

ANALYSIS STATUS REPORT

Job ..... C:\SGWIN\SMIT\UVROOM  
 Units system ..... Kilonewtons, Metres

Nodes	4	( 2500)
Members	3	( 5000)
Restrained nodes	2	( 2500)
Nodes with spring restraints	0	( 2500)
Section properties	1	( 100)
Material properties	1	( 25)
Constrained nodes	0	( 2500)
Member offsets	0	( 5000)
Node loads	0	(10000)
Prescribed node displacements	0	(10000)
Member concentrated loads	2	(10000)
Member distributed forces	5	(10000)
Member distributed torsions	0	(10000)
Thermal/Prestress loads	0	(10000)
Self weight load cases	1	( 100)
Combination load cases	7	( 100)
Load cases with titles	12	( 100)
Lumped masses	0	(10000)
Spectral load cases	0	( 100)
Static analysis	Y	
Dynamic analysis	N	
Response analysis	N	
Buckling analysis	N	
Ill-conditioned	N	
Non-linear convergence	Y	
Frontwidth	6	
Total degrees of freedom	12	
Primary load cases	4	( 100)
Mass load cases	0	( 100)

MEMBER FORCES AND MOMENTS (kN,kNm)  
 (\*=Maximum, #=Minimum)

Envelope = All Load Cases  
 and All Members  
 and All Sections

Mem	Load Case	Axial Force	Y-Axis Shear	Z-Axis Shear	X-Axis Torsion	Y-Axis Moment	Z-Axis Moment
1	8	62.228*	-51.680	0.000	0.000	0.000	71.318
1	1	0.000#	0.000	0.000	0.000	0.000	0.000
2	10	0.000	158.724*	0.000	0.000	0.000	-121.688
2	10	0.000	-158.724#	0.000	0.000	0.000	-121.688
1	12	62.228	-81.280	0.000	0.000	0.000	135.205*
3	12	62.228	81.280	0.000	0.000	0.000	-135.205#

NODE REACTIONS (kN,kNm)  
 (\*=Maximum, #=Minimum)

Envelope = All Load Cases  
 and All Nodes

Node	Load Case	X-Axis Force	Y-Axis Force	Z-Axis Force	X-Axis Moment	Y-Axis Moment	Z-Axis Moment
1	12	81.280*	100.910	0.000	0.000	0.000	-164.862
3	12	-81.280#	100.910	0.000	0.000	0.000	164.862
1	10	0.000	220.952*	0.000	0.000	0.000	-121.688
1	3	29.600	0.000#	0.000	0.000	0.000	-63.887
3	12	-81.280	100.910	0.000	0.000	0.000	164.862*
1	12	81.280	100.910	0.000	0.000	0.000	-164.862#

INTERMEDIATE FORCES AND MOMENTS (m,kN,kNm)  
 (\*=Maximum, #=Minimum)

Envelope = All Load Cases  
 and All Members  
 and All Sections

Mem	Load Case	Axial Force	Y-Axis Shear	Z-Axis Shear	X-Axis Torsion	Y-Axis Moment	Z-Axis Moment
1	8	62.228*	-51.680	0.000	0.000	0.000	71.318
1	1	0.000#	0.000	0.000	0.000	0.000	0.000
2	10	0.000	158.724*	0.000	0.000	0.000	-121.688
2	10	0.000	-158.724#	0.000	0.000	0.000	-121.688
1	12	62.228	-81.280	0.000	0.000	0.000	135.205*
3	12	62.228	81.280	0.000	0.000	0.000	-135.205#

SECTION PROPERTIES (m,m^2,m^4,deg)

Sect	Section Name	Mark	Angle	Type	Flipped	Source	
1	500 x 1000	S1		Not applicable	No	Standard shape	
	Area of Section	Torsion Constant	Y-Axis Mom of In	Z-Axis Mom of In	Y-Axis Shr Area	Z-Axis Shr Area	Princ Angle
1	5.0000E-01	2.8610E-02	4.1667E-02	1.0417E-02	INFINITE	INFINITE	0.00
Sect	Section Shape	D	B/Bt	Bb/Hf	Tw	Tf	
1	Rectangle	0.500	1.000				

MATERIAL PROPERTIES (kPa,Kg/m^3)

Matl	Material Name	Young's Modulus	Poisson's Ratio	Mass Density	Coeff of Expansion	Concrete Strength
1	CONCRETE-40	3.1975E+07	0.15	2.4500E+03	1.0000E-05	40000.00

SELF WEIGHT (kN/kg)

Load Case	X-Axis Accel'n	Y-Axis Accel'n	Z-Axis Accel'n
1	0.000	-0.010	0.000

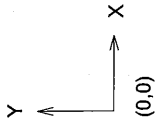
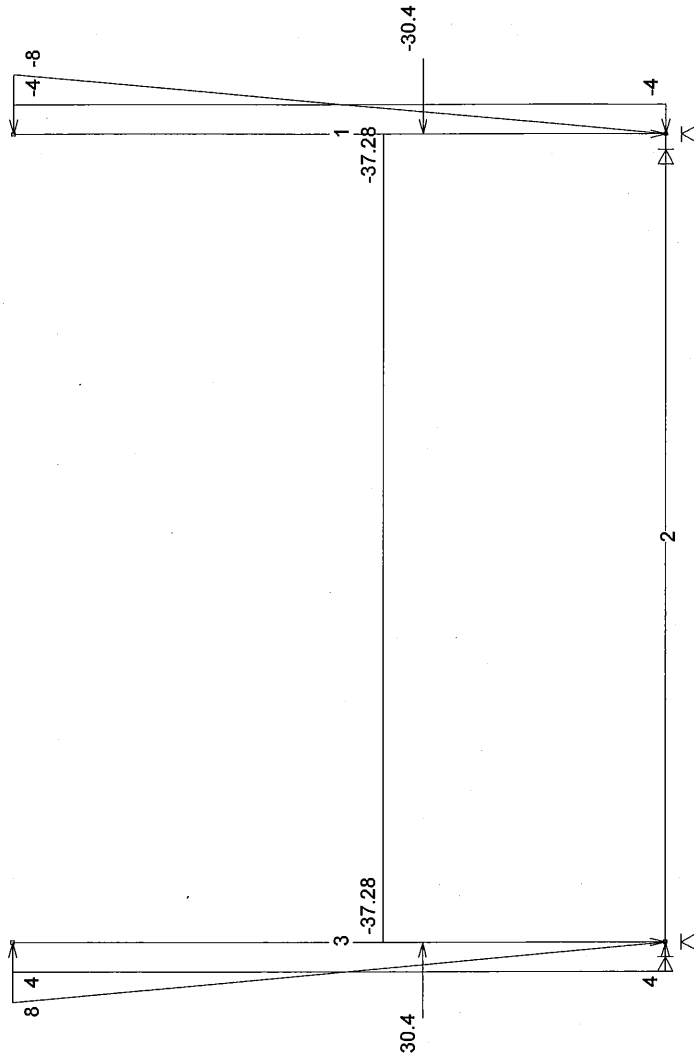
COMBINATION LOAD CASES

- Load case 6: D+1.3L+E  
 1.000 \* Load case 1: D  
 1.300 \* Load case 2: L  
 1.000 \* Load case 3: E
- Load case 7: 0.9D+E  
 0.900 \* Load case 1: D  
 1.000 \* Load case 3: E
- Load case 8: 1.4D+1.7L+1.7Q  
 1.400 \* Load case 1: D  
 1.700 \* Load case 2: L  
 1.700 \* Load case 4: Q
- Load case 9: 0.9D+1.7Q  
 0.900 \* Load case 1: D  
 1.700 \* Load case 4: Q
- Load case 10: 1.4D+1.7L+1.4F  
 1.400 \* Load case 1: D  
 1.700 \* Load case 2: L  
 1.400 \* Load case 5: F
- Load case 11: 0.9D+1.4F  
 0.900 \* Load case 1: D  
 1.400 \* Load case 5: F
- Load case 12: 1.4D+1.7L+E+1.7Q  
 1.400 \* Load case 1: D  
 1.700 \* Load case 2: L  
 1.000 \* Load case 3: E  
 1.700 \* Load case 4: Q

LOAD CASE TITLES

Load Case	Title
1	D
2	L
3	E
4	Q
5	F
6	D+1.3L+E
7	0.9D+E
8	1.4D+1.7L+1.7Q
9	0.9D+1.7Q
10	1.4D+1.7L+1.4F
11	0.9D+1.4F
12	1.4D+1.7L+E+1.7Q

- 1 (SW) D
- 3 E
- 4 Q
- 5 F
- 6 D+1.3L+E
- 7 0.9D+E
- 8 1.4D+1.7L+1.7Q
- 9 0.9D+1.7Q
- 10 1.4D+1.7L+1.4F
- 11 0.9D+1.4F
- 12 1.4D+1.7L+E+1.7Q



Sections:  
1 500 x 1000

UV DISINFECTION Model

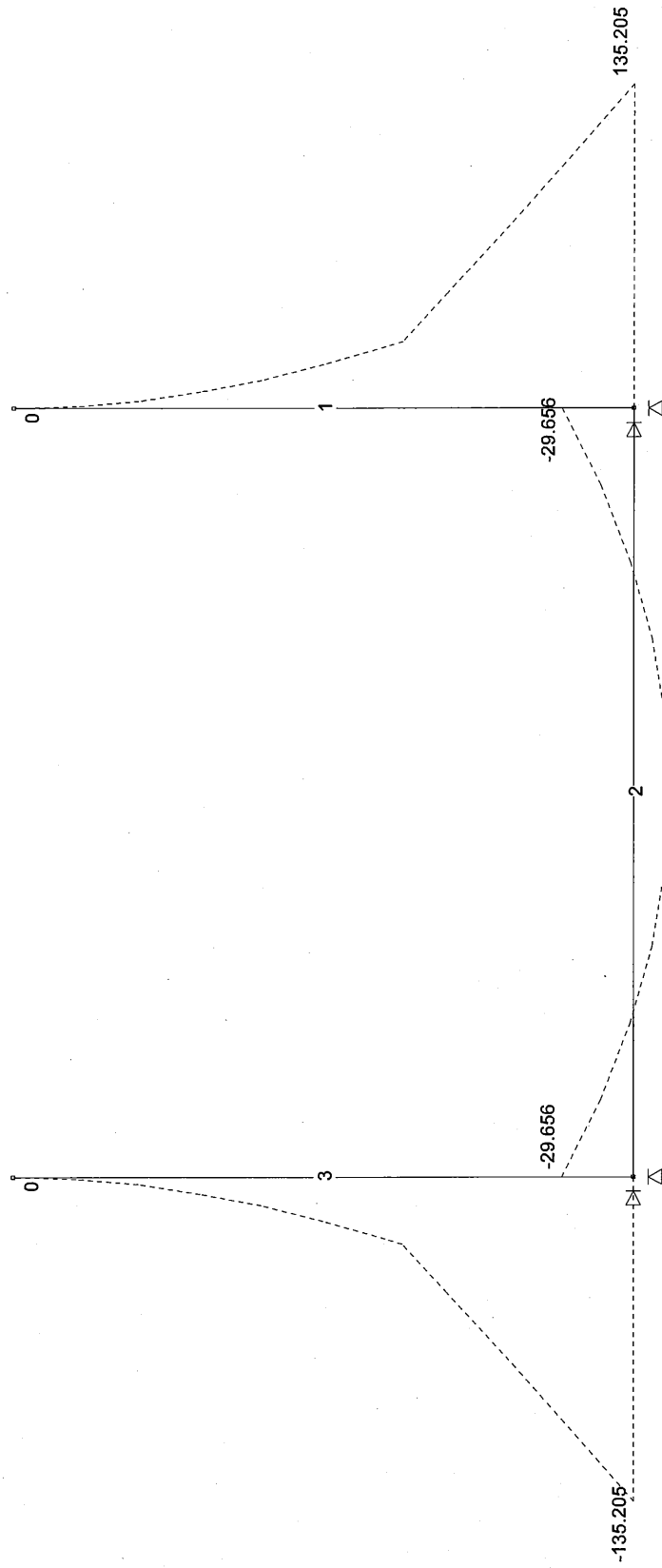
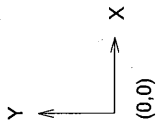
Job: UVROOM, Designer: FYP, Units: m,KN,MPa, Scale: 1:43, Axes: XY  
Load: 1 Disp: None Moment: None Shear: None Axial: None

POMSSUP

UV DISINFECTION ROOM

8 Nov 2011, 7:21 pm

12 ——— 1.4D+1.7L+E+1.7Q



Sections:  
1 500 x 1000

Bending Moment Diagram

Job: UVROOM, Designer: FYP, Units: m,kN,MPa, Scale: 1:43, Axes: XY  
Load: 1 Disp: None Moment: 3 Shear: None Axial: None  
POMSSUP  
UV DISINFECTION ROOM 8 Nov 2011, 7:22 pm

## J : Sludge Treatment Building

1. Load Breakdown and Calculation
2. Result of Structural Analysis
3. Design of Member
4. Summary

<b>Load Breakdown &amp; Calculation</b>
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Items	Calculation & Description	Result	Unit
1	Ground Floor Loads		
A	DEAD LOADS		
1	Blockwall wt	4.6	kPa
4	Slab wt =	5	kPa
5	Services =	0.5	kPa
6	Superimposed DL	0.5	kPa
		6	kPa
B	LIVE LOADS		
1	Hopper	3	kPa
2	Biological Odour Control Room	260	kN per m <sup>2</sup>
3	Polymer Dissolving Tank	300	kN per m <sup>2</sup>
4	Hoist Block	65	kN per m <sup>2</sup>
5	Hoist Block	30	kN per m <sup>2</sup>
6		6	kN per m <sup>2</sup>
7		6	kN per m <sup>2</sup>
8	Polymer Feeder Pump	4	kN per m <sup>2</sup>
9	Air Compressor	13	kN per m <sup>2</sup>
10	Air Dryer	4	kN per m <sup>2</sup>
11	Portable Water Tank	15	kN per m <sup>2</sup>
2	First Floor Loads		
A	DEAD LOADS		
1	Suspended Timber Framed 12 THK Plasterboard Ceiling	0.396	kPa
2	12THK Plasterboard to Both sides of 75THK Timber Wall	0.9912	kPa
3	Fixed Window Glass	0	kPa
4	Slab wt	5	kPa
5	300 x 300 Non-slip Ceramic Tiles	0	kPa
6	Services	0.2	kPa
7	Superimposed DL	0.2	kPa
		6.8	kPa
B	LIVE LOADS		
1	Electrical Room	5	kPa
2	Office	3	kPa
3	General Room	10	kPa
4	Sludge Cake Hopper	62.5	kN
5	Sludge Cake Conveyor	17.5	kN
		70	kN
6	Hoist Block	30	kN
3	Roof Loads (Trafficable Roof)		
A	DEAD LOADS		
1	Colorbond Roof Sheeting	0.05	kPa
2	12THK Plasterboard Ceiling	0.29	kPa
3	Services	0.2	kPa
4	Superimposed DL	0.2	kPa
		0.74	kPa
B	LIVE LOADS	0.25	kPa

Wind Load Calculation on Roof

Items	Calculation & Description	Result	Unit
<b>A Wind Load on Roof</b>			
<b>1 Data</b>			
Return Period =		50 years	
Wind Velocity =		28 m/s	
Terrain Category =		1	
Roof Mean Height, z =		15.5 m	
Width of Bldg =		15 m	
Length of Bldg =		20 m	
Roof Pitch, α =		10 Degrees	
Wind Angle, θ =		0 Degrees	
<b>2 Design Wind Velocity, V<sub>z</sub></b>			
V <sub>z</sub>	= 1.35V(z/zg) <sup>k</sup>		
	k = 0.07 zg = 250		
	=	31.11 m/s	
<b>3 Dynamic Pressure, q<sub>z</sub></b>			
q <sub>z</sub>	= 0.6V <sub>z</sub> <sup>2</sup> x 10 <sup>-3</sup> ... Dynamic Pressure ...	0.58 kPa	
<b>4 Design Pressure, P<sub>z</sub></b>			
p <sub>z</sub>	= Cp q <sub>z</sub> ... Design pressure...		
h/d	= Table B2.2 α ≥ 10° h/d ≥ 0.5	1.03	
h/b	=	0.78	
C <sub>p</sub>	= ... Slope D ...	-0.9	
C <sub>p</sub>	= ... Slope E ...	-0.7	
p <sub>z</sub>	= ... Slope D ...	-0.52 kPa	
	= ... Slope E ...	-0.41 kPa	
<b>5 UDL on roof truss</b>			

Truss Spacing No.	Truss Spacing (m)	Truss No.	Tributary Area (m)	Windward (kN/m)			Leeward (kN/m)		
					x-Component	y-Component		x-Component	y-Component
1	0.9								
2	5	1	3.4	-1.777	-1.751	-0.299	-1.382	-1.362	-0.236
3	5	2	5	-2.614	-2.575	-0.440	-2.033	-2.003	-0.347
4	5	3	5	-2.614	-2.575	-0.440	-2.033	-2.003	-0.347
5	5	4	5	-2.614	-2.575	-0.440	-2.033	-2.003	-0.347
6	0.9	5	3.4	-1.777	-1.751	-0.299	-1.382	-1.362	-0.236

**Wind Load Calculation on Roof**

Items	Calculation & Description	Result	Unit
<b>A Wind Load on Roof</b>			
<b>1 Data</b>			
Return Period =		50	years
Wind Velocity =		28	m/s
Terrain Category =		1	
Roof Mean Height, z =		15.5	m
Width of Bldg =		15	m
Length of Bldg =		20	m
Roof Pitch, α =		10	Degrees
Wind Angle, θ =		90	Degrees
<b>2 Design Wind Velocity, V<sub>z</sub></b>			
V <sub>z</sub>	= 1.35V(z/zg) <sup>k</sup>	<b>Notes for Table 4, PNGS 101-1982: Part 2</b>	
	k = 0.07 zg = 250		
	=	31.11	m/s
<b>3 Dynamic Pressure, q<sub>z</sub></b>			
q <sub>z</sub>	= 0.6V <sub>z</sub> <sup>2</sup> x 10 <sup>-3</sup>	... Dynamic Pressure ...	0.58
<b>4 Design Pressure, P<sub>z</sub></b>			
p <sub>z</sub>	= Cp q <sub>z</sub>	... Design pressure...	
h/d	= Table B2.2 α ≥ 10° h/d ≥ 0.5		1.03
h/b	=		0.78
C <sub>p</sub>	= ... Slope D ...		-0.9
C <sub>p</sub>	= ... Slope E ...		-0.9
p <sub>z</sub>	= ... Slope D ...		-0.52 kPa
	= ... Slope E ...		-0.52 kPa
<b>5 UDL on roof truss</b>			

Truss Spacing No.	Truss Spacing (m)	Truss No.	Tributary Area (m)	Windward (kN/m)			Leeward (kN/m)		
					x-Component	y-Component		x-Component	y-Component
1	0.9								
2	5	1	3.4	-1.777	-1.751	-0.299	-1.777	-1.751	-0.304
3	5	2	5	-2.614	-2.575	-0.440	-2.614	-2.575	-0.446
4	5	3	5	-2.614	-2.575	-0.440	-2.614	-2.575	-0.446
5	5	4	5	-2.614	-2.575	-0.440	-2.614	-2.575	-0.446
6	0.9	5	3.4	-1.777	-1.751	-0.299	-1.777	-1.751	-0.304

**Wind Load on Wall**

Items	Calculation & Description	Result Unit
1 Data		
Return Period =		50 years
Wind Velocity =		28 m/s
Terrain Category =		1
Roof Mean Height, z =		15.5 m
Width of Bldg =		15 m
Length of Bldg =		20 m
Roof Pitch, α =		10 Degrees
Wind Angle, θ =		90 Degrees

2 Pressure Coefficients, Cp

h/d	=	Table B1.1		1.03
h/b	=			0.78
d/b	=			0.75
C <sub>p</sub>	=	... windward external wall surface ...	A	0.8
C <sub>p</sub>	=	... leeward external wall surface ...	B	-0.5
	=	... side external wall surface ...	C	-0.6

3 q<sub>z</sub> = 0.6V<sub>z</sub><sup>2</sup> x 10<sup>-3</sup> ... Dynamic Pressure ...

Height, z, (m)	Velocity Multiplier	Design Wind Velocity, Vz (m/s)	Dynamic Pressure, qz (kPa)
6.5	1.041	29.148	0.510
14.2	1.1152	31.226	0.585

4 Design Pressure, P<sub>z</sub>

P<sub>z</sub> = Cp q<sub>z</sub>

UDL Columns				Vertical Wind Load (UDL) Distribution on Columns, W = Cp qz x Tributary Area			
Vertical Face of Wall at 90° to Wind Direction	Spacing, (m)	Column No.	Tributary Area (m)	Windward, (kN/m)		Leeward, (kN/m)	
				GFL	FFL	GFL	FFL
1	5	1	2.5	1.020	1.170	-0.637	-0.731
2	5	2	5	2.039	2.340	-1.274	-1.463
3	5	3	5	2.039	2.340	-1.274	-1.463
4	5	4	5	2.039	2.340	-1.274	-1.463
		5	2.5	1.020	1.170	-0.637	-0.731

Vertical Face of Wall at 90° to Wind Direction	Spacing, (m)	Column No.	Tributary Area (m)	Side, (kN/m)	
				GFL	FFL
1	5	1	2.5	-0.765	-0.878
2	5	2	5	-1.529	-1.755
3	5	3	5	-1.529	-1.755
		4	2.5	-0.765	-0.878



**LATERAL LOAD DISTRIBUTION TO RC COLUMNS**

Reference : Reinforced Concrete by Park and Paulay

**DISTRIBUTION OF SHEAR AT EACH LEVEL**

approx mass of column = 10 KPa

FL LEVEL	Column mass	floor area	Wt	Hi	Wt . Hi	Fi
ROOF	0.75	300	1412.5	7	9887.5	75.54857143
SUMM			1412.5		9887.5	75.54857143

$V = Cd(T) Wt$  from NZS 1170.5 - 2004  
 $= \text{factor} \cdot Wt$   
 $= 75.54857 \quad 138$

where:  $C = Ch(T)ZRN(T,D)Sp/k\mu$

$Ch(T) = 0.16$   
 $Z = 0.13$   
 $R = 1.80$   
 $N(T,D) = 1.00$   
 $Sp = 1.00$   
 $k = 1.00$   
 $\mu = 0.70$   
 $\text{factor} = 0.0535$

$Fi = V \times (Wi \times Hi) / \text{SUM}(Wi \times Hi)$        $Wi = \text{Mass at FL } i$   
 $= \text{KN}$        $Hi = \text{Height to FL } i$

**CENTRE OF MASS LEVEL: Roof**

$M = 25 \text{ KN/M}^3$       Note: ALL CELLS SHADED THUS REQUIRE A MANUAL INPUT  
 $t = 0.5 \text{ m}$   
 $h = 7.7 \text{ m}$   
 $\text{Wall Mass} = M \times t \times h \times L = 96.25 \text{ L (kN/m)}$   
 $\text{Floor load (1)} = dl + ll/3 = 0 \text{ Kpa}$   
 $\text{Floor load (2)} = dl + ll/3 = 0 \text{ Kpa}$   
 $\text{Floor load (3)} = dl + ll/3 = 0 \text{ Kpa}$   
 $\text{Floor load (4)} = dl + ll/3 = 0.75 \text{ Kpa}$

Col	LENGTH	MASS (m)	x	y	mx	my
1	0.5	48.125	0	0	0	0
2	0.5	48.125	0	5	0	241
3	0.5	48.125	0	10	0	481
4	0.5	48.125	0	15	0	722
5	0.5	48.125	5	0	240.625	0
6	0.5	48.125	5	5	240.625	241
7	0.5	48.125	10	0	481.25	481
8	0.5	48.125	15	0	721.875	722
9	0.5	48.125	10	5	481.25	0
10	0.5	48.125	10	10	481.25	241
11	0.5	48.125	10	15	481.25	481
12	0.5	48.125	10	20	481.25	722
13	0.5	48.125	15	0	721.875	0
14	0.5	48.125	15	5	721.875	241
15	0.5	48.125	15	10	721.875	481
16	0.5	48.125	15	15	721.875	722
17	0.5	48.125	20	0	962.5	0
18	0.5	48.125	20	5	962.5	241
19	0.5	48.125	20	10	962.5	481
20	0.5	48.125	20	15	962.5	722

FLOOR	AREA	MASS (m)	x	y	mx	my
Roof	300	225	10	7.5	2250	1687.5
SUM	Wt =	1187.5			12596.88	8906.25

TABLE 1

<b>CENTRE OF MASS</b>	$Cmx = 10.607895$	$Cmy = 7.5$
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**CENTRE OF RIGIDITY**

COLUMN	IX m4	IY m4	x . IX	y . IY	W/ix (KN)	W/iY (KN)
1	0.002	0.002	0.000	0.000	3.777	3.777
2	0.002	0.002	0.000	0.011	3.777	3.777
3	0.002	0.002	0.000	0.021	3.777	3.777
4	0.002	0.002	0.000	0.032	3.777	3.777
5	0.002	0.002	0.011	0.000	3.777	3.777
6	0.002	0.002	0.011	0.011	3.777	3.777
7	0.002	0.002	0.021	0.021	3.777	3.777
8	0.002	0.002	0.032	0.032	3.777	3.777
9	0.002	0.002	0.021	0.000	3.777	3.777
10	0.002	0.002	0.021	0.011	3.777	3.777
11	0.002	0.002	0.021	0.021	3.777	3.777
12	0.002	0.002	0.021	0.032	3.777	3.777
13	0.002	0.002	0.032	0.000	3.777	3.777
14	0.002	0.002	0.032	0.011	3.777	3.777
15	0.002	0.002	0.032	0.021	3.777	3.777
16	0.002	0.002	0.032	0.032	3.777	3.777
17	0.002	0.002	0.043	0.000	3.777	3.777
18	0.002	0.002	0.043	0.011	3.777	3.777
19	0.002	0.002	0.043	0.021	3.777	3.777
20	0.002	0.002	0.043	0.032	3.777	3.777
SUM	0.043	0.043	0.459	0.320	75.549	75.549

TABLE 2

Centre of Rigidity and Calculated Eccentricities :

Crx =	10.75 m	Cry =	7.5 m
ex =	-0.14210526 m	ey =	0 m

check code eccentricities :

please enter b in x - direc'n = 30 m  
 please enter b in y - direc'n = 15 m

from PNG 1001 - 1982 Part 4 clause 3.4.7

esx <= 0.3bx = 6 m ex OK however torsional  
 esy <= 0.3by = 4.5 m ey OK shears not large

edx1 =	-1.21315789 m	edy1 =	0.75 m	(ed = 1.5es + 0.05b)
edx2 =	0.85789474 m	edy2 =	-0.75 m	or (ed = es - 0.05b)

COLUMN	xi m	yi m	xi <sup>2</sup> . Ixi + yi <sup>2</sup> . Iyi	W <sup>u</sup> ix1 (KN)	W <sup>u</sup> ix2 (KN)	W <sup>u</sup> iy1 (KN)	W <sup>u</sup> iy2 (KN)
1	-10	-7.5	0.33	-0.26	0.26	0.56	-0.40
2	-10	-2.5	0.23	-0.09	0.09	0.56	-0.40
3	-10	2.5	0.23	0.09	-0.09	0.56	-0.40
4	-10	7.5	0.33	0.26	-0.26	0.56	-0.40
5	-5	-7.5	0.17	-0.26	0.26	0.28	-0.20
6	-5	-2.5	0.07	-0.09	0.09	0.28	-0.20
7	-5	2.5	0.07	0.09	-0.09	0.28	-0.20
8	-5	7.5	0.17	0.26	-0.26	0.28	-0.20
9	0	-7.5	0.12	-0.26	0.26	0.00	0.00
10	0	-2.5	0.01	-0.09	0.09	0.00	0.00
11	0	2.5	0.01	0.09	-0.09	0.00	0.00
12	0	7.5	0.12	0.26	-0.26	0.00	0.00
13	5	-7.5	0.17	-0.26	0.26	-0.28	0.20
14	5	-2.5	0.07	-0.09	0.09	-0.28	0.20
15	5	2.5	0.07	0.09	-0.09	-0.28	0.20
16	5	7.5	0.17	0.26	-0.26	-0.28	0.20
17	10	-7.5	0.33	-0.26	0.26	-0.56	0.40
18	10	-2.5	0.23	-0.09	0.09	-0.56	0.40
19	10	2.5	0.23	0.09	-0.09	-0.56	0.40
20	10	7.5	0.33	0.26	-0.26	-0.56	0.40
SUMM			3.47				

TABLE 3

FINAL LOAD DISTRIBUTION

COLUMN	Wix1 (KN)	Wix2 (KN)	Wiy1 (KN)	Wiy2 (KN)	FINAL LOAD DISTRIBUTION	
					Wix (KN)	Wiy (KN)
1	3.5	4.0	4.3	3.4	4.0	4.3
2	3.7	3.9	4.3	3.4	3.9	4.3
3	3.9	3.7	4.3	3.4	3.9	4.3
4	4.0	3.5	4.3	3.4	4.0	4.3
5	3.5	4.0	4.1	3.6	4.0	4.1
6	3.7	3.9	4.1	3.6	3.9	4.1
7	3.9	3.7	4.1	3.6	3.9	4.1
8	4.0	3.5	4.1	3.6	4.0	4.1
9	3.5	4.0	3.8	3.8	4.0	3.8
10	3.7	3.9	3.8	3.8	3.9	3.8
11	3.9	3.7	3.8	3.8	3.9	3.8
12	4.0	3.5	3.8	3.8	4.0	3.8
13	3.5	4.0	3.5	4.0	4.0	4.0
14	3.7	3.9	3.5	4.0	3.9	4.0
15	3.9	3.7	3.5	4.0	3.9	4.0
16	4.0	3.5	3.5	4.0	4.0	4.0
17	3.5	4.0	3.2	4.2	4.0	4.2
18	3.7	3.9	3.2	4.2	3.9	4.2
19	3.9	3.7	3.2	4.2	3.9	4.2
20	4.0	3.5	3.2	4.2	4.0	4.2
SUMM					79.0	81.3

TABLE 4

**LATERAL LOAD DISTRIBUTION TO RC COLUMNS**

Reference : Reinforced Concrete by Park and Paulay

**DISTRIBUTION OF SHEAR AT EACH LEVEL**

approx mass of column = 10 KPa

FL LEVEL	Column mass	floor area	Wt	Hi	Wt . Hi	Fi
1st Floor	6.8	300	6600	7	46200	353.005714
SUMM			6600		46200	353.005714

$$V = C_d(T_1) W_t \quad \text{from NZS 1170.5 - 2004}$$

$$= \text{factor} \cdot W_t$$

$$= 353.00571$$

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where:  $C = C_h(T)ZRN(T,D)Sp/k\mu$

Ch(T)	=	0.16
Z	=	0.13
R	=	1.80
N(T,D)	=	1.00
Sp	=	1.00
k	=	1.00
$\mu$	=	0.70
factor	=	0.0535

$$F_i = \frac{V \times (W_i \times H_i / \sum(W_i \times H_i))}{KN} \quad W_i - \text{Mass at FL } i =$$

$$H_i - \text{Height to FL } i =$$

**CENTRE OF MASS**

LEVEL: Roof

M = 25 KN/M<sup>3</sup> Note : ALL CELLS SHADED THUS REQUIRE A MANUAL INPUT

t = 0.4 m

h = 6.5 m

Wall Mass = M x t x h x L = 65 L (kN/m)

Floor load (1) = dl + ll/3 = 0 Kpa

Floor load (2) = dl + ll/3 = 0 Kpa

Floor load (3) = dl + ll/3 = 0 Kpa

Floor load (4) = dl + ll/3 = 13.466667 Kpa

Col	LENGTH	MASS (m)	x	y	mx	my
1	0.4	26	0	0	0	0
2	0.4	26	0	5	0	130
3	0.4	26	0	10	0	260
4	0.4	26	0	15	0	390
5	0.4	26	5	0	130	0
6	0.4	26	5	5	130	130
7	0.4	26	10	0	260	260
8	0.4	26	15	0	390	390
9	0.4	26	10	5	260	0
10	0.4	26	10	10	260	130
11	0.4	26	10	15	260	260
12	0.4	26	10	20	260	390
13	0.4	26	15	0	390	0
14	0.4	26	15	5	390	130
15	0.4	26	15	10	390	260
16	0.4	26	15	15	390	390
17	0.4	26	20	0	520	0
18	0.4	26	20	5	520	130
19	0.4	26	20	10	520	260
20	0.4	26	20	15	520	390

FLOOR	AREA	MASS (m)	x	y	mx	my
Roof	300	4040	10	7.5	40400	30300
SUM	Wt =	4560			45990	34200

TABLE 1

CENTRE OF MASS	Cmx =	10.085526	Cmy =	7.5
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**CENTRE OF RIGIDITY**

SHEAR WALL	IX m4	IY m4	x . IX	y . IY	W <sup>ix</sup> (KN)	W <sup>iy</sup> (KN)
1	0.002	0.002	0.000	0.000	17.650	17.650
2	0.002	0.002	0.000	0.011	17.650	17.650
3	0.002	0.002	0.000	0.021	17.650	17.650
4	0.002	0.002	0.000	0.032	17.650	17.650
5	0.002	0.002	0.011	0.000	17.650	17.650
6	0.002	0.002	0.011	0.011	17.650	17.650
7	0.002	0.002	0.021	0.021	17.650	17.650
8	0.002	0.002	0.032	0.032	17.650	17.650
9	0.002	0.002	0.021	0.000	17.650	17.650
10	0.002	0.002	0.021	0.011	17.650	17.650
11	0.002	0.002	0.021	0.021	17.650	17.650
12	0.002	0.002	0.021	0.032	17.650	17.650
13	0.002	0.002	0.032	0.000	17.650	17.650
14	0.002	0.002	0.032	0.011	17.650	17.650
15	0.002	0.002	0.032	0.021	17.650	17.650
16	0.002	0.002	0.032	0.032	17.650	17.650
17	0.002	0.002	0.043	0.000	17.650	17.650
18	0.002	0.002	0.043	0.011	17.650	17.650
19	0.002	0.002	0.043	0.021	17.650	17.650
20	0.002	0.002	0.043	0.032	17.650	17.650
SUM	0.043	0.043	0.459	0.320	353.006	353.006

TABLE 2

**Centre of Rigidity and Calculated Eccentricities :**

Cr <sub>x</sub> =	10.75 m	Cr <sub>y</sub> =	7.5 m
ex =	-0.664474 m	ey =	0 m

check code eccentricities :

please enter b in x - direc'n = 20 m  
 please enter b in y - direc'n = 15 m

from PNG 1001 - 1982 Part 4 clause 3.4.7

es<sub>x</sub> <= 0.3bx = 6 m      ex OK      however torsional  
 es<sub>y</sub> <= 0.3by = 4.5 m      ey OK      shears not large

edx <sub>1</sub> =	-1.996711 m	edy <sub>1</sub> =	0.75 m	(ed = 1.5es + 0.05b)
edx <sub>2</sub> =	0.335526 m	edy <sub>2</sub> =	-0.75 m	or (ed = es - 0.05b)

COL	xi m	yi m	xi <sup>2</sup> . IX <sub>i</sub> + yi <sup>2</sup> . IY <sub>i</sub>	W <sup>ix1</sup> (KN)	W <sup>ix2</sup> (KN)	W <sup>iy1</sup> (KN)	W <sup>iy2</sup> (KN)
1	-10	-7.5	0.33	-1.22	1.22	4.34	-0.73
2	-10	-2.5	0.23	-0.41	0.41	4.34	-0.73
3	-10	2.5	0.23	0.41	-0.41	4.34	-0.73
4	-10	7.5	0.33	1.22	-1.22	4.34	-0.73
5	-5	-7.5	0.17	-1.22	1.22	2.17	-0.36
6	-5	-2.5	0.07	-0.41	0.41	2.17	-0.36
7	-5	2.5	0.07	0.41	-0.41	2.17	-0.36
8	-5	7.5	0.17	1.22	-1.22	2.17	-0.36
9	0	-7.5	0.12	-1.22	1.22	0.00	0.00
10	0	-2.5	0.01	-0.41	0.41	0.00	0.00
11	0	2.5	0.01	0.41	-0.41	0.00	0.00
12	0	7.5	0.12	1.22	-1.22	0.00	0.00
13	5	-7.5	0.17	-1.22	1.22	-2.17	0.36
14	5	-2.5	0.07	-0.41	0.41	-2.17	0.36
15	5	2.5	0.07	0.41	-0.41	-2.17	0.36
16	5	7.5	0.17	1.22	-1.22	-2.17	0.36
17	10	-7.5	0.33	-1.22	1.22	-4.34	0.73
18	10	-2.5	0.23	-0.41	0.41	-4.34	0.73
19	10	2.5	0.23	0.41	-0.41	-4.34	0.73
20	10	7.5	0.33	1.22	-1.22	-4.34	0.73
SUMM			3.47				

TABLE 3

**FINAL LOAD DISTRIBUTION**

WALL	W <sub>ix1</sub> (KN)	W <sub>ix2</sub> (KN)	W <sub>iy1</sub> (KN)	W <sub>iy2</sub> (KN)	FINAL LOAD DISTRIBUTION	
					W <sub>ix</sub> (KN)	W <sub>iy</sub> (KN)
1	16.4	18.9	22.0	16.9	18.9	22.0
2	17.2	18.1	22.0	16.9	18.1	22.0
3	18.1	17.2	22.0	16.9	18.1	22.0
4	18.9	16.4	22.0	16.9	18.9	22.0
5	16.4	18.9	19.8	17.3	18.9	19.8
6	17.2	18.1	19.8	17.3	18.1	19.8
7	18.1	17.2	19.8	17.3	18.1	19.8
8	18.9	16.4	19.8	17.3	18.9	19.8
9	16.4	18.9	17.7	17.7	18.9	17.7
10	17.2	18.1	17.7	17.7	18.1	17.7
11	18.1	17.2	17.7	17.7	18.1	17.7
12	18.9	16.4	17.7	17.7	18.9	17.7
13	16.4	18.9	15.5	18.0	18.9	18.0
14	17.2	18.1	15.5	18.0	18.1	18.0
15	18.1	17.2	15.5	18.0	18.1	18.0
16	18.9	16.4	15.5	18.0	18.9	18.0
17	16.4	18.9	13.3	18.4	18.9	18.4
18	17.2	18.1	13.3	18.4	18.1	18.4
19	18.1	17.2	13.3	18.4	18.1	18.4
20	18.9	16.4	13.3	18.4	18.9	18.4
<b>SUMM</b>					<b>369.3</b>	<b>383.4</b>

TABLE 4

**LATERAL LOAD DISTRIBUTION TO BLOCK WALLS**

Reference : Reinforced Concrete by Park and Paulay

**DISTRIBUTION OF SHEAR AT EACH LEVEL**

approx mass of column = 4.6 KPa

FL LEVEL	Wall mass	Floor area	Wt	Hi	Wt . Hi	Fi
1st Floor	6.8	300	5724	7	40068	306.1522
SUMM			5724		40068	306.1522

$$V = Cd(T_1) Wt \quad \text{from NZS 1170.5 - 2004}$$

$$= \text{factor} \cdot Wt$$

$$= 306.1522$$

where:  $C = Ch(T)ZRN(T,D)Sp/k\mu$

$$Ch(T) = 0.16$$

$$Z = 0.13$$

$$R = 1.80$$

$$N(T,D) = 1.00$$

$$Sp = 1.00$$

$$k = 1.00$$

$$\mu = 0.70$$

$$\text{factor} = 0.0535$$

$$F_i = \frac{V \times (W_i \times H_i / \sum(W_i \times H_i))}{KN} \quad W_i - \text{Mass at FL } i =$$

$$H_i - \text{Height to FL } i =$$

**CENTRE OF MASS**

LEVEL: Roof

M = 23 KN/M<sup>3</sup> Note : ALL CELLS SHADED THUS REQUIRE A MANUAL INPUT

t = 0.2 m

h = 3.5 m

Wall Mass = M x t x h x L = 16.1 L (kN/m)

Floor load (1) = dl + ll/3 = 0 Kpa

Floor load (2) = dl + ll/3 = 0 Kpa

Floor load (3) = dl + ll/3 = 0 Kpa

Floor load (4) = dl + ll/3 = 10.3333 Kpa

Wall	LENGTH	MASS (m)	x	y	mx	my
1	5	80.5	0	2.5	0	201.25
2	5	80.5	0	7.5	0	603.75
3	5	80.5	0	10	0	805
4	5	80.5	2.5	0	201.25	0
5	5	80.5	2.5	5	201.25	402.5
6	5	80.5	5	7.5	402.5	603.75
7	5	80.5	5	10	402.5	805
8	5	80.5	17.5	15	1408.75	1207.5

FLOOR	AREA	MASS (m)	x	y	mx	my
Roof	300	3040	10	7.5	30400	22800
SUM	Wt =	3684			33016.25	27428.75

TABLE 1

CENTRE OF MASS	Cmx =	8.962066	Cmy =	7.44537188
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**CENTRE OF RIGIDITY**

Wall	IX m4	IY m4	x . IX	y . IY	W <sup>ix</sup> (KN)	W <sup>iy</sup> (KN)
1	0.715	0.002	0.000	0.006	38.269	38.269
2	0.715	0.002	0.000	0.018	38.269	38.269
3	0.715	0.002	0.000	0.023	38.269	38.269
4	0.715	0.002	1.786	0.000	38.269	38.269
5	0.715	0.002	1.786	0.012	38.269	38.269
6	0.715	0.002	3.573	0.018	38.269	38.269
7	0.715	0.002	3.573	0.023	38.269	38.269
8	0.715	0.002	12.505	0.035	38.269	38.269
SUM	5.717	0.019	23.224	0.134	306.152	306.152

TABLE 2

**Centre of Rigidity and Calculated Eccentricities :**

Cr <sub>x</sub> =	4.0625 m	Cr <sub>y</sub> =	7.1875 m
ex =	4.899566 m	ey =	0.257872 m

check code eccentricities :

please enter b in x - direc'n = 20 m  
 please enter b in y - direc'n = 15 m

from PNG 1001-1982 Part 4 clause 3.4.7

es<sub>x</sub> <= 0.3bx = 6 m      ex OK  
 es<sub>y</sub> <= 0.3by = 4.5 m      ey OK

edx <sub>1</sub> =	8.349349 m	edy <sub>1</sub> =	1.136808 m	(ed = 1.5es + 0.05b)
edx <sub>2</sub> =	3.899566 m	edy <sub>2</sub> =	-0.492128 m	or (ed = es - 0.05b)

Wall	xi m	yi m	xi <sup>2</sup> . IXi + yi <sup>2</sup> . IYi	W <sup>ix1</sup> (KN)	W <sup>ix2</sup> (KN)	W <sup>iy1</sup> (KN)	W <sup>iy2</sup> (KN)
1	13.3493485	-15.83	127.93	0.00	0.00	7.20	3.36
2	18.3493485	-15.83	241.18	0.00	0.00	9.89	4.62
3	18.3493485	-15.83	241.18	0.00	0.00	9.89	4.62
4	25.8493485	-15.83	478.06	0.00	0.00	13.94	6.51
5	28.3493485	-15.83	574.89	0.00	0.00	15.28	7.14
6	28.3493485	-15.83	574.89	0.00	0.00	15.28	7.14
7	28.3493485	-15.83	574.89	0.00	0.00	15.28	7.14
8	28.3493485	-15.83	574.89	0.00	0.00	15.28	7.14
SUMM			3387.90				

TABLE 3

**FINAL LOAD DISTRIBUTION**

Wall	W <sub>ix1</sub> (KN)	W <sub>ix2</sub> (KN)	W <sub>iy1</sub> (KN)	W <sub>iy2</sub> (KN)	FINAL LOAD DISTRIBUTION	
					W <sub>ix</sub> (KN)	W <sub>iy</sub> (KN)
1	38.3	38.3	45.5	41.6	38.3	45.5
2	38.3	38.3	48.2	42.9	38.3	48.2
3	38.3	38.3	48.2	42.9	38.3	48.2
4	38.3	38.3	52.2	44.8	38.3	52.2
5	38.3	38.3	53.6	45.4	38.3	53.6
6	38.3	38.3	53.6	45.4	38.3	53.6
7	38.3	38.3	53.6	45.4	38.3	53.6
8	38.3	38.3	53.6	45.4	38.3	53.6
SUMM					306.2	408.2

TABLE 4

Torsional Moments	
Mix (kNm)	Miy (kNm)
320	52
320	55
320	55
320	59
320	61
320	61
320	61
320	61

# BEAM ON ELASTIC FOUNDATION - WINKLER ANALYSIS

Reference Bowles, J.E Foundation Analysis & Design  
McGrall Hill, Third Edition, 1982

Design data:

B =	0.40	m	D =	0.40	m
μ =	0.4	MPa	F'c =	40	MPa
Es =	180	MPa	ρ =	2400	kg/m <sup>3</sup>
π =	3.141593				

$$k's = 0.65^{12} \sqrt{Es B^4} / (Ef If) * (Es / (1 - \mu^2))$$

--> λ L < π/4 Rigid member - Bending not influenced much by ks  
 λ L > π Flexible member - Bending heavily localised  
 Es, Ef = Modulus of soil and footing respectively  
 B, If = Footing width and its moment of inertia based on cross section  
 ks = Modulus of subgrade reaction

$$ks = k's B$$

$$\lambda = 4 \sqrt{(k's / 4EcI)}$$

Procedure : Conventional rigid procedure (CRP) or Beam on Elastic Foundation (Winkler)

Section	B m	I m <sup>4</sup>	Ec GPa	Es GPa	μ MPa	k's	L m	λ	λL	Is λL < π/4	Is λL > π	Analysis method ?	ks = k'sB kNm
1	0.40	1.13E-04	31.9754	0.18	0.4	0.14219	20.00	1.7730	35.4600	No	Yes	Use Winkler	355472
2	0.40	1.13E-04	31.9754	0.18	0.4	0.14219	20.00	1.7730	35.4600	No	Yes	Use Winkler	355472
3	0.40	1.13E-04	31.9754	0.18	0.4	0.14219	15.00	1.7730	26.5950	No	Yes	Use Winkler	355472
4	0.40	1.13E-04	31.9754	0.18	0.4	0.14219	15.00	1.7730	26.5950	No	Yes	Use Winkler	355472
5	7.10	2.00E-03	31.9754	0.18	0.4	0.29177	15.00	1.0338	15.5076	No	Yes	Use Winkler	41094
6	7.10	2.00E-03	31.9754	0.18	0.4	0.29177	20.00	1.0338	20.6768	No	Yes	Use Winkler	41094
7	7.10	2.00E-03	31.9754	0.18	0.4	0.29177	20.00	1.0338	20.6768	No	Yes	Use Winkler	41094
8	5.00	1.41E-03	31.9754	0.18	0.4	0.26729	15	1.1041	16.5616	No	Yes	Use Winkler	53458
9	4.35	1.22E-03	31.9754	0.18	0.4	0.25815	15	1.1333	16.9998	No	Yes	Use Winkler	59344
10	3.675	1.03E-03	31.9754	0.18	0.4	0.24750	15	1.1697	17.5460	No	Yes	Use Winkler	67346



**Timber Roof Purlin Design**

REF: PNGS 1292 - 1989

TABLE 2.2

**STRENGTH CLASSIFICATION**

Species	Moisture Condition	Strength Group(2)	Stress Grade
Hardwood	Seasoned	SD3	F11

TABLE 2.3

**BASIC WORKING STRESS & STIFFNESS FOR THE STRUCTURAL TIMBER (CONCERNED)**

Stress grade	Basic working stress, MPa				Modulus of Elasticity (E)
	Bending (Fb')	Tension parallel to grain (Ft')	Compression parallel to grain (Fc')	Shear in Beams (Fs')	
F11	11.00	6.60	8.4	1.05	10500

TABLE A

**MODIFICATION FACTORS**

Duration of Load Factor, k1	k2	k3	Partial Seasoning Factor, k4	Seasoned moisture Cont. Factor, k5	Temp°C Factor, k6	Length of Bearing Factor, k7	Parallel Support Factor, k8	Grid Systems Factor, k9	Size Factor, k11	Stability Factor, k12
1.00	1.00	1.00	1.00	1.00	0.90	1.00	1.33	1.00	1.00	1.00

**PERMISSIBLE STRESSES**

a. In Bending:

$$F_b = k_1 k_4 k_5 k_6 k_8 k_{11} k_{12} F_b' \dots \dots \dots \text{Eq.3.1}$$

$$= 13.167 \text{ MPa}$$

b. In Compression parallel to grain:

$$F_c = k_1 k_4 k_5 k_6 k_8 k_{11} k_{12} F_c' \dots \dots \dots \text{Eq.3.12}$$

$$= 10.0548 \text{ MPa}$$

c. In Tension parallel to grain

$$F_t = k_1 k_4 k_5 k_6 k_{11} F_t' \dots \dots \dots \text{Eq.3.21}$$

$$= 5.94 \text{ MPa}$$

**Purlin Design**

Loads

$$DL = 0.15 \text{ kN/m} \quad LL = 0.15 \text{ kN/m} \quad \dots \dots \dots 2.475$$

$$\text{Combination: } DL + LL = 0.3 \text{ kN/m} \quad \dots \dots \dots 0.625$$

$$\text{Size } B \text{ (mm)} = 75 \quad D \text{ (mm)} = 100 \quad \text{HWD} \quad \text{Purlin Span} = 2500 \text{ mm} \quad \text{Purlin Spacing} = 600 \text{ mm CTS}$$

Permissible Stresses

From Analysis	
M*max	= 0.23 kNm
V*max	= 0.38 kN

a. In Bending

$$F_b = 13.167 \text{ MPa}$$

b.

$$F_s = k_1 k_4 k_5 k_6 F_s'$$

$$= 0.945 \text{ MPa}$$

$$\text{Working Bending Stress, } f_b = M_x / Z_x$$

$$= 1.875 \text{ MPa}$$

$$\text{Working Shear Stress, } f_s = 3V / 2BD$$

$$= 0.075 \text{ MPa}$$

**CHECK!**

From equation 3.10;  $f_b / F_b \leq 1$

$$0.142401 < 1 \quad \text{OK}$$

$$f_s = 0.075 \text{ MPa} < F_s = 0.945 \text{ MPa} \quad \text{OK}$$

**Deflection Check!**

From Analysis

$$DL = 0.15 \text{ kN/m}$$

$$LL = 0.15 \text{ kN/m}$$

$$\text{Defln} = 5WL^4 / 384EI$$

$$\text{Defln.DL} = 1.162574 \text{ mm} \quad \text{Def. by DL}$$

$$\text{Allowable Defln} = L/300 = 8.33333333 \text{ mm} > 1.162574 = \text{Defln.DL} \quad \text{OK}$$

$$\text{Defln.LL} = 1.162574 \text{ mm} \quad \text{Def. by LL}$$

$$\text{Allowable Defln} = L/360 = 6.94444444 \text{ mm} > 1.162574 = \text{Defln.LL} \quad \text{OK}$$

Roof Truss Design

REFERENCE: REF: PNGS 1292 - 1989

TABLE 2.2

STRENGTH CLASSIFICATION			
Species	Moisture Condition	Strength Group(2)	Stress Grade
Hardwood	Seasoned	SD3	F11

TABLE 2.3

BASIC WORKING STRESS & STIFFNESS FOR THE STRUCTURAL TIMBER (CONCERNED)

Stress grade	Basic working stress, MPa				Modulus of Elasticity (E)
	Bending (Fb')	Tension parallel to grain (Ft')	Compression parallel to grain (Fc')	Shear in Beams (Fs')	
F11	11.00	6.60	8.40	1.05	10500

TABLE A

MODIFICATION FACTORS											
Duration of Load Factor, k1	k2	k3	Partial Seasoning Factor, k4	Seasoned moisture Cont. Factor, k5	Temp °C Factor, k6	Length of Bearing Factor, k7	Parallel Support Factor, k8	Grid Systems Factor, k9	Size Factor, k11	Stability Factor, k12	
1.00	1.00	1.00	1.00	1.00	0.90	1.00	1.33	1.00	1.00	1.00	

PERMISSIBLE STRESSES

a. In Bending:

$$F_b = k_1 k_2 k_3 k_4 k_5 k_6 k_7 k_8 k_9 k_{11} k_{12} F_b' \dots \text{Eq.3.1}$$

$$= 13.167 \text{ MPa}$$

b. In Compression parallel to grain:

$$F_c = k_1 k_2 k_3 k_4 k_5 k_6 k_7 k_8 k_9 k_{11} k_{12} F_c' \dots \text{Eq.3.12}$$

$$= 10.0548 \text{ MPa}$$

c. In Tension parallel to grain

$$F_t = k_1 k_2 k_3 k_4 k_5 k_6 k_{11} F_t' \dots \text{Eq.3.21}$$

$$= 5.94 \text{ MPa}$$

FROM SPACE GASS ANALYSIS

MAXIMUM VALUES OF BENDING MOMENTS & AXIAL FORCES ON THE TRUSS MEMBERS

	TOP CHORD	DIAGONAL	BOTTOM CHORD
M*max (kNm)	8	2	4
P*max (+ve) (kN)	155	20	0
P*max (-ve) (kN)	0	20	78.4

CHECK FOR ADEQUACY FOR SIZE

SECTION NAME	SECTION SIZE		SECTION PROPERTIES		
	B (mm)	D (mm)	Zx = BD <sup>2</sup> /6, mm <sup>3</sup>	Zy = B <sup>2</sup> D/6, mm <sup>3</sup>	A = BD, mm <sup>2</sup>
TOP CHORD	150	300	2250000	1125000	45000
WEB	75	150	281250	140625	11250
BOTTOM CHORD	150	300	2250000	1125000	45000

WORKING STRESSES

	Bending Stress, = Mx/Zx (MPa)	fbx	Axial Compressive Stress, fc = P/A (MPa)	Axial Tensile Stress, ft = P/A (MPa)
TOP CHORD	3.5556		3.4444	0.0000
WEB	0.0000		1.7778	1.7778
BOTTOM CHORD	1.7778		0.0000	1.7422

**TOP CHORD CHECK!**

**A. Combined Bending + Axial Compression**

$$\begin{array}{rcllcl} \text{From equation 3.23, } (fbx/Fbx) & + & (fc/Fcx) & \leq & 1 \\ 0.270035 & + & 0.34257 & \leq & 1 \\ & & 0.6126 & < & 1 \quad \underline{OK} \end{array}$$

**B. Combined bending + Axial Tension**

$$\begin{array}{rcllcl} \text{From equation 3.25, } 0.6fbx & + & ft & \leq & Ft \\ 2.133333 & + & 0 & \leq & 5.94 \\ & & 2.13333 & < & 5.94 \quad \underline{OK} \end{array}$$

**WEB CHECK!**

**A. Axial Stress in Compression Member**

$$\begin{array}{rcll} \text{From equation 3.19, } fc \leq Fcx & & & \\ 1.777778 & < & 10.0548 & \underline{OK} \end{array}$$

**B. Axial Stress in Tension Member**

$$\begin{array}{rcll} \text{From equation 3.19, } ft \leq Ft & & & \\ 0.0000 & < & 5.94 & \underline{OK} \end{array}$$

**BOTTOM CHORD CHECK!**

**A. Combined Bending + Axial Compression**

$$\begin{array}{rcllcl} \text{From equation 3.23, } (fbx/Fbx) & + & (fc/Fcx) & \leq & 1 \\ 0.135018 & + & 0 & \leq & 1 \\ & & 0.13502 & < & 1 \quad \underline{OK} \end{array}$$

**B. Combined bending + Axial Tension**

$$\begin{array}{rcllcl} \text{From equation 3.25, } 0.6fbx & + & ft & \leq & Ft \\ 1.066667 & + & 1.7422 & \leq & 5.94 \\ & & 2.8089 & < & 5.94 \quad \underline{OK} \end{array}$$

**ROOF BEAM DESIGN**

REFERENCE: **Concrete Structures - 3rd Edition**  
**R. F. Warner, B. V. Rangan, & A. S. Hall**

**AS 3600 - 2009**

**Design of a Continuous Beam :****1 Loads**

DL	:	Wdl =	0.60 kN/m	(plus super)
Self wt	:	Wsw =	2.25 kN/m	
Blockwall	:	Wb =	0.00 kN/m	
TOTAL		=	2.85 kN/m	
LL :		Wll =	0.25 kN/m	
LL factor	- long term		0.4	
	- short term		0.7	

**2 Beam Section Properties****Beam Size**

bw	300 mm	D =	300 mm
tff	0 mm	Cover =	65 mm
Actual length, L =	5000 mm	Overall depth of Sect. D =	300 mm
Effective Length, L <sub>ef</sub> =	4600 mm	Area, A =	9.00E+04 mm <sup>2</sup>
Neutral Axis, y <sub>c</sub> =	150.00 mm	Moment of Inertia, I <sub>x-x</sub> =	6.75E+08 mm <sup>4</sup>
Neutral Axis, x <sub>c</sub> =	610.00 mm	Moment of Inertia, I <sub>y-y</sub> =	6.75E+08 mm <sup>4</sup>
Effective width, b <sub>eff</sub> =	1220.00 mm	Gross Area, A <sub>g</sub> =	9.00E+04 mm <sup>2</sup>

**3 Design Parameters**

F' <sub>c</sub> =	32 MPa	D =	300 mm
F <sub>sy</sub> =	410 MPa	E <sub>c</sub> =	28599.62293 MPa
m =	2400 kg/m <sup>3</sup>	E <sub>s</sub> =	200000 MPa
		Gamma =	0.822

**4 INITIAL CHOICE OF SECTION**

Effective width =	1220 mm	clause 8.8.2	
Is the section RECT or T, L (ans : 1 or 2)		=	2
k <sub>1</sub> =	0.045	(RECT sections)	1
=	0.02084726	(T and L sections)	2
what type of span?	5	interior span =	5
		end span =	6
k <sub>2</sub> =	0.0026042		
k <sub>cs</sub> =	1.64	(because there will be comp steel at midspan=say .5A <sub>st</sub> )	
F <sub>def</sub> =	5.013		
defln/L <sub>ef</sub> =	0.004	k <sub>1</sub> /k <sub>2</sub> =	8.005245775
d =	76 mm		
take d =	193 mm	Distance from d to extreme fibre of beam (d <sub>o</sub> ) =	107 mm

**5 Forces from an Elastic Analysis by Space Gass :**

M <sub>max</sub> -ve	=	40.00 kNm	(left support)
M <sub>max</sub> +ve	=	26.00 kNm	(mid-span)
M -ve	=	40.00 kNm	(right support)
V <sub>max</sub>	=	29.00 kN	
V (other end)	=	29.00 kN	
N*	=	31.00 kN	Axial Load

**6 FLECTURAL STRENGTH STEEL**

Determine -ve steel required: (At arbitrary left support)

Number of reinforcement layers 1 or 2 : 2  
 take do = 107 mm d = 193  
 Estimate Area of main steel Ast = 660.780762 mm<sup>2</sup>  
 3 Y 20 Ast = 942.4777961 mm<sup>2</sup>  
 16 p = 0.016277682  
 3 Y 16 Asc = 603.1857895 mm<sup>2</sup>  
 pc = 0.010417717 < pd = 0.021813  
 p-pc = 0.005859966 pd=0.4\*0.85\*ku\*f'c/fsy

**Check M\* <= phiMu**

ku = 0.107458 dsc = 85 mm

phi Mu = phi [ Fsy x Asc (d - dsc) + 0.85 x F'c x b x Gamma x ku x d  
 x (d - 0.5 x 0.85 x ku x d) ]

=	47	kNm	>	M*	=	40.00	kNm	OK
---	----	-----	---	----	---	-------	-----	----

Determine -ve steel at right support:

M -ve = 40.00 kNm  
 Number of reinforcement layers 1 or 2 : 2  
 take do = 107 mm dst = 193 mm  
 Estimate Area of main steel Ast = 660.780762 mm<sup>2</sup>  
 3 Y 20 Ast = 942.4777961 mm<sup>2</sup>  
 p = 0.016277682  
 3 Y 16 Asc = 603.1857895 mm<sup>2</sup>  
 pc = 0.010417717 < pd = 0.021813  
 p-pc = 0.005859966

**Check M\* <= phiMu**

ku = 0.107458 dsc = 85 mm

phi Mu = phi [ Fsy x Asc (d - dsc) + 0.85 x F'c x b x Gamma x ku x d  
 x (d - 0.5 x 0.85 x ku x d) ]

=	47	kNm	>	M*	=	40.00	kNm	OK
---	----	-----	---	----	---	-------	-----	----

FOR DUCTILITY CHECK AT BOTH SUPPORTS USE EMPHI

**Tensile Steel at Midspan:**

M\* = 26 kNm  
 Steel in one layer then code = 1 take dist between centroid of  
 " " two " " code = 2 bar/s and soffit = 107 mm  
 what is the code? 2 d = 193 mm  
 Ast = M\*/(Phi x 0.85 x d x Fsy) = 429.507495 mm<sup>2</sup>  
 3 Y 20 Ast = 942.4777961 mm<sup>2</sup>  
 3 Y 16 Asc = 603.1857895 mm<sup>2</sup>

Assume N - A in flange

Effective width : beff = 1220 mm  
 ku = 1/(0.85 x 0.85) x [Ast/(bw x d)] x (Fsy/F'c)  
 = 0.07340018  
 hence dn = 14 < flange thickness  
 hence N - A is in flange

Phi Mu = 0.9 [ Fsy x Ast x d (1 - 0.5 x 0.85 x ku) ]

=	65	kNm	>	M*+ve	=	26.00	kNm	OK
---	----	-----	---	-------	---	-------	-----	----

Summary of reinforcement requirement :

left support :	Ast =	3	Y 20
	Asc =	3	Y 16
Right support :	Ast =	3	Y 20
	Asc =	3	Y 16
midspan	Ast =	3	Y 20
	Asc =	3	Y 16

### 7 STEEL CURTAILMENT REQUIREMENT CHECK

The following requirements regarding curtailment are subject to stress development length requirements.

- For -ve steel
- i)  $1/4 A_{st}$  to continue over length of beam  
= 2 bars
  - ii) Remainder to be curtailed at  $0.3L_n$  from face of support.  
=  $0.3 \times l_e = 1380$  mm
- For -ve steel
- i)  $1/4 A_{st}$  to continue over length of beam  
= 2 bars
  - ii) Remainder to be curtailed at  $0.3L_n$  from face of support.  
=  $0.3 \times l_e = 1380$  mm
- For +ve steel :
- i)  $1/2 A_{st}$  must be carried into outer support  
= 2 bars
  - ii)  $1/4 A_{st}$  into interior support  
= 2 bars
  - iii) Remainder curtailed at  $0.1L_n$  from supports  
=  $0.1 \times l_e = 460$  mm

### 8 STRESS DEVELOPMENT

For Top Steel:

cover :  $c = 65$  mm

$d_b = 16$  mm # of lines of bars = 1

$a_b = 146$  mm distance between bars

If  $a_b > 2c$   $C = 2c + d_b = 146$  mm  
C is the outside diameter of a concrete annulus

if  $a_b \leq 2c$   $C = a_b + d_b = 162$  mm  
coaxial with and surrounding a bar

$k_1 = 1.25$   $A_b = 201.0619298$  mm<sup>2</sup>

$k_2 = 2.2$   $a_b = 146$  mm (dist between bars)

factor = 40074.8041

$L_{syt} = k_1 \times k_2 \times f_{sy} \times A_b / C \times \sqrt{f'_c} = \text{factor} / C$

= 274.485 mm

take  $f_s / F_{sy} = M^* / \Phi \mu = 0.849293177$

therefore  $L_{sy} = 233$  mm  $\geq 25k_1 d_b$  500

say = 500 mm

For Bottom Steel:

Cover,  $c = 65$  mm  $d_b = 20$  mm

# of lines of bars = 1

If  $a_b > 2c$   $C = 2c + d_b = 150$  mm

if  $a_b < 2c$   $C = a_b + d_b = 474$  mm

$k_1 = 1$   $A_b = 314.1592654$  mm<sup>2</sup>

$k_2 = 2.2$   $a_b = 454$  mm (dist between bars)

factor = 50093.50513

$L_{syt} = 333.9567$  mm take  $f_s / F_{sy} = M^* / \Phi \mu = 0.399412636$

therefore  $L_{sy} = 133$  mm  $\geq 25k_1 d_b$  400

say = 400 mm

## 9 SHEAR CHECK

$V^* = 29.00 \text{ kN}$

Dist to centreline of bottom steel from soffit

critical location :  $d = 193 \text{ mm}$

$d_q = 85 \text{ mm}$   
 $d_o = 215 \text{ mm}$

$V^* = 28 \text{ kN}$

hence  $\beta_1 = 1.2925$  (but not less than 1.1)  
 $\beta_2 = 1$   
 $\beta_3 = 1$  Unity

$\phi V_{uc} = \phi \times \beta_1 \times \beta_2 \times \beta_3 \times b_w \times d_o [A_{st} \times F'_c / b_w \times d_o]^{0.333}$   
 $= 45.31 \text{ kN}$

$\phi V_{u\max} = 288.96 \text{ kN} > V^*$  No web crushing  
 $\phi V_{u\min} = 72 \text{ kN} > V^*$  OK

If shear reinforcement required then proceed as follows :

choose stirrup spacing  $s = 300 \text{ mm}$

$F_{syf} = 410 \text{ MPa}$

Determine theta :

$b_v \times s / F_{syf} = 219.512195$   
 $A_{sv.\min} = 76.8292683 \text{ mm}^2$   
 $A_{sv.\max} = 1185 \text{ mm}^2$

$A_{sv} = 2 \times \text{area of stirrups} = 220 \text{ mm}^2$  2 Ties

$\theta = 31.93863 \text{ degrees}$

Determine  $\phi V_u$  :

$V_u = V_{uc} + V_{us}$   
 $= V_{uc} + A_{sv} / s \times F_{syf} \times d_o \cot \theta$   
 $= 168.42 \text{ kN}$

$\phi V_u = 118 \text{ kN} > V^* = 28 \text{ kN}$

hence

**PROVIDE : 1 Y12 LIGS @ 300 centres**

Other Support :

$V^* = 29.00 \text{ kN}$

Dist to centreline of bottom steel from soffit

critical location :  $d = 193 \text{ mm}$

$d_q = 85 \text{ mm}$   
 $d_o = 215 \text{ mm}$

$V^* = 28.40 \text{ kN}$

hence  $\beta_1 = 1.2925$  (but not less than 1.1)  
 $\beta_2 = 1$   
 $\beta_3 = 1$

$\phi V_{uc} = \phi \times \beta_1 \times \beta_2 \times \beta_3 \times b_w \times d_o [A_{st} \times F'_c / b_w \times d_o]^{0.333}$   
 $= 45.30563 \text{ kN}$

$\phi V_{u\max} = 288.96 \text{ kN} > V^*$  No web crushing  
 $\phi V_{u\min} = 72 \text{ kN} > V^*$  OK

If shear reinforcement required then proceed as follows :

choose stirrup spacing  $s = 300 \text{ mm}$

$F_{syf} = 410 \text{ MPa}$

Determine theta :

$b_v \times s / F_{syf} = 219.512195$   
 $A_{sv.\min} = 76.8292683 \text{ mm}^2$   
 $A_{sv.\max} = 1184.60922 \text{ mm}^2$

$A_{sv} = 2 \times \text{area of stirrups} = 330 \text{ mm}^2$  2 Ties

$\theta = 33.42808 \text{ degrees}$

Determine  $\phi V_u$  :

$V_u = V_{uc} + V_{us}$   
 $= V_{uc} + A_{sv} / s \times F_{syf} \times d_o \cot \theta$   
 $= 211.6207 \text{ kN}$

$\phi V_u = 148.1345 \text{ kN} > V^* = 28.40 \text{ kN}$

hence

**PROVIDE : 1 Y12 LIGS @ 300 centres**

### 11 SERVICEABILITY CHECK

From an Elastic Linear Analysis :

Mr	=	40.00 kNm	Es	=	200000 MPa
MI	=	40.00 kNm	Ec	=	28599.62293 MPa
Mo	=	66 kNm			
Ms	=	26.00 kNm			
Ig	=	6.75E+08 mm <sup>4</sup>			

Calculate I<sub>cr</sub>, M<sub>cr</sub>, and I<sub>ef</sub> at midspan :

Eff. Flange width	b <sub>eff</sub> =	1220 mm	A <sub>sc</sub> =	603.1857895 mm <sup>2</sup>
webwidth	b <sub>w</sub> =	300 mm	A <sub>st</sub> =	942.4777961 mm <sup>2</sup>
Flange thickness	t <sub>ff</sub> =	0 mm	d <sub>sc</sub> =	107 mm
			d <sub>st</sub> =	193 mm
			d =	193 mm
			D =	300 mm

$$n = E_s/E_c = 6.99309919$$

$$1/2 \times b_w \times d_n^2 + (b_{eff} - b_w) \times t \times (d_n - t/2) + (n - 1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$$

$$150 d_n^2 + 10205.793 d_n - 1658832.15 = 0$$

$$d_n = 76.5075848 \text{ mm}$$

$$d = 193 \text{ mm}$$

$$I_{cr} = b d_n^3/3 + 1/12 (b_{eff} - b_w) \times t^3 + (b_{eff} - b_w) \times t \times (d_n - t/2)^2 + n x A_{st} (d - d_n)^2$$

$$= 1.34E+08 \text{ mm}^4$$

$$M_{cr} = 0.6 \sqrt{f'_c} \times b D^2/6 = 15.2735065 \text{ kNm}$$

$I_m = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_s)^3]$ $= 2.44E+08 \text{ mm}^4$
--

Calculate I<sub>cr</sub>, M<sub>cr</sub>, I<sub>lef</sub> and I<sub>ref</sub> at end supports :

b <sub>w</sub> =	300 mm	A <sub>st</sub> =	942.4777961 mm <sup>2</sup>
d <sub>sc</sub> =	85 mm	A <sub>sc</sub> =	603.1857895 mm <sup>2</sup>
d =	193 mm		
Ig =	6.75E+08 mm <sup>4</sup>		

At right end (arbitrary)

$$1/2 \times b d_n^2 + (n - 1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$$

$$150 d_n^2 + 10205.793 d_n - 1579303.2 = 0$$

$$d_n = 74.08 \text{ mm}$$

$$d = 193 \text{ mm}$$

$$I_{cr} = b d_n^3/3 + n x A_{sc} (d - d_n)^2 = 1.34E+08 \text{ mm}^4$$

$$M_{cr} = 0.6 \sqrt{f'_c} \times b D^2/6 = 15.2735065 \text{ kNm}$$

$$I_{ref} = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_r)^3] = 1.64E+08 \text{ mm}^4$$

At left end (arbitrary)

b <sub>w</sub> =	300 mm		
d <sub>sc</sub> =	85 mm		
A <sub>st</sub> =	942.4778 mm <sup>2</sup>		
A <sub>sc</sub> =	603.18579 mm <sup>2</sup>		
d =	193 mm		

$$1/2 \times b d_n^2 + (n - 1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$$

$$150 d_n^2 + 10205.793 d_n - 1579303.2 = 0$$

$$d_n = 74.0825006 \text{ mm}$$

$$d = 193 \text{ mm}$$

$$I_{cr} = b d_n^3/3 + n x A_{sc} (d - d_n)^2 = 1.34E+08 \text{ mm}^4$$

$$M_{cr} = 0.6 \sqrt{f'_c} \times b D^2/6 = 15.2735065 \text{ kNm}$$

$$I_{lef} = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_l)^3] = 1.64E+08 \text{ mm}^4$$

$I_{lav} = [I_m + (I_l + I_r)/2]/2$ $= 2.04E+08 \text{ mm}^4$
---

Midspan Deflection :

$$L_{ef} = 4600 \text{ mm}$$

$$Defl_{n,s} = L_{ef}^2/E_c \times I_{lav} [5/48 \cdot M_o - 1/16 M_L - 1/16 M_r]$$



=	6.80297959 mm
---	---------------

**Total Deflection :**

Long term factor	=	0.2	
Short term factor	=	0.5	
w - long term	=	2.9 kN/m	
w - short term	=	2.975 kN/m	
Defln,s,sus	=	6.631475902 mm	
At midspan :		Ast	= 942.477796 mm <sup>2</sup>
		Asc	= 603.185789 mm <sup>2</sup>
	Asc/Ast =	0.64	
	kcs =	2 - (1.2 x Asc/Ast)	>= 0.8
	=	1.232	

therefore

Total Defln	=	Defln,s + ( kcs x Defln,s,sus )
	=	14.15596 mm

FROM A MORE ACCURATE ANALYSIS Warner,Rangan,Hall HAVE SHOWN THAT THIS CAN BE REDUCED BY UP TO 10%.

ALLOWABLE DEFLN	=	Lef / 250 =	18.4 mm
			> 0.9 x Total Defln
		Lef / 500 =	9.2 mm
			< 0.9 x Total Defln

**FIRST FLOOR BEAM DESIGN**

REFERENCE: **Concrete Structures - 3rd Edition**  
**R. F. Warner, B. V. Rangan, & A. S. Hall**

AS 3600 - 2009

**Design of a Continuous Beam :****1 Loads**

DL	:	Wdl =	9.80 kN/m	(plus super)
Self wt	:	Wsw =	5.00 kN/m	
Blockwall	:	Wb =	16.10 kN/m	
TOTAL		=	30.90 kN/m	
LL	:	Wll =	0.25 kN/m	
LL factor	- long term		0.4	
	- short term		0.7	

**2 Beam Section Properties****Beam Size**

bw	400 mm	D =	500 mm
tff	250 mm	Cover =	65 mm
Actual length, L =	5000 mm	Overall depth of Sect. D =	750 mm
Effective Length, L <sub>ef</sub> =	4600 mm	Area, A =	4.30E+05 mm <sup>2</sup>
Neutral Axis, y <sub>c</sub> =	316.86 mm	Moment of Inertia, I <sub>x-x</sub> =	1.81E+10 mm <sup>4</sup>
Neutral Axis, x <sub>c</sub> =	660.00 mm	Moment of Inertia, I <sub>y-y</sub> =	4.92E+10 mm <sup>4</sup>
Effective width, b <sub>eff</sub> =	1320.00 mm	Gross Area, A <sub>g</sub> =	5.30E+05 mm <sup>2</sup>

**3 Design Parameters**

F' <sub>c</sub> =	32 MPa	D =	500 mm
F <sub>sy</sub> =	410 MPa	E <sub>c</sub> =	28599.62293 MPa
m =	2400 kg/m <sup>3</sup>	E <sub>s</sub> =	200000 MPa
		Gamma =	0.822

**4 INITIAL CHOICE OF SECTION**

Effective width =	1320 mm	clause 8.8.2	
Is the section RECT or T, L (ans : 1 or 2)	=		1
k <sub>1</sub> =	0.045	(RECT sections)	1
=	0.02226344	(T and L sections)	2
what type of span?	5	interior span =	5
		end span =	6
k <sub>2</sub> =	0.0026042		
k <sub>cs</sub> =	1.64	(because there will be comp steel at midspan=say .5A <sub>st</sub> )	
F <sub>def</sub> =	51.015		
defln/L <sub>ef</sub> =	0.004 k <sub>1</sub> /k <sub>2</sub> =	17.27977882	
d =	124 mm		
take d =	643 mm	Distance from d to extreme fibre of beam (d <sub>o</sub> ) =	107 mm

**5 Forces from an Elastic Analysis by Space Gass :**

M <sub>max</sub> -ve	=	310.00 kNm	(left support)
M <sub>max</sub> +ve	=	162.00 kNm	(mid-span)
M -ve	=	140.00 kNm	(right support)
V <sub>max</sub>	=	310.00 kN	
V (other end)	=	310.00 kN	
N*	=	17.00 kN	Axial Load

### 6 FLECTURAL STRENGTH STEEL

Determine -ve steel required: (At arbitrary left support)

Number of reinforcement layers 1 or 2 : 2  
 take do = 107 mm d = 643  
 Estimate Area of main steel Ast = 1537.111703 mm<sup>2</sup>  
 6 Y 20 Ast = 1884.955592 mm<sup>2</sup>  
 16 p = 0.007328754  
 3 Y 16 Asc = 603.1857895 mm<sup>2</sup>  
 pc = 0.002345201 < pd = 0.021813  
 p-pc = 0.004983553 pd=0.4\*0.85\*mu\*f'c/fsy

Check  $M^* \leq \phi Mu$

ku = 0.091387 dsc = 85 mm

$$\phi Mu = \phi [F_{sy} \times A_{sc} (d - d_{sc}) + 0.85 \times F'_c \times b \times \Gamma \times k_u \times d \times (d - 0.5 \times 0.85 \times k_u \times d)]$$

=	417 kNm	>	M* =	310.00 kNm	OK
---	---------	---	------	------------	----

Determine -ve steel at right support:

M -ve = 140.00 kNm  
 Number of reinforcement layers 1 or 2 : 2  
 take do = 107 mm dst = 643 mm  
 Estimate Area of main steel Ast = 694.1794786 mm<sup>2</sup>  
 6 Y 20 Ast = 1884.955592 mm<sup>2</sup>  
 p = 0.007328754  
 3 Y 16 Asc = 603.1857895 mm<sup>2</sup>  
 pc = 0.002345201 < pd = 0.021813  
 p-pc = 0.004983553

Check  $M^* \leq \phi Mu$

ku = 0.091387 dsc = 85 mm

$$\phi Mu = \phi [F_{sy} \times A_{sc} (d - d_{sc}) + 0.85 \times F'_c \times b \times \Gamma \times k_u \times d \times (d - 0.5 \times 0.85 \times k_u \times d)]$$

=	417 kNm	>	M* =	140.00 kNm	OK
---	---------	---	------	------------	----

FOR DUCTILITY CHECK AT BOTH SUPPORTS USE EMPHI

**Tensile Steel at Midspan:**

M\* = 162 kNm  
 Steel in one layer then code = 1 take dist between centroid of  
 " " two " " code = 2 bar/s and soffit = 107 mm  
 what is the code? 2 d = 643 mm  
 Ast = M\*/(Phi x 0.85 x d x Fsy) = 803.264825 mm<sup>2</sup>  
 6 Y 20 Ast = 1884.955592 mm<sup>2</sup>  
 3 Y 16 Asc = 603.1857895 mm<sup>2</sup>

Assume N - A in flange

Effective width : beff = 1320 mm  
 ku = 1/(0.85 x 0.85) x [Ast/(bw x d)] x (Fsy/F'c)  
 = 0.04072484  
 hence dn = 26 < flange thickness  
 hence N - A is in flange

$$\phi Mu = 0.9 [F_{sy} \times A_{st} \times d (1 - 0.5 \times 0.85 \times k_u)]$$

=	440 kNm	>	M*+ve =	162.00 kNm	OK
---	---------	---	---------	------------	----

Summary of reinforcement requirement :

left support:	Ast =	6	Y 20
	Asc =	3	Y 16
Right support:	Ast =	6	Y 20
	Asc =	3	Y 16
midspan	Ast =	6	Y 20
	Asc =	3	Y 16

### 7 STEEL CURTAILMENT REQUIREMENT CHECK

The following requirements regarding curtailment are subject to stress development length requirements.

- i) 1/4 Ast to continue over length of beam

For -ve steel = 2 bars

ii) Remainder to be curtailed at  $0.3L_n$  from face of support.  
 $= 0.3 \times l_e = 1380 \text{ mm}$

i)  $1/4 A_{st}$  to continue over length of beam  
 = 2 bars

For -ve steel

ii) Remainder to be curtailed at  $0.3L_n$  from face of support.  
 $= 0.3 \times l_e = 1380 \text{ mm}$

For +ve steel :

i)  $1/2 A_{st}$  must be carried into outer support  
 = 2 bars

ii)  $1/4 A_{st}$  into interior support  
 = 2 bars

iii) Remainder curtailed at  $0.1L_n$  from supports  
 $= 0.1 \times l_e = 460 \text{ mm}$

### 8 STRESS DEVELOPMENT

For Top Steel:

cover :  $c = 65 \text{ mm}$

$d_b = 16 \text{ mm}$  # of lines of bars = 1

$a_b = 246 \text{ mm}$  distance between bars

If  $a_b > 2c$   $C = 2c + d_b = 146 \text{ mm}$   
 $C$  is the outside diameter of a concrete annulus

if  $a_b \leq 2c$   $C = a_b + d_b = 262 \text{ mm}$   
 coaxial with and surrounding a bar

$k_1 = 1.25$   $A_b = 201.0619298 \text{ mm}^2$

$k_2 = 2.2$   $a_b = 246 \text{ mm}$  (dist between bars)

factor = 40074.8041

$L_{syt} = k_1 \times k_2 \times f_{sy} \times A_b / C \times \sqrt{f'_c} = \text{factor} / C$   
 $= 274.485 \text{ mm}$

take  $f_s / F_{sy} = M^* / \Phi \mu = 0.744285263$

therefore  $L_{sy} = 204 \text{ mm} \geq 25k1db$  500  
 $say = 500 \text{ mm}$

For Bottom Steel:

Cover,  $c = 65 \text{ mm}$   $d_b = 20 \text{ mm}$

# of lines of bars = 1

If  $a_b > 2c$   $C = 2c + d_b = 150 \text{ mm}$

if  $a_b < 2c$   $C = a_b + d_b = 574 \text{ mm}$

$k_1 = 1$   $A_b = 314.1592654 \text{ mm}^2$

$k_2 = 2.2$   $a_b = 554 \text{ mm}$  (dist between bars)

factor = 50093.50513

$L_{syt} = 333.9567 \text{ mm}$  take  $f_s / F_{sy} = M^* / \Phi \mu = 0.368389511$

therefore  $L_{sy} = 123 \text{ mm} \geq 25k1db$  400  
 $say = 400 \text{ mm}$



### 11 SERVICEABILITY CHECK

From an Elastic Linear Analysis :

Mr	=	310.00 kNm	Es	=	200000 MPa
MI	=	140.00 kNm	Ec	=	28599.62293 MPa
Mo	=	387 kNm			
Ms	=	162.00 kNm			
Ig	=	1.81E+10 mm <sup>4</sup>			

Calculate Icr, Mcr, and Ief at midspan :

Eff. Flange width	b <sub>eff</sub> =	1320 mm	A <sub>sc</sub> =	603.1857895 mm <sup>2</sup>
webwidth	b <sub>w</sub> =	400 mm	A <sub>st</sub> =	1884.955592 mm <sup>2</sup>
Flange thickness	t <sub>ff</sub> =	250 mm	d <sub>sc</sub> =	107 mm
			d <sub>st</sub> =	643 mm
			d =	643 mm
			D =	750 mm

$$n = E_s/E_c = 6.99309919$$

$$1/2 \times b_w \times d_n^2 + (b_{eff} - b_w) \times t \times (d_n - t/2) + (n-1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$$

$$200 d_n^2 + 246796.634 d_n - 37612621.05 = 0$$

$$d_n = 137.158083 \text{ mm}$$

$$d = 643 \text{ mm}$$

$$I_{cr} = b d_n^3/3 + 1/12 (b_{eff} - b_w) t^3 + (b_{eff} - b_w) t (d_n - t/2)^2 + n x A_{st} (d - d_n)^2$$

$$= 4.95E+09 \text{ mm}^4$$

$$M_{cr} = 0.6 \sqrt{f'_c} \times b D^2/6 = 127.279221 \text{ kNm}$$

$I_m = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_s)^3]$ $= 1.13E+10 \text{ mm}^4$
--

Calculate Icr, Mcr, Ilef and Iref at end supports:

b <sub>w</sub> =	400 mm	A <sub>st</sub> =	1884.955592 mm <sup>2</sup>
d <sub>sc</sub> =	85 mm	A <sub>sc</sub> =	603.1857895 mm <sup>2</sup>
d =	643 mm		
Ig =	1.81E+10 mm <sup>4</sup>		

At right end (arbitrary)

$$1/2 \times b d_n^2 + (n-1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$$

$$200 d_n^2 + 16796.6337 d_n - 8783092.1 = 0$$

$$d_n = 171.73 \text{ mm}$$

$$d = 643 \text{ mm}$$

$$I_{cr} = b d_n^3/3 + n \times A_{sc} (d - d_n)^2 = 3.60E+09 \text{ mm}^4$$

$$M_{cr} = 0.6 \sqrt{f'_c} \times b D^2/6 = 56.5685425 \text{ kNm}$$

$$I_{ref} = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_r)^3] = 3.69E+09 \text{ mm}^4$$

At left end (arbitrary)

b <sub>w</sub> =	400 mm
d <sub>sc</sub> =	85 mm
A <sub>st</sub> =	1884.9556 mm <sup>2</sup>
A <sub>sc</sub> =	603.18579 mm <sup>2</sup>
d =	643 mm

$$1/2 \times b d_n^2 + (n-1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$$

$$200 d_n^2 + 16796.6337 d_n - 8783092.1 = 0$$

$$d_n = 171.7343 \text{ mm}$$

$$d = 643 \text{ mm}$$

$$I_{cr} = b d_n^3/3 + n \times A_{sc} (d - d_n)^2 = 3.60E+09 \text{ mm}^4$$

$$M_{cr} = 0.6 \sqrt{f'_c} \times b D^2/6 = 56.5685425 \text{ kNm}$$

$$I_{lef} = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_l)^3] = 4.56E+09 \text{ mm}^4$$

$I_{av} = [I_m + (I_l + I_r)/2]/2$ $= 7.72E+09 \text{ mm}^4$
--

Midspan Deflection :

$$L_{ef} = 4600 \text{ mm}$$

$$Defl_{n,s} = L_{ef}^2/E_c \times I_{av} [5/48 \cdot M_o - 1/16 ML - 1/16 Mr]$$

$= 1.16837561 \text{ mm}$
---------------------------

**Total Deflection :**

Long term factor	=	0.2		
Short term factor	=	0.5		
w - long term	=	30.95 kN/m		
w - short term	=	31.025 kN/m		
Defln,s,sus	=	1.165551177 mm		
At midspan :			Ast =	1884.95559 mm <sup>2</sup>
			Asc =	603.185789 mm <sup>2</sup>
	Asc/Ast =	0.32		
	kcs =	2 - (1.2 x Asc/Ast)		>= 0.8
	=	1.616		

therefore

Total Defln	=	Dfln,s + ( kcs x Defln,s,sus )
	=	2.74672 mm

FROM A MORE ACCURATE ANALYSIS Warner,Rangan,Hall HAVE SHOWN THAT THIS CAN BE REDUCED BY UP TO 10%.

ALLOWABLE DEFLN	=	Lef / 250 =	18.4 mm
			> 0.9 x Total Defln
		Lef / 500 =	9.2 mm
			> 0.9 x Total Defln

Ground Floor Slab Design
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## REFERENCE:

Concrete Structures - 3rd Edition  
R. F. Warner, B. V. Rangan, & A. S. Hall  
Australian Standard (AS) 3600 - 2009

## Code of Practice:

DESIGN AS A TWO WAY SLAB
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## Design parameters

$f'_c$	=	32 MPa	Short term live load factor, $y_s$	=	1.00	Table 9.2
$c$	=	30 mm	Long term live load factor, $y_l$	=	0.80	Table 9.2
$f_{sy}$	=	410 MPa	$K_1$	=	1.70	Cl 16.1
$L_x$	=	5000 mm				
$L_y$	=	5000 mm				
$E_c$	=	24E+3 MPa				
$\rho_c$	=	2400 kg/m <sup>3</sup>				

## Design Loading

Dead load		
Slab thickness	=	300 mm
Self weight, wt	=	7.20 kN/m <sup>2</sup>
Ceiling & Services	=	1.80 kN/m <sup>2</sup>
Super	=	0.00 kN/m <sup>2</sup>
	Total =	<u>9.00</u>
Total DL		<u>9.00 kN/m<sup>2</sup></u>
Live load	=	<u>4.00 kN/m<sup>2</sup></u>
Service Load	=	<u>58 kN/m<sup>2</sup></u>

## HENCE

$$\frac{L_x}{D_s} \leq 105 \left[ \frac{(L_x/L_y)^2}{w_k} \right]^{0.33}$$

$$= \frac{5000}{D_s} \leq 22.76294 \quad D_s = 219.655 \text{ mm}$$

Is these a domestic building?

2

Enter 1 = yes

2 = no

No it is not a domestic building

-

-

Hence minimum thickness = 219.6553 mm
Take $D_s$ = 250 mm



**Design moments and shears:**

Design load,  $F_d = 1.4G + 1.7Q$   
 $= 19.40 \text{ kN/m}^2$

**Load combination**

DL = 1.40  
 LL = 1.70

**Design moment :**

Ly/Lx = 1.00				Design moments in central regions					
				Short span direction			Long span direction		
				Midspan	Cont. edge	Discont. edge	Midspan	Cont. edge	Discont. edge
Panel	Ly/Lx	$\beta_x$	$\beta_y$	$M_x^*$ kNm/m	$1.33M_x^*$ kNm/m	$0.5M_x^*$ kNm/m	$M_y^*$ kNm/m	$1.33M_y^*$ kNm/m	$0.5M_y^*$ kNm/m
A	1.00	0.0350	0.0350	16.98	22.58	8.49	16.98	22.58	8.49
B	1.00	0.0350	0.0350	16.98	22.58	8.49	16.98	22.58	8.49
C	1.00	0.0350	0.0350	16.98	22.58	8.49	16.98	22.58	8.49
D	1.00	0.0350	0.0350	16.98	22.58	8.49	16.98	22.58	8.49
E	1.00	0.0280	0.0280	13.58	18.06	6.79	13.58	18.06	6.79
F	1.00	0.0280	0.0280	13.58	18.06	6.79	13.58	18.06	6.79
G	1.00	0.0280	0.0280	13.58	18.06	6.79	13.58	18.06	6.79
H	1.00	0.0280	0.0280	13.58	18.06	6.79	13.58	18.06	6.79
I	1.00	0.0280	0.0280	13.58	18.06	6.79	13.58	18.06	6.79
J	1.00	0.0280	0.0280	13.58	18.06	6.79	13.58	18.06	6.79
K	1.00	0.0240	0.0240	11.64	15.48	5.82	11.64	15.48	5.82
L	1.00	0.0240	0.0240	11.64	15.48	5.82	11.64	15.48	5.82

Maximum design unit shear force in the slab = 48.5 kN/m

**Check Flexral steel:**

**Design parameters**

$\gamma$ , g = 0.85       $p_{min} = 0.001951$       Reinf. Y 16  
 short span d = 212 mm      f = 0.8  
 Long span d = 196 mm

**Short span**

$f b d^2 F_{sy} p = -14.7E+9$   
 $f b d^2 F_{sy} p (-0.6pF_{sy} / F'c) = 113.3E+9$   
 Min.  $A_s = 0.8/f_{sy} * b * d$   
 $= 413.6585 \text{ mm}^2/m$

**Long span**

$f b d^2 F_{sy} p = -12.6E+9$   
 $f b d^2 F_{sy} p (-0.6pF_{sy} / F'c) = 12.9E+9$   
 Min.  $A_s = 0.8/f_{sy} * b * d$   
 $= 382.439 \text{ mm}^2/m$

$f M_u > M^*$        $M_u = f b d^2 F_{sy} p (1 - 0.6pF_{sy}/F'c)$

**Midspan**

Direction	$M_u$ kN/m	p	$A_{st}$ $\text{mm}^2/m$	Reinf. y	$A_s$ $\text{mm}^2/m$	Spacing mm	say mm
Short	17.0E+6	0.0012	413.66	16	200.96	485.811	300

**Continious edge**

Direction	$M_u$ kN/m	p	$A_{st}$ $\text{mm}^2/m$	Reinf. y	$A_s$ $\text{mm}^2/m$	Spacing mm	say mm
Short	22.6E+6	0.0015	413.66	16	200.96	485.811	300

**Discontinious edge**

Direction	$M_u$ kN/m	p	$A_{st}$ $\text{mm}^2/m$	Reinf. y	$A_s$ $\text{mm}^2/m$	Spacing mm	say mm
Short	8.5E+6	0.0006	413.66	16	200.96	485.811	300

Midspan

Direction of span	Mu kN/m	p	Ast mm <sup>2</sup> /m	Reinf. y	As mm <sup>2</sup> /m	Spacing mm	say mm
Long	17.0E+6	0.0013	413.66	16	200.96	485.811	300

Continuous edge

Direction of span	Mu kN/m	p	Ast mm <sup>2</sup> /m	Reinf. y	As mm <sup>2</sup> /m	Spacing mm	say mm
Long	22.6E+6	0.0018	413.66	16	200.96	485.811	300

Discontinuous edge

Direction of span	Mu kN/m	p	Ast mm <sup>2</sup> /m	Reinf. y	As mm <sup>2</sup> /m	Spacing mm	say mm
Long	8.5E+6	0.0007	413.66	16	200.96	485.811	300

Shrinkage and Temperature:

$p_{min} = 0.0018$       Table 16.1  
 $A_s = p_{min} b D_s$       reinf. y      16  
 $= 381.600 \text{ mm}^2/\text{m}$        $A_s = 200.96 \text{ mm}^2$   
 spacing = 526.625 mm  
 say      200 mm

USE	Y	16	at	200	CTS
-----	---	----	----	-----	-----

Check for Shear:

$b_1 = 1.4 - d/2000$        $f = 0.7$   
 $= 1.294$        $d = 212 \text{ mm}$   
 $p = 0.001951$   
 $V_{uc} = b b d (p \times F'_c)^{1/3}$   
 $= 108.932 \text{ kN/m}$   
 $f V_{uc} = 76.253 \text{ kN/m} > \text{Ok}$

Hence shear failure is not critical
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**Reinforced Masonry Block Wall Design**

REFERENCE: Concrete Structures - 3rd Edition  
R. F. Warner, B. V. Rangan, & A. S. Hall

AS 3600 - 2009

Step	Calculation & Description	Result	Unit
1	<b>Data</b>		
	N*.max =	515	kN
	M*.max =	1200	kNm
	V*.max =	515	kN
	f'c =	15	MPa
	fsy =	410	MPa
	esy =	0.002	
	Lw = ... overall length of wall ...	5000	mm
	Hw = ... unsupported height of wall ...	7000	mm
	tw = ... wall thickness ...	200	mm
	Hwe = 0.8 Hw, effective wall height	5600	mm
	Check: Hwe/tw = 28 <	30	OK
2	<b>Check maximum shear strength</b>		
	dw = 0.8Hw	5600	
	$\theta = \tan^{-1}(dw/Hw)$	0.674741	radians
	$\theta = 30^\circ \leq \theta \leq 60^\circ$	38.7	degrees
	$k_3 = (0.6 + 10/f'c) \leq 0.85$	1.267	
	$k_3 f'c =$	19	MPa
	$V_u \text{ max} = k_3 f'c t w d w \sin \theta \cos \theta / (1.14 + 0.68 \cot^2 \theta)$	4713	kN
	$\phi V_u \text{ max} =$	3299	kN
	$\phi V_u \text{ max} > V^*$		OK
3	<b>Vertical steel in the wall</b>		
	Gross concrete area of the wall cross-section		
	Ag =	1120000	mm <sup>2</sup>
	N*/Ag =	0.46	MPa
	In design, substituting for Vu from $\phi V_u \geq V^*$ , we obtain;		
	$\phi f_{sy} \geq V^* \cot \theta / \phi t w d w - N^*/A_g$	$\phi = 0.7$	
	$\geq$	0.36	MPa
	$A_l \geq (\phi f_{sy} / f_{sy})(t w L_w)$	881.1909	mm <sup>2</sup>
	AsV = Al	882	mm <sup>2</sup>
	Using Y12 bars area/bar = 110 mm <sup>2</sup>		
	Now, minimum area vertical reinforcement, Ast.min = 0.0015 twLw =	2500	mm <sup>2</sup>
	<b>Minimum Reinforcement Requirement Governs</b>		
	# of bars = 22.72727	23	bars
	23 bars at each wall face and the average spacing is at;		
	Spacing of bars = (Lw-2b)/(# bars @ each wall face)	400	mm CTS
	minimum bar spacing = 2.5tw or 500 mm whichever is less =	500	mm CTS
	Use Y12 bars at 400 mm CTS at each wall face.		
	# of bars =	23	bars
	AsV (provided) =	2530	mm <sup>2</sup>
	Therefore;		
	$p_l = [(\# \text{ of bars} \times \text{bar dia}) + (4A_{st}/\text{bar dia of beam})] / (t w)$	0.003	
	It is necessary to ensure that pl is not less than 0.0025 for crack control purposes.		
	In this case;		
	pl = 0.0030 >	0.0025	OK
4	<b>Horizontal steel in the wall</b>		
	For adequate control of cracking due to restrained shrinkage and temperature effects, the minimum value of horizontal steel ratio pt is taken as;		
	pt =	0.0012	
	Ast.min = 0.0015 twHw	1680	mm <sup>2</sup>
	For Y12 bars, area/bar = 110 mm <sup>2</sup>		
	# of bars = 15.27273	16	bars
	16 bars at each wall face and the average spacing is at;		
	# of bars =	16	bars
	Spacing of bars = (Hw)/(# bars @ each wall face)	438	mm CTS
	Therefore, use Y16 bars 400 mm CTS at each wall face.		

5 Check flexural strength of wall

The flexural strength of the wall is calculated using an equivalent rectangular stress block for compression zone concrete, like columns subjected to axial compression and bending moment. Calculate rectangular stress block parameters.

$\alpha = 0.85 - 0.004(f'c - 55) = 0.65 < 1.01$   
 $\gamma = 0.85 - 0.008(f'c - 30) = 0.97$   
 Take  $\gamma = 0.97$   
 $N_u = N^*/\phi = 858 \text{ kN}$

Trial depth of neutral axis,  $d_n = 534 \text{ mm}$   
 Compressive force in concrete,  $C_c = 0.85\gamma f'c b d_r$  (include boundary element) = 1321 kN  
 $d_c = \gamma d_n / 2 = 259 \text{ mm}$

(0.003/dn) (dn - dsi)

Row #	# of bars	Asi (mm <sup>2</sup> )	bar cts (mm)	dsi (mm)	esi	δsi (MPa)	Fsi (kN)	Fsidsi (kNm)	M = Fsi(dq-dsi) (kNm)
1	1	110	100	100	0.0024	410	45	4510	108240
2	1	110	200	300	0.0013	263	29	8676.404	63627
3	1	110	400	700	-0.0009	-373	-41	-28723.6	-73861
4	1	110	400	1100	-0.0032	-410	-45	-49610	-63140
5	1	110	400	1500	-0.0054	-410	-45	-67650	-45100
6	1	110	400	1900	-0.0077	-410	-45	-85690	-27060
7	1	110	400	2300	-0.0099	-410	-45	-103730	-9020
8	1	110	400	2700	-0.0122	-410	-45	-121770	9020
9	1	110	400	3100	-0.0144	-410	-45	-139810	27060
10	1	110	400	3500	-0.0167	-410	-45	-157850	45100
11	1	110	400	3900	-0.0189	-410	-45	-175890	63140
12	1	110	400	4300	-0.0212	-410	-45	-193930	81180
13	1	110	400	4700	-0.0234	-410	-45	-211970	99220
14	1	110	200	4900	-0.0245	-410	-45	-220990	108240
Σ	14	1540	100	5000			-463	-1544427	386646

4 Axial Strength of the wall;

$N_u = \sum F_{si} + C_c = \text{[redacted]} \text{ kN}$   
 $d_n = 1/N_u (C_c d_c + \sum F_{si} d_{si}) = -1401.76 \text{ mm}$   
 $d_q = 0.5D$  ... plastic centroid ... = 2,500 mm  
 $e = d_q - d_n$  ... eccentricity ... = 3,902 mm

Summing up moments of forces about the plastic centroid gives;

$M_u = 3,347 \text{ kNm}$   
 $\phi M_u = 2,008 \text{ kNm}$   
 $e = M_u / N_u = 3,902 \text{ mm}$   
 Therefore,  $N_u = 858 \text{ kN}$

$\phi M_u = 2,008 \text{ kNm} > M^* = 1200 \text{ kNm}$

Therefore, the flexural strength of the wall cross section is adequate to carry the design bending moment

**Reinforced Masonry Block Wall Design**

REFERENCE: **Concrete Structures - 3rd Edition**  
**R. F. Warner, B. V. Rangan, & A. S. Hall**

**AS 3600 - 2009**

Step	Calculation & Description	Result	Unit
1	<b>Data</b>		
	N*.max =	650	kN
	M*.max =	2130	kNm
	V*.max =	650	kN
	f'c =	15	MPa
	fsy =	410	MPa
	esy =	0.002	
	Lw = ... overall length of wall ...	5000	mm
	Hw = ... unsupported height of wall ...	7000	mm
	tw = ... wall thickness ...	200	mm
	Hwe = 0.8 Hw, effective wall height	5600	mm
	Check: Hwe/tw = 28 <	30	OK
2	<b>Check maximum shear strength</b>		
	dw = 0.8Hw	5600	
	$\theta = \tan^{-1}(dw/Hw)$	0.674741	radians
	$\theta = 30^\circ \leq \theta \leq 60^\circ$	38.7	degrees
	$k_3 = (0.6 + 10/f'c) \leq 0.85$	1.267	
	$k_3 f'c =$	19	MPa
	$V_u \text{ max} = k_3 f'c t w d w \sin \theta \cos \theta / (1.14 + 0.68 \cot^2 \theta)$	4713	kN
	$\phi V_u \text{ max} =$	3299	kN
	$\phi V_u \text{ max} > V^*$		OK
3	<b>Vertical steel in the wall</b>		
	Gross concrete area of the wall cross-section		
	Ag =	1120000	mm <sup>2</sup>
	N*/Ag =	0.58	MPa
	In design, substituting for Vu from $\phi V_u \geq V^*$ , we obtain;		
	$\phi f_s y \geq V^* \cot \theta / \phi t w d w - N^*/A_g$	$\phi = 0.7$	
	$\geq$	0.46	MPa
	Al $\geq (\phi f_s y / f_s y)(t w L_w)$	1113	mm <sup>2</sup>
	AsV = Al	1113	mm <sup>2</sup>
	Using Y16 bars area/bar = 200 mm <sup>2</sup>		
	Now, minimum area vertical reinforcement, Ast.min = 0.0015 twLw =	2500	mm <sup>2</sup>
	<b>Minimum Reinforcement Requirement Governs</b>		
	# of bars = 12.5	13	bars
	13 bars at each wall face and the average spacing is at;		
	Spacing of bars = (Lw-2b)/(# bars @ each wall face)	400	mm CTS
	minimum bar spacing = 2.5tw or 500 mm whichever is less =	500	mm CTS
	Use Y12 bars at 400 mm CTS at each wall face.		
	# of bars = 2(1 + (Lw - 2b - Ast/bar)/spacing)	12.5	bars
	AsV (provided) =	2500	mm <sup>2</sup>
	Therefore;		
	pl = [(# of bars x bar dia) + (4Ast/bar dia of beam)]/(t)	0.003	
	It is necessary to ensure that pl is not less than 0.0025 for crack control purposes.		
	In this case;		
	pl = 0.0033 > 0.0025		OK
4	<b>Horizontal steel in the wall</b>		
	For adequate control of cracking due to restrained shrinkage and temperature effects, the minimum value of horizontal steel ratio pt is taken as;		
	pt =	0.0012	
	Ast.min = 0.0015 twHw	1680	mm <sup>2</sup>
	For Y12 bars, area/bar = 110 mm <sup>2</sup>		
	# of bars = 15.27273	16	bars
	16 bars at each wall face and the average spacing is at;		
	# of bars =	16	bars
	Spacing of bars = (Hw)/(# bars @ each wall face)	438	mm CTS
	Therefore, use Y16 bars 400 mm CTS at each wall face.		

5 Check flexural strength of wall

The flexural strength of the wall is calculated using an equivalent rectangular stress block for compression zone concrete, like columns subjected to axial compression and bending moment. Calculate rectangular stress block parameters.

$\alpha = 0.85 - 0.004(f'c - 55) = 1.01$   
 $\gamma = 0.85 - 0.008(f'c - 30) = 0.65 < 0.97$   
 Take  $\gamma = 0.97$   
 $N_u = N^* / \phi = 1083 \text{ kN}$  ( $\phi = 0.6$ )  
 Trial depth of neutral axis,  $d_n = 747 \text{ mm}$   
 Compressive force in concrete,  $C_c = 0.85\gamma f'c b d_r$  (include boundary element) = 1848 kN  
 $d_c = \gamma d_n / 2 = 362 \text{ mm}$

(0.003/dn) (dn - dsi)

Row #	# of bars	Asi (mm <sup>2</sup> )	bar cts (mm)	dsi (mm)	esi	$\delta$ si (MPa)	Fsi (kN)	Fsidsi (kNmm)	M = Fsi(dq-dsi) (kNmm)
1	1	200	100	100	0.0026	410	82	8200	196800
2	1	200	200	300	0.0018	359	72	21542.17	157976
3	1	200	400	700	0.0002	76	15	10570.28	27181
4	1	200	400	1100	-0.0014	-567	-113	-124755	-158779
5	1	200	400	1500	-0.0030	-410	-82	-123000	-82000
6	1	200	400	1900	-0.0046	-410	-82	-155800	-49200
7	1	200	400	2300	-0.0062	-410	-82	-188600	-16400
8	1	200	400	2700	-0.0078	-410	-82	-221400	16400
9	1	200	400	3100	-0.0094	-410	-82	-254200	49200
10	1	200	400	3500	-0.0111	-410	-82	-287000	82000
11	1	200	400	3900	-0.0127	-410	-82	-319800	114800
12	1	200	400	4300	-0.0143	-410	-82	-352600	147600
13	1	200	400	4700	-0.0159	-410	-82	-385400	180400
14	1	200	200	4900	-0.0167	-410	-82	-401800	196800
$\Sigma$	14	2800	100	5000			-765	-2774043	862778

4 Axial Strength of the wall;

$N_u = \Sigma F_{si} + C_c = \text{[redacted]} \text{ kN}$   
 $d_N = 1/N_u (C_c d_c + \Sigma F_{si} d_{si}) = -1942.98 \text{ mm}$   
 $d_q = 0.5D$  ... plastic centroid ... = 2,500 mm  
 $e = d_q - d_N$  ... eccentricity ... = 4,443 mm

Summing up moments of forces about the plastic centroid gives;

$M_u = 4,813 \text{ kNm}$   
 $\phi M_u = 2,888 \text{ kNm}$   
 $e = M_u / N_u = 4,443 \text{ mm}$   
 Therefore,  $N_u = 1,083 \text{ kN}$

$\phi M_u = 2,888 \text{ kNm} > M^* = 2130 \text{ kNm}$

Therefore, the flexural strength of the wall cross-section is adequate to carry the design bending moment

**RC COLUMN DESIGN WITH MRCSECT PACKAGE**

INTERACTION DIAGRAM FOR RECTANGULAR COLUMN SECTION  
(NON-PRESTRESSED REINFORCEMENT ONLY)

**INPUT**

450 x 450 RC COLUMN DESIGN

Using RECTANGULAR STRESS BLOCK

Width (mm).....= 450  
 Depth (mm).....= 450  
 No of lines of reinforcement.= 3  
 Concrete strength (MPa).....= 32  
 Yield stress of steel (MPa)..= 410

**STEEL DETAILS**

Line no	Depth to steel	Bar diameter	No of bars
1	87	24	3
2	225	24	2
3	363	24	3

**OUTPUT**

Depth to Plastic Centroid (Ref Axis for Moment) = 202.701

**UNFACTORED ENVELOPE**

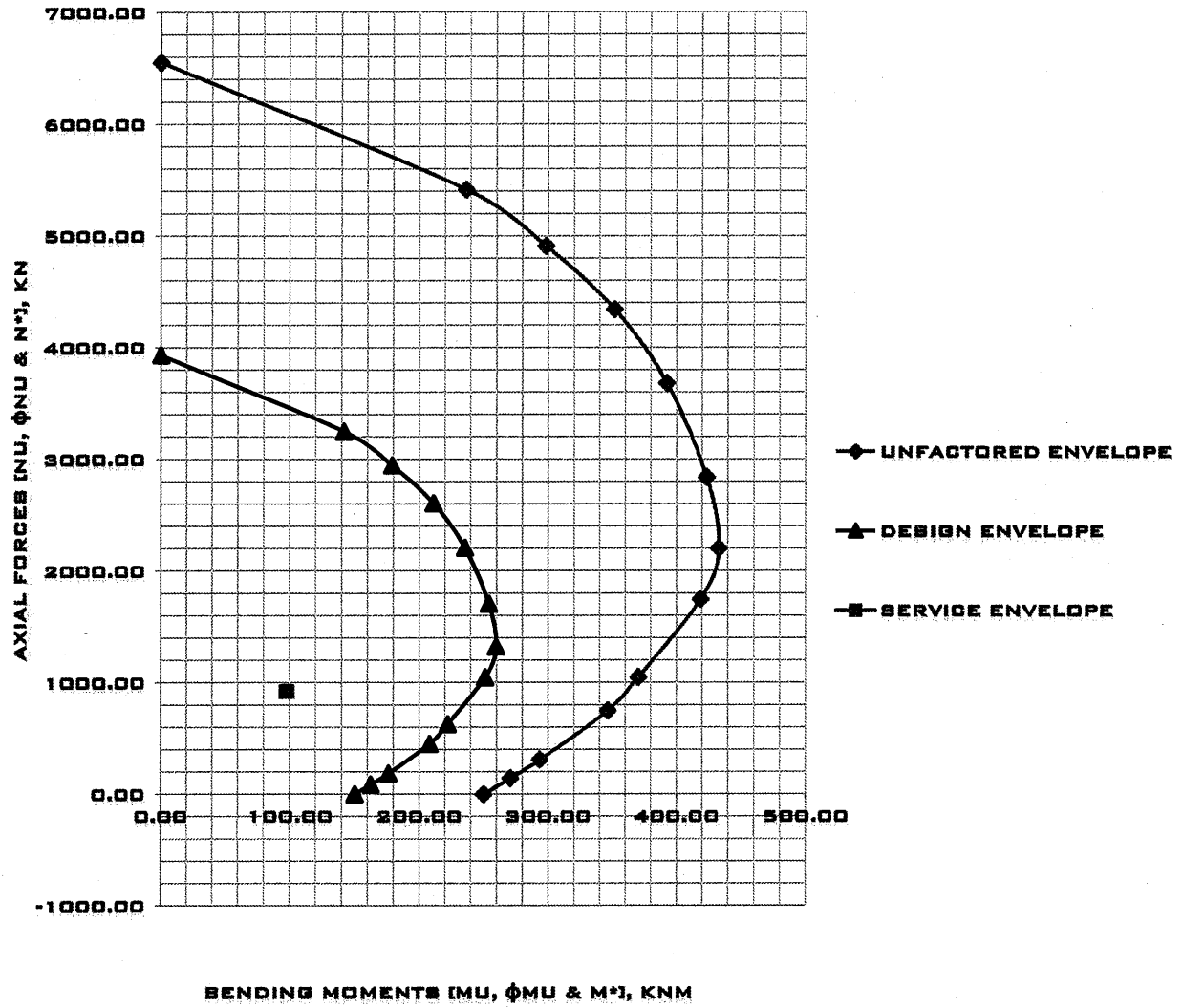
Eccentricity (mm)	Force (kNm)	Moment (kNm)	Top Strain	Bottom Strain	N.A.factor ku
0.00	6554.05	0.00	0.00300	0.00300	1000.000
43.66	5414.44	236.39	0.00300	0.00000	1.000
60.73	4910.01	298.18	0.00300	-0.00030	0.909
81.01	4341.27	351.69	0.00300	-0.00070	0.811
106.62	3680.29	392.38	0.00300	-0.00130	0.865
149.07	2840.07	423.37	0.00300	-0.00220	0.715
196.51	2202.26	432.76	0.00300	-0.00300	0.620
239.83	1745.94	418.72	0.00300	-0.00390	0.566
352.91	1049.30	370.31	0.00300	-0.00580	0.480
462.68	748.85	346.48	0.00300	-0.00680	0.444
950.90	308.80	293.64	0.00300	-0.00930	0.357
1881.86	143.90	270.80	0.00300	-0.01053	0.324
-0.87	250.14	0.00300	-0.01173	0.298	

**DESIGN ENVELOPE**

PHI	FORCE(kN)	MOMENT(kNm)
.6	3932.43	0
.6	3248.666	141.8356
.6	2946.009	178.9065
.6	2604.762	211.

UNFACTORED ENVELOPE		NEUTRAL AXIS FACTOR		DESIGN ENVELOPE		SERVICE ENVELOPE	
Mu (kNm)	Nu (kN)	ku	phi (φ)	φMu (kNm)	φNu (kN)	M* (kNm)	N* (kN)
0.00	6554.05	1000.000	0.60000	0.00	3932.43	98.00	922.20
236.39	5415.44	1.000	0.60000	141.83	3249.26		
298.18	4910.01	0.909	0.60000	178.91	2946.01		
351.69	4341.27	0.811	0.60000	211.01	2604.76		
392.38	3680.29	0.865	0.60000	235.43	2208.17		
423.37	2840.07	0.715	0.60000	254.02	1704.04		
432.76	2202.26	0.620	0.60000	259.66	1321.36		
418.72	1745.94	0.566	0.60000	251.23	1047.56		
370.31	1049.30	0.480	0.60000	222.19	629.58		
346.48	748.85	0.444	0.60000	207.89	449.31		
293.64	308.80	0.357	0.60000	176.18	185.28		
270.80	143.90	0.324	0.60000	162.48	86.34		
250.14	-0.87	0.293	0.60000	150.08	-0.52		

# MU-NU STRENGTH INTERACTION DIAGRAM



450 x 450 RC Column is OK.



**BASE SLAB DESIGN AS A CONTINUOUS RC BEAM**

REFERENCE: Concrete Structures - 3rd Edition AS 3600 - 2009  
 R. F. Warner, B. V. Rangan, & A. S. Hall

**Design of a Continuous Beam :**

**1 Loads**

DL	:	Wdl =	33.60 kN/m	(plus super)
Self wt	:	Wsw =	25.00 kN/m	
Blockwall	:	Wb =	0.00 kN/m	
TOTAL	:	=	58.60 kN/m	
LL	:	Wll =	0.25 kN/m	
LL factor	:	- long term	0.4	
		- short term	0.7	

**2 Beam Section Properties**

<b>Beam Size</b>	bw =	5000 mm	D =	200 mm
	tff =	0 mm	Cover =	30 mm
	Actual length, L =	1400 mm	Overall depth of sect. D =	200 mm
	Effective Length, L <sub>ef</sub> =	1000 mm	Area, A =	1.00E+06 mm <sup>2</sup>
	Neutral Axis, y <sub>c</sub> =	100.00 mm	Moment of Inertia, I <sub>x-x</sub> =	3.33E+09 mm <sup>4</sup>
	Neutral Axis, x <sub>c</sub> =	2600.00 mm	Moment of Inertia, I <sub>y-y</sub> =	2.08E+12 mm <sup>4</sup>
	Effective width, b <sub>eff</sub> =	5200.00 mm	Gross Area, A <sub>g</sub> =	1.00E+06 mm <sup>2</sup>

**3 Design Parameters**

F' <sub>c</sub> =	40 MPa	F <sub>sy</sub> =	410 MPa
m =	2400 kg/m <sup>3</sup>	D =	200 mm
Ec =	31975.35051 MPa	Es =	200000 MPa
Gamma =	0.766		

**4 Initial Choice of Section**

Effective width =	5200 mm	clause 8.8.2
Is the section RECT or T, L (ans : 1 or 2) =		1
k <sub>1</sub> =	0.045	(RECT sections) 1
	0.04346021	(T and L sections) 2
what type of span? =	5	interior span = 5
		end span = 6
k <sub>2</sub> =	0.0026042	
k <sub>cs</sub> =	1.64	(because there will be comp steel at midspan=say .5A <sub>st</sub> )
F <sub>def</sub> =	96.443	
defln/L <sub>ef</sub> =	0.004	k <sub>1</sub> /k <sub>2</sub> = 17.27977882
d =	20 mm	
take d =	154 mm	Distance from d to extreme fibre of beam (do) = 46 mm

**5 Forces from an Elastic Analysis by Space Gass**

M <sub>max</sub> -ve =	60.30 kNm	(left support)
M <sub>max</sub> +ve =	60.30 kNm	(mid-span)
M -ve =	60.30 kNm	(right support)
V <sub>max</sub> =	127.50 kN	
V (other end) =	127.50 kN	
N* =	0.00 kN	Axial Load

**6 FLECTURAL STRENGTH STEEL**

Determine -ve steel required: (At arbitrary left support)  
 Number of reinforcement layers 1 or 2 : 1  
 take do = 46 mm d = 154

Estimate Area of main steel	A <sub>st</sub> =	1248.392927 mm <sup>2</sup>	
6 Y 16	A <sub>st</sub> =	1206.371579 mm <sup>2</sup>	<b>SPACING = 823</b>
	p =	0.001566716	
2 Y 16	A <sub>sc</sub> =	402.1238597 mm <sup>2</sup>	
	p <sub>c</sub> =	0.000522239	< pd = 0.025409
	p-p <sub>c</sub> =	0.001044478	pd = 0.025409 < 0.85 F' <sub>c</sub> /f <sub>sy</sub>

**Check M\* <= phi Mu**

ku = 0.016442781 dsc = 38 mm

phi Mu = phi [ F<sub>sy</sub> x A<sub>sc</sub> (d - d<sub>sc</sub>) + 0.85 x F'<sub>c</sub> x b x Gamma x ku x d x (d - 0.5 x 0.85 x ku x d) ]

= 63 kNm > M\* = 60.30 kNm OK

Determine -ve steel at right support:

M -ve = 60.30 kNm

Number of reinforcement layers 1 or 2 :

take do = 46 mm dst = 154 mm

Estimate Area of main steel Ast = 1248.392927 mm<sup>2</sup>

6 Y 16 Ast = 1206.371579 mm<sup>2</sup>

p = 0.001566716

2 Y 16 Asc = 402.1238597 mm<sup>2</sup>

pc = 0.000522239 < pd = 0.025409

p-pc = 0.001044478

Check M\* <= phiMu

ku = 0.016442781 dsc = 38 mm

phi Mu = phi [ Fsy x Asc (d - dsc) + 0.85 x F'c x b x Gamma x ku x d x (d - 0.5 x 0.85 x ku x d) ]

= 63 kNm > M\* = 60.30 kNm OK

FOR DUCTILITY CHECK AT BOTH SUPPORTS USE EMPHI

Tensile Steel at Midspan:

M\* = 60.3 kNm

Steel in one layer then code = 1

take dist between centroid of bar/s and soffit =

46 mm

" " two " " code = 2

d = 154 mm

what is the code? 1

Ast = M\*/(Phi x 0.85 x d x Fsy) = 1248.392927 mm<sup>2</sup>

Bottom 6 Y 16 Ast = 1206.371579 mm<sup>2</sup>

Ast = 1206.371579 mm<sup>2</sup>

Top 2 Y 16 Asc = 402.1238597 mm<sup>2</sup>

Asc = 402.1238597 mm<sup>2</sup>

Assume N - A in flange

Effective width : beff = 5200 mm

ku = 1/(0.85 x 0.85) x [Ast/(bw x d)] x (Fsy/F'c)

= 0.02371555

hence dn = 4 < flange thickness hence N-A is in flange

Phi Mu = 0.9 [Fsy x Ast x d (1 - 0.5 x 0.85 x ku)]

= 68 kNm > M\*+ve = 60.30 kNm OK

Summary of reinforcement requirement :

left support:	Ast =	6	Y 16
	Asc =	2	Y 16
Right support:	Ast =	6	Y 16
	Asc =	2	Y 16
midspan	Ast =	6	Y 16
	Asc =	2	Y 16

### 7 STEEL CURTAILMENT REQUIREMENT CHECK

The following requirements regarding curtailment are subject to stress development length requirements.

For -ve steel i) 1/4 Ast to continue over length of beam = 2 bars

ii) Remainder to be curtailed at 0.3Ln from face of support.

= 0.3 x le = 300 mm

For -ve steel i) 1/4 Ast to continue over length of beam = 2 bars

ii) Remainder to be curtailed at 0.3Ln from face of support.

= 0.3 x le = 300 mm

For +ve steel : i) 1/2 Ast must be carried into outer support = 2 bars

ii) 1/4 Ast into interior support = 2 bars

iii) Remainder curtailed at 0.1Ln from supports

= 0.1 x le = 100 mm

### 8 STRESS DEVELOPMENT

For Top Steel:

cover : c = 30 mm

$d_b = 16$  mm # of lines of bars = 2

$a_b = 2458$  mm distance between bars

If  $a_b > 2c$  C =  $2c + d_b = 76$  mm  
C is the outside diameter of a concrete annulus

if  $a_b < 2c$  C =  $a_b + d_b = 2474$  mm  
coaxial with and surrounding a bar

$k_1 = 1.25$   $A_b = 201.0619298$  mm<sup>2</sup>

$k_2 = 2.2$   $a_b = 2458$  mm (dist between bars)

factor = 35843.99446

$L_{sy} = k_1 \times k_2 \times f_{sy} \times A_b / C \times \sqrt{f'_c} = \text{factor} / C$

= 471.6315061 mm

take  $f_s / f_{sy} = M / \Phi \mu = 0.963331$

therefore  $L_{sy} = 454$  mm  $\geq 25k1db$  500

say = 650 mm

For Bottom Steel:

Cover, c = 30 mm  $d_b = 16$  mm

# of lines of bars = 2

If  $a_b > 2c$  C =  $2c + d_b = 76$  mm

if  $a_b < 2c$  C =  $a_b + d_b = 2558$  mm

$k_1 = 1$   $A_b = 201.0619298$  mm<sup>2</sup>

$k_2 = 2.2$   $a_b = 2542$  mm (dist between bars)

factor = 28675.19557

$L_{sy} = 377.3052049$  mm take  $f_s / f_{sy} = M / \Phi \mu = 0.887670676$

therefore  $L_{sy} = 335$  mm  $\geq 25k1db$  400

say = 500 mm

### 9 PUNCHING SHEAR CHECK

$V^* = 80.4$  kN

Dist to centreline of bottom steel from soffit

$d_q = 38$  mm

$d_{om} = 162$  mm

Area of slab:  $B = 1000$  mm

$\beta h = 1$  longer side/shorter side

$f_{cv} = 0.17(1+2/\beta h)\sqrt{f'_c} \leq 0.34\sqrt{f'_c}$

$f_{cv} = 13.60$  MPa

$\phi V_{uo} = 3,467$  kN  $> V^* = 80.4$  kN OK

Coloumn Dimension  $b = 400$  mm  $d = 400$  mm

Critical shear perimeter,  $\mu = 2(b+d_{om}) + 2(d+dom)$

$\mu = 2248$  mm  $D = 1000$  mm

### 10 SERVICEABILITY CHECK

From an Elastic Linear Analysis :

$M_r = 60.30$  kNm  $E_s = 200000$  MPa

$M_l = 60.30$  kNm  $E_c = 31975.35051$  MPa

$M_o = 120.6$  kNm

$M_s = 60.30$  kNm

$I_g = 3.33E+09$  mm<sup>4</sup>

Calculate  $I_{cr}$ ,  $M_{cr}$ , and  $I_{ef}$  at midspan :

Eff. Flange width  $b_{eff} = 5200$  mm  $A_{sc} = 402.1238597$  mm<sup>2</sup>

webwidth  $b_w = 5000$  mm  $A_{st} = 1206.371579$  mm<sup>2</sup>

Flange thickness  $t_{ff} = 0$  mm  $d_{sc} = 46$  mm

$d_{st} = 154$  mm

$d = 154$  mm

$D = 200$  mm

$n = E_s / E_c = 6.25481807$

$1/2 \times b_w \times d_n^2 + (b_{eff} - b_w) \times t \times (d_n - t/2) + (n-1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$

$2500 d_n^2 + 9658.72247 d_n - 1259229.786 = 0$

$d_n = 20.5943193$  mm

$d = 154$  mm

$I_{cr} = b d_n^3 / 3 + 1/12 (b_{eff} - b_w) \times t^3 + (b_{eff} - b_w) \times t \times (d_n - t/2)^2 + n A_{st} (d - d_n)^2$

=  $1.49E+08$  mm<sup>4</sup>

$M_{cr} = 0.6 \sqrt{f'_c} \times b D^2 / 6 = 126.4911064$  kNm

$I_m = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_s)^3]$

=  $2.95E+10$  mm<sup>4</sup>

Calculate  $I_{cr}$ ,  $M_{cr}$ ,  $I_{lef}$  and  $I_{ref}$  at end supports:

$$b_w = 5000 \text{ mm} \quad A_{st} = 1206.371579 \text{ mm}^2$$

$$d_{sc} = 38 \text{ mm} \quad A_{sc} = 402.1238597 \text{ mm}^2$$

$$d = 154 \text{ mm}$$

$$I_g = 3.33E+09 \text{ mm}^4$$

At right end (arbitrary)

$$1/2 \times b d n^2 S^2 + (n-1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$$

$$2500 d_n^2 + 9658.72247 d_n - 1242325.084 = 0$$

$$d_n = 20.44 \text{ mm}$$

$$d = 154 \text{ mm}$$

$$I_{cr} = b d n^3 / 3 + n \times A_{sc} (d - d_n)^2 = 1.49E+08 \text{ mm}^4$$

$$M_{cr} = 0.6 \sqrt{f'_c} \times b D^2 / 6 = 126.4911064 \text{ kNm}$$

$$I_{ref} = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_r)^2] = 2.95E+10 \text{ mm}^4$$

At left end (arbitrary)

$$b_w = 5000 \text{ mm}$$

$$d_{sc} = 38 \text{ mm}$$

$$A_{st} = 1206.371579 \text{ mm}^2$$

$$A_{sc} = 402.1238597 \text{ mm}^2$$

$$d = 154 \text{ mm}$$

$$1/2 \times b d n^2 S^2 + (n-1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$$

$$2500 d_n^2 + 9658.72247 d_n - 1242325.084 = 0$$

$$d_n = 20.4437258 \text{ mm}$$

$$d = 154 \text{ mm}$$

$$I_{cr} = b d n^3 / 3 + n \times A_{sc} (d - d_n)^2 = 1.49E+08 \text{ mm}^4$$

$$M_{cr} = 0.6 \sqrt{f'_c} \times b D^2 / 6 = 126.4911064 \text{ kNm}$$

$$I_{lef} = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_l)^2] = 2.95E+10 \text{ mm}^4$$

$$I_{av} = [I_m + (I_l + I_r) / 2] / 2 = 2.95E+10 \text{ mm}^4$$

Midspan Deflection :

$$L_{ef} = 1000 \text{ mm}$$

$$Defl_{n,s} = L_{ef}^2 / E_c \times I_{av} [5/48 \cdot M_o - 1/16 ML - 1/16 Mr]$$

$$= 0.00531936 \text{ mm}$$

Total Deflection :

$$\text{Long term factor} = 0.2$$

$$\text{Short term factor} = 0.5$$

$$w - \text{long term} = 58.65 \text{ kN/m}$$

$$w - \text{short term} = 58.725 \text{ kN/m}$$

$$Defl_{n,s,sus} = 0.005313 \text{ mm}$$

$$\text{At midspan :} \quad A_{st} = 1206.371579 \text{ mm}^2$$

$$A_{sc} = 402.1238597 \text{ mm}^2$$

$$A_{sc}/A_{st} = 0.333333$$

$$kcs = 2 - (1.2 \times A_{sc}/A_{st}) \geq 0.8$$

$$= 1.6$$

therefore

$$\text{Total Defln} = Dfl_{n,s} + (kcs \times Defl_{n,s,sus})$$

$$= 0.01382 \text{ mm}$$

FROM A MORE ACCURATE ANALYSIS Warner,Rangan,Hall HAVE SHOWN THAT THIS CAN BE REDUCED BY UP TO 10%.

$$\text{ALLOWABLE DEFLN} = L_{ef} / 500 = 2 \text{ mm}$$

$$> 0.9 \times \text{Total Defln}$$

THE SECTION IS ADEQUATE

**ISOLATED COLUMN FOOTING DESIGN**

REFERENCE: Concrete Structures - 3rd Edition  
R. F. Warner, B. V. Rangan, & A. S. Hall

Australian Standard (AS) 3600-2009

Calculations & Description

1 Data

DL	=	... DL from Column 1 ...		
LL	=	... LL from Column 1 ...		
P	=	DL + LL		
P*	=	1.4 DL + 1.7 LL		
qa	=		0.175	
f'c	=		3.85	
fsy	=	... reinforcement...	0.525	
col. Width A	=		4.55	
col. Width B	=			

Result	Unit
329.3	kN
271.3	kN
600.6	kN
922.23	kN
450	kPa
32	MPa
410	MPa
0.45	m
0.45	m

2 Footing Area, A

A	=	P*total/qa
Approximate the footing dimension as:		
B	=	short side
L	=	Long side

qult = P\*total/A

1.334666667	m <sup>2</sup>
1.8	m
1.8	m
3.24	m <sup>2</sup>
0.284638889	MPa

3 Determine the required effective depth by considering the beam shear on a critical section at distance d from the c2 mm face of the column.

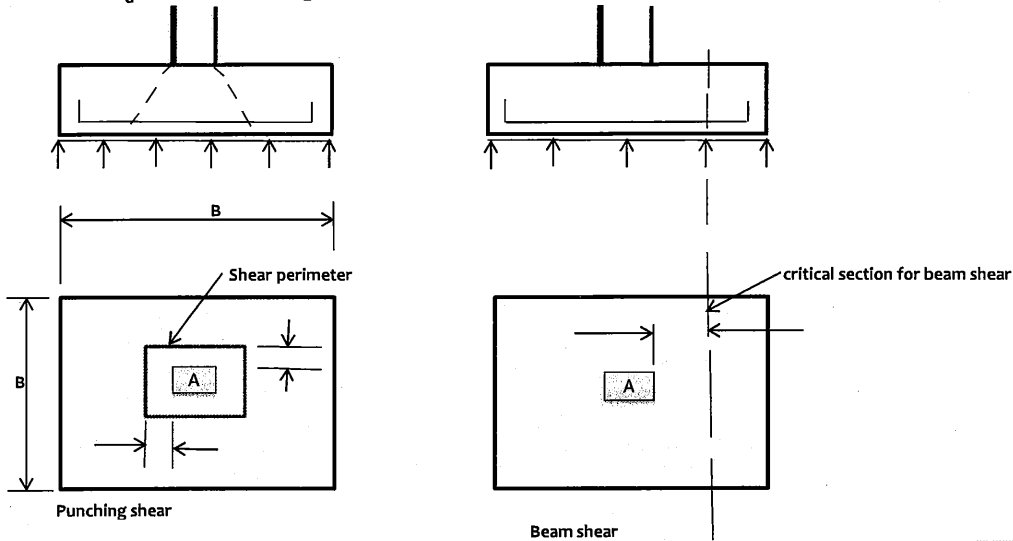
V\* = qult x B (C-Col.w/2-d)  
V\* = 345836.25 -d 512.35

The shear strength of the section depends on the amount of tensile steel used for bending. We assume a minimum quantity of:

pmin = 1.4/fsy  
Vuc = β<sub>1</sub>BD(Ast/BD x f'c)<sup>1/3</sup>  
Vuc = 946.5929 d

Equating V\* & φVuc  
662.615 d = 345836.25 -d 512.35  
1174.965 d = 345836.25

0.003414634	
	N
	N
294.3374834	mm



Cover	=		75	mm
Assume bar dia	=	20	20	mm
D	=	d + cover + bar dia/2	379.3374834	mm
Take D	=		370	mm
d	=	D-cover-bar dia/2	315	mm
d <sub>om</sub>	=	D-cover-bar dia	305	mm

4 Check Punching Shear

Critical shear perimeter is a rectangle of side,		450	+	305	755	mm
	and	450	+	305	755	mm
punching shear area	=				570025	mm <sup>2</sup>
μ	=	2(c1+d <sub>om</sub> ) + 2(c2+d <sub>om</sub> )			3020	mm
V*	=	P* - qult x punching shear area			759.9787174	kN
V*	=	qult(A-punching shear area)			759.9787174	kN
f <sub>cv</sub>	=	0.17(1+2/β <sub>h</sub> )√f'c	≤	0.34√f'c		
β <sub>h</sub>	=	Col. Length/col.width			1	
f <sub>cv</sub>	=				0.34 f'c	
φV <sub>uo</sub>	=	φμd <sub>om</sub> f <sub>cv</sub>			1240.105771	kN

OK, SINCE φV<sub>uo</sub> > V\*B

5 Tensile steel for bending in longitudinal direction

The critical section for bending is at the longer face of the column, where the length of the cantilevered portion is:

$l$	=	$0.5(B-C_2)$			0.675 m
$M^*$	=	$qult \times B \times l^2/2$			116.7197344 kNm
Ast.reqd.	=	$M^*/\phi \times 0.9dfsy$			1,255.21 mm <sup>2</sup>
Ast.min.	=	$1.4/fsy \times bd$			1,936.10 mm <sup>2</sup>

Ast.min. Governs, Therefore, use Ast.min.

Hence provide  $7-Y20$  bars in longitudinal direction

Astprovide =  $2,170.00$  mm<sup>2</sup>

6 Tensile steel for bending in the transverse direction.

Considering a transverse strip 1 m wide:

$l$	=	$0.5(L-C_1)$			0.675 m
$M^*$	=	$qult \times 1m \times l^2/2$			64.84429688 kNm
Ast.reqd.	=	$M^*/\phi \times 0.9dfsy$			697.34 mm <sup>2</sup> /m
Ast.min.	=	$1.4/fsy \times bd$			1,075.61 mm <sup>2</sup> /m

Ast.min. Governs, Therefore, use Ast.min.

Ast required for the full length  $1,936.10$  mm<sup>2</sup>

Hence provide  $7-Y20$  bars in transverse direction

Astprovide =  $2,170.00$  mm<sup>2</sup>

7 Spacing between the bars

Ast/bar	=				310 mm <sup>2</sup>
S	=	$[Ast/bar \times beff]/Ast.prov.$	... centre - to - centre spacing ...		258 mm

8 Now check

		7 bars @		258 CTS	
T = fsyAst	=				889.7 kN
C = T	=				889.7 kN
A	=	$C/0.85f'c$			32709.6 mm <sup>2</sup>
ykud	=	$A/b$			18.2 mm
a	=	$ykud/2$			9.1 mm
l	=	$d-a$			305.9 mm
Mu(prov)	=	$T \times l$			272.2 kN
$\phi Mu$	=	$217.7$ kNm	>	$M^*$	= $116.7$ kNm
$\gamma$	=	$0.85-0.007(f'c-28)$			0.822
ku	=	$ykud/\gamma d$	0.07	<	0.4

THEREFORE, USE 7 BARS @ 258 AT TOP & BOTTOM AND IN BOTH DIRECTIONS, Ast PROVIDED  $2,170$  mm<sup>2</sup>

UNDER-REINFORCED. Therefore, OK

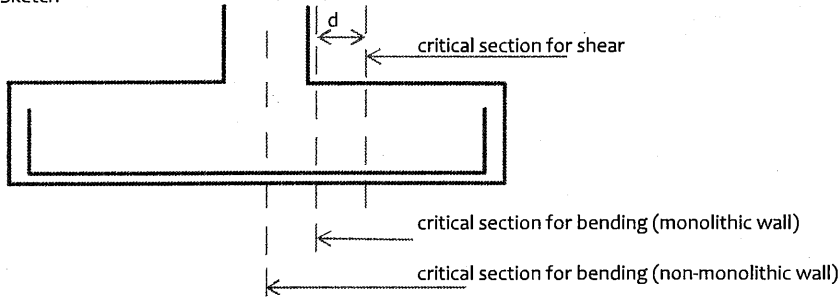
**STRIP FOOTING DESIGN FOR WALL**

REFERENCE: Concrete Structures - 3rd Edition  
R. F. Warner, B. V. Rangan, & A. S. Hall

Australian Standard (AS) 3600 -2009

Step Calculations & Description  
Sketch

Result Unit



Strip Footing for Wall						
1 Data	RC WALL					
UDL:	Self wt	=	Density x Thkness	23	200	4.6 kPa
	DL	=				27.246 kN/m
L	=	span				1 m
Total DL	=					31.846 kN/m
	LL	=				18 kN/m
Conc. Load	DL	=				
	LL	=				
P	=	DL + LL				49.846 kN
P*	=	1.4 DL + 1.7 LL				75.1844 kN
qa	=					450 kPa
f'c	=					40 MPa
fsy	=	... reinforcement...				410 MPa
c	=	... width of wall				0.2 m
2 Footing Area, A						
A	=	P*total/qa				0.1107689 m <sup>2</sup>
Approximate the footing dimension as:						
D	=	A/L				0.1107689 m
	=					m
Mmax	=	1/8 P*(D-c)				7.51844 kNm
qult	=	P*total/A				0.0751844 MPa
3 Determine the required effective depth by considering the beam shear on a critical section at distance d from the c mm face of the wall.						
V*	=	qult x B (C-Col.w/2-d)				
V*	=	30073.76 - 75.1844 d				N
The shear strength of the section depends on the amount of tensile steel used for bending. We assume a minimum quantity of:						
pmin	=	1.4/fsy				0.0034146
V <sub>uc</sub>	=	β <sub>1</sub> BD(Ast/BD x f'c) <sup>1/3</sup>				
V <sub>uc</sub>	=	566.4923836 d				N
Equating V* & φV <sub>uc</sub>						
396.5447 d	=	30073.76 - 75.1844 d				
471.7291 d	=	30073.76				
d	=					63.752187 mm
Cover	=					75 mm
Assume bar dia	=	Y16				16 mm
D	=	d + cover + bar dia/2				146.75219 mm
Take D	=					mm
d	=	D-cover-bar dia/2				317 mm
4 Tensile steel for bending in longitudinal direction: Oneway Bending						
The critical section for bending is at the longer face of the column, where the length of the cantilevered portion is:						
L	=	0.5(B-c)				0.4 m
M*	=	qult x B x L/2				6.014752 kNm
Ast.reqd.	=	M*/φ0.9dfsy				64.275004 mm <sup>2</sup>
Ast.min.	=	1.4/fsy bd				1082.439 mm <sup>2</sup>
Ast.min. Governs, Therefore, use Ast.min.						
Hence provide	=	6 Y16				bars in longitudinal direction top & bottom.
Astprov	=	200 Ast/bar				1200 mm <sup>2</sup>
5 Spacing between the bars						
Ast/bar	=					200 mm <sup>2</sup>
S	=	[Ast/bar X beff]/Ast.prov.				167 mm
... centre - to - centre spacing ...						

**Wall Design**

REFERENCE:

**Concrete Structures - 3rd Edition**

AS 3600 - 2009

**R. F. Warner, B. V. Rangan, & A. S. Hall****Design of a Continuous Beam :****1 Loads**

DL	:	Wdl =	10.00 kN/m	(plus super)
Self wt	:	Wsw =	0.00 kN/m	
Blockwall	:	Wb =	0.00 kN/m	
TOTAL		=	10.00 kN/m	
LL :		Wll =	10 kN/m	
LL factor	- long term		0.4	
	- short term		0.7	

**2 Beam Section Properties****Beam Size**

bw, eff =	1000 mm	D =	400 mm
tff =	0 mm	Cover =	75 mm
Actual length, L =	5700 mm	Overall depth of Sect. D =	400 mm
Effective Length, L <sub>ef</sub> =	5400 mm	Area, A =	4.00E+05 mm <sup>2</sup>
Neutral Axis, y <sub>c</sub> =	200.00 mm	Moment of Inertia, I <sub>x-x</sub> =	5.33E+09 mm <sup>4</sup>
Neutral Axis, x <sub>c</sub> =	1040.00 mm	Moment of Inertia, I <sub>y-y</sub> =	3.33E+10 mm <sup>4</sup>
Effective width, b <sub>eff</sub> =	2080.00 mm	Gross Area, A <sub>g</sub> =	4.00E+05 mm <sup>2</sup>

**3 Design Parameters**

F' <sub>c</sub> =	40 MPa	D =	400 mm
F <sub>sy</sub> =	410 MPa	E <sub>c</sub> =	31975.35051 MPa
m =	2400 kg/m <sup>3</sup>	E <sub>s</sub> =	200000 MPa
		Gamma =	0.766

**4 INITIAL CHOICE OF SECTION**

Effective width =	2080 mm	clause 8.8.2	
Is the section RECT or T, L (ans: 1 or 2)	=		1
k <sub>1</sub> =	0.045	(RECT sections)	1
=	0.02707672	(T and L sections)	2
what type of span?	5	interior span =	5
		end span =	6
k <sub>2</sub> =	0.0026042		
k <sub>cs</sub> =	1.64	(because there will be comp steel at midspan=say .5A <sub>st</sub> )	
F <sub>def</sub> =	29.96		
defln/L <sub>ef</sub> =	0.004	k <sub>1</sub> /k <sub>2</sub> =	17.27977882
d =	101 mm		
take d =	289 mm	Distance from d to extreme fibre of beam (d <sub>o</sub> ) =	111 mm

**5 Forces from an Elastic Analysis by Space Gass :**

M <sub>max</sub> -ve =	472.00 kNm	(left support)	1.116
M <sub>max</sub> +ve =	68.00 kNm	(mid-span)	
M -ve =	0.00 kNm	(right support)	
V <sub>max</sub> =	274.00 kN		
V (other end) =	274.00 kN		
N* =	96.00 kN	Axial Load	

**6 FLECTURAL STRENGTH STEEL**

Determine -ve steel required: (At arbitrary left support)

Number of reinforcement layers 1 or 2 :

take d<sub>o</sub> = 111 mm d = 289

Estimate Area of main steel

11 Y 24

A<sub>st</sub> = 5207.13532 mm<sup>2</sup>A<sub>st</sub> = 4976.282763 mm<sup>2</sup>

p = 0.017218971

15 Y 24

A<sub>sc</sub> = 6785.840132 mm<sup>2</sup>p<sub>c</sub> = 0.023480416p-p<sub>c</sub> = -0.00626144

pd = 0.025409

pd = 0.4 \* 0.85 \* μ \* f'<sub>c</sub> / f<sub>sy</sub>Check M\* ≤ φ<sub>i</sub>M<sub>u</sub>k<sub>u</sub> = 0d<sub>sc</sub> = 99 mm



$$\phi Mu = \phi [F_{sy} \times A_{sc} (d - d_{sc}) + 0.85 \times F'c \times b \times \Gamma \times k_u \times d \times (d - 0.5 \times 0.85 \times k_u \times d)]$$

=	476 kNm	>	M* =	472.00 kNm	OK
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Determine -ve steel at right support:

M -ve = 0.00 kNm

Number of reinforcement layers 1 or 2 :

take do = 111 mm      dst = 289 mm

Estimate Area of main steel      Ast = 0 mm<sup>2</sup>

11	Y 24	Ast =	4976.282763 mm <sup>2</sup>	OUTSIDE
----	------	-------	-----------------------------	---------

p = 0.017218971

15	Y 24	Asc =	6785.840132 mm <sup>2</sup>	INSIDE
----	------	-------	-----------------------------	--------

pc = 0.023480416

p-pc = -0.00626144

< pd = 0.025409

Check M\* ≤ φMu

ku = 0      dsc = 99 mm

$$\phi Mu = \phi [F_{sy} \times A_{sc} (d - d_{sc}) + 0.85 \times F'c \times b \times \Gamma \times k_u \times d \times (d - 0.5 \times 0.85 \times k_u \times d)]$$

=	476 kNm	>	M* =	0.00 kNm	OK
---	---------	---	------	----------	----

FOR DUCTILITY CHECK AT BOTH SUPPORTS USE EMPHI

Tensile Steel at Midspan:

M\* = 68 kNm

Steel in one layer then code = 1

take dist between centroid of bar/s and soffit =

123 mm

" " two " " code = 2

what is the code ?

2

d = 277 mm

Ast = M\*/(φ × 0.85 × d × F<sub>sy</sub>) = 782.679307 mm<sup>2</sup>

11	Y 24	Ast =	4976.282763 mm <sup>2</sup>	OUTSIDE
----	------	-------	-----------------------------	---------

15	Y 24	Asc =	6785.840132 mm <sup>2</sup>	INSIDE
----	------	-------	-----------------------------	--------

Assume N - A in flange

Effective width : beff = 2080 mm

ku = 1/(0.85 × 0.85) × [Ast/(bw × d)] × (F<sub>sy</sub>/F'c)

= 0.13596844

hence dn = 38 < flange thickness  
hence N - A is in flange

Phi Mu = 0.9[F<sub>sy</sub> × Ast × d (1 - 0.5 × 0.85 × ku)]

=	482 kNm	>	M*+ve =	68.00 kNm	OK
---	---------	---	---------	-----------	----

Summary of reinforcement requirement :

left support:	Ast =	11	Y 24
	Asc =	15	Y 24
Right support:	Ast =	11	Y 24
	Asc =	15	Y 24
midspan	Ast =	11	Y 24
	Asc =	15	Y 24

### 7 STEEL CURTAILMENT REQUIREMENT CHECK

The following requirements regarding curtailment are subject to stress development length requirements.

i) 1/4 Ast to continue over length of beam  
For -ve steel = 2 bars

ii) Remainder to be curtailed at 0.3Ln from face of support.

= 0.3 × le = 1620 mm

i) 1/4 Ast to continue over length of beam  
For -ve steel = 2 bars

ii) Remainder to be curtailed at 0.3Ln from face of support.

= 0.3 × le = 1620 mm

For +ve steel : i) 1/2 Ast must be carried into outer support = 2 bars

ii) 1/4 Ast into interior support = 2 bars

iii) Remainder curtailed at  $0.1L_n$  from supports

$$= 0.1 \times l_e = 540 \text{ mm}$$

### 8 STRESS DEVELOPMENT

For Top Steel:

cover :  $c = 75 \text{ mm}$

$d_b = 24 \text{ mm}$  # of lines of bars = 1

$a_b = 826 \text{ mm}$  distance between bars

If  $a_b > 2c$   $C = 2c + d_b = 174 \text{ mm}$   
 $C$  is the outside diameter of a concrete annulus

if  $a_b \leq 2c$   $C = a_b + d_b = 850 \text{ mm}$   
 coaxial with and surrounding a bar

$k_1 = 1.25$   $A_b = 452.3893421 \text{ mm}^2$

$k_2 = 2.2$   $a_b = 826 \text{ mm}$  (dist between bars)

factor = 80648.98754

$L_{syt} = k_1 \times k_2 \times f_{sy} \times A_b / C \times \sqrt{f'c} = \text{factor} / C$

= 463.4999 mm

take  $f_s / F_{sy} = M^* / \Phi Mu = 0.992106757$

therefore  $L_{sy} = 460 \text{ mm} \geq 25k1db$  750

$s_{ay} = 750 \text{ mm}$

For Bottom Steel:

Cover,  $c = 75 \text{ mm}$   $d_b = 24 \text{ mm}$

# of lines of bars = 1

If  $a_b > 2c$   $C = 2c + d_b = 174 \text{ mm}$

if  $a_b < 2c$   $C = a_b + d_b = 1198 \text{ mm}$

$k_1 = 1$   $A_b = 452.3893421 \text{ mm}^2$

$k_2 = 2.2$   $a_b = 1174 \text{ mm}$  (dist between bars)

factor = 64519.19003

$L_{syt} = 370.7999 \text{ mm}$  take  $f_s / F_{sy} = M^* / \Phi Mu = 0.141034112$

therefore  $L_{sy} = 52 \text{ mm} \geq 25k1db$  600

$s_{ay} = 900 \text{ mm}$

### 9 SHEAR CHECK

$V^* = 274.00 \text{ kN}$  Dist to centreline of bottom steel from soffit

critical location :  $d = 289 \text{ mm}$   $d_q = 93 \text{ mm}$

$d_o = 307 \text{ mm}$

$V^* = 268 \text{ kN}$   $\beta_1 = 1.2465$  (but not less than 1.1)

hence  $\beta_2 = 1$

$\beta_3 = 1$  Unity

$\phi V_{uc} = \phi \times \beta_1 \times \beta_2 \times \beta_3 \times b_w \times d_o [A_{st} \times F'c / b_w \times d_o]^{0.333}$

= 231.89 kN

$\phi V_{umax} = 1719.2 \text{ kN} > V^*$  No web crushing

$\phi V_{umin} = 361 \text{ kN} > V^*$  OK

If shear reinforcement required then proceed as follows :

choose stirrup spacing  $s = 200 \text{ mm}$   $F_{syf} = 410 \text{ MPa}$

Determine theta :

$b_v \times s / F_{syf} = 487.804878$

$As_{v.min} = 170.731707 \text{ mm}^2$

$As_{v.max} = 3376 \text{ mm}^2$

$As_v = 2 \times \text{area of stirrups} = 400 \text{ mm}^2$  2 Ties

theta = 31.0729 degrees

Determine  $\Phi V_u$  :

$V_u = V_{uc} + V_{us}$

=  $V_{uc} + As_v / s \times F_{syf} \times d_o \cot \theta$

= 749.03 kN

$\Phi V_u = 524 \text{ kN} > V^* = 268.22 \text{ kN}$

hence

**PROVIDE :** 1 Y16 LIGS @ 200 centres

Other Support :

$V^* = 274.00 \text{ kN}$

Dist to centreline of bottom steel from soffit

critical location :  $d = 289 \text{ mm}$   $d_q = 93 \text{ mm}$   
 $d_o = 307 \text{ mm}$

$V^* = 268.22 \text{ kN}$   $\beta_1 = 1.2465$  (but not less than 1.1)  
 hence  $\beta_2 = 1.2465$   
 $\beta_3 = 1$

$\phi V_{uc} = \phi \times \beta_1 \times \beta_2 \times \beta_3 \times b_w \times d_o [A_{st} \times F'_c / b_w \times d_o]^{0.333}$   
 $= 231.882 \text{ kN}$

$\phi V_{umax} = 1719.2 \text{ kN} > V^*$  No web crushing  
 $\phi V_{umin} = 361 \text{ kN} < V^*$  OK

If shear reinforcement required then proceed as follows :

choose stirrup spacing  $s = 200 \text{ mm}$   $F_{syf} = 410 \text{ MPa}$

Determine theta :

$b_v \times s / F_{syf} = 487.804878$   
 $A_{sv,min} = 170.731707 \text{ mm}^2$   
 $A_{sv,max} = 3376.08651 \text{ mm}^2$

$A_{sv} = 2 \times \text{area of stirrups} = 600 \text{ mm}^2$  2 Ties  
 $\theta = 32.00883 \text{ degrees}$

Determine  $\phi V_u$  :

$V_u = V_{uc} + V_{us}$   
 $= V_{uc} + A_{sv} / s \times F_{syf} \times d_o \cot \theta$   
 $= 935.355 \text{ kN}$

$\phi V_u = 654.7485 \text{ kN} > V^* = 268.22 \text{ kN}$

hence

**PROVIDE :** 1 Y16 LIGS @ 200 centres

**11 SERVICEABILITY CHECK**

From an Elastic Linear Analysis :

$M_r = 472.00 \text{ kNm}$   $E_s = 200000 \text{ MPa}$   
 $M_l = 0.00 \text{ kNm}$   $E_c = 31975.35051 \text{ MPa}$   
 $M_o = 304 \text{ kNm}$   
 $M_s = 68.00 \text{ kNm}$   
 $I_g = 5.33E+09 \text{ mm}^4$

Calculate  $I_{cr}$ ,  $M_{cr}$ , and  $I_{ef}$  at midspan :

Eff. Flange width  $b_{eff} = 2080 \text{ mm}$   $A_{sc} = 6785.840132 \text{ mm}^2$   
 webwidth  $b_w = 1000 \text{ mm}$   $A_{st} = 4976.282763 \text{ mm}^2$   
 Flange thickness  $t_{ff} = 0 \text{ mm}$   $d_{sc} = 123 \text{ mm}$   
 $d_{st} = 277 \text{ mm}$   
 $d = 289 \text{ mm}$   
 $D = 400 \text{ mm}$

$n = E_s / E_c = 6.25481807$   
 $1/2 \times b_w \times d_n^2 + (b_{eff} - b_w) \times t (d_n - t/2) + (n - 1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$   
 $500 d_n^2 + 66784.0986 d_n - 13381317.53 = 0$   
 $d_n = 109.915508 \text{ mm}$   
 $d = 277 \text{ mm}$

$I_{cr} = b d_n^3 / 3 + 1/12 (b_{eff} - b_w) \times t^3 + (b_{eff} - b_w) \times t (d_n - t/2)^2 + n A_{sc} (d - d_n)^2$   
 $= 1.31E+09 \text{ mm}^4$   
 $M_{cr} = 0.6 \sqrt{F'_c} \times b D^2 / 6 = 101.192885 \text{ kNm}$

$I_m = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_s)^3]$   
 $= 1.46E+10 \text{ mm}^4$

Calculate  $I_{cr}$ ,  $M_{cr}$ ,  $I_{lef}$  and  $I_{ref}$  at end supports :

$b_w = 1000 \text{ mm}$   $A_{st} = 4976.282763 \text{ mm}^2$   
 $d_{sc} = 99 \text{ mm}$   $A_{sc} = 6785.840132 \text{ mm}^2$   
 $d = 289 \text{ mm}$

$$I_g = 5.33E+09 \text{ mm}^4$$

At right end (arbitrary)

$$1/2 \times b d n^2 S Q + (n-1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$$

$$500 d_n^2 + 66784.0986 d_n - 12525517 = 0$$

$$d_n = 105.00 \text{ mm}$$

$$d = 289 \text{ mm}$$

$$I_{cr} = b d n^3 / 3 + n \times A_{sc} (d - d_n)^2 = 1.44E+09 \text{ mm}^4$$

$$M_{cr} = 0.6 \sqrt{F'_c} \times b D^2 / 6 = 101.192885 \text{ kNm}$$

$$I_{ref} = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_r)^3] = 1.48E+09 \text{ mm}^4$$

At left end (arbitrary)

$$b_w = 1000 \text{ mm}$$

$$d_{sc} = 99 \text{ mm}$$

$$A_{st} = 4976.2828 \text{ mm}^2$$

$$A_{sc} = 6785.8401 \text{ mm}^2$$

$$d = 289 \text{ mm}$$

$$1/2 \times b d n^2 S Q + (n-1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$$

$$500 d_n^2 + 66784.0986 d_n - 12525517 = 0$$

$$d_n = 105.003997 \text{ mm}$$

$$d = 289 \text{ mm}$$

$$I_{cr} = b d n^3 / 3 + n \times A_{sc} (d - d_n)^2 = 1.44E+09 \text{ mm}^4$$

$$M_{cr} = 0.6 \sqrt{F'_c} \times b D^2 / 6 = 101.192885 \text{ kNm}$$

$$I_{lef} = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_l)^3] = 0.00E+00 \text{ mm}^4$$

$$I_{av} = [I_m + (I_l + I_r) / 2] / 2 = 7.65E+09 \text{ mm}^4$$

Midspan Deflection :

$$L_{ef} = 5400 \text{ mm}$$

$$Defl_{n,s} = L_{ef}^2 / E_c \times I_{av} [5/48 \cdot M_o - 1/16 M_L - 1/16 M_r]$$

$$= 0.25821426 \text{ mm}$$

Total Deflection :

$$\text{Long term factor} = 0.2$$

$$\text{Short term factor} = 0.5$$

$$w - \text{long term} = 12 \text{ kN/m}$$

$$w - \text{short term} = 15 \text{ kN/m}$$

$$Defl_{n,s,sus} = 0.206571409 \text{ mm}$$

$$\text{At midspan : } A_{st} = 4976.28276 \text{ mm}^2$$

$$A_{sc} = 6785.84013 \text{ mm}^2$$

$$A_{sc} / A_{st} = 1.363636364$$

$$kcs = 2 - (1.2 \times A_{sc} / A_{st}) \geq 0.8$$

$$= 0.8$$

therefore

$$\text{Total Defln} = Dfl_{n,s} + (kcs \times Defl_{n,s,sus})$$

$$= 0.42347 \text{ mm}$$

FROM A MORE ACCURATE ANALYSIS Warner,Rangan,Hall HAVE SHOWN THAT THIS CAN BE REDUCED BY UP TO 10%.

$$\text{ALLOWABLE DEFLN} = L_{ef} / 250 = 21.6 \text{ mm}$$

$$> 0.9 \times \text{Total Defln}$$

**BASE SLAB DESIGN AS A CONTINUOUS RC BEAM**

REFERENCE: Concrete Structures - 3rd Edition AS 3600 - 2009  
R. F. Warner, B. V. Rangan, & A. S. Hall

**Design of a Continuous Beam :**

**1 Loads**

DL	:	Wdl =	33.60 kN/m	(plus super)
Self wt	:	Wsw =	25.00 kN/m	
Blockwall	:	Wb =	0.00 kN/m	
TOTAL		=	58.60 kN/m	
LL	:	Wll =	0.25 kN/m	
LL factor	- long term		0.4	
	- short term		0.7	

**2 Beam Section Properties**

<b>Beam Size</b>	bw =	2000 mm	D =	500 mm
	tff =	0 mm	Cover =	75 mm
	Actual length, L =	5800 mm	Overall depth of sect. D =	500 mm
	Effective Length, L <sub>ef</sub> =	5400 mm	Area, A =	1.00E+06 mm <sup>2</sup>
	Neutral Axis, yc =	250.00 mm	Moment of Inertia, I <sub>x-x</sub> =	2.08E+10 mm <sup>4</sup>
	Neutral Axis, xc =	1540.00 mm	Moment of Inertia, I <sub>y-y</sub> =	3.33E+11 mm <sup>4</sup>
	Effective width, beff =	3080.00 mm	Gross Area, A <sub>g</sub> =	1.00E+06 mm <sup>2</sup>

**3 Design Parameters**

F' <sub>c</sub> =	40 MPa	F <sub>sy</sub> =	410 MPa
m =	2400 kg/m <sup>3</sup>	D =	500 mm
E <sub>c</sub> =	31975.35051 MPa	E <sub>s</sub> =	200000 MPa
Gamma =	0.766		

**4 Initial Choice of Section**

Effective width =	3080 mm	clause 8.8.2	
Is the section RECT or T, L (ans : 1 or 2) =			1
k <sub>1</sub> =	0.045	(RECT sections)	1
=	0.03224022	(T and L sections)	2
what type of span?	5	interior span =	5
		end span =	6
k <sub>2</sub> =	0.0026042		
kcs =	1.64	(because there will be comp steel at midspan=say .5A <sub>st</sub> )	
Fdef =	96.443		
defln/L <sub>ef</sub> =	0.004	k <sub>1</sub> /k <sub>2</sub> =	17.27977882
d =	131 mm		
take d =	405 mm	Distance from d to extreme fibre of beam (do) =	95 mm

**5 Forces from an Elastic Analysis by Space Gass**

M <sub>max</sub> -ve	=	306.00 kNm	(left support)
M <sub>max</sub> +ve	=	162.00 kNm	(mid-span)
M -ve	=	311.00 kNm	(right support)
V <sub>max</sub>	=	127.50 kN	
V (other end)	=	127.50 kN	
N*	=	0.00 kN	Axial Load

**6 FLECTURAL STRENGTH STEEL**

Determine -ve steel required: (At arbitrary left support)

Number of reinforcement layers 1 or 2 :			
take do =	95 mm	d =	405
Estimate Area of main steel	A <sub>st</sub> =	2408.912978 mm <sup>2</sup>	
9 Y 20	A <sub>st</sub> =	2827.433388 mm <sup>2</sup>	<b>SPACING = 206</b>
	p =	0.003490659	
9 Y 20	A <sub>sc</sub> =	2827.433388 mm <sup>2</sup>	
	pc =	0.003490659	< pd = 0.025409
	p-pc =	0	pd = 0.025409 < 0.85 x F' <sub>c</sub> / f <sub>sy</sub>

Check M\* <= phi Mu

ku =	0	dsc =	85 mm
------	---	-------	-------

$$\phi Mu = \phi [ F_{sy} \times A_{sc} (d - d_{sc}) + 0.85 \times F'_c \times b \times \text{Gamma} \times ku \times d \times (d - 0.5 \times 0.85 \times ku \times d) ]$$

=	334 kNm	>	M* =	306.00 kNm	OK
---	---------	---	------	------------	----

Determine -ve steel at right support:

M -ve = 311.00 kNm  
 Number of reinforcement layers 1 or 2 :  
 take do = 95 mm dst = 405 mm  
 Estimate Area of main steel Ast = 2448.274301 mm<sup>2</sup>  
 9 Y 20 Ast = 2827.433388 mm<sup>2</sup>  
 p = 0.003490659  
 9 Y 20 Asc = 2827.433388 mm<sup>2</sup>  
 pc = 0.003490659 < pd = 0.025409  
 p-pc = 0

Check  $M^* \leq \phi Mu$

ku = 0 dsc = 85 mm  
 $\phi Mu = \phi [F_{sy} \times A_{sc} (d - d_{sc}) + 0.85 \times F'_{c} \times b \times \Gamma \times k_u \times d \times (d - 0.5 \times 0.85 \times k_u \times d)]$

= 334 kNm > M\* = 311.00 kNm OK

FOR DUCTILITY CHECK AT BOTH SUPPORTS USE EMPHI

Tensile Steel at Midspan:

M\* = 162 kNm  
 Steel in one layer then code = 1 take dist between centroid of  
 " " two " " code = 2 bar/s and soffit = 95 mm  
 what is the code? d = 405 mm  
 Ast = M\*/(Phi x 0.85 x d x Fsy) = 1275.306871 mm<sup>2</sup>  
 Bottom 9 Y 20 Ast = 2827.433388 mm<sup>2</sup>  
 Top 9 Y 20 Asc = 2827.433388 mm<sup>2</sup>  
 Assume N - A in flange  
 Effective width : beff = 3080 mm  
 ku = 1/(0.85 x 0.85) x [Ast/(bw x d)] x (Fsy/F'c)  
 = 0.03568312  
 hence dn = 14 < flange thickness  
 hence N - A is in flange

Phi Mu = 0.9[Fsy x Ast x d (1 - 0.5 x 0.85 x ku)]  
 = 417 kNm > M\*+ve = 162.00 kNm OK

Summary of reinforcement requirement :

left support :	Ast =	9	Y 20
	Asc =	9	Y 20
Right support :	Ast =	9	Y 20
	Asc =	9	Y 20
midspan	Ast =	9	Y 20
	Asc =	9	Y 20

### 7 STEEL CURTAILMENT REQUIREMENT CHECK

The following requirements regarding curtailment are subject to stress development length requirements.

- For -ve steel
- 1/4 Ast to continue over length of beam  
 = 2 bars
  - Remainder to be curtailed at 0.3Ln from face of support.  
 = 0.3 x le = 1620 mm
- For -ve steel
- 1/4 Ast to continue over length of beam  
 = 2 bars
  - Remainder to be curtailed at 0.3Ln from face of support.  
 = 0.3 x le = 1620 mm
- For +ve steel :
- 1/2 Ast must be carried into outer support  
 = 2 bars
  - 1/4 Ast into interior support  
 = 2 bars
  - Remainder curtailed at 0.1Ln from supports  
 = 0.1 x le = 540 mm

### 8 STRESS DEVELOPMENT

For Top Steel:

cover :  $c = 75$  mm  
 $d_b = 20$  mm # of lines of bars = 2  
 $a_b = 913$  mm distance between bars  
 If  $a_b > 2c$   $C = 2c + d_b = 170$  mm  
 C is the outside diameter of a concrete annulus  
 if  $a_b < 2c$   $C = a_b + d_b = 933$  mm  
 coaxial with and surrounding a bar  
 $k_1 = 1.25$   $A_b = 314.1592654$  mm<sup>2</sup>  
 $k_2 = 2.2$   $a_b = 913$  mm (dist between bars)  
 factor = 56006.24135  
 $L_{syt} = k_1 \times k_2 \times f_{sy} \times A_b / C \times \sqrt{f'_c} = \text{factor} / C$   
 $= 329.4484785$  mm  
 take  $f_s / F_{sy} = M^* / \Phi Mu = 0.916543$   
 therefore  $L_{sy} = 302$  mm  $\geq 25k1db$  625  
 $say = 650$  mm

For Bottom Steel:

Cover,  $c = 75$  mm  $d_b = 20$  mm  
 # of lines of bars = 2  
 If  $a_b > 2c$   $C = 2c + d_b = 170$  mm  
 if  $a_b < 2c$   $C = a_b + d_b = 1107$  mm  
 $k_1 = 1$   $A_b = 314.1592654$  mm<sup>2</sup>  
 $k_2 = 2.2$   $a_b = 1087$  mm (dist between bars)  
 factor = 44804.99308  
 $L_{syt} = 263.5587828$  mm take  $f_s / F_{sy} = M^* / \Phi Mu = 0.388702665$   
 therefore  $L_{sy} = 102$  mm  $\geq 25k1db$  500  
 $say = 500$  mm

### 9 PUNCHING SHEAR CHECK

$V^* = 96$  kN Column Dimension  
 $b = 450$  mm  
 $d = 450$  mm  
 Dist to centreline of bottom steel from soffit  
 Critical shear perimeter,  $\mu$   
 $d_q = 85$  mm  $\mu = 2(b+dom) + 2(d+dom)$   
 $dom = 415$  mm 3460 mm  
 Area of slab:  $B = 1000$  mm  $D = 1000$  mm  
 $\beta h = 1$  longer side/shorter side  
 $f_{cv} = 0.17(1+2/\beta h)\sqrt{f'_c} \leq 0.34\sqrt{f'_c}$   
 $f_{cv} = 13.60$  MPa  
 $\phi V_{uo} = 13,670$  kN  $> V^* = 96$  kN OK

**10 SERVICEABILITY CHECK**

From an Elastic Linear Analysis :

Mr =	306.00 kNm	Es =	200000 MPa
Ml =	311.00 kNm	Ec =	31975.35051 MPa
Mo =	470.5 kNm		
Ms =	162.00 kNm		
Ig =	2.08E+10 mm <sup>4</sup>		

Calculate I<sub>cr</sub>, M<sub>cr</sub>, and I<sub>ef</sub> at midspan :

Eff. Flange width	b <sub>eff</sub> =	3080 mm	A <sub>sc</sub> =	2827.433388 mm <sup>2</sup>
webwidth	b <sub>w</sub> =	2000 mm	A <sub>st</sub> =	2827.433388 mm <sup>2</sup>
Flange thickness	t <sub>ff</sub> =	0 mm	d <sub>sc</sub> =	95 mm
			d <sub>st</sub> =	405 mm
			d =	405 mm
			D =	500 mm

n = Es/Ec = 6.25481807

$$1/2 \times b_w \times d_n^2 + (b_{eff} - b_w) \times t \times (d_n - t/2) + (n - 1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$$

$$1000 d_n^2 + 32542.7295 d_n - 8573934.546 = 0$$

dn = 77.7429526 mm  
d = 405 mm

I<sub>cr</sub> = bdn<sup>3</sup>/3 + 1/12(b<sub>eff</sub> - b<sub>w</sub>)x t<sup>3</sup> + (b<sub>eff</sub> - b<sub>w</sub>)x t(d<sub>n</sub> - t/2)<sup>2</sup> + n x A<sub>st</sub> (d - d<sub>n</sub>)<sup>2</sup>

= 2.21E+09 mm<sup>4</sup>

M<sub>cr</sub> = 0.65sqrt(F<sub>c</sub> x bD<sup>2</sup>/6) = 316.227766 kNm

Im =	[I <sub>cr</sub> + (I <sub>g</sub> - I <sub>cr</sub> ) (M <sub>cr</sub> / Ms) <sup>3</sup> ]
=	1.41E+11 mm <sup>4</sup>

Calculate I<sub>cr</sub>, M<sub>cr</sub>, I<sub>ef</sub> and I<sub>ref</sub> at end supports :

b <sub>w</sub> =	2000 mm	A <sub>st</sub> =	2827.433388 mm <sup>2</sup>
d <sub>sc</sub> =	85 mm	A <sub>sc</sub> =	2827.433388 mm <sup>2</sup>
d =	405 mm		
Ig =	2.08E+10 mm <sup>4</sup>		

At right end (arbitrary)

$$1/2 \times b_w d_n^2 + (n - 1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$$

$$1000 d_n^2 + 32542.7295 d_n - 8425358.066 = 0$$

dn = 76.95 mm  
d = 405 mm

I<sub>cr</sub> = bdn<sup>3</sup>/3 + n x A<sub>sc</sub> (d - d<sub>n</sub>)<sup>2</sup> = 2.21E+09 mm<sup>4</sup>

M<sub>cr</sub> = 0.65sqrt(F<sub>c</sub> x bD<sup>2</sup>/6) = 316.227766 kNm

I<sub>ref</sub> = [I<sub>cr</sub> + (I<sub>g</sub> - I<sub>cr</sub>) (M<sub>cr</sub> / Mr)<sup>3</sup>] = 2.28E+10 mm<sup>4</sup>

At left end (arbitrary)

b <sub>w</sub> =	2000 mm		
d <sub>sc</sub> =	85 mm		
A <sub>st</sub> =	2827.433388 mm <sup>2</sup>		
A <sub>sc</sub> =	2827.433388 mm <sup>2</sup>		
d =	405 mm		
1/2 x b <sub>w</sub> d <sub>n</sub> <sup>2</sup> + (n - 1) A <sub>sc</sub> (d <sub>n</sub> - d <sub>sc</sub> ) = n A <sub>st</sub> (d - d <sub>n</sub> )			
1000 d <sub>n</sub> <sup>2</sup> + 32542.7295 d <sub>n</sub> - 8425358.066 = 0			
dn = 76.9494236 mm			
d = 405 mm			
I <sub>cr</sub> = bdn <sup>3</sup> /3 + n x A <sub>sc</sub> (d - d <sub>n</sub> ) <sup>2</sup> =		2.21E+09 mm <sup>4</sup>	
M <sub>cr</sub> = 0.65sqrt(F <sub>c</sub> x bD <sup>2</sup> /6) =		316.227766 kNm	
I <sub>ef</sub> = [I <sub>cr</sub> + (I <sub>g</sub> - I <sub>cr</sub> ) (M <sub>cr</sub> / M) <sup>3</sup> =		2.18E+10 mm <sup>4</sup>	

I <sub>av</sub> =	[Im + (I <sub>l</sub> + I <sub>r</sub> )/2] / 2	=	8.15E+10 mm <sup>4</sup>
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Midspan Deflection :

I<sub>ef</sub> = 5400 mm

Defl<sub>n,s</sub> = I<sub>ef</sub><sup>2</sup>/Ec x I<sub>av</sub> [5/48 . Mo - 1/16 ML - 1/16 Mr]

=	0.11689091 mm
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Total Deflection :

Long term factor =	0.2		
Short term factor =	0.5		
w - long term =	58.65 kN/m		
w - short term =	58.725 kN/m		
Defl <sub>n,s,sus</sub> =	0.116742 mm		
At midspan :		A <sub>st</sub> =	2827.433388 mm <sup>2</sup>
		A <sub>sc</sub> =	2827.433388 mm <sup>2</sup>
Asc/Ast =	1		
kcs =	2 - (1.2 x Asc/Ast)	>=	0.8
=	0.8		

therefore

Total Defln	=	Dfl <sub>n,s</sub> + (kcs x Defl <sub>n,s,sus</sub> )
=		0.21028 mm

FROM A MORE ACCURATE ANALYSIS Warner,Rangan,Hall HAVE SHOWN THAT THIS CAN BE REDUCED BY UP TO 10%.

ALLOWABLE DEFLN	=	I <sub>ef</sub> / 500 =	10.8 mm
		>	0.9 x Total Defln
<b>THE SECTION IS ADEQUATE</b>			



## SUMMARY

### A. Roof

Purlin: 75 WD x 100 DP HWD @ 600 cts  
Truss @ 2500 cts  
Truss Members  
Top Chord: 2 x 75 WD x 150 DP HWD  
Bottom Chord: 2 x 75 WD x 150 DP HWD  
Diagonal 75 WD x 150 DP HWD

### B. Roof Beam:

300 DP x 300 WD RC Beam  
Reinforcements: 3 - Y20 Tensile Steel  
3 - Y16 Compressive Steel  
Y12 - 300 cts

### C. First Floor Beam:

500 DP x 450 WD RC Beam  
Reinforcements: 6 - Y20 Tensile Steel  
3 - Y16 Compressive Steel  
Y12 - 200 cts

### D. First Floor Slab:

250 thk RC two-way slab  
Reinforcements: Continuous Edge: Y16 - 200 cts Top & Bottom Eachway  
Discontinuous Edge: Y16 - 200 cts Top & Bottom Eachway  
Mid-span: Y16 - 200 cts Top & Bottom Eachway  
T & S Reinforcements: Y12 - 200 cts Top & Bottom Eachway

### E. Non-load Bearing Block Wall

200 thk masonry blocks  
Reinforcements: Vertical: Y 16 - 400 CTS  
Horizontal: Y 12 - 400 CTS

### F. Load Bearing Block Wall

200 thk masonry blocks  
Reinforcements: Vertical: Y 16 - 400 CTS  
Horizontal: Y 16 - 400 CTS

### G. RC Column:

450 x 450 SQ RC Column  
Main Vertical Reinf'mt: 8 - Y24  
Y12 - 200 cts Ligs

### H. Ground Slab:

200 thk RC slab  
Reinforcements: F92 Mesh wire Top & Bottom

### J. Isolated Column Footing:

400 DP x 1800 SQ RC Pad Footing  
Reinforcements: 7 - Y20 Top & Bottom Width Wise  
7 - Y20 Top & Bottom Length Wise

### K. Strip Footing:

400 DP x 1000 WD RC Strip Footing  
Reinforcements: 6 - Y16 Width Wise  
Y12 - 300 cts Length Wise

**L. Base Slab**

500 thk RC Slab

Reinforcement:	Y20 bars @ 200 cts	Top & Bottom Each Way
T & S	Y20 bars @ 200 cts	Top & Bottom Each Way

**M. Pit Wall**

400 thk RC Wall

Reinforcement;

Vertical: Y24 - 200 CTS

Horizontal: Y16 - 200 CTS

POSSUP  
Sludge Treatment Building

ANALYSIS STATUS REPORT

Job ..... C:\SGWIN\SMIT\SLTRBUIL  
Units system ..... Kilonewtons, Metres

Nodes	115	( 2500)
Members	253	( 5000)
Restrained nodes	20	( 2500)
Nodes with spring restraints	0	( 2500)
Section properties	6	( 100)
Material properties	2	( 25)
Constrained nodes	0	( 2500)
Member offsets	0	( 5000)
Node loads	40	(10000)
Prescribed node displacements	0	(10000)
Member concentrated loads	15	(10000)
Member distributed forces	265	(10000)
Member distributed torsions	0	(10000)
Thermal/Prestress loads	0	(10000)
Self weight load cases	0	( 100)
Combination load cases	5	( 100)
Load cases with titles	9	( 100)
Lumped masses	0	(10000)
Spectral load cases	0	( 100)

Static analysis	Y
Dynamic analysis	N
Response analysis	N
Buckling analysis	N
Ill-conditioned	N
Non-linear convergence	Y
Frontwidth	432
Total degrees of freedom	570
Primary load cases	4 ( 100)
Mass load cases	0 ( 100)

SECTION PROPERTIES (m,m^2,m^4,deg)

Sect	Section Name	Mark	Angle	Type	Flipped	Source
1	SLAB	S1		Not applicable	No	Standard shape
	400DP x 400WD	S2		Not applicable	No	Standard shape
	00 x 400 COL	S3		Not applicable	No	Standard shape
	00DP x 300WD	S4		Not applicable	No	Standard shape
5	75*5 EA	S5		Single	No	AUST300.LSS
6	125*75*6 RHS	S6		Not applicable	No	AUST300.LSS

Sect	Section	Area of Constant	Torsion	Y-Axis Mom of In	Z-Axis Mom of In	Y-Axis Shr Area	Z-Axis Shr Area	Princ Angle
1	4.0000E-02	2.2530E-04	1.3330E-04	1.3330E-04	INFINITE	INFINITE	0.00	0.00
2	1.6000E-01	3.6053E-03	2.1333E-03	2.1333E-03	INFINITE	INFINITE	0.00	0.00
3	1.6000E-01	3.6053E-03	2.1333E-03	2.1333E-03	INFINITE	INFINITE	0.00	0.00
4	9.0000E-01	1.1408E-03	6.7500E-04	6.7500E-04	INFINITE	INFINITE	0.00	0.00
5	6.7200E-04	5.2800E-09	1.4700E-07	5.6300E-07	INFINITE	INFINITE	45.00	45.00
6	2.1300E-03	4.4400E-06	1.8700E-06	4.1600E-06	INFINITE	INFINITE	0.00	0.00

Sect	Section Shape	D	B/Bt	Bb/Hf	Tw	Tf
1	Rectangle	0.200	0.200			
2	Rectangle	0.400	0.400			
3	Rectangle	0.400	0.400			
4	Rectangle	0.300	0.300			

MATERIAL PROPERTIES (kPa,Kg/m^3)

Matl	Material Name	Young's Modulus	Poisson's Ratio	Mass Density	Coeff of Expansion	Concrete Strength
1	STEEL	2.0000E+08	0.25	7.8500E+03	1.1700E-05	
2	STEEL	2.0000E+08	0.25	7.8500E+03	1.1700E-05	

COMBINATION LOAD CASES

Load case 5: 1.4D+1.7L

1.400 \* Load case 1: D  
1.700 \* Load case 2: L

Load case 6: D+1.3L+1.3W

1.000 \* Load case 1: D  
1.300 \* Load case 2: L  
1.000 \* Load case 3: W

Load case 7: 0.9D+1.3W

0.900 \* Load case 1: D  
1.000 \* Load case 3: W

Load case 8: D+1.3L+E

1.000 \* Load case 1: D  
1.300 \* Load case 2: L  
1.300 \* Load case 4: E

Load case 9: 0.9+E

0.900 \* Load case 1: D  
1.300 \* Load case 4: E

LOAD CASE TITLES

Load Case	Title
1	D
2	L
3	W
4	E
5	1.4D+1.7L
6	D+1.3L+1.3W
7	0.9D+1.3W
8	D+1.3L+E
9	0.9+E

MEMBER FORCES AND MOMENTS (kN,kNm)

(\*Maximum, #Minimum)

Envelope = All Load Cases and All Members and All Sections

Memb	Load Case	Axial Force	Y-Axis Shear	Z-Axis Shear	X-Axis Torsion	Y-Axis Moment	Z-Axis Moment
77	5	922.176*	-1.051	-2.314	0.066	4.843	1.865
70	4	-31.707#	0.000	24.121	0.000	-89.351	0.000
37	5	6.253	309.974*	-0.089	0.569	0.188	-309.778
36	5	4.716	-251.141#	-0.186	2.010	-0.456	-292.285
64	8	308.384	-0.242	43.788*	0.035	-143.195	0.107
73	5	320.841	1.046	-11.948#	0.025	25.612	-2.337
83	5	4.035	85.357	0.037	9.253*	-0.065	-90.564
45	5	0.867	76.871	-0.177	-8.886#	0.445	-82.967
64	8	308.384	-0.242	43.788	0.035	141.426*	-1.468
65	8	287.431	-0.610	43.777	0.023	-143.214#	0.895
44	9	0.101	-21.018	-0.018	-1.530	0.085	84.506*
37	5	6.253	309.974	-0.089	0.569	0.188	-309.778#

NODE REACTIONS (kN,kNm) (\*Maximum, #Minimum)

Envelope = All Load Cases and All Nodes

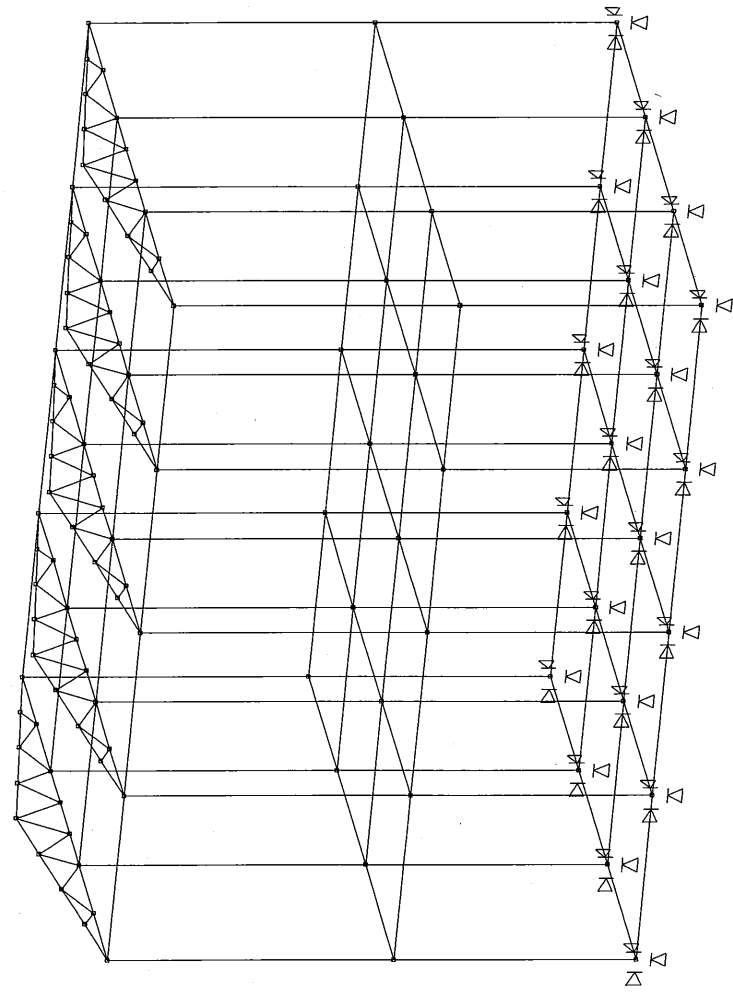
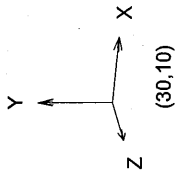
Node	Load Case	X-Axis Force	Y-Axis Force	Z-Axis Force	X-Axis Moment	Y-Axis Moment	Z-Axis Moment
19	5	22.449*	435.795	-0.860	-1.546	0.073	-48.157
2	5	-15.534#	369.432	0.714	1.597	0.073	33.806
7	5	1.051	922.176*	-2.314	-4.843	0.066	-1.865
17	4	0.000	-31.707#	24.121	89.351	0.000	0.000
8	8	0.242	308.384	43.788*	143.195	0.035	-0.107
13	5	-1.046	320.841	-11.948#	-25.612	0.025	2.337
12	8	0.610	287.431	43.777	143.214*	0.023	-0.895
13	5	-1.046	320.841	-11.948	-25.612#	0.025	2.337
3	5	-13.410	346.678	-0.984	-2.085	0.086*	29.445
2	2	-5.171	132.035	0.432	0.937	-0.001#	11.189
2	5	-15.534	369.432	0.714	1.597	0.073	33.806*
19	5	22.449	435.795	-0.860	-1.546	0.073	-48.157#

INTERMEDIATE FORCES AND MOMENTS (m,kN,kNm) (\*Maximum, #Minimum)

Envelope = All Load Cases and All Members and All Sections

Memb	Load Case	Axial Force	Y-Axis Shear	Z-Axis Shear	X-Axis Torsion	Y-Axis Moment	Z-Axis Moment
77	5	922.176*	-1.051	-2.314	0.066	4.843	1.865
70	4	-31.707#	0.000	24.121	0.000	-89.351	0.000
37	5	6.253	309.974*	-0.089	0.569	0.188	-309.778
36	5	4.716	-251.141#	-0.186	2.010	-0.456	-292.285
64	8	308.384	-0.242	43.788*	0.035	-143.195	0.107
73	5	320.841	1.046	-11.948#	0.025	25.612	-2.337
83	5	4.035	85.357	0.037	9.253*	-0.065	-90.564
45	5	0.867	76.871	-0.177	-8.886#	0.445	-82.967
64	8	308.384	-0.242	43.788	0.035	141.426*	-1.468
65	8	287.431	-0.610	43.777	0.023	-143.214#	0.895
58	5	11.488	-21.914	0.157	0.862	0.118	212.777*
37	5	6.253	309.974	-0.089	0.569	0.188	-309.778#

8 ——— D+1.3L+E

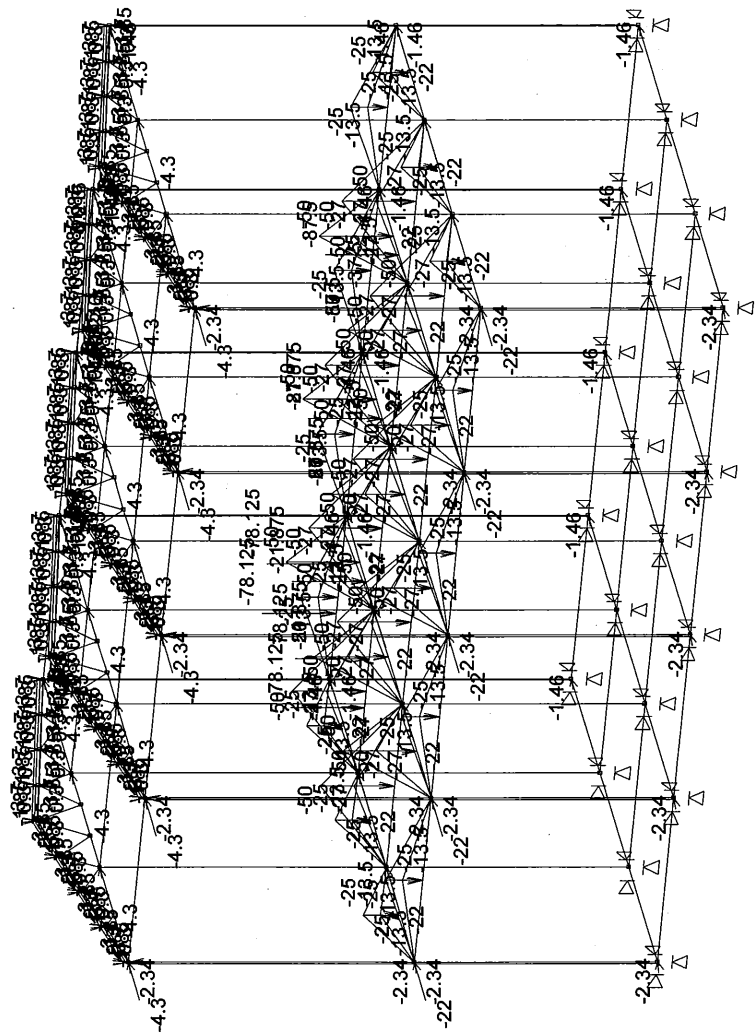
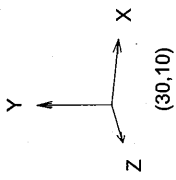


- Sections:
- 1 SLAB
  - 2 400DP x 400WD
  - 3 400 x 400 COL
  - 4 300DP x 300WD
  - 5 75\*5 EA

Sludge treatment Building Model  
Job: SLTRBUJL, Designer: FYP, Units: m,kN,MPa, Scale: 1:200, Axes: XY  
Load: 5 Disp: None Moment: None Shear: None Axial: None  
POMSSUP  
Sludge Treatment Building 6 Nov 2011, 10:09 am

- 1 \_\_\_\_\_
- 2 \_\_\_\_\_
- 3 \_\_\_\_\_
- 4 \_\_\_\_\_
- 5 \_\_\_\_\_
- 6 \_\_\_\_\_
- 7 \_\_\_\_\_
- 8 \_\_\_\_\_
- 9 \_\_\_\_\_

- D
- L
- W
- E
- 1.4D+1.7L
- D+1.3L+1.3W
- 0.9D+1.3W
- D+1.3L+E
- 0.9+E



- Sections:
- 1 SLAB
  - 2 400DP x 400WD
  - 3 400 x 400 COL
  - 4 300DP x 300WD
  - 5 75\*5 EA

Model with Different Load Cases  
 Job: SLTRBUIL, Designer: FYP, Units: m,kN,MPa, Scale: 1:200, Axes: XY  
 Load: 5 Disp: None Moment: None Shear: None Axial: None  
 POMSSUP  
 Sludge Treatment Building 6 Nov 2011, 10:09 am

ANALYSIS STATUS REPORT

Job ..... C:\SGWIN\SMIT\SLUDDPIT  
 Units system ..... Kilonewtons, Metres

Nodes	4	( 2500)
Members	3	( 5000)
Restrained nodes	2	( 2500)
Nodes with spring restraints	0	( 2500)
Section properties	1	( 100)
Material properties	1	( 25)
Constrained nodes	0	( 2500)
Member offsets	0	( 5000)
Node loads	0	(10000)
Prescribed node displacements	0	(10000)
Member concentrated loads	2	(10000)
Member distributed forces	4	(10000)
Member distributed torsions	0	(10000)
Thermal/Prestress loads	0	(10000)
Self weight load cases	1	( 100)
Combination load cases	7	( 100)
Load cases with titles	12	( 100)
Lumped masses	0	(10000)
Spectral load cases	0	( 100)
Static analysis	Y	
Dynamic analysis	N	
Response analysis	N	
Buckling analysis	N	
Ill-conditioned	N	
Non-linear convergence	Y	
Frontwidth	6	
Total degrees of freedom	12	
Primary load cases	3	( 100)
Mass load cases	0	( 100)

MEMBER FORCES AND MOMENTS (kN,kNm)  
 (\*=Maximum, #=Minimum)

Envelope = All Load Cases  
and All Members  
and All Sections

Mem	Load Case	Axial Force	Y-Axis Shear	Z-Axis Shear	X-Axis Torsion	Y-Axis Moment	Z-Axis Moment
1	8	84.092*	-159.409	0.000	0.000	0.000	291.718
1	1	0.000#	0.000	0.000	0.000	0.000	0.000
3	12	84.092	216.909*	0.000	0.000	0.000	-458.385
1	12	84.092	-216.909#	0.000	0.000	0.000	458.385
1	12	84.092	-216.909	0.000	0.000	0.000	458.385*
3	12	84.092	216.909	0.000	0.000	0.000	-458.385#

NODE REACTIONS (kN,kNm)  
 (\*=Maximum, #=Minimum)

Envelope = All Load Cases  
and All Nodes

Node	Load Case	X-Axis Force	Y-Axis Force	Z-Axis Force	X-Axis Moment	Y-Axis Moment	Z-Axis Moment
1	12	216.909*	132.865	0.000	0.000	0.000	-505.533
3	12	-216.909#	132.865	0.000	0.000	0.000	505.533
1	8	159.409	132.865*	0.000	0.000	0.000	-338.866
1	3	57.500	0.000#	0.000	0.000	0.000	-166.667
3	12	-216.909	132.865	0.000	0.000	0.000	505.533*
1	12	216.909	132.865	0.000	0.000	0.000	-505.533#

INTERMEDIATE FORCES AND MOMENTS (m,kN,kNm)  
 (\*=Maximum, #=Minimum)

Envelope = All Load Cases  
and All Members  
and All Sections

Mem	Load Case	Axial Force	Y-Axis Shear	Z-Axis Shear	X-Axis Torsion	Y-Axis Moment	Z-Axis Moment
1	8	84.092*	-159.409	0.000	0.000	0.000	291.718
1	7	0.000#	0.000	0.000	0.000	0.000	0.000
3	12	84.092	216.909*	0.000	0.000	0.000	-458.385
1	12	84.092	-216.909#	0.000	0.000	0.000	458.385
1	12	84.092	-216.909	0.000	0.000	0.000	458.385*
3	12	84.092	216.909	0.000	0.000	0.000	-458.385#

SECTION PROPERTIES (m,m^2,m^4,deg)

Sect	Section Name	Mark	Angle	Type	Flipped	Source
1	500 x 1000	S1	Not applicable	No		Standard shape
	Area of Section	Torsion Constant	Y-Axis Mom of In	Z-Axis Mom of In	Y-Axis Shr Area	Z-Axis Shr Area
	5.0000E-01	2.8610E-02	4.1667E-02	1.0417E-02	INFINITE	INFINITE
	0.00					
Sect	Section Shape	D	B/Bt	Bb/Hf	Tw	Tf
1	Rectangle	0.500	1.000			

MATERIAL PROPERTIES (kPa,Kg/m^3)

Matl	Material Name	Young's Modulus	Poisson's Ratio	Mass Density	Coeff of Expansion	Concrete Strength
1	CONCRETE-40	3.1975E+07	0.15	2.4500E+03	1.0000E-05	40000.00

SELF WEIGHT (kN/kg)

Load Case	X-Axis Accel'n	Y-Axis Accel'n	Z-Axis Accel'n
1	0.000	-0.010	0.000

COMBINATION LOAD CASES

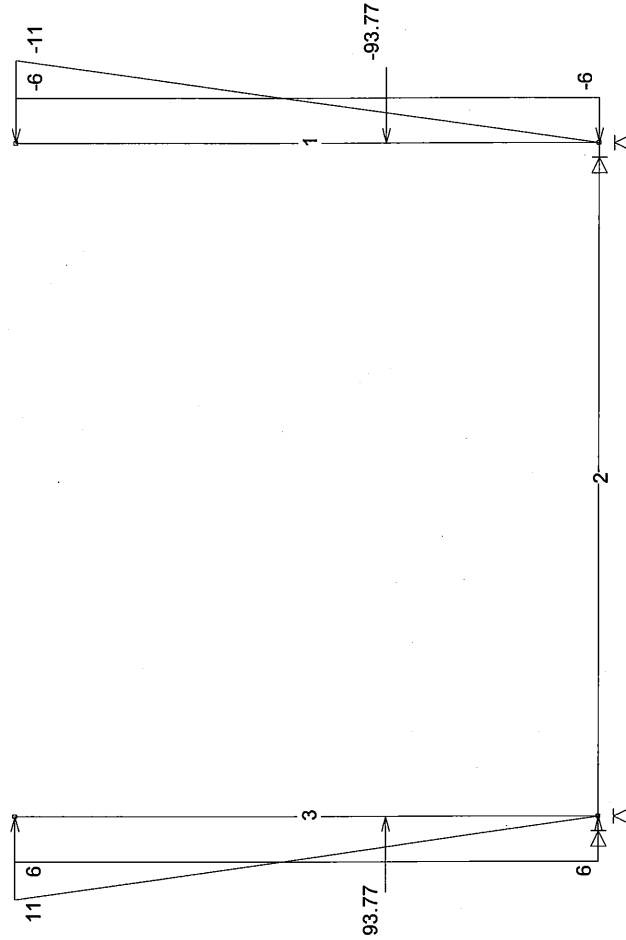
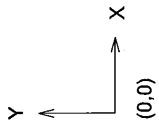
- Load case 6: D+1.3L+E
  - 1.000 \* Load case 1: D
  - 1.300 \* Load case 2: L
  - 1.000 \* Load case 3: E
- Load case 7: 0.9D+E
  - 0.900 \* Load case 1: D
  - 1.000 \* Load case 3: E
- Load case 8: 1.4D+1.7L+1.7Q
  - 1.400 \* Load case 1: D
  - 1.700 \* Load case 2: L
  - 1.700 \* Load case 4: Q
- Load case 9: 0.9D+1.7Q
  - 0.900 \* Load case 1: D
  - 1.700 \* Load case 4: Q
- Load case 10: 1.4D+1.7L+1.4F
  - 1.400 \* Load case 1: D
  - 1.700 \* Load case 2: L
  - 1.400 \* Load case 5: F
- Load case 11: 0.9D+1.4F
  - 0.900 \* Load case 1: D
  - 1.400 \* Load case 5: F
- Load case 12: 1.4D+1.7L+E+1.7Q
  - 1.400 \* Load case 1: D
  - 1.700 \* Load case 2: L
  - 1.000 \* Load case 3: E
  - 1.700 \* Load case 4: Q

LOAD CASE TITLES

Load Case	Title
1	D
2	L
3	E
4	Q
5	F
6	D+1.3L+E
7	0.9D+E
8	1.4D+1.7L+1.7Q
9	0.9D+1.7Q
10	1.4D+1.7L+1.4F
11	0.9D+1.4F
12	1.4D+1.7L+E+1.7Q

- 1
- 3
- 4
- 6
- 7
- 8
- 9
- 10
- 11
- 12

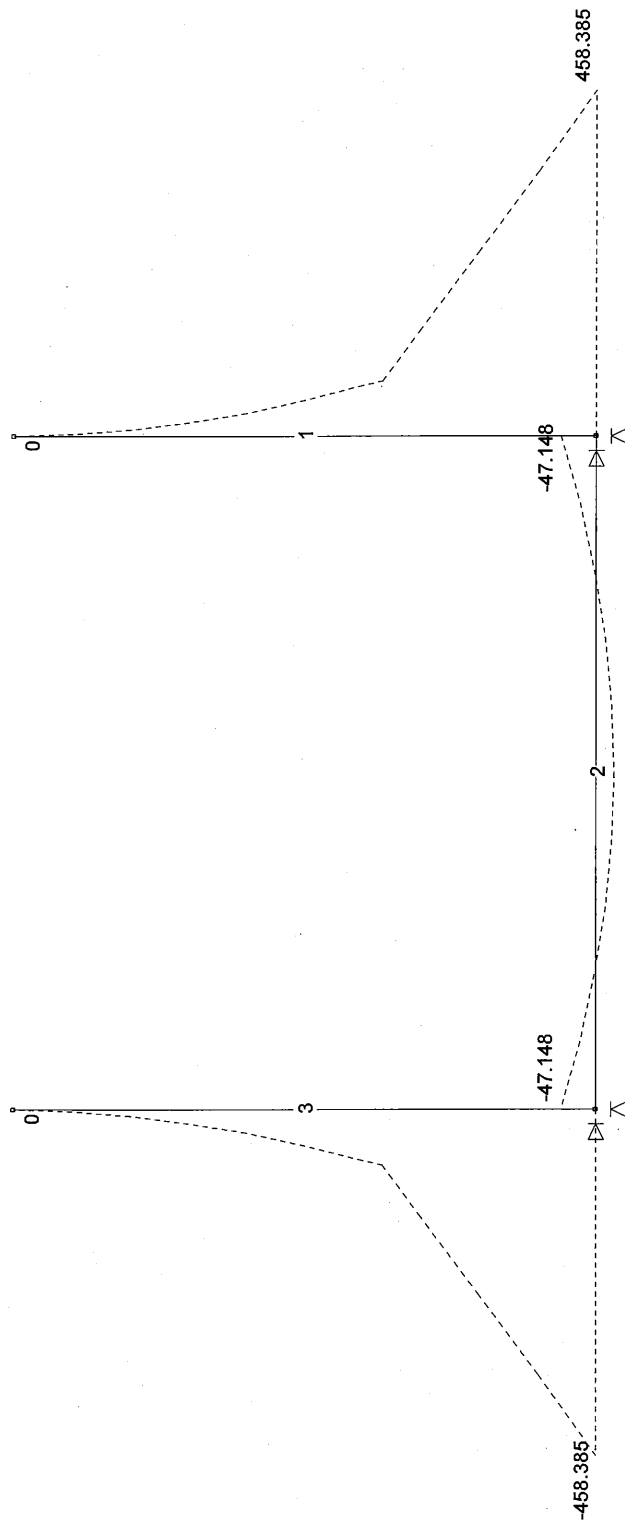
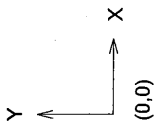
- (SW) D
- E
- Q
- D+1.3L+E
- 0.9D+E
- 1.4D+1.7L+1.7Q
- 0.9D+1.7Q
- 1.4D+1.7L+1.4F
- 0.9D+1.4F
- 1.4D+1.7L+E+1.7Q



Sections:  
1 500 x 1000

Sludge Treatment Bldg Pit Model  
 Job: SLUDPIT, Designer: FYP, Units: m,kN,MPa, Scale: 1:65, Axes: XY  
 Load: 1 Disp: None Moment: None Shear: None Axial: None  
 POMSSUP  
 Sludge Treatment Bldg Pit 13 Nov 2011, 1:11 pm

12 \_\_\_\_\_ 1.4D+1.7L+E+1.7Q



Sections:  
1. 500 x 1000

Bending Moment Diagram

Job: SLUDPIT, Designer: FYP, Units: m,kN,MPa, Scale: 1:65, Axes: XY  
Load: 1 Disp: None Moment: 10 Shear: None Axial: None  
POMSSJUP  
Sludge Treatment Bldg Pit 13 Nov 2011, 1:12 pm



## K : Electrical Sub-Station

1. Load Breakdown and Calculation
2. Result of Structural Analysis
3. Design of Member
4. Summary

<b>Load Breakdown &amp; Calculation</b>	
---	--

Items	Calculation & Description	Result	Unit
<b>1 Ground Floor Loads</b>			
<b>A DEAD LOADS</b>			
1	Blockwall wt	=	4.6 kPa
2	300 thk plain concrete slab	=	7.2 kPa
3	150 thk RC slab	=	3.75 kPa
4	Services	=	0.05 kPa
5	Superimposed DL	=	0.5 kPa
			11.5
<b>B LIVE LOADS</b>			
1	Generator Room	=	5 kPa
2	Switch Gear Room	=	5 kPa
3	Transformer Room	=	5 kPa
4	Store Room	=	18 kPa
<b>3 Roof Loads (Trafficable Roof)</b>			
<b>A DEAD LOADS</b>			
1	Colorbond Roof Sheeting	=	0.05 kPa
2	12THK Plasterboard Ceiling	=	0.29 kPa
3	Services	=	0.5 kPa
4	Superimposed DL	=	0.5 kPa
			1.34 kPa
<b>B LIVE LOADS</b>			
		=	0.25 kPa

Wind Load Calculation for Auditorium

Items	Calculation & Description	Result	Unit
<b>A Wind Load on Roof</b>			
<b>1 Data</b>			
Return Period =		50	years
Wind Velocity =		28	m/s
Terrain Category =		1	
Roof Mean Height, z =		4.9	m
Width of Bldg =		9.3	m
Length of Bldg =		13.6	m
Roof Pitch, $\alpha$ =		3	Degrees
Wind Angle, $\theta$ =		0	Degrees

2 Design Wind Velocity,  $V_z$

$$V_z = 1.35V(z/z_g)^k$$

Notes for Table 4, PNGS 101-1982: Part 2

$$k = 0.07 z_g = 250$$

= 28.70 m/s

3 Dynamic Pressure,  $q_z$

$$q_z = 0.6V_z^2 \times 10^{-2}$$

... Dynamic Pressure ...

0.49 kPa

4 Design Pressure,  $P_z$

$$p_z = C_p q_z$$

... Design pressure...

h/d = Table B2.2  $\alpha < 10^\circ$  h/d  $\geq 0.5$  0.53

h/b = 0.36

$C_p$  = ... Slope D ... -0.9

$C_p$  = ... Slope E ... -0.9

$p_z$  = ... Slope D ... -0.44 kPa

= ... Slope E ... -0.44 kPa

5 UDL on roof truss

Truss Spacing No.	Truss Spacing (m)	Truss No.	Tributary Area (m)	Windward (kN/m)			Leeward (kN/m)			
				x-Component	y-Component		x-Component	y-Component		
1	0.9									
2	5	1	3.4	-1.513	-1.511	-0.081	-1.513	-1.511	-0.081	
3	5	2	5	-2.225	-2.221	-0.119	-2.225	-2.221	-0.119	
4	5	3	5	-2.225	-2.221	-0.119	-2.225	-2.221	-0.119	
5	5	4	5	-2.225	-2.221	-0.119	-2.225	-2.221	-0.119	
6	0.9	5	3.4	-1.513	-1.511	-0.081	-1.513	-1.511	-0.081	

**Wind Load on Wall**

Items	Calculation & Description	Result Unit
<b>1 Data</b>		
Return Period =		50 years
Wind Velocity =		28 m/s
Terrain Category =		1
Roof Mean Height, z =		4.9 m
Width of Bldg =		9.3 m
Length of Bldg =		13.6 m
Roof Pitch, $\alpha$ =		3 Degrees
Wind Angle, $\theta$ =		90 Degrees

**2 Pressure Coefficients, Cp**

$h/d$	=	Table B1.1		0.53
$h/b$	=			0.36
$d/b$	=			0.68
$C_p$	=	... windward external wall surface ...	A	0.8
$C_p$	=	... leeward external wall surface ...	B	-0.5
	=	... side external wall surface ...	C	-0.6

**3  $q_z$**  =  $0.6V_z^2 \times 10^{-3}$  ... Dynamic Pressure ...

Height, z, (m)	Velocity Multiplier	Design Wind Velocity, Vz (m/s)	Dynamic Pressure, qz (kPa)
4.9	1.00	28	0.470

**4 Design Pressure,  $P_z$**

$P_z = C_p q_z$

UDL Columns				Vertical Wind Load (UDL) Distribution on Columns, $W = C_p q_z \times$ Tributary Area	
Vertical Face of Wall at 90° to Wind Direction	Spacing, (m)	Column No.	Tributary Area (m)	Windward, (kN/m)	Leeward, (kN/m)
				GFL	GFL
1	4.4	1	2.2	0.828	-0.517
2	3.7	2	4.05	1.524	-0.953
3	5.5	3	4.6	1.731	-1.082
4		4	2.75	1.035	-0.647

Vertical Face of Wall at 90° to Wind Direction	Spacing, (m)	Column No.	Tributary Area (m)	Side, (kN/m)
				GFL
1	9.3	1	4.65	-1.312
2		2	4.65	-1.312

**LATERAL LOAD DISTRIBUTION TO Block Walls**

Reference : Reinforced Concrete by Park and Paulay

**DISTRIBUTION OF SHEAR AT EACH LEVEL**

mass of wall = 4.6 KPa

FL LEVEL	Wall mass	floor area	Wt	Hi	Wt . Hi	Fi
ROOF	1.34	300	1538.4492	4.9	7538.40108	82.28505
SUMM			1538.4492		7538.40108	82.28505

$$V = Cd(T_1) Wt \quad \text{from NZS 1170.5 - 2004}$$

$$= \text{factor} \cdot Wt$$

$$= 82.285054 \quad 138$$

where:  $C = Ch(T)ZRN(T,D)Sp/k\mu$

$$Ch(T) = 0.16$$

$$Z = 0.13$$

$$R = 1.80$$

$$N(T,D) = 1.00$$

$$Sp = 1.00$$

$$k = 1.00$$

$$\mu = 0.70$$

$$\text{factor} = 0.0535$$

$$F_i = \frac{V \times (W_i \times H_i / \sum(W_i \times H_i))}{KN} \quad W_i - \text{Mass at FL } i =$$

$$Hi - \text{Height to FL } i =$$

**CENTRE OF MASS**

LEVEL: Roof

M = 23 KN/M<sup>3</sup> Note : ALL CELLS SHADED THUS REQUIRE A MANUAL INPUT

t = 0.2 m

h = 4.9 m

Wall Mass = M x t x h x L = 22.54 L (kN/m)

Floor load (1) = dl + ll/3 = 0 Kpa

Floor load (2) = dl + ll/3 = 0 Kpa

Floor load (3) = dl + ll/3 = 0 Kpa

Floor load (4) = dl + ll/3 = 1.34 Kpa

Wall	LENGTH	MASS (m)	x	y	mx	my
1	1.3	29.302	0	0.6	0	17.5812
2	4.2	94.668	0	5.2	0	492.2736
3	1.5	33.81	0	9.2	0	311.052
4	3	67.62	4.4	9.2	297.528	622.104
5	6.6	148.764	4.4	4.4	654.5616	654.5616
6	3	67.62	4.4	1.75	297.528	118.335
7	3.8	85.652	8	7.1	685.216	608.1292
8	4.7	105.938	8	2.35	847.504	248.9543
9	5.5	123.97	10.3	9.2	1276.891	1140.524
10	9.3	209.622	13.5	4.65	2829.897	974.7423

FLOOR	AREA	MASS (m)	x	y	mx	my
Roof	126.48	169.4832	6.8	4.65	1152.48576	788.09688
SUM	Wt =	1136.4492			8041.61136	5976.35408

TABLE 1

CENTRE OF MASS	Cmx =	7.0760852	Cmy =	5.25879562
----------------	-------	-----------	-------	------------

**CENTRE OF RIGIDITY**

Wall	IX m4	IY m4	x . IX	y . IY	W <sup>ix</sup> (KN)	W <sup>iy</sup> (KN)
1	1.961	0.003	0.000	0.002	8.229	8.229
2	1.961	0.003	0.000	0.017	8.229	8.229
3	1.961	0.003	0.000	0.030	8.229	8.229
4	1.961	0.003	8.628	0.030	8.229	8.229
5	1.961	0.003	8.628	0.014	8.229	8.229
6	1.961	0.003	8.628	0.006	8.229	8.229
7	1.961	0.003	15.687	0.023	8.229	8.229
8	1.961	0.003	15.687	0.008	8.229	8.229
9	1.961	0.003	20.196	0.030	8.229	8.229
10	1.961	0.003	26.471	0.015	8.229	8.229
SUM	19.608	0.033	103.923	0.175	82.285	82.285

TABLE 2

**Centre of Rigidity and Calculated Eccentricities :**

Crx =	5.3 m	Cry =	5.365 m
ex =	1.776085 m	ey =	-0.106204 m

check code eccentricities :

please enter b in x - direc'n = 13.6 m  
 please enter b in y - direc'n = 9.3 m

from PNG 1001 - 1982 Part 4 clause 3.4.7

esx <= 0.3bx = 4.08 m      ex OK      however torsional  
 esy <= 0.3by = 2.79 m      ey OK      shears not large

edx1 =	3.344128 m	edy1 =	-0.624307 m	(ed = 1.5es + 0.05b)
edx2 =	1.096085 m	edy2 =	0.358796 m	or (ed = es - 0.05b)

Wall	xi m	yi m	xi <sup>2</sup> . IXi + yi <sup>2</sup> . IYi	W <sup>ix1</sup> (KN)	W <sup>ix2</sup> (KN)	W <sup>iy1</sup> (KN)	W <sup>iy2</sup> (KN)
1	8.34412779	-15.83	137.34	0.000445	-0.000256	0.75	0.25
2	13.3441278	-15.83	349.97	0.000445	-0.000256	1.21	0.40
3	13.3441278	-15.83	349.97	0.000445	-0.000256	1.21	0.40
4	20.8441278	-15.83	852.75	0.000445	-0.000256	1.88	0.62
5	23.3441278	-15.83	1069.36	0.000445	-0.000256	2.11	0.69
6	23.3441278	-15.83	1069.36	0.000445	-0.000256	2.11	0.69
7	23.3441278	-15.83	1069.36	0.000445	-0.000256	2.11	0.69
8	23.3441278	-15.83	1069.36	0.000445	-0.000256	2.11	0.69
SUMM			5967.48				

TABLE 3

**FINAL LOAD DISTRIBUTION**

Wall					FINAL LOAD DISTRIBUTION	
	W <sup>ix1</sup> (KN)	W <sup>ix2</sup> (KN)	W <sup>iy1</sup> (KN)	W <sup>iy2</sup> (KN)	W <sup>ix</sup> (KN)	W <sup>iy</sup> (KN)
1	8.2	8.2	9.0	8.5	8.2	9.0
2	8.2	8.2	9.4	8.6	8.2	9.4
3	8.2	8.2	9.4	8.6	8.2	9.4
4	8.2	8.2	10.1	8.8	8.2	10.1
5	8.2	8.2	10.3	8.9	8.2	10.3
6	8.2	8.2	10.3	8.9	8.2	10.3
7	8.2	8.2	10.3	8.9	8.2	10.3
8	8.2	8.2	10.3	8.9	8.2	10.3
SUMM					65.8	79.3

TABLE 4

Torsional Moments	
kNm	kNm
27.5186624	-5.608118
27.5186624	-5.890357
27.5186624	-5.890357
27.5186624	-6.313716
27.5186624	-6.454836
27.5186624	-6.454836
27.5186624	-6.454836
27.5186624	-6.454836
27.5186624	-6.454836

### BEAM ON ELASTIC FOUNDATION - WINKLER ANALYSIS

Reference Bowles, J.E Foundation Analysis & Design

McGrall Hill, Third Edition, 1982

Design data:

Compacted Material

$B =$  0.15 m  
 $\mu =$  0.4 MPa  
 $E_s =$  180 MPa  
 $\pi =$  3.141593  
 $D =$  0.15 m  
 $F'c =$  40 MPa  
 $\rho =$  2400 kg/m<sup>3</sup>

$$k's = 0.65^{12} \sqrt{(E_s B^4) / (E_f I_f)} * (E_s / (1 - \mu^2))$$

-->  $\lambda L < \pi/4$  Rigid member - Bending not influenced much by  $k_s$

$\lambda L > \pi$  Flexible member - Bending heavily localised

$E_s, E_f =$  Modulus of soil and footing respectively

$B, I_f =$  Footing width and its moment of inertia based on cross section

$k_s =$  Modulus of subgrade reaction

Procedure : Conventional rigid procedure (CRP) or Beam on Elastic Foundation (Winkler)

$$k_s = k's B$$

$$\lambda = 4 \sqrt{(k's / 4E_c I)}$$

Section	B m	I m <sup>4</sup>	E <sub>c</sub> GPa	E <sub>s</sub> GPa	μ MPa	k's	L m	λ	λL	Is λL < π/4	Is λL > π	Analysis method ?	k <sub>s</sub> = k'sB kNm
1	0.40	1.13E-04	31.9754	0.18	0.4	0.14219	4.90	1.7730	8.6877	No	Yes	Use Winkler	355472
2	1.50	4.22E-04	31.9754	0.18	0.4	0.19784	4.90	1.3838	6.7805	No	Yes	Use Winkler	131894

FMSSUP  
Electrical Sub Station

SECTION PROPERTIES (m,m^2,m^4,deg)

Sect	Section Name	Mark	Angle	Type	Flipped	Source		
1	Section 1	S1		Not applicable	No	Standard shape		
2	Section 2	S2		Not applicable	No	Standard shape		
Sect	Section	Area of Constant	Torsion	Y-Axis Mom of In	Z-Axis Mom of In	Y-Axis Shr Area	Z-Axis Shr Area	Princ Angle
1	2.4000E-01	7.5125E-03	3.2000E-03	7.2000E-03	4.2190E-04	INFINITE	INFINITE	0.00
2	2.2500E-01	1.5812E-03	4.2188E-02	4.2190E-04	INFINITE	INFINITE	INFINITE	0.00
Sect	Section Shape	D	B/Bt	Bb/Hf	Tw	Tf		
1	Rectangle	0.600	0.400					
2	Rectangle	0.150	1.500					

MATERIAL PROPERTIES (kPa,Kg/m^3)

Matl	Material Name	Young's Modulus	Poisson's Ratio	Mass Density	Coeff of Expansion	Concrete Strength
1	CONCRETE-40	3.1975E+07	0.15	2.4500E+03	1.0000E-05	40000.00

SELF WEIGHT (kN/Kg)

Load Case	X-Axis Accel'n	Y-Axis Accel'n	Z-Axis Accel'n
1	0.000	-0.010	0.000

COMBINATION LOAD CASES

Load case 3: 1.4D+1.7L  
 1.400 \* Load case 1: D  
 1.700 \* Load case 2: L

CASE TITLES

Load Case	Title
1	D
2	L
3	1.4D+1.7L

MEMBER FORCES AND MOMENTS (kN,kNm) (\*=Maximum, #=Minimum)

Envelope = All Load Cases and All Members and All Sections

Memb	Load Case	Axial Force	Y-Axis Shear	Z-Axis Shear	X-Axis Torsion	Y-Axis Moment	Z-Axis Moment
14	3	0.000	53.990*	0.000	-5.699	0.000	-19.586
37	3	0.000	-89.172#	0.000	0.563	0.000	-33.952
3	3	0.000	1.882	0.000	6.111*	0.000	1.691
14	3	0.000	53.990	0.000	-5.699#	0.000	-19.586
37	3	0.000	-64.882	0.000	0.563	0.000	30.646*
37	3	0.000	-89.172	0.000	0.563	0.000	-33.952#

NODE REACTIONS (kN,kNm) (\*=Maximum, #=Minimum)

Envelope = All Load Cases and All Nodes

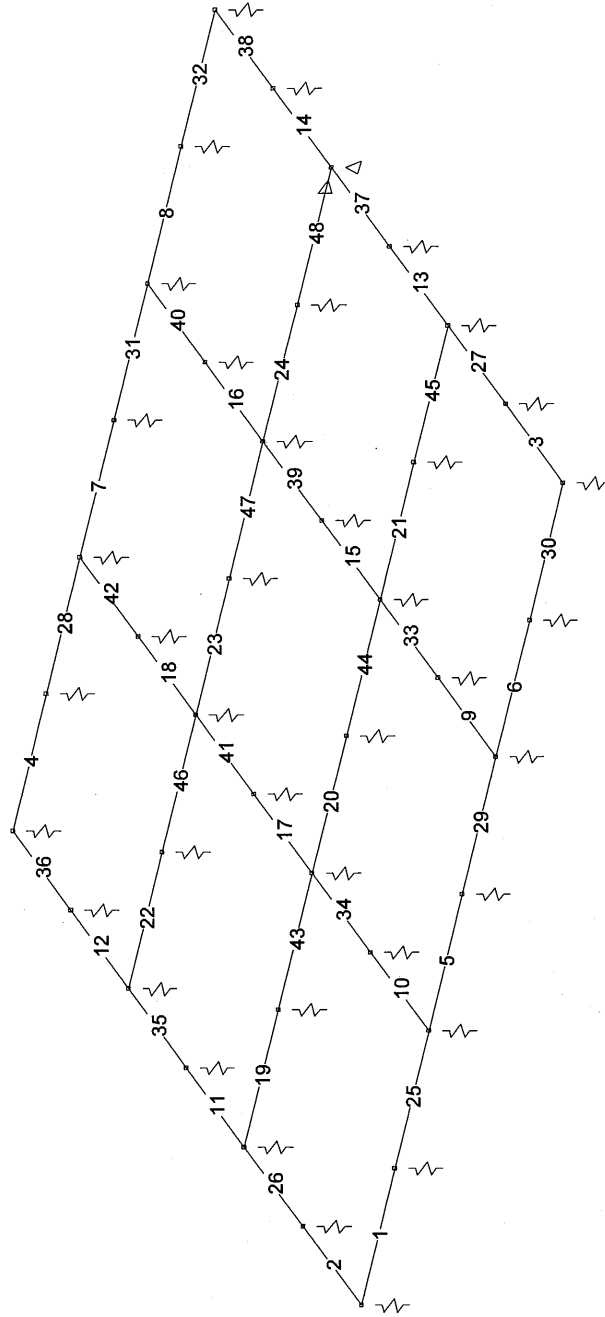
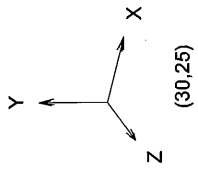
Node	Load Case	X-Axis Force	Y-Axis Force	Z-Axis Force	X-Axis Moment	Y-Axis Moment	Z-Axis Moment
12	3	0.000	164.661*	0.000	-14.366	0.000	0.000
30	2	0.000	0.420#	0.000	3.157	0.000	0.000
0	3	0.000	3.107	0.000	25.523*	0.000	0.000
J	3	0.000	5.573	0.000	-55.262#	0.000	0.000

INTERMEDIATE FORCES AND MOMENTS (m,kN,kNm) (\*=Maximum, #=Minimum)

Envelope = All Load Cases and All Members and All Sections

Memb	Load Case	Axial Force	Y-Axis Shear	Z-Axis Shear	X-Axis Torsion	Y-Axis Moment	Z-Axis Moment
14	3	0.000	53.990*	0.000	-5.699	0.000	-19.586
37	3	0.000	-89.172#	0.000	0.563	0.000	-33.952
3	3	0.000	1.882	0.000	6.111*	0.000	1.691
14	3	0.000	53.990	0.000	-5.699#	0.000	-19.586
37	3	0.000	-64.882	0.000	0.563	0.000	30.646*
37	3	0.000	-89.172	0.000	0.563	0.000	-33.952#

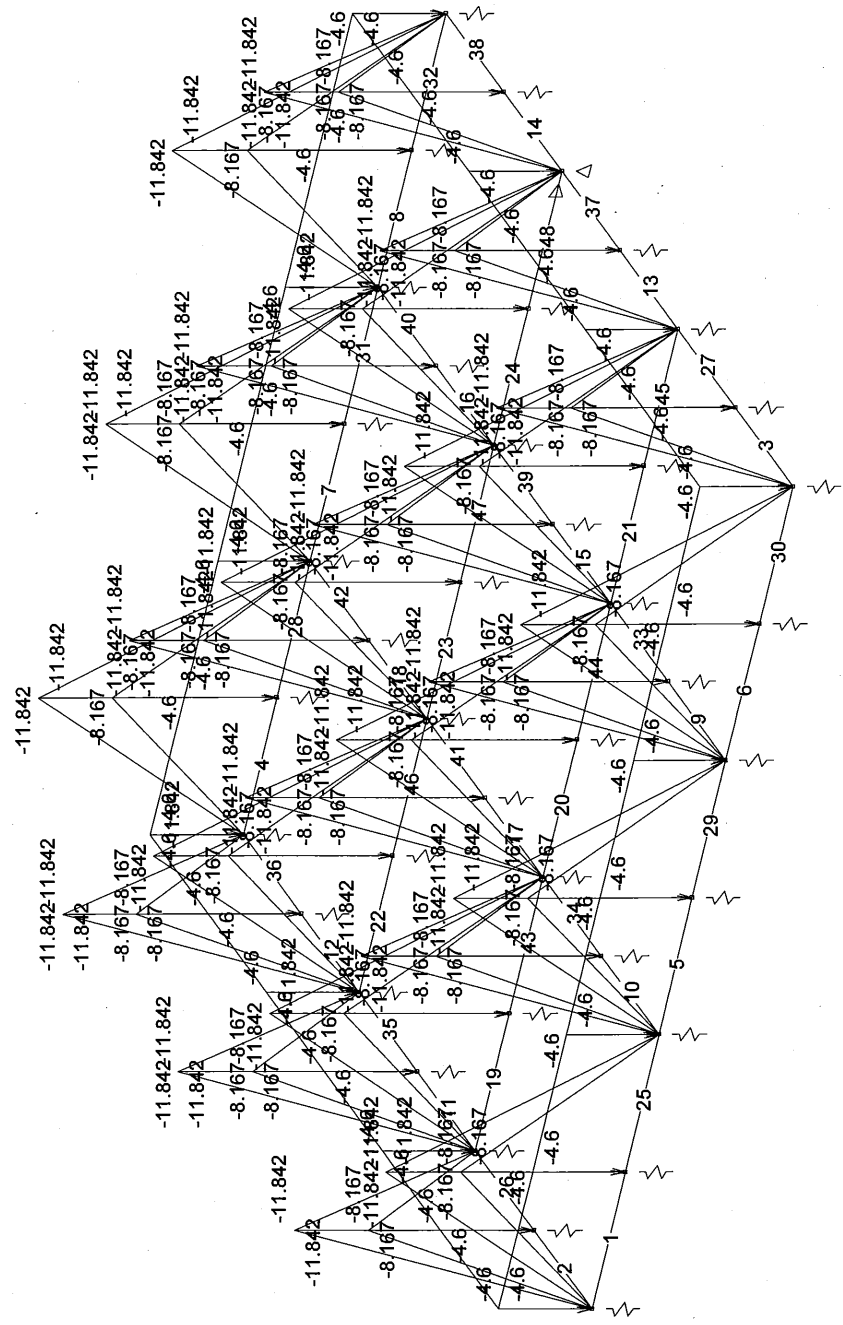
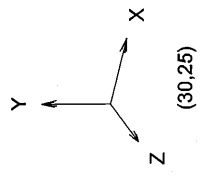




Ground Slab Model

Job: ESUBSTN, Designer: FYP, Units: m,kN,MPa, Scale: 1:39, Axes: XY  
 Load: None Disp: None Moment: None Shear: None Axial: None  
 POMSSUP  
 Electrical Sub Station 18 Oct 2011, 9:12 am

- 1  D
- 2  L
- 3  1.4D+1.7L



Ground Slab Model with Loadings

Job: ESUBSTN, Designer: FYP, Units: m,kN,MPa, Scale: 1:39, Axes: XY  
 Load: 0.34 Disp: None Moment: None Shear: None Axial: None  
 POMSSUP  
 Electrical Sub Station

18 Oct 2011, 9:13 am

**Timber Roof Purlin Design**

REF: PNGS 1292 - 1989

**TABLE 2.2**

**STRENGTH CLASSIFICATION**

Species	Moisture Condition	Strength Group(2)	Stress Grade
Hardwood	Seasoned	SD3	F11

**TABLE 2.3**

**BASIC WORKING STRESS & STIFFNESS FOR THE STRUCTURAL TIMBER (CONCERNED)**

Stress grade	Basic working stress, MPa				Modulus of Elasticity (E)
	Bending (Fb')	Tension parallel to grain (Ft')	Compression parallel to grain (Fc')	Shear in Beams (Fs')	
F11	11.00	6.60	8.4	1.05	10500

**TABLE A**

**MODIFICATION FACTORS**

Duration of Load Factor, k1	k2	k3	Partial Seasoning Factor, k4	Seasoned moisture Cont. Factor, k5	Temp °C Factor, k6	Length of Bearing Factor, k7	Parallel Support Factor, k8	Grid Systems Factor, k9	Size Factor, k11	Stability Factor, k12
1.00	1.00	1.00	1.00	1.00	0.90	1.00	1.33	1.00	1.00	1.00

**PERMISSIBLE STRESSES**

**a. In Bending:**

$$F_b = k_1 k_4 k_5 k_6 k_8 k_{11} k_{12} F_b' \dots \text{Eq. 3.1}$$

$$= 13.167 \text{ MPa}$$

**b. In Compression parallel to grain:**

$$F_c = k_1 k_4 k_5 k_6 k_8 k_{11} k_{12} F_c' \dots \text{Eq. 3.12}$$

$$= 10.0548 \text{ MPa}$$

**c. In Tension parallel to grain**

$$F_t = k_1 k_4 k_5 k_6 k_{11} F_t' \dots \text{Eq. 3.21}$$

$$= 5.94 \text{ MPa}$$

**Purlin Design**

**Loads**

DL = 0.09 kN/m      LL = 0.225 kN/m

Combination: DL + LL = 0.315 kN/m

Size B (mm) 50      D (mm) 75      HWD      Purlin Span = 1200 mm      Purlin Spacing = 900 mm cts

**Permissible Stresses**

From Analysis	
M*max	= 0.06 kNm
V*max	= 0.19 kN

**a. In Bending**

Fb = 13.167 MPa

**b. Fs**

Fs = k1 k4 k5 k6 Fs' = 0.945 MPa

Working Bending Stress, fb = Mx/Zx

= 1.2096 MPa

Working Shear Stress, fs = 3V/2BD

= 0.0756 MPa

**CHECK!**

From equation 3.10; fbx/Fbx <= 1

0.091866 < 1      OK

fs = 0.0756 MPa < Fs = 0.945 MPa      OK

**Deflection Check!**

**From Analysis**

DL = 0.09 kN/m

LL = 0.225 kN/m

Defln = 5WL<sup>4</sup>/384EI

Defln.DL = 0.131657 mm      Def. by DL

Allowable Defln = L/300 = 4 mm > 0.131657 = Defln.DL      OK

Defln.LL = 0.329143 mm      Def. by LL

Allowable Defln = L/360 = 3.3333333 mm > 0.329143 = Defln.LL      OK

**Timber Roof Rafter Design**

REF: PNGS 1292 - 1989

**TABLE 2.2**

**STRENGTH CLASSIFICATION**

Species	Moisture Condition	Strength Group(2)	Stress Grade
Hardwood	Seasoned	SD3	F11

**TABLE 2.3**

**BASIC WORKING STRESS & STIFFNESS FOR THE STRUCTURAL TIMBER (CONCERNED)**

Stress grade	Basic working stress, MPa				Modulus of Elasticity (E)
	Bending (Fb')	Tension parallel to grain (Ft')	Compression parallel to grain (Fc')	Shear in Beams (Fs')	
F11	11.00	6.60	8.4	1.05	10500

**TABLE A**

**MODIFICATION FACTORS**

Duration of Load Factor, k1	k2	k3	Partial Seasoning Factor, k4	Seasoned moisture Cont. Factor, k5	Temp °C Factor, k6	Length of Bearing Factor, k7	Parallel Support Factor, k8	Grid Systems Factor, k9	Size Factor, k11	Stability Factor, k12
1.00	1.00	1.00	1.00	1.00	0.90	1.00	1.33	1.00	1.00	1.00

**PERMISSIBLE STRESSES**

**a. In Bending:**

$$F_b = \frac{k_1 k_4 k_5 k_6 k_8 k_{11} k_{12} F_b'}{\dots} \dots \text{Eq. 3.1}$$

$$= 13.167 \text{ MPa}$$

**b. In Compression parallel to grain:**

$$F_c = \frac{k_1 k_4 k_5 k_6 k_8 k_{11} k_{12} F_c'}{\dots} \dots \text{Eq. 3.12}$$

$$= 10.0548 \text{ MPa}$$

**c. In Tension parallel to grain**

$$F_t = \frac{k_1 k_4 k_5 k_6 k_{11} F_t'}{\dots} \dots \text{Eq. 3.21}$$

$$= 5.94 \text{ MPa}$$

**Rafter Design**

**Loads**

DL = 1.608 kN/m      LL = 0.3 kN/m  
 Combination: DL + LL = 1.908 kN/m  
 Size B (mm) 150      D (mm) 150      HWD  
 Rafter Spacing = 1200 mm CTS      Rafter Span = 4.5 m

**Permissible Stresses**

**a. In Bending**

$$F_b = 13.167 \text{ MPa}$$

**b.**

$$F_s = \frac{k_1 k_4 k_5 k_6 F_s'}{\dots} = 0.945 \text{ MPa}$$

From Analysis	
M*max	= 4.83 kNm
V*max	= 4.29 kN

Working Bending Stress, fb =  $\frac{M_x}{Z_x} = 8.586 \text{ MPa}$

Working Shear Stress, fs =  $\frac{3V}{2BD} = 0.2862 \text{ MPa}$

**CHECK!**

From equation 3.10;  $\frac{f_b}{F_b} \leq 1$   
 $\frac{0.652084757}{13.167} < 1$       OK

$f_s = 0.2862 \text{ MPa} < F_s = 0.945 \text{ MPa}$       OK

**Deflection Check!**

**From Analysis**

DL = 1.608 kN/m  
 LL = 0.3 kN/m  
 Defln =  $\frac{5WL^4}{384EI}$   
 Defln.DL = 1.93821E-11 mm      Def. by DL  
 Allowable Defln = L/300 = 15 mm      > 1.93821E-11 = Defln.DL      OK  
 Defln.LL = 3.61607E-12 mm      Def. by LL  
 Allowable Defln = L/360 = 12.5 mm      > 3.61607E-12 = Defln.LL      OK

## Reinforced Masonry Block Wall Design

REFERENCE: **Concrete Structures - 3rd Edition**  
**R. F. Warner, B. V. Rangan, & A. S. Hall**

**AS 3600 - 2009**

Step Calculation & Description

Result Unit

1 Data

N*.max	=		79 kN
M*.max	=		27 kNm
V*.max	=		79 kN
f'c	=		15 MPa
fsy	=		410 MPa
esy			0.002
Lw	=	... overall length of wall ...	9300 mm
Hw	=	... unsupported height of wall ...	4900 mm
tw	=	... wall thickness ...	200 mm
Hwe	=	0.8 Hw, effective wall height	3920 mm
Check: Hwe/tw	=	19.6 <	30 OK

2 **Check maximum shear strength**

dw	=	0.8Hw	3920
$\theta$	=	$\tan^{-1}(dw/Hw)$	0.674741 radians
$\theta$	=		38.7 degrees
		$30^\circ \leq \theta \leq 60^\circ$	
k3	=	$(0.6 + 10/f'c) \leq 0.85$	1.267
k3f'c	=		19 MPa
Vu.max	=	$k3f'ctwdw \sin \theta \cos \theta / (1.14 + 0.68 \cot^2 \theta)$	3299 kN
$\theta_{vu.max}$	=		2309 kN
$\theta_{vu.max}$	>	V*	OK

3 **Vertical steel in the wall**

Gross concrete area of the wall cross-section

Ag	=		784000 mm <sup>2</sup>
N*/Ag	=		0.10 MPa

In design, substituting for Vu from  $\phi Vu \geq V^*$ , we obtain;

$$\phi f_{sy} \geq V^* \cot \theta / \phi t w d w - N^* / A_g \quad \phi = 0.7$$

$$A_l \geq (\phi f_{sy} / f_{sy})(t w L_w) \quad 359.1739 \text{ mm}^2 \quad 360 \text{ mm}^2$$

$$A_s V = A_l \quad 360 \text{ mm}^2$$

Using Y16 bars area/bar = 200 mm<sup>2</sup>

Now, minimum area vertical reinforcement,  $A_{st.min} = 0.0015 t w L_w = 4464 \text{ mm}^2$

**Minimum Reinforcement Requirement Governs**

# of bars = 22.32 23 bars

23 bars at each wall face and the average spacing is at;

Spacing of bars =  $(L_w - 2b) / (\# \text{ bars @ each wall face})$  404.3478 mm CTS

minimum bar spacing = 2.5tw or 500 mm whichever is less = 500 mm CTS

Use Y12 bars at 400 mm CTS at each wall face.

# of bars =  $2(1 + (L_w - 2b - A_{st}/\text{bar})/\text{spacing})$  23.25 bars

AsV (provided) = 4650 mm<sup>2</sup>

Therefore;

$$p_l = [(\# \text{ of bars} \times \text{bar dia}) + (4A_{st}/\text{bar dia of beam})] / (t) \quad 0.003$$

It is necessary to ensure that  $p_l$  is not less than 0.0025 for crack control purposes.

In this case;

$p_l = 0.0029 > 0.0025$  OK

4 **Horizontal steel in the wall**

For adequate control of cracking due to restrained shrinkage and temperature effects, the minimum value of horizontal steel ratio  $p_t$  is taken as;

$$p_t = 0.0012$$

$$A_{st.min} = 0.0015 t w H_w \quad 1176 \text{ mm}^2$$

For Y12 bars, area/bar = 110 mm<sup>2</sup>

# of bars = 10.69091 11 bars

11 bars at each wall face and the average spacing is at;

# of bars = 11 bars

Spacing of bars =  $(H_w) / (\# \text{ bars @ each wall face})$  445 mm CTS

Therefore, use Y16 bars 400 mm CTS at each wall face.

5 Check flexural strength of wall

The flexural strength of the wall is calculated using an equivalent rectangular stress block for compression zone concrete, like columns subjected to axial compression and bending moment. Calculate rectangular stress block parameters.

$$\alpha = 0.85 - 0.004(f'c - 55) = 0.65 < 0.97$$

$$\gamma = 0.85 - 0.008(f'c - 30) = 0.97$$

Take  $\gamma = 0.97$

$$Nu = N^*/\phi \quad \phi = 0.6 \quad 132 \text{ kN} \quad 135$$

Trial depth of neutral axis,  $dn = 733 \text{ mm}$

$$\text{Compressive force in concrete, } Cc = 0.85\gamma f'c b d r \text{ (include boundary element)} = 1813 \text{ kN}$$

$$dc = \gamma dn / 2 = 356 \text{ mm}$$

(0.003/dn) (dn - dsi)

Raw #	# of bars	Asi (mm <sup>2</sup> )	bar cts (mm)	dsi (mm)	εsi	δsi (MPa)	Fsi (kN)	Fsidsi (kNmm)	M = Fsi(dq - dsi) (kNmm)
1	1	200	100	100	0.0026	410	82	8200	373100
2	1	200	200	300	0.0018	354	71	21266.03	308357
3	1	200	400	700	0.0001	54	11	7563.438	42679
4	1	200	400	1100	-0.0015	-601	-120	-132180.1	-426581
5	1	200	400	1500	-0.0031	-410	-82	-123000	-258300
6	1	200	400	1900	-0.0048	-410	-82	-155800	-225500
7	1	200	400	2300	-0.0064	-410	-82	-188600	-192700
8	1	200	400	2700	-0.0081	-410	-82	-221400	-159900
9	1	200	400	3100	-0.0097	-410	-82	-254200	-127100
10	1	200	400	3500	-0.0113	-410	-82	-287000	-94300
11	1	200	400	3900	-0.0130	-410	-82	-319800	-61500
12	1	200	400	4300	-0.0146	-410	-82	-352600	-28700
13	1	200	400	4700	-0.0162	-410	-82	-385400	4100
14	1	200	400	5100	-0.0179	-410	-82	-418200	36900
15	1	200	400	5500	-0.0195	-410	-82	-451000	69700
16	1	200	400	5900	-0.0211	-410	-82	-483800	102500
17	1	200	400	6300	-0.0228	-410	-82	-516600	135300
18	1	200	400	6700	-0.0244	-410	-82	-549400	168100
19	1	200	400	7100	-0.0261	-410	-82	-582200	200900
20	1	200	400	7500	-0.0277	-410	-82	-615000	233700
21	1	200	400	7900	-0.0293	-410	-82	-647800	266500
22	1	200	400	8300	-0.0310	-410	-82	-680600	299300
23	1	200	400	8700	-0.0326	-410	-82	-713400	332100
24	1	200	400	9100	-0.0342	-410	-82	-746200	364900
25	1	200	200	9300	-0.0351	-410	-82	-762600	381300
Σ	25	5000	100	9400			-1678	9549751	1744856

4 Axial Strength of the wall;

$$Nu = \sum Fsi + Cc = \text{[redacted]} \text{ kN}$$

$$dN = 1/Nu (Ccdc + \sum Fsidsi) = -66158.72 \text{ mm}$$

$$dq = 0.5D \quad \dots \text{ plastic centroid } \dots = 4,650 \text{ mm}$$

$$e = dq - dN \quad \dots \text{ eccentricity } \dots = 70,809 \text{ mm}$$

Summing up moments of forces about the plastic centroid gives;

$$Mu = 9,531 \text{ kNm}$$

$$\phi Mu = 5,719 \text{ kNm}$$

$$e = Mu/Nu = 70,809 \text{ mm}$$

Therefore,  $Nu = 135 \text{ kN}$

$$\phi Mu = 5,719 \text{ kNm} > M^* = 27 \text{ kNm}$$

Therefore, the flexural strength of the wall cross-section is adequate to carry the design bending moment

**BASE SLAB DESIGN AS A CONTINUOUS RC BEAM**

REFERENCE: Concrete Structures - 3rd Edition Australian Standard (AS) 3600 - 1988  
 R. F. Warner, B. V. Rangan, & A. S. Hall

**Design of a Continuous Beam :****1 Loads**

DL	:	Wdl =	33.60 kN/m	(plus super)
Self wt	:	Wsw =	43.88 kN/m	
Blockwall	:	Wb =	0.00 kN/m	
TOTAL		=	77.48 kN/m	
LL :		Wll =	0.25 kN/m	
LL factor	- long term		0.4	
	- short term		0.7	

**2 Beam Section Properties****Beam Size**

bw =	3900 mm	D =	450 mm
tff =	0 mm	Cover =	65 mm
Actual length, L =	9300 mm	Overall depth of sect. D =	450 mm
Effective Length, L <sub>ef</sub> =	8900 mm	Area, A =	1.76E+06 mm <sup>2</sup>
Neutral Axis, y <sub>c</sub> =	225.00 mm	Moment of Inertia, I <sub>x-x</sub> =	2.96E+10 mm <sup>4</sup>
Neutral Axis, x <sub>c</sub> =	2840.00 mm	Moment of Inertia, I <sub>y-y</sub> =	2.22E+12 mm <sup>4</sup>
Effective width, b <sub>eff</sub> =	5680.00 mm	Gross Area, A <sub>g</sub> =	1.76E+06 mm <sup>2</sup>

**3 Design Parameters**

F' <sub>c</sub> =	32 MPa	F <sub>sy</sub> =	410 MPa
m =	2400 kg/m <sup>3</sup>	D =	450 mm
E <sub>c</sub> =	28599.623 MPa	E <sub>s</sub> =	200000 MPa
Gamma =	0.822		

**4 Initial Choice of Section**

Effective width =	5680 mm	clause 8.8.2	
Is the section RECT or T, L (ans : 1 or 2)	=		1
k <sub>1</sub> =	0.045	(RECT sections)	1
=	0.033464	(T and L sections)	2
what type of span?	5	interior span =	5
		end span =	6
k <sub>2</sub> =	0.002604		
k <sub>cs</sub> =	1.64	(because there will be comp steel at midspan=say .5A <sub>st</sub> )	
F <sub>def</sub> =	127.398		
defln/L <sub>ef</sub> =	0.004 k <sub>1</sub> /k <sub>2</sub> =	17.279779	
d =	201 mm		
take d =	373 mm	Distance from d to extreme fibre of beam (d <sub>o</sub> ) =	77 mm

**5 Forces from an Elastic Analysis by Space Gass**

M <sub>max</sub> -ve	=	25.00 kNm	(left support)
M <sub>max</sub> +ve	=	25.00 kNm	(mid-span)
M -ve	=	25.00 kNm	(right support)
V <sub>max</sub>	=	65.00 kN	
V (other end)	=	65.00 kN	
N*	=	0.00 kN	Axial Load

## 6 FLECTURAL STRENGTH STEEL

Determine -ve steel required: (At arbitrary left support)

Number of reinforcement layers 1 or 2 : 1

take do = 77 mm d = 373

Estimate Area of main steel Ast = 213.69083 mm<sup>2</sup>

2 Y 12 Ast = 226.19467 mm<sup>2</sup>

p = 0.0001555

2 Y 12 Asc = 226.19467 mm<sup>2</sup>

pc = 0.0001555 < pd = 0.02181

p-pc = 0  $pd = 0.4 * 0.85 * \mu * f'c / f_{sy}$

**Check M\* <= phiMu**

ku = 0 dsc = 71 mm

$$\phi Mu = \phi [F_{sy} \times A_{sc} (d - d_{sc}) + 0.85 \times F'c \times b \times \Gamma \times k_u \times d \times (d - 0.5 \times 0.85 \times k_u \times d)]$$

=	25.21 kNm	>	M*	=	25.00 kNm	OK
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Determine -ve steel at right support:

M -ve = 25.00 kNm

Number of reinforcement layers 1 or 2 : 1

take do = 77 mm dst = 373 mm

Estimate Area of main steel Ast = 213.69083 mm<sup>2</sup>

2 Y 12 Ast = 226.19467 mm<sup>2</sup>

p = 0.0001555

2 Y 12 Asc = 226.19467 mm<sup>2</sup>

pc = 0.0001555 < pd = 0.02181

p-pc = 0

**Check M\* <= phiMu**

ku = 0 dsc = 71 mm

$$\phi Mu = \phi [F_{sy} \times A_{sc} (d - d_{sc}) + 0.85 \times F'c \times b \times \Gamma \times k_u \times d \times (d - 0.5 \times 0.85 \times k_u \times d)]$$

=	25 kNm	>	M*	=	25.00 kNm	OK
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FOR DUCTILITY CHECK AT BOTH SUPPORTS USE EMPHI

**Tensile Steel at Midspan:**

M\* = 25 kNm

Steel in one layer then code = 1

" " two " " code = 2

what is the code? 1

take dist between centroid of bar/s and soffit = 77 mm

d = 373 mm

Ast = M\*/(Phi x 0.85 x d x Fsy) = 213.69083 mm<sup>2</sup>

Bottom 3 Y 12 Ast = 339.292007 mm<sup>2</sup>

Top 3 Y 12 Asc = 339.292007 mm<sup>2</sup>

Assume N - A in flange

Effective width : beff = 5680 mm

ku = 1/(0.85 x 0.85) x [Ast/(bw x d)] x (Fsy/F'c)

= 0.002937

hence dn = 1 < flange thickness  
hence N-A is in flange

$$\phi Mu = 0.9 [F_{sy} \times A_{st} \times d (1 - 0.5 \times 0.85 \times k_u)]$$

=	47 kNm	>	M*+ve	=	25.00 kNm	OK
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Summary of reinforcement requirement :

left support :	Ast =	2	Y 12
	Asc =	2	Y 12
Right support :	Ast =	2	Y 12
	Asc =	2	Y 12
midspan	Ast =	3	Y 12
	Asc =	3	Y 12



## 7 STEEL CURTAILMENT REQUIREMENT CHECK

The following requirements regarding curtailment are subject to stress development length requirements.

For -ve steel i)  $1/4 A_{st}$  to continue over length of beam  
= 2 bars

ii) Remainder to be curtailed at  $0.3L_n$  from face of support.

$$= 0.3 \times l_e = 2670 \text{ mm}$$

For -ve steel i)  $1/4 A_{st}$  to continue over length of beam  
= 2 bars

ii) Remainder to be curtailed at  $0.3L_n$  from face of support.

$$= 0.3 \times l_e = 2670 \text{ mm}$$

For +ve steel : i)  $1/2 A_{st}$  must be carried into outer support  
= 2 bars

ii)  $1/4 A_{st}$  into interior support  
= 2 bars

iii) Remainder curtailed at  $0.1L_n$  from supports

$$= 0.1 \times l_e = 890 \text{ mm}$$

## 8 STRESS DEVELOPMENT

For Top Steel:

cover :  $c = 65 \text{ mm}$

$d_b = 12 \text{ mm}$  # of lines of bars = 2

$a_b = 1873 \text{ mm}$  distance between bars

If  $a_b > 2c$   $C = 2c + d_b = 142 \text{ mm}$

$C$  is the outside diameter of a concrete annulus

if  $a_b \leq 2c$   $C = a_b + d_b = 1885 \text{ mm}$

coaxial with and surrounding a bar

$k_1 = 1.25$   $A_b = 113.09734 \text{ mm}^2$

$k_2 = 2.2$   $a_b = 1873 \text{ mm}$  (dist between bars)

factor = 22542.077

$L_{syt} = k_1 \times k_2 \times f_{sy} \times A_b / C \times \sqrt{f'c} = \text{factor} / C$

$$= 158.74702 \text{ mm}$$

take  $f_s / F_{sy} = M^* / \Phi \mu = 0.9918$

therefore  $L_{sy} = 157 \text{ mm}$   $\geq 25k_1 d_b$  375  
 $\text{say} = 650 \text{ mm}$

For Bottom Steel:

Cover,  $c = 65 \text{ mm}$   $d_b = 12 \text{ mm}$

# of lines of bars = 2

If  $a_b > 2c$   $C = 2c + d_b = 142 \text{ mm}$

if  $a_b < 2c$   $C = a_b + d_b = 2039 \text{ mm}$

$k_1 = 1$   $A_b = 113.09734 \text{ mm}^2$

$k_2 = 2.2$   $a_b = 2027 \text{ mm}$  (dist between bars)

factor = 18033.662

$L_{syt} = 126.99762 \text{ mm}$  take  $f_s / F_{sy} = M^* / \Phi \mu = 0.5359888$

therefore  $L_{sy} = 68 \text{ mm}$   $\geq 25k_1 d_b$  300  
 $\text{say} = 500 \text{ mm}$

### 9 PUNCHING SHEAR CHECK

$V^*$ =	80.4 kN	Coloumn Dimension	$b$ =	400 mm
Dist to centreline of bottom steel from soffit			$d$ =	400 mm
$d_q$ =	71 mm	Critical shear perimeter, $\mu$	$\mu = 2(b+dom) + 2(d+dom)$	
$dom$ =	379 mm			3116 mm
Area of slab:	$B = 1000$ mm		$D = 1000$ mm	
$\beta_h = 1$	longer side/shorter side			
$f_{cv} = 0.17(1+2/\beta_h)\sqrt{f'_c} \leq 0.34\sqrt{f'_c}$				
$f_{cv} = 10.88$ MPa				
$\phi V_{uo} = 8,994$ kN	>	$V^* = 80.4$ kN		OK

### 10 SERVICEABILITY CHECK

From an Elastic Linear Analysis :

$M_r = 25.00$ kNm	$E_s = 200000$ MPa
$M_l = 25.00$ kNm	$E_c = 28599.623$ MPa
$M_o = 50$ kNm	
$M_s = 25.00$ kNm	
$I_g = 2.96E+10$ mm <sup>4</sup>	

Calculate  $I_{cr}$ ,  $M_{cr}$ , and  $I_{ef}$  at midspan :

Eff. Flange width	$b_{eff} = 5680$ mm	$A_{sc} = 339.29201$ mm <sup>2</sup>
webwidth	$b_w = 3900$ mm	$A_{st} = 339.29201$ mm <sup>2</sup>
Flange thickness	$t_{ff} = 0$ mm	$d_{sc} = 77$ mm
		$d_{st} = 373$ mm
		$d = 373$ mm
		$D = 450$ mm

$$n = E_s/E_c = 6.993099$$

$$1/2 \times b_w \times d_n^2 + (b_{eff} - b_w) \times t \times (d_n - t/2) + (n - 1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$$

$$1950 d_n^2 + 4406.113 d_n - 1041590.7 = 0$$

$$d_n = 22.00949 \text{ mm}$$

$$d = 373 \text{ mm}$$

$$I_{cr} = b d_n^3/3 + 1/12 (b_{eff} - b_w) \times t^3 + (b_{eff} - b_w) \times t (d_n - t/2)^2 + n \times A_{st} (d - d_n)^2$$

$$= 3.06E+08 \text{ mm}^4$$

$$M_{cr} = 0.6 \sqrt{f'_c} \times b D^2/6 = 446.750064 \text{ kNm}$$

$$I_m = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_s)^3]$$

$$= 1.67E+14 \text{ mm}^4$$

Calculate  $I_{cr}$ ,  $M_{cr}$ ,  $I_{ef}$  and  $I_{ref}$  at end supports:

$b_w = 3900$ mm	$A_{st} = 226.19467$ mm <sup>2</sup>
$d_{sc} = 71$ mm	$A_{sc} = 226.19467$ mm <sup>2</sup>
$d = 373$ mm	
$I_g = 2.96E+10$ mm <sup>4</sup>	

At right end (arbitrary)

$$1/2 \times bdnSQ + (n-1) Asc (dn - dsc) = nAst (d - dn)$$

$$1950 dn^2 + 2937.409 dn - 686260.16 = 0$$

$$dn = 18.02 \text{ mm}$$

$$d = 373 \text{ mm}$$

$$Icr = bdn^3/3 + n \times Asc (d - dn)^2 = 2.07E+08 \text{ mm}^4$$

$$Mcr = 0.6 \sqrt{F'c} \times bD^2/6 = 446.750064 \text{ kNm}$$

$$Iref = [Icr + (I_g - Icr) (Mcr / M_l)] = 1.68E+14 \text{ mm}^4$$

At left end (arbitrary)

$$b_w = 3900 \text{ mm}$$

$$d_{sc} = 71 \text{ mm}$$

$$A_{st} = 226.19467 \text{ mm}^2$$

$$A_{sc} = 226.19467 \text{ mm}^2$$

$$d = 373 \text{ mm}$$

$$1/2 \times bdnSQ + (n-1) Asc (dn - dsc) = nAst (d - dn)$$

$$1950 dn^2 + 2937.409 dn - 686260.16 = 0$$

$$dn = 18.02168 \text{ mm}$$

$$d = 373 \text{ mm}$$

$$Icr = bdn^3/3 + n \times Asc (d - dn)^2 = 2.07E+08 \text{ mm}^4$$

$$Mcr = 0.6 \sqrt{F'c} \times bD^2/6 = 446.750064 \text{ kNm}$$

$$Ilef = [Icr + (I_g - Icr) (Mcr / M_l)]^3 = 1.68E+14 \text{ mm}^4$$

$$I_{av} = [I_m + (I_L + I_r)/2] = 1.68E+14 \text{ mm}^4$$

Midspan Deflection :

$$Lef = 8900 \text{ mm}$$

$$Defln,s = Lef^2/Ec \times I_{av} [5/48 \cdot M_o - 1/16 ML - 1/16 Mr]$$

$$= 3.44E-05 \text{ mm}$$

Total Deflection :

$$\text{Long term factor} = 0.2$$

$$\text{Short term factor} = 0.5$$

$$w - \text{long term} = 77.525 \text{ kN/m}$$

$$w - \text{short term} = 77.6 \text{ kN/m}$$

$$Defln,s,sus = 3.4E-05 \text{ mm}$$

$$\text{At midspan : } Ast = 339.292007 \text{ mm}^2$$

$$Asc = 339.292007 \text{ mm}^2$$

$$Asc/Ast = 1$$

$$kcs = 2 - (1.2 \times Asc/Ast) \geq 0.8$$

$$= 0.8$$

therefore

$$\text{Total Defln} = Dfln,s + (kcs \times Defln,s,sus)$$

$$= 0.00006 \text{ mm}$$

FROM A MORE ACCURATE ANALYSIS Warner,Rangan,Hall HAVE SHOWN THAT THIS CAN BE REDUCED BY UP TO 10%.

$$\text{ALLOWABLE DEFLN} = Lef / 500 = 17.8 \text{ mm} > 0.9 \times \text{Total Defln}$$

THE SECTION IS ADEQUATE

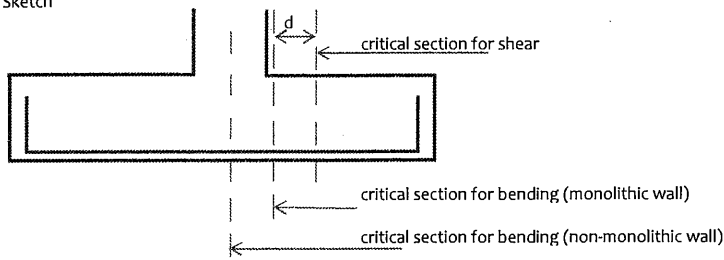
**STRIP FOOTING DESIGN FOR WALL**

REFERENCE: Concrete Structures - 3rd Edition  
R. F. Warner, B. V. Rangan, & A. S. Hall

Step Calculations & Description  
Sketch

Australian Standard (AS) 3600-1988

Result Unit



Strip Footing for Wall						
1 Data	RC WALL					
UDL:	Self wt	=	Density x Thkness	$\frac{\text{kN/m}^3}{23}$	$\frac{\text{mm}}{200}$	
	DL	=				46 kPa/m
L	=	span				3.015 kN/m
Total DL	=					1 m
	LL	=				49.015 kN/m
Conc. Load	DL	=				18 kN/m
	LL	=				
P	=	DL + LL				67.015 kN
P*	=	1.4 DL + 1.7 LL				99.221 kN
qa	=					450 kPa
f'c	=					32 MPa
fsy	=	... reinforcement...				410 MPa
c	=	... width of wall				0.2 m
2 Footing Area, A						
A	=	P*total/qa				0.1489222 m <sup>2</sup>
Approximate the footing dimension as:						
D	=	A/L				0.1489222 m
	=					4.96105 kNm
Mmax	=	1/8 P*(D-c)				0.1653683 MPa
qult	=	P*total/A				
3 Determine the required effective depth by considering the beam shear on a critical section at distance d from the c mm face of the wall.						
V*	=	qult x B (C-Col.w/2-d)				
V*	=	$\frac{19844.2}{19844.2} - \frac{99.221}{99.221} d$				N
The shear strength of the section depends on the amount of tensile steel used for bending. We assume a minimum quantity of:						
pmin	=	1.4/fsy				0.0034146
V <sub>uc</sub>	=	$\beta BD(Ast/BD \times f'c)^{1/3}$				
V <sub>uc</sub>	=	315.5309667 d				N
Equating V* & $\phi V_{uc}$						
		220.8717 d	=	19844.2	-	99.221 d
		320.0927 d	=	19844.2		
		d	=			61.99517 mm
Cover	=					75 mm
Assume bar dia	=	Y16				16 mm
D	=	d + cover + bar dia/2				144.99517 mm
Take D	=					317 mm
d	=	D-cover-bar dia/2				
4 Tensile steel for bending in longitudinal direction: Oneway Bending						
The critical section for bending is at the longer face of the column, where the length of the cantilevered portion is:						
L	=	0.5(B-c)				0.4 m
M*	=	qult x B x L/2				7.93768 kNm
Ast.reqd.	=	M*/ $\phi \times 0.9 \times fsy$				84.823848 mm <sup>2</sup>
Ast.min.	=	1.4/fsy bd				649.46341 mm <sup>2</sup>
Ast.min. Governs, Therefore, use Ast.min.						
Hence provide	=	4 Y16				bars in longitudinal direction top & bottom.
Astprov	=	200 Ast/bar				800 mm <sup>2</sup>
6 Spacing between the bars						
Ast/bar	=					200 mm <sup>2</sup>
S	=	[Ast/bar X beff]/Ast.prov.				250 mm
... centre - to - centre spacing ...						

## SUMMARY

### A. Roof

Purlin: 50 WD x 50 DP HWD @ 600 cts

Rafter: 75 WD x 150 DP HWD @ 900 cts

### B. Block Wall

200 thk masonry blocks

Reinforcements: Vertical: Y 16 - 400 CTS

Horizontal: Y 12 - 400 CTS

### C. Base Slab

150 thk Reinforced Concrete Slab

Reinforcements: F92 Mesh Wire Top and Bottom

### D. Strip Footing

400 DP x 600 WD RC Footing

Reinforcements: 4 - Y16 Top & Bottom: Width Wise

R10 - 300 CTS: Length Wise

## L : Administration Building

1. Load Breakdown and Calculation
2. Result of Structural Analysis
3. Design of Member
4. Summary

<b>Load Breakdown &amp; Calculation</b>
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Items	Calculation & Description	Result	Unit
1	Ground Floor Loads		
<b>A DEAD LOADS</b>			
1	Blockwall wt	4.6	kPa
2	300 x 300 Non-slip Ceramic Tiles	0.53	kPa
3	Timber Wall (bath room board lining)	0.72	kPa
4	Slab wt =	5	kPa
5	Services =	0.05	kPa
6	Superimposed DL 63%	0.5	kPa
		1.8	
<b>B LIVE LOADS</b>			
1	Laboratory	3	kPa
2	Compactus & Lab Equipment	14	kPa
3	Store Room & Workshop	14	kPa
4	Staff Room	3	kPa
5	Resting Room	3	kPa
6	Entrance	4	kPa
7	Toilet	2	kPa
8	Locker	2	kPa
9	Store Room	8.4	kPa
10	Stairs	4	kPa
<b>2 First Floor Loads</b>			
<b>A DEAD LOADS</b>			
1	Suspended Timber Framed 12 THK Plasterboard Ceiling	0.396	kPa
2	12THK Plasterboard to Both sides of 75THK Timber Wall	0.9912	kPa
3	Fixed Window Glass	0.255	kPa
4	Slab wt 1.386	3.75	kPa
5	300 x 300 Non-slip Ceramic Tiles 3.4692	0.27	kPa
6	Services 0.8925	0.2	kPa
7	Superimposed DL 5.7477	0.2	kPa
		4.42	kPa
<b>B LIVE LOADS</b>			
1	Stairs	4	kPa
2	Ramp	4	kPa
3	Waiting Room	3	kPa
4	Conference Room	4	kPa
5	Manager's Office	3	kPa
6	Meeting Room	4	kPa
7	WorkStaion	3	kPa
8	Store Room	8.4	kPa
9	Tea Room	2	kPa
10	Toilet	2	kPa
11	Locker	2	kPa
<b>3 Roof Loads (Trafficable Roof)</b>			
<b>A DEAD LOADS</b>			
1	Colorbond Roof Sheeting	0.05	kPa
2	Suspended Metal Ceiling	0.25	kPa
3	12THK Plasterboard Ceiling	0.29	kPa
4	Services	0.2	kPa
5	Superimposed DL	0.2	kPa
		0.99	
<b>B LIVE LOADS</b>			
		0.25	kPa

**Wind Load Calculation on Roof**

Items	Calculation & Description	Result	Unit
<b>A Wind Load on Roof</b>			
<b>1 Data</b>			
Return Period =		50	years
Wind Velocity =		28	m/s
Terrain Category =		1	
Roof Mean Height, z =		8.3	m
Width of Bldg =		15	m
Length of Bldg =		20	m
Roof Pitch, $\alpha$ =		10	Degrees
Wind Angle, $\theta$ =		0	Degrees
<b>2 Design Wind Velocity, <math>V_z</math></b>			
$V_z$	= $1.35V(z/zg)^k$	<b>Notes for Table 4, PNGS 101-1982: Part 2</b>	
	$k = 0.07$	$z_g = 250$	
	=		29.78 m/s
<b>3 Dynamic Pressure, <math>q_z</math></b>			
$q_z$	= $0.6V_z^2 \times 10^{-3}$	... Dynamic Pressure ...	0.53 kPa
<b>4 Design Pressure, <math>P_z</math></b>			
$p_z$	= $C_p q_z$	... Design pressure...	
$h/d$	= Table B2.2	$\alpha \geq 10^\circ$ $h/d \geq 0.5$	0.55
$h/b$	=		0.42
$C_p$	=	... Slope D ...	-0.9
$C_p$	=	... Slope E ...	-0.7
$p_z$	=	... Slope D ...	-0.48 kPa
	=	... Slope E ...	-0.37 kPa
<b>5 UDL on roof truss</b>			

Truss Spacing No.	Truss Spacing (m)	Truss No.	Tributary Area (m)	Windward (kN/m)		Leeward (kN/m)			
				x-Component	y-Component	x-Component	y-Component		
1	0.9								
2	5	1	3.4	-1.629	-1.605	-0.274	-1.267	-1.248	-0.216
3	5	2	5	-2.395	-2.360	-0.403	-1.863	-1.835	-0.318
4	5	3	5	-2.395	-2.360	-0.403	-1.863	-1.835	-0.318
5	5	4	5	-2.395	-2.360	-0.403	-1.863	-1.835	-0.318
6	0.9	5	3.4	-1.629	-1.605	-0.274	-1.267	-1.248	-0.216



**Wind Load Calculation on Roof**

Items	Calculation & Description	Result	Unit
<b>A Wind Load on Roof</b>			
<b>1 Data</b>			
Return Period =		50	years
Wind Velocity =		28	m/s
Terrain Category =		1	
Roof Mean Height, z =		8.3	m
Width of Bldg =		15	m
Length of Bldg =		20	m
Roof Pitch, $\alpha$ =		10	Degrees
Wind Angle, $\theta$ =		90	Degrees
<b>2 Design Wind Velocity, <math>V_z</math></b>			
$V_z$	= $1.35V(z/zg)^k$	Notes for Table 4, PNGS 101-1982: Part 2	
	$k = 0.07$	$z_g = 250$	
	=		29.78 m/s
<b>3 Dynamic Pressure, <math>q_z</math></b>			
$q_z$	= $0.6V_z^2 \times 10^{-3}$	... Dynamic Pressure ...	0.53 kPa
<b>4 Design Pressure, <math>P_z</math></b>			
$p_z$	= $C_p q_z$	... Design pressure...	
$h/d$	= Table B2.2	$\alpha \geq 10^\circ$ $h/d \geq 0.5$	0.55
$h/b$	=		0.42
$C_p$	=	... Slope D ...	-0.9
$C_p$	=	... Slope E ...	-0.9
$p_z$	=	... Slope D ...	-0.48 kPa
	=	... Slope E ...	-0.48 kPa
<b>5 UDL on roof truss</b>			

Truss Spacing No.	Truss Spacing (m)	Truss No.	Tributary Area (m)	Windward (kN/m)			Leeward (kN/m)		
					x-Component	y-Component		x-Component	y-Component
1	0.9								
2	5	1	3.4	-1.629	-1.605	-0.274	-1.629	-1.605	-0.278
3	5	2	5	-2.395	-2.360	-0.403	-2.395	-2.360	-0.409
4	5	3	5	-2.395	-2.360	-0.403	-2.395	-2.360	-0.409
5	5	4	5	-2.395	-2.360	-0.403	-2.395	-2.360	-0.409
6	0.9	5	3.4	-1.629	-1.605	-0.274	-1.629	-1.605	-0.278

**Wind Load on Wall**

Items	Calculation & Description	Result Unit
1 Data		
Return Period =		50 years
Wind Velocity =		28 m/s
Terrain Category =		1
Roof Mean Height, z =		8.3 m
Width of Bldg =		15 m
Length of Bldg =		20 m
Roof Pitch, α =		10 Degrees
Wind Angle, θ =		90 Degrees

2 Pressure Coefficients, Cp

h/d	=	Table B1.1		0.55
h/b	=			0.42
d/b	=			0.75
C <sub>p</sub>	=	... windward external wall surface ...	A	0.8
C <sub>p</sub>	=	... leeward external wall surface ...	B	-0.5
	=	... side external wall surface ...	C	-0.6

3 q<sub>z</sub> = 0.6V<sub>z</sub><sup>2</sup> x 10<sup>-3</sup> ... Dynamic Pressure ...

Height, z, (m)	Velocity Multiplier	Design Wind Velocity, Vz (m/s)	Dynamic Pressure, qz (kPa)
3	1.00	28	0.470
7	1.048	29.344	0.517

4 Design Pressure, P<sub>z</sub>

P<sub>z</sub> = Cp q<sub>z</sub>

UDL Columns				Vertical Wind Load (UDL) Distribution on Columns, W = Cp qz x Tributary Area			
Vertical Face of Wall at 90° to Wind Direction	Spacing, (m)	Column No.	Tributary Area (m)	Windward, (kN/m)		Leeward, (kN/m)	
				GFL	FFL	GFL	FFL
1	5	1	2.5	0.941	1.033	-0.588	-0.646
2	5	2	5	1.882	2.067	-1.176	-1.292
3	5	3	5	1.882	2.067	-1.176	-1.292
4	5	4	5	1.882	2.067	-1.176	-1.292
		5	2.5	0.941	1.033	-0.588	-0.646

Vertical Face of Wall at 90° to Wind Direction	Spacing, (m)	Column No.	Tributary Area (m)	Side, (kN/m)	
				GFL	FFL
1	5	1	2.5	-0.706	-0.775
2	5	2	5	-1.411	-1.550
3	5	3	5	-1.411	-1.550
		4	2.5	-0.706	-0.775

**LATERAL LOAD DISTRIBUTION TO BLOCK WALLS**

Reference : Reinforced Concrete by Park and Paulay

**DISTRIBUTION OF SHEAR AT EACH LEVEL**

approx mass of column = 4.6 KPa

FL LEVEL	Wall mass	Floor area	Wt	Hi	Wt . Hi	Fi
1st Floor	4.42	300	2542.2	7	17795.4	135.9714
SUMM			2542.2		17795.4	135.9714

$$V = Cd(T_1) Wt \quad \text{from NZS 1170.5 - 2004}$$

$$= \text{factor} \cdot Wt$$

$$= 135.9714 \quad 138$$

where:  $C = Ch(T)ZRN(T,D)Sp/k\mu$

$$Ch(T) = 0.16$$

$$Z = 0.13$$

$$R = 1.80$$

$$N(T,D) = 1.00$$

$$Sp = 1.00$$

$$k = 1.00$$

$$\mu = 0.70$$

$$\text{factor} = 0.0535$$

$$F_i = \frac{V \times (W_i \times H_i / \sum(W_i \times H_i))}{KN} \quad W_i - \text{Mass at FL } i =$$

$$= \quad \quad \quad \quad \quad \quad \quad \quad H_i - \text{Height to FL } i =$$

**CENTRE OF MASS**

LEVEL: Roof

M = 23 KN/M<sup>3</sup>      Note : ALL CELLS SHADED THUS REQUIRE A MANUAL INPUT

t = 0.2 m

h = 3.5 m

Wall Mass = M x t x h x L = 16.1 L (kN/m)

Floor load (1) = dl + ll/3 = 0 Kpa

Floor load (2) = dl + ll/3 = 0 Kpa

Floor load (3) = dl + ll/3 = 0 Kpa

Floor load (4) = dl + ll/3 = 1.8 Kpa

Wall	LENGTH	MASS (m)	x	y	mx	my
1	10	161	5	10	805	1610
2	10	161	10	5	1610	805
3	5	80.5	10	12.5	805	1006.25
4	5	80.5	17.5	14.8	1408.75	1191.4
5	5	80.5	19.8	12.5	1593.9	1006.25
6	3	48.3	19.8	12.5	956.34	603.75
7	2	32.2	19.8	5	637.56	161
8	2	32.2	19.8	2.5	637.56	80.5

FLOOR	AREA	MASS (m)	x	y	mx	my
Roof	300	540	10	7.5	5400	4050
SUM	Wt =	1216.2			13854.11	10514.15

TABLE 1

CENTRE OF MASS	Cmx =	11.39131	Cmy =	8.64508305
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**CENTRE OF RIGIDITY**

Wall	IX m4	IY m4	x . IX	y . IY	W <sup>ix</sup> (KN)	W <sup>iy</sup> (KN)
1	0.715	0.002	3.573	0.023	33.993	33.993
2	0.715	0.002	7.146	0.012	33.993	33.993
3	0.715	0.002	7.146	0.029	33.993	33.993
4	0.715	0.002	12.505	0.035	33.993	33.993
5	0.715	0.002	14.149	0.029	33.993	33.993
6	0.715	0.002	14.149	0.029	33.993	33.993
7	0.715	0.002	14.149	0.012	33.993	33.993
8	0.715	0.002	14.149	0.006	33.993	33.993
SUM	2.858	0.009	86.965	0.175	271.943	271.943

TABLE 2

**Centre of Rigidity and Calculated Eccentricities :**

Crx =	30.425 m	Cry =	18.7 m
ex =	-19.03369 m	ey =	-10.05492 m

check code eccentricities :

please enter b in x - direc'n = 20 m  
 please enter b in y - direc'n = 15 m

from PNG 1001 - 1982 Part 4 clause 3.4.7

esx <= 0.3bx = 6 m      **ex TOO BIG**      however torsional  
 esy <= 0.3by = 4.5 m      **ey TOO BIG**      shears not large

edx1 =	-29.55054 m	edy1 =	-15.83238 m	(ed = 1.5es + 0.05b)
edx2 =	-18.03369 m	edy2 =	-9.304917 m	or (ed = es - 0.05b)

Wall	xi m	yi m	xi <sup>2</sup> . IXi + yi <sup>2</sup> . IYi	W <sup>ix1</sup> (KN)	W <sup>ix2</sup> (KN)	W <sup>iy1</sup> (KN)	W <sup>iy2</sup> (KN)
1	-24.550537	-15.83	431.28	0.06	0.03	52.37	31.96
2	-19.550537	-15.83	273.72	0.06	0.03	41.70	25.45
3	-19.550537	-15.83	273.72	0.06	0.03	41.70	25.45
4	-12.050537	-15.83	104.35	0.06	0.03	25.70	15.69
5	-9.5505365	-15.83	65.76	0.06	0.03	20.37	12.43
6	-9.5505365	-15.83	65.76	0.06	0.03	20.37	12.43
7	-9.5505365	-15.83	65.76	0.06	0.03	20.37	12.43
8	-9.5505365	-15.83	65.76	0.06	0.03	20.37	12.43
SUMM			1346.12				

TABLE 3

**FINAL LOAD DISTRIBUTION**

Wall	Wix1 (KN)	Wix2 (KN)	Wiy1 (KN)	Wiy2 (KN)	FINAL LOAD DISTRIBUTION	
					Wix (KN)	Wiy (KN)
1	34.1	34.0	86.4	65.9	34.1	86.4
2	34.1	34.0	75.7	59.4	34.1	75.7
3	34.1	34.0	75.7	59.4	34.1	75.7
4	34.1	34.0	59.7	49.7	34.1	59.7
5	34.1	34.0	54.4	46.4	34.1	54.4
6	34.1	34.0	54.4	46.4	34.1	54.4
7	34.1	34.0	54.4	46.4	34.1	54.4
8	34.1	34.0	54.4	46.4	34.1	54.4
SUMM					272.4	514.9

TABLE 4

Torsional Moments	
Mix (kNm)	Miy (kNm)
-1006.2524	-1367.251
-1006.2524	-1198.403
-1006.2524	-1198.403
-1006.2524	-945.1302
-1006.2524	-860.706
-1006.2524	-860.706
-1006.2524	-860.706
-1006.2524	-860.706
-1006.2524	-860.706

**LATERAL LOAD DISTRIBUTION TO RC COLUMNS**

Reference : Reinforced Concrete by Park and Paulay

**DISTRIBUTION OF SHEAR AT EACH LEVEL**

approx mass of column = 10 KPa

FL LEVEL	Column mass	floor area	Wt	Hi	Wt . Hi	Fi
ROOF	1.8	300	1360	7	9520	72.74057143
SUMM			1360		9520	72.74057143

$V = Cd(T) Wt$  from NZS 1170.5 - 2004  
 $= \text{factor} \cdot Wt$   
 $= 72.74057 \quad 138$

where:  $C = Ch(T)ZRN(T,D)Sp/k\mu$

- Ch(T) = 0.16
- Z = 0.13
- R = 1.80
- N(T,D) = 1.00
- Sp = 1.00
- k = 1.00
- $\mu = 0.70$
- factor = 0.0535

$Fi = V \times (Wi \times Hi / \text{SUM}(Wi \times Hi))$        $Wi = \text{Mass at FL i}$   
 $= \text{KN}$        $Hi = \text{Height to FL i}$

**CENTRE OF MASS LEVEL: Roof**

- $M = 25 \text{ KN/M}^3$       Note : ALL CELLS SHADED THUS REQUIRE A MANUAL INPUT  
 $t = 0.4 \text{ m}$   
 $h = 3.5 \text{ m}$   
 $\text{Wall Mass} = M \times t \times h \times L = 35 \text{ L (kN/m)}$   
 $\text{Floor load (1)} = dl + ll/3 = 0 \text{ Kpa}$   
 $\text{Floor load (2)} = dl + ll/3 = 0 \text{ Kpa}$   
 $\text{Floor load (3)} = dl + ll/3 = 0 \text{ Kpa}$   
 $\text{Floor load (4)} = dl + ll/3 = 1.8 \text{ Kpa}$

Col	LENGTH	MASS (m)	x	y	mx	my
1	0.4	14	0	0	0	0
2	0.4	14	0	5	0	70
3	0.4	14	0	10	0	140
4	0.4	14	0	15	0	210
5	0.4	14	5	0	70	0
6	0.4	14	5	5	70	70
7	0.4	14	10	0	140	140
8	0.4	14	15	0	210	210
9	0.4	14	10	5	140	0
10	0.4	14	10	10	140	70
11	0.4	14	10	15	140	140
12	0.4	14	10	20	140	210
13	0.4	14	15	0	210	0
14	0.4	14	15	5	210	70
15	0.4	14	15	10	210	140
16	0.4	14	15	15	210	210
17	0.4	14	20	0	280	0
18	0.4	14	20	5	280	70
19	0.4	14	20	10	280	140
20	0.4	14	20	15	280	210

FLOOR	AREA	MASS (m)	x	y	mx	my
Roof	300	540	10	7.5	5400	4050
SUM	Wt =	820			8410	6150

TABLE.1

<b>CENTRE OF MASS</b>	$Cmx = 10.256098$	$Cmy = 7.5$
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**CENTRE OF RIGIDITY**

COLUMN	IX m4	IY m4	x . IX	y . IY	W/ix (KN)	W/iY (KN)
1	0.002	0.002	0.000	0.000	18.185	18.185
2	0.002	0.002	0.000	0.011	18.185	18.185
3	0.002	0.002	0.000	0.021	18.185	18.185
4	0.002	0.002	0.000	0.032	18.185	18.185
5	0.002	0.002	0.011	0.000	18.185	18.185
6	0.002	0.002	0.011	0.011	18.185	18.185
7	0.002	0.002	0.021	0.021	18.185	18.185
8	0.002	0.002	0.032	0.032	18.185	18.185
9	0.002	0.002	0.021	0.000	18.185	18.185
10	0.002	0.002	0.021	0.011	18.185	18.185
11	0.002	0.002	0.021	0.021	18.185	18.185
12	0.002	0.002	0.021	0.032	18.185	18.185
13	0.002	0.002	0.032	0.000	18.185	18.185
14	0.002	0.002	0.032	0.011	18.185	18.185
15	0.002	0.002	0.032	0.021	18.185	18.185
16	0.002	0.002	0.032	0.032	18.185	18.185
17	0.002	0.002	0.043	0.000	18.185	18.185
18	0.002	0.002	0.043	0.011	18.185	18.185
19	0.002	0.002	0.043	0.021	18.185	18.185
20	0.002	0.002	0.043	0.032	18.185	18.185
SUM	0.009	0.009	0.459	0.320	363.703	363.703

TABLE 2

Centre of Rigidity and Calculated Eccentricities :

Cr <sub>x</sub> =	53.75 m	Cr <sub>y</sub> =	37.5 m
ex =	-43.4939024 m	ey =	-30 m

check code eccentricities :

please enter b in x - direc'n = 20. m  
 please enter b in y - direc'n = 15. m

from PNG 1001 - 1982 Part 4 clause 3.4.7

es<sub>x</sub> <= 0.3bx = 6 m      ex TOO BIG      however torsional  
 es<sub>y</sub> <= 0.3by = 4.5 m      ey TOO BIG      shears not large

edx <sub>1</sub> =	-66.2408537 m	edy <sub>1</sub> =	-45.75 m	(ed = 1.5es + 0.05b)
edx <sub>2</sub> =	-42.4939024 m	edy <sub>2</sub> =	-29.25 m	or (ed = es - 0.05b)

COLUMN	xi m	yi m	xi <sup>2</sup> . I <sub>xi</sub> + yi <sup>2</sup> . I <sub>yi</sub>	W <sup>ix1</sup> (KN)	W <sup>ix2</sup> (KN)	W <sup>iy1</sup> (KN)	W <sup>iy2</sup> (KN)
1	-53.75	-37.5	9.16	2.15	1.37	4.46	2.86
2	-53.75	-32.7	8.44	1.87	1.20	4.46	2.86
3	-53.75	-27.7	7.80	1.59	1.01	4.46	2.86
4	-53.75	-22.7	7.26	1.30	0.83	4.46	2.86
5	-48.95	-37.5	8.11	2.15	1.37	4.06	2.60
6	-48.95	-32.7	7.39	1.87	1.20	4.06	2.60
7	-48.95	-27.7	6.75	1.59	1.01	4.06	2.60
8	-48.95	-22.7	6.21	1.30	0.83	4.06	2.60
9	-43.7	-37.5	7.07	2.15	1.37	3.62	2.32
10	-43.7	-32.7	6.36	1.87	1.20	3.62	2.32
11	-43.7	-27.7	5.71	1.59	1.01	3.62	2.32
12	-43.7	-22.7	5.17	1.30	0.83	3.62	2.32
13	-38.7	-37.5	6.20	2.15	1.37	3.21	2.06
14	-38.7	-32.7	5.48	1.87	1.20	3.21	2.06
15	-38.7	-27.7	4.83	1.59	1.01	3.21	2.06
16	-38.7	-22.7	4.29	1.30	0.83	3.21	2.06
17	-33.7	-37.5	5.42	2.15	1.37	2.79	1.79
18	-33.7	-32.7	4.70	1.87	1.20	2.79	1.79
19	-33.7	-27.7	4.06	1.59	1.01	2.79	1.79
20	-33.7	-22.7	3.52	1.30	0.83	2.79	1.79
SUMM			123.95				

TABLE 3

FINAL LOAD DISTRIBUTION

COLUMN	W <sub>ix1</sub> (KN)	W <sub>ix2</sub> (KN)	W <sub>iy1</sub> (KN)	W <sub>iy2</sub> (KN)	FINAL LOAD DISTRIBUTION	
					W <sub>ix</sub> (KN)	W <sub>iy</sub> (KN)
1	20.3	19.6	22.6	21.0	20.3	22.6
2	20.1	19.4	22.6	21.0	20.1	22.6
3	19.8	19.2	22.6	21.0	19.8	22.6
4	19.5	19.0	22.6	21.0	19.5	22.6
5	20.3	19.6	22.2	20.8	20.3	22.2
6	20.1	19.4	22.2	20.8	20.1	22.2
7	19.8	19.2	22.2	20.8	19.8	22.2
8	19.5	19.0	22.2	20.8	19.5	22.2
9	20.3	19.6	21.8	20.5	20.3	21.8
10	20.1	19.4	21.8	20.5	20.1	21.8
11	19.8	19.2	21.8	20.5	19.8	21.8
12	19.5	19.0	21.8	20.5	19.5	21.8
13	20.3	19.6	21.4	20.2	20.3	21.4
14	20.1	19.4	21.4	20.2	20.1	21.4
15	19.8	19.2	21.4	20.2	19.8	21.4
16	19.5	19.0	21.4	20.2	19.5	21.4
17	20.3	19.6	21.0	20.0	20.3	21.0
18	20.1	19.4	21.0	20.0	20.1	21.0
19	19.8	19.2	21.0	20.0	19.8	21.0
20	19.5	19.0	21.0	20.0	19.5	21.0
SUMM					398.2	436.3

TABLE 4

**LATERAL LOAD DISTRIBUTION TO RC COLUMNS**

Reference : Reinforced Concrete by Park and Paulay

**DISTRIBUTION OF SHEAR AT EACH LEVEL**

approx mass of column = 10 KPa

FL LEVEL	Column mass	floor area	Wt	Hi	Wt . Hi	Fi
1st Floor	4.42	300	2932	7	20524	156.820114
SUMM			2932		20524	156.820114

$V = Cd(T_1) Wt$  from NZS 1170.5 - 2004  
 $= \text{factor} \cdot Wt$   
 $= 156.82011$

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where:  $C = Ch(T)ZRN(T,D)Sp/k\mu$

$Ch(T) = 0.16$   
 $Z = 0.13$   
 $R = 1.80$   
 $N(T,D) = 1.00$   
 $Sp = 1.00$   
 $k = 1.00$   
 $\mu = 0.70$   
 $\text{factor} = 0.0535$

$Fi = V \times (Wi \times Hi / \text{SUM}(Wi \times Hi))$   
 $= \text{KN}$

$Wi = \text{Mass at FL } i$   
 $Hi = \text{Height to FL } i$

**CENTRE OF MASS**

LEVEL: Roof

$M = 25 \text{ KN/M}^3$   
 $t = 0.4 \text{ m}$   
 $h = 3.5 \text{ m}$

Note : ALL CELLS SHADED THUS REQUIRE A MANUAL INPUT

$\text{Wall Mass} = M \times t \times h \times L = 35 \text{ L (kN/m)}$   
 $\text{Floor load (1)} = dl + ll/3 = 0 \text{ Kpa}$   
 $\text{Floor load (2)} = dl + ll/3 = 0 \text{ Kpa}$   
 $\text{Floor load (3)} = dl + ll/3 = 0 \text{ Kpa}$   
 $\text{Floor load (4)} = dl + ll/3 = 4.42 \text{ Kpa}$

Col	LENGTH	MASS (m)	x	y	mx	my
1	0.4	14	0	0	0	0
2	0.4	14	0	5	0	70
3	0.4	14	0	10	0	140
4	0.4	14	0	15	0	210
5	0.4	14	5	5	70	0
6	0.4	14	5	10	70	70
7	0.4	14	10	10	140	140
8	0.4	14	15	15	210	210
9	0.4	14	10	0	140	0
10	0.4	14	10	5	140	70
11	0.4	14	10	10	140	140
12	0.4	14	10	15	140	210
13	0.4	14	15	0	210	0
14	0.4	14	15	5	210	70
15	0.4	14	15	10	210	140
16	0.4	14	15	15	210	210
17	0.4	14	20	0	280	0
18	0.4	14	20	5	280	70
19	0.4	14	20	10	280	140
20	0.4	14	20	15	280	210

FLOOR	AREA	MASS (m)	x	y	mx	my
Roof	300	1326	10	7.5	13260	9945
SUM	Wt =	1606			16270	12045

TABLE 1

CENTRE OF MASS	Cmx =	10.13076	Cmy =	7.5
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**CENTRE OF RIGIDITY**

SHEAR WALL	IX m <sup>4</sup>	IY m <sup>4</sup>	x . IX	y . IY	W <sup>ix</sup> (KN)	W <sup>iy</sup> (KN)
1	0.002	0.002	0.000	0.000	39.205	39.205
2	0.002	0.002	0.000	0.011	39.205	39.205
3	0.002	0.002	0.000	0.021	39.205	39.205
4	0.002	0.002	0.000	0.032	39.205	39.205
5	0.002	0.002	0.011	0.000	39.205	39.205
6	0.002	0.002	0.011	0.011	39.205	39.205
7	0.002	0.002	0.021	0.021	39.205	39.205
8	0.002	0.002	0.032	0.032	39.205	39.205
9	0.002	0.002	0.021	0.000	39.205	39.205
10	0.002	0.002	0.021	0.011	39.205	39.205
11	0.002	0.002	0.021	0.021	39.205	39.205
12	0.002	0.002	0.021	0.032	39.205	39.205
13	0.002	0.002	0.032	0.000	39.205	39.205
14	0.002	0.002	0.032	0.011	39.205	39.205
15	0.002	0.002	0.032	0.021	39.205	39.205
16	0.002	0.002	0.032	0.032	39.205	39.205
17	0.002	0.002	0.043	0.000	39.205	39.205
18	0.002	0.002	0.043	0.011	39.205	39.205
19	0.002	0.002	0.043	0.021	39.205	39.205
20	0.002	0.002	0.043	0.032	39.205	39.205
SUM	0.009	0.009	0.459	0.320	784.101	784.101

TABLE 2

**Centre of Rigidity and Calculated Eccentricities :**

Cr <sub>x</sub> =	53.75 m	Cr <sub>y</sub> =	37.5 m
ex =	-43.61924 m	ey =	-30 m

check code eccentricities :

please enter b in x - direc'n = 20 m  
 please enter b in y - direc'n = 15 m

from PNG 1001 - 1982 Part 4 clause 3.4.7

es<sub>x</sub> <= 0.3bx = 6 m      **ex TOO BIG**      however torsional  
 es<sub>y</sub> <= 0.3by = 4.5 m      **ey TOO BIG**      shears not large

edx1 =	-66.42886 m	edy1 =	-45.75 m	(ed = 1.5es + 0.05b)
edx2 =	-42.61924 m	edy2 =	-29.25 m	or (ed = es - 0.05b)

COL	xi m	yi m	xi <sup>2</sup> . IXI + yi <sup>2</sup> . IYI	W <sup>ix1</sup> (KN)	W <sup>ix2</sup> (KN)	W <sup>iy1</sup> (KN)	W <sup>iy2</sup> (KN)
1	-53.75	-37.5	9.16	4.63	2.96	9.64	6.18
2	-53.75	-32.7	8.44	4.04	2.58	9.64	6.18
3	-53.75	-27.7	7.80	3.42	2.19	9.64	6.18
4	-53.75	-22.7	7.26	2.80	1.79	9.64	6.18
5	-48.95	-37.5	8.11	4.63	2.96	8.78	5.63
6	-48.95	-32.7	7.39	4.04	2.58	8.78	5.63
7	-48.95	-27.7	6.75	3.42	2.19	8.78	5.63
8	-48.95	-22.7	6.21	2.80	1.79	8.78	5.63
9	-43.7	-37.5	7.07	4.63	2.96	7.83	5.03
10	-43.7	-32.7	6.36	4.04	2.58	7.83	5.03
11	-43.7	-27.7	5.71	3.42	2.19	7.83	5.03
12	-43.7	-22.7	5.17	2.80	1.79	7.83	5.03
13	-38.7	-37.5	6.20	4.63	2.96	6.94	4.45
14	-38.7	-32.7	5.48	4.04	2.58	6.94	4.45
15	-38.7	-27.7	4.83	3.42	2.19	6.94	4.45
16	-38.7	-22.7	4.29	2.80	1.79	6.94	4.45
17	-33.7	-37.5	5.42	4.63	2.96	6.04	3.88
18	-33.7	-32.7	4.70	4.04	2.58	6.04	3.88
19	-33.7	-27.7	4.06	3.42	2.19	6.04	3.88
20	-33.7	-22.7	3.52	2.80	1.79	6.04	3.88
SUMM			123.95				

TABLE 3



**FINAL LOAD DISTRIBUTION**

WALL	Wix1 (KN)	Wix2 (KN)	Wiy1 (KN)	Wiy2 (KN)	FINAL LOAD	
					DISTRIBUTION	
					Wix (KN)	Wiy (KN)
1	43.8	42.2	48.8	45.4	43.8	48.8
2	43.2	41.8	48.8	45.4	43.2	48.8
3	42.6	41.4	48.8	45.4	42.6	48.8
4	42.0	41.0	48.8	45.4	42.0	48.8
5	43.8	42.2	48.0	44.8	43.8	48.0
6	43.2	41.8	48.0	44.8	43.2	48.0
7	42.6	41.4	48.0	44.8	42.6	48.0
8	42.0	41.0	48.0	44.8	42.0	48.0
9	43.8	42.2	47.0	44.2	43.8	47.0
10	43.2	41.8	47.0	44.2	43.2	47.0
11	42.6	41.4	47.0	44.2	42.6	47.0
12	42.0	41.0	47.0	44.2	42.0	47.0
13	43.8	42.2	46.1	43.7	43.8	46.1
14	43.2	41.8	46.1	43.7	43.2	46.1
15	42.6	41.4	46.1	43.7	42.6	46.1
16	42.0	41.0	46.1	43.7	42.0	46.1
17	43.8	42.2	45.2	43.1	43.8	45.2
18	43.2	41.8	45.2	43.1	43.2	45.2
19	42.6	41.4	45.2	43.1	42.6	45.2
20	42.0	41.0	45.2	43.1	42.0	45.2
SUMM					858.6	941.0

TABLE 4

# BEAM ON ELASTIC FOUNDATION - WINKLER ANALYSIS

Reference Bowles, J.E Foundation Analysis & Design  
McGrall Hill, Third Edition, 1982

## Design data:

$B = 0.40$  m  
 $\mu = 0.4$  MPa  
 $E_s = 180$  MPa  
 $\pi = 3.141593$   
 $D = 0.75$  m  
 $F_c = 40$  MPa  
 $\rho = 2400$  kg/m<sup>3</sup>

$$k's = 0.65^{12} \sqrt{E_s B^4} / (E_f I_f) * (E_s / (1 - \mu^2))$$

$\lambda L < \pi/4$  Rigid member - Bending not influenced much by ks  
 $\lambda L > \pi$  Flexible member - Bending heavily localised

Es, Ef = Modulus of soil and footing respectively

B, If = Footing width and its moment of inertia based on cross section

ks = Modulus of subgrade reaction

$$ks = k's B$$

$$\lambda = 4 \sqrt{(k's / 4Ec I)}$$

Procedure : Conventional rigid procedure (CRP) or Beam on Elastic Foundation (Winkler)

Section	B m	I m <sup>4</sup>	Ec GPa	Es GPa	$\mu$ MPa	k's	L m	$\lambda$	$\lambda L$	Is $\lambda L < \pi/4$	Is $\lambda L > \pi$	Analysis method ?	ks = k'sB kN/m
1	0.40	1.13E-04	31.9754	0.18	0.4	0.14219	20.00	1.7730	35.4600	No	Yes	Use Winkler	355472
2	0.40	1.13E-04	31.9754	0.18	0.4	0.14219	20.00	1.7730	35.4600	No	Yes	Use Winkler	355472
3	0.40	1.13E-04	31.9754	0.18	0.4	0.14219	15.00	1.7730	26.5950	No	Yes	Use Winkler	355472
4	0.40	1.13E-04	31.9754	0.18	0.4	0.14219	15.00	1.7730	26.5950	No	Yes	Use Winkler	355472
5	7.10	2.00E-03	31.9754	0.18	0.4	0.29177	15.00	1.0338	15.5076	No	Yes	Use Winkler	41094
6	7.10	2.00E-03	31.9754	0.18	0.4	0.29177	20.00	1.0338	20.6768	No	Yes	Use Winkler	41094
7	7.10	2.00E-03	31.9754	0.18	0.4	0.29177	20.00	1.0338	20.6768	No	Yes	Use Winkler	41094
8	5.00	1.41E-03	31.9754	0.18	0.4	0.26729	15	1.1041	16.5616	No	Yes	Use Winkler	53458
9	4.55	1.22E-03	31.9754	0.18	0.4	0.25815	15	1.1333	16.9998	No	Yes	Use Winkler	59344
10	3.675	1.03E-03	31.9754	0.18	0.4	0.24750	15	1.1697	17.5460	No	Yes	Use Winkler	67346

**Timber Roof Purlin Design**

REF: PNGS 1292 - 1989

**TABLE 2.2**

**STRENGTH CLASSIFICATION**

Species	Moisture Condition	Strength Group(2)	Stress Grade
Hardwood	Seasoned	SD3	F11

**TABLE 2.3**

**BASIC WORKING STRESS & STIFFNESS FOR THE STRUCTURAL TIMBER (CONCERNED)**

Stress grade	Basic working stress, MPa				Modulus of Elasticity (E)
	Bending (Fb')	Tension parallel to grain (Ft')	Compression parallel to grain (Fc')	Shear in Beams (Fs')	
F11	11.00	6.60	8.4	1.05	10500

**TABLE A**

**MODIFICATION FACTORS**

Duration of Load Factor, k1	k2	k3	Partial Seasoning Factor, k4	Seasoned moisture Cont. Factor, k5	Temp °C Factor, k6	Length of Bearing Factor, k7	Parallel Support Factor, k8	Grid Systems Factor, k9	Size Factor, k11	Stability Factor, k12
1.00	1.00	1.00	1.00	1.00	0.90	1.00	1.33	1.00	1.00	1.00

**PERMISSIBLE STRESSES**

a. In Bending:

$$F_b = k_1 k_2 k_3 k_4 k_5 k_6 k_7 k_8 k_9 k_{11} k_{12} F_b' \dots \text{Eq.3.1}$$

$$= 13.167 \text{ MPa}$$

b. In Compression parallel to grain:

$$F_c = k_1 k_2 k_3 k_4 k_5 k_6 k_7 k_8 k_9 k_{11} k_{12} F_c' \dots \text{Eq.3.12}$$

$$= 10.0548 \text{ MPa}$$

c. In Tension parallel to grain

$$F_t = k_1 k_2 k_3 k_4 k_5 k_6 k_7 k_8 k_9 k_{11} k_{12} F_t' \dots \text{Eq.3.21}$$

$$= 5.94 \text{ MPa}$$

**Purlin Design**

Loads

DL = 0.15 kN/m      LL = 0.15 kN/m      2.475

Combination: DL + LL = 0.3 kN/m      0.625

Size      B (mm)      D (mm)      Purlin Span = 2500 mm      Purlin Spacing = 600 mm CTS

75      100      HWD

Permissible Stresses

From Analysis	
M*max	= 0.23 kNm
V*max	= 0.38 kN

a. In Bending

$$F_b = 13.167 \text{ MPa}$$

b.

$$F_s = k_1 k_2 k_3 k_4 k_5 k_6 F_s'$$

$$= 0.945 \text{ MPa}$$

Working Bending Stress, fb

$$= \frac{M_x}{Z_x}$$

$$= 1.875 \text{ MPa}$$

Working Shear Stress, fs

$$= \frac{3V}{2BD}$$

$$= 0.075 \text{ MPa}$$

CHECK!

From equation 3.10;  $f_b / F_b \leq 1$

$$0.142401 < 1 \quad \text{OK}$$

$$f_s = 0.075 \text{ MPa} < F_s = 0.945 \text{ MPa} \quad \text{OK}$$

Deflection Check!

From Analysis

DL = 0.15 kN/m

LL = 0.15 kN/m

Defln =  $\frac{5WL^4}{384EI}$

Defln.DL = 1.162574 mm      Def. by DL

Allowable Defln =  $L/300 = 8.33333333 \text{ mm}$       > 1.162574 = Defln.DL      OK

Defln.LL = 1.162574 mm      Def. by LL

Allowable Defln =  $L/360 = 6.94444444 \text{ mm}$       > 1.162574 = Defln.LL      OK

SECTION PROPERTIES (m,m^2,m^4,deg)

Sect	Section Name	Mark	Angle	Type	Flipped	Source
1	100 x 150 HWD	S1		Not applicable	No	Standard shape
2	400 x 400 Col	S2		Not applicable	No	Standard shape

Sect	Area of Section	Torsion Constant	Y-Axis Mom of In	Z-Axis Mom of In	Y-Axis Shr Area	Z-Axis Shr Area	Princ Angle
1	1.5000E-02	2.9300E-05	2.8100E-05	1.2500E-05	INFINITE	INFINITE	0.00
2	1.6000E-01	3.6053E-03	2.1333E-03	2.1333E-03	INFINITE	INFINITE	0.00

Sect	Section Shape	D	B/Bt	Bb/Hf	Tw	Tf
1	Rectangle	0.100	0.150			
2	Rectangle	0.400	0.400			

MATERIAL PROPERTIES (kPa,Kg/m^3)

Matl	Material Name	Young's Modulus	Poisson's Ratio	Mass Density	Coeff of Expansion	Concrete Strength
1	TIMBER	1.0500E+07	6.50	1.1000E+03	1.0000E-10	
2	CONCRETE-32	2.8600E+07	0.15	2.4500E+03	1.0000E-05	32000.00

COMBINATION LOAD CASES

Load case 3: 1.4D+1.7

1.400 \* Load case 1: D  
 1.700 \* Load case 2: L

Load case 5: D+1.3L+1.3W

1.000 \* Load case 1: D  
 1.300 \* Load case 2: L  
 1.300 \* Load case 4: W

Load case 6: 0.9D+1.3W

0.900 \* Load case 1: D  
 1.300 \* Load case 4: W

LOAD CASE TITLES

Load Case	Title
1	D
2	L
3	1.4D+1.7
4	W
5	D+1.3L+1.3W
6	0.9D+1.3W

MEMBER FORCES AND MOMENTS (kN, kNm) (\*=Maximum, #=Minimum)

Envelope = All Load Cases and All Members and All Sections

Membr	Case	Load	Axial Force	Y-Axis Shear	Z-Axis Shear	X-Axis Torsion	Y-Axis Moment	Z-Axis Moment
14	3	155.217*	-3.632	0.000	0.000	0.000	0.000	0.055
4	3	-78.351#	-0.348	0.000	0.000	0.000	0.000	1.047
29	3	39.939	76.877*	0.000	0.000	0.000	0.000	-14.150
28	3	39.939	-76.877#	0.000	0.000	0.000	0.000	14.150
29	3	50.703	76.877	0.000	0.000	0.000	0.000	139.603*
28	3	50.703	-76.877	0.000	0.000	0.000	0.000	-139.603#

NODE REACTIONS (kN, kNm) (\*=Maximum, #=Minimum)

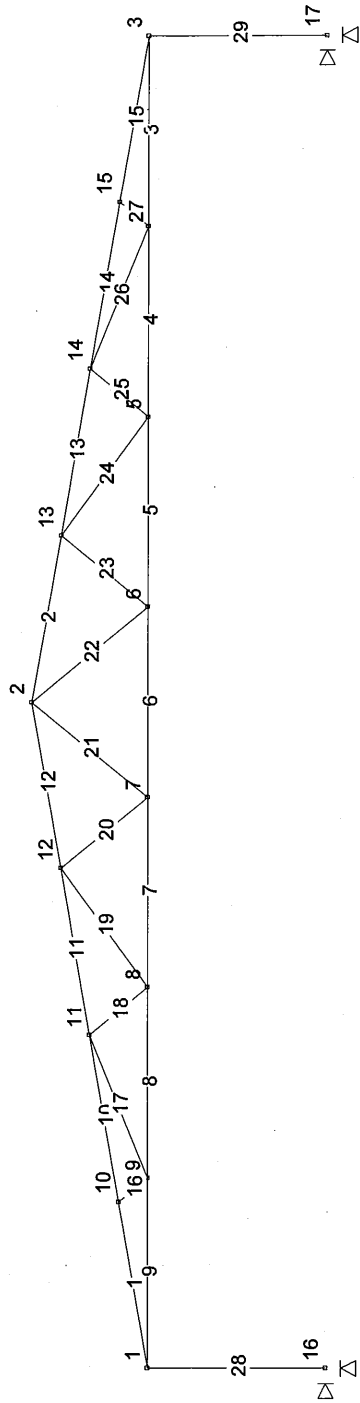
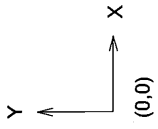
Envelope = All Load Cases and All Nodes

Node	Case	Load	X-Axis Force	Y-Axis Force	Z-Axis Force	X-Axis Moment	Y-Axis Moment	Z-Axis Moment
16	3	76.877*	50.703	0.000	0.000	0.000	0.000	-139.603
17	3	-76.877#	50.703	0.000	0.000	0.000	0.000	139.603
16	3	76.877	50.703*	0.000	0.000	0.000	0.000	-139.603
16	4	-5.897	-3.102#	0.000	0.000	0.000	0.000	10.699
17	3	-76.877	50.703	0.000	0.000	0.000	0.000	139.603*
16	3	76.877	50.703	0.000	0.000	0.000	0.000	-139.603#

INTERMEDIATE FORCES AND MOMENTS (m, kN, kNm) (\*=Maximum, #=Minimum)

Envelope = All Load Cases and All Members and All Sections

Membr	Case	Load	Axial Force	Y-Axis Shear	Z-Axis Shear	X-Axis Torsion	Y-Axis Moment	Z-Axis Moment
10	3	155.217*	3.632	0.000	0.000	0.000	0.000	0.055
4	3	-78.351#	-0.348	0.000	0.000	0.000	0.000	1.047
29	3	39.939	76.877*	0.000	0.000	0.000	0.000	-14.150
28	3	39.939	-76.877#	0.000	0.000	0.000	0.000	14.150
29	3	50.703	76.877	0.000	0.000	0.000	0.000	139.603*
28	3	50.703	-76.877	0.000	0.000	0.000	0.000	-139.603#



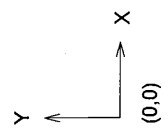
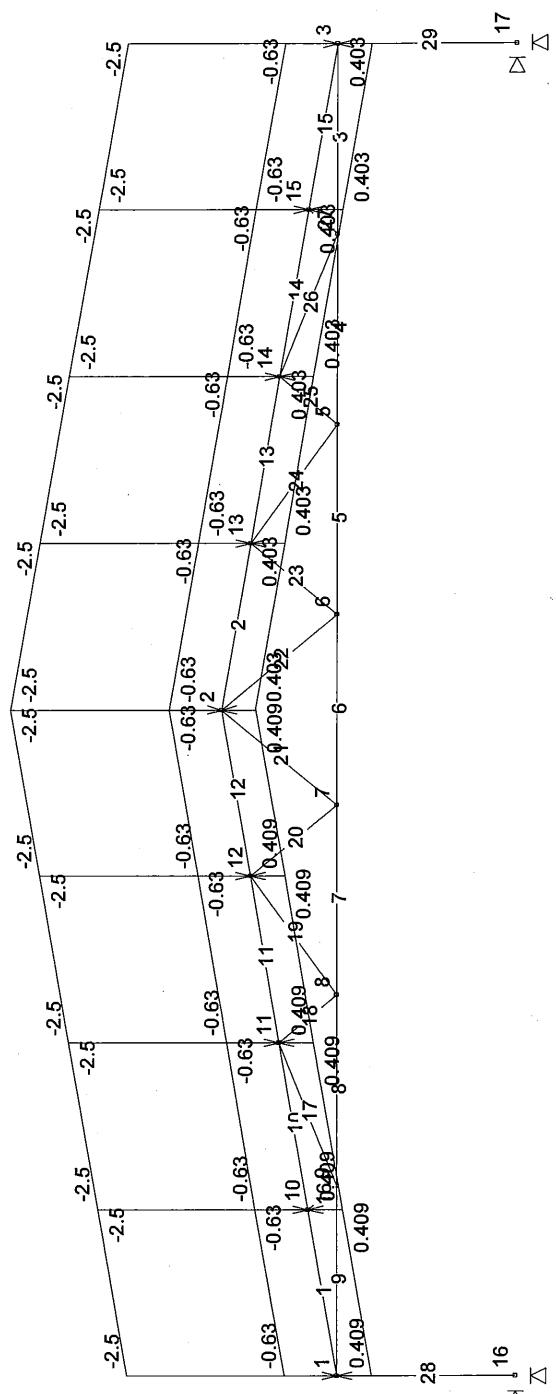
Sections:  
 1 100 x 150 HWD  
 2 400 x 400 Col

Roof Model

Job: ADMROOF, Designer: FYP, Units: m,kN,MPa, Scale: 1:85, Axes: XY  
 Load: None Disp: None Moment: None Shear: None Axial: None  
 POMSSUP

Roof: Admin Building 18 Oct 2011, 8:47 am

- 1 (SW) D
- 2 L
- 3 1.4D+1.7
- 4 W
- 5 D+1.3L+1.3W
- 6 0.9D+1.3W



Sections:  
 1 100 x 150 HWD  
 2 400 x 400 Col

Roof Model with Loadings  
 Job: ADMROOF, Designer: FYP, Units: m,kN,MPa, Scale: 1:85, Axes: XY  
 Load: 0.09 Disp: None Moment: None Shear: None Axial: None  
 POMSSUP  
 Roof: Admin Building  
 18 Oct 2011, 8:48 am

Roof Truss Design

REFERENCE: REF: PNGS 1292 - 1989

TABLE 2.2

STRENGTH CLASSIFICATION			
Species	Moisture Condition	Strength Group(2)	Stress Grade
Hardwood	Seasoned	SD3	F11

TABLE 2.3

BASIC WORKING STRESS & STIFFNESS FOR THE STRUCTURAL TIMBER (CONCERNED)

Stress grade	Basic working stress, MPa				Modulus of Elasticity (E)
	Bending (Fb')	Tension parallel to grain (Ft')	Compression parallel to grain (Fc')	Shear in Beams (Fs')	
F11	11.00	6.60	8.40	1.05	10500

TABLE A

MODIFICATION FACTORS										
Duration of Load Factor, k1	k2	k3	Partial Seasoning Factor, k4	Seasoned moisture Cont. Factor, k5	Temp °C Factor, k6	Length of Bearing Factor, k7	Parallel Support Factor, k8	Grid Systems Factor, k9	Size Factor, k11	Stability Factor, k12
1.00	1.00	1.00	1.00	1.00	0.90	1.00	1.33	1.00	1.00	1.00

PERMISSIBLE STRESSES

a. In Bending:

$$F_b = k_1 k_4 k_5 k_6 k_8 k_{11} k_{12} F_b' \dots \text{Eq.3.1}$$

$$= 13.167 \text{ MPa}$$

b. In Compression parallel to grain:

$$F_c = k_1 k_4 k_5 k_6 k_8 k_{11} k_{12} F_c' \dots \text{Eq.3.12}$$

$$= 10.0548 \text{ MPa}$$

c. In Tension parallel to grain

$$F_t = k_1 k_4 k_5 k_6 k_{11} F_t' \dots \text{Eq.3.21}$$

$$= 5.94 \text{ MPa}$$

FROM SPACE GASS ANALYSIS

MAXIMUM VALUES OF BENDING MOMENTS & AXIAL FORCES ON THE TRUSS MEMBERS			
	TOP CHORD	DIAGONAL	BOTTOM CHORD
M*max (kNm)	8	2	4
P*max (+ve) (kN)	155	20	0
P*max (-ve) (kN)	0	20	78.4

CHECK FOR ADEQUACY FOR SIZE

SECTION NAME	SECTION SIZE		SECTION PROPERTIES		
	B (mm)	D (mm)	Zx = BD <sup>2</sup> /6, mm <sup>3</sup>	Zy = B <sup>2</sup> D/6, mm <sup>3</sup>	A = BD, mm <sup>2</sup>
TOP CHORD	150	300	2250000	1125000	45000
WEB	75	150	281250	140625	11250
BOTTOM CHORD	150	300	2250000	1125000	45000

WORKING STRESSES

	Bending Stress, = Mx/Zx (MPa)	fbx	Axial Compressive Stress, fc = P/A (MPa)	Axial Tensile Stress, ft = P/A (MPa)
TOP CHORD	3.5556		3.4444	0.0000
WEB	0.0000		1.7778	1.7778
BOTTOM CHORD	1.7778		0.0000	1.7422

**TOP CHORD CHECK!**

**A. Combined Bending + Axial Compression**

$$\begin{array}{rcllcl} \text{From equation 3.23, } (fbx/Fbx) & + & (fc/Fcx) & \leq & 1 \\ 0.270035 & + & 0.34257 & \leq & 1 \\ & & 0.6126 & < & 1 \quad \underline{OK} \end{array}$$

**B. Combined bending + Axial Tension**

$$\begin{array}{rcllcl} \text{From equation 3.25, } 0.6fbx & + & ft & \leq & Ft \\ 2.133333 & + & 0 & \leq & 5.94 \\ & & 2.13333 & < & 5.94 \quad \underline{OK} \end{array}$$

**WEB CHECK!**

**A. Axial Stress in Compression Member**

$$\begin{array}{rcll} \text{From equation 3.19, } fc \leq Fcx \\ 1.777778 & < & 10.0548 & \underline{OK} \end{array}$$

**B. Axial Stress in Tension Member**

$$\begin{array}{rcll} \text{From equation 3.19, } ft \leq Ft \\ 0.0000 & < & 5.94 & \underline{OK} \end{array}$$

**BOTTOM CHORD CHECK!**

**A. Combined Bending + Axial Compression**

$$\begin{array}{rcllcl} \text{From equation 3.23, } (fbx/Fbx) & + & (fc/Fcx) & \leq & 1 \\ 0.135018 & + & 0 & \leq & 1 \\ & & 0.13502 & < & 1 \quad \underline{OK} \end{array}$$

**B. Combined bending + Axial Tension**

$$\begin{array}{rcllcl} \text{From equation 3.25, } 0.6fbx & + & ft & \leq & Ft \\ 1.066667 & + & 1.7422 & \leq & 5.94 \\ & & 2.8089 & < & 5.94 \quad \underline{OK} \end{array}$$



SECTION PROPERTIES (m,m^2,m^4,deg)

Sect	Section Name	Mark	Angle Type	Flipped	Source
1	SLAB	S1	Not applicable	No	Standard shape
2	400DP x 400WD	S2	Not applicable	No	Standard shape
3	400 x 400 COL	S3	Not applicable	No	Standard shape
4	300DP x 300WD	S4	Not applicable	No	Standard shape
5	75*5 EA	S5	Single	No	AUST300.LSS
6	125*75*6 RHS	S6	Not applicable	No	AUST300.LSS

Sect	Area of Section	Torsion Constant	Y-Axis Mom of In	Z-Axis Mom of In	Y-Axis Shr Area	Z-Axis Shr Area	Princ Angle
1	4.000E-02	2.2530E-04	1.3330E-04	1.3330E-04	INFINITE	INFINITE	-0.00
2	1.6000E-01	3.6053E-03	2.1333E-03	2.1333E-03	INFINITE	INFINITE	0.00
3	1.6000E-01	3.6053E-03	2.1333E-03	2.1333E-03	INFINITE	INFINITE	0.00
4	9.0000E-02	1.1408E-03	6.7500E-04	6.7500E-04	INFINITE	INFINITE	0.00
5	6.7200E-04	5.2800E-09	1.4700E-07	5.6300E-07	INFINITE	INFINITE	45.00
6	2.1300E-03	4.4400E-06	1.8700E-06	4.1600E-06	INFINITE	INFINITE	0.00

Sect	Section Shape	D	B/Bt	Bb/Hf	Tw	Tf
1	Rectangle	0.200	0.200			
2	Rectangle	0.400	0.400			
3	Rectangle	0.400	0.400			
4	Rectangle	0.300	0.300			

INTERMEDIATE FORCES AND MOMENTS (m,kN,kNm)  
 (=Maximum, #=Minimum)

Envelope = All Load Cases  
and All Members  
and All Sections

Memb	Load Case	Axial Force	Y-Axis Shear	Z-Axis Shear	X-Axis Torsion	Y-Axis Moment	Z-Axis Moment
74	5	554.812*	0.836	-1.945	-0.018	2.344	-1.419
79	4	-14.338#	0.245	23.752	0.028	-48.871	-0.247
40	5	-0.872	127.956*	0.067	0.044	-0.169	-131.250
85	5	8.159	-144.776#	-0.294	3.212	-0.286	-144.573
65	8	210.888	0.587	44.606*	0.042	-79.876	-0.917
103	5	33.719	-0.189	-19.909#	0.022	44.761	0.814
59	8	4.370	50.846	-0.004	11.311*	0.045	-42.107
86	8	4.298	-46.595	-0.154	-16.992#	0.220	39.579
66	8	210.888	0.587	44.606	0.042	76.246*	1.136
66	8	216.092	1.037	44.591	0.008	-80.029#	-1.471
85	5	8.159	-107.787	-0.294	3.212	0.258	89.047*
85	5	8.159	-144.776	-0.294	3.212	-0.286	-144.573#

MATERIAL PROPERTIES (kPa,Kg/m^3)

Matl	Material Name	Young's Modulus	Poisson's Ratio	Mass Density	Coeff of Expansion	Concrete Strength
1	STEEL	2.0000E+08	0.25	7.8500E+03	1.1700E-05	
2	STEEL	2.0000E+08	0.25	7.8500E+03	1.1700E-05	

COMBINATION LOAD CASES

- Load case 5: 1.4D+1.7L  
 1.400 \* Load case 1: D  
 1.700 \* Load case 2: L
- Load case 6: D+1.3L+1.3W  
 1.000 \* Load case 1: D  
 1.300 \* Load case 2: L  
 1.000 \* Load case 3: W
- Load case 7: 0.9D+1.3W  
 0.900 \* Load case 1: D  
 1.000 \* Load case 3: W
- Load case 8: D+1.3L+E  
 1.000 \* Load case 1: D  
 1.300 \* Load case 2: L  
 1.300 \* Load case 4: E
- Load case 9: 0.9+E  
 0.900 \* Load case 1: D  
 1.300 \* Load case 4: E

LOAD CASE TITLES

Load Case	Title
1	D
2	L
3	W
4	E
5	1.4D+1.7L
6	D+1.3L+1.3W
7	0.9D+1.3W
8	D+1.3L+E
9	0.9+E

MEMBER FORCES AND MOMENTS (kN,kNm)  
 (=Maximum, #=Minimum)

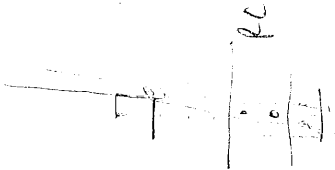
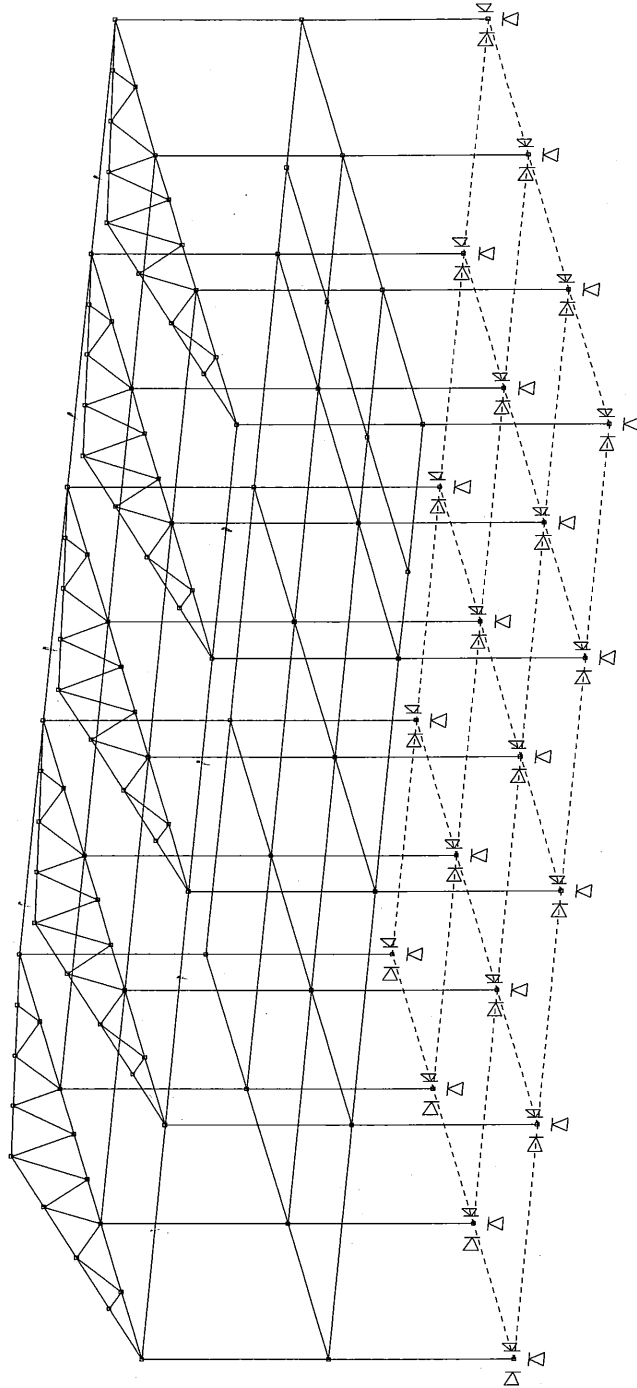
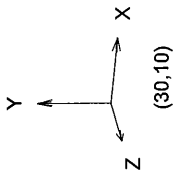
Envelope = All Load Cases  
and All Members  
and All Sections

Memb	Load Case	Axial Force	Y-Axis Shear	Z-Axis Shear	X-Axis Torsion	Y-Axis Moment	Z-Axis Moment
74	5	554.812*	0.836	-1.945	-0.018	2.344	-1.419
79	4	-14.338#	0.245	23.752	0.028	-48.871	-0.247
40	5	-0.872	127.956*	0.067	0.044	-0.169	-131.250
85	5	8.159	-144.776#	-0.294	3.212	-0.286	-144.573
65	8	210.888	0.587	44.606*	0.042	-79.876	-0.917
103	5	33.719	-0.189	-19.909#	0.022	44.761	0.814
59	8	4.370	50.846	-0.004	11.311*	0.045	-42.107
86	8	4.298	-46.595	-0.154	-16.992#	0.220	39.579
66	8	210.888	0.587	44.606	0.042	76.246*	1.136
66	8	216.092	1.037	44.591	0.008	-80.029#	-1.471
85	5	8.159	-107.787	-0.294	3.212	0.258	89.047*
85	5	8.159	-144.776	-0.294	3.212	-0.286	-144.573#

NODE REACTIONS (kN,kNm)  
 (=Maximum, #=Minimum)

Envelope = All Load Cases  
and All Nodes

Node	Load Case	X-Axis Force	Y-Axis Force	Z-Axis Force	X-Axis Moment	Y-Axis Moment	Z-Axis Moment
19	5	19.560*	273.544	-1.807	-2.179	-0.031	-22.225
3	5	-20.214#	263.316	-4.178	-5.020	-0.015	23.873
11	5	-0.836	554.812*	-1.945	-2.344	-0.018	1.419
5	4	-0.245	-14.338#	23.752	48.871	0.028	0.247
12	8	-0.587	210.888	44.606*	79.876	0.042	0.917
9	5	0.287	256.036	-18.716#	-21.942	0.019	0.007
16	8	-1.037	216.092	44.591	80.029*	0.008	1.471
9	5	0.287	256.036	-18.716	-21.942#	0.019	0.007
1	6	-7.402	81.452	-0.496	0.147*	8.773	
20	6	7.795	100.899	10.853	14.495	-0.146#	-8.812
3	5	-20.214	263.316	-4.178	-5.020	-0.015	23.873*
19	5	19.560	273.544	-1.807	-2.179	-0.031	-22.225#



- Sections:
- 2 400DP x 400WD
  - 3 400 x 400 CGL
  - 4 300DP x 300WD
  - 5 75\*5 EA

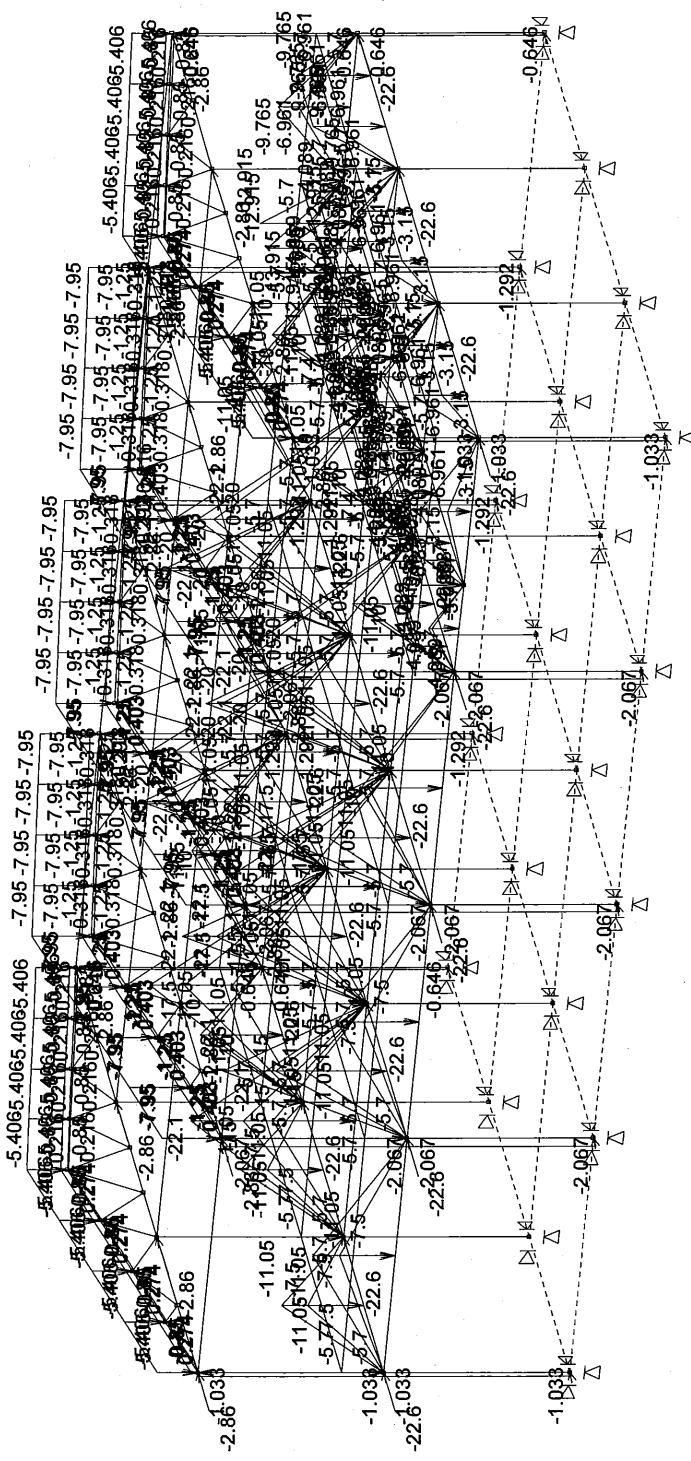
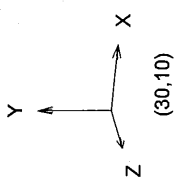
Admin Building Model

Job: ADMBDG1, Designer: FYP, Units: m,kN,MPa, Scale: 1:140, Axes: XY  
 Load: None Disp: None Moment: None Shear: None Axial: None  
 POMSSUP

Administration Building  
 18 Oct 2011, 8:37 am

1  
2  
3  
4  
5  
6  
7  
8  
9

D  
L  
W  
E  
1.4D+1.7L  
D+1.3L+1.3W  
0.9D+1.3W  
D+1.3L+E  
0.9+E



Sections:  
2 400DP x 400WD  
3 400 x 400 CQL  
4 300DP x 300WD  
5 75\*5 EA

Admin Building Model with Loadings

Job: ADMBDG1, Designer: FYP, Units: m,kN,MPa, Scale: 1:140, Axes: XY  
Load: 1 Disp: None Moment: None Shear: None Axial: None

POMSSUP

Administration Building

18 Oct 2011, 8:38 am

**ROOF BEAM DESIGN**

REFERENCE:

Concrete Structures - 3rd Edition  
R. F. Warner, B. V. Rangan, & A. S. Hall

AS 3600 - 2009

**Design of a Continuous Beam :****1 Loads**

DL	:	Wdl =	0.60 kN/m	(plus super)
Self wt	:	Wsw =	5.00 kN/m	
Blockwall	:	Wb =	0.00 kN/m	
TOTAL	:	=	5.60 kN/m	
LL	:	Wll =	0.25 kN/m	
LL factor	- long term		0.4	
	- short term		0.7	

**2 Beam Section Properties****Beam Size**

bw	400 mm	D =	500 mm
tff	0 mm	Cover =	65 mm
Actual length, L =	5000 mm	Overall depth of Sect. D =	500 mm
Effective Length, L <sub>ef</sub> =	4600 mm	Area, A =	2.00E+05 mm <sup>2</sup>
Neutral Axis, y <sub>c</sub> =	250.00 mm	Moment of Inertia, I <sub>x-x</sub> =	4.17E+09 mm <sup>4</sup>
Neutral Axis, x <sub>c</sub> =	660.00 mm	Moment of Inertia, I <sub>y-y</sub> =	2.67E+09 mm <sup>4</sup>
Effective width, b <sub>eff</sub> =	1320.00 mm	Gross Area, A <sub>g</sub> =	2.00E+05 mm <sup>2</sup>

**3 Design Parameters**

F' <sub>c</sub> =	32 MPa	D =	500 mm
F <sub>sy</sub> =	410 MPa	E <sub>c</sub> =	28599.62293 MPa
m =	2400 kg/m <sup>3</sup>	E <sub>s</sub> =	200000 MPa
		Gamma =	0.822

**4 INITIAL CHOICE OF SECTION**

Effective width =	1320 mm	clause 8.8.2	
Is the section RECT or T, L (ans : 1 or 2)	=		2
k <sub>1</sub> =	0.045	(RECT sections)	1
=	0.02226344	(T and L sections)	2
what type of span?	5	interior span =	5
		end span =	6
k <sub>2</sub> =	0.0026042		
k <sub>cs</sub> =	1.64	(because there will be comp steel at midspan=say .5A <sub>st</sub> )	
F <sub>def</sub> =	9.523		
defln/L <sub>ef</sub> =	0.004	k <sub>1</sub> /k <sub>2</sub> =	8.549050482
d =	90 mm		
take d =	393 mm	Distance from d to extreme fibre of beam (d <sub>o</sub> ) =	107 mm

**5 Forces from an Elastic Analysis by Space Gass :**

M <sub>max</sub> -ve	=	75.30 kNm	(left support)
M <sub>max</sub> +ve	=	75.30 kNm	(mid-span)
M -ve	=	75.30 kNm	(right support)
V <sub>max</sub>	=	29.00 kN	
V (other end)	=	29.00 kN	
N*	=	31.00 kN	Axial Load

**6 FLECTURAL STRENGTH STEEL**

Determine -ve steel required:	(At arbitrary left support)		
Number of reinforcement layers 1 or 2 :		2	
take d <sub>o</sub> =	107 mm	d =	393
Estimate Area of main steel	A <sub>st</sub> =	610.8817262 mm <sup>2</sup>	
4 Y 20	A <sub>st</sub> =	1256.637061 mm <sup>2</sup>	
16 p	=	0.007993874	
3 Y 16	A <sub>sc</sub> =	603.1857895 mm <sup>2</sup>	
	p <sub>c</sub> =	0.00383706	< p <sub>d</sub> = 0.021813

$$p-pc = 0.004156815 \quad pd = 0.4 * 0.85 * \mu * f'c / f_{sy}$$

**Check  $M^* \leq \phi Mu$**

$$k_u = 0.076226 \quad d_{sc} = 85 \text{ mm}$$

$$\phi Mu = \phi [F_{sy} \times A_{sc} (d - d_{sc}) + 0.85 \times F'c \times b \times \Gamma \times k_u \times d \times (d - 0.5 \times 0.85 \times k_u \times d)]$$

	=	160	kNm	>	M* =	75.30	kNm	OK
--	---	-----	-----	---	------	-------	-----	----

**Determine -ve steel at right support:**

$$M_{-ve} = 75.30 \text{ kNm}$$

Number of reinforcement layers 1 or 2 : 2

$$\text{take } d_o = 107 \text{ mm} \quad \text{dst} = 393 \text{ mm}$$

$$\text{Estimate Area of main steel } A_{st} = 610.8817262 \text{ mm}^2$$

$$4 \quad Y \ 20 \quad A_{st} = 1256.637061 \text{ mm}^2$$

$$p = 0.007993874$$

$$3 \quad Y \ 16 \quad A_{sc} = 603.1857895 \text{ mm}^2$$

$$p_c = 0.00383706 < pd = 0.021813$$

$$p-pc = 0.004156815$$

**Check  $M^* \leq \phi Mu$**

$$k_u = 0.076226 \quad d_{sc} = 85 \text{ mm}$$

$$\phi Mu = \phi [F_{sy} \times A_{sc} (d - d_{sc}) + 0.85 \times F'c \times b \times \Gamma \times k_u \times d \times (d - 0.5 \times 0.85 \times k_u \times d)]$$

	=	160	kNm	>	M* =	75.30	kNm	OK
--	---	-----	-----	---	------	-------	-----	----

**FOR DUCTILITY CHECK AT BOTH SUPPORTS USE EMPHI**

**Tensile Steel at Midspan:**

$$M^* = 75.3 \text{ kNm}$$

Steel in one layer then code = 1 take dist between centroid of  
 " " two " " code = 2 bar/s and soffit = 107 mm

$$\text{what is the code? } \text{code} = 2 \quad d = 393 \text{ mm}$$

$$A_{st} = M^* / (\Phi \times 0.85 \times d \times F_{sy}) = 610.881726 \text{ mm}^2$$

$$4 \quad Y \ 20 \quad A_{st} = 1256.637061 \text{ mm}^2$$

$$3 \quad Y \ 16 \quad A_{sc} = 603.1857895 \text{ mm}^2$$

Assume N - A in flange

$$\text{Effective width : } b_{eff} = 1320 \text{ mm}$$

$$k_u = 1 / (0.85 \times 0.85) \times [A_{st} / (b_w \times d)] \times (F_{sy} / F'c)$$

$$= 0.04442081$$

$$\text{hence } d_n = 17 < \text{flange thickness} \\ \text{hence N-A is in flange}$$

$$\Phi Mu = 0.9 [F_{sy} \times A_{st} \times d (1 - 0.5 \times 0.85 \times k_u)]$$

	=	179	kNm	>	M*+ve =	75.30	kNm	OK
--	---	-----	-----	---	---------	-------	-----	----

**Summary of reinforcement requirement :**

left support :	A <sub>st</sub> =	4	Y 20
	A <sub>sc</sub> =	3	Y 16
Right support :	A <sub>st</sub> =	4	Y 20
	A <sub>sc</sub> =	3	Y 16
midspan	A <sub>st</sub> =	4	Y 20
	A <sub>sc</sub> =	3	Y 16

**7 STEEL CURTAILMENT REQUIREMENT CHECK**

The following requirements regarding curtailment are subject to stress development length requirements.

i) 1/4 A<sub>st</sub> to continue over length of beam  
 For -ve steel = 2 bars

ii) Remainder to be curtailed at 0.3L<sub>n</sub> from face of support.  
 = 0.3 x l<sub>e</sub> = 1380 mm

i) 1/4 A<sub>st</sub> to continue over length of beam  
 For -ve steel = 2 bars

ii) Remainder to be curtailed at 0.3L<sub>n</sub> from face of support.

For +ve steel :

- =  $0.3 \times l_e = 1380 \text{ mm}$
- i)  $1/2 A_{st}$  must be carried into outer support  
= 2 bars
- ii)  $1/4 A_{st}$  into interior support  
= 2 bars
- iii) Remainder curtailed at  $0.1l_n$  from supports  
=  $0.1 \times l_e = 460 \text{ mm}$

### 8 STRESS DEVELOPMENT

For Top Steel:

cover :  $c = 65 \text{ mm}$   
 $d_b = 16 \text{ mm}$  # of lines of bars = 1  
 $a_b = 246 \text{ mm}$  distance between bars  
 If  $a_b > 2c$   $C = 2c + d_b = 146 \text{ mm}$   
 $C$  is the outside diameter of a concrete annulus  
 if  $a_b \leq 2c$   $C = a_b + d_b = 262 \text{ mm}$   
 coaxial with and surrounding a bar  
 $k_1 = 1.25$   $A_b = 201.0619298 \text{ mm}^2$   
 $k_2 = 2.2$   $a_b = 246 \text{ mm}$  (dist between bars)  
 factor = 40074.8041  
 $L_{syt} = k_1 \times k_2 \times f_{sy} \times A_b / C \times \sqrt{f'_c} = \text{factor} / C$   
 = 274.485 mm  
 take  $f_s / F_{sy} = M^* / \Phi Mu = 0.469905721$   
 therefore  $L_{sy} = 129 \text{ mm} \geq 25k1db$  500  
 $s_{ay} = 500 \text{ mm}$

For Bottom Steel:

Cover,  $c = 65 \text{ mm}$   $d_b = 20 \text{ mm}$   
 # of lines of bars = 1  
 If  $a_b > 2c$   $C = 2c + d_b = 150 \text{ mm}$   
 if  $a_b < 2c$   $C = a_b + d_b = 574 \text{ mm}$   
 $k_1 = 1$   $A_b = 314.1592654 \text{ mm}^2$   
 $k_2 = 2.2$   $a_b = 554 \text{ mm}$  (dist between bars)  
 factor = 50093.50513  
 $L_{syt} = 333.9567 \text{ mm}$  take  $f_s / F_{sy} = M^* / \Phi Mu = 0.420889762$   
 therefore  $L_{sy} = 141 \text{ mm} \geq 25k1db$  400  
 $s_{ay} = 400 \text{ mm}$

### 9 SHEAR CHECK

$V^* = 29.00 \text{ kN}$  Dist to centreline of bottom steel from soffit  
 critical location :  $d = 393 \text{ mm}$   $d_q = 85 \text{ mm}$   
 $d_o = 415 \text{ mm}$   
 $V^* = 27 \text{ kN}$  hence  $\beta_1 = 1.1925$  (but not less than 1.1)  
 $\beta_2 = 1.1925$   
 $\beta_3 = 1$   
 $\beta_3 = 1$  Unity  
 $\phi V_{uc} = \phi \times \beta_1 \times \beta_2 \times \beta_3 \times b_w \times d_o [A_{st} \times F'_c / b_w \times d_o]^{0.333}$   
 = 86.42 kN  
 $\phi V_{umax} = 743.68 \text{ kN} > V^*$  No web crushing  
 $\phi V_{umin} = 156 \text{ kN} > V^*$  OK

If shear reinforcement required then proceed as follows :

choose stirrup spacing  $s = 200 \text{ mm}$   $F_{syf} = 410 \text{ MPa}$   
 Determine  $\theta$  :

$b_v \times s / F_{syf} = 195.121951$   
 $A_{sv.min} = 68.2926829 \text{ mm}^2$   
 $A_{sv.max} = 1104 \text{ mm}^2$   
 $A_{sv} = 2 \times \text{area of stirrups} = 220 \text{ mm}^2$  2 Ties  
 $\theta = 32.19787 \text{ degrees}$

Determine Phi Vu :

$$\begin{aligned} V_u &= V_{uc} + V_{us} \\ &= V_{uc} + A_{sv} / s \times F_{syf} \times d_o \cot \theta \\ &= 420.70 \text{ kN} \end{aligned}$$

$$\text{Phi } V_u = 294 \text{ kN} > V^* = 27 \text{ kN}$$

hence

**PROVIDE : 1 Y12 LIGS @ 200 centres**

Other Support :

$$V^* = 29.00 \text{ kN}$$

Dist to centreline of bottom steel from soffit

$$\begin{aligned} \text{critical location : } d &= 393 \text{ mm} & d_q &= 85 \text{ mm} \\ & & d_o &= 415 \text{ mm} \end{aligned}$$

$$\begin{aligned} V^* &= 26.70 \text{ kN} & \text{beta } 1 &= 1.1925 \quad (\text{but not less than } 1.1) \\ & \text{hence} & &= 1.1925 \\ & & \text{beta } 2 &= 1 \\ & & \text{beta } 3 &= 1 \end{aligned}$$

$$\begin{aligned} \text{phi } V_{uc} &= \text{phi} \times \text{beta } 1 \times \text{beta } 2 \times \text{beta } 3 \times b_w \times d_o [A_{st} \times F'_c / b_w \times d_o]^{0.333} \\ &= 86.42121 \text{ kN} \end{aligned}$$

$$\begin{aligned} \text{phi } V_{umax} &= 743.68 \text{ kN} > V^* & \text{No web crushing} \\ \text{phi } V_{umin} &= 156 \text{ kN} < V^* & \text{OK} \end{aligned}$$

If shear reinforcement required then proceed as follows :

$$\text{choose stirrup spacing } s = 200 \text{ mm} \quad F_{syf} = 410 \text{ MPa}$$

Determine theta :

$$\begin{aligned} b_v \times s / F_{syf} &= 195.121951 \\ A_{sv.min} &= 68.2926829 \text{ mm}^2 \\ A_{sv.max} &= 1103.6628 \text{ mm}^2 \end{aligned}$$

$$\begin{aligned} A_{sv} &= 2 \times \text{area of stirrups} = 330 \text{ mm}^2 & 2 \text{ Ties} \\ \theta &= 33.7915 \text{ degrees} \end{aligned}$$

Determine Phi Vu :

$$\begin{aligned} V_u &= V_{uc} + V_{us} \\ &= V_{uc} + A_{sv} / s \times F_{syf} \times d_o \cot \theta \\ &= 542.969 \text{ kN} \end{aligned}$$

$$\text{Phi } V_u = 380.0783 \text{ kN} > V^* = 26.70 \text{ kN}$$

hence

**PROVIDE : 1 Y12 LIGS @ 200 centres**

### 11 SERVICEABILITY CHECK

From an Elastic Linear Analysis :

$$\begin{aligned} M_r &= 75.30 \text{ kNm} & E_s &= 200000 \text{ MPa} \\ M_l &= 75.30 \text{ kNm} & E_c &= 28599.62293 \text{ MPa} \\ M_o &= 150.6 \text{ kNm} \\ M_s &= 75.30 \text{ kNm} \\ I_g &= 4.17E+09 \text{ mm}^4 \end{aligned}$$

Calculate  $I_{cr}$ ,  $M_{cr}$ , and  $I_{ef}$  at midspan :

$$\begin{aligned} \text{Eff. Flange width } b_{eff} &= 1320 \text{ mm} & A_{sc} &= 603.1857895 \text{ mm}^2 \\ \text{webwidth } b_w &= 400 \text{ mm} & A_{st} &= 1256.637061 \text{ mm}^2 \\ \text{Flange thickness } t_{ff} &= 0 \text{ mm} & d_{sc} &= 107 \text{ mm} \\ & & d_{st} &= 393 \text{ mm} \\ & & d &= 393 \text{ mm} \\ & & D &= 500 \text{ mm} \end{aligned}$$

$$n = E_s / E_c = 6.99309919$$

$$\begin{aligned} 1/2 \times b_w \times d_n^2 + (b_{eff} - b_w) \times t \times (d_n - t/2) + (n - 1) A_{sc} (d_n - d_{sc}) &= n A_{st} (d - d_n) \\ 200 d_n^2 + 12402.7399 d_n - 3840400.426 &= 0 \\ d_n &= 110.991132 \text{ mm} \\ d &= 393 \text{ mm} \end{aligned}$$

$$\begin{aligned} I_{cr} &= b d_n^3 / 3 + 1/12 (b_{eff} - b_w) \times t^3 + (b_{eff} - b_w) \times t \times (d_n - t/2)^2 + n x A_{st} (d - d_n)^2 \\ &= 8.81E+08 \text{ mm}^4 \\ M_{cr} &= 0.6 \sqrt{F'_c} \times b D^2 / 6 = 56.5685425 \text{ kNm} \end{aligned}$$

$$I_m = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_s)^3]$$

$$= 2.27E+09 \text{ mm}^4$$

Calculate  $I_{cr}$ ,  $M_{cr}$ ,  $I_{lef}$  and  $I_{ref}$  at end supports:

$$b_w = 400 \text{ mm} \quad A_{st} = 1256.637061 \text{ mm}^2$$

$$d_{sc} = 85 \text{ mm} \quad A_{sc} = 603.1857895 \text{ mm}^2$$

$$d = 393 \text{ mm}$$

$$I_g = 4.17E+09 \text{ mm}^4$$

At right end (arbitrary)

$$1/2 \times b d n^3 + (n - 1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$$

$$200 d_n^3 + 12402.7399 d_n - 3760871.476 = 0$$

$$d_n = 109.58 \text{ mm}$$

$$d = 393 \text{ mm}$$

$$I_{cr} = b d n^3 / 3 + n \times A_{sc} (d - d_n)^2 = 8.81E+08 \text{ mm}^4$$

$$M_{cr} = 0.6 \sqrt{f'_c} \times b D^2 / 6 = 56.5685425 \text{ kNm}$$

$$I_{ref} = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_r)^3] = 2.27E+09 \text{ mm}^4$$

At left end (arbitrary)

$$b_w = 400 \text{ mm}$$

$$d_{sc} = 85 \text{ mm}$$

$$A_{st} = 1256.6371 \text{ mm}^2$$

$$A_{sc} = 603.18579 \text{ mm}^2$$

$$d = 393 \text{ mm}$$

$$1/2 \times b d n^3 + (n - 1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$$

$$200 d_n^3 + 12402.7399 d_n - 3760871.476 = 0$$

$$d_n = 109.583983 \text{ mm}$$

$$d = 393 \text{ mm}$$

$$I_{cr} = b d n^3 / 3 + n \times A_{sc} (d - d_n)^2 = 8.81E+08 \text{ mm}^4$$

$$M_{cr} = 0.6 \sqrt{f'_c} \times b D^2 / 6 = 56.5685425 \text{ kNm}$$

$$I_{lef} = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_l)^3] = 2.27E+09 \text{ mm}^4$$

$$I_{av} = [I_m + (I_l + I_r) / 2] / 2 = 2.27E+09 \text{ mm}^4$$

Midspan Deflection :

$$L_{ef} = 4600 \text{ mm}$$

$$Defl_{n,s} = L_{ef}^2 / E_c \times I_{av} [5/48 \cdot M_o - 1/16 ML - 1/16 Mr]$$

$$= 2.04146525 \text{ mm}$$



**Total Deflection :**

Long term factor	=	0.2		
Short term factor	=	0.5		
w - long term	=	5.65 kN/m		
w - short term	=	5.725 kN/m		
Defln,s,sus	=	2.014721159 mm		
At midspan :			Ast =	1256.63706 mm <sup>2</sup>
			Asc =	603.185789 mm <sup>2</sup>
	Asc/Ast =	0.48		
	kcs =	2 - (1.2 x Asc/Ast)		>= 0.8
	=	1.424		

therefore

Total Defln	=	Dfln,s + ( kcs x Defln,s,sus )
	=	4.62353 mm

FROM A MORE ACCURATE ANALYSIS Warner,Rangan,Hall HAVE SHOWN THAT THIS CAN BE REDUCED BY UP TO 10%.

ALLOWABLE DEFLN	=	Lef / 250 =	18.4 mm
			> 0.9 x Total Defln
		Lef / 500 =	9.2 mm
			> 0.9 x Total Defln

**FIRST FLOOR BEAM DESIGN**

REFERENCE: Concrete Structures - 3rd Edition  
 R. F. Warner, B. V. Rangan, & A. S. Hall

AS 3600 - 2009

**Design of a Continuous Beam :****1 Loads**

DL	:	Wdl =	9.80 kN/m	(plus super)
Self wt	:	Wsw =	8.25 kN/m	
Blockwall	:	Wb =	16.10 kN/m	
TOTAL		=	34.15 kN/m	
LL :		Wll =	0.25 kN/m	
LL factor	- long term		0.4	
	- short term		0.7	

**2 Beam Section Properties****Beam Size**

bw	550 mm	D =	600 mm
tff	150 mm	Cover =	50 mm
Actual length, L =	5000 mm	Overall depth of Sect. D =	750 mm
Effective Length, L <sub>ef</sub> =	4600 mm	Area, A =	4.68E+05 mm <sup>2</sup>
Neutral Axis, y <sub>c</sub> =	366.35 mm	Moment of Inertia, I <sub>x-x</sub> =	2.83E+10 mm <sup>4</sup>
Neutral Axis, x <sub>c</sub> =	735.00 mm	Moment of Inertia, I <sub>y-y</sub> =	4.59E+10 mm <sup>4</sup>
Effective width, b <sub>eff</sub> =	1470.00 mm	Gross Area, A <sub>g</sub> =	5.51E+05 mm <sup>2</sup>

**3 Design Parameters**

F' <sub>c</sub> =	32 MPa	D =	600 mm
F <sub>sy</sub> =	410 MPa	E <sub>c</sub> =	28599.62293 MPa
m =	2400 kg/m <sup>3</sup>	E <sub>s</sub> =	200000 MPa
		Gamma =	0.822

**4 INITIAL CHOICE OF SECTION**

Effective width =	1470 mm	clause 8.8.2	
Is the section RECT or T, L (ans: 1 or 2)		=	1
k <sub>1</sub> =	0.045	(RECT sections)	1
=	0.02411424	(T and L sections)	2
what type of span?	5	interior span =	5
		end span =	6
k <sub>2</sub> =	0.0026042		
k <sub>cs</sub> =	1.64	(because there will be comp steel at midspan=say .5A <sub>st</sub> )	
F <sub>def</sub> =	56.345		
defln/L <sub>ef</sub> =	0.004	k <sub>1</sub> /k <sub>2</sub> =	17.27977882
d =	124 mm		
take d =	658 mm	Distance from d to extreme fibre of beam (do) =	92 mm

**5 Forces from an Elastic Analysis by Space Gass :**

M <sub>max</sub> -ve	=	357.00 kNm	(left support)
M <sub>max</sub> +ve	=	357.00 kNm	(mid-span)
M -ve	=	357.00 kNm	(right support)
V <sub>max</sub>	=	161.00 kN	
V (other end)	=	161.00 kN	
N*	=	17.00 kN	Axial Load

### 6 FLECTURAL STRENGTH STEEL

Determine -ve steel required: (At arbitrary left support)

Number of reinforcement layers 1 or 2 : 2  
 take do = 92 mm d = 658  
 Estimate Area of main steel Ast = 1729.804532 mm<sup>2</sup>  
 6 Y 20 Ast = 1884.955592 mm<sup>2</sup>  
 16 p = 0.005208498  
 3 Y 16 Asc = 603.1857895 mm<sup>2</sup>  
 pc = 0.00166672 < pd = 0.021813  
 p-pc = 0.003541779  $pd = 0.4 \times 0.85 \times \mu^* f'c / f_{sy}$

Check  $M^* \leq \phi Mu$

ku = 0.064948 dsc = 70 mm

$$\phi Mu = \phi [F_{sy} \times A_{sc} (d - d_{sc}) + 0.85 \times F'c \times b \times \Gamma \times k_u \times d \times (d - 0.5 \times 0.85 \times k_u \times d)]$$

=	434 kNm	>	M* =	357.00 kNm	OK
---	---------	---	------	------------	----

Determine -ve steel at right support:

M -ve = 357.00 kNm  
 Number of reinforcement layers 1 or 2 : 2  
 take do = 92 mm dst = 658 mm  
 Estimate Area of main steel Ast = 1729.804532 mm<sup>2</sup>  
 6 Y 20 Ast = 1884.955592 mm<sup>2</sup>  
 p = 0.005208498  
 3 Y 16 Asc = 603.1857895 mm<sup>2</sup>  
 pc = 0.00166672 < pd = 0.021813  
 p-pc = 0.003541779

Check  $M^* \leq \phi Mu$

ku = 0.064948 dsc = 70 mm

$$\phi Mu = \phi [F_{sy} \times A_{sc} (d - d_{sc}) + 0.85 \times F'c \times b \times \Gamma \times k_u \times d \times (d - 0.5 \times 0.85 \times k_u \times d)]$$

=	434 kNm	>	M* =	357.00 kNm	OK
---	---------	---	------	------------	----

FOR DUCTILITY CHECK AT BOTH SUPPORTS USE EMPHI

**Tensile Steel at Midspan:**

M\* = 357 kNm  
 Steel in one layer then code = 1 take dist between centroid of bar/s and soffit = 92 mm  
 " " two " " code = 2  
 what is the code? 2 d = 658 mm  
 Ast = M\*/(Phi x 0.85 x d x Fsy) = 1729.80453 mm<sup>2</sup>  
 6 Y 20 Ast = 1884.955592 mm<sup>2</sup>  
 3 Y 16 Asc = 603.1857895 mm<sup>2</sup>

Assume N - A in flange

Effective width : beff = 1470 mm  
 $ku = 1 / (0.85 \times 0.85) \times [A_{st} / (b_w \times d)] \times (F_{sy} / F'c)$   
 = 0.0357356  
 hence dn = 24 < flange thickness  
 hence N - A is in flange

$$\phi Mu = 0.9 [F_{sy} \times A_{st} \times d (1 - 0.5 \times 0.85 \times k_u)]$$

=	451 kNm	>	M*+ve =	357.00 kNm	OK
---	---------	---	---------	------------	----

Summary of reinforcement requirement :

left support:	Ast =	6	Y 20
	Asc =	3	Y 16
Right support:	Ast =	6	Y 20
	Asc =	3	Y 16
midspan	Ast =	6	Y 20
	Asc =	3	Y 16

### 7 STEEL CURTAILMENT REQUIREMENT CHECK

The following requirements regarding curtailment are subject to stress development length requirements.

- i) 1/4 Ast to continue over length of beam

- For -ve steel = 2 bars
- ii) Remainder to be curtailed at  $0.3L_n$  from face of support.  
 $= 0.3 \times l_e = 1380 \text{ mm}$
- For -ve steel = 2 bars
- ii) Remainder to be curtailed at  $0.3L_n$  from face of support.  
 $= 0.3 \times l_e = 1380 \text{ mm}$
- For +ve steel :
- i)  $1/2 A_{st}$  must be carried into outer support  
 $= 2 \text{ bars}$
- ii)  $1/4 A_{st}$  into interior support  
 $= 2 \text{ bars}$
- iii) Remainder curtailed at  $0.1L_n$  from supports  
 $= 0.1 \times l_e = 460 \text{ mm}$

### 8 STRESS DEVELOPMENT

For Top Steel:

cover :  $c = 50 \text{ mm}$

$d_b = 16 \text{ mm}$  # of lines of bars = 1

$a_b = 426 \text{ mm}$  distance between bars

If  $a_b > 2c$   $C = 2c + d_b = 116 \text{ mm}$   
 $C$  is the outside diameter of a concrete annulus

if  $a_b \leq 2c$   $C = a_b + d_b = 442 \text{ mm}$   
 coaxial with and surrounding a bar

$k_1 = 1.25$   $A_b = 201.0619298 \text{ mm}^2$

$k_2 = 2.2$   $a_b = 426 \text{ mm}$  (dist between bars)

factor = 40074.8041

$L_{syt} = k_1 \times k_2 \times f_{sy} \times A_b / C \times \sqrt{f'c} = \text{factor} / C$   
 $= 345.4724 \text{ mm}$

take  $f_s / F_{sy} = M^* / \Phi \mu = 0.823528935$

therefore  $L_{sy} = 285 \text{ mm}$   $\geq 25k_1 d_b$  500  
 $\text{say} = 500 \text{ mm}$

For Bottom Steel:

Cover,  $c = 50 \text{ mm}$   $d_b = 20 \text{ mm}$

# of lines of bars = 1

if  $a_b > 2c$   $C = 2c + d_b = 120 \text{ mm}$

if  $a_b < 2c$   $C = a_b + d_b = 694 \text{ mm}$

$k_1 = 1$   $A_b = 314.1592654 \text{ mm}^2$

$k_2 = 2.2$   $a_b = 674 \text{ mm}$  (dist between bars)

factor = 50093.50513

$L_{syt} = 417.4459 \text{ mm}$  take  $f_s / F_{sy} = M^* / \Phi \mu = 0.791663762$

therefore  $L_{sy} = 330 \text{ mm}$   $\geq 25k_1 d_b$  400  
 $\text{say} = 400 \text{ mm}$

## 9 SHEAR CHECK

$V^* = 161.00 \text{ kN}$

Dist to centreline of bottom steel from soffit

critical location :  $d = 658 \text{ mm}$

$d_q = 70 \text{ mm}$   
 $d_o = 530 \text{ mm}$

$V^* = 138 \text{ kN}$

hence  $\beta_1 = 1.135$  (but not less than 1.1)  
 $\beta_2 = 1.135$   
 $\beta_3 = 1$  Unity

$\phi V_{uc} = \phi \times \beta_1 \times \beta_2 \times \beta_3 \times b_w \times d_o [A_{st} \times F'_c / b_w \times d_o]^{0.333}$   
 $= 137.06 \text{ kN}$

$\phi V_{umax} = 1305.92 \text{ kN} > V^*$  No web crushing  
 $\phi V_{umin} = 259 \text{ kN} > V^*$  OK

If shear reinforcement required then proceed as follows :

choose stirrup spacing  $s = 200 \text{ mm}$

Determine  $\theta$  :  $F_{syf} = 410 \text{ MPa}$

$b_v \times s / F_{syf} = 268.292683$   
 $A_{sv.min} = 93.902439 \text{ mm}^2$   
 $A_{sv.max} = 1537 \text{ mm}^2$

$A_{sv} = 2 \times \text{area of stirrups} = 220 \text{ mm}^2$  2 Ties  
 $\theta = 31.31082 \text{ degrees}$

Determine  $\phi V_u$  :  
 $V_u = V_{uc} + V_{us}$   
 $= V_{uc} + A_{sv} / s \times F_{syf} \times d_o \cot \theta$   
 $= 588.76 \text{ kN}$

$\phi V_u = 412 \text{ kN} > V^* = 138 \text{ kN}$   
 hence

**PROVIDE : 1 Y12 LIGS @ 200 centres**

Other Support :

$V^* = 161.00 \text{ kN}$

Dist to centreline of bottom steel from soffit

critical location :  $d = 658 \text{ mm}$

$d_q = 70 \text{ mm}$   
 $d_o = 530 \text{ mm}$

$V^* = 138.36 \text{ kN}$

hence  $\beta_1 = 1.135$  (but not less than 1.1)  
 $\beta_2 = 1.135$   
 $\beta_3 = 1$

$\phi V_{uc} = \phi \times \beta_1 \times \beta_2 \times \beta_3 \times b_w \times d_o [A_{st} \times F'_c / b_w \times d_o]^{0.333}$   
 $= 137.056 \text{ kN}$

$\phi V_{umax} = 1305.92 \text{ kN} > V^*$  No web crushing  
 $\phi V_{umin} = 259 \text{ kN} < V^*$  OK

If shear reinforcement required then proceed as follows :

choose stirrup spacing  $s = 200 \text{ mm}$

Determine  $\theta$  :  $F_{syf} = 410 \text{ MPa}$

$b_v \times s / F_{syf} = 268.292683$   
 $A_{sv.min} = 93.902439 \text{ mm}^2$   
 $A_{sv.max} = 1536.86675 \text{ mm}^2$

$A_{sv} = 2 \times \text{area of stirrups} = 330 \text{ mm}^2$  2 Ties  
 $\theta = 32.4543 \text{ degrees}$

Determine  $\phi V_u$  :  
 $V_u = V_{uc} + V_{us}$   
 $= V_{uc} + A_{sv} / s \times F_{syf} \times d_o \cot \theta$   
 $= 759.5891 \text{ kN}$

$\phi V_u = 531.7124 \text{ kN} > V^* = 138.36 \text{ kN}$   
 hence

**PROVIDE : 1 Y12 LIGS @ 200 centres**

### 11 SERVICEABILITY CHECK

From an Elastic Linear Analysis :

Mr	=	357.00 kNm	Es	=	200000 MPa
MI	=	357.00 kNm	Ec	=	28599.62293 MPa
Mo	=	714 kNm			
Ms	=	357.00 kNm			
Ig	=	2.83E+10 mm <sup>4</sup>			

Calculate I<sub>cr</sub>, M<sub>cr</sub>, and I<sub>ef</sub> at midspan :

Eff. Flange width	b <sub>eff</sub> =	1470 mm	A <sub>sc</sub> =	603.1857895 mm <sup>2</sup>
webwidth	b <sub>w</sub> =	550 mm	A <sub>st</sub> =	1884.955592 mm <sup>2</sup>
Flange thickness	t <sub>ff</sub> =	150 mm	d <sub>sc</sub> =	92 mm
			d <sub>st</sub> =	658 mm
			d =	658 mm
			D =	750 mm

$$n = E_s/E_c = 6.99309919$$

$$1/2 \times b_w \times d_n^2 + (b_{eff} - b_w) \times t \times (d_n - t/2) + (n - 1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$$

$$275 d_n^2 + 154796.634 d_n - 19356121.99 = 0$$

$$d_n = 105.332022 \text{ mm}$$

$$d = 658 \text{ mm}$$

$$I_{cr} = b d_n^3/3 + 1/12 (b_{eff} - b_w) \times t^3 + (b_{eff} - b_w) \times t \times (d_n - t/2)^2 + n \times A_{sc} (d - d_n)^2$$

$$= 4.63E+09 \text{ mm}^4$$

$$M_{cr} = 0.6 \sqrt{f'_c} \times b D^2/6 = 175.008928 \text{ kNm}$$

$I_m = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_s)^3]$ $= 7.41E+09 \text{ mm}^4$
--

Calculate I<sub>cr</sub>, M<sub>cr</sub>, I<sub>lef</sub> and I<sub>ref</sub> at end supports:

b <sub>w</sub> =	550 mm	A <sub>st</sub> =	1884.955592 mm <sup>2</sup>
d <sub>sc</sub> =	70 mm	A <sub>sc</sub> =	603.1857895 mm <sup>2</sup>
d =	658 mm		

$$I_g = 2.83E+10 \text{ mm}^4$$

At right end (arbitrary)

$$1/2 \times b d_n^2 + (n - 1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$$

$$275 d_n^2 + 16796.6337 d_n - 8926593.037 = 0$$

$$d_n = 152.20 \text{ mm}$$

$$d = 658 \text{ mm}$$

$$I_{cr} = b d_n^3/3 + n \times A_{sc} (d - d_n)^2 = 4.02E+09 \text{ mm}^4$$

$$M_{cr} = 0.6 \sqrt{f'_c} \times b D^2/6 = 112.005714 \text{ kNm}$$

$$I_{ref} = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_r)^3] = 4.77E+09 \text{ mm}^4$$

At left end (arbitrary)

b <sub>w</sub> =	550 mm		
d <sub>sc</sub> =	70 mm		
A <sub>st</sub> =	1884.9556 mm <sup>2</sup>		
A <sub>sc</sub> =	603.18579 mm <sup>2</sup>		
d =	658 mm		

$$1/2 \times b d_n^2 + (n - 1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$$

$$275 d_n^2 + 16796.6337 d_n - 8926593.037 = 0$$

$$d_n = 152.198153 \text{ mm}$$

$$d = 658 \text{ mm}$$

$$I_{cr} = b d_n^3/3 + n \times A_{sc} (d - d_n)^2 = 4.02E+09 \text{ mm}^4$$

$$M_{cr} = 0.6 \sqrt{f'_c} \times b D^2/6 = 112.005714 \text{ kNm}$$

$$I_{lef} = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_l)^3] = 4.77E+09 \text{ mm}^4$$

$I_{av} = [I_m + (I_l + I_r)/2]/2$ $= 6.09E+09 \text{ mm}^4$
--

Midspan Deflection :

$$L_{ef} = 4600 \text{ mm}$$

$$Defl_{n,s} = L_{ef}^2/E_c \times I_{av} [5/48 \cdot M_o - 1/16 M_L - 1/16 M_r]$$

$= 3.61534373 \text{ mm}$
---------------------------

**Total Deflection :**

Long term factor	=	0.2	
Short term factor	=	0.5	
w - long term	=	34.2 kN/m	
w - short term	=	34.275 kN/m	
Defln,s,sus	=	3.607432691 mm	
At midspan :		Ast	= 1884.95559 mm <sup>2</sup>
		Asc	= 603.185789 mm <sup>2</sup>
Asc/Ast	=	0.32	
kcs	=	2 - (1.2 x Asc/Ast)	>= 0.8
	=	1.616	

therefore

Total Defln	=	Dfln,s + ( kcs x Defln,s,sus )
	=	8.50046 mm

FROM A MORE ACCURATE ANALYSIS Warner,Rangan,Hall HAVE SHOWN THAT THIS CAN BE REDUCED BY UP TO 10%.

ALLOWABLE DEFLN	=	Lef / 250 =	18.4 mm
			> 0.9 x Total Defln
		Lef / 500 =	9.2 mm
			> 0.9 x Total Defln

**Reinforced Masonry Block Wall Design**

REFERENCE: **Concrete Structures - 3rd Edition**  
**R. F. Warner, B. V. Rangan, & A. S. Hall**

**AS 3600 - 2009**

Step Calculation & Description

Result Unit

1 Data

N*.max	=		515 kN
M*.max	=		1200 kNm
V*.max	=		515 kN
f'c	=		15 MPa
fsy	=		410 MPa
esy	=		0.002
Lw	=	... overall length of wall ...	5000 mm
Hw	=	... unsupported height of wall ...	7000 mm
tw	=	... wall thickness ...	200 mm
Hwe	=	0.8 Hw, effective wall height	5600 mm
Check: Hwe/tw	=	28 <	30 OK

2 **Check maximum shear strength**

dw	=	0.8Hw	5600
$\theta$	=	$\tan^{-1}(dw/Hw)$	0.674741 radians
$\theta$	=		38.7 degrees
$k_3$	=	$(0.6 + 10/f'c) \leq 0.85$	1.267
$k_3 f'c$	=		19 MPa
Vu.max	=	$k_3 f'c t w d w \sin \theta \cos \theta / (1.14 + 0.68 \cot^2 \theta)$	4713 kN
$\phi v u . \max$	=		3299 kN
$\phi v u . \max$	>	V*	OK

3 **Vertical steel in the wall**

Gross concrete area of the wall cross-section

Ag	=		1120000 mm <sup>2</sup>
N*/Ag	=		0.46 MPa

In design, substituting for Vu from  $\phi V_u \geq V^*$ , we obtain;

$\phi f_{sy}$	$\geq$	$V^* \cot \theta / \phi t w d w - N^* / A_g$	$\phi = 0.7$
	$\geq$		0.36 MPa
Al	$\geq$	$(\phi f_{sy} / f_{sy})(t w L_w)$	881,1909 mm <sup>2</sup>
AsV	=	Al	882 mm <sup>2</sup>

Using Y16 bars area/bar = 200 mm<sup>2</sup>

Now, minimum area vertical reinforcement, Ast.min = 0.0015twLw = 2500 mm<sup>2</sup>

**Minimum Reinforcement Requirement Governs**

# of bars	=	12.5	13 bars
-----------	---	------	---------

13 bars at each wall face and the average spacing is at;

Spacing of bars	=	$(Lw - 2b) / (\# \text{ bars @ each wall face})$	384.6154 mm CTS
minimum bar spacing	=	2.5tw or 500 mm whichever is less =	500 mm CTS

Use Y12 bars at 384.6154 mm CTS at each wall face.

# of bars	=	$2(1 + (Lw - 2b - A_{st}/\text{bar})/\text{spacing})$	13 bars
AsV (provided)	=		2600 mm <sup>2</sup>

Therefore;

pl	=	$[(\# \text{ of bars} \times \text{bar dia}) + (4A_{st}/\text{bar dia of beam})] / (t w)$	0.003
----	---	---	-------

It is necessary to ensure that pl is not less than 0.0025 for crack control purposes.

In this case;

pl	=	0.0034 >	0.0025 OK
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4 **Horizontal steel in the wall**

For adequate control of cracking due to restrained shrinkage and temperature effects, the minimum value of horizontal steel ratio pt is taken as;

pt	=		0.0012
Ast.min	=	0.0015 twHw	1680 mm <sup>2</sup>

For Y12 bars, area/bar = 110 mm<sup>2</sup>

# of bars	=	15.27273	16 bars
-----------	---	----------	---------

16 bars at each wall face and the average spacing is at;

# of bars	=		16 bars
Spacing of bars	=	$(Hw) / (\# \text{ bars @ each wall face})$	438 mm CTS

Therefore, use Y16 bars 400 mm CTS at each wall face.



5 Check flexural strength of wall

The flexural strength of the wall is calculated using an equivalent rectangular stress block for compression zone concrete, like columns subjected to axial compression and bending moment. Calculate rectangular stress block parameters.

$\alpha = 0.85 - 0.004(f'c - 55) = 1.01$   
 $\gamma = 0.85 - 0.008(f'c - 30) = 0.65 < 0.97$   
 Take  $\gamma = 0.97$   
 $N_u = N^*/\phi = 858 \text{ kN}$

Trial depth of neutral axis,  $d_n = 681 \text{ mm}$

Compressive force in concrete,  $C_c = 0.85\gamma f'c b d_r$  (include boundary element) = 1684 kN

$d_c = \gamma d_n / 2 = 330 \text{ mm}$

(0.003/dn) (dn - dsi)

Row #	# of bars	Asi (mm <sup>2</sup> )	bar cts (mm)	dsi (mm)	εsi	δsi (MPa)	Fsi (kN)	Fsidsi (kNmm)	M = Fsi(dq - dsi) (kNmm)
1	1	200	100	100	0.0026	410	82	8200	196800
2	1	200	200	300	0.0017	336	67	20140.97	147700
3	1	200	400	700	-0.0001	-33	-7	-4687.225	-12053
4	1	200	400	1100	-0.0018	-738	-148	-162431.7	-206731
5	1	200	400	1500	-0.0036	-410	-82	-123000	-82000
6	1	200	400	1900	-0.0054	-410	-82	-155800	-49200
7	1	200	400	2300	-0.0071	-410	-82	-188600	-16400
8	1	200	400	2700	-0.0089	-410	-82	-221400	16400
9	1	200	400	3100	-0.0107	-410	-82	-254200	49200
10	1	200	400	3500	-0.0124	-410	-82	-287000	82000
11	1	200	400	3900	-0.0142	-410	-82	-319800	114800
12	1	200	400	4300	-0.0159	-410	-82	-352600	147600
13	1	200	400	4700	-0.0177	-410	-82	-385400	180400
14	1	200	200	4900	-0.0186	-410	-82	-401800	196800
Σ	14	2800	100	5000			-825	-2828378	765316

4 Axial Strength of the wall;

$N_u = \sum F_{si} + C_c = \text{[redacted]} \text{ kN}$

$d_n = 1/N_u (C_c d_c + \sum F_{si} d_{si}) = -2644.26 \text{ mm}$

$d_q = 0.5D = \dots$  plastic centroid ... = 2,500 mm

$e = d_q - d_n = \dots$  eccentricity ... = 5,144 mm

Summing up moments of forces about the plastic centroid gives;

$M_u = 4,420 \text{ kNm}$

$\phi M_u = 2,652 \text{ kNm}$

$e = M_u / N_u = 5,144 \text{ mm}$

Therefore,  $N_u = 859 \text{ kN}$

$\phi M_u = 2,652 \text{ kNm} > M^* = 1200 \text{ kNm}$

Therefore, the flexural strength of the wall cross-section is adequate to carry the design bending moment

**Reinforced Masonry Block Wall Design**

REFERENCE: **Reinforced concrete slab - 3rd Edition**  
**R. F. Warner, B. V. Rangan, & A. S. Hall**

**AS 3600 - 2009**

**Step Calculation & Description**

**Result Unit**

**1 Data**

N*.max	=		515 kN
M*.max	=		1200 kNm
V*.max	=		515 kN
f'c	=		15 MPa
fsy	=		410 MPa
εsy	=		0.002
Lw	=	... overall length of wall ...	5000 mm
Hw	=	... unsupported height of wall ...	7000 mm
tw	=	... wall thickness ...	200 mm
Hwe	=	0.8 Hw, effective wall height	5600 mm
Check: Hwe/tw	=	28 <	30 OK

**2 Check maximum shear strength**

dw	=	0.8Hw	5600
θ	=	tan <sup>-1</sup> (dw/Hw)	0.674741 radians
θ	=		38.7 degrees
		30° ≤ θ ≤ 60°	
k3	=	(0.6+10/f'c) ≤ 0.85	1.267
k3f'c	=		19 MPa
Vu.max	=	k3f'ctwdw sinθ cosθ / (1.14+0.68cot <sup>2</sup> θ)	4713 kN
θvu.max	=		3299 kN
θvu.max	>	V*	OK

**3 Vertical steel in the wall**

Gross concrete area of the wall cross-section

Ag	=		1120000 mm <sup>2</sup>
N*/Ag	=		0.46 MPa

In design, substituting for Vu from φVu ≥ V\*, we obtain;

φfsy	≥	V*cotθ/φtwdw - N*/Ag	φ = 0.7
	≥		0.36 MPa
Al	≥	(φfsy/fsy)(twLw)	881.1909 mm <sup>2</sup>
AsV	=	Al	882 mm <sup>2</sup>

Using Y16 bars area/bar = 200 mm<sup>2</sup>

Now, minimum area vertical reinforcement, Ast.min = 0.0015twLw = 2500 mm<sup>2</sup>

Minimum Reinforcement Requirement Governs

# of bars	=	12.5	13 bars
-----------	---	------	---------

13 bars at each wall face and the average spacing is at;

Spacing of bars	=	(Lw-2b)/(# bars @ each wall face)	384.6154 mm CTS
minimum bar spacing	=	2.5tw or 500 mm whichever is less =	500 mm CTS

Use Y12 bars at 384.6154 mm CTS at each wall face.

# of bars	=	2(1+ (Lw - 2b-Ast/bar)/spacing)	13 bars
AsV (provided)	=		2600 mm <sup>2</sup>

Therefore;

pl	=	[(# of bars x bar dia) + (4Ast/bar dia of beam)]/(t)	0.003
----	---	--	-------

It is necessary to ensure that pl is not less than 0.0025 for crack control purposes.

In this case;

pl	=	0.0034 >	0.0025	OK
----	---	----------	--------	----

**4 Horizontal steel in the wall**

For adequate control of cracking due to restrained shrinkage and temperature effects, the minimum value of horizontal steel ratio pt is taken as;

pt	=		0.0012
Ast.min	=	0.0015 twHw	1680 mm <sup>2</sup>

For Y16 bars, area/bar = 200 mm<sup>2</sup>

# of bars	=	8.4	9 bars
-----------	---	-----	--------

9 bars at each wall face and the average spacing is at;

# of bars	=		9 bars
-----------	---	--	--------

Spacing of bars	=	(Hw)/(# bars @ each wall face)	778 mm CTS
-----------------	---	--------------------------------	------------

Therefore, use Y16 bars 400 mm CTS at each wall face.

5 Check flexural strength of wall

The flexural strength of the wall is calculated using an equivalent rectangular stress block for compression zone concrete, like columns subjected to axial compression and bending moment. Calculate rectangular stress block parameters.

$\alpha = 0.85 - 0.004(f'c - 55) = 1.01$   
 $\gamma = 0.85 - 0.008(f'c - 30) = 0.65 < 0.97$   
 Take  $\gamma = 0.97$   
 $N_u = N^*/\phi \quad \phi = 0.6 \quad 858 \text{ kN}$   
 Trial depth of neutral axis,  $d_n = 681 \text{ mm}$   
 Compressive force in concrete,  $C_c = 0.85\gamma f'c b d_r$  (include boundary element)  $1684 \text{ kN}$   
 $d_c = \gamma d_n / 2 = 330 \text{ mm}$

(0.003/dn) (dn - dsi)

Row #	# of bars	Asi (mm <sup>2</sup> )	bar cts (mm)	dsi (mm)	εsi	δsi (MPa)	Fsi (kN)	Fsidsi (kNmm)	M = Fsi(dq - dsi) (kNmm)
1	1	200	100	100	0.0026	410	82	8200	196800
2	1	200	200	300	0.0017	336	67	20140.97	147700
3	1	200	400	700	-0.0001	-33	-7	-4687.225	-12053
4	1	200	400	1100	-0.0018	-738	-148	-162431.7	-206731
5	1	200	400	1500	-0.0036	-410	-82	-123000	-82000
6	1	200	400	1900	-0.0054	-410	-82	-155800	-49200
7	1	200	400	2300	-0.0071	-410	-82	-188600	-16400
8	1	200	400	2700	-0.0089	-410	-82	-221400	16400
9	1	200	400	3100	-0.0107	-410	-82	-254200	49200
10	1	200	400	3500	-0.0124	-410	-82	-287000	82000
11	1	200	400	3900	-0.0142	-410	-82	-319800	114800
12	1	200	400	4300	-0.0159	-410	-82	-352600	147600
13	1	200	400	4700	-0.0177	-410	-82	-385400	180400
14	1	200	200	4900	-0.0186	-410	-82	-401800	196800
Σ	14	2800	100	5000			825	-2828378	765316

4 Axial Strength of the wall;

$N_u = \sum F_{si} + C_c = \text{[redacted]} \text{ kN}$   
 $d_n = 1/N_u (C_c d_c + \sum F_{si} d_{si}) = -2644.26 \text{ mm}$   
 $d_q = 0.5D \dots \text{plastic centroid} \dots = 2,500 \text{ mm}$   
 $e = d_q - d_n \dots \text{eccentricity} \dots = 5,144 \text{ mm}$

Summing up moments of forces about the plastic centroid gives;

$M_u = 4,420 \text{ kNm}$   
 $\phi M_u = 2,652 \text{ kNm}$   
 $e = M_u / N_u = 5,144 \text{ mm}$   
 Therefore,  $N_u = 859 \text{ kN}$

$\phi M_u = 2,652 \text{ kNm} > M^* = 1200 \text{ kNm}$

Therefore, the flexural strength of the wall cross-section is adequate to carry the design bending moment

**RC COLUMN DESIGN WITH MRCSECT PACKAGE**

INTERACTION DIAGRAM FOR RECTANGULAR COLUMN SECTION  
(NON-PRESTRESSED REINFORCEMENT ONLY)

**INPUT**

400 x 400 RC COLUMN DESIGN

Using RECTANGULAR STRESS BLOCK

Width (mm).....= 400  
 Depth (mm).....= 400  
 No of lines of reinforcement.= 3  
 Concrete strength (MPa).....= 32  
 Yield stress of steel (MPa)..= 410

**STEEL DETAILS**

Line no	Depth to steel	Bar diameter	No of bars
1	64	24	3
2	250	24	2
3	336	24	3

**OUTPUT**

Depth to Plastic Centroid (Ref Axis for Moment) = 202.701

**UNFACTORED ENVELOPE**

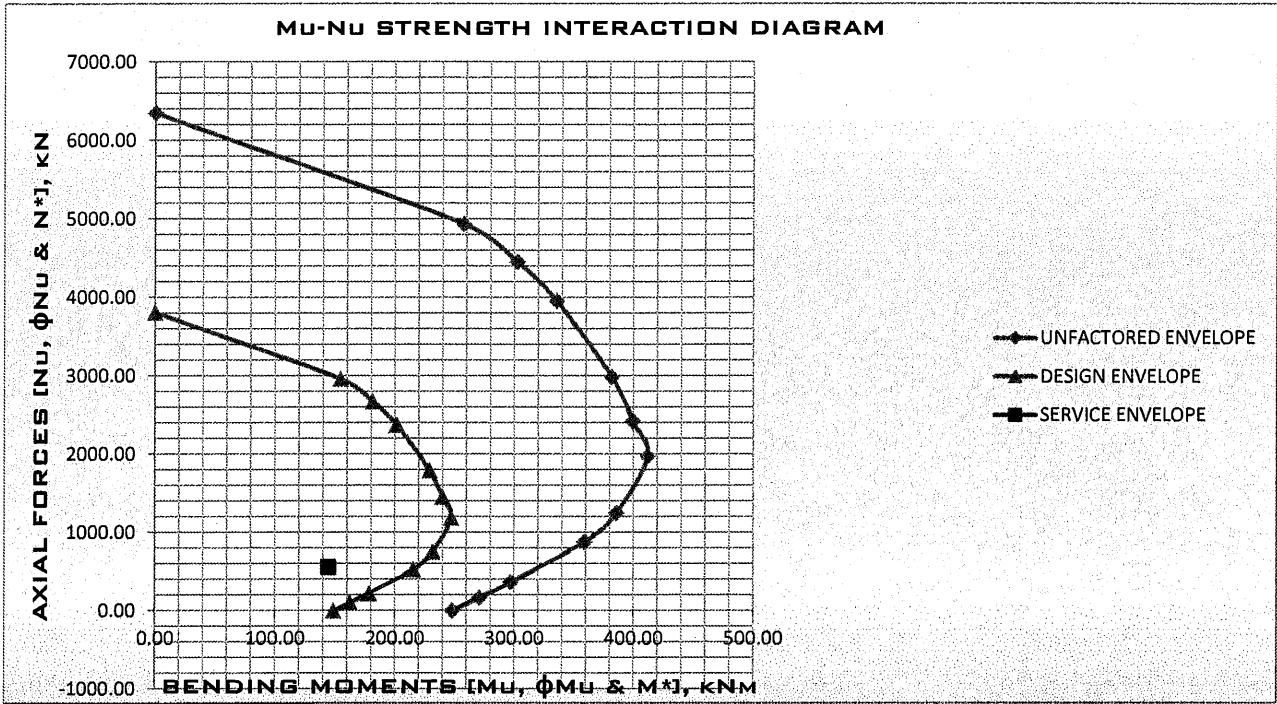
Eccentricity (mm)	Force (kNm)	Moment (kNm)	Top Strain	Bottom Strain	N.A.factor ku
0.00	6346.14	0.00	0.00300	0.00300	1000.000
52.22	4934.29	257.66	0.00300	0.00000	1.000
67.91	4453.14	302.39	0.00300	-0.00030	0.909
84.85	3953.31	335.43	0.00300	-0.00070	0.965
127.88	2985.27	381.77	0.00300	-0.00160	0.776
165.22	2418.33	399.56	0.00300	-0.00230	0.696
208.67	1973.80	411.87	0.00300	-0.00290	0.636
309.20	1247.45	385.71	0.00300	-0.00450	0.524
408.36	879.16	359.02	0.00300	-0.00580	0.452
822.56	361.37	297.25	0.00300	-0.00900	0.332
1647.29	164.48	270.94	0.00300	-0.01064	0.292
-0.62	248.03	0.00300	-0.01224		0.261

**DESIGN ENVELOPE**

PHI	FORCE(kN)	MOMENT(kNm)
.6	3807.687	0
.6	2960.577	154.5967
.6	2671.885	181.4348
.6	2371.985	201.2593
.6	1791.162	229.0591
.6	1450.996	239.7

UNFACTORED ENVELOPE		NEUTRAL AXIS FACTOR		DESIGN ENVELOPE		SERVICE ENVELOPE	
Mu (kNm)	Nu (kN)	ku	phi (φ)	φMu (kNm)	φNu (kN)	M* (kNm)	N* (kN)
0.00	6346.14	1000.000	0.60000	0.00	3807.68	144.45	554.00
257.66	4934.29	1.000	0.60000	154.60	2960.57		
302.39	4453.14	0.909	0.60000	181.43	2671.88		
335.43	3953.31	0.965	0.60000	201.26	2371.99		
381.77	2985.27	0.776	0.60000	229.06	1791.16		
399.56	2418.33	0.696	0.60000	239.74	1451.00		
411.87	1973.80	0.636	0.60000	247.12	1184.28		
385.71	1247.45	0.524	0.60000	231.43	748.47		
359.02	879.16	0.452	0.60000	215.41	527.50		
297.25	361.37	0.332	0.60000	178.35	216.82		
270.94	164.48	0.292	0.60000	162.56	98.69		
248.03	-0.62	0.261	0.60000	148.82	-0.37		

MU-NU STRENGTH INTERACTION DIAGRAM



**BASE SLAB DESIGN AS A CONTINUOUS RC BEAM**

REFERENCE: Concrete Structures - 3rd Edition AS 3600 - 2009  
R. F. Warner, B. V. Rangan, & A. S. Hall

**Design of a Continuous Beam :**

<b>1 Loads</b>				
DL	:	Wdl =	33.60 kN/m	(plus super)
Self wt	:	Wsw =	25.00 kN/m	
Blockwall	:	Wb =	0.00 kN/m	
TOTAL		=	58.60 kN/m	
LL	:	Wll =	0.25 kN/m	
LL factor	- long term		0.4	
	- short term		0.7	

**2 Beam Section Properties**

<b>Beam Size</b>	bw =	5000 mm	D =	200 mm
	tff =	0 mm	Cover =	30 mm
	Actual length, L =	1400 mm	Overall depth of sect. D =	200 mm
	Effective Length, L <sub>ef</sub> =	1000 mm	Area, A =	1.00E+06 mm <sup>2</sup>
	Neutral Axis, yc =	100.00 mm	Moment of Inertia, I <sub>x-x</sub> =	3.33E+09 mm <sup>4</sup>
	Neutral Axis, xc =	2600.00 mm	Moment of Inertia, I <sub>y-y</sub> =	2.08E+12 mm <sup>4</sup>
	Effective width, beff =	5200.00 mm	Gross Area, Ag =	1.00E+06 mm <sup>2</sup>

**3 Design Parameters**

F' <sub>c</sub> =	40 MPa	F <sub>sy</sub> =	410 MPa
m =	2400 kg/m <sup>3</sup>	D =	200 mm
E <sub>c</sub> =	31975.35051 MPa	E <sub>s</sub> =	200000 MPa
Gamma =	0.766		

**4 Initial Choice of Section**

Effective width =	5200 mm	clause 8.8.2	
Is the section RECT or T, L (ans: 1 or 2) =			1
k <sub>1</sub> =	0.045	(RECT sections)	1
=	0.04346021	(T and L sections)	2
what type of span?	5	interior span =	5
		end span =	6
k <sub>2</sub> =	0.0026042		
k <sub>cs</sub> =	1.64	(because there will be comp steel at midspan=say .5A <sub>st</sub> )	
F <sub>def</sub> =	96.443		
defln/L <sub>ef</sub> =	0.004	k <sub>1</sub> /k <sub>2</sub> =	17.27977882
d =	20 mm		
take d =	154 mm	Distance from d to extreme fibre of beam (do) =	46 mm

**5 Forces from an Elastic Analysis by Space Gass**

M <sub>max</sub> -ve	=	60.30 kNm	(left support)
M <sub>max</sub> +ve	=	60.30 kNm	(mid-span)
M -ve	=	60.30 kNm	(right support)
V <sub>max</sub>	=	127.50 kN	
V (other end)	=	127.50 kN	
N*	=	0.00 kN	Axial Load

**6 FLECTURAL STRENGTH STEEL**

Determine -ve steel required:	(At arbitrary left support)	
Number of reinforcement layers 1 or 2 :	1	
take do =	46 mm      d = 154	
Estimate Area of main steel	A <sub>st</sub> = 1248.392927 mm <sup>2</sup>	
6      Y 16	A <sub>st</sub> = 1206.371579 mm <sup>2</sup>	<b>SPACING = 823</b>
	p = 0.001566716	
2      Y 16	A <sub>sc</sub> = 402.1238597 mm <sup>2</sup>	
	pc = 0.000522239	<      pd = 0.025409
	p-pc = 0.001044478	pd = 0.025409 < 0.85 * p <sub>u</sub> / f <sub>sy</sub>
Check M* <= phi Mu		
ku =	0.016442781      dsc = 38 mm	

phi Mu = phi [ F<sub>sy</sub> x A<sub>sc</sub> (d - d<sub>sc</sub>) + 0.85 x F'<sub>c</sub> x b x Gamma x ku x d x (d - 0.5 x 0.85 x ku x d ) ]

= 63 kNm > M\* = 60.30 kNm OK

Determine -ve steel at right support:

M -ve = 60.30 kNm

Number of reinforcement layers 1 or 2 :

take do = 46 mm      dst = 154 mm

Estimate Area of main steel      Ast = 1248.392927 mm<sup>2</sup>

6      Y 16      Ast = 1206.371579 mm<sup>2</sup>

p = 0.001566716

2      Y 16      Asc = 402.1238597 mm<sup>2</sup>

pc = 0.000522239

<      pd = 0.025409

p-pc = 0.001044478

Check M\* <= phiMu

ku = 0.016442781      dsc = 38 mm

phi Mu = phi [ Fsy x Asc (d - dsc) + 0.85 x F'c x b x Gamma x ku x d  
x (d - 0.5 x 0.85 x ku x d) ]

= 63 kNm > M\* = 60.30 kNm      OK

FOR DUCTILITY CHECK AT BOTH SUPPORTS USE EMPHI

Tensile Steel at Midspan:

M\* = 60.3 kNm

Steel in one layer then code = 1      take dist between centroid of

" " two " " code = 2      bar/s and soffit = 46 mm

what is the code?      d = 154 mm

Ast = M\*/(Phi x 0.85 x d x Fsy) = 1248.392927 mm<sup>2</sup>

Bottom      6      Y 16      Ast = 1206.371579 mm<sup>2</sup>

Top      2      Y 16      Asc = 402.1238597 mm<sup>2</sup>

Assume N - A in flange

Effective width :      beff = 5200 mm

ku = 1/(0.85 x 0.85) x [Ast/(bw x d)] x (Fsy/F'c)

= 0.02371555

hence      dn = 4 < flange thickness  
hence N - A is in flange

Phi Mu = 0.9 [Fsy x Ast x d (1 - 0.5 x 0.85 x ku)]

= 68 kNm > M\*+ve = 60.30 kNm      OK

Summary of reinforcement requirement :

left support:	Ast =	6	Y 16
	Asc =	2	Y 16
Right support:	Ast =	6	Y 16
	Asc =	2	Y 16
midspan	Ast =	6	Y 16
	Asc =	2	Y 16

7 STEEL CURTAILMENT REQUIREMENT CHECK

The following requirements regarding curtailment are subject to stress development length requirements.

For -ve steel      i) 1/4 Ast to continue over length of beam  
= 2 bars

ii) Remainder to be curtailed at 0.3Ln from face of support.

= 0.3 x le = 300 mm ?

For -ve steel      i) 1/4 Ast to continue over length of beam  
= 2 bars

ii) Remainder to be curtailed at 0.3Ln from face of support.

= 0.3 x le = 300 mm ?

For +ve steel :      i) 1/2 Ast must be carried into outer support  
= 2 bars

ii) 1/4 Ast into interior support  
= 2 bars

iii) Remainder curtailed at 0.1Ln from supports

= 0.1 x le = 100 mm

### 8 STRESS DEVELOPMENT

For Top Steel:

cover : c = 30 mm  
 $d_b = 16$  mm # of lines of bars = 2  
 $a_b = 2458$  mm distance between bars  
 If  $a_b > 2c$   $C = 2c + d_b = 76$  mm  
 C is the outside diameter of a concrete annulus  
 if  $a_b < 2c$   $C = a_b + d_b = 2474$  mm  
 coaxial with and surrounding a bar  
 $k_1 = 1.25$   $A_b = 201.0619298$  mm<sup>2</sup>  
 $k_2 = 2.2$   $a_b = 2458$  mm (dist between bars)  
 factor = 35843.99446  
 $L_{syt} = k_1 \times k_2 \times f_{sy} \times A_b / C \times \sqrt{f'_c} = \text{factor} / C$   
 = 471.6315061 mm  
 take  $f_s / F_{sy} = M^* / \Phi Mu = 0.963331$   
 therefore  $L_{sy} = 454$  mm  $\geq 25k1db$  500  
 $s_{ay} = 650$  mm

For Bottom Steel:

Cover, c = 30 mm  $d_b = 16$  mm  
 # of lines of bars = 2  
 If  $a_b > 2c$   $C = 2c + d_b = 76$  mm  
 if  $a_b < 2c$   $C = a_b + d_b = 2558$  mm  
 $k_1 = 1$   $A_b = 201.0619298$  mm<sup>2</sup>  
 $k_2 = 2.2$   $a_b = 2542$  mm (dist between bars)  
 factor = 28675.19557  
 $L_{syt} = 377.3052049$  mm take  $f_s / F_{sy} = M^* / \Phi Mu = 0.887670676$   
 therefore  $L_{sy} = 335$  mm  $\geq 25k1db$  400  
 $s_{ay} = 500$  mm

### 9 PUNCHING SHEAR CHECK

Column Dimension  
 $b = 400$  mm  
 $d = 400$  mm  
 Dist to centreline of bottom steel from soffit  
 Critical shear perimeter,  $\mu = 2(b+dom) + 2(d+dom)$   
 $dq = 38$  mm  $\mu = 2248$  mm  
 $dom = 162$  mm  
 Area of slab:  $B = 1000$  mm  $D = 1000$  mm  
 $\beta_h = 1$  longer side/shorter side  
 $f_{cv} = 0.17(1+2/\beta_h)\sqrt{f'_c} \leq 0.34\sqrt{f'_c}$   
 $f_{cv} = 13.60$  MPa  
 $\phi V_{uo} = 3,467$  kN  $> V^* = 80.4$  kN OK

### 10 SERVICEABILITY CHECK

From an Elastic Linear Analysis :

$M_r = 60.30$  kNm  $E_s = 200000$  MPa  
 $M_l = 60.30$  kNm  $E_c = 31975.35051$  MPa  
 $M_o = 120.6$  kNm  
 $M_s = 60.30$  kNm  
 $I_g = 3.33E+09$  mm<sup>4</sup>

Calculate  $I_{cr}$ ,  $M_{cr}$ , and  $I_{ef}$  at midspan :

Eff. Flange width  $b_{eff} = 5200$  mm  $A_{sc} = 402.1238597$  mm<sup>2</sup>  
 webwidth  $b_w = 5000$  mm  $A_{st} = 1206.371579$  mm<sup>2</sup>  
 Flange thickness  $t_{ff} = 0$  mm  $d_{sc} = 46$  mm  
 $d_{st} = 154$  mm  
 $d = 154$  mm  
 $D = 200$  mm

$n = E_s / E_c = 6.25481807$   
 $1/2 \times b_w \times d_n^2 + (b_{eff} - b_w) \times t (d_n - t/2) + (n-1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$   
 $2500 d_n^2 + 9658.72247 d_n - 1259229.786 = 0$   
 $d_n = 20.5943193$  mm  
 $d = 154$  mm

$I_{cr} = b d_n^3 / 3 + 1/12 (b_{eff} - b_w) \times t^3 + (b_{eff} - b_w) \times t (d_n - t/2)^2 + n x A_{st} (d - d_n)^2$   
 $= 1.49E+08$  mm<sup>4</sup>  
 $M_{cr} = 0.65 \sqrt{f'_c} \times b D^2 / 6 = 126.4911064$  kNm

$I_m = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_s)^3]$   
 $= 2.95E+10$  mm<sup>4</sup>



Calculate  $I_{cr}$ ,  $M_{cr}$ ,  $I_{lef}$  and  $I_{ref}$  at end supports:

$$b_w = 5000 \text{ mm} \quad A_{st} = 1206.371579 \text{ mm}^2$$

$$d_{sc} = 38 \text{ mm} \quad A_{sc} = 402.1238597 \text{ mm}^2$$

$$d = 154 \text{ mm}$$

$$I_g = 3.33E+09 \text{ mm}^4$$

At right end (arbitrary)

$$1/2 \times b d n^2 S Q + (n-1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$$

$$2500 d_n^2 + 9658.72247 d_n - 1242325.084 = 0$$

$$d_n = 20.44 \text{ mm}$$

$$d = 154 \text{ mm}$$

$$I_{cr} = b d n^3 / 3 + n \times A_{sc} (d - d_n)^2 = 1.49E+08 \text{ mm}^4$$

$$M_{cr} = 0.6 \sqrt{f'_c} \times b d^2 / 6 = 126.4911064 \text{ kNm}$$

$$I_{ref} = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_r)^2] = 2.95E+10 \text{ mm}^4$$

At left end (arbitrary)

$$b_w = 5000 \text{ mm}$$

$$d_{sc} = 38 \text{ mm}$$

$$A_{st} = 1206.371579 \text{ mm}^2$$

$$A_{sc} = 402.1238597 \text{ mm}^2$$

$$d = 154 \text{ mm}$$

$$1/2 \times b d n^2 S Q + (n-1) A_{sc} (d_n - d_{sc}) = n A_{st} (d - d_n)$$

$$2500 d_n^2 + 9658.72247 d_n - 1242325.084 = 0$$

$$d_n = 20.4437258 \text{ mm}$$

$$d = 154 \text{ mm}$$

$$I_{cr} = b d n^3 / 3 + n \times A_{sc} (d - d_n)^2 = 1.49E+08 \text{ mm}^4$$

$$M_{cr} = 0.6 \sqrt{f'_c} \times b d^2 / 6 = 126.4911064 \text{ kNm}$$

$$I_{lef} = [I_{cr} + (I_g - I_{cr}) (M_{cr} / M_l)^2] = 2.95E+10 \text{ mm}^4$$

$$I_{av} = [I_m + (I_l + I_r) / 2] / 2 = 2.95E+10 \text{ mm}^4$$

Midspan Deflection :

$$L_{ef} = 1000 \text{ mm}$$

$$Defl_{n,s} = L_{ef}^2 / E_c \times I_{av} [5/48 \cdot M_o - 1/16 ML - 1/16 Mr]$$

$$= 0.00531936 \text{ mm}$$

Total Deflection :

$$\text{Long term factor} = 0.2$$

$$\text{Short term factor} = 0.5$$

$$w - \text{long term} = 58.65 \text{ kN/m}$$

$$w - \text{short term} = 58.725 \text{ kN/m}$$

$$Defl_{n,s,sus} = 0.005313 \text{ mm}$$

$$\text{At midspan :} \quad A_{st} = 1206.371579 \text{ mm}^2$$

$$\quad \quad \quad A_{sc} = 402.1238597 \text{ mm}^2$$

$$A_{sc}/A_{st} = 0.333333$$

$$kcs = 2 - (1.2 \times A_{sc}/A_{st}) \geq 0.8$$

$$= 1.6$$

therefore

$$\text{Total Defln} = Dfl_{n,s} + (kcs \times Defl_{n,s,sus})$$

$$= 0.01382 \text{ mm}$$

FROM A MORE ACCURATE ANALYSIS Warner,Rangan,Hall HAVE SHOWN THAT THIS CAN BE REDUCED BY UP TO 10%.

$$\text{ALLOWABLE DEFLN} = L_{ef} / 500 = 2 \text{ mm}$$

$$> 0.9 \times \text{Total Defln}$$

THE SECTION IS ADEQUATE

**ISOLATED COLUMN FOOTING DESIGN**

REFERENCE: Concrete Structures - 3rd Edition  
R. F. Warner, B. V. Rangan, & A. S. Hall

Australian Standard (AS) 3600-2009

Calculations & Description

1 Data

DL	=	... DL from Column 1 ...		
LL	=	... LL from Column 1 ...		
P	=	DL + LL		
P*	=	1.2 DL + 1.5 LL		
qa	=		0.175	
f'c	=		3.85	
fsy	=	... reinforcement...	0.525	
col. Width A	=		4.55	
col. Width B	=			

Result Unit

266	kN
107	kN
373	kN
479.7	kN
450	kPa
3.2	MPa
410	MPa
0.4	m
0.4	m

2 Footing Area, A

A	=	P*total/qa
Approximate the footing dimension as:		
B	=	short side
L	=	Long side
qult	=	P*total/A

0.82888889	m <sup>2</sup>
1.8	m
1.8	m
3.24	m <sup>2</sup>
0.14805556	MPa

3 Determine the required effective depth by considering the beam shear on a critical section at distance d from the c2 mm face of the column.

V*	=	qult x B (C-Col.w/2-d)		
V*	=	186550 -d 266.5		

The shear strength of the section depends on the amount of tensile steel used for bending. We assume a minimum quantity of:

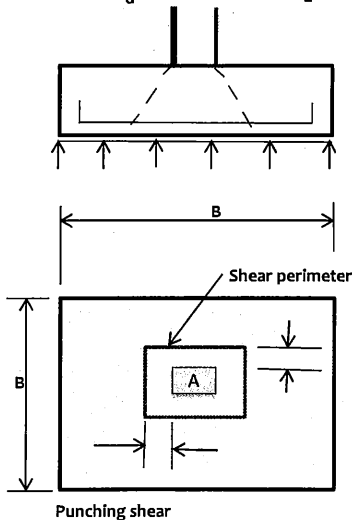
pm <sub>in</sub>	=	1.4/fsy		
V <sub>uc</sub>	=	β <sub>h</sub> BD(Ast/BD x f'c) <sup>1/3</sup>		
V <sub>uc</sub>	=	946.5929 d		

0.003414634

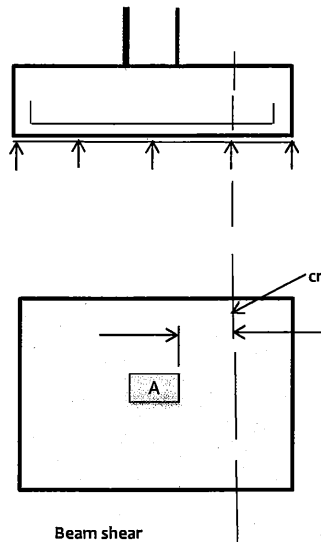
Equating V\* & φV<sub>uc</sub>

662.615 d	=	186550 -d 266.5
929.115 d	=	186550
d	=	

200.7824585 mm



Punching shear



Beam shear

Cover	=	
Assume bar dia	=	20
D	=	d + cover + bar dia/2
Take D	=	
d	=	D-cover-bar dia/2
d <sub>om</sub>	=	D-cover-bar dia

75	mm
20	mm
285.7824585	mm
305	mm
315	mm
305	mm

4 Check Punching Shear

Critical shear perimeter is a rectangle of side,

400	+	305		
400	+	305		

705 mm

705 mm

punching shear area	=	
μ	=	2(c1+d <sub>om</sub> ) + 2(c2+d <sub>om</sub> )
V*	=	P* - qult x punching shear area
V*	=	qult(A-punching shear area)
f <sub>cv</sub>	=	0.17(1+2/β <sub>h</sub> )√f'c ≤ 0.34√f'c
β <sub>h</sub>	=	Col. Length/col.width
f <sub>cv</sub>	=	
φV <sub>uo</sub>	=	φμd <sub>om</sub> f <sub>cv</sub>

497025 mm<sup>2</sup>

2820 mm

406.1126875 kN

406.1126875 kN

0.34 f'c

1

1157.979561 kN

OK, SINCE φV<sub>uo</sub> > V\*B

5 Tensile steel for bending in longitudinal direction

The critical section for bending is at the longer face of the column, where the length of the cantilevered portion is:

l	=	0.5(B-C2)	0.7 m
M*	=	qult x B x l <sup>2</sup> /2	65.2925 kNm
Ast.reqd.	=	M*/φ0.9dfsy	702.16 mm <sup>2</sup>
Ast.min.	=	1.4/fsy bd	1,936.10 mm <sup>2</sup>

Ast.min. Governs, Therefore, use Ast.min.

Hence provide 7 Y20 bars in longitudinal direction  
Astprovide = 2,170.00 mm<sup>2</sup>

6 Tensile steel for bending in the transverse direction.

Considering a transverse strip 1 m wide:

l	=	0.5(L-C1)	0.7 m
M*	=	qult x 1m x l <sup>2</sup> /2	36.27361111 kNm
Ast.reqd.	=	M*/φ0.9dfsy	390.09 mm <sup>2</sup> /m
Ast.min.	=	1.4/fsy bd	1,075.61 mm <sup>2</sup> /m

Ast.min. Governs, Therefore, use Ast.min.

Ast required for the full length 1,936.10 mm<sup>2</sup>  
Hence provide 7 Y20 bars in transverse direction  
Astprovide = 2,170.00 mm<sup>2</sup>

7 Spacing between the bars

Ast/bar	=		310 mm <sup>2</sup>
S	=	[Ast/bar X beff]/Ast.prov. ... centre - to - centre spacing ...	258 mm

8 Now check

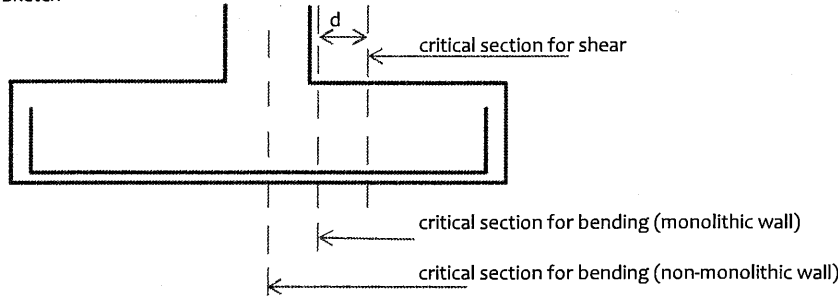
		7 bars @	258 CTS		
T = fsyAst	=			889.7 kN	
C = T	=			889.7 kN	
A	=	C/0.85f'c		32709.6 mm <sup>2</sup>	
ykud	=	A/b		18.2 mm	
a	=	ykud/2		9.1 mm	
l	=	d-a		305.9 mm	
Mu(prov)	=	Txl		272.2 kN	
φMu	=	217.7 kNm	>	M*	= 65.3 kNm
γ	=	0.85-0.007(f'c-28)			0.822
ku	=	ykud/γd	0.07	<	0.4
THEREFORE, USE		7 BARS @		UNDER-REINFORCED. Therefore, OK	
DIRECTIONS, Ast PROVIDED			258	AT TOP & BOTTOM AND IN BOTH	
			2170 mm <sup>2</sup>		

**STRIP FOOTING DESIGN FOR WALL**

REFERENCE: Concrete Structures - 3rd Edition  
R. F. Warner, B. V. Rangan, & A. S. Hall

Australian Standard (AS) 3600-2009

Step Calculations & Description Result Unit



Strip Footing for Wall						
1 Data	RC WALL			kN/m <sup>3</sup>	mm	
UDL:	Self wt	=	Density x Thkness	23	200	4.6 kPa
	DL	=				27.246 kN/m
L	=	span				1 m
Total DL	=					31.846 kN/m
	LL	=				18 kN/m
Conc. Load	DL	=				
	LL	=				
P	=	DL + LL				49.846 kN
P*	=	1.4 DL + 1.7 LL				75.1844 kN
qa	=					450 kPa
f'c	=					40 MPa
fsy	=	... reinforcement...				410 MPa
c	=	... width of wall				0.2 m
2 Footing Area, A						
A	=	P*total/qa				0.1107689 m <sup>2</sup>
Approximate the footing dimension as:						
D	=	A/L				0.1107689 m
	=					m
Mmax	=	1/8 P*(D-c)				7.51844 kNm
qult	=	P*total/A				0.0751844 MPa
3 Determine the required effective depth by considering the beam shear on a critical section at distance d from the c mm face of the wall.						
V*	=	qult x B (C-Col.w/2-d)				
V*	=	30073.76 - 75.1844 d				N
The shear strength of the section depends on the amount of tensile steel used for bending. We assume a minimum quantity of:						
pmin	=	1.4/fsy				0.0034146
V <sub>uc</sub>	=	β <sub>1</sub> BD(Ast/BD x f'c) <sup>1/3</sup>				
V <sub>uc</sub>	=	566.4923836 d				N
Equating V* & φV <sub>uc</sub>						
396.5447 d	=	30073.76 - 75.1844 d				
471.7291 d	=	30073.76				
d	=					63.752187 mm
Cover	=					75 mm
Assume bar dia	=	Y16				16 mm
D	=	d + cover + bar dia/2				146.75219 mm
Take D	=					mm
d	=	D-cover-bar dia/2				317 mm
4 Tensile steel for bending in longitudinal direction: Oneway Bending						
The critical section for bending is at the longer face of the column, where the length of the cantilevered portion is:						
L	=	0.5(B-c)				0.4 m
M*	=	qult x B x L/2				6.014752 kNm
Ast.reqd.	=	M*/φo.9dfsy				64.275004 mm <sup>2</sup>
Ast.min.	=	1.4/fsy bd				1082.439 mm <sup>2</sup>
Ast.min. Governs, Therefore, use Ast.min.						
Hence provide		6 Y16				bars in longitudinal direction top & bottom.
Astprov	=	200 Ast/bar				1200 mm <sup>2</sup>
5 Spacing between the bars						
Ast/bar	=					200 mm <sup>2</sup>
S	=	[Ast/bar X beff]/Ast.prov.				167 mm
... centre - to - centre spacing ...						