt{H} \cdot y$

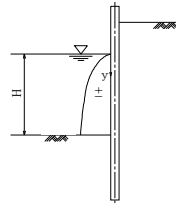
Where,

k_{w1} : design seismic coefficient

γ_w : unit weight of water

H: water depth of riverside

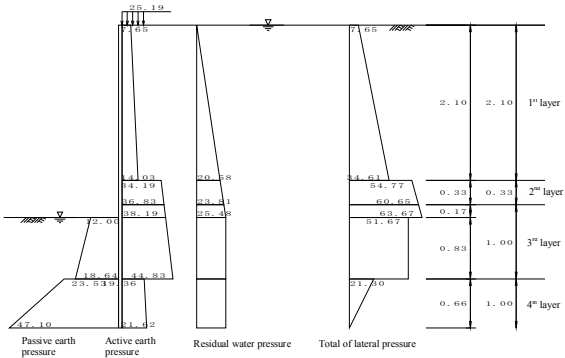
y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level I_x is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

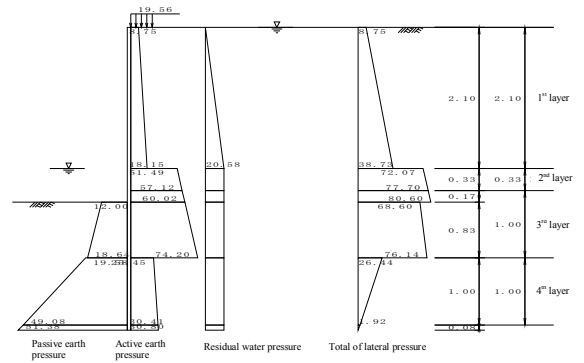


Depth (m)	P_a kNm ²	P_w kNm ²	P_p kNm ²	P_s kNm ²
1 0.00~2.10	7.65 14.03	0.00 20.58	— —	7.65 34.61
2 2.10~2.43	34.19 36.83	20.58 23.81	— —	54.77 60.65
3 2.43~2.60	36.83 38.19	23.81 25.48	— —	60.65 63.67
4 2.60~3.43	38.19 44.83	25.48 25.48	12.00 18.64	51.67 51.67
5 3.43~4.10	19.36 21.62	25.48 25.48	23.53 47.10	21.30 0.00
6 4.10~4.43	21.62 22.76	25.48 25.48	47.10 58.98	0.00 -10.73

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed I_x : 1.50 m (GL -4.10 m)

4-2 Seismic Condition



Depth (m)	P_a kNm ²	P_w kNm ²	P_p kNm ²	P_s kNm ²
1 0.00~2.10	8.75 18.15	0.00 20.58	— —	8.75 38.73
2 2.10~2.43	51.49 57.12	20.58 20.58	— —	72.07 77.70
3 2.43~2.60	57.12 60.02	20.58 20.58	— —	77.70 80.60
4 2.60~3.43	60.02 74.20	20.58 20.58	12.00 18.64	68.60 76.14
5 3.43~4.43	25.45 30.41	20.58 20.58	19.58 49.08	26.44 1.92
6 4.43~4.51	30.41 30.80	20.58 20.58	49.08 51.38	1.92 0.00
7 4.51~5.43	30.80 35.38	20.58 20.58	51.38 78.57	0.00 -22.61

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed I_x : 1.91 m (GL -4.51 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below.

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width	B = 1.0000 m
Corrosion margin	$t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
Corrosion rate	$\eta = 0.84$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	$I_0 = 114000$ cm ⁴ (original condition)
Inertia sectional moment	I = 95760 cm ⁴ (after reduction by corrosion on and section)
Inertia sectional moment	$EI = 200000 \times 10^6 \times 95760 \times 10^8 = 1.915 \times 10^{17}$

Depth (m)	N-value	Depth (m)	N-value
1 0.50	15	11 20.00	50
2 1.60	15		
3 2.10	1		
4 2.43	1		
5 3.43	1		
6 4.43	6		
7 5.43	8		
8 6.43	13		
9 7.43	16		
10 8.43	50		

5-2 Normal Condition

$K_h = 16683$ kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.384 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.60 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.09 m) to 2.60 m depth (GL -6.70 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 4.09	0.34	4.3	6.0	1.73
2 4.43	1.00	6.0	8.0	7.00
3 5.43	1.00	8.0	13.0	10.50
4 6.43	0.27	13.0	13.8	3.59
L = 2h = 2.60		ΣA = 22.82		

$$A (\text{upper N-value} + \text{lower N-value}) \times h/2$$

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{22.82}{2.60} = 8.77$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:
 $K_h = 6910 \times N^{0.496} = 6910 \times 8.77^{0.496} = 16683$ kNm³
 K_h (normal condition) = 16683 kNm³

5-3 Seismic Condition

$K_h = 17697$ kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.390 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.57 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.51 m) and 2.57 m depth (GL -7.07 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 4.51	0.92	6.2	8.0	6.53
2 5.43	1.00	8.0	13.0	10.50
3 6.43	0.64	13.0	14.9	8.98
L = 2h = 2.57		ΣA = 26.01		

$$A (\text{upper N-value} + \text{lower N-value}) \times h/2$$

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{26.01}{2.57} = 10.14$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:
 $K_h = 6910 \times N^{0.496} = 6910 \times 10.14^{0.496} = 17697$ kNm³
 K_h (seismic condition) = 17697 kNm³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

No	Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~2.10	2.10	7.65 34.61	8.04 36.34	3.39 2.69	27.28 97.94
2	2.10~2.43	0.33	54.77 60.65	9.04 10.01	1.88 1.77	17.04 17.76
3	2.43~2.60	0.17	60.65 63.67	5.16 5.41	1.61 1.55	8.29 8.40
4	2.60~3.43	0.83	51.67 51.67	21.44 21.44	1.22 0.94	26.13 20.19
5	3.43~4.09	0.66	21.30 0.00	7.08 0.00	0.44 0.22	3.14 0.00
			$\Sigma P = 123.96$	$\Sigma M = 226.17$		

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P = 2.5$ kNm
 depth to acting position $H = -0.43$ m
 moment $M_h = 0.0$ kNm/m
 depth to acting position $H_h = 0.00$ m
 Height from riverbed to top of cone $H = 2.60$ m
 Depth of imaginary riverbed from riverbed $L_k = 1.49$ m

Moment M_0 by arbitrary load is as below
 $M_0 = P \cdot (H + L_k - H_h) + M_h = 11.31$ kNm

h_0 , Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{237.48}{126.46} = 1.88 \text{ m}$$

R_No.21_pp.21

6-1-2 Seismic Condition

No	Depth Z (m)	Thickness h (m)	Lateral load P_s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~2.10	2.10	8.75 38.73	9.19 40.67	3.81 3.11	35.01 126.40
2	2.10~2.43	0.33	72.07 77.70	11.89 12.82	2.30 2.19	27.33 28.05
3	2.43~2.60	0.17	77.70 80.60	6.60 6.85	2.02 1.96	13.35 13.46
4	2.60~3.43	0.83	68.60 76.14	28.47 31.60	1.63 1.35	46.45 42.81
5	3.43~4.43	1.00	26.44 1.92	13.22 0.96	0.74 0.41	9.85 0.39
6	4.43~4.51	0.08	1.92 0.00	0.07 0.00	0.05 0.03	0.00 0.00
			$\Sigma P = 162.35$	$\Sigma M = 343.10$		

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P = 8.8$ kNm
 depth to acting position $H = -0.26$ m
 moment $M_h = 1.1$ kNm/m
 depth to acting position $H_h = 0.00$ m
 Height from riverbed to top of cone $H = 2.60$ m
 Depth of imaginary riverbed from riverbed $L_k = 1.91$ m

Moment M_0 by arbitrary load is as below
 $M_0 = P \cdot (H + L_k - H_h) + M_h = 41.96$ kNm

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{dw} (kNm ²)	Load P_{dw} (kN)	Arm length Y (m)	Moment M_{dw} (kNm)
1	2.10~2.60	0.50	0.0 0.9	0.00 0.21	2.24 2.07	0.00 0.44
			$\Sigma P_{dw} = 0.21$	$\Sigma M_{dw} = 0.44$		

h_0 , Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_{dw}}{\Sigma P + P_0 + \Sigma P_{dw}} = \frac{385.51}{171.36} = 2.25 \text{ m}$$

R_No.21_pp.22

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000$ m
 Corrosion margin $t_c = 1.00$ mm (active side) $t_r = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.84$
 Section efficiency $\mu = 1.00$
 Young's modulus $E = 200000$ Nmm²
 Inertia sectional moment $I_0 = 114000$ cm⁴ (original condition)
 $I = 95760$ cm⁴ (after reduction by corrosion and section)
 $EI = 200000 \times 10^3 \times 95760 \times 10^8 = 1.915 \times 10^8$

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4EI}}$$

$$\phi_n = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_n$$

$$l_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_b = 16683$ kNm³
 $\beta = 0.38415$ m⁻¹
 resultant earth force (lateral) $P_0 = 126.46$ kNm
 height of acting position of load moment $h_0 = 1.88$ m
 $M_0 = 237.48$ kNm-m

in consideration of $\psi_{in} = 1.240$, maximum moment $M_{max} = 294.59$ kNm/m
 depth of generated position of M_{max} $l_n = 1.011$ m
 depth of fixed point $l_i = 3.056$ m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_b = 17697$ kNm³
 $\beta = 0.38986$ m⁻¹
 resultant earth force (lateral) $P_0 = 171.36$ kNm
 height of acting position of load moment $h_0 = 2.25$ m
 $M_0 = 385.51$ kNm-m

in consideration of $\psi_{in} = 1.179$, maximum moment $M_{max} = 454.56$ kNm/m
 depth of generated position of M_{max} $l_n = 0.893$ m
 depth of fixed point $l_i = 2.908$ m

R_No.21_pp.23

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin $t_c = 1.00$ mm (active side) $t_r = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.87$
 Section efficiency $\mu = 1.00$
 Modulus of section $Z_0 = 3250$ cm³ (original condition)
 $Z = 2828$ cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{294.59 \times 10^6}{2828 \times 10^3} = 104 \text{ N/mm}^2 \leq \sigma_s = 185 \text{ N/mm}^2 \text{ (ok)}$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{454.56 \times 10^6}{2828 \times 10^3} = 161 \text{ N/mm}^2 \leq \sigma_s = 278 \text{ N/mm}^2 \text{ (ok)}$$

6-4 Displacement

6-4-1 Normal Condition

Modulus of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.39 2.69	0.829 0.638	0.249 0.169	8.04 36.34
2	2.10~2.43	1.88 1.77	0.460 0.433	0.090 0.080	9.04 10.01
3	2.43~2.60	1.61 1.55	0.393 0.379	0.067 0.063	5.16 5.41
4	2.60~3.43	1.22 0.94	0.298 0.230	0.040 0.024	21.44 21.44
5	3.43~4.09	0.44 0.22	0.108 0.054	0.006 0.003	7.08 0.00
$\Sigma Q = 11.861$					

Y : Height from imaginary riverbed to acting position

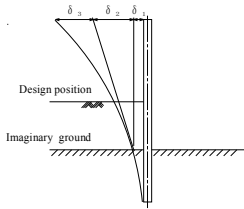
$$\alpha = \frac{Y}{H+L_i}$$

$$\zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_i : Depth from design position to imaginary ground

R_No.21_pp.24

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1 + 0.3842 \times 1.88) \times 126.46}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.3842^3} = 0.01003 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_0) = \frac{(1 + 2 \times 0.3842 \times 1.88) \times 126.46}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.3842^2} \times (2.60 + 1.49) = 0.02238 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_0)^3}{E I} = \frac{11.86 \times (2.60 + 1.49)^3}{2.00 \times 10^8 \times 95760 \times 10^{-8}} = 0.00425 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00035 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.09 m
 Horizontal load: P = 2.50
 Moment: M = 1.08

$$\delta = \delta_1 + \delta_2 + \delta_3 + \delta_3' = 0.01003 + 0.02238 + 0.00460 + 0.00035 = 0.03736 \text{ m} = 37.36 \text{ mm} \approx \delta_a = 50.00 \text{ mm (ok)}$$

- Where
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ_3' : Displacement at top of SSP
 δ_a : Allowable displacement

R_No.21_pp.25

6-4-2 Seismic Condition

Modulus of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.81 3.11	0.845 0.689	0.256 0.183	9.19 40.67	2.356 7.445
2	2.10~2.43	2.30 2.19	0.510 0.485	0.108 0.099	11.89 12.82	1.283 1.266
3	2.43~2.60	2.02 1.96	0.448 0.436	0.086 0.081	6.60 6.85	0.565 0.556
4	2.60~3.43	1.63 1.35	0.362 0.301	0.058 0.041	28.47 31.60	1.639 1.284
5	3.43~4.43	0.74 0.41	0.165 0.091	0.013 0.004	13.22 0.96	0.170 0.004
6	4.43~4.51	0.05 0.03	0.012 0.006	0.000 0.000	0.07 0.00	0.000 0.000
$\Sigma Q = 16.568$						

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H + L_0}$$

$$\zeta : \zeta = \frac{(3 - \alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

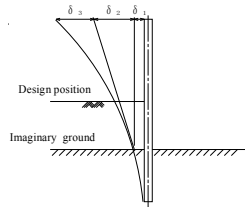
L_0 : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_{sw} (kN)	Q_{sw} (kN)
1	2.10~2.60	2.24 2.07	0.497 0.460	0.103 0.090	0.00 0.21	0.000 0.019
$\Sigma Q_{sw} = 0.019$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 16.568 + 0.019 = 16.587$

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1 + 0.3899 \times 2.25) \times 171.36}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.3899^3} = 0.01417 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_0) = \frac{(1 + 2 \times 0.3899 \times 2.25) \times 171.36}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.3899^2} \times (2.60 + 1.91) = 0.03655 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_0)^3}{E I} = \frac{16.59 \times (2.60 + 1.91)^3}{2.00 \times 10^8 \times 95760 \times 10^{-8}} = 0.00793 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00152 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.51 m
 Horizontal load: P = 8.80
 Moment: M = 2.29

Displacement δ_a of cantilever beam by moment M_0 is additionally considered

$$\delta = \delta_1 + \delta_2 + \delta_3 + \delta_3' = 0.01417 + 0.03655 + 0.00946 + 0.00152 = 0.06170 \text{ m} = 61.70 \text{ mm} \approx \delta_a = 75.00 \text{ mm (ok)}$$

- Where
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ_3' : Displacement at top of SSP
 δ_a : Allowable displacement

R_No.21_pp.27

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 114000 \text{ cm}^4$ (original condition)
	$I = 114000 \text{ cm}^4$ (after reduction by corrosion and section)
$EI = 200000 \times 10^3 \times 114000 \times 10^8$	$= 2.280 \times 10^8$

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_0 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = 4 \sqrt{\frac{K_s \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction
 Calculated value $K_s = 16683 \text{ kN/m}^3$
 $\beta = 0.36777 \text{ m}^{-1}$

Penetration length of SSP $D = 1.49 + \frac{3}{0.368} = 9.65 \text{ m}$
 Whole length of SSP $L = 2.60 - 0.40 + 9.65 = 11.85 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction
 Calculated value $K_s = 17697 \text{ kN/m}^3$
 $\beta = 0.37323 \text{ m}^{-1}$

Penetration length of SSP $D = 1.91 + \frac{3}{0.373} = 9.95 \text{ m}$
 Whole length of SSP $L = 2.60 - 0.40 + 9.95 = 12.15 \text{ m}$

Therefore, whole length of SSP is set as 12.50 m in consideration of round unit of SSP length

R_No.21_pp.28

8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	114000		
Section modulus	Z (cm ³)	3250		
Maximum bending moment	M_{max} (kNm/m)		294.59	454.56
Stress intensity	σ (N/mm ²)		104 (185)	161 (278)
Lateral displacement	δ (mm)		37.00 (50.0)	60.18 (75.0)
Penetration depth	D (m)	12.50	9.65	9.95
Whole length of SSP	L (m)			

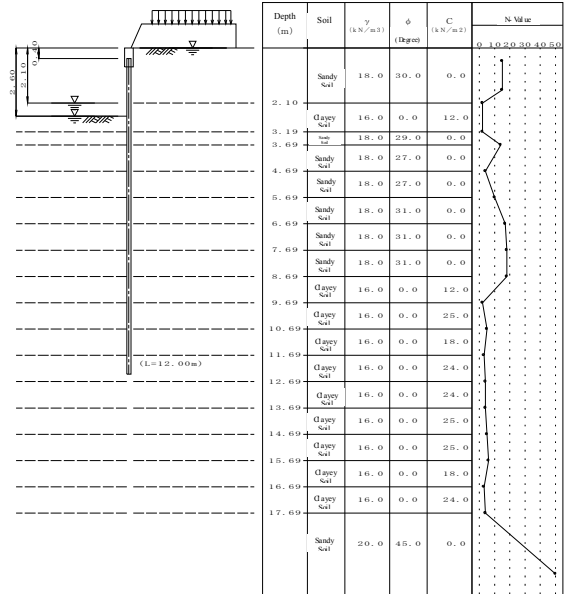
R_No.21_pp.29

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 22_STA 9+750 - 9+770



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Reverse WL L_{rs} = 0.00 m (Normal Condition)
 Landside WL L_{rs'} = 0.00 m (Seismic Condition)
 L_{wp} = 2.60 m (Normal Condition)
 L_{wp'} = 2.10 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.22_pp.1

R_No.22_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^{-3}$

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load

Pt = 2.5 kNm (Normal Condition)

Pt' = 8.8 kNm (Seismic Condition)

Depth of acting point

H = -0.43 m (Normal Condition)

H' = -0.26 m (Seismic Condition)

Moment

Mm = 0.0 kNm/m (Normal Condition)

Mm' = 0.0 kNm/m (Seismic Condition)

Depth of acting point

Hm' = 0.00 m (Seismic Condition)

Hm = 0.00 m (Normal Condition)

(*Depth means distance from top of coping)

Wind load Impact load not considered

Minimum angle of rupture $\zeta_0 = 10 \text{ degrees}$

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.405}$

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	9.69	2
2	1.60	15	12	10.69	5
3	2.10	2	13	11.69	3
4	3.19	2	14	12.69	4
5	3.69	14	15	13.69	4
6	4.69	4	16	14.69	5
7	5.69	10	17	15.69	6
8	6.69	17	18	16.69	3
9	7.69	18	19	17.69	4
10	8.69	18	20	20.00	50

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

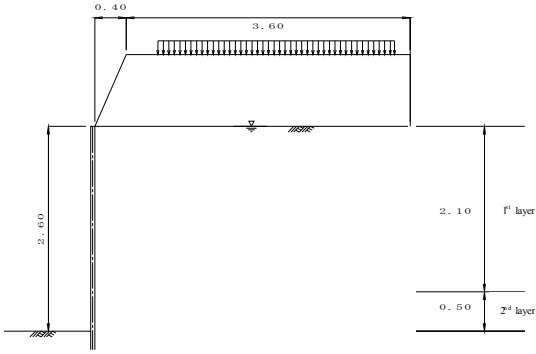
No	Depth (m)	Soil	N value	γ (kNm ⁻³)	γ' (kNm ⁻³)	ϕ	C (kNm ⁻²)	a	k'	ζ (degree)		kh (kNm ⁻¹)	
										normal	seismic		
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	3.19	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
3	3.69	S	14.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	—	—
4	4.69	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
5	5.69	S	10.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
6	6.69	S	17.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	—	—
7	7.69	S	18.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	—	—
8	8.69	S	18.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	—	—
9	9.69	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
10	10.69	C	5.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
11	11.69	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	—	—
12	12.69	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
13	13.69	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
14	14.69	C	5.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
15	15.69	C	6.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
16	16.69	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	—	—
17	17.69	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
18	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Em bankment on Landside



Em bankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.40	4.00	4.00	0.91	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	0.80	3.80	10.0	5.0

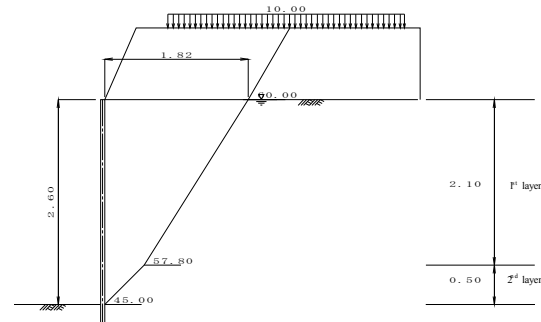
Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

- Young's modulus $E = 200000 \text{ Nmm}^2$
- Inertia sectional moment $I_0 = 86000 \text{ cm}^4$
- Sectional factor $Z_0 = 3820 \text{ cm}^3$
- Corrosion margin $t_1 = 1.00 \text{ mm (ri verside)}$ $t_2 = 1.00 \text{ mm (landside)}$
- Corrosion rate (to I_0) $\eta_1 = 0.92$
- Corrosion rate (to Z_0) $\eta_2 = 0.92$
- Section efficiency (to I_0) $\mu = 0.80$
- Section efficiency (to Z_0) $\mu = 1.00$
- Round unit of SSP length 0.50 m
- Allowable stress $\sigma_c = 180 \text{ Nmm}^2 \text{ (Normal)}$
 $\sigma_c' = 270 \text{ Nmm}^2 \text{ (Seismic)}$
- Allowable displacement $\delta_s = 50.0 \text{ mm (Normal)}$
 $\delta_s' = 75.0 \text{ mm (Seismic)}$
- Bending of cantilever beam Calculated as distributed load of each layer
- Reduction of material modulus Reduced I_0 applied to calculation of lateral coefficient of subgrade reaction
Not Reduced I_0 applied to calculation of penetration depth
Reduced I_0 applied to calculation of section forces and displacement
Reduced Z_0 applied to calculation of stresses

2 Calculation of Acting Load

2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma \times h$ (kN/m ²)	Angle of rupture Z (degree)
1	2.60- 2.10	Clayey Soil	0.0	10.0	12.0	25.00	25.44	25.48	45.00
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	25.44	20.58	57.80
3		Embankment	30.0	—	0.0	16.38	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.50	0.00	0.00	0.50	0.50
2	57.80	2.10	0.50	0.50	1.82	2.60
3	60.00	0.91	1.82	2.60	2.35	3.51

Therefore, width of acting load shall be set as 1.82 m

2-1-3 Acting Load by Em bankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	1.72	30.88
Σ			30.88

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.55	15.48
Σ			15.48

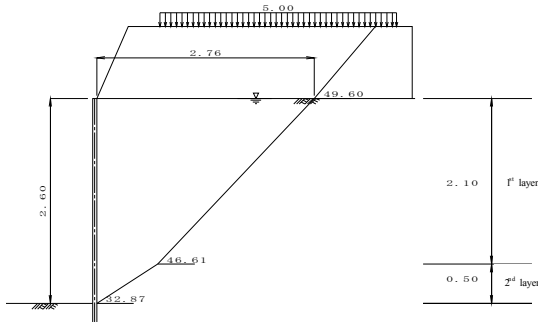
Q : surcharge load
l : width of surcharge load set by line of active rupture

2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{30.88 + 15.48 + 0.00}{1.82}$$

$$= 25.44 \text{ kN/m}^2$$



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wh} (kN/m ³)	k (k ²)	θ (degree)	Angle of rupture Z (degree)
1	2.60- 2.10	Clayey Soil	0.0	10.0	12.0	25.00	22.44	25.48	0.200	11.31	32.87
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	22.44	20.58	0.200	11.31	46.61
3		Embankment	30.0		0.0	16.38	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.0^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake coefficient angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesion force of soil (kNm⁻²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	32.87	0.50	0.00	0.00	0.77	0.50
2	46.61	2.10	0.77	0.50	2.76	2.60
3	49.60	0.91	2.76	2.60	3.53	3.51

Therefore, width of acting load shall be set as 2.76 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.68	48.26
Σ			48.26

γ : unit weight of embankment soil

A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	2.73	13.67
Σ			13.67

Q: surcharge load

l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

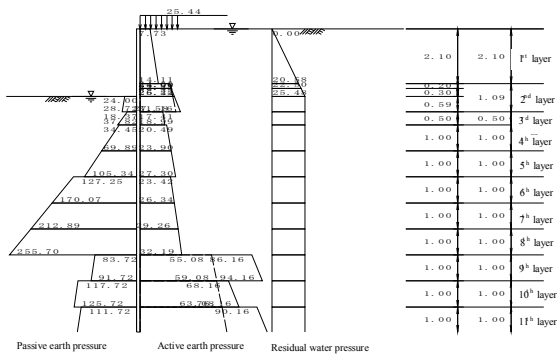
$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{48.26 + 13.67 + 0.00}{2.76}$$

$$= 22.44 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q$ (kN/m ²)	K_a	$K_a \times \cos \delta$
14	11.69- 12.69	Clayey soil	8.0	24.0	134.157	142.157	
15	12.69- 13.69	Clayey soil	8.0	24.0	142.157	180.157	
16	13.69- 14.69	Clayey soil	8.0	25.0	150.157	188.157	
17	14.69- 15.69	Clayey soil	8.0	25.0	158.157	166.157	
18	15.69- 16.69	Clayey soil	8.0	18.0	166.157	174.157	
19	16.69- 17.69	Clayey soil	8.0	24.0	174.157	182.157	
20	17.69- 20.00	Clayey soil	10.0	45.0	182.157	0.16262	0.16015

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \theta - \beta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q$ (kN/m ²)	K_a	$K_a \times \cos \delta$
1	0.00- 2.10	Sandy soil	10.0	30.0	25.437	0.30847	0.30378
2	2.10- 2.30	Clayey soil	8.0	12.0	46.437	48.000	
3	2.30- 2.60	Clayey soil	8.0	12.0	48.000	50.437	
4	2.60- 3.19	Clayey soil	8.0	12.0	50.437	55.157	
5	3.19- 3.69	Sandy soil	10.0	29.0	55.157	0.32058	0.31571
6	3.69- 4.69	Sandy soil	10.0	27.0	60.157	0.34585	0.34060
7	4.69- 5.69	Sandy soil	10.0	27.0	70.157	0.34585	0.34060
8	5.69- 6.69	Sandy soil	10.0	31.0	80.157	0.29669	0.29219
9	6.69- 7.69	Sandy soil	10.0	31.0	90.157	0.29669	0.29219
10	7.69- 8.69	Sandy soil	10.0	31.0	100.157	0.29669	0.29219
11	8.69- 9.69	Clayey soil	8.0	12.0	110.157		
12	9.69- 10.69	Clayey soil	8.0	25.0	118.157		
13	10.69- 11.69	Clayey soil	8.0	18.0	126.157		

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q$ (kN/m ²)	K_p	$K_p \times \cos \delta$
4	2.60- 3.19	Sandy soil	8.0	0.0	12.0	0.000	4.720
5	3.19- 3.69	Sandy soil	10.0	29.0	4.720	3.95096	3.89093
6	3.69- 4.69	Sandy soil	10.0	27.0	9.720	3.9892	3.54425
7	4.69- 5.69	Clayey soil	10.0	27.0	19.720	3.9892	3.54425
8	5.69- 6.69	Clayey soil	10.0	31.0	29.720	4.34774	4.28169
9	6.69- 7.69	Sandy soil	10.0	31.0	39.720	4.34774	4.28169
10	7.69- 8.69	Sandy soil	10.0	31.0	49.720	4.34774	4.28169
11	8.69- 9.69	Clayey soil	8.0	0.0	59.720		
12	9.69- 10.69	Clayey soil	8.0	0.0	67.720		
13	10.69- 11.69	Clayey soil	8.0	0.0	75.720		
14	11.69- 12.69	Clayey soil	8.0	0.0	83.720		
15	12.69- 13.69	Clayey soil	8.0	0.0	91.720		
16	13.69- 14.69	Clayey soil	8.0	0.0	99.720		

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma\gamma h + Q_p$ (kNm ⁻²)	γ_{whw} (kNm ⁻²)	k (k)	θ (degree)	Kp	Kp $\times \cos\delta$
16 14.69-15.69	Clayey soil	8.00	0.0	25.0 25.0	107.720 115.720	118.48 128.28	0.200 0.200	11.31 11.31	—	—
17 15.69-16.69	Clayey soil	8.00	0.0	18.0 18.0	115.720 123.720	128.28 138.08	0.200 0.200	11.31 11.31	—	—
18 16.69-17.69	Clayey soil	8.00	0.0	24.0 24.0	123.720 131.720	138.08 147.88	0.200 0.200	11.31 11.31	—	—
19 17.69-20.00	Sandy soil	10.00	45.0	—	131.720 154.820	147.88 170.52	0.200 0.200	11.31 11.31	8.33000 8.33000	8.20345 8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = -10.00$ $\beta = 0.00$ $\theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure (Pw)	Passive side (Pp)
		Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)		
1	0.00-2.10	10.04 19.44	—	10.04 19.44	0.00 20.58	—
2	2.10-2.60	30.46 35.80	21.72 23.72	30.46 35.80	20.58 20.58	—
3	2.60-3.19	35.80 42.24	23.72 26.08	35.80 42.24	20.58 20.58	24.00 28.72
4	3.19-3.69	24.17 26.49	—	24.17 26.49	20.58 20.58	15.44 31.79
5	3.69-4.69	28.41 33.38	—	28.41 33.38	20.58 20.58	28.67 58.16
6	4.69-5.69	33.38 38.35	—	33.38 38.35	20.58 20.58	58.16 87.66
7	5.69-6.69	33.34 37.67	—	33.34 37.67	20.58 20.58	107.96 144.29
8	6.69-7.69	37.67 41.99	—	37.67 41.99	20.58 20.58	144.29 180.62
9	7.69-8.69	41.99 46.31	—	41.99 46.31	20.58 20.58	180.62 216.95
10	8.69-9.69	158.55 175.62	53.58 57.58	158.55 175.62	20.58 20.58	83.72 91.72
11	9.69-10.69	95.47 106.44	57.58 61.58	95.47 106.44	20.58 20.58	117.72 125.72
12	10.69-11.69	130.47 145.77	61.58 65.58	130.47 145.77	20.58 20.58	111.72 119.72
13	11.69-12.69	120.49 132.16	65.58 69.58	120.49 132.16	20.58 20.58	131.72 139.72
14	12.69-13.69	132.16 144.20	69.58 73.58	132.16 144.20	20.58 20.58	139.72 147.72
15	13.69-14.69	140.81 152.92	73.58 77.58	140.81 152.92	20.58 20.58	149.72 157.72

R_No. 22_pp.17

No	Depth (m)	Active side			Residual water pressure (Pw)	Passive side (Pp)
		Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)		
16	14.69-15.69	152.92 165.52	77.58 81.58	152.92 165.52	20.58 20.58	157.72 165.72
17	15.69-16.69	242.98 260.05	81.58 85.58	242.98 260.05	20.58 20.58	151.72 159.72
18	16.69-17.69	183.89 199.15	85.58 89.58	183.89 199.15	20.58 20.58	171.72 179.72
19	17.69-20.00	46.36 52.33	—	46.36 52.33	20.58 20.58	1080.56 1270.06

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

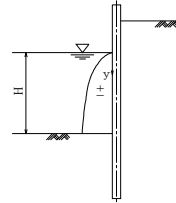
3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	W.L. y (m)	Pw (kNm ⁻²)
1	2.10	0.00	0.00
2	2.60	0.50	0.86

$$P_{dw} = \pm \frac{7}{8} k_{dw} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

Where

- k_{dw} : design seismic coefficient
- γ_w : unit weight of water
- H: water depth of riverside
- y: depth from water surface to the point where active water pressure is calculated

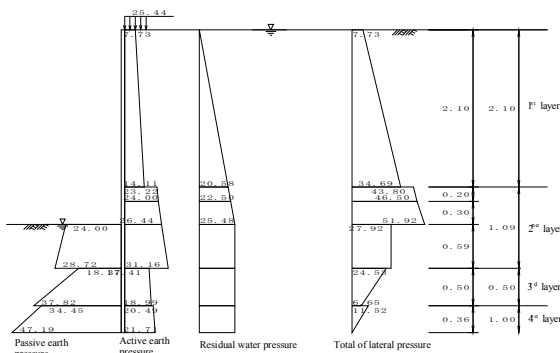


R_No. 22_pp.18

4 Imaginary Riverbed

Imaginary ground level I_1 is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

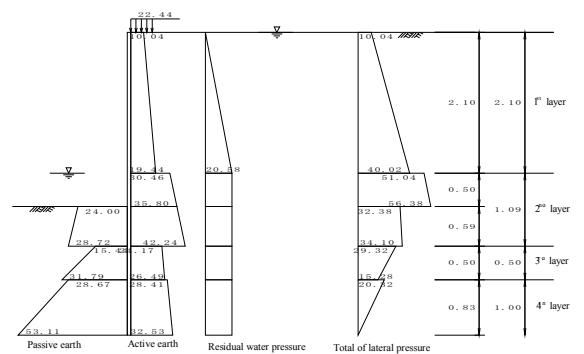


Depth (m)	Pa (kNm ⁻²)	Pw (kNm ⁻²)	Pp (kNm ⁻²)	Pt (kNm ⁻²)
1	7.73	0.00	—	7.73
2	23.22	20.58	—	43.80
3	24.00	22.50	—	46.50
4	24.00	22.50	—	46.50
5	26.44	25.48	24.00	27.92
6	26.44	25.48	28.72	27.92
7	17.41	25.48	18.37	24.53
8	18.99	25.48	37.82	6.65
9	20.49	25.48	34.45	11.52
10	21.71	25.48	47.19	0.00
11	21.71	25.48	47.19	0.00
12	23.90	25.48	69.89	-20.52

- P_a : Active earth pressure
- P_w : Residual water pressure
- P_p : Passive earth pressure
- P_t : Lateral pressure $P_t = P_a + P_w - P_p$

Tentative imaginary riverbed I_1 : 1.45 m (G.L. -4.05 m)

4-2 Seismic Condition



Depth (m)	Pa (kNm ⁻²)	Pw (kNm ⁻²)	Pp (kNm ⁻²)	Pt (kNm ⁻²)
1	10.04	0.00	—	10.04
2	19.44	20.58	—	40.02
3	30.46	20.58	—	51.04
4	35.80	20.58	24.00	56.38
5	42.24	20.58	28.72	34.10
6	24.17	20.58	15.44	29.32
7	26.49	20.58	31.79	15.28
8	28.41	20.58	53.11	20.32
9	4.52	20.58	31.79	0.00
10	32.53	20.58	53.11	0.00
11	33.38	20.58	58.16	-4.21

- P_a : Active earth pressure
- P_w : Residual water pressure
- P_p : Passive earth pressure
- P_t : Lateral pressure $P_t = P_a + P_w - P_p$

Tentative imaginary riverbed I_1 : 1.92 m (G.L. -4.52 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below

$$K_s = 6910 \times N^{0.806}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4EI}}$$

- Unit width B = 1.0000 m
- Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
- Corrosion rate $\eta = 0.92$
- Section efficiency $\mu = 0.80$
- Young's modulus E = 200000 Nmm²
- Inertia sectional moment $I_0 = 86000$ cm⁴ (original condition)
- Inertia sectional moment I = 63296 cm⁴ (after reduction by corrosion on section)
- Inertia sectional moment EI = 200000 x 10⁷ x 63296 x 10⁸ = 1.266x10¹⁷

Depth (m)	N-value	Depth (m)	N-value
1	0.50	11	9.69
2	1.60	12	10.69
3	2.10	13	11.69
4	3.19	14	12.69
5	3.69	15	13.69
6	4.69	16	14.69
7	5.69	17	15.69
8	6.69	18	16.69
9	7.69	19	17.69
10	8.69	20	20.00

5-2 Normal Condition

$K_s = 16637$ kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4EI}} = 0.426 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.35 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -4.05 m) to 2.35 m depth (GL -6.40 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)	
		upper	lower		
1	4.05	0.64	10.4	4.0	4.61
2	4.69	1.00	4.0	10.0	7.00
3	5.69	0.71	10.0	15.0	8.84

L = 2h = 2.35 ΣA = 20.45

$$A = (\text{upper N-value} + \text{lower N-value}) \times h/2$$

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{20.45}{2.35} = 8.71$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following

$$K_s = 6910 \times N'^{0.806} = 6910 \times 8.71^{0.806} = 16637 \text{ kN/m}^3$$

$$K_h \text{ (normal condition)} = 16637 \text{ kNm}^3$$

5-3 Seismic Condition

$K_s = 17782$ kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4EI}} = 0.433 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.31 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -4.52 m) to 2.31 m depth (GL -6.83 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)	
		upper	lower		
1	4.52	0.17	5.7	4.0	0.83
2	4.69	1.00	4.0	10.0	7.00
3	5.69	1.00	10.0	17.0	13.50
4	6.69	0.14	17.0	17.1	2.36

L = 2h = 2.31 ΣA = 23.70

$$A = (\text{upper N-value} + \text{lower N-value}) \times h/2$$

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{23.70}{2.31} = 10.26$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following

$$K_s = 6910 \times N'^{0.806} = 6910 \times 10.26^{0.806} = 17782 \text{ kN/m}^3$$

$$K_h \text{ (seismic condition)} = 17782 \text{ kNm}^3$$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Height h_0

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	7.73	8.11	3.35	27.18
		34.69	36.42	2.65	96.50
2	2.10-2.30	43.80	4.28	1.88	8.06
		46.50	4.54	1.82	8.27
3	2.30-2.60	46.50	7.08	1.65	11.70
		51.92	7.91	1.55	12.26
4	2.60-3.19	27.92	8.24	1.25	10.32
		27.92	8.24	1.06	8.70
5	3.19-3.69	24.53	6.13	0.69	4.25
		6.65	1.66	0.53	0.88
6	3.69-4.05	11.52	2.07	0.24	0.50
		0.00	0.00	0.12	0.00

ΣP = 94.68 ΣM = 188.61

P_s : active earth pressure + residual water pressure - passive earth pressure

P: load $P_s \times h/2 \times B$

B: unit width = 1.000 m

Y: height of acting position from imaginary riverbed

M: moment by load $P \times Y$

- Arbitrary load lateral load P = 2.5 kNm
- depth to acting position H = -0.43 m
- moment $M_0 = 0.0$ kNm/m
- depth to acting position $H_0 = 0.00$ m
- Height from riverbed to top of coping H = 2.60 m
- Depth of imaginary riverbed from riverbed $L_k = 1.45$ m

Moment M_0 by arbitrary load is as below

$$M_0 = P \cdot (H + L_k - H) + M_0 = 11.20 \text{ kNm}$$

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{199.81}{97.18} = 2.06 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P_s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	10.04	10.55	3.82	40.27
		40.02	42.02	3.12	131.05
2	2.10-2.60	51.04	12.76	2.25	28.73
		56.38	14.10	2.09	29.39
3	2.60-3.19	32.38	9.55	1.72	16.45
		34.10	10.06	1.53	15.34
4	3.19-3.69	29.32	7.33	1.16	8.51
		15.28	3.82	1.00	3.80

Depth Z (m)	Thickness h (m)	Lateral load P_s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
5	3.69-4.52	0.83	20.32	8.42	4.65
			0.00	0.00	0.00

ΣP = 118.60 ΣM = 278.20

P_s : active earth pressure + residual water pressure - passive earth pressure

P: load $P_s \times h/2 \times B$

B: unit width = 1.000 m

Y: height of acting position from imaginary riverbed

M: moment by load $P \times Y$

- Arbitrary load lateral load P = 8.8 kNm
- depth to acting position H = -0.26 m
- moment $M_0 = 0.0$ kNm/m
- depth to acting position $H_0 = 0.00$ m
- Height from riverbed to top of coping H = 2.60 m
- Depth of imaginary riverbed from riverbed $L_k = 1.92$ m

Moment M_0 by arbitrary load is as below

$$M_0 = P \cdot (H + L_k - H) + M_0 = 42.05 \text{ kNm}$$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_w (kNm ²)	Load P_w (kN)	Arm length Y (m)	Moment M_{dw} (kNm)
1	2.10-2.60	0.50	0.0	0.00	2.25	0.00
			0.9	0.21	2.09	0.45

ΣP_w = 0.21 ΣM_{dw} = 0.45

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_{dw}}{\Sigma P + P_0 + \Sigma P_{dw}} = \frac{320.70}{127.62} = 2.51 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

- Unit width B = 1.0000 m
- Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
- Corrosion rate $\eta = 0.92$
- Section efficiency $\mu = 0.80$
- Young's modulus E = 200000 Nmm²
- Inertia sectional moment $I_0 = 86000$ cm⁴ (original condition)
- Inertia sectional moment I = 63296 cm⁴ (after reduction by corrosion and section)
- EI = 200000 x 10⁷ x 63296 x 10⁸ = 1.266x10¹⁷

$$\beta = \sqrt[4]{\frac{K_a \cdot B}{4EI}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$I_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$I_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{10} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_a = 16637 \text{ kNm}^3$
 resultant earth force (lateral) $\beta = 0.42575 \text{ m}^{-1}$
 height of acting position of load moment $P_0 = 97.18 \text{ kNm}$
 $h_0 = 2.06 \text{ m}$
 $M_0 = 199.81 \text{ kNm/m}$
 in consideration of $\psi_{fs} = 1.180$, maximum moment $M_{max} = 235.70 \text{ kN-m/m}$
 depth of generated position of M_{max} $l_0 = 0.819 \text{ m}$
 depth of 1st fixed point $l = 2.664 \text{ m}$

6-2-2 Seismic Condition

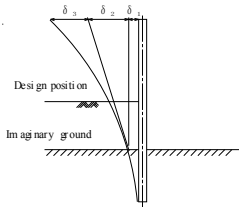
modulus of lateral subgrade reaction calculated value $K_a = 17782 \text{ kNm}^3$
 resultant earth force (lateral) $\beta = 0.43289 \text{ m}^{-1}$
 height of acting position of load moment $P_0 = 127.62 \text{ kNm}$
 $h_0 = 2.51 \text{ m}$
 $M_0 = 320.70 \text{ kN-m/m}$
 in consideration of $\psi_{fs} = 1.128$, maximum moment $M_{max} = 361.73 \text{ kN-m/m}$
 depth of generated position of M_{max} $l_0 = 0.705 \text{ m}$
 depth of 1st fixed point $l = 2.519 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as followings:

Corrosion margin $t_1 = 1.00 \text{ mm}$ (active side) $t_2 = 1.00 \text{ mm}$ (passive side)
 Corrosion rate $n = 0.92$
 Section efficiency $u = 1.00$
 Module of section $Z_0 = 3820 \text{ cm}^3$ (original condition)
 $Z = 3514 \text{ cm}^3$ (after reduction by corrosion and section)

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2EI\beta^3}$$

$$= \frac{(1+0.4258 \times 2.06) \times 97.18}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4258^3} = 0.00933 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2EI\beta^2} \times (H+L_1)$$

$$= \frac{(1+2 \times 0.4258 \times 2.06) \times 97.18}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4258^2} \times (2.60+1.45) = 0.02359 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_1)^3}{EI}$$

$$= \frac{10.61 \times (2.60+1.45)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00557 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P \cdot L^3}{3EI} + \frac{M \cdot L^2}{2EI}$$

δ_3' is calculated as 0.00051 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: $L = 4.05 \text{ m}$
 Horizontal load: $P = 2.50$
 Moment: $M = 1.08$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00933 + 0.02359 + 0.00607$$

$$= 0.03899 \text{ m}$$

$$= 38.99 \text{ mm} \leq \delta_a = 50.00 \text{ mm}$$

Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{235.70 \times 10^6}{3514 \times 10^3} = 67 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{361.73 \times 10^6}{3514 \times 10^3} = 103 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)	
1	0.00-2.10	3.35 2.65	0.827 0.654	0.248 0.167	8.11 36.42	2.010 6.095
2	2.10-2.30	1.88 1.82	0.465 0.449	0.091 0.086	4.28 4.54	0.391 0.390
3	2.30-2.60	1.65 1.55	0.408 0.383	0.072 0.064	7.08 7.91	0.509 0.506
4	2.60-3.19	1.25 1.06	0.309 0.261	0.043 0.031	8.24 8.24	0.354 0.256
5	3.19-3.69	0.69 0.53	0.171 0.130	0.014 0.008	6.13 1.66	0.085 0.013
6	3.69-4.05	0.24 0.12	0.059 0.030	0.002 0.000	2.07 0.00	0.004 0.000
$\Sigma Q = 10.613$						

Y: Height from imaginary riverbed to acting position
 $\alpha: \alpha = \frac{Y}{H+L_1}$
 $\zeta: \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q: $\zeta \times P$
 P: Lateral force
 H: Depth to design position
 L₁: Depth from design position to imaginary ground

6-4-2 Seismic Condition

Modules of deformation

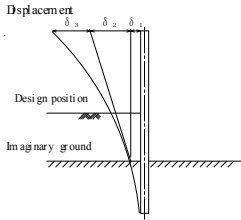
Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)	
1	0.00-2.10	3.82 3.12	0.845 0.690	0.256 0.183	10.55 42.02	2.705 7.706
2	2.10-2.60	2.25 2.09	0.498 0.461	0.104 0.090	12.76 14.10	1.321 1.270
3	2.60-3.19	1.72 1.53	0.381 0.338	0.063 0.051	9.55 10.06	0.606 0.509
4	3.19-3.69	1.16 1.00	0.257 0.220	0.030 0.022	7.33 3.82	0.222 0.086
5	3.69-4.52	0.55 0.28	0.122 0.061	0.007 0.002	8.42 0.00	0.060 0.000
$\Sigma Q = 14.484$						

Y: Height from imaginary riverbed to acting position
 $\alpha: \alpha = \frac{Y}{H+L_1}$
 $\zeta: \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q: $\zeta \times P$
 P: Lateral force
 H: Depth to design position
 L₁: Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1	2.10-2.60	2.25 2.09	0.498 0.461	0.104 0.090	0.00 0.21	0.000 0.019
$\Sigma Q_w = 0.019$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 14.484 + 0.019 = 14.503$



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4329 \times 2.51) \times 127.62}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4329^3} = 0.01297 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L)$$

$$= \frac{(1 + 2 \times 0.4329 \times 2.51) \times 127.62}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4329^2} \times (2.60 + 1.92) = 0.03860 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L)^3}{E I}$$

$$= \frac{14.50 \times (2.60 + 1.92)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.01057 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00232 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.52 m
 Horizontal load: P = 8.80
 Moment: M = 2.29

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01297 + 0.03860 + 0.01289$$

$$= 0.06446 \text{ m}$$

$$= 64.46 \text{ mm} \leq \delta_a = 75.00 \text{ mm}$$

- Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

R_No.22_pp.29

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$u = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 86000 \text{ cm}^4$ (original condition)
	I = 86000 cm ⁴ (after reduction by corrosion and section)
	$EI = 200000 \times 10^3 \times 86000 \times 10^8 = 1.720 \times 10^9$

7.1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_0 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4 E I}}$$

7.1-1 Normal Condition

Modulus of lateral subgrade reaction	$K_b = 16637 \text{ kN/m}^3$
Calculated value	$\beta = 0.39434 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.45 + \frac{3}{0.394} = 9.06 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.06 = 11.26 \text{ m}$

7.1-2 Seismic Condition

Modulus of lateral subgrade reaction	$K_b = 17782 \text{ kN/m}^3$
Calculated value	$\beta = 0.40096 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.92 + \frac{3}{0.401} = 9.40 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.40 = 11.60 \text{ m}$

Therefore, whole length of SSP is set as 12.00 m in consideration of round unit of SSP length.

R_No.22_pp.30

8 Calculation Result

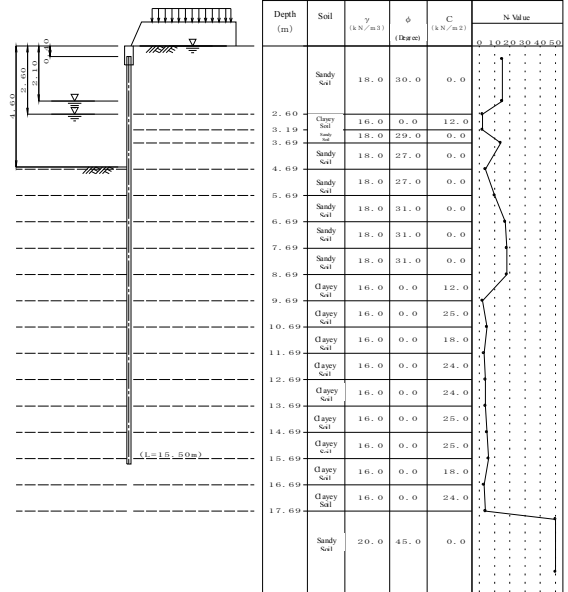
			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	86000		
Section modulus	Z (cm ³)	3820		
Maximum bending moment	M_{max} (kNm/m)		235.70	361.73
Stress intensity	σ (N/mm ²)		67 (180)	103 (270)
Lateral displacement	δ (mm)		38.99 (50.0)	64.46 (75.0)
Penetration depth	D (m)		9.06	9.40
Whole length of SSP	L (m)	12.00		

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 23_STA 9+770 - 9+830



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 4.60 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Riverside WL L_{rs} = 0.00 m (Normal Condition)
 Landside WL L_{lp} = 2.60 m (Normal Condition)
 L_{rs'} = 0.00 m (Seismic Condition)
 L_{lp'} = 2.10 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.23_pp.1

R_No.23_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load $P_t = 2.5 \text{ kNm}$ (Normal Condition)
 $P_t' = 8.8 \text{ kNm}$ (Seismic Condition)
 Depth of acting point $H = -0.43 \text{ m}$ (Normal Condition)
 $H' = -0.26 \text{ m}$ (Seismic Condition)
 Moment $M_m = 0.0 \text{ kNm/m}$ (Normal Condition)
 $M_m' = 0.0 \text{ kNm/m}$ (Seismic Condition)
 Depth of acting point $H_m = 0.00 \text{ m}$ (Seismic Condition)
 $H_m' = 0.00 \text{ m}$ (Normal Condition)
 (* Depth' means distance from top of coping)

Wind load Impact load not considered

Minimum angle of rupture $\phi_p = 10 \text{ degrees}$

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h^2 Q}{2C}} \cdot \tan \theta$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_h = 6910 \times N^{0.406}$

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	9.69	2	21	20.00	50
2	1.60	15	12	10.69	5			
3	2.10	2	13	11.69	3			
4	3.19	2	14	12.69	4			
5	3.69	4	15	13.69	4			
6	4.69	4	16	14.69	5			
7	5.69	10	17	15.69	6			
8	6.69	17	18	16.69	3			
9	7.69	18	19	17.69	4			
10	8.69	18	20	18.00	50			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

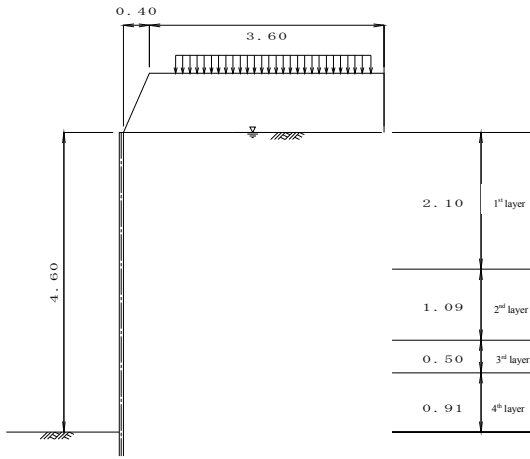
No	Depth (m)	Soil	N-value	γ (kNm ³)	γ' (kNm ³)	φ	C (kNm ²)	a	k'	ζ (degree)		kh (kNm ⁻¹)
										normal	seismic	
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----
2	3.19	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	-----
3	3.69	S	14.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	-----
4	4.69	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----
5	5.69	S	10.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----
6	6.69	S	17.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	-----
7	7.69	S	18.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	-----
8	8.69	S	18.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	-----
9	9.69	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	-----
10	10.69	C	5.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	-----
11	11.69	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	-----
12	12.69	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	-----
13	13.69	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	-----
14	14.69	C	5.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	-----
15	15.69	C	6.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	-----
16	16.69	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	-----
17	17.69	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	-----
18	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	-----

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C_s : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Em bankment on Landside



Em bankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle φ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.40	4.00	4.00	0.91	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	0.80	3.80	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

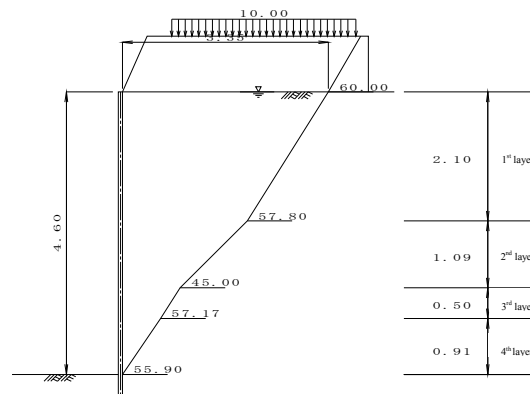
Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I ₀ = 295000 cm ⁴
Sectional factor	Z ₀ = 6640 cm ³
Corrosion margin	t ₁ = 1.00 mm (ri verside) t ₂ = 1.00 mm (landside)
Corrosion rate (to I ₀)	η = 0.87
Corrosion rate (to Z ₀)	η = 0.89
Section efficiency (to I ₀)	μ = 1.00
Section efficiency (to Z ₀)	μ = 1.00
Round unit of SSP length	0.50 m
Allowable stress	σ _n = 185 Nmm ² (Normal) σ _s = 278 Nmm ² (Seismic)
Allowable displacement	δ _n = 50.0 mm (Normal) δ _s = 75.0 mm (Seismic)
Bending of cantilever beam	calculated as distributed load of each layer
Reduction of material modulus	Reduced I ₀ applied to calculation of lateral coefficient of subgrade reaction Not reduced I ₀ applied to calculation of penetration depth Reduced I ₀ applied to calculation of section forces and displacement Reduced Z ₀ applied to calculation of stresses

R_No.23_pp.5

R_No.23_pp.6

2 Calculation of Acting Load

2-1 Normal Condition



- θ : earthquake combination angle (degree)
θ = tan⁻¹ k or θ = tan⁻¹ k'
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	55.90	0.91	0.00	0.00	0.62	0.91
2	57.17	0.50	0.62	0.91	0.94	1.41
3	45.00	0.59	0.94	1.41	1.53	2.00
4	57.80	2.60	1.53	2.00	3.17	4.60
5	60.00	0.91	3.17	4.60	3.69	5.51

Therefore, width of acting load shall be set as 3.17 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	γ X A (kN/m)
1	18.0	2.94	52.89
Σ			52.89

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	2.89	28.91
Σ			28.91

Q : surcharge load
l : width of surcharge load set by line of active rupture

2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{52.89 + 28.91 + 0.00}{3.17}$$

$$= 25.84 \text{ kN/m}^2$$

2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m ²)	Σγh (kN/m ²)	Q (kN/m ²)	γwhw (kN/m ²)	Angle of rupture Z (degree)
1	4.60- 3.69	Sandy Soil	27.0	10.0	0.0	43.82	25.64	45.08	55.90
2	3.69- 3.19	Sandy Soil	29.0	10.0	0.0	34.72	25.64	36.16	57.17
3	3.19- 2.10	Clayey Soil	0.0	10.0	12.0	29.72	25.64	31.26	45.00
4	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	25.64	20.58	57.80
5		Embankment	30.0	—	0.0	16.38	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \theta) + \sqrt{\frac{\cos(\phi + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since θ=0°

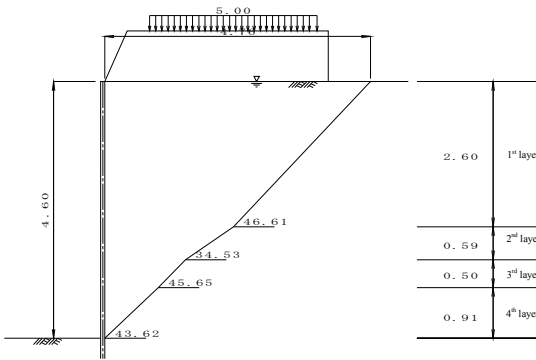
Where,

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)

R_No.23_pp.7

R_No.23_pp.8

2-2 Earthquake Condition



2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.62	0.91	0.00	0.00	0.95	0.91
2	45.65	0.50	0.95	0.91	1.44	1.41
3	35.10	1.09	1.44	1.41	2.99	2.50
4	46.61	2.10	2.99	2.50	4.98	4.60

Therefore, width of acting load shall be set as 4.76 m

2-2-3 Acting Load by Im bankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	3.46	62.24
Σ			62.24

γ : unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	3.00	15.00
Σ			15.00

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{62.24 + 15.00 + 0.00}{4.76}$$

$$= 16.23 \text{ kN/m}^2$$

2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{sur} (kN/m ²)	k (k)	θ (degree)	Angle of rupture ζ (degree)
1	4.60-3.69	Sandy Soil	27.0	10.0	0.0	43.82	15.51	45.08	0.200	11.31	43.62
2	3.69-3.19	Sandy Soil	29.0	10.0	0.0	34.72	15.51	36.16	0.200	11.31	45.65
3	3.19-2.10	Clayey Soil	0.0	10.0	12.0	29.72	15.51	31.26	0.200	11.31	35.10
4	2.10-0.00	Sandy Soil	30.0	10.0	0.0	21.00	15.51	20.58	0.200	11.31	46.61

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

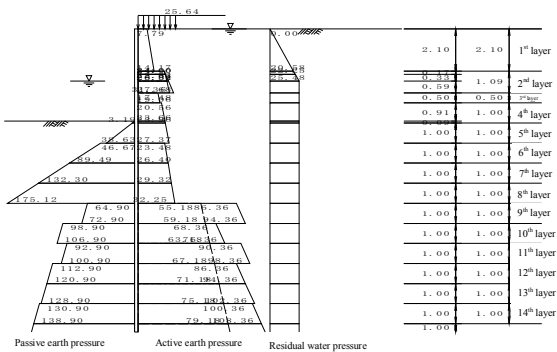
$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake coefficient angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h: thickness of layer (m)
- Q: surcharge load (kN/m²)
- C: cohesive force of soil (kN/m²)

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q$ (kN/m ²)	K_a	$K_a \times \cos \delta$
1	0.00-2.10	Sandy soil	10.0	30.0	25.639 / 46.639	0.30847 / 0.30847	0.30378 / 0.30378
2	2.10-2.27	Clayey soil	8.0	12.0 / 12.0	46.639 / 48.000	—	—
3	2.27-2.60	Clayey soil	8.0	12.0 / 12.0	48.000 / 50.639	—	—
4	2.60-3.19	Clayey soil	8.0	12.0 / 12.0	50.639 / 55.359	—	—
5	3.19-3.69	Sandy soil	10.0	29.0	55.359 / 60.359	0.32058 / 0.32058	0.31571 / 0.31571
6	3.69-4.60	Sandy soil	10.0	27.0	60.359 / 69.459	0.34585 / 0.34585	0.34060 / 0.34060
7	4.60-4.69	Sandy soil	10.0	27.0	69.459 / 70.359	0.34585 / 0.34585	0.34060 / 0.34060
8	4.69-5.69	Sandy soil	10.0	27.0	70.359 / 80.359	0.34585 / 0.34585	0.34060 / 0.34060
9	5.69-6.69	Sandy soil	10.0	31.0	80.359 / 90.359	0.29669 / 0.29669	0.29219 / 0.29219
10	6.69-7.69	Sandy soil	10.0	31.0	90.359 / 100.359	0.29669 / 0.29669	0.29219 / 0.29219
11	7.69-8.69	Sandy soil	10.0	31.0	100.359 / 110.359	0.29669 / 0.29669	0.29219 / 0.29219
12	8.69-9.69	Clayey soil	8.0	12.0 / 12.0	110.359 / 118.359	—	—
13	9.69-10.69	Clayey soil	8.0	25.0 / 25.0	118.359 / 126.359	—	—

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q$ (kN/m ²)	K_a	$K_a \times \cos \delta$
14	10.69-11.69	Clayey soil	8.0	18.0 / 18.0	126.359 / 134.359	—	—
15	11.69-12.69	Clayey soil	8.0	24.0 / 24.0	134.359 / 142.359	—	—
16	12.69-13.69	Clayey soil	8.0	24.0 / 24.0	142.359 / 150.359	—	—
17	13.69-14.69	Clayey soil	8.0	25.0 / 25.0	150.359 / 158.359	—	—
18	14.69-15.69	Clayey soil	8.0	25.0 / 25.0	158.359 / 166.359	—	—
19	15.69-16.69	Clayey soil	8.0	18.0 / 18.0	166.359 / 174.359	—	—
20	16.69-17.69	Clayey soil	8.0	24.0 / 24.0	174.359 / 182.359	—	—
21	17.69-20.00	Sandy soil	10.0	45.0	182.359 / 205.459	0.16262 / 0.16262	0.16015 / 0.16015

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q$ (kN/m ²)	K_p	$K_p \times \cos \delta$
7	4.60-4.69	Sandy soil	10.0	27.0	0.000 / 0.900	3.59892 / 3.59892	3.54425 / 3.54425
8	4.69-5.69	Sandy soil	10.0	27.0	0.900 / 10.900	3.59892 / 3.59892	3.54425 / 3.54425
9	5.69-6.69	Sandy soil	10.0	31.0	10.900 / 20.900	4.34774 / 4.34774	4.28169 / 4.28169
10	6.69-7.69	Sandy soil	10.0	31.0	20.900 / 30.900	4.34774 / 4.34774	4.28169 / 4.28169
11	7.69-8.69	Sandy soil	10.0	31.0	30.900 / 40.900	4.34774 / 4.34774	4.28169 / 4.28169
12	8.69-9.69	Clayey soil	8.0	0.0 / 12.0	40.900 / 48.900	—	—
13	9.69-10.69	Clayey soil	8.0	0.0 / 25.0	48.900 / 56.900	—	—
14	10.69-11.69	Clayey soil	8.0	0.0 / 18.0	56.900 / 64.900	—	—
15	11.69-12.69	Clayey soil	8.0	0.0 / 24.0	64.900 / 72.900	—	—
16	12.69-13.69	Clayey soil	8.0	0.0 / 24.0	72.900 / 80.900	—	—
17	13.69-14.69	Clayey soil	8.0	0.0 / 25.0	80.900 / 88.900	—	—
18	14.69-15.69	Clayey soil	8.0	0.0 / 25.0	88.900 / 96.900	—	—

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q_p$ (kNm ²)	γ_{subw} (kNm ³)	k (k)	θ (degree)	Kp	Kp $\times \cos\theta$
14 11.69-12.69	粘性土	8.00	0.0	24.0	64.900	69.48	0.200	11.31	—	—
15 12.69-13.69	粘性土	8.00	0.0	24.0	72.900	79.28	0.200	11.31	—	—
16 13.69-14.69	粘性土	8.00	0.0	25.0	80.900	89.08	0.200	11.31	—	—
17 14.69-15.69	粘性土	8.00	0.0	25.0	88.900	98.88	0.200	11.31	—	—
18 15.69-16.69	粘性土	8.00	0.0	18.0	96.900	108.68	0.200	11.31	—	—
19 16.69-17.69	粘性土	8.00	0.0	24.0	104.900	118.48	0.200	11.31	—	—
20 17.69-20.00	砂質土	10.00	45.0	—	112.900	128.28	0.200	11.31	8.33000	8.20345

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below
 $\delta = -10.00$, $\beta = 0.00$, $\theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 (kNm ²)	Pa2 (kNm ²)	Pu (kNm ²)		
1	0.00-2.10	7.26	—	7.26	0.00	—
2	2.10-2.60	16.66	—	16.66	20.58	—
3	2.60-3.19	28.67	21.12	28.67	20.58	—
4	3.19-3.69	21.76	—	21.76	20.58	—
5	3.69-4.60	25.82	—	25.82	20.58	—
6	4.60-4.69	30.34	—	30.34	20.58	0.00
7	4.69-5.69	30.79	—	30.79	20.58	2.65
8	5.69-6.69	31.09	—	31.09	20.58	39.60
9	6.69-7.69	35.41	—	35.41	20.58	75.92
10	7.69-8.69	39.73	—	39.73	20.58	112.25

R_No. 23_pp.17

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 (kNm ²)	Pa2 (kNm ²)	Pu (kNm ²)		
11	8.69-9.69	147.42	50.98	147.42	20.58	64.90
12	9.69-10.69	88.08	54.98	88.08	20.58	98.90
13	10.69-11.69	119.95	58.98	119.95	20.58	92.90
14	11.69-12.69	112.49	62.98	112.49	20.58	112.90
15	12.69-13.69	123.83	66.98	123.83	20.58	120.90
16	13.69-14.69	132.39	70.98	132.39	20.58	130.90
17	14.69-15.69	144.09	74.98	144.09	20.58	138.90
18	15.69-16.69	230.30	78.98	230.30	20.58	132.90
19	16.69-17.69	172.89	82.98	172.89	20.58	152.90
20	17.69-20.00	45.01	50.98	45.01	20.58	926.17

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$K_a = K_c \cdot (\Sigma \gamma h + Q)$
 K_c : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

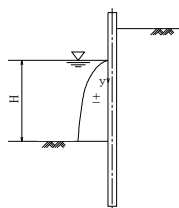
R_No. 23_pp.18

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P _w (kNm ²)
1	2.10	0.00	0.00
2	3.10	1.00	2.71
3	4.10	2.00	3.83
4	4.60	2.50	4.29

$$p_w = \pm \frac{7}{8} k_{hs} \cdot \gamma_w \cdot \sqrt{H} \cdot y$$

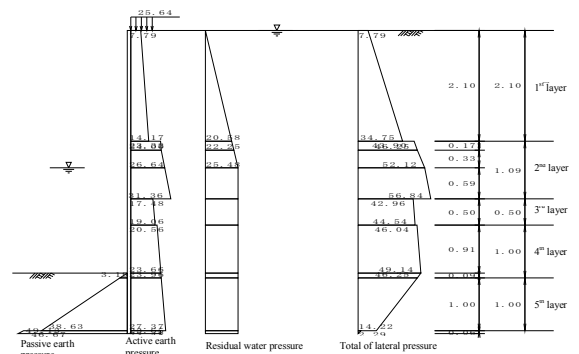
Where:
 k_{hs} : design seismic coefficient
 γ_w : unit weight of water
 H : water depth of riverside
 y : depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L₁ is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure

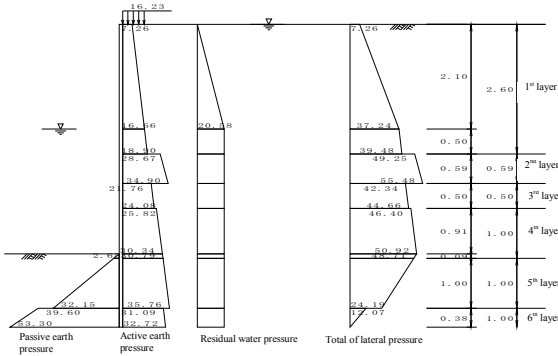
4-1 Normal Condition



Depth (m)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)	Ps (kNm ²)
1	0.00-2.60	7.85	0.00	7.85
2	2.60-3.19	15.75	25.48	41.23
3	3.19-3.69	27.84	25.48	53.32
4	3.69-4.60	32.56	25.48	58.04
5	4.60-4.69	17.86	25.48	43.34
6	4.69-5.69	19.43	25.48	44.91
7	5.69-5.76	20.97	25.48	46.45
8	5.76-6.69	24.07	25.48	49.55
		24.37	25.48	46.66
		24.37	25.48	49.55
		27.78	25.48	46.66
		27.78	25.48	14.63
		23.83	25.48	2.64
		24.02	25.48	0.00
		24.02	25.48	0.00
		26.75	25.48	-37.26

P_a: Active earth pressure
 P_w: Residual water pressure
 P_p: Passive earth pressure
 P_s: Lateral pressure P_s = P_a + P_w - P_p

Tentative imaginary riverbed L₁: 1.16 m (GL -5.76 m)



Depth (m)	Pa (kNm ⁻²)	Pw (kNm ⁻²)	Pp (kNm ⁻²)	Pt (kNm ⁻²)
1 0.00-2.10	7.26 16.66	0.00 20.58	— —	7.26 37.24
2 2.10-2.60	16.66 18.90	20.58 20.58	— —	37.24 39.48
3 2.60-3.19	28.67 34.90	20.58 20.58	— —	49.25 55.48
4 3.19-3.69	21.76 24.08	20.58 20.58	— —	42.34 44.66
5 3.69-4.60	25.82 30.34	20.58 20.58	— —	46.40 50.92
6 4.60-4.69	30.34 30.79	20.58 20.58	0.00 2.65	50.92 48.71
7 4.69-5.69	30.79 35.76	20.58 20.58	2.65 32.15	48.71 24.19
8 5.69-6.07	31.09 32.72	20.58 20.58	39.60 53.30	12.07 0.00
9 6.07-6.69	32.72 35.41	20.58 20.58	53.30 75.92	0.00 -19.93

Pa : Active earth pressure
 Pw : Residual water pressure
 Pp : Passive earth pressure
 Pt : Lateral pressure Pt = Pa + Pw - Pp

Tentative imaginary riverbed L₀: 1.47 m (CL -6.07 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below

$$K_h = 6910 \times N^{0.406}$$

where,

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

- Unit width B = 1.0000 m
- Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
- Corrosion rate η = 0.87
- Section efficiency μ = 1.00
- Young's modulus E = 200000 Nmm²
- Inertia sectional moment I₀ = 295000 cm⁴ (original condition)
- Inertia sectional moment I = 256650 cm⁴ (after reduction by corrosion and joint)
- Inertia sectional moment EI = 200000 × 10³ × 256650 × 10⁻⁷ = 5.133 × 10⁷

Depth (m)	N-value	Depth (m)	N-value	Depth (m)	N-value
1 0.50	15	11 9.69	2	21 20.00	50
2 1.60	15	12 10.69	5		
3 2.10	2	13 11.69	3		
4 3.19	2	14 12.69	4		
5 3.69	14	15 13.69	4		
6 4.69	4	16 14.69	5		
7 5.69	10	17 15.69	6		
8 6.69	17	18 16.69	3		
9 7.69	18	19 17.69	4		
10 8.69	18	20 18.00	50		

5-2 Normal Condition

K₀ = 21551 kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}} = 0.320 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 3.12 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (CL -5.76 m) to 3.12 m depth (CL -8.88 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 5.76	0.93	10.5	17.0	12.82
2 6.69	1.00	17.0	18.0	17.50
3 7.69	1.00	18.0	18.0	18.00
4 8.69	0.19	18.0	15.0	3.14
L = 2h = 3.12		ΣA = 51.46		

A (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{51.46}{3.12} = 16.47$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following

$$K_h = 6910 \times N^{0.406} = 6910 \times 16.47^{0.406} = 21551 \text{ kNm}^3$$

K_h (normal condition) = 21551 kNm³

5-3 Seismic Condition

K₀ = 21601 kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}} = 0.320 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 3.12 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (CL -6.07 m) to 3.12 m depth (CL -9.19 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 6.07	0.62	12.6	17.0	9.23
2 6.69	1.00	17.0	18.0	17.50
3 7.69	1.00	18.0	18.0	18.00
4 8.69	0.50	18.0	10.0	7.00
L = 2h = 3.12		ΣA = 51.73		

A (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{51.73}{3.12} = 16.57$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following

$$K_h = 6910 \times N^{0.406} = 6910 \times 16.57^{0.406} = 21601 \text{ kNm}^3$$

K_h (seismic condition) = 21601 kNm³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Height h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force Pt (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00-2.60	2.60	7.85 41.23	10.20 53.60	4.89 4.02	49.89 215.60
2 2.60-3.19	0.59	53.32 58.04	15.73 17.12	2.96 2.76	46.55 47.30
3 3.19-3.69	0.50	43.34 44.91	10.83 11.23	2.40 2.23	26.00 25.07
4 3.69-4.60	0.91	46.45 49.55	21.13 22.54	1.76 1.46	37.25 32.90
5 4.60-4.69	0.09	49.55 46.66	2.23 2.10	1.13 1.10	2.51 2.30
6 4.69-5.69	1.00	46.66 14.63	23.33 7.31	0.73 0.40	17.10 2.92
7 5.69-5.76	0.07	2.64 0.00	0.09 0.00	0.04 0.02	0.00 0.00
ΣP = 197.45					ΣM = 505.40

- P : active earth pressure + residual water pressure - passive earth pressure
- P : load P₀ × h/2 × B
- B : unit width = 1.000 m
- Y : height of acting position from imaginary riverbed
- M : moment by load P × Y

- Arbitrary load lateral load P₀ = 2.5 kNm
- depth to acting position H₀ = -0.43 m
- moment M₀ = 0.0 kNm/m
- depth to acting position H₀ = 0.00 m
- Height from riverbed to top of coping H = 4.60 m
- Depth of imaginary riverbed from riverbed L₀ = 1.16 m

Moment M₀ by arbitrary load is as below

$$M_0 = P_0 \cdot (H + L_0 - H_0) + M_0 = 15.47 \text{ kNm}$$

h₀ : Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{520.87}{199.95} = 2.61 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00-2.10	2.10	7.26 37.24	7.63 39.10	5.37 4.67	40.93 182.51
2 2.10-2.60	0.50	37.24 39.48	9.31 9.87	3.80 3.63	35.38 35.87
3 2.60-3.19	0.59	49.25 55.48	14.53 16.37	3.27 3.07	47.52 50.31
4 3.19-3.69	0.50	42.34 44.66	10.58 11.16	2.71 2.54	28.69 28.40
5 3.69-4.60	0.91	46.40 50.92	21.11 23.17	2.07 1.77	43.78 41.02
6 4.60-4.69	0.09	50.92 48.71	2.29 2.19	1.44 1.41	3.29 3.08
7 4.69-5.69	1.00	48.71 24.19	24.36 12.09	1.04 0.71	25.43 8.59
8 5.69-6.07	0.38	12.07 0.00	2.28 0.00	0.25 0.15	0.57 0.00
$\Sigma P = 206.04$					$\Sigma M = 575.39$

P : active earth pressure + residual water pressure - passive earth pressure
 P : load P_s x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P = 8.8 kNm
 depth to acting position H = -0.26 m
 moment M₀ = 0.0 kNm/m
 depth to acting position H₀ = 0.00 m
 Height from riverbed to top of coping H = 4.60 m
 Depth of imaginary riverbed from riverbed L_k = 1.47 m

Moment M₀ by arbitrary load is as below
 M₀ = P₀ (H + L_k - H) + M₀ = 55.68 kNm

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _d (kNm ²)	Load P _d (kN)	Arm length Y (m)	Moment M _d (kNm)
1	2.10-3.10	1.00	0.0 2.7	0.00 1.36	3.63 3.30	0.00 4.48
2	3.10-4.10	1.00	2.7 3.8	1.36 1.92	2.63 2.30	3.57 4.41
3	4.10-4.60	0.50	3.8 4.3	0.96 1.07	1.80 1.63	1.73 1.75
$\Sigma P_{d0} = 6.66$					$\Sigma M_{d0} = 15.94$	

h₀ Height of acting position of P_d from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_{d0}}{\Sigma P + P_0 + \Sigma P_{d0}} = \frac{647.00}{221.50} = 2.92 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width B = 1.000 m
 Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate n = 0.87
 Section efficiency u = 1.00
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 295000 cm⁴ (original condition)
 I = 256650 cm⁴ (after reduction by corrosion and section)
 I = 5.133 x 10⁸

$$\beta = 4 \sqrt{\frac{K_0 \cdot B}{4 E I}}$$

$$\phi_{ax} = \sqrt{\frac{(1+2\beta h_0)^2 + 1}{2\beta h_0}} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_{ax}$$

$$I_{ax} = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$I_{1x} = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction K₀ = 21551 kNm³
 calculated value β = 0.32008 m⁻¹
 resultant earth force (lateral) P₀ = 199.95 kNm
 height of acting position of load h₀ = 2.61 m
 moment M₀ = 520.87 kNm/m
 in consideration of ψ₀ = 1.193,
 maximum moment M_{max} = 621.65 kNm/m
 depth of generated position of M_{max} L = 1.121 m¹
 depth of I⁰ fixed point l = 3.574 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction K₀ = 21601 kNm³
 calculated value β = 0.32027 m⁻¹
 resultant earth force (lateral) P₀ = 221.50 kNm
 height of acting position of load h₀ = 2.92 m
 moment M₀ = 647.00 kNm/m
 in consideration of ψ₀ = 1.162,
 maximum moment M_{max} = 751.91 kNm/m
 depth of generated position of M_{max} L = 1.047 m
 depth of I⁰ fixed point l = 3.499 m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate n = 0.89
 Section efficiency u = 1.00
 Module of section Z₀ = 6640 cm³ (original condition)
 Z = 5910 cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{621.65 \times 10^6}{5910 \times 10^3} = 105 \text{ N/mm}^2 \leq \sigma_s = 185 \text{ N/mm}^2$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{751.91 \times 10^6}{5910 \times 10^3} = 127 \text{ N/mm}^2 \leq \sigma_s = 278 \text{ N/mm}^2$$

6-4 Displacement

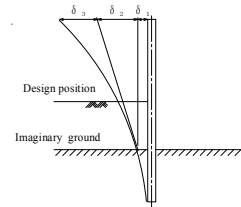
6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1 0.00-2.60	4.89 4.02	0.849 0.699	0.259 0.187	10.20 53.60	2.639 10.039
2 2.60-3.19	2.96 2.76	0.514 0.480	0.110 0.097	15.73 17.12	1.723 1.657
3 3.19-3.69	2.40 2.23	0.417 0.388	0.075 0.066	10.83 11.23	0.811 0.756
4 3.69-4.60	1.76 1.46	0.306 0.254	0.042 0.029	21.13 22.54	0.890 0.663
5 4.60-4.69	1.13 1.10	0.196 0.190	0.018 0.017	2.23 2.10	0.040 0.036
6 4.69-5.69	0.73 0.40	0.127 0.069	0.008 0.002	23.33 7.31	0.181 0.017
7 5.69-5.76	0.04 0.02	0.008 0.004	0.000 0.000	0.09 0.00	0.000 0.000
$\Sigma Q = 19.431$					

Y : Height from imaginary riverbed to acting position
 α : α = $\frac{Y}{H+L_k}$
 ζ : ζ = $\frac{(3-\alpha) \times \alpha^2}{6}$
 Q : ζ x P
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.3201 \times 2.61) \times 199.95}{2 \times 2.00 \times 10^8 \times 256650 \times 10^{-8} \times 0.3201^3} = 0.01089 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^3} \times (H+L_k)$$

$$= \frac{(1+2 \times 0.3201 \times 2.61) \times 199.95}{2 \times 2.00 \times 10^8 \times 256650 \times 10^{-8} \times 0.3201^3} \times (4.60+1.16) = 0.02919 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{E I}$$

$$= \frac{19.43 \times (4.60+1.16)^3}{2.00 \times 10^8 \times 256650 \times 10^{-8}} = 0.00722 \text{ m}$$

Additional displacement δ₃' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ₃' is calculated as 0.00034 m in consideration of following values:

Height from imaginary riverbed to top of SSP: L = 3.76 m
 Horizontal load: P = 2.50
 Moment: M = 1.08

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01089 + 0.02919 + 0.00756$$

$$= 0.04765 \text{ m}$$

$$= 47.65 \leq \delta_a = 50.00 \text{ mm}$$

Where
 δ₁ : Displacement at imaginary ground
 δ₂ : Displacement by angle of inclination slope at imaginary ground
 δ₃ : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1 0.00- 2.10	5.37 4.67	0.888 0.769	0.276 0.220	7.63 39.10	2.104 8.603
2 2.10- 2.60	3.80 3.63	0.626 0.599	0.155 0.144	9.31 9.87	1.445 1.417
3 2.60- 3.19	3.27 3.07	0.539 0.507	0.119 0.107	14.53 16.37	1.732 1.746
4 3.19- 3.69	2.71 2.54	0.447 0.419	0.085 0.076	10.58 11.16	0.899 0.844
5 3.69- 4.60	2.07 1.77	0.342 0.292	0.052 0.038	21.11 23.17	1.093 0.891
6 4.60- 4.69	1.44 1.41	0.237 0.232	0.026 0.025	2.29 2.19	0.059 0.054
7 4.69- 5.69	1.04 0.71	0.172 0.117	0.014 0.007	24.36 12.09	0.340 0.080
8 5.69- 6.07	0.25 0.13	0.041 0.021	0.001 0.000	2.28 0.00	0.002 0.000
$\Sigma Q = 21.308$					

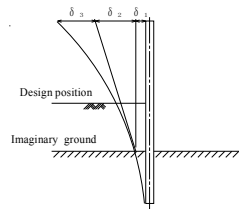
Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_k}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_w (kN)	Q_w (kN)
1	2.10- 3.10	3.63 3.30	0.599 0.544	0.144 0.121	0.00 1.36	0.000 0.164
2	3.10- 4.10	2.63 2.30	0.434 0.379	0.081 0.063	1.36 1.92	0.109 0.120
3	4.10- 4.60	1.80 1.63	0.297 0.269	0.040 0.033	0.96 1.07	0.038 0.035
$\Sigma Q_w = 0.467$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 21.308 + 0.467 = 21.776$

Displacement



$$\delta_1 = \frac{(1 + \beta \cdot h_0) \times P_0}{2 E I \beta^2}$$

$$= \frac{(1 + 0.3203 \times 2.92) \times 221.50}{2 \times 2.00 \times 10^8 \times 256650 \times 10^{-8} \times 0.3203^2} = 0.01271 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta \cdot h_0) \times P_0}{2 E I \beta^2} \times (H + L_k)$$

$$= \frac{(1 + 2 \times 0.3203 \times 2.92) \times 221.50}{2 \times 2.00 \times 10^8 \times 256650 \times 10^{-8} \times 0.3203^2} \times (4.60 + 1.47) = 0.03664 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_k)^3}{E I}$$

$$= \frac{21.78 \times (4.60 + 1.47)^3}{2.00 \times 10^8 \times 256650 \times 10^{-8}} = 0.00948 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00136 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 6.07 m
 Horizontal load: P = 8.80
 Moment: M = 2.29

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01271 + 0.03664 + 0.01083$$

$$= 0.06019 \text{ m}$$

$$= 60.19 \text{ mm} \leq \delta_a = 75.00 \text{ mm}$$

Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$u = 1.00$
Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	$I_0 = 295000 \text{ cm}^4$ (original condition)
	$I = 295000 \text{ cm}^4$ (after reduction by corrosion and section)
$H = 200000 \times 10^3 \times 295000 \times 10^{-8}$	$= 5.900 \times 10^8$

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_k , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_k + \frac{3}{\beta}$$

$$L = H - H_{i1} + D$$

$$\beta = \sqrt[4]{\frac{K_s \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	$K_s = 21551 \text{ kN/m}^3$
Calculated value	$\beta = 0.30913 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.16 + \frac{3}{0.309} = 10.86 \text{ m}$
Whole length of SSP	$L = 4.60 - 0.40 + 10.86 = 15.06 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	$K_s = 21601 \text{ kN/m}^3$
Calculated value	$\beta = 0.30931 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.47 + \frac{3}{0.309} = 11.17 \text{ m}$
Whole length of SSP	$L = 4.60 - 0.40 + 11.17 = 15.37 \text{ m}$

Therefore, whole length of SSP is set as 15.50 m in consideration of round unit of SSP length

8 Calculation Result

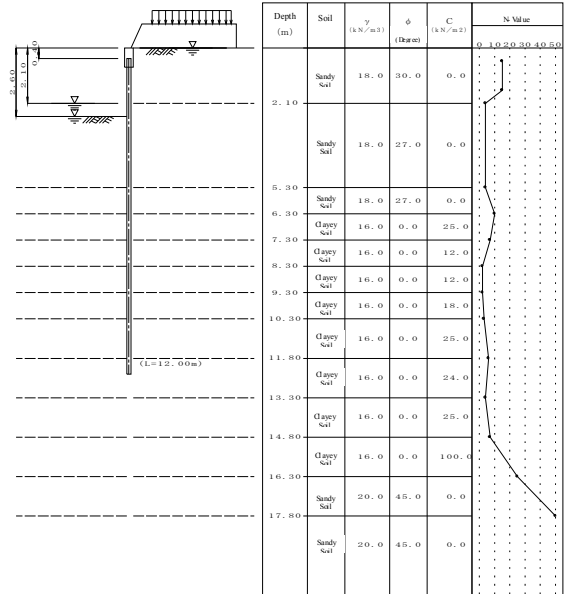
		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	295000	
Section modulus	Z (cm ³)	6640	
Maximum bending moment	M_{max} (kNm/m)	621.65	751.91
Stress intensity	σ (N/mm ²)	105 (185)	127 (278)
Lateral displacement	δ (mm)	47.65 (50.0)	60.19 (75.0)
Penetration depth	D (m)	10.86	11.17
Whole length of SSP	L (m)	15.50	

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 24_STA 9+830 - 9+947



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Reverse WL L_{rs} = 0.00 m (Normal Condition)
 L_{rs'} = 0.00 m (Seismic Condition)
 Landside WL L_{wp} = 2.60 m (Normal Condition)
 L_{wp'} = 2.10 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.24_pp.1

R_No.24_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula

Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^3$

Type of water pressure trapezoidal water pressure

Lateral pressure calculated in consideration of site conditions

Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load Pt = 2.5 kNm (Normal Condition)
 Pt' = 8.8 kNm (Seismic Condition)
 Depth of acting point H = -0.43 m (Normal Condition)
 H' = -0.26 m (Seismic Condition)
 Moment Mm = 0.0 kNm/m (Normal Condition)
 Mm' = 0.0 kNm/m (Seismic Condition)
 Depth of acting point Hm = 0.00 m (Seismic Condition)
 Hm' = 0.00 m (Normal Condition)
 (*Depth' means distance from top of coping)

Wind load Impact load not considered

Minimum angle of rupture $\phi_p = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h^2 Q}{2C}} \cdot \tan \theta$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_h = 6910 \times N^{0.496}$

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/3

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.50	15	11	13.30	4
2	1.60	15	12	14.80	7
3	2.10	4	13	16.30	25
4	3.30	4	14	17.80	50
5	4.30	10	15	20.00	50
6	7.30	7			
7	8.30	2			
8	9.30	2			
9	10.30	3			
10	11.80	6			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

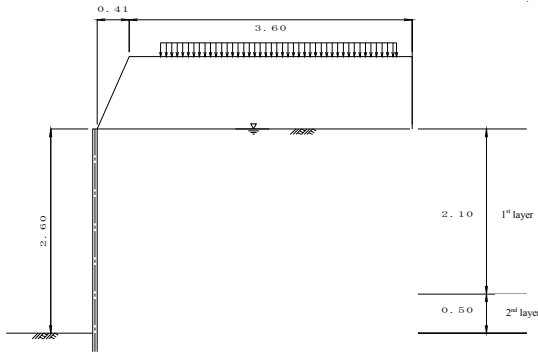
No	Depth (m)	Soil	N-value	γ (kNm ³)	γ' (kNm ³)	ϕ	C (kNm ²)	a	k'	ζ (degree)		kh (kNm ³)	
										normal	seismic		
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	5.30	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
3	6.30	S	10.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	7.30	C	7.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
5	8.30	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
6	9.30	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
7	10.30	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	—	—
8	11.80	C	6.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
9	13.30	C	4.0	16.00	8.00	0.0	24.0	0.0	0.200	auto	auto	—	—
10	14.80	C	7.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
11	16.30	C	25.0	16.00	8.00	0.0	100.0	0.0	0.200	auto	auto	—	—
12	17.80	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—
13	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer C : soil adhesion
 soil : sandy (S), clayey (C), mixed (M) a : slope of soil adhesion
 N-value : average N-value in the layer k' : design seismic coefficient (under water)
 γ : wet unit weight of soil ζ : angle of active rupture
 γ' : saturated unit weight of soil kh : modulus of subgrade reaction
 ϕ : internal friction angle of soil

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Em bankment on Landside



Em bankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle φ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.41	4.01	4.01	0.92	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	0.81	3.81	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

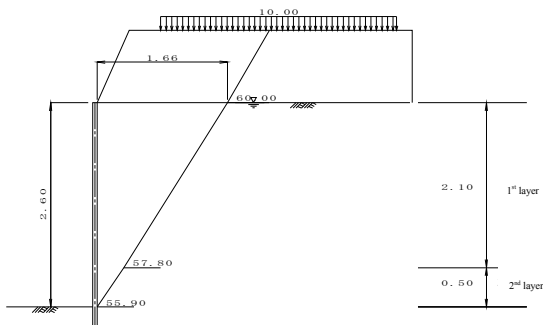
1-9 Steel Sheet Pile (SSP)

Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I _x = 86000 cm ⁴
Sectional factor	Z _e = 3820 cm ³
Corrosion margin	t ₁ = 1.00 mm (ri verside) t ₂ = 1.00 mm (landside)
Corrosion rate (to I ₀)	η = 0.92
Corrosion rate (to Z ₀)	η = 0.92
Section efficiency (to I ₀)	μ = 0.80
Section efficiency (to Z ₀)	μ = 1.00
Round unit of SSP length	0.50 m
Allowable stress	σ _a = 180 Nmm ² (Normal) σ _a ' = 270 Nmm ² (Seismic)
Allowable displacement	δ _i = 50.0mm (Normal) δ _i ' = 75.0mm (Seismic)

Bending of cantilever beam calculated as distributed load of each layer
Reduction of material modulus Reduced: I₀ applied to calculation of lateral coefficient of subgrade reaction
Not reduced: I₀ applied to calculation of penetration depth
Reduced: I₀ applied to calculation of section forces and displacement
Reduced: Z₀ applied to calculation of stresses

2 Calculation of Acting Load
2-1 Normal Condition

2-1-1 Angle of Active Rupture



No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m ²)	Σγh (kN/m ²)	Q (kN/m)	γwhw (kN/m ²)	Angle of rupture Z (degree)
1	2.60- 2.10	Sandy Soil	27.0	10.0	0.0	26.00	25.49	25.48	55.90
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	25.49	20.58	57.80
3		Embankment	30.0	—	0.0	16.56	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since θ=0°

Where

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- θ = tan⁻¹ k or θ = tan⁻¹ k'
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	55.90	0.50	0.00	0.00	0.34	0.50
2	57.80	2.10	0.34	0.50	1.66	2.60
3	60.00	0.92	1.66	2.60	2.19	3.52

Therefore, width of acting load shall be set as 1.66 m

2-1-3 Acting Load by Em bankment

No	γ (kN/m ³)	A (m ²)	γ X A (kN/m)
1	18.0	1.58	28.51
Σ			28.51

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.38	13.82
Σ			13.82

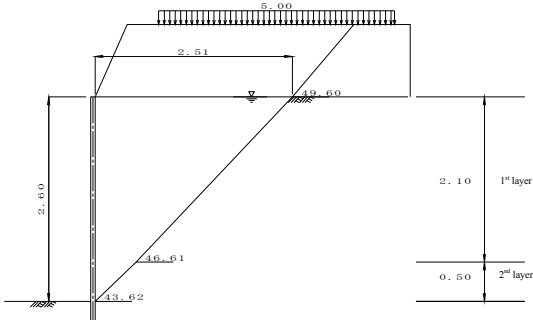
Q : surcharge load
l : width of surcharge load set by line of active rupture

2-1-5 Calculation of Total Acting Load

$$Q = \frac{\sum (\gamma \times A) + \sum (Q \times l) + \sum P}{L}$$

$$= \frac{28.51 + 13.82 + 0.00}{1.66}$$

$$= 25.49 \text{ kN/m}^2$$



2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.62	0.50	0.00	0.00	0.52	0.50
2	46.61	2.10	0.52	0.50	2.51	2.60
3	49.60	0.92	2.51	2.60	3.29	3.52

Therefore, width of acting load shall be set as 2.51 m

2-2-3 Acting Load by Imbankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.48	44.65
Σ			44.65

γ : unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q x l (kN/m)
1	5.0	2.48	12.41
Σ			12.41

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{44.65 + 12.41 + 0.00}{2.51}$$

$$= 22.74 \text{ kN/m}^2$$

2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma h w$ (kN/m ²)	k (k ²)	θ (degree)	Angle of rupture Z (degree)
1	2.60- 2.10	Sandy Soil	27.0	10.0	0.0	26.00	22.74	25.48	0.200	11.31	43.62
2	2.10- 0.00	Sandy Soil	30.0	10.0	0.0	21.00	22.74	20.58	0.200	11.31	46.61
3		Embankment	30.0	—	0.0	16.56	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

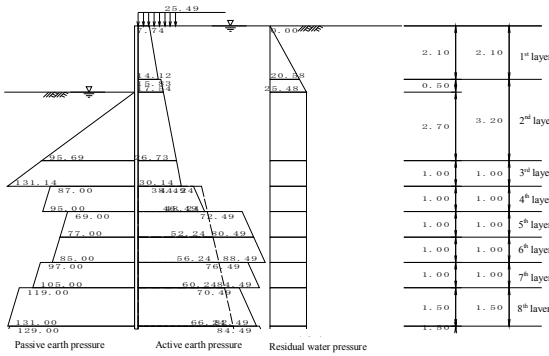
$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earth quake coefficient angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesion force of soil (kN/m²)

3 Lateral Pressure

3-1 Normal Condition



Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q$ (kN/m ²)	K_a	$K_a \times \cos \delta$
14	17.80- 20.00	Sandy soil	45.0	—	183.485	0.16262	0.16015
					205.485	0.16262	0.16015

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.00^\circ$, $\beta = 0.00$, $\theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q$ (kN/m ²)	K_p	$K_p \times \cos \delta$
3	2.60- 5.30	Sandy soil	10.0	—	0.000	3.98992	3.54425
					27.000	3.98992	3.54425
4	5.30- 6.30	Sandy soil	10.0	—	27.000	3.98992	3.54425
					37.000	3.98992	3.54425
5	6.30- 7.30	Clayey soil	8.0	0.0	25.0	—	—
					25.0	—	—
6	7.30- 8.30	Clayey soil	8.0	0.0	12.0	—	—
					12.0	—	—
7	8.30- 9.30	Clayey soil	8.0	0.0	12.0	—	—
					12.0	—	—
8	9.30- 10.30	Clayey soil	8.0	0.0	18.0	—	—
					18.0	—	—
9	10.30- 11.80	Clayey soil	8.0	0.0	25.0	—	—
					25.0	—	—
10	11.80- 13.30	Clayey soil	8.0	0.0	24.0	—	—
					24.0	—	—
11	13.30- 14.80	Clayey soil	8.0	0.0	25.0	—	—
					25.0	—	—
12	14.80- 16.30	Clayey soil	8.0	0.0	100.0	—	—
					100.0	—	—
13	16.30- 17.80	Sandy soil	10.0	45.0	—	—	—
					117.000	9.34548	9.20351
					132.000	9.34548	9.20351
14	17.80- 20.00	Sandy soil	10.0	45.0	—	—	—
					132.000	9.34548	9.20351
					154.000	9.34548	9.20351

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = 10.00^\circ$, $\beta = 0.00$, $\theta = 0.00$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q$ (kN/m ²)	K_a	$K_a \times \cos \delta$
1	0.00- 2.10	Sandy soil	10.0	—	25.485	0.30847	0.30378
					46.485	0.30847	0.30378
2	2.10- 2.60	Sandy soil	10.0	—	46.485	0.34585	0.34060
					51.485	0.34585	0.34060
3	2.60- 5.30	Sandy soil	10.0	—	51.485	0.34585	0.34060
					78.485	0.34585	0.34060
4	5.30- 6.30	Sandy soil	10.0	—	78.485	0.34585	0.34060
					88.485	0.34585	0.34060
5	6.30- 7.30	Clayey soil	8.0	—	25.0	—	—
					25.0	—	—
6	7.30- 8.30	Clayey soil	8.0	—	12.0	—	—
					12.0	—	—
7	8.30- 9.30	Clayey soil	8.0	—	12.0	—	—
					12.0	—	—
8	9.30- 10.30	Clayey soil	8.0	—	18.0	—	—
					18.0	—	—
9	10.30- 11.80	Clayey soil	8.0	—	25.0	—	—
					25.0	—	—
10	11.80- 13.30	Clayey soil	8.0	—	24.0	—	—
					24.0	—	—
11	13.30- 14.80	Clayey soil	8.0	—	25.0	—	—
					25.0	—	—
12	14.80- 16.30	Clayey soil	8.0	—	100.0	—	—
					100.0	—	—
13	16.30- 17.80	Sandy soil	10.0	—	168.485	0.16262	0.16015
					183.485	0.16262	0.16015

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure (kNm ²)	Passive side (kNm ²)
	Pa1 (kNm ²)	Pa2 (kNm ²)	Pa (kNm ²)		
1 0.00-2.10	7.74 14.12	---	7.74 14.12	0.00 20.58	---
2 2.10-2.60	15.83 17.54	---	15.83 17.54	20.58 25.48	---
3 2.60-5.30	17.54 26.73	---	17.54 26.73	25.48 95.69	0.00
4 5.30-6.30	26.73 30.14	---	26.73 30.14	95.69 131.14	---
5 6.30-7.30	38.49 46.49	44.24 48.24	44.24 48.24	25.48 95.00	87.00
6 7.30-8.30	72.49 80.49	48.24 52.24	72.49 80.49	25.48 77.00	69.00
7 8.30-9.30	80.49 88.49	52.24 56.24	80.49 88.49	25.48 85.00	77.00
8 9.30-10.30	76.49 84.49	56.24 60.24	76.49 84.49	25.48 105.00	97.00
9 10.30-11.80	70.49 82.49	60.24 66.24	70.49 82.49	25.48 131.00	---
10 11.80-13.30	84.49 96.49	66.24 72.24	84.49 96.49	25.48 141.00	129.00
11 13.30-14.80	94.49 106.49	72.24 78.24	94.49 106.49	25.48 155.00	143.00
12 14.80-16.30	-43.51 -31.51	78.24 84.24	78.24 84.24	25.48 305.00	317.00
13 16.30-17.80	26.98 29.39	---	26.98 29.39	1076.81 1214.86	---
14 17.80-20.00	29.39 32.91	---	29.39 32.91	25.48 1417.34	1214.86

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\sum \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Clayey soil $P_{a1} = \sum \gamma h + Q - 2C$

$K_a = \frac{1 - \sin \phi}{1 + \sin \phi}$
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = \left[K_a (\sum \gamma h + Q) - 2C \sqrt{K_a} \right] \cdot \cos \delta$

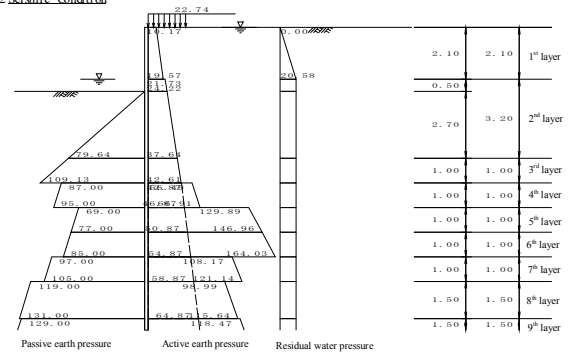
- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\sum \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Clayey soil $P_p = \sum \gamma h + Q + 2C$

Mixed soil $P_p = \left[K_p (\sum \gamma h + Q) + 2C \sqrt{K_p} \right] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\sum \gamma h + Q$ (kNm ²)	γ_{whw} (kNm ²)	k (k)	θ (degree)	K_a	$K_a > \cos \delta$	θ (degree)
1 0.00-2.10	Sandy Soil	10.0	30.0	---	22.74	0.00	0.200	11.31	0.45442	0.44752	---
2 2.10-2.60	Clayey Soil	10.0	27.0	---	43.74	20.58	0.200	11.31	0.50461	0.49695	---
3 2.60-5.30	Sandy Soil	10.0	27.0	---	48.74	25.48	0.200	11.31	0.50461	0.49695	---
4 5.30-6.30	Sandy Soil	10.0	27.0	---	75.74	51.94	0.200	11.31	0.50461	0.49695	---
5 6.30-7.30	Sandy Soil	8.0	---	25.0	85.74	61.74	0.200	11.31	---	---	36.96
6 7.30-8.30	Clayey Soil	8.0	---	12.0	101.74	81.34	0.200	11.31	---	---	10.00
7 8.30-9.30	Clayey Soil	8.0	---	12.0	109.74	91.14	0.200	11.31	---	---	10.00
8 9.30-10.30	Clayey Soil	8.0	---	18.0	109.74	91.14	0.200	11.31	---	---	27.20
9 10.30-11.80	Clayey Soil	8.0	---	25.0	117.74	100.94	0.200	11.31	---	---	33.50
10 11.80-13.30	Clayey Soil	8.0	---	24.0	129.74	115.64	0.200	11.31	---	---	31.13
11 13.30-14.80	Clayey Soil	8.0	---	25.0	141.74	130.34	0.200	11.31	---	---	30.32
12 14.80-16.15	Clayey Soil	8.0	---	100.0	153.74	145.04	0.200	11.31	---	---	42.22

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\sum \gamma h + Q$ (kNm ²)	γ_{whw} (kNm ²)	k (k)	θ (degree)	K_a	$K_a > \cos \delta$	θ (degree)
13 16.15-16.30	Clayey Soil	8.0	---	100.0	164.57	159.74	0.200	11.31	---	---	42.01
14 16.30-17.80	Sandy Soil	10.0	45.0	---	165.74	159.74	0.200	11.31	0.26273	0.25874	---
15 17.80-20.00	Sandy Soil	10.0	45.0	---	180.74	174.44	0.200	11.31	0.26273	0.25874	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.00$, $\beta = 0.00$, $\theta = \tan^{-1} k$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\sum \gamma h + Q_p$ (kNm ²)	γ_{whw} (kNm ²)	k (k)	θ (degree)	K_p	$K_p > \cos \delta$
3 2.60-5.30	Sandy soil	10.0	27.0	---	0.00 27.00	0.00 26.46	0.200	11.31	2.94948	2.94948
4 5.30-6.30	Sandy soil	10.0	27.0	---	27.00 37.00	26.46 36.26	0.200	11.31	2.94948	2.94948
5 6.30-7.30	Clayey soil	8.0	0.0	25.0	37.00 45.00	36.26 46.06	0.200	11.31	---	---
6 7.30-8.30	Clayey soil	8.0	0.0	12.0	45.00 53.00	46.06 55.86	0.200	11.31	---	---
7 8.30-9.30	Clayey soil	8.0	0.0	12.0	53.00 61.00	55.86 65.66	0.200	11.31	---	---
8 9.30-10.30	Clayey soil	8.0	0.0	18.0	61.00 69.00	65.66 75.46	0.200	11.31	---	---
9 10.30-11.80	Clayey soil	8.0	0.0	25.0	69.00 81.00	75.46 90.16	0.200	11.31	---	---
10 11.80-13.30	Clayey soil	8.0	0.0	24.0	81.00 93.00	90.16 104.86	0.200	11.31	---	---
11 13.30-14.80	Clayey soil	8.0	0.0	25.0	93.00 105.00	104.86 119.56	0.200	11.31	---	---
12 14.80-16.15	Clayey soil	8.0	0.0	100.0	105.00 115.80	119.56 ---	0.200	11.31	---	---
13 16.15-16.30	Clayey soil	8.0	0.0	100.0	115.80 117.00	134.26 ---	0.200	11.31	---	---
14 16.30-17.80	Sandy soil	10.0	45.0	---	117.00 132.00	134.26 148.96	0.200	11.31	8.33000	8.20345
15 17.80-20.00	Sandy soil	10.0	45.0	---	132.00 154.00	148.96 170.52	0.200	11.31	8.33000	8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = 10.00$, $\beta = 0.00$, $\theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 (kNm ²)	Pa2 (kNm ²)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)
1	0.00-2.10	10.17 19.57	---	10.17 19.57	0.00 20.58	---
2	2.10-2.60	21.73 24.22	---	21.73 24.22	20.58 20.58	---
3	2.60-5.30	24.22 37.64	---	24.22 37.64	20.58 20.58	0.00 79.64
4	5.30-6.30	37.64 42.61	---	37.64 42.61	20.58 20.58	79.64 109.13
5	6.30-7.30	56.49 66.91	42.87 46.87	56.49 66.91	20.58 20.58	87.00 95.00
6	7.30-8.30	129.89 146.96	46.87 50.87	129.89 146.96	20.58 20.58	69.00 77.00
7	8.30-9.30	146.96 164.03	50.87 54.87	146.96 164.03	20.58 20.58	77.00 85.00
8	9.30-10.30	108.17 121.14	54.87 58.87	108.17 121.14	20.58 20.58	97.00 105.00
9	10.30-11.80	98.99 115.64	58.87 64.87	98.99 115.64	20.58 20.58	119.00 131.00
10	11.80-13.30	118.47 136.02	64.87 70.87	118.47 136.02	20.58 20.58	129.00 141.00
11	13.30-14.80	132.84 150.78	70.87 76.87	132.84 150.78	20.58 20.58	143.00 155.00
12	14.80-16.15	-13.33 0.00	76.87 82.28	76.87 82.28	20.58 20.58	305.00 315.83
13	16.15-16.30	0.00 1.44	82.28 82.87	82.28 82.87	20.58 20.58	315.83 317.00
14	16.30-17.80	42.88 46.76	---	42.88 46.76	20.58 20.58	959.80 1082.86
15	17.80-20.00	46.76 52.46	---	46.76 52.46	20.58 20.58	1082.86 1263.33

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2 C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_c : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2 C \sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

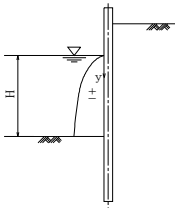
Clayey soil $P_p = \Sigma \gamma h + Q + 2 C$
 Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2 C \sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P_{dw} (kNm ²)
1	2.10	0.00	0.00
2	2.60	0.50	0.86

$$P_{dw} = \pm \frac{7}{8} k_{bs} \cdot \gamma_w \cdot \sqrt{H} \cdot y$$

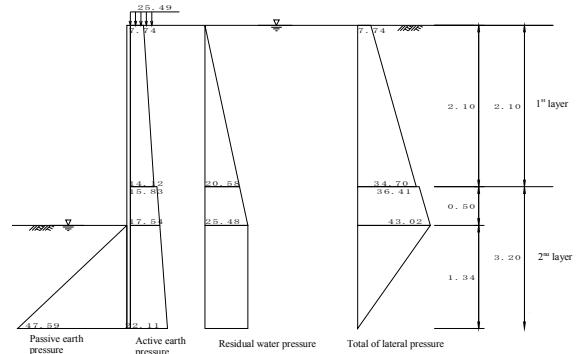
Where:
 k_{bs} : design seismic coefficient
 γ_w : unit weight of water
 H : water depth of riverside
 y : depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L_x is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure

4-1 Normal Condition

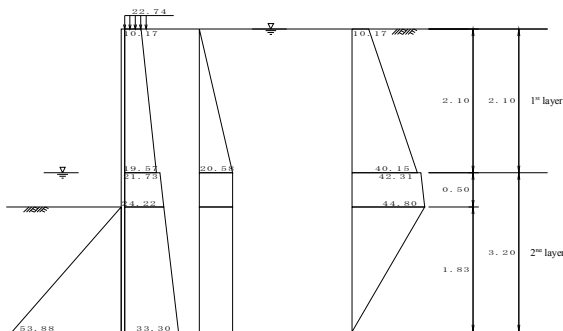


Depth (m)	P_a (kNm ²)	P_w (kNm ²)	P_p (kNm ²)	P_s (kNm ²)
1 0.00-2.10	7.74 14.12	0.00 20.58	— —	7.74 34.70
2 2.10-2.60	15.83 17.54	20.58 25.48	— —	36.41 43.02
3 2.60-3.94	17.54 22.11	25.48 25.48	0.00 —	43.02 0.00
4 3.94-5.30	22.11 26.73	25.48 25.48	47.59 —	0.00 -43.48

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Tentative imaginary riverbed L_x : 1.34 m (GL -3.94 m)

4-2 Seismic Condition



Depth (m)	P_a (kNm ²)	P_w (kNm ²)	P_p (kNm ²)	P_s (kNm ²)
1 0.00-2.10	10.17 19.57	0.00 20.58	— —	10.17 40.15
2 2.10-2.60	21.73 24.22	20.58 20.58	— —	42.31 44.80
3 2.60-4.43	24.22 33.30	20.58 20.58	0.00 —	44.80 0.00
4 4.43-5.30	33.30 37.64	20.58 20.58	53.88 79.64	0.00 -21.42

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Tentative imaginary riverbed L_x : 1.83 m (GL -4.43 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width $B = 1.0000$ m
 Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.92$
 Section efficiency $\mu = 0.80$
 Young's modulus $E = 200000$ N/mm²
 Inertia sectional moment $I_0 = 86000$ cm⁴ (original condition)
 $I = 63296$ cm⁴ (after reduction by corrosion and joint)
 Inertia sectional moment $EI = 200000 \times 10^3 \times 63296 \times 10^8 = 1.266 \times 10^8$

Depth (m)	N-value	Depth (m)	N-value
1 0.50	15	11 13.30	4
2 1.60	15	12 14.80	7
3 2.10	4	13 16.30	25
4 5.30	4	14 17.80	50
5 6.30	10	15 20.00	50
6 7.30	7		
7 8.30	2		
8 9.30	2		
9 10.30	3		
10 11.80	6		

5-2 Normal Condition

$K_h = 13773$ kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}} = 0.406 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.46 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -3.94 m) to 2.46 m depth (GL -6.41 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	3.94	1.36	4.0	5.43
2	5.30	1.00	4.0	7.00
3	6.30	0.11	10.0	1.03
L = 2h = 2.46				ΣA = 13.46

A (upper N-value + lower N-value) × h/2

Average N-value $N' = \frac{\Sigma A}{L}$
 $= \frac{13.46}{2.46}$
 $= 5.47$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following

$K_s = 6910 \times N'^{0.006} = 6910 \times 5.47^{0.006} = 13773 \text{ kN/m}^3$

Kh (normal condition) = 13773 kNm³

5-3 Seismic Condition

$K_s = 14694 \text{ kNm}^3$ is set tentatively.

$\beta = \sqrt[4]{\frac{K_h \cdot B}{4 E I}}$
 $= 0.413 \text{ m}^{-1}$

$L = \frac{1}{\beta} = 2.42 \text{ m}$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.43 m) to 2.42 m depth (GL -6.85 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	4.43	0.87	4.0	3.49
2	5.30	1.00	4.0	7.00
3	6.30	0.55	10.0	5.04
L = 2h = 2.42				ΣA = 15.54

A (upper N-value + lower N-value) × h/2

Average N-value $N' = \frac{\Sigma A}{L}$
 $= \frac{15.54}{2.42}$
 $= 6.41$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (seismic condition) is set definitely as following

$K_s = 6910 \times N'^{0.006} = 6910 \times 6.41^{0.006} = 14694 \text{ kN/m}^3$

Kh (seismic condition) = 14694 kNm³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Height h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	7.74 34.70	8.13 36.44	3.24 2.54	26.36 92.65
2	2.10-2.60	36.41 43.02	9.10 10.75	1.68 1.51	15.26 16.23
3	2.60-3.94	43.02 0.00	28.88 0.00	0.90 0.45	25.85 0.00
			ΣP = 93.30		ΣM = 176.35

P : active earth pressure + residual water pressure - passive earth pressure

P₀ : load P_s × h/2 × B

B : unit width = 1.000 m

Y : height of acting position from imaginary riverbed

M : moment by load P × Y

Arbitrary load lateral load P = 2.5 kNm
 depth to acting position H₀ = -0.43 m
 moment M₀ = 0.0 kNm-m
 depth to acting position H_k = 0.00 m
 Height from riverbed to top of cone H = 2.60 m
 Depth of imaginary riverbed from riverbed I_k = 1.34 m

Moment M₀ by arbitrary load is as below

$M_0 = P_0(H + I_k - H_0) + M_0 = 10.93 \text{ kN-m}$

h₀, Height of acting position of P₀ from imaginary riverbed

$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0}$
 $= \frac{187.28}{95.80} = 1.95 \text{ m}$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00-2.10	10.17 40.15	10.68 42.16	3.73 3.03	39.81 127.60
2	2.10-2.60	42.31 44.80	10.58 11.20	2.16 1.99	22.85 22.32
3	2.60-4.43	44.80 0.00	40.92 0.00	1.22 0.61	49.83 0.00
			ΣP = 115.54		ΣM = 262.42

P : active earth pressure + residual water pressure - passive earth pressure

P₀ : load P_s × h/2 × B

B : unit width = 1.000 m

Y : height of acting position from imaginary riverbed

M : moment by load P × Y

Arbitrary load lateral load P = 8.8 kNm
 depth to acting position H₀ = -0.26 m
 moment M₀ = 0.0 kNm-m
 depth to acting position H_k = 0.00 m
 Height from riverbed to top of cone H = 2.60 m
 Depth of imaginary riverbed from riverbed I_k = 1.83 m

Moment M₀ by arbitrary load is as below
 $M_0 = P_0(H + I_k - H_0) + M_0 = 41.24 \text{ kN-m}$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _{sw} (kNm ²)	Load P _{sw} (kN)	Arm length Y (m)	Moment M _{sw} (kNm)
1	2.10-2.60	0.50	0.0 0.9	0.00 0.21	2.16 1.99	0.00 0.43
			ΣP _{sw} = 0.21			ΣM _{sw} = 0.43

h₀, Height of acting position of P₀ from imaginary riverbed

$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_{sw}}{\Sigma P + P_0 + \Sigma P_{sw}}$
 $= \frac{304.09}{124.55} = 2.44 \text{ m}$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width B = 1.0000 m
 Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate n = 0.92
 Section efficiency u = 0.80
 Young's modulus E = 200000 N/mm²
 Young's sectional moment I = 63296 cm⁴ (original condition)
 I = 63296 cm⁴ (after reduction by corrosion and section)
 $H = 20000 \times 10^3 \times 63296 \times 10^{-8} = 1.266 \times 10^8$

$\beta = \sqrt[4]{\frac{K_s \cdot B}{4 E I}}$
 $\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$

$M_{max} = M_0 \cdot \phi_a$

$I_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$

$I_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$

$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_s = 13773 \text{ kNm}^3$
 resultant earth force (lateral) $\beta = 0.40610 \text{ m}^{-1}$
 height of acting position of load $P_0 = 95.80 \text{ kN/m}$
 moment $M_0 = 187.28 \text{ kN-m/m}$

in consideration of $\psi_a = 1.208$,
 maximum moment $M_{max} = 226.31 \text{ kN-m/m}$
 depth of generated position of M_{max} L = 0.908 m
 depth of 1st fixed point l = 2.842 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_s = 14694 \text{ kNm}^3$
 resultant earth force (lateral) $\beta = 0.41273 \text{ m}^{-1}$
 height of acting position of load $P_0 = 124.55 \text{ kN/m}$
 moment $M_0 = 304.09 \text{ kN-m/m}$

in consideration of $\psi_a = 1.144$,
 maximum moment $M_{max} = 348.00 \text{ kN-m/m}$
 depth of generated position of M_{max} L = 0.776 m
 depth of 1st fixed point l = 2.679 m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate n = 0.92
 Section efficiency u = 1.00
 Modulus of section Z = 3820 cm³ (original condition)
 Z = 3514 cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$\sigma = \frac{M_{max}}{Z} = \frac{226.31 \times 10^6}{3514 \times 10^3} = 64 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2$

6-3-2 Seismic condition

$\sigma = \frac{M_{max}}{Z} = \frac{348.00 \times 10^6}{3514 \times 10^3} = 99 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2$

6-4 Displacement

6-4-1 Normal Condition

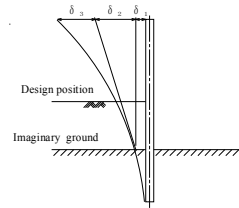
Modulus of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	3.24 2.54	0.822 0.163	8.13 36.44	1.96 5.948
2	2.10-2.60	1.68 1.51	0.425 0.383	9.10 10.75	0.706 0.687

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)	
3	2.60-3.94	0.90 0.45	0.227 0.114	0.024 0.006	28.88 0.00	0.688 0.000
$\Sigma Q = 10.025$						

Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_1}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L₁ : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4061 \times 1.95) \times 95.80}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4061^3} = 0.01013 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_1)$$

$$= \frac{(1 + 2 \times 0.4061 \times 1.95) \times 95.80}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4061^2} \times (2.60 + 1.34) = 0.02341 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I}$$

$$= \frac{10.03 \times (2.60 + 1.34)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00485 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00047 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.94 m
 Horizontal load P = 2.50
 Moment: M = 1.08

$$\delta = \delta_1 + \delta_2 + \delta_3 + \delta_3'$$

$$= 0.01013 + 0.02341 + 0.00532$$

$$= 0.03887 \text{ m}$$

$$= 38.87 \text{ mm} \leq \delta_a = 50.00 \text{ mm}$$

Where
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00-2.10	3.73 3.03	0.842 0.684	0.255 0.180	10.68 42.16	2.723 7.609
2	2.10-2.60	2.16 1.99	0.488 0.450	0.100 0.086	10.58 11.20	1.055 0.965
3	2.60-4.43	1.22 0.61	0.275 0.138	0.034 0.009	40.92 0.00	1.406 0.000
$\Sigma Q = 13.758$						

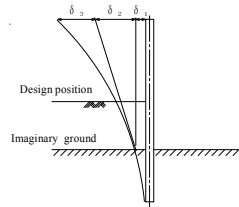
Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_1}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L₁ : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1	2.10-2.60	2.16 1.99	0.488 0.450	0.100 0.086	0.00 0.21	0.000 0.018
$\Sigma Q_w = 0.018$						

Therefore modulus of deformation Q is calculated as below
 $Q = 13.758 + 0.018 = 13.777$

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4127 \times 2.44) \times 124.55}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4127^3} = 0.01405 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_1)$$

$$= \frac{(1 + 2 \times 0.4127 \times 2.44) \times 124.55}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4127^2} \times (2.60 + 1.83) = 0.03855 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I}$$

$$= \frac{13.78 \times (2.60 + 1.83)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00944 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00219 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.43 m
 Horizontal load P = 8.80
 Moment: M = 2.29

$$\delta = \delta_1 + \delta_2 + \delta_3 + \delta_3'$$

$$= 0.01405 + 0.03855 + 0.01163$$

$$= 0.06422 \text{ m}$$

$$= 64.22 \text{ mm} \leq \delta_a = 75.00 \text{ mm}$$

Where
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$u = 1.00$
Young's modulus	$E = 200000 \text{ N/mm}^2$
Inertia sectional moment	$I_0 = 86000 \text{ cm}^4$ (original condition)
	$I = 86000 \text{ cm}^4$ (after reduction by corrosion and section)
	$EI = 200000 \times 10^3 \times 86000 \times 10^8 = 1.720 \times 10^9$

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_0 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{i1} + D$$

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4EI}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	$K_b = 13773 \text{ kN/m}^3$
Calculated value	$\beta = 0.37615 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.34 + \frac{3}{0.376} = 9.32 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.32 = 11.52 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	$K_b = 14694 \text{ kN/m}^3$
Calculated value	$\beta = 0.38228 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.83 + \frac{3}{0.382} = 9.67 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.67 = 11.87 \text{ m}$

Therefore, whole length of SSP is set as 12.00 m in consideration of round unit of SSP length.

8 Calculation Result

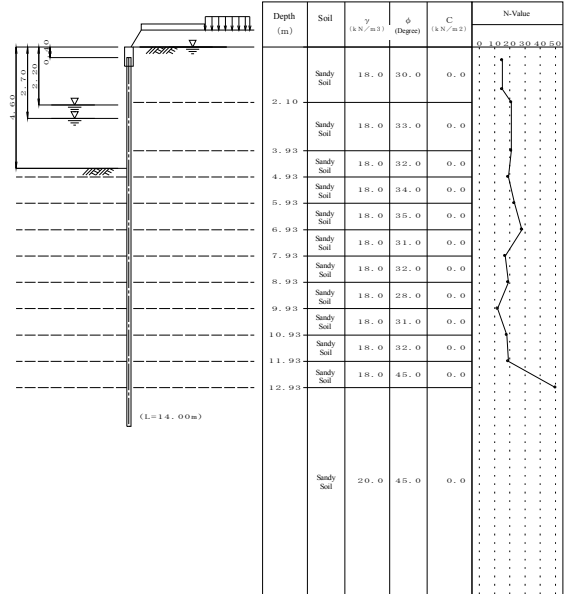
			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	86000		
Section modulus	Z (cm ³)	3820		
Maximum bending moment	M_{max} (kNm/m)		226.31	348.00
Stress intensity	σ (N/mm ²)		64 (180)	99 (270)
Lateral displacement	δ (mm)		38.87 (50.0)	64.22 (75.0)
Penetration depth	D (m)		9.32	9.67
Whole length of SSP	L (m)	12.00		

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 25_STA 10+956 - 11+050



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 4.60 m
 Depth from coping top to rear side ground H_g = 0.00 m
 Depth from coping top to SSP top H_g = 0.40 m
 Landside WL L_{wp} = 0.00 m (Normal Condition)
 Riverside WL L_{wp} = 2.70 m (Normal Condition)
 L_{wp}' = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.25_pp.1

R_No.25_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load
 Depth of acting point
 Moment
 Depth of acting point
 (Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10 \text{ degrees}$

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.466}$

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.50	15	11	10.93	18
2	1.60	15	12	11.93	19
3	2.10	21	13	12.93	50
4	3.93	21	14	20.00	50
5	4.93	19			
6	5.93	23			
7	6.93	28			
8	7.93	17			
9	8.93	19			
10	9.93	12			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

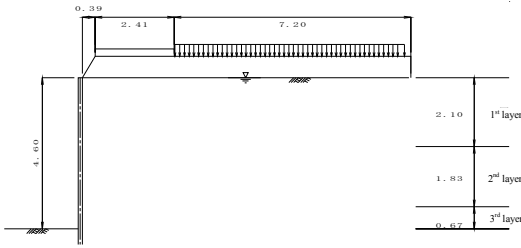
No	Depth (m)	Soil	N-value	γ (kN/m³)	γ' (kN/m³)	φ	C (kN/m²)	a	k'	ζ (degree)		kh(kN/m³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	3.93	S	21.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
3	4.93	S	19.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	—	—
4	5.93	S	23.0	18.00	10.00	34.0	0.0	0.0	0.200	auto	auto	—	—
5	6.93	S	28.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	—	—
6	7.93	S	17.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	—	—
7	8.93	S	19.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	—	—
8	9.93	S	12.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
9	10.93	S	18.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	—	—
10	11.93	S	19.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	—	—
11	12.93	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—
12	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed (M)
 N-value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C_o : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (underwater)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.39	10.00	10.00	0.65	18.0	30.0	0.0	auto	auto
2	Sandy soil	0.39	0.39	2.80	2.80	0.23	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	2.82	9.80	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

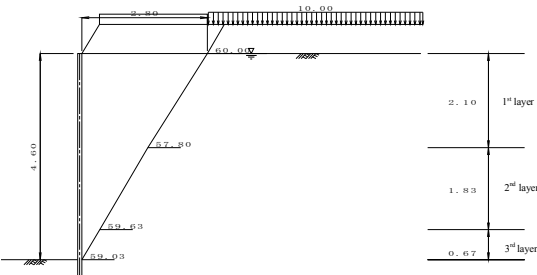
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 180000 cm ⁴
Sectional factor	Z ₀ = 4480 cm ³
Corrosion margin	t ₁ = 1.00 mm (riverside) t ₂ = 1.00 mm (landside)
Corrosion rate (to I ₀)	η = 0.86
Corrosion rate (to Z ₀)	η = 0.88
Section efficiency (to I ₀)	μ = 1.00
Section efficiency (to Z ₀)	μ = 1.00
Round unit of SSP length	0.50 m
Allowable stress	σ_a = 185 N/mm (Normal) σ_a' = 278 N/mm (Seismic)
Allowable displacement	δ_a = 50.0 mm (Normal) δ_a' = 75.0 mm (Seismic)

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus
 Reduced: I₀ applied to calculation of lateral coefficient of subgrade reaction
 Not reduced: I₀ applied to calculation of penetration depth
 Reduced: I₀ applied to calculation of section forces and displacement
 Reduced: Z₀ applied to calculation of stresses

2 Calculation of Acting Load

2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma \times A$ (kN/m)	Angle of rupture Z (degree)
1	4.60~3.93	Sandy Soil	32.0	10.0	0.0	46.00	16.50	45.08	59.03
2	3.93~2.10	Sandy Soil	33.0	10.0	0.0	39.30	16.50	38.51	59.63
3	2.10~0.00	Sandy Soil	30.0	10.0	0.0	21.00	16.50	20.58	57.80
4		Embankment	30.0	—	0.0	15.84	0.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	59.03	0.67	0.00	0.00	0.40	0.67
2	59.63	1.83	0.40	0.67	1.47	2.50
3	57.80	2.10	1.47	2.50	2.80	4.60
4	60.00	0.65	2.80	4.60	3.17	5.25

Therefore, width of acting load shall be set as 2.80 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	1.81	32.64
2	18.0	0.55	9.98
Σ			42.61

γ : unit weight of embankment soil

A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	0.35	3.52
Σ			3.52

Q : surcharge load

l : width of surcharge load set by line of active rupture

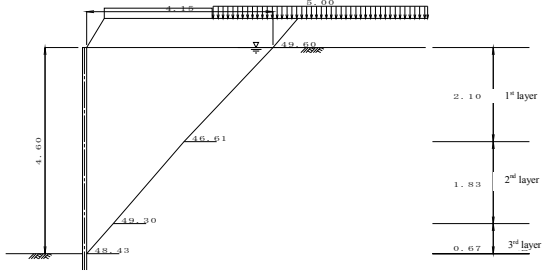
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{42.61 + 3.52 + 0.00}{2.80}$$

$$= 16.50 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma w h$ (kN/m ²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	4.60~3.93	Sandy Soil	32.0	10.0	0.0	46.00	16.60	45.08	0.200	11.31	48.43
2	3.93~2.10	Sandy Soil	33.0	10.0	0.0	39.30	16.60	38.51	0.200	11.31	49.30
3	2.10~0.00	Sandy Soil	30.0	10.0	0.0	21.00	16.60	20.58	0.200	11.31	46.61
4		Embankment	30.0	—	0.0	15.84	0.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q: surcharge load (kN/m²)
- C: cohesive force of soil (kN/m²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	48.43	0.67	0.00	0.00	0.59	0.67
2	49.30	1.83	0.59	0.67	2.17	2.50
3	46.61	2.10	2.17	2.50	4.15	4.60
4	49.60	0.65	4.15	4.60	4.71	5.25

Therefore, width of acting load shall be set as 4.15 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.75	49.56
2	18.0	0.55	9.98
Σ			59.53

γ : unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	1.89	9.44
Σ			9.44

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

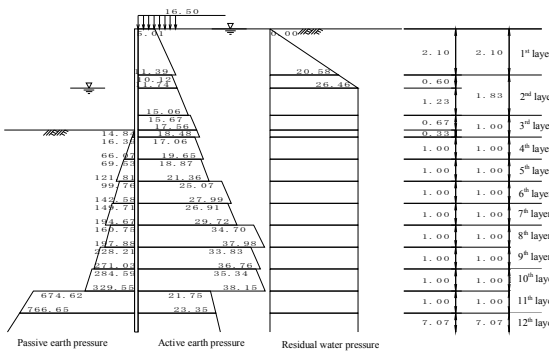
$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{59.53 + 9.44 + 0.00}{4.15}$$

$$= 16.60 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_a$ (kN/m ²)	Ka	$K_a \times \cos \delta$
1	0.00~2.10	Sandy soil	10.0	30.0	16.495	0.30847	0.30378
2	2.10~2.70	Sandy soil	10.0	33.0	37.495	0.27412	0.26996
3	2.70~3.93	Sandy soil	10.0	33.0	43.495	0.27412	0.26996
4	3.93~4.60	Sandy soil	10.0	32.0	55.795	0.28525	0.28092
5	4.60~4.93	Sandy soil	10.0	32.0	62.495	0.28525	0.28092
6	4.93~5.93	Sandy soil	10.0	34.0	65.795	0.26331	0.25931
7	5.93~6.93	Sandy soil	10.0	35.0	75.795	0.25279	0.24895
8	6.93~7.93	Sandy soil	10.0	31.0	85.795	0.29669	0.29219
9	7.93~8.93	Sandy soil	10.0	32.0	95.795	0.28525	0.28092
10	8.93~9.93	Sandy soil	10.0	28.0	105.795	0.33303	0.32798
11	9.93~10.93	Sandy soil	10.0	31.0	115.795	0.29669	0.29219
12	10.93~11.93		10.0	32.0	125.795	0.28525	0.28092
13	11.93~12.93		10.0	45.0	135.795	0.16262	0.16015

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_a$ (kN/m ²)	Ka	$K_a \times \cos \delta$
14	12.93~20.00		10.0	45.0	145.795	0.16262	0.16015

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;

$$K_a = \frac{\cos^2(\delta - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_p$ (kN/m ²)	Kp	$K_p \times \cos \delta$
5	4.60~4.93	Sandy soil	10.0	32.0	0.000	4.56530	4.49594
6	4.93~5.93	Sandy soil	10.0	34.0	3.300	5.04448	4.96784
7	5.93~6.93	Sandy soil	10.0	35.0	13.300	5.30876	5.22810
8	6.93~7.93	Sandy soil	10.0	31.0	23.300	4.34774	4.28169
9	7.93~8.93	Sandy soil	10.0	32.0	33.300	4.56530	4.49594
10	8.93~9.93	Sandy soil	10.0	28.0	43.300	3.76978	3.71251
11	9.93~10.93	Sandy soil	10.0	31.0	53.300	4.34774	4.28169
12	10.93~11.93	Sandy soil	10.0	32.0	63.300	4.56530	4.49594
13	11.93~12.93	Sandy soil	10.0	45.0	73.300	9.34548	9.20351
14	12.93~20.00	Sandy soil	10.0	45.0	83.300	9.34548	9.20351

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure (kN/m ²)	Passive side (kN/m ²)
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1	0.00~2.10	5.01	5.01	0.00	20.58
2	2.10~2.70	10.12	11.74	10.12	20.58
3	2.70~3.93	11.74	11.74	11.74	26.46
4	3.93~4.60	15.67	17.56	15.67	26.46

Depth (m)	Active side			Residual water pressure		Passive side
	Pa1 kN/m ²	Pa2 kN/m ²	Pa kN/m ²	Pw kN/m ²	Pp kN/m ²	
5 4.60~ 4.93	17.56 18.48	---	17.56 18.48	26.46 26.46	0.00 14.84	
6 4.93~ 5.93	17.06 19.65	---	17.06 19.65	26.46 26.46	16.39 66.07	
7 5.93~ 6.93	18.87 21.36	---	18.87 21.36	26.46 26.46	69.53 121.81	
8 6.93~ 7.93	25.07 27.99	---	25.07 27.99	26.46 26.46	99.76 142.58	
9 7.93~ 8.93	26.91 29.72	---	26.91 29.72	26.46 26.46	149.71 194.67	
10 8.93~ 9.93	34.70 37.98	---	34.70 37.98	26.46 26.46	160.75 197.88	
11 9.93~ 10.93	33.83 36.76	---	33.83 36.76	26.46 26.46	228.21 271.03	
12 10.93~ 11.93	35.34 38.15	---	35.34 38.15	26.46 26.46	284.59 329.55	
13 11.93~ 12.93	21.75 23.35	---	21.75 23.35	26.46 26.46	674.62 766.65	
14 12.93~ 20.00	23.35 34.67	---	23.35 34.67	26.46 26.46	766.65 1417.34	

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_c : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

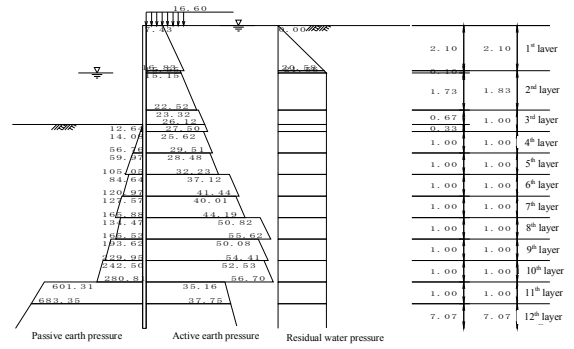
- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h+Q$ (kN/m ²)	rwhw (kN/m ²)	k (k)	θ (degree)	Ka	Ka*cosδ	θ (degree)
1	0.00~2.10	Sandy Soil	10.0	30.0	---	16.60 37.60	0.00 20.58	0.200	11.31	0.45442	0.44752
2	2.10~2.20	Sandy Soil	10.0	33.0	---	37.60 38.60	20.58 21.56	0.200	11.31	0.40899	0.40278
3	2.20~3.93	Sandy Soil	10.0	33.0	---	38.60 55.90	21.56 38.51	0.200	11.31	0.40899	0.40278
4	3.93~4.60	Sandy Soil	10.0	32.0	---	55.90 62.60	38.51 45.08	0.200	11.31	0.42366	0.41722
5	4.60~4.93	Sandy Soil	10.0	32.0	---	62.60 65.90	45.08 48.31	0.200	11.31	0.42366	0.41722
6	4.93~5.93	Sandy Soil	10.0	34.0	---	65.90 75.90	48.31 58.11	0.200	11.31	0.39477	0.38878
7	5.93~6.93	Sandy Soil	10.0	35.0	---	75.90 85.90	58.11 67.91	0.200	11.31	0.38098	0.37519
8	6.93~7.93	Sandy Soil	10.0	31.0	---	85.90 95.90	67.91 77.71	0.200	11.31	0.43879	0.43213
9	7.93~8.93	Sandy Soil	10.0	32.0	---	95.90 105.90	77.71 87.51	0.200	11.31	0.42366	0.41722
10	8.93~9.93	Sandy Soil	10.0	28.0	---	105.90 115.90	87.51 97.31	0.200	11.31	0.48730	0.47989
11	9.93~10.93	Sandy Soil	10.0	31.0	---	115.90 125.90	97.31 107.11	0.200	11.31	0.43879	0.43213
12	10.93~11.93	Sandy Soil	10.0	32.0	---	125.90 135.90	107.11 116.91	0.200	11.31	0.42366	0.41722
13	11.93~12.93	Sandy Soil	10.0	45.0	---	135.90 145.90	116.91 126.71	0.200	11.31	0.26273	0.25874

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h+Q$ (kN/m ²)	rwhw (kN/m ²)	k (k)	θ (degree)	Ka	Ka*cosδ	θ (degree)
14	12.93~20.00	Sandy Soil	10.0	45.0	---	145.90 196.00	126.71 196.00	0.200	11.31	0.26273	0.25874

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;

$\delta = 10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below;

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h+Qp$ (kN/m ²)	rwhw (kN/m ²)	k (k)	θ (degree)	Kp	Kp*cosδ	
5	4.60~4.93	Sandy soil	10.00	32.0	---	0.000 3.300	0.00 3.23	0.200	11.31	3.89012	3.83102
6	4.93~5.93	Sandy soil	10.00	34.0	---	3.300 13.300	3.23 13.03	0.200	11.31	4.33360	4.26776
7	5.93~6.93	Sandy soil	10.00	35.0	---	13.300 23.300	13.03 22.83	0.200	11.31	4.57827	4.50872
8	6.93~7.93	Sandy soil	10.00	31.0	---	23.300 33.300	22.83 32.63	0.200	11.31	3.68877	3.63273
9	7.93~8.93	Sandy soil	10.00	32.0	---	33.300 43.300	32.63 42.43	0.200	11.31	3.89012	3.83102
10	8.93~9.93	Sandy soil	10.00	28.0	---	43.300 53.300	42.43 52.23	0.200	11.31	3.15350	3.10559
11	9.93~10.93	Sandy soil	10.00	31.0	---	53.300 63.300	52.23 62.03	0.200	11.31	3.68877	3.63273
12	10.93~11.93	Sandy soil	10.00	32.0	---	63.300 73.300	62.03 71.83	0.200	11.31	3.89012	3.83102
13	11.93~12.93	Sandy soil	10.00	45.0	---	73.300 83.300	71.83 81.63	0.200	11.31	8.33000	8.20345
14	12.93~20.00	Sandy soil	10.00	45.0	---	83.300 154.000	81.63 150.92	0.200	11.31	8.33000	8.20345

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below;

$\delta = -10.00, \beta = 0.00, \theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 kN/m ²	Pa2 kN/m ²	Pa kN/m ²		
1	0.00~2.10	7.43 16.83	---	7.43 16.83	0.00 20.58	---
2	2.10~2.20	15.15 15.55	---	15.15 15.55	20.58 21.56	---
3	2.20~3.93	15.55 22.52	---	15.55 22.52	21.56 21.56	---
4	3.93~4.60	23.32 26.12	---	23.32 26.12	21.56 21.56	---
5	4.60~4.93	26.12 27.50	---	26.12 27.50	21.56 21.56	0.00 12.64
6	4.93~5.93	25.62 29.51	---	25.62 29.51	21.56 21.56	14.08 56.76
7	5.93~6.93	28.48 32.23	---	28.48 32.23	21.56 21.56	59.97 105.05
8	6.93~7.93	37.12 41.44	---	37.12 41.44	21.56 21.56	84.64 120.97
9	7.93~8.93	40.01 44.19	---	40.01 44.19	21.56 21.56	127.57 165.88
10	8.93~9.93	50.82 55.62	---	50.82 55.62	21.56 21.56	134.47 165.53
11	9.93~10.93	50.08 54.41	---	50.08 54.41	21.56 21.56	193.62 229.95
12	10.93~11.93	52.53 56.70	---	52.53 56.70	21.56 21.56	242.50 280.81
13	11.93~12.93	35.16 37.75	---	35.16 37.75	21.56 21.56	601.31 683.35
14	12.93~20.00	37.75 56.04	---	37.75 56.04	21.56 21.56	683.35 1263.33

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_c : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

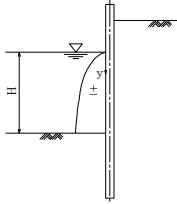
3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P _{sw} (kN/m ²)
1	2.20	0.00	0.00
2	3.20	1.00	2.66
3	4.20	2.00	3.76
4	4.60	2.40	4.12

$$P_{sw} = \pm \frac{7}{8} k_{hs} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

Where,

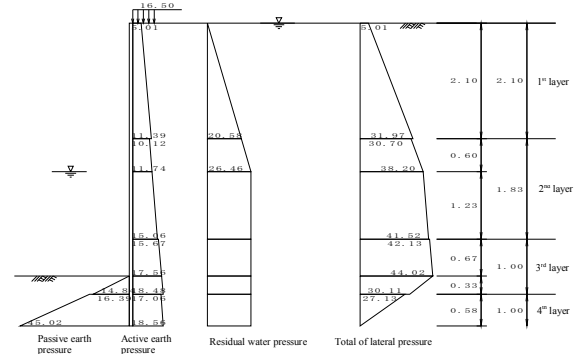
- k_{hs}: design seismic coefficient
- γ_w: unit weight of water
- H: water depth of riverside
- y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L_x is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition



Depth (m)	Pa kN/m ²	Pw kN/m ²	Pp kN/m ²	Ps kN/m ²
1 0.00~2.10	5.01 11.39	0.00 20.58	—	5.01 31.97
2 2.10~2.70	10.12 11.74	20.58 26.46	—	30.70 38.20
3 2.70~3.93	11.74 15.06	26.46 26.46	—	38.20 41.52
4 3.93~4.60	15.67 17.56	26.46 26.46	—	42.13 44.02
5 4.60~4.93	17.56 18.48	26.46 26.46	0.00 14.84	44.02 30.11
6 4.93~5.51	17.06 18.56	26.46 26.46	16.39 45.02	27.13 0.00
7 5.51~5.93	18.56 19.65	26.46 26.46	45.02 66.07	0.00 -19.96

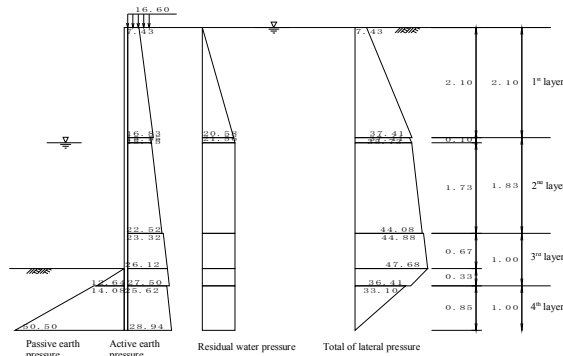
- P_a: Active earth pressure
- P_w: Residual water pressure
- P_p: Passive earth pressure
- P_s: Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_x: 0.91 m (GL -5.51 m)

R_No.25_pp.17

R_No.25_pp.18

4-2 Seismic Condition



Depth (m)	Pa kN/m ²	Pw kN/m ²	Pp kN/m ²	Ps kN/m ²
1 0.00~2.10	7.43 16.83	0.00 20.58	—	7.43 37.41
2 2.10~2.20	15.15 15.55	20.58 21.56	—	35.73 37.11
3 2.20~3.93	15.55 22.52	21.56 21.56	—	37.11 44.08
4 3.93~4.60	23.32 26.12	21.56 21.56	—	44.88 47.68
5 4.60~4.93	26.12 27.50	21.56 21.56	0.00 12.64	47.68 36.41
6 4.93~5.78	25.62 28.94	21.56 21.56	14.08 50.50	33.10 0.00
7 5.78~5.93	28.94 29.51	21.56 21.56	50.50 56.76	0.00 -5.69

- P_a: Active earth pressure
- P_w: Residual water pressure
- P_p: Passive earth pressure
- P_s: Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_x: 1.18 m (GL -5.78 m)

R_No.25_pp.19

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below;

$$K_h = 6910 \times N^{0.096}$$

where,

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

- Unit width B = 1.0000 m
- Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
- Corrosion rate η = 0.86
- Section efficiency μ = 1.00
- Young's modulus E = 200000 N/mm²
- Inertia sectional moment I₀ = 180000 cm⁴(original condition)
- I = 154800 cm⁴(after reduction by corrosion and section)
- Inertia sectional moment EI = 200000 × 10³ × 154800 × 10⁻⁸ = 3.096 × 10⁷

Depth (m)	N-value	Depth (m)	N-value
1 0.50	15	11 10.93	18
2 1.60	15	12 11.93	19
3 2.10	21	13 12.93	50
4 3.93	21	14 20.00	50
5 4.93	19		
6 5.93	23		
7 6.93	28		
8 7.93	17		
9 8.93	19		
10 9.93	12		

5-2 Normal Condition

K_h = 24725 kN/m³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}} = 0.376 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.66 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -5.51 m) to 2.66 m depth (GL -8.17 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 5.51	0.42	21.3	23.0	9.39
2 5.93	1.00	23.0	28.0	25.50
3 6.93	1.00	28.0	17.0	22.50
4 7.93	0.24	17.0	17.5	4.08
L = Σh = 2.66		ΣA = 61.46		

A: (upper N-value + lower N-value) × h/2

R_No.25_pp.20

$$\text{Average N-value } N' = \frac{\sum A}{L} = \frac{61.46}{2.66} = 23.10$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:
 $K_h = 6910 \times N'^{0.896} = 6910 \times 23.10^{0.896} = 24725 \text{ kN/m}^3$
 Kh (normal condition) = 24725 kN/m³

5-3 Seismic Condition

$K_h = 24534 \text{ kN/m}^3$ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.375 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.67 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -5.78 m) and 2.67 m depth (GL -8.45 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 5.78	0.15	22.4	23.0	3.33
2 5.93	1.00	23.0	28.0	25.50
3 6.93	1.00	28.0	17.0	22.50
4 7.93	0.52	17.0	18.0	9.09
L = Σh = 2.67		ΣA = 60.42		

A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\sum A}{L} = \frac{60.42}{2.67} = 22.67$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:
 $K_h = 6910 \times N'^{0.896} = 6910 \times 22.67^{0.896} = 24534 \text{ kN/m}^3$
 Kh (seismic condition) = 24534 kN/m³

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load Ps (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1 0.00~2.10	2.10	7.43 37.41	7.80 39.28	5.08 4.38	39.66 172.17
2 2.10~2.20	0.10	35.73 37.11	1.79 1.86	3.65 3.62	6.52 6.71
3 2.20~3.93	1.73	37.11 44.08	32.10 38.13	3.01 2.43	96.51 92.64
4 3.93~4.60	0.67	44.88 47.68	15.04 15.97	1.63 1.41	24.51 22.47
5 4.60~4.93	0.33	47.68 36.41	7.87 6.01	1.07 0.96	8.44 5.79
6 4.93~5.78	0.85	33.10 0.00	14.12 0.00	0.57 0.28	8.03 0.00
ΣP = 179.95		ΣM = 483.45			

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_t = 7.4 \text{ kN/m}$
 depth to acting position $H_t = -0.12 \text{ m}$
 moment $M_m = 2.0 \text{ kN}\cdot\text{m/m}$
 Height from riverbed to top of coping $H_m = 0.80 \text{ m}$
 Depth of Imaginary riverbed from riverbed $L_k = 1.18 \text{ m}$

Moment M_t by arbitrary load is as below
 $M_t = P_t \cdot (H + L_k - H_t) + M_m = 45.68 \text{ kN}\cdot\text{m}$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{dw} (kN/m ²)	Load P_{dw} (kN)	Arm length Y (m)	Moment M_{dw} (kN·m)
1	2.20~3.20	1.00	0.0 2.7	0.00 1.33	3.25 2.92	0.00 3.87
2	3.20~4.20	1.00	2.7 3.8	1.33 1.88	2.25 1.92	2.99 3.60
3	4.20~4.60	0.40	3.8 4.1	0.75 0.82	1.45 1.32	1.09 1.08
ΣP _{dw} = 6.11			ΣM _{dw} = 12.64			

h_0 : Height of acting position of P_0 from imaginary riverbed
 $h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_t + \sum M_{dw}}{\sum P + P_t + \sum P_{dw}} = \frac{541.77}{193.46} = 2.80 \text{ m}$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1 0.00~2.10	2.10	5.01 31.97	5.26 33.57	4.81 4.11	25.29 137.84
2 2.10~2.70	0.60	30.70 38.20	9.21 11.46	3.21 3.01	29.53 34.45
3 2.70~3.93	1.23	38.20 41.52	23.49 25.54	2.40 1.99	56.30 50.72
4 3.93~4.60	0.67	42.13 44.02	14.11 14.75	1.35 1.13	19.09 16.65
5 4.60~4.93	0.33	44.02 30.11	7.26 4.97	0.80 0.69	5.78 3.41
6 4.93~5.51	0.58	27.13 0.00	7.81 0.00	0.38 0.19	3.00 0.00
ΣP = 157.44		ΣM = 382.06			

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_t = 2.4 \text{ kN/m}$
 depth to acting position $H_t = -0.42 \text{ m}$
 moment $M_m = 0.0 \text{ kN}\cdot\text{m/m}$
 Height from riverbed to top of coping $H = 4.60 \text{ m}$
 Depth of Imaginary riverbed from riverbed $L_k = 0.91 \text{ m}$

Moment M_t by arbitrary load is as below
 $M_t = P_t \cdot (H + L_k - H_t) + M_m = 14.22 \text{ kN}\cdot\text{m}$
 h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_t}{\sum P + P_t} = \frac{396.29}{159.84} = 2.48 \text{ m}$$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin	t ₁	=	1.00 mm (active side)	t ₂	=	1.00 mm (passive side)
Corrosion rate	η	=	0.88			
Section efficiency	μ	=	1.00			
Module of section	Z ₀	=	4480 cm ³ (original condition)			
	Z	=	3942 cm ³ (after reduction by corrosion and section)			

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{460.92 \times 10^6}{3942 \times 10^3} = 117 \text{ N/mm}^2 \leq \sigma_a = 185 \text{ N/mm}^2 \quad (\text{ok})$$

7-1-1 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{615.01 \times 10^6}{3942 \times 10^3} = 156 \text{ N/mm}^2 \leq \sigma_a = 278 \text{ N/mm}^2 \quad (\text{ok})$$

7-2 Displacement

7-2-1 Normal Condition

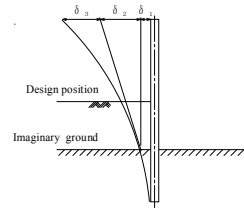
Modules of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~	4.81	0.873	0.270	5.26	1.421
	2.10	4.11	0.746	0.209	33.57	7.014
2	2.10~	3.21	0.582	0.137	9.21	1.258
	2.70	3.01	0.546	0.122	11.46	1.397
3	2.70~	2.40	0.435	0.081	23.49	1.902
	3.93	1.99	0.361	0.057	25.54	1.462
4	3.93~	1.35	0.246	0.028	14.11	0.391
	4.60	1.13	0.205	0.020	14.75	0.289
5	4.60~	0.80	0.145	0.010	7.26	0.072
	4.93	0.69	0.125	0.007	4.97	0.037
6	4.93~	0.38	0.070	0.002	7.81	0.019
	5.51	0.19	0.035	0.001	0.00	0.000
ΣQ						15.262

Y : Height from imaginary riverbed to acting position
 α : $\alpha = \frac{Y}{H+L_1}$
 ζ : $\zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : ζ × P
 P : Lateral force
 H : Depth to design position
 L₁ : Depth from design position to imaginary ground

R_No.25_pp.25

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1+0.3759 \times 2.48) \times 159.84}{2 \times 2.00 \times 10^8 \times 154800 \times 10^{-8} \times 0.3759^3} = 0.00939 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_1) = \frac{(1+2 \times 0.3759 \times 2.48) \times 159.84}{2 \times 2.00 \times 10^8 \times 154800 \times 10^{-8} \times 0.3759^2} \times (4.60+0.91) = 0.02881 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_1)^3}{E I} = \frac{15.26 \times (4.60+0.91)^3}{2.00 \times 10^8 \times 154800 \times 10^{-8}} = 0.00823 \text{ m}$$

Additional displacement δ₃' generated by horizontal load (P) and moment (M) acting at top of SSP considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ₃' is calculated as 0.00048 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 5.51 m
 Horizontal load: P = 2.40
 Moment: M = 1.01

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.00939 + 0.02881 + 0.00871 = 0.04691 \text{ m} = 46.91 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where

- Displacement at imaginary ground
- Displacement by angle of inclination slope at imaginary ground
- Displacement at higher part of imaginary ground as cantilever
- Displacement at top of SSP
- Allowable displacement

R_No.25_pp.26

7-2-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~	5.08	0.879	0.273	7.80	2.131
	2.10	4.38	0.758	0.215	39.28	8.431
2	2.10~	3.65	0.631	0.157	1.79	0.281
	2.20	3.62	0.625	0.155	1.86	0.287
3	2.20~	3.01	0.520	0.112	32.10	3.586
	3.93	2.43	0.420	0.076	38.13	2.894
4	3.93~	1.63	0.282	0.036	15.04	0.541
	4.60	1.41	0.243	0.027	15.97	0.434
5	4.60~	1.07	0.186	0.016	7.87	0.127
	4.93	0.96	0.167	0.013	6.01	0.079
6	4.93~	0.57	0.098	0.005	14.12	0.066
	5.78	0.28	0.049	0.001	0.00	0.000
ΣQ						18.857

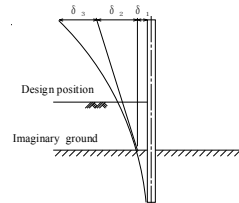
Y : Height from imaginary riverbed to acting position
 α : $\alpha = \frac{Y}{H+L_1}$
 ζ : $\zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : ζ × P
 P : Lateral force
 H : Depth to design position
 L₁ : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _{se} (kN)	Q _{se} (kN)
1	2.20~	3.25	0.562	0.128	0.00	0.000
	3.20	2.92	0.504	0.106	1.33	0.141
2	3.20~	2.25	0.389	0.066	1.33	0.087
	4.20	1.92	0.331	0.049	1.88	0.092
3	4.20~	1.45	0.251	0.029	0.75	0.022
	4.60	1.32	0.228	0.024	0.82	0.020
ΣQ _{se}						0.361

Therefore, modulus of deformation Q is calculated as below:
 Q = 18.857 + 0.361 = 19.219

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1+0.3752 \times 2.80) \times 193.46}{2 \times 2.00 \times 10^8 \times 154800 \times 10^{-8} \times 0.3752^3} = 0.01213 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_1) = \frac{(1+2 \times 0.3752 \times 2.80) \times 193.46}{2 \times 2.00 \times 10^8 \times 154800 \times 10^{-8} \times 0.3752^2} \times (4.60+1.18) = 0.03981 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_1)^3}{E I} = \frac{19.22 \times (4.60+1.18)^3}{2.00 \times 10^8 \times 154800 \times 10^{-8}} = 0.01201 \text{ m}$$

Additional displacement δ₃' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ₃' is calculated as 0.00159 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 5.78 m
 Horizontal load: P = 7.40
 Moment: M = 0.89

Displacement δ_{3m} of cantilever beam by moment M_m is additionally considered.

$$\delta_{3m} = \frac{M_m \cdot h}{2 E I} \times (2 L - h) \quad (L=5.78 \text{ m, } h=L-H_m, H_m=0.80 \text{ m, } \text{ただし})$$

$$= \frac{2.00 \times 4.98}{2 \times 2.00 \times 10^8 \times 154800 \times 10^{-8}} \times (2 \times 5.78 - 4.98) = 0.00011 \text{ m}$$

$$\begin{aligned} \delta &= \delta_1 + \delta_2 + \delta_3 \\ &= 0.01213 + 0.03981 + 0.01370 \\ &= 0.06565 \text{ m} \\ &= 65.65 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)} \end{aligned}$$

- Where,
- δ_1 : Displacement at imaginary ground
 - δ_2 : Displacement by angle of inclination slope at imaginary ground
 - δ_3 : Displacement at higher part of imaginary ground as cantilever
 - δ : Displacement at top of SSP
 - δ_a : Allowable displacement

8 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below:

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 180000 \text{ cm}^4$ (original condition)
	$I = 180000 \text{ cm}^4$ (after reduction by corrosion and section)
	EI = 200000 × 10 ³ × 180000 × 10 ⁻⁸ = 3.600 × 10 ⁸

8-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_0 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings:

$$\begin{aligned} D &= L_0 + \frac{3}{\beta} \\ L &= H - H_{11} + D \\ \beta &= 4\sqrt{\frac{K_s \cdot B}{4 E I}} \end{aligned}$$

8-1-1 Normal Condition

Modules of lateral subgrade reaction	$K_s = 24725 \text{ kN/m}^3$
Calculated value	$\beta = 0.36199 \text{ m}^{-1}$
Penetration length of SSP	$D = 0.91 + \frac{3}{0.362} = 9.19 \text{ m}$
Whole length of SSP	$L = 4.60 - 0.40 + 9.19 = 13.39 \text{ m}$

8-1-2 Seismic Condition

Modules of lateral subgrade reaction	$K_s = 24534 \text{ kN/m}^3$
Calculated value	$\beta = 0.36129 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.18 + \frac{3}{0.361} = 9.49 \text{ m}$
Whole length of SSP	$L = 4.60 - 0.40 + 9.49 = 13.69 \text{ m}$

Therefore, whole length of SSP is set as 14.00 m in consideration of round unit of SSP length.

R_No.25_pp.29

R_No.25_pp.30

9 Calculation Result

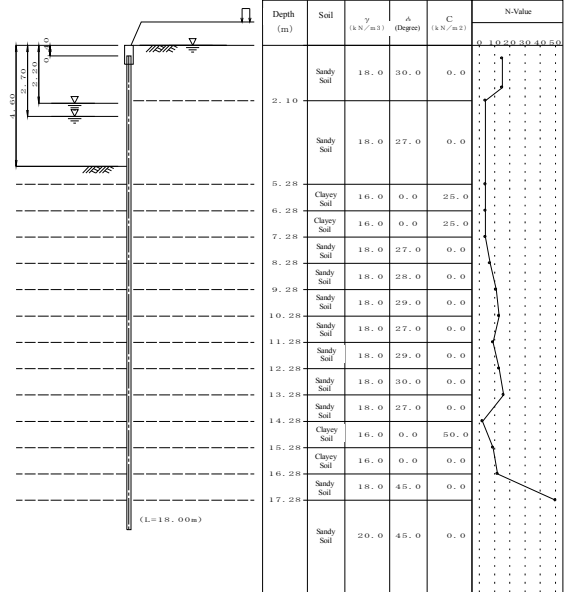
			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	180000		
Section modulus	Z (cm ³)	4480		
Maximum bending moment	M_{max} (kN·m/m)		460.92	615.01
Stress intensity	σ (N/mm ²)		117 (185)	156 (278)
Lateral displacement	δ (mm)		46.91 (50.0)	65.65 (75.0)
Penetration depth	D (m)		9.19	9.49
Whole length of SSP	L (m)	14.00		

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 26_STA 11+050 - 11+150



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 4.60 m
 Depth from coping top to rear side ground H_g = 0.40 m
 Depth from coping top to SSP top H_s = 0.40 m
 Landside WL L_{wp} = 0.00 m (Normal Condition)
 Riverside WL L_{wp} = 2.70 m (Normal Condition)
 L_{wp}^s = 0.00 m (Seismic Condition)
 L_{wp}^r = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.26_pp.1

R_No.26_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition
 Design earthquake intensity $k = 0.200$
 Dynamic water pressure due to earthquake considered as distributed load
 Arbitrary load Horizontal load $P_t = 2.4 \text{ kN/m}$ (Normal Condition)
 $P_t' = 7.5 \text{ kN/m}$ (Seismic Condition)
 Depth of acting point $H_t = -0.42 \text{ m}$ (Normal Condition)
 $H_t' = -0.13 \text{ m}$ (Seismic Condition)
 Moment $M_m = 0.0 \text{ kN}\cdot\text{m/m}$ (Normal Condition)
 $M_m' = 2.1 \text{ kN}\cdot\text{m/m}$ (Seismic Condition)
 Depth of acting point $H_m = 0.00 \text{ m}$ (Seismic Condition)
 $H_m = 0.80 \text{ m}$ (Normal Condition)
 ('Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10 \text{ degrees}$

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.406}$

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.50	15	11	12.28	13
2	1.60	15	12	13.28	16
3	2.10	4	13	14.28	2
4	5.28	4	14	15.28	9
5	6.28	4	15	16.28	12
6	7.28	4	16	17.28	50
7	8.28	7	17	20.00	50
8	9.28	11			
9	10.28	13			
10	11.28	9			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

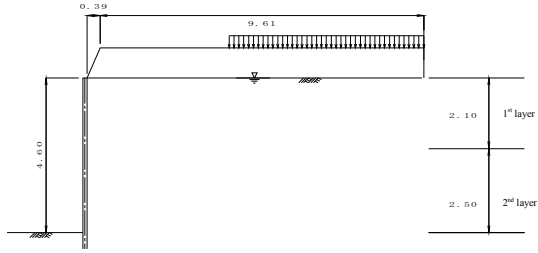
No	Depth (m)	Soil	N-value	γ	γ'	φ	C	a	k'	ζ (degree)		kh(kN/m³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----
2	5.28	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
3	6.28	C	4.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	-----	-----
4	7.28	C	4.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	-----	-----
5	8.28	S	7.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
6	9.28	S	11.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	-----	-----
7	10.28	S	13.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	-----	-----
8	11.28	S	9.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
9	12.28	S	13.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	-----	-----
10	13.28	S	16.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----
11	14.28	S	2.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
12	15.28	C	9.0	16.00	8.00	0.0	50.0	0.0	0.200	auto	auto	-----	-----
13	16.28	C	12.0	16.00	8.00	0.0	0.0	0.0	0.200	auto	auto	-----	-----
14	17.28	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	-----	-----
15	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	-----	-----

Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed (M)
 N-value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C_s : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (underwater)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.39	10.00	10.00	0.89	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

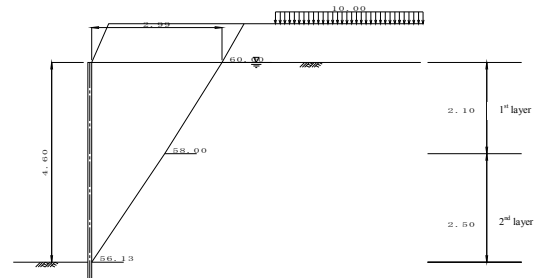
No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	4.22	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

- Young's modulus $E = 200000 \text{ N/mm}^2$
- Inertia sectional moment $I_0 = 429000 \text{ cm}^4$
- Sectional factor $Z_0 = 7900 \text{ cm}^3$
- Corrosion margin $t_1 = 1.00 \text{ mm (riverside)}$ $t_2 = 1.00 \text{ mm (landside)}$
- Corrosion rate (to I_0) $\eta = 0.86$
- Corrosion rate (to Z_0) $\eta = 0.88$
- Section efficiency (to I_0) $\mu = 1.00$
- Section efficiency (to Z_0) $\mu = 1.00$
- Round unit of SSP length 0.50 m
- Allowable stress $\sigma_n = 185 \text{ N/mm (Normal)}$
 $\sigma'_n = 278 \text{ N/mm (Seismic)}$
- Allowable displacement $\delta_n = 50.0 \text{ mm (Normal)}$
 $\delta'_n = 75.0 \text{ mm (Seismic)}$
- Bending of cantilever beam calculated as distributed load of each layer
- Reduction of material modulus Reduced: I_0 applied to calculation of lateral coefficient of subgrade reaction
Not reduced: I_0 applied to calculation of penetration depth
Reduced: I_0 applied to calculation of section forces and displacement
Reduced: Z_0 applied to calculation of stresses

2 Calculation of Acting Load
2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γw_{hw} (kN/m ²)	Angle of rupture Z (degree)
1	4.60 ~ 2.10	Sandy Soil	27.0	9.0	0.0	46.00	16.35	45.08	56.13
2	2.10 ~ 0.00	Sandy Soil	30.0	9.0	0.0	21.00	16.35	20.58	58.00
3		Embankment	30.0	—	0.0	16.02	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	56.13	2.50	0.00	0.00	1.68	2.50
2	58.00	2.10	1.68	2.50	2.99	4.60
3	60.00	0.89	2.99	4.60	3.50	5.49

Therefore, width of acting load shall be set as 2.99 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.72	48.90
Σ			48.90

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

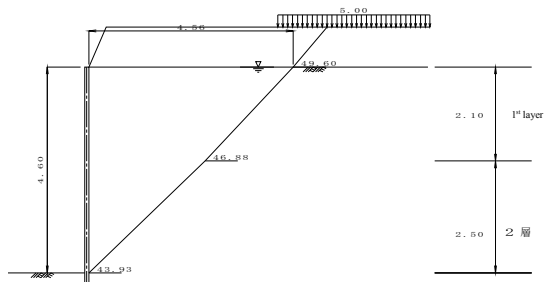
2-1-4 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times 1) + \Sigma P}{L}$$

$$= \frac{48.90 + 0.00 + 0.00}{2.99}$$

$$= 16.35 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γw_{hw} (kN/m ²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	4.60 ~ 2.10	Sandy Soil	27.0	9.0	0.0	46.00	17.87	45.08	0.200	11.31	43.93
2	2.10 ~ 0.00	Sandy Soil	30.0	9.0	0.0	21.00	17.87	20.58	0.200	11.31	46.88

3	Embankment	30.0	—	0.0	16.02	5.00	0.00	0.200	11.31	49.60
---	------------	------	---	-----	-------	------	------	-------	-------	-------

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.93	2.50	0.00	0.00	2.60	2.50
2	46.88	2.10	2.60	2.50	4.56	4.60
3	49.60	0.89	4.56	4.60	5.32	5.49

Therefore, width of acting load shall be set as 4.56 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	4.22	76.03
Σ			76.03

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	1.10	5.50
Σ			5.50

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

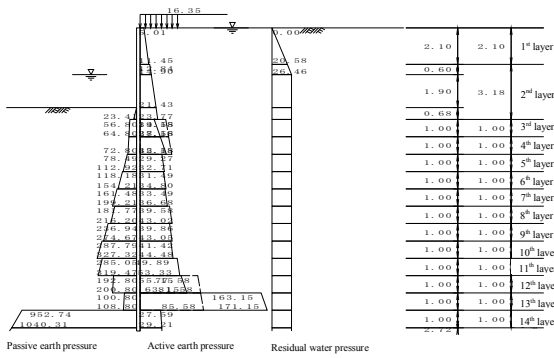
$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{76.03 + 5.50 + 0.00}{4.56}$$

$$= 17.87 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



Depth (m)	Soil	γ (kN/m³)	φ (degree)	C (kN/m²)	Σh+Qa (kN/m²)	Ka	Ka × cosδ
14.28~15.28	Clayey soil	8.0	—	50.0	155.152	—	—
15.28~16.28	Clayey soil	8.0	—	0.0	163.152	—	—
16.28~17.28	Sandy soil	10.0	45.0	—	171.152	0.16323	0.16122
17.28~20.00	Sandy soil	10.0	45.0	—	181.152	0.16323	0.16122

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;

δ = 9.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

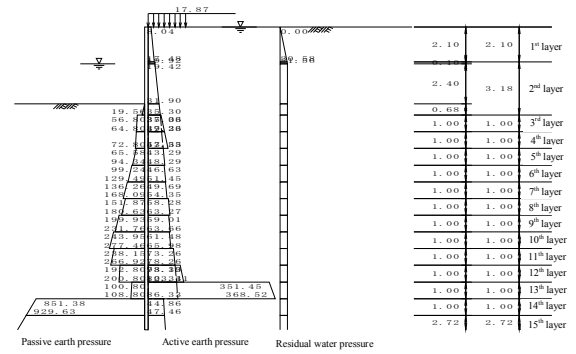
Depth (m)	Soil	γ (kN/m³)	φ (degree)	C (kN/m²)	Σh+Qp (kN/m²)	Kp	Kp × cosδ
4.60~5.28	Sandy soil	10.0	27.0	—	0.000	3.48553	3.44261
5.28~6.28	Clayey soil	8.0	0.0	25.0	6.800	—	—
6.28~7.28	Clayey soil	8.0	0.0	25.0	14.800	—	—
7.28~8.28	Sandy soil	10.0	27.0	—	22.800	3.48553	3.44261
8.28~9.28	Sandy soil	10.0	28.0	—	32.800	3.64796	3.60305
9.28~10.28	Sandy soil	10.0	29.0	—	42.800	3.82002	3.77299
10.28~11.28	Sandy soil	10.0	27.0	—	52.800	3.48553	3.44261
11.28~12.28	Sandy soil	10.0	29.0	—	62.800	3.82002	3.77299
12.28~13.28	Sandy soil	10.0	30.0	—	72.800	4.00247	3.95319
13.28~14.28	Sandy soil	10.0	27.0	—	82.800	3.48553	3.44261
14.28~15.28	Clayey soil	8.0	0.0	50.0	92.800	—	—
15.28~16.28	Clayey soil	8.0	0.0	0.0	100.800	—	—
16.28~17.28	Sandy soil	10.0	45.0	—	108.800	8.86593	8.75678
17.28~20.00	Sandy soil	10.0	45.0	—	118.800	8.86593	8.75678

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;

δ = -9.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m³)	φ (degree)	C (kN/m²)	Σh+Q	γchw (kN/m²)	k (k)	θ (degree)	Ka	Ka × cosδ	θ (degree)
0.00~2.10	Sandy Soil	10.0	30.0	—	17.87	0.00	0.200	11.31	0.45543	0.44982	—
2.10~2.20	Sandy Soil	10.0	27.0	—	38.87	20.58	0.200	11.31	0.50574	0.49951	—
2.20~4.60	Sandy Soil	10.0	27.0	—	39.87	21.56	0.200	11.31	0.50574	0.49951	—
4.60~5.28	Sandy Soil	10.0	27.0	—	63.87	45.08	0.200	11.31	0.50574	0.49951	—
5.28~6.28	Clayey Soil	8.0	—	25.0	70.67	51.74	0.200	11.31	—	—	38.79
6.28~7.28	Clayey Soil	8.0	—	25.0	78.67	61.54	0.200	11.31	—	—	38.08
7.28~8.28	Sandy Soil	10.0	27.0	—	86.67	71.34	0.200	11.31	0.50574	0.49951	—
8.28~9.28	Sandy Soil	10.0	28.0	—	96.67	81.14	0.200	11.31	0.48839	0.48237	—
9.28~10.28	Sandy Soil	10.0	29.0	—	106.67	90.94	0.200	11.31	0.48839	0.48237	—
10.28~11.28	Sandy Soil	10.0	27.0	—	116.67	100.74	0.200	11.31	0.47163	0.46582	—
11.28~12.28	Sandy Soil	10.0	29.0	—	126.67	110.54	0.200	11.31	0.47163	0.46582	—
12.28~13.28	Sandy Soil	10.0	30.0	—	136.67	120.34	0.200	11.31	0.45543	0.44982	—
13.28~14.28	Sandy Soil	10.0	27.0	—	146.67	130.14	0.200	11.31	0.45543	0.44982	—

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure Pw (kN/m²)	Passive side Pp (kN/m²)
	Pa1 (kN/m²)	Pa2 (kN/m²)	Pa (kN/m²)		
1 0.00~2.10	5.01	—	5.01	0.00	—
2 2.10~2.70	12.84	—	12.84	20.58	—
3 2.70~4.60	14.90	—	14.90	26.46	—
4 4.60~5.28	21.43	—	21.43	26.46	0.00
5 5.28~6.28	19.15	34.58	34.58	26.46	56.80
6 6.28~7.28	27.15	38.58	38.58	26.46	64.80
7 7.28~8.28	29.27	42.58	42.58	26.46	72.80
8 8.28~9.28	31.49	—	31.49	26.46	118.18
9 9.28~10.28	33.49	—	33.49	26.46	154.21
10 10.28~11.28	36.68	—	36.68	26.46	161.48
11 11.28~12.28	39.58	—	39.58	26.46	199.21
12 12.28~13.28	43.02	—	43.02	26.46	216.20
13 13.28~14.28	43.05	—	43.05	26.46	236.94
14 14.28~15.28	41.42	—	41.42	26.46	287.79
15 15.28~16.28	44.48	—	44.48	26.46	327.32
16 16.28~17.28	49.89	—	49.89	26.46	285.05
17 17.28~18.28	53.33	—	53.33	26.46	319.47
18 18.28~19.28	55.15	77.58	77.58	26.46	192.80
19 19.28~20.00	63.15	81.58	81.58	26.46	206.80
20 20.00~21.00	163.15	81.58	163.15	26.46	100.80
21 21.00~22.00	171.15	85.58	171.15	26.46	108.80
22 22.00~23.00	27.59	—	27.59	26.46	952.74
23 23.00~24.00	29.21	—	29.21	26.46	1040.31
24 24.00~25.00	29.21	—	29.21	26.46	1040.31
25 25.00~26.00	33.59	—	33.59	26.46	1278.49

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 Kc : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h+Q$ (kN/m ²)	γ_{wh} (kN/m ²)	k (k)	θ (degree)	Ka	Ka $\times \cos\delta$	θ (degree)
14.28~15.28	Clayey Soil	8.0	—	50.0 50.0	156.67 164.67	139.94 149.74	0.200 0.200	11.31 11.31	—	—	38.90 38.55
15.28~16.28	Clayey Soil	8.0	—	0.0 0.0	164.67 172.67	149.74 159.54	0.200 0.200	11.31 11.31	—	—	10.00 10.00
16.28~17.28	Sandy Soil	10.0	45.0	—	172.67 182.67	159.54 169.34	0.200 0.200	11.31 11.31	0.26304 0.26304	0.25980 0.25980	—
17.28~20.00	Sandy Soil	10.0	45.0	—	182.67 209.87	169.34 196.00	0.200 0.200	11.31 11.31	0.26304 0.26304	0.25980 0.25980	—

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;
 $\delta = 9.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below;

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan\theta}$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h+Qp$ (kN/m ²)	γ_{wh} (kN/m ²)	k (k)	θ (degree)	Kp	Kp $\times \cos\delta$
4.60~5.28	Sandy soil	10.00	27.0	—	0.000 6.800	0.00 6.66	0.200 0.200	11.31 11.31	2.91211 2.91211	2.87626 2.87626
5.28~6.28	Clayey soil	8.00	0.0	25.0 25.0	6.800 14.800	6.66 16.46	0.200 0.200	11.31 11.31	—	—
6.28~7.28	Clayey soil	8.00	0.0	25.0 25.0	14.800 22.800	16.46 26.26	0.200 0.200	11.31 11.31	—	—
7.28~8.28	Sandy soil	10.00	27.0	—	22.800 32.800	26.26 36.06	0.200 0.200	11.31 11.31	2.91211 2.91211	2.87626 2.87626
8.28~9.28	Sandy soil	10.00	28.0	—	32.800 42.800	36.06 45.86	0.200 0.200	11.31 11.31	3.06329 3.06329	3.02557 3.02557
9.28~10.28	Sandy soil	10.00	29.0	—	42.800 52.800	45.86 55.66	0.200 0.200	11.31 11.31	3.22324 3.22324	3.18356 3.18356
10.28~11.28	Sandy soil	10.00	27.0	—	52.800 62.800	55.66 65.46	0.200 0.200	11.31 11.31	2.91211 2.91211	2.87626 2.87626
11.28~12.28	Sandy soil	10.00	29.0	—	62.800 72.800	65.46 75.26	0.200 0.200	11.31 11.31	3.22324 3.22324	3.18356 3.18356
12.28~13.28	Sandy soil	10.00	30.0	—	72.800 82.800	75.26 85.06	0.200 0.200	11.31 11.31	3.39273 3.39273	3.35096 3.35096
13.28~14.28	Sandy soil	10.00	27.0	—	82.800 92.800	85.06 94.86	0.200 0.200	11.31 11.31	2.91211 2.91211	2.87626 2.87626
14.28~15.28	Clayey soil	8.00	0.0	50.0 50.0	92.800 100.800	94.86 104.66	0.200 0.200	11.31 11.31	—	—
15.28~16.28	Clayey soil	8.00	0.0	0.0 0.0	100.800 108.800	104.66 114.46	0.200 0.200	11.31 11.31	—	—
16.28~17.28	Sandy soil	10.00	45.0	—	108.800 118.800	114.46 124.26	0.200 0.200	11.31 11.31	7.92269 7.92269	7.82515 7.82515
17.28~20.00	Sandy soil	10.00	45.0	—	118.800 146.000	124.26 150.92	0.200 0.200	11.31 11.31	7.92269 7.92269	7.82515 7.82515

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below;
 $\delta = -9.00, \beta = 0.00, \theta = \tan^{-1}k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure Pw (kN/m ²)	Passive side Pp (kN/m ²)
		Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1	0.00~2.10	8.04 17.48	—	8.04 17.48	0.00 20.58	—
2	2.10~2.20	19.42 19.92	—	19.42 19.92	20.58 21.56	—
3	2.20~4.60	19.92 31.90	—	19.92 31.90	21.56 21.56	—
4	4.60~5.28	31.90 35.30	—	31.90 35.30	21.56 21.56	0.00 19.56
5	5.28~6.28	37.06 47.29	35.33 39.33	37.06 47.26	21.56 21.56	56.80 64.80
6	6.28~7.28	47.26 57.55	39.33 43.33	47.26 57.55	21.56 21.56	64.80 72.80
7	7.28~8.28	43.29 48.29	—	43.29 48.29	21.56 21.56	65.58 94.34
8	8.28~9.28	46.63 51.45	—	46.63 51.45	21.56 21.56	99.24 129.49
9	9.28~10.28	49.69 54.55	—	49.69 54.55	21.56 21.56	136.26 168.09
10	10.28~11.28	58.28 63.27	—	58.28 63.27	21.56 21.56	151.87 180.63
11	11.28~12.28	59.01 63.66	—	59.01 63.66	21.56 21.56	199.93 231.76
12	12.28~13.28	61.48 65.98	—	61.48 65.98	21.56 21.56	243.95 277.46
13	13.28~14.28	73.26 78.26	—	73.26 78.26	21.56 21.56	238.15 266.92
14	14.28~15.28	93.19 103.41	78.33 82.33	93.19 103.41	21.56 21.56	192.80 200.80
15	15.28~16.28	351.45 368.52	82.33 86.33	351.45 368.52	21.56 21.56	100.80 108.80
16	16.28~17.28	44.86 47.46	—	44.86 47.46	21.56 21.56	851.38 929.63
17	17.28~20.00	47.46 54.52	—	47.46 54.52	21.56 21.56	929.63 1142.47

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos\delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos\delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos\delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos\delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P _{dw} (kN/m ²)
1	2.20	0.00	0.00
2	3.20	1.00	2.66
3	4.20	2.00	3.76
4	4.60	2.40	4.12

$$P_{dw} = \pm \frac{7}{8} k_{bw} \cdot \gamma_w \cdot \sqrt{H} \cdot y$$

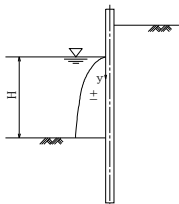
Where,

k_{bw}: design seismic coefficient

γ_w : unit weight of water

H: water depth of riverside

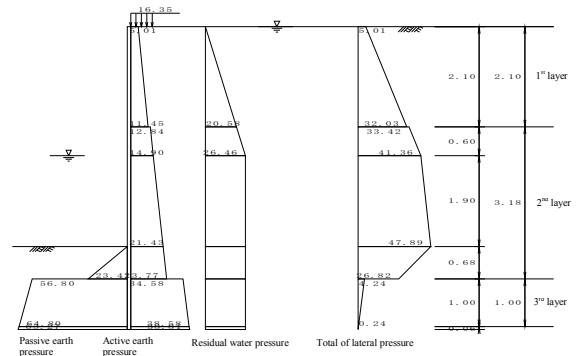
y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L_x is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition



Depth (m)	Pa (kN/m ²)	Pw (kN/m ²)	Pp (kN/m ²)	Ps (kN/m ²)
1	0.00~2.10	5.01 11.45	0.00 20.58	5.01 32.03
2	2.10~2.70	12.84 14.90	20.58 26.46	33.42 41.36
3	2.70~4.60	14.90 21.43	26.46 26.46	41.36 47.89
4	4.60~5.28	21.43 23.77	26.46 26.46	47.89 26.82
5	5.28~6.28	34.58 38.58	26.46 26.46	56.80 4.24
6	6.28~6.34	38.58 38.81	26.46 26.46	64.80 0.00
7	6.34~7.28	38.81 42.58	26.46 26.46	65.27 -3.76

P_a: Active earth pressure

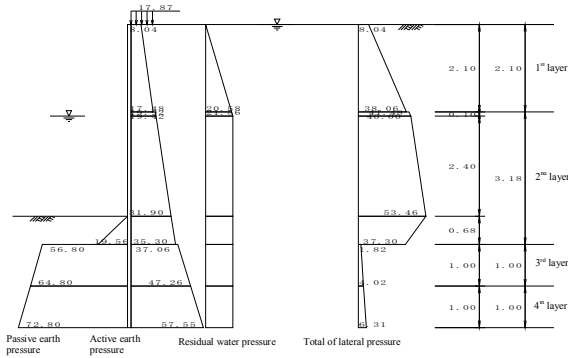
P_w: Residual water pressure

P_p: Passive earth pressure

P_s: Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_x: 1.74 m (GL -6.34 m)

4-2 Seismic Condition



Depth (m)	Pa ₁ (kN/m ²)	Pw ₁ (kN/m ²)	Pp ₁ (kN/m ²)	Ps (kN/m ²)
1	0.00~2.10	8.04 17.48	0.00 20.58	8.04 38.06
2	2.10~2.20	19.42 19.92	20.58 21.56	40.00 41.48
3	2.20~4.60	19.92 31.90	21.56 21.56	41.48 53.46
4	4.60~5.28	31.90 35.30	21.56 21.56	53.46 37.30
5	5.28~6.28	37.06 47.26	21.56 21.56	56.80 64.80
6	6.28~7.28	47.26 57.55	21.56 21.56	64.80 72.80
7	7.28~8.28	43.29 48.29	21.56 21.56	65.58 94.34

Pa : Active earth pressure
 Pw : Residual water pressure
 Pp : Passive earth pressure
 Ps : Lateral pressure Ps = Pa + Pw - Pp

Imaginary riverbed L₁: 2.68 m (GL -7.28 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below;

$$K_h = 6910 \times N^{0.896}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width B = 1.0000 m
 Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.86
 Section efficiency μ = 1.00
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 429000 cm⁴(original condition)
 I = 368940 cm⁴(after reduction by corrosion and section)
 Inertia sectional moment EI = 200000 × 10⁴ × 368940 × 10⁻⁸ = 7.379 × 10⁷

Depth (m)	N-value	Depth (m)	N-value
1	0.50	11	12.28
2	1.60	12	13.28
3	2.10	13	14.28
4	5.28	14	15.28
5	6.28	15	16.28
6	7.28	16	17.28
7	8.28	17	20.00
8	9.28		
9	10.28		
10	11.28		

5-2 Normal Condition

K_s = 15544 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.269 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 3.71 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -6.34 m) to 3.71 m depth (GL -10.05 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	6.34	0.94	4.0	3.76
2	7.28	1.00	4.0	5.50
3	8.28	1.00	7.0	9.00
4	9.28	0.77	11.0	9.08

L = Σh = 3.71 ΣA = 27.34

A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{27.34}{3.71} = 7.36$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.896} = 6910 \times 7.36^{0.896} = 15544 \text{ kN/m}^3$$

Kh (normal condition) = 15544 kN/m³

5-3 Seismic Condition

K_s = 17114 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.276 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 3.62 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -7.28 m) and 3.62 m depth (GL -10.90 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	7.28	1.00	4.0	5.50
2	8.28	1.00	7.0	9.00
3	9.28	1.00	11.0	12.00
4	10.28	0.62	13.0	7.33

L = Σh = 3.62 ΣA = 33.83

A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{33.83}{3.62} = 9.34$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.896} = 6910 \times 9.34^{0.896} = 17114 \text{ kN/m}^3$$

Kh (seismic condition) = 17114 kN/m³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Elevation h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force Ps (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~2.10	5.01 32.03	5.26 33.63	5.64 4.94	29.67 166.08
2	2.10~2.70	33.42 41.36	10.03 47.89	4.04 3.84	40.49 47.63
3	2.70~4.60	41.36 47.89	39.29 45.50	3.01 2.37	118.10 107.93
4	4.60~5.28	47.89 26.82	16.28 9.12	1.51 1.29	24.62 11.72
5	5.28~6.28	4.24 0.24	2.12 0.12	0.73 0.39	1.54 0.05
6	6.28~6.34	0.24 0.00	0.01 0.00	0.04 0.02	0.00 0.00

ΣP = 173.76 ΣM = 547.84

P₁ : active earth pressure + residual water pressure - passive earth pressure

P : load P₁ × h/2 × B

B : unit width = 1.000 m

Y : height of acting position from imaginary riverbed

M : moment by load P × Y

Arbitrary load lateral load P₁ = 2.4 kN/m
 depth to acting position H₁ = -0.42 m
 moment M_m = 0.0 kN·m/m
 depth to acting position H_m = 0.00 m
 Height from riverbed to top of coping H = 4.60 m
 Depth of Imaginary riverbed from riverbed L_k = 1.74 m

Moment M₀ by arbitrary load is as below

$$M_0 = P_1 \cdot (H + L_k - H_1) + M_m = 16.22 \text{ kN} \cdot \text{m}$$

h₀: Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_1}{\Sigma P + P_1} = \frac{564.06}{176.16} = 3.20 \text{ m}$$

6-1-2 Seismic Condition

No	Depth Z (m)	Thickness h (m)	Lateral load Ps (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~2.10	2.10	8.04 38.06	8.44 39.97	6.58 5.88	55.54 235.01
2	2.10~2.20	0.10	40.00 41.48	2.00 2.07	5.15 5.11	10.29 10.60
3	2.20~4.60	2.40	41.48 53.46	49.77 64.16	4.28 3.48	213.02 223.27
4	4.60~5.28	0.68	53.46 37.30	18.18 12.68	2.45 2.23	44.60 28.24
5	5.28~6.28	1.00	1.82 4.02	0.91 2.01	1.67 1.33	1.51 2.68
6	6.28~7.28	1.00	4.02 6.31	2.01 3.16	0.67 0.33	1.34 1.05
			ΣP = 205.35	ΣM = 827.15		

Ps : active earth pressure + residual water pressure - passive earth pressure
 P : load Ps x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load Pt = 7.5 kN/m
 depth to acting position Ht = -0.13 m
 moment Mt = 2.1 kN·m/m
 height from riverbed to top of coping H = 4.60 m
 Depth of Imaginary riverbed from riverbed Lt = 2.68 m

Moment Mt by arbitrary load is as below
 Mt = Pt · (H + Lt - Ht) + Mt = 57.67 kN·m

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure Pdw (kN/m ²)	Load Pdw (kN)	Arm length Y (m)	Moment Mdw (kN·m)
1	2.20~3.20	1.00	0.0 2.7	0.00 1.33	4.75 4.41	0.00 5.86
2	3.20~4.20	1.00	2.7 3.8	1.33 1.88	3.75 3.41	4.98 6.41
3	4.20~4.60	0.40	3.8 4.1	0.75 0.82	2.95 2.81	2.21 2.32
			ΣPdw = 6.11	ΣMdw = 21.78		

h0: Height of acting position of P0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_t + \Sigma M_{dw}}{\Sigma P + P_t + \Sigma P_{dw}} = \frac{906.60}{218.96} = 4.14 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width B = 1.0000 m
 Corrosion margin t1 = 1.00 mm (active side) t2 = 1.00 mm (passive side)
 Corrosion rate η = 1.00
 Section efficiency μ = 1.00
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I0 = 429000 cm⁴ (original condition)
 I = 429000 cm⁴ (after reduction by corrosion and section)
 EI = 200000 × 10³ × 429000 × 10⁻⁸ = 8.580 × 10⁸

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$l_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1 + \beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction Kb = 15544 kN/m³
 calculated value β = 0.25942 m⁻¹
 resultant earth force (lateral) P0 = 176.16 kN/m
 height of acting position of load moment h0 = 3.20 m
 M0 = 564.06 kN·m/m

in consideration of ψm = 1.195, maximum moment Mmax = 673.83 kN·m/m
 depth of generated position of Mmax la = 1.386 m
 depth of 1st fixed point li = 4.413 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction Kb = 17114 kN/m³
 calculated value β = 0.26574 m⁻¹
 resultant earth force (lateral) P0 = 218.96 kN/m
 height of acting position of load moment h0 = 4.14 m
 M0 = 906.60 kN·m/m

in consideration of ψm = 1.126, maximum moment Mmax = 1020.51 kN·m/m
 depth of generated position of Mmax la = 1.140 m
 depth of 1st fixed point li = 4.095 m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin t1 = 1.00 mm (active side) t2 = 1.00 mm (passive side)
 Corrosion rate η = 0.88
 Section efficiency μ = 1.00
 Module of section Z0 = 7900 cm³ (original condition)
 Z = 6952 cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{673.83 \times 10^6}{6952 \times 10^3} = 97 \text{ N/mm}^2 \leq \sigma_s = 185 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{1020.51 \times 10^6}{6952 \times 10^3} = 147 \text{ N/mm}^2 \leq \sigma_s = 278 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

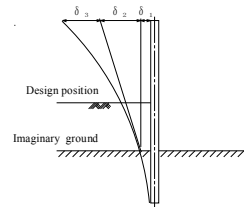
6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	5.64 4.94	0.890 0.779	0.278 0.225	5.26 33.63
2	2.10~2.70	4.04 3.84	0.637 0.606	0.160 0.146	10.03 12.41
3	2.70~4.60	3.01 2.37	0.474 0.374	0.095 0.061	39.29 45.50
4	4.60~5.28	1.51 1.29	0.239 0.203	0.026 0.019	16.28 9.12
5	5.28~6.28	0.73 0.39	0.114 0.062	0.006 0.002	2.12 0.12
6	6.28~6.34	0.04 0.02	0.006 0.003	0.000 0.000	0.01 0.000
ΣQ = 19.562					

Y : Height from imaginary riverbed to acting position
 α : α = $\frac{Y}{H+L_k}$
 ζ : ζ = $\frac{(3-\alpha) \times \alpha^2}{6}$
 Q : ζ x P
 P : Lateral force
 H : Depth to design position
 Lk : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1 + 0.2594 \times 3.20) \times 176.16}{2 \times 2.00 \times 10^8 \times 429000 \times 10^{-8} \times 0.2594^3} = 0.01076 \text{ m}$$

$$\delta_2 = \frac{(1 + 2\beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_k) = \frac{(1 + 2 \times 0.2594 \times 3.20) \times 176.16}{2 \times 2.00 \times 10^8 \times 429000 \times 10^{-8} \times 0.2594^2} \times (4.60 + 1.74) = 0.02573 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_k)^3}{E I} = \frac{19.56 \times (4.60 + 1.74)^3}{2.00 \times 10^8 \times 429000 \times 10^{-8}} = 0.00581 \text{ m}$$

Additional displacement δ3' generated by horizontal load (P) and moment (M) acting at top of SSP considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ3' is calculated as 0.00026 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 6.34 m
 Horizontal load: P = 2.40
 Moment: M = 1.01

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.01076 + 0.02573 + 0.00607 = 0.04257 \text{ m} = 42.57 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where,

Displacement at imaginary ground
 Displacement by angle of inclination slope at imaginary ground
 Displacement at higher part of imaginary ground as cantilever
 Displacement at top of SSP
 Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	6.58 5.88	0.904 0.808	0.285 0.238	8.44 39.97	2.409 9.527
2	2.10~2.20	5.15 5.11	0.707 0.702	0.191 0.189	2.00 2.07	0.382 0.392
3	2.20~4.60	4.28 3.48	0.588 0.478	0.139 0.096	49.77 64.16	6.916 6.162
4	4.60~5.28	2.45 2.23	0.337 0.306	0.050 0.042	18.18 12.68	0.916 0.533
5	5.28~6.28	1.67 1.33	0.229 0.183	0.024 0.016	0.91 2.01	0.022 0.032
6	6.28~7.28	0.67 0.33	0.092 0.046	0.004 0.001	2.01 3.16	0.008 0.003
$\Sigma Q = 27.301$						

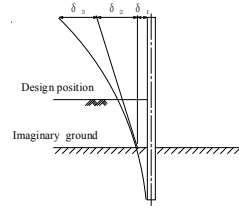
Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_k}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _{sw} (kN)	Q _{sw} (kN)
1	2.20~3.20	4.75 4.41	0.652 0.606	0.166 0.147	0.00 1.33	0.000 0.195
2	3.20~4.20	3.75 3.41	0.515 0.469	0.110 0.093	1.33 1.88	0.146 0.174
3	4.20~4.60	2.95 2.81	0.405 0.386	0.071 0.065	0.75 0.82	0.053 0.054
$\Sigma Q_{sw} = 0.622$						

Therefore, modulus of deformation Q is calculated as below:
 $Q = 27.301 + 0.622 = 27.923$

Displacement



$$\delta_1 = \frac{(1 + \beta \cdot h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.2657 \times 4.14) \times 218.96}{2 \times 2.00 \times 10^8 \times 429000 \times 10^{-8} \times 0.2657^3} = 0.01428 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta \cdot h_0) \times P_0}{2 E I \beta^2} \times (H + L_k)$$

$$= \frac{(1 + 2 \times 0.2657 \times 4.14) \times 218.96}{2 \times 2.00 \times 10^8 \times 429000 \times 10^{-8} \times 0.2657^2} \times (4.60 + 2.68) = 0.04210 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_k)^3}{E I}$$

$$= \frac{27.92 \times (4.60 + 2.68)^3}{2.00 \times 10^8 \times 429000 \times 10^{-8}} = 0.01256 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00115 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 7.28 m
 Horizontal load: P = 7.50
 Moment: M = 0.98

Displacement δ_{3m} of cantilever beam by moment M_m is additionally considered.

$$\delta_{3m} = \frac{M_m \cdot h}{2 E I} \times (2 L - h) \quad (L = 7.28 \text{ m}, h = L - H_s, H_s = 0.80 \text{ m, ただし})$$

$$= \frac{2.10 \times 6.48}{2 \times 2.00 \times 10^8 \times 429000 \times 10^{-8}} \times (2 \times 7.28 - 6.48) = 0.00006 \text{ m}$$

R_No.26_pp.25

R_No.26_pp.26

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01428 + 0.04210 + 0.01377$$

$$= 0.07016 \text{ m}$$

$$= 70.16 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below:

Unit width	B = 1.0000 m
Corrosion margin	t ₁ = 1.00 mm (active side) t ₂ = 1.00 mm (passive side)
Corrosion rate	$\eta = 0.86$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 429000 cm ⁴ (original condition)
	I = 368940 cm ⁴ (after reduction by corrosion and section)
EI	= 200000 × 10 ³ × 368940 × 10 ⁻⁸ = 7.379 × 10 ⁵

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_k, penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings:

$$D = L_k + \frac{3}{\beta}$$

$$L = H - H_{1s} + D$$

$$\beta = 4 \sqrt{\frac{K_s \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	K _s = 15544 kN/m ³
Calculated value	$\beta = 0.26939 \text{ m}^{-1}$
Penetration length of SSP	D = 1.74 + $\frac{3}{0.269}$ = 12.88 m
Whole length of SSP	L = 4.60 - 0.40 + 12.88 = 17.08 m

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	K _s = 17114 kN/m ³
Calculated value	$\beta = 0.27595 \text{ m}^{-1}$
Penetration length of SSP	D = 2.68 + $\frac{3}{0.276}$ = 13.55 m
Whole length of SSP	L = 4.60 - 0.40 + 13.55 = 17.75 m

Therefore, whole length of SSP is set as 18.00 m in consideration of round unit of SSP length.

8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	429000		
Section modulus	Z (cm ³)	7900		
Maximum bending moment	M _{max} (kN·m/m)		673.83	1020.51
Stress intensity	σ (N/mm ²)		97 (185)	147 (278)
Lateral displacement	δ (mm)		42.57 (50.0)	70.16 (75.0)
Penetration depth	D (m)		12.88	13.55
Whole length of SSP	L (m)	18.00		

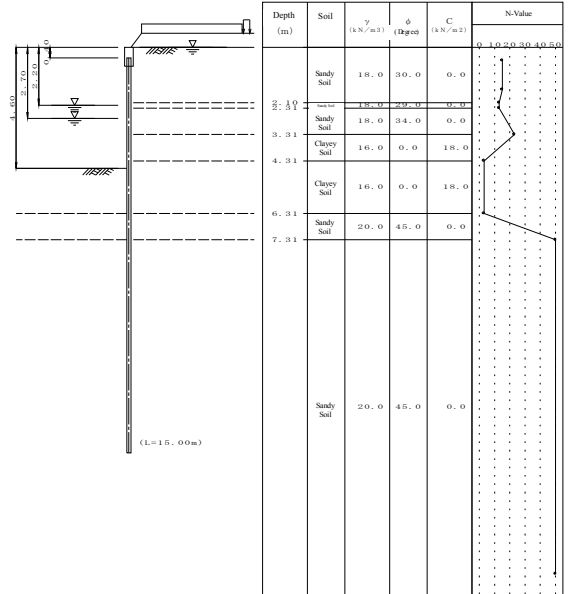
R_No.26_pp.29

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No 27_STA 11+150 - 11+263



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 4.60 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP ton H_s = 0.40 m
 Landside WL L_{ws} = 0.00 m (Normal Condition)
 L_{ws}' = 0.00 m (Seismic Condition)
 Riverside WL L_{ws} = 2.70 m (Normal Condition)
 L_{ws}' = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No_27_pp 1

R_No_27_pp 2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load R = 2.4 kNm (Normal Condition)
 R' = 7.5 kNm (Seismic Condition)
 Depth of acting point H = -0.42 m (Normal Condition)
 H' = -0.13 m (Seismic Condition)
 Moment M_m = 0.0 kNm/m (Normal Condition)
 M_m' = 2.1 kNm/m (Seismic Condition)
 Depth of acting point H_m = 0.00 m (Seismic Condition)
 H_m' = 0.80 m (Normal Condition)
 (*Depth means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula K_s = 6910 × N'^{0.406}

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15			
2	1.00	15			
3	2.10	13			
4	2.31	13			
5	3.31	23			
6	4.31	3			
7	6.31	3			
8	7.31	50			
9	20.00	50			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

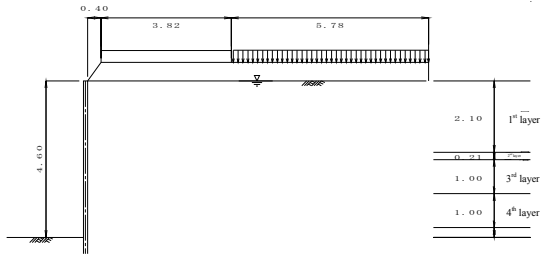
No	Depth (m)	Soil	N-value	γ (kNm ³)	γ' (kNm ³)	ϕ	C (kNm ²)	a	k'	ζ (degree)		kh(kNm ³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	2.31	S	13.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	—	—
3	3.31	S	23.0	18.00	10.00	34.0	0.0	0.0	0.200	auto	auto	—	—
4	4.31	C	3.0	16.00	10.00	0.0	18.0	0.0	0.200	auto	auto	—	—
5	6.31	C	3.0	16.00	10.00	0.0	18.0	0.0	0.200	auto	auto	—	—
6	7.31	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—
7	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(O), mixed(M)
 N-value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C_s : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.40	10.00	10.00	0.54	18.0	30.0	0.0	auto	auto
2	Sandy soil	0.40	0.40	4.22	4.22	0.35	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

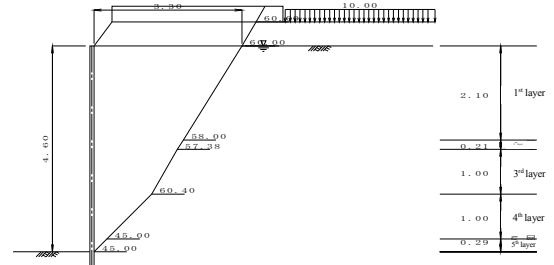
No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ²)	Seismic (kNm ²)
1	4.27	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

- Young's modulus $E = 200000 \text{ Nmm}^2$
- Inertia sectional moment $I_0 = 305000 \text{ cm}^4$
- Sectional factor $Z_0 = 6220 \text{ cm}^3$
- Corrosion margin $t_r = 1.00 \text{ mm (riverside)}$, $t_l = 1.00 \text{ mm (landside)}$
- Corrosion rate (to I_0) $\eta = 0.86$
- Corrosion rate (to Z_0) $\eta = 0.89$
- Section efficiency (to I_0) $\mu = 1.00$
- Section efficiency (to Z_0) $\mu = 1.00$
- Round unit of SSP length 0.50 m
- Allowable stress $\sigma_a = 185 \text{ Nmm (Normal)}$, $\sigma_a' = 278 \text{ Nmm (Seismic)}$
- Allowable displacement $\delta_a = 50.0 \text{ mm (Normal)}$, $\delta_a' = 75.0 \text{ mm (Seismic)}$
- Bending of cantilever beam calculated as distributed load of each layer
- Reduction of material modulus: Reduced: I_0 applied to calculation of lateral coefficient of subgrade reaction; Not reduced: I_0 applied to calculation of penetration depth; Reduced: I_0 applied to calculation of section forces and displacement; Reduced: Z_0 applied to calculation of stresses

2 Calculation of Acting Load
2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wht} (kN/m ²)	Angle of rupture Z (degree)
1	4.60~ 4.31	Clayey Soil	0.0	9.0	18.0	46.00	15.91	45.08	45.00
2	4.31~ 3.31	Clayey Soil	0.0	9.0	18.0	43.10	15.91	42.24	45.00
3	3.31~ 2.31	Sandy Soil	34.0	9.0	0.0	33.10	15.91	32.44	60.40
4	2.31~ 2.10	Sandy Soil	29.0	9.0	0.0	23.10	15.91	22.64	57.38
5	2.10~ 0.00	Sandy Soil	30.0	9.0	0.0	21.00	15.91	20.58	58.00
6		Embankment	30.0	—	0.0	16.02	0.00	0.00	60.00
7		Embankment	30.0	—	0.0	6.30	0.00	0.00	60.00

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesive force of soil (kNm⁻²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.29	0.00	0.00	0.29	0.29
2	45.00	1.00	0.29	0.29	1.29	1.29
3	60.40	1.00	1.29	1.29	1.86	2.29
4	57.38	0.21	1.86	2.29	1.99	2.50
5	58.00	2.10	1.99	2.50	3.30	4.60
6	60.00	0.54	3.30	4.60	3.62	5.14
7	60.00	0.35	3.62	5.14	3.82	5.49

Therefore, width of acting load shall be set as 3.30 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	1.76	31.69
2	18.0	1.16	20.90
Σ			52.60

- γ : unit weight of embankment soil
- A: sectional area of embankment enclosed by line of active rupture

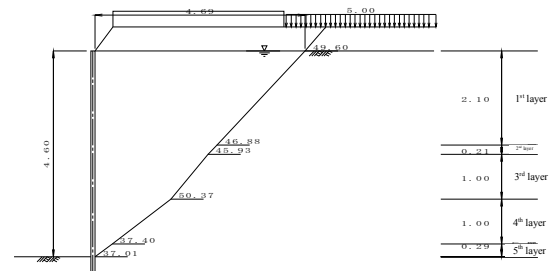
2-1-4 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times 1) + \Sigma P}{L}$$

$$= \frac{52.60 + 0.00 + 0.00}{3.30}$$

$$= 15.91 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wht} (kN/m ²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	4.60~ 4.31	Clayey Soil	0.0	9.0	18.0	46.00	15.85	45.08	0.200	11.31	37.01
2	4.31~ 3.31	Clayey Soil	0.0	9.0	18.0	43.10	15.85	42.24	0.200	11.31	37.40
3	3.31~ 2.31	Sandy Soil	34.0	9.0	0.0	33.10	15.85	32.44	0.200	11.31	50.37
4	2.31~ 2.10	Sandy Soil	29.0	9.0	0.0	23.10	15.85	22.64	0.200	11.31	45.93
5	2.10~ 0.00	Sandy Soil	30.0	9.0	0.0	21.00	15.85	20.58	0.200	11.31	46.88
6		Embankment	30.0	—	0.0	16.02	0.00	0.00	0.200	11.31	49.60

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesive force of soil (kNm⁻²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	37.01	0.29	0.00	0.00	0.38	0.29
2	37.40	1.00	0.38	0.29	1.69	1.29
3	50.37	1.00	1.69	1.29	2.52	2.29
4	45.93	0.21	2.52	2.29	2.72	2.50
5	46.88	2.10	2.72	2.50	4.69	4.60
6	49.60	0.54	4.69	4.60	5.15	5.14

Therefore, width of acting load shall be set as 4.69 m

2-2-3 Acting Load by Imbankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.55	45.88
2	18.0	1.34	24.07
Σ			69.95

γ : unit weight of embankment soil

A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q x l (kN/m)
1	5.0	0.88	4.40
Σ			4.40

Q: surcharge load

l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

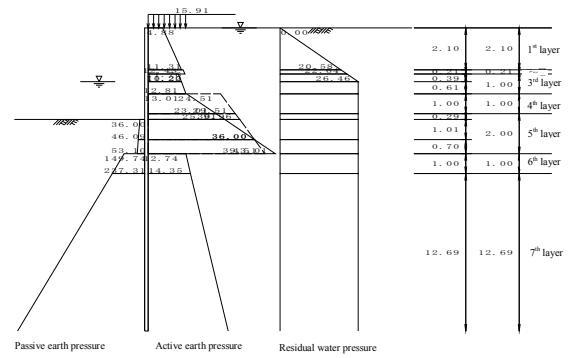
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{69.95 + 4.40 + 0.00}{4.69}$$

$$= 15.85 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q$ (kNm)	Ka	Ka $\times \cos \delta$
1 0.00~2.10	Sandy soil	10.0	30.0	---	15.915 36.915	0.31026 0.31026	0.30644 0.30644
2 2.10~2.31	Sandy soil	10.0	29.0	---	36.915 39.015	0.32248 0.32248	0.31851 0.31851
3 2.31~2.70	Sandy soil	10.0	34.0	---	39.015 42.915	0.26470 0.26470	0.26144 0.26144
4 2.70~3.31	Sandy soil	10.0	34.0	---	42.915 49.015	0.26470 0.26470	0.26144 0.26144
5 3.31~4.31	Clayey soil	10.0	---	18.0	49.015 59.015	---	---
6 4.31~4.60	Clayey soil	10.0	---	18.0	59.015 61.915	---	---
7 4.60~5.61	Clayey soil	10.0	---	18.0	61.915 72.000	---	---
8 5.61~6.31	Clayey soil	10.0	---	18.0	72.000 79.015	---	---
9 6.31~7.31	Sandy soil	10.0	45.0	---	79.015 89.015	0.16323 0.16323	0.16122 0.16122
10 7.31~20.00	Sandy soil	10.0	45.0	---	89.015 215.915	0.16323 0.16323	0.16122 0.16122

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below
 $\delta = 9.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q_p$ (kNm)	Kp	Kp $\times \cos \delta$
7 4.60~5.61	Clayey soil	10.0	0.0	18.0	0.000 10.085	---	---
8 5.61~6.31	Clayey soil	10.0	0.0	18.0	10.085 17.100	---	---
9 6.31~7.31	Sandy soil	10.0	45.0	---	17.100 27.100	8.86593 8.86593	8.75678 8.75678
10 7.31~20.00	Sandy soil	10.0	45.0	---	27.100 154.000	8.86593 8.86593	8.75678 8.75678

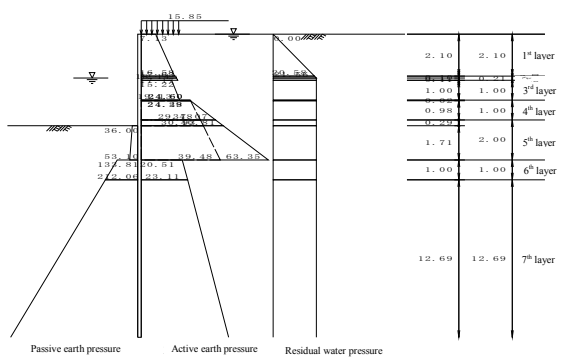
Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below
 $\delta = -9.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure	Passive side
	Pa1 (kNm ²)	Pa2 (kNm ²)	Pa (kNm ²)	Pw (kNm ²)	Pp (kNm ²)
1 0.00~2.10	4.88	---	4.88	0.00	---
2 2.10~2.31	11.31	---	11.31	20.58	---
3 2.31~2.70	10.20	---	10.20	22.64	---
4 2.70~3.31	11.22	---	11.22	26.46	---
5 3.31~4.31	13.01	24.51	24.51	26.46	---
6 4.31~4.60	23.01	29.51	29.51	26.46	---
7 4.60~5.61	25.91	30.96	30.96	26.46	36.00
8 5.61~6.31	36.00	36.00	36.00	26.46	46.09
9 6.31~7.31	12.74	---	12.74	26.46	149.74
10 7.31~20.00	14.35	---	14.35	26.46	237.31

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kNm ²)	$\Sigma \gamma h + Q$ (kNm)	γ_{wh} (kNm)	k (t)	θ (degree)	Ka	Ka $\times \cos \delta$	θ (degree)
1 0.00~2.10	Sandy Soil	10.0	30.0	---	15.85 36.85	0.00 20.58	0.200	11.31	0.45543	0.44982	---
2 2.10~2.20	Sandy Soil	10.0	29.0	---	36.85 37.85	20.58 21.56	0.200	11.31	0.47163	0.46582	---
3 2.20~2.31	Sandy Soil	10.0	29.0	---	37.85 38.95	21.56 22.64	0.200	11.31	0.47163	0.46582	---
4 2.31~3.31	Sandy Soil	10.0	34.0	---	38.95 48.95	22.64 32.44	0.200	11.31	0.39559	0.39072	---
5 3.31~3.33	Clayey Soil	10.0	---	18.0	48.95 49.19	32.44	0.200	11.31	---	---	38.66
6 3.33~4.31	Clayey Soil	10.0	---	18.0	49.19 58.95	42.24	0.200	11.31	---	---	37.40

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma\gamma h+Q$ (kNm)	γ_{sw} (kNm ³)	k (k)	θ (degree)	K_a	$K_a \times \cos\delta$	θ (degree)
7 431~460	Clayey Soil	10.0	—	18.0 18.0	58.95 61.85	42.24 45.08	0.200	11.31	—	—	37.40 37.01
8 460~631	Clayey Soil	10.0	—	18.0 18.0	61.85 78.95	45.08 61.84	0.200	11.31	—	—	37.01 34.53
9 631~731	Sandy Soil	10.0	45.0	—	78.95 88.95	61.84 71.64	0.200	11.31	0.26304 0.26304	0.25980 0.25980	—
10 731~2000	Sandy Soil	10.0	45.0	—	88.95 215.85	71.64 196.00	0.200	11.31	0.26304 0.26304	0.25980 0.25980	—

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 9.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of dayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan\theta}$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma\gamma h+Q_p$ (kNm)	γ_{sw} (kNm ³)	k (k)	θ (degree)	K_p	$K_p \times \cos\delta$
8 460~631	Clayey soil	10.00	0.0	18.0 18.0	0.000 17.000	0.00 16.76	0.200	11.31	—	—
9 631~731	Sandy soil	10.00	45.0	—	17.000 27.000	16.76 26.56	0.200	11.31	7.92269 7.92269	7.82515 7.82515
10 731~2000	Sandy soil	10.00	45.0	—	27.000 154.000	26.56 150.92	0.200	11.31	7.92269 7.92269	7.82515 7.82515

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = -9.00, \beta = 0.00, \theta = \tan^{-1}k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 kNm ²	Pa2 kNm ²	Pa kNm ²		
1	0.00~2.10	7.13 16.58	—	7.13 16.58	0.00 20.58	—
2	2.10~2.20	17.17 17.63	—	17.17 17.63	20.58 21.56	—
3	2.20~2.31	17.63 18.14	—	17.63 18.14	21.56 21.56	—
4	2.31~3.31	15.22 19.13	—	15.22 19.13	21.56 21.56	—
5	3.31~3.33	24.29 24.60	24.48 24.60	24.48 24.60	21.56 21.56	—

R_No 27_pp 13

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 kNm ²	Pa2 kNm ²	Pa kNm ²		
6	3.33~4.31	24.60 37.07	24.60 28.48	24.60 37.07	21.56 21.56	—
7	4.31~4.60	37.07 40.81	20.48 30.93	37.07 40.81	21.56 21.56	—
8	4.60~6.31	40.81 63.35	30.93 39.48	40.81 63.35	21.56 21.56	36.00 53.10
9	6.31~7.31	20.51 23.11	—	20.51 23.11	21.56 21.56	133.81 212.06
10	7.31~20.00	23.11 56.08	—	23.11 56.08	21.56 21.56	212.06 1205.07

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos\delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$

K_c : Equilibrium coefficient of compression: 0.5

Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_c}] \cdot \cos\delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos\delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos\delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P_{dw} (kNm ²)
1	2.20	0.00	0.00
2	3.20	1.00	2.66
3	4.20	2.00	3.76
4	4.60	2.40	4.12

R_No 27_pp 14

$$p_{dw} = \pm \frac{7}{8} k_{hd} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

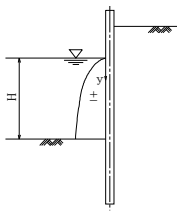
Where,

k_{hd} : design seismic coefficient

γ_w : unit weight of water

H: water depth of riverside

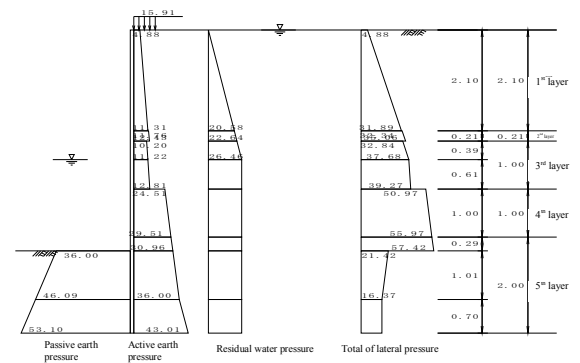
y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L_k is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure

4-1 Normal Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1 0.00~2.10	4.88 11.31	0.00 20.58	—	4.88 31.89
2 2.10~2.31	11.76 12.45	20.58 22.64	—	32.34 35.06
3 2.31~2.70	10.20 11.22	22.64 26.46	—	32.84 37.68
4 2.70~3.31	11.22 12.81	26.46 26.46	—	37.68 39.27
5 3.31~4.31	24.51 29.51	26.46 26.46	—	50.97 55.97
6 4.31~4.60	29.51 30.96	26.46 26.46	—	55.97 57.42
7 4.60~5.61	30.96 36.00	26.46 26.46	36.00 46.09	21.42 16.37
8 5.61~6.31	36.00 43.01	26.46 26.46	46.09 53.10	16.37 16.37
9 6.31~7.31	12.74 14.35	26.46 26.46	149.74 237.31	-110.54 -196.50

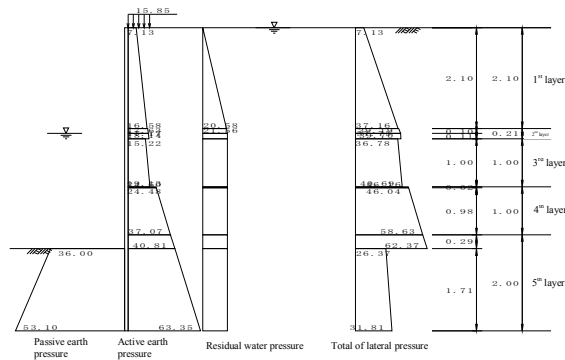
P_a : Active earth pressure

P_w : Residual water pressure

P_p : Passive earth pressure

P_s : Lateral pressure $P_s = P_a + P_w - P_p$

4-2 Seismic Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1 0.00~2.10	7.13 16.58	0.00 20.58	---	7.13 37.16
2 2.10~2.20	17.17 17.63	20.58 21.56	---	37.75 39.19
3 2.20~2.31	17.63 18.14	21.56 21.56	---	39.19 39.70
4 2.31~3.31	15.22 19.13	21.56 21.56	---	36.78 40.69
5 3.31~3.33	24.48 24.60	21.56 21.56	---	46.04 46.16
6 3.33~4.31	24.60 37.07	21.56 21.56	---	46.16 58.63
7 4.31~4.60	37.07 40.81	21.56 21.56	---	58.63 62.37
8 4.60~6.31	40.81 63.35	21.56 21.56	36.00 53.10	26.37 31.81
9 6.31~7.31	20.51 23.11	21.56 21.56	133.81 212.06	-91.74 -167.39

Pa : Active earth pressure
 Pw : Residual water pressure
 Pp : Passive earth pressure
 Ps : Lateral pressure Ps = Pa + Pw - Pp

Imaginary riverbed Lc: 1.71 m (GL -6.31 m)

R_No. 27_pp.17

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below:

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4 \sqrt{\frac{Kh \cdot B}{4 E I}}$$

Unit width B = 1.0000 m
 Corrosion margin tc = 1.00 mm (active side) ts = 1.00 mm (passive side)
 Corrosion rate η = 0.85
 Section efficiency μ = 1.00
 Young's modulus E = 200000 Nmm²
 Inertia sectional moment I0 = 305000 cm⁴ (on original condition)
 I = 262300 cm⁴ (after reduction on by corrosion on section)
 Inertia sectional moment EI = 200000 × 10³ × 262300 × 10⁻⁸ = 5.246 × 10⁷

Depth (m)	N-value
1 0.50	15
2 1.60	15
3 2.10	13
4 2.31	13
5 3.31	25
6 4.31	3
7 6.31	3
8 7.31	50
9 20.00	50

5-2 Normal Condition

Kh = 31447 kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{Kh \cdot B}{4 E I}} = 0.350 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.86 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -6.31 m) to 2.86 m depth (GL -9.17 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 6.31	1.00	3.0	50.0	26.50
2 7.31	1.86	50.0	50.0	92.90
L = 2h = 2.86		ΣA = 119.40		

A (upper N-value + lower N-value) × h/2

R_No. 27_pp.18

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{119.40}{2.86} = 41.78$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:
 $K_h = 6910 \times N'^{0.496} = 6910 \times 41.78^{0.496} = 31447 \text{ kNm}^3$
 Kh (normal condition) = 31447 kNm³

5-3 Seismic Condition

Kh = 31447 kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{Kh \cdot B}{4 E I}} = 0.350 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.86 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -6.31 m) and 2.86 m depth (GL -9.17 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 6.31	1.00	3.0	50.0	26.50
2 7.31	1.86	50.0	50.0	92.90
L = 2h = 2.86		ΣA = 119.40		

A (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{119.40}{2.86} = 41.78$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:
 $K_h = 6910 \times N'^{0.496} = 6910 \times 41.78^{0.496} = 31447 \text{ kNm}^3$
 Kh (seismic condition) = 31447 kNm³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P0 & Acting Elevation h0

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force Ps (kNm)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00~2.10	2.10	4.88 31.89	5.12 33.49	5.61 4.91	28.73 164.42
2 2.10~2.31	0.21	32.34 35.06	3.40 3.68	4.14 4.07	14.06 14.98
3 2.31~2.70	0.39	32.84 37.68	6.40 7.35	3.87 3.74	24.78 27.48
4 2.70~3.31	0.61	37.68 39.27	11.49 11.98	3.41 3.20	39.15 38.37
5 3.31~4.31	1.00	50.97 55.97	25.48 27.98	2.67 2.33	67.96 65.30
6 4.31~4.60	0.29	55.97 57.42	8.12 8.33	1.90 1.81	15.45 15.04
7 4.60~5.61	1.01	21.42 16.37	10.80 8.26	1.37 1.04	14.84 8.57
8 5.61~6.31	0.70	16.37 16.37	5.74 5.74	0.47 0.23	2.69 1.34
		ΣP = 183.36	ΣM = 543.15		

P0 : active earth pressure + residual water pressure - passive earth pressure
 P : load Ps × h/2 × B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P × Y

Arbitrary load lateral load P0 = 24 kNm
 depth to acting position H = -0.42 m
 moment M0 = 0.0 kNm/m
 depth to acting position H0 = 0.00 m
 Height from riverbed to top of coping H = 4.60 m
 Depth of Imaginary riverbed from riverbed Lc = 1.71 m

Moment M1 by arbitrary load is as below
 M1 = P0 × (H + Lc - H0) + M0 = 16.15 kNm
 h0 Height of acting position of P0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_1}{\Sigma P + P_1} = \frac{559.30}{185.76} = 3.01 \text{ m}$$

R_No. 27_pp.19

R_No. 27_pp.20

6-1-2 Seismic Condition

No	Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~2.10	2.10	7.13 37.16	7.49 39.01	5.61 4.91	42.00 191.56
2	2.10~2.20	0.10	37.75 39.19	1.89 1.96	4.18 4.14	7.88 8.12
3	2.20~2.31	0.11	39.19 39.70	2.16 2.18	4.07 4.04	8.78 8.81
4	2.31~3.31	1.00	36.78 40.69	18.39 20.34	3.67 3.33	67.43 67.81
5	3.31~3.33	0.02	46.04 46.16	0.55 0.56	2.99 2.98	1.66 1.66
6	3.33~4.31	0.98	46.16 58.63	22.52 28.61	2.65 2.33	59.70 66.52
7	4.31~4.60	0.29	58.63 62.37	8.50 9.04	1.90 1.81	16.18 16.34
8	4.60~6.31	1.71	26.37 31.81	22.55 27.20	1.14 0.57	25.71 15.50
			ΣP = 212.95	ΣM = 605.66		

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load P_s × h/2 × B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P × Y

Arbitrary load lateral load P_s = 7.5 kNm
 depth to acting position H_s = -0.13 m
 moment M_{ms} = 2.1 kN-m/m
 depth to acting position H_{ms} = 0.80 m
 Height from riverbed to top of cone H = 4.60 m
 Depth of imaginary riverbed from riverbed L_s = 1.71 m

Moment M_s by arbitrary load is as below
 M_s = P_s × (H + L_s - H_s) + M_{ms} = 50.40 kN-m

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _{dw} (kNm)	Load P _{dw} (kN)	Arm length Y (m)	Moment M _{dw} (kNm)
1	2.20~3.20	1.00	0.0 2.7	0.00 1.33	3.78 3.44	0.00 4.57
2	3.20~4.20	1.00	2.7 3.8	1.33 1.88	2.78 2.44	3.69 4.59
3	4.20~4.60	0.40	3.8 4.1	0.75 0.82	1.98 1.84	1.49 1.52
			ΣP _{dw} = 6.11	ΣM _{dw} = 15.86		

h₀ Height of acting position of P_{dw} from imaginary riverbed

$$h_0 = \frac{M_{dw}}{P_{dw}} = \frac{\sum M_{dw} + M_s + \sum M_{ms}}{\sum P_{dw} + P_s + \sum P_{ms}} = \frac{671.91}{226.56} = 2.97 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width B = 1.0000 m
 Corrosion margin t_s = 1.00 mm (active side) t_r = 1.00 mm (passive side)
 Corrosion rate η = 0.86
 Section efficiency μ = 1.00
 Young's modulus E = 200000 Nmm²
 Inertia sectional moment I₀ = 305000 cm⁴ (original condition)
 I = 262300 cm⁴ (after reduction by corrosion and section)
 EI = 200000 × 10³ × 262300 × 10⁻⁸ = 5.246 × 10⁷

$$\beta = \sqrt[4]{\frac{K_s \cdot B}{4 E I}}$$

$$\phi_x = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_x$$

$$I_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$I_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1 + \beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction K_s = 31447 kNm³
 calculated value β = 0.34988 m⁻¹
 resultant earth force (lateral) P₀ = 185.76 kNm
 height of acting position of load h₀ = 3.01 m
 moment M₀ = 559.30 kN-m/m

in consideration of ψ₀ = 1.135,
 maximum moment M_{max} = 634.59 kN-m/m
 depth of generated position of M_{max} I_n = 0.890 m
 depth of 1st fixed point I_i = 3.135 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction K_s = 31447 kNm³
 calculated value β = 0.34988 m⁻¹
 resultant earth force (lateral) P₀ = 226.56 kNm
 height of acting position of load h₀ = 2.97 m
 moment M₀ = 671.91 kN-m/m

in consideration of ψ₀ = 1.138,
 maximum moment M_{max} = 764.56 kN-m/m
 depth of generated position of M_{max} I_n = 0.899 m
 depth of 1st fixed point I_i = 3.143 m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin t_s = 1.00 mm (active side) t_r = 1.00 mm (passive side)
 Corrosion rate η = 0.89
 Section efficiency μ = 1.00
 Module of section Z₀ = 6220 cm³ (original condition)
 Z = 5536 cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{634.59 \times 10^6}{5536 \times 10^3} = 115 \text{ N/mm}^2 \leq \sigma_s = 185 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{764.56 \times 10^6}{5536 \times 10^3} = 138 \text{ N/mm}^2 \leq \sigma_s = 278 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)	
1	0.00~2.10	5.61 4.91	0.889 0.778	0.278 0.224	5.12 33.49	1.424 7.508
2	2.10~2.31	4.14 4.07	0.656 0.645	0.168 0.163	3.40 3.68	0.571 0.601
3	2.31~2.70	3.87 3.74	0.613 0.593	0.150 0.141	6.40 7.35	0.988 1.036
4	2.70~3.31	3.41 3.20	0.540 0.508	0.120 0.107	11.49 11.98	1.373 1.282
5	3.31~4.31	2.67 2.33	0.423 0.370	0.077 0.060	25.48 27.98	1.955 1.677
6	4.31~4.60	1.90 1.81	0.302 0.286	0.041 0.037	8.12 8.33	0.332 0.309
7	4.60~5.61	1.37 1.04	0.218 0.164	0.022 0.013	10.80 8.26	0.237 0.106
8	5.61~6.31	0.47 0.23	0.074 0.037	0.003 0.001	5.74 5.74	0.015 0.004
			ΣQ = 19.390			

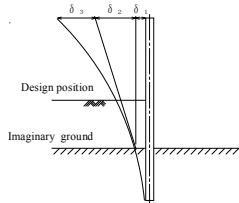
Y : Height from imaginary riverbed to acting position

$$\alpha = \frac{Y}{H+L_s}$$

$$\zeta = \frac{Y}{(3-\alpha) \times a^2}$$

 Q : ζ × P
 P : Lateral force
 H : Depth to design position
 L_s : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1 + 0.3499 \times 3.01) \times 185.76}{2 \times 2.00 \times 10^8 \times 262300 \times 10^{-8} \times 0.3499^3} = 0.00849 \text{ m}$$

$$\delta_2 = \frac{(1 + 2\beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_s) = \frac{(1 + 2 \times 0.3499 \times 3.01) \times 185.76}{2 \times 2.00 \times 10^8 \times 262300 \times 10^{-8} \times 0.3499^2} \times (4.60 + 1.71) = 0.02835 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_s)^2}{E I} = \frac{19.39 \times (4.60 + 1.71)^2}{2.00 \times 10^8 \times 262300 \times 10^{-8}} = 0.00929 \text{ m}$$

Additional displacement δ₃' generated by horizontal load (P) and moment (M) acting at top of SSP considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ₃' is calculated as 0.00042 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 6.31 m
 Horizontal load: P = 2.40
 Moment: M = 1.01

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.00849 + 0.02835 + 0.00971 = 0.04655 \text{ m} = 46.55 \text{ mm} \leq \delta_a = 50.00 \text{ mm} \quad (\text{ok})$$

Where
 Displacement at imaginary ground
 Displacement by angle of inclination slope at imaginary ground
 Displacement at higher part of imaginary ground as cantilever
 Displacement at top of SSP
 Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	5.61	0.889	0.278	7.49	2.082
		4.91	0.778	0.224	39.01	8.748
2	2.10~2.20	4.18	0.662	0.171	1.89	0.322
		4.14	0.657	0.168	1.96	0.330
3	2.20~2.31	4.07	0.646	0.164	2.16	0.352
		4.04	0.640	0.161	2.18	0.352
4	2.31~3.31	3.67	0.581	0.136	18.39	2.503
		3.33	0.528	0.115	20.34	2.339
5	3.31~3.33	2.99	0.474	0.095	0.55	0.052
		2.98	0.473	0.094	0.56	0.052
6	3.33~4.31	2.65	0.420	0.076	22.52	1.709
		2.33	0.369	0.060	28.61	1.704
7	4.31~4.60	1.90	0.302	0.041	8.50	0.348
		1.81	0.286	0.037	9.04	0.335
8	4.60~6.31	1.14	0.181	0.015	22.55	0.346
		0.57	0.090	0.004	27.20	0.108
$\Sigma Q = 21.682$						

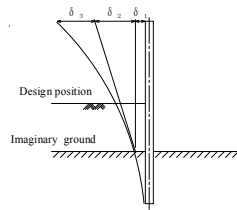
Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_1}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_1 : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_{eq} (kN)	Q_{eq} (kN)
1	2.20~3.20	3.78	0.599	0.143	0.00	0.000
		3.44	0.546	0.122	1.33	0.162
2	3.20~4.20	2.78	0.440	0.083	1.33	0.110
		2.44	0.387	0.065	1.88	0.123
3	4.20~4.60	1.98	0.313	0.044	0.75	0.033
		1.84	0.292	0.039	0.82	0.032
$\Sigma Q_{eq} = 0.459$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 21.682 + 0.459 = 22.141$

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.3499 \times 2.97) \times 226.56}{2 \times 2.00 \times 10^8 \times 262300 \times 10^{-8} \times 0.3499^3} = 0.01027 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_1)$$

$$= \frac{(1 + 2 \times 0.3499 \times 2.97) \times 226.56}{2 \times 2.00 \times 10^8 \times 262300 \times 10^{-8} \times 0.3499^2} \times (4.60 + 1.71) = 0.03423 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^2}{E I}$$

$$= \frac{22.14 \times (4.60 + 1.71)^2}{2.00 \times 10^8 \times 262300 \times 10^{-8}} = 0.01060 \text{ m}$$

Additional displacement δ'_3 generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta'_3 = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ'_3 is calculated as 0.00123 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 6.31 m
 Horizontal load: P = 7.50
 Moment: M = 0.98

Displacement δ_{3a} of cantilever beam by moment M_m is additionally considered

$$\delta_{3a} = \frac{M_m \cdot h}{2 E I} \times (2 L - h) \quad (L = 6.31 \text{ m}, h = L - H_a, H_a = 0.80 \text{ m}, \text{ただし } h \leq L)$$

$$= \frac{2.10 \times 5.51}{2 \times 2.00 \times 10^8 \times 262300 \times 10^{-8}} \times (2 \times 6.31 - 5.51) = 0.00008 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01027 + 0.03423 + 0.01192$$

$$= 0.05642 \text{ m}$$

$$= 56.42 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 305000 \text{ cm}^4$ (original condition)
	I = 305000 cm ⁴ (after reduction by corrosion and section)
EI	= 200000 × 10 ³ × 305000 × 10 ⁻⁸ = 6.100 × 10 ⁵

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_1 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_1 + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = 4 \sqrt{\frac{K_s \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	$K_s = 31447 \text{ kN/m}^3$
Calculated value	$\beta = 0.33694 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.71 + \frac{3}{0.337} = 10.61 \text{ m}$
Whole length of SSP	$L = 4.60 - 0.40 + 10.61 = 14.81 \text{ m}$

7-1-2 Seismic Cond

Modules of lateral subgrade reaction	$K_s = 31447 \text{ kN/m}^3$
Calculated value	$\beta = 0.33694 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.71 + \frac{3}{0.337} = 10.61 \text{ m}$
Whole length of SSP	$L = 4.60 - 0.40 + 10.61 = 14.81 \text{ m}$

Therefore, whole length of SSP is set as 15.00 m in consideration of round unit of SSP length

8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	305000		
Section modulus	Z (cm ³)	6220		
Maximum bending moment	M_{max} (kNm/m)		634.59	764.56
Stress intensity	σ (N/mm ²)		115 (185)	138 (278)
Lateral displacement	δ (mm)		46.55 (50.0)	56.42 (75.0)
Penetration depth	D (m)	15.00	10.61	10.61
Whole length of SSP	L (m)			

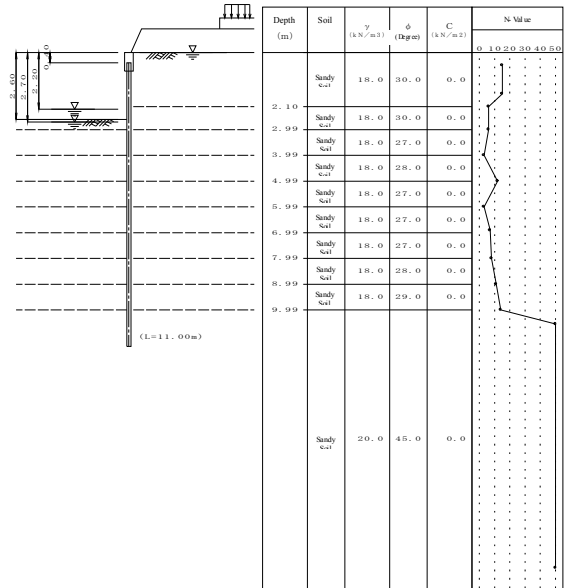
R_No. 27_pp.29

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No 28_STA 11+610 - 11+653



1-2 Dimensions of Structure

Depth from coping top to riverbed	H	=	2.60 m
Depth from coping top to rear side ground	H _r	=	0.00 m
Depth from coping top to SSP ton	H _s	=	0.40 m
Landside WL	L _{land}	=	0.00 m (Normal Condition)
	L _{land} '	=	0.00 m (Seismic Condition)
Riverside WL	L _{river}	=	2.70 m (Normal Condition)
	L _{river} '	=	2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No_28_pp 1

R_No_28_pp 2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^{-3}$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition, - Seismic Condition
 Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load	Horizontal load	P	=	2.5 kNm	(Normal Condition)
		P'	=	7.7 kNm	(Seismic Condition)
	Depth of acting point	H	=	-0.43 m	(Normal Condition)
		H'	=	-0.14 m	(Seismic Condition)
	Moment	M _m	=	0.0 kNm/m	(Normal Condition)
		M _m '	=	2.2 kNm/m	(Seismic Condition)
	Depth of acting point	H _m	=	0.00 m	(Seismic Condition)
		H _m	=	0.80 m	(Normal Condition)

(*Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_s = 6910 \times N^{0.400}$

Average N value calculated from average N value between imaginary riverbed and depth as $1/\beta$

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	9.99	14
2	1.60	15	12	10.54	50
3	2.10	6	13	20.00	50
4	2.99	6			
5	3.99	3			
6	4.99	12			
7	5.99	3			
8	6.90	7			
9	7.99	8			
10	8.99	11			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

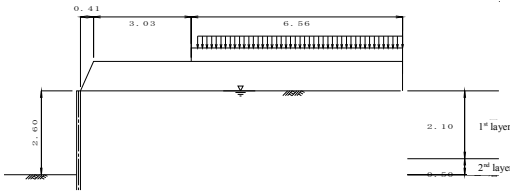
1-7 Soil Modulus

No	Depth (m)	Soil	N-value	γ	γ'	φ	C	a	k'	ζ (degree)		kh (kNm ³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	2.99	S	6.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
3	3.99	S	3.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	4.99	S	12.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
5	5.99	S	3.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
6	6.99	S	7.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
7	7.99	S	8.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
8	8.99	S	11.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
9	9.99	S	14.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	—	—
10	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C_s : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction		
Angle of wall friction	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.41	10.00	10.00	0.92	18.0	30.0	0.0	auto	auto
2	Sandy soil	3.44	3.44	10.00	10.00	0.42	18.0	30.0	0.0	auto	auto

Surcharge load acting on an embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ²)	Seismic (kNm ²)
1	3.64	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus E = 200000 Nmm²
 Inertia sectional moment I_x = 56700 cm⁴
 Sectional factor Z₀ = 2700 cm³
 Corrosion margin t_r = 1.00 mm (riverside) t_s = 1.00 mm (landside)

Corrosion rate (to I_x) n = 0.88
 Corrosion rate (to Z₀) n = 0.88
 Section efficiency (to I_x) u = 0.80
 Section efficiency (to Z₀) u = 1.00

Round unit of SSP length 0.50 m

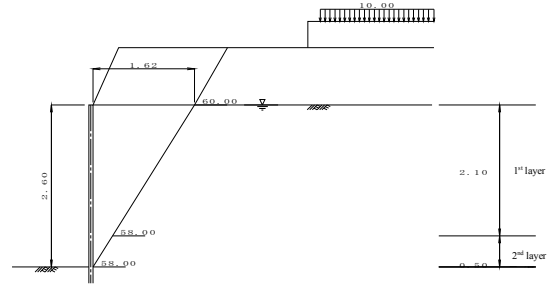
Allowable stress σ_a = 180 Nmm (Normal)
 σ_a' = 270 Nmm (Seismic)

Allowable displacement δ_a = 50.0 mm (Normal)
 δ_a' = 75.0 mm (Seismic)

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus Reduced I_x applied to calculation of lateral coefficient of subgrade reaction
 Not reduced I_x applied to calculation of penetration depth
 Reduced I_x applied to calculation of section forces and displacement
 Reduced Z₀ applied to calculation of stresses

2 Calculation of Acting Load
 2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma w h w$ (kN/m ²)	Angle of rupture Z (degree)
1	2.60~2.10	Sandy Soil	30.0	9.0	0.0	26.00	17.18	25.48	58.00
2	2.10~0.00	Sandy Soil	30.0	9.0	0.0	21.00	17.18	20.58	58.00
3		Embankment	30.0	—	0.0	24.12	10.00	0.00	60.00

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	58.00	0.50	0.00	0.00	0.31	0.50
2	58.00	2.10	0.31	0.50	1.62	2.60
3	60.00	0.92	1.62	2.60	2.16	3.52

Therefore, width of acting load shall be set as 1.62 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	1.55	27.91
Σ			27.91

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

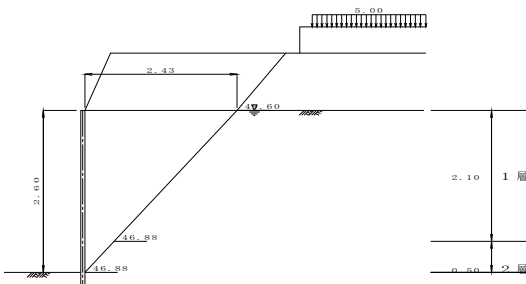
2-1-4 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times 1) + \Sigma P}{L}$$

$$= \frac{27.91 + 0.00 + 0.00}{1.62}$$

$$= 17.18 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma w h w$ (kN/m ²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60~2.10	Sandy Soil	30.0	9.0	0.0	26.00	17.83	25.48	0.200	11.31	46.88
2	2.10~0.00	Sandy Soil	30.0	9.0	0.0	21.00	17.83	20.58	0.200	11.31	46.88
3		Embankment	30.0	—	0.0	24.12	5.00	0.00	0.200	11.31	49.60

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	46.88	0.50	0.00	0.00	0.47	0.50
2	46.88	2.10	0.47	0.50	2.43	2.60
3	49.60	0.92	2.43	2.60	3.22	3.52

Therefore, width of acting load shall be set as 2.43 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.41	43.41
Σ			43.41

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

2-2-4 Calculation of Total Acting Load

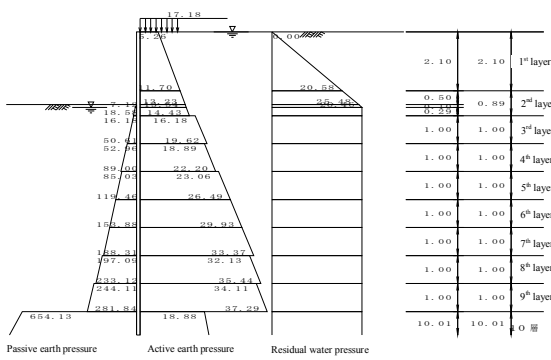
$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times 1) + \Sigma P}{L}$$

$$= \frac{43.41 + 0.00 + 0.00}{2.43}$$

$$= 17.83 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Qh (kNm ⁻²)	Ka	Ka × cosδ
1 0.00~2.10	Sandy soil	10.0	30.0	---	17.177 38.177	0.31026 0.31026	0.30644 0.30644
2 2.10~2.60	Sandy soil	10.0	30.0	---	38.177 43.177	0.31026 0.31026	0.30644 0.30644
3 2.60~2.70	Sandy soil	10.0	30.0	---	43.177 44.177	0.31026 0.31026	0.30644 0.30644
4 2.70~2.99	Sandy soil	10.0	30.0	---	44.177 47.077	0.31026 0.31026	0.30644 0.30644
5 2.99~3.99	Sandy soil	10.0	27.0	---	47.077 57.077	0.34800 0.34800	0.34371 0.34371
6 3.99~4.99	Sandy soil	10.0	28.0	---	57.077 67.077	0.33506 0.33506	0.33093 0.33093
7 4.99~5.99	Sandy soil	10.0	27.0	---	67.077 77.077	0.34800 0.34800	0.34371 0.34371
8 5.99~6.99	Sandy soil	10.0	27.0	---	77.077 87.077	0.34800 0.34800	0.34371 0.34371
9 6.99~7.99	Sandy soil	10.0	27.0	---	87.077 97.077	0.34800 0.34800	0.34371 0.34371
10 7.99~8.99	Sandy soil	10.0	28.0	---	97.077 107.077	0.33506 0.33506	0.33093 0.33093
11 8.99~9.99	Sandy soil	10.0	29.0	---	107.077 117.077	0.32248 0.32248	0.31851 0.31851
12 9.99~20.00	Sandy soil	10.0	45.0	---	117.077 217.177	0.16323 0.16323	0.16122 0.16122

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Qp (kNm ⁻²)	Kp	Kp × cosδ
3 2.60~2.70	Sandy soil	18.0	30.0	---	0.000 1.800	4.00247 4.00247	3.95319 3.95319
4 2.70~2.99	Sandy soil	10.0	30.0	---	1.800 4.700	4.00247 4.00247	3.95319 3.95319
5 2.99~3.99	Sandy soil	10.0	27.0	---	4.700 14.700	3.48553 3.48553	3.44261 3.44261
6 3.99~4.99	Sandy soil	10.0	28.0	---	14.700 24.700	3.64796 3.64796	3.60305 3.60305
7 4.99~5.99	Sandy soil	10.0	27.0	---	24.700 34.700	3.48553 3.48553	3.44261 3.44261
8 5.99~6.99	Sandy soil	10.0	27.0	---	34.700 44.700	3.48553 3.48553	3.44261 3.44261
9 6.99~7.99	Sandy soil	10.0	27.0	---	44.700 54.700	3.48553 3.48553	3.44261 3.44261
10 7.99~8.99	Sandy soil	10.0	28.0	---	54.700 64.700	3.64796 3.64796	3.60305 3.60305
11 8.99~9.99	Sandy soil	10.0	29.0	---	64.700 74.700	3.82002 3.82002	3.77299 3.77299
12 9.99~20.00	Sandy soil	10.0	45.0	---	74.700 174.800	8.86593 8.86593	8.75678 8.75678

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure (kNm ⁻²)	Passive side (kNm ⁻²)
	Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)		
1 0.00~2.10	5.26 11.70	---	11.70	5.26 0.00	0.00 ---
2 2.10~2.60	11.70 13.23	---	13.23	20.58 25.48	---
3 2.60~2.70	13.23 13.54	---	13.54	26.46 26.46	0.00 7.12
4 2.70~2.99	13.54 14.43	---	14.43	26.46 26.46	7.12 18.58
5 2.99~3.99	16.18 19.62	---	16.18 19.62	26.46 26.46	16.18 50.61
6 3.99~4.99	18.89 22.20	---	18.89 22.20	26.46 26.46	52.96 89.00

Depth (m)	Active side			Residual water pressure (kNm ⁻²)	Passive side (kNm ⁻²)
	Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)		
7 4.99~5.99	23.06 26.49	---	23.06 26.49	26.46 26.46	85.03 119.46
8 5.99~6.99	26.49 29.93	---	26.49 29.93	26.46 26.46	119.46 153.88
9 6.99~7.99	29.93 33.37	---	29.93 33.37	26.46 26.46	153.88 188.31
10 7.99~8.99	32.13 35.44	---	32.13 35.44	26.46 26.46	197.09 233.12
11 8.99~9.99	34.11 37.29	---	34.11 37.29	26.46 26.46	241.11 281.84
12 9.99~20.00	18.88 35.01	---	18.88 35.01	26.46 26.46	654.13 1530.68

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(\phi - \beta)} \right] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$

Kc : Equilibrium coefficient of compression 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

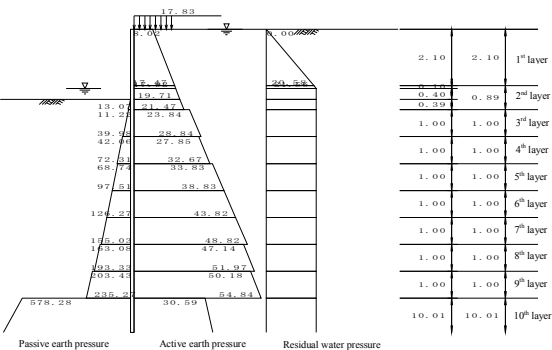
- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(\phi - \beta)} \right] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of dayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Qp (kNm ⁻²)	γwhw (kNm ⁻²)	k (k)	θ (degree)	Kp	Kp × cosδ
4 2.60~2.99	Sandy soil	10.0	30.0	---	0.000 3.900	0.00 3.82	0.200 0.200	11.31 11.31	3.30273 3.30273	3.35096 3.35096
5 2.99~3.99	Sandy soil	10.0	27.0	---	3.900 13.900	3.82 13.62	0.200 0.200	11.31 11.31	2.91211 3.06329	2.87626 3.02557
6 3.99~4.99	Sandy soil	10.0	28.0	---	13.900 23.900	13.62 23.42	0.200 0.200	11.31 11.31	3.06329 3.21211	3.02557 2.87626
7 4.99~5.99	Sandy soil	10.0	27.0	---	23.900 33.900	23.42 33.22	0.200 0.200	11.31 11.31	2.91211 3.06329	2.87626 2.87626
8 5.99~6.99	Sandy soil	10.0	27.0	---	33.900 43.900	33.22 43.02	0.200 0.200	11.31 11.31	2.91211 3.06329	2.87626 2.87626

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma h + Q$ (kNm ⁻²)	γ_{wh} (kNm ⁻³)	k (k)	θ (degree)	K_p	$K_p \times \cos \delta$
9 6.99~ 7.99	Sandy soil	10.00	27.0	---	43.900 53.900	43.02 52.82	0.200	11.31	2.91211 2.91211	2.87626 2.87626
10 7.99~ 8.99	Sandy soil	10.00	28.0	---	53.900 63.900	52.82 62.62	0.200	11.31	3.06329 3.06329	3.02557 3.02557
11 8.99~ 9.99	Sandy soil	10.00	29.0	---	63.900 73.900	62.62 72.42	0.200	11.31	3.22324 3.22324	3.18356 3.18356
12 9.99~ 20.00	Sandy soil	10.00	45.0	---	73.900 174.000	72.42 170.52	0.200	11.31	7.92269 7.92269	7.82515 7.82515

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = -9.00, \beta = 0.00, \theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure P_w kNm ⁻²	Passive side P_p kNm ⁻²
		$Pa1$ kNm ⁻²	$Pa2$ kNm ⁻²	Pa kNm ⁻²		
1	0.00~ 2.10	8.02 17.47	---	8.02 17.47	0.00 20.58	---
2	2.10~ 2.20	17.47 17.92	---	17.47 17.92	20.58 21.56	---
3	2.20~ 2.60	17.92 19.71	---	17.92 19.71	21.56 21.56	---
4	2.60~ 2.99	19.71 21.47	---	19.71 21.47	21.56 21.56	0.00 13.07
5	2.99~ 3.99	23.84 28.84	---	23.84 28.84	21.56 21.56	11.22 39.98
6	3.99~ 4.99	27.85 32.67	---	27.85 32.67	21.56 21.56	42.06 72.31
7	4.99~ 5.99	33.83 38.83	---	33.83 38.83	21.56 21.56	68.74 97.51
8	5.99~ 6.99	38.83 43.82	---	38.83 43.82	21.56 21.56	97.51 126.27
9	6.99~ 7.99	43.82 48.82	---	43.82 48.82	21.56 21.56	126.27 155.03
10	7.99~ 8.99	47.14 51.97	---	47.14 51.97	21.56 21.56	163.08 193.33
11	8.99~ 9.99	50.18 54.84	---	50.18 54.84	21.56 21.56	203.43 235.27
12	9.99~ 20.00	30.59 56.59	---	30.59 56.59	21.56 21.56	578.28 1361.58

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Gayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$

K_a : Equilibrium coefficient of compression 0.5
 Larger of P_{a1} or P_{a2} is applied as active earth pressure (P_a)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Gayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

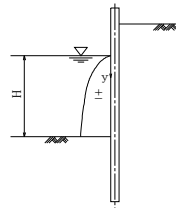
3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P_{dw} (kNm ⁻³)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

$$P_{dw} = \pm \frac{7}{8} k_{hs} \cdot \gamma_w \cdot \sqrt{H} \cdot y$$

Where,

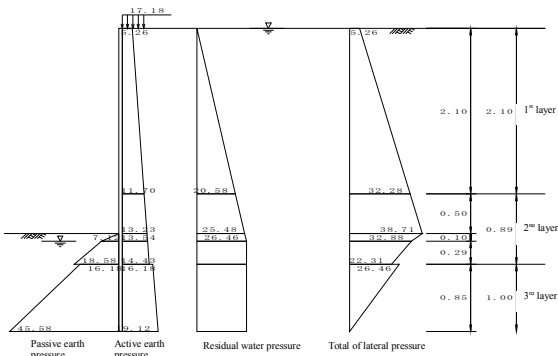
- k_{hs} : design seismic coefficient
- γ_w : unit weight of water
- H: water depth of river side
- y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level I_k is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure

4-1 Normal Condition

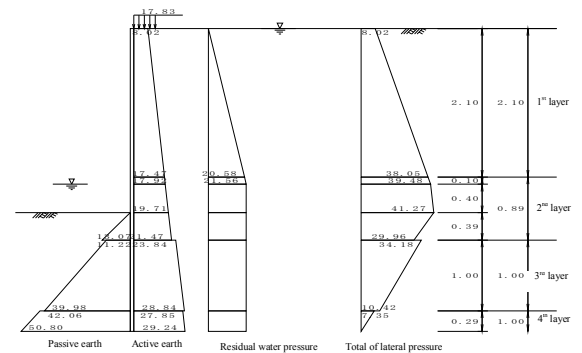


Depth (m)	Pa kNm ⁻²	Pw kNm ⁻²	Pp kNm ⁻²	Pt kNm ⁻²
1	5.26 11.70	0.00 20.58	---	5.26 32.28
2	11.70 13.23	20.58 25.48	---	32.28 38.71
3	13.23 13.54	25.48 26.46	0.00 7.12	38.71 32.88
4	13.54 14.43	26.46 26.46	7.12 18.58	32.88 22.31
5	16.18 19.12	26.46 26.46	16.18 45.58	26.46 0.00
6	19.12 19.62	26.46 26.46	45.58 50.61	0.00 -4.53

- P_a : Active earth pressure
- P_w : Residual water pressure
- P_p : Passive earth pressure
- P_t : Lateral pressure $P_t = P_a + P_w - P_p$

Imaginary riverbed I_k : 1.24 m (GL -3.84 m)

4-2 Seismic Condition



Depth (m)	Pa kNm ⁻²	Pw kNm ⁻²	Pp kNm ⁻²	Pt kNm ⁻²
1	8.02 17.47	0.00 20.58	---	8.02 38.05
2	17.47 17.92	20.58 21.56	---	38.05 39.48
3	17.92 19.71	21.56 21.56	---	39.48 41.27
4	19.71 21.47	21.56 21.56	0.00 13.07	41.27 29.98
5	23.84 28.84	21.56 21.56	11.22 39.98	34.18 10.42
6	27.85 32.67	21.56 21.56	42.06 50.80	7.35 0.00
7	29.24 32.67	21.56 21.56	50.80 72.31	0.00 -18.08

- P_a : Active earth pressure
- P_w : Residual water pressure
- P_p : Passive earth pressure
- P_t : Lateral pressure $P_t = P_a + P_w - P_p$

Imaginary riverbed I_k : 1.68 m (GL -4.28 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below.

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width	B = 1.0000 m
Corrosion margin	t _i = 1.00 mm (active side) t _s = 1.00 mm (passive side)
Corrosion rate	n = 0.88
Section efficiency	u = 0.80
Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I ₀ = 56700 cm ⁴ (original condition)
	I = 39917 cm ⁴ (after reduction by corrosion on and section)
Inertia sectional moment	EI = 200000 × 10 ³ × 39917 × 10 ⁻⁸ = 7.983 × 10 ⁷

Depth (m)	N-value	Depth (m)	N-value
1	0.50	11	9.99
2	1.60	12	10.54
3	2.10	13	20.00
4	2.99		
5	3.99		
6	4.99		
7	5.99		
8	6.90		
9	7.99		
10	8.99		

5-2 Normal Condition

K_s = 15431 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.469 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.13 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -3.84 m) to 2.13 m depth (GL -5.98 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	3.84	0.15	3.0	0.47
2	3.99	1.00	12.0	7.50
3	4.99	0.99	12.0	7.46

L = 2h = 2.13 ΣA = 15.43

A (upper N-value + lower N-value) × h/2

$$\text{Average } N\text{-value } N' = \frac{\sum A}{L} = \frac{15.43}{2.13} = 7.23$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following.

$$K_h = 6910 \times N^{0.496} = 6910 \times 7.23^{0.496} = 15431 \text{ kNm}^3$$

K_h (normal condition) = 15431 kNm³

5-3 Seismic Condition

K_s = 15424 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.469 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.13 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -4.28 m) and 2.13 m depth (GL -6.41 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	4.28	0.71	5.6	6.26
2	4.99	1.00	12.0	7.50
3	5.99	0.42	3.0	1.66

L = 2h = 2.13 ΣA = 15.42

A (upper N-value + lower N-value) × h/2

$$\text{Average } N\text{-value } N' = \frac{\sum A}{L} = \frac{15.42}{2.13} = 7.23$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following.

$$K_h = 6910 \times N^{0.496} = 6910 \times 7.23^{0.496} = 15424 \text{ kNm}^3$$

K_h (seismic condition) = 15424 kNm³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Elevation h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~2.10	5.26 32.28	5.53 33.89	3.14 2.44	17.38 82.83
2	2.10~2.60	32.28 38.71	8.07 9.68	1.58 1.41	12.73 13.65
3	2.60~2.70	38.71 32.88	1.94 1.64	1.21 1.18	2.34 1.94
4	2.70~2.99	32.88 22.31	4.77 3.23	1.05 0.95	4.99 3.07
5	2.99~3.84	26.46 0.00	11.30 0.00	0.57 0.28	6.43 0.00

ΣP = 80.05 ΣM = 145.36

P₀ : active earth pressure + residual water pressure - passive earth pressure
P : load P × h/2 × B

B : unit width = 1.000 m
Y : height of acting position from imaginary riverbed
M : moment by load P × Y

Arbitrary load lateral load P = 2.5 kNm
depth to acting position H = -0.43 m
moment M_h = 0.0 kNm/m
depth to acting position H_h = 0.00 m
Height from riverbed to top of cone H = 2.60 m
Depth of imaginary riverbed from riverbed I_k = 1.24 m

Moment M₀ by arbitrary load is as below
M₀ = P × (H + I_k - H_{h}) + M_h = 10.68 kNm}

h₀ : Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_0}{\sum P + P_0} = \frac{156.05}{82.55} = 1.89 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~2.10	8.02 38.05	8.42 39.95	3.58 2.88	30.14 115.01
2	2.10~2.20	38.05 39.48	1.90 1.97	2.15 2.11	4.08 4.17
3	2.20~2.60	39.48 41.27	7.90 8.25	1.95 1.81	15.36 14.96
4	2.60~2.99	41.27 29.96	4.27 5.84	1.55 1.42	12.47 8.29

Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
5	2.99~3.99	34.18 10.42	17.09 5.21	0.96 0.62	16.33 3.24
6	3.99~4.28	7.35 0.00	1.06 0.00	0.19 0.10	0.20 0.00

ΣP = 105.65 ΣM = 224.26

P₀ : active earth pressure + residual water pressure - passive earth pressure
P : load P × h/2 × B

B : unit width = 1.000 m
Y : height of acting position from imaginary riverbed
M : moment by load P × Y

Arbitrary load lateral load P = 7.7 kNm
depth to acting position H = -0.14 m
moment M_h = 2.2 kNm/m
depth to acting position H_h = 0.80 m
Height from riverbed to top of cone H = 2.60 m
Depth of imaginary riverbed from riverbed I_k = 1.68 m

Moment M₀ by arbitrary load is as below
M₀ = P × (H + I_k - H_{h}) + M_h = 36.23 kNm}

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _{0w} (kNm ²)	Load P _{0w} (kN)	Arm length Y (m)	Moment M _{0w} (kNm)
1	2.20~2.60	0.40	0.0 0.7	0.00 0.14	1.95 1.81	0.00 0.25

ΣP_{0w} = 0.14 ΣM_{0w} = 0.25

h₀ : Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_0}{\sum P + P_0 + \sum P_{0w}} = \frac{260.74}{113.48} = 2.30 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width	B = 1.0000 m
Corrosion margin	t _i = 1.00 mm (active side) t _s = 1.00 mm (passive side)
Corrosion rate	n = 0.88
Section efficiency	u = 0.80
Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	I ₀ = 56700 cm ⁴ (original condition)
	I = 39917 cm ⁴ (after reduction by corrosion on and section)
	EI = 200000 × 10 ³ × 39917 × 10 ⁻⁸ = 7.983 × 10 ⁷

$$\beta = \sqrt[4]{\frac{K_a \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)+1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$I_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$I_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_a = 15431 \text{ kNm}^3$
 resultant earth force (lateral) $P_0 = 82.55 \text{ kNm}$
 height of acting position of load moment $h_0 = 1.89 \text{ m}$
 $M_0 = 156.05 \text{ kNm/m}$

in consideration of $\psi_0 = 1.76$ maximum moment $M_{max} = 183.55 \text{ kNm/m}$
 depth of generated position of M... $L = 0.738 \text{ m}$
 depth of 1st fixed point $l_1 = 2.413 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_a = 15424 \text{ kNm}^3$
 resultant earth force (lateral) $P_0 = 113.48 \text{ kNm}$
 height of acting position of load moment $h_0 = 2.30 \text{ m}$
 $M_0 = 260.74 \text{ kNm/m}$

in consideration of $\psi_0 = 1.130$ maximum moment $M_{max} = 294.62 \text{ kNm/m}$
 depth of generated position of M... $L = 0.655 \text{ m}$
 depth of 1st fixed point $l_1 = 2.330 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as followings:

Corrosion margin $t_s = 1.00 \text{ mm}$ (active side) $t_s = 1.00 \text{ mm}$ (passive side)
 Corrosion rate $n = 0.88$
 Section efficiency $u = 1.00$
 Module of section $Z_0 = 2700 \text{ cm}^3$ (original condition)
 $Z = 2376 \text{ cm}^3$ (after reduction by corrosion and section)

R_No. 28_pp.21

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{183.55 \times 10^6}{2376 \times 10^3} = 77 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{294.62 \times 10^6}{2376 \times 10^3} = 124 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1 0.00~2.10	3.14 2.44	0.818 0.636	0.243 0.159	5.53 33.89	1.345 5.398
2 2.10~2.60	1.58 1.41	0.410 0.367	0.073 0.059	8.07 9.68	0.586 0.572
3 2.60~2.70	1.21 1.18	0.315 0.306	0.044 0.042	1.94 1.64	0.086 0.069
4 2.70~2.99	1.05 0.95	0.272 0.247	0.034 0.028	4.77 3.23	0.161 0.091
5 2.99~3.84	0.57 0.28	0.148 0.074	0.010 0.003	11.30 0.00	0.118 0.000
$\Sigma Q = 8.426$					

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_1}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

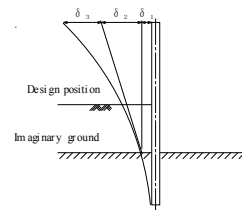
Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

L₁ : Depth from design position to imaginary ground

Displacement



R_No. 28_pp.22

$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.4689 \times 1.89) \times 82.55}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.4689^3} = 0.00946 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_1)$$

$$= \frac{(1+2 \times 0.4689 \times 1.89) \times 82.55}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.4689^2} \times (2.60+1.24) = 0.02507 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_1)^3}{E I}$$

$$= \frac{8.43 \times (2.60+1.24)^3}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.00599 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00069 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.84 m
 Horizontal load: P = 2.50
 Moment: M = 1.08

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00946 + 0.02507 + 0.00669$$

$$= 0.04121 \text{ m}$$

$$= 41.21 \text{ mm} \cong \delta_a = 50.00 \text{ mm} \quad (\text{ok})$$

Where

- Displacement at imaginary ground
- Displacement by angle of inclination on slope at imaginary ground
- Displacement at higher part of imaginary ground as cantilever
- Displacement at top of SSP
- Allowable displacement

R_No. 28_pp.23

6-4-2 Seismic Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1 0.00~2.10	3.58 2.88	0.836 0.176	0.252 0.176	8.42 39.95	2.124 7.014
2 2.10~2.20	2.15 2.11	0.501 0.494	0.105 0.102	1.90 1.97	0.199 0.201
3 2.20~2.60	1.95 1.81	0.455 0.424	0.088 0.077	7.90 8.25	0.692 0.636
4 2.60~2.99	1.55 1.42	0.362 0.332	0.058 0.049	8.05 5.84	0.464 0.286
5 2.99~3.99	0.96 0.62	0.223 0.145	0.023 0.010	17.09 5.21	0.395 0.052
6 3.99~4.28	0.19 0.10	0.045 0.023	0.001 0.000	1.06 0.00	0.001 0.000
$\Sigma Q = 12.064$					

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_1}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

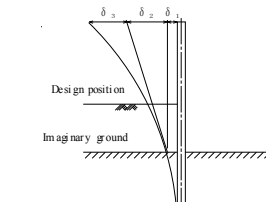
L₁ : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_{sw} (kN)	Q_{sw} (kN)
1	2.20~2.60	1.95 1.81	0.455 0.424	0.088 0.077	0.00 0.14	0.000 0.011
$\Sigma Q_{sw} = 0.011$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 12.064 + 0.011 = 12.075$

Displacement



R_No. 28_pp.24

$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^2}$$

$$= \frac{(1 + 0.4688 \times 2.30) \times 113.48}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.4688^2} = 0.01433 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L)$$

$$= \frac{(1 + 2 \times 0.4688 \times 2.30) \times 113.48}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.4688^2} \times (2.60 + 1.68) = 0.04365 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L)^2}{E I}$$

$$= \frac{12.07 \times (2.60 + 1.68)^2}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.01185 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00264 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.28 m
 Horizontal load: P = 7.70
 Moment: M = 1.08

Displacement δ_{in} of cantilever beam by moment M_0 is additionally considered

$$\delta_{in} = \frac{M_0 \cdot h}{2 E I} \times (2 L - h) \quad (L = 4.28 \text{ m}, h = L - H_a, H_a = 0.80 \text{ m}, \text{ただし } h \geq L)$$

$$= \frac{2.20 \times 3.48}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8}} \times (2 \times 4.28 - 3.48) = 0.00024 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01433 + 0.04365 + 0.01185 = 0.07272 \text{ m}$$

$$= 72.72 \text{ mm} \approx \delta_a = 75.00 \text{ mm (ok)}$$

- Where,
- δ_1 : Displacement at imaginary ground
 - δ_2 : Displacement by angle of inclination slope at imaginary ground
 - δ_3 : Displacement at higher part of imaginary ground as cantilever
 - δ_3' : Displacement at top of SSP
 - δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 56700 cm ⁴ (original condition)
	I = 56700 cm ⁴ (after reduction by corrosion and section)
H	H = 200000 × 10 ³ × 56700 × 10 = 1.134 × 10 ¹⁰

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L₀, penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = 4 \sqrt{\frac{K_L \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction
 Calculated value

$$K_L = 15431 \text{ kN/m}^3$$

$$\beta = 0.42947 \text{ m}^{-1}$$

Penetration length of SSP

$$D = 1.24 + \frac{3}{0.429} = 8.23 \text{ m}$$

Whole length of SSP

$$L = 2.60 - 0.40 + 8.23 = 10.43 \text{ m}$$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction
 Calculated value

$$K_L = 15424 \text{ kN/m}^3$$

$$\beta = 0.42942 \text{ m}^{-1}$$

Penetration length of SSP

$$D = 1.68 + \frac{3}{0.429} = 8.67 \text{ m}$$

Whole length of SSP

$$L = 2.60 - 0.40 + 8.67 = 10.87 \text{ m}$$

Therefore, whole length of SSP is set as 11.00 m in consideration of round unit of SSP length

8 Calculation Result

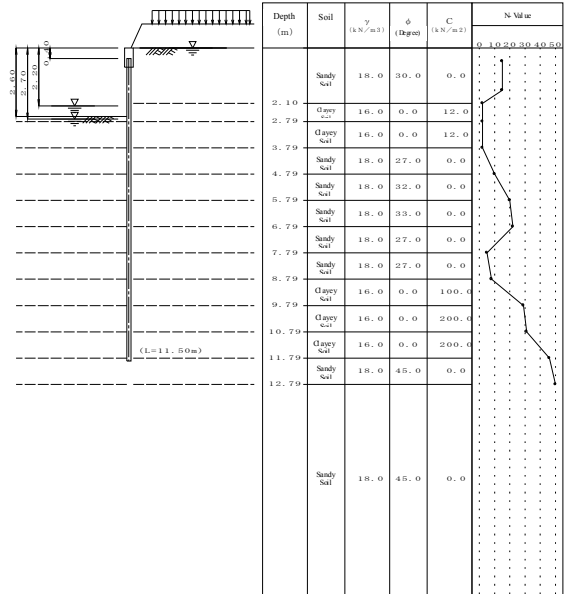
			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	56700		
Section modulus	Z (cm ³)	2700		
Maximum bending moment	M _{max} (kNm/m)		183.55	294.62
Stress intensity	σ (N/mm ²)		77 (180)	124 (270)
Lateral displacement	δ (mm)		41.31 (50.9)	72.72 (75.9)
Penetration depth	D (m)		8.23	8.67
Whole length of SSP	L (m)	11.00		

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No 29_STA 11+788 - 11+803



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_r = 0.00 m
 Depth from coping top to SSP ton H_s = 0.40 m
 Landside WL L_{land} = 0.00 m (Normal Condition)
 Riverside WL L_{river} = 2.70 m (Normal Condition)
 L_{land}' = 0.00 m (Seismic Condition)
 L_{river}' = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No_29_pp 1

R_No_29_pp 2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^{-3}$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load R = 2.5 kNm (Normal Condition)
 P' = 7.8 kNm (Seismic Condition)
 Depth of acting point H = -0.44 m (Normal Condition)
 H' = -0.15 m (Seismic Condition)
 Moment M_m = 0.0 kNm/m (Normal Condition)
 M_m' = 2.3 kNm/m (Seismic Condition)
 Depth of acting point H_m = 0.00 m (Seismic Condition)
 H_m' = 0.80 m (Normal Condition)
 (*Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula K_s = 6910 × N' × 0.006

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	9.79	29
2	1.60	15	12	10.79	31
3	2.10	2	13	11.79	46
4	2.79	2	14	12.79	50
5	3.79	2	15	20.00	50
6	4.79	10			
7	5.79	20			
8	6.79	22			
9	7.79	5			
10	8.79	8			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment share on landside

Vertical load on riverside not considered

1-7 Soil Modulus

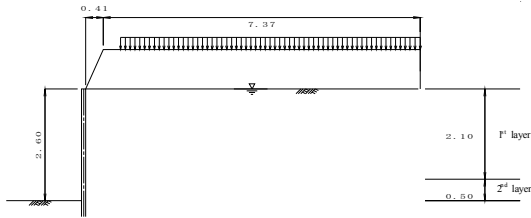
No	Depth (m)	Soil	N-value	γ (kNm ⁻³)	γ' (kNm ⁻³)	ϕ	C (kNm ⁻²)	a	k'	ζ (degree)		kh (kNm ⁻¹)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	2.79	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
3	3.79	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
4	4.79	S	10.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
5	5.79	S	20.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	—	—
6	6.79	S	22.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
7	7.79	S	5.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
8	8.79	S	8.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
9	9.79	C	20.0	16.00	8.00	0.0	100.0	0.0	0.200	auto	auto	—	—
10	10.79	C	31.0	16.00	8.00	0.0	200.0	0.0	0.200	auto	auto	—	—
11	11.79	C	46.0	16.00	8.00	0.0	200.0	0.0	0.200	auto	auto	—	—
12	12.79	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—
13	20.00	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C_s : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.41	7.78	7.78	0.92	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ²)	Seismic (kNm ²)
1	0.81	7.78	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus E = 200000 Nmm²
 Inertia sectional moment I₀ = 86000 cm⁴
 Sectional factor Z₀ = 3820 cm³

Corrosion margin t_r = 1.00 mm (riverside) t_s = 1.00 mm (landside)

Corrosion rate (to I₀) n = 0.92
 Corrosion rate (to Z₀) n = 0.92
 Section efficiency (to I₀) u = 0.80
 Section efficiency (to Z₀) u = 1.00

Round unit of SSP length 0.50 m

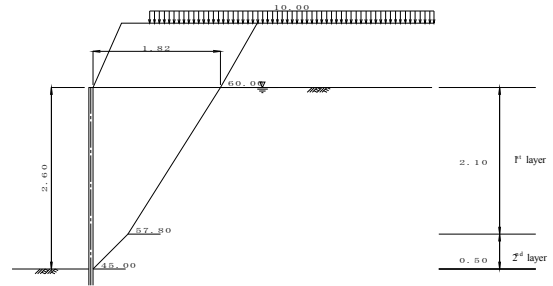
Allowable stress σ_a = 180 Nmm (Normal)
 σ_a' = 270 Nmm (Seismic)

Allowable displacement δ_a = 50.0 mm (Normal)
 δ_a' = 75.0 mm (Seismic)

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus Reduced I₀ applied to calculation of lateral coefficient of subgrade reaction
 Not reduced I₀ applied to calculation of penetration depth
 Reduced I₀ applied to calculation of section forces and displacement
 Reduced Z₀ applied to calculation of stresses

2 Calculation of Acting Load
 2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wh} (kN/m ²)	Angle of rupture Z (degree)
1	2.60~ 2.10	Clayey Soil	0.0	10.0	12.0	25.00	25.58	25.48	45.00
2	2.10~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	25.58	20.58	57.80
3		Embankment	30.0	—	0.0	16.56	10.00	0.00	60.00

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesive force of soil (kNm⁻²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.50	0.00	0.00	0.50	0.50
2	57.80	2.10	0.50	0.50	1.82	2.60
3	60.00	0.92	1.82	2.60	2.35	3.52

Therefore, width of acting load shall be set as 1.82 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	1.73	31.18
Σ			31.18

γ : unit weight of embankment soil
 A: sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q x l (kN/m)
1	10.0	1.54	15.44
Σ			15.44

Q: surcharge load
 l: width of surcharge load set by line of active rupture

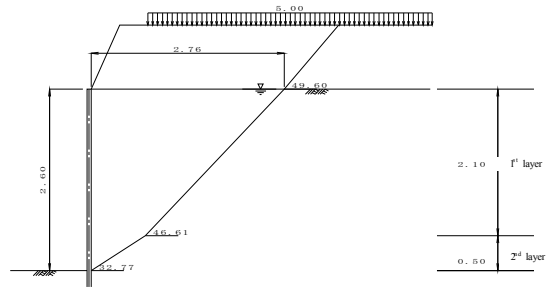
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{31.18 + 15.44 + 0.00}{1.82}$$

$$= 25.58 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wh} (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60~ 2.10	Clayey Soil	0.0	10.0	12.0	25.00	22.63	25.48	0.200	11.31	32.77
2	2.10~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	22.63	20.58	0.200	11.31	46.61
3		Embankment	30.0	—	0.0	16.56	5.00	0.00	0.200	11.31	49.60

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesive force of soil (kNm⁻²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	32.77	0.50	0.00	0.00	0.78	0.50
2	46.61	2.10	0.78	0.50	2.76	2.60
3	49.60	0.92	2.76	2.60	3.54	3.52

Therefore, width of acting load shall be set as 2.76 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	γ X A (kN/m)
1	18.0	2.71	48.83
Σ			48.83

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	2.73	13.67
Σ			13.67

Q : surcharge load
l : w/dh of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

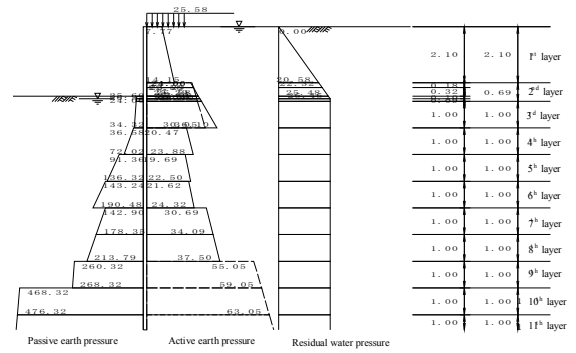
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{48.83 + 13.67 + 0.00}{2.76}$$

$$= 22.63 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Q _s (kN/m ²)	K _a	K _a × cos δ
1	0.00~2.10	Sandy soil	30.0	—	25.580 46.580	0.30847 0.30847	0.30378 0.30378
2	2.10~2.28	Clayey soil	8.0	—	12.0 46.580	—	—
3	2.28~2.60	Clayey soil	8.0	—	12.0 50.580	—	—
4	2.60~2.70	Clayey soil	8.0	—	12.0 51.580	—	—
5	2.70~2.79	Clayey soil	8.0	—	12.0 52.100	—	—
6	2.79~3.79	Clayey soil	8.0	—	12.0 60.100	—	—
7	3.79~4.79	Sandy soil	10.0	27.0	—	0.34585 0.34585	0.34060 0.34060
8	4.79~5.79	Sandy soil	10.0	32.0	—	0.28525 0.28525	0.28092 0.28092
9	5.79~6.79	Sandy soil	10.0	33.0	—	0.27412 0.27412	0.26996 0.26996
10	6.79~7.79	Sandy soil	10.0	27.0	—	0.34585 0.34585	0.34060 0.34060
11	7.79~8.79	Sandy soil	10.0	27.0	—	0.34585 0.34585	0.34060 0.34060
12	8.79~9.79	Clayey soil	8.0	—	100.0 110.100	—	—
13	9.79~10.79	Clayey soil	8.0	—	200.0 118.100	—	—

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Q _s (kN/m ²)	K _a	K _a × cos δ
14	10.79~11.79	Clayey soil	8.0	—	200.0 200.0	—	—
15	11.79~12.79	Sandy soil	10.0	45.0	—	0.16262 0.16262	0.16015 0.16015
16	12.79~20.00	Sandy soil	10.0	45.0	—	0.16262 0.16262	0.16015 0.16015

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
δ = 10.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Q _s (kN/m ²)	K _p	K _p × cos δ
4	2.60~2.70	Clayey soil	16.0	0.0	12.0 1.600	0.000 1.600	—
5	2.70~2.79	Clayey soil	8.0	0.0	12.0 2.320	1.600 2.320	—
6	2.79~3.79	Clayey soil	8.0	0.0	12.0 10.320	2.320 10.320	—
7	3.79~4.79	Sandy soil	10.0	27.0	—	3.59892 3.59892	3.54425 3.54425
8	4.79~5.79	Sandy soil	10.0	32.0	—	4.56530 4.56530	4.49594 4.49594
9	5.79~6.79	Sandy soil	10.0	33.0	—	4.79713 4.79713	4.72425 4.72425
10	6.79~7.79	Sandy soil	10.0	27.0	—	3.59892 3.59892	3.54425 3.54425
11	7.79~8.79	Sandy soil	10.0	27.0	—	3.59892 3.59892	3.54425 3.54425
12	8.79~9.79	Clayey soil	8.0	0.0	100.0 68.320	—	—
13	9.79~10.79	Clayey soil	8.0	0.0	200.0 76.320	—	—
14	10.79~11.79	Clayey soil	8.0	0.0	200.0 84.320	—	—
15	11.79~12.79	Sandy soil	10.0	45.0	—	9.34548 9.34548	9.20351 9.20351
16	12.79~20.00	Sandy soil	10.0	45.0	—	9.34548 9.34548	9.20351 9.20351

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
δ = 10.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure (kN/m ²)	Passive side (kN/m ²)
	P _{a1} (kN/m ²)	P _{a2} (kN/m ²)	P _a (kN/m ²)		
1	7.77 14.15	—	14.15	7.77 20.58	—
2	22.58 24.00	23.29 24.00	23.29 24.00	20.58 22.32	—
3	24.00 26.58	24.00 25.29	24.00 26.58	22.32 25.48	—
4	26.58 27.38	25.29 25.69	26.58 27.38	25.48 26.46	24.00 25.60
5	27.38 28.10	25.69 26.05	27.38 28.10	26.46 26.46	25.60 26.32
6	28.10 36.10	26.05 30.05	28.10 36.10	26.46 26.46	26.32 34.32
7	20.47 23.88	—	20.47 23.88	26.46 26.46	36.58 72.02
8	19.69 22.50	—	19.69 22.50	26.46 26.46	91.36 136.32
9	21.62 24.32	—	21.62 24.32	26.46 26.46	143.24 190.48
10	30.69 34.09	—	30.69 34.09	26.46 26.46	142.90 178.35
11	34.09 37.50	—	34.09 37.50	26.46 26.46	178.35 213.79
12	-89.90 -81.90	55.05 59.05	55.05 63.05	26.46 26.46	260.32 268.32
13	-281.90 -273.90	59.05 63.05	59.05 63.05	26.46 26.46	468.32 476.32
14	-273.90 -265.90	63.05 67.05	63.05 67.05	26.46 26.46	476.32 484.32
15	21.48 23.08	—	21.48 23.08	26.46 26.46	776.04 868.07
16	23.08 34.63	—	23.08 34.63	26.46 26.46	868.07 1531.65

Formula for active earth pressure

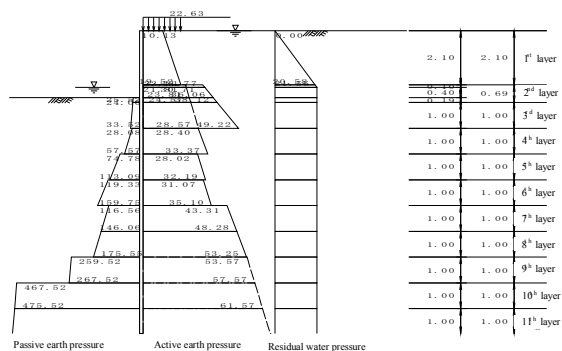
Sandy soil P_{a1} = K_a · [Σγh + $\frac{Q}{\cos(-\beta)}$] · cos δ
Clayey soil P_{a1} = Σγh + Q - 2C
P_{a2} = K_a · (Σγh + Q)
K_a : Equilibrium coefficient of compression 0.5
Larger of P_{a1} or P_{a2} is applied as active earth pressure (Pa)

Mixed soil P_{a1} = [K_a(Σγh + Q) - 2C√K_a] · cos δ

Formula for passive earth pressure

Sandy soil P_p = K_p · [Σγh + $\frac{Q}{\cos(-\beta)}$] · cos δ
Clayey soil P_p = Σγh + Q + 2C
Mixed soil P_p = [K_p(Σγh + Q) + 2C√K_p] · cos δ

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σh+Q (kNm ⁻²)	γ _{hw} (kNm ⁻³)	k (k)	θ (degree)	K _a	K _a × cos δ	θ (degree)
1 0.00~2.10	Sandy Soil	10.0	30.0	---	22.63 43.63	0.00 20.58	0.200 0.200	11.31 11.31	0.45442 0.45442	0.44752 0.44752	---
2 2.10~2.20	Clayey soil	8.0	---	12.0	43.63 44.43	20.58 21.56	0.200 0.200	11.31 11.31	---	---	33.79 33.59
3 2.20~2.60	Clayey soil	8.0	---	12.0	44.43 47.63	21.56 25.48	0.200 0.200	11.31 11.31	---	---	33.59 32.77
4 2.60~2.79	Clayey soil	8.0	---	12.0	47.63 49.15	25.48 27.34	0.200 0.200	11.31 11.31	---	---	32.77 32.37
5 2.79~3.79	Clayey soil	8.0	---	12.0	49.15 57.15	27.34 37.14	0.200 0.200	11.31 11.31	---	---	32.37 30.07
6 3.79~4.79	Sandy Soil	10.0	27.0	---	57.15 67.15	37.14 46.94	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	---
7 4.79~5.79	Sandy Soil	10.0	32.0	---	67.15 77.15	46.94 56.74	0.200 0.200	11.31 11.31	0.42366 0.42366	0.41722 0.41722	---
8 5.79~6.79	Sandy Soil	10.0	33.0	---	77.15 87.15	56.74 66.54	0.200 0.200	11.31 11.31	0.40899 0.40899	0.40278 0.40278	---
9 6.79~7.79	Sandy Soil	10.0	27.0	---	87.15 97.15	66.54 76.34	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	---
10 7.79~8.79	Sandy Soil	10.0	27.0	---	97.15 107.15	76.34 86.14	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	---
11 8.79~9.79	Clayey soil	8.0	---	100.0	107.15 115.15	86.14 95.94	0.200 0.200	11.31 11.31	---	---	43.01 42.88
12 9.79~10.79	Clayey soil	8.0	---	200.0	115.15 123.15	95.94 105.74	0.200 0.200	11.31 11.31	---	---	43.98 43.85
13 10.79~11.79	Clayey soil	8.0	---	200.0	123.15 131.15	105.74 115.54	0.200 0.200	11.31 11.31	---	---	43.92 43.85
14 11.79~12.79	Sandy Soil	10.0	45.0	---	131.15 141.15	115.54 125.34	0.200 0.200	11.31 11.31	0.26273 0.26273	0.25874 0.25874	---

R_No. 29_pp.13

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σh+Q (kNm ⁻²)	γ _{hw} (kNm ⁻³)	k (k)	θ (degree)	K _a	K _a × cos δ	θ (degree)
15 12.79~20.00	Sandy Soil	10.0	45.0	---	141.15 215.25	125.34 196.00	0.200 0.200	11.31 11.31	0.26273 0.26273	0.25874 0.25874	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 δ = 10.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)} \right]^2}$$

Angle between surface of collapse and level surface of dayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σh+Q (kNm ⁻²)	γ _{hw} (kNm ⁻³)	k (k)	θ (degree)	K _p	K _p × cos δ
4 2.60~2.79	Clayey soil	8.00	0.0	12.0	0.000 1.520	0.00 1.86	0.200 0.200	11.31 11.31	---	---
5 2.79~3.79	Clayey soil	8.00	0.0	12.0	1.520 9.520	1.86 11.66	0.200 0.200	11.31 11.31	---	---
6 3.79~4.79	Sandy soil	10.00	27.0	---	9.520 19.520	11.66 21.46	0.200 0.200	11.31 11.31	2.99498 2.99498	2.99498 2.99498
7 4.79~5.79	Sandy soil	10.00	32.0	---	19.520 29.520	21.46 31.26	0.200 0.200	11.31 11.31	3.80012 3.80012	3.83102 3.83102
8 5.79~6.79	Sandy soil	10.00	33.0	---	29.520 39.520	31.26 41.06	0.200 0.200	11.31 11.31	4.10466 4.10466	4.04230 4.04230
9 6.79~7.79	Sandy soil	10.00	27.0	---	39.520 49.520	41.06 50.86	0.200 0.200	11.31 11.31	2.99498 2.99498	2.99498 2.99498
10 7.79~8.79	Sandy soil	10.00	27.0	---	49.520 59.520	50.86 60.66	0.200 0.200	11.31 11.31	2.99498 2.99498	2.99498 2.99498
11 8.79~9.79	Clayey soil	8.00	0.0	100.0	59.520 67.520	60.66 70.46	0.200 0.200	11.31 11.31	---	---
12 9.79~10.79	Clayey soil	8.00	0.0	200.0	67.520 75.520	70.46 80.26	0.200 0.200	11.31 11.31	---	---
13 10.79~11.79	Clayey soil	8.00	0.0	200.0	75.520 83.520	80.26 90.06	0.200 0.200	11.31 11.31	---	---
14 11.79~12.79	Sandy soil	10.00	45.0	---	83.520 93.520	90.06 99.86	0.200 0.200	11.31 11.31	8.33000 8.33000	8.20345 8.20345
15 12.79~20.00	Sandy soil	10.00	45.0	---	93.520 165.620	99.86 170.52	0.200 0.200	11.31 11.31	8.33000 8.33000	8.20345 8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 δ = -10.00, β = 0.00, θ = tan k

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)} \right]^2}$$

R_No. 29_pp.14

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure (P _w kNm ⁻²)	Passive side (P _p kNm ⁻²)
		P _{a1} kNm ⁻²	P _{a2} kNm ⁻²	P _a kNm ⁻²		
1	0.00~2.10	10.13 19.52	---	10.13 20.58	0.00 20.58	---
2	2.10~2.20	30.71 31.77	21.81 22.21	30.71 31.77	20.58 21.56	---
3	2.20~2.60	31.77 36.06	22.21 23.81	31.77 36.06	21.56 21.56	---
4	2.60~2.79	36.06 38.12	23.81 24.57	36.06 38.12	21.56 21.56	24.00 25.52
5	2.79~3.79	38.12 49.22	24.57 28.57	38.12 49.22	21.56 21.56	25.52 33.32
6	3.79~4.79	28.40 33.37	---	28.40 33.37	21.56 21.56	28.08 37.37
7	4.79~5.79	28.02 32.19	---	28.02 32.19	21.56 21.56	74.78 113.09
8	5.79~6.79	31.07 35.10	---	31.07 35.10	21.56 21.56	119.33 159.75
9	6.79~7.79	43.31 48.28	---	43.31 48.28	21.56 21.56	116.86 146.06
10	7.79~8.79	48.28 53.25	---	48.28 53.25	21.56 21.56	146.06 175.35
11	8.79~9.79	-70.36 -60.60	53.57 57.57	53.57 57.57	21.56 21.56	259.52 267.52
12	9.79~10.79	-261.24 -251.56	57.57 61.57	57.57 61.57	21.56 21.56	467.52 475.52
13	10.79~11.79	-251.56 -241.87	61.57 65.57	61.57 65.57	21.56 21.56	475.52 483.52
14	11.79~12.79	33.93 36.52	---	33.93 36.52	21.56 21.56	685.15 767.19
15	12.79~20.00	36.52 55.18	---	36.52 55.18	21.56 21.56	767.19 1358.66

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a: Equilibrium coefficient of compression 0.5
 Larger of P_{a1} or P_{a2} is applied as active earth pressure (P_a)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

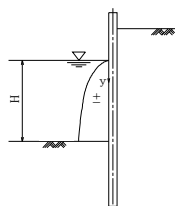
3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	W/L (y) (m)	P _w (kNm ⁻³)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

$$P_{wz} = \pm \frac{7}{8} k_{dz} \cdot \gamma_w \cdot \sqrt{H} \cdot y$$

Where,

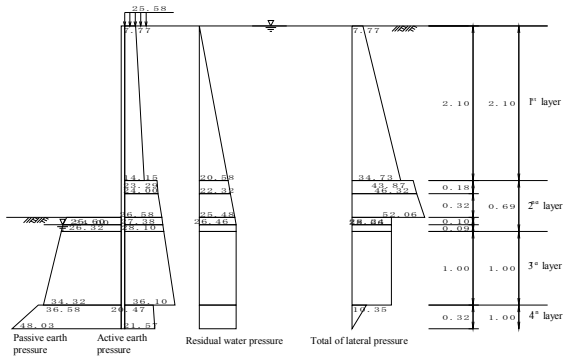
- k_{dz}: design seismic coefficient
- γ_w: unit weight of water
- H: water depth of river side
- y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level I_k is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

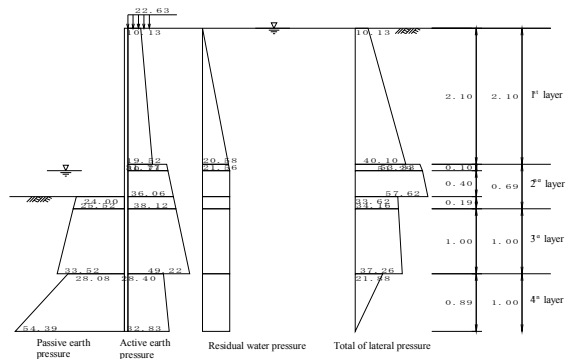


Depth (m)	P_a kNm ²	P_w kNm ²	P_p kNm ²	P_s kNm ²
1 0.00~2.10	7.77 14.15	0.00 20.58	— —	7.77 34.73
2 2.10~2.28	23.29 24.00	20.58 22.32	— —	43.87 46.32
3 2.28~2.60	24.00 26.58	22.32 25.48	— —	46.32 52.06
4 2.60~2.70	26.58 27.38	25.48 26.46	24.00 25.60	28.06 28.24
5 2.70~2.79	27.38 28.10	26.46 26.46	25.60 26.32	28.24 28.24
6 2.79~3.79	28.10 36.10	26.46 26.46	26.32 34.32	28.24 28.24
7 3.79~4.11	20.47 21.57	26.46 26.46	36.58 48.03	10.35 0.00
8 4.11~4.79	21.57 23.88	26.46 26.46	48.03 72.02	0.00 -21.68

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed I_k : 1.51 m (GL -4.11 m)

4-2 Seismic Condition



Depth (m)	P_a kNm ²	P_w kNm ²	P_p kNm ²	P_s kNm ²
1 0.00~2.10	10.13 19.52	0.00 20.58	— —	10.13 40.10
2 2.10~2.20	30.71 31.77	20.58 21.56	— —	51.29 53.33
3 2.20~2.60	31.77 36.06	21.56 21.56	— —	53.33 57.62
4 2.60~2.79	36.06 38.12	21.56 21.56	24.00 25.52	33.62 34.16
5 2.79~3.79	38.12 49.22	21.56 21.56	25.52 33.52	34.16 37.26
6 3.79~4.68	28.40 32.83	21.56 21.56	28.08 54.39	21.88 0.00
7 4.68~4.79	32.83 33.37	21.56 21.56	54.39 57.57	0.00 -2.64

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed I_k : 2.08 m (GL -4.68 m)

4th layer

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below.

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width	B = 1.0000 m
Corrosion margin	$t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
Corrosion rate	n = 0.92
Section efficiency	u = 0.80
Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	$I_0 = 86000$ cm ⁴ (original condition)
Inertia sectional moment	$I = 63296$ cm ⁴ (after reduction by corrosion on and section)
	$EI = 200000 \times 10^8 \times 63296 \times 10^8 = 1.266 \times 10^{17}$

Depth (m)	N value	Depth (m)	N value
1 0.50	15	11 9.79	29
2 1.60	15	12 10.79	31
3 2.10	2	13 11.79	46
4 2.79	2	14 12.79	50
5 3.79	2	15 20.00	50
6 4.79	10		
7 5.79	20		
8 6.79	22		
9 7.79	5		
10 8.79	8		

5-2 Normal Condition

$K_h = 20210$ kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.447 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.24 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -4.11 m) to 2.24 m depth (GL -6.35 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1 4.11	0.68	4.6	10.0	4.94
2 4.79	1.00	10.0	20.0	15.00
3 5.79	0.56	20.0	21.1	11.52

$L = 2h = 2.24$ $\Sigma A = 31.46$

$$A \text{ (upper N value + lower N value)} \times h/2$$

$$\text{Average N value } N' = \frac{\Sigma A}{L} = \frac{31.46}{2.24} = 14.06$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following.

$$K_h = 6910 \times N^{0.496} = 6910 \times 14.06^{0.496} = 20210 \text{ kN/m}^3$$

K_h (normal condition) = 20210 kNm³

5-3 Seismic Condition

$K_h = 22191$ kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.458 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.19 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -4.68 m) and 2.19 m depth (GL -6.87 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1 4.68	0.11	9.1	10.0	1.03
2 4.79	1.00	10.0	20.0	15.00
3 5.79	1.00	20.0	22.0	21.00
4 6.79	0.08	22.0	20.7	1.66

$L = 2h = 2.19$ $\Sigma A = 38.69$

$$A \text{ (upper N value + lower N value)} \times h/2$$

$$\text{Average N value } N' = \frac{\Sigma A}{L} = \frac{38.69}{2.19} = 17.70$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following.

$$K_h = 6910 \times N^{0.496} = 6910 \times 17.70^{0.496} = 22191 \text{ kN/m}^3$$

K_h (seismic condition) = 22191 kNm³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P_0 (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00~2.10	2.10	7.77 34.73	8.16 36.47	3.41 2.71	27.85 98.94
2 2.10~2.28	0.18	43.87 46.32	3.89 4.11	1.95 1.89	7.61 7.79
3 2.28~2.60	0.32	46.32 52.06	7.47 8.40	1.73 1.62	12.91 13.61
4 2.60~2.70	0.10	28.06 28.24	1.40 1.41	1.48 1.45	2.08 2.04
5 2.70~2.79	0.09	28.24 28.24	1.27 1.27	1.38 1.35	1.76 1.72
6 2.79~3.79	1.00	28.24 28.24	14.12 14.12	0.99 0.66	13.98 9.27
7 3.79~4.11	0.32	10.35 0.00	1.67 0.00	0.22 0.11	0.36 0.00
		$\Sigma P = 103.76$			$\Sigma M = 199.90$

P_0 : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_0 \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_0 = 2.5$ kNm
 depth to acting position $H = -0.44$ m
 moment $M_0 = 0.0$ kNm/m
 depth to acting position $H_0 = 0.00$ m
 Height from riverbed to top of coping $H = 2.60$ m
 Depth of imaginary riverbed from riverbed $L_0 = 1.51$ m

Moment M_0 by arbitrary load is as below
 $M_0 = P_0 \cdot (H + L_0 - H_0) + M_0 = 11.38$ kNm

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{211.29}{106.26} = 1.99 \text{ m}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P_0 (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00~2.10	2.10	10.13 40.10	10.63 42.11	3.98 3.28	42.34 138.21
2 2.10~2.20	0.10	51.29 53.33	2.56 2.67	2.55 2.32	6.54 6.71
3 2.20~2.60	0.40	53.33 57.62	10.67 11.52	2.35 2.22	25.05 25.53
4 2.60~2.79	0.19	33.62 34.16	3.19 3.25	2.02 1.96	6.45 6.35
5 2.79~3.79	1.00	34.16 37.26	17.08 18.63	1.56 1.23	26.62 22.83
6 3.79~4.68	0.89	21.88 0.00	9.76 0.00	0.59 0.30	5.81 0.00
		$\Sigma P = 132.07$			$\Sigma M = 312.43$

P_0 : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_0 \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_0 = 7.8$ kNm
 depth to acting position $H = -0.15$ m
 moment $M_0 = 2.3$ kNm/m
 depth to acting position $H_0 = 0.80$ m
 Height from riverbed to top of coping $H = 2.60$ m
 Depth of imaginary riverbed from riverbed $L_0 = 2.08$ m

Moment M_0 by arbitrary load is as below
 $M_0 = P_0 \cdot (H + L_0 - H_0) + M_0 = 39.99$ kNm

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{0w} (kNm ²)	Load P_{0w} (kN)	Arm length Y (m)	Moment M_{0w} (kNm)
1	2.20~2.60	0.40	0.0 0.7	0.00 0.14	2.35 2.22	0.00 0.30
			$\Sigma P_{0w} = 0.14$			$\Sigma M_{0w} = 0.30$

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0 + \Sigma M_{0w}}{\Sigma P + P_0 + \Sigma P_{0w}} = \frac{352.73}{140.01} = 2.52 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000$ m
 Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.92$
 Section efficiency $\mu = 0.80$
 Young's modulus $E = 200000$ Nmm²
 Inertia sectional moment $I_0 = 860000$ cm⁴ (original condition)
 $I = 63296$ cm⁴ (after reduction by corrosion and section)
 $E = 200000 \times 10^8 \times 63296 \times 10^8 = 1.266 \times 10^8$

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4 E I}}$$

$$\phi_n = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_n$$

$$l_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value $K_b = 20210$ kNm³
 $\beta = 0.44697$ m⁻¹
 resultant earth force (lateral) $P_0 = 106.26$ kNm
 height of acting position of load moment $h_0 = 1.99$ m
 $M_0 = 211.29$ kNm/m

in consideration of $\psi_0 = 1.176$, maximum moment $M_{max} = 248.37$ kNm/m
 depth of generated position of M_{max} $l_n = 0.773$ m
 depth of fixed point $l_i = 2.530$ m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value $K_b = 22191$ kNm³
 $\beta = 0.45754$ m⁻¹
 resultant earth force (lateral) $P_0 = 140.01$ kNm
 height of acting position of load moment $h_0 = 2.52$ m
 $M_0 = 352.73$ kNm/m

in consideration of $\psi_0 = 1.117$, maximum moment $M_{max} = 393.87$ kNm/m
 depth of generated position of M_{max} $l_n = 0.642$ m
 depth of fixed point $l_i = 2.359$ m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.92$
 Section efficiency $\mu = 1.00$
 Modulus of section $Z_0 = 3820$ cm³ (original condition)
 $Z = 3514$ cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{248.37 \times 10^6}{3514 \times 10^3} = 71 \text{ N/mm}^2 \leq \sigma_s = 180 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{393.87 \times 10^6}{3514 \times 10^3} = 112 \text{ N/mm}^2 \leq \sigma_s = 270 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

6-4-1 Normal Condition

Modulus of deformation

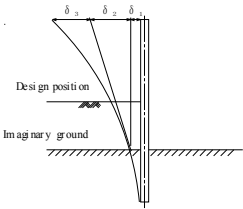
Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1 0.00~2.10	3.41 2.71	0.830 0.660	0.249 0.170	8.16 36.47	2.032 6.189
2 2.10~2.28	1.95 1.89	0.475 0.461	0.095 0.090	3.89 4.11	0.370 0.369
3 2.28~2.60	1.73 1.62	0.420 0.394	0.076 0.067	7.47 8.40	0.567 0.566
4 2.60~2.70	1.48 1.45	0.360 0.352	0.057 0.055	1.40 1.41	0.080 0.077
5 2.70~2.79	1.38 1.35	0.336 0.329	0.050 0.048	1.27 1.27	0.064 0.061
6 2.79~3.79	0.99 0.66	0.241 0.160	0.027 0.012	14.12 14.12	0.376 0.170
7 3.79~4.11	0.22 0.11	0.052 0.026	0.001 0.000	1.67 0.00	0.002 0.000
					$\Sigma Q = 10.924$

Y : Height from imaginary riverbed to acting position

$$\alpha = \alpha = \frac{Y}{H+L_1} = \frac{(3-\alpha) \times \alpha^2}{6}$$

$\zeta = \zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_1 : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1 + \beta h) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4470 \times 1.99) \times 106.26}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4470^3} = 0.00888 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h) \times P_0}{2 E I \beta^2} \times (H + L_1)$$

$$= \frac{(1 + 2 \times 0.4470 \times 1.99) \times 106.26}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4470^2} \times (2.60 + 1.51) = 0.02400 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I}$$

$$= \frac{10.92 \times (2.60 + 1.51)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00600 \text{ m}$$

Additional displacement δ_4' generated by horizontal load (P) and moment (M) acting at top of SSP considered

$$\delta_4' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_4' is calculated as 0.00053 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.11 m
 Horizontal load: P = 2.50
 Moment: M = 1.10

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00888 + 0.02400 + 0.00654$$

$$= 0.03941 \text{ m}$$

$$= 39.41 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where

- Displacement at imaginary ground
- Displacement by angle of inclination slope at imaginary ground
- Displacement at higher part of imaginary ground as cantilever
- Displacement at top of SSP
- Allowable displacement

R_No. 29_pp.25

$$\delta_1 = \frac{(1 + \beta h) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4575 \times 2.52) \times 140.01}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4575^3} = 0.01243 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h) \times P_0}{2 E I \beta^2} \times (H + L_1)$$

$$= \frac{(1 + 2 \times 0.4575 \times 2.52) \times 140.01}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4575^2} \times (2.60 + 2.08) = 0.04088 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I}$$

$$= \frac{15.53 \times (2.60 + 2.08)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.01259 \text{ m}$$

Additional displacement δ_4' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_4' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_4' is calculated as 0.00221 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.68 m
 Horizontal load: P = 7.80
 Moment: M = 1.17

Displacement δ_m of cantilever beam by moment M_m is additionally considered

$$\delta_m = \frac{M_m \cdot h}{2 E I} \times (2 L - h) \quad (L=4.68 \text{ m, } h=L-H_m, H_m=0.80 \text{ m, } \text{ただし...})$$

$$= \frac{2.30 \times 3.88}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8}} \times (2 \times 4.68 - 3.88) = 0.00019 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01243 + 0.04088 + 0.01499$$

$$= 0.06830 \text{ m}$$

$$= 68.30 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ_4' : Displacement at top of SSP
- δ_a : Allowable displacement

R_No. 29_pp.27

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.98 3.28	0.851 0.701	0.259 0.188	10.63 42.11	2.755 7.929
2	2.10~2.20	2.55 2.52	0.544 0.537	0.121 0.118	2.56 2.67	0.311 0.316
3	2.20~2.60	2.35 2.22	0.502 0.473	0.105 0.094	10.67 11.52	1.118 1.087
4	2.60~2.79	2.02 1.96	0.431 0.418	0.080 0.075	3.19 3.25	0.254 0.244
5	2.79~3.79	1.56 1.23	0.333 0.262	0.049 0.031	17.08 18.63	0.842 0.582
6	3.79~4.68	0.59 0.30	0.127 0.064	0.008 0.002	9.76 0.00	0.075 0.000
$\Sigma Q = 15.512$						

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H + L_1}$$

$$\zeta : \zeta = \frac{(3 - \alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

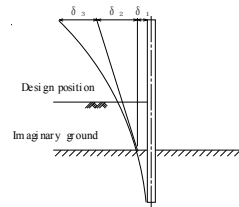
L_1 : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_w (kN)	Q_w (kN)
1	2.20~2.60	2.35 2.22	0.502 0.473	0.105 0.094	0.00 0.14	0.000 0.013
$\Sigma Q_w = 0.013$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 15.512 + 0.013 = 15.525$

Displacement



R_No. 29_pp.26

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 86000 \text{ m}^4$ (original condition)
	$I = 86000 \text{ m}^4$ (after reduction by corrosion and section)
	$H = 200000 \times 10^3 \times 86000 \times 10^8 = 1.720 \times 10^8$

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_0 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = 4 \sqrt{\frac{K_s \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction	$K_{11} = 20210 \text{ kN/m}^3$
Calculated value	$\beta = 0.41400 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.51 + \frac{3}{0.414} = 8.76 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 8.76 = 10.96 \text{ m}$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction	$K_{11} = 22191 \text{ kN/m}^3$
Calculated value	$\beta = 0.42379 \text{ m}^{-1}$
Penetration length of SSP	$D = 2.08 + \frac{3}{0.424} = 9.16 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.16 = 11.36 \text{ m}$

Therefore, whole length of SSP is set as 11.50 m in consideration of round unit of SSP length

R_No. 29_pp.28

8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	86000		
Section modulus	Z (cm ³)	3820		
Maximum bending moment	M_{max} (kNm/m)		248.37	393.87
Stress intensity	σ (N/mm ²)		71 (180)	112 (270)
Lateral displacement	δ (mm)		39.41 (50.0)	68.30 (75.0)
Penetration depth	D (m)		8.76	9.16
Whole length of SSP	L (m)	11.50		

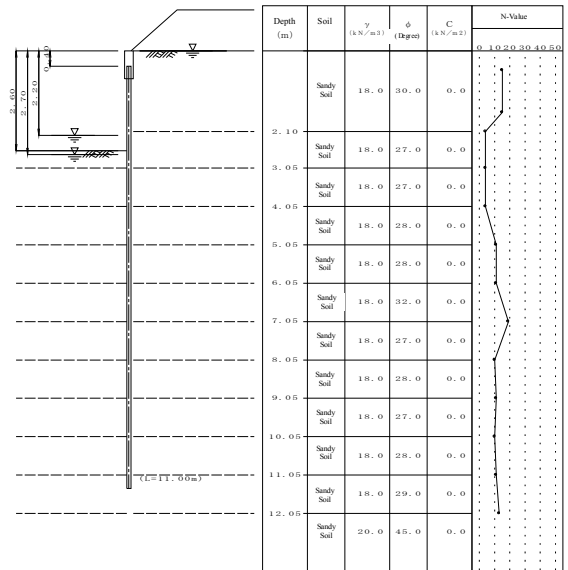
R_No.29_pp.29

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No 30_STA 13+578 - 13+700



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_g = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Landside WL L_{wp} = 0.00 m (Normal Condition)
 Riverside WL L_{wp} = 2.70 m (Normal Condition)
 L_{wp} = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No_30_pp 1

R_No_30_pp 2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition
 Design earthquake intensity $k = 0.200$
 Dynamic water pressure due to earthquake considered as distributed load
 Arbitrary load Horizontal load $P_t = 0.4 \text{ kN/m}$ (Normal Condition)
 $P_t' = 6.8 \text{ kN/m}$ (Seismic Condition)
 Depth of acting point $H_t = -0.74 \text{ m}$ (Normal Condition)
 $H_t' = -0.32 \text{ m}$ (Seismic Condition)
 Moment $M_m = 0.0 \text{ kN}\cdot\text{m/m}$ (Normal Condition)
 $M_m' = 0.0 \text{ kN}\cdot\text{m/m}$ (Seismic Condition)
 Depth of acting point $H_m = 0.00 \text{ m}$ (Normal Condition)
 $H_m = 0.00 \text{ m}$ (Seismic Condition)
 ('Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10 \text{ degrees}$

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.406}$

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	10.05	10
2	1.60	15	12	11.05	11
3	2.10	4	13	12.05	13
4	3.05	4	14	13.00	20
5	4.05	4			
6	5.05	11			
7	6.05	11			
8	7.05	19			
9	8.05	10			
10	9.05	11			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

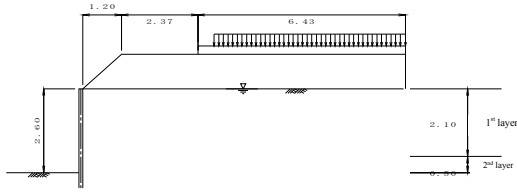
No	Depth (m)	Soil	N-value	γ (kNm³)	γ' (kNm³)	φ	C (kNm²)	a	k'	ζ (degree)		kh (kNm³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	3.05	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
3	4.05	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	5.05	S	11.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
5	6.05	S	11.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
6	7.05	S	19.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	—	—
7	8.05	S	10.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
8	9.05	S	11.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
9	10.05	S	10.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
10	11.05	S	11.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
11	12.05	S	13.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	—	—
12	13.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed (M)
 N-value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C_s : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (underwater)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	1.20	10.00	10.00	1.07	18.0	30.0	0.0	auto	auto
2	Sandy soil	3.57	3.57	10.00	10.00	0.26	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

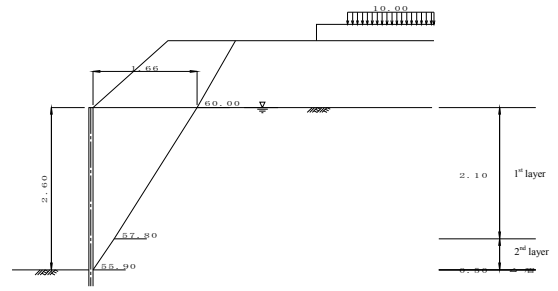
No	Acting period		Load	
	from (m)	to (m)	Norm d (kNm ⁻²)	Seismic (kNm ⁻²)
1	4.07	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

- Young's modulus $E = 200000 \text{ N/mm}^2$
- Inertia sectional moment $I_0 = 56700 \text{ cm}^4$
- Sectional factor $Z_0 = 2700 \text{ cm}^3$
- Corrosion margin $t_1 = 1.00 \text{ mm (riverside)}$ $t_2 = 1.00 \text{ mm (landside)}$
- Corrosion rate (to I_0) $\eta = 0.88$
- Corrosion rate (to Z_0) $\eta = 0.88$
- Section efficiency (to I_0) $\mu = 0.80$
- Section efficiency (to Z_0) $\mu = 1.00$
- Round unit of SSP length 0.50 m
- Allowable stress $\sigma_a = 180 \text{ N/mm (Normal)}$
 $\sigma'_a = 270 \text{ N/mm (Seismic)}$
- Allowable displacement $\delta_a = 50.0 \text{ mm (Normal)}$
 $\delta'_a = 75.0 \text{ mm (Seismic)}$
- Bending of cantilever beam calculated as distributed load of each layer
- Reduction of material modulus
Reduced: I_0 applied to calculation of lateral coefficient of subgrade reaction
Not reduced: I_0 applied to calculation of penetration depth
Reduced: I_0 applied to calculation of section forces and displacement
Reduced: Z_0 applied to calculation of stresses

2 Calculation of Acting Load
2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wh} (kN/m ²)	Angle of rupture Z (degree)
1	2.60~ 2.10	Sandy Soil	27.0	10.0	0.0	26.00	15.88	25.48	55.90
2	2.10~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	15.88	20.58	57.80
3		Embankment			0.0	23.94	10.00	0.00	60.00

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	55.90	0.50	0.00	0.00	0.34	0.50
2	57.80	2.10	0.34	0.50	1.66	2.60
3	60.00	1.07	1.66	2.60	2.28	3.67

Therefore, width of acting load shall be set as 1.66 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	1.47	26.38
Σ			26.38

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

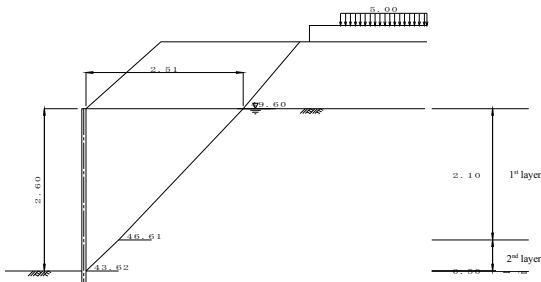
2-1-4 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times 1) + \Sigma P}{L}$$

$$= \frac{26.38 + 0.00 + 0.00}{1.66}$$

$$= 15.88 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wh} (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60~ 2.10	Sandy Soil	27.0	10.0	0.0	26.00	18.15	25.48	0.200	11.31	43.62
2	2.10~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	18.15	20.58	0.200	11.31	46.61
3		Embankment	30.0		0.0	23.94	5.00	0.00	0.200	11.31	49.60

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.62	0.50	0.00	0.00	0.52	0.50
2	46.61	2.10	0.52	0.50	2.51	2.60
3	49.60	1.07	2.51	2.60	3.42	3.67

Therefore, width of acting load shall be set as 2.51 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.53	45.56
Σ			45.56

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

2-2-4 Calculation of Total Acting Load

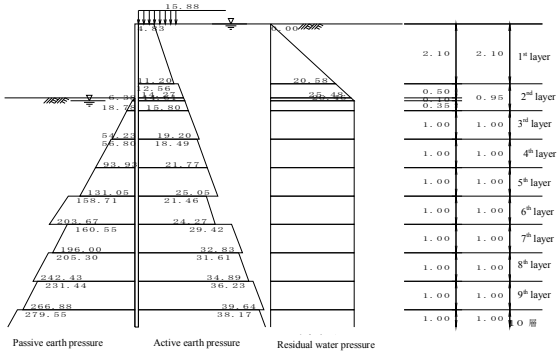
$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times 1) + \Sigma P}{L}$$

$$= \frac{45.56 + 0.00 + 0.00}{2.51}$$

$$= 18.15 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Qh (kNm ⁻²)	Ka	Ka × cos δ
1 0.00~2.10	Sandy soil	10.0	30.0	—	15.884	0.30847	0.30847
2 2.10~2.60	Sandy soil	10.0	27.0	—	36.884	0.34585	0.34060
3 2.60~2.70	Sandy soil	10.0	27.0	—	41.884	0.34585	0.34060
4 2.70~3.05	Sandy soil	10.0	27.0	—	42.884	0.34585	0.34060
5 3.05~4.05	Sandy soil	10.0	27.0	—	46.384	0.34585	0.34060
6 4.05~5.05	Sandy soil	10.0	28.0	—	56.384	0.33303	0.32798
7 5.05~6.05	Sandy soil	10.0	28.0	—	66.384	0.33303	0.32798
8 6.05~7.05	Sandy soil	10.0	32.0	—	76.384	0.28925	0.28992
9 7.05~8.05	Sandy soil	10.0	27.0	—	86.384	0.34585	0.34060
10 8.05~9.05	Sandy soil	10.0	28.0	—	96.384	0.33303	0.32798
11 9.05~10.05	Sandy soil	10.0	27.0	—	106.384	0.34585	0.34060
12 10.05~11.05	Sandy soil	10.0	28.0	—	116.384	0.33303	0.32798
13 11.05~12.05	Sandy soil	10.0	29.0	—	126.384	0.32058	0.31571

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Qh (kNm ⁻²)	Ka	Ka × cos δ
14 12.05~13.00	Sandy soil	10.0	45.0	—	136.384	0.16262	0.16015

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)} \right]^2}$$

δ = 10.00, β = 0.00, θ = 0.00

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Qh (kNm ⁻²)	Kp	Kp × cos δ
3 2.60~2.70	Sandy soil	18.0	27.0	—	0.000	3.59892	3.54425
4 2.70~3.05	Sandy soil	10.0	27.0	—	1.800	3.59892	3.54425
5 3.05~4.05	Sandy soil	10.0	27.0	—	5.300	3.59892	3.54425
6 4.05~5.05	Sandy soil	10.0	28.0	—	15.300	3.76978	3.71251
7 5.05~6.05	Sandy soil	10.0	28.0	—	25.300	3.76978	3.71251
8 6.05~7.05	Sandy soil	10.0	32.0	—	35.300	4.56530	4.49594
9 7.05~8.05	Sandy soil	10.0	27.0	—	45.300	3.59892	3.54425
10 8.05~9.05	Sandy soil	10.0	28.0	—	55.300	3.76978	3.71251
11 9.05~10.05	Sandy soil	10.0	27.0	—	65.300	3.59892	3.54425
12 10.05~11.05	Sandy soil	10.0	28.0	—	75.300	3.76978	3.71251
13 11.05~12.05	Sandy soil	10.0	29.0	—	85.300	3.95096	3.89093
14 12.05~13.00	Sandy soil	10.0	45.0	—	95.300	9.20351	9.20351

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)} \right]^2}$$

δ = -10.00, β = 0.00, θ = 0.00

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure	Passive side
	Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa3 (kNm ⁻²)		
1 0.00~2.10	4.83	—	4.83	0.00	—
2 2.10~2.60	12.26	—	12.26	20.58	—
3 2.60~2.70	14.27	—	14.27	25.48	—
4 2.70~3.05	14.61	—	14.61	26.46	6.38
5 3.05~4.05	15.80	—	15.80	26.46	18.78
6 4.05~5.05	18.49	—	18.49	26.46	56.80
7 5.05~6.05	21.77	—	21.77	26.46	93.93
8 6.05~7.05	24.27	—	24.27	26.46	158.71
9 7.05~8.05	29.42	—	29.42	26.46	196.00
10 8.05~9.05	31.61	—	31.61	26.46	205.30
11 9.05~10.05	36.23	—	36.23	26.46	231.44
12 10.05~11.05	38.17	—	38.17	26.46	279.55
13 11.05~12.05	39.90	—	39.90	26.46	331.90
14 12.05~13.00	21.84	—	21.84	26.46	877.09

- Formula for active earth pressure

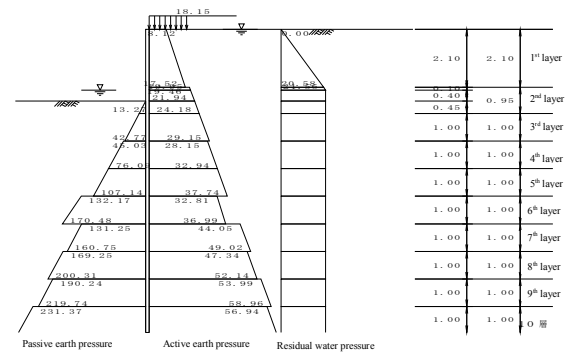
Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(\delta - \beta)}] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(\delta - \beta)}] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Qh (kNm ⁻²)	γsw (kNm ⁻³)	k (k)	θ (degree)	Ka	Ka × cos δ	θ (degree)
1 0.00~2.10	Sandy Soil	10.0	30.0	—	18.15	0.00	0.200	11.31	0.45442	0.44752	—
2 2.10~2.20	Sandy Soil	10.0	27.0	—	39.15	20.58	0.200	11.31	0.50461	0.49695	—
3 2.20~2.60	Sandy Soil	10.0	27.0	—	40.15	21.56	0.200	11.31	0.50461	0.49695	—
4 2.60~3.05	Sandy Soil	10.0	27.0	—	44.15	25.48	0.200	11.31	0.50461	0.49695	—
5 3.05~4.05	Sandy Soil	10.0	27.0	—	48.15	29.89	0.200	11.31	0.50461	0.49695	—
6 4.05~5.05	Sandy Soil	10.0	28.0	—	58.65	39.69	0.200	11.31	0.48730	0.47989	—
7 5.05~6.05	Sandy Soil	10.0	28.0	—	68.65	49.49	0.200	11.31	0.48730	0.47989	—
8 6.05~7.05	Sandy Soil	10.0	32.0	—	78.65	59.29	0.200	11.31	0.42366	0.41722	—
9 7.05~8.05	Sandy Soil	10.0	27.0	—	88.65	69.09	0.200	11.31	0.50461	0.49695	—
10 8.05~9.05	Sandy Soil	10.0	28.0	—	98.65	78.89	0.200	11.31	0.48730	0.47989	—
11 9.05~10.05	Sandy Soil	10.0	27.0	—	108.65	88.69	0.200	11.31	0.50461	0.49695	—
12 10.05~11.05	Sandy Soil	10.0	28.0	—	118.65	98.49	0.200	11.31	0.48730	0.47989	—
13 11.05~12.05	Sandy Soil	10.0	29.0	—	128.65	108.29	0.200	11.31	0.47058	0.46343	—

No	Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Q (kNm ⁻²)	γ _{sw} w (kNm ⁻²)	k (k)	θ (degree)	K _a	K _a × cos δ	θ (degree)
14	12.05~13.00	Sandy Soil	10.0	45.0	—	138.65 148.15	118.09 127.40	0.200	11.31	0.26273 0.26273	0.25874 0.25874	—

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below;
 δ = 10.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below;

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

No	Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Q (kNm ⁻²)	γ _{sw} w (kNm ⁻²)	k (k)	θ (degree)	K _p	K _p × cos δ
4	2.60~3.05	Sandy soil	10.00	27.0	—	0.000 4.500	0.00 4.41	0.200	11.31	2.99498 2.99498	2.94948 2.94948
5	3.05~4.05	Sandy soil	10.00	27.0	—	4.500 14.500	4.41 14.21	0.200	11.31	2.99498 2.99498	2.94948 2.94948
6	4.05~5.05	Sandy soil	10.00	28.0	—	14.500 24.500	14.21 24.01	0.200	11.31	3.15350 3.15350	3.10559 3.10559
7	5.05~6.05	Sandy soil	10.00	28.0	—	24.500 34.500	24.01 33.81	0.200	11.31	3.15350 3.15350	3.10559 3.10559
8	6.05~7.05	Sandy soil	10.00	32.0	—	34.500 44.500	33.81 43.61	0.200	11.31	3.89012 3.89012	3.83102 3.83102
9	7.05~8.05	Sandy soil	10.00	27.0	—	44.500 54.500	43.61 53.41	0.200	11.31	2.99498 2.99498	2.94948 2.94948
10	8.05~9.05	Sandy soil	10.00	28.0	—	54.500 64.500	53.41 63.21	0.200	11.31	3.15350 3.15350	3.10559 3.10559
11	9.05~10.05	Sandy soil	10.00	27.0	—	64.500 74.500	63.21 73.01	0.200	11.31	2.99498 2.99498	2.94948 2.94948
12	10.05~11.05	Sandy soil	10.00	28.0	—	74.500 84.500	73.01 82.81	0.200	11.31	3.15350 3.15350	3.10559 3.10559
13	11.05~12.05	Sandy soil	10.00	29.0	—	84.500 94.500	82.81 92.61	0.200	11.31	3.32141 3.32141	3.27095 3.27095
14	12.05~13.00	Sandy soil	10.00	45.0	—	94.500 104.000	92.61 101.92	0.200	11.31	8.33000 8.33000	8.20345 8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below;
 δ = -10.00, β = 0.00, θ = tan⁻¹k

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 kNm ⁻²	Pa2 kNm ⁻²	Pa kNm ⁻²		
1	0.00~2.10	8.12 17.52	—	8.12 17.52	0.00 20.58	—
2	2.10~2.20	19.46 19.95	—	19.46 19.95	20.58 21.56	—
3	2.20~2.60	19.95 21.94	—	19.95 21.94	21.56 21.56	—
4	2.60~3.05	21.94 24.18	—	21.94 24.18	21.56 21.56	0.00 13.27
5	3.05~4.05	24.18 29.15	—	24.18 29.15	21.56 21.56	13.27 42.77
6	4.05~5.05	28.15 32.94	—	28.15 32.94	21.56 21.56	45.03 76.09
7	5.05~6.05	32.94 37.74	—	32.94 37.74	21.56 21.56	76.09 107.14
8	6.05~7.05	32.81 36.99	—	32.81 36.99	21.56 21.56	132.17 170.48
9	7.05~8.05	44.05 49.02	—	44.05 49.02	21.56 21.56	131.25 160.75
10	8.05~9.05	47.34 52.14	—	47.34 52.14	21.56 21.56	169.25 200.31
11	9.05~10.05	53.99 58.96	—	53.99 58.96	21.56 21.56	190.24 219.74
12	10.05~11.05	56.94 61.74	—	56.94 61.74	21.56 21.56	231.37 262.42
13	11.05~12.05	59.62 64.25	—	59.62 64.25	21.56 21.56	276.40 309.10
14	12.05~13.00	35.87 38.33	—	35.87 38.33	21.56 21.56	775.23 853.16

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$
 K_c : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

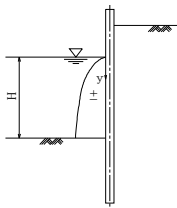
Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P _w (kNm ⁻²)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

Where,

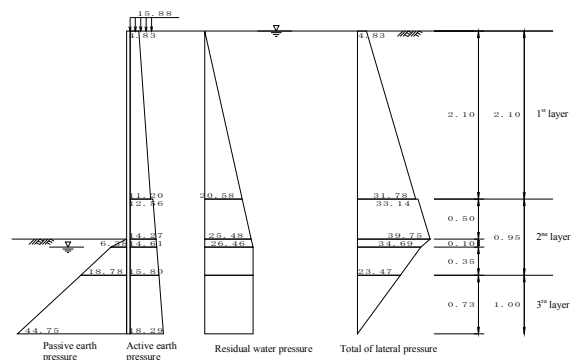
- k_{hs}: design seismic coefficient
- γ_w: unit weight of water
- H: water depth of riverside
- y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L_x is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

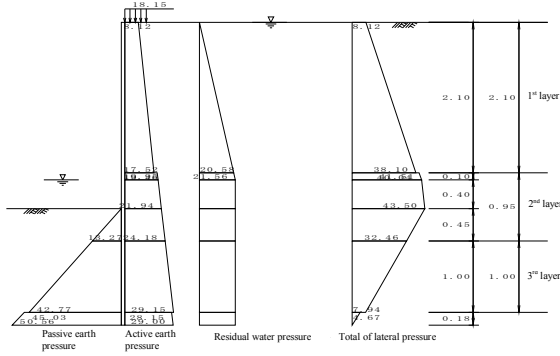
4-1 Normal Condition



Depth (m)	Pa kNm ⁻²	Pw kNm ⁻²	Pp kNm ⁻²	Pt kNm ⁻²
1	4.83 11.20	0.00 20.58	—	4.83 31.78
2	12.56 14.27	20.58 25.48	—	33.14 39.75
3	14.27 14.61	25.48 26.46	0.00 6.38	39.75 34.69
4	14.61 15.80	26.46 26.46	6.38 18.78	34.69 23.47
5	15.80 18.29	26.46 26.46	18.78 44.75	23.47 0.00
6	18.29 19.20	26.46 26.46	44.75 54.23	0.00 -8.56

- P_a: Active earth pressure
- P_w: Residual water pressure
- P_p: Passive earth pressure
- P_t: Lateral pressure P_t = P_a + P_w - P_p

Imaginary riverbed L_x: 1.18 m (GL -3.78 m)



Depth (m)	P_a kNm ²	P_w kNm ²	P_p kNm ²	P_s kNm ²
1 0.00~2.10	8.12 17.52	0.00 20.58	---	8.12 38.10
2 2.10~2.20	19.46 19.95	20.58 21.56	---	40.04 41.51
3 2.20~2.60	19.95 21.94	21.56 21.56	---	41.51 43.50
4 2.60~3.05	21.94 24.18	21.56 21.56	0.00 13.27	43.50 32.46
5 3.05~4.05	24.18 29.15	21.56 21.56	13.27 42.77	32.46 7.94
6 4.05~4.23	28.15 29.00	21.56 21.56	45.03 50.56	4.67 0.00
7 4.23~5.05	29.00 32.94	21.56 21.56	50.56 76.09	0.00 -21.58

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$
 Imaginary riverbed L_a : 1.63 m (GL -4.23 m)

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/3 depth. The modulus are calculated by the formula below;

$$K_h = 6910 \times N'^{0.406}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width $B = 1.0000$ m
 Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.88$
 Section efficiency $\mu = 0.80$
 Young's modulus $E = 200000$ N/mm²
 Inertia sectional moment $I_0 = 56700$ cm⁴(original condition)
 $I = 39917$ cm⁴(after reduction by corrosion and joint)
 Inertia sectional moment $EI = 20000 \times 10^4 \times 39917 \times 10^{-8} = 7.983 \times 10^4$

Depth (m)	N-value		Depth (m)	N-value	
	upper	lower		upper	lower
1 0.50	15	11	10.05	10	
2 1.60	15	12	11.05	11	
3 2.10	4	13	12.05	13	
4 3.05	4	14	13.00	50	
5 4.05	4				
6 5.05	11				
7 6.05	11				
8 7.05	19				
9 8.05	10				
10 9.05	11				

5-2 Normal Condition

$K_h = 16429$ kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.476 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.10 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.78 m) to 2.10 m depth (GL -5.88 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 3.78	0.27	4.0	4.0	1.07
2 4.05	1.00	4.0	11.0	7.50
3 5.05	0.83	11.0	11.0	9.16
L = 2h = 2.10		ΣA = 17.73		

A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{17.73}{2.10} = 8.44$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N'^{0.406} = 6910 \times 8.44^{0.406} = 16429 \text{ kN/m}^3$$

$$K_h \text{ (normal condition)} = 16429 \text{ kN/m}^3$$

5-3 Seismic Condition

$K_h = 17576$ kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.484 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.06 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.23 m) and 2.06 m depth (GL -6.29 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 4.23	0.82	5.2	11.0	6.68
2 5.05	1.00	11.0	11.0	11.00
3 6.05	0.24	11.0	12.9	2.90
L = 2h = 2.06		ΣA = 20.58		

A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{20.58}{2.06} = 9.97$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N'^{0.406} = 6910 \times 9.97^{0.406} = 17576 \text{ kN/m}^3$$

$$K_h \text{ (seismic condition)} = 17576 \text{ kN/m}^3$$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

Depth (m)	Thickness h (m)	Total of lateral force P_s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00~2.10	2.10	4.83 31.78	5.07 33.57	3.08 2.88	15.62 79.52
2 2.10~2.60	0.50	33.14 39.75	8.29 39.75	1.52 1.35	12.56 13.41
3 2.60~2.70	0.10	39.75 34.69	1.99 1.73	1.15 1.12	2.28 1.94
4 2.70~3.05	0.35	34.69 23.47	6.07 4.11	0.97 0.85	5.86 3.49
5 3.05~3.78	0.73	23.47 0.00	8.60 0.00	0.49 0.24	4.20 0.00
		ΣP = 79.16		ΣM = 138.88	

P_a : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_l = 0.4$ kN/m
 depth to acting position $H_l = -0.74$ m
 moment $M_m = 0.0$ kN·m/m
 depth to acting position $H_m = 0.00$ m
 Height from riverbed to top of coping $H_c = 2.60$ m
 Depth of Imaginary riverbed from riverbed $L_k = 1.18$ m

Moment M_0 by arbitrary load is as below

$$M_0 = P_l \cdot (H + L_k - H_l) + M_m = 1.81 \text{ kN}\cdot\text{m}$$

h_0 , Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_l}{\Sigma P + P_l} = \frac{140.69}{79.56} = 1.77 \text{ m}$$

6-1-2 Seismic Condition

No	Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~2.10	2.10	8.12 38.10	8.53 40.01	3.53 2.83	30.09 113.14
2	2.10~2.20	0.10	40.04 41.51	2.00 2.08	2.09 2.06	4.19 4.28
3	2.20~2.60	0.40	41.51 43.50	8.30 8.70	1.89 1.76	15.73 15.32
4	2.60~3.05	0.45	43.50 32.46	9.79 7.94	1.48 1.33	14.47 9.70
5	3.05~4.05	1.00	32.46 7.94	16.23 3.97	0.84 0.51	13.71 2.03
6	4.05~4.23	0.18	4.67 0.00	0.42 0.00	0.12 0.06	0.05 0.00
			$\Sigma P = 107.32$		$\Sigma M = 222.71$	

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load P_s x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P_t = 6.8 kN/m
 depth to acting position H_t = -0.32 m
 moment M_m = 0.0 kN·m/m
 depth to acting position H_m = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of Imaginary riverbed from riverbed L_k = 1.63 m

Moment M_t by arbitrary load is as below
 M_t = P_t · (H + L_k - H_t) + M_m = 30.93 kN·m

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _w (kNm ²)	Load P _w (kN)	Arm length Y (m)	Moment M _w (kNm)
1	2.20~2.60	0.40	0.0 0.7	0.00 0.14	1.89 1.76	0.00 0.24
			$\Sigma P_{dw} = 0.14$		$\Sigma M_{dw} = 0.24$	

h₀ : Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_t + \Sigma M_{dw}}{\Sigma P + P_t + \Sigma P_{dw}} = \frac{253.87}{114.26} = 2.22 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width B = 1.000 m
 Corrosion margin u = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.88
 Section efficiency μ = 0.80
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 56700 cm⁴ (original condition)
 I = 39917 cm⁴ (after reduction by corrosion and section)
 EI = 200000 × 10³ × 39917 × 10⁻⁸
 I = 7.983 × 10⁷

$$\beta = 4\sqrt{\frac{K_b \cdot B}{4EI}}$$

$$\phi_n = \frac{\sqrt{(1+2\beta h_0)^2+1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_n$$

$$l_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1 + \beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction K_b = 16429 kN/m³
 calculated value β = 0.47626 m⁻¹
 resultant earth force (lateral) P₀ = 79.56 kN/m
 height of acting position of load h₀ = 1.77 m
 moment M₀ = 140.69 kN·m/m

in consideration of ψ_{max} = 1.191, maximum moment M_{max} = 167.50 kN·m/m
 depth of generated position of M_{max} l_m = 0.749 m
 depth of 1st fixed point l₁ = 2.398 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction K_b = 17576 kN/m³
 calculated value β = 0.48436 m⁻¹
 resultant earth force (lateral) P₀ = 114.26 kN/m
 height of acting position of load h₀ = 2.22 m
 moment M₀ = 253.87 kN·m/m

in consideration of ψ_{max} = 1.130, maximum moment M_{max} = 286.91 kN·m/m
 depth of generated position of M_{max} l_m = 0.634 m
 depth of 1st fixed point l₁ = 2.256 m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.88
 Section efficiency μ = 1.00
 Module of section Z₀ = 2700 cm³ (original condition)
 Z = 2376 cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{167.50 \times 10^3}{2376 \times 10^3} = 70 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{286.91 \times 10^3}{2376 \times 10^3} = 121 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

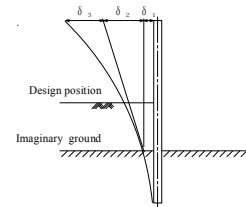
6-4-1 Normal Condition

Modules of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.08 2.38	0.815 0.630	0.242 0.157	5.07 33.37	1.225 5.231
2	2.10~2.60	1.52 1.35	0.401 0.357	0.070 0.056	8.29 9.94	0.577 0.557
3	2.60~2.70	1.15 1.12	0.304 0.295	0.041 0.039	1.99 1.73	0.082 0.068
4	2.70~3.05	0.97 0.85	0.255 0.225	0.030 0.023	6.07 4.11	0.181 0.096
5	3.05~3.78	0.49 0.24	0.129 0.065	0.008 0.002	8.60 0.00	0.069 0.000
			$\Sigma Q = 8.086$			

Y : Height from imaginary riverbed to acting position
 α : α = $\frac{Y}{H+L_k}$
 ζ : ζ = $\frac{(3-\alpha) \times \alpha^2}{6}$
 Q : ζ × P
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2EI\beta^3} = \frac{(1+0.4763 \times 1.77) \times 79.56}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.4763^3} = 0.00850 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2EI\beta^2} \times (H+L_1) = \frac{(1+2 \times 0.4763 \times 1.77) \times 79.56}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.4763^2} \times (2.60+1.18) = 0.02231 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_1)^3}{EI} = \frac{8.09 \times (2.60+1.18)^3}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.00548 \text{ m}$$

Additional displacement δ₃' generated by horizontal load (P) and moment (M) acting at top of SSP considered.

$$\delta_3' = \frac{P L^3}{3EI} + \frac{M L^2}{2EI}$$

δ₃' is calculated as 0.00012 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.78 m
 Horizontal load: P = 0.40
 Moment: M = 0.30

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.00850 + 0.02231 + 0.00560 = 0.03640 \text{ m} = 36.40 \text{ mm} \approx \delta_a = 50.00 \text{ mm (ok)}$$

Where,

Displacement at imaginary ground
 Displacement by angle of inclination slope at imaginary ground
 Displacement at higher part of imaginary ground as cantilever
 Displacement at top of SSP
 Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.53 2.83	0.834 0.669	0.251 0.174	8.53 40.01	2.143 6.954
2	2.10~2.20	2.09 2.06	0.495 0.488	0.102 0.100	2.00 2.08	0.205 0.207
3	2.20~2.60	1.89 1.76	0.448 0.417	0.085 0.075	8.30 8.70	0.709 0.650
4	2.60~3.05	1.48 1.33	0.350 0.314	0.054 0.044	9.79 7.30	0.528 0.323
5	3.05~4.05	0.84 0.51	0.200 0.121	0.019 0.007	16.23 3.97	0.302 0.028
6	4.05~4.23	0.12 0.06	0.028 0.014	0.000 0.000	0.42 0.00	0.000 0.000
$\Sigma Q = 12.049$						

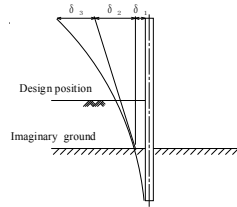
Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_1}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_1 : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_w (kN)	Q_w (kN)
1	2.20~2.60	1.89 1.76	0.448 0.417	0.085 0.075	0.00 0.14	0.000 0.010
$\Sigma Q_w = 0.010$						

Therefore, modulus of deformation Q is calculated as below:
 $Q = 12.049 + 0.010 = 12.059$

Displacement



$$\delta_1 = \frac{(1+\beta)h_0 \times P_0}{2EI\beta^3}$$

$$= \frac{(1+0.4844 \times 2.22) \times 114.26}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.4844^3} = 0.01307 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta)h_0 \times P_0}{2EI\beta^2} \times (H+L_1)$$

$$= \frac{(1+2 \times 0.4844 \times 2.22) \times 114.26}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.4844^2} \times (2.60+1.63) = 0.04066 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_1)^3}{EI}$$

$$= \frac{12.06 \times (2.60+1.63)^3}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.01142 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_3' = \frac{PL^3}{3EI} + \frac{ML^2}{2EI}$$

δ_3' is calculated as 0.00239 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: $L = 4.23$ m
 Horizontal load: $P = 6.80$
 Moment: $M = 2.18$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01307 + 0.04066 + 0.01142$$

$$= 0.06754 \text{ m}$$

$$= 67.54 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

- Where,
- δ_1 : Displacement at imaginary ground
 - δ_2 : Displacement by angle of inclination slope at imaginary ground
 - δ_3 : Displacement at higher part of imaginary ground as cantilever
 - δ : Displacement at top of SSP
 - δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below:

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 56700 \text{ cm}^4$ (original condition)
	$I = 56700 \text{ cm}^4$ (after reduction by corrosion and section)
EI = 200000 × 10 ³ × 56700 × 10 ⁸	= 1.134 × 10 ⁹

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_1 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings:

$$D = L_1 + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4EI}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction
 Calculated value $K_b = 16429 \text{ kN/m}^3$
 $\beta = 0.43625 \text{ m}^{-1}$

Penetration length of SSP $D = 1.18 + \frac{3}{0.436} = 8.06 \text{ m}$
 Whole length of SSP $L = 2.60 - 0.40 + 8.06 = 10.26 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction
 Calculated value $K_b = 17576 \text{ kN/m}^3$
 $\beta = 0.44367 \text{ m}^{-1}$

Penetration length of SSP $D = 1.63 + \frac{3}{0.444} = 8.39 \text{ m}$
 Whole length of SSP $L = 2.60 - 0.40 + 8.39 = 10.59 \text{ m}$

Therefore, whole length of SSP is set as 11.00 m in consideration of round unit of SSP length.

8 Calculation Result

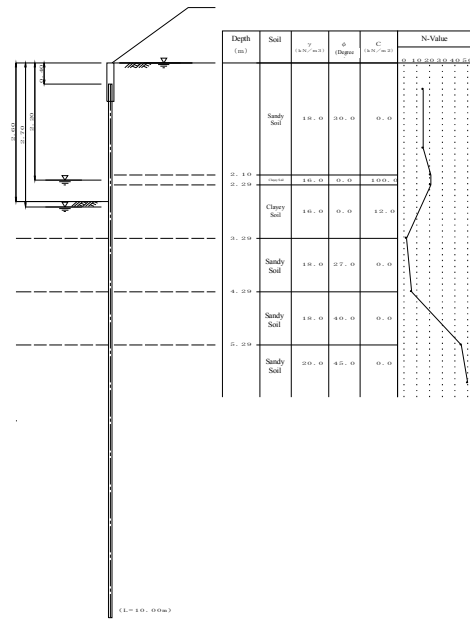
			Normal condition	Seismic condition
Inertia sectional moment	I (m ⁴)	56700		
Section modulus	Z (m ³)	2700		
Maximum bending moment	M_{max} (kNm/m)		167.50	286.91
Stress intensity	σ (N/mm ²)		70 (180)	121 (270)
Lateral displacement	δ (mm)		36.40 (50.0)	67.54 (75.0)
Penetration depth	D (m)		8.06	8.39
Whole length of SSP	L (m)	11.00		

— Steel Sheet Pile Design Calculation —

Right Bank No 31_STA_13+700 - 13+802

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



1-2 Dimensions of Structure

Depth from coping top to riverbed $H = 2.60$ m
 Depth from coping top to rear side ground $H_r = 0.00$ m
 Depth from coping top to SSP top $H_s = 0.40$ m
 Landside WL $L_{land} = 0.00$ m (Normal Condition)
 $L'_{land} = 0.00$ m (Seismic Condition)
 Riverside WL $L_{river} = 2.70$ m (Normal Condition)
 $L'_{river} = 2.20$ m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.31_pp.1

R_No.31_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8$ kNm³
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load $P = 0.4$ kNm (Normal Condition)
 $P' = 6.8$ kNm (Seismic Condition)
 Depth of acting point $H = -0.73$ m (Normal Condition)
 $H' = -0.32$ m (Seismic Condition)
 Moment $M_m = 0.0$ kNm/m (Normal Condition)
 $M'_m = 0.0$ kNm/m (Seismic Condition)
 Depth of acting point $H_m^+ = 0.00$ m (Seismic Condition)
 $H_m^- = 0.00$ m (Normal Condition)
 (*Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma' h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_s = 6910 \times N'^{0.406}$

Average N value calculated from average N value between imaginary riverbed and depth as l/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15			
2	1.60	15			
3	2.10	21			
4	2.29	21			
5	3.29	2			
6	4.29	6			
7	5.29	45			
8	6.00	50			
9	20.00	50			

R_No.31_pp.3

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment share on landside

Vertical load on riverside not considered

1-7 Soil Modulus

No	Depth (m)	Soil	N-value	γ (kNm ³)	γ' (kNm ³)	ϕ	C (kNm ²)	a	k'	ζ (degree)		kh (kNm ³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	---	---
2	2.29	C	21.0	16.00	8.00	0.0	100.0	0.0	0.200	auto	auto	---	---
3	3.29	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	---	---
4	4.29	S	6.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	---	---
5	5.29	S	45.0	18.00	10.00	40.0	0.0	0.0	0.200	auto	auto	---	---
6	6.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	---	---

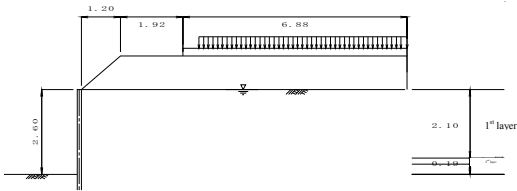
Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed(M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C_c : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

R_No.31_pp.4

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture Z (degree)	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	1.20	10.00	10.00	1.04	18.0	30.0	0.0	auto	auto
2	Sandy soil	3.12	3.12	10.00	10.00	0.23	18.0	30.0	0.0	auto	auto

Surcharge load acting on an embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ²)	Seismic (kNm ²)
1	3.61	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of an embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus $E = 200000 \text{ Nmm}^2$
 Inertia sectional moment $I_a = 56700 \text{ cm}^4$
 Sectional factor $Z_a = 2700 \text{ cm}^3$

Corrosion margin $t_r = 1.00 \text{ mm (riverside)} \quad t_l = 1.00 \text{ mm (landside)}$

Corrosion rate (to I_a) $\eta = 0.88$
 Corrosion rate (to Z_a) $\eta = 0.88$
 Section efficiency (to I_a) $\mu = 0.80$
 Section efficiency (to Z_a) $\mu = 1.00$

Round unit of SSP length 0.50 m

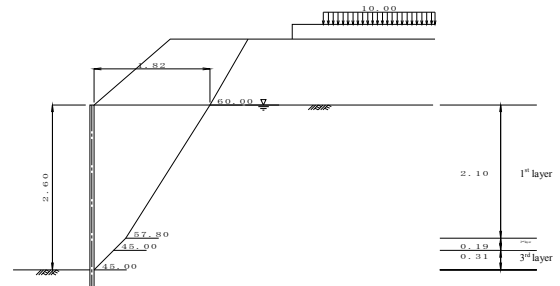
Allowable stress $\sigma_a = 180 \text{ Nmm (Normal)}$
 $\sigma_a' = 270 \text{ Nmm (Seismic)}$

Allowable displacement $\delta_a = 50.0 \text{ mm (Normal)}$
 $\delta_a' = 75.0 \text{ mm (Seismic)}$

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus
 Reduced I_a applied to calculation of lateral coefficient of subgrade reaction
 Not reduced I_a applied to calculation of penetration depth
 Reduced I_a applied to calculation of section forces and displacement
 Reduced Z_a applied to calculation of stresses

2 Calculation of Acting Load
2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma\gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wh} (kN/m ²)	Angle of rupture Z (degree)
1	2.60~2.29	Clayey Soil	0.0	10.0	12.0	25.00	15.64	25.48	45.00
2	2.29~2.10	Clayey Soil	0.0	10.0	100.0	22.52	15.64	22.44	45.00
3	2.10~0.00	Sandy Soil	30.0	10.0	0.0	21.00	15.64	20.58	57.80
4		Embankment	30.0	—	0.0	22.86	10.00	0.00	60.00

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm²)
- C : cohesive force of soil (kNm²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.31	0.00	0.00	0.31	0.31
2	45.00	0.19	0.31	0.31	0.50	0.50
3	57.80	2.10	0.50	0.50	1.82	2.60
4	60.00	1.04	1.82	2.60	2.42	3.64

Therefore, width of acting load shall be set as 1.82 m

2-1-3 Acting Load by Embankment

No	γ (kNm ⁻³)	A (m ²)	$\gamma \times A$ (kNm)
1	18.0	1.58	28.50
Σ			28.50

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

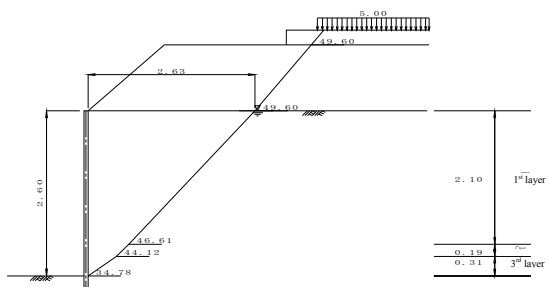
2-1-4 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times 1) + \Sigma P}{L}$$

$$= \frac{28.50 + 0.00 + 0.00}{1.82}$$

$$= 15.64 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma\gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wh} (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60~2.29	Clayey Soil	0.0	10.0	12.0	25.00	18.56	25.48	0.200	11.31	34.78
2	2.29~2.10	Clayey Soil	0.0	10.0	100.0	22.52	18.56	22.44	0.200	11.31	44.12
3	2.10~0.00	Sandy Soil	30.0	10.0	0.0	21.00	18.56	20.58	0.200	11.31	46.61
4		Embankment	30.0	—	0.0	22.86	5.00	0.00	0.200	11.31	49.60
5		Embankment	30.0	—	0.0	4.14	5.00	0.00	0.200	11.31	49.60

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm²)
- C : cohesive force of soil (kNm²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	34.78	0.31	0.00	0.00	0.45	0.31
2	44.12	0.19	0.45	0.31	0.64	0.50
3	46.61	2.10	0.64	0.50	2.63	2.60
4	49.60	1.04	2.63	2.60	3.51	3.64
5	49.60	0.23	3.51	3.64	3.71	3.87

Therefore, width of acting load shall be set as 2.63 m

2-2-3 Acting Load by Embankment

No	γ (kNm ⁻³)	A (m ²)	$\gamma \times A$ (kNm)
1	18.0	2.57	46.24
2	18.0	0.11	2.03
Σ			48.27

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kNm ²)	l (m)	Q X l (kNm)
1	5.0	0.10	0.49
Σ			0.49

Q surcharge load
 l : wdth of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

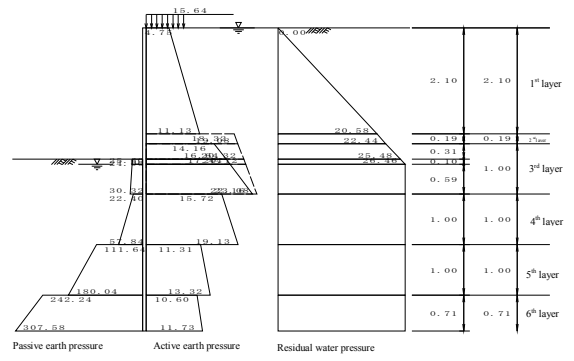
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{48.27 + 0.49 + 0.00}{2.63}$$

$$= 18.56 \text{ kNm}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Q _s (kNm ⁻²)	K _a	K _a × cosδ
1 0.00~2.10	Sandy soil	10.0	30.0	—	15.641 36.641	0.30847 0.30847	0.30378 0.30378
2 2.10~2.29	Clayey soil	8.0	—	100.0 100.0	36.641 38.161	—	—
3 2.29~2.60	Clayey soil	8.0	—	12.0 12.0	38.161 40.641	—	—
4 2.60~2.70	Clayey soil	8.0	—	12.0 12.0	40.641 41.441	—	—
5 2.70~3.29	Clayey soil	8.0	—	12.0 12.0	41.441 46.161	—	—
6 3.29~4.29	Sandy soil	10.0	27.0	—	46.161 56.161	0.34585 0.34585	0.34060 0.34060
7 4.29~5.29	Sandy soil	10.0	40.0	—	56.161 66.161	0.20447 0.20447	0.20137 0.20137
8 5.29~6.00	Sandy soil	10.0	45.0	—	66.161 73.261	0.16262 0.16262	0.16015 0.16015

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Q _p (kNm ⁻²)	K _p	K _p × cosδ
4 2.60~2.70	Clayey soil	16.0	0.0	12.0 12.0	0.000 1.600	—	—
5 2.70~3.29	Clayey soil	8.0	0.0	12.0 12.0	1.600 6.320	—	—
6 3.29~4.29	Sandy soil	10.0	27.0	—	6.320 16.320	3.59892 3.59892	3.54425 3.54425
7 4.29~5.29	Sandy soil	10.0	40.0	—	16.320 26.320	6.94605 6.94605	6.84053 6.84053
8 5.29~6.00	Sandy soil	10.0	45.0	—	26.320 33.420	9.34548 9.34548	9.20351 9.20351

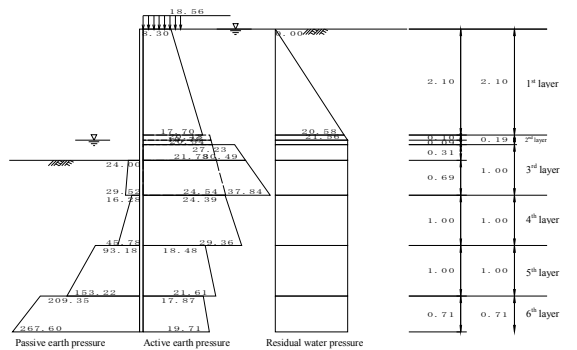
Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = -10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side				Residual water pressure	Passive side
	Pa1 kNm ⁻²	Pa2 kNm ⁻²	P _a kNm ⁻²	P _w kNm ⁻²		
1 0.00~2.10	4.75 11.13	—	4.75 11.13	0.00 20.58	—	—
2 2.10~2.29	-163.36 -161.84	18.32 19.08	18.32 19.08	20.58 22.44	—	—
3 2.29~2.60	14.16 16.64	19.08 20.32	19.08 20.32	22.44 25.48	—	—
4 2.60~2.70	16.64 17.44	20.32 20.72	20.32 20.72	25.48 25.60	24.00	—
5 2.70~3.29	17.44 22.16	20.72 23.08	20.72 23.08	25.60 30.32	26.46	25.60 30.32
6 3.29~4.29	15.72 19.13	—	15.72 19.13	26.46 26.46	22.40 57.84	—
7 4.29~5.29	11.31 13.32	—	11.31 13.32	26.46 26.46	111.64 180.04	—
8 5.29~6.00	10.60 11.73	—	10.60 11.73	26.46 26.46	242.24 307.58	—

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Q (kNm ⁻²)	γ _{shw} (kNm ⁻³)	k (k)	θ (degree)	K _a	K _a × cosδ	θ (degree)
1 0.00~2.10	Sandy Soil	10.0	30.0	—	15.56 39.56	0.00 20.58	0.200 0.200	11.31 11.31	0.45442 0.45442	0.44752 0.44752	—
2 2.10~2.29	Clayey Soil	8.0	—	100.0 100.0	39.56 40.36	20.58 21.56	0.200 0.200	11.31 11.31	—	—	44.14 44.13
3 2.29~2.60	Clayey Soil	8.0	—	100.0 100.0	40.36 41.08	21.56 22.44	0.200 0.200	11.31 11.31	—	—	44.13 44.12
4 2.60~2.70	Clayey Soil	8.0	—	12.0 12.0	41.08 43.56	22.44 25.48	0.200 0.200	11.31 11.31	—	—	35.35 34.78
5 2.70~3.29	Clayey Soil	8.0	—	12.0 12.0	43.56 49.08	25.48 32.24	0.200 0.200	11.31 11.31	—	—	34.78 33.45

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σ(h+Q) (kNm ⁻²)	γ _{wb} (kNm ⁻³)	k (k)	θ (degree)	Ka	Ka × cos δ	θ (degree)
6 3.29~4.29	Sandy Soil	10.0	27.0	---	49.08 59.08	32.24 42.04	0.200	11.31	0.50461 0.50461	0.49695 0.49695	---
7 4.29~5.29	Sandy Soil	10.0	40.0	---	59.08 69.08	42.04 51.84	0.200	11.31	0.31772 0.31772	0.31289 0.31289	---
8 5.29~6.00	Sandy Soil	10.0	45.0	---	69.08 76.18	51.84 58.80	0.200	11.31	0.26273 0.26273	0.25874 0.25874	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.00$, $\beta = 0.00$, $\theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of dayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σ(h+Qp) (kNm ⁻²)	γ _{wb} (kNm ⁻³)	k (k)	θ (degree)	Kp	Kp × cos δ
5 2.60~3.29	Clayey soil	8.00	0.0	12.0 12.0	0.000 5.520	0.00 6.76	0.200	11.31	---	---
6 3.29~4.29	Sandy soil	10.00	27.0	---	5.520 15.520	6.76 16.56	0.200	11.31	2.99498 2.99498	2.99498 2.99498
7 4.29~5.29	Sandy soil	10.00	40.0	---	15.520 25.520	16.56 26.36	0.200	11.31	6.09659 6.09659	6.09397 6.09397
8 5.29~6.00	Sandy soil	10.00	45.0	---	25.520 32.620	26.36 33.32	0.200	11.31	8.33000 8.33000	8.20345 8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = 10.00$, $\beta = 0.00$, $\theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 kNm ²	Pa2 kNm ²	Pa kNm ²		
1	0.00~2.10	8.30 17.70	---	8.30 17.70	0.00 20.58	---
2	2.10~2.20	-152.38 -151.41	19.78 20.18	19.78 20.18	20.58 21.56	---
3	2.20~2.29	-151.41 -150.54	20.18 20.54	20.18 20.54	21.56 21.56	---
4	2.29~2.60	27.23 30.49	20.54 21.78	27.23 30.49	21.56 21.56	---
5	2.60~3.29	30.49 37.84	21.78 24.54	30.49 37.84	21.56 21.56	24.00 29.52

R_No. 31_pp.13

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 kNm ²	Pa2 kNm ²	Pa kNm ²		
6	3.29~4.29	24.39 29.36	---	24.39 29.36	21.56 21.56	16.28 45.78
7	4.29~5.29	18.48 21.61	---	18.48 21.61	21.56 21.56	9.318 153.22
8	5.29~6.00	17.87 19.71	---	17.87 19.71	21.56 21.56	209.35 267.60

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

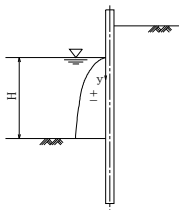
No	Depth Z (m)	WL y (m)	Pw (kNm ⁻³)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

R_No. 31_pp.14

$$p_{da} = \pm \frac{7}{8} k_{da} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

Where,

- k_{da} : design seismic coefficient
- γ_w : unit weight of water
- H: water depth of riverside
- y: depth from water surface to the point where active water pressure is calculated

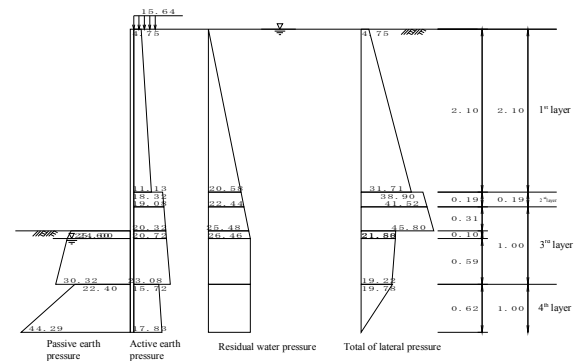


Passive earth pressure Active earth pressure Residual water pressure Total of lateral pressure

4 Imaginary Riverbed

Imaginary ground level L_x is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure

4-1 Normal Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Pt kNm ²
1 0.00~2.10	4.75 11.13	0.00 20.58	---	4.75 31.71
2 2.10~2.29	18.32 19.08	20.58 22.44	---	38.90 41.52
3 2.29~2.60	19.08 20.32	22.44 25.48	---	41.52 45.80
4 2.60~2.70	20.32 20.72	25.48 26.46	24.00 25.60	21.80 21.58
5 2.70~3.29	20.72 23.08	26.46 26.46	25.60 30.32	21.58 19.22
6 3.29~3.91	15.72 17.83	26.46 26.46	22.40 44.29	19.78 0.00
7 3.91~4.29	17.83 19.13	26.46 26.46	44.29 57.84	0.00 -12.25

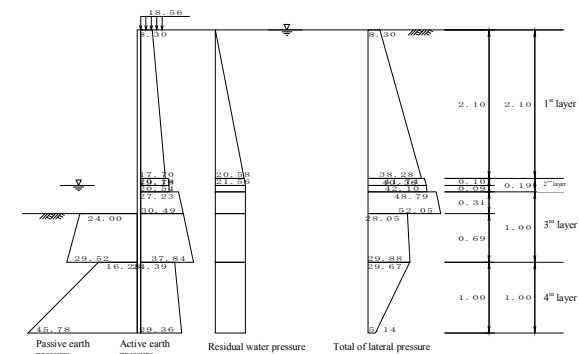
P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_t : Lateral pressure $P_t = P_a + P_w - P_p$

Imaginary riverbed L_x : 1.31 m (GL -3.91 m)

R_No. 31_pp.15

R_No. 31_pp.16

4-2 Seismic Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Pt kNm ²
1 0.00~2.10	8.30 17.70	0.00 20.38	—	8.30 38.28
2 2.10~2.20	19.78 20.18	20.58 21.56	—	40.36 41.74
3 2.20~2.29	20.18 20.54	21.56 21.56	—	41.74 42.10
4 2.29~2.60	27.23 30.49	21.56 21.56	—	48.79 52.05
5 2.60~3.29	30.49 37.94	21.56 21.56	24.00 29.52	28.05 29.88
6 3.29~4.29	24.39 29.36	21.56 21.56	16.28 45.78	29.67 5.14
7 4.29~5.29	18.48 21.61	21.56 21.56	93.18 153.22	-53.14 -110.05

Pa : Active earth pressure
 Pw : Residual water pressure
 Pp : Passive earth pressure
 Pt : Lateral pressure Pt = Pa + Pw - Pp

Imaginary riverbed L_i: 1.69 m (GL -4.29 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below:

$$K_h = 6910 \times N^{0.896}$$

where,

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4EI}}$$

Unit width B = 1.0000 m
 Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.88
 Section efficiency μ = 0.80
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 56700 cm⁴ (original condition)
 I = 39917 cm⁴ (after reduction by corrosion and void)
 Inertia sectional moment EI = 200000 × 10³ × 39917 × 10⁻⁸ = 7.983 × 10⁶

Depth (m)	N-value
1 0.50	15
2 1.00	15
3 2.10	21
4 2.29	21
5 3.29	2
6 4.29	6
7 5.29	48
8 6.00	50
9 20.00	50

5-2 Normal Condition

K_s = 26281 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_s \cdot B}{4EI}} = 0.536 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 1.87 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -3.91 m) to 1.87 m depth (GL -5.77 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 3.9	0.38	4.5	6.0	2.00
2 4.29	1.00	6.0	45.0	25.50
3 5.29	0.48	45.0	48.4	22.63
L = 2h = 1.87		ΣA = 50.13		

$$A = (\text{upper N-value} + \text{lower N-value}) \times h/2$$

Average n value $N' = \frac{\sum A}{L} = \frac{50.13}{1.87} = 26.85$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following

$$K_h = 6910 \times N^{0.896} = 6910 \times 26.85^{0.896} = 26281 \text{ kN/m}^3$$

$$K_h \text{ (normal condition)} = 26281 \text{ kNm}^3$$

5-3 Seismic Condition

K_s = 29443 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_s \cdot B}{4EI}} = 0.551 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 1.81 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -4.29 m) and 1.81 m depth (GL -6.10 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 4.29	1.00	6.0	45.0	25.50
2 5.29	0.71	45.0	50.0	33.73
3 6.00	0.10	50.0	50.0	5.24
L = 2h = 1.81		ΣA = 64.46		

$$A = (\text{upper N-value} + \text{lower N-value}) \times h/2$$

Average n value $N' = \frac{\sum A}{L} = \frac{64.46}{1.81} = 35.52$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following

$$K_h = 6910 \times N^{0.896} = 6910 \times 35.52^{0.896} = 29443 \text{ kN/m}^3$$

$$K_h \text{ (seismic condition)} = 29443 \text{ kNm}^3$$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Elevation h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force Ps (kNm ⁻²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00~2.10	2.10	4.75 31.71	4.99 33.30	3.21 2.51	16.00 83.49
2 2.10~2.29	0.19	38.90 41.52	3.70 3.94	1.74 1.68	6.45 6.63
3 2.29~2.60	0.31	41.52 45.80	6.44 7.10	1.51 1.41	9.75 10.02
4 2.60~2.70	0.10	21.80 21.58	1.09 1.08	1.27 1.24	1.39 1.34
5 2.70~3.29	0.59	21.58 19.22	6.37 5.67	1.01 0.81	6.44 4.62
6 3.29~3.91	0.62	19.78 0.00	6.11 0.00	0.41 0.21	2.51 0.00
			ΣP = 79.77	ΣM = 148.62	

P : active earth pressure + residual water pressure - passive earth pressure
 P : load P₀ × h/2 × B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P × Y

Arbitrary load lateral load P = 0.4 kNm
 depth to acting position H = -0.73 m
 moment M₀ = 0.0 kNm-m
 depth to acting position H₀ = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed L_i = 1.31 m

Moment M₀ by arbitrary load is as below
 $M_0 = P \cdot (H + L_i - H_0) + M_0 = 1.86 \text{ kNm-m}$
 h₀, Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\sum P + M_0}{\sum P + P_0} = \frac{150.48}{80.17} = 1.88 \text{ m}$$

6-1-2 Seismic Condition

No	Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~2.10	2.10	8.30	8.72	3.59	31.31
			38.28	40.20	2.89	116.17
2	2.10~2.20	0.10	40.36	2.02	2.16	4.35
			41.74	2.09	2.12	4.43
3	2.20~2.29	0.09	41.74	1.88	2.06	3.87
			42.10	1.89	2.03	3.85
4	2.29~2.60	0.31	48.79	7.56	1.90	14.34
			52.05	8.07	1.79	14.47
5	2.60~3.29	0.69	28.05	9.68	1.46	14.13
			29.88	10.31	1.23	12.68
6	3.29~4.29	1.00	29.67	14.83	0.67	9.89
			5.14	2.57	0.33	0.86
ΣP = 109.82 ΣM = 230.34						

P : active earth pressure + residual water pressure - passive earth pressure
 P : load P_s x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral P = 6.8 kNm
 depth to acting position H = -0.32 m
 moment M₀ = 0.0 kNm/m
 depth to acting position H = 0.00 m
 Height from riverbed to top of cone H = 2.60 m
 Depth of imaginary riverbed from riverbed L_k = 1.69 m

Moment M₀ by arbitrary load is as below
 M = P(H + L_k - H) + M₀ = 31.35 kN-m

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P ₀ (kNm ²)	Load P ₀ (kN)	Arm length Y (m)	Moment M ₀ (kNm)
1	2.20~2.60	0.40	0.0	0.00	1.96	0.00
			0.7	0.14	1.82	0.25
ΣP ₀ = 0.14 ΣM ₀ = 0.25						

h₀ Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_1 + \Sigma M_0}{\Sigma P + P_1 + \Sigma P_0} = \frac{261.94}{116.75} = 2.24 \text{ m}$$

6-2 Sectional Force

R_No. 31_pp.21

Corrosion rate and section efficiency for check of stresses intensity are set as followings:

Corrosion margin t_s = 1.00 mm (active side) t_s = 1.00 mm (passive side)
 Corrosion rate η = 0.88
 Section efficiency u = 1.00
 Module of section Z₀ = 2700 cm³ (original condition)
 Z = 2376 cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{172.29 \times 10^6}{2376 \times 10^3} = 73 \text{ N/mm}^2 \leq \sigma_s = 180 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{289.22 \times 10^6}{2376 \times 10^3} = 122 \text{ N/mm}^2 \leq \sigma_s = 270 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.21	0.821	0.245	4.99	1.221
		2.51	0.642	0.162	33.30	5.389
2	2.10~2.29	1.74	0.446	0.085	3.70	0.313
		1.68	0.430	0.079	3.94	0.313
3	2.29~2.60	1.51	0.388	0.065	6.44	0.421
		1.41	0.361	0.057	7.10	0.407
4	2.60~2.70	1.27	0.326	0.047	1.09	0.052
		1.24	0.318	0.045	1.08	0.049
5	2.70~3.29	1.01	0.259	0.031	6.37	0.195
		0.81	0.208	0.020	5.67	0.115
6	3.29~3.91	0.41	0.105	0.005	6.11	0.033
		0.21	0.053	0.001	0.00	0.000
ΣQ = 8.506						

Y : Height from imaginary riverbed to acting position
 α : α = $\frac{Y}{H+L_k}$
 ζ : ζ = $\frac{(3-\alpha) \times \alpha^2}{6}$
 Q : ζ x P
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Displacement

R_No. 31_pp.23

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as followings:

Unit width B = 1.0000 m
 Corrosion margin t_s = 1.00 mm (active side) t_s = 1.00 mm (passive side)
 Corrosion rate η = 0.88
 Section efficiency u = 0.80
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 56700 cm⁴ (original condition)
 I = 39917 cm⁴ (after reduction by corrosion and section)
 EI = 200000 x 10⁷ x 39917 x 10⁻⁸ = 7.983 x 10⁷

$$\beta = 4\sqrt{\frac{K_b \cdot B}{4EI}}$$

$$\phi_n = \frac{\sqrt{(1+\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_n$$

$$I_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+\beta h_0}$$

$$I_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value K_b = 26281 kNm³
 β = 0.53561 m⁻¹
 resultant earth force (lateral) P₀ = 80.17 kNm
 height of acting position of load h₀ = 1.88 m
 moment M₀ = 150.48 kN-m/m

in consideration of ψ₀ = 1.145,
 maximum moment M_{max} = 172.29 kN-m/m
 depth of generated position of M_{max} L = 0.599 m
 depth of Ist fixed point l = 2.065 m

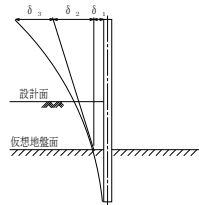
6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value K_b = 29443 kNm³
 β = 0.55104 m⁻¹
 resultant earth force (lateral) P₀ = 116.75 kNm
 height of acting position of load h₀ = 2.24 m
 moment M₀ = 261.94 kN-m/m

in consideration of ψ₀ = 1.104,
 maximum moment M_{max} = 289.22 kN-m/m
 depth of generated position of M_{max} L = 0.509 m
 depth of Ist fixed point l = 1.934 m

6-3 Stress Intensity

R_No. 31_pp.22



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2EI\beta^3} = \frac{(1+0.5356 \times 1.88) \times 80.17}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5356^3} = 0.00655 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2EI\beta^2} \times (H+L_1) = \frac{(1+2 \times 0.5356 \times 1.88) \times 80.17}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5356^2} \times (2.60+1.31) = 0.02059 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_1)^3}{EI} = \frac{8.51 \times (2.60+1.31)^3}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.00636 \text{ m}$$

Additional displacement δ' generated by horizontal load (P) and moment (M) acting at top of SSP considered

$$\delta_3' = \frac{PL^3}{3EI} + \frac{ML^2}{2EI}$$

δ' is calculated as 0.00013 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.91 m
 Horizontal load: P = 0.40
 Moment: M = 0.29

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.00655 + 0.02059 + 0.00636 = 0.03363 \text{ m} = 33.63 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where
 Displacement at imaginary ground
 Displacement by angle of inclination slope at imaginary ground
 Displacement at higher part of imaginary ground as cantilever
 Displacement at top of SSP
 Allowable displacement

6-4-2 Seismic Condition

Modules of deformation

R_No. 31_pp.24

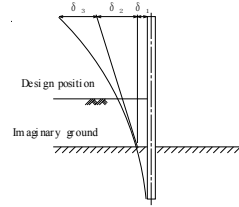
Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1 0.00~ 2.10	3.59 2.89	0.837 0.674	0.252 0.176	8.72 40.20	2.302 7.073
2 2.10~ 2.20	2.16 2.12	0.503 0.495	0.105 0.102	2.02 2.09	0.212 0.213
3 2.20~ 2.29	2.06 2.03	0.480 0.473	0.097 0.094	1.88 1.89	0.182 0.179
4 2.29~ 2.60	1.90 1.79	0.442 0.418	0.083 0.075	7.56 8.07	0.630 0.607
5 2.60~ 3.29	1.46 1.23	0.340 0.287	0.051 0.037	9.68 10.31	0.497 0.383
6 3.29~ 4.29	0.67 0.33	0.155 0.078	0.011 0.003	14.83 2.57	0.170 0.008
$\Sigma Q = 12.355$					

Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_v}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_v : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1 2.20~ 2.60	1.96 1.82	0.456 0.425	0.088 0.078	0.00 0.14	0.000 0.011	
$\Sigma Q_w = 0.011$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 12.355 + 0.011 = 12.366$



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^2}$$

$$= \frac{(1 + 0.5510 \times 2.24) \times 116.75}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5510^3} = 0.00977 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_v)$$

$$= \frac{(1 + 2 \times 0.5510 \times 2.24) \times 116.75}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5510^2} \times (2.60 + 1.69) = 0.03588 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_v)^3}{E I}$$

$$= \frac{12.37 \times (2.60 + 1.69)^3}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.01223 \text{ m}$$

Additional displacement δ_1' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_1' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_1' is calculated as 0.00249 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.29 m
 Horizontal load: P = 6.80
 Moment: M = 2.18

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00977 + 0.03588 + 0.01472$$

$$= 0.06037 \text{ m}$$

$$= 60.37 \text{ mm} \approx \delta_a = 75.00 \text{ mm (ok)}$$

Where
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

Displacement

R_No.31_pp.25

R_No.31_pp.26

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 Nmm ⁻²
Inertia sectional moment	I ₀ = 56700 cm ⁴ (original condition)
	I = 56700 cm ⁴ (after reduction by corrosion and section)
	EI = 200000 × 10 ³ × 56700 × 10 ⁸ = 1.134 × 10 ¹⁷

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_v, penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_v + \frac{3}{\beta}$$

$$L = H - H_{10} + D$$

$$\beta = 4 \sqrt{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction	K _b = 26281 kN/m ³
Calculated value	$\beta = 0.49062 \text{ m}^{-1}$
Penetration length of SSP	D = 1.31 + $\frac{3}{0.491}$ = 7.42 m
Whole length of SSP	L = 2.60 - 0.40 + 7.42 = 9.62 m

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction	K _b = 29443 kN/m ³
Calculated value	$\beta = 0.50475 \text{ m}^{-1}$
Penetration length of SSP	D = 1.69 + $\frac{3}{0.505}$ = 7.63 m
Whole length of SSP	L = 2.60 - 0.40 + 7.63 = 9.83 m

Therefore, whole length of SSP is set as 10.00 m in consideration of round unit of SSP length

8 Calculation Result

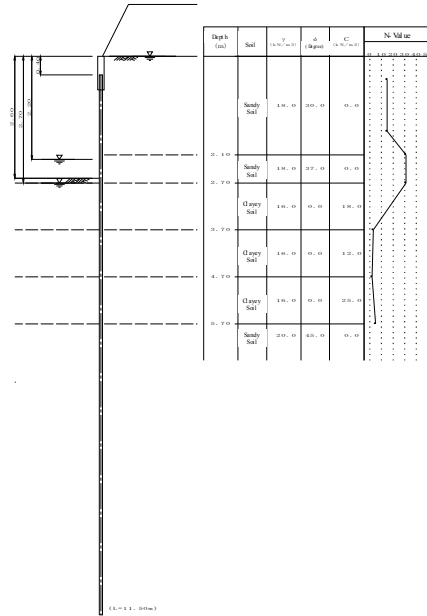
		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	56700	
Section modulus	Z (cm ³)	2700	
Maximum bending moment	M _{max} (kNm/m)	172.29	289.22
Stress intensity	σ (N/mm ²)	73 (180)	122 (270)
Lateral displacement	δ (mm)	33.63 (80.0)	60.37 (75.0)
Penetration depth	D (m)	7.42	7.63
Whole length of SSP	L (m)	10.00	

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No 32_STA 13+802 - 13+900



1-2 Dimensions of Structure

Depth from coping top to riverbed	H	=	2.60 m
Depth from coping top to rear side ground	H _r	=	0.00 m
Depth from coping top to SSP top	H _s	=	0.40 m
Landside WL	L _{land}	=	0.00 m (Normal Condition)
	L _{land} '	=	0.00 m (Seismic Condition)
Riverside WL	L _{river}	=	2.70 m (Normal Condition)
	L _{river} '	=	2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No_32_pp 1

R_No_32_pp 2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^{-3}$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load	Horizontal load	P	=	3.3 kNm	(Normal Condition)
		P'	=	9.0 kNm	(Seismic Condition)
	Depth of acting point	H	=	-0.51 m	(Normal Condition)
		H'	=	-0.24 m	(Seismic Condition)
	Moment	M _m	=	0.0 kNm/m	(Normal Condition)
		M _m '	=	3.6 kNm/m	(Seismic Condition)
	Depth of acting point	H _m	=	0.00 m	(Seismic Condition)
		H _m	=	0.80 m	(Normal Condition)

(* Depth means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_s = 6910 \times N'^{0.400}$

Average N value calculated from average N value between imaginary riverbed and depth as $1/\beta$

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15			
2	1.60	15			
3	2.10	31			
4	2.70	31			
5	3.70	3			
6	4.70	2			
7	5.70	5			
8	6.20	50			
9	20.00	50			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

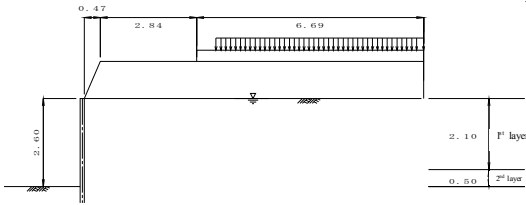
No	Depth (m)	Soil	N-value	γ (kNm ³)	γ' (kNm ³)	ϕ	C (kNm ²)	a	k'	ζ (degree)		kh (kNm ³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	2.70	S	31.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
3	3.70	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	—	—
4	4.70	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
5	5.70	C	5.0	16.00	8.00	0.0	25.0	0.0	0.200	auto	auto	—	—
6	6.20	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (C), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C_0 : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Im bankment on Landside



Im bankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.47	10.00	10.00	1.10	18.0	30.0	0.0	auto	auto
2	Sandy soil	3.31	3.31	10.00	10.00	0.33	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ²)	Seismic (kNm ²)
1	3.88	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus $E = 200000 \text{ Nmm}^2$
 Inertia sectional moment $I_0 = 86000 \text{ cm}^4$
 Sectional factor $Z_0 = 3820 \text{ cm}^3$

Corrosion margin $t_s = 1.00 \text{ mm (river side)}$ $t_b = 1.00 \text{ mm (land side)}$

Corrosion rate (to I_0) $n = 0.92$
 Corrosion rate (to Z_0) $n = 0.92$
 Section efficiency (to I_0) $u = 0.80$
 Section efficiency (to Z_0) $u = 1.00$

Round unit of SSP length 0.50 m

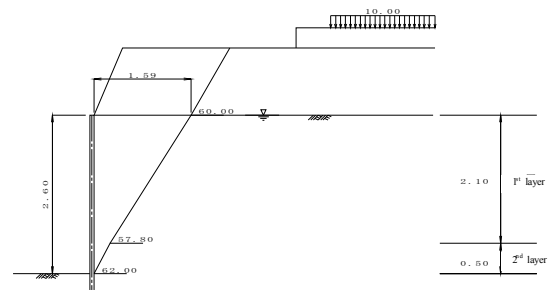
Allowable stress $\sigma_n = 180 \text{ Nmm (Normal)}$
 $\sigma_n' = 270 \text{ Nmm (Seismic)}$

Allowable displacement $\delta_n = 50.0 \text{ mm (Normal)}$
 $\delta_n' = 75.0 \text{ mm (Seismic)}$

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus
 Reduced: I_0 applied to calculation of lateral coefficient of subgrade reaction
 Not reduced: I_0 applied to calculation of penetration depth
 Reduced: I_0 applied to calculation of section forces and displacement
 Reduced: Z_0 applied to calculation of stresses

2 Calculation of Acting Load
2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma w h w$ (kN/m ²)	Angle of rupture Z (degree)
1	2.60~ 2.10	Sandy Soil	37.0	10.0	0.0	26.00	20.83	25.48	62.00
2	2.10~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	20.83	20.58	57.80
3		Embankment	30.0	—	0.0	25.74	10.00	0.00	60.00

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm²)
- C : cohesive force of soil (kNm²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	62.00	0.50	0.00	0.00	0.27	0.50
2	57.80	2.10	0.27	0.50	1.59	2.60
3	60.00	1.10	1.59	2.60	2.22	3.70

Therefore, width of acting load shall be set as 1.59 m

2-1-3 Acting Load by Im bankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	1.84	33.08
Σ			33.08

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

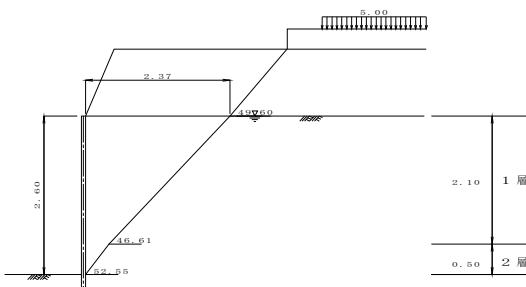
2-1-4 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times 1) + \Sigma P}{L}$$

$$= \frac{33.08 + 0.00 + 0.00}{1.59}$$

$$= 20.83 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma w h w$ (kN/m ²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60~ 2.10	Sandy Soil	37.0	10.0	0.0	26.00	21.75	25.48	0.200	11.31	52.55
2	2.10~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	21.75	20.58	0.200	11.31	46.61
3		Embankment	30.0	—	0.0	25.74	5.00	0.00	0.200	11.31	49.60

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm²)
- C : cohesive force of soil (kNm²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	52.55	0.50	0.00	0.00	0.38	0.50
2	46.61	2.10	0.38	0.50	2.37	2.60
3	49.60	1.10	2.37	2.60	3.30	3.70

Therefore, width of acting load shall be set as 2.37 m

2-2-3 Acting Load by Im bankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.86	51.51
Σ			51.51

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

2-2-4 Calculation of Total Acting Load

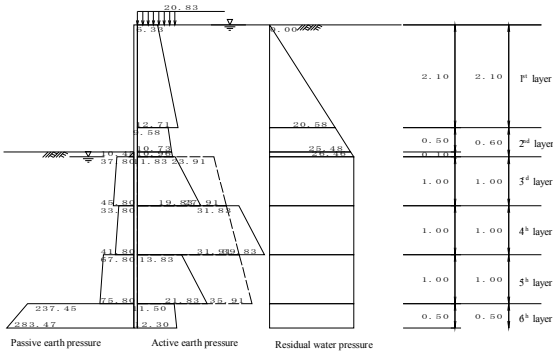
$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times 1) + \Sigma P}{L}$$

$$= \frac{51.51 + 0.00 + 0.00}{2.37}$$

$$= 21.75 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma \cdot h + Q_p$ (kNm ⁻²)	γ_{wh} (kNm ⁻³)	K _p	K _p × cos δ
3	2.60~2.70	Sandy soil	18.0	37.0	—	0.000 1.800	5.89457 5.89457	5.89457 5.89457
4	2.70~3.70	Clayey soil	8.0	0.0	18.0 18.0	1.800 9.800	—	—
5	3.70~4.70	Clayey soil	8.0	0.0	12.0 12.0	9.800 17.800	—	—
6	4.70~5.70	Clayey soil	8.0	0.0	25.0 25.0	17.800 25.800	—	—
7	5.70~6.20	Sandy soil	10.0	45.0	—	25.800 30.800	9.24548 9.24548	9.20351 9.20351

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$\delta = -10.00, \beta = 0.00, \theta = 0.00$$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure	Passive side
	Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)		
1	0.00~2.10	6.33 12.71	—	6.33 12.71	0.00 20.58
2	2.10~2.60	9.58 10.73	—	9.58 10.73	20.58 25.48
3	2.60~2.70	10.73 10.96	—	10.73 10.96	25.48 30.45
4	2.70~3.70	11.83 19.83	23.91 27.91	23.91 27.91	37.80 45.80
5	3.70~4.70	31.83 39.83	27.91 31.91	31.83 39.83	45.80 53.80
6	4.70~5.70	13.83 21.83	31.91 35.91	31.91 35.91	53.80 61.80
7	5.70~6.20	11.90 12.30	—	11.90 12.30	237.45 283.47

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

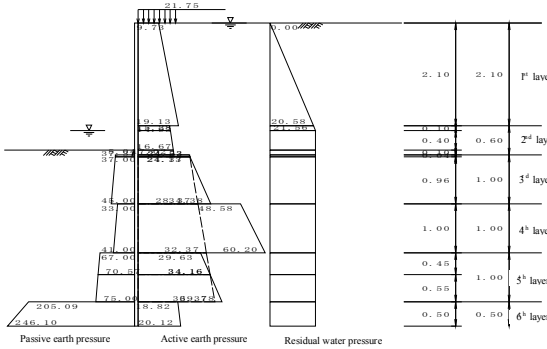
R_No 32_pp 9

R_No 32_pp 10

Angle between surface of collapse and level surface of dayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

3-2 Seismic Condition



3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma \cdot h + Q_p$ (kNm ⁻²)	γ_{wh} (kNm ⁻³)	k (k)	θ (degree)	K _p	K _p × cos δ
4	2.60~2.70	Sandy soil	10.00	37.0	—	0.000 1.000	0.00 0.98	0.200 11.31	5.12098 5.12098	5.04318 5.04318
5	2.70~2.74	Clayey soil	8.00	0.0	18.0 18.0	1.000 1.312	0.98 —	0.200 —	—	—
6	2.74~3.70	Clayey soil	8.00	0.0	18.0 18.0	1.312 9.000	—	0.200 —	—	—
7	3.70~4.70	Clayey soil	8.00	0.0	12.0 12.0	9.000 17.000	10.78 20.58	0.200 0.200	—	—
8	4.70~5.15	Clayey soil	8.00	0.0	25.0 25.0	17.000 20.569	20.58 —	0.200 —	—	—
9	5.15~5.70	Clayey soil	8.00	0.0	25.0 25.0	20.569 25.000	30.38 —	0.200 —	—	—
10	5.70~6.20	Sandy soil	10.00	45.0	—	25.000 30.000	30.38 35.28	0.200 0.200	11.31 11.31	8.33000 8.33000

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below

$$\delta = -10.00, \beta = 0.00, \theta = \tan k$$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)		
1	0.00~2.10	9.73 19.13	—	9.73 19.13	0.00 20.58	
2	2.10~2.20	14.93 15.28	—	14.93 15.28	20.58 21.56	
3	2.20~2.60	15.28 16.67	—	15.28 16.67	21.56 21.56	
4	2.60~2.70	16.67 17.02	—	16.67 17.02	21.56 21.56	
5	2.70~2.74	24.13 24.53	24.37 24.53	24.37 24.53	21.56 37.00	
6	2.74~3.70	24.53 34.38	24.53 28.37	24.53 34.38	21.56 21.56	
7	3.70~4.70	48.58 60.20	28.37 32.37	48.58 60.20	21.56 21.56	
8	4.70~5.15	29.63 34.16	32.37 34.16	32.37 34.16	21.56 21.56	
9	5.15~5.70	34.16 39.78	34.16 36.37	34.16 39.78	21.56 21.56	

3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma \gamma \cdot h + Q$ (kNm ⁻²)	γ_{wh} (kNm ⁻³)	k (k)	θ (degree)	K _a	K _a × cos δ	θ (degree)
1	0.00~2.10	Sandy Soil	10.0	30.0	—	21.75 42.75	0.200 0.200	11.31 11.31	0.45442 0.45442	0.44752 0.44752	—
2	2.10~2.20	Sandy Soil	10.0	37.0	—	42.75 43.75	20.58 21.56	0.200 0.200	11.31 11.31	0.35458 0.35458	0.34919 0.34919
3	2.20~2.60	Sandy Soil	10.0	37.0	—	43.75 47.75	25.48 25.48	0.200 0.200	11.31 11.31	0.35458 0.35458	0.34919 0.34919
4	2.60~2.70	Sandy Soil	10.0	37.0	—	47.75 48.75	25.48 26.46	0.200 0.200	11.31 11.31	0.35458 0.35458	0.34919 0.34919
5	2.70~2.74	Clayey Soil	8.0	—	18.0 18.0	48.75 49.06	26.46 —	0.200 —	11.31 —	—	37.95
6	2.74~3.70	Clayey Soil	8.0	—	18.0 18.0	49.06 56.75	36.26 —	0.200 —	11.31 —	—	36.90
7	3.70~4.70	Clayey Soil	8.0	—	12.0 12.0	56.75 64.75	36.26 46.06	0.200 0.200	11.31 11.31	—	30.46 27.85
8	4.70~5.15	Clayey Soil	8.0	—	25.0 25.0	64.75 68.32	46.06 —	0.200 —	11.31 —	—	38.96
9	5.15~5.70	Clayey Soil	8.0	—	25.0 25.0	68.32 72.75	55.86 —	0.200 —	11.31 —	—	38.26
10	5.70~6.20	Sandy Soil	10.0	45.0	—	72.75 77.75	55.86 60.76	0.200 0.200	11.31 11.31	0.26273 0.26273	0.25874 0.25874

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$\delta = 10.00, \beta = 0.00, \theta = 0.00$$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)} \right]^2}$$

R_No 32_pp 11

R_No 32_pp 12

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 kNm ²	Pa2 kNm ²	Pa kNm ²	Pw kNm ²	Pp kNm ²
10	5.70~6.20	18.82	20.12	18.82	21.56	205.09
						246.10

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

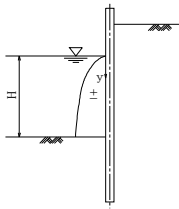
Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

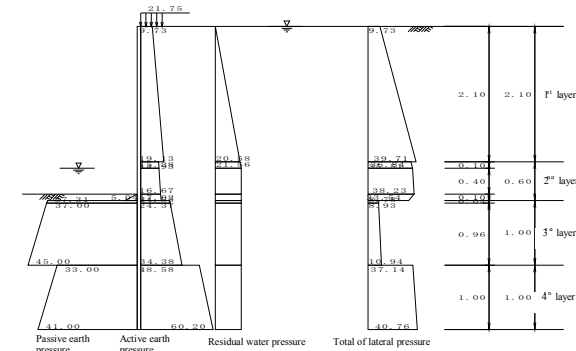
No	Depth Z (m)	W.L y (m)	Pw (kNm ²)	Passive earth pressure	Active earth pressure	Residual water pressure	Total of lateral pressure
1	2.20	0.00	0.00				
2	2.60	0.40	0.69				

Where,

- k_{eq} : design seismic coefficient
- γ_w : unit weight of water
- H: water depth of riverside
- y: depth from water surface to the point where active water pressure is calculated



4-2 Seismic Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1 0.00~2.10	9.73	0.00		9.73
	19.13	20.58		39.71
2 2.10~2.20	14.93	20.58		35.51
	15.28	21.56		36.84
3 2.20~2.60	15.28	21.56		36.84
	16.67	21.56		38.23
4 2.60~2.70	16.67	21.56	0.00	38.23
	17.02	21.56	5.04	33.54
5 2.70~2.74	24.37	21.56	37.00	8.93
	24.53	21.56	37.31	8.78
6 2.74~3.70	24.53	21.56	37.31	8.78
	34.38	21.56	45.00	10.94
7 3.70~4.70	48.58	21.56	33.00	37.14
	60.20	21.56	41.00	40.76
8 4.70~5.15	32.37	21.56	67.00	-13.07
	34.16	21.56	70.57	-14.85

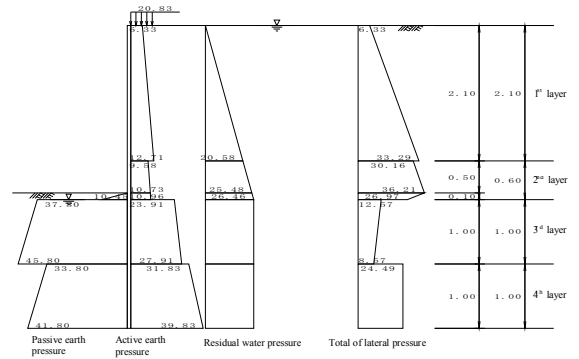
- P_a : Active earth pressure
- P_w : Residual water pressure
- P_p : Passive earth pressure
- P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed I_k : 2.10 m (GL -4.70 m)

4 Imaginary Riverbed

Imaginary ground level I_k is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure

4-1 Normal Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1 0.00~2.10	6.33	0.00		6.33
	12.71	20.58		33.29
2 2.10~2.60	9.58	20.58		30.16
	10.73	25.48		36.21
3 2.60~2.70	10.73	25.48	0.00	36.21
	10.96	26.46	10.45	26.97
4 2.70~3.70	25.91	26.46	37.80	12.57
	27.91	26.46	45.80	8.57
5 3.70~4.70	31.83	26.46	33.80	24.49
	39.83	26.46	41.80	24.49
6 4.70~5.70	31.91	26.46	67.80	-9.43
	35.91	26.46	75.80	-13.43

- P_a : Active earth pressure
- P_w : Residual water pressure
- P_p : Passive earth pressure
- P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed I_k : 2.10 m (GL -4.70 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N value from imaginary riverbed to $1/\beta$ depth. The modulus are calculated by the formula below;

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

- Unit width $B = 1.0000$ m
- Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
- Corrosion rate $n = 0.92$
- Section efficiency $\eta = 0.80$
- Young's modulus $E = 200000$ N/mm²
- Inertia sectional moment $I_0 = 86000$ cm⁴ (original condition)
- $I = 63296$ cm⁴ (after reduction by corrosion and joint)
- $EI = 200000 \times 10^4 \times 63296 \times 10^8 = 1.266 \times 10^{17}$

Depth (m)	N value
1	0.50
2	1.60
3	2.10
4	2.70
5	3.70
6	4.70
7	5.70
8	6.20
9	20.00

5-2 Normal Condition

$K_h = 24627$ kNm² is set tentatively;

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.470 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.13 \text{ m}$$

Therefore, average N value is calculated on the actual N value from imaginary riverbed (GL -4.70 m) to 2.13 m depth (GL -6.83 m).

Depth Z (m)	Thickness h (m)	N value		Area (m ²)
		upper	lower	
1	4.70	1.00	5.0	3.50
2	5.70	0.50	50.0	13.75
3	6.20	0.63	50.0	31.47
L = 2h = 2.13		ΣA = 48.72		

$$A = (\text{upper N value} + \text{lower N value}) \times h/2$$

$$\begin{aligned} \text{average } N\text{-value } N' &= \frac{\sum A}{L} \\ &= \frac{48.72}{2.13} \\ &= 22.88 \end{aligned}$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:
 $K_h = 6910 \times N'^{0.400} = 6910 \times 22.88^{0.400} = 24627 \text{ kN/m}^3$
 $K_h \text{ (normal condition)} = 24627 \text{ kNm}^3$

5-3 Seismic Condition

$K_h = 24627 \text{ kNm}^3$ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.470 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.13 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (CL -4.70 m) and 2.13 m depth (CL -6.83 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 4.70	1.00	2.0	5.0	3.50
2 5.70	0.50	5.0	50.0	13.75
3 6.20	0.63	50.0	50.0	31.47

$L = \sum h = 2.13 \quad \Sigma A = 48.72$

$$A \text{ (upper N-value + lower N-value)} \times l/2$$

$$\begin{aligned} \text{average } N\text{-value } N' &= \frac{\sum A}{L} \\ &= \frac{48.72}{2.13} \\ &= 22.88 \end{aligned}$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:
 $K_h = 6910 \times N'^{0.400} = 6910 \times 22.88^{0.400} = 24627 \text{ kN/m}^3$
 $K_h \text{ (seismic condition)} = 24627 \text{ kNm}^3$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load Ps (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00~2.10	2.10	9.73 39.71	10.22 41.70	4.00 3.30	40.88 137.60
2 2.10~2.20	0.10	35.51 36.84	1.78 1.84	2.57 2.53	4.56 4.67
3 2.20~2.60	0.40	36.84 38.23	7.37 7.65	2.37 2.23	17.44 17.08
4 2.60~2.70	0.10	38.23 33.54	1.91 1.68	2.07 2.03	3.95 3.41
5 2.70~2.74	0.04	8.93 8.78	0.17 0.17	1.99 1.97	0.35 0.34
6 2.74~3.70	0.96	8.78 10.94	4.22 5.25	1.64 1.32	6.92 6.94
7 3.70~4.70	1.00	37.14 40.76	18.57 20.38	0.67 0.33	12.38 6.79

$\Sigma P = 122.91 \quad \Sigma M = 263.29$

P_0 : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_0 \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P = 9.0 \text{ kNm}$
 depth to acting position $H = -0.24 \text{ m}$
 moment $M_0 = 3.6 \text{ kNm/m}$
 depth to acting position $H_0 = 0.80 \text{ m}$
 Height from riverbed to top of cone $H = 2.60 \text{ m}$
 Depth of imaginary riverbed from riverbed $l_0 = 2.10 \text{ m}$

Moment M_0 by arbitrary load is as below
 $M = P \cdot (H + l_0 - H) + M_0 = 48.06 \text{ kN-m}$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{dw} (kNm ²)	Load P_{dw} (kN)	Arm length Y (m)	Moment M_{dw} (kNm)
1	2.20~2.60	0.40	0.0 0.7	0.00 0.14	2.37 2.23	0.00 0.31

$\Sigma P_{dw} = 0.14 \quad \Sigma M_{dw} = 0.31$

h_0 Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_i + \Sigma M_{dw}}{\Sigma P + P_i + \Sigma P_{dw}}$$

$$= \frac{311.65}{132.04} = 2.36 \text{ m}$$

6 Sectional Force and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

	Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~2.10	2.10	6.33 33.29	6.64 34.95	4.00 3.30	26.58 115.34
2	2.10~2.60	0.50	30.16 36.21	7.54 36.21	2.43 2.27	18.35 20.52
3	2.60~2.70	0.10	36.21 26.97	1.81 1.35	2.07 2.03	3.74 2.74
4	2.70~3.70	1.00	12.57 8.57	6.29 4.29	1.67 1.33	10.48 5.72
5	3.70~4.70	1.00	24.49 24.49	12.24 12.24	0.67 0.33	8.16 4.08

$\Sigma P = 96.41 \quad \Sigma M = 215.70$

P_0 : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_0 \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P = 3.3 \text{ kNm}$
 depth to acting position $H = -0.51 \text{ m}$
 moment $M_0 = 0.0 \text{ kNm/m}$
 depth to acting position $H_0 = 0.00 \text{ m}$
 Height from riverbed to top of cone $H = 2.60 \text{ m}$
 Depth of imaginary riverbed from riverbed $l_0 = 2.10 \text{ m}$

Moment M_0 by arbitrary load is as below
 $M = P \cdot (H + l_0 - H) + M_0 = 17.19 \text{ kN-m}$

h_0 Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_i}{\Sigma P + P_i}$$

$$= \frac{232.90}{99.71} = 2.34 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000 \text{ m}$
 Corrosion margin $t_s = 1.00 \text{ mm}$ (active side) $t_r = 1.00 \text{ mm}$ (passive side)
 Corrosion rate $\eta = 0.92$
 Section efficiency $\mu = 0.80$
 Young's modulus $E = 200000 \text{ Nmm}^2$
 Inertia sectional moment $I_0 = 86000 \text{ cm}^4$ (original condition)
 $I = 63296 \text{ cm}^4$ (after reduction by corrosion and section)
 $EI = 200000 \times 10^8 \times 63296 \times 10^8 = 1.266 \times 10^8$

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$\phi_n = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_n$$

$$1_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$1_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1 + \beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction $K_h = 24627 \text{ kNm}^3$
 calculated value $\beta = 0.46961 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 99.71 \text{ kN/m}$
 height of acting position of lateral load $h_0 = 2.34 \text{ m}$
 moment $M_0 = 232.90 \text{ kN-m/m}$

in consideration of $\psi_n = 1.126$,
 maximum moment $M_{n,ax} = 262.30 \text{ kN-m/m}$
 depth of generated position of $M_{n,ax}$ $l_n = 0.646 \text{ m}$
 depth of fixed point $l_i = 2.319 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction $K_h = 24627 \text{ kNm}^3$
 calculated value $\beta = 0.46961 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 132.04 \text{ kN/m}$
 height of acting position of lateral load $h_0 = 2.36 \text{ m}$
 moment $M_0 = 311.65 \text{ kN-m/m}$

in consideration of $\psi_n = 1.124$,
 maximum moment $M_{n,ax} = 350.36 \text{ kN-m/m}$
 depth of generated position of $M_{n,ax}$ $l_n = 0.642 \text{ m}$
 depth of fixed point $l_i = 2.314 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as followings:

Corrosion margin	t _c = 1.00 mm (active side)	t _s = 1.00 mm (passive side)
Corrosion rate	n = 0.92	
Section efficiency	u = 1.00	
Module of section	Z ₀ = 3820 cm ³ (original condition)	
	Z = 3514 cm ³ (after reduction by corrosion and section)	

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{262.30 \times 10^6}{3514 \times 10^3} = 75 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{350.36 \times 10^6}{3514 \times 10^3} = 100 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

6-4-1 Normal Condition

Modulus of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1 0.00~2.10	4.00 3.30	0.851 0.702	0.259 0.189	6.64 34.95	1.734 6.599
2 2.10~2.60	2.43 2.27	0.518 0.482	0.111 0.098	7.54 9.05	0.836 0.883
3 2.60~2.70	2.07 2.03	0.440 0.433	0.083 0.080	1.81 1.35	0.149 0.108
4 2.70~3.70	1.67 1.33	0.355 0.284	0.055 0.036	6.29 4.29	0.349 0.156
5 3.70~4.70	0.67 0.33	0.142 0.071	0.010 0.002	12.24 12.24	0.117 0.050
$\Sigma Q = 10.952$					

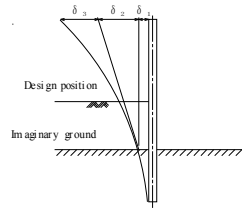
Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_k}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$
P : Lateral force
H : Depth to design position
L_k : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.4696 \times 2.34) \times 99.71}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4696^3} = 0.00797 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h) \times P_0}{2 E I \beta^2} \times (H+L_k)$$

$$= \frac{(1+2 \times 0.4696 \times 2.34) \times 99.71}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4696^2} \times (2.60+2.10) = 0.02681 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{E I}$$

$$= \frac{10.95 \times (2.60+2.10)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00898 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00105 m in consideration of following values:
Height from imaginary riverbed to top of SSP: L = 4.70 m
Horizontal load: P = 3.30
Moment: M = 1.68

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00797 + 0.02681 + 0.01003$$

$$= 0.04481 \text{ m}$$

$$= 44.81 \text{ mm} \leq \delta_a = 50.00 \text{ mm} \quad (\text{ok})$$

Where

δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ_3' : Displacement at top of SSP
 δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1 0.00~2.10	4.00 3.30	0.851 0.702	0.259 0.189	10.22 41.70	2.651 7.872
2 2.10~2.20	2.57 2.53	0.546 0.539	0.122 0.119	1.78 1.84	0.217 0.219
3 2.20~2.60	2.37 2.23	0.504 0.475	0.106 0.095	7.37 7.65	0.777 0.727
4 2.60~2.70	2.07 2.03	0.440 0.433	0.083 0.080	1.91 1.68	0.158 0.134
5 2.70~2.74	1.99 1.97	0.423 0.420	0.077 0.076	0.17 0.17	0.013 0.013
6 2.74~3.70	1.64 1.32	0.349 0.281	0.054 0.036	4.22 3.25	0.227 0.188
7 3.70~4.70	0.67 0.33	0.142 0.071	0.010 0.002	18.57 20.38	0.178 0.050
$\Sigma Q = 13.425$					

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_k}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

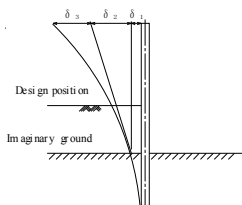
Q : $\zeta \times P$
P : Lateral force
H : Depth to design position
L_k : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _w (kN)	Q _w (kN)
1	2.20~2.60	2.37 2.23	0.504 0.475	0.106 0.095	0.00 0.14	0.000 0.013
$\Sigma Q_w = 0.013$						

Therefore, modulus of deformation Q is calculated as below
Q = 13.425 + 0.013 = 13.438

Displacement



$$\delta_1 = \frac{(1+\beta h) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.4696 \times 2.36) \times 132.04}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4696^3} = 0.01062 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h) \times P_0}{2 E I \beta^2} \times (H+L_k)$$

$$= \frac{(1+2 \times 0.4696 \times 2.36) \times 132.04}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4696^2} \times (2.60+2.10) = 0.03575 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_k)^3}{E I}$$

$$= \frac{13.44 \times (2.60+2.10)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.01102 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00265 m in consideration of following values:
Height from imaginary riverbed to top of SSP: L = 4.70 m
Horizontal load: P = 9.00
Moment: M = 2.16

Displacement δ_{3a} of cantilever beam by moment M₀ is additionally considered

$$\delta_{3a} = \frac{M_0 \cdot h}{2 E I} \times (2L - h) \quad (L=4.70 \text{ m}, h=L-H_k, H_k=0.80 \text{ m}, \text{ただし } L \dots)$$

$$= \frac{3.60 \times 3.90}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8}} \times (2 \times 4.70 - 3.90) = 0.00030 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01062 + 0.03575 + 0.01197$$

$$= 0.06035 \text{ m}$$

$$= 60.35 \text{ mm} \leq \delta_a = 75.00 \text{ mm} \quad (\text{ok})$$

Where

δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ_3' : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 86000 \text{ cm}^4$ (original condition)
	I = 86000 cm ⁴ (after reduction by corrosion and section)
$H = 200000 \times 10^3 \times 86000 \times 10^8$	= 1.720 × 10 ⁸

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_0 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{10} + D$$

$$\beta = 4\sqrt{\frac{K_s \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction
Calculated value

$$K_s = 24627 \text{ kN/m}^3$$

$$\beta = 0.43497 \text{ m}^{-1}$$

Penetration length of SSP

$$D = 2.10 + \frac{3}{0.435} = 9.00 \text{ m}$$

Whole length of SSP

$$L = 2.60 - 0.40 + 9.00 = 11.20 \text{ m}$$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction
Calculated value

$$K_s = 24627 \text{ kN/m}^3$$

$$\beta = 0.43497 \text{ m}^{-1}$$

Penetration length of SSP

$$D = 2.10 + \frac{3}{0.435} = 9.00 \text{ m}$$

Whole length of SSP

$$L = 2.60 - 0.40 + 9.00 = 11.20 \text{ m}$$

Therefore, whole length of SSP is set as 11.50 m in consideration of round unit of SSP length.

8 Calculation Result

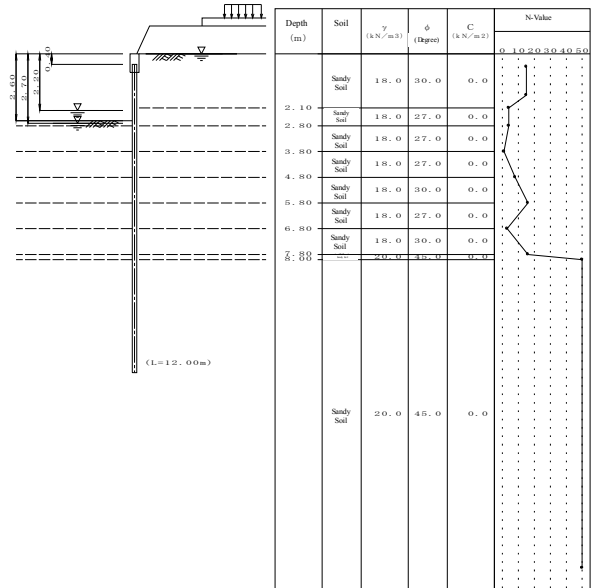
		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	86000	
Section modulus	Z (cm ³)	3820	
Maximum bending moment	M _{max} (kNm/m)	262.30	350.36
Stress intensity	σ (N/mm ²)	75 (180)	100 (270)
Lateral displacement	δ (mm)	44.81 (50.0)	60.35 (75.0)
Penetration depth	D (m)	9.00	9.00
Whole length of SSP	L (m)	11.50	

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No 33_STA 13+900 - 14+000



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_g = 0.00 m
 Depth from coping top to SSP ton H_s = 0.40 m
 Landside WL L_{ws} = 0.00 m (Normal Condition)
 L_{ws}' = 0.00 m (Seismic Condition)
 Riverside WL L_{ws} = 2.70 m (Normal Condition)
 L_{ws}' = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.33_pp.1

R_No.33_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kNm}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load Pt = 3.2 kNm (Normal Condition)
 Pt' = 9.0 kNm (Seismic Condition)
 Depth of acting point Ht = -0.51 m (Normal Condition)
 Ht' = -0.24 m (Seismic Condition)
 Moment Mm = 0.0 kNm/m (Normal Condition)
 Mm' = 3.5 kNm/m (Seismic Condition)
 Depth of acting point Hm = 0.00 m (Seismic Condition)
 Hm' = 0.80 m (Normal Condition)
 (*Depth means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (dayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula K_s = 6910 × N^{0.406}

Average N value calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value	No	Depth (m)	N Value
1	0.50	15	11	20.00	50
2	1.60	15			
3	2.10	4			
4	2.80	4			
5	3.80	1			
6	4.80	8			
7	5.80	16			
8	6.80	3			
9	7.80	16			
10	8.00	50			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

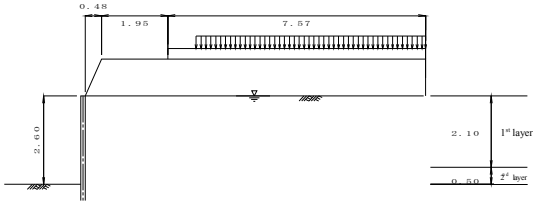
1-7 Soil Modulus

No	Depth (m)	Soil	N-value	γ (kNm ³)	γ' (kNm ³)	φ	C (kNm ²)	a	k'	ζ (degree)		kh (kNm ³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	2.80	S	4.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
3	3.80	S	1.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	4.80	S	8.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
5	5.80	S	16.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
6	6.80	S	3.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
7	7.80	S	16.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
8	8.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—
9	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy (S), clayey (O), mixed (M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C_s : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction	Angle of wall friction	
	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.48	10.00	10.00	1.09	18.0	30.0	0.0	auto	auto
2	Sandy soil	2.43	2.43	10.00	10.00	0.31	18.0	30.0	0.0	auto	auto

Surcharge load acting on an embankment

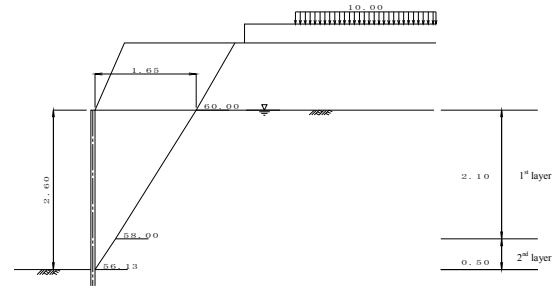
No	Acting period		Load	
	from (m)	to (m)	Normal (kNm ⁻²)	Seismic (kNm ⁻²)
1	3.26	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

- Young's modulus E = 200000 Nmm⁻²
- Inertia sectional moment I₀ = 86000 cm⁴
- Sectional factor Z₀ = 3820 cm³
- Corrosion margin t₁ = 1.00 mm (reverse) t₂ = 1.00 mm (landside)
- Corrosion rate (to I₀) η = 0.92
- Corrosion rate (to Z₀) η = 0.92
- Section efficiency (to I₀) μ = 0.80
- Section efficiency (to Z₀) μ = 1.00
- Round unit of SSP length 0.50 m
- Allowable stress σ_s = 180 Nmm (Normal) σ_s' = 270 Nmm (Seismic)
- Allowable displacement δ_s = 50.0 mm (Normal) δ_s' = 75.0 mm (Seismic)
- Bending of cantilever beam calculated as distributed load of each layer
- Reduction of material modulus Reduced: I₀ applied to calculation of lateral coefficient of subgrade reaction
Not reduced: I₀ applied to calculation of penetration depth
Reduced: I₀ applied to calculation of section forces and displacement
Reduced: Z₀ applied to calculation of stresses

2 Calculation of Acting Load
2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma_{rw} h$ (kN/m ²)	Angle of rupture Z (degree)
1	2.60~2.10	Sandy Soil	27.0	9.0	0.0	26.00	20.51	25.48	56.13
2	2.10~0.00	Sandy Soil	30.0	9.0	0.0	21.00	20.51	20.58	58.00
3		Embankment	30.0		0.0	25.20	10.00	0.00	60.00

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree) $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesive force of soil (kNm⁻²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	56.13	0.50	0.00	0.00	0.34	0.50
2	58.00	2.10	0.34	0.50	1.65	2.60
3	60.00	1.09	1.65	2.60	2.28	3.69

Therefore, width of acting load shall be set as 1.65 m

2-1-3 Acting Load by Embankment

No	γ (kNm ⁻³)	A (m ²)	$\gamma \times A$ (kNm)
1	18.0	1.88	33.80
Σ			33.80

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

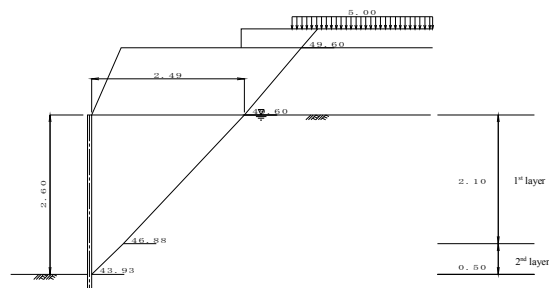
2-1-4 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times 1) + \Sigma P}{L}$$

$$= \frac{33.80 + 0.00 + 0.00}{1.65}$$

$$= 20.51 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma_{rw} h$ (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60~2.10	Sandy Soil	27.0	9.0	0.0	26.00	24.73	25.48	0.200	11.31	43.93
2	2.10~0.00	Sandy Soil	30.0	9.0	0.0	21.00	24.73	20.58	0.200	11.31	46.88
3		Embankment	30.0		0.0	25.20	5.00	0.00	0.200	11.31	49.60
4		Embankment	30.0		0.0	5.58	5.00	0.00	0.200	11.31	49.60

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree) $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kNm⁻³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kNm⁻²)
- C : cohesive force of soil (kNm⁻²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.93	0.50	0.00	0.00	0.52	0.50
2	46.88	2.10	0.52	0.50	2.49	2.60
3	49.60	1.09	2.49	2.60	3.41	3.69
4	49.60	0.31	3.41	3.69	3.68	4.00

Therefore, width of acting load shall be set as 2.49 m

2-2-3 Acting Load by Embankment

No	γ (kNm ⁻³)	A (m ²)	$\gamma \times A$ (kNm)
1	18.0	2.95	53.16
2	18.0	0.35	6.22
Σ			59.38

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	0.42	2.09
Σ			2.09

Q surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

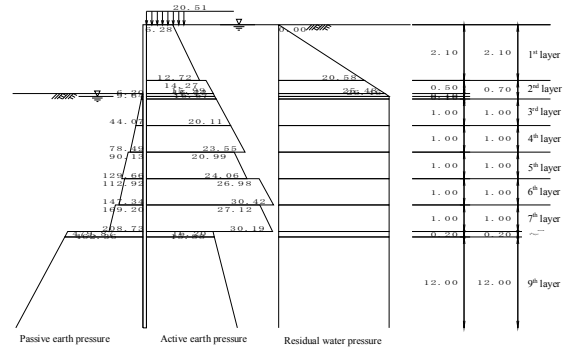
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{59.38 + 2.09 + 0.00}{2.49}$$

$$= 24.73 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σh+Q _s (kNm ⁻²)	K _a	K _a × cos δ
1	Sandy soil	10.0	30.0	---	20.509 41.509	0.31026 0.31026	0.30644 0.30644
2	Sandy soil	10.0	27.0	---	41.509 46.509	0.34800 0.34800	0.34371 0.34371
3	Sandy soil	10.0	27.0	---	46.509 47.509	0.34800 0.34800	0.34371 0.34371
4	Sandy soil	10.0	27.0	---	47.509 48.509	0.34800 0.34800	0.34371 0.34371
5	Sandy soil	10.0	27.0	---	48.509 58.509	0.34800 0.34800	0.34371 0.34371
6	Sandy soil	10.0	27.0	---	58.509 68.509	0.34800 0.34800	0.34371 0.34371
7	Sandy soil	10.0	30.0	---	68.509 78.509	0.31026 0.31026	0.30644 0.30644
8	Sandy soil	10.0	27.0	---	78.509 88.509	0.34800 0.34800	0.34371 0.34371
9	Sandy soil	10.0	30.0	---	88.509 98.509	0.31026 0.31026	0.30644 0.30644
10	Sandy soil	10.0	45.0	---	98.509 100.509	0.16323 0.16323	0.16122 0.16122
11	Sandy soil	10.0	45.0	---	100.509 220.509	0.16323 0.16323	0.16122 0.16122

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σh+Q _s (kNm ⁻²)	K _p	K _p × cos δ
3	Sandy soil	18.0	27.0	---	0.000 1.800	3.48553 3.48553	3.44261 3.44261
4	Sandy soil	10.0	27.0	---	1.800 2.800	3.48553 3.48553	3.44261 3.44261
5	Sandy soil	10.0	27.0	---	2.800 12.800	3.48553 3.48553	3.44261 3.44261
6	Sandy soil	10.0	27.0	---	12.800 22.800	3.48553 3.48553	3.44261 3.44261
7	Sandy soil	10.0	30.0	---	22.800 32.800	4.00247 4.00247	3.95319 3.95319
8	Sandy soil	10.0	27.0	---	32.800 42.800	3.48553 3.48553	3.44261 3.44261
9	Sandy soil	10.0	30.0	---	42.800 52.800	4.00247 4.00247	3.95319 3.95319
10	Sandy soil	10.0	45.0	---	52.800 54.800	8.86593 8.86593	8.75678 8.75678
11	Sandy soil	10.0	45.0	---	54.800 174.800	8.86593 8.86593	8.75678 8.75678

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure		Passive side
	Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)	Pw (kNm ⁻²)	Pp (kNm ⁻²)	
1	6.28 12.72	---	6.28 12.72	0.00 20.58	---	---
2	14.27 15.99	---	14.27 15.99	20.58 25.38	---	---
3	15.99 16.33	---	15.99 16.33	25.38 26.46	0.00 6.20	---
4	16.33 16.67	---	16.33 16.67	26.46 26.46	6.20 9.64	---
5	16.67 20.11	---	16.67 20.11	26.46 26.46	9.64 44.07	---
6	20.11 23.55	---	20.11 23.55	26.46 26.46	44.07 78.49	---
7	23.55 24.06	---	23.55 24.06	26.46 26.46	78.49 90.13	---
8	24.06 30.42	---	24.06 30.42	26.46 26.46	90.13 147.34	---

Depth (m)	Active side			Residual water pressure		Passive side
	Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa (kNm ⁻²)	Pw (kNm ⁻²)	Pp (kNm ⁻²)	
9	27.12 30.19	---	27.12 30.19	26.46 26.46	169.20 208.73	---
10	15.88 16.20	---	15.88 16.20	26.46 26.46	462.36 479.87	---
11	16.20 35.55	---	16.20 35.55	26.46 26.46	479.87 1530.68	---

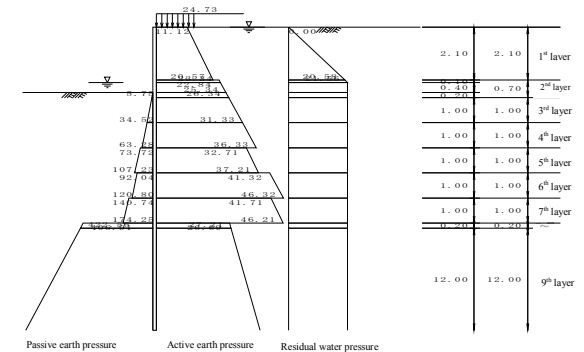
Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_c: Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma h+Q$ (kNm ⁻²)	$\gamma w_h w$ (kNm ⁻²)	k (k)	θ (degree)	K_a	$K_a \times \cos \delta$	θ (degree)
1 0.00~2.10	Sandy Soil	10.0	30.0	---	24.73 45.73	0.00 20.58	0.200	11.31	0.45543	0.44982	---
2 2.10~2.20	Sandy Soil	10.0	27.0	---	45.73 46.73	20.58 21.56	0.200	11.31	0.50574	0.49951	---
3 2.20~2.60	Sandy Soil	10.0	27.0	---	46.73 50.73	21.56 25.48	0.200	11.31	0.50574	0.49951	---
4 2.60~2.80	Sandy Soil	10.0	27.0	---	50.73 52.73	25.48 27.44	0.200	11.31	0.50574	0.49951	---
5 2.80~3.80	Sandy Soil	10.0	27.0	---	52.73 62.73	27.44 37.24	0.200	11.31	0.50574	0.49951	---
6 3.80~4.80	Sandy Soil	10.0	27.0	---	62.73 72.73	37.24 47.04	0.200	11.31	0.50574	0.49951	---
7 4.80~5.80	Sandy Soil	10.0	30.0	---	72.73 82.73	47.04 56.84	0.200	11.31	0.45543	0.44982	---
8 5.80~6.80	Sandy Soil	10.0	27.0	---	82.73 92.73	56.84 66.64	0.200	11.31	0.50574	0.49951	---
9 6.80~7.80	Sandy Soil	10.0	30.0	---	92.73 102.73	66.64 76.44	0.200	11.31	0.45543	0.44982	---
10 7.80~8.00	Sandy Soil	10.0	45.0	---	102.73 104.73	76.44 78.40	0.200	11.31	0.26304	0.25980	---
11 8.00~20.00	Sandy Soil	10.0	45.0	---	104.73 224.73	78.40 196.00	0.200	11.31	0.26304	0.25980	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 9.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)} \right]}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma h+Q$ (kNm ⁻²)	$\gamma w_h w$ (kNm ⁻²)	k (k)	θ (degree)	K_p	$K_p \times \cos \delta$
4 2.60~2.80	Sandy soil	10.00	27.0	---	0.00 2.000	0.00 1.96	0.200	11.31	2.91211	2.87626
5 2.80~3.80	Sandy soil	10.00	27.0	---	2.000 12.000	1.96 11.76	0.200	11.31	2.91211	2.87626
6 3.80~4.80	Sandy soil	10.00	27.0	---	12.000 22.000	11.76 21.56	0.200	11.31	2.91211	2.87626
7 4.80~5.80	Sandy soil	10.00	30.0	---	22.000 32.000	21.56 31.36	0.200	11.31	3.39273	3.35096
8 5.80~6.80	Sandy soil	10.00	27.0	---	32.000 42.000	31.36 41.16	0.200	11.31	2.91211	2.87626
9 6.80~7.80	Sandy soil	10.00	30.0	---	42.000 52.000	41.16 50.96	0.200	11.31	3.39273	3.35096

Depth (m)	Soil	γ (kNm ⁻³)	ϕ (degree)	C (kNm ⁻²)	$\Sigma h+Q$ (kNm ⁻²)	$\gamma w_h w$ (kNm ⁻²)	k (k)	θ (degree)	K_p	$K_p \times \cos \delta$
10 7.80~8.00	Sandy soil	10.00	45.0	---	52.000 54.000	50.96 52.92	0.200	11.31	7.92269	7.82515
11 8.00~20.00	Sandy soil	10.00	45.0	---	54.000 174.000	52.92 170.52	0.200	11.31	7.92269	7.82515

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = 9.00, \beta = 0.00, \theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)} \right]}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 kNm ²	Pa2 kNm ²	Pa kNm ²		
1	0.00~2.10	11.12 20.57	---	11.12 20.57	0.00 20.58	---
2	2.10~2.20	---	---	22.84 23.34	20.58 21.56	---
3	2.20~2.60	---	---	23.34 25.34	21.56 21.56	---
4	2.60~2.80	---	---	25.34 26.34	21.56 21.56	0.00 5.75
5	2.80~3.80	---	---	26.34 31.33	21.56 21.56	5.75 34.52
6	3.80~4.80	---	---	31.33 36.33	21.56 21.56	34.52 63.28
7	4.80~5.80	---	---	32.71 37.21	21.56 21.56	73.72 107.23
8	5.80~6.80	---	---	41.32 46.32	21.56 21.56	92.04 120.80
9	6.80~7.80	---	---	41.71 46.21	21.56 21.56	140.74 174.25
10	7.80~8.00	---	---	26.69 27.21	21.56 21.56	406.91 422.56
11	8.00~20.00	---	---	27.21 58.38	21.56 21.56	422.56 1361.58

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$

K_a : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

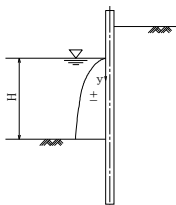
3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P_{dw} (kNm ⁻²)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

$$P_{dw} = \pm \frac{7}{8} k_{hs} \cdot \gamma_w \cdot \sqrt{H} \cdot y$$

Where,

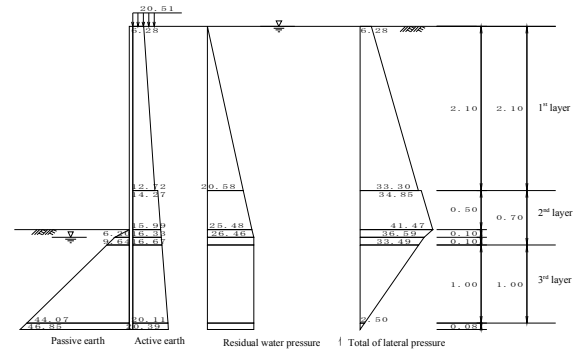
- k_{hs} : design seismic coefficient
- γ_w : unit weight of water
- H : water depth of river
- y : depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L_x is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure

4-1 Normal Condition

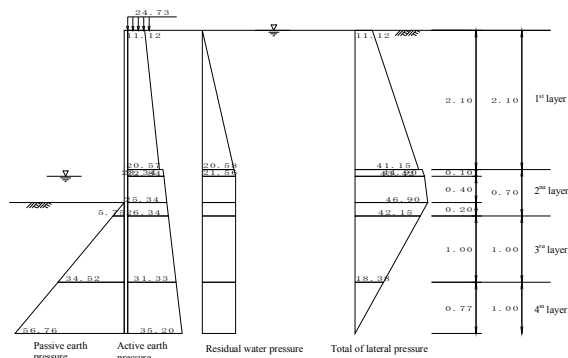


Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1 0.00~2.10	6.28 12.72	0.00 20.58	---	6.28 33.30
2 2.10~2.60	14.27 15.99	20.58 25.48	---	34.85 41.47
3 2.60~2.70	15.99 16.33	25.48 26.46	0.00 6.20	41.47 36.59
4 2.70~2.80	16.33 16.67	26.46 26.46	6.20 9.64	36.59 33.49
5 2.80~3.80	16.67 20.11	26.46 26.46	9.64 44.07	33.49 2.50
6 3.80~3.88	20.11 20.39	26.46 26.46	44.07 46.85	2.50 0.00
7 3.88~4.80	20.39 23.55	26.46 26.46	46.85 78.49	0.00 -28.48

- P_a : Active earth pressure
- P_w : Residual water pressure
- P_p : Passive earth pressure
- P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed L_x : 1.28 m (CL -3.88 m)

4-2 Seismic Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	Ps kNm ²
1 0.00~ 2.10	11.12 20.57	0.00 20.58	---	11.12 41.15
2 2.10~ 2.20	22.84 23.34	20.58 21.56	---	43.42 44.90
3 2.20~ 2.60	23.34 25.34	21.56 21.56	---	44.90 46.90
4 2.60~ 2.80	25.34 26.34	21.56 21.56	0.00 5.75	46.90 42.15
5 2.80~ 3.80	26.34 31.33	21.56 21.56	5.75 34.52	42.15 18.38
6 3.80~ 4.57	31.33 35.20	21.56 21.56	34.52 56.76	18.38 0.00
7 4.57~ 4.80	35.20 36.33	21.56 21.56	56.76 63.28	0.00 -5.39

Pa : Active earth pressure
 Pw : Residual water pressure
 Pp : Passive earth pressure
 Ps : Lateral pressure Ps = Pa + Pw - Pp

Imaginary riverbed L: 1.97 m (CL -4.57 m)

R_No. 33_pp.17

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below;

$$K_h = 6910 \times N^{0.696}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width B = 1.0000 m
 Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.92
 Section efficiency μ = 0.80
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 86000 am⁴(original condition)
 I = 63296 am⁴(after reduction by corrosion and joint)
 EI = 200000 × 10³ × 63296 × 10⁻⁸ = 1.266 × 10⁷

Depth (m)	N-value	Depth (m)	N-value
1 0.50	15	11 20.00	50
2 1.60	15		
3 2.10	4		
4 3.80	4		
5 3.80	1		
6 4.80	8		
7 5.80	16		
8 6.80	3		
9 7.80	16		
10 8.00	50		

5-2 Normal Condition

K_h = 17153 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$L = \frac{1}{\beta} = 2.33 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (CL -3.88 m) to 2.33 m depth (CL -6.21 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 3.88	0.92	16	8.0	4.40
2 4.80	1.00	8.0	16.0	12.00
3 5.80	0.41	16.0	10.6	5.49

$$L = \Sigma h = 2.33 \quad \Sigma A = 21.88$$

$$A = (\text{upper N-value} + \text{lower N-value}) \times h/2$$

R_No. 33_pp.18

$$\text{Average N-value } N' = \frac{\Sigma A}{L}$$

$$= \frac{21.88}{2.33}$$

$$= 9.39$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following.

$$K_h = 6910 \times N^{0.696} = 6910 \times 9.39^{0.696} = 17153 \text{ kN/m}^3$$

$$K_h \text{ (normal condition)} = 17153 \text{ kNm}^3$$

5-3 Seismic Condition

K_h = 17694 kNm³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.432 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.31 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (CL -4.57 m) and 2.31 m depth (CL -6.89 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 4.57	0.23	6.4	8.0	1.63
2 4.80	1.00	8.0	16.0	12.00
3 5.80	1.00	16.0	3.0	9.50
4 6.80	0.09	3.0	4.1	0.31

$$L = \Sigma h = 2.31 \quad \Sigma A = 23.44$$

$$A = (\text{upper N-value} + \text{lower N-value}) \times h/2$$

$$\text{Average N-value } N' = \frac{\Sigma A}{L}$$

$$= \frac{23.44}{2.31}$$

$$= 10.13$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following.

$$K_h = 6910 \times N^{0.696} = 6910 \times 10.13^{0.696} = 17694 \text{ kN/m}^3$$

$$K_h \text{ (seismic condition)} = 17694 \text{ kNm}^3$$

R_No. 33_pp.19

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Elevation h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force Ps (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00~ 2.10	2.10	6.28 33.30	6.60 34.97	3.18 2.48	20.99 86.74
2 2.10~ 2.60	0.50	34.85 41.47	8.71 10.37	1.61 1.45	14.06 15.01
3 2.60~ 2.70	0.10	41.47 36.59	2.07 1.83	1.25 1.21	2.59 2.22
4 2.70~ 2.80	0.10	36.59 33.49	1.83 1.67	1.15 1.11	2.10 1.87
5 2.80~ 3.80	1.00	33.49 2.50	16.75 1.25	0.75 0.41	12.52 0.52
6 3.80~ 3.88	0.08	2.50 0.00	0.10 0.00	0.05 0.03	0.01 0.00

$$\Sigma P = 86.15 \quad \Sigma M = 158.62$$

P₀ : active earth pressure + residual water pressure - passive earth pressure
 P : load P₀ × h/2 × B

B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P × Y

Arbitrary load lateral load P₀ = 3.2 kNm
 depth to acting position H₀ = -0.51 m
 moment M₀ = 0.0 kNm-m/m
 depth to acting position H_m = 0.00 m
 Height from riverbed to top of cone H = 2.60 m
 Depth of imaginary riverbed from riverbed L_k = 1.28 m

Moment M₁ by arbitrary load is as below.

$$M_1 = P_0 \cdot (H + L_k - H_0) + M_0 = 14.05 \text{ kNm}$$

h₀ Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_1}{\Sigma P + P_0} = \frac{172.67}{89.35} = 1.93 \text{ m}$$

R_No. 33_pp.20

6-1-2 Seismic Condition

No	Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~2.10	2.10	11.12 41.15	11.68 43.21	3.87 3.17	45.24 137.11
2	2.10~2.20	0.10	43.42 44.90	2.17 2.25	2.44 2.41	5.30 5.40
3	2.20~2.60	0.40	44.90 46.90	8.98 9.38	2.24 2.11	20.12 19.76
4	2.60~2.80	0.20	46.90 42.15	4.69 4.21	1.91 1.84	8.94 7.75
5	2.80~3.80	1.00	42.15 18.38	21.07 9.19	1.44 1.11	30.34 10.17
6	3.80~4.57	0.77	18.38 0.00	7.11 0.00	0.52 0.26	3.66 0.00
			ΣP = 123.94	ΣM = 293.79		

P_s: active earth pressure + residual water pressure - passive earth pressure
 P: load P_s × h/2 × B
 B: unit width = 1.000 m
 Y: height of acting position from imaginary riverbed
 M: moment by load P × Y

Arbitrary load lateral load P_o = 9.0 kNm
 depth to acting position H = -0.24 m
 moment M_o = 3.5 kNm/m
 depth to acting position H_o = 0.80 m
 Height from riverbed to top of cone H = 2.60 m
 Depth of imaginary riverbed from riverbed L_k = 1.97 m

Moment M_o by arbitrary load is as below
 M_o = P_o × (H + L_{k} - H_o) + M_o = 46.82 kN·m}

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _{sw} (kNm ²)	Load P _{sw} (kN)	Arm length Y (m)	Moment M _{sw} (kNm)
1	2.20~2.60	0.40	0.0 0.7	0.00 0.14	2.24 2.11	0.00 0.29
			ΣP _{sw} = 0.14	ΣM _{sw} = 0.29		

h_o: Height of acting position of P_o from imaginary riverbed

$$h_o = \frac{M_o}{P_o} = \frac{\Sigma M + M_o + \Sigma M_{sw}}{\Sigma P + P_o + \Sigma P_{sw}} = \frac{340.90}{133.07} = 2.56 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width B = 1.0000 m
 Corrosion margin t_s = 1.00 mm (active side) t_r = 1.00 mm (passive side)
 Corrosion rate η = 0.92
 Section efficiency μ = 0.80
 Young's modulus E = 200000 Nmm²
 Inertia sectional moment I_o = 86000 cm⁴ (original condition)
 I = 63296 cm⁴ (after reduction by corrosion and section)
 EI = 200000 × 10³ × 63296 × 10⁻⁸ = 1.266 × 10⁷

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4EI}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_o)^2 + 1}}{2\beta h_o} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_o})$$

$$M_{max} = M_o \cdot \phi_a$$

$$I_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_o}$$

$$I_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_o}{\beta h_o}$$

$$M(x) = \frac{P_o}{\beta} \times \exp^{-\beta x} (\beta h_o \cdot \cos \beta x + (1 + \beta h_o) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction K_b = 17153 kNm³
 calculated value β = 0.42901 m⁻¹
 resultant earth force (lateral) P_o = 89.35 kNm
 height of acting position of load h_o = 1.93 m
 moment M_o = 172.67 kNm/m

in consideration of ψ_{sa} = 1.195,
 maximum moment M_{max} = 206.37 kNm/m
 depth of generated position of M_{max} I_n = 0.839 m
 depth of 1st fixed point I_i = 2.669 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction K_b = 17694 kNm³
 calculated value β = 0.43236 m⁻¹
 resultant earth force (lateral) P_o = 133.07 kNm
 height of acting position of load h_o = 2.56 m
 moment M_o = 340.90 kNm/m

in consideration of ψ_{sa} = 1.124,
 maximum moment M_{max} = 383.28 kNm/m
 depth of generated position of M_{max} I_n = 0.697 m
 depth of 1st fixed point I_i = 2.514 m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin t_s = 1.00 mm (active side) t_r = 1.00 mm (passive side)
 Corrosion rate η = 0.92
 Section efficiency μ = 1.00
 Module of section Z_o = 3820 cm³ (original condition)
 Z = 3514 cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{206.37 \times 10^6}{3514 \times 10^3} = 59 \text{ N/mm}^2 \leq \sigma_s = 180 \text{ N/mm}^2 \text{ (ok)}$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{383.28 \times 10^6}{3514 \times 10^3} = 109 \text{ N/mm}^2 \leq \sigma_s = 270 \text{ N/mm}^2 \text{ (ok)}$$

6-4 Displacement

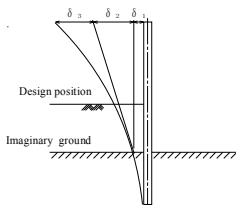
6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.18 2.48	0.820 0.639	0.244 34.97	1.611 5.622
2	2.10~2.60	1.61 1.45	0.416 0.373	0.075 0.061	8.71 10.37
3	2.60~2.70	1.25 1.21	0.321 0.313	0.046 0.044	2.07 1.83
4	2.70~2.80	1.15 1.11	0.296 0.287	0.039 0.037	1.83 1.67
5	2.80~3.80	0.75 0.41	0.193 0.107	0.017 0.005	16.75 1.25
6	3.80~3.88	0.05 0.03	0.014 0.007	0.000 0.000	0.10 0.000
ΣQ = 9.121					

Y: Height from imaginary riverbed to acting position
 $\alpha = \frac{Y}{H+L_k}$
 $\zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q: ζ × P
 P: Lateral force
 H: Depth to design position
 L_k: Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_o) \times P_o}{2EI\beta^3} = \frac{(1+0.4290 \times 1.93) \times 89.35}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4290^3} = 0.00817 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_o) \times P_o}{2EI\beta^2} \times (H+L_o) = \frac{(1+2 \times 0.4290 \times 1.93) \times 89.35}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4290^2} \times (2.60+1.28) = 0.01978 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_o)^3}{EI} = \frac{9.12 \times (2.60+1.28)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00421 \text{ m}$$

Additional displacement δ'₃ generated by horizontal load (P) and moment (M) acting at top of SSP considered

$$\delta'_3 = \frac{P L^3}{3EI} + \frac{M L^2}{2EI}$$

δ'₃ is calculated as 0.00059 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.88 m
 Horizontal load P = 3.20
 Moment: M = 1.63

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.00817 + 0.01978 + 0.00480 = 0.03276 \text{ m} = 32.76 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where
 Displacement at imaginary ground
 Displacement by angle of inclination slope at imaginary ground
 Displacement at higher part of imaginary ground as cantilever
 Displacement at top of SSP
 Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.87	0.847	0.257	11.68	3.006
		3.17	0.694	0.185	43.21	7.996
2	2.10~2.20	2.44	0.534	0.117	2.17	0.254
		2.41	0.526	0.114	2.25	0.256
3	2.20~2.60	2.24	0.490	0.100	8.98	0.901
		2.11	0.461	0.090	9.38	0.842
4	2.60~2.80	1.91	0.417	0.075	4.69	0.351
		1.84	0.402	0.070	4.21	0.295
5	2.80~3.80	1.44	0.315	0.044	21.07	0.935
		1.11	0.242	0.027	9.19	0.247
6	3.80~4.57	0.52	0.113	0.006	7.11	0.043
		0.26	0.056	0.002	0.00	0.000
$\Sigma Q = 15.128$						

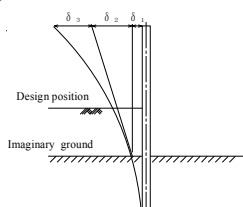
- Y : Height from imaginary riverbed to acting position
- $\alpha : \alpha = \frac{Y}{H+L_k}$
- $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
- Q : $\zeta \times P$
- P : Lateral force
- H : Depth to design position
- L_k : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_w (kN)	Q_w (kN)
1	2.20~2.60	2.24	0.490	0.100	0.00	0.000
		2.11	0.461	0.090	0.14	0.012
$\Sigma Q_w = 0.012$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 15.128 + 0.012 = 15.140$

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.4324 \times 2.56) \times 133.07}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4324^3} = 0.01371 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L)$$

$$= \frac{(1+2 \times 0.4324 \times 2.56) \times 133.07}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4324^2} \times (2.60+1.97) = 0.04134 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L)^3}{E I}$$

$$= \frac{15.14 \times (2.60+1.97)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.01144 \text{ m}$$

Additional displacement δ'_1 generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta'_1 = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ'_1 is calculated as 0.00245 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.57 m
 Horizontal load: P = 9.00
 Moment: M = 2.16

Displacement δ_{im} of cantilever beam by moment M_{im} is additionally considered

$$\delta_{im} = \frac{M_{im} \cdot h}{2 E I} \times (2 L - h) \quad (L=4.57 \text{ m, } h=L-H_{im}, H_{im}=0.80 \text{ m, } \text{ただし } L \cdot h \leq L)$$

$$= \frac{3.50 \times 3.77}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8}} \times (2 \times 4.57 - 3.77) = 0.00028 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01371 + 0.04134 + 0.01146$$

$$= 0.06621 \text{ m}$$

$$= 69.21 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

- Where
- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ : Displacement at top of SSP
- δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 86000 \text{ cm}^4$ (original condition)
	$I = 86000 \text{ cm}^4$ (after reduction by corrosion and section)
$EI = 200000 \times 10^3 \times 86000 \times 10^8$	$= 1.720 \times 10^{12}$

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_k , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_k + \frac{3}{\beta}$$

$$L = H - H_{im} + D$$

$$\beta = 4 \sqrt{\frac{K_{ls} \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	$K_{ls} = 17153 \text{ kN/m}^3$
Calculated value	$\beta = 0.39736 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.28 + \frac{3}{0.397} = 8.83 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 8.83 = 11.03 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	$K_{ls} = 17694 \text{ kN/m}^3$
Calculated value	$\beta = 0.40046 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.97 + \frac{3}{0.400} = 9.46 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.46 = 11.66 \text{ m}$

Therefore, whole length of SSP is set as 12.00 m in consideration of round unit of SSP length

8 Calculation Result

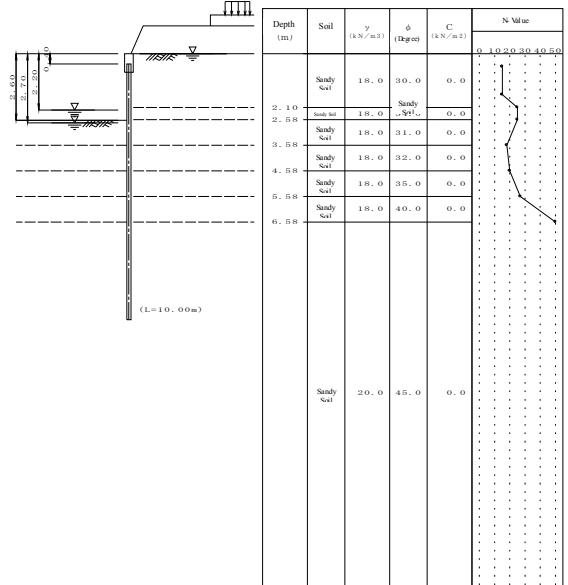
		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	86000	
Section modulus	Z (cm ³)	3820	
Maximum bending moment	M_{max} (kNm/m)	206.37	383.28
Stress intensity	σ (N/mm ²)	59 (180)	109 (270)
Lateral displacement	δ (mm)	32.76 (80.0)	69.21 (75.0)
Penetration depth	D (m)	8.83	9.46
Whole length of SSP	L (m)	12.00	

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 34_STA 14+000 - 14+100



1-2 Dimensions of Structure

Depth from coping top to riverbed	H	= 2.60 m
Depth from coping top to rear side ground	H _r	= 0.00 m
Depth from coping top to SSP top	H _s	= 0.40 m
Land side WL	L _{land}	= 0.00 m (Normal Condition)
	L _{land'}	= 0.00 m (Seismic Condition)
Riverside WL	L _{riv}	= 2.70 m (Normal Condition)
	L _{riv'}	= 2.20 m (Seismic Condition)

Imaginary riverbed : calculated in consideration of geotechnical conditions

R_No. 34_pp 1

R_No. 34_pp 2

1-3 Applied Formula

Formula for generated stress : Chang's formula
 Penetration depths : $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water	$\gamma_w = 9.8 \text{ kNm}^3$
Type of water pressure	trapezoidal water pressure
Lateral pressure	calculated in consideration of site conditions
Study case	- Normal Condition - Seismic Condition
Design earthquake intensity	k = 0.200
Dynamic water pressure due to earthquake considered as distributed load	
Arbitrary load	Horizontal load
	Depth of acting point
	Moment
	Depth of acting point

Wind load, Impact load : not considered

Minimum angle of rupture : $\zeta_0 = 10$ degrees

Rear side angle of slope : not considered

Angle of rupture (dayey soil) : $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression : $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula : $K_s = 6910 \times N^{0.406}$

Average N value : calculated from average N value between imaginary riverbed and depth as 1/β

N value distribution

No	Depth (m)	N Value
1	0.50	15
2	1.60	15
3	2.10	25
4	2.58	35
5	3.58	40
6	4.58	50
7	5.58	50
8	6.58	50
9	20.00	50

R_No. 34_pp 3

1-6 Vertical Load

Vertical load on landside : calculated in consideration of embankment shape on landside

Vertical load on riverside : not considered

1-7 Soil Modulus

No	Depth (m)	Soil	N value	γ (kNm ³)	γ' (kNm ³)	ϕ	C (kNm ²)	a	k'	ζ (degree)		kh (kNm ³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	2.58	S	25.0	18.00	10.00	34.0	0.0	0.0	0.200	auto	auto	—	—
3	3.58	S	35.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	—	—
4	4.58	S	40.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	—	—
5	5.58	S	50.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	—	—
6	6.58	S	50.0	18.00	10.00	40.0	0.0	0.0	0.200	auto	auto	—	—
7	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

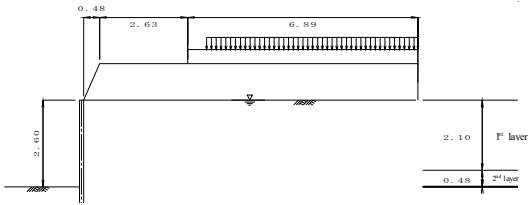
Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed(M)
 N value : average N value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C_c : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (under water)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

R_No. 34_pp 4

1-8 Im bankment on Landside



Im bankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m³)	Internal friction angle φ (degree)	Cohesive force C (kN/m²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.48	10.00	10.00	1.10	18.0	30.0	0.0	auto	auto
2	Sandy soil	3.11	3.11	10.00	10.00	0.42	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

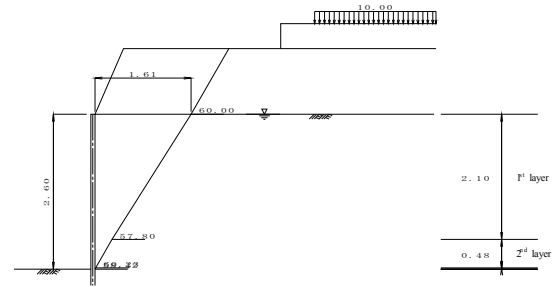
No	Acting period		Load	
	from (m)	to (m)	Normal (kNm²)	Seismic (kNm²)
1	3.68	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

- Young's modulus $E = 200000 \text{ Nmm}^2$
- Inertia sectional moment $I_0 = 56700 \text{ cm}^4$
- Sectional factor $Z_0 = 2700 \text{ cm}^3$
- Corrosion margin $t_v = 1.00 \text{ mm (ri-verside)}$ $t_s = 1.00 \text{ mm (landside)}$
- Corrosion rate (to I_0) $n = 0.88$
- Corrosion rate (to Z_0) $n = 0.88$
- Section efficiency (to L) $\mu = 0.80$
- Section efficiency (to Z_0) $\mu = 1.00$
- Round unit of SSP length 0.50 m
- Allowable stress $\sigma_n = 180 \text{ Nmm (Normal)}$
 $\sigma_n' = 270 \text{ Nmm (Seismic)}$
- Allowable displacement $\delta_n = 50.0 \text{ mm (Normal)}$
 $\delta_n' = 75.0 \text{ mm (Seismic)}$
- Bending of cantilever beam calculated as distributed load of each layer
- Reduction of material modulus
Reduced: I_0 applied to calculation of lateral coefficient of subgrade reaction
Not reduced: I_0 applied to calculation of penetration depth
Reduced: I_0 applied to calculation of section forces and displacement
Reduced: Z_0 applied to calculation of stresses

2 Calculation of Acting Load
2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m²)	Σγh (kN/m³)	Q (kN/m²)	γhw (kN/m²)	Angle of rupture Z (degree)
1	2.60~2.58	Sandy Soil	31.0	10.0	0.0	26.00	20.75	25.48	58.42
2	2.58~2.10	Sandy Soil	34.0	10.0	0.0	25.80	20.75	25.28	60.23
3	2.10~0.00	Sandy Soil	30.0	10.0	0.0	21.00	20.75	20.58	57.80
4		Embankment	30.0		0.0	27.36	10.00	0.00	60.00

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	58.42	0.02	0.00	0.00	0.01	0.02
2	60.23	0.48	0.01	0.02	0.29	0.50
3	57.80	2.10	0.29	0.50	1.61	2.60
4	60.00	1.10	1.61	2.60	2.24	3.70

Therefore, width of acting load shall be set as 1.61 m

2-1-3 Acting Load by Imbankment

No	γ (kN/m³)	A (m²)	γ X A (kN/m)
1	18.0	1.86	33.40
Σ			33.40

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

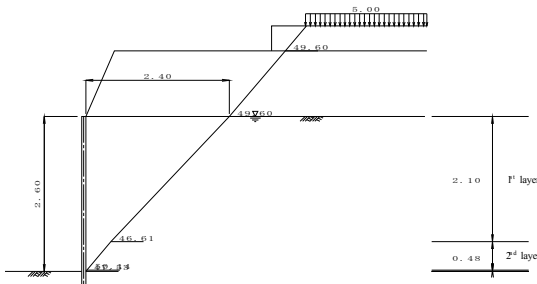
2-1-4 Calculation of Total Acting Load

$$Q = \frac{\sum (\gamma \times A) + \sum (Q \times 1) + \sum P}{L}$$

$$= \frac{33.40 + 0.00 + 0.00}{1.61}$$

$$= 20.75 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m²)	Σγh (kN/m³)	Q (kN/m²)	γhw (kN/m²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60~2.58	Sandy Soil	31.0	10.0	0.0	26.00	23.00	25.48	0.200	11.31	47.53
2	2.58~2.10	Sandy Soil	34.0	10.0	0.0	25.80	23.00	25.28	0.200	11.31	50.14
3	2.10~0.00	Sandy Soil	30.0	10.0	0.0	21.00	23.00	20.58	0.200	11.31	46.61
4		Embankment	30.0		0.0	27.36	5.00	0.00	0.200	11.31	49.60
5		Embankment	30.0		0.0	7.56	5.00	0.00	0.200	11.31	49.60

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-2-2 Coordinates of line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	47.53	0.02	0.00	0.00	0.02	0.02
2	50.14	0.48	0.02	0.02	0.42	0.50
3	46.61	2.10	0.42	0.50	2.40	2.60
4	49.60	1.10	2.40	2.60	3.34	3.70
5	49.60	0.42	3.34	3.70	3.70	4.12

Therefore, width of acting load shall be set as 2.40 m

2-2-3 Acting Load by Imbankment

No	γ (kN/m³)	A (m²)	γ X A (kN/m)
1	18.0	2.90	52.12
2	18.0	0.17	3.09
Σ			55.22

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	0.02	0.09
Σ			0.09

Q surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

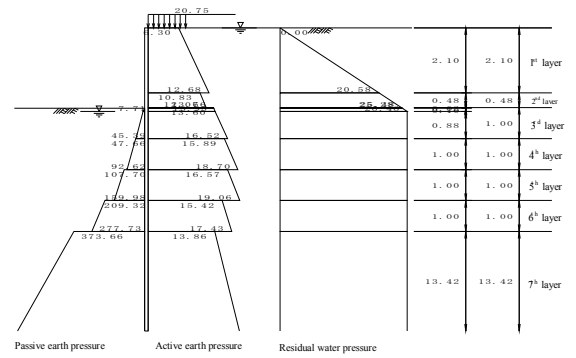
$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{55.22 + 0.09 + 0.00}{2.40}$$

$$= 23.00 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Q _h (kNm ⁻²)	K _a	K _a × cosδ
1 0.00~2.10	Sandy soil	10.0	30.0	---	20.754 41.754	0.30847 0.30847	0.30378 0.30378
2 2.10~2.58	Sandy soil	10.0	34.0	---	41.754 46.554	0.26331 0.26331	0.25931 0.25931
3 2.58~2.60	Sandy soil	10.0	31.0	---	46.554 46.754	0.29669 0.29669	0.29219 0.29219
4 2.60~2.70	Sandy soil	10.0	31.0	---	46.754 47.754	0.29669 0.29669	0.29219 0.29219
5 2.70~3.58	Sandy soil	10.0	31.0	---	47.754 56.554	0.29669 0.29669	0.29219 0.29219
6 3.58~4.58	Sandy soil	10.0	32.0	---	56.554 66.554	0.28525 0.28525	0.28092 0.28092
7 4.58~5.58	Sandy soil	10.0	35.0	---	66.554 76.554	0.25279 0.25279	0.24895 0.24895
8 5.58~6.58	Sandy soil	10.0	40.0	---	76.554 86.554	0.20447 0.20447	0.20137 0.20137
9 6.58~20.00	Sandy soil	10.0	45.0	---	86.554 220.754	0.16262 0.16262	0.16015 0.16015

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
δ = 10.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Q _h (kNm ⁻²)	K _p	K _p × cosδ
4 2.60~2.70	Sandy soil	18.0	31.0	---	0.000 1.800	4.34774 4.34774	4.28169 4.28169
5 2.70~3.58	Sandy soil	10.0	31.0	---	1.800 10.600	4.34774 4.34774	4.28169 4.28169
6 3.58~4.58	Sandy soil	10.0	32.0	---	10.600 20.600	4.56530 4.56530	4.49594 4.49594
7 4.58~5.58	Sandy soil	10.0	35.0	---	20.600 30.600	5.30876 5.30876	5.22810 5.22810
8 5.58~6.58	Sandy soil	10.0	40.0	---	30.600 40.600	6.94605 6.94605	6.84053 6.84053
9 6.58~20.00	Sandy soil	10.0	45.0	---	40.600 174.800	9.34548 9.34548	9.20351 9.20351

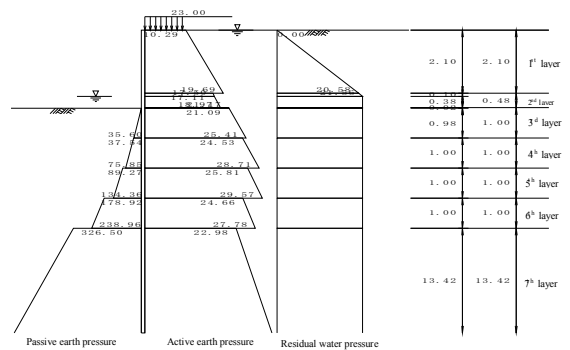
Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
δ = -10.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure	Passive side
	Pa1 (kNm ⁻²)	Pa2 (kNm ⁻²)	Pa3 (kNm ⁻²)		
1 0.00~2.10	6.30 12.68	---	6.30 20.58	0.00 ---	---
2 2.10~2.58	10.83 12.07	---	10.83 25.28	---	---
3 2.58~2.60	13.60 13.66	---	13.60 25.28	---	---
4 2.60~2.70	13.66 13.95	---	13.66 36.46	0.00 7.71	---
5 2.70~3.58	13.95 16.52	---	13.95 36.46	7.71 45.39	---
6 3.58~4.58	15.89 18.70	---	15.89 36.46	47.66 92.62	---
7 4.58~5.58	16.57 19.06	---	16.57 36.46	107.70 159.98	---
8 5.58~6.58	15.42 17.43	---	15.42 36.46	209.32 277.73	---
9 6.58~20.00	13.86 35.35	---	13.86 36.46	373.66 1608.77	---

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kNm ⁻³)	φ (degree)	C (kNm ⁻²)	Σγh+Q (kNm ⁻²)	γ _{whw} (kNm ⁻³)	k (k)	θ (degree)	K _a	K _a × cosδ	θ (degree)
1 0.00~2.10	Sandy Soil	10.0	30.0	---	23.00 44.00	0.00 20.58	0.200 0.200	11.31 11.31	0.45442 0.45442	0.44752 0.44752	---
2 2.10~2.20	Sandy Soil	10.0	34.0	---	44.00 45.00	20.58 21.56	0.200 0.200	11.31 11.31	0.39477 0.39477	0.38878 0.38878	---
3 2.20~2.58	Sandy Soil	10.0	34.0	---	45.00 48.80	21.56 25.28	0.200 0.200	11.31 11.31	0.39477 0.39477	0.38878 0.38878	---
4 2.58~2.60	Sandy Soil	10.0	31.0	---	48.80 49.00	25.28 25.48	0.200 0.200	11.31 11.31	0.43879 0.43879	0.43213 0.43213	---
5 2.60~3.58	Sandy Soil	10.0	31.0	---	49.00 58.80	25.48 35.08	0.200 0.200	11.31 11.31	0.43879 0.43879	0.43213 0.43213	---

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma\gamma h+Q$ (kNm ²)	γ_{whw} (kNm ²)	k (k)	θ (degree)	K_a	$K_a \times \cos\delta$	θ (degree)
6 3.58~ 4.58	Sandy Soil	10.0	32.0	---	58.80 68.80	35.08 44.88	0.200 0.200	11.31 11.31	0.42366 0.42366	0.41722 0.41722	---
7 4.58~ 5.58	Sandy Soil	10.0	35.0	---	68.80 78.80	44.88 54.68	0.200 0.200	11.31 11.31	0.38998 0.38998	0.37519 0.37519	---
8 5.58~ 6.58	Sandy Soil	10.0	40.0	---	78.80 88.80	54.68 64.48	0.200 0.200	11.31 11.31	0.31772 0.31772	0.31289 0.31289	---
9 6.58~ 20.00	Sandy Soil	10.0	45.0	---	88.80 223.00	64.48 196.00	0.200 0.200	11.31 11.31	0.26273 0.26273	0.25874 0.25874	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below
 $\delta = 10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of dayey soil ζ is calculated by the formula below

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan\theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kNm ³)	ϕ (degree)	C (kNm ²)	$\Sigma\gamma h+Qp$ (kNm ²)	γ_{whw} (kNm ²)	k (k)	θ (degree)	K_p	$K_p \times \cos\delta$
5 2.60~ 3.58	Sandy soil	10.00	31.0	---	0.000 9.800	0.00 9.60	0.200 0.200	11.31 11.31	3.68877 3.68877	3.63273 3.63273
6 3.58~ 4.58	Sandy soil	10.00	32.0	---	9.800 19.800	9.60 19.40	0.200 0.200	11.31 11.31	3.89012 3.89012	3.83102 3.83102
7 4.58~ 5.58	Sandy soil	10.00	35.0	---	19.800 29.800	19.40 29.20	0.200 0.200	11.31 11.31	4.57827 4.57827	4.50872 4.50872
8 5.58~ 6.58	Sandy soil	10.00	40.0	---	29.800 39.800	29.20 39.00	0.200 0.200	11.31 11.31	6.09659 6.09659	6.00397 6.00397
9 6.58~ 20.00	Sandy soil	10.00	45.0	---	39.800 174.000	39.00 170.52	0.200 0.200	11.31 11.31	8.33000 8.33000	8.20345 8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below
 $\delta = -10.00, \beta = 0.00, \theta = \tan^{-1}k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 kNm ²	Pa2 kNm ²	Pa kNm ²		
1	0.00~ 2.10	10.29 19.69	---	10.29 19.69	0.00 20.58	---
2	2.10~ 2.20	17.11 17.50	---	17.11 17.50	20.58 21.56	---
3	2.20~ 2.58	17.50 18.97	---	17.50 18.97	21.56 21.56	---
4	2.58~ 2.60	21.09 21.17	---	21.09 21.17	21.56 21.56	---
5	2.60~ 3.58	21.17 25.41	---	21.17 25.41	21.56 21.56	0.00 35.60
6	3.58~ 4.58	24.53 28.71	---	24.53 28.71	21.56 21.56	37.54 75.85
7	4.58~ 5.58	25.81 29.57	---	25.81 29.57	21.56 21.56	89.27 134.36
8	5.58~ 6.58	24.66 27.78	---	24.66 27.78	21.56 21.56	178.92 238.96
9	6.58~ 20.00	22.98 57.70	---	22.98 57.70	21.56 21.56	326.50 1427.40

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos\delta$

Cayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression on 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos\delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos\delta$

Cayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos\delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P_{we} (kNm ⁻³)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

$$p_{aw} = \pm \frac{7}{8} k_{bs} \cdot \gamma_w \cdot \sqrt{H} \cdot y$$

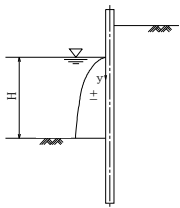
Where,

k_{bs} : design seismic coefficient

γ_w : unit weight of water

H: water depth of riverside

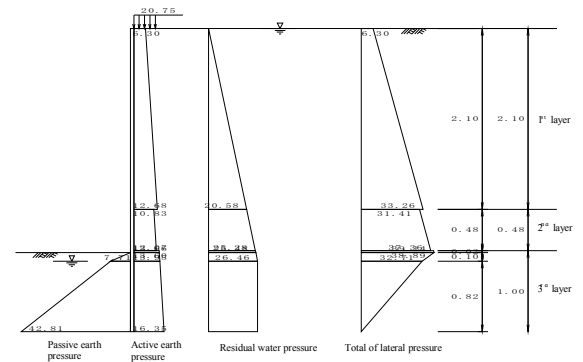
y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L_i is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure

4-1 Normal Condition



Depth (m)	Pa kNm ²	Pw kNm ²	Pp kNm ²	P _s kNm ²
1 0.00~ 2.10	6.30 12.68	0.00 20.58	---	6.30 33.26
2 2.10~ 2.58	10.83 12.07	20.58 25.28	---	31.41 37.36
3 2.58~ 2.60	13.60 13.66	25.28 25.48	---	38.89 39.14
4 2.60~ 2.70	13.66 13.95	25.48 26.46	0.00 7.71	39.14 32.71
5 2.70~ 3.52	13.95 16.35	26.46 26.46	7.71 42.81	32.71 0.00
6 3.52~ 3.58	16.35 16.52	26.46 26.46	42.81 45.39	0.00 -2.40

P_a : Active earth pressure

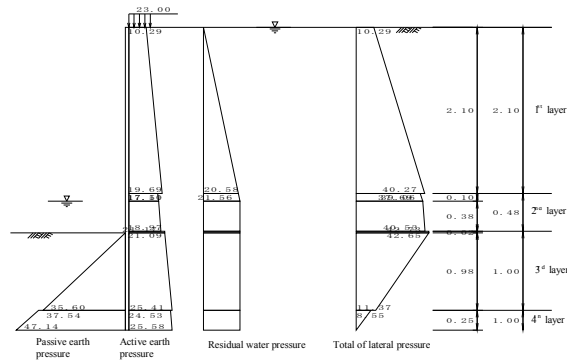
P_w : Residual water pressure

P_p : Passive earth pressure

P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed L_i : 0.92 m (GL - 3.52 m)

4-2 Seismic Condition



Depth (m)	P _a (kNm ²)	P _w (kNm ²)	P _p (kNm ²)	P _s (kNm ²)
1 0.00~2.10	10.29 19.69	0.00 20.58	---	10.29 40.27
2 2.10~2.20	17.11 17.50	20.58 21.56	---	37.69 39.06
3 2.20~2.58	17.50 18.97	21.56 21.56	---	39.06 40.53
4 2.58~2.60	21.09 21.17	21.56 21.56	---	42.65 42.73
5 2.60~3.58	21.17 25.41	21.56 21.56	0.00 35.60	42.73 11.37
6 3.58~3.83	24.53 25.58	21.56 21.56	37.54 47.14	8.55 0.00
7 3.83~4.58	25.58 28.71	21.56 21.56	47.14 75.85	0.00 -25.99

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed I_a: 1.23 m (GL -3.83 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below:

$$K_h = 6910 \times N^{0.896}$$

where,

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

- Unit width B = 1.0000 m
- Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
- Corrosion rate η = 0.88
- Section efficiency u = 0.80
- Young's modulus E = 200000 N/mm²
- Inertia sectional moment I₀ = 56700 cm⁴ (original condition)
- I = 39917 cm⁴ (after reduction by corrosion and joint)
- Inertia sectional moment H = 200000 × 10³ × 39917 × 10⁸ = 7.983 × 10¹⁷

Depth (m)	N-value
1 0.50	15
2 1.60	15
3 2.10	25
4 2.58	28
5 3.58	18
6 4.58	20
7 5.58	27
8 6.58	50
9 20.00	50

5-2 Normal Condition

K_s = 23674 kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}} = 0.522 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 1.92 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.52 m) to 1.92 m depth (GL -5.44 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 3.52	0.06	18.4	18.0	1.10
2 3.58	1.00	18.0	20.0	19.00
3 4.58	0.86	20.0	26.0	19.69

L = Zh = 1.92 ΣA = 39.79

$$A = (\text{upper N-value} + \text{lower N-value}) \times h/2$$

Average n-value $N' = \frac{\Sigma A}{L} = \frac{39.79}{1.92} = 20.76$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:
 K_s = 6910 × N'^{0.896} = 6910 × 20.76^{0.896} = 23674 kN/m³
 Kh (normal condition) = 23674 kNm³

5-3 Seismic Condition

K_s = 24350 kNm³ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}} = 0.525 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 1.90 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.83 m) and 1.90 m depth (GL -5.73 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 3.83	0.75	18.5	20.0	14.43
2 4.58	1.00	20.0	27.0	23.50
3 5.58	0.15	27.0	30.5	4.41

L = Zh = 1.90 ΣA = 42.34

$$A = (\text{upper N-value} + \text{lower N-value}) \times h/2$$

Average n-value $N' = \frac{\Sigma A}{L} = \frac{42.34}{1.90} = 22.25$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:
 K_s = 6910 × N'^{0.896} = 6910 × 22.25^{0.896} = 24350 kN/m³
 Kh (seismic condition) = 24350 kNm³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Elevation h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1 0.00~2.10	2.10	6.30 33.26	6.62 34.93	2.82 2.12	18.67 74.04
2 2.10~2.58	0.48	31.41 37.36	7.54 8.97	1.26 1.10	9.50 9.86
3 2.58~2.60	0.02	38.89 39.14	0.39 0.39	0.93 0.93	0.36 0.36
4 2.60~2.70	0.10	39.14 32.71	1.96 1.64	0.89 0.85	1.73 1.40
5 2.70~3.52	0.82	32.71 0.00	13.41 0.00	0.55 0.27	7.33 0.00

ΣP = 75.83 ΣM = 123.24

- P₀ : active earth pressure + residual water pressure - passive earth pressure
- P : load P₀ × h/2 × B
- B : unit width = 1.000 m
- Y : height of acting position from imaginary riverbed
- M : moment by load P × Y

Arbitrary load lateral load P = 33 kNm
 depth to acting position H = -0.51 m
 moment M₀ = 0.0 kNm/m
 height to acting position H₀ = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of imaginary riverbed from riverbed I_a = 0.92 m

Moment M₀ by arbitrary load is as below
 M₀ = P × (H + I_a - H_{0}) + M₀ = 13.30 kNm}

h₀, Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{136.54}{79.13} = 1.73 \text{ m}$$

6-1-2 Seismic Condition

No	Depth Z (m)	Thickness h (m)	Lateral load P _s (kNm ²)	Load P (kN)	Arm length Y (m)	Moment M (kNm)
1	0.00~2.10	2.10	10.29 40.27	10.81 42.29	3.13 2.43	33.83 102.77
2	2.10~2.20	0.10	37.69 39.06	1.88 1.95	1.70 1.66	3.20 3.25
3	2.20~2.58	0.38	39.06 40.53	7.42 7.70	1.50 1.38	11.16 10.61
4	2.58~2.60	0.02	42.65 42.73	0.43 0.43	1.24 1.24	0.53 0.53
5	2.60~3.58	0.98	42.73 11.37	20.94 5.57	0.90 0.58	18.92 3.21
6	3.58~3.83	0.25	8.55 0.00	1.07 0.00	0.17 0.08	0.18 0.00
			ΣP = 100.49		ΣM = 188.19	

P : active earth pressure + residual water pressure - passive earth pressure
 P : load P_s x h² x B
 B : unit width = 1,000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P = 9.1 kNm
 depth to acting position H = -0.25 m
 moment M₀ = 3.6 kNm/m
 depth to acting position H = 0.80 m
 Height from riverbed to top of cone H = 2.60 m
 Depth of imaginary riverbed from riverbed L₁ = 1.23 m

Moment M₀ by arbitrary load is as below
 M = P₀ · (H + L₁ - H) + M₀ = 40.73 kN·m

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P ₀ (kNm ²)	Load P ₀ (kN)	Arm length Y (m)	Moment M ₀ (kNm)
1	2.20~2.60	0.40	0.0 0.7	0.00 0.14	1.50 1.36	0.00 0.19
			ΣP ₀ = 0.14		ΣM ₀ = 0.19	

h₀ : Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_0 + \sum M_{0s}}{\sum P + P_0 + \sum P_{0s}} = \frac{229.11}{109.72} = 2.09 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width B = 1.0000 m
 Corrosion margin t_s = 1.00 mm (active side) t_s = 1.00 mm (passive side)
 Corrosion rate η = 0.88
 Section efficiency μ = 0.80
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 56700 cm⁴ (original condition)
 I = 39917 cm⁴ (after reduction by corrosion on section)
 H = 20000 × 10³ × 39917 × 10⁻⁸ = 7.983 × 10⁷

$$\beta = 4\sqrt{\frac{K_b \cdot B}{4EI}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$l_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1 + \beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction K_s = 23674 kNm³
 calculated value β = 0.52181 m⁻¹
 resultant earth force (lateral) P₀ = 79.13 kNm
 height of acting position of load moment h₀ = 1.73 m
 M₀ = 136.54 kNm/m

in consideration of μ = 1.172,

maximum moment M_{max} = 160.03 kNm/m
 depth of generated position of M_{max} l_a = 0.657 m
 depth of fixed point l = 2.162 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction K_s = 24350 kNm³
 calculated value β = 0.52549 m⁻¹
 resultant earth force (lateral) P₀ = 109.72 kNm
 height of acting position of load moment h₀ = 2.09 m
 M₀ = 229.11 kNm/m

in consideration of μ = 1.126,

maximum moment M_{max} = 258.03 kNm/m
 depth of generated position of M_{max} l_a = 0.577 m
 depth of fixed point l = 2.072 m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin t_s = 1.00 mm (active side) t_s = 1.00 mm (passive side)
 Corrosion rate η = 0.88
 Section efficiency μ = 1.00
 Modulus of section Z₀ = 2700 cm³ (original condition)
 Z = 2376 cm³ (after reduction by corrosion on section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{160.03 \times 10^6}{2376 \times 10^3} = 67 \text{ N/mm}^2 \leq \sigma_s = 180 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{258.03 \times 10^6}{2376 \times 10^3} = 109 \text{ N/mm}^2 \leq \sigma_s = 270 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

6-4-1 Normal Condition

Modulus of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	2.82 2.12	0.801 0.602	0.235 0.145	6.62 34.93	1.557 5.063
2	2.10~2.58	1.26 1.10	0.358 0.312	0.056 0.044	7.54 8.97	0.425 0.392
3	2.58~2.60	0.93 0.93	0.265 0.263	0.032 0.032	0.39 0.39	0.012 0.012
4	2.60~2.70	0.89 0.85	0.252 0.242	0.029 0.027	1.96 1.64	0.057 0.044
5	2.70~3.52	0.55 0.27	0.155 0.078	0.011 0.003	13.41 0.00	0.153 0.000
			ΣQ = 7.716			

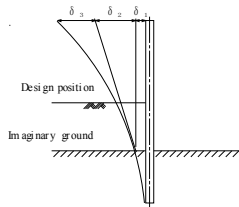
Y : Height from imaginary riverbed to acting position

$$\alpha = \frac{Y}{H+L_1} = \frac{Y}{(3-\alpha) \times a^2}$$

$$\zeta = \frac{\zeta \times P}{6}$$

Q : ζ × P
 P : Lateral force
 H : Depth to design position
 L₁ : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2EI\beta^3} = \frac{(1+0.5218 \times 1.73) \times 79.13}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5218^3} = 0.00663 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2EI\beta^2} \times (H+L_1) = \frac{(1+2 \times 0.5218 \times 1.73) \times 79.13}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5218^2} \times (2.60+0.92) = 0.01794 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_1)^3}{EI} = \frac{7.72 \times (2.60+0.92)^3}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.00421 \text{ m}$$

Additional displacement δ₃' generated by horizontal load (P) and moment (M) acting at top of SSP considered

$$\delta_3' = \frac{P L^3}{3EI} + \frac{M L^2}{2EI}$$

δ₃' is calculated as 0.00073 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.52 m
 Horizontal load: P = 3.30
 Moment: M = 1.68

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.00663 + 0.01794 + 0.00495 = 0.02952 \text{ m} = 29.52 \text{ mm} \leq \delta_a = 50.00 \text{ mm} \quad (\text{ok})$$

Where
 Displacement at imaginary ground
 Displacement by angle of inclination slope at imaginary ground
 Displacement at higher part of imaginary ground as cantilever
 Displacement at top of SSP
 Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.13 2.43	0.817 0.635	0.243 0.159	10.81 42.29	2.626 6.712
2	2.10~2.20	1.70 1.66	0.443 0.434	0.084 0.081	1.88 1.95	0.158 0.138
3	2.20~2.58	1.50 1.38	0.393 0.360	0.067 0.057	7.42 7.70	0.497 0.438
4	2.58~2.60	1.24 1.24	0.325 0.323	0.047 0.047	0.43 0.43	0.020 0.020
5	2.60~3.58	0.90 0.58	0.236 0.151	0.026 0.011	20.94 5.57	0.537 0.060
6	3.58~3.83	0.17 0.08	0.044 0.022	0.001 0.000	1.07 0.00	0.001 0.000
$\Sigma Q = 11.226$						

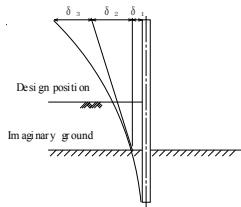
Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_s}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_s : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_w (kN)	Q_w (kN)
1	2.20~2.60	1.50 1.36	0.391 0.356	0.066 0.056	0.00 0.14	0.000 0.008
$\Sigma Q_w = 0.008$						

Therefore, modulus of deformation Q is calculated as below
 $Q = 11.226 + 0.008 = 11.234$

Displacement



R_No. 34_pp.25

$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.5255 \times 2.09) \times 109.72}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5255^3} = 0.00993 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_s)$$

$$= \frac{(1 + 2 \times 0.5255 \times 2.09) \times 109.72}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5255^2} \times (2.60 + 1.23) = 0.03045 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_s)^3}{E I}$$

$$= \frac{11.23 \times (2.60 + 1.23)^3}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.00791 \text{ m}$$

Additional displacement δ'_3 generated by horizontal load (P) and moment (M) acting at top of SSP is considered

$$\delta'_3 = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ'_3 is calculated as 0.00234 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.83 m
 Horizontal load: P = 9.10
 Moment: M = 2.28

Displacement δ_{in} of cantilever beam by moment M_{in} is additionally considered

$$\delta_{in} = \frac{M_{in} \cdot h}{2 E I} \times (2 L - h) \quad (L = 3.83 \text{ m}, h = L - H_s, H_s = 0.80 \text{ m}, \text{ただし})$$

$$= \frac{3.60 \times 3.03}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8}} \times (2 \times 3.83 - 3.03) = 0.00032 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00993 + 0.03045 + 0.01057$$

$$= 0.05095 \text{ m}$$

$$= 50.95 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

R_No. 34_pp.26

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 Nmm ²
Inertia sectional moment	$I_0 = 56700 \text{ m}^4$ (original condition)
	$I = 56700 \text{ m}^4$ (after reduction by corrosion and section)
	$EI = 200000 \times 10^3 \times 56700 \times 10^8 = 1.134 \times 10^8$

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as h_0 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_s + \frac{3}{\beta}$$

$$L = H - H_{in} + D$$

$$\beta = \sqrt[4]{\frac{K_s \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modulus of lateral subgrade reaction	$K_s = 23674 \text{ kN/m}^3$
Calculated value	$\beta = 0.47797 \text{ m}^{-1}$
Penetration length of SSP	$D = 0.92 + \frac{3}{0.478} = 7.20 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 7.20 = 9.40 \text{ m}$

7-1-2 Seismic Condition

Modulus of lateral subgrade reaction	$K_s = 24350 \text{ kN/m}^3$
Calculated value	$\beta = 0.48134 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.23 + \frac{3}{0.481} = 7.46 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 7.46 = 9.66 \text{ m}$

Therefore, whole length of SSP is set as 10.00 m in consideration of round unit of SSP length

R_No. 34_pp.27

8 Calculation Result

		Normal condition	Seismic condition
Inertia sectional moment	I (m ⁴)	56700	
Section modulus	Z (m ³)	2700	
Maximum bending moment	M_{in} (kNm/m)	160.03	258.03
Stress intensity	σ (N/mm ²)	67 (180)	109 (270)
Lateral displacement	δ (mm)	29.52 (50.0)	50.95 (75.0)
Penetration depth	D (m)	7.20	7.46
Whole length of SSP	L (m)	10.00	

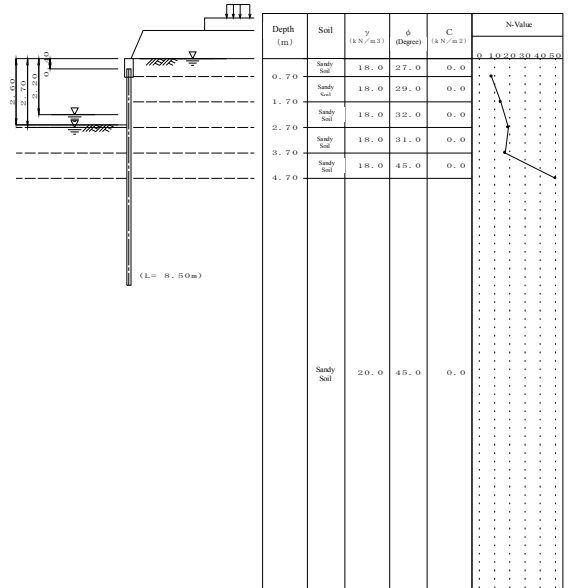
R_No. 34_pp.28

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 35_STA 14+100 - 14+200



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H₀ = 0.00 m
 Depth from coping top to SSP top H₀ = 0.40 m
 Landside WL L_{wp} = 0.00 m (Normal Condition)
 Riverside WL L_{wp} = 2.70 m (Normal Condition)
 L_{wp} = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.35_pp.1

R_No.35_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load Pt = 3.3 kN/m (Normal Condition)
 Pt' = 9.1 kN/m (Seismic Condition)
 Depth of acting point Ht = -0.52 m (Normal Condition)
 Ht' = -0.25 m (Seismic Condition)
 Moment Mn = 0.0 kN·m/m (Normal Condition)
 Mn' = 3.6 kN·m/m (Seismic Condition)
 Depth of acting point Hm = 0.00 m (Seismic Condition)
 Hm = 0.80 m (Normal Condition)
 ('Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula K_s = 6910 × N^{0.406}

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.70	8			
2	1.70	14			
3	2.70	19			
4	3.70	17			
5	4.70	50			
6	20.00	50			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

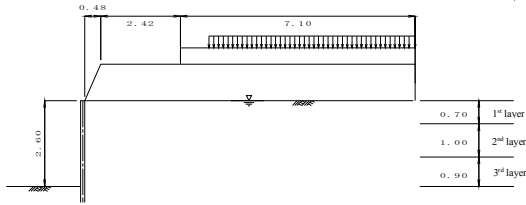
No	Depth (m)	Soil	N-value	γ (kN/m ³)	γ' (kN/m ³)	ϕ	C (kN/m ²)	a	k'	ζ (degree)		kh(kN/m ³)	
										normal	seismic	normal	seismic
1	0.70	S	8.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
2	1.70	S	14.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	—	—
3	2.70	S	19.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	—	—
4	3.70	S	17.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	—	—
5	4.70	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—
6	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed (M)
 N-value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C₀ : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (underwater)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.48	10.00	10.00	1.11	18.0	30.0	0.0	auto	auto
2	Sandy soil	2.90	2.90	10.00	10.00	0.49	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

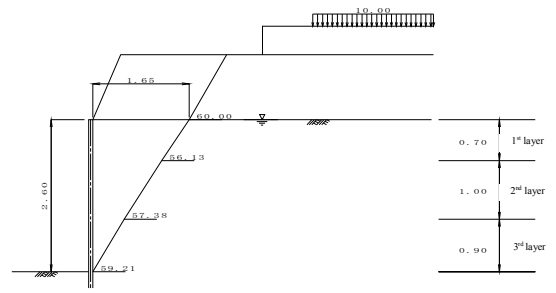
No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	3.76	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

- Young's modulus E = 200000 N/mm²
- Inertia sectional moment I₀ = 32400 cm⁴
- Sectional factor Z₀ = 1800 cm³
- Corrosion margin t₁ = 1.00 mm (riverside) t₂ = 1.00 mm (landside)
- Corrosion rate (to I₀) η = 0.85
- Corrosion rate (to Z₀) η = 0.85
- Section efficiency (to I₀) μ = 0.80
- Section efficiency (to Z₀) μ = 1.00
- Round unit of SSP length 0.50 m
- Allowable stress σ_a = 180 N/mm (Normal) σ_a' = 270 N/mm (Seismic)
- Allowable displacement δ_a = 50.0 mm (Normal) δ_a' = 75.0 mm (Seismic)
- Bending of cantilever beam calculated as distributed load of each layer
- Reduction of material modulus Reduced: I₀ applied to calculation of lateral coefficient of subgrade reaction
Not reduced: I₀ applied to calculation of penetration depth
Reduced: I₀ applied to calculation of section forces and displacement
Reduced: Z₀ applied to calculation of stresses

2 Calculation of Acting Load
2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{hw} (kN/m ²)	Angle of rupture Z (degree)
1	2.60~1.70	Sandy Soil	32.0	9.0	0.0	26.00	20.96	25.48	59.21
2	1.70~0.70	Sandy Soil	29.0	9.0	0.0	17.00	20.96	16.66	57.38
3	0.70~0.00	Sandy Soil	27.0	9.0	0.0	7.00	20.96	6.86	56.13
4		Embankment	30.0	—	0.0	28.80	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	59.21	0.90	0.00	0.00	0.54	0.90
2	57.38	1.00	0.54	0.90	1.18	1.90
3	56.13	0.70	1.18	1.90	1.65	2.60
4	60.00	1.11	1.65	2.60	2.29	3.71

Therefore, width of acting load shall be set as 1.65 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	1.92	34.50
Σ			34.50

- γ : unit weight of embankment soil
- A : sectional area of embankment enclosed by line of active rupture

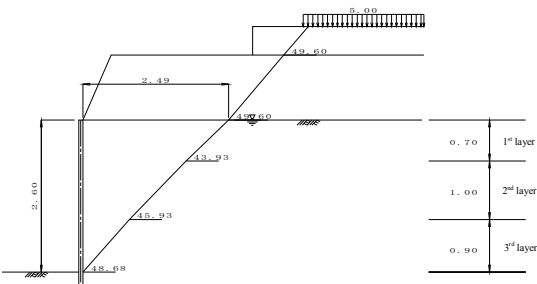
2-1-4 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times 1) + \Sigma P}{L}$$

$$= \frac{34.50 + 0.00 + 0.00}{1.65}$$

$$= 20.96 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{hw} (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60~1.70	Sandy Soil	32.0	9.0	0.0	26.00	24.64	25.48	0.200	11.31	48.68
2	1.70~0.70	Sandy Soil	29.0	9.0	0.0	17.00	24.64	16.66	0.200	11.31	45.93
3	0.70~0.00	Sandy Soil	27.0	9.0	0.0	7.00	24.64	6.86	0.200	11.31	43.93
4		Embankment	30.0	—	0.0	28.80	5.00	0.00	0.200	11.31	49.60
5		Embankment	30.0	—	0.0	8.82	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	48.68	0.90	0.00	0.00	0.79	0.90
2	45.93	1.00	0.79	0.90	1.76	1.90
3	43.93	0.70	1.76	1.90	2.49	2.60
4	49.60	1.11	2.49	2.60	3.43	3.71
5	49.60	0.49	3.43	3.71	3.85	4.20

Therefore, width of acting load shall be set as 2.49 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	3.02	54.31
2	18.0	0.36	6.52
Σ			60.83

- γ : unit weight of embankment soil
- A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	0.09	0.44
Σ			0.44

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

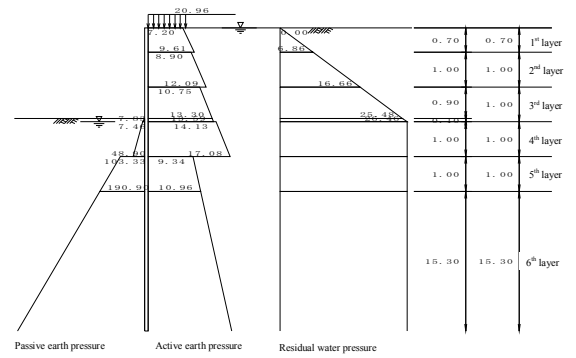
$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{60.83 + 0.44 + 0.00}{2.49}$$

$$= 24.64 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Qa (kN/m ²)	Ka	Ka × cosδ
1 0.00~0.70	Sandy soil	10.0	27.0	---	20.956 27.956	0.34800 0.34800	0.34371 0.34371
2 0.70~1.70	Sandy soil	10.0	29.0	---	27.956 37.956	0.32248 0.32248	0.31851 0.31851
3 1.70~2.60	Sandy soil	10.0	32.0	---	37.956 46.956	0.28683 0.28683	0.28330 0.28330
4 2.60~2.70	Sandy soil	10.0	32.0	---	46.956 47.956	0.28683 0.28683	0.28330 0.28330
5 2.70~3.70	Sandy soil	10.0	31.0	---	47.956 57.956	0.29838 0.29838	0.29471 0.29471
6 3.70~4.70	Sandy soil	10.0	45.0	---	57.956 67.956	0.16323 0.16323	0.16122 0.16122
7 4.70~20.00	Sandy soil	10.0	45.0	---	67.956 220.956	0.16323 0.16323	0.16122 0.16122

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;
δ = 9.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Op (kN/m ²)	Kp	Kp × cosδ
4 2.60~2.70	Sandy soil	18.0	32.0	---	0.000 11.800	4.40199 4.40199	4.34780 4.34780
5 2.70~3.70	Sandy soil	10.0	31.0	---	1.800 11.800	4.19615 4.19615	4.14448 4.14448
6 3.70~4.70	Sandy soil	10.0	45.0	---	11.800 21.800	8.86593 8.86593	8.75678 8.75678
7 4.70~20.00	Sandy soil	10.0	45.0	---	21.800 174.800	8.86593 8.86593	8.75678 8.75678

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;
δ = -9.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure	Passive side
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)	Pw (kN/m ²)	Pp (kN/m ²)
1 0.00~0.70	7.20 9.61	---	7.20 9.61	0.00 6.86	---
2 0.70~1.70	8.90 12.09	---	8.90 12.09	6.86 16.66	---
3 1.70~2.60	10.75 13.30	---	10.75 13.30	16.66 25.48	---
4 2.60~2.70	13.30 13.59	---	13.30 13.59	25.48 26.46	0.00 7.83
5 2.70~3.70	14.13 17.08	---	14.13 17.08	26.46 26.46	7.46 48.90
6 3.70~4.70	9.34 10.96	---	9.34 10.96	26.46 26.46	103.33 190.90
7 4.70~20.00	10.96 35.62	---	10.96 35.62	26.46 26.46	190.90 1530.68

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
Kc: Equilibrium coefficient of compression: 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

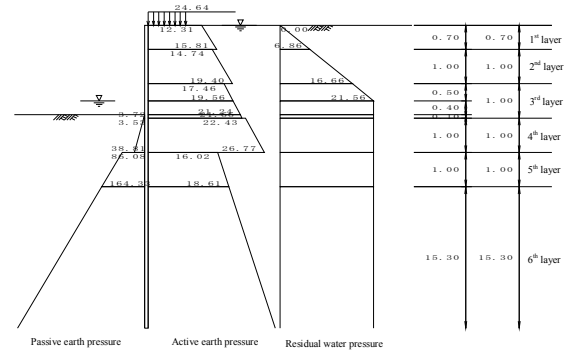
Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Q (kN/m ²)	γwh (kN/m ²)	k (k)	θ (degree)	Ka	Ka × cosδ	θ (degree)
1 0.00~0.70	Sandy Soil	10.0	27.0	---	24.65 31.65	0.00 6.86	0.200 0.200	11.31 11.31	0.50574 0.50574	0.49951 0.49951	---
2 0.70~1.70	Sandy Soil	10.0	29.0	---	31.65 41.65	6.86 16.66	0.200 0.200	11.31 11.31	0.47163 0.47163	0.46582 0.46582	---
3 1.70~2.20	Sandy Soil	10.0	32.0	---	41.65 46.65	16.66 21.56	0.200 0.200	11.31 11.31	0.42457 0.42457	0.41935 0.41935	---
4 2.20~2.60	Sandy Soil	10.0	32.0	---	46.65 50.65	21.56 25.48	0.200 0.200	11.31 11.31	0.42457 0.42457	0.41935 0.41935	---
5 2.60~2.70	Sandy Soil	10.0	32.0	---	50.65 51.65	25.48 26.46	0.200 0.200	11.31 11.31	0.42457 0.42457	0.41935 0.41935	---
6 2.70~3.70	Sandy Soil	10.0	31.0	---	51.65 61.65	26.46 36.26	0.200 0.200	11.31 11.31	0.43976 0.43976	0.43434 0.43434	---
7 3.70~4.70	Sandy Soil	10.0	45.0	---	61.65 71.65	36.26 46.06	0.200 0.200	11.31 11.31	0.26304 0.26304	0.25980 0.25980	---
8 4.70~20.00	Sandy Soil	10.0	45.0	---	71.65 224.65	46.06 196.00	0.200 0.200	11.31 11.31	0.26304 0.26304	0.25980 0.25980	---

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;
δ = 9.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below;

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

No	Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_p$ (kN/m ²)	γ_{wb} (kN/m ³)	k (k)	θ (degree)	Kp	Kp $\times \cos \delta$
5	2.60~2.70	Sandy soil	10.00	32.0	---	0.000 1.000	0.98 0.200	0.200 11.31	11.31	3.76368	3.71734
6	2.70~3.70	Sandy soil	10.00	31.0	---	1.000 11.000	0.98 10.78	0.200 0.200	11.31	3.57258	3.52859
7	3.70~4.70	Sandy soil	10.00	45.0	---	11.000 21.000	10.78 20.58	0.200 0.200	11.31	7.92269	7.82515
8	4.70~20.00	Sandy soil	10.00	45.0	---	21.000 174.000	20.58 170.52	0.200 0.200	11.31	7.92269	7.82515

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below;
 $\delta = -9.00, \beta = 0.00, \theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure Pw (kN/m ²)	Passive side Pp (kN/m ²)
		Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1	0.00~0.70	12.31 15.81	---	12.31 15.81	0.00 6.86	---
2	0.70~1.70	14.74 19.40	---	14.74 19.40	6.86 16.66	---
3	1.70~2.20	17.46 19.56	---	17.46 19.56	16.66 21.56	---
4	2.20~2.60	19.56 21.24	---	19.56 21.24	21.56 21.56	---
5	2.60~2.70	21.24 21.66	---	21.24 21.66	21.56 21.56	0.00 3.72
6	2.70~3.70	22.43 26.77	---	22.43 26.77	21.56 21.56	3.53 38.81
7	3.70~4.70	16.02 18.61	---	16.02 18.61	21.56 21.56	86.08 164.33
8	4.70~20.00	18.61 58.36	---	18.61 58.36	21.56 21.56	164.33 1361.58

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

R_No.35_pp.13

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P_{dw} (kN/m ²)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

$$P_{dw} = \pm \frac{7}{8} k_{bw} \cdot \gamma_w \cdot \sqrt{H} \cdot y$$

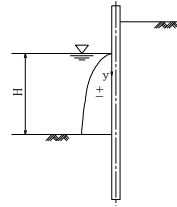
Where,

k_{bw} : design seismic coefficient

γ_w : unit weight of water

H: water depth of riverside

y: depth from water surface to the point where active water pressure is calculated

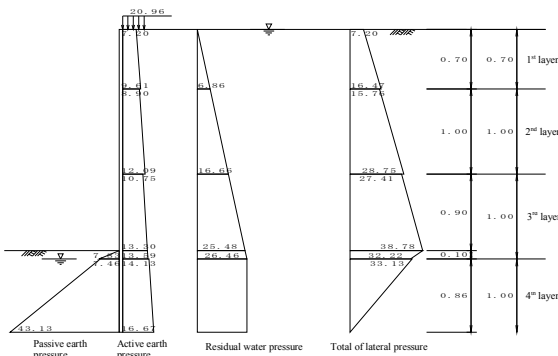


R_No.35_pp.14

4 Imaginary Riverbed

Imaginary ground level Lx is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

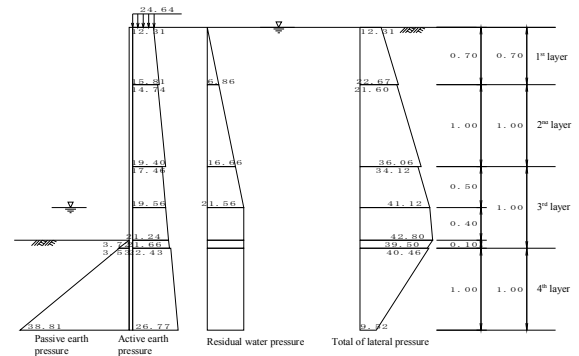


Depth (m)	Pa (kN/m ²)	Pw (kN/m ²)	Pp (kN/m ²)	Ps (kN/m ²)
1	0.00~0.70	7.20 9.61	0.00 6.86	7.20 16.47
2	0.70~1.70	8.90 12.09	6.86 16.66	15.76 28.75
3	1.70~2.60	10.75 13.30	16.66 25.48	27.41 38.78
4	2.60~2.70	13.30 13.59	25.48 26.46	38.78 32.22
5	2.70~3.56	14.13 16.67	26.46 26.46	7.46 43.13
6	3.56~3.70	16.67 17.08	26.46 26.46	43.13 48.90

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed Lx: 0.96 m (GL -3.56 m)

4-2 Seismic Condition



Depth (m)	Pa (kN/m ²)	Pw (kN/m ²)	Pp (kN/m ²)	Ps (kN/m ²)
1	0.00~0.70	12.31 15.81	0.00 6.86	12.31 22.67
2	0.70~1.70	14.74 19.40	6.86 16.66	21.60 36.06
3	1.70~2.20	17.46 19.56	16.66 21.56	34.12 41.12
4	2.20~2.60	19.56 21.24	21.56 21.56	41.12 42.80
5	2.60~2.70	21.24 21.66	21.56 21.56	0.00 3.72
6	2.70~3.70	22.43 26.77	21.56 21.56	42.80 38.81
7	3.70~4.70	16.02 18.61	21.56 21.56	-48.50 164.33

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed Lx: 1.10 m (GL -3.70 m)

4th layer

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below;

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width	B = 1.0000 m
Corrosion margin	t ₁ = 1.00 mm (active side) t ₂ = 1.00 mm (passive side)
Corrosion rate	η = 0.85
Section efficiency	μ = 0.80
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 32400 cm ⁴ (original condition)
	I = 22032 cm ⁴ (after reduction by corrosion and joint)
Inertia sectional moment	EI = 200000 x 10 ³ x 22032 x 10 ⁻⁸ = 4.406 x 10 ⁴

	Depth (m)	N-value
1	0.70	8
2	1.70	14
3	2.70	19
4	3.70	17
5	4.70	50
6	20.00	50

5-2 Normal Condition

K_b = 29765 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$= 0.641 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 1.56 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.56 m) to 1.56 m depth (GL -5.12 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	3.56	0.14	17.0	2.39
2	3.70	1.00	50.0	33.50
3	4.70	0.42	50.0	21.03

L = Σh = 1.56 ΣA = 56.92

A: (upper N-value + lower N-value) × h/2

$$\begin{aligned} \text{Average N-value } N' &= \frac{\Sigma A}{L} \\ &= \frac{56.92}{1.56} \\ &= 36.49 \end{aligned}$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:
 K_b = 6910 × N'^{0.496} = 6910 × 36.49^{0.496} = 29765 kN/m³
 K_h (normal condition) = 29765 kN/m³

5-3 Seismic Condition

K_b = 30689 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.646 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 1.55 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.70 m) and 1.55 m depth (GL -5.25 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1	3.70	1.00	50.0	33.50
2	4.70	0.55	50.0	27.40

L = Σh = 1.55 ΣA = 60.90

A: (upper N-value + lower N-value) × h/2

$$\begin{aligned} \text{Average N-value } N' &= \frac{\Sigma A}{L} \\ &= \frac{60.90}{1.55} \\ &= 39.34 \end{aligned}$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:
 K_b = 6910 × N'^{0.496} = 6910 × 39.34^{0.496} = 30689 kN/m³
 K_h (seismic condition) = 30689 kN/m³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Elevation h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P _s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~0.70	7.20 16.47	2.52 5.76	3.33 3.09	8.39 17.83
2	0.70~1.70	15.76 28.75	7.88 14.37	2.53 2.19	19.92 31.54
3	1.70~2.60	27.41 38.78	12.34 17.45	1.56 1.26	19.25 22.00
4	2.60~2.70	38.78 32.22	1.94 1.61	0.93 0.89	1.80 1.44
5	2.70~3.56	33.13 0.00	14.26 0.00	0.57 0.29	8.18 0.00

ΣP = 78.14 ΣM = 130.35

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load P_s x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P_l = 3.3 kN/m
 depth to acting position H_l = -0.52 m
 moment M_l = 0.0 kN·m/m
 depth to acting position H_m = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of Imaginary riverbed from riverbed L_k = 0.96 m

Moment M_l by arbitrary load is as below
 M_l = P_l × (H + L_k - H_l) + M_l = 13.47 kN·m
 h₀, Height of acting position of P₀ from imaginary riverbed

$$\begin{aligned} h_0 &= \frac{M_0}{P_0} = \frac{\Sigma M + M_l}{\Sigma P + P_l} \\ &= \frac{143.82}{81.44} = 1.77 \text{ m} \end{aligned}$$

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load P _s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~0.70	12.31 22.67	4.31 7.93	3.47 3.23	14.94 25.65
2	0.70~1.70	21.60 36.06	10.80 18.03	2.67 2.33	28.80 42.07
3	1.70~2.20	34.12 41.12	8.53 10.28	1.83 1.67	15.64 17.13
4	2.20~2.60	41.12 42.80	8.22 8.56	1.37 1.23	11.24 10.56
5	2.60~2.70	42.80 39.50	2.14 1.97	1.07 1.03	2.28 2.04
6	2.70~3.70	40.46 9.52	20.23 4.76	0.67 0.33	13.49 1.59

ΣP = 105.77 ΣM = 185.43

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load P_s x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P_l = 9.1 kN/m
 depth to acting position H_l = -0.25 m
 moment M_l = 3.6 kN·m/m
 depth to acting position H_m = 0.80 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of Imaginary riverbed from riverbed L_k = 1.10 m

Moment M_l by arbitrary load is as below
 M_l = P_l × (H + L_k - H_l) + M_l = 39.55 kN·m

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _{dw} (kN/m ²)	Load P _{dw} (kN)	Arm length Y (m)	Moment M _{dw} (kN·m)
1	2.20~2.60	0.40	0.0 0.7	0.00 0.14	1.37 1.23	0.00 0.17

ΣP_{dw} = 0.14 ΣM_{dw} = 0.17

h₀, Height of acting position of P₀ from imaginary riverbed

$$\begin{aligned} h_0 &= \frac{M_0}{P_0} = \frac{\Sigma M + M_l + \Sigma M_{dw}}{\Sigma P + P_l + \Sigma P_{dw}} \\ &= \frac{225.14}{115.01} = 1.96 \text{ m} \end{aligned}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width	B = 1.0000 m
Corrosion margin	t ₁ = 1.00 mm (active side) t ₂ = 1.00 mm (passive side)
Corrosion rate	η = 0.85
Section efficiency	μ = 0.80
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 32400 cm ⁴ (original condition) I = 22032 cm ⁴ (after reduction by corrosion and section)
EI = 200000 × 10 ³ × 22032 × 10 ⁻⁸	= 4.406 × 10 ⁴

$$\beta = \sqrt[4]{\frac{K_s \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)+1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$l_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction	K _s = 29765 kN/m ³
calculated value	β = 0.64105 m ⁻¹
resultant earth force (lateral)	P ₀ = 81.44 kN/m
height of acting position of load moment	h ₀ = 1.77 m M ₀ = 143.82 kN·m/m

in consideration of ψ_m = 1.120, maximum moment
 depth of generated position of M_{max} l_m = 161.09 kN·m/m
 depth of 1st fixed point l_i = 1.689 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction	K _s = 30689 kN/m ³
calculated value	β = 0.64597 m ⁻¹
resultant earth force (lateral)	P ₀ = 115.01 kN/m
height of acting position of load moment	h ₀ = 1.96 m M ₀ = 225.14 kN·m/m

in consideration of ψ_m = 1.100, maximum moment
 depth of generated position of M_{max} l_m = 247.75 kN·m/m
 depth of 1st fixed point l_i = 1.643 m

R_No.35_pp.21

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin	t ₁ = 1.00 mm (active side) t ₂ = 1.00 mm (passive side)
Corrosion rate	η = 0.85
Section efficiency	μ = 1.00
Module of section	Z ₀ = 1800 cm ³ (original condition) Z = 1530 cm ³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{161.09 \times 10^6}{1530 \times 10^3} = 105 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2 \text{ (ok)}$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{247.75 \times 10^6}{1530 \times 10^3} = 162 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2 \text{ (ok)}$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~0.70	3.33	0.934	0.301	2.52	0.758
		3.09	0.869	0.268	5.76	1.546
2	0.70~1.70	2.53	0.710	0.192	7.88	1.516
		2.19	0.616	0.151	14.37	2.168
3	1.70~2.60	1.56	0.438	0.082	12.34	1.012
		1.26	0.354	0.055	17.45	0.965
4	2.60~2.70	0.93	0.260	0.031	1.94	0.060
		0.89	0.251	0.029	1.61	0.047
5	2.70~3.56	0.57	0.161	0.012	14.26	0.175
		0.29	0.081	0.003	0.00	0.000
ΣQ = 8.246						

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_s}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : ζ × P

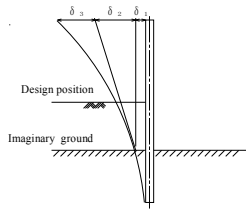
P : Lateral force

H : Depth to design position

L_s : Depth from design position to imaginary ground

R_No.35_pp.22

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.6411 \times 1.77) \times 81.44}{2 \times 2.00 \times 10^8 \times 22032 \times 10^{-8} \times 0.6411^3} = 0.00748 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_s)$$

$$= \frac{(1+2 \times 0.6411 \times 1.77) \times 81.44}{2 \times 2.00 \times 10^8 \times 22032 \times 10^{-8} \times 0.6411^2} \times (2.60+0.96) = 0.02614 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_s)^3}{E I}$$

$$= \frac{8.25 \times (2.60+0.96)^3}{2.00 \times 10^8 \times 22032 \times 10^{-8}} = 0.00845 \text{ m}$$

Additional displacement δ₃' generated by horizontal load (P) and moment (M) acting at top of SSP considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ₃' is calculated as 0.00137 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.56 m
 Horizontal load: P = 3.30
 Moment: M = 1.72

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00748 + 0.02614 + 0.00982$$

$$= 0.04344 \text{ m}$$

$$= 43.44 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where,

- Displacement at imaginary ground
- Displacement by angle of inclination slope at imaginary ground
- Displacement at higher part of imaginary ground as cantilever
- Displacement at top of SSP
- Allowable displacement

R_No.35_pp.23

6-4-2 Seismic Condition

Modules of deformation

No	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~0.70	3.47	0.937	0.302	4.31	1.301
		3.23	0.874	0.271	7.93	2.147
2	0.70~1.70	2.67	0.721	0.197	10.80	2.131
		2.33	0.631	0.157	18.03	2.832
3	1.70~2.20	1.83	0.496	0.102	8.53	0.874
		1.67	0.450	0.086	10.28	0.886
4	2.20~2.60	1.37	0.369	0.060	8.22	0.492
		1.23	0.333	0.049	8.56	0.423
5	2.60~2.70	1.07	0.288	0.038	2.14	0.080
		1.03	0.279	0.035	1.97	0.070
6	2.70~3.70	0.67	0.180	0.015	20.23	0.309
		0.33	0.090	0.004	4.76	0.019
ΣQ = 11.563						

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_s}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : ζ × P

P : Lateral force

H : Depth to design position

L_s : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

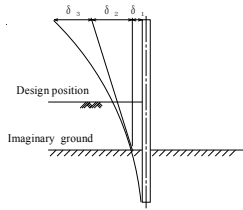
No	Depth (m)	Y (m)	α	ζ	P _{sw} (kN)	Q _{sw} (kN)
1	2.20~2.60	1.37	0.369	0.060	0.00	0.000
		1.23	0.333	0.049	0.14	0.007
ΣQ _{sw} = 0.007						

Therefore, modulus of deformation Q is calculated as below:

$$Q = 11.563 + 0.007 = 11.570$$

R_No.35_pp.24

Displacement



$$\delta_1 = \frac{(1 + \beta \cdot h) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.6460 \times 1.96) \times 115.01}{2 \times 2.00 \times 10^8 \times 22032 \times 10^{-8} \times 0.6460^3} = 0.01096 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta \cdot h) \times P_0}{2 E I \beta^2} \times (H + L_1)$$

$$= \frac{(1 + 2 \times 0.6460 \times 1.96) \times 115.01}{2 \times 2.00 \times 10^8 \times 22032 \times 10^{-8} \times 0.6460^2} \times (2.60 + 1.10) = 0.04084 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^2}{E I}$$

$$= \frac{11.57 \times (2.60 + 1.10)^2}{2.00 \times 10^8 \times 22032 \times 10^{-8}} = 0.01330 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00384 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.70 m
 Horizontal load: P = 9.10
 Moment: M = 2.28

Displacement δ_{3m} of cantilever beam by moment M_a is additionally considered.

$$\delta_{3m} = \frac{M_a \cdot h}{2 E I} \times (2 L - h) \quad (L = 3.70 \text{ m}, h = L - H_a, H_a = 0.80 \text{ m}, \text{ただし})$$

$$= \frac{3.60 \times 2.90}{2 \times 2.00 \times 10^8 \times 22032 \times 10^{-8}} \times (2 \times 3.70 - 2.90) = 0.00053 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01096 + 0.04084 + 0.01767$$

$$= 0.06947 \text{ m}$$

$$= 69.47 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where,

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ_3' : Displacement at top of SSP
- δ_a : Allowable displacement

R_No.35_pp.25

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below:

Unit width	B	=	1.0000 m
Corrosion rate	η	=	1.00
Section efficiency	μ	=	1.00
Young's modulus	E	=	200000 N/mm ²
Inertia sectional moment	I_0	=	32400 cm ⁴ (original condition)
	I	=	32400 cm ⁴ (after reduction by corrosion and section)
	EI	=	200000 x 10 ³ x 32400 x 10 ⁻⁸ = 6.480 x 10 ⁷

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_a , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_a + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = 4 \sqrt{\frac{K_a \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction
 Calculated value

$$K_a = 29765 \text{ kN/m}^3$$

$$\beta = 0.58213 \text{ m}^{-1}$$

Penetration length of SSP
 Whole length of SSP

$$D = 0.96 + \frac{3}{0.582} = 6.11 \text{ m}$$

$$L = 2.60 - 0.40 + 6.11 = 8.31 \text{ m}$$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction
 Calculated value

$$K_a = 30689 \text{ kN/m}^3$$

$$\beta = 0.58659 \text{ m}^{-1}$$

Penetration length of SSP
 Whole length of SSP

$$D = 1.10 + \frac{3}{0.587} = 6.21 \text{ m}$$

$$L = 2.60 - 0.40 + 6.21 = 8.41 \text{ m}$$

Therefore, whole length of SSP is set as 8.50 m in consideration of round unit of SSP length.

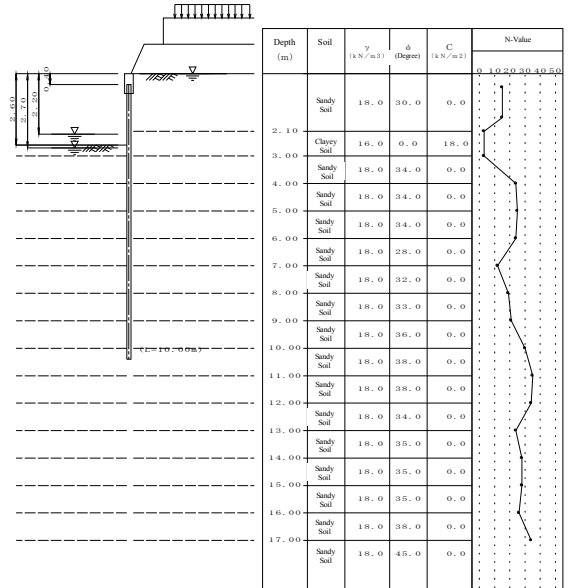
R_No.35_pp.26

8 Calculation Result

		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	32400	
Section modulus	Z (cm ³)	1800	
Maximum bending moment	M_{max} (kN·m/m)	161.09	247.75
Stress intensity	σ (N/mm ²)	105 (180)	162 (270)
Lateral displacement	δ (mm)	43.44 (50.0)	69.47 (75.0)
Penetration depth	D (m)	6.11	6.21
Whole length of SSP	L (m)	8.50	

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log



— Steel Sheet Pile Design Calculation —

Right Bank No. 36_STA 14+200 - 14+300

1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_g = 0.40 m
 Depth from coping top to SSP top H_s = 0.40 m
 Landside WL L_{wp} = 0.00 m (Normal Condition)
 Riverside WL L_{wp} = 2.70 m (Normal Condition)
 L_{wp}' = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.36_pp.1

R_No.36_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition
 Design earthquake intensity k = 0.200
 Dynamic water pressure due to earthquake considered as distributed load
 Arbitrary load Horizontal load Pt = 3.2 kN/m (Normal Condition)
 Pt' = 8.9 kN/m (Seismic Condition)
 Depth of acting point Ht = -0.50 m (Normal Condition)
 Ht' = -0.23 m (Seismic Condition)
 Moment Mm = 0.0 kN·m/m (Normal Condition)
 Mm' = 3.2 kN·m/m (Seismic Condition)
 Depth of acting point Hm = 0.00 m (Seismic Condition)
 Hm = 0.80 m (Normal Condition)
 ('Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula K_s = 6910 × N'^{0.466}

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.50	15	11	10.00	30
2	1.60	15	12	11.00	35
3	2.10	3	13	12.00	34
4	3.00	3	14	13.00	24
5	4.00	24	15	14.00	28
6	5.00	25	16	15.00	28
7	6.00	24	17	16.00	26
8	7.00	12	18	17.00	34
9	8.00	19	19	18.00	50
10	9.00	21			

R_No.36_pp.3

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

No	Depth (m)	Soil	N-value	γ (kN/m ³)	γ' (kN/m ³)	ϕ	C (kN/m ²)	a	k'	ζ (degree)		kh(kN/m ³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	3.00	C	3.0	16.00	8.00	0.0	18.0	0.0	0.200	auto	auto	—	—
3	4.00	S	24.0	18.00	10.00	34.0	0.0	0.0	0.200	auto	auto	—	—
4	5.00	S	25.0	18.00	10.00	34.0	0.0	0.0	0.200	auto	auto	—	—
5	6.00	S	24.0	18.00	10.00	34.0	0.0	0.0	0.200	auto	auto	—	—
6	7.00	S	12.0	18.00	10.00	28.0	0.0	0.0	0.200	auto	auto	—	—
7	8.00	S	19.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	—	—
8	9.00	S	21.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
9	10.00	S	30.0	18.00	10.00	36.0	0.0	0.0	0.200	auto	auto	—	—
10	11.00	S	35.0	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	—	—
11	12.00	S	34.0	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	—	—
12	13.00	S	24.0	18.00	10.00	34.0	0.0	0.0	0.200	auto	auto	—	—
13	14.00	S	28.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	—	—
14	15.00	S	28.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	—	—
15	16.00	S	26.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	—	—
16	17.00	S	34.0	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	—	—
17	18.00	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

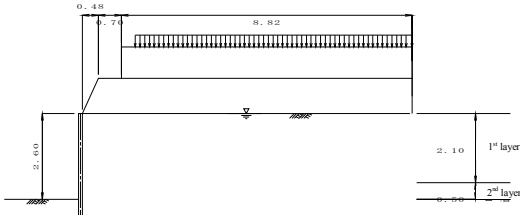
Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed (M)
 N-value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C_o : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (underwater)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

R_No.36_pp.4

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle φ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.48	10.00	10.00	1.07	18.0	30.0	0.0	auto	auto
2	Sandy soil	1.18	1.18	10.00	10.00	0.96	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

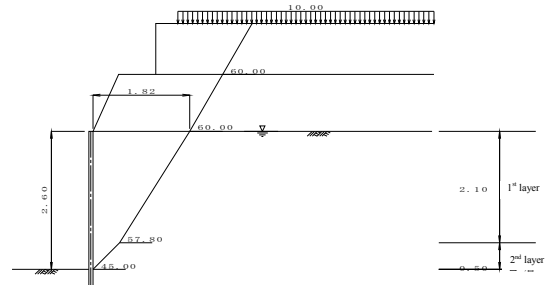
No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	1.60	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

- Young's modulus E = 20000 N/mm²
- Inertia sectional moment I₀ = 63000 cm⁴
- Sectional factor Z₀ = 3150 cm³
- Corrosion margin t₁ = 1.00 mm (riverside) t₂ = 1.00 mm (landside)
- Corrosion rate (to I₀) η = 0.91
- Corrosion rate (to Z₀) η = 0.91
- Section efficiency (to I₀) μ = 0.80
- Section efficiency (to Z₀) μ = 1.00
- Round unit of SSP length 0.50 m
- Allowable stress σ_n = 180 N/mm (Normal) σ_s = 270 N/mm (Seismic)
- Allowable displacement δ_n = 50.0 mm (Normal) δ_s = 75.0 mm (Seismic)
- Bending of cantilever beam calculated as distributed load of each layer
- Reduction of material modulus Reduced: I₀ applied to calculation of lateral coefficient of subgrade reaction Not reduced: I₀ applied to calculation of penetration depth Reduced: I₀ applied to calculation of section forces and displacement Reduced: Z₀ applied to calculation of stresses

2 Calculation of Acting Load
2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m ²)	Σγh (kN/m ²)	Q (kN/m ²)	γwh (kN/m ²)	Angle of rupture Z (degree)
1	2.60~2.10	Clayey Soil	0.0	10.0	18.0	25.00	42.22	25.48	45.00
2	2.10~0.00	Sandy Soil	30.0	10.0	0.0	21.00	42.22	20.58	57.80
3		Embankment	30.0	—	0.0	36.54	10.00	0.00	60.00
4		Embankment	30.0	—	0.0	17.28	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since θ = 0°

Where,

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree) θ = tan⁻¹k or θ = tan⁻¹k'
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.50	0.00	0.00	0.50	0.50
2	57.80	2.10	0.50	0.50	1.82	2.60
3	60.00	1.07	1.82	2.60	2.44	3.67
4	60.00	0.96	2.44	3.67	2.99	4.63

Therefore, width of acting load shall be set as 1.82 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	γ X A (kN/m)
1	18.0	2.02	36.43
2	18.0	1.48	26.56
Σ			62.99

- γ : unit weight of embankment soil
- A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.39	13.94
Σ			13.94

- Q : surcharge load
- l : width of surcharge load set by line of active rupture

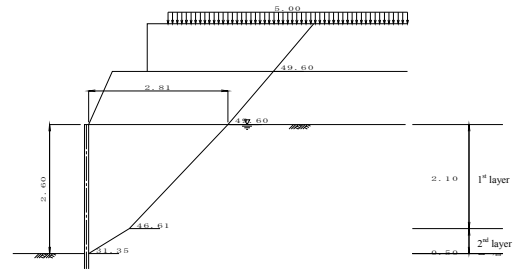
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\sum (\gamma \times A) + \sum (Q \times l) + \sum P}{L}$$

$$= \frac{62.99 + 13.94 + 0.00}{1.82}$$

$$= 42.22 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m ²)	Σγh (kN/m ²)	Q (kN/m ²)	γwh (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60~2.10	Clayey Soil	0.0	10.0	18.0	25.00	44.10	25.48	0.200	11.31	31.35
2	2.10~0.00	Sandy Soil	30.0	10.0	0.0	21.00	44.10	20.58	0.200	11.31	46.61
3		Embankment	30.0	—	0.0	36.54	5.00	0.00	0.200	11.31	49.60
4		Embankment	30.0	—	0.0	17.28	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where,

- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
- φ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree) θ = tan⁻¹k or θ = tan⁻¹k'
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

- Formula for active earth pressure

Sandy soil Pa1=Ka * [Σγh + Q / cos(β)] * cosδ
Clayey soil Pa1=Σγh+Q-2C
Pa2=Ka * (Σγh+Q)
Ka: Equilibrium coefficient of compression: 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)
Mixed soil Pa1=[Ka(Σγh+Q)-2C√Ka] * cosδ

- Formula for passive earth pressure

Sandy soil Pa2=Ka * [Σγh + Q / cos(β)] * cosδ
Clayey soil Pa2=Σγh+Q+2C
Mixed soil Pa2=[Ka(Σγh+Q)+2C√Ka] * cosδ

3-2 Seismic Condition

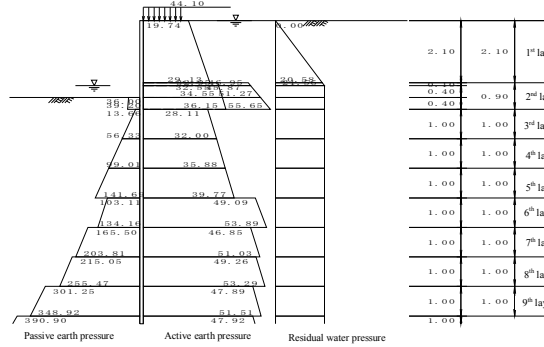


Table with 12 columns: Depth (m), Soil, γ (kN/m³), φ (degree), C (kN/m²), Σh+Q (kN/m²), γwhw (kN/m²), k (k), θ (degree), Ka, Ka*cosδ, θ (degree). Rows 7-18.

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below; δ = 10.00, β = 0.00, θ = 0.00

Ka = cos²(φ - θ) / (cosθ * cos(δ + θ) * [1 + √(sin(φ + δ) * sin(φ - β - θ) / (cos(δ + θ) * cos(-β))]²)

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below;

ζ = tan⁻¹(√(1 - Σγh+2Q / 2C) * tanθ

3-2-1 Soil Modulus of Active Side

Table with 12 columns: Depth (m), Soil, γ (kN/m³), φ (degree), C (kN/m²), Σh+Q (kN/m²), γwhw (kN/m²), k (k), θ (degree), Ka, Ka*cosδ, θ (degree). Rows 1-6.

R_No.36_pp.13

3-2-2 Soil Modulus of Passive Side

Table with 13 columns: Depth (m), Soil, γ (kN/m³), φ (degree), C (kN/m²), Σh+Op (kN/m²), γwhw (kN/m²), k (k), θ (degree), Kp, Kp*cosδ. Rows 4-8.

R_No.36_pp.14

Table with 12 columns: Depth (m), Soil, γ (kN/m³), φ (degree), C (kN/m²), Σh+Op (kN/m²), γwhw (kN/m²), k (k), θ (degree), Kp, Kp*cosδ. Rows 9-19.

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below; δ = -10.00, β = 0.00, θ = tan⁻¹k

Kp = cos²(φ - θ) / (cosθ * cos(δ - θ) * [1 - √(sin(φ - δ) * sin(φ + β - θ) / (cos(δ - θ) * cos(-β))]²)

3-2-3 Lateral Pressure

Table with 5 columns: No, Depth (m), Active side (Pa1, Pa2, Pa), Residual water pressure (Pw), Passive side (Pp). Rows 1-8.

R_No.36_pp.15

Table with 7 columns: No, Depth (m), Active side (Pa1, Pa2, Pa), Residual water pressure (Pw), Passive side (Pp). Rows 9-19.

- Formula for active earth pressure

Sandy soil Pa1=Ka * [Σγh + Q / cos(β)] * cosδ
Clayey soil Pa1=Σγh+Q-2C
Pa2=Ka * (Σγh+Q)
Ka: Equilibrium coefficient of compression: 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)
Mixed soil Pa1=[Ka(Σγh+Q)-2C√Ka] * cosδ

- Formula for passive earth pressure

Sandy soil Pa2=Ka * [Σγh + Q / cos(β)] * cosδ
Clayey soil Pa2=Σγh+Q+2C
Mixed soil Pa2=[Ka(Σγh+Q)+2C√Ka] * cosδ

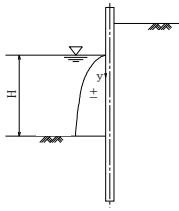
3-2-4 Dynamic Water Pressure due to Earthquake

Table with 4 columns: No, Depth Z (m), WL y (m), Pdw (kN/m²). Rows 1-2.

$$p_{da} = \pm \frac{7}{8} k_{bc} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

Where,

- k_{bc} : design seismic coefficient
- γ_w : unit weight of water
- H : water depth of riverside
- y : depth from water surface to the point where active water pressure is calculated

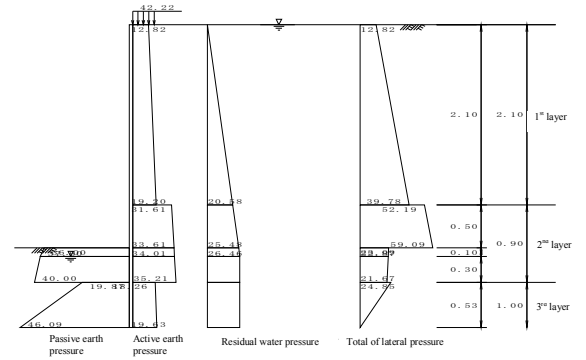


Passive earth pressure Active earth pressure Residual water pressure Total of lateral pressure

4 Imaginary Riverbed

Imaginary ground level L_x is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

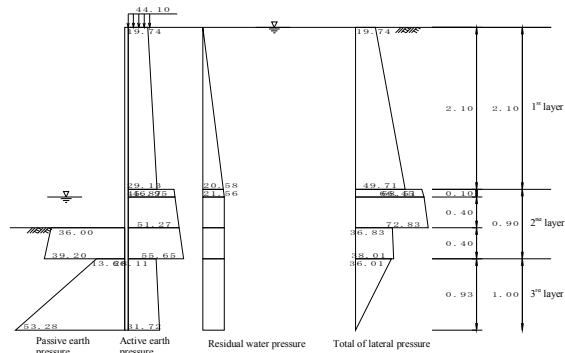


Depth (m)	Pa kN/m ²	Pw kN/m ²	Pp kN/m ²	Ps kN/m ²
1 0.00~2.10	12.82 19.20	0.00 20.58	— —	12.82 39.78
2 2.10~2.60	31.61 33.61	20.58 25.48	— —	52.19 59.09
3 2.60~2.70	33.61 34.01	25.48 26.46	36.00 37.60	23.09 22.87
4 2.70~3.00	34.01 35.21	26.46 26.46	37.60 40.00	22.87 21.67
5 3.00~3.53	18.26 19.63	26.46 26.46	19.87 46.09	24.85 0.00
6 3.53~4.00	19.63 20.85	26.46 26.46	46.09 69.55	0.00 -22.24

- P_a : Active earth pressure
- P_w : Residual water pressure
- P_p : Passive earth pressure
- P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed L_x : 0.93 m (GL -3.53 m)

4-2 Seismic Condition



Depth (m)	Pa kN/m ²	Pw kN/m ²	Pp kN/m ²	Ps kN/m ²
1 0.00~2.10	19.74 29.13	0.00 20.58	— —	19.74 49.71
2 2.10~2.20	45.87 46.95	20.58 21.56	— —	66.45 68.51
3 2.20~2.60	46.95 51.27	21.56 21.56	— —	68.51 72.83
4 2.60~3.00	51.27 55.65	21.56 21.56	36.00 39.20	36.83 38.01
5 3.00~3.93	28.11 31.72	21.56 21.56	13.66 53.28	36.01 0.00
6 3.93~4.00	31.72 32.00	21.56 21.56	53.28 56.33	0.00 -2.78

- P_a : Active earth pressure
- P_w : Residual water pressure
- P_p : Passive earth pressure
- P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed L_x : 1.33 m (GL -3.93 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/3 depth. The modulus are calculated by the formula below;

$$K_h = 6910 \times N^{0.896}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

- Unit width $B = 1.0000$ m
- Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
- Corrosion rate $\eta = 0.91$
- Section efficiency $\mu = 0.80$
- Young's modulus $E = 200000$ N/mm²
- Inertia sectional moment $I_0 = 63000$ cm⁴(original condition)
- $I = 45864$ cm⁴(after reduction by corrosion and joint)
- Inertia sectional moment $EI = 200000 \times 10^3 \times 45864 \times 10^{-8} = 9.173 \times 10^4$

Depth (m)	N-value	Depth (m)	N-value
1 0.50	15	11 10.00	30
2 1.60	15	12 11.00	35
3 2.10	3	13 12.00	34
4 3.00	3	14 13.00	24
5 4.00	24	15 14.00	28
6 5.00	25	16 15.00	28
7 6.00	24	17 16.00	26
8 7.00	12	18 17.00	34
9 8.00	19	19 18.00	50
10 9.00	21		

5-2 Normal Condition

$K_h = 24788$ kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.510 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 1.96 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.53 m) to 1.96 m depth (GL -5.49 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 3.53	0.47	14.1	24.0	8.99
2 4.00	1.00	24.0	25.0	24.50
3 5.00	0.49	25.0	24.5	12.11

$$L = \sum h = 1.96 \quad \Sigma A = 45.60$$

$$A: (\text{upper N-value} + \text{lower N-value}) \times h/2$$

$$\begin{aligned} \text{Average N-value } N' &= \frac{\sum A}{L} \\ &= \frac{45.60}{1.96} \\ &= 23.25 \end{aligned}$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:
 $K_h = 6910 \times N'^{0.406} = 6910 \times 23.25^{0.406} = 24788 \text{ kN/m}^3$
 Kh (normal condition) = 24788 kN/m³

5-3 Seismic Condition

$K_h = 25313 \text{ kN/m}^3$ is set tentatively.

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}} = 0.513 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 1.95 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.93 m) and 1.95 m depth (GL -5.88 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 3.93	0.07	22.5	24.0	1.66
2 4.00	1.00	24.0	25.0	24.50
3 5.00	0.88	25.0	24.1	21.60
L = Σh = 1.95		ΣA = 47.77		

A: (upper N-value + lower N-value) × h/2

$$\begin{aligned} \text{Average N-value } N' &= \frac{\sum A}{L} \\ &= \frac{47.77}{1.95} \\ &= 24.48 \end{aligned}$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:
 $K_h = 6910 \times N'^{0.406} = 6910 \times 24.48^{0.406} = 25313 \text{ kN/m}^3$
 Kh (seismic condition) = 25313 kN/m³

6-1-2 Seismic Condition

Depth Z (m)	Thickness h (m)	Lateral load Ps (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1 0.00~2.10	2.10	19.74 49.71	20.72 52.20	3.23 2.53	66.90 131.98
2 2.10~2.20	0.10	66.45 68.51	3.32 3.43	1.80 1.76	5.96 6.03
3 2.20~2.60	0.40	68.51 72.83	13.70 14.57	1.60 1.46	21.85 21.29
4 2.60~3.00	0.40	36.83 38.01	7.37 7.60	1.20 1.06	8.80 8.07
5 3.00~3.93	0.93	36.01 0.00	16.72 0.00	0.62 0.31	10.35 0.00
		ΣP = 139.62		ΣM = 281.24	

P_s : active earth pressure + residual water pressure - passive earth pressure
 P: load $P_s \times h/2 \times B$
 B: unit width = 1.000 m
 Y: height of acting position from imaginary riverbed
 M: moment by load $P \times Y$

Arbitrary load lateral load
 depth to acting position $H_i = -0.23 \text{ m}$
 moment $M_{i0} = 3.2 \text{ kN} \cdot \text{m/m}$
 depth to acting position $H_m = 0.80 \text{ m}$
 Height from riverbed to top of coping $H = 2.60 \text{ m}$
 Depth of Imaginary riverbed from riverbed $L_k = 1.33 \text{ m}$

Moment M_i by arbitrary load is as below
 $M_i = P_i \cdot (H + L_k - H_i) + M_{i0} = 40.21 \text{ kN} \cdot \text{m}$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{dw} (kN/m ²)	Load P_{dw} (kN)	Arm length Y (m)	Moment M_{dw} (kN·m)
1	2.20~2.60	0.40	0.0 0.7	0.00 0.14	1.60 1.46	0.00 0.20
			ΣP _{dw} = 0.14		ΣM _{dw} = 0.20	

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_i + \sum M_{dw}}{\sum P + P_i + \sum P_{dw}} = \frac{321.65}{148.66} = 2.16 \text{ m}$$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1 0.00~2.10	2.10	12.82 39.78	13.47 41.77	2.83 2.13	38.08 88.88
2 2.10~2.60	0.50	52.19 59.09	13.05 14.77	1.26 1.09	16.45 16.17
3 2.60~2.70	0.10	23.09 22.87	1.15 1.14	0.89 0.86	1.03 0.98
4 2.70~3.00	0.30	22.87 21.67	3.43 3.25	0.73 0.63	2.50 2.04
5 3.00~3.53	0.53	24.85 0.00	6.56 0.00	0.35 0.18	2.31 0.00
		ΣP = 98.59		ΣM = 168.44	

P_s : active earth pressure + residual water pressure - passive earth pressure
 P: load $P_s \times h/2 \times B$
 B: unit width = 1.000 m
 Y: height of acting position from imaginary riverbed
 M: moment by load $P \times Y$

Arbitrary load lateral load
 depth to acting position $H_i = -0.50 \text{ m}$
 moment $M_{i0} = 0.0 \text{ kN} \cdot \text{m/m}$
 depth to acting position $H_m = 0.00 \text{ m}$
 Height from riverbed to top of coping $H = 2.60 \text{ m}$
 Depth of Imaginary riverbed from riverbed $L_k = 0.93 \text{ m}$

Moment M_i by arbitrary load is as below
 $M_i = P_i \cdot (H + L_k - H_i) + M_{i0} = 12.89 \text{ kN} \cdot \text{m}$
 h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_i}{\sum P + P_i} = \frac{181.33}{101.79} = 1.78 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000 \text{ m}$
 Corrosion margin $t_c = 1.00 \text{ mm}$ (active side) $t_p = 1.00 \text{ mm}$ (passive side)
 Corrosion rate $\eta = 0.91$
 Section efficiency $\mu = 0.80$
 Young's modulus $E = 200000 \text{ N/mm}^2$
 Inertia sectional moment $I_0 = 63000 \text{ cm}^4$ (original condition)
 $I = 45864 \text{ cm}^4$ (after reduction by corrosion and section)
 $EI = 200000 \times 10^3 \times 45864 \times 10^{-8} = 9.173 \times 10^7$

$$\beta = 4 \sqrt{\frac{K_h \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$I_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$I_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction $K_h = 24788 \text{ kN/m}^3$
 calculated value $\beta = 0.50983 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 101.79 \text{ kN/m}$
 height of acting position of load $h_0 = 1.78 \text{ m}$
 moment $M_0 = 181.33 \text{ kN} \cdot \text{m/m}$
 in consideration of $\psi_{sm} = 1.170$,
 maximum moment $M_{max} = 212.11 \text{ kN} \cdot \text{m/m}$
 depth of generated position of M_{max} $I_m = 0.669 \text{ m}$
 depth of 1st fixed point $I_1 = 2.210 \text{ m}$

6-2-2 Seismic Condition

modulus of lateral subgrade reaction $K_h = 25313 \text{ kN/m}^3$
 calculated value $\beta = 0.51250 \text{ m}^{-1}$
 resultant earth force (lateral) $P_0 = 148.66 \text{ kN/m}$
 height of acting position of load $h_0 = 2.16 \text{ m}$
 moment $M_0 = 321.65 \text{ kN} \cdot \text{m/m}$
 in consideration of $\psi_{sm} = 1.124$,
 maximum moment $M_{max} = 361.57 \text{ kN} \cdot \text{m/m}$
 depth of generated position of M_{max} $I_m = 0.588 \text{ m}$
 depth of 1st fixed point $I_1 = 2.120 \text{ m}$

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin	t ₁ = 1.00 mm (active side)	t ₂ = 1.00 mm (passive side)
Corrosion rate	η = 0.91	
Section efficiency	μ = 1.00	
Module of section	Z ₀ = 3150 cm ³ (original condition)	
	Z = 2867 cm ³ (after reduction by corrosion and section)	

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{212.11 \times 10^6}{2867 \times 10^3} = 74 \text{ N/mm}^2 \leq \sigma_s = 180 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{361.57 \times 10^6}{2867 \times 10^3} = 126 \text{ N/mm}^2 \leq \sigma_s = 270 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1 0.00~2.10	2.83 2.13	0.802 0.603	0.235 0.145	13.47 41.77	3.170 6.071
2 2.10~2.60	1.26 1.09	0.357 0.310	0.056 0.043	13.05 14.77	0.734 0.637
3 2.60~2.70	0.89 0.86	0.254 0.244	0.029 0.027	1.15 1.14	0.034 0.031
4 2.70~3.00	0.73 0.63	0.206 0.178	0.020 0.015	3.43 3.25	0.068 0.048
5 3.00~3.53	0.35 0.18	0.100 0.050	0.005 0.001	6.56 0.00	0.032 0.000
ΣQ = 10.825					

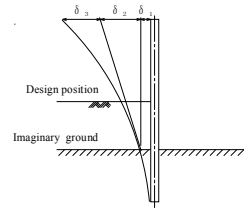
Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_s}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : ζ × P
P : Lateral force
H : Depth to design position
L_s : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.5098 \times 1.78) \times 101.79}{2 \times 2.00 \times 10^8 \times 45864 \times 10^{-8} \times 0.5098^3} = 0.00799 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_s)$$

$$= \frac{(1+2 \times 0.5098 \times 1.78) \times 101.79}{2 \times 2.00 \times 10^8 \times 45864 \times 10^{-8} \times 0.5098^2} \times (2.60+0.93) = 0.02121 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_s)^3}{E I}$$

$$= \frac{10.83 \times (2.60+0.93)^3}{2.00 \times 10^8 \times 45864 \times 10^{-8}} = 0.00518 \text{ m}$$

Additional displacement δ₃' generated by horizontal load (P) and moment (M) acting at top of SSP considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ₃' is calculated as 0.00062 m in consideration of following values:
Height from imaginary riverbed to top of SSP: L = 3.53 m
Horizontal load: P = 3.20
Moment: M = 1.60

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00799 + 0.02121 + 0.00580$$

$$= 0.03500 \text{ m}$$

$$= 35.00 \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where

- Displacement at imaginary ground
- Displacement by angle of inclination slope at imaginary ground
- Displacement at higher part of imaginary ground as cantilever
- Displacement at top of SSP
- Allowable displacement

6-4-2 Seismic Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1 0.00~2.10	3.23 2.53	0.822 0.644	0.245 0.163	20.72 52.20	5.081 8.492
2 2.10~2.20	1.80 1.76	0.457 0.448	0.089 0.086	3.32 3.43	0.294 0.293
3 2.20~2.60	1.60 1.46	0.406 0.372	0.071 0.061	13.70 14.57	0.977 0.883
4 2.60~3.00	1.20 1.06	0.304 0.270	0.042 0.033	7.37 7.60	0.306 0.253
5 3.00~3.93	0.62 0.31	0.158 0.079	0.012 0.003	16.72 0.00	0.197 0.000
ΣQ = 16.775					

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_s}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

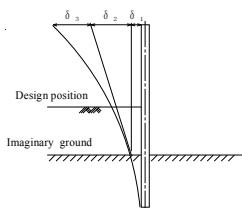
Q : ζ × P
P : Lateral force
H : Depth to design position
L_s : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _{sw} (kN)	Q _{sw} (kN)
1	2.20~2.60	1.60 1.46	0.406 0.372	0.071 0.061	0.00 0.14	0.000 0.008
ΣQ _{sw} = 0.008						

Therefore, modulus of deformation Q is calculated as below:
Q = 16.775 + 0.008 = 16.783

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1+0.5125 \times 2.16) \times 148.66}{2 \times 2.00 \times 10^8 \times 45864 \times 10^{-8} \times 0.5125^3} = 0.01269 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_s)$$

$$= \frac{(1+2 \times 0.5125 \times 2.16) \times 148.66}{2 \times 2.00 \times 10^8 \times 45864 \times 10^{-8} \times 0.5125^2} \times (2.60+1.33) = 0.03900 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_s)^3}{E I}$$

$$= \frac{16.78 \times (2.60+1.33)^3}{2.00 \times 10^8 \times 45864 \times 10^{-8}} = 0.01109 \text{ m}$$

Additional displacement δ₃' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ₃' is calculated as 0.00213 m in consideration of following values:
Height from imaginary riverbed to top of SSP: L = 3.93 m
Horizontal load: P = 8.90
Moment: M = 2.05

Displacement δ_{sw} of cantilever beam by moment M_m is additionally considered.

$$\delta_{sw} = \frac{M_m \cdot h}{2 E I} \times (2 L - h) \quad (L=3.93 \text{ m, } h=L-H_s, H_s=0.80 \text{ m, } \text{ただし})$$

$$= \frac{3.20 \times 3.13}{2 \times 2.00 \times 10^8 \times 45864 \times 10^{-8}} \times (2 \times 3.93 - 3.13) = 0.00026 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01269 + 0.03900 + 0.01348$$

$$= 0.06518 \text{ m}$$

$$= 65.18 \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where

- Displacement at imaginary ground
- Displacement by angle of inclination slope at imaginary ground
- Displacement at higher part of imaginary ground as cantilever
- Displacement at top of SSP
- Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below:

Unit width	B	=	1.0000 m
Corrosion rate	η	=	1.00
Section efficiency	μ	=	1.00
Young's modulus	E	=	200000 N/mm ²
Inertia sectional moment	I_0	=	63000 cm ⁴ (original condition)
	I	=	63000 cm ⁴ (after reduction by corrosion and section)
EI =	$200000 \times 10^3 \times 63000 \times 10^{-8}$	=	1.260×10^8

7-1 Penetration Depth and Whole Length of SSP (Chang)Based on the depth of imaginary riverbed as L_x , penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings:

$$D = L_x + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = 4\sqrt{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal ConditionModules of lateral subgrade reaction
Calculated value

$$K_b = 24788 \text{ kN/m}^3$$

$$\beta = 0.47093 \text{ m}^{-1}$$

Penetration length of SSP

$$D = 0.93 + \frac{3}{0.471} = 7.30 \text{ m}$$

Whole length of SSP

$$L = 2.60 - 0.40 + 7.30 = 9.50 \text{ m}$$

7-1-2 Seismic ConditionModules of lateral subgrade reaction
Calculated value

$$K_b = 25313 \text{ kN/m}^3$$

$$\beta = 0.47340 \text{ m}^{-1}$$

Penetration length of SSP

$$D = 1.33 + \frac{3}{0.473} = 7.67 \text{ m}$$

Whole length of SSP

$$L = 2.60 - 0.40 + 7.67 = 9.87 \text{ m}$$

Therefore, whole length of SSP is set as 10.00 m in consideration of round unit of SSP length.

8 Calculation Result

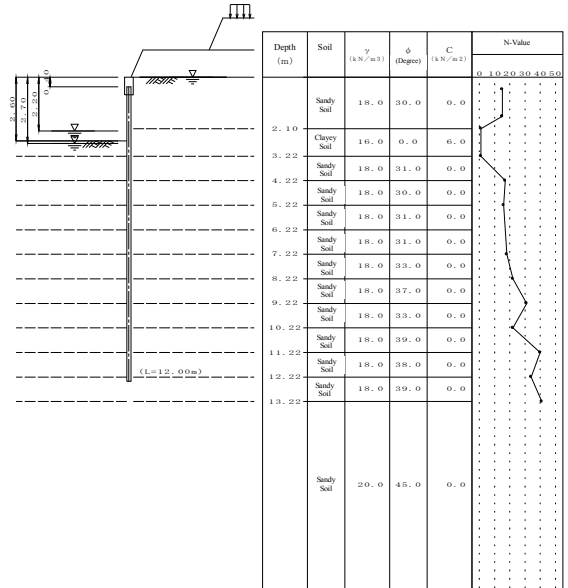
			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	63000		
Section modulus	Z (cm ³)	3150		
Maximum bending moment	M _{max} (kN·m/m)		212.11	361.57
Stress intensity	σ (N/mm ²)		74 (180)	126 (270)
Lateral displacement	δ (mm)		35.00 (50.0)	65.18 (75.0)
Penetration depth	D (m)		7.30	7.67
Whole length of SSP	L (m)	10.00		

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 37_STA_14+300 - 14+350



1-2 Dimensions of Structure

Depth from coping top to riverbed $H = 2.60$ m
 Depth from coping top to rear side ground $H_0 = 0.00$ m
 Depth from coping top to SSP top $H_0 = 0.40$ m
 Landside WL $L_{wp} = 0.00$ m (Normal Condition)
 $L_{wp} = 0.00$ m (Seismic Condition)
 Riverside WL $L_{wp} = 2.70$ m (Normal Condition)
 $L_{wp} = 2.20$ m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.37_pp.1

R_No.37_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8$ kN/m³
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load $P_t = 3.3$ kN/m (Normal Condition)
 $P_t' = 9.1$ kN/m (Seismic Condition)
 Depth of acting point $H_t = -0.52$ m (Normal Condition)
 $H_t' = -0.25$ m (Seismic Condition)
 Moment $M_m = 0.0$ kN·m/m (Normal Condition)
 $M_m' = 3.7$ kN·m/m (Seismic Condition)
 Depth of acting point $H_m = 0.00$ m (Seismic Condition)
 $H_m = 0.80$ m (Normal Condition)
 ('Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.406}$

Average N-value calculated from average N-value between imaginary riverbed and depth as $1/\beta$

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.50	15	11	11.22	40
2	1.60	15	12	12.22	34
3	2.10	1	13	13.22	41
4	3.22	1	14	20.00	50
5	4.22	17			
6	5.22	16			
7	7.22	18			
8	8.22	22			
9	9.22	31			
10	10.22	22			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

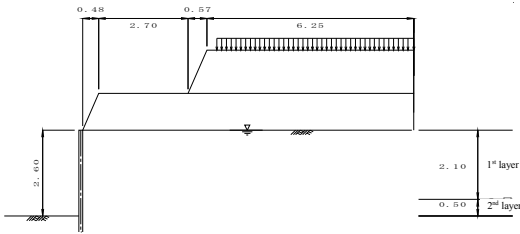
No	Depth (m)	Soil	N-value	γ	γ'	φ	C	a	k'	ζ (degree)		kh(kN/m ³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	3.22	C	1.0	16.00	8.00	0.0	6.0	0.0	0.200	auto	auto	—	—
3	4.22	S	17.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	—	—
4	5.22	S	16.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
5	6.22	S	18.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	—	—
6	7.22	S	18.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	—	—
7	8.22	S	22.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
8	9.22	S	31.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
9	10.22	S	22.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
10	11.22	S	40.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	—	—
11	12.22	S	34.0	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	—	—
12	13.22	S	41.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	—	—
13	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed (M)
 N-value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C_0 : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (underwater)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.48	10.00	10.00	1.11	18.0	30.0	0.0	auto	auto
2	Sandy soil	3.18	3.75	10.00	10.00	1.30	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	4.05	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus $E = 200000 \text{ N/mm}^2$
 Inertia sectional moment $I_0 = 114400 \text{ cm}^4$
 Sectional factor $Z_0 = 3250 \text{ cm}^3$

Corrosion margin $t_1 = 1.00 \text{ mm (riverside)}$ $t_2 = 1.00 \text{ mm (landside)}$

Corrosion rate (to I_0) $\eta = 0.84$
 Corrosion rate (to Z_0) $\eta = 0.87$
 Section efficiency (to I_0) $\mu = 1.00$
 Section efficiency (to Z_0) $\mu = 1.00$

Round unit of SSP length 0.50 m

Allowable stress $\sigma_a = 185 \text{ N/mm (Normal)}$
 $\sigma_a' = 278 \text{ N/mm (Seismic)}$

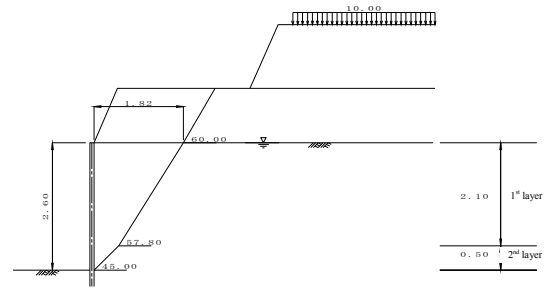
Allowable displacement $\delta_a = 50.0 \text{ mm (Normal)}$
 $\delta_a' = 75.0 \text{ mm (Seismic)}$

Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus
 Reduced: I_0 applied to calculation of lateral coefficient of subgrade reaction
 Not reduced: I_0 applied to calculation of penetration depth
 Reduced: I_0 applied to calculation of section forces and displacement
 Reduced: Z_0 applied to calculation of stresses

R_No.37_pp.5

2 Calculation of Acting Load
 2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wh} (kN/m ²)	Angle of rupture Z (degree)
1	2.60~2.10	Clayey Soil	0.0	10.0	6.0	25.00	20.86	25.48	45.00
2	2.10~0.00	Sandy Soil	30.0	10.0	0.0	21.00	20.86	20.58	57.80
3		Embankment	30.0	—	0.0	43.38	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

R_No.37_pp.6

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.50	0.00	0.00	0.50	0.50
2	57.80	2.10	0.50	0.50	1.82	2.60
3	60.00	1.11	1.82	2.60	2.46	3.71

Therefore, width of acting load shall be set as 1.82 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.11	38.02
Σ			38.02

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

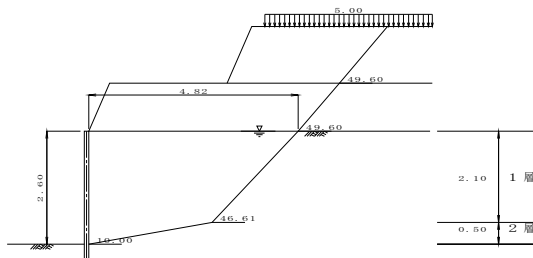
2-1-4 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times 1) + \Sigma P}{L}$$

$$= \frac{38.02 + 0.00 + 0.00}{1.82}$$

$$= 20.86 \text{ kN/m}^2$$

2-2 Earthquake Condition



R_No.37_pp.7

2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wh} (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60~2.10	Clayey Soil	0.0	10.0	6.0	25.00	37.72	25.48	0.200	11.31	10.00
2	2.10~0.00	Sandy Soil	30.0	10.0	0.0	21.00	37.72	20.58	0.200	11.31	46.61
3		Embankment	30.0	—	0.0	43.38	5.00	0.00	0.200	11.31	49.60
4		Embankment	30.0	—	0.0	23.40	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}}{\cos(\phi + \delta)}$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	10.00	0.50	0.00	0.00	2.84	0.50
2	46.61	2.10	2.84	0.50	4.82	2.60
3	49.60	1.11	4.82	2.60	5.77	3.71
4	49.60	1.30	5.77	3.71	6.87	5.01

Therefore, width of acting load shall be set as 4.82 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	5.61	100.96
2	18.0	3.71	66.78
Σ			167.74

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

R_No.37_pp.8

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q × l (kN/m)
1	5.0	2.82	14.11
Σ			14.11

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

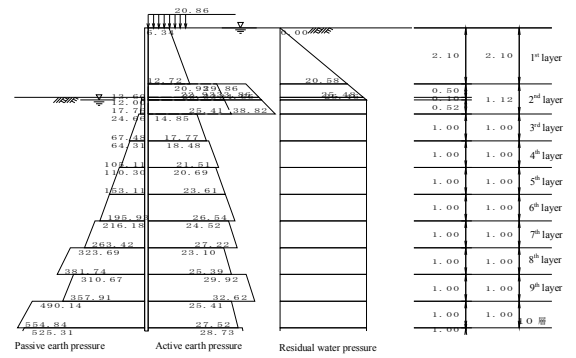
$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{167.74 + 14.11 + 0.00}{4.82}$$

$$= 37.72 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Qa (kN/m ²)	Ka	Ka × cosδ
1 0.00~2.10	Sandy soil	10.0	30.0	---	20.862 41.862	0.30847 0.30847	0.30378 0.30378
2 2.10~2.60	Clayey soil	8.0	---	6.0	41.862 45.862	---	---
3 2.60~2.70	Clayey soil	8.0	---	6.0	45.862 46.662	---	---
4 2.70~3.22	Clayey soil	8.0	---	6.0	46.662 50.822	---	---
5 3.22~4.22	Sandy soil	10.0	31.0	---	50.822 60.822	0.29669 0.29669	0.29219 0.29219
6 4.22~5.22	Sandy soil	10.0	30.0	---	60.822 70.822	0.30847 0.30847	0.30378 0.30378
7 5.22~6.22	Sandy soil	10.0	31.0	---	70.822 80.822	0.29669 0.29669	0.29219 0.29219
8 6.22~7.22	Sandy soil	10.0	31.0	---	80.822 90.822	0.29669 0.29669	0.29219 0.29219
9 7.22~8.22	Sandy soil	10.0	33.0	---	90.822 100.822	0.27412 0.27412	0.26996 0.26996
10 8.22~9.22	Sandy soil	10.0	37.0	---	100.822 110.822	0.23264 0.23264	0.22910 0.22910
11 9.22~10.22	Sandy soil	10.0	33.0	---	110.822 120.822	0.27412 0.27412	0.26996 0.26996
12 10.22~11.22	Sandy soil	10.0	39.0	---	120.822 130.822	0.21359 0.21359	0.21035 0.21035
13 11.22~12.22	Sandy soil	10.0	38.0	---	130.822 140.822	0.22298 0.22298	0.21959 0.21959

R_No.37_pp.9

R_No.37_pp.10

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Qa (kN/m ²)	Ka	Ka × cosδ
14 12.22~13.22	Sandy soil	10.0	39.0	---	140.822 150.822	0.21359 0.21359	0.21035 0.21035
15 13.22~20.00	Sandy soil	10.0	45.0	---	150.822 218.622	0.16262 0.16262	0.16015 0.16015

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;
δ = 10.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Qp (kN/m ²)	Kp	Kp × cosδ
3 2.60~2.70	Clayey soil	16.0	0.0	6.0	0.000 1.600	---	---
4 2.70~3.22	Clayey soil	8.0	0.0	6.0	1.600 5.760	---	---
5 3.22~4.22	Sandy soil	10.0	31.0	---	5.760 15.760	4.34774 4.34774	4.28169 4.28169
6 4.22~5.22	Sandy soil	10.0	30.0	---	15.760 25.760	4.14330 4.14330	4.08035 4.08035
7 5.22~6.22	Sandy soil	10.0	31.0	---	25.760 35.760	4.34774 4.34774	4.28169 4.28169
8 6.22~7.22	Sandy soil	10.0	31.0	---	35.760 45.760	4.34774 4.34774	4.28169 4.28169
9 7.22~8.22	Sandy soil	10.0	33.0	---	45.760 55.760	4.79713 4.79713	4.72425 4.72425
10 8.22~9.22	Sandy soil	10.0	37.0	---	55.760 65.760	5.89457 5.89457	5.80501 5.80501
11 9.22~10.22	Sandy soil	10.0	33.0	---	65.760 75.760	4.79713 4.79713	4.72425 4.72425
12 10.22~11.22	Sandy soil	10.0	39.0	---	75.760 85.760	6.56948 6.56948	6.46967 6.46967
13 11.22~12.22	Sandy soil	10.0	38.0	---	85.760 95.760	6.21981 6.21981	6.12532 6.12532
14 12.22~13.22	Sandy soil	10.0	39.0	---	95.760 105.760	6.56948 6.56948	6.46967 6.46967
15 13.22~20.00	Sandy soil	10.0	45.0	---	105.760 173.560	9.34548 9.34548	9.20351 9.20351

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;
δ = -10.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure Pw (kN/m ²)	Passive side Pp (kN/m ²)
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1 0.00~2.10	6.34 12.72	---	6.34 12.72	0.00 20.58	---
2 2.10~2.60	29.86 33.86	20.93 22.93	29.86 33.86	25.48 25.48	---
3 2.60~2.70	33.86 34.66	22.93 23.33	33.86 34.66	25.48 26.46	12.00 13.60
4 2.70~3.22	34.66 38.82	23.33 25.41	34.66 38.82	26.46 26.46	13.60 17.76
5 3.22~4.22	14.85 17.77	---	14.85 17.77	26.46 26.46	24.66 67.48
6 4.22~5.22	18.48 21.51	---	18.48 21.51	26.46 26.46	64.31 105.11
7 5.22~6.22	20.69 23.61	---	20.69 23.61	26.46 26.46	110.30 153.11
8 6.22~7.22	23.61 26.54	---	23.61 26.54	26.46 26.46	153.11 195.93
9 7.22~8.22	24.52 27.22	---	24.52 27.22	26.46 26.46	216.18 263.42
10 8.22~9.22	23.10 25.39	---	23.10 25.39	26.46 26.46	323.69 381.74
11 9.22~10.22	29.92 32.62	---	29.92 32.62	26.46 26.46	310.67 357.91
12 10.22~11.22	25.41 27.52	---	25.41 27.52	26.46 26.46	490.14 554.84
13 11.22~12.22	28.73 30.92	---	28.73 30.92	26.46 26.46	525.31 586.56
14 12.22~13.22	29.62 31.73	---	29.62 31.73	26.46 26.46	619.54 684.23
15 13.22~20.00	24.15 35.01	---	24.15 35.01	26.46 26.46	973.36 1597.36

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$

Ka: Equilibrium coefficient of compression: 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

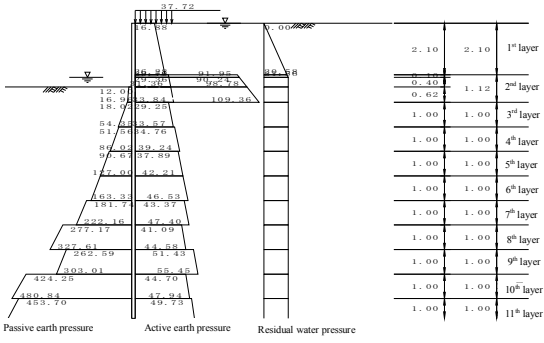
- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q$ (kN/m ²)	γ_{wh} (kN/m ³)	k (k)	θ (degree)	Ka	$K_a \times \cos \theta$	θ (degree)
1 0.00~2.10	Sandy Soil	10.0	30.0	---	37.72	0.00	0.200	11.31	0.45442	0.44752	---
2 2.10~2.20	Clayey Soil	8.0	---	6.0	58.72	20.58	0.200	11.31	---	---	10.00
3 2.20~2.60	Clayey Soil	8.0	---	6.0	59.52	21.56	0.200	11.31	---	---	10.00
4 2.60~3.22	Clayey Soil	8.0	---	6.0	62.72	25.48	0.200	11.31	---	---	10.00
5 3.22~4.22	Sandy Soil	10.0	31.0	---	67.68	31.56	0.200	11.31	0.43879	0.43213	---
6 4.22~5.22	Sandy Soil	10.0	30.0	---	77.68	41.36	0.200	11.31	0.45442	0.44752	---
7 5.22~6.22	Sandy Soil	10.0	31.0	---	87.68	51.16	0.200	11.31	0.43879	0.43213	---
8 6.22~7.22	Sandy Soil	10.0	31.0	---	97.68	60.96	0.200	11.31	0.43879	0.43213	---
9 7.22~8.22	Sandy Soil	10.0	33.0	---	107.68	70.76	0.200	11.31	0.40899	0.40278	---
10 8.22~9.22	Sandy Soil	10.0	37.0	---	117.68	80.56	0.200	11.31	0.35458	0.34919	---
11 9.22~10.22	Sandy Soil	10.0	33.0	---	127.68	90.36	0.200	11.31	0.40899	0.40278	---
12 10.22~11.22	Sandy Soil	10.0	39.0	---	137.68	100.16	0.200	11.31	0.32966	0.32465	---
13 11.22~12.22	Sandy Soil	10.0	38.0	---	147.68	109.96	0.200	11.31	0.34194	0.33674	---
14 12.22~13.22	Sandy Soil	10.0	39.0	---	157.68	119.76	0.200	11.31	0.32966	0.32465	---
15 13.22~20.00	Sandy Soil	10.0	45.0	---	167.68	129.56	0.200	11.31	0.26273	0.25874	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below;

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below;

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_p$ (kN/m ²)	γ_{wh} (kN/m ³)	k (k)	θ (degree)	Kp	$K_p \times \cos \theta$
4 2.60~3.22	Clayey soil	8.00	0.0	6.0	4.960	0.00	0.200	11.31	---	---
5 3.22~4.22	Sandy soil	10.00	31.0	---	14.960	6.08	0.200	11.31	3.68877	3.63273
6 4.22~5.22	Sandy soil	10.00	30.0	---	24.960	15.88	0.200	11.31	3.49953	3.44637
7 5.22~6.22	Sandy soil	10.00	31.0	---	34.960	25.68	0.200	11.31	3.68877	3.63273
8 6.22~7.22	Sandy soil	10.00	31.0	---	44.960	35.48	0.200	11.31	3.68877	3.63273
9 7.22~8.22	Sandy soil	10.00	33.0	---	54.960	45.28	0.200	11.31	4.10466	4.04230
10 8.22~9.22	Sandy soil	10.00	37.0	---	64.960	55.08	0.200	11.31	5.12098	5.04318
11 9.22~10.22	Sandy soil	10.00	33.0	---	74.960	64.88	0.200	11.31	4.10466	4.04230
12 10.22~11.22	Sandy soil	10.00	39.0	---	84.960	74.68	0.200	11.31	5.74696	5.69565
13 11.22~12.22	Sandy soil	10.00	38.0	---	94.960	84.48	0.200	11.31	5.42254	5.34016
14 12.22~13.22	Sandy soil	10.00	39.0	---	104.960	94.28	0.200	11.31	5.74696	5.69565
15 13.22~20.00	Sandy soil	10.00	45.0	---	114.960	104.08	0.200	11.31	8.33000	8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below;

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

$\delta = -10.00, \beta = 0.00, \theta = \tan^{-1} k$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure Pw (kN/m ²)	Passive side Pp (kN/m ²)
		Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1	0.00~2.10	16.88	---	16.88	0.00	---
2	2.10~2.20	90.24	29.36	90.24	20.58	---
3	2.20~2.60	91.95	29.76	91.95	21.56	---
4	2.60~3.22	98.78	31.36	98.78	21.56	12.00
5	3.22~4.22	29.25	---	29.25	21.56	18.02
6	4.22~5.22	34.76	---	34.76	21.56	51.36
7	5.22~6.22	37.89	---	37.89	21.56	90.67
8	6.22~7.22	42.21	---	42.21	21.56	127.00
9	7.22~8.22	43.37	---	43.37	21.56	181.74
10	8.22~9.22	41.09	---	41.09	21.56	277.17
11	9.22~10.22	51.43	---	51.43	21.56	262.59
12	10.22~11.22	44.70	---	44.70	21.56	424.25
13	11.22~12.22	49.73	---	49.73	21.56	507.10
14	12.22~13.22	51.19	---	51.19	21.56	537.44
15	13.22~20.00	43.38	---	43.38	21.56	861.03

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 $K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$
 $K_c = \frac{2C}{\Sigma \gamma h + Q}$ (Equilibrium coefficient of compression: 0.5)
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = \left[K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p} \right] \cdot \cos \delta$

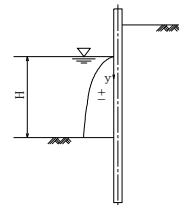
3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	p_{dw} (kN/m ²)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

$$p_{dw} = \pm \frac{7}{8} k_{dw} \cdot \gamma_w \cdot \sqrt{H} \cdot y$$

Where,

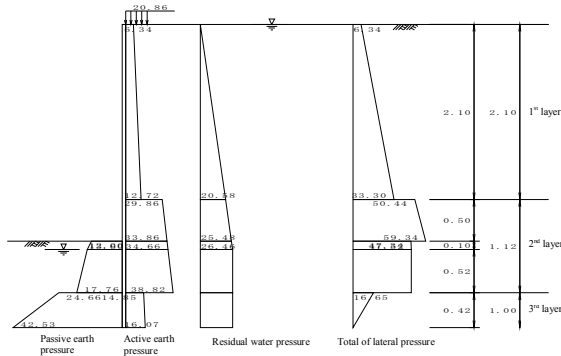
- k_{dw} : design seismic coefficient
- γ_w : unit weight of water
- H: water depth of river side
- y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L₁ is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

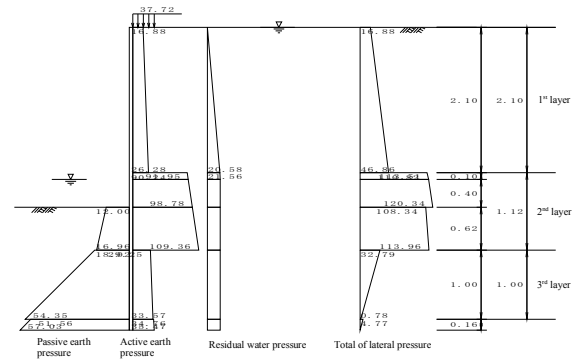


Depth (m)	P _a (kN/m ²)	P _w (kN/m ²)	P _p (kN/m ²)	P _s (kN/m ²)
1 0.00~2.10	6.34 12.72	0.00 20.58	—	6.34 33.30
2 2.10~2.60	29.86 33.86	20.58 25.48	—	50.44 59.34
3 2.60~2.70	33.86 34.66	25.48 26.46	12.00 13.60	47.34 47.52
4 2.70~3.22	34.66 38.82	26.46 26.46	13.60 17.76	47.52 47.52
5 3.22~3.64	14.85 16.07	26.46 26.46	24.66 42.53	16.65 0.00
6 3.64~4.22	16.07 17.77	26.46 26.46	42.53 67.48	0.00 -23.25

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L₁: 1.04 m (GL -3.64 m)

4-2 Seismic Condition



Depth (m)	P _a (kN/m ²)	P _w (kN/m ²)	P _p (kN/m ²)	P _s (kN/m ²)
1 0.00~2.10	16.88 26.28	0.00 20.58	—	16.88 46.86
2 2.10~2.20	90.24 91.95	20.58 21.56	—	110.82 113.51
3 2.20~2.60	91.95 98.78	21.56 21.56	—	113.51 120.34
4 2.60~3.22	98.78 109.36	21.56 21.56	12.00 16.96	108.34 113.96
5 3.22~4.22	29.25 33.57	21.56 21.56	18.02 54.35	32.79 0.78
6 4.22~4.38	34.76 35.47	21.56 21.56	51.56 57.03	4.77 0.00
7 4.38~5.22	35.47 39.24	21.56 21.56	57.03 86.02	0.00 -25.22

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L₁: 1.78 m (GL -4.38 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1β depth. The modulus are calculated by the formula below;

$$K_h = 6910 \times N^{0.896}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4EI}}$$

Unit width B = 1.0000 m
 Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.84
 Section efficiency μ = 1.00
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 114000 cm⁴(original condition)
 I = 95760 cm⁴(after reduction by corrosion and joint)
 Inertia sectional moment EI = 200000 × 10² × 95760 × 10⁻⁸ = 1.915 × 10⁷

Depth (m)	N-value	Depth (m)	N-value
1 0.50	15	11 11.22	40
2 1.60	15	12 12.22	34
3 2.10	1	13 13.22	41
4 3.22	1	14 20.00	50
5 4.22	17		
6 5.22	16		
7 7.22	18		
8 8.22	22		
9 9.22	31		
10 10.22	22		

5-2 Normal Condition

K_h = 21021 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4EI}} = 0.407 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.46 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.64 m) to 2.46 m depth (GL -6.09 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 3.64	0.58	7.7	17.0	7.19
2 4.22	1.00	17.0	16.0	16.50
3 5.22	0.87	16.0	16.9	14.37

L = Σh = 2.46 ΣA = 38.06
 A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{38.06}{2.46} = 15.49$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.896} = 6910 \times 15.49^{0.896} = 21021 \text{ kN/m}^3$$

Kh (normal condition) = 21021 kN/m³

5-3 Seismic Condition

K_h = 21655 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4EI}} = 0.410 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.44 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.38 m) and 2.44 m depth (GL -6.82 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 4.38	0.84	16.8	16.0	13.81
2 5.22	1.60	16.0	17.6	26.84

L = Σh = 2.44 ΣA = 40.65
 A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{40.65}{2.44} = 16.67$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.896} = 6910 \times 16.67^{0.896} = 21655 \text{ kN/m}^3$$

Kh (seismic condition) = 21655 kN/m³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Elevation h₀

6-1-1 Normal Condition

	Depth Z (m)	Thickness h (m)	Total of lateral force P _s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~2.10	2.10	6.34 33.30	6.65 34.96	2.94 2.24	19.55 78.22
2	2.10~2.60	0.50	50.44 59.34	12.61 14.84	1.37 1.20	17.28 17.86
3	2.60~2.70	0.10	47.34 47.52	2.37 2.38	1.00 0.97	2.38 2.31
4	2.70~3.22	0.52	47.52 47.52	12.36 12.36	0.76 0.59	9.44 7.30
5	3.22~3.64	0.42	16.65 0.00	3.47 0.00	0.28 0.14	0.97 0.00
			ΣP = 101.99	ΣM = 155.29		

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load P_s x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P_l = 3.3 kN/m
 depth to acting position H_l = -0.52 m
 moment M_m = 0.0 kN·m/m
 depth to acting position H_m = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of Imaginary riverbed from riverbed L_k = 1.04 m

Moment M_l by arbitrary load is as below

$$M_l = P_l \cdot (H + L_k - H_l) + M_m = 13.72 \text{ kN·m}$$

h₀, Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_l}{\Sigma P + P_l} = \frac{169.01}{105.29} = 1.61 \text{ m}$$

6-1-2 Seismic Condition

	Depth Z (m)	Thickness h (m)	Lateral load P _s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~2.10	2.10	16.88 46.86	17.72 49.20	3.68 2.98	65.21 146.57
2	2.10~2.20	0.10	110.82 113.51	5.54 5.68	2.25 2.21	12.44 12.56
3	2.20~2.60	0.40	113.51 120.34	22.70 24.07	2.05 1.91	46.44 46.02
4	2.60~3.22	0.62	108.34 113.96	33.58 35.33	1.57 1.57	52.80 48.24
5	3.22~4.22	1.00	32.79 0.78	16.39 0.39	0.83 0.49	13.53 0.19
6	4.22~4.38	0.16	4.77 0.00	0.38 0.00	0.11 0.05	0.04 0.00
			ΣP = 201.99	ΣM = 444.04		

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load P_s x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P_l = 9.1 kN/m
 depth to acting position H_l = -0.25 m
 moment M_m = 3.7 kN·m/m
 depth to acting position H_m = 0.80 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of Imaginary riverbed from riverbed L_k = 1.78 m

Moment M_l by arbitrary load is as below

$$M_l = P_l \cdot (H + L_k - H_l) + M_m = 45.82 \text{ kN·m}$$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _{sw} (kN/m ²)	Load P _{sw} (kN)	Arm length Y (m)	Moment M _{sw} (kN·m)
1	2.20~2.60	0.40	0.0 0.7	0.00 0.14	2.05 1.91	0.00 0.26
			ΣP _{sw} = 0.14	ΣM _{sw} = 0.26		

h₀, Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_l + \Sigma M_{sw}}{\Sigma P + P_l + \Sigma P_{sw}} = \frac{490.13}{220.22} = 2.23 \text{ m}$$

R_No.37_pp.21

R_No.37_pp.22

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width B = 1.0000 m
 Corrosion margin t_i = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.84
 Section efficiency μ = 1.00
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 114000 cm⁴ (original condition)
 I = 95760 cm⁴ (after reduction by corrosion and section)
 EI = 200000 × 10³ × 95760 × 10⁻⁸ = 1.915 × 10⁹

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$l_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction K_b = 21021 kN/m³
 calculated value β = 0.40700 m⁻¹
 resultant earth force (lateral) P₀ = 105.29 kN/m
 height of acting position of load moment h₀ = 1.61 m
 M₀ = 169.01 kN·m/m

in consideration of ψ_{max} = 1.278,
 maximum moment M_{max} = 216.01 kN·m/m
 depth of generated position of M_{max} l_m = 1.005 m
 depth of 1st fixed point l_i = 2.935 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction K_b = 21655 kN/m³
 calculated value β = 0.41004 m⁻¹
 resultant earth force (lateral) P₀ = 220.22 kN/m
 height of acting position of load moment h₀ = 2.23 m
 M₀ = 490.13 kN·m/m

in consideration of ψ_m = 1.169,
 maximum moment M_{max} = 572.71 kN·m/m
 depth of generated position of M_{max} l_m = 0.830 m
 depth of 1st fixed point l_i = 2.745 m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin t_i = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.87
 Section efficiency μ = 1.00
 Module of section Z₀ = 3250 cm³ (original condition)
 Z = 2828 cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{216.01 \times 10^6}{2828 \times 10^3} = 76 \text{ N/mm}^2 \leq \sigma_s = 185 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{572.71 \times 10^6}{2828 \times 10^3} = 203 \text{ N/mm}^2 \leq \sigma_s = 278 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

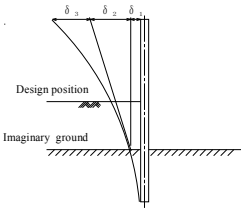
Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	2.94 2.24	0.808 0.615	0.238 0.150	6.65 34.96 5.258
2	2.10~2.60	1.37 1.20	0.377 0.331	0.062 0.049	12.61 14.84 0.783 0.723
3	2.60~2.70	1.00 0.97	0.276 0.267	0.035 0.032	2.37 2.38 0.082 0.077
4	2.70~3.22	0.76 0.59	0.210 0.162	0.021 0.012	12.36 12.36 0.253 0.154
5	3.22~3.64	0.28 0.14	0.076 0.038	0.003 0.001	3.47 0.00 0.010 0.000
					ΣQ = 8.926

Y : Height from imaginary riverbed to acting position
 $\alpha = \frac{Y}{H+L_k}$

$$\zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : ζ × P
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1 + \beta \cdot h_0) \times P_0}{2 E I \beta^3} = \frac{(1 + 0.4070 \times 1.61) \times 105.29}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.4070^3} = 0.00674 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta \cdot h_0) \times P_0}{2 E I \beta^2} \times (H + L_1) = \frac{(1 + 2 \times 0.4070 \times 1.61) \times 105.29}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.4070^2} \times (2.60 + 1.04) = 0.01392 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I} = \frac{8.93 \times (2.60 + 1.04)^3}{2.00 \times 10^8 \times 95760 \times 10^{-8}} = 0.00224 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00034 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.64 m
 Horizontal load: P = 3.30
 Moment: M = 1.72

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.00674 + 0.01392 + 0.00224 = 0.02290 \text{ m} = 22.90 \text{ mm} \approx 50.00 \text{ mm (ok)}$$

Where,
 Displacement at imaginary ground
 Displacement by angle of inclination slope at imaginary ground
 Displacement at higher part of imaginary ground as cantilever
 Displacement at top of SSP
 Allowable displacement

R_No.37_pp.25

$$\delta_1 = \frac{(1 + \beta \cdot h_0) \times P_0}{2 E I \beta^3} = \frac{(1 + 0.4100 \times 2.23) \times 220.22}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.4100^3} = 0.01595 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta \cdot h_0) \times P_0}{2 E I \beta^2} \times (H + L_1) = \frac{(1 + 2 \times 0.4100 \times 2.23) \times 220.22}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.4100^2} \times (2.60 + 1.78) = 0.04230 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I} = \frac{22.30 \times (2.60 + 1.78)^3}{2.00 \times 10^8 \times 95760 \times 10^{-8}} = 0.00978 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00144 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.38 m
 Horizontal load: P = 9.10
 Moment: M = 2.28

Displacement δ_{3a} of cantilever beam by moment M_a is additionally considered.

$$\delta_{3a} = \frac{M_a \cdot h}{2 E I} \times (2 L - h) \quad (L = 4.38 \text{ m, } h = L - H_a, H_a = 0.80 \text{ m, } \text{ただし})$$

$$= \frac{3.70 \times 3.58}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8}} \times (2 \times 4.38 - 3.58) = 0.00018 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.01595 + 0.04230 + 0.01140 = 0.06965 \text{ m} = 69.65 \text{ mm} \approx 75.00 \text{ mm (ok)}$$

Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ_3' : Displacement at top of SSP
 δ_{3a} : Allowable displacement

R_No.37_pp.27

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~	3.68	0.840	0.254	17.72	4.504
	2.10	2.98	0.680	0.179	49.20	8.803
2	2.10~	2.25	0.513	0.109	5.54	0.604
	2.20	2.21	0.505	0.106	5.68	0.602
3	2.20~	2.05	0.467	0.092	22.70	2.091
	2.60	1.91	0.437	0.081	35.33	1.539
4	2.60~	1.57	0.359	0.057	16.39	1.906
	3.22	1.37	0.312	0.044	0.39	0.002
5	3.22~	0.83	0.189	0.017	0.38	0.000
	4.22	0.49	0.112	0.006	0.00	0.000
6	4.22~	0.11	0.024	0.000	0.38	0.000
	4.38	0.05	0.012	0.000	0.00	0.000
ΣQ						22.286

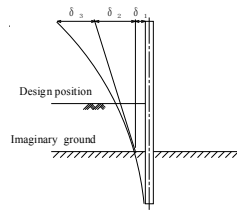
Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H + L_1}$
 $\zeta : \zeta = \frac{(3 - \alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_1 : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_{se} (kN)	Q_{se} (kN)
1	2.20~	2.05	0.467	0.092	0.00	0.000
	2.60	1.91	0.437	0.081	0.14	0.011
ΣQ_{se}						0.011

Therefore, modulus of deformation Q is calculated as below:
 $Q = 22.286 + 0.011 = 22.297$

Displacement



R_No.37_pp.26

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below:

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 114000 \text{ cm}^4$ (original condition)
	I = 114000 cm ⁴ (after reduction by corrosion and section)
EI	$= 200000 \times 10^3 \times 114000 \times 10^{-8} = 2.280 \times 10^7$

7-1 Penetration Depth and Whole Length of SSP (Change)

Based on the depth of imaginary riverbed as L_a , penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings:

$$D = L_a + \frac{3}{\beta}$$

$$L = H - H_{1a} + D$$

$$\beta = 4 \sqrt{\frac{K_a \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	$K_a = 21021 \text{ kN/m}^3$
Calculated value	$\beta = 0.38964 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.04 + \frac{3}{0.390} = 8.74 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 8.74 = 10.94 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	$K_a = 21655 \text{ kN/m}^3$
Calculated value	$\beta = 0.39255 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.78 + \frac{3}{0.393} = 9.42 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.42 = 11.62 \text{ m}$

Therefore, whole length of SSP is set as 12.00 m in consideration of round unit of SSP length.

R_No.37_pp.28

8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	114000		
Section modulus	Z (cm ³)	3250		
Maximum bending moment	M _{max} (kN·m/m)		216.01	572.71
Stress intensity	σ (N/mm ²)		76 (185)	203 (278)
Lateral displacement	δ (mm)		23.24 (50.0)	69.65 (75.0)
Penetration depth	D (m)		8.74	9.42
Whole length of SSP	L (m)	12.00		

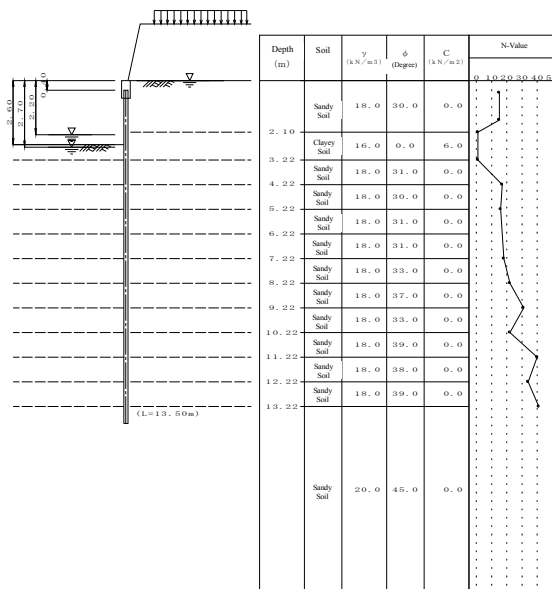
R_No.37_pp.29

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 38_STA 14+350 - 14+395



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_g = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Landside WL L_{wp} = 0.00 m (Normal Condition)
 Riverside WL L_{wp} = 2.70 m (Normal Condition)
 L_{wp}^s = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.38_pp.1

R_No.38_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition
 Design earthquake intensity k = 0.200
 Dynamic water pressure due to earthquake considered as distributed load
 Arbitrary load Horizontal load P_t = 6.5 kN/m (Normal Condition)
 P_t^s = 11.2 kN/m (Seismic Condition)
 Depth of acting point H_t = -0.45 m (Normal Condition)
 H_t^s = -0.30 m (Seismic Condition)
 Moment M_m = 3.0 kN·m/m (Normal Condition)
 M_m^s = 12.3 kN·m/m (Seismic Condition)
 Depth of acting point H_mⁿ = 0.00 m (Seismic Condition)
 H_m^s = 0.80 m (Normal Condition)
 ('Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula K_s = 6910 × N^{0.406}

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.50	15	11	11.22	40
2	1.60	15	12	12.22	34
3	2.10	1	13	13.22	41
4	3.22	1	14	20.00	50
5	4.22	17			
6	5.22	16			
7	7.22	18			
8	8.22	22			
9	9.22	31			
10	10.22	22			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

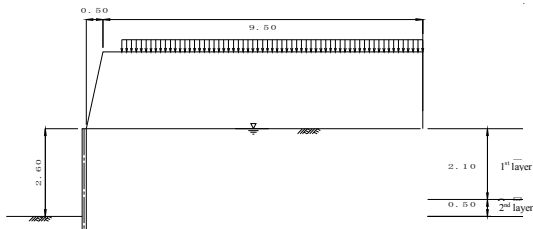
No	Depth (m)	Soil	N-value	γ	γ'	φ	C	a	k'	ζ (degree)		kh(kN/m³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----
2	3.22	C	1.0	16.00	8.00	0.0	6.0	0.0	0.200	auto	auto	-----	-----
3	4.22	S	17.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	-----	-----
4	5.22	S	16.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----
5	6.22	S	18.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	-----	-----
6	7.22	S	18.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	-----	-----
7	8.22	S	22.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	-----	-----
8	9.22	S	31.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	-----	-----
9	10.22	S	22.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	-----	-----
10	11.22	S	40.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	-----	-----
11	12.22	S	34.0	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	-----	-----
12	13.22	S	41.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	-----	-----
13	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	-----	-----

Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed (M)
 N-value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C₀ : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (underwater)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture Z	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.50	10.00	10.00	2.29	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	1.06	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

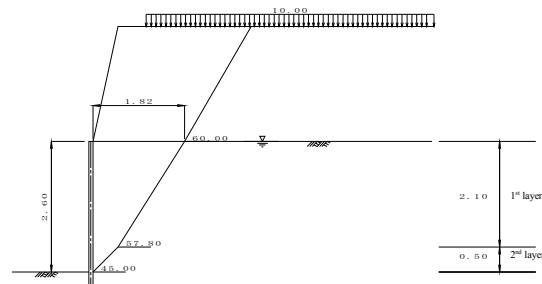
1-9 Steel Sheet Pile (SSP)

- Young's modulus E = 20000 N/mm²
- Inertia sectional moment I₀ = 212000 cm⁴
- Sectional factor Z₀ = 5560 cm³
- Corrosion margin t₁ = 1.00 mm (riverside) t₂ = 1.00 mm (landside)
- Corrosion rate (to I₀) η = 0.86
- Corrosion rate (to Z₀) η = 0.89
- Section efficiency (to I₀) μ = 1.00
- Section efficiency (to Z₀) μ = 1.00
- Round unit of SSP length 0.50 m
- Allowable stress σ_a = 185 N/mm (Normal)
 σ_a' = 278 N/mm (Seismic)
- Allowable displacement δ_a = 50.0 mm (Normal)
 δ_a' = 75.0 mm (Seismic)
- Bending of cantilever beam calculated as distributed load of each layer
- Reduction of material modulus Reduced: I₀ applied to calculation of lateral coefficient of subgrade reaction
Not reduced: I₀ applied to calculation of penetration depth
Reduced: I₀ applied to calculation of section forces and displacement
Reduced: Z₀ applied to calculation of stresses

R_No.38_pp.5

2 Calculation of Acting Load

2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma\gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wb} (kN/m ²)	Angle of rupture Z (degree)
1	2.60 ~ 2.10	Clayey Soil	0.0	10.0	6.0	25.00	61.96	25.48	45.00
2	2.10 ~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	61.96	20.58	57.80
3		Embankment	30.0	—	0.0	41.22	10.00	0.00	60.00

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1}k$ or $\theta = \tan^{-1}k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

R_No.38_pp.6

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.50	0.00	0.00	0.50	0.50
2	57.80	2.10	0.50	0.50	1.82	2.60
3	60.00	2.29	1.82	2.60	3.14	4.89

Therefore, width of acting load shall be set as 1.82 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	5.11	92.06
Σ			92.06

γ : unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	2.08	20.85
Σ			20.85

Q: surcharge load
l: width of surcharge load set by line of active rupture

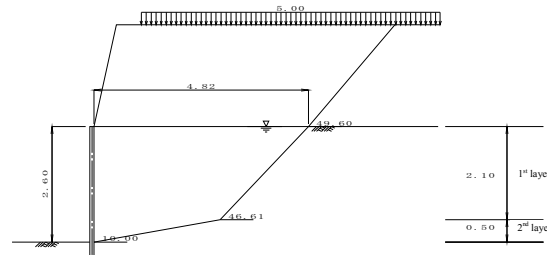
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{92.06 + 20.85 + 0.00}{1.82}$$

$$= 61.96 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma\gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wb} (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60 ~ 2.10	Clayey Soil	0.0	10.0	6.0	25.00	53.33	25.48	0.200	11.31	10.00
2	2.10 ~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	53.33	20.58	0.200	11.31	46.61
3		Embankment	30.0	—	0.0	41.22	5.00	0.00	0.200	11.31	49.60

Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1}k$ or $\theta = \tan^{-1}k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	10.00	0.50	0.00	0.00	2.84	0.50
2	46.61	2.10	2.84	0.50	4.82	2.60
3	49.60	2.29	4.82	2.60	6.77	4.89

Therefore, width of acting load shall be set as 4.82 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	12.70	228.58
Σ			228.58

γ : unit weight of embankment soil
A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q x l (kN/m)
1	5.0	5.71	28.55
Σ			28.55

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

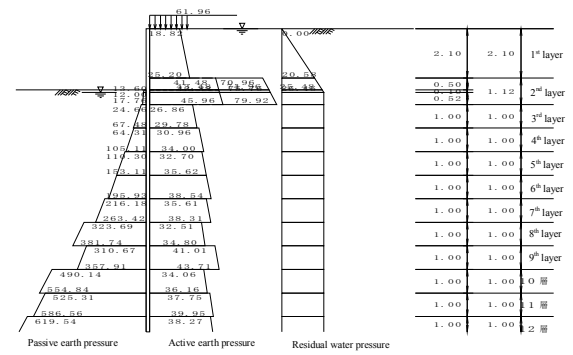
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{228.58 + 28.55 + 0.00}{4.82}$$

$$= 53.33 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C kN/m ²	$\Sigma(h+Q_a)$ (kN/m ²)	Ka	$Ka \times \cos\delta$
1 0.00~2.10	Sandy soil	10.0	30.0	—	61.956 82.956	0.30847 0.30847	0.30378 0.30378
2 2.10~2.60	Clayey soil	8.0	—	6.0	82.956 86.956	—	—
3 2.60~2.70	Clayey soil	8.0	—	6.0	86.956 87.756	—	—
4 2.70~3.22	Clayey soil	8.0	—	6.0	87.756 91.916	—	—
5 3.22~4.22	Sandy soil	10.0	31.0	—	91.916 101.916	0.29669 0.29669	0.29219 0.29219
6 4.22~5.22	Sandy soil	10.0	30.0	—	101.916 111.916	0.30847 0.30847	0.30378 0.30378
7 5.22~6.22	Sandy soil	10.0	31.0	—	111.916 121.916	0.29669 0.29669	0.29219 0.29219
8 6.22~7.22	Sandy soil	10.0	31.0	—	121.916 131.916	0.29669 0.29669	0.29219 0.29219
9 7.22~8.22	Sandy soil	10.0	33.0	—	131.916 141.916	0.27412 0.27412	0.26996 0.26996
10 8.22~9.22	Sandy soil	10.0	37.0	—	141.916 151.916	0.23264 0.23264	0.22910 0.22910
11 9.22~10.22	Sandy soil	10.0	33.0	—	151.916 161.916	0.27412 0.27412	0.26996 0.26996
12 10.22~11.22	Sandy soil	10.0	39.0	—	161.916 171.916	0.21359 0.21359	0.21035 0.21035
13 11.22~12.22	Sandy soil	10.0	38.0	—	171.916 181.916	0.22298 0.22298	0.21959 0.21959

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C kN/m ²	$\Sigma(h+Q_a)$ (kN/m ²)	Ka	$Ka \times \cos\delta$
14 12.22~13.22	Sandy soil	10.0	39.0	—	181.916 191.916	0.21359 0.21359	0.21035 0.21035
15 13.22~20.00	Sandy soil	10.0	45.0	—	191.916 259.716	0.16262 0.16262	0.16015 0.16015

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;

$$\delta = 10.00, \beta = 0.00, \theta = 0.00$$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C kN/m ²	$\Sigma(h+Q_p)$ (kN/m ²)	Kp	$Kp \times \cos\delta$
3 2.60~2.70	Clayey soil	16.0	0.0	0.000 1.600	—	—	—
4 2.70~3.22	Clayey soil	8.0	0.0	6.0 6.0	1.600 5.760	—	—
5 3.22~4.22	Sandy soil	10.0	31.0	—	5.760 15.760	4.34774 4.34774	4.28169 4.28169
6 4.22~5.22	Sandy soil	10.0	30.0	—	15.760 25.760	4.14330 4.14330	4.08035 4.08035
7 5.22~6.22	Sandy soil	10.0	31.0	—	25.760 35.760	4.34774 4.34774	4.28169 4.28169
8 6.22~7.22	Sandy soil	10.0	31.0	—	35.760 45.760	4.34774 4.34774	4.28169 4.28169
9 7.22~8.22	Sandy soil	10.0	33.0	—	45.760 55.760	4.79713 4.79713	4.72425 4.72425
10 8.22~9.22	Sandy soil	10.0	37.0	—	55.760 65.760	5.89457 5.89457	5.80501 5.80501
11 9.22~10.22	Sandy soil	10.0	33.0	—	65.760 75.760	4.79713 4.79713	4.72425 4.72425
12 10.22~11.22	Sandy soil	10.0	39.0	—	75.760 85.760	6.56948 6.56948	6.46967 6.46967
13 11.22~12.22	Sandy soil	10.0	38.0	—	85.760 95.760	6.21981 6.21981	6.12532 6.12532
14 12.22~13.22	Sandy soil	10.0	39.0	—	95.760 105.760	6.56948 6.56948	6.46967 6.46967
15 13.22~20.00	Sandy soil	10.0	45.0	—	105.760 173.560	9.34548 9.34548	9.20351 9.20351

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;

$$\delta = -10.00, \beta = 0.00, \theta = 0.00$$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure Pw kN/m ²	Passive side Pp kN/m ²
	Pa1 kN/m ²	Pa2 kN/m ²	Pa kN/m ²		
1 0.00~2.10	18.82 25.20	—	25.20	0.00 20.58	—
2 2.10~2.60	70.96 74.96	41.48 43.48	74.96	20.58 25.48	—
3 2.60~2.70	74.96 75.76	43.48 43.88	74.96 75.76	25.48 26.46	12.00 13.60
4 2.70~3.22	75.76 79.92	43.88 45.96	75.76 79.92	26.46 26.46	13.60 17.76
5 3.22~4.22	26.86 29.78	—	26.86 29.78	26.46 26.46	24.66 67.48
6 4.22~5.22	30.96 34.00	—	30.96 34.00	26.46 26.46	64.31 105.11
7 5.22~6.22	32.70 35.62	—	32.70 35.62	26.46 26.46	110.30 153.11
8 6.22~7.22	35.62 38.54	—	35.62 38.54	26.46 26.46	153.11 195.93
9 7.22~8.22	35.61 38.31	—	35.61 38.31	26.46 26.46	216.18 263.42
10 8.22~9.22	32.51 34.80	—	32.51 34.80	26.46 26.46	323.69 381.74
11 9.22~10.22	41.01 43.71	—	41.01 43.71	26.46 26.46	310.67 357.91
12 10.22~11.22	34.06 36.16	—	34.06 36.16	26.46 26.46	490.14 554.84
13 11.22~12.22	37.75 39.95	—	37.75 39.95	26.46 26.46	525.31 586.56
14 12.22~13.22	38.27 40.37	—	38.27 40.37	26.46 26.46	619.54 684.23
15 13.22~20.00	30.74 41.59	—	30.74 41.59	26.46 26.46	973.36 1597.36

Formula for active earth pressure

$$\text{Sandy soil } P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$$

$$\text{Clayey soil } P_{a1} = \Sigma \gamma h + Q - 2C$$

$$P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$$

K_a : Equilibrium coefficient of compression: 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

$$\text{Mixed soil } P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$$

Formula for passive earth pressure

$$\text{Sandy soil } P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$$

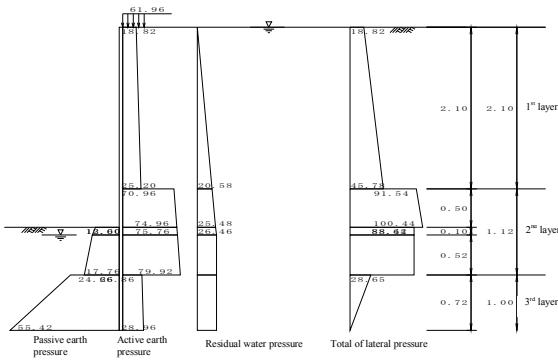
$$\text{Clayey soil } P_p = \Sigma \gamma h + Q + 2C$$

$$\text{Mixed soil } P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$$

4 Imaginary Riverbed

Imaginary ground level L_i is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

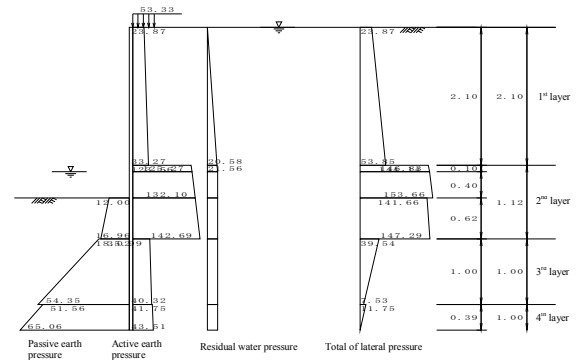


Depth (m)	Pa kN/m ²	Pw kN/m ²	Pp kN/m ²	Ps kN/m ²
1 0.00~2.10	18.82 25.20	0.00 20.58	— —	18.82 45.78
2 2.10~2.60	70.96 74.96	20.58 25.48	— —	91.54 100.44
3 2.60~2.70	74.96 75.76	25.48 26.46	12.00 13.60	88.44 88.62
4 2.70~3.22	75.76 79.92	26.46 26.46	13.60 17.76	88.62 88.62
5 3.22~3.94	26.86 28.96	26.46 26.46	24.66 55.42	28.65 0.00
6 3.94~4.22	28.96 29.78	26.46 26.46	55.42 67.48	0.00 -11.24

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_i: 1.34 m (GL -3.94 m)

4-2 Seismic Condition



Depth (m)	Pa kN/m ²	Pw kN/m ²	Pp kN/m ²	Ps kN/m ²
1 0.00~2.10	23.87 33.27	0.00 20.58	— —	23.87 53.85
2 2.10~2.20	123.56 125.27	20.58 21.56	— —	144.14 146.83
3 2.20~2.60	125.27 132.10	21.56 21.56	— —	146.83 153.66
4 2.60~3.22	132.10 142.69	21.56 21.56	12.00 16.96	141.66 147.29
5 3.22~4.22	35.99 40.32	21.56 21.56	18.02 54.35	39.54 7.53
6 4.22~4.61	41.75 43.51	21.56 21.56	51.56 65.06	11.75 0.00
7 4.61~5.22	43.51 46.23	21.56 21.56	65.06 86.02	0.00 -18.24

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_i: 2.01 m (GL -4.61 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below;

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4 E I}}$$

Unit width	B = 1.0000 m
Corrosion margin	t ₁ = 1.00 mm (active side) t ₂ = 1.00 mm (passive side)
Corrosion rate	η = 0.86
Section efficiency	μ = 1.00
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 212000 cm ⁴ (original condition)
	I = 182320 cm ⁴ (after reduction by corrosion and joint)
Inertia sectional moment	EI = 200000 × 10 ³ × 182320 × 10 ⁻⁸ = 3.646 × 10 ⁸

Depth (m)	N-value	Depth (m)	N-value
1 0.50	15	11 11.22	40
2 1.60	15	12 12.22	34
3 2.10	1	13 13.22	41
4 3.22	1	14 20.00	50
5 4.22	17		
6 5.22	16		
7 7.22	18		
8 8.22	22		
9 9.22	31		
10 10.22	22		

5-2 Normal Condition

K_h = 21561 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4 E I}}$$

$$= 0.349 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.87 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.94 m) to 2.87 m depth (GL -6.81 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 3.94	0.28	12.5	17.0	4.15
2 4.22	1.00	17.0	16.0	16.50
3 5.22	1.59	16.0	17.6	26.64

L = Σh = 2.87 ΣA = 47.29
 A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\sum A}{L} = \frac{47.29}{2.87} = 16.49$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.496} = 6910 \times 16.49^{0.496} = 21561 \text{ kN/m}^3$$

Kh (normal condition) = 21561 kN/m³

5-3 Seismic Condition

K_h = 21821 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4 E I}}$$

$$= 0.350 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.86 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.61 m) and 2.86 m depth (GL -7.47 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 4.61	0.61	16.6	16.0	9.91
2 5.22	2.00	16.0	18.0	34.00
3 7.22	0.25	18.0	19.0	4.65

L = Σh = 2.86 ΣA = 48.56
 A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\sum A}{L} = \frac{48.56}{2.86} = 16.98$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.496} = 6910 \times 16.98^{0.496} = 21821 \text{ kN/m}^3$$

Kh (seismic condition) = 21821 kN/m³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

	Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~2.10	2.10	18.82 45.78	19.76 48.07	3.24 2.54	63.99 122.01
2	2.10~2.60	0.50	91.54 100.44	22.88 25.11	1.67 1.50	38.25 37.79
3	2.60~2.70	0.10	88.44 88.62	4.42 4.43	1.30 1.27	5.77 5.63
4	2.70~3.22	0.52	88.62 88.62	23.04 23.04	1.06 0.89	24.54 20.54
5	3.22~3.94	0.72	28.65 0.00	10.29 0.00	0.48 0.23	4.93 0.00
			$\Sigma P = 181.05$	$\Sigma M = 323.45$		

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_i = 6.5$ kN/m
 depth to acting position $H_i = -0.45$ m
 moment $M_m = 3.0$ kN·m/m
 depth to acting position $H_m = 0.00$ m
 Height from riverbed to top of coping $H = 2.60$ m
 Depth of Imaginary riverbed from riverbed $L_k = 1.34$ m

Moment M_i by arbitrary load is as below

$$M_i = P_i \cdot (H + L_k - H_i) + M_m = 31.52 \text{ kN}\cdot\text{m}$$

h_0 , Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_i}{\Sigma P + P_i} = \frac{354.98}{187.55} = 1.89 \text{ m}$$

R_No.38_pp.21

6-1-2 Seismic Condition

	Depth Z (m)	Thickness h (m)	Lateral load P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~2.10	2.10	23.87 53.85	25.06 56.54	3.91 3.21	98.04 181.60
2	2.10~2.20	0.10	144.14 146.83	7.21 7.34	2.48 2.45	17.86 17.95
3	2.20~2.60	0.40	146.83 153.66	29.37 30.73	2.28 2.15	66.91 63.93
4	2.60~3.22	0.62	141.66 147.29	43.91 45.66	1.81 1.60	79.28 72.99
5	3.22~4.22	1.00	39.54 7.53	19.77 3.76	1.06 0.73	20.93 2.73
6	4.22~4.61	0.39	11.75 0.00	2.30 0.00	0.26 0.13	0.60 0.00
			$\Sigma P = 271.66$	$\Sigma M = 624.82$		

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_i = 11.2$ kN/m
 depth to acting position $H_i = -0.30$ m
 moment $M_m = 12.3$ kN·m/m
 depth to acting position $H_m = 0.80$ m
 Height from riverbed to top of coping $H = 2.60$ m
 Depth of Imaginary riverbed from riverbed $L_k = 2.01$ m

Moment M_i by arbitrary load is as below

$$M_i = P_i \cdot (H + L_k - H_i) + M_m = 67.31 \text{ kN}\cdot\text{m}$$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{sw} (kN/m ²)	Load P_{sw} (kN)	Arm length Y (m)	Moment M_{sw} (kN·m)
1	2.20~2.60	0.40	0.0 0.7	0.00 0.14	2.28 2.15	0.00 0.29
			$\Sigma P_{sw} = 0.14$	$\Sigma M_{sw} = 0.29$		

h_0 , Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_i + \Sigma M_{sw}}{\Sigma P + P_i + \Sigma P_{sw}} = \frac{692.43}{282.99} = 2.45 \text{ m}$$

R_No.38_pp.22

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000$ m
 Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.86$
 Section efficiency $\mu = 1.00$
 Young's modulus $E = 200000$ N/mm²
 Inertia sectional moment $I_0 = 212000$ cm⁴ (original condition)
 $I = 182320$ cm⁴ (after reduction by corrosion and section) = 3.646×10^8
 $EI = 200000 \times 10^3 \times 182320 \times 10^{-8}$

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$l_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction $K_b = 21561$ kN/m³
 calculated value $\beta = 0.34869$ m⁻¹
 resultant earth force (lateral) $P_0 = 187.55$ kN/m
 height of acting position of load $h_0 = 1.89$ m
 moment $M_0 = 354.98$ kN·m/m

in consideration of $\psi_m = 1.274$,

maximum moment $M_{max} = 452.25$ kN·m/m
 depth of generated position of M_{max} $l_m = 1.167$ m
 depth of 1st fixed point $l_i = 3.420$ m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction $K_b = 21821$ kN/m³
 calculated value $\beta = 0.34973$ m⁻¹
 resultant earth force (lateral) $P_0 = 282.99$ kN/m
 height of acting position of load $h_0 = 2.45$ m
 moment $M_0 = 692.43$ kN·m/m

in consideration of $\psi_m = 1.186$,

maximum moment $M_{max} = 821.21$ kN·m/m
 depth of generated position of M_{max} $l_m = 1.010$ m
 depth of 1st fixed point $l_i = 3.256$ m

R_No.38_pp.23

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.89$
 Section efficiency $\mu = 1.00$
 Module of section $Z_0 = 5560$ cm³ (original condition)
 $Z = 4948$ cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{452.25 \times 10^6}{4948 \times 10^3} = 91 \text{ N/mm}^2 \leq \sigma_a = 185 \text{ N/mm}^2 \text{ (ok)}$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{821.21 \times 10^6}{4948 \times 10^3} = 166 \text{ N/mm}^2 \leq \sigma_a = 278 \text{ N/mm}^2 \text{ (ok)}$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.24 2.54	0.822 0.645	19.76 48.07	4.850 7.839
2	2.10~2.60	1.67 1.50	0.424 0.382	22.88 25.11	1.770 1.600
3	2.60~2.70	1.30 1.27	0.331 0.323	4.42 4.43	0.216 0.206
4	2.70~3.22	1.06 0.89	0.270 0.226	23.04 23.04	0.766 0.546
5	3.22~3.94	0.48 0.24	0.122 0.061	10.29 0.00	0.073 0.000
			$\Sigma Q = 17.865$		

Y : Height from imaginary riverbed to acting position

$$\alpha = \frac{Y}{H+L_k}$$

$$\zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

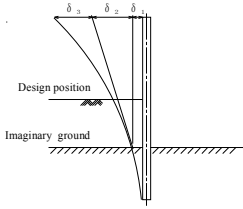
P : Lateral force

H : Depth to design position

L_k : Depth from design position to imaginary ground

R_No.38_pp.24

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.3487 \times 1.89) \times 187.55}{2 \times 2.00 \times 10^8 \times 182320 \times 10^{-8} \times 0.3487^3} = 0.01007 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_0)$$

$$= \frac{(1 + 2 \times 0.3487 \times 1.89) \times 187.55}{2 \times 2.00 \times 10^8 \times 182320 \times 10^{-8} \times 0.3487^2} \times (2.60 + 1.34) = 0.01933 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_0)^3}{E I}$$

$$= \frac{17.87 \times (2.60 + 1.34)^3}{2.00 \times 10^8 \times 182320 \times 10^{-8}} = 0.00299 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

Displacement δ_{3m} of cantilever beam by moment M_m is additionally considered.

$$\delta_{3m} = \frac{M_m \cdot h}{2 E I} \times (2 L - h) \quad (L = 4.61 \text{ m}, h = L - H_s, H_s = 0.80 \text{ m}, \text{ただし } L_s = L)$$

$$= \frac{12.30 \times 3.81}{2 \times 2.00 \times 10^8 \times 182320 \times 10^{-8}} \times (2 \times 4.61 - 3.81) = 0.00035 \text{ m}$$

δ_3' is calculated as 0.00043 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.94 m
 Horizontal load: P = 6.50
 Moment: M = 2.93

R_No.38_pp.25

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01007 + 0.01933 + 0.00348$$

$$= 0.03288 \text{ m}$$

$$= 32.88 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where,

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ_3' : Displacement at top of SSP
- δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.91 3.21	0.848 0.696	0.288 0.186	25.06 56.54	6.467 10.528
2	2.10~2.20	2.48 2.45	0.537 0.530	0.119 0.116	7.21 7.34	0.854 0.850
3	2.20~2.60	2.28 2.15	0.494 0.465	0.102 0.091	29.37 30.73	2.994 2.809
4	2.60~3.22	1.81 1.60	0.391 0.347	0.067 0.053	43.91 45.66	2.925 2.426
5	3.22~4.22	1.06 0.73	0.230 0.157	0.024 0.012	19.77 3.76	0.481 0.044
6	4.22~4.61	0.26 0.13	0.057 0.028	0.002 0.000	2.30 0.00	0.004 0.000
					$\Sigma Q = 30.382$	

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H + L_0}$$

$$\zeta : \zeta = \frac{(3 - \alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

L₀ : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

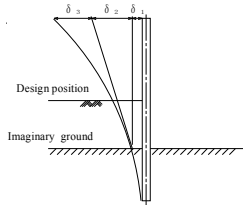
No	Depth (m)	Y (m)	α	ζ	P _{aw} (kN)	Q _{aw} (kN)
1	2.20~2.60	2.28 2.15	0.494 0.465	0.102 0.091	0.00 0.14	0.000 0.013
					$\Sigma Q_{aw} = 0.013$	

Therefore, modulus of deformation Q is calculated as below:

$$Q = 30.382 + 0.013 = 30.394$$

R_No.38_pp.26

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.3497 \times 2.45) \times 282.99}{2 \times 2.00 \times 10^8 \times 182320 \times 10^{-8} \times 0.3497^3} = 0.01683 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_0)$$

$$= \frac{(1 + 2 \times 0.3497 \times 2.45) \times 282.99}{2 \times 2.00 \times 10^8 \times 182320 \times 10^{-8} \times 0.3497^2} \times (2.60 + 2.01) = 0.03967 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_0)^3}{E I}$$

$$= \frac{30.39 \times (2.60 + 2.01)^3}{2.00 \times 10^8 \times 182320 \times 10^{-8}} = 0.00818 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00110 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.61 m
 Horizontal load: P = 11.20
 Moment: M = 3.36

Displacement δ_{3m} of cantilever beam by moment M_m is additionally considered.

$$\delta_{3m} = \frac{M_m \cdot h}{2 E I} \times (2 L - h) \quad (L = 4.61 \text{ m}, h = L - H_s, H_s = 0.80 \text{ m}, \text{ただし } L_s = L)$$

$$= \frac{12.30 \times 3.81}{2 \times 2.00 \times 10^8 \times 182320 \times 10^{-8}} \times (2 \times 4.61 - 3.81) = 0.00035 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01683 + 0.03967 + 0.00963$$

$$= 0.06613 \text{ m}$$

$$= 66.13 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where,

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ_3' : Displacement at top of SSP
- δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below:

Unit width	B	=	1.0000 m
Corrosion rate	η	=	1.00
Section efficiency	μ	=	1.00
Young's modulus	E	=	200000 N/mm ²
Inertia sectional moment	I_0	=	212000 cm ⁴ (original condition)
	I	=	212000 cm ⁴ (after reduction by corrosion and section)
	EI	=	$200000 \times 10^3 \times 212000 \times 10^{-8}$ $= 4.240 \times 10^8$

7-1 Penetration Depth and Whole Length of SSP (Chang)Based on the depth of imaginary riverbed as L_c , penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings:

$$D = L_c + \frac{3}{\beta}$$

$$L = H - H_{1c} + D$$

$$\beta = 4\sqrt{\frac{K_s \cdot B}{4 E I}}$$

7-1-1 Normal ConditionModules of lateral subgrade reaction
Calculated value

$$K_s = 21561 \text{ kN/m}^3$$

$$\beta = 0.33578 \text{ m}^{-1}$$

Penetration length of SSP

$$D = 1.34 + \frac{3}{0.336} = 10.27 \text{ m}$$

Whole length of SSP

$$L = 2.60 - 0.40 + 10.27 = 12.47 \text{ m}$$

7-1-2 Seismic ConditionModules of lateral subgrade reaction
Calculated value

$$K_s = 21821 \text{ kN/m}^3$$

$$\beta = 0.33679 \text{ m}^{-1}$$

Penetration length of SSP

$$D = 2.01 + \frac{3}{0.337} = 10.92 \text{ m}$$

Whole length of SSP

$$L = 2.60 - 0.40 + 10.92 = 13.12 \text{ m}$$

Therefore, whole length of SSP is set as 13.50 m in consideration of round unit of SSP length.

8 Calculation Result

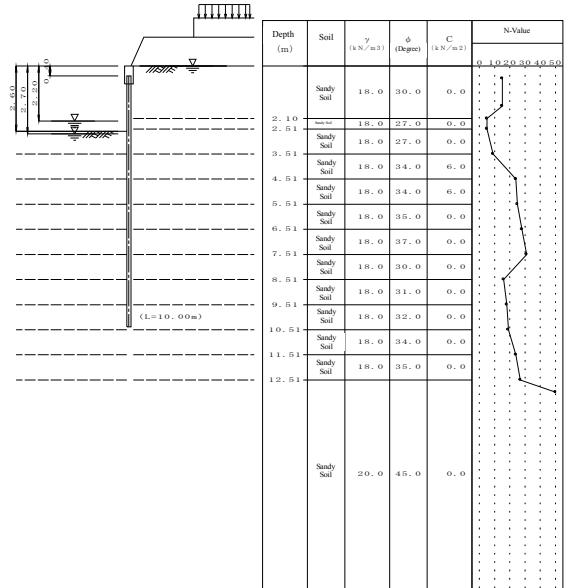
			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	212000		
Section modulus	Z (cm ³)	5560		
Maximum bending moment	M_{max} (kN·m/m)		452.25	821.21
Stress intensity	σ (N/mm ²)		91 (185)	166 (278)
Lateral displacement	δ (mm)		32.88 (50.0)	66.13 (75.0)
Penetration depth	D (m)		10.27	10.92
Whole length of SSP	L (m)	13.50		

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 39_STA 14+835 - 14+943



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_g = 0.40 m
 Depth from coping top to SSP top H_s = 0.40 m
 Landside WL L_{wp} = 0.00 m (Normal Condition)
 Riverside WL L_{wp} = 2.70 m (Normal Condition)
 L_{wp} = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.39_pp.1

R_No.39_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load Pt = 3.5 kN/m (Normal Condition)
 Pt' = 9.4 kN/m (Seismic Condition)
 Depth of acting point Ht = -0.53 m (Normal Condition)
 Ht' = -0.27 m (Seismic Condition)
 Moment Mm = 0.0 kN·m/m (Normal Condition)
 Mm' = 3.8 kN·m/m (Seismic Condition)
 Depth of acting point Hm = 0.00 m (Normal Condition)
 Hm = 0.80 m (Seismic Condition)
 ('Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula K_s = 6910 × N'^{0.406}

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.50	15	11	9.51	18
2	1.60	15	12	10.51	19
3	2.10	5	13	11.51	24
4	2.51	5	14	12.51	27
5	3.51	9	15	13.00	50
6	4.51	24	16	20.00	50
7	5.51	25			
8	6.51	28			
9	7.51	31			
10	8.51	16			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

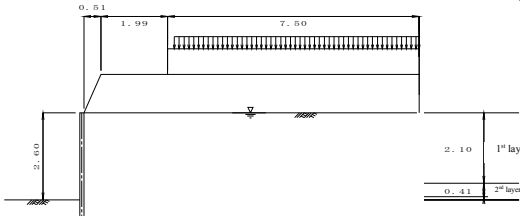
No	Depth (m)	Soil	N-value	γ kN/m³	γ' kN/m³	φ	C kN/m²	a	k'	ζ (degree)		kh(kN/m³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	2.51	S	5.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
3	3.51	S	9.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
4	4.51	S	24.0	18.00	10.00	34.0	6.0	0.0	0.200	auto	auto	—	—
5	5.51	S	25.0	18.00	10.00	34.0	6.0	0.0	0.200	auto	auto	—	—
6	6.51	S	28.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	—	—
7	7.51	S	31.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
8	8.51	S	16.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
9	9.51	S	18.0	18.00	10.00	31.0	0.0	0.0	0.200	auto	auto	—	—
10	10.51	S	19.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	—	—
11	11.51	S	24.0	18.00	10.00	34.0	0.0	0.0	0.200	auto	auto	—	—
12	12.51	S	27.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	—	—
13	20.00	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the soil : sandy(S), clayey(C), mixed (M)
 N-value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C₀ : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (underwater)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	9.00°	9.00°
passive	-9.00°	-9.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.51	10.00	10.00	1.14	18.0	30.0	0.0	auto	auto
2	Sandy soil	2.50	2.50	10.00	10.00	0.77	2.7	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	2.70	10.00	10.0	5.0

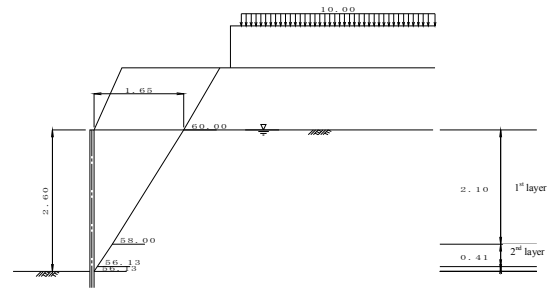
Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

- Young's modulus $E = 200000 \text{ N/mm}^2$
- Inertia sectional moment $I_0 = 56700 \text{ cm}^4$
- Sectional factor $Z_0 = 2700 \text{ cm}^3$
- Corrosion margin $t_1 = 1.00 \text{ mm (riverside)}$ $t_2 = 1.00 \text{ mm (landside)}$
- Corrosion rate (to I_0) $\eta = 0.88$
- Corrosion rate (to Z_0) $\eta = 0.88$
- Section efficiency (to I_0) $\mu = 0.80$
- Section efficiency (to Z_0) $\mu = 1.00$
- Round unit of SSP length 0.50 m
- Allowable stress $\sigma_a = 180 \text{ N/mm (Normal)}$
 $\sigma_a' = 270 \text{ N/mm (Seismic)}$
- Allowable displacement $\delta_a = 50.0 \text{ mm (Normal)}$
 $\delta_a' = 75.0 \text{ mm (Seismic)}$
- Bending of cantilever beam calculated as distributed load of each layer
- Reduction of material modulus: Reduced: I_0 applied to calculation of lateral coefficient of subgrade reaction
Not reduced: I_0 applied to calculation of penetration depth
Reduced: I_0 applied to calculation of section forces and displacement
Reduced: Z_0 applied to calculation of stresses

2 Calculation of Acting Load

2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{hw} (kN/m ²)	Angle of rupture Z (degree)
1	2.60~2.51	Sandy Soil	27.0	9.0	0.0	26.00	21.44	25.48	56.13
2	2.51~2.10	Sandy Soil	27.0	9.0	0.0	25.10	21.44	24.60	56.13
3	2.10~0.00	Sandy Soil	30.0	9.0	0.0	21.00	21.44	20.58	58.00
4		Embankment	30.0	—	0.0	22.60	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	56.13	0.09	0.00	0.00	0.06	0.09
2	56.13	0.41	0.06	0.09	0.34	0.50
3	58.00	2.10	0.34	0.50	1.65	2.60
4	60.00	1.14	1.65	2.60	2.31	3.74

Therefore, width of acting load shall be set as 1.65 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	1.96	35.34
Σ			35.34

- γ : unit weight of embankment soil
- A: sectional area of embankment enclosed by line of active rupture

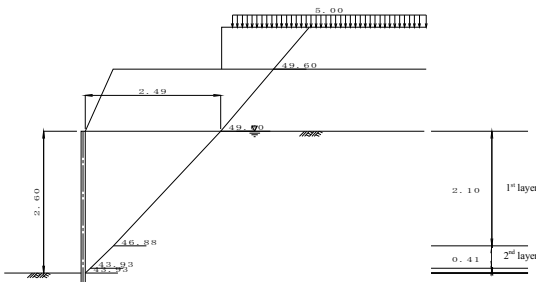
2-1-4 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times 1) + \Sigma P}{L}$$

$$= \frac{35.34 + 0.00 + 0.00}{1.65}$$

$$= 21.44 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{hw} (kN/m ²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60~2.51	Sandy Soil	27.0	9.0	0.0	26.00	26.33	25.48	0.200	11.31	43.93
2	2.51~2.10	Sandy Soil	27.0	9.0	0.0	25.10	26.33	24.60	0.200	11.31	43.93
3	2.10~0.00	Sandy Soil	30.0	9.0	0.0	21.00	26.33	20.58	0.200	11.31	46.88
4		Embankment	30.0	—	0.0	22.60	5.00	0.00	0.200	11.31	49.60
5		Embankment	30.0	—	0.0	2.08	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.93	0.09	0.00	0.00	0.09	0.09
2	43.93	0.41	0.09	0.09	0.52	0.50
3	46.88	2.10	0.52	0.50	2.49	2.60
4	49.60	1.14	2.49	2.60	3.46	3.74
5	49.60	0.77	3.46	3.74	4.11	4.51

Therefore, width of acting load shall be set as 2.49 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	3.10	55.73
2	2.7	0.99	2.67
Σ			58.40

- γ : unit weight of embankment soil
- A: sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	1.41	7.06
Σ			7.06

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

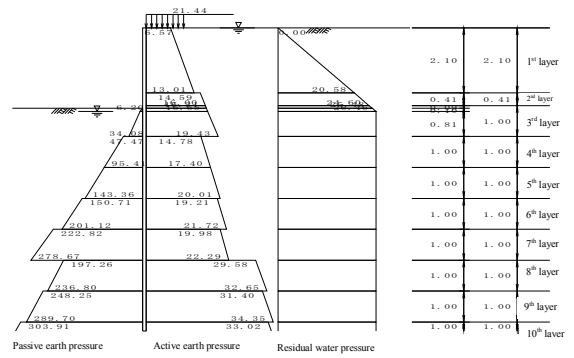
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{58.40 + 7.06 + 0.00}{2.49}$$

$$= 26.33 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Qa (kN/m ²)	Ka	Ka × cosδ
1	0.00~2.10	Sandy soil	10.0	30.0	21.443 42.443	0.31026 0.31026	0.30644 0.30644
2	2.10~2.51	Sandy soil	10.0	27.0	42.443 46.543	0.34800 0.34800	0.34371 0.34371
3	2.51~2.60	Sandy soil	10.0	27.0	46.543 47.443	0.34800 0.34800	0.34371 0.34371
4	2.60~2.70	Sandy soil	10.0	27.0	47.443 48.443	0.34800 0.34800	0.34371 0.34371
5	2.70~3.51	Sandy soil	10.0	27.0	48.443 56.543	0.34800 0.34800	0.34371 0.34371
6	3.51~4.51	Sandy soil	10.0	34.0	56.543 66.543	0.26470 0.26470	0.26144 0.26144
7	4.51~5.51	Sandy soil	10.0	34.0	66.543 76.543	0.26470 0.26470	0.26144 0.26144
8	5.51~6.51	Sandy soil	10.0	35.0	76.543 86.543	0.25410 0.25410	0.25097 0.25097
9	6.51~7.51	Sandy soil	10.0	37.0	86.543 96.543	0.23377 0.23377	0.23089 0.23089
10	7.51~8.51	Sandy soil	10.0	30.0	96.543 106.543	0.31026 0.31026	0.30644 0.30644
11	8.51~9.51	Sandy soil	10.0	31.0	106.543 116.543	0.29838 0.29838	0.29471 0.29471
12	9.51~10.51	Sandy soil	10.0	32.0	116.543 126.543	0.28683 0.28683	0.28330 0.28330
13	10.51~11.51	Sandy soil	10.0	34.0	126.543 136.543	0.26470 0.26470	0.26144 0.26144

R_No.39_pp.9

R_No.39_pp.10

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Qa (kN/m ²)	Ka	Ka × cosδ
14	11.51~12.51	Sandy soil	10.0	35.0	136.543 146.543	0.25410 0.25410	0.25097 0.25097
15	12.51~20.00	Sandy soil	10.0	45.0	146.543 221.443	0.16323 0.16323	0.16122 0.16122

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;
δ = 9.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Qp (kN/m ²)	Kp	Kp × cosδ
4	2.60~2.70	Sandy soil	18.0	27.0	0.000 1.800	3.48553 3.48553	3.44261 3.44261
5	2.70~3.51	Sandy soil	10.0	27.0	1.800 9.900	3.48553 3.48553	3.44261 3.44261
6	3.51~4.51	Sandy soil	10.0	34.0	9.900 19.900	4.85443 4.85443	4.79467 4.79467
7	4.51~5.51	Sandy soil	10.0	34.0	19.900 29.900	4.85443 4.85443	4.79467 4.79467
8	5.51~6.51	Sandy soil	10.0	35.0	29.900 39.900	5.10344 5.10344	5.04061 5.04061
9	6.51~7.51	Sandy soil	10.0	37.0	39.900 49.900	5.65410 5.65410	5.58449 5.58449
10	7.51~8.51	Sandy soil	10.0	30.0	49.900 59.900	4.00247 4.00247	3.95319 3.95319
11	8.51~9.51	Sandy soil	10.0	31.0	59.900 69.900	4.19615 4.19615	4.14448 4.14448
12	9.51~10.51	Sandy soil	10.0	32.0	69.900 79.900	4.40199 4.40199	4.34780 4.34780
13	10.51~11.51	Sandy soil	10.0	34.0	79.900 89.900	4.85443 4.85443	4.79467 4.79467
14	11.51~12.51	Sandy soil	10.0	35.0	89.900 99.900	5.10344 5.10344	5.04061 5.04061
15	12.51~20.00	Sandy soil	10.0	45.0	99.900 174.800	8.86593 8.86593	8.75678 8.75678

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;
δ = -9.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

R_No.39_pp.11

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure Pw (kN/m ²)	Passive side Pp (kN/m ²)
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1	0.00~2.10	6.57 13.01	13.01	0.00 20.58	—
2	2.10~2.51	14.59 16.00	14.59 16.00	20.58 24.60	—
3	2.51~2.60	16.00 16.31	16.00 16.31	24.60 26.46	—
4	2.60~2.70	16.31 16.65	16.31 16.65	26.46 26.46	0.00 6.20
5	2.70~3.51	16.65 19.43	16.65 19.43	26.46 26.46	6.20 34.08
6	3.51~4.51	14.78 17.40	14.78 17.40	26.46 26.46	47.47 95.41
7	4.51~5.51	17.40 20.01	17.40 20.01	26.46 26.46	95.41 143.36
8	5.51~6.51	19.21 21.72	19.21 21.72	26.46 26.46	150.71 201.12
9	6.51~7.51	19.98 22.29	19.98 22.29	26.46 26.46	222.82 278.67
10	7.51~8.51	29.58 32.65	29.58 32.65	26.46 26.46	197.26 236.80
11	8.51~9.51	31.40 34.35	31.40 34.35	26.46 26.46	248.25 289.70
12	9.51~10.51	33.02 35.85	33.02 35.85	26.46 26.46	303.91 347.39
13	10.51~11.51	33.08 35.70	33.08 35.70	26.46 26.46	383.09 431.04
14	11.51~12.51	34.27 36.78	34.27 36.78	26.46 26.46	453.15 503.56
15	12.51~20.00	23.63 35.70	23.63 35.70	26.46 26.46	874.80 1530.68

Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$

$P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$

K_c : Equilibrium coefficient of compression: 0.5

Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_c(\Sigma \gamma h + Q) - 2C\sqrt{K_c}] \cdot \cos \delta$

Formula for passive earth pressure

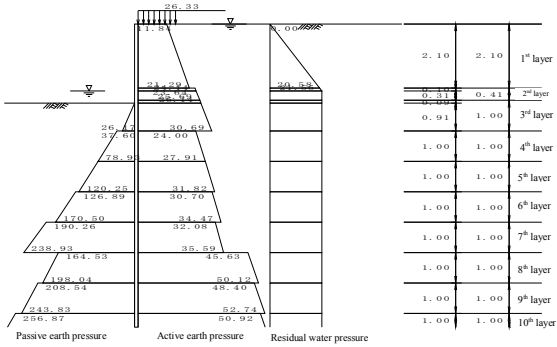
Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

R_No.39_pp.12

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m³)	φ (degree)	C (kN/m²)	Σγh+Q (kN/m²)	γwh (kN/m²)	k (k)	θ (degree)	Ka	Ka × cosδ	θ (degree)
1 0.00~2.10	Sandy Soil	10.00	30.00	—	26.33	0.00	0.200	11.31	0.45543	0.44982	—
2 2.10~2.20	Sandy Soil	10.00	27.00	—	47.33	20.58	0.200	11.31	0.50574	0.49951	—
3 2.20~2.51	Sandy Soil	10.00	27.00	—	48.33	21.56	0.200	11.31	0.50574	0.49951	—
4 2.51~2.60	Sandy Soil	10.00	27.00	—	51.43	24.60	0.200	11.31	0.50574	0.49951	—
5 2.60~3.51	Sandy Soil	10.00	27.00	—	52.33	25.48	0.200	11.31	0.50574	0.49951	—
6 3.51~4.51	Sandy Soil	10.00	34.00	—	61.43	34.40	0.200	11.31	0.39559	0.39072	—
7 4.51~5.51	Sandy Soil	10.00	34.00	—	71.43	44.20	0.200	11.31	0.39559	0.39072	—
8 5.51~6.51	Sandy Soil	10.00	35.00	—	81.43	54.00	0.200	11.31	0.38174	0.37704	—
9 6.51~7.51	Sandy Soil	10.00	37.00	—	91.43	63.80	0.200	11.31	0.35524	0.35087	—
10 7.51~8.51	Sandy Soil	10.00	30.00	—	101.43	73.60	0.200	11.31	0.45543	0.44982	—
11 8.51~9.51	Sandy Soil	10.00	31.00	—	111.43	83.40	0.200	11.31	0.43976	0.43434	—
12 9.51~10.51	Sandy Soil	10.00	32.00	—	121.43	93.20	0.200	11.31	0.42457	0.41935	—
13 10.51~11.51	Sandy Soil	10.00	34.00	—	131.43	103.00	0.200	11.31	0.39559	0.39072	—

R_No.39_pp.13

Depth (m)	Soil	γ (kN/m³)	φ (degree)	C (kN/m²)	Σγh+Q (kN/m²)	γwh (kN/m²)	k (k)	θ (degree)	Ka	Ka × cosδ	θ (degree)
14 11.51~12.51	Sandy Soil	10.00	35.00	—	141.43	112.80	0.200	11.31	0.38174	0.37704	—
15 12.51~20.00	Sandy Soil	10.00	45.00	—	151.43	122.60	0.200	11.31	0.26304	0.25980	—

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;

$$\delta = 9.00, \beta = 0.00, \theta = 0.00$$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below;

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m³)	φ (degree)	C (kN/m²)	Σγh+Qp (kN/m²)	γwh (kN/m²)	k (k)	θ (degree)	Kp	Kp × cosδ
5 2.60~3.51	Sandy soil	10.00	27.00	—	0.000	0.00	0.200	11.31	2.91211	2.87626
6 3.51~4.51	Sandy soil	10.00	34.00	—	9.100	8.92	0.200	11.31	4.18373	4.13222
7 4.51~5.51	Sandy soil	10.00	34.00	—	19.100	18.72	0.200	11.31	4.18373	4.13222
8 5.51~6.51	Sandy soil	10.00	35.00	—	29.100	28.52	0.200	11.31	4.41499	4.36064
9 6.51~7.51	Sandy soil	10.00	37.00	—	39.100	38.32	0.200	11.31	4.92675	4.86609
10 7.51~8.51	Sandy soil	10.00	30.00	—	49.100	48.12	0.200	11.31	3.39273	3.35096
11 8.51~9.51	Sandy soil	10.00	31.00	—	59.100	57.92	0.200	11.31	3.39273	3.35096
12 9.51~10.51	Sandy soil	10.00	32.00	—	69.100	67.72	0.200	11.31	3.57258	3.52859
13 10.51~11.51	Sandy soil	10.00	34.00	—	79.100	77.52	0.200	11.31	3.76368	3.71734
14 11.51~12.51	Sandy soil	10.00	35.00	—	89.100	87.32	0.200	11.31	4.18373	4.13222
15 12.51~20.00	Sandy soil	10.00	45.00	—	99.100	97.12	0.200	11.31	4.41499	4.36064

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below;

$$\delta = -9.00, \beta = 0.00, \theta = \tan^{-1} k$$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)} \right]^2}$$

R_No.39_pp.14

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure		Passive side	
		Pa1 kN/m²	Pa2 kN/m²	Pa kN/m²	Pw kN/m²	Pp kN/m²	Pp kN/m²	
1	0.00~2.10	11.84	—	11.84	0.00	—	—	
2	2.10~2.20	23.64	—	23.64	20.58	—	—	
3	2.20~2.51	24.14	—	24.14	21.56	—	—	
4	2.51~2.60	25.69	—	25.69	21.56	—	—	
5	2.60~3.51	26.14	—	26.14	21.56	0.00	26.17	
6	3.51~4.51	27.91	—	27.91	21.56	37.60	78.93	
7	4.51~5.51	27.91	—	27.91	21.56	78.93	120.25	
8	5.51~6.51	30.70	—	30.70	21.56	126.89	170.50	
9	6.51~7.51	32.08	—	32.08	21.56	190.26	238.93	
10	7.51~8.51	45.63	—	45.63	21.56	164.53	198.04	
11	8.51~9.51	48.40	—	48.40	21.56	208.54	243.83	
12	9.51~10.51	50.92	—	50.92	21.56	256.87	294.04	
13	10.51~11.51	51.35	—	51.35	21.56	326.86	368.18	
14	11.51~12.51	53.33	—	53.33	21.56	388.53	432.14	
15	12.51~20.00	58.80	—	58.80	21.56	775.47	1361.58	

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 $K_a = \frac{1 - \sin \phi}{1 + \sin \phi}$ Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = \left[K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a} \right] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = \left[K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p} \right] \cdot \cos \delta$

R_No.39_pp.15

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	p _{dw} (kN/m²)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

$$p_{dw} = \pm \frac{7}{8} k_{hb} \cdot \gamma_w \cdot \sqrt{H} \cdot y$$

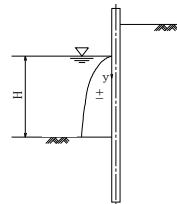
Where,

k_{hb} : design seismic coefficient

γ_w : unit weight of water

H: water depth of riverside

y: depth from river surface to the point where active water pressure is calculated

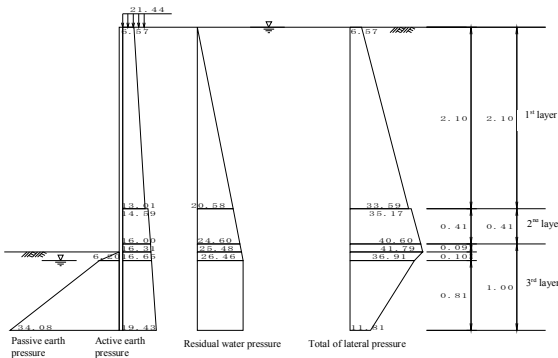


R_No.39_pp.16

4 Imaginary Riverbed

Imaginary ground level L_k is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

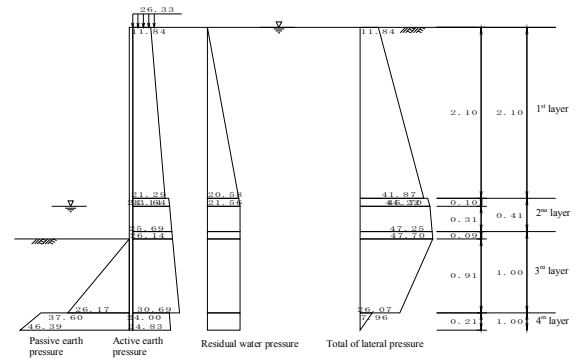


Depth (m)	P _a (kN/m ²)	P _w (kN/m ²)	P _p (kN/m ²)	P _s (kN/m ²)
1 0.00~2.10	6.57 13.01	0.00 20.58	— —	6.57 33.59
2 2.10~2.51	14.59 16.00	20.58 24.60	— —	35.17 40.60
3 2.51~2.60	16.00 16.31	24.60 25.48	— —	40.60 41.79
4 2.60~2.70	16.31 16.65	25.48 26.46	0.00 6.20	41.79 36.91
5 2.70~3.51	16.65 19.43	26.46 26.46	6.20 34.08	36.91 11.81
6 3.51~4.51	14.78 17.40	26.46 26.46	47.47 95.41	-6.22 -51.56

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_k: 0.91 m (GL -3.51 m)

4-2 Seismic Condition



Depth (m)	P _a (kN/m ²)	P _w (kN/m ²)	P _p (kN/m ²)	P _s (kN/m ²)
1 0.00~2.10	11.84 21.29	0.00 20.58	— —	11.84 41.87
2 2.10~2.20	23.64 24.14	20.58 21.56	— —	44.22 45.70
3 2.20~2.51	24.14 25.69	21.56 21.56	— —	45.70 47.25
4 2.51~2.60	25.69 26.14	21.56 21.56	— —	47.25 47.70
5 2.60~3.51	26.14 30.69	21.56 21.56	0.00 26.17	47.70 26.07
6 3.51~3.72	24.00 24.83	21.56 21.56	37.60 46.39	7.96 0.00
7 3.72~4.51	24.83 27.91	21.56 21.56	46.39 78.93	0.00 -29.46

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_k: 1.12 m (GL -3.72 m)

4th layer

R_No.39_pp.17

R_No.39_pp.18

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below;

$$K_b = 6910 \times N^{0.696}$$

where,

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4 E I}}$$

Unit width	B = 1.0000 m
Corrosion margin	t ₁ = 1.00 mm (active side) t ₂ = 1.00 mm (passive side)
Corrosion rate	η = 0.88
Section efficiency	μ = 0.80
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 56700 cm ⁴ (original condition)
	I = 39917 cm ⁴ (after reduction by corrosion and joint)
Inertia sectional moment	EI = 200000 × 10 ³ × 39917 × 10 ⁻⁸ = 7.983 × 10 ⁷

Depth (m)	N-value	Depth (m)	N-value
1 0.50	15	11 9.51	18
2 1.60	15	12 10.51	19
3 2.10	5	13 11.51	24
4 2.51	5	14 12.51	27
5 3.51	9	15 13.00	50
6 4.51	24	16 20.00	50
7 5.51	25		
8 6.51	28		
9 7.51	31		
10 8.51	16		

5-2 Normal Condition

K_b = 23467 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4 E I}} = 0.521 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 1.92 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.51 m) to 1.92 m depth (GL -5.43 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 3.51	1.00	9.0	24.0	16.50
2 4.51	0.92	24.0	24.9	22.52

L = Σh = 1.92 ΣA = 39.02
 A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{39.02}{1.92} = 20.32$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_b = 6910 \times N^{0.696} = 6910 \times 20.32^{0.696} = 23467 \text{ kN/m}^3$$

$$Kh \text{ (normal condition)} = 23467 \text{ kN/m}^3$$

5-3 Seismic Condition

K_b = 24192 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4 E I}} = 0.525 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 1.91 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.72 m) and 1.91 m depth (GL -5.63 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 3.72	0.79	12.2	24.0	14.25
2 4.51	1.00	24.0	25.0	24.50
3 5.51	0.12	25.0	25.4	2.99

L = Σh = 1.91 ΣA = 41.74
 A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{41.74}{1.91} = 21.90$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_b = 6910 \times N^{0.696} = 6910 \times 21.90^{0.696} = 24192 \text{ kN/m}^3$$

$$Kh \text{ (seismic condition)} = 24192 \text{ kN/m}^3$$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

	Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~2.10	2.10	6.57 33.59	6.90 35.27	2.81 2.11	19.39 74.41
2	2.10~2.51	0.41	35.17 40.60	7.21 8.32	1.27 1.14	9.18 9.46
3	2.51~2.60	0.09	40.60 41.79	1.83 1.88	0.97 0.94	1.77 1.77
4	2.60~2.70	0.10	41.79 36.91	2.09 1.85	0.88 0.84	1.83 1.56
5	2.70~3.51	0.81	36.91 11.81	14.95 4.78	0.54 0.27	8.07 1.29
			$\Sigma P = 85.07$	$\Sigma M = 128.73$		

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_i = 3.5$ kN/m
 depth to acting position $H_i = -0.53$ m
 moment $M_m = 0.0$ kN·m/m
 depth to acting position $H_m = 0.00$ m
 Height from riverbed to top of coping $H = 2.60$ m
 Depth of Imaginary riverbed from riverbed $L_k = 0.91$ m

Moment M_i by arbitrary load is as below

$$M_i = P_i \cdot (H + L_k - H_i) + M_m = 14.14 \text{ kN}\cdot\text{m}$$

h_0 , Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_i}{\Sigma P + P_i} = \frac{142.87}{88.57} = 1.61 \text{ m}$$

R_No.39_pp.21

6-1-2 Seismic Condition

	Depth Z (m)	Thickness h (m)	Lateral load P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~2.10	2.10	11.84 41.87	12.44 43.96	3.02 2.32	37.59 102.12
2	2.10~2.20	0.10	44.22 45.70	2.21 2.29	1.59 1.56	3.51 3.56
3	2.20~2.51	0.31	45.70 47.25	7.08 7.32	1.42 1.32	10.05 9.64
4	2.51~2.60	0.09	47.25 47.70	2.13 2.15	1.18 1.15	2.51 2.47
5	2.60~3.51	0.91	47.70 26.07	21.70 11.86	0.82 0.52	17.78 6.12
6	3.51~3.72	0.21	7.96 0.00	0.85 0.00	0.14 0.07	0.12 0.00
			$\Sigma P = 113.99$	$\Sigma M = 195.49$		

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_i = 9.4$ kN/m
 depth to acting position $H_i = -0.27$ m
 moment $M_m = 3.8$ kN·m/m
 depth to acting position $H_m = 0.80$ m
 Height from riverbed to top of coping $H = 2.60$ m
 Depth of Imaginary riverbed from riverbed $L_k = 1.12$ m

Moment M_i by arbitrary load is as below

$$M_i = P_i \cdot (H + L_k - H_i) + M_m = 41.33 \text{ kN}\cdot\text{m}$$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{sw} (kN/m ²)	Load P_{sw} (kN)	Arm length Y (m)	Moment M_{sw} (kN·m)
1	2.20~2.60	0.40	0.0 0.7	0.00 0.14	1.39 1.26	0.00 0.17
			$\Sigma P_{sw} = 0.14$	$\Sigma M_{sw} = 0.17$		

h_0 , Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_i + \Sigma M_{sw}}{\Sigma P + P_i + \Sigma P_{sw}} = \frac{236.99}{123.53} = 1.92 \text{ m}$$

R_No.39_pp.22

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000$ m
 Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.88$
 Section efficiency $\mu = 0.80$
 Young's modulus $E = 200000$ N/mm²
 Inertia sectional moment $I_0 = 56700$ cm⁴ (original condition)
 $I = 39917$ cm⁴ (after reduction by corrosion and section)
 $EI = 200000 \times 10^3 \times 39917 \times 10^{-8} = 7.983 \times 10^8$

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$l_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1 + \beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction $K_b = 23467$ kN/m³
 calculated value $\beta = 0.52066$ m⁻¹
 resultant earth force (lateral) $P_0 = 88.57$ kN/m
 height of acting position of load moment $h_0 = 1.61$ m
 $M_0 = 142.87$ kN·m/m

in consideration of $\psi_m = 1.191$, maximum moment

$M_{max} = 170.21$ kN·m/m
 $l_m = 0.686$ m
 $l_i = 2.194$ m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction $K_b = 24192$ kN/m³
 calculated value $\beta = 0.52464$ m⁻¹
 resultant earth force (lateral) $P_0 = 123.53$ kN/m
 height of acting position of load moment $h_0 = 1.92$ m
 $M_0 = 236.99$ kN·m/m

in consideration of $\psi_m = 1.145$, maximum moment

$M_{max} = 271.27$ kN·m/m
 $l_m = 0.611$ m
 $l_i = 2.108$ m

R_No.39_pp.23

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.88$
 Section efficiency $\mu = 1.00$
 Module of section $Z_0 = 2700$ cm³ (original condition)
 $Z = 2376$ cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{170.21 \times 10^6}{2376 \times 10^3} = 72 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2 \text{ (ok)}$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{271.27 \times 10^6}{2376 \times 10^3} = 114 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2 \text{ (ok)}$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	2.81 2.11	0.801 0.601	0.235 35.27	1.621 5.095
2	2.10~2.51	1.27 1.14	0.363 0.324	0.058 0.047	7.21 8.32
3	2.51~2.60	0.97 0.94	0.276 0.268	0.035 0.033	1.83 1.88
4	2.60~2.70	0.88 0.84	0.250 0.240	0.029 0.027	2.09 1.85
5	2.70~3.51	0.54 0.27	0.154 0.077	0.011 0.003	14.95 4.78
$\Sigma Q = 7.938$					

Y : Height from imaginary riverbed to acting position

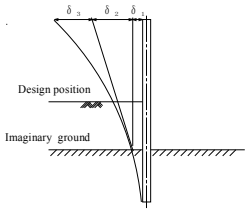
$$\alpha = \frac{Y}{H + L_k}$$

$$\zeta = \frac{Y}{(3 - \alpha) \times \alpha^2}$$

Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

R_No.39_pp.24

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.5207 \times 1.61) \times 88.57}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5207^3} = 0.00723 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_0)$$

$$= \frac{(1 + 2 \times 0.5207 \times 1.61) \times 88.57}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5207^2} \times (2.60 + 0.91) = 0.01925 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_0)^3}{E I}$$

$$= \frac{7.94 \times (2.60 + 0.91)^3}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.00430 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00078 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.51 m
 Horizontal load: P = 3.50
 Moment: M = 1.86

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00723 + 0.01925 + 0.000507$$

$$= 0.03155 \text{ m}$$

$$= 31.55 \leq 6\sigma = 50.00 \text{ mm (ok)}$$

Where,

- Displacement at imaginary ground
- Displacement by angle of inclination slope at imaginary ground
- Displacement at higher part of imaginary ground as cantilever
- Displacement at top of SSP
- Allowable displacement

R_No.39_pp.25

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.02 2.32	0.812 0.624	0.240 0.154	12.44 43.96	2.990 6.778
2	2.10~2.20	1.59 1.56	0.427 0.418	0.078 0.075	2.21 2.29	0.173 0.172
3	2.20~2.51	1.42 1.32	0.381 0.354	0.063 0.055	7.08 7.32	0.449 0.404
4	2.51~2.60	1.18 1.15	0.318 0.310	0.045 0.043	2.13 2.15	0.096 0.092
5	2.60~3.51	0.82 0.52	0.220 0.139	0.022 0.009	21.70 21.86	0.487 0.109
6	3.51~3.72	0.14 0.07	0.038 0.019	0.001 0.000	0.85 0.00	0.001 0.000
$\Sigma Q = 11.750$						

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H + L_0}$$

$$\zeta : \zeta = \frac{(3 - \alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

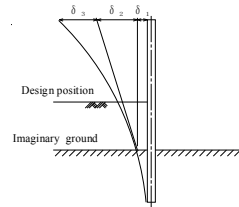
L_0 : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	Q_{se} (kN)	Q_{dw} (kN)
1	2.20~2.60	1.39 1.26	0.373 0.337	0.061 0.051	0.00 0.14	0.000 0.007
$\Sigma Q_{dw} = 0.007$						

Therefore, modulus of deformation Q is calculated as below:
 $Q = 11.750 + 0.007 = 11.757$

Displacement



R_No.39_pp.26

$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.5246 \times 1.92) \times 123.53}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5246^3} = 0.01075 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_0)$$

$$= \frac{(1 + 2 \times 0.5246 \times 1.92) \times 123.53}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5246^2} \times (2.60 + 1.12) = 0.03153 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_0)^3}{E I}$$

$$= \frac{11.76 \times (2.60 + 1.12)^3}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.00760 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00225 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.72 m
 Horizontal load: P = 9.40
 Moment: M = 2.54

Displacement δ_{3m} of cantilever beam by moment M_m is additionally considered.

$$\delta_{3m} = \frac{M_m \cdot h}{2 E I} \times (2 L - h) \quad (L = 3.72 \text{ m, } h = L - H_0, H_0 = 0.80 \text{ m, } \text{ただし } \dots)$$

$$= \frac{3.80 \times 2.92}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8}} \times (2 \times 3.72 - 2.92) = 0.00031 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01075 + 0.03153 + 0.01016$$

$$= 0.05244 \text{ m}$$

$$= 52.44 \leq 6\sigma = 75.00 \text{ mm (ok)}$$

Where,

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ_3' : Displacement at top of SSP
- δ_3 : Allowable displacement

R_No.39_pp.27

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below:

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 56700 \text{ cm}^4$ (original condition)
	I = 56700 cm ⁴ (after reduction by corrosion and section)
EI	= 200000 × 10 ³ × 56700 × 10 ⁻⁸ = 1.134 × 10 ⁷

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_0 , penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings:

$$D = L_0 + \frac{3}{\beta}$$

$$L = H - H_{10} + D$$

$$\beta = 4 \sqrt{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	$K_b = 23467 \text{ kN/m}^3$
Calculated value	$\beta = 0.47692 \text{ m}^{-1}$
Penetration length of SSP	$D = 0.91 + \frac{3}{0.477} = 7.20 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 7.20 = 9.40 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	$K_b = 24192 \text{ kN/m}^3$
Calculated value	$\beta = 0.48056 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.12 + \frac{3}{0.481} = 7.37 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 7.37 = 9.57 \text{ m}$

Therefore, whole length of SSP is set as 10.00 m in consideration of round unit of SSP length.

R_No.39_pp.28

8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	56700		
Section modulus	Z (cm ³)	2700		
Maximum bending moment	M _{max} (kN·m/m)		170.21	271.27
Stress intensity	σ (N/mm ²)		72 (180)	114 (270)
Lateral displacement	δ (mm)		31.55 (50.0)	52.44 (75.0)
Penetration depth	D (m)		7.20	7.37
Whole length of SSP	L (m)	10.00		

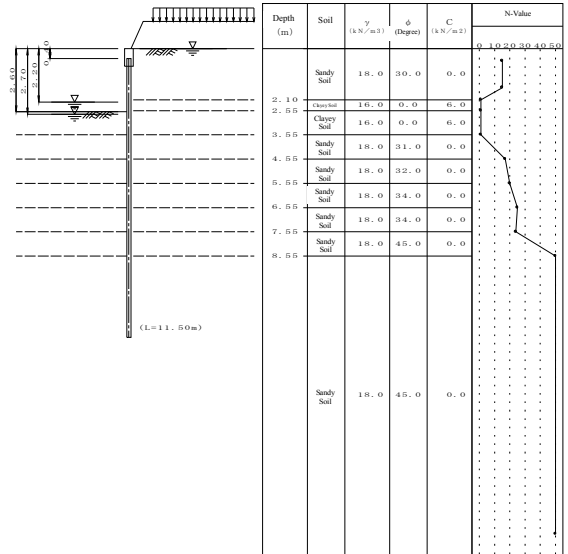
R_No.39_pp.29

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 40_STA 14+985 - 15+072



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_g = 0.40 m
 Depth from coping top to SSP top H_s = 0.00 m
 Landside WL L_{wp} = 0.00 m (Normal Condition)
 Riverside WL L_{wp} = 2.70 m (Normal Condition)
 L_{wp} = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.40_pp.1

R_No.40_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition
 Design earthquake intensity $k = 0.200$

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load $P_t = 3.4 \text{ kN/m}$ (Normal Condition)
 $P_t' = 10.4 \text{ kN/m}$ (Seismic Condition)
 Depth of acting point $H_t = -0.52 \text{ m}$ (Normal Condition)
 $H_t' = -0.37 \text{ m}$ (Seismic Condition)
 Moment $M_m = 0.0 \text{ kN}\cdot\text{m/m}$ (Normal Condition)
 $M_m' = 0.0 \text{ kN}\cdot\text{m/m}$ (Seismic Condition)
 Depth of acting point $H_m = 0.00 \text{ m}$ (Seismic Condition)
 $H_m = 0.00 \text{ m}$ (Normal Condition)
 ('Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10 \text{ degrees}$

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.406}$

Average N-value calculated from average N-value between imaginary riverbed and depth as $1/\beta$

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.50	15	11	20.00	50
2	1.60	15			
3	2.10	1			
4	2.55	1			
5	3.55	1			
6	4.55	17			
7	5.55	20			
8	6.55	25			
9	7.55	24			
10	8.55	50			

R_No.40_pp.3

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

No	Depth (m)	Soil	N-value	γ	γ'	φ	C	a	k'	ζ (degree)		kh(kN/m³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.200	auto	auto	—	—	
2	2.55	C	1.0	16.00	8.00	0.0	6.0	0.0	0.200	auto	auto	—	—
3	3.55	C	1.0	16.00	8.00	0.0	6.0	0.0	0.200	auto	auto	—	—
4	4.55	S	17.0	18.00	10.00	31.0	0.0	0.200	auto	auto	—	—	
5	5.55	S	20.0	18.00	10.00	32.0	0.0	0.200	auto	auto	—	—	
6	6.55	S	25.0	18.00	10.00	34.0	0.0	0.200	auto	auto	—	—	
7	7.55	S	24.0	18.00	10.00	34.0	0.0	0.200	auto	auto	—	—	
8	8.55	S	50.0	18.00	10.00	45.0	0.0	0.200	auto	auto	—	—	
9	20.00	S	50.0	18.00	10.00	45.0	0.0	0.200	auto	auto	—	—	

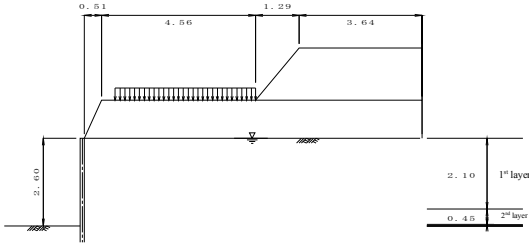
Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed (M)
 N-value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C₀ : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (underwater)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

R_No.40_pp.4

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.51	10.00	10.00	1.12	18.0	30.0	0.0	auto	auto
2	Sandy soil	5.07	6.36	10.00	10.00	1.55	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	0.91	5.07	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus $E = 200000 \text{ N/mm}^2$
 Inertia sectional moment $I_0 = 114000 \text{ cm}^4$
 Sectional factor $Z_0 = 3250 \text{ cm}^3$

Corrosion margin $t_1 = 1.00 \text{ mm (riverside)}$ $t_2 = 1.00 \text{ mm (landside)}$

Corrosion rate (to I_0) $\eta = 0.84$
 Corrosion rate (to Z_0) $\eta = 0.87$
 Section efficiency (to I_0) $\mu = 1.00$
 Section efficiency (to Z_0) $\mu = 1.00$

Round unit of SSP length 0.50 m

Allowable stress $\sigma_a = 185 \text{ N/mm (Normal)}$
 $\sigma_a' = 278 \text{ N/mm (Seismic)}$

Allowable displacement $\delta_a = 50.0 \text{ mm (Normal)}$
 $\delta_a' = 75.0 \text{ mm (Seismic)}$

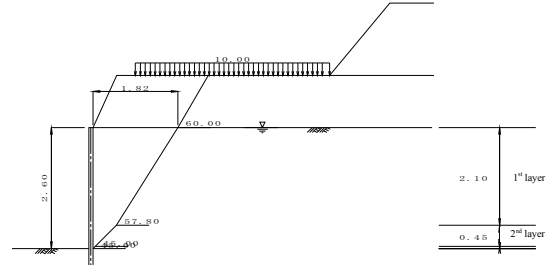
Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus
 Reduced: I_0 applied to calculation of lateral coefficient of subgrade reaction
 Not reduced: I_0 applied to calculation of penetration depth
 Reduced: I_0 applied to calculation of section forces and displacement
 Reduced: Z_0 applied to calculation of stresses

R_No.40_pp.5

2 Calculation of Acting Load

2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wet} (kN/m ³)	Angle of rupture Z (degree)
1	2.60 ~ 2.55	Clayey Soil	0.0	10.0	6.0	25.00	29.47	25.48	45.00
2	2.55 ~ 2.10	Clayey Soil	0.0	10.0	6.0	24.60	29.47	24.99	45.00
3	2.10 ~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	29.47	20.58	57.80
4		Embankment	30.0	—	0.0	48.06	0.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

R_No.40_pp.6

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.05	0.00	0.00	0.05	0.05
2	45.00	0.45	0.05	0.05	0.50	0.50
3	57.80	2.10	0.50	0.50	1.82	2.60
4	60.00	1.12	1.82	2.60	2.47	3.72

Therefore, width of acting load shall be set as 1.82 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.12	38.12
Σ			38.12

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.56	15.59
Σ			15.59

Q: surcharge load
 l : width of surcharge load set by line of active rupture

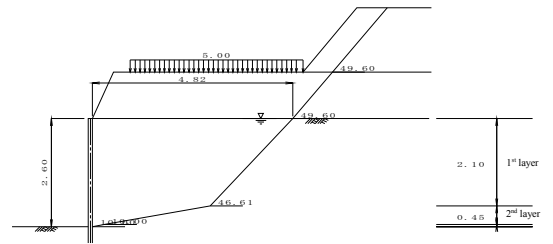
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{38.12 + 15.59 + 0.00}{1.82}$$

$$= 29.47 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wet} (kN/m ³)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60 ~ 2.55	Clayey Soil	0.0	10.0	6.0	25.00	29.56	25.48	0.200	11.31	10.00
2	2.55 ~ 2.10	Clayey Soil	0.0	10.0	6.0	24.60	29.56	24.99	0.200	11.31	10.00
3	2.10 ~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	29.56	20.58	0.200	11.31	46.61
4		Embankment	30.0	—	0.0	48.06	0.00	0.00	0.200	11.31	49.60
5		Embankment	30.0	—	0.0	27.90	0.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	10.00	0.05	0.00	0.00	0.28	0.05
2	10.00	0.45	0.28	0.05	2.84	0.50
3	46.61	2.10	2.84	0.50	4.82	2.60
4	49.60	1.12	4.82	2.60	5.77	3.72
5	49.60	1.55	5.77	3.72	7.09	5.27

Therefore, width of acting load shall be set as 4.82 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	5.65	101.66
2	18.0	1.11	20.05
Σ			121.71

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	4.16	20.80
Σ			20.80

Q : surcharge load
l : width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

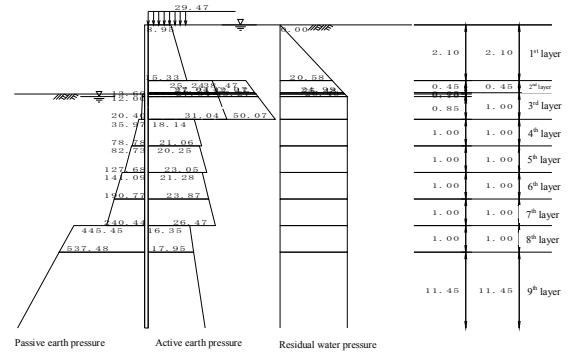
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{121.71 + 20.80 + 0.00}{4.82}$$

$$= 29.56 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_a$ (kN/m ²)	Ka	$K_a \times \cos\delta$
1	Sandy soil	10.0	30.0	---	29.471 50.471	0.30847 0.30847	0.30378 0.30378
2	Clayey soil	8.0	---	6.0	50.471 54.071	---	---
3	Clayey soil	8.0	---	6.0	54.071 54.471	---	---
4	Clayey soil	8.0	---	6.0	54.471 55.271	---	---
5	Clayey soil	8.0	---	6.0	55.271 62.071	---	---
6	Sandy soil	10.0	31.0	---	62.071 72.071	0.29669 0.29669	0.29219 0.29219
7	Sandy soil	10.0	32.0	---	72.071 82.071	0.28525 0.28525	0.28092 0.28092
8	Sandy soil	10.0	34.0	---	82.071 92.071	0.26331 0.26331	0.25931 0.25931
9	Sandy soil	10.0	34.0	---	92.071 102.071	0.26331 0.26331	0.25931 0.25931
10	Sandy soil	10.0	45.0	---	102.071 112.071	0.16262 0.16262	0.16015 0.16015
11	Sandy soil	10.0	45.0	---	112.071 226.571	0.16262 0.16262	0.16015 0.16015

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below;

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_p$ (kN/m ²)	K_p	$K_p \times \cos\delta$
4	Clayey soil	16.0	0.0	6.0	0.000 1.600	---	---
5	Clayey soil	8.0	0.0	6.0	1.600 8.400	---	---
6	Sandy soil	10.0	31.0	---	8.400 18.400	4.34774 4.34774	4.28169 4.28169
7	Sandy soil	10.0	32.0	---	18.400 28.400	4.56530 4.56530	4.49594 4.49594
8	Sandy soil	10.0	34.0	---	28.400 38.400	5.04448 5.04448	4.96784 4.96784
9	Sandy soil	10.0	34.0	---	38.400 48.400	5.04448 5.04448	4.96784 4.96784
10	Sandy soil	10.0	45.0	---	48.400 58.400	9.34548 9.34548	9.20351 9.20351
11	Sandy soil	10.0	45.0	---	58.400 172.900	9.34548 9.34548	9.20351 9.20351

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below;

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure Pw (kN/m ²)	Passive side Pp (kN/m ²)
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1	8.95 15.33	---	8.95 15.33	0.00 20.58	---
2	38.47 42.07	25.24 27.04	38.47 42.07	20.58 24.99	---
3	42.07 42.47	27.04 27.24	42.07 42.47	24.99 25.48	---
4	42.47 43.27	27.24 27.64	42.47 43.27	25.48 26.46	12.00 13.60
5	43.27 50.07	27.64 31.04	43.27 50.07	26.46 26.46	13.60 20.40
6	18.14 21.06	---	18.14 21.06	26.46 26.46	35.97 78.78
7	20.25 23.05	---	20.25 23.05	26.46 26.46	82.73 127.68
8	21.28 23.87	---	21.28 23.87	26.46 26.46	141.09 190.77
9	23.87 26.47	---	23.87 26.47	26.46 26.46	190.77 240.44

Depth (m)	Active side			Residual water pressure Pw (kN/m ²)	Passive side Pp (kN/m ²)
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
10	16.35 17.95	---	16.35 17.95	26.46 26.46	445.45 537.48
11	17.95 36.29	---	17.95 36.29	26.46 26.46	537.48 1591.29

- Formula for active earth pressure

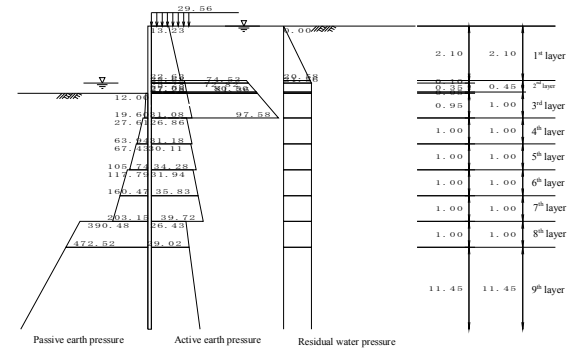
Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos\delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_c : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos\delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos\delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos\delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q$ (kN/m ²)	γ_{wh} (kN/m ²)	k (k)	θ (degree)	Ka	$Ka \times \cos \delta$	θ (degree)
1 0.00~2.10	Sandy Soil	10.0	30.0	---	29.56 50.56	0.00 20.58	0.200 0.200	11.31 11.31	0.45442 0.45442	0.44752 0.44752	---
2 2.10~2.20	Clayey Soil	8.0	---	6.0	50.56 51.36	20.58 21.56	0.200 0.200	11.31 11.31	---	---	10.00 10.00
3 2.20~2.55	Clayey Soil	8.0	---	6.0	51.36 54.16	21.56 24.99	0.200 0.200	11.31 11.31	---	---	10.00 10.00
4 2.55~2.60	Clayey Soil	8.0	---	6.0	54.16 54.56	24.99 25.48	0.200 0.200	11.31 11.31	---	---	10.00 10.00
5 2.60~3.55	Clayey Soil	8.0	---	6.0	54.56 62.16	25.48 34.79	0.200 0.200	11.31 11.31	---	---	10.00 10.00
6 3.55~4.55	Sandy Soil	10.0	31.0	---	62.16 72.16	34.79 44.59	0.200 0.200	11.31 11.31	0.43879 0.43879	0.43213 0.43213	---
7 4.55~5.55	Sandy Soil	10.0	32.0	---	72.16 82.16	44.59 54.39	0.200 0.200	11.31 11.31	0.42366 0.42366	0.41722 0.41722	---
8 5.55~6.55	Sandy Soil	10.0	34.0	---	82.16 92.16	54.39 64.19	0.200 0.200	11.31 11.31	0.39477 0.39477	0.38878 0.38878	---
9 6.55~7.55	Sandy Soil	10.0	34.0	---	92.16 102.16	64.19 73.99	0.200 0.200	11.31 11.31	0.39477 0.39477	0.38878 0.38878	---
10 7.55~8.55	Sandy Soil	10.0	45.0	---	102.16 112.16	73.99 83.79	0.200 0.200	11.31 11.31	0.26273 0.26273	0.25874 0.25874	---
11 8.55~20.00	Sandy Soil	10.0	45.0	---	112.16 226.66	83.79 196.00	0.200 0.200	11.31 11.31	0.26273 0.26273	0.25874 0.25874	---

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;
 $\delta = 10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below;

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_p$ (kN/m ²)	γ_{wh} (kN/m ²)	k (k)	θ (degree)	Kp	$Kp \times \cos \delta$
5 2.60~3.55	Clayey soil	8.00	0.0	6.0	0.000 7.600	0.00 9.31	0.200 0.200	11.31 11.31	---	---
6 3.55~4.55	Sandy soil	10.00	31.0	---	7.600 17.600	9.31 19.11	0.200 0.200	11.31 11.31	3.68877 3.68877	3.63273 3.63273
7 4.55~5.55	Sandy soil	10.00	32.0	---	17.600 27.600	19.11 28.91	0.200 0.200	11.31 11.31	3.89012 3.89012	3.83102 3.83102
8 5.55~6.55	Sandy soil	10.00	34.0	---	27.600 37.600	28.91 38.71	0.200 0.200	11.31 11.31	4.33360 4.33360	4.26776 4.26776
9 6.55~7.55	Sandy soil	10.00	34.0	---	37.600 47.600	38.71 48.51	0.200 0.200	11.31 11.31	4.33360 4.33360	4.26776 4.26776
10 7.55~8.55	Sandy soil	10.00	45.0	---	47.600 57.600	48.51 58.31	0.200 0.200	11.31 11.31	8.33000 8.33000	8.20345 8.20345

R_No.40_pp.13

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_p$ (kN/m ²)	γ_{wh} (kN/m ²)	k (k)	θ (degree)	Kp	$Kp \times \cos \delta$
11 8.55~20.00	Sandy soil	10.00	45.0	---	57.600 172.100	58.31 170.52	0.200 0.200	11.31 11.31	8.33000 8.33000	8.20345 8.20345

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below;
 $\delta = -10.00, \beta = 0.00, \theta = \tan^{-1} k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 kN/m ²	Pa2 kN/m ²	Pa kN/m ²	Pw kN/m ²	Pp kN/m ²
1	0.00~2.10	13.23 22.63	---	13.23 22.63	0.00 20.58	---
2	2.10~2.20	72.82 74.53	25.28 25.68	72.82 74.53	20.58 21.56	---
3	2.20~2.55	74.53 80.50	25.68 27.08	74.53 80.50	21.56 21.56	---
4	2.55~2.60	80.50 81.36	27.08 27.28	80.50 81.36	21.56 21.56	---
5	2.60~3.55	81.36 97.58	27.28 31.08	81.36 97.58	21.56 21.56	12.00 19.60
6	3.55~4.55	26.86 31.18	---	26.86 31.18	21.56 21.56	27.61 63.94
7	4.55~5.55	30.11 34.28	---	30.11 34.28	21.56 21.56	67.43 105.74
8	5.55~6.55	31.94 35.83	---	31.94 35.83	21.56 21.56	117.79 160.47
9	6.55~7.55	35.83 39.72	---	35.83 39.72	21.56 21.56	160.47 203.15
10	7.55~8.55	26.43 29.02	---	26.43 29.02	21.56 21.56	390.48 472.52
11	8.55~20.00	29.02 58.64	---	29.02 58.64	21.56 21.56	472.52 1411.81

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$

K_a : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

R_No.40_pp.14

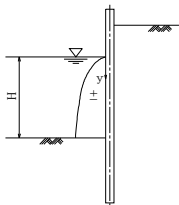
3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	p_{dw} (kN/m ²)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

$$p_{dw} = \pm \frac{7}{8} k_{dw} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

Where,

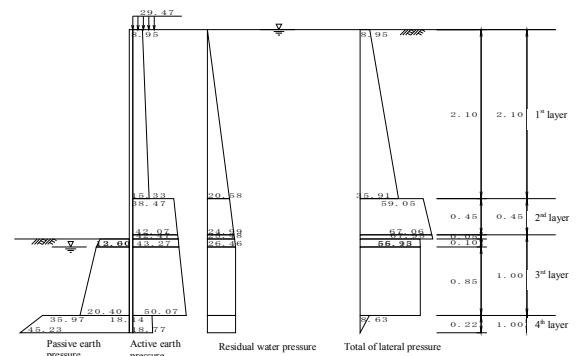
- k_{dw} : design seismic coefficient
- γ_w : unit weight of water
- H: water depth of riverside
- y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level Lx is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

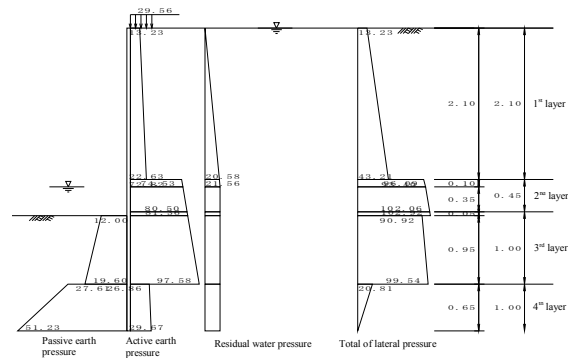


Depth (m)	Pa kN/m ²	Pw kN/m ²	Pp kN/m ²	Ps kN/m ²
1 0.00~2.10	8.95 15.33	0.00 20.58	---	8.95 35.91
2 2.10~2.55	38.47 42.07	20.58 24.99	---	59.05 67.06
3 2.55~2.60	42.07 42.47	24.99 25.48	---	67.06 67.95
4 2.60~2.70	42.47 43.27	25.48 26.46	12.00 13.60	55.95 56.13
5 2.70~3.55	43.27 50.07	26.46 26.46	13.60 20.40	56.13 56.13
6 3.55~3.77	18.14 18.77	26.46 26.46	35.97 45.23	8.63 0.00
7 3.77~4.55	18.77 21.06	26.46 26.46	45.23 78.78	0.00 -31.27

- P_a : Active earth pressure
- P_w : Residual water pressure
- P_p : Passive earth pressure
- P_s : Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed L_x : 1.17 m (GL -3.77 m)

4-2 Seismic Condition



Depth (m)	Pa kN/m ²	Pw kN/m ²	Pp kN/m ²	Ps kN/m ²
1 0.00~2.10	13.23 22.63	0.00 20.58	— —	13.23 43.21
2 2.10~2.20	72.82 74.53	20.58 21.56	— —	93.40 96.09
3 2.20~2.55	74.53 80.50	21.56 21.56	— —	96.09 102.06
4 2.55~2.60	80.50 81.36	21.56 21.56	— —	102.06 102.92
5 2.60~3.55	81.36 97.58	21.56 21.56	12.00 19.60	90.92 99.54
6 3.55~4.20	26.86 29.67	21.56 21.56	27.61 51.23	20.81 0.00
7 4.20~4.55	29.67 31.18	21.56 21.56	51.23 63.94	0.00 -11.19

Pa : Active earth pressure
 Pw : Residual water pressure
 Pp : Passive earth pressure
 Ps : Lateral pressure Ps = Pa + Pw - Pp

Imaginary riverbed L₄: 1.60 m (GL -4.20 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below;

$$K_h = 6910 \times N^{0.896}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width B = 1.0000 m
 Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.84
 Section efficiency μ = 1.00
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 114000 cm⁴(original condition)
 I = 95760 cm⁴(after reduction by corrosion and joint)
 Inertia sectional moment EI = 200000 × 10³ × 95760 × 10⁻⁸ = 1.915 × 10⁷

Depth (m)	N-value	Depth (m)	N-value
1 0.50	15	11 20.00	50
2 1.60	15		
3 2.10	1		
4 2.55	1		
5 3.55	1		
6 4.55	17		
7 5.55	20		
8 6.55	25		
9 7.55	24		
10 8.55	50		

5-2 Normal Condition

K_s = 21745 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.410 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.44 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.77 m) to 2.44 m depth (GL -6.20 m).

Depth Z (m)	Thickness h (m)	N-value (kN/m ²)		Area (m ²)
		upper	lower	
1 3.77	0.78	4.5	17.0	8.41
2 4.55	1.00	17.0	20.0	18.50
3 5.55	0.65	20.0	23.3	14.12
L = Σh = 2.44		ΣA = 41.03		

A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{41.03}{2.44} = 16.84$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.896} = 6910 \times 16.84^{0.896} = 21745 \text{ kN/m}^3$$

K_h (normal condition) = 21745 kN/m³

5-3 Seismic Condition

K_s = 23162 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.417 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.40 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.20 m) and 2.40 m depth (GL -6.60 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 4.20	0.35	11.4	17.0	4.97
2 4.55	1.00	17.0	20.0	18.50
3 5.55	1.00	20.0	25.0	22.50
4 6.55	0.05	25.0	25.0	1.21
L = Σh = 2.40		ΣA = 47.18		

A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{47.18}{2.40} = 19.67$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.896} = 6910 \times 19.67^{0.896} = 23162 \text{ kN/m}^3$$

K_h (seismic condition) = 23162 kN/m³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Elevation h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force Ps (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1 0.00~2.10	2.10	8.95 35.91	9.40 37.71	3.07 2.37	28.82 89.23
2 2.10~2.55	0.45	59.05 67.06	13.29 15.09	1.52 1.37	20.15 20.62
3 2.55~2.60	0.05	67.06 67.95	1.68 1.70	1.20 1.18	2.01 2.01
4 2.60~2.70	0.10	55.95 56.13	2.80 2.81	1.13 1.10	3.17 3.09
5 2.70~3.55	0.85	56.13 56.13	23.86 23.86	0.78 0.50	18.68 11.92
6 3.55~3.77	0.22	8.63 0.00	0.93 0.00	0.14 0.07	0.13 0.00
		ΣP = 133.11	ΣM = 199.82		

P₀ : active earth pressure + residual water pressure - passive earth pressure
 P : load P_i × h/2 × B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P × Y

Arbitrary load lateral load
 depth to acting position H_i = -0.52 m
 moment M_m = 0.0 kN·m/m
 depth to acting position H_m = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of Imaginary riverbed from riverbed L_k = 1.17 m

Moment M₀ by arbitrary load is as below

$$M_0 = P_0 \cdot (H + L_k - H_0) + M_m = 14.57 \text{ kN·m}$$

h₀: Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_0}{\Sigma P + P_0} = \frac{214.40}{136.51} = 1.57 \text{ m}$$

6-1-2 Seismic Condition

	Depth Z (m)	Thickness h (m)	Lateral load Ps (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~2.10	2.10	13.23 43.21	13.89 45.37	3.50 2.80	48.62 127.04
2	2.10~2.20	0.10	93.40 96.09	4.67 4.80	2.07 2.03	9.65 9.77
3	2.20~2.55	0.35	96.09 102.06	16.82 17.86	1.88 1.77	31.67 31.56
4	2.55~2.60	0.05	102.06 102.92	2.55 2.57	1.63 1.62	4.17 4.16
5	2.60~3.55	0.95	90.92 99.54	43.19 47.28	1.28 0.97	55.43 45.72
6	3.55~4.20	0.65	20.81 0.00	6.77 0.00	0.43 0.22	2.93 0.00
			ΣP = 205.76	ΣM = 370.72		

Ps : active earth pressure + residual water pressure - passive earth pressure
 P : load Ps x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load Pt = 10.4 kN/m
 depth to acting position Ht = -0.37 m
 moment Mt = 0.0 kN·m/m
 depth to acting position Hm = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of Imaginary riverbed from riverbed Lt = 1.60 m

Moment Mt by arbitrary load is as below
 Mt = Pt · (H + Lt - Ht) + Mt = 47.53 kN·m

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure Psw (kN/m ²)	Load Psw (kN)	Arm length Y (m)	Moment Msw (kN·m)
1	2.20~2.60	0.40	0.0 0.7	0.00 0.14	1.87 1.73	0.00 0.24
			ΣPsw = 0.14	ΣMsw = 0.24		

h0, Height of acting position of P0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_t + \Sigma M_{sw}}{\Sigma P + P_t + \Sigma P_{sw}} = \frac{418.49}{216.30} = 1.93 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as followings:

Unit width B = 1.0000 m
 Corrosion margin ti = 1.00 mm (active side) t2 = 1.00 mm (passive side)
 Corrosion rate η = 0.84
 Section efficiency μ = 1.00
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I0 = 114000 cm⁴ (original condition)
 I = 95760 cm⁴ (after reduction by corrosion and section)
 EI = 200000 × 10³ × 95760 × 10⁻⁸ = 1.915 × 10⁷

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4 E I}}$$

$$\phi_n = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_n$$

$$1_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$1_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1 + \beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction Kb = 21745 kN/m³
 calculated value β = 0.41046 m⁻¹
 resultant earth force (lateral) P0 = 136.51 kN/m
 height of acting position of load h0 = 1.57 m
 moment M0 = 214.40 kN·m/m

in consideration of ψm = 1.284, maximum moment Mmax = 275.19 kN·m/m
 depth of generated position of Mmax Lm = 1.003 m
 depth of 1st fixed point li = 2.917 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction Kb = 23162 kN/m³
 calculated value β = 0.41699 m⁻¹
 resultant earth force (lateral) P0 = 216.30 kN/m
 height of acting position of load h0 = 1.93 m
 moment M0 = 418.49 kN·m/m

in consideration of ψm = 1.203, maximum moment Mmax = 503.61 kN·m/m
 depth of generated position of Mmax Lm = 0.876 m
 depth of 1st fixed point li = 2.760 m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as followings:

Corrosion margin t1 = 1.00 mm (active side) t2 = 1.00 mm (passive side)
 Corrosion rate η = 0.87
 Section efficiency μ = 1.00
 Module of section Z0 = 3250 cm³ (original condition)
 Z = 2828 cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{275.19 \times 10^6}{2828 \times 10^3} = 97 \text{ N/mm}^2 \leq \sigma_a = 185 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{503.61 \times 10^6}{2828 \times 10^3} = 178 \text{ N/mm}^2 \leq \sigma_a = 278 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

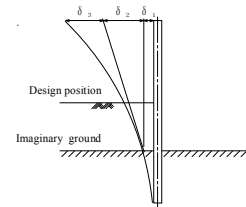
6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)	
1	0.00~2.10	3.07 2.37	0.814 0.628	0.241 0.156	9.40 37.71	2.270 5.884
2	2.10~2.55	1.52 1.37	0.403 0.363	0.070 0.058	13.29 15.09	0.932 0.873
3	2.55~2.60	1.20 1.18	0.319 0.314	0.045 0.044	1.68 1.70	0.076 0.075
4	2.60~2.70	1.13 1.10	0.301 0.292	0.041 0.038	2.80 2.81	0.114 0.108
5	2.70~3.55	0.78 0.50	0.208 0.133	0.020 0.008	23.86 23.86	0.480 0.201
6	3.55~3.77	0.14 0.07	0.038 0.019	0.001 0.000	0.93 0.000	0.001 0.000
ΣQ = 11.013						

Y : Height from imaginary riverbed to acting position
 α : α = $\frac{Y}{H+L_1}$
 ζ : ζ = $\frac{(3-\alpha) \times \alpha^2}{6}$
 Q : ζ × P
 P : Lateral force
 H : Depth to design position
 L1 : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1+\beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1+0.4105 \times 1.57) \times 136.51}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.4105^3} = 0.00848 \text{ m}$$

$$\delta_2 = \frac{(1+2\beta h_0) \times P_0}{2 E I \beta^2} \times (H+L_1) = \frac{(1+2 \times 0.4105 \times 1.57) \times 136.51}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.4105^2} \times (2.60+1.17) = 0.01824 \text{ m}$$

$$\delta_3 = \frac{Q \times (H+L_1)^3}{E I} = \frac{11.01 \times (2.60+1.17)^3}{2.00 \times 10^8 \times 95760 \times 10^{-8}} = 0.00307 \text{ m}$$

Additional displacement δ' generated by horizontal load (P) and moment (M) acting at top of SSP considered.

$$\delta' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ' is calculated as 0.00038 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.77 m
 Horizontal load: P = 3.40
 Moment: M = 1.77

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.00848 + 0.01824 + 0.00345 = 0.03017 \text{ m} = 30.17 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where,
 Displacement at imaginary ground
 Displacement by angle of inclination slope at imaginary ground
 Displacement at higher part of imaginary ground as cantilever
 Displacement at top of SSP
 Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.50 2.80	0.833 0.667	0.251 0.173	13.89 45.37	3.483 7.842
2	2.10~2.20	2.07 2.03	0.492 0.484	0.101 0.098	4.67 4.80	0.473 0.472
3	2.20~2.55	1.88 1.77	0.448 0.421	0.086 0.076	16.82 17.86	1.438 1.359
4	2.55~2.60	1.63 1.62	0.389 0.385	0.066 0.065	2.55 2.57	0.168 0.166
5	2.60~3.55	1.28 0.97	0.306 0.230	0.042 0.024	43.19 47.28	1.811 1.157
6	3.55~4.20	0.43 0.22	0.103 0.052	0.005 0.001	6.77 0.00	0.035 0.000
$\Sigma Q = 18.403$						

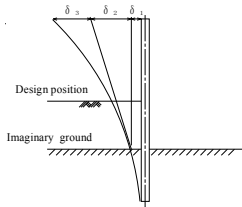
Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_k}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_{dw} (kN)	Q_{dw} (kN)
1	2.20~2.60	1.87 1.73	0.444 0.413	0.084 0.073	0.00 0.14	0.000 0.010
$\Sigma Q_{dw} = 0.010$						

Therefore, modulus of deformation Q is calculated as below:
 $Q = 18.403 + 0.010 = 18.413$

Displacement



R_No.40_pp.25

$$\delta_1 = \frac{(1 + \beta h) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4170 \times 1.93) \times 216.30}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.4170^3} = 0.01407 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h) \times P_0}{2 E I \beta^2} \times (H + L_k)$$

$$= \frac{(1 + 2 \times 0.4170 \times 1.93) \times 216.30}{2 \times 2.00 \times 10^8 \times 95760 \times 10^{-8} \times 0.4170^2} \times (2.60 + 1.60) = 0.03565 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_k)^3}{E I}$$

$$= \frac{18.41 \times (2.60 + 1.60)^3}{2.00 \times 10^8 \times 95760 \times 10^{-8}} = 0.00712 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00152 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.20 m
 Horizontal load: P = 10.40
 Moment: M = 3.85

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01407 + 0.03565 + 0.00864$$

$$= 0.05836 \text{ m}$$

$$= 58.36 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

R_No.40_pp.26

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below:

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 114000 \text{ cm}^4$ (original condition)
	$I = 114000 \text{ cm}^4$ (after reduction by corrosion and section)
$EI = 200000 \times 10^3 \times 114000 \times 10^{-8}$	= 2.280×10^8

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_k , penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings:

$$D = L_k + \frac{3}{\beta}$$

$$L = H - H_{ii} + D$$

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	$K_b = 21745 \text{ kN/m}^3$
Calculated value	$\beta = 0.39296 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.17 + \frac{3}{0.393} = 8.80 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 8.80 = 11.00 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	$K_b = 23162 \text{ kN/m}^3$
Calculated value	$\beta = 0.39920 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.60 + \frac{3}{0.399} = 9.12 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.12 = 11.32 \text{ m}$

Therefore, whole length of SSP is set as 11.50 m in consideration of round unit of SSP length.

R_No.40_pp.27

8 Calculation Result

		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	114000	
Section modulus	Z (cm ³)	3250	
Maximum bending moment	M_{max} (kN·m/m)		503.61
Stress intensity	σ (N/mm ²)	275.19	178 (278)
Lateral displacement	δ (mm)	97 (185)	58.36 (75.0)
Penetration depth	D (m)	11.50	8.80
Whole length of SSP	L (m)		9.12

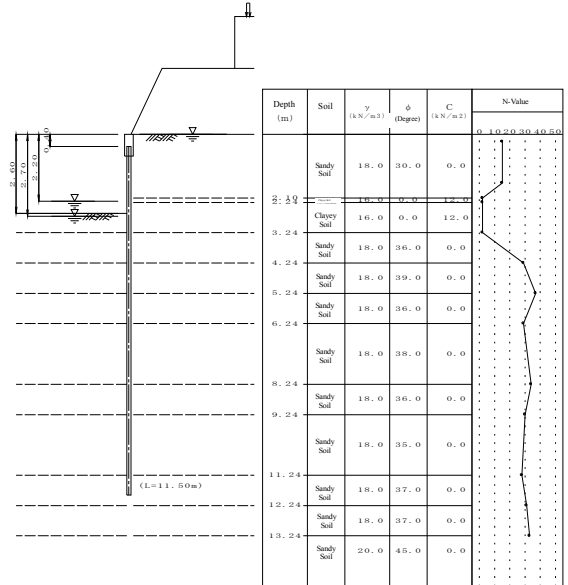
R_No.40_pp.28

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No 41_STA 15+409 - 15+441



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_a = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Landside WL L_{wa} = 0.00 m (Normal Condition)
 Riverside WL L_{wp} = 2.70 m (Normal Condition)
 L_{wp} = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.41_pp 1

R_No.41_pp 2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load
 Depth of acting point
 Moment
 Depth of acting point
 (Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10 \text{ degrees}$

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_b = 6910 \times N^{0.406}$

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.24	15	11	11.24	28
2	1.60	15	12	12.24	31
3	2.10	2	13	13.24	33
4	2.24	2	14	14.24	50
5	3.24	2			
6	4.24	29			
7	5.24	37			
8	6.24	29			
9	8.24	34			
10	9.24	30			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

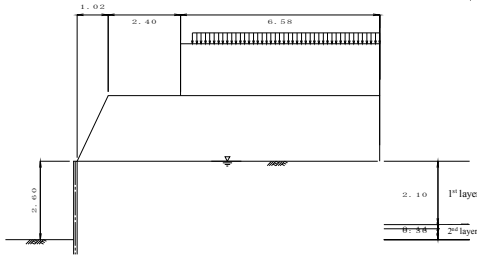
No	Depth (m)	Soil	N-value	γ kN/m³	γ' kN/m³	φ	C kN/m²	a	k'	ζ (degree)		kh(kN/m³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	2.24	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
3	3.24	C	2.0	16.00	8.00	0.0	12.0	0.0	0.200	auto	auto	—	—
4	4.24	S	29.0	18.00	10.00	36.0	0.0	0.0	0.200	auto	auto	—	—
5	5.24	S	37.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	—	—
6	6.24	S	29.0	18.00	10.00	36.0	0.0	0.0	0.200	auto	auto	—	—
7	8.24	S	34.0	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	—	—
8	9.24	S	30.0	18.00	10.00	36.0	0.0	0.0	0.200	auto	auto	—	—
9	11.24	S	28.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	—	—
10	12.24	S	31.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
11	13.24	S	33.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
12	14.24	S	50.0	20.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed (M)
 N-value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C_o : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (underwater)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	1.02	10.00	10.00	2.18	18.0	30.0	0.0	auto	auto
2	Sandy soil	3.42	3.42	10.00	10.00	1.71	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	3.81	10.00	10.0	5.0

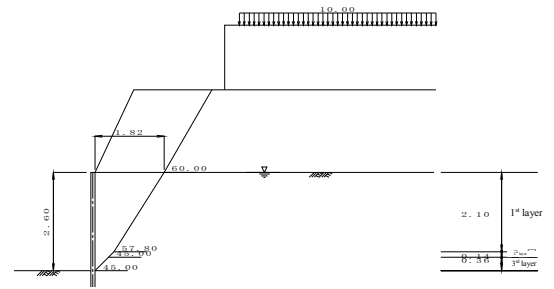
Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

- Young's modulus $E = 200000 \text{ N/mm}^2$
- Inertia sectional moment $I_0 = 154000 \text{ cm}^4$
- Sectional factor $Z_0 = 4160 \text{ cm}^3$
- Corrosion margin $t_1 = 1.00 \text{ mm (riverside)}$ $t_2 = 1.00 \text{ mm (landside)}$
- Corrosion rate (to I_0) $\eta = 0.85$
- Corrosion rate (to Z_0) $\eta = 0.87$
- Section efficiency (to I_0) $\mu = 1.00$
- Section efficiency (to Z_0) $\mu = 1.00$
- Round unit of SSP length 0.50 m
- Allowable stress $\sigma_n = 185 \text{ N/mm (Normal)}$
 $\sigma'_n = 278 \text{ N/mm (Seismic)}$
- Allowable displacement $\delta_n = 50.0 \text{ mm (Normal)}$
 $\delta'_n = 75.0 \text{ mm (Seismic)}$
- Bending of cantilever beam calculated as distributed load of each layer
- Reduction of material modulus
Reduced: I_0 applied to calculation of lateral coefficient of subgrade reaction
Not reduced: I_0 applied to calculation of penetration depth
Reduced: I_0 applied to calculation of section forces and displacement
Reduced: Z_0 applied to calculation of stresses

2 Calculation of Acting Load

2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wh} (kN/m ²)	Angle of rupture Z (degree)
1	2.60~2.24	Clayey Soil	0.0	10.0	12.0	25.00	41.81	25.48	45.00
2	2.24~2.10	Clayey Soil	0.0	10.0	12.0	22.12	41.81	21.95	45.00
3	2.10~0.00	Sandy Soil	30.0	10.0	0.0	21.00	41.81	20.58	57.80
4		Embankment	30.0	—	0.0	70.02	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.36	0.00	0.00	0.36	0.36
2	45.00	0.14	0.36	0.36	0.50	0.50
3	57.80	2.10	0.50	0.50	1.82	2.60
4	60.00	2.18	1.82	2.60	3.08	4.78

Therefore, width of acting load shall be set as 1.82 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	4.23	76.19
Σ			76.19

- γ : unit weight of embankment soil
- A : sectional area of embankment enclosed by line of active rupture

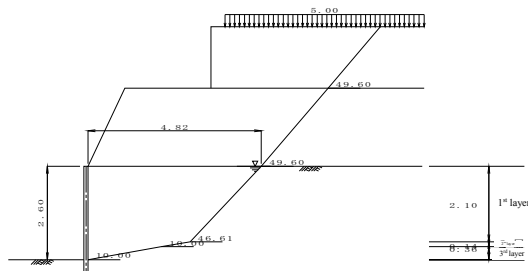
2-1-4 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times 1) + \Sigma P}{L}$$

$$= \frac{76.19 + 0.00 + 0.00}{1.82}$$

$$= 41.81 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma \gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{wh} (kN/m ²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60~2.24	Clayey Soil	0.0	10.0	12.0	25.00	72.55	25.48	0.200	11.31	10.00
2	2.24~2.10	Clayey Soil	0.0	10.0	12.0	22.12	72.55	21.95	0.200	11.31	10.00
3	2.10~0.00	Sandy Soil	30.0	10.0	0.0	21.00	72.55	20.58	0.200	11.31	46.61
4		Embankment	30.0	—	0.0	70.02	5.00	0.00	0.200	11.31	49.60
5		Embankment	30.0	—	0.0	30.78	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	10.00	0.36	0.00	0.00	2.04	0.36
2	10.00	0.14	2.04	0.36	2.84	0.50
3	46.61	2.10	2.84	0.50	4.82	2.60
4	49.60	2.18	4.82	2.60	6.68	4.78
5	49.60	1.71	6.68	4.78	8.13	6.49

Therefore, width of acting load shall be set as 4.82 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	11.42	205.56
2	18.0	6.81	122.62
Σ			328.18

- γ : unit weight of embankment soil
- A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	4.32	21.61
Σ			21.61

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

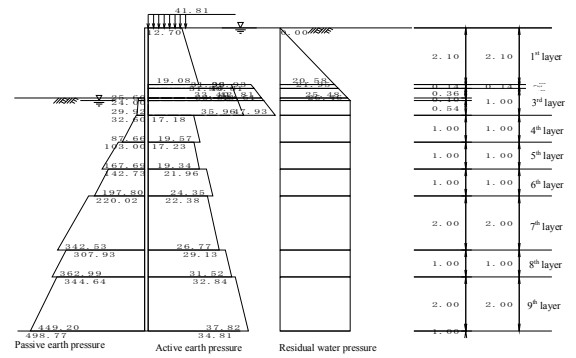
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{328.18 + 21.61 + 0.00}{4.82}$$

$$= 72.55 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Qa (kN/m ²)	Ka	Ka × cosδ
1	Sandy soil	10.0	30.0	—	41.809	0.30847	0.30378
2	Clayey soil	8.0	—	12.0	62.809	—	—
3	Clayey soil	8.0	—	12.0	63.929	—	—
4	Clayey soil	8.0	—	12.0	66.809	—	—
5	Clayey soil	8.0	—	12.0	67.609	—	—
6	Sandy soil	10.0	36.0	—	71.929	0.24257	0.23889
7	Sandy soil	10.0	39.0	—	81.929	0.21359	0.21035
8	Sandy soil	10.0	36.0	—	91.929	0.24257	0.23889
9	Sandy soil	10.0	38.0	—	101.929	0.22298	0.21959
10	Sandy soil	10.0	36.0	—	121.929	0.24257	0.23889
11	Sandy soil	10.0	35.0	—	131.929	0.25279	0.24895
12	Sandy soil	10.0	37.0	—	151.929	0.23264	0.22910
13	Sandy soil	10.0	37.0	—	161.929	0.23264	0.22910

R_No.41_pp 9

R_No.41_pp 10

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Qa (kN/m ²)	Ka	Ka × cosδ
14	Sandy soil	10.0	45.0	—	171.929	0.16262	0.16015
14.24	Sandy soil	10.0	45.0	—	181.929	0.16262	0.16015

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;
δ = 10.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	φ (degree)	C (kN/m ²)	Σγh+Qp (kN/m ²)	Kp	Kp × cosδ
4	Clayey soil	16.0	0.0	12.0	0.000	—	—
5	Clayey soil	8.0	0.0	12.0	1.600	—	—
6	Sandy soil	10.0	36.0	—	5.920	5.59154	5.50659
7	Sandy soil	10.0	39.0	—	15.920	6.56948	6.46967
8	Sandy soil	10.0	36.0	—	25.920	5.59154	5.50659
9	Sandy soil	10.0	38.0	—	35.920	6.21981	6.12532
10	Sandy soil	10.0	36.0	—	45.920	5.59154	5.50659
11	Sandy soil	10.0	35.0	—	55.920	5.30876	5.22810
12	Sandy soil	10.0	37.0	—	65.920	5.89457	5.80501
13	Sandy soil	10.0	37.0	—	75.920	5.89457	5.80501
14	Sandy soil	10.0	45.0	—	85.920	9.34548	9.20351
14.24	Sandy soil	10.0	45.0	—	95.920	9.34548	9.20351

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;
δ = -10.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure (kN/m ²)	Passive side (kN/m ²)
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1	12.70	—	12.70	0.00	—
2	19.08	31.40	38.81	20.58	—
3	29.93	31.96	39.93	21.95	—
4	42.81	33.40	42.81	25.48	—
5	43.61	33.80	43.61	26.46	24.00
6	47.93	35.96	47.93	26.46	29.92
7	17.18	—	17.18	26.46	32.60
8	19.57	—	19.57	26.46	87.66
9	17.23	—	17.23	26.46	103.00
10	19.34	—	19.34	26.46	167.69
11	21.96	—	21.96	26.46	142.73
12	24.35	—	24.35	26.46	197.80
13	22.38	—	22.38	26.46	220.02
14	26.77	—	26.77	26.46	342.53
15	29.13	—	29.13	26.46	307.93
16	31.52	—	31.52	26.46	362.99
17	32.84	—	32.84	26.46	344.64
18	37.82	—	37.82	26.46	449.20
19	34.81	—	34.81	26.46	498.77
20	37.10	—	37.10	26.46	556.82
21	37.10	—	37.10	26.46	556.82
22	39.39	—	39.39	26.46	614.87
23	27.54	—	27.54	26.46	974.84
24	29.14	—	29.14	26.46	1066.87

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a: Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

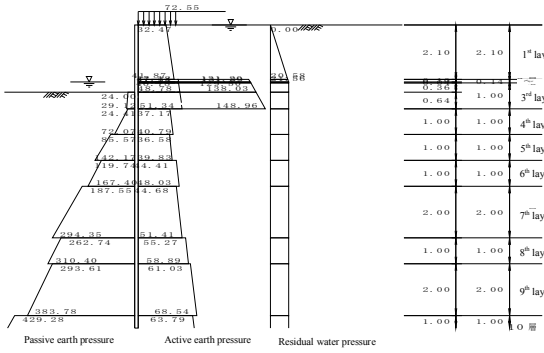
- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m³)	φ (degree)	C (kN/m²)	Σγh+Q (kN/m²)	γwhw (kN/m²)	k (k)	θ (degree)	Ka	Ka × cosδ	θ (degree)
1 0.00~2.10	Sandy Soil	10.0	30.0	—	72.55 93.55	0.00 20.58	0.200	11.31	0.45442	0.44752	—
2 2.10~2.20	Clayey Soil	8.0	—	12.0	93.55	20.58	0.200	11.31	—	—	10.00
3 2.20~2.24	Clayey Soil	8.0	—	12.0	94.35	21.56	0.200	11.31	—	—	10.00
4 2.24~2.60	Clayey Soil	8.0	—	12.0	94.67	21.95	0.200	11.31	—	—	10.00
5 2.60~3.24	Clayey Soil	8.0	—	12.0	97.55	25.48	0.200	11.31	—	—	10.00
6 3.24~4.24	Sandy Soil	10.0	36.0	—	102.67	31.75	0.200	11.31	0.36758	0.36200	—
7 4.24~5.24	Sandy Soil	10.0	39.0	—	112.67	41.55	0.200	11.31	0.32966	0.32465	—
8 5.24~6.24	Sandy Soil	10.0	36.0	—	122.67	51.35	0.200	11.31	0.36758	0.36200	—
9 6.24~8.24	Sandy Soil	10.0	38.0	—	132.67	61.15	0.200	11.31	0.34194	0.33674	—
10 8.24~9.24	Sandy Soil	10.0	36.0	—	152.67	80.75	0.200	11.31	0.36758	0.36200	—
11 9.24~11.24	Sandy Soil	10.0	35.0	—	162.67	90.55	0.200	11.31	0.38098	0.37519	—
12 11.24~12.24	Sandy Soil	10.0	37.0	—	182.67	110.15	0.200	11.31	0.35458	0.34919	—
13 12.24~13.24	Sandy Soil	10.0	37.0	—	192.67	119.95	0.200	11.31	0.35458	0.34919	—
14 13.24~14.24	Sandy Soil	10.0	45.0	—	202.67	129.75	0.200	11.31	0.26273	0.25874	—

R_No. 41_pp.13

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below;

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m³)	φ (degree)	C (kN/m²)	Σγh+Qp (kN/m²)	γwhw (kN/m²)	k (k)	θ (degree)	Kp	Kp × cosδ
5 2.60~3.24	Clayey soil	8.00	0.0	12.0	120	0.00	0.200	11.31	—	—
6 3.24~4.24	Sandy soil	10.00	36.0	—	151.20	6.27	0.200	11.31	4.84018	4.76665
7 4.24~5.24	Sandy soil	10.00	39.0	—	151.20	16.07	0.200	11.31	5.74696	5.65965
8 5.24~6.24	Sandy soil	10.00	36.0	—	151.20	25.87	0.200	11.31	4.84018	4.76665
9 6.24~8.24	Sandy soil	10.00	38.0	—	151.20	35.67	0.200	11.31	5.42254	5.34016
10 8.24~9.24	Sandy soil	10.00	36.0	—	151.20	45.47	0.200	11.31	4.84018	4.76665
11 9.24~11.24	Sandy soil	10.00	35.0	—	151.20	55.27	0.200	11.31	4.57827	4.50872
12 11.24~12.24	Sandy soil	10.00	37.0	—	151.20	65.07	0.200	11.31	5.12098	5.04318
13 12.24~13.24	Sandy soil	10.00	37.0	—	151.20	74.87	0.200	11.31	5.12098	5.04318
14 13.24~14.24	Sandy soil	10.00	45.0	—	151.20	84.67	0.200	11.31	8.33000	8.20345

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below;
δ = -10.00, β = 0.00, θ = tan⁻¹k

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

R_No. 41_pp.14

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure Pw (kN/m²)	Passive side Pp (kN/m²)
		Pa1 (kN/m²)	Pa2 (kN/m²)	Pa (kN/m²)		
1	0.00~2.10	32.47 41.87	—	32.47 41.87	0.00	—
2	2.10~2.20	129.50 131.20	46.78 47.18	129.50 131.20	20.58 21.56	—
3	2.20~2.24	131.20 131.89	47.18 47.34	131.20 131.89	21.56 21.56	—
4	2.24~2.60	131.89 138.03	47.34 48.78	131.89 138.03	21.56 21.56	—
5	2.60~3.24	138.03 148.96	48.78 51.34	138.03 148.96	21.56 21.56	24.00 29.12
6	3.24~4.24	37.17 40.79	—	37.17 40.79	21.56 21.56	24.41 72.07
7	4.24~5.24	36.58 39.83	—	36.58 39.83	21.56 21.56	85.57 142.17
8	5.24~6.24	44.41 48.03	—	44.41 48.03	21.56 21.56	119.74 167.40
9	6.24~8.24	44.68 51.41	—	44.68 51.41	21.56 21.56	187.55 294.35
10	8.24~9.24	55.27 58.89	—	55.27 58.89	21.56 21.56	262.74 310.40
11	9.24~11.24	61.03 68.54	—	61.03 68.54	21.56 21.56	293.61 383.78
12	11.24~12.24	63.79 67.28	—	63.79 67.28	21.56 21.56	429.28 479.71
13	12.24~13.24	67.28 70.77	—	67.28 70.77	21.56 21.56	479.71 530.14
14	13.24~14.24	52.44 55.03	—	52.44 55.03	21.56 21.56	862.35 944.38

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
 Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 Kc : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
 Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
 Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

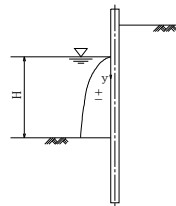
3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	Pbw (kN/m²)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

$$P_{aw} = \pm \frac{7}{8} k_{bw} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

Where,

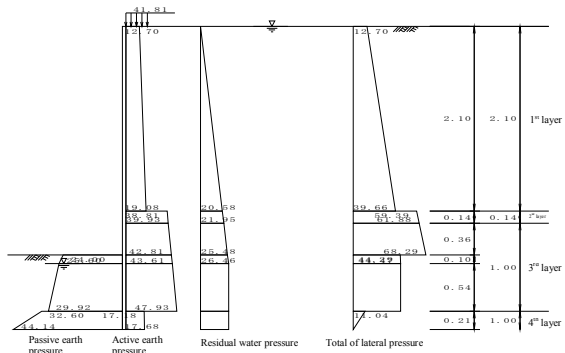
- k_{bw}: design seismic coefficient
- γ_w: unit weight of water
- H: water depth of riverside
- y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L_k is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

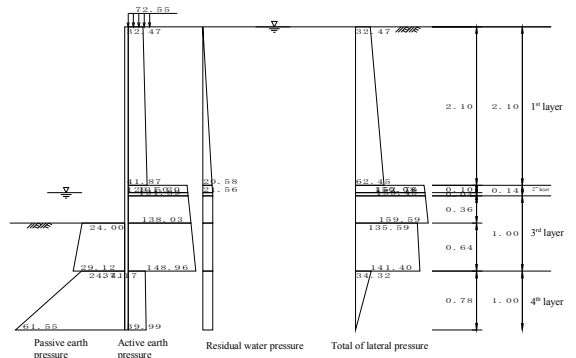


Depth (m)	P _a (kN/m ²)	P _w (kN/m ²)	P _p (kN/m ²)	P _s (kN/m ²)
1 0.00~2.10	12.70 19.08	0.00 20.58	—	12.70 39.66
2 2.10~2.24	38.81 39.93	20.58 21.95	—	59.39 61.88
3 2.24~2.60	39.93 42.81	21.95 25.48	—	61.88 68.29
4 2.60~2.70	42.81 43.61	25.48 26.46	24.00 25.60	44.29 44.47
5 2.70~3.24	43.61 47.93	26.46 26.46	25.60 29.92	44.47 44.47
6 3.24~3.45	17.18 17.68	26.46 26.46	32.60 44.14	11.04 0.00
7 3.45~4.24	17.68 19.57	26.46 26.46	44.14 87.66	0.00 -41.63

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_k: 0.85 m (GL -3.45 m)

4-2 Seismic Condition



Depth (m)	P _a (kN/m ²)	P _w (kN/m ²)	P _p (kN/m ²)	P _s (kN/m ²)
1 0.00~2.10	32.47 41.87	0.00 20.58	—	32.47 62.45
2 2.10~2.20	129.50 131.20	20.58 21.56	—	150.08 152.76
3 2.20~2.24	131.20 131.89	21.56 21.56	—	152.76 153.45
4 2.24~2.60	131.89 138.03	21.56 21.56	—	153.45 159.59
5 2.60~3.24	138.03 148.96	21.56 21.56	24.00 29.12	135.59 141.40
6 3.24~4.02	37.17 39.99	21.56 21.56	24.41 61.55	34.32 0.00
7 4.02~4.24	39.99 40.79	21.56 21.56	61.55 72.07	0.00 -9.72

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_k: 1.42 m (GL -4.02 m)

4th layer

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below;

$$K_b = 6910 \times N^{0.496}$$

where,

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4 E I}}$$

Unit width	B = 1.0000 m
Corrosion margin	t ₁ = 1.00 mm (active side) t ₂ = 1.00 mm (passive side)
Corrosion rate	η = 0.85
Section efficiency	μ = 1.00
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 154000 cm ⁴ (original condition)
	I = 130900 cm ⁴ (after reduction by corrosion and joint)
Inertia sectional moment	EI = 200000 × 10 ³ × 130900 × 10 ⁻⁸ = 2.618 × 10 ⁷

Depth (m)	N-value	Depth (m)	N-value
1 0.24	15	11 11.24	28
2 1.60	15	12 12.24	31
3 2.10	2	13 13.24	33
4 2.24	2	14 14.24	50
5 3.24	2		
6 4.24	29		
7 5.24	37		
8 6.24	29		
9 8.24	34		
10 9.24	30		

5-2 Normal Condition

K_b = 26996 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4 E I}} = 0.401 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.50 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.45 m) to 2.50 m depth (GL -5.95 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 3.45	0.79	7.7	29.0	14.49
2 4.24	1.00	29.0	37.0	33.00
3 5.24	0.71	37.0	31.4	24.11

L = Σh = 2.50 ΣA = 71.59

A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{71.59}{2.50} = 28.69$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_b = 6910 \times N^{0.496} = 6910 \times 28.69^{0.496} = 26996 \text{ kN/m}^3$$

$$Kh \text{ (normal condition)} = 26996 \text{ kN/m}^3$$

5-3 Seismic Condition

K_b = 28223 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{Kh \cdot B}{4 E I}} = 0.405 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.47 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.02 m) and 2.47 m depth (GL -6.49 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 4.02	0.22	23.0	29.0	5.74
2 4.24	1.00	29.0	37.0	33.00
3 5.24	1.00	37.0	29.0	33.00
4 6.24	0.25	29.0	29.6	7.25

L = Σh = 2.47 ΣA = 78.99

A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{78.99}{2.47} = 32.01$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_b = 6910 \times N^{0.496} = 6910 \times 32.01^{0.496} = 28223 \text{ kN/m}^3$$

$$Kh \text{ (seismic condition)} = 28223 \text{ kN/m}^3$$

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

	Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~2.10	2.10	12.70 39.66	13.34 41.64	2.75 2.05	36.67 85.35
2	2.10~2.24	0.14	59.39 61.88	4.16 4.33	1.30 1.26	5.42 5.44
3	2.24~2.60	0.36	61.88 68.29	11.14 12.29	1.09 0.97	12.14 11.92
4	2.60~2.70	0.10	44.29 44.47	2.21 2.22	0.82 0.78	1.81 1.74
5	2.70~3.24	0.54	44.47 44.47	12.01 12.01	0.57 0.39	6.84 4.68
6	3.24~3.45	0.21	11.04 0.00	1.16 0.00	0.14 0.07	0.16 0.00
			$\Sigma P = 116.51$	$\Sigma M = 172.17$		

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_i = 9.7$ kN/m
 depth to acting position $H_i = -0.95$ m
 moment $M_m = 3.6$ kN·m/m
 depth to acting position $H_m = 0.00$ m
 Height from riverbed to top of coping $H = 2.60$ m
 Depth of Imaginary riverbed from riverbed $L_k = 0.85$ m

Moment M_i by arbitrary load is as below

$$M_i = P_i \cdot (H + L_k - H_i) + M_m = 46.28 \text{ kN}\cdot\text{m}$$

h_0 , Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_i}{\Sigma P + P_i} = \frac{218.44}{126.21} = 1.73 \text{ m}$$

R_No. 41_pp.21

6-1-2 Seismic Condition

	Depth Z (m)	Thickness h (m)	Lateral load P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~2.10	2.10	32.47 62.45	34.09 65.57	3.32 2.62	113.16 171.74
2	2.10~2.20	0.10	150.08 152.76	7.50 7.64	1.89 1.85	14.15 14.15
3	2.20~2.24	0.04	152.76 153.45	3.06 3.07	1.81 1.79	5.52 5.50
4	2.24~2.60	0.36	153.45 159.59	27.62 28.73	1.66 1.54	45.83 44.22
5	2.60~3.24	0.64	135.59 141.40	43.39 45.25	1.21 0.99	52.32 44.91
6	3.24~4.02	0.78	34.32 0.00	13.37 0.00	0.52 0.26	6.95 0.00
			$\Sigma P = 279.29$	$\Sigma M = 518.45$		

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_i = 19.8$ kN/m
 depth to acting position $H_i = -0.75$ m
 moment $M_m = 21.3$ kN·m/m
 depth to acting position $H_m = 0.80$ m
 Height from riverbed to top of coping $H = 2.60$ m
 Depth of Imaginary riverbed from riverbed $L_k = 1.42$ m

Moment M_i by arbitrary load is as below

$$M_i = P_i \cdot (H + L_k - H_i) + M_m = 115.73 \text{ kN}\cdot\text{m}$$

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{sw} (kN/m ²)	Load P_{sw} (kN)	Arm length Y (m)	Moment M_{sw} (kN·m)
1	2.20~2.60	0.40	0.0 0.7	0.00 0.14	1.69 1.55	0.00 0.21
			$\Sigma P_{sw} = 0.14$	$\Sigma M_{sw} = 0.21$		

h_0 , Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_i + \Sigma M_{sw}}{\Sigma P + P_i + \Sigma P_{sw}} = \frac{634.40}{299.22} = 2.12 \text{ m}$$

R_No. 41_pp.22

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width	$B = 1.0000$ m
Corrosion margin	$t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
Corrosion rate	$\eta = 0.85$
Section efficiency	$\mu = 1.00$
Young's modulus	$E = 200000$ N/mm ²
Inertia sectional moment	$I_0 = 154000$ cm ⁴ (original condition) $I = 130900$ cm ⁴ (after reduction by corrosion and section)
$EI = 200000 \times 10^3 \times 130900 \times 10^{-8}$	$= 2.618 \times 10^8$

$$\beta = \sqrt[4]{\frac{K_h \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2+1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$l_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction calculated value	$K_h = 26996$ kN/m ³
resultant earth force (lateral)	$\beta = 0.40070$ m ⁻¹
height of acting position of load moment	$P_0 = 126.21$ kN/m $h_0 = 1.73$ m $M_0 = 218.44$ kN·m/m

in consideration of $\psi_m = 1.255$,

maximum moment	$M_{max} = 274.11$ kN·m/m
depth of generated position of M_{max}	$l_m = 0.990$ m
depth of 1 st fixed point	$l_i = 2.950$ m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction calculated value	$K_h = 28223$ kN/m ³
resultant earth force (lateral)	$\beta = 0.40518$ m ⁻¹
height of acting position of load moment	$P_0 = 299.22$ kN/m $h_0 = 2.12$ m $M_0 = 634.40$ kN·m/m

in consideration of $\psi_m = 1.185$,

maximum moment	$M_{max} = 751.69$ kN·m/m
depth of generated position of M_{max}	$l_m = 0.870$ m
depth of 1 st fixed point	$l_i = 2.809$ m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin	$t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
Corrosion rate	$\eta = 0.87$
Section efficiency	$\mu = 1.00$
Module of section	$Z_0 = 4160$ cm ³ (original condition) $Z = 3619$ cm ³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{274.11 \times 10^6}{3619 \times 10^3} = 76 \text{ N/mm}^2 \leq \sigma_a = 185 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{751.69 \times 10^6}{3619 \times 10^3} = 208 \text{ N/mm}^2 \leq \sigma_a = 278 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	2.75 2.05	0.797 0.594	13.34 41.64	3.111 5.895
2	2.10~2.24	1.30 1.26	0.378 0.364	4.16 4.33	0.259 0.252
3	2.24~2.60	1.09 0.97	0.316 0.281	11.14 12.29	0.497 0.440
4	2.60~2.70	0.82 0.78	0.237 0.227	2.21 2.22	0.057 0.053
5	2.70~3.24	0.57 0.39	0.165 0.113	12.01 12.01	0.155 0.074
6	3.24~3.45	0.14 0.07	0.041 0.020	0.001 0.000	0.001 0.000
$\Sigma Q = 10.794$					

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H+L_k}$$

$$\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$$

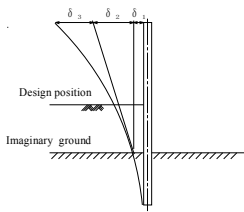
Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

L_k : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4007 \times 1.73) \times 126.21}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8} \times 0.4007^3} = 0.00634 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_s)$$

$$= \frac{(1 + 2 \times 0.4007 \times 1.73) \times 126.21}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8} \times 0.4007^2} \times (2.60 + 0.85) = 0.01236 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_s)^3}{E I}$$

$$= \frac{10.79 \times (2.60 + 0.85)^3}{2.00 \times 10^8 \times 130900 \times 10^{-8}} = 0.00169 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00072 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.45 m
 Horizontal load: P = 9.70
 Moment: M = 9.22

Displacement δ_{3m} of cantilever beam by moment M_m is additionally considered.

$$\delta_{3m} = \frac{M_m \cdot h}{2 E I} \times (2 L - h) \quad (L = 4.02 \text{ m}, h = L - H_s, H_s = 0.80 \text{ m}, \text{ただし})$$

$$= \frac{21.30 \times 3.22}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8}} \times (2 \times 4.02 - 3.22) = 0.00063 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00634 + 0.01236 + 0.00249$$

$$= 0.02120 \text{ m}$$

$$= 21.20 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where,

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ : Displacement at top of SSP
- δ_a : Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1 0.00~2.10	3.32 2.62	0.826 0.652	0.247 0.166	34.09 65.57	8.425 10.899
2 2.10~2.20	1.89 1.85	0.469 0.461	0.093 0.090	7.50 7.64	0.697 0.687
3 2.20~2.24	1.81 1.79	0.449 0.446	0.086 0.085	3.06 3.07	0.262 0.260
4 2.24~2.60	1.66 1.54	0.413 0.383	0.073 0.064	27.62 28.73	2.030 1.838
5 2.60~3.24	1.21 0.99	0.300 0.247	0.041 0.028	43.39 45.25	1.758 1.266
6 3.24~4.02	0.52 0.26	0.129 0.065	0.008 0.002	13.37 0.00	0.107 0.000
				$\Sigma Q = 28.228$	

Y : Height from imaginary riverbed to acting position

$$\alpha = \frac{Y}{H + L_s}$$

$$\zeta = \frac{(3 - \alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

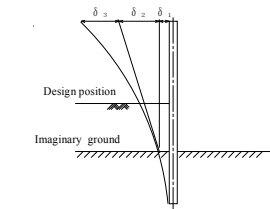
L_s : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_{sw} (kN)	Q_{sw} (kN)
1	2.20~2.60	1.69 1.55	0.419 0.386	0.076 0.065	0.00 0.00	0.000 0.009
				$\Sigma Q_{sw} = 0.009$		

Therefore, modulus of deformation Q is calculated as below:
 $Q = 28.228 + 0.009 = 28.237$

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4052 \times 2.12) \times 299.22}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8} \times 0.4052^3} = 0.01597 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_s)$$

$$= \frac{(1 + 2 \times 0.4052 \times 2.12) \times 299.22}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8} \times 0.4052^2} \times (2.60 + 1.42) = 0.03803 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_s)^3}{E I}$$

$$= \frac{28.24 \times (2.60 + 1.42)^3}{2.00 \times 10^8 \times 130900 \times 10^{-8}} = 0.00700 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00209 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.02 m
 Horizontal load: P = 19.80
 Moment: M = 14.85

Displacement δ_{3m} of cantilever beam by moment M_m is additionally considered.

$$\delta_{3m} = \frac{M_m \cdot h}{2 E I} \times (2 L - h) \quad (L = 4.02 \text{ m}, h = L - H_s, H_s = 0.80 \text{ m}, \text{ただし})$$

$$= \frac{21.30 \times 3.22}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8}} \times (2 \times 4.02 - 3.22) = 0.00063 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01597 + 0.03803 + 0.00973$$

$$= 0.06373 \text{ m}$$

$$= 63.73 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where,

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ : Displacement at top of SSP
- δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below:

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 154000 \text{ cm}^4$ (original condition)
	I = 154000 cm ⁴ (after reduction by corrosion and section)
EI = 200000 × 10 ³ × 154000 × 10 ⁸	= 3.080 × 10 ¹⁷

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_s , penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings:

$$D = L_s + \frac{3}{\beta}$$

$$L = H - H_{1s} + D$$

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	$K_b = 26996 \text{ kN/m}^3$
Calculated value	$\beta = 0.38474 \text{ m}^{-1}$
Penetration length of SSP	$D = 0.85 + \frac{3}{0.385} = 8.65 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 8.65 = 10.85 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	$K_b = 28223 \text{ kN/m}^3$
Calculated value	$\beta = 0.38904 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.42 + \frac{3}{0.389} = 9.13 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 9.13 = 11.33 \text{ m}$

Therefore, whole length of SSP is set as 11.50 m in consideration of round unit of SSP length.

8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	154000		
Section modulus	Z (cm ³)	4160		
Maximum bending moment	M _{max} (kN·m/m)		274.11	751.69
Stress intensity	σ (N/mm ²)		76 (185)	208 (278)
Lateral displacement	δ (mm)		21.29 (50.0)	63.73 (75.0)
Penetration depth	D (m)		8.65	9.13
Whole length of SSP	L (m)	11.50		

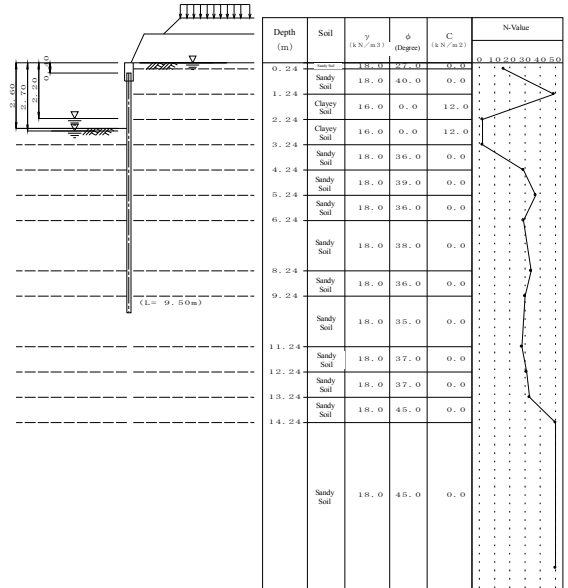
R_No.41_pp.29

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 42_STA 15+476 - 15+494



1-2 Dimensions of Structure

Depth from coping top to riverbed $H = 2.60$ m
 Depth from coping top to rear side ground $H_0 = 0.00$ m
 Depth from coping top to SSP top $H_1 = 0.40$ m
 Landside WL $L_{wp} = 0.00$ m (Normal Condition)
 Riverside WL $L_{wp} = 2.70$ m (Normal Condition)
 $L_{wp} = 0.00$ m (Seismic Condition)
 $L_{wp} = 2.20$ m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.42_pp.1

R_No.42_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8$ kN/m³
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition - Seismic Condition
 Design earthquake intensity $k = 0.200$
 Dynamic water pressure due to earthquake considered as distributed load
 Arbitrary load Horizontal load $P_t = 3.5$ kN/m (Normal Condition)
 $P_t' = 9.5$ kN/m (Seismic Condition)
 Depth of acting point $H_t = -0.53$ m (Normal Condition)
 $H_t' = -0.27$ m (Seismic Condition)
 Moment $M_m = 0.0$ kN·m/m (Normal Condition)
 $M_m' = 3.7$ kN·m/m (Seismic Condition)
 Depth of acting point $H_m = 0.00$ m (Seismic Condition)
 $H_m = 0.80$ m (Normal Condition)
 ('Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_s = 6910 \times N^{0.406}$

Average N-value calculated from average N-value between imaginary riverbed and depth as $1/\beta$

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.24	16	11	12.24	31
2	1.24	49	12	13.24	33
3	2.24	2	13	14.24	50
4	3.24	2	14	20.00	50
5	4.24	29			
6	5.24	37			
7	6.24	29			
8	8.24	34			
9	9.24	30			
10	11.24	28			

R_No.42_pp.3

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

No	Depth (m)	Soil	N-value	γ kN/m ³	γ' kN/m ³	ϕ	C kN/m ²	a	k'	ζ (degree)		kh(kN/m ³)	
										normal	seismic	normal	seismic
1	0.24	S	16.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
2	1.24	S	49.0	18.00	10.00	40.0	0.0	0.0	0.200	auto	auto	—	—
3	2.24	C	2.0	16.00	10.00	0.0	12.0	0.0	0.200	auto	auto	—	—
4	3.24	C	2.0	16.00	10.00	0.0	12.0	0.0	0.200	auto	auto	—	—
5	4.24	S	29.0	18.00	10.00	36.0	0.0	0.0	0.200	auto	auto	—	—
6	5.24	S	37.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	—	—
7	6.24	S	29.0	18.00	10.00	36.0	0.0	0.0	0.200	auto	auto	—	—
8	8.24	S	34.0	18.00	10.00	38.0	0.0	0.0	0.200	auto	auto	—	—
9	9.24	S	30.0	18.00	10.00	36.0	0.0	0.0	0.200	auto	auto	—	—
10	11.24	S	28.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	—	—
11	12.24	S	31.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
12	13.24	S	33.0	18.00	10.00	37.0	0.0	0.0	0.200	auto	auto	—	—
13	14.24	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—
14	20.00	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

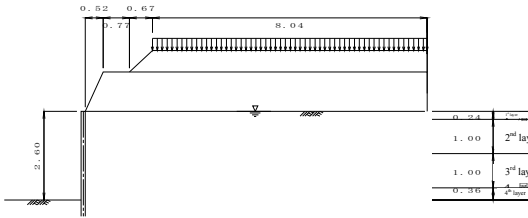
Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed (M)
 N-value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C_0 : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (underwater)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

R_No.42_pp.4

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.52	10.00	10.00	1.15	18.0	30.0	0.0	auto	auto
2	Sandy soil	1.29	1.96	10.00	10.00	0.63	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	1.96	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus $E = 200000 \text{ N/mm}^2$
 Inertia sectional moment $I_0 = 56700 \text{ cm}^4$
 Sectional factor $Z_0 = 2700 \text{ cm}^3$

Corrosion margin $t_1 = 1.00 \text{ mm (riverside)}$ $t_2 = 1.00 \text{ mm (landside)}$

Corrosion rate (to I_0) $\eta = 0.88$
 Corrosion rate (to Z_0) $\eta = 0.88$
 Section efficiency (to I_0) $\mu = 0.80$
 Section efficiency (to Z_0) $\mu = 1.00$

Round unit of SSP length 0.50 m

Allowable stress $\sigma_a = 180 \text{ N/mm (Normal)}$
 $\sigma'_a = 270 \text{ N/mm (Seismic)}$

Allowable displacement $\delta'_a = 50.0 \text{ mm (Normal)}$
 $\delta'_a = 75.0 \text{ mm (Seismic)}$

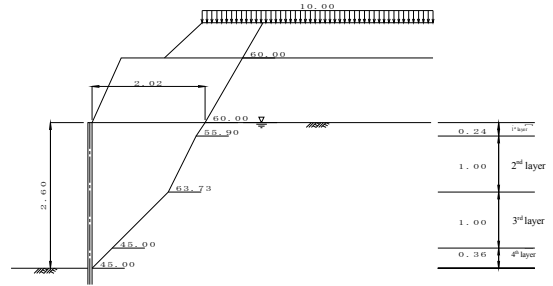
Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus
 Reduced: I_0 applied to calculation of lateral coefficient of subgrade reaction
 Not reduced: I_0 applied to calculation of penetration depth
 Reduced: I_0 applied to calculation of section forces and displacement
 Reduced: Z_0 applied to calculation of stresses

R_No.42_pp.5

2 Calculation of Acting Load

2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma\gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma w h w$ (kN/m ²)	Angle of rupture Z (degree)
1	2.60~2.24	Clayey Soil	0.0	10.0	12.0	26.00	33.77	25.48	45.00
2	2.24~1.24	Clayey Soil	0.0	10.0	12.0	22.40	33.77	21.95	45.00
3	1.24~0.24	Sandy Soil	40.0	10.0	0.0	12.40	33.77	12.15	63.73
4	0.24~0.00	Sandy Soil	27.0	10.0	0.0	2.40	33.77	2.35	55.90
5		Embankment	30.0	—	0.0	32.04	10.00	0.00	60.00
6		Embankment	30.0	—	0.0	11.34	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

R_No.42_pp.6

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	45.00	0.36	0.00	0.00	0.36	0.36
2	45.00	1.00	0.36	0.36	1.36	1.36
3	63.73	1.00	1.36	1.36	1.85	2.36
4	55.90	0.24	1.85	2.36	2.02	2.60
5	60.00	1.15	2.02	2.60	2.68	3.75
6	60.00	0.63	2.68	3.75	3.04	4.38

Therefore, width of acting load shall be set as 2.02 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	2.40	43.22
2	18.0	0.78	14.03
Σ			57.25

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.08	10.84
Σ			10.84

Q: surcharge load
 l : width of surcharge load set by line of active rupture

2-1-5 Calculation of Total Acting Load

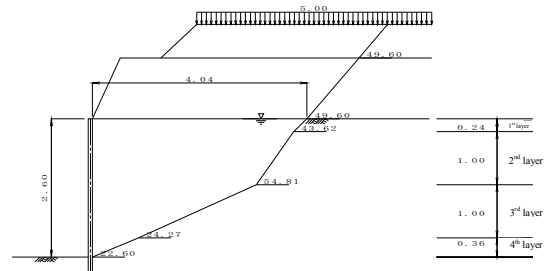
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{57.25 + 10.84 + 0.00}{2.02}$$

$$= 33.77 \text{ kN/m}^2$$

R_No.42_pp.7

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma\gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma w h w$ (kN/m ²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60~2.24	Clayey Soil	0.0	10.0	12.0	26.00	36.60	25.48	0.200	11.31	22.60
2	2.24~1.24	Clayey Soil	0.0	10.0	12.0	22.40	36.60	21.95	0.200	11.31	24.27
3	1.24~0.24	Sandy Soil	40.0	10.0	0.0	12.40	36.60	12.15	0.200	11.31	54.81
4	0.24~0.00	Sandy Soil	27.0	10.0	0.0	2.40	36.60	2.35	0.200	11.31	43.62
5		Embankment	30.0	—	0.0	32.04	5.00	0.00	0.200	11.31	49.60
6		Embankment	30.0	—	0.0	11.34	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

R_No.42_pp.8

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	22.60	0.36	0.00	0.00	0.86	0.36
2	24.27	1.00	0.86	0.36	3.08	1.36
3	54.81	1.00	3.08	1.36	3.79	2.36
4	43.62	0.24	3.79	2.36	4.04	2.60
5	49.60	1.15	4.04	2.60	5.02	3.75
6	49.60	0.63	5.02	3.75	5.55	4.38

Therefore, width of acting load shall be set as 4.04 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	4.91	88.36
2	18.0	2.31	41.52
Σ			129.88

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	3.59	17.97
Σ			17.97

Q : surcharge load
l : width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

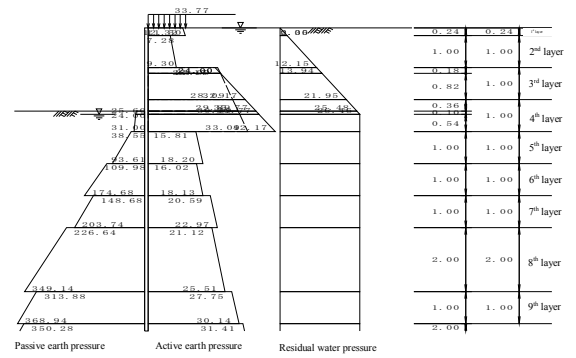
$$= \frac{129.88 + 17.97 + 0.00}{4.04}$$

$$= 36.60 \text{ kN/m}^2$$

R_No.42_pp.9

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_a$ (kN/m ²)	K_a	$K_a \times \cos \delta$
1	0.00~0.24	Sandy soil	10.0	27.0	33.772 36.172	0.34585 0.34585	0.34060 0.34060
2	0.24~1.24	Sandy soil	10.0	40.0	36.172 46.172	0.20447 0.20447	0.20137 0.20137
3	1.24~1.42	Clayey soil	10.0	—	46.172 48.000	—	—
4	1.42~2.24	Clayey soil	10.0	—	48.000 56.172	—	—
5	2.24~2.60	Clayey soil	10.0	—	56.172 59.772	—	—
6	2.60~2.70	Clayey soil	10.0	—	59.772 60.772	—	—
7	2.70~3.24	Clayey soil	10.0	—	60.772 66.172	—	—
8	3.24~4.24	Sandy soil	10.0	36.0	66.172 76.172	0.24257 0.24257	0.23889 0.23889
9	4.24~5.24	Sandy soil	10.0	39.0	76.172 86.172	0.21359 0.21359	0.21035 0.21035
10	5.24~6.24	Sandy soil	10.0	36.0	86.172 96.172	0.24257 0.24257	0.23889 0.23889
11	6.24~8.24	Sandy soil	10.0	38.0	96.172 116.172	0.22298 0.22298	0.21959 0.21959
12	8.24~9.24	Sandy soil	10.0	36.0	116.172 126.172	0.24257 0.24257	0.23889 0.23889
13	9.24~11.24	Sandy soil	10.0	35.0	126.172 146.172	0.25279 0.25279	0.24895 0.24895

R_No.42_pp.10

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_a$ (kN/m ²)	K_a	$K_a \times \cos \delta$
14	11.24~12.24	Sandy soil	10.0	37.0	146.172 156.172	0.23264 0.23264	0.22910 0.22910
15	12.24~13.24	Sandy soil	10.0	37.0	156.172 166.172	0.23264 0.23264	0.22910 0.22910
16	13.24~14.24	Sandy soil	10.0	45.0	166.172 176.172	0.16262 0.16262	0.16015 0.16015
17	14.24~20.00	Sandy soil	10.0	45.0	176.172 233.772	0.16262 0.16262	0.16015 0.16015

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below;
 $\delta = 10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + O_p$ (kN/m ²)	K_p	$K_p \times \cos \delta$
6	2.60~2.70	Clayey soil	16.0	0.0	12.0 12.0	0.000 1.600	—
7	2.70~3.24	Clayey soil	10.0	0.0	12.0 12.0	1.600 7.000	—
8	3.24~4.24	Sandy soil	10.0	36.0	7.000 17.000	5.59154 5.59154	5.50659 5.50659
9	4.24~5.24	Sandy soil	10.0	39.0	17.000 27.000	6.56948 6.56948	6.46967 6.46967
10	5.24~6.24	Sandy soil	10.0	36.0	27.000 37.000	5.59154 5.59154	5.50659 5.50659
11	6.24~8.24	Sandy soil	10.0	38.0	37.000 57.000	6.21981 6.21981	6.12532 6.12532
12	8.24~9.24	Sandy soil	10.0	36.0	57.000 67.000	5.59154 5.59154	5.50659 5.50659
13	9.24~11.24	Sandy soil	10.0	35.0	67.000 87.000	5.30876 5.30876	5.22810 5.22810
14	11.24~12.24	Sandy soil	10.0	37.0	87.000 97.000	5.89457 5.89457	5.80501 5.80501
15	12.24~13.24	Sandy soil	10.0	37.0	97.000 107.000	5.89457 5.89457	5.80501 5.80501
16	13.24~14.24	Sandy soil	10.0	45.0	107.000 117.000	9.34548 9.34548	9.20351 9.20351
17	14.24~20.00	Sandy soil	10.0	45.0	117.000 174.600	9.34548 9.34548	9.20351 9.20351

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below;
 $\delta = -10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

R_No.42_pp.11

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure Pw (kN/m ²)	Passive side Pp (kN/m ²)
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1	11.50 12.32	—	11.50 12.32	0.00 2.35	—
2	7.28 9.30	—	7.28 9.30	2.35 12.15	—
3	22.17 1.42	23.09 24.00	23.09 24.00	12.15 13.94	—
4	1.42 2.24	24.00 32.17	24.00 28.09	13.94 21.95	—
5	2.24 2.60	32.17 35.77	28.09 29.89	21.95 25.48	—
6	2.60 2.70	35.77 36.77	29.89 30.39	25.48 26.46	24.00 25.60
7	2.70 3.24	36.77 42.17	30.39 33.09	26.46 26.46	25.60 31.00
8	3.24 4.24	15.81 18.20	—	15.81 18.20	26.46 26.46
9	4.24 5.24	16.02 18.13	—	16.02 18.13	26.46 26.46
10	5.24 6.24	20.59 22.97	—	20.59 22.97	26.46 26.46
11	6.24 8.24	21.12 25.51	—	21.12 25.51	26.46 26.46
12	8.24 9.24	27.75 30.14	—	27.75 30.14	26.46 26.46
13	9.24 11.24	31.41 36.39	—	31.41 36.39	26.46 26.46
14	11.24 12.24	33.49 35.78	—	33.49 35.78	26.46 26.46
15	12.24 13.24	35.78 38.07	—	35.78 38.07	26.46 26.46
16	13.24 14.24	26.61 28.21	—	26.61 28.21	26.46 26.46
17	14.24 20.00	28.21 37.44	—	28.21 37.44	26.46 26.46

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_c : Equilibrium coefficient of compression: 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

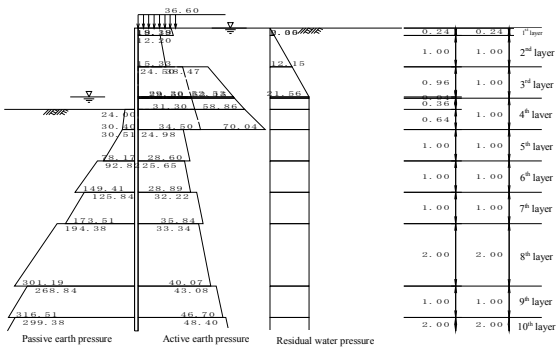
Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$
Clayey soil $P_p = \Sigma \gamma h + Q + 2C$
Mixed soil $P_p = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

R_No.42_pp.12

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h+Q$ (kN/m ²)	γ_{wh} (kN/m ²)	k (k)	θ (degree)	Ka	$K_a \times \cos\delta$	θ (degree)
1 0.00~0.24	Sandy Soil	10.0	27.0	---	36.60	0.00	0.200	11.31	0.50461	0.49695	---
2 0.24~1.24	Sandy Soil	10.0	40.0	---	39.00	2.35	0.200	11.31	0.31772	0.31289	---
3 1.24~2.20	Clayey Soil	10.0	---	12.0	49.00	12.15	0.200	11.31	---	---	28.16
4 2.20~2.24	Clayey Soil	10.0	---	12.0	58.60	21.56	0.200	11.31	---	---	24.45
5 2.24~2.60	Clayey Soil	10.0	---	12.0	59.00	21.95	0.200	11.31	---	---	24.27
6 2.60~3.24	Clayey Soil	10.0	---	12.0	62.60	25.48	0.200	11.31	---	---	22.60
7 3.24~4.24	Sandy Soil	10.0	36.0	---	69.00	31.75	0.200	11.31	0.36758	0.36200	---
8 4.24~5.24	Sandy Soil	10.0	39.0	---	79.00	41.55	0.200	11.31	0.32966	0.32465	---
9 5.24~6.24	Sandy Soil	10.0	36.0	---	89.00	51.35	0.200	11.31	0.36758	0.36200	---
10 6.24~8.24	Sandy Soil	10.0	38.0	---	99.00	61.15	0.200	11.31	0.34194	0.33674	---
11 8.24~9.24	Sandy Soil	10.0	36.0	---	119.00	80.75	0.200	11.31	0.36758	0.36200	---
12 9.24~11.24	Sandy Soil	10.0	35.0	---	129.00	90.55	0.200	11.31	0.38098	0.37519	---
13 11.24~12.24	Sandy Soil	10.0	37.0	---	149.00	110.15	0.200	11.31	0.35458	0.34919	---
14 12.24~13.24	Sandy Soil	10.0	37.0	---	159.00	119.95	0.200	11.31	0.35458	0.34919	---

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h+Q$ (kN/m ²)	γ_{wh} (kN/m ²)	k (k)	θ (degree)	Ka	$K_a \times \cos\delta$	θ (degree)
15 13.24~14.24	Sandy Soil	10.0	45.0	---	169.00	129.75	0.200	11.31	0.26273	0.25874	---
16 14.24~20.00	Sandy Soil	10.0	45.0	---	179.00	139.55	0.200	11.31	0.26273	0.25874	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below;

$$\delta = 10.00, \beta = 0.00, \theta = 0.00$$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below;

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h+Q_p$ (kN/m ²)	γ_{wh} (kN/m ²)	k (k)	θ (degree)	Kp	$K_p \times \cos\delta$
6 2.60~3.24	Clayey soil	10.00	0.0	12.0	6.400	0.00	0.200	11.31	---	---
7 3.24~4.24	Sandy soil	10.00	36.0	---	6.400	6.27	0.200	11.31	4.84018	4.76665
8 4.24~5.24	Sandy soil	10.00	39.0	---	16.400	16.07	0.200	11.31	5.74696	5.65965
9 5.24~6.24	Sandy soil	10.00	36.0	---	26.400	25.87	0.200	11.31	4.84018	4.76665
10 6.24~8.24	Sandy soil	10.00	38.0	---	36.400	35.67	0.200	11.31	5.42254	5.34016
11 8.24~9.24	Sandy soil	10.00	36.0	---	46.400	45.27	0.200	11.31	4.84018	4.76665
12 9.24~11.24	Sandy soil	10.00	35.0	---	56.400	54.67	0.200	11.31	4.57827	4.50872
13 11.24~12.24	Sandy soil	10.00	37.0	---	66.400	64.67	0.200	11.31	5.12098	5.04318
14 12.24~13.24	Sandy soil	10.00	37.0	---	76.400	74.67	0.200	11.31	5.12098	5.04318
15 13.24~14.24	Sandy soil	10.00	45.0	---	86.400	84.67	0.200	11.31	8.33000	8.20345
16 14.24~20.00	Sandy soil	10.00	45.0	---	96.400	94.67	0.200	11.31	8.33000	8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below;

$$\delta = -10.00, \beta = 0.00, \theta = \tan^{-1} k$$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 + \frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure		Passive side	
		Pa1 kN/m ²	Pa2 kN/m ²	Pa kN/m ²	Pw kN/m ²	Pp kN/m ²	Pp kN/m ²	
1	0.00~0.24	18.19	---	18.19	0.00	2.35	---	
2	0.24~1.24	12.20	---	12.20	2.35	---	---	
3	1.24~2.20	38.47	24.50	38.47	12.15	---	---	
4	2.20~2.24	52.53	29.30	52.53	21.56	---	---	
5	2.24~2.60	53.15	29.50	53.15	21.56	---	---	
6	2.60~3.24	58.86	31.30	58.86	21.56	---	---	
7	3.24~4.24	24.98	---	24.98	21.56	30.51	78.17	
8	4.24~5.24	25.65	---	25.65	21.56	92.82	149.41	
9	5.24~6.24	32.22	---	32.22	21.56	125.84	---	
10	6.24~8.24	33.34	---	33.34	21.56	194.38	301.19	
11	8.24~9.24	43.08	---	43.08	21.56	268.84	316.51	
12	9.24~11.24	48.40	---	48.40	21.56	299.38	389.55	
13	11.24~12.24	52.03	---	52.03	21.56	435.73	486.16	
14	12.24~13.24	55.52	---	55.52	21.56	486.16	536.59	
15	13.24~14.24	43.73	---	43.73	21.56	872.85	954.88	
16	14.24~20.00	46.31	---	46.31	21.56	954.88	1427.40	

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_a : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL (m)	P_w (kN/m ²)	P_{w0} (kN/m ²)
1	2.20	0.00	0.00	---
2	2.60	0.40	0.69	---

$$P_w = \pm \frac{7}{8} k_{bw} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

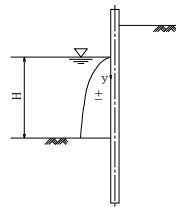
Where,

k_{bw} : design seismic coefficient

γ_w : unit weight of water

H: water depth of riverside

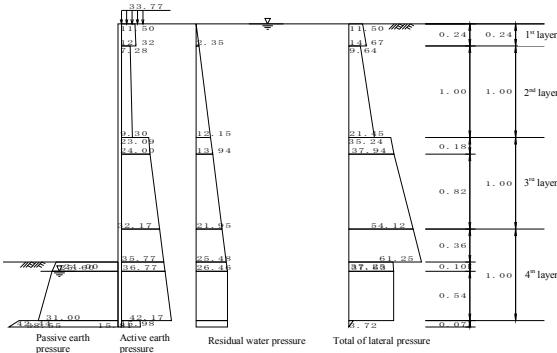
y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level Lx is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition



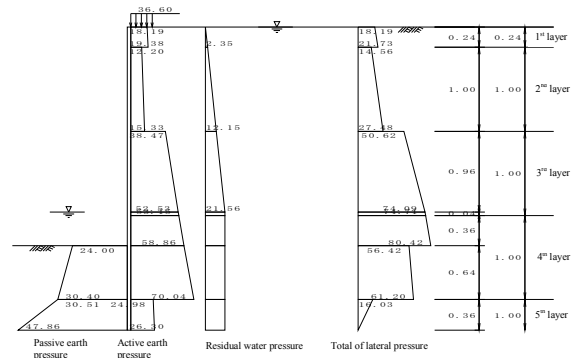
Depth (m)	Pa kN/m ²	Pw kN/m ²	Pp kN/m ²	Ps kN/m ²
1 0.00~0.24	11.50 12.32	0.00 2.35	—	11.50 14.67
2 0.24~1.24	7.28 9.30	2.35 12.15	—	9.64 21.45
3 1.24~1.42	23.09 24.00	12.15 13.94	—	35.24 37.94
4 1.42~2.24	24.00 32.17	13.94 21.95	—	37.94 54.12
5 2.24~2.60	32.17 35.77	21.95 25.48	—	54.12 61.25
6 2.60~2.70	35.77 36.77	25.48 26.46	24.00 25.60	37.25 37.63
7 2.70~3.24	36.77 42.17	26.46 26.46	25.60 31.00	37.63 37.63
8 3.24~3.31	15.81 15.98	26.46 26.46	38.55 42.44	3.72 0.00
9 3.31~4.24	15.98 18.20	26.46 26.46	42.44 93.61	0.00 -48.96

Pa : Active earth pressure
 Pw : Residual water pressure
 Pp : Passive earth pressure
 Ps : Lateral pressure Ps = Pa + Pw - Pp

Imaginary riverbed Lx: 0.71 m (GL -3.31 m)

R_No.42_pp.17

4-2 Seismic Condition



Depth (m)	Pa kN/m ²	Pw kN/m ²	Pp kN/m ²	Ps kN/m ²
1 0.00~0.24	18.19 19.38	0.00 2.35	—	18.19 21.73
2 0.24~1.24	12.20 15.33	2.35 12.15	—	14.56 27.48
3 1.24~2.20	38.47 52.53	12.15 21.56	—	50.62 74.09
4 2.20~2.24	52.53 53.15	21.56 21.56	—	74.09 74.71
5 2.24~2.60	53.15 58.86	21.56 21.56	—	74.71 80.42
6 2.60~3.24	58.86 70.04	21.56 21.56	24.00 30.40	56.42 61.20
7 3.24~3.60	24.98 26.30	21.56 21.56	30.51 47.86	16.03 0.00
8 3.60~4.24	26.30 28.60	21.56 21.56	47.86 78.17	0.00 -28.01

Pa : Active earth pressure
 Pw : Residual water pressure
 Pp : Passive earth pressure
 Ps : Lateral pressure Ps = Pa + Pw - Pp

Imaginary riverbed Lx: 1.00 m (GL -3.60 m)

4th layer

R_No.42_pp.18

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modules are calculated by the formula below;

$$K_h = 6910 \times N^{0.896}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width	B = 1.0000 m
Corrosion margin	t ₁ = 1.00 mm (active side) t ₂ = 1.00 mm (passive side)
Corrosion rate	η = 0.88
Section efficiency	μ = 0.80
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 56700 cm ⁴ (original condition)
	I = 39917 cm ⁴ (after reduction by corrosion and joint)
Inertia sectional moment	EI = 200000 × 10 ⁴ × 39917 × 10 ⁻⁸ = 7.983 × 10 ⁷

Depth (m)	N-value	Depth (m)	N-value
1 0.24	16	11 12.24	31
2 1.24	49	12 13.24	33
3 2.24	2	13 14.24	50
4 3.24	2	14 20.00	50
5 4.24	29		
6 5.24	37		
7 6.24	29		
8 8.24	34		
9 9.24	30		
10 11.24	28		

5-2 Normal Condition

K_h = 25420 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.531 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 1.88 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.31 m) to 1.88 m depth (GL -5.19 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 2	3.31 4.24	0.93 0.95	2.9 36.6	15.29 31.28
L = Σh = 1.88		ΣA = 46.57		

A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{46.57}{1.88} = 24.74$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.896} = 6910 \times 24.74^{0.896} = 25420 \text{ kN/m}^3$$

Kh (normal condition) = 25420 kN/m³

5-3 Seismic Condition

K_h = 27132 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.540 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 1.85 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.60 m) and 1.85 m depth (GL -5.46 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 2 3	3.60 4.24 5.24	0.64 1.00 0.22	11.8 29.0 35.3	12.98 33.00 7.81
L = Σh = 1.85		ΣA = 53.80		

A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{53.80}{1.85} = 29.04$$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.896} = 6910 \times 29.04^{0.896} = 27132 \text{ kN/m}^3$$

Kh (seismic condition) = 27132 kN/m³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

	Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~0.24	0.24	11.50 14.67	1.38 1.76	3.23 3.15	4.46 5.55
2	0.24~1.24	1.00	9.64 21.45	4.82 10.72	2.74 2.40	13.19 25.78
3	1.24~1.42	0.18	35.24 37.94	3.22 3.47	2.01 1.95	6.47 6.76
4	1.42~2.24	0.82	37.94 54.12	15.50 22.12	1.62 1.34	25.05 29.70
5	2.24~2.60	0.36	54.12 61.25	9.74 11.03	0.95 0.83	9.26 9.16
6	2.60~2.70	0.10	37.25 37.63	1.86 1.88	0.68 0.64	1.26 1.21
7	2.70~3.24	0.54	37.63 37.63	10.16 10.16	0.43 0.25	4.38 2.55
8	3.24~3.31	0.07	3.72 0.00	0.13 0.00	0.05 0.02	0.01 0.00
			$\Sigma P = 107.96$	$\Sigma M = 144.78$		

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_i = 3.5$ kN/m
 depth to acting position $H_i = -0.53$ m
 moment $M_{i0} = 0.0$ kN·m/m
 depth to acting position $H_{i0} = 0.00$ m
 Height from riverbed to top of coping $H = 2.60$ m
 Depth of Imaginary riverbed from riverbed $L_k = 0.71$ m

Moment M_i by arbitrary load is as below
 $M_i = P_i \cdot (H + L_k - H_i) + M_{i0} = 13.44$ kN·m
 h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_i}{\Sigma P + P_i} = \frac{158.22}{111.46} = 1.42 \text{ m}$$

R_No.42_pp.21

6-1-2 Seismic Condition

	Depth Z (m)	Thickness h (m)	Lateral load P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~0.24	0.24	18.19 21.73	2.18 2.61	3.52 3.44	7.69 8.98
2	0.24~1.24	1.00	14.56 27.48	7.28 13.74	3.03 2.70	22.06 37.07
3	1.24~2.20	0.96	50.62 74.09	24.30 35.56	2.04 1.72	49.66 61.31
4	2.20~2.24	0.04	74.09 74.71	1.48 1.49	1.39 1.38	2.06 2.06
5	2.24~2.60	0.36	74.71 80.42	13.45 14.47	1.24 1.12	16.73 16.27
6	2.60~3.24	0.64	56.42 61.20	18.05 19.58	0.79 0.58	14.27 11.31
7	3.24~3.60	0.36	16.03 0.00	2.92 0.00	0.24 0.12	0.71 0.00
			$\Sigma P = 157.13$	$\Sigma M = 250.18$		

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_i = 9.5$ kN/m
 depth to acting position $H_i = -0.27$ m
 moment $M_{i0} = 3.7$ kN·m/m
 depth to acting position $H_{i0} = 0.80$ m
 Height from riverbed to top of coping $H = 2.60$ m
 Depth of Imaginary riverbed from riverbed $L_k = 1.00$ m

Moment M_i by arbitrary load is as below
 $M_i = P_i \cdot (H + L_k - H_i) + M_{i0} = 40.50$ kN·m

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{sw} (kN/m ²)	Load P_{sw} (kN)	Arm length Y (m)	Moment M_{sw} (kN·m)
1	2.20~2.60	0.40	0.0 0.7	0.00 0.14	1.27 1.14	0.00 0.16
			$\Sigma P_{sw} = 0.14$	$\Sigma M_{sw} = 0.16$		

h_0 : Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_i + \Sigma M_{sw}}{\Sigma P + P_i + \Sigma P_{sw}} = \frac{290.83}{166.76} = 1.74 \text{ m}$$

R_No.42_pp.22

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as followings:

Unit width	B = 1.0000 m
Corrosion margin	$t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
Corrosion rate	$\eta = 0.88$
Section efficiency	$\mu = 0.80$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 56700$ cm ⁴ (original condition) $I = 39917$ cm ⁴ (after reduction by corrosion and section)
	$EI = 200000 \times 10^3 \times 39917 \times 10^{-8}$
	$= 7.983 \times 10^4$

$$\beta = 4\sqrt{\frac{K_b \cdot B}{4EI}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)+1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$l_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M_{(x)} = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction $K_b = 25420$ kN/m³
 calculated value $\beta = 0.53117$ m⁻¹
 resultant earth force (lateral) $P_0 = 111.46$ kN/m
 height of acting position of load $h_0 = 1.42$ m
 moment $M_0 = 158.22$ kN·m/m

in consideration of $\psi_{max} = 1.225$, maximum moment $M_{max} = 193.84$ kN·m/m
 depth of generated position of M_{max} $l_n = 0.714$ m
 depth of 1st fixed point $l_i = 2.193$ m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction $K_b = 27132$ kN/m³
 calculated value $\beta = 0.53989$ m⁻¹
 resultant earth force (lateral) $P_0 = 166.76$ kN/m
 height of acting position of load $h_0 = 1.74$ m
 moment $M_0 = 290.83$ kN·m/m

in consideration of $\psi_{max} = 1.161$, maximum moment $M_{max} = 337.52$ kN·m/m
 depth of generated position of M_{max} $l_n = 0.618$ m
 depth of 1st fixed point $l_i = 2.073$ m

R_No.42_pp.23

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as followings:

Corrosion margin	$t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
Corrosion rate	$\eta = 0.88$
Section efficiency	$\mu = 1.00$
Module of section	$Z_0 = 2700$ cm ³ (original condition) $Z = 2376$ cm ³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{193.84 \times 10^6}{2376 \times 10^3} = 82 \text{ N/mm}^2 \leq \sigma_s = 180 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{337.52 \times 10^6}{2376 \times 10^3} = 142 \text{ N/mm}^2 \leq \sigma_s = 270 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~0.24	3.23 3.15	0.976 0.952	0.321 0.309	1.38 1.76
2	0.24~1.24	2.74 2.40	0.827 0.726	0.248 0.200	4.82 10.72
3	1.24~1.42	2.01 1.95	0.607 0.589	0.147 0.139	3.22 3.47
4	1.42~2.24	1.62 1.34	0.488 0.406	0.100 0.071	15.50 22.12
5	2.24~2.60	0.95 0.83	0.287 0.251	0.037 0.029	9.74 11.03
6	2.60~2.70	0.68 0.64	0.205 0.195	0.020 0.018	1.86 1.88
7	2.70~3.24	0.43 0.25	0.130 0.076	0.008 0.003	10.16 10.16
8	3.24~3.31	0.05 0.02	0.014 0.007	0.000 0.000	0.10 0.000
					$\Sigma Q = 9.261$

Y : Height from imaginary riverbed to acting position

$$\alpha = \frac{Y}{H+L_k} = \frac{(3-\alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

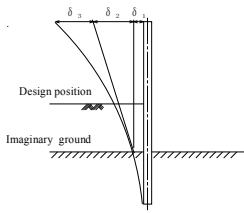
P : Lateral force

H : Depth to design position

L_k : Depth from design position to imaginary ground

R_No.42_pp.24

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1 + 0.5312 \times 1.42) \times 111.46}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5312^3} = 0.00817 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_s) = \frac{(1 + 2 \times 0.5312 \times 1.42) \times 111.46}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5312^2} \times (2.60 + 0.71) = 0.02054 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_s)^3}{E I} = \frac{9.26 \times (2.60 + 0.71)^3}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.00421 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00066 m in consideration of following values:
Height from imaginary riverbed to top of SSP: L = 3.31 m
Horizontal load: P = 3.50
Moment: M = 1.86

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.00817 + 0.02054 + 0.00487 = 0.03358 \text{ m} = 33.58 \text{ mm} \approx \delta_a = 50.00 \text{ mm (ok)}$$

Where,

- Displacement at imaginary ground
- Displacement by angle of inclination slope at imaginary ground
- Displacement at higher part of imaginary ground as cantilever
- Displacement at top of SSP
- Allowable displacement

R_No.42_pp.25

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~0.24	3.52	0.978	0.322	2.18	0.703
		3.44	0.956	0.311	2.61	0.812
2	0.24~1.24	3.03	0.841	0.254	7.28	1.852
		2.70	0.748	0.210	13.74	2.889
3	1.24~2.20	2.04	0.567	0.130	24.30	3.169
		1.72	0.478	0.096	35.56	3.420
4	2.20~2.24	1.39	0.386	0.065	1.48	0.096
		1.38	0.382	0.064	1.49	0.095
5	2.24~2.60	1.24	0.345	0.053	13.45	0.709
		1.12	0.312	0.044	14.47	0.631
6	2.60~3.24	0.79	0.219	0.022	18.05	0.403
		0.58	0.160	0.012	19.58	0.238
7	3.24~3.60	0.24	0.067	0.002	2.92	0.006
		0.12	0.034	0.001	0.00	0.000
$\Sigma Q = 15.022$						

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H + L_s}$$

$$\zeta : \zeta = \frac{(3 - \alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

L_s : Depth from design position to imaginary ground

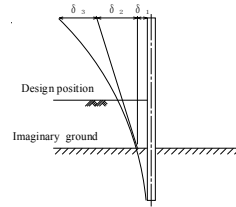
Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P_{aw} (kN)	Q_{aw} (kN)
1	2.20~2.60	1.27	0.353	0.055	0.00	0.000
		1.14	0.316	0.045	0.14	0.006
$\Sigma Q_{aw} = 0.006$						

Therefore, modulus of deformation Q is calculated as below:

$$Q = 15.022 + 0.006 = 15.028$$

Displacement



R_No.42_pp.26

$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3} = \frac{(1 + 0.5399 \times 1.74) \times 166.76}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5399^3} = 0.01289 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_s) = \frac{(1 + 2 \times 0.5399 \times 1.74) \times 166.76}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8} \times 0.5399^2} \times (2.60 + 1.00) = 0.03723 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_s)^3}{E I} = \frac{15.03 \times (2.60 + 1.00)^3}{2.00 \times 10^8 \times 39917 \times 10^{-8}} = 0.00881 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00207 m in consideration of following values:
Height from imaginary riverbed to top of SSP: L = 3.60 m
Horizontal load: P = 9.50
Moment: M = 2.57

Displacement δ_{3m} of cantilever beam by moment M_m is additionally considered.

$$\delta_{3m} = \frac{M_m \cdot h}{2 E I} \times (2 L - h) \quad (L = 3.60 \text{ m}, h = L - H_s, H_s = 0.80 \text{ m}, \text{ただし } h \geq L)$$

$$= \frac{3.70 \times 2.80}{2 \times 2.00 \times 10^8 \times 39917 \times 10^{-8}} \times (2 \times 3.60 - 2.80) = 0.00029 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.01289 + 0.03723 + 0.01116 = 0.06128 \text{ m} = 61.28 \text{ mm} \approx \delta_a = 75.00 \text{ mm (ok)}$$

Where,

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ_3' : Displacement at top of SSP
- δ_a : Allowable displacement

R_No.42_pp.27

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below:

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 56700 \text{ cm}^4$ (original condition)
	I = 56700 cm ⁴ (after reduction by corrosion and section)
EI	= 200000 × 10 ³ × 56700 × 10 ⁻⁸ = 1.134 × 10 ⁷

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L_s , penetration depth of SSP (D) and whole length of SSP (L) are calculated as follows:

$$D = L_s + \frac{3}{\beta}$$

$$L = H - H_{1s} + D$$

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	$K_b = 25420 \text{ kN/m}^3$
Calculated value	$\beta = 0.48655 \text{ m}^{-1}$
Penetration length of SSP	$D = 0.71 + \frac{3}{0.487} = 6.88 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 6.88 = 9.08 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	$K_b = 27132 \text{ kN/m}^3$
Calculated value	$\beta = 0.49454 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.00 + \frac{3}{0.495} = 7.07 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 7.07 = 9.27 \text{ m}$

Therefore, whole length of SSP is set as 9.50 m in consideration of round unit of SSP length.

R_No.42_pp.28

8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	56700		
Section modulus	Z (cm ³)	2700		
Maximum bending moment	M _{max} (kN·m/m)		193.84	337.52
Stress intensity	σ (N/mm ²)		82 (180)	142 (270)
Lateral displacement	δ (mm)		33.58 (50.0)	61.28 (75.0)
Penetration depth	D (m)		6.88	7.07
Whole length of SSP	L (m)	9.50		

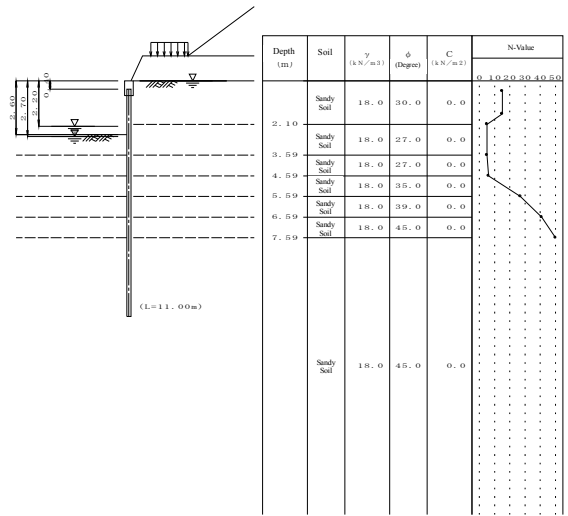
R_No.42_pp.29

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No 43_STA 16+667 - 16+724



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_g = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Landside WL L_{wp} = 0.00 m (Normal Condition)
 Riverside WL L_{wp} = 2.70 m (Normal Condition)
 L_{wp} = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No_43_pp 1

R_No_43_pp 2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load
 Depth of acting point
 Moment
 Depth of acting point
 (Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression $K_c = 0.50$ (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula $K_s = 6910 \times N^{0.406}$

Average N-value calculated from average N-value between imaginary riverbed and depth as $1/\beta$

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.50	15			
2	1.60	15			
3	2.10	5			
4	3.59	5			
5	4.59	6			
6	5.59	27			
7	6.59	41			
8	7.59	50			
9	20.00	50			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

1-7 Soil Modulus

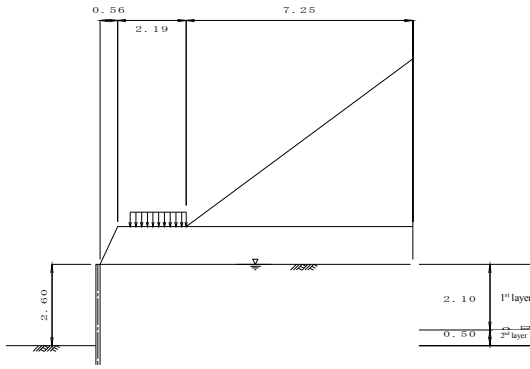
No	Depth (m)	Soil	N-value	γ (kN/m ³)	γ' (kN/m ³)	ϕ	C (kN/m ²)	a	k'	ζ (degree)		kh(kN/m ³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	-----	-----
2	3.59	S	5.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
3	4.59	S	6.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	-----	-----
4	5.59	S	27.0	18.00	10.00	35.0	0.0	0.0	0.200	auto	auto	-----	-----
5	6.59	S	41.0	18.00	10.00	39.0	0.0	0.0	0.200	auto	auto	-----	-----
6	7.59	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	-----	-----
7	20.00	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	-----	-----

Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed (M)
 N-value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 ϕ : internal friction angle of soil
 C_0 : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (underwater)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction

Angle of wall friction	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m³)	Internal friction angle φ (degree)	Cohesive force C (kN/m²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.56	10.00	10.00	1.21	18.0	30.0	0.0	auto	auto
2	Sandy soil	2.75	10.00	10.00	10.00	5.37	18.0	30.0	0.0	auto	auto

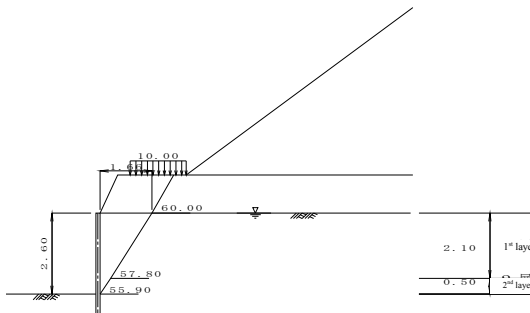
Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m²)	Seismic (kN/m²)
1	0.96	2.75	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

2 Calculation of Acting Load

2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	φ (degree)	δ (degree)	C (kN/m²)	Σγh (kN/m²)	Q (kN/m²)	γwh (kN/m²)	Angle of rupture Z (degree)
1	2.60~2.10	Sandy Soil	27.0	10.0	0.0	26.00	31.11	25.48	55.90
2	2.10~0.00	Sandy Soil	30.0	10.0	0.0	21.00	31.11	20.58	57.80
3		Embankment	30.0	—	0.0	118.44	0.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

Angle of active rupture of clayey soil ζ is set as 45° since θ = 0°

- Where,
- ζ : angle of active rupture (degree, ζ ≥ 10.00°)
 - φ : internal friction angle (degree)
 - δ : wall friction angle (degree)
 - θ : earthquake combination angle (degree)
 - θ = tan⁻¹k or θ = tan⁻¹k'
 - γ : unit weight of soil (kN/m³) (ascending force considered under WL)
 - h : thickness of layer (m)
 - Q : surcharge load (kN/m²)
 - C : cohesive force of soil (kN/m²)

1-9 Steel Sheet Pile (SSP)

Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 86000 cm ⁴
Sectional factor	Z ₀ = 3820 cm ³
Corrosion margin	t ₁ = 1.00 mm (riverside) t ₂ = 1.00 mm (landside)
Corrosion rate (to I ₀)	η = 0.92
Corrosion rate (to Z ₀)	η = 0.92
Section efficiency (to I ₀)	μ = 0.80
Section efficiency (to Z ₀)	μ = 1.00
Round unit of SSP length	0.50 m
Allowable stress	σ _s = 180 N/mm (Normal) σ _{s'} = 270 N/mm (Seismic)
Allowable displacement	δ _s = 50.0 mm (Normal) δ _{s'} = 75.0 mm (Seismic)
Bending of cantilever beam	calculated as distributed load of each layer
Reduction of material modulus	Reduced: I ₀ applied to calculation of lateral coefficient of subgrade reaction Not reduced: I ₀ applied to calculation of penetration depth Reduced: I ₀ applied to calculation of section forces and displacement Reduced: Z ₀ applied to calculation of stresses

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	55.90	0.50	0.00	0.00	0.34	0.50
2	57.80	2.10	0.34	0.50	1.66	2.60
3	60.00	1.21	1.66	2.60	2.36	3.81

Therefore, width of acting load shall be set as 1.66 m

2-1-3 Acting Load by Embankment

No	γ (kN/m³)	A (m²)	γ X A (kN/m)
1	18.0	2.09	37.69
Σ			37.69

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m²)	l (m)	Q X l (kN/m)
1	10.0	1.40	14.00
Σ			14.00

Q : surcharge load
l : width of surcharge load set by line of active rupture

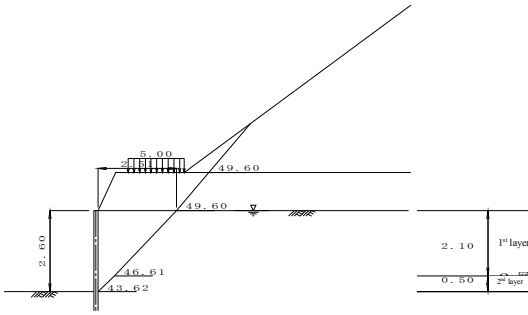
2-1-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{37.69 + 14.00 + 0.00}{1.66}$$

$$= 31.11 \text{ kN/m}^2$$

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma\gamma h$ (kN/m ²)	Q (kN/m ²)	$\gamma w h$ (kN/m ²)	k (k')	θ (degree)	Angle of rupture Z (degree)
1	2.60~2.10	Sandy Soil	27.0	10.0	0.0	26.00	31.86	25.48	0.200	11.31	43.62
2	2.10~0.00	Sandy Soil	30.0	10.0	0.0	21.00	31.86	20.58	0.200	11.31	46.61
3		Embankment	30.0	—	0.0	118.44	0.00	0.00	0.200	11.31	49.60
4		Embankment	30.0	—	0.0	96.66	0.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
- $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	43.62	0.50	0.00	0.00	0.52	0.50
2	46.61	2.10	0.52	0.50	2.51	2.60
3	49.60	1.21	2.51	2.60	3.54	3.81
4	49.60	1.58	3.54	3.81	4.89	5.39

Therefore, width of acting load shall be set as 2.51 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	3.32	59.78
2	18.0	0.62	11.24
Σ			71.03

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	5.0	1.79	8.95
Σ			8.95

Q : surcharge load
l : width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

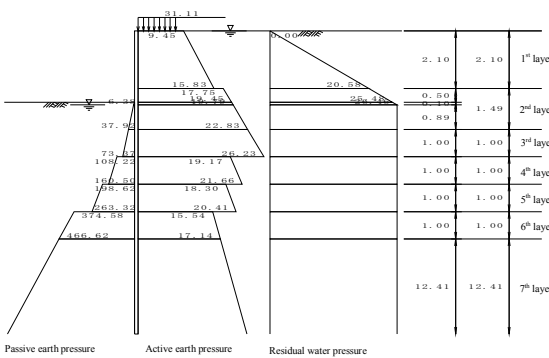
$$Q = \frac{\Sigma(\gamma \times A) + \Sigma(Q \times l) + \Sigma P}{L}$$

$$= \frac{71.03 + 8.95 + 0.00}{2.51}$$

$$= 31.86 \text{ kN/m}^2$$

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_a$ (kN/m ²)	K_a	$K_a \times \cos\delta$
1	0.00~2.10	Sandy soil	10.0	30.0	31.115 52.115	0.30847 0.30847	0.30378 0.30378
2	2.10~2.60	Sandy soil	10.0	27.0	52.115 57.115	0.34585 0.34585	0.34060 0.34060
3	2.60~2.70	Sandy soil	10.0	27.0	57.115 58.115	0.34585 0.34585	0.34060 0.34060
4	2.70~3.59	Sandy soil	10.0	27.0	58.115 67.015	0.34585 0.34585	0.34060 0.34060
5	3.59~4.59	Sandy soil	10.0	27.0	67.015 77.015	0.34585 0.34585	0.34060 0.34060
6	4.59~5.59	Sandy soil	10.0	35.0	77.015 87.015	0.25279 0.25279	0.24895 0.24895
7	5.59~6.59	Sandy soil	10.0	39.0	87.015 97.015	0.21359 0.21359	0.21035 0.21035
8	6.59~7.59	Sandy soil	10.0	45.0	97.015 107.015	0.16262 0.16262	0.16015 0.16015
9	7.59~20.00	Sandy soil	10.0	45.0	107.015 231.115	0.16262 0.16262	0.16015 0.16015

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below;

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q_p$ (kN/m ²)	K_p	$K_p \times \cos\delta$
3	2.60~2.70	Sandy soil	18.0	27.0	— —	0.000 1.800	3.59892 3.59892
4	2.70~3.59	Sandy soil	10.0	27.0	— —	1.800 10.700	3.59892 3.59892
5	3.59~4.59	Sandy soil	10.0	27.0	— —	10.700 20.700	3.59892 3.59892
6	4.59~5.59	Sandy soil	10.0	35.0	— —	20.700 30.700	5.22810 5.22810
7	5.59~6.59	Sandy soil	10.0	39.0	— —	30.700 40.700	6.46967 6.46967
8	6.59~7.59	Sandy soil	10.0	45.0	— —	40.700 50.700	9.20351 9.20351
9	7.59~20.00	Sandy soil	10.0	45.0	— —	50.700 174.800	9.20351 9.20351

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below;

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure P_w (kN/m ²)	Passive side P_p (kN/m ²)
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1	0.00~2.10	9.45 15.83	— —	9.45 15.83	0.00 20.58
2	2.10~2.60	17.75 2.60	— —	17.75 19.45	20.58 25.48
3	2.60~2.70	19.45 19.79	— —	19.45 19.79	25.48 26.46
4	2.70~3.59	19.79 22.83	— —	19.79 22.83	26.46 26.46
5	3.59~4.59	22.83 26.23	— —	22.83 26.23	26.46 26.46
6	4.59~5.59	19.17 21.66	— —	19.17 21.66	26.46 26.46
7	5.59~6.59	18.30 20.41	— —	18.30 20.41	26.46 26.46
8	6.59~7.59	15.54 17.14	— —	15.54 17.14	26.46 26.46
9	7.59~20.00	17.14 37.01	— —	17.14 37.01	26.46 26.46

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_c \cdot (\Sigma \gamma h + Q)$
 K_c : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

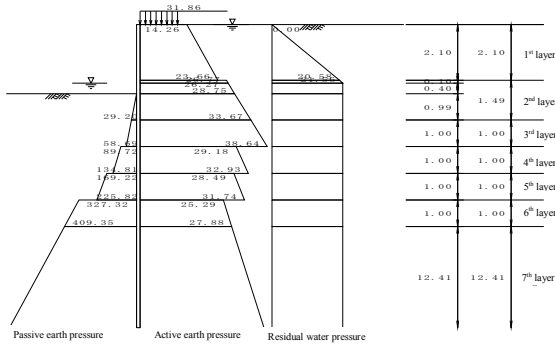
- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m³)	φ (degree)	C (kN/m²)	Σγh+Q (kN/m²)	γwh (kN/m²)	k (k)	θ (degree)	Ka	Ka × cosδ	θ (degree)
1 0.00~2.10	Sandy Soil	10.00	30.0	---	31.86 52.86	0.00 20.58	0.200	11.31	0.45442 0.45442	0.44752 0.44752	---
2 2.10~2.20	Sandy Soil	10.00	27.0	---	52.86 53.86	20.58 21.56	0.200	11.31	0.50461 0.50461	0.49695 0.49695	---
3 2.20~2.60	Sandy Soil	10.00	27.0	---	53.86 57.86	21.56 25.48	0.200	11.31	0.50461 0.50461	0.49695 0.49695	---
4 2.60~3.59	Sandy Soil	10.00	27.0	---	57.86 67.76	25.48 35.18	0.200	11.31	0.50461 0.50461	0.49695 0.49695	---
5 3.59~4.59	Sandy Soil	10.00	27.0	---	67.76 77.76	35.18 44.98	0.200	11.31	0.50461 0.50461	0.49695 0.49695	---

Depth (m)	Soil	γ (kN/m³)	φ (degree)	C (kN/m²)	Σγh+Q (kN/m²)	γwh (kN/m²)	k (k)	θ (degree)	Ka	Ka × cosδ	θ (degree)
6 4.59~5.59	Sandy Soil	10.00	35.0	---	77.76 87.76	44.98 54.78	0.200	11.31	0.38098 0.38098	0.37519 0.37519	---
7 5.59~6.59	Sandy Soil	10.00	39.0	---	87.76 97.76	54.78 64.58	0.200	11.31	0.32966 0.32966	0.32465 0.32465	---
8 6.59~7.59	Sandy Soil	10.00	45.0	---	97.76 107.76	64.58 74.38	0.200	11.31	0.26273 0.26273	0.25874 0.25874	---
9 7.59~20.00	Sandy Soil	10.00	45.0	---	107.76 231.86	74.38 196.00	0.200	11.31	0.26273 0.26273	0.25874 0.25874	---

Coefficient of active earth pressure of sandy soil Ka is calculated by the formula below;

δ = 10.00, β = 0.00, θ = 0.00

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below;

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan \theta}$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m³)	φ (degree)	C (kN/m²)	Σγh+Qp (kN/m²)	γwh (kN/m²)	k (k)	θ (degree)	Kp	Kp × cosδ
4 2.60~3.59	Sandy Soil	10.00	27.0	---	0.000 9.900	0.00 9.70	0.200	11.31	2.99498 2.99498	2.94948 2.94948
5 3.59~4.59	Sandy Soil	10.00	27.0	---	9.900 19.900	9.70 19.50	0.200	11.31	2.99498 2.99498	2.94948 2.94948
6 4.59~5.59	Sandy Soil	10.00	35.0	---	19.900 29.900	19.50 29.30	0.200	11.31	4.57827 4.57827	4.50872 4.50872
7 5.59~6.59	Sandy Soil	10.00	39.0	---	29.900 39.900	29.30 39.10	0.200	11.31	5.74696 5.74696	5.65965 5.65965
8 6.59~7.59	Sandy Soil	10.00	45.0	---	39.900 49.900	39.10 48.90	0.200	11.31	8.33000 8.33000	8.20345 8.20345
9 7.59~20.00	Sandy Soil	10.00	45.0	---	49.900 174.000	48.90 170.52	0.200	11.31	8.33000 8.33000	8.20345 8.20345

Coefficient of passive earth pressure of sandy soil Kp is calculated by the formula below;

δ = -10.00, β = 0.00, θ = tan⁻¹k

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure Pw (kN/m²)	Passive side Pp (kN/m²)
		Pa1 (kN/m²)	Pa2 (kN/m²)	Pa (kN/m²)		
1	0.00~2.10	14.26 23.66	---	14.26 23.66	0.00 20.58	---
2	2.10~2.20	26.27 26.77	---	26.27 26.77	20.58 21.56	---
3	2.20~2.60	26.77 28.75	---	26.77 28.75	21.56 21.56	---
4	2.60~3.59	28.75 33.67	---	28.75 33.67	21.56 21.56	0.00 29.20
5	3.59~4.59	33.67 38.64	---	33.67 38.64	21.56 21.56	29.20 58.69
6	4.59~5.59	29.18 32.93	---	29.18 32.93	21.56 21.56	89.72 134.81
7	5.59~6.59	28.49 31.74	---	28.49 31.74	21.56 21.56	169.22 225.82
8	6.59~7.59	25.29 27.88	---	25.29 27.88	21.56 21.56	327.32 409.35
9	7.59~20.00	27.88 59.99	---	27.88 59.99	21.56 21.56	409.35 1427.40

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_c \cdot (\Sigma \gamma h + Q)$
 K_c : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot [\Sigma \gamma h + \frac{Q}{\cos(-\beta)}] \cdot \cos \delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos \delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P _{sw} (kN/m²)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

$$p_{sw} = \pm \frac{7}{8} k_{sw} \cdot \gamma_w \cdot \sqrt{H \cdot y}$$

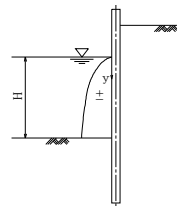
Where,

k_{sw}: design seismic coefficient

γ_w: unit weight of water

H: water depth of river side

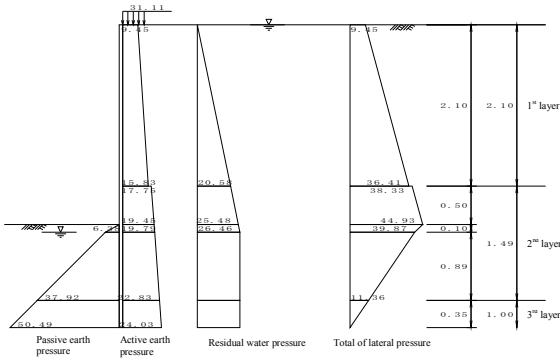
y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L_i is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition

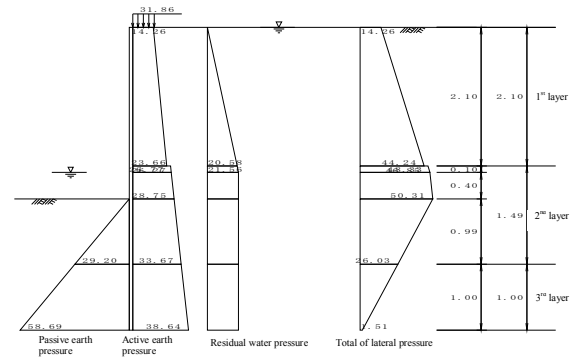


Depth (m)	P _a kN/m ²	P _w kN/m ²	P _p kN/m ²	P _s kN/m ²
1 0.00~2.10	9.45 15.83	0.00 20.58	— —	9.45 36.41
2 2.10~2.60	17.75 19.45	20.58 25.48	— —	38.33 44.93
3 2.60~2.70	19.45 19.79	25.48 26.46	0.00 6.38	44.93 39.87
4 2.70~3.59	19.79 22.83	26.46 26.46	6.38 37.92	39.87 11.36
5 3.59~3.95	22.83 24.03	26.46 26.46	37.92 50.49	11.36 0.00
6 3.95~4.59	24.03 26.23	26.46 26.46	50.49 73.37	0.00 -20.67

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_i: 1.35 m (GL -3.95 m)

4-2 Seismic Condition



Depth (m)	P _a kN/m ²	P _w kN/m ²	P _p kN/m ²	P _s kN/m ²
1 0.00~2.10	14.26 23.66	0.00 20.58	— —	14.26 44.24
2 2.10~2.20	26.27 26.77	20.58 21.56	— —	46.85 48.33
3 2.20~2.60	26.77 28.75	21.56 21.56	— —	48.33 50.31
4 2.60~3.59	28.75 33.67	21.56 21.56	0.00 29.20	50.31 26.03
5 3.59~4.59	33.67 38.64	21.56 21.56	29.20 58.69	26.03 1.51
6 4.59~5.59	29.18 32.93	21.56 21.56	89.72 134.81	-38.99 -80.32

P_a : Active earth pressure
 P_w : Residual water pressure
 P_p : Passive earth pressure
 P_s : Lateral pressure P_s = P_a + P_w - P_p

Imaginary riverbed L_i: 1.99 m (GL -4.59 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below;

$$K_h = 6910 \times N^{0.496}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width	B = 1.0000 m
Corrosion margin	t ₁ = 1.00 mm (active side) t ₂ = 1.00 mm (passive side)
Corrosion rate	η = 0.92
Section efficiency	μ = 0.80
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 86000 cm ⁴ (original condition)
	I = 63296 cm ⁴ (after reduction by corrosion and joint)
Inertia sectional moment	EI = 200000 × 10 ³ × 63296 × 10 ⁻⁸ = 1.266 × 10 ⁷

Depth (m)	N-value
1 0.50	15
2 1.60	15
3 2.10	5
4 3.59	5
5 4.59	6
6 5.59	27
7 6.59	41
8 7.59	50
9 20.00	50

5-2 Normal Condition

K_b = 21786 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.455 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.20 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.94 m) to 2.20 m depth (GL -6.14 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 3.9	0.65	5.4	6.0	3.66
2 4.59	1.00	6.0	27.0	16.50
3 5.59	0.55	27.0	34.7	16.98
L = Σh = 2.20		ΣA = 37.14		

A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{37.14}{2.20} = 16.92$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.496} = 6910 \times 16.92^{0.496} = 21786 \text{ kN/m}^3$$

K_h (normal condition) = 21786 kN/m³

5-3 Seismic Condition

K_b = 25953 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.476 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.10 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.59 m) and 2.10 m depth (GL -6.69 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 4.59	1.00	6.0	27.0	16.50
2 5.59	1.00	27.0	41.0	34.00
3 6.59	0.10	41.0	41.9	4.22
L = Σh = 2.10		ΣA = 54.72		

A: (upper N-value + lower N-value) × h/2

$$\text{Average N-value } N' = \frac{\Sigma A}{L} = \frac{54.72}{2.10} = 26.03$$

Calculated K_h is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N^{0.496} = 6910 \times 26.03^{0.496} = 25953 \text{ kN/m}^3$$

K_h (seismic condition) = 25953 kN/m³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P_0 & Acting Elevation h_0

6-1-1 Normal Condition

	Depth Z (m)	Thickness h (m)	Total of lateral force P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~2.10	2.10	9.45 36.41	9.92 38.23	3.24 2.54	32.20 97.29
2	2.10~2.60	0.50	38.33 44.93	9.58 11.23	1.68 1.51	16.08 16.98
3	2.60~2.70	0.10	44.93 39.87	2.25 1.99	1.31 1.28	2.95 2.55
4	2.70~3.59	0.89	39.87 11.36	17.74 5.06	0.95 0.65	16.82 3.29
5	3.59~3.94	0.35	11.36 0.00	2.01 0.00	0.24 0.12	0.48 0.00
			$\Sigma P = 98.03$	$\Sigma M = 188.63$		

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_i = 4.0$ kN/m
 depth to acting position $H_i = -0.57$ m
 moment $M_m = 0.0$ kN·m/m
 depth to acting position $H_m = 0.00$ m
 Height from riverbed to top of coping $H = 2.60$ m
 Depth of Imaginary riverbed from riverbed $L_k = 1.34$ m

Moment M_i by arbitrary load is as below
 $M_i = P_i \cdot (H + L_k - H_i) + M_m = 18.06$ kN·m
 h_0 , Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_i}{\Sigma P + P_i} = \frac{206.69}{102.03} = 2.03 \text{ m}$$

6-1-2 Seismic Condition

	Depth Z (m)	Thickness h (m)	Lateral load P_s (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~2.10	2.10	14.26 44.24	14.97 46.45	3.89 3.19	58.24 148.17
2	2.10~2.20	0.10	46.85 48.33	2.34 2.42	2.46 2.42	5.75 5.86
3	2.20~2.60	0.40	48.33 50.31	9.67 20.06	2.26 2.12	21.81 21.37
4	2.60~3.59	0.99	50.31 26.03	24.91 12.89	1.66 1.33	41.34 17.14
5	3.59~4.59	1.00	26.03 1.51	13.02 0.75	0.67 0.33	8.68 0.25
			$\Sigma P = 137.47$	$\Sigma M = 328.62$		

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load $P_s \times h/2 \times B$
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load $P \times Y$

Arbitrary load lateral load $P_i = 10.3$ kN/m
 depth to acting position $H_i = -0.32$ m
 moment $M_m = 4.7$ kN·m/m
 depth to acting position $H_m = 0.80$ m
 Height from riverbed to top of coping $H = 2.60$ m
 Depth of Imaginary riverbed from riverbed $L_k = 1.99$ m

Moment M_i by arbitrary load is as below
 $M_i = P_i \cdot (H + L_k - H_i) + M_m = 55.27$ kN·m

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P_{dw} (kN/m ²)	Load P_{dw} (kN)	Arm length Y (m)	Moment M_{dw} (kN·m)
1	2.20~2.60	0.40	0.0 0.7	0.00 0.14	2.26 2.12	0.00 0.29
			$\Sigma P_{dw} = 0.14$	$\Sigma M_{dw} = 0.29$		

h_0 , Height of acting position of P_0 from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_i + \Sigma M_{dw}}{\Sigma P + P_i + \Sigma P_{dw}} = \frac{384.18}{147.91} = 2.60 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as follows:

Unit width $B = 1.0000$ m
 Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.92$
 Section efficiency $\mu = 0.80$
 Young's modulus $E = 200000$ N/mm²
 Inertia sectional moment $I_0 = 86000$ cm⁴ (original condition)
 $I = 63296$ cm⁴ (after reduction by corrosion and section) $= 1.266 \times 10^8$

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$l_n = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$l_i = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1+\beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction $K_b = 21786$ kN/m³
 calculated value $\beta = 0.45543$ m⁻¹
 resultant earth force (lateral) $P_0 = 102.03$ kN/m
 height of acting position of load $h_0 = 2.03$ m
 moment $M_0 = 206.69$ kN·m/m

in consideration of $\psi_m = 1.166$, maximum moment $M_{max} = 240.93$ kN·m/m
 depth of generated position of M_{max} $l_m = 0.742$ m
 depth of 1st fixed point $l_i = 2.467$ m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction $K_b = 25953$ kN/m³
 calculated value $\beta = 0.47581$ m⁻¹
 resultant earth force (lateral) $P_0 = 147.91$ kN/m
 height of acting position of load $h_0 = 2.60$ m
 moment $M_0 = 384.18$ kN·m/m

in consideration of $\psi_m = 1.104$, maximum moment $M_{max} = 424.22$ kN·m/m
 depth of generated position of M_{max} $l_m = 0.589$ m
 depth of 1st fixed point $l_i = 2.240$ m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as follows:

Corrosion margin $t_1 = 1.00$ mm (active side) $t_2 = 1.00$ mm (passive side)
 Corrosion rate $\eta = 0.92$
 Section efficiency $\mu = 1.00$
 Module of section $Z_0 = 3820$ cm³ (original condition)
 $Z = 3514$ cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{240.93 \times 10^6}{3514 \times 10^3} = 69 \text{ N/mm}^2 \leq \sigma_a = 180 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{424.22 \times 10^6}{3514 \times 10^3} = 121 \text{ N/mm}^2 \leq \sigma_a = 270 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

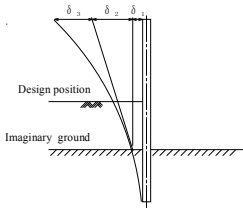
6-4-1 Normal Condition

Modules of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	3.24 2.54	0.823 0.163	0.246 0.163	9.92 38.23	2.437 6.244
2	2.10~2.60	1.68 1.51	0.425 0.383	0.078 0.064	9.58 11.23	0.744 0.719
3	2.60~2.70	1.31 1.28	0.332 0.324	0.049 0.047	2.25 1.99	0.110 0.093
4	2.70~3.59	0.95 0.65	0.240 0.165	0.027 0.013	17.74 5.06	0.471 0.065
5	3.59~3.94	0.24 0.12	0.060 0.030	0.002 0.000	2.01 0.00	0.004 0.000
			$\Sigma Q = 10.888$			

Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_k}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4554 \times 2.03) \times 102.03}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4554^3} = 0.00820 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_s)$$

$$= \frac{(1 + 2 \times 0.4554 \times 2.03) \times 102.03}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4554^2} \times (2.60 + 1.34) = 0.02181 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_s)^3}{E I}$$

$$= \frac{10.89 \times (2.60 + 1.34)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.00528 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00079 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.94 m
 Horizontal load: P = 4.00
 Moment: M = 2.28

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.00820 + 0.02181 + 0.00607$$

$$= 0.03607 \text{ m}$$

$$= 36.07 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where,

- Displacement at imaginary ground
- Displacement by angle of inclination slope at imaginary ground
- Displacement at higher part of imaginary ground as cantilever
- Displacement at top of SSP
- Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~	3.89	0.847	0.258	14.97	3.858
	2.10	3.19	0.695	0.186	46.45	8.619
2	2.10~	2.46	0.535	0.118	2.34	0.276
	2.20	2.42	0.528	0.115	2.42	0.278
3	2.20~	2.26	0.492	0.101	9.67	0.977
	2.60	2.12	0.463	0.091	10.06	0.911
4	2.60~	1.66	0.362	0.058	24.91	1.432
	3.59	1.33	0.290	0.038	12.89	0.489
5	3.59~	0.67	0.145	0.010	13.02	0.131
	4.59	0.33	0.073	0.003	0.75	0.002
$\Sigma Q = 16.971$						

Y : Height from imaginary riverbed to acting position

$$\alpha : \alpha = \frac{Y}{H + L_s}$$

$$\zeta : \zeta = \frac{(3 - \alpha) \times \alpha^2}{6}$$

Q : $\zeta \times P$

P : Lateral force

H : Depth to design position

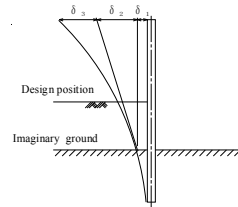
L_s : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	β_w (kN)	Q_w (kN)
1	2.20~	2.26	0.492	0.101	0.00	0.000
	2.60	2.12	0.463	0.091	0.14	0.012
$\Sigma Q_w = 0.012$						

Therefore, modulus of deformation Q is calculated as below:
 $Q = 16.971 + 0.012 = 16.984$

Displacement



7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below:

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	$I_0 = 86000 \text{ cm}^4$ (original condition)
	I = 86000 cm ⁴ (after reduction by corrosion and section)
	$EI = 200000 \times 10^3 \times 86000 \times 10^{-8} = 1.720 \times 10^8$

7-1 Penetration Depth and Whole Length of SSP (Change)

Based on the depth of imaginary riverbed as L_s , penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings:

$$D = L_s + \frac{3}{\beta}$$

$$L = H - H_{1s} + D$$

$$\beta = 4 \sqrt{\frac{K_s \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction	$K_s = 21786 \text{ kN/m}^3$
Calculated value	$\beta = 0.42184 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.34 + \frac{3}{0.422} = 8.46 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 8.46 = 10.66 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction	$K_s = 25953 \text{ kN/m}^3$
Calculated value	$\beta = 0.44071 \text{ m}^{-1}$
Penetration length of SSP	$D = 1.99 + \frac{3}{0.441} = 8.80 \text{ m}$
Whole length of SSP	$L = 2.60 - 0.40 + 8.80 = 11.00 \text{ m}$

Therefore, whole length of SSP is set as 11.00 m in consideration of round unit of SSP length.

$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.4758 \times 2.60) \times 147.91}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4758^3} = 0.01213 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_s)$$

$$= \frac{(1 + 2 \times 0.4758 \times 2.60) \times 147.91}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8} \times 0.4758^2} \times (2.60 + 1.99) = 0.04112 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_s)^3}{E I}$$

$$= \frac{16.98 \times (2.60 + 1.99)^3}{2.00 \times 10^8 \times 63296 \times 10^{-8}} = 0.01297 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00290 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.59 m
 Horizontal load: P = 10.30
 Moment: M = 3.30

Displacement δ_{3m} of cantilever beam by moment M_0 is additionally considered.

$$\delta_{3m} = \frac{M_0 \cdot h}{2 E I} \times (2 L - h) \quad (L = 4.59 \text{ m, } h = L - H_s, H_s = 0.80 \text{ m, } \text{ただし } \dots)$$

$$= \frac{4.70 \times 3.79}{2 \times 2.00 \times 10^8 \times 63296 \times 10^{-8}} \times (2 \times 4.59 - 3.79) = 0.00038 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3$$

$$= 0.01213 + 0.04112 + 0.01625$$

$$= 0.06950 \text{ m}$$

$$= 69.50 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where,

- δ_1 : Displacement at imaginary ground
- δ_2 : Displacement by angle of inclination slope at imaginary ground
- δ_3 : Displacement at higher part of imaginary ground as cantilever
- δ_3' : Displacement at top of SSP
- δ_a : Allowable displacement

8 Calculation Result

			Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	86000		
Section modulus	Z (cm ³)	3820		
Maximum bending moment	M _{max} (kN·m/m)		240.93	424.22
Stress intensity	σ (N/mm ²)		69 (180)	121 (270)
Lateral displacement	δ (mm)		36.07 (50.0)	69.80 (75.0)
Penetration depth	D (m)		8.46	8.80
Whole length of SSP	L (m)	11.00		

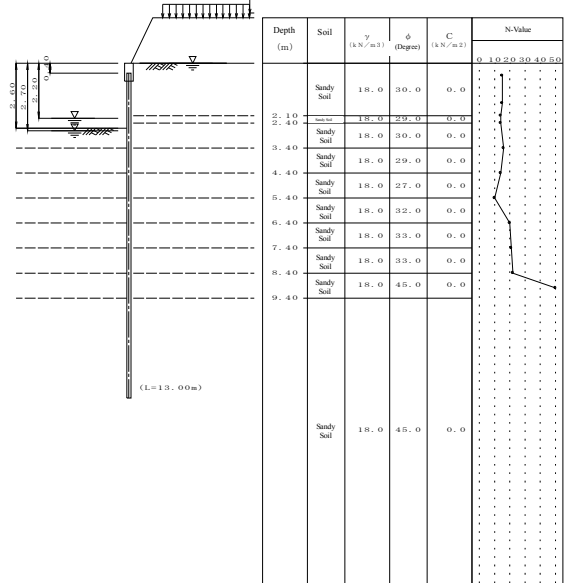
a

1 Design Conditions

1-1 Longitudinal Section of SSP & Considered Geological Survey Log

— Steel Sheet Pile Design Calculation —

Right Bank No. 44_STA 16+760 - 16+840



1-2 Dimensions of Structure

Depth from coping top to riverbed H = 2.60 m
 Depth from coping top to rear side ground H_g = 0.00 m
 Depth from coping top to SSP top H_s = 0.40 m
 Landside WL L_{wl} = 0.00 m (Normal Condition)
 L_{wl} = 0.00 m (Seismic Condition)
 Riverside WL L_{wl} = 2.70 m (Normal Condition)
 L_{wl} = 2.20 m (Seismic Condition)

Imaginary riverbed calculated in consideration of geotechnical conditions

R_No.44_pp.1

R_No.44_pp.2

1-3 Applied Formula

Formula for generated stress Chang's formula
 Penetration depths $L = \frac{3}{\beta}$

1-4 Constant Numbers for Design

Unit weight of water $\gamma_w = 9.8 \text{ kN/m}^3$
 Type of water pressure trapezoidal water pressure
 Lateral pressure calculated in consideration of site conditions
 Study case - Normal Condition
 - Seismic Condition

Design earthquake intensity k = 0.200

Dynamic water pressure due to earthquake considered as distributed load

Arbitrary load Horizontal load Pt = 7.2 kN/m (Normal Condition)
 Pt' = 16.7 kN/m (Seismic Condition)
 Depth of acting point Ht = -0.81 m (Normal Condition)
 Ht' = -0.64 m (Seismic Condition)
 Moment Mn = 0.0 kN·m/m (Normal Condition)
 Mn' = 9.6 kN·m/m (Seismic Condition)
 Depth of acting point Hm = 0.00 m (Seismic Condition)
 Hm = 0.80 m (Normal Condition)
 ('Depth' means distance from top of coping)

Wind load, Impact load not considered

Minimum angle of rupture $\zeta_0 = 10$ degrees

Rear side angle of slope not considered

Angle of rupture (clayey soil) $\zeta = \tan^{-1} \sqrt{1 - \frac{\sum \gamma h + 2Q}{2C} \cdot \tan \theta}$

Equilibrium factor of compression K_c = 0.50 (considered in Seismic Condition)

1-5 Lateral Foundation Modulus

Applied formula K_s = 6910 × N'^{0.406}

Average N-value calculated from average N-value between imaginary riverbed and depth as 1/β

N-value distribution

No	Depth (m)	N-Value	No	Depth (m)	N-Value
1	0.50	15	11	9.00	50
2	1.60	15	12	20.00	50
3	2.10	14			
4	2.40	14			
5	3.40	16			
6	4.40	14			
7	5.40	10			
8	6.40	20			
9	7.40	21			
10	8.40	22			

1-6 Vertical Load

Vertical load on landside calculated in consideration of embankment shape on landside

Vertical load on riverside not considered

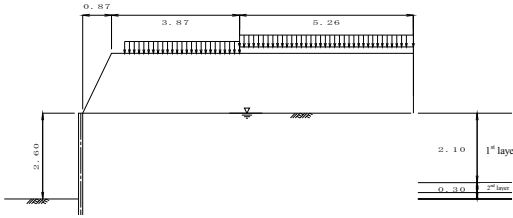
1-7 Soil Modulus

No	Depth (m)	Soil	N-value	γ	γ'	φ	C	a	k'	ζ (degree)		kh(kN/m³)	
										normal	seismic	normal	seismic
1	2.10	S	15.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
2	2.40	S	14.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	—	—
3	3.40	S	16.0	18.00	10.00	30.0	0.0	0.0	0.200	auto	auto	—	—
4	4.40	S	14.0	18.00	10.00	29.0	0.0	0.0	0.200	auto	auto	—	—
5	5.40	S	10.0	18.00	10.00	27.0	0.0	0.0	0.200	auto	auto	—	—
6	6.40	S	20.0	18.00	10.00	32.0	0.0	0.0	0.200	auto	auto	—	—
7	7.40	S	21.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
8	8.40	S	22.0	18.00	10.00	33.0	0.0	0.0	0.200	auto	auto	—	—
9	9.40	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—
10	20.00	S	50.0	18.00	10.00	45.0	0.0	0.0	0.200	auto	auto	—	—

Note) depth : from top of coping to bottom of the layer
 soil : sandy(S), clayey(C), mixed (M)
 N-value : average N-value in the layer
 γ : wet unit weight of soil
 γ' : saturated unit weight of soil
 φ : internal friction angle of soil
 C_o : soil adhesion
 a : slope of soil adhesion
 k' : design seismic coefficient (underwater)
 ζ : angle of active rupture
 kh : modulus of subgrade reaction

Angle of wall friction	Angle of wall friction	
	Normal	Seismic
active	10.00°	10.00°
passive	-10.00°	-10.00°

1-8 Embankment on Landside



Embankment shape and soil modulus

No	Soil	X-coordinate				Embankment height h (m)	Wet unit weight γ (kN/m ³)	Internal friction angle ϕ (degree)	Cohesive force C (kN/m ²)	Angle of rupture	
		1 (m)	2 (m)	3 (m)	4 (m)					Normal	Seismic
1	Sandy soil	0.00	0.87	10.00	10.00	1.82	18.0	30.0	0.0	auto	auto
2	Sandy soil	4.74	4.74	10.00	10.00	0.19	18.0	30.0	0.0	auto	auto

Surcharge load acting on embankment

No	Acting period		Load	
	from (m)	to (m)	Normal (kN/m ²)	Seismic (kN/m ²)
1	1.27	10.00	10.0	5.0

Angle of rupture in embankment calculated in consideration of embankment conditions

1-9 Steel Sheet Pile (SSP)

Young's modulus $E = 200000 \text{ N/mm}^2$
 Inertia sectional moment $I_0 = 154000 \text{ cm}^4$
 Sectional factor $Z_0 = 4160 \text{ cm}^3$

Corrosion margin $t_1 = 1.00 \text{ mm (riverside)}$ $t_2 = 1.00 \text{ mm (landside)}$

Corrosion rate (to I_0) $\eta = 0.85$
 Corrosion rate (to Z_0) $\eta = 0.87$
 Section efficiency (to I_0) $\mu = 1.00$
 Section efficiency (to Z_0) $\mu = 1.00$

Round unit of SSP length 0.50 m

Allowable stress $\sigma_a = 185 \text{ N/mm (Normal)}$
 $\sigma_a' = 278 \text{ N/mm (Seismic)}$

Allowable displacement $\delta_a = 50.0 \text{ mm (Normal)}$
 $\delta_a' = 75.0 \text{ mm (Seismic)}$

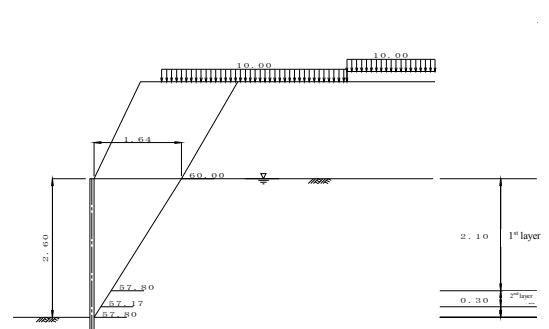
Bending of cantilever beam calculated as distributed load of each layer

Reduction of material modulus
 Reduced: I_0 applied to calculation of lateral coefficient of subgrade reaction
 Not reduced: I_0 applied to calculation of penetration depth
 Reduced: I_0 applied to calculation of section forces and displacement
 Reduced: Z_0 applied to calculation of stresses

R_No.44_pp.5

2 Calculation of Acting Load

2-1 Normal Condition



2-1-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma\gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{rw} (kN/m ²)	Angle of rupture Z (degree)
1	2.60 ~ 2.40	Sandy Soil	30.0	10.0	0.0	26.00	43.23	25.48	57.80
2	2.40 ~ 2.10	Sandy Soil	29.0	10.0	0.0	24.00	43.23	23.52	57.17
3	2.10 ~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	43.23	20.58	57.80
4		Embankment	30.0	—	0.0	36.18	10.00	0.00	60.00

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

• Angle of active rupture of clayey soil

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C}} \cdot \tan \theta$$

Angle of active rupture of clayey soil ζ is set as 45° since $\theta = 0^\circ$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

R_No.44_pp.6

2-1-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z_i (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	57.80	0.20	0.00	0.00	0.13	0.20
2	57.17	0.30	0.13	0.20	0.32	0.50
3	57.80	2.10	0.32	0.50	1.64	2.60
4	60.00	1.82	1.64	2.60	2.69	4.42

Therefore, width of acting load shall be set as 1.64 m

2-1-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	3.15	56.75
Σ			56.75

γ : unit weight of embankment soil
 A : sectional area of embankment enclosed by line of active rupture

2-1-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN/m)
1	10.0	1.42	14.23
Σ			14.23

Q: surcharge load
 l : width of surcharge load set by line of active rupture

2-1-5 Calculation of Total Acting Load

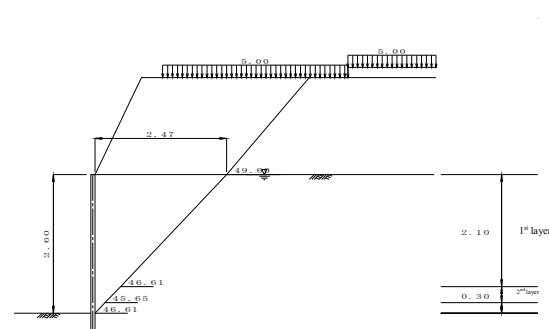
$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

$$= \frac{56.75 + 14.23 + 0.00}{1.64}$$

$$= 43.23 \text{ kN/m}^2$$

R_No.44_pp.7

2-2 Earthquake Condition



2-2-1 Angle of Active Rupture

No	Depth (m)	Soil	ϕ (degree)	δ (degree)	C (kN/m ²)	$\Sigma\gamma h$ (kN/m ²)	Q (kN/m ²)	γ_{rw} (kN/m ²)	k (k)	θ (degree)	Angle of rupture Z (degree)
1	2.60 ~ 2.40	Sandy Soil	30.0	10.0	0.0	26.00	42.83	25.48	0.200	11.31	46.61
2	2.40 ~ 2.10	Sandy Soil	29.0	10.0	0.0	24.00	42.83	23.52	0.200	11.31	45.65
3	2.10 ~ 0.00	Sandy Soil	30.0	10.0	0.0	21.00	42.83	20.58	0.200	11.31	46.61
4		Embankment	30.0	—	0.0	36.18	5.00	0.00	0.200	11.31	49.60

• Angle of active rupture of sandy soil

$$\zeta = 90 - \tan^{-1} \frac{-\sin(\phi + \delta) + \sqrt{\frac{\cos(\delta + \theta) \cdot \sin(\phi + \delta)}{\sin(\phi - \theta)}}}{\cos(\phi + \delta)}$$

Where,

- ζ : angle of active rupture (degree, $\zeta \geq 10.00^\circ$)
- ϕ : internal friction angle (degree)
- δ : wall friction angle (degree)
- θ : earthquake combination angle (degree)
 $\theta = \tan^{-1} k$ or $\theta = \tan^{-1} k'$
- γ : unit weight of soil (kN/m³) (ascending force considered under WL)
- h : thickness of layer (m)
- Q : surcharge load (kN/m²)
- C : cohesive force of soil (kN/m²)

R_No.44_pp.8

2-2-2 Coordinates of Line of Active Rupture

No	Angle of rupture ζ (degree)	Thickness of layer Z (m)	Coordinate of lower end		Coordinate of upper end	
			X (m)	Y (m)	X (m)	Y (m)
1	46.61	0.20	0.00	0.00	0.19	0.20
2	45.65	0.30	0.19	0.20	0.48	0.50
3	46.61	2.10	0.48	0.50	2.47	2.60
4	49.60	1.82	2.47	2.60	4.02	4.42

Therefore, width of acting load shall be set as 2.47 m

2-2-3 Acting Load by Embankment

No	γ (kN/m ³)	A (m ²)	$\gamma \times A$ (kN/m)
1	18.0	5.11	91.96
Σ			91.96

γ : unit weight of embankment soil
A : sectional area of embankment enclosed by line of active rupture

2-2-4 Acting Load by Surcharge Load

No	Q (kN/m ²)	l (m)	Q X l (kN·m)
1	5.0	2.75	13.73
Σ			13.73

Q: surcharge load
l: width of surcharge load set by line of active rupture

2-2-5 Calculation of Total Acting Load

$$Q = \frac{\Sigma (\gamma \times A) + \Sigma (Q \times l) + \Sigma P}{L}$$

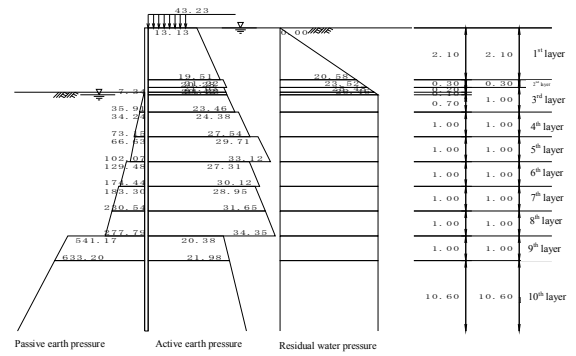
$$= \frac{91.96 + 13.73 + 0.00}{2.47}$$

$$= 42.83 \text{ kN/m}^2$$

R_No.44_pp.9

3 Lateral Pressure

3-1 Normal Condition



3-1-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_a$ (kN/m ²)	Ka	$K_a \times \cos \delta$
1	0.00~2.10	10.0	30.0	---	43.228 64.228	0.30847 0.30847	0.30378 0.30378
2	2.10~2.40	10.0	29.0	---	64.228 67.228	0.32058 0.32058	0.31571 0.31571
3	2.40~2.60	10.0	30.0	---	67.228 69.228	0.30847 0.30847	0.30378 0.30378
4	2.60~2.70	10.0	30.0	---	69.228 70.228	0.30847 0.30847	0.30378 0.30378
5	2.70~3.40	10.0	30.0	---	70.228 77.228	0.30847 0.30847	0.30378 0.30378
6	3.40~4.40	10.0	29.0	---	77.228 87.228	0.32058 0.32058	0.31571 0.31571
7	4.40~5.40	10.0	27.0	---	87.228 97.228	0.34585 0.34585	0.34060 0.34060
8	5.40~6.40	10.0	32.0	---	97.228 107.228	0.28525 0.28525	0.28092 0.28092
9	6.40~7.40	10.0	33.0	---	107.228 117.228	0.27412 0.27412	0.26996 0.26996
10	7.40~8.40	10.0	33.0	---	117.228 127.228	0.27412 0.27412	0.26996 0.26996
11	8.40~9.40	10.0	45.0	---	127.228 137.228	0.16262 0.16262	0.16015 0.16015
12	9.40~20.00	10.0	45.0	---	137.228 243.228	0.16262 0.16262	0.16015 0.16015

R_No.44_pp.10

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below;
 $\delta = 10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)} \right]^2}$$

3-1-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma \gamma h + Q_p$ (kN/m ²)	Kp	$K_p \times \cos \delta$
4	2.60~2.70	18.00	30.0	---	0.000 1.800	4.14330 4.14330	4.08035 4.08035
5	2.70~3.40	18.00	30.0	---	1.800 8.800	4.14330 4.14330	4.08035 4.08035
6	3.40~4.40	18.00	29.0	---	8.800 18.800	3.59892 3.59892	3.89093 3.89093
7	4.40~5.40	18.00	27.0	---	18.800 28.800	3.59892 3.59892	3.54425 3.54425
8	5.40~6.40	18.00	32.0	---	28.800 38.800	4.56530 4.56530	4.49594 4.49594
9	6.40~7.40	18.00	33.0	---	38.800 48.800	4.79713 4.79713	4.72425 4.72425
10	7.40~8.40	18.00	33.0	---	48.800 58.800	4.79713 4.79713	4.72425 4.72425
11	8.40~9.40	18.00	45.0	---	58.800 68.800	9.34548 9.34548	9.20351 9.20351
12	9.40~20.00	18.00	45.0	---	68.800 174.800	9.34548 9.34548	9.20351 9.20351

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below;
 $\delta = -10.00, \beta = 0.00, \theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos \theta \cdot \cos(\delta + \theta) \cdot \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)} \right]^2}$$

3-1-3 Lateral Pressure

Depth (m)	Active side			Residual water pressure	Passive side
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
1	0.00~2.10	13.13 19.51	---	0.00 20.58	---
2	2.10~2.40	20.28 21.22	---	20.58 23.52	---
3	2.40~2.60	20.42 21.03	---	23.52 25.48	---
4	2.60~2.70	21.03 21.33	---	25.48 26.46	7.34
5	2.70~3.40	21.33 23.46	---	26.46 26.46	7.34 35.91
6	3.40~4.40	24.38 27.54	---	26.46 26.46	34.24 73.15
7	4.40~5.40	29.71 33.12	---	26.46 26.46	66.63 102.07
8	5.40~6.40	27.31 30.12	---	26.46 26.46	129.48 174.44

R_No.44_pp.11

Depth (m)	Active side			Residual water pressure	Passive side
	Pa1 (kN/m ²)	Pa2 (kN/m ²)	Pa (kN/m ²)		
9	6.40~7.40	28.95 31.65	---	26.46 26.46	183.30 230.54
10	7.40~8.40	31.65 34.35	---	26.46 26.46	230.54 277.79
11	8.40~9.40	20.38 21.98	---	26.46 26.46	541.17 633.20
12	9.40~20.00	21.98 38.95	---	26.46 26.46	633.20 1608.77

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a1} = K_a \cdot (\Sigma \gamma h + Q)$

K_c : Equilibrium coefficient of compression: 0.5
Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

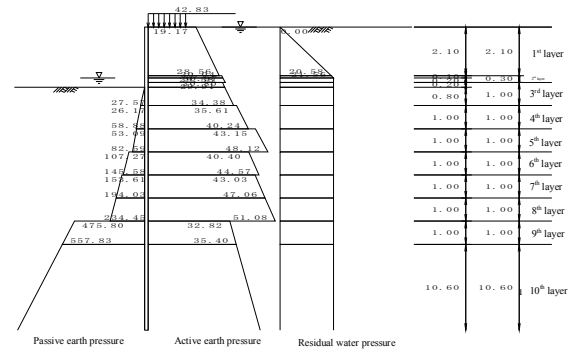
Mixed soil $P_{a1} = [K_a (\Sigma \gamma h + Q) - 2C \sqrt{K_a}] \cdot \cos \delta$

- Formula for passive earth pressure

Sandy soil $P_{p1} = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos \delta$
Clayey soil $P_{p1} = \Sigma \gamma h + Q + 2C$

Mixed soil $P_{p1} = [K_p (\Sigma \gamma h + Q) + 2C \sqrt{K_p}] \cdot \cos \delta$

3-2 Seismic Condition



R_No.44_pp.12

3-2-1 Soil Modulus of Active Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Q$ (kN/m ²)	γ_{whw} (kN/m ²)	k (k)	θ (degree)	K_a	$K_a \times \cos\delta$	θ (degree)
1 0.00~2.10	Sandy Soil	10.0	30.0	---	42.83 63.83	0.00 20.58	0.200 0.200	11.31 11.31	0.45442 0.45442	0.44752 0.44752	---
2 2.10~2.20	Sandy Soil	10.0	29.0	---	63.83 64.83	20.58 21.56	0.200 0.200	11.31 11.31	0.47058 0.47058	0.46343 0.46343	---
3 2.20~2.40	Sandy Soil	10.0	29.0	---	64.83 66.83	21.56 23.52	0.200 0.200	11.31 11.31	0.47058 0.47058	0.46343 0.46343	---
4 2.40~2.60	Sandy Soil	10.0	30.0	---	66.83 68.83	23.52 25.48	0.200 0.200	11.31 11.31	0.45442 0.45442	0.44752 0.44752	---
5 2.60~3.40	Sandy Soil	10.0	30.0	---	68.83 76.83	25.48 33.32	0.200 0.200	11.31 11.31	0.45442 0.45442	0.44752 0.44752	---
6 3.40~4.40	Sandy Soil	10.0	29.0	---	76.83 86.83	33.32 43.12	0.200 0.200	11.31 11.31	0.47058 0.47058	0.46343 0.46343	---
7 4.40~5.40	Sandy Soil	10.0	27.0	---	86.83 96.83	43.12 52.92	0.200 0.200	11.31 11.31	0.50461 0.50461	0.49695 0.49695	---
8 5.40~6.40	Sandy Soil	10.0	32.0	---	96.83 106.83	52.92 62.72	0.200 0.200	11.31 11.31	0.42366 0.42366	0.41722 0.41722	---
9 6.40~7.40	Sandy Soil	10.0	33.0	---	106.83 116.83	62.72 72.52	0.200 0.200	11.31 11.31	0.40899 0.40899	0.40278 0.40278	---
10 7.40~8.40	Sandy Soil	10.0	33.0	---	116.83 126.83	72.52 82.32	0.200 0.200	11.31 11.31	0.40899 0.40899	0.40278 0.40278	---
11 8.40~9.40	Sandy Soil	10.0	45.0	---	126.83 136.83	82.32 92.12	0.200 0.200	11.31 11.31	0.26273 0.26273	0.25874 0.25874	---
12 9.40~20.00	Sandy Soil	10.0	45.0	---	136.83 242.83	92.12 196.00	0.200 0.200	11.31 11.31	0.26273 0.26273	0.25874 0.25874	---

Coefficient of active earth pressure of sandy soil K_a is calculated by the formula below;
 $\delta = 10.00$, $\beta = 0.00$, $\theta = 0.00$

$$K_a = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta + \theta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \beta - \theta)}{\cos(\delta + \theta) \cdot \cos(-\beta)}} \right]^2}$$

Angle between surface of collapse and level surface of clayey soil ζ is calculated by the formula below;

$$\zeta = \tan^{-1} \sqrt{1 - \frac{\Sigma \gamma h + 2Q}{2C} \cdot \tan\theta}$$

3-2-2 Soil Modulus of Passive Side

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Qp$ (kN/m ²)	γ_{whw} (kN/m ²)	k (k)	θ (degree)	K_p	$K_p \times \cos\delta$
5 2.60~3.40	Sandy soil	10.00	30.0	---	0.00 8.000	0.00 7.84	0.200 0.200	11.31 11.31	3.49953 3.49953	3.44637 3.44637
6 3.40~4.40	Sandy soil	10.00	29.0	---	8.000 18.000	7.84 17.64	0.200 0.200	11.31 11.31	3.32141 3.32141	3.27095 3.27095
7 4.40~5.40	Sandy soil	10.00	27.0	---	18.000 28.000	17.64 27.44	0.200 0.200	11.31 11.31	2.99498 2.99498	2.94948 2.94948
8 5.40~6.40	Sandy soil	10.00	32.0	---	28.000 38.000	27.44 37.24	0.200 0.200	11.31 11.31	3.89012 3.89012	3.83102 3.83102
9 6.40~7.40	Sandy soil	10.00	33.0	---	38.000 48.000	37.24 47.04	0.200 0.200	11.31 11.31	4.10466 4.10466	4.04230 4.04230

Depth (m)	Soil	γ (kN/m ³)	ϕ (degree)	C (kN/m ²)	$\Sigma\gamma h + Qp$ (kN/m ²)	γ_{whw} (kN/m ²)	k (k)	θ (degree)	K_p	$K_p \times \cos\delta$
10 7.40~8.40	Sandy soil	10.00	33.0	---	48.000 58.000	47.04 56.84	0.200 0.200	11.31 11.31	4.10466 4.10466	4.04230 4.04230
11 8.40~9.40	Sandy soil	10.00	45.0	---	58.000 68.000	56.84 66.64	0.200 0.200	11.31 11.31	8.33000 8.33000	8.20345 8.20345
12 9.40~20.00	Sandy soil	10.00	45.0	---	68.000 174.000	66.64 170.52	0.200 0.200	11.31 11.31	8.33000 8.33000	8.20345 8.20345

Coefficient of passive earth pressure of sandy soil K_p is calculated by the formula below;
 $\delta = -10.00$, $\beta = 0.00$, $\theta = \tan^{-1}k$

$$K_p = \frac{\cos^2(\phi - \theta)}{\cos\theta \cdot \cos(\delta - \theta) \cdot \left[1 - \sqrt{\frac{\sin(\phi - \delta) \cdot \sin(\phi + \beta - \theta)}{\cos(\delta - \theta) \cdot \cos(-\beta)}} \right]^2}$$

3-2-3 Lateral Pressure

No	Depth (m)	Active side			Residual water pressure	Passive side
		Pa1 kN/m ²	Pa2 kN/m ²	Pa kN/m ²		
1	0.00~2.10	19.17 28.56	---	19.17 28.56	0.00 20.58	---
2	2.10~2.20	29.58 30.04	---	29.58 30.04	20.58 21.56	---
3	2.20~2.40	30.04 30.97	---	30.04 30.97	21.56 21.56	---
4	2.40~2.60	29.91 30.80	---	29.91 30.80	21.56 21.56	---
5	2.60~3.40	30.80 34.38	---	30.80 34.38	21.56 21.56	0.00 27.57
6	3.40~4.40	35.61 40.24	---	35.61 40.24	21.56 21.56	26.17 58.88
7	4.40~5.40	43.15 48.12	---	43.15 48.12	21.56 21.56	53.09 82.59
8	5.40~6.40	40.40 44.57	---	40.40 44.57	21.56 21.56	107.27 145.58
9	6.40~7.40	43.03 47.06	---	43.03 47.06	21.56 21.56	153.61 194.03
10	7.40~8.40	47.06 51.08	---	47.06 51.08	21.56 21.56	194.03 234.45
11	8.40~9.40	32.82 35.40	---	32.82 35.40	21.56 21.56	475.80 557.83
12	9.40~20.00	35.40 62.83	---	35.40 62.83	21.56 21.56	557.83 1427.40

- Formula for active earth pressure

Sandy soil $P_{a1} = K_a \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos\delta$

Clayey soil $P_{a1} = \Sigma \gamma h + Q - 2C$
 $P_{a2} = K_a \cdot (\Sigma \gamma h + Q)$
 K_c : Equilibrium coefficient of compression: 0.5
 Larger of Pa1 or Pa2 is applied as active earth pressure (Pa)

Mixed soil $P_{a1} = [K_a(\Sigma \gamma h + Q) - 2C\sqrt{K_a}] \cdot \cos\delta$

- Formula for passive earth pressure

Sandy soil $P_p = K_p \cdot \left[\Sigma \gamma h + \frac{Q}{\cos(-\beta)} \right] \cdot \cos\delta$

Clayey soil $P_p = \Sigma \gamma h + Q + 2C$

Mixed soil $P_p = [K_p(\Sigma \gamma h + Q) + 2C\sqrt{K_p}] \cdot \cos\delta$

3-2-4 Dynamic Water Pressure due to Earthquake

No	Depth Z (m)	WL y (m)	P_{dw} (kN/m ²)
1	2.20	0.00	0.00
2	2.60	0.40	0.69

$$P_{dw} = \pm \frac{7}{8} k_{hs} \cdot \gamma_w \cdot \sqrt{L \cdot y}$$

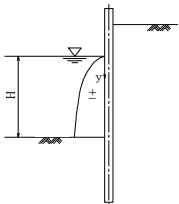
Where,

k_{hs} : design seismic coefficient

γ_w : unit weight of water

H: water depth of riverside

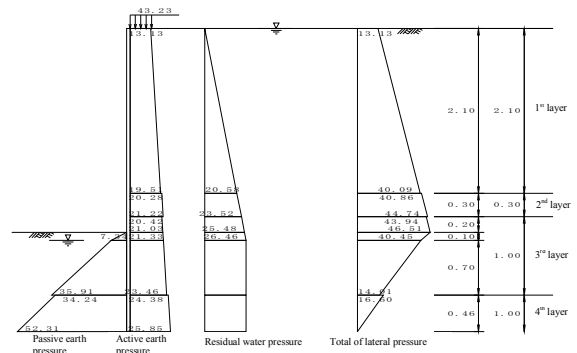
y: depth from water surface to the point where active water pressure is calculated



4 Imaginary Riverbed

Imaginary ground level L_x is calculated as the elevation level that the sum of active earth pressure and residual water pressure are balanced with passive earth pressure.

4-1 Normal Condition



Depth (m)	Pa kN/m ²	Pw kN/m ²	Pp kN/m ²	Ps kN/m ²
1 0.00~2.10	13.13 19.51	0.00 20.58	---	13.13 40.09
2 2.10~2.40	20.28 21.22	20.58 23.52	---	40.86 44.74
3 2.40~2.60	20.42 21.03	23.52 25.48	---	43.94 46.51
4 2.60~2.70	21.03 21.33	25.48 26.46	0.00 7.34	46.51 40.45
5 2.70~3.40	21.33 23.46	26.46 26.46	7.34 35.91	40.45 14.01
6 3.40~3.86	24.38 25.85	26.46 26.46	34.24 52.31	16.60 0.00
7 3.86~4.40	25.85 27.54	26.46 26.46	52.31 73.15	0.00 -19.15

Pa: Active earth pressure

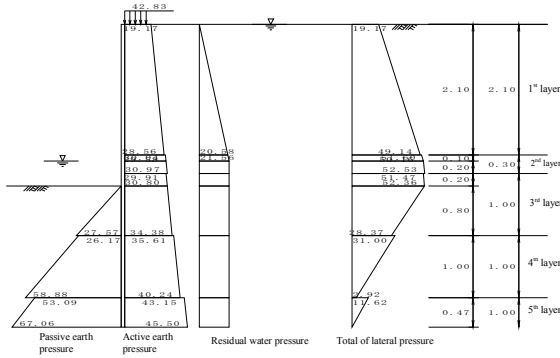
Pw: Residual water pressure

Pp: Passive earth pressure

Ps: Lateral pressure $P_s = P_a + P_w - P_p$

Imaginary riverbed L_x : 1.26 m (GL -3.86 m)

4-2 Seismic Condition



Depth (m)	Pa kN/m ²	Pw kN/m ²	Pp kN/m ²	Ps kN/m ²
1 0.00~2.10	19.17 28.56	0.00 20.58	—	19.17 49.14
2 2.10~2.20	29.58 30.04	20.58 21.56	—	50.16 51.60
3 2.20~2.40	30.04 30.97	21.56 21.56	—	51.60 52.53
4 2.40~2.60	29.91 30.80	21.56 21.56	—	51.47 52.36
5 2.60~3.40	30.80 34.38	21.56 21.56	0.00 27.57	52.36 28.37
6 3.40~4.40	35.61 40.24	21.56 21.56	26.17 58.88	31.00 2.92
7 4.40~4.87	43.15 45.50	21.56 21.56	53.09 67.06	11.62 0.00
8 4.87~5.40	45.50 48.12	21.56 21.56	67.06 82.59	0.00 -12.91

Pa : Active earth pressure
 Pw : Residual water pressure
 Pp : Passive earth pressure
 Ps : Lateral pressure Ps = Pa + Pw - Pp

Imaginary riverbed L_i: 2.27 m (GL -4.87 m)

5 Modulus of Lateral Subgrade Reaction

5-1 Formula for Modulus of Lateral Subgrade Reaction

Modulus of lateral subgrade reaction is calculated on the average N-value from imaginary riverbed to 1/β depth. The modulus are calculated by the formula below;

$$K_h = 6910 \times N'^{0.896}$$

where,

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}}$$

Unit width B = 1.0000 m
 Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.85
 Section efficiency μ = 0.80
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 154000 cm⁴(original condition)
 I = 130900 cm⁴(after reduction by corrosion and joint)
 Inertia sectional moment EI = 200000 × 10⁴ × 130900 × 10⁻⁸ = 2.618 × 10⁷

Depth (m)	N-value		Depth (m)	N-value	
	upper	lower		upper	lower
1 0.50	15	15	11 9.00	50	50
2 1.60	15	15	12 20.00	50	50
3 2.10	14	14			
4 2.40	14	14			
5 3.40	16	16			
6 4.40	14	14			
7 5.40	10	10			
8 6.40	20	20			
9 7.40	21	21			
10 8.40	22	22			

5-2 Normal Condition

K_s = 20214 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.373 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.68 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -3.86 m) to 2.68 m depth (GL -6.55 m).

Depth Z (m)	Thickness h (m)	N-value (kN/m ²)		Area (m ²)
		upper	lower	
1 3.86	0.54	15.1	14.0	7.79
2 4.40	1.00	14.0	10.0	12.00
3 5.40	1.00	10.0	20.0	15.00
4 6.40	0.15	20.0	20.1	2.95
L = Σh = 2.68		ΣA = 37.74		

A: (upper N-value + lower N-value) × h/2

Average N-value $N' = \frac{\Sigma A}{L} = \frac{37.74}{2.68} = 14.07$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N'^{0.896} = 6910 \times 14.07^{0.896} = 20214 \text{ kN/m}^3$$

Kh (normal condition) = 20214 kN/m³

5-3 Seismic Condition

K_s = 21596 kN/m³ is set tentatively.

$$\beta = 4\sqrt{\frac{K_h \cdot B}{4 E I}} = 0.379 \text{ m}^{-1}$$

$$L = \frac{1}{\beta} = 2.64 \text{ m}$$

Therefore, average N-value is calculated on the actual N-value from imaginary riverbed (GL -4.87 m) and 2.64 m depth (GL -7.51 m).

Depth Z (m)	Thickness h (m)	N-value		Area (m ²)
		upper	lower	
1 4.87	0.53	12.1	10.0	5.82
2 5.40	1.00	10.0	20.0	15.00
3 6.40	1.00	20.0	21.0	20.50
4 7.40	0.11	21.0	21.1	2.37
L = Σh = 2.64		ΣA = 43.69		

A: (upper N-value + lower N-value) × h/2

Average N-value $N' = \frac{\Sigma A}{L} = \frac{43.69}{2.64} = 16.55$

Calculated Kh is equal to tentative one, so modulus of lateral subgrade reaction (normal condition) is set definitely as following:

$$K_h = 6910 \times N'^{0.896} = 6910 \times 16.56^{0.896} = 21596 \text{ kN/m}^3$$

Kh (seismic condition) = 21596 kN/m³

6 Sectional Forces and Displacement

Chang's formula is applied to calculate stress, displacement and penetration depth of SSP.

6-1 Calculation of Resultant Lateral Force P₀ & Acting Elevation h₀

6-1-1 Normal Condition

Depth Z (m)	Thickness h (m)	Total of lateral force Ps (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
2 2.10~2.40	0.30	40.86 44.74	6.13 6.71	1.66 1.56	10.20 10.50
3 2.40~2.60	0.20	43.94 46.51	4.39 4.65	1.40 1.33	6.14 6.19
4 2.60~2.70	0.10	46.51 40.45	2.33 2.02	1.23 1.20	2.86 2.42
5 2.70~3.40	0.70	40.45 14.01	14.16 4.90	0.93 0.70	13.18 3.42
6 3.40~3.86	0.46	16.60 0.00	3.85 0.00	0.31 0.15	1.19 0.00
		ΣP = 105.03		ΣM = 203.48	

P_s : active earth pressure + residual water pressure - passive earth pressure
 P : load P_s × h/2 × B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P × Y

Arbitrary load lateral load
 depth to acting position H_i = -0.81 m
 moment M_m = 0.0 kN·m/m
 depth to acting position H_m = 0.00 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of Imaginary riverbed from riverbed L_k = 1.26 m

Moment M₀ by arbitrary load is as below
 M₀ = P_s·(H + L_k - H_i) + M_m = 33.66 kN·m
 h₀, Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\Sigma M + M_i}{\Sigma P + P_i} = \frac{33.66}{237.14} = 2.11 \text{ m}$$

6-1-2 Seismic Condition

No	Depth Z (m)	Thickness h (m)	Lateral load Ps (kN/m ²)	Load P (kN)	Arm length Y (m)	Moment M (kN·m)
1	0.00~2.10	2.10	19.17 49.14	20.13 51.60	4.17 3.47	84.00 179.25
2	2.10~2.20	0.10	50.16 51.60	2.51 2.58	2.74 2.71	6.87 6.98
3	2.20~2.40	0.20	51.60 52.53	5.16 5.25	2.61 2.54	13.45 13.35
4	2.40~2.60	0.20	51.47 52.36	5.15 5.24	2.41 2.34	12.39 12.26
5	2.60~3.40	0.80	52.36 28.37	20.95 11.35	2.01 1.74	42.04 19.75
6	3.40~4.40	1.00	31.00 2.92	15.50 1.46	1.14 0.81	17.68 1.18
7	4.40~4.87	0.47	11.62 0.00	2.75 0.00	0.32 0.16	0.87 0.00
			ΣP = 149.62	ΣM = 410.07		

P_i : active earth pressure + residual water pressure - passive earth pressure
 P : load P_i x h/2 x B
 B : unit width = 1.000 m
 Y : height of acting position from imaginary riverbed
 M : moment by load P x Y

Arbitrary load lateral load P_i = 16.7 kN/m
 depth to acting position H_i = -0.64 m
 moment M_{ai} = 9.6 kN·m/m
 depth to acting position H_{ai} = 0.80 m
 Height from riverbed to top of coping H = 2.60 m
 Depth of Imaginary riverbed from riverbed L_k = 2.27 m

Moment M_i by arbitrary load is as below
 M_i = P_i · (H + L_k - H_i) + M_{ai} = 101.68 kN·m

Dynamic water pressure

No	Depth Z (m)	Thickness h (m)	Dynamic water pressure P _{dw} (kN/m ²)	Load P _{dw} (kN)	Arm length Y (m)	Moment M _{dw} (kN·m)
1	2.20~2.60	0.40	0.0 0.7	0.00 0.14	2.54 2.41	0.00 0.33
			ΣP _{dw} = 0.14	ΣM _{dw} = 0.33		

h₀ Height of acting position of P₀ from imaginary riverbed

$$h_0 = \frac{M_0}{P_0} = \frac{\sum M + M_i + \sum M_{dw}}{\sum P + P_i + \sum P_{dw}} = \frac{512.08}{166.46} = 3.08 \text{ m}$$

6-2 Sectional Force

Corrosion rate and section efficiency for calculation of sectional forces and displacements are set as followings:

Unit width B = 1.0000 m
 Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.85
 Section efficiency μ = 1.00
 Young's modulus E = 200000 N/mm²
 Inertia sectional moment I₀ = 154000 cm⁴ (original condition)
 I₁ = 130900 cm⁴ (after reduction by corrosion and section)
 EI = 200000 × 10³ × 130900 × 10⁻⁸ = 2.618 × 10⁷

$$\beta = \sqrt[4]{\frac{K_b \cdot B}{4 E I}}$$

$$\phi_a = \frac{\sqrt{(1+2\beta h_0)^2 + 1}}{2\beta h_0} \times \exp(-\tan^{-1} \frac{1}{1+2\beta h_0})$$

$$M_{max} = M_0 \cdot \phi_a$$

$$I_a = \frac{1}{\beta} \times \tan^{-1} \frac{1}{1+2\beta h_0}$$

$$I_1 = \frac{1}{\beta} \times \tan^{-1} \frac{1+\beta h_0}{\beta h_0}$$

$$M(x) = \frac{P_0}{\beta} \times \exp^{-\beta x} (\beta h_0 \cdot \cos \beta x + (1 + \beta h_0) \sin \beta x)$$

6-2-1 Normal Condition

modulus of lateral subgrade reaction K_b = 20214 kN/m³
 calculated value β = 0.37274 m⁻¹
 resultant earth force (lateral) P₀ = 112.23 kN/m
 height of acting position of load h₀ = 2.11 m
 moment M₀ = 237.14 kN·m/m

in consideration of ψ_m = 1.211, maximum moment M_{max} = 287.16 kN·m/m
 depth of generated position of M_{max} I_m = 0.994 m
 depth of 1st fixed point I₁ = 3.101 m

6-2-2 Seismic Condition

modulus of lateral subgrade reaction K_b = 21596 kN/m³
 calculated value β = 0.37895 m⁻¹
 resultant earth force (lateral) P₀ = 166.46 kN/m
 height of acting position of load h₀ = 3.08 m
 moment M₀ = 512.08 kN·m/m

in consideration of ψ_m = 1.115, maximum moment M_{max} = 570.73 kN·m/m
 depth of generated position of M_{max} I_m = 0.769 m
 depth of 1st fixed point I₁ = 2.842 m

6-3 Stress Intensity

Corrosion rate and section efficiency for check of stresses intensity are set as followings:

Corrosion margin t₁ = 1.00 mm (active side) t₂ = 1.00 mm (passive side)
 Corrosion rate η = 0.87
 Section efficiency μ = 1.00
 Module of section Z₀ = 4160 cm³ (original condition)
 Z = 3619 cm³ (after reduction by corrosion and section)

6-3-1 Normal Condition

$$\sigma = \frac{M_{max}}{Z} = \frac{287.16 \times 10^6}{3619 \times 10^3} = 79 \text{ N/mm}^2 \leq \sigma_a = 185 \text{ N/mm}^2 \quad (\text{ok})$$

6-3-2 Seismic condition

$$\sigma = \frac{M_{max}}{Z} = \frac{570.73 \times 10^6}{3619 \times 10^3} = 158 \text{ N/mm}^2 \leq \sigma_a = 278 \text{ N/mm}^2 \quad (\text{ok})$$

6-4 Displacement

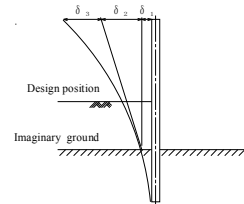
6-4-1 Normal Condition

Modules of deformation

Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)	
1	0.00~2.10	3.16 2.46	0.819 0.638	0.244 0.160	13.79 42.10	3.361 6.740
2	2.10~2.40	1.66 1.56	0.431 0.405	0.079 0.071	6.13 6.71	0.487 0.476
3	2.40~2.60	1.40 1.33	0.362 0.344	0.058 0.053	4.39 4.65	0.253 0.244
4	2.60~2.70	1.23 1.20	0.319 0.310	0.045 0.043	2.23 2.02	0.105 0.087
5	2.70~3.40	0.93 0.70	0.241 0.181	0.027 0.015	14.16 4.90	0.378 0.075
6	3.40~3.86	0.31 0.15	0.080 0.040	0.003 0.001	3.85 0.00	0.012 0.000
ΣQ = 12.218						

Y : Height from imaginary riverbed to acting position
 α : α = $\frac{Y}{H+L_k}$
 ζ : ζ = $\frac{(3-\alpha) \times \alpha^2}{6}$
 Q : ζ x P
 P : Lateral force
 H : Depth to design position
 L_k : Depth from design position to imaginary ground

Displacement



$$\delta_1 = \frac{(1 + \beta h_0) \times P_0}{2 E I \beta^3}$$

$$= \frac{(1 + 0.3727 \times 2.11) \times 112.23}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8} \times 0.3727^3} = 0.00740 \text{ m}$$

$$\delta_2 = \frac{(1 + 2\beta h_0) \times P_0}{2 E I \beta^2} \times (H + L_k)$$

$$= \frac{(1 + 2 \times 0.3727 \times 2.11) \times 112.23}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8} \times 0.3727^2} \times (2.60 + 1.26) = 0.01535 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_k)^3}{E I}$$

$$= \frac{12.22 \times (2.60 + 1.26)^3}{2.00 \times 10^8 \times 130900 \times 10^{-8}} = 0.00269 \text{ m}$$

Additional displacement δ₃' generated by horizontal load (P) and moment (M) acting at top of SSP considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ₃' is calculated as 0.00070 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 3.86 m
 Horizontal load: P = 7.20
 Moment: M = 5.83

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.00740 + 0.01535 + 0.00269 = 0.02614 \text{ m} = 26.14 \text{ mm} \leq \delta_a = 50.00 \text{ mm (ok)}$$

Where,
 Displacement at imaginary ground
 Displacement by angle of inclination slope at imaginary ground
 Displacement at higher part of imaginary ground as cantilever
 Displacement at top of SSP
 Allowable displacement

6-4-2 Seismic Condition

Modulus of deformation

	Depth (m)	Y (m)	α	ζ	P (kN)	Q (kN)
1	0.00~2.10	4.17 3.47	0.856 0.713	0.262 0.194	20.13 51.60	5.273 9.993
2	2.10~2.20	2.74 2.71	0.562 0.555	0.128 0.126	2.51 2.58	0.322 0.324
3	2.20~2.40	2.61 2.54	0.535 0.521	0.118 0.112	5.16 5.25	0.607 0.590
4	2.40~2.60	2.41 2.34	0.494 0.480	0.102 0.097	5.15 5.24	0.524 0.507
5	2.60~3.40	2.01 1.74	0.412 0.357	0.073 0.056	20.95 11.35	1.532 0.637
6	3.40~4.40	1.14 0.81	0.234 0.166	0.025 0.013	15.50 1.46	0.391 0.019
7	4.40~4.87	0.32 0.16	0.065 0.032	0.002 0.001	2.75 0.00	0.006 0.000
					$\Sigma Q = 20.726$	

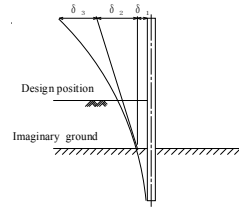
Y : Height from imaginary riverbed to acting position
 $\alpha : \alpha = \frac{Y}{H+L_1}$
 $\zeta : \zeta = \frac{(3-\alpha) \times \alpha^2}{6}$
 Q : $\zeta \times P$
 P : Lateral force
 H : Depth to design position
 L₁ : Depth from design position to imaginary ground

Dynamic water pressure due to earthquake is added to modulus of deformation Q

No	Depth (m)	Y (m)	α	ζ	P _{dw} (kN)	Q _{dw} (kN)
1	2.20~2.60	2.54 2.41	0.521 0.494	0.112 0.102	0.00 0.14	0.000 0.014
					$\Sigma Q_{dw} = 0.014$	

Therefore, modulus of deformation Q is calculated as below:
 $Q = 20.726 + 0.014 = 20.740$

Displacement



$$\delta_1 = \frac{(1 + \beta \cdot h_0) \times P_0}{2 E I \beta^3} = \frac{(1 + 0.3790 \times 3.08) \times 166.46}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8} \times 0.3790^3} = 0.01265 \text{ m}$$

$$\delta_2 = \frac{(1 + 2 \beta \cdot h_0) \times P_0}{2 E I \beta^2} \times (H + L_1) = \frac{(1 + 2 \times 0.3790 \times 3.08) \times 166.46}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8} \times 0.3790^2} \times (2.60 + 2.27) = 0.03595 \text{ m}$$

$$\delta_3 = \frac{Q \times (H + L_1)^3}{E I} = \frac{20.74 \times (2.60 + 2.27)^3}{2.00 \times 10^8 \times 130900 \times 10^{-8}} = 0.00917 \text{ m}$$

Additional displacement δ_3' generated by horizontal load (P) and moment (M) acting at top of SSP is considered.

$$\delta_3' = \frac{P L^3}{3 E I} + \frac{M L^2}{2 E I}$$

δ_3' is calculated as 0.00295 m in consideration of following values:
 Height from imaginary riverbed to top of SSP: L = 4.87 m
 Horizontal load: P = 16.70
 Moment: M = 10.69

Displacement δ_{3m} of cantilever beam by moment M_m is additionally considered.

$$\delta_{3m} = \frac{M_m \cdot h}{2 E I} \times (2 L - h) \quad (L = 4.87 \text{ m}, h = L - H_m, H_m = 0.80 \text{ m}, \text{ただし } \dots)$$

$$= \frac{9.60 \times 4.07}{2 \times 2.00 \times 10^8 \times 130900 \times 10^{-8}} \times (2 \times 4.87 - 4.07) = 0.00042 \text{ m}$$

$$\delta = \delta_1 + \delta_2 + \delta_3 = 0.01265 + 0.03595 + 0.01254 = 0.06114 \text{ m} = 61.14 \text{ mm} \leq \delta_a = 75.00 \text{ mm (ok)}$$

Where,
 δ_1 : Displacement at imaginary ground
 δ_2 : Displacement by angle of inclination slope at imaginary ground
 δ_3 : Displacement at higher part of imaginary ground as cantilever
 δ : Displacement at top of SSP
 δ_a : Allowable displacement

7 Penetration Depth

Corrosion rate and section efficiency for calculation of penetration depth of SSP are as below:

Unit width	B = 1.0000 m
Corrosion rate	$\eta = 1.00$
Section efficiency	$\mu = 1.00$
Young's modulus	E = 200000 N/mm ²
Inertia sectional moment	I ₀ = 154000 cm ⁴ (original condition)
	I = 154000 cm ⁴ (after reduction by corrosion and section)
EI = 200000 × 10 ³ × 154000 × 10 ⁻⁸	= 3.080 × 10 ⁹

7-1 Penetration Depth and Whole Length of SSP (Chang)

Based on the depth of imaginary riverbed as L₁, penetration depth of SSP (D) and whole length of SSP (L) are calculated as followings:

$$D = L_1 + \frac{3}{\beta}$$

$$L = H - H_{11} + D$$

$$\beta = 4 \sqrt{\frac{K_b \cdot B}{4 E I}}$$

7-1-1 Normal Condition

Modules of lateral subgrade reaction
 Calculated value $K_b = 20214 \text{ kN/m}^3$
 $\beta = 0.35790 \text{ m}^{-1}$

Penetration length of SSP $D = 1.26 + \frac{3}{0.358} = 9.65 \text{ m}$
 Whole length of SSP $L = 2.60 - 0.40 + 9.65 = 11.85 \text{ m}$

7-1-2 Seismic Condition

Modules of lateral subgrade reaction
 Calculated value $K_b = 21596 \text{ kN/m}^3$
 $\beta = 0.36386 \text{ m}^{-1}$

Penetration length of SSP $D = 2.27 + \frac{3}{0.364} = 10.52 \text{ m}$
 Whole length of SSP $L = 2.60 - 0.40 + 10.52 = 12.72 \text{ m}$

Therefore, whole length of SSP is set as 13.00 m in consideration of round unit of SSP length.

8 Calculation Result

		Normal condition	Seismic condition
Inertia sectional moment	I (cm ⁴)	154000	
Section modulus	Z (cm ³)	4160	
Maximum bending moment	M _{max} (kN·m/m)	287.16	570.73
Stress intensity	σ (N/mm ²)	79 (185)	158 (278)
Lateral displacement	δ (mm)	26.14 (50.0)	61.14 (75.0)
Penetration depth	D (m)	9.65	10.52
Whole length of SSP	L (m)	13.00	