

3.7.2. Structural Analysis

The structural analyses were conducted for components of the powerhouse structure under El. 98.00 m. Each component such as the walls, floors, tailrace, draft pit and foot of the spillway was assumed to be a flat slab, beam, and the combination of them under the several load conditions, which are shown in Fig. 3.7.4.

3.7.2.1. Computation Cases and Structural Models

(1) Computation Cases

The following loading conditions were considered for the design of the powerhouse. The PMF condition is added to the load condition for stability analysis of the powerhouse for the design of the outer wall on the spillway side.

- a. Normal condition : This is a normal condition after completion of the powerhouse.
- b. Flood condition : This is added to the normal condition in which the water level in the stilling basin is subject to the flood of the 100 year return period ($Q = 340 \text{ m}^3/\text{s}$).
- c. Seismic condition : This is a seismic condition, which occurs when an earthquake hits the project during operation.
- d. PMF condition : This is the unusual condition in which the water level in the stilling basin is subject to PMF ($Q = 1,310 \text{ m}^3/\text{s}$).

(2) Structural Models

The structural models and load combination are shown in Table 3.7.9

3.7.2.3. Loads

Parameters and the formulae of the main loads are shown in the previous section 1.7.1. "Stability of Powerhouse" and "the Design Criteria Report, March 1999".

The following loads are considered for the structural design of the powerhouse.

- ① Dead Load : The dead load of concrete slabs and beams is considered. In seismic condition, inertia of dead load is also considered.
- ② Soil Pressure : The soil pressure is considered as pressure of backfill under EL. 97.00 under normal condition and seismic condition.
- ③ Ground water pressure : The pressure is assumed to exert on the outer walls under EL.84.90.
- ④ Water Pressure : The water pressure is considered to exert on the spillway side walls below EL. 92.08 and EL. 98.00 under flood condition and PMF condition, respectively.
- ⑤ Dynamic Water Pressure : The water pressure in seismic condition is considered.
- ⑥ Floor Load : Uniform load of 1.0 t/m² is considered for the design of floors at El. 97.5 and EL. 93.00. For the assembly bay at EL. 97.50, uniform load of 5.0 t/ m² is considered.
- ⑦ Traffic Load : Uniform load is assumed as traffic load on the ground at El. 97.00. It is also assumed that soil pressure due to traffic load would exert on the side walls of the powerhouse.
- ⑧ Ground Reaction : Ground reaction calculated in the previous section 1.7.1 "Stability of Powerhouse" is applied for the design of bottom slabs.

3.7.2.4. Allowable Stress

The allowable stresses are tabulated in the following table.

Load Condition		Normal Condition	Flood Condition	Seismic Condition	PMF Condition
Concrete	Type	K-225			
	28 day Compressive Strength	225 kgf/cm ²			
	Allowable Compressive Stress	75 kgf/cm ²		112.5 kgf/cm ²	
	Allowable Shearing Stress	8 kgf/cm ² (without shear reinforcement)		12 kgf/cm ² (without shear reinforcement)	
Reinforcing Bars	Material	SD30			
	Allowable Tensile Stress	1,800 kgf/cm ²		2,700 kgf/cm ²	
	Allowable Compressive Stress	1,800 kgf/cm ²		2,700 kgf/cm ²	

3.7.2.5. Sectional Forces

The sectional forces of structural members of the powerhouse were calculated as follow.

(1) Flat slabs

The outer walls and floors of the powerhouse were designed mainly as flat slabs.

The bending moment of the flat slabs fixed at 3 or 4 edges were calculated by tables for bending moment calculation, which are quoted from "Standards for Port and Harbor Facilities in Japan" edited by The Japan Port and Harbor Association. Calculation sheets are shown in Fig. 3.7.5.

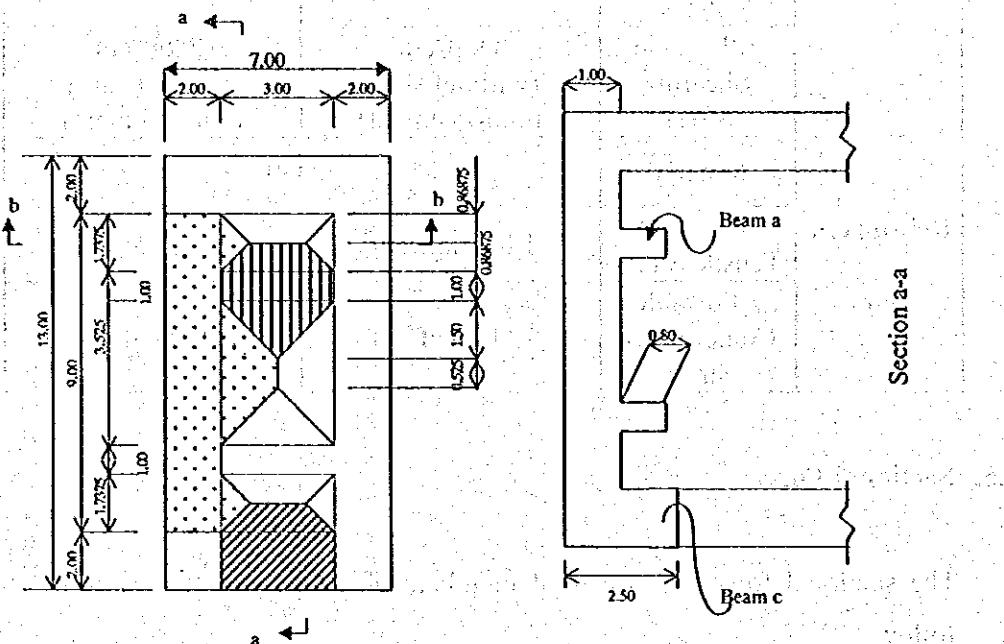
For design of bottom slab C (BS-1) and outer wall on the spillway side (WS-1), computer program MSC/NASTRAN was employed. The results of the analyses are shown in Fig. 3.7.6 and 3.7.7.

(2) Slab with beams

The assembly bay at EL. 97.50 was designed as a slab supported by beams.

The sectional forces were calculated as follows;

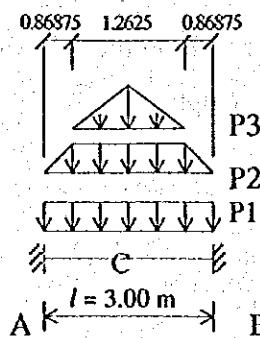
It was assumed that three beams support floor load of 5.0 t/m^2 in the area as shown in the below figure.



- : Area supported by Beam a
- : Area supported by Beam b
- : Area supported by Beam c

Section b-b

a) Beam a



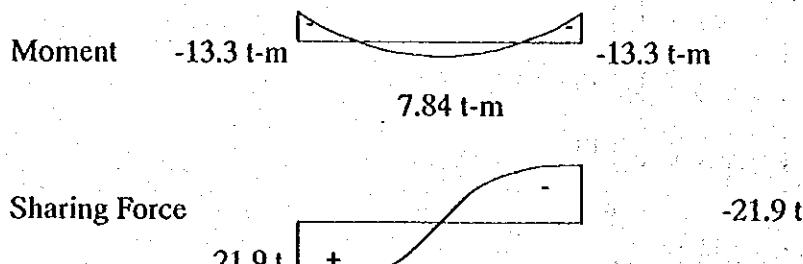
Load per 1 m width

$$P_1 = 0.8 \times 2.5 = 2.0 \text{ t/m}^2$$

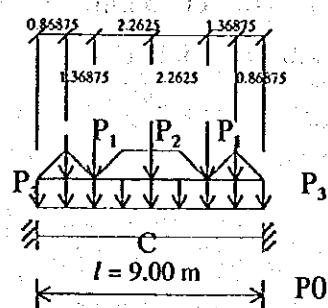
$$P_2 = (1.0 + 0.86875 \times 2) \times (2.5 \times 1.0 + 5.0) / 1.0 = 20.5 \text{ t/m}^2$$

$$P_3 = (1.5 - 0.86875) \times (2.5 \times 1.0 + 5.0) / 1.0 = 4.73 \text{ t/m}^2$$

Sectional Forces



b) Beam b



Load per 2 m width

$$P_0 = 2.5 \times 2.5 + 5.0 = 11.25 \text{ t/m}^2$$

$$P_1 = \text{RA (Reaction of Beam a)} = 21.9 \text{ t/m}^2$$

$$P_2 = \frac{1}{2} \times (3.525 + 0.525) \times 1.5 \times (2.5 \times 1.0 + 5.0) = 22.8 \text{ t/m}^2$$

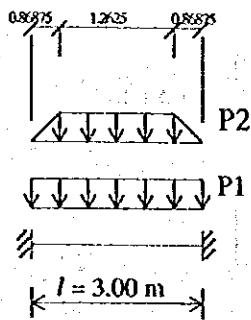
$$P_3 = \frac{1}{2} \times 1.7375 \times 0.86875 \times (2.5 \times 1.0 + 5.0) = 5.66 \text{ t/m}^2$$

Sectional Forces per 1 m width





c) Load of Beam c per 2 m width



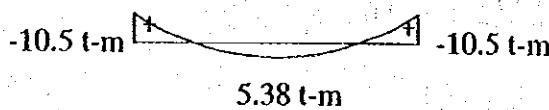
Load per 1 m width

$$P_1 = 2.5 \times 2.5 + 5.0 = 11.25 \text{ t/m}^2$$

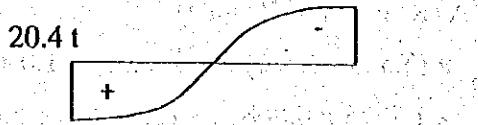
$$P_2 = 0.86875 \times (2.5 \times 1.0 + 5.0) / 2.0 = 3.26 \text{ t/m}^2$$

Sectional Forces

Moment



Sharing Force



(3) Frame structure

The draft pit (S-1), the tailrace (S-2) and the foot slab of the outer wall on the spillway side (BS-2) were designed as frame structures. The sectional forces of the draft pit and tailrace are depicted in Fig. 3.7.8 and 3.7.9.

3.7.2.6. Arrangement of Reinforcing Bars

Bar arrangement and stress calculation of the reinforcing bars are shown in Table 3.7.10.

Table 3.7.9(1/4) Structural Models and Load Combination

Case No.	Structure	Structural Model	Loads and Load Combination			
			a. Normal Condition	b. Flood Condition	c. Seismic Condition	d. PMF Condition
W-1	Outer Wall on the Mountain Side		None	None	① Inertia of dead load 0.403 t/m ② Soil pressure EL 97.00	None
W-2	Outer Wall on the Spillway Side		None	None	① Inertia of dead load 0.403 t/m ② Soil pressure EL 98.00	None
W-3	Outer Wall at the Downstream End		None	None	① Inertia of dead load 0.403 t/m ② Soil pressure EL 96.80	None
W-4	Outer Wall at the Downstream End		None	None	① Inertia of dead load 0.403 t/m ② Soil pressure EL 92.00	None
W-5	Outer Wall at the Upstream End		None	None	① Inertia of dead load 0.403 t/m ② Soil pressure EL 27.00	None

Table 3.7.9(2/4) Structural Models and Load Combination

Case No.	Structure	Structural Model	Loads and Load Combination			
			a. Normal Condition	b. Flood Condition	c. Seismic Condition	d. PMF Condition
B-1 Bottom Slab A at EL 84.9	Flat Slab	 EL 84.90	 27.5 kN/m ²	 23.9 kN/m ²	 20.9 kN/m ²	None
B-2 Bottom Slab B at EL 84.9	Flat Slab	 EL 84.90	 21.2 kN/m ²	 20.4 kN/m ²	 18.5 kN/m ²	None
BS-1 Bottom Slab C at EL 84.9	Flat Slab	 EL 84.90	 41.8 kN/m ²	 27.9 kN/m ²	 19.4 kN/m ²	None
BS-2 Foot Slab	Canilever	 EL 82.50	 25.5 kN/m ²	 18.2 kN/m ²	 14.1 kN/m ²	None

Table 3.7.9(3/4) Structural Models and Load Combination

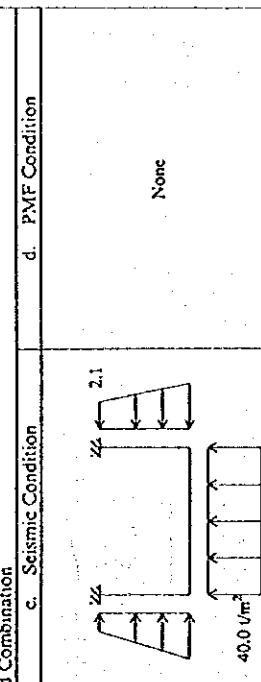
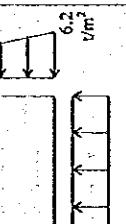
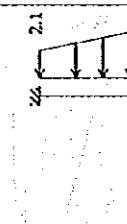
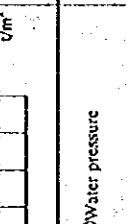
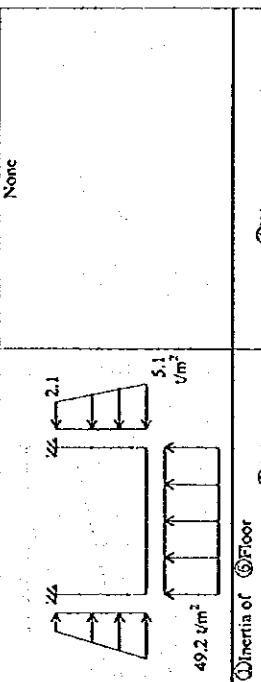
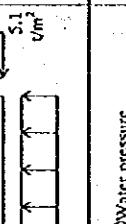
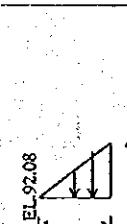
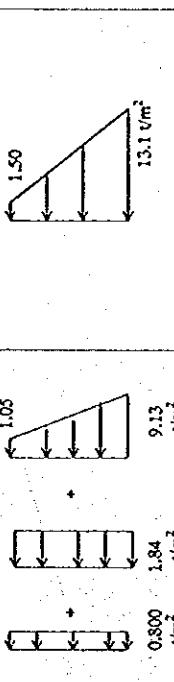
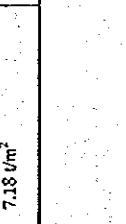
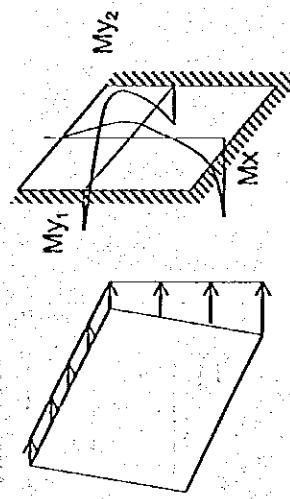
Case No.	Structure	Structural Model	Loads and Load Combinations		
			a. Normal Condition	b. Flood Condition	c. Seismic Condition
S-1	Draft Pit		 ③ Ground water pressure $\text{EL } 82.80$ $t = 2.00 \text{ m}$ $l = 2.10 \text{ m}$	 2.1 m 6.2 kN/m^2 21.2 kN/m^2 25.8 kN/m^2 40.0 kN/m^2	 2.1 m 6.2 kN/m^2 49.2 kN/m^2
S-2	Tailrace		 ③ Ground water pressure $\text{EL } 82.80$ $t = 2.00 \text{ m}$ $l = 4.00 \text{ m}$	 2.1 m 5.1 kN/m^2 27.8 kN/m^2 35.7 kN/m^2	 2.1 m 5.1 kN/m^2 49.2 kN/m^2
WS-1	Outer Wall on the Spillway Side		 $\text{EL } 92.08$ 0.72 m 7.18 kN/m^2	 0.800 m 1.34 kN/m^2	 1.05 kN/m^2 9.13 kN/m^2 13.1 kN/m^2

Table 3.7.9(4/4) Structural Models and Load Combination

Case No.	Structure	Structural Model	Loads and Load Combination		
			a. Normal Condition	b. Flood Condition	c. Seismic Condition
F-1	Floor of Control Room at EL 97.5	Flat Slab	 ① Dead load 1.75 U/m^2 ② Floor load 1.00 U/m^2 $t = 0.70 \text{ m}$	None	None
F-2	Floor of Cable Room at EL 93.00	Flat Slab	 ① Dead load 2.5 U/m^2 ② Floor load 1.00 U/m^2 $t = 1.00 \text{ m}$	None	None
F-3	Floor of Assembly Bay at EL 97.5	Slab with Beams	 i) Beam a ⑤ Floor load 2.5 U/m^2 ⑥ Dead load 2.0 U/m^2 $t = 5.00 \text{ m}$ ii) Beam b Reaction of Beam a 21.91 kN ⑤ Floor load 5.00 U/m^2 ⑥ Dead load 11.25 U/m^2 $t = 9.00 \text{ m}$ iii) Beam C ⑤ Floor load 26 U/m^2 ⑥ Dead load 11.3 U/m^2 $t = 3.00 \text{ m}$	None	None

Table 3.7.10 (1/3) Arrangement of Reinforcing Bars for Slabs Fixed at 3 edges



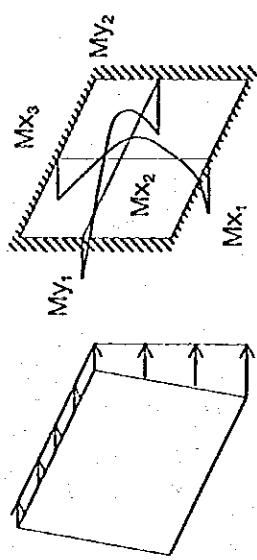
Note: 1) Load Condition N: Normal Condition, F: Flood Condition, S: Seismic Condition, P: PMF Condition

Case No.	Bending Moment (f-m/m)	Load Condition	Thickness	Design of Reinforcing Bars			Remarks
				Reinforcing Bars	Calculated Stress (kg/cm²)	Allowable Stress (kg/cm²)	
				Concrete	Reinf. Bars	Concrete	
W-1	-45.3	N	200	D25@250	1,247	16	1,800 75
				D19@250			
My1	-35.5	N	100	D25@125	1,081	30	1,800 75
				D19@250			
My2	-16.1	N	100	D19@125	848	17	1,800 75
				D25@250			
W-2	-97.9	P	200	(D25+D19)@250	1,735	28	2,700 112.5
				D19@250			
My1	-78.2	P	200	D22@125	1,419	23	2,700 112.5
				D19@250			
My2	-33.5	P	200	D19@250	1,605	15	2,700 112.5
				D22@250			
W-5	-24.9	N	200	D19@250	1,193	11	1,800 75
				D19@250			
My1	-25.5	N	200	D19@250	1,222	11	1,800 75
				D19@250			
My2	-12.0	N	200	D19@250	575	5	1,800 75
				D19@250			

Table 3.7.10(1/3) Continued

Case No.	Bending Moment (t-m/m)	Load Condition	Thickness	Design of Reinforcing Bars			Remarks	
				Reinforcing Bars	Calculated Stress (kgf/cm ²)	Allowable Stress (kgf/cm ²)		
					Concrete	Reinf. Bars		
WS-1	Mx	-28.7	N	200	D19@250 D19@250	1,375	13	1,800 75
					D19@125 D19@125	966	12	
My1	My1	-39.8	N	200	D19@250 D19@250	675	6	1,800 75
					D19@125 D19@125	1,581	29	
My2	My2	14.1	N	200	D19@250 D19@250	675	6	1,800 75
					D19@125 D19@125	1,571	29	
BS-1	Mx	-116.2	N	210	D25@125 D19@250	1,581	29	1,800 75
					D19@125 D29@250	1,645	22	
My1	My1	-171.3	N	243	D29@125 D29@250	1,571	29	1,800 75
					D29@250 D29@250	1,645	22	
My2	My2	79.6	N	210	D29@250 D29@250	1,645	22	1,800 75
					D29@250 D29@250	1,645	22	

Table 3.7.10 (2/3) Arrangement of Reinforcing Bars for Slabs Fixed at 4 edges



Note: 1) Load Condition N: Normal Condition, F: Flood Condition, S: Seismic Condition, P: PMF Condition

Case No.	Bending Moment (t-m/m)	Load Condition	Design of Reinforcing Bars					Remarks
			Thickness	Bar Arrangement	Calculated Stress (kgf/cm²)		Allowable Stress (kgf/cm²)	
		Reinforcing Bars		Concrete	Reinf. Bars	Concrete		
W-3	Mx1 My1 My2	-3.07 -1.87 0.28	S S S	100 100 100	D19@250 D19@250 D19@250	317 193 29	4 3 1	2,700 2,700 2,700
					D19@250 D19@250 D19@250	2,571	35	112.5 112.5 112.5
W-4	Mx1 Mx2	-24.9 10.2	S S	100 100	D19@250 D19@250	1,053	15	2,700
					D19@250	1,961	27	112.5
My1 My2	-19.0 6.3	S S	100 100	D19@250 D19@250	651	9	2,700	112.5
				D19@250 D19@250	1,025	14	1,800	75
B-1	Mx1 My1 My2	-43.3 -54.6 26.4	F F F	210 210 210	D19@250 D19@250 D19@250	1,293	17	1,800
				D19@125 D19@125 D19@125	1,231	11	1,800	75

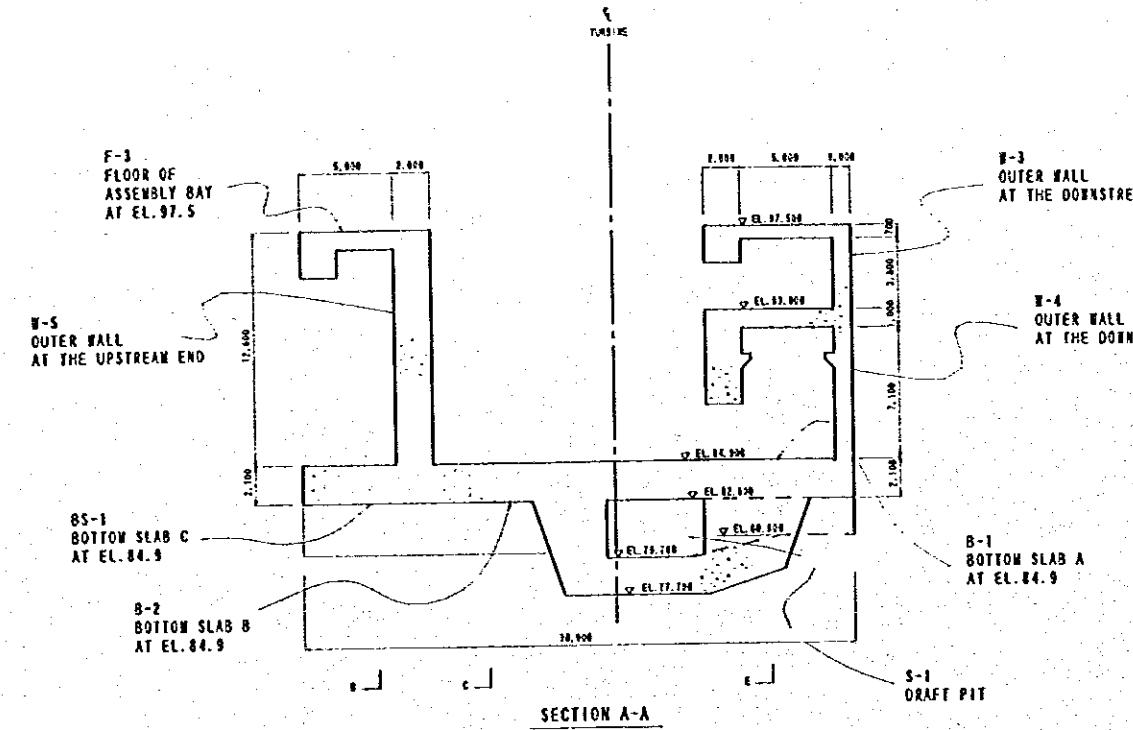
Table 3.7.10(2/3) Continued

Case No.	Bending Moment (t-m/m)	Load Condition	Thickness	Bar Arrangement	Design of Reinforcing Bars			Remarks	
					Calculated Stress (kgf/cm ²)		Allowable Stress (kgf/cm ²)		
					Reinforcing Bars	Concrete			
B-2	Mx1 -147.0	F	210	D29@125 D29@250	1,584	32	1,800	75	
	Mx2 67.7	F	210	D29@250	1,430	19	1,800	75	
	My1 -103.5	F	210	D25@125 D19@250	1,408	26	1,800	75	
	My2 24.5	F	210	D19@250 D25@250	1,142	23	1,800	75	
F-1	Mx1 -5.5	N	70	D19@250 D19@250	864	15	1,800	75	
	Mx2 2.66	N	70	D19@250 D19@250	418	7	1,800	75	
	My1 -3.91	N	70	D19@250 D19@250	614	11	1,800	75	
F-2	Mx1 -7.13	N	100	D19@250 D19@250	736	10	1,800	75	
	Mx2 3.48	N	100	D19@250 D19@250	359	5	1,800	75	
	My1 -4.98	N	100	D19@250 D19@250	514	7	1,800	75	

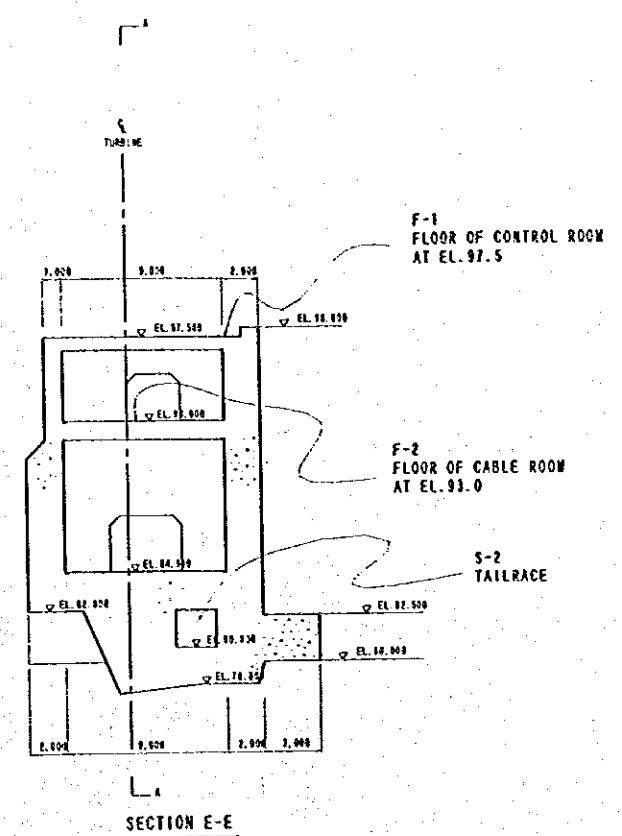
Table 3.7.10 (3/3) Arrangement of Reinforcing Bars for Beams and Frame Structures

Not; 1) Load Condition N: Normal Condition, F: Flood Condition, S: Seismic Condition, P: PMF Condition

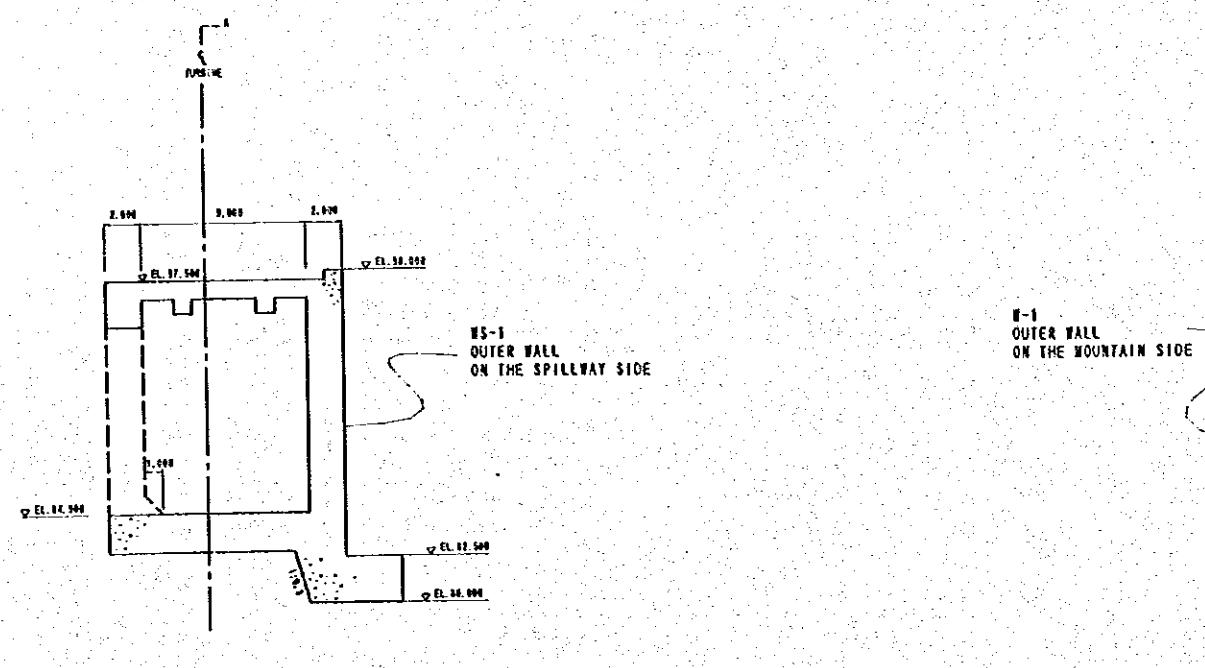
Case No.	Bending Moment (t-m/m)	Sharing Force (t)	Load Condition	Bar Thickness	Design of Reinforcing Bars						Remarks	
					Calculated Stress (kgf/cm ²)		Allowable Stress (kgf/cm ²)		Compressive Stress (kgf/cm ²)		Tension Stress (kgf/cm ²)	
1)	2)	3)	4)	5)	6)	7)	8)	9)	10)	11)	12)	
BS-2	M _{max} -208.2	134.4	S	250	D22@125 D19@250	2,337	39	6	2,700	112.5	12	
F-3	M _{max} -13.3	21.9	N	180	D19@250 D19@250	714	7	1	1,800	75	8	
Beam a	M _{max} -109.5	70.2	N	250	D22@125 D19@250	1,562	22	3	1,800	75	8	
Beam b	M _{max} -10.5	20.4	N	250	D19@250 D19@250	396	3	1	1,800	75	8	
Beam c	M _{max} 81.9	91.5	F	200	D22@125 D22@125	1,480	35	5	1,800	75	8	
S-1	M _{max} 38.9	71.4	F	200	D19@125 D19@125	944	12	4	1,800	75	8	
S-2	M _{max} 38.9	71.4	F	200	D19@125 D19@125							



SECTION A-



SECTION E-E



SECTION 8-8

SECTION C-0

Fig. 3.7.4
POWERHOUSE GENERAL SECTIONS

Fig. 3.7.5(1/9) Bending Moment of Flat Slabs

W-1: Powerhouse Outer Wall (12.6 x 15.00) : Normal Condition

1) Moment Coefficient		Uniform Load						
		Ix = 12.60 m	Iy = 15.00 m	w = 0.25 t/m ²	q = 5.77 t/m ²	Triangulation Load	Uniform Load	q = 0.84
Load Type	No.	1	2	3	4	5	6	7
Kx	I	-0.0837	-0.0188	0.0089	0.0174	0.0166	0.0109	0.0000
Kx	II	-0.0509	-0.0105	0.0052	0.0089	0.0072	0.0038	0.0000
Kx	III	0.0000	-0.0034	-0.0093	-0.0140	-0.0171	-0.0195	0.0000
Ky	I	-0.0139	0.0042	0.0224	0.0349	0.0471	0.0539	0.0594
Ky	II	-0.0055	0.0066	0.0087	0.0127	0.0149	0.0160	0.0171
Ky	III	0.0000	0.0204	-0.0560	-0.0840	-0.1025	-0.1167	-0.1247
Kx	I	-0.0458	-0.0043	0.0105	0.0120	0.0078	0.0029	0.0000
Kx	II	-0.0305	-0.0017	0.0069	0.0068	0.0039	0.0009	0.0000
Kx	III	0.0000	-0.0162	-0.0050	-0.0060	-0.0057	-0.0049	0.0000
Ky	I	-0.0077	0.0025	0.0104	0.0146	0.0155	0.0150	0.0146
Ky	II	-0.0051	0.0018	0.0055	0.0062	0.0053	0.0039	0.0028
Ky	III	0.0000	-0.0141	-0.0300	-0.0360	-0.0343	-0.0293	-0.0205

Note: The above coefficients were calculated in proportion to those tabulated in "The Technical Standards for Port and Harbor Facilities" by The Japanese Port and Harbor Association.

2) Moment

$$\therefore M_y = K_x \cdot q \cdot I_x^2 \text{ (around y axis)}$$

$$\therefore M_x = K_y \cdot q \cdot I_x^2 \text{ (around x axis)}$$

Load Type		No.	1	2	3	4	5	6	7	Loud Type	No.	1	2	3	4	5	6	7	
Mx	Mx	I	-3.3353	-0.7484	0.3561	0.6932	0.6628	0.4356	0.0000	Mx	I	-45.30	-4.71	10.00	11.66	7.85	3.09	0.00	
Mx	Mx	II	-2.0273	-0.4186	0.2032	0.3345	0.2875	0.1511	0.0000	Mx	II	-29.98	-1.98	6.52	6.59	3.83	0.98	0.00	
Mx	Mx	III	0.0000	-0.1352	-0.3723	-0.5571	-0.6795	-0.7755	0.0000	Mx	III	0.00	-14.96	-4.96	-6.08	-5.94	-5.26	0.00	
My	My	I	-0.5557	-0.1662	0.8931	1.4715	1.8764	2.1496	2.3680	My	I	-7.57	2.49	10.45	14.81	16.11	15.85	15.73	
My	My	II	-0.3568	0.2625	0.5448	0.5078	0.5918	0.6369	0.6821	My	II	-4.99	1.89	5.42	6.23	5.42	4.18	3.28	
My	My	III	0.0000	-0.8128	-2.2312	-3.5487	-4.0835	-4.6502	-4.9690	My	III	0.00	-13.71	-29.72	-36.34	-35.50	-31.46	-23.77	
Mx	Mx	I	-41.9695	-3.9610	9.6478	10.9669	7.1835	2.6565	0.0000	Required Re-bar	a =	1800 kg/cm ²	Re-bar covering depth	10 cm					
Mx	Mx	II	-27.2540	-1.5609	6.3097	6.2401	3.5306	0.8281	0.0000	Mx	I	1	2	3	4	5	6	7	
Mx	Mx	III	0.0000	-14.3289	-4.5912	-5.5183	-5.2618	-4.4886	0.0000	Mx	II	-10.0	-0.7	2.2	2.2	0.7	0.0		
My	My	I	-7.0132	2.5268	9.5525	13.3413	14.2317	13.6967	13.3596	Distance(m)		0	2.1	4.2	6.3	8.4	10.5	12.6	
My	My	II	-4.6535	1.6306	5.0749	5.7198	4.8294	3.5469	2.5979	Thickness(cm)		200	200	200	200	200	200	200	
My	My	III	0.0000	-12.9016	-27.4887	-32.9923	-31.4150	-26.8071	-18.8046	Required	Mx	I	-15.1	-1.6	3.3	3.9	5.5	2.2	0.0
My	My	IV								Mx	II	0.0	-5.0	-1.7	-2.0	-4.2	-3.7	0.0	
My	My	V								My	II	-2.5	0.8	3.5	4.9	11.4	11.2	11.1	
My	My	VI								My	II	-0.6	1.8	2.1	3.8	3.0	2.3		
My	My	VII								My	II	-4.6	-9.9	-12.1	-25.0	-22.2	-22.2		

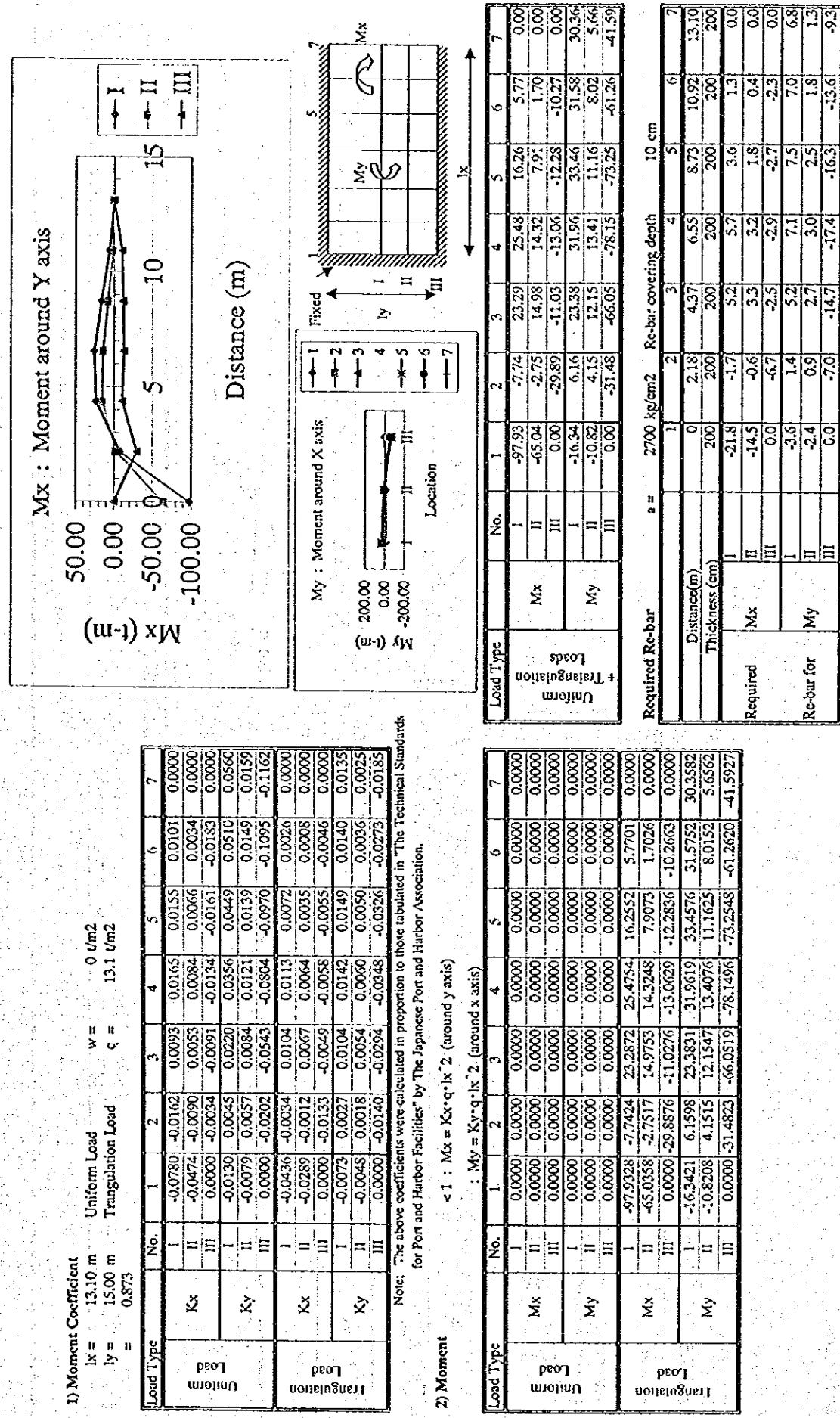
Fig. 3.7.5 (2/9) Bending Moment of Flat Slabs**W-2 : Powerhouse Wall facing Spillway (13.1 x 15.00) : PMF Condition**

Fig. 3.7.5(3/9) Bending Moment of Flat Slabs

W-3 : Powerhouse Downstream Side Wall 2 of 2 (3.80 x 9.00) : Seismic Condition

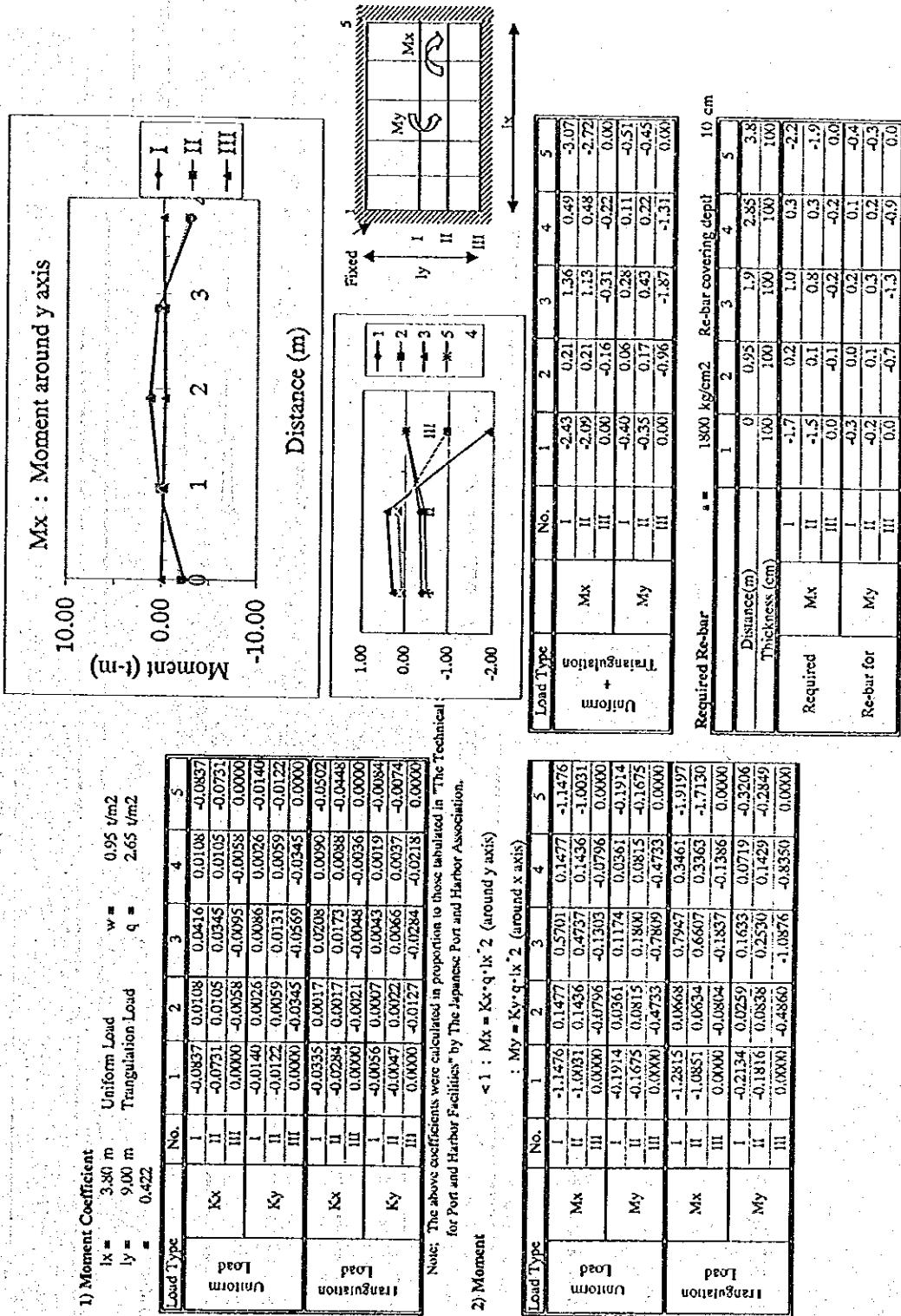


Fig. 3.7.5(4.9) Bending Moment of Flat Slabs

W-4 : Powerhouse Downstream Side Wall 1 of 2 (7.10 x 9.00) : Seismic Condition

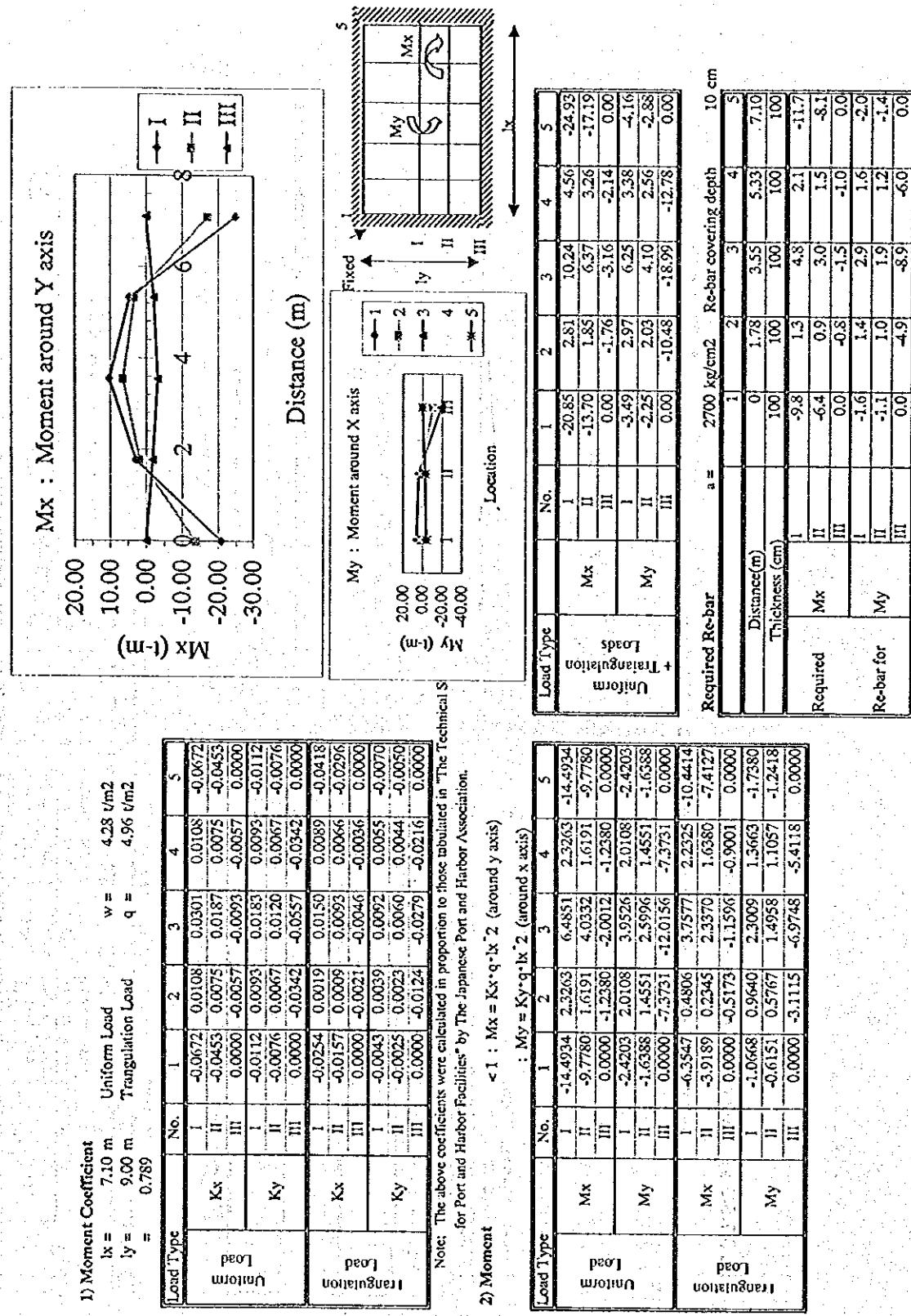


Fig. 3.7.5(5/9) Bending Moment of Flat Slabs

W-5 : Powerhouse Upstream Side Wall (12.60 x 9.00) : Normal Condition

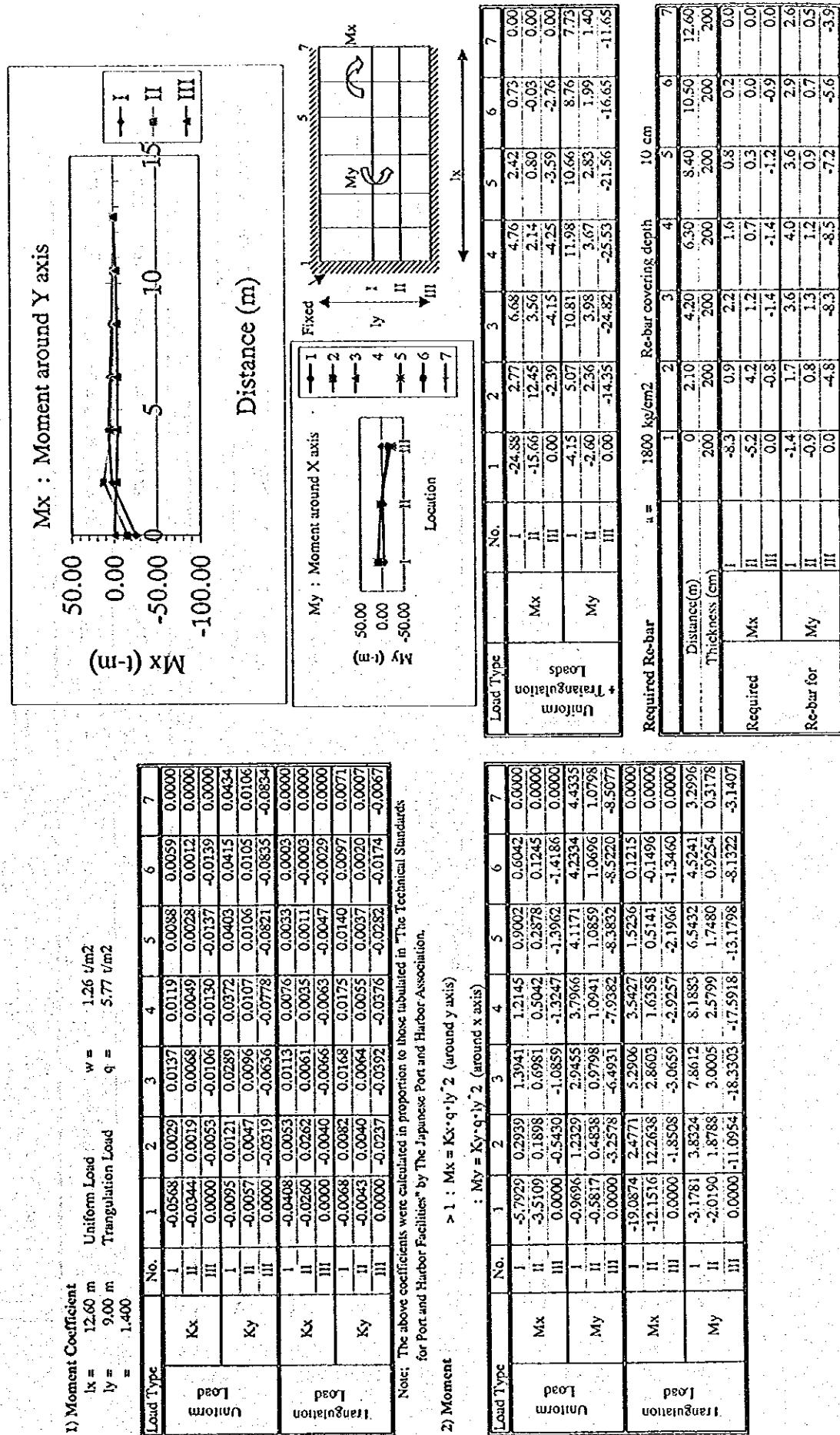


Fig. 3.7.5(6/9) Bending Moment of Flat Slabs

B-1 : Powerhouse Bottom Slab at EL.84.9 (9.00 x 5.00) : Flood Condition

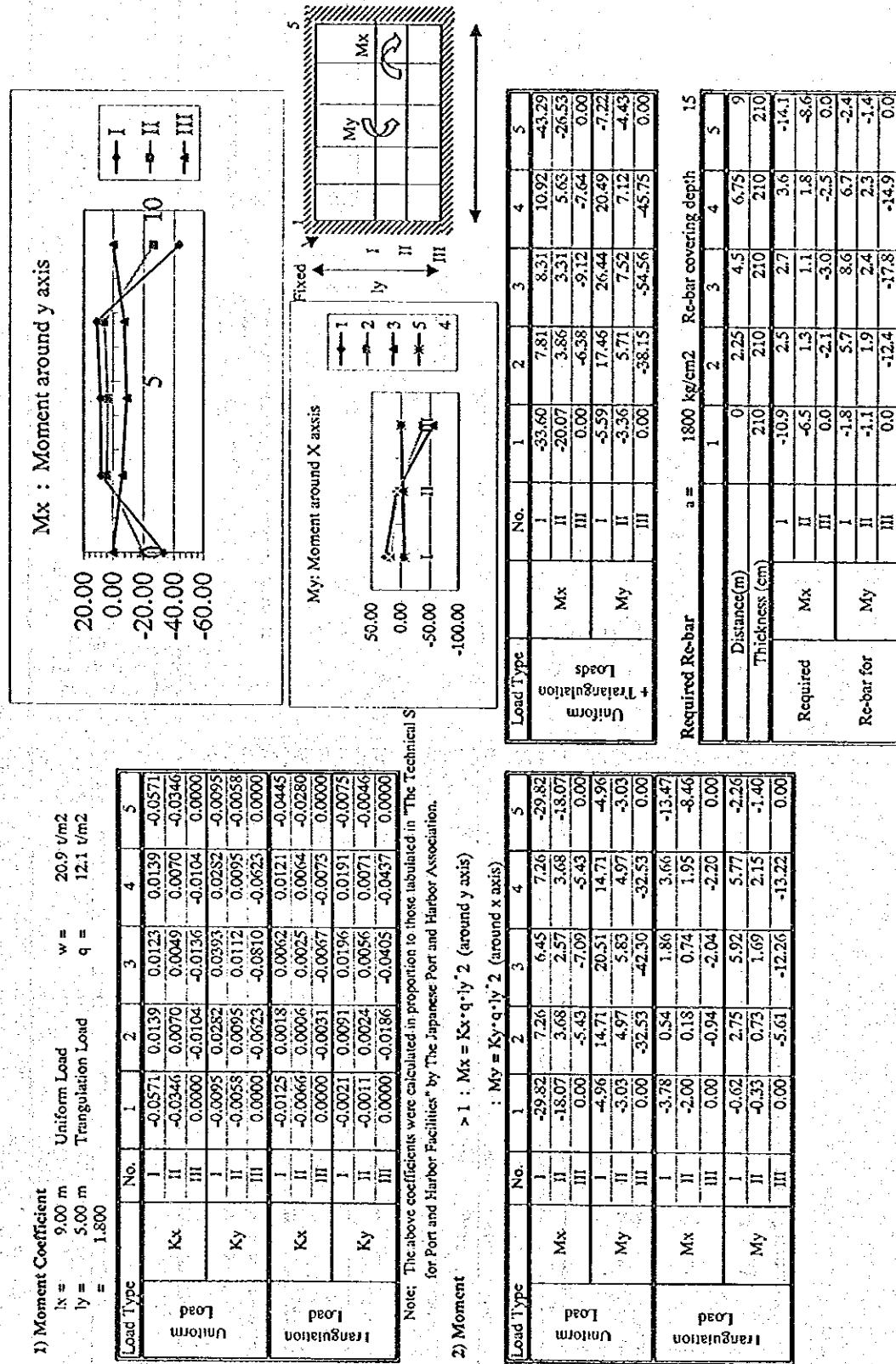


Fig. 3.7.5(7/9) Bending Moment of Flat Slabs

B-2 : Powerhouse Bottom Slab at EL.84.9 (9.00 x 15.00) : Flood Condition

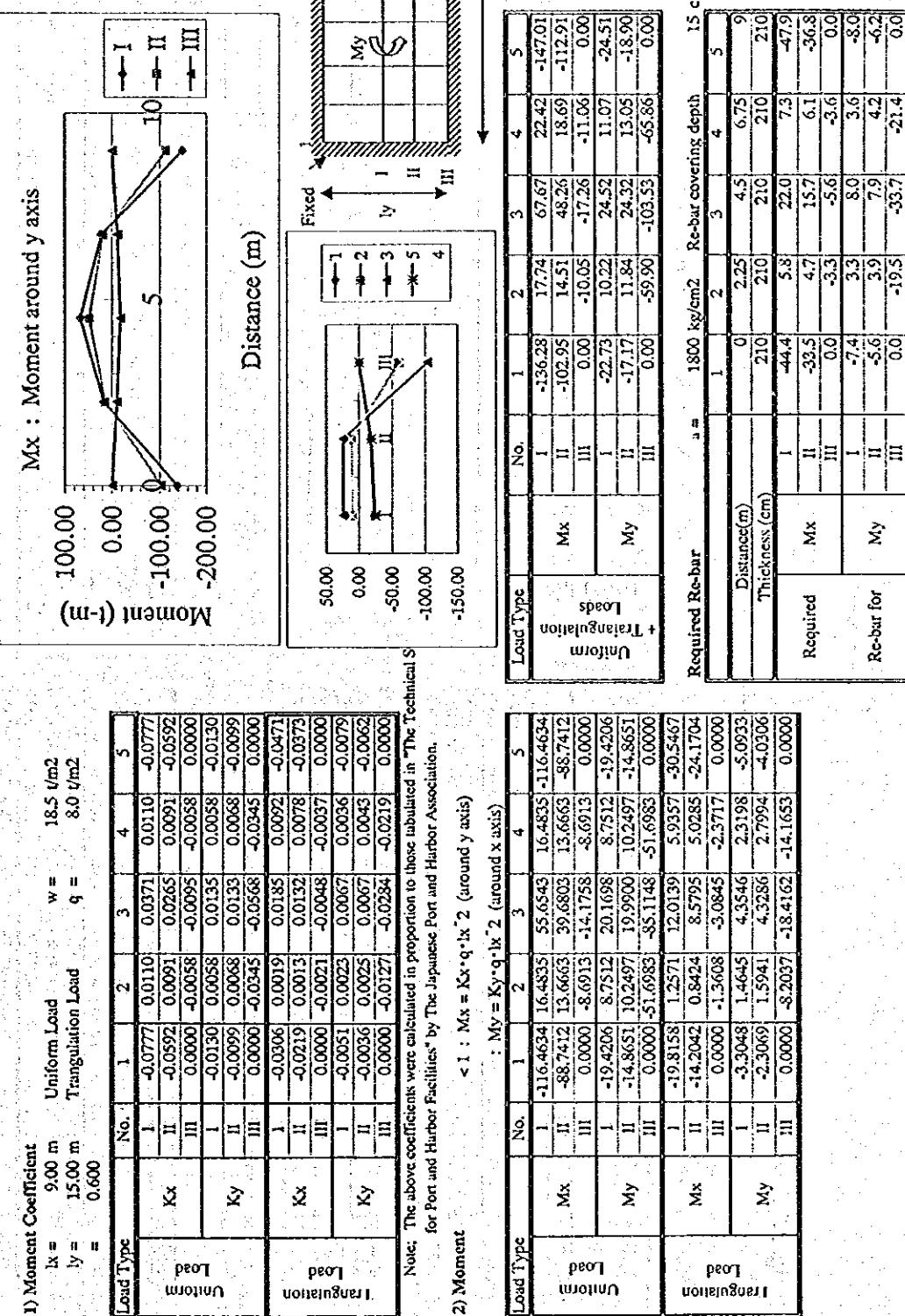


Fig. 3.7.5(8/9) Bending Moment of Flat Slabs

F-1 : Powerhouse Control Room at EL.97.5 (5.00 x 9.00) : Normal Condition

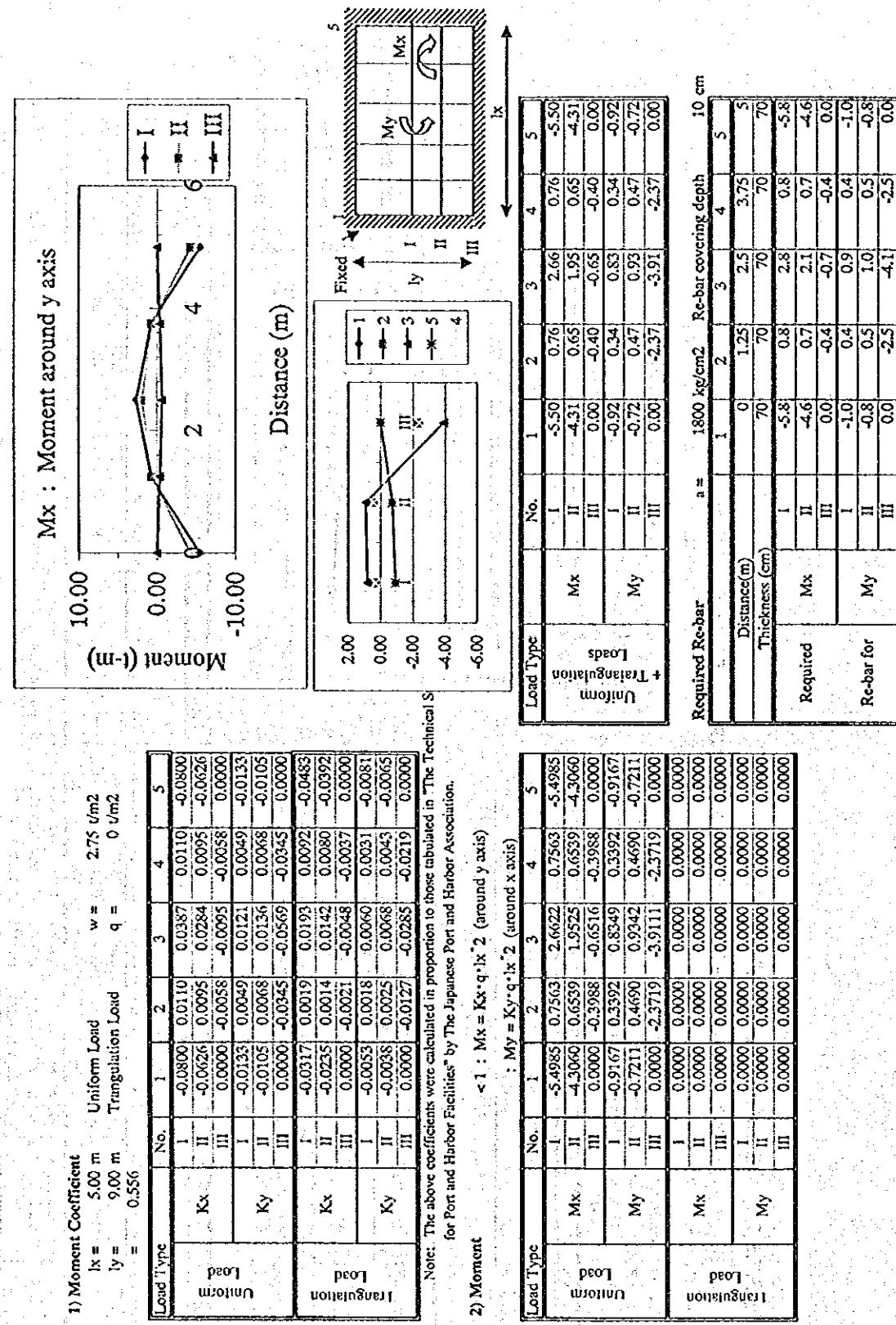


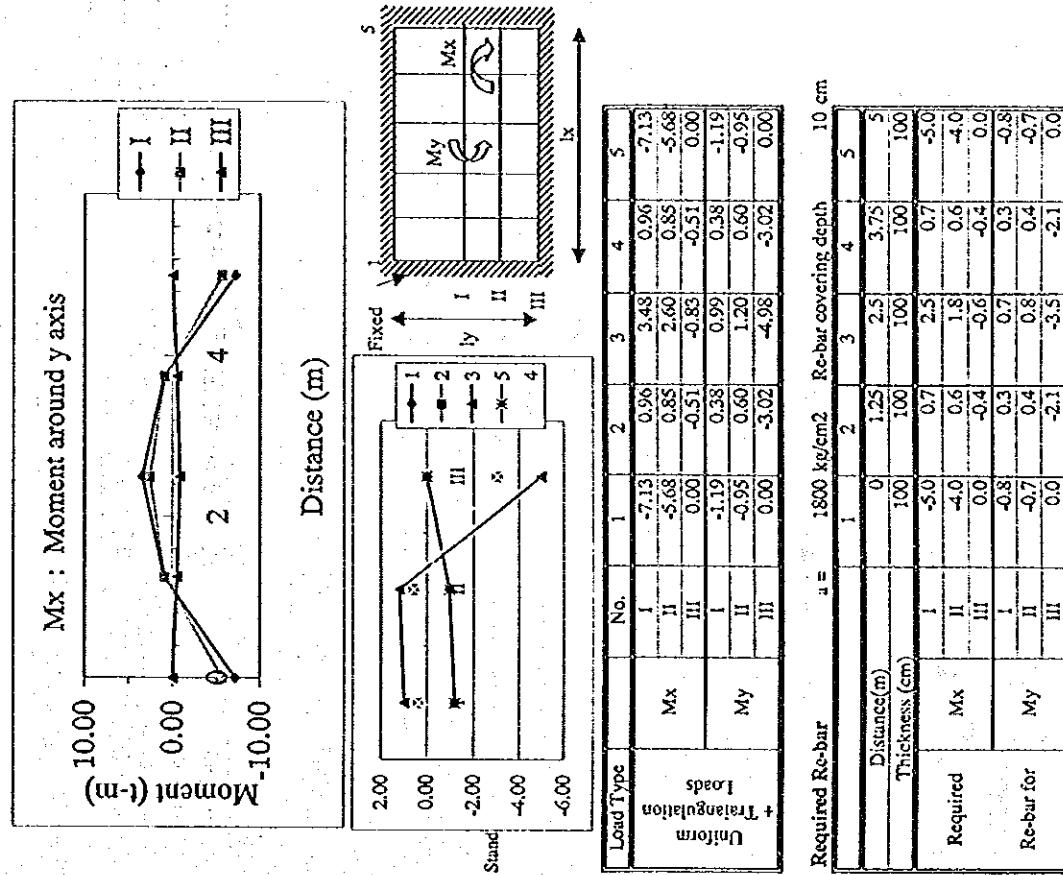
Fig. 3.7.5(9/9) Bending Moment of Flat Slabs

F-2 : Powerhouse Cable Room at EL.93.0 (5.00 x 9.00) : Normal Condition

1) Moment Coefficient		Uniform Load		W = 3.5 V/m2	
		Triangulation Load		Q = 0 V/m2	
Load Type	No.	1	2	3	4
Kx	I	-0.0815	0.0110	0.0398	0.0110
Kx	II	-0.0649	0.0098	0.0297	0.0098
Kx	III	-0.0558	-0.0095	-0.0053	-0.0053
Ky	I	0.0136	0.0043	0.0113	0.0043
Ky	II	-0.0109	0.0068	0.0138	0.0068
Ky	III	-0.0088	-0.0043	-0.0088	-0.0043

K_x	I	II	III	IV
	-0.0000	-0.0345	-0.0569	-0.0345
K_x	I	-0.0324	0.0019	0.0198
	II	-0.0245	0.0014	0.0148
	III	0.0000	-0.0021	-0.0048
	IV	-0.0054	0.0016	0.0056
K_y	I	-0.0040	0.0025	0.0069
	II	0.0000	-0.0127	-0.0285
	III	0.0000	-0.0219	0.0000

2) Moment



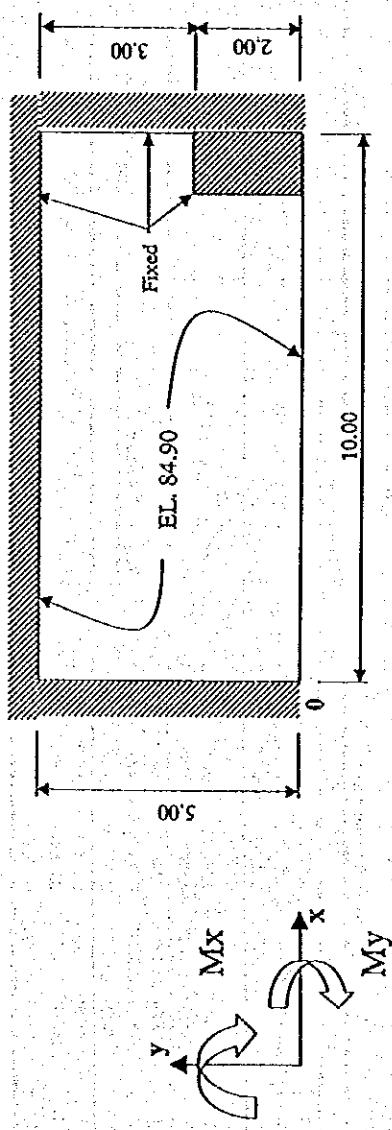
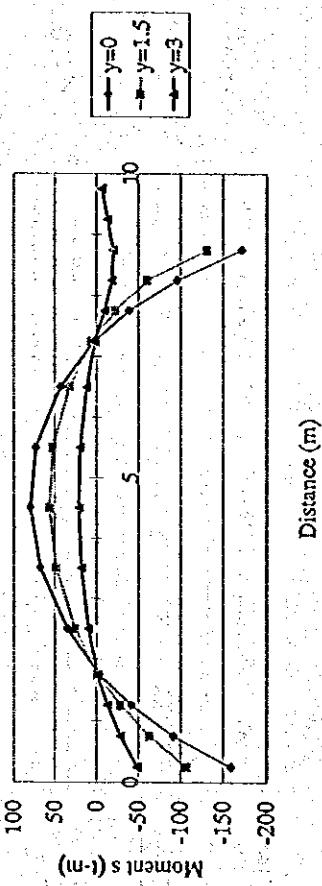
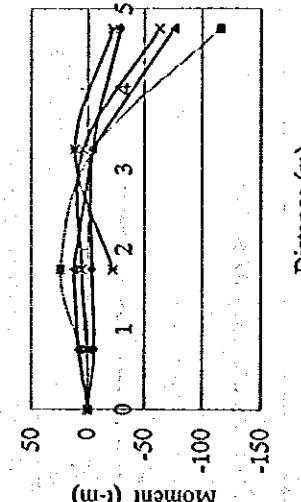
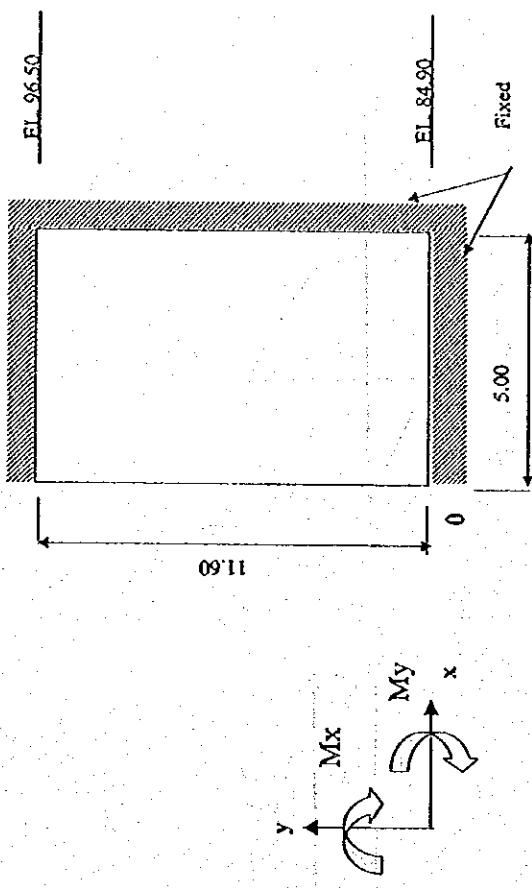
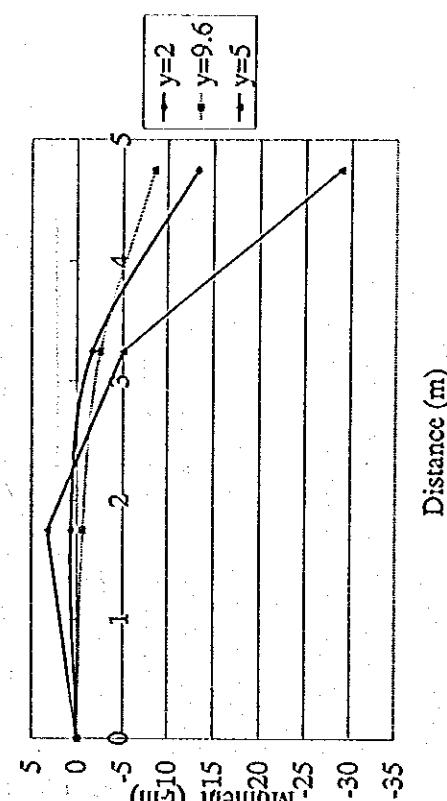
M_x : Moment around Y axisM_y : Moment around x axis

Fig. 3.7.6 Sectional Forces of Bottom Slab C at EL. 84.90 : BS - 1 in Normal Condition



M_x : Moment around y axis



M_y : Moment around x axis

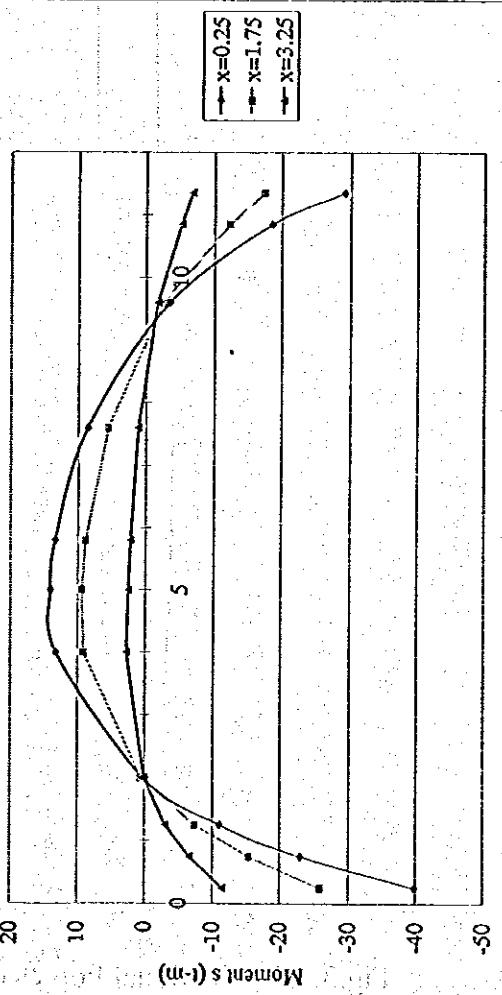
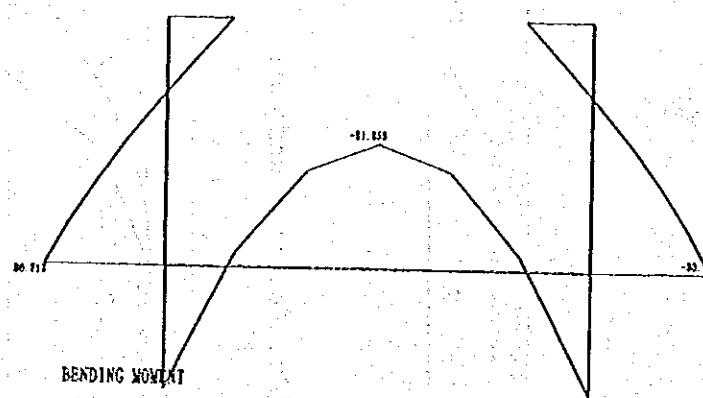


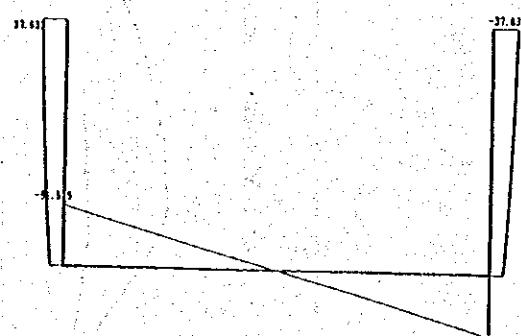
Fig. 3.7.7 Sectional Forces of Outer Wall on the Spillway Side : WS - 1 in Normal Condition



BENDING MOMENT



NORMAL FORCE



SHEAR FORCE

Fig.3.7.8 : Sectional Forces of Draft Pit : S-1 in Flood Condition

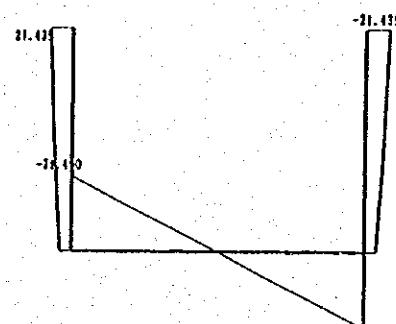
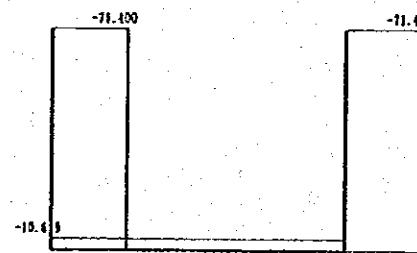
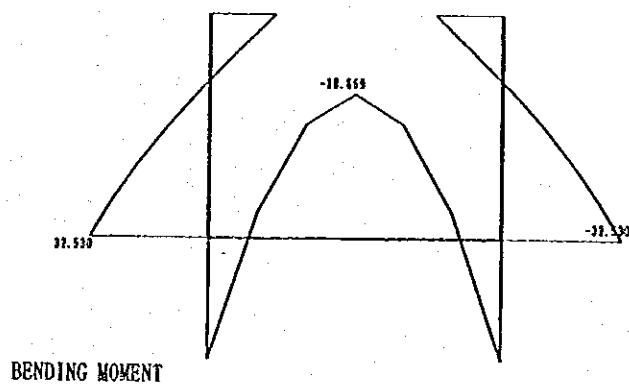


Fig.3.7.9 Sectional Forces of Tailrace : S-2 in Flood Condition

3.8 Design of Tailrace Structures

3.8.1 Design of Tailrace

(1) General

The tailrace is located in the spillway wing wall. The layout, configuration and dimensions are shown in Figs.3.1.4~3.1.6. A typical section of tailrace is schematically shown in Fig. 3.8.1.

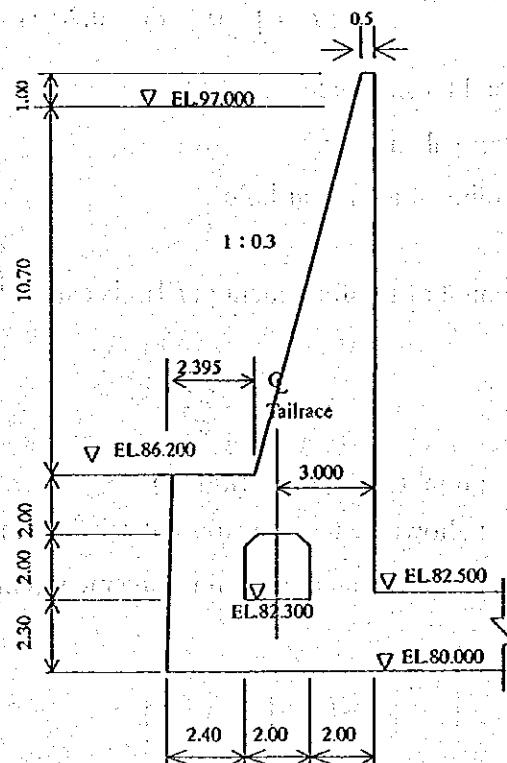


Fig. 3.8.1 Typical Section of Tailrace

(2) Design method

Concentration stress generates around the open portion in the wing wall due to internal stress, therefore reinforcement is required in case generating stress exceeds allowable tensile strength of concrete. Required amount of reinforcement is calculated using the following theory.

In case that the uniform compressive stress is acting in the y-axis direction on an infinite plate having a circular hole as shown in Fig.3.8.2, the stress around

circular hole is expressed as follows:

$$\text{on X-axis : } \sigma_x = \frac{1}{2} \cdot \sigma \left(\frac{r^2}{y^2} - 3 \frac{r^4}{y^4} \right)$$

$$\text{on Y-axis : } \sigma_y = \frac{1}{2} \cdot \sigma \left(2 + \frac{r^2}{x^2} + 3 \frac{r^4}{x^4} \right)$$

As shown in Fig.3.8.2, the tensile stress generates in the upper and lower portions within distance of $\pm \sqrt{3} r$.

The total tensile force around a circular hole is calculated approximately by the following formula.

$$T = \int_r^{\sqrt{3}r} \sigma_x \cdot dy = 0.2\sigma \cdot r$$

Where, T : total tensile force

σ : vertical stress

r : radius of a circular hole

The required amount of reinforcement per 1m is calculated as follow:

$$A_s = \frac{T}{\sigma_{sa}}$$

Where, T : total tensile force (kgf/m)

σ_{sa} : allowable tension stress of reinforcement (kgf/cm²)

A_s : required amount of reinforcement (cm²/m)

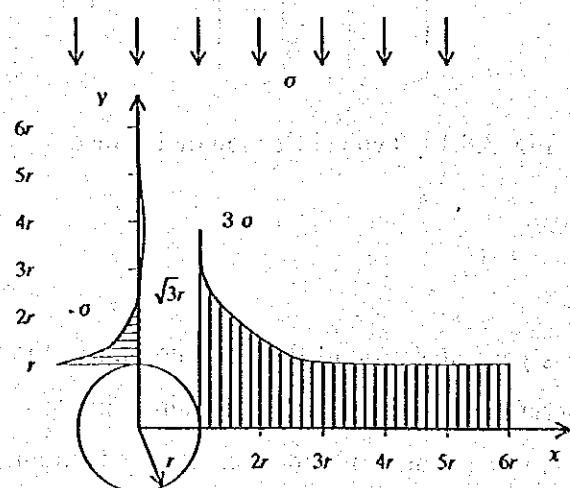


Fig. 3.8.2 Stress Distribution of an Infinite Plate

(3) Calculation results

Calculation results are given in the following table and arrangement of reinforcement is shown in Fig. 3.8.3.

σ (kgf/cm ²)	r : radius (cm)	T (kgf/m)	A_s (cm ² /m)	Amount of Reinforcement
3.875	100	-7,750 59.8	4.306	D16@0.2 m c/c 19Φ@0.2 m c/c (10.05cm ² /m)

Notes : Unit weight of reinforced concrete: 2.5 t/m³

Allowable tensile strength of reinforcement (SD 30) : $\sigma_{sa} = 1,800 \text{ kgf/cm}^2$

Top elevation of spillway wing wall: EL 98.000 m.

Invert elevation of tailrace: EL 85.300 m

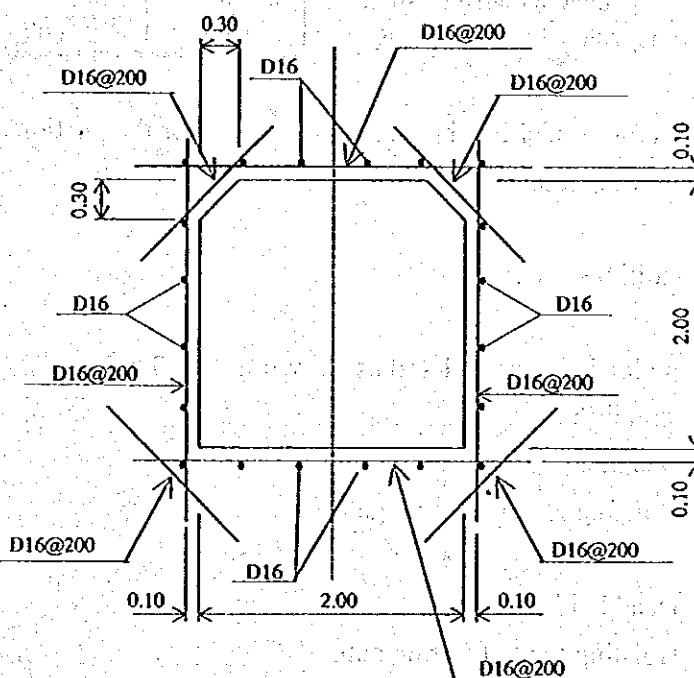


Fig. 3.8.3 Reinforcement Arrangement of Typical Section of Tailrace

3.8.2 Design of Tailrace Gate Tower

(1) General

The tailrace gate tower is located about 9.0m upstream of the exit of the tailrace.

The dimensions of the tailrace gate tower are shown in Figs.3.1.4~3.1.7. Typical section of the tailrace gate tower is shown in Fig. 3.8.4.

(2) Design parameters and structural model

Unit weight of reinforced concrete	2.5 t/m ³
Weight of a slide gate	about 1.0 ton
Horizontal seismic coefficient (K_h)	0.16

Allowable Strengths of Concrete and Reinforcement

	Item	Normal (kgf/cm ²)	Earthquake (kgf/cm ²)	Remarks
Concrete (K-225 class)	Compressive strength, σ_{tk} (28 th day)	225		
	Allowable bending compressive stress	75 ¹	112 ²	*1 $\sigma_{ca} = \sigma_{tk}/3$ *2 $\sigma_{cy} = 1.5 \sigma_{ca}$
	Allowable shearing stress	8	12 ³	*3 $\tau_{cy} = 1.5 \tau_{ca}$
Reinforcement	Allowable tensile stress	1,800	2,700 ⁴	*4 $\sigma_{sy} = 1.5 \sigma_{sa}$

The structural model for the analysis is made for the portion above EL 90.000 m as shown in Fig. 3.8.5

(3) Load conditions

Following loads are considered as shown in Fig. 3.8.5.

Normal condition

- (i) Dead load
- (ii) Hoisting load of a slide gate

Seismic condition

- (i) Dead load
- (ii) Hoisting load of a slide gate
- (iii) Seismic force

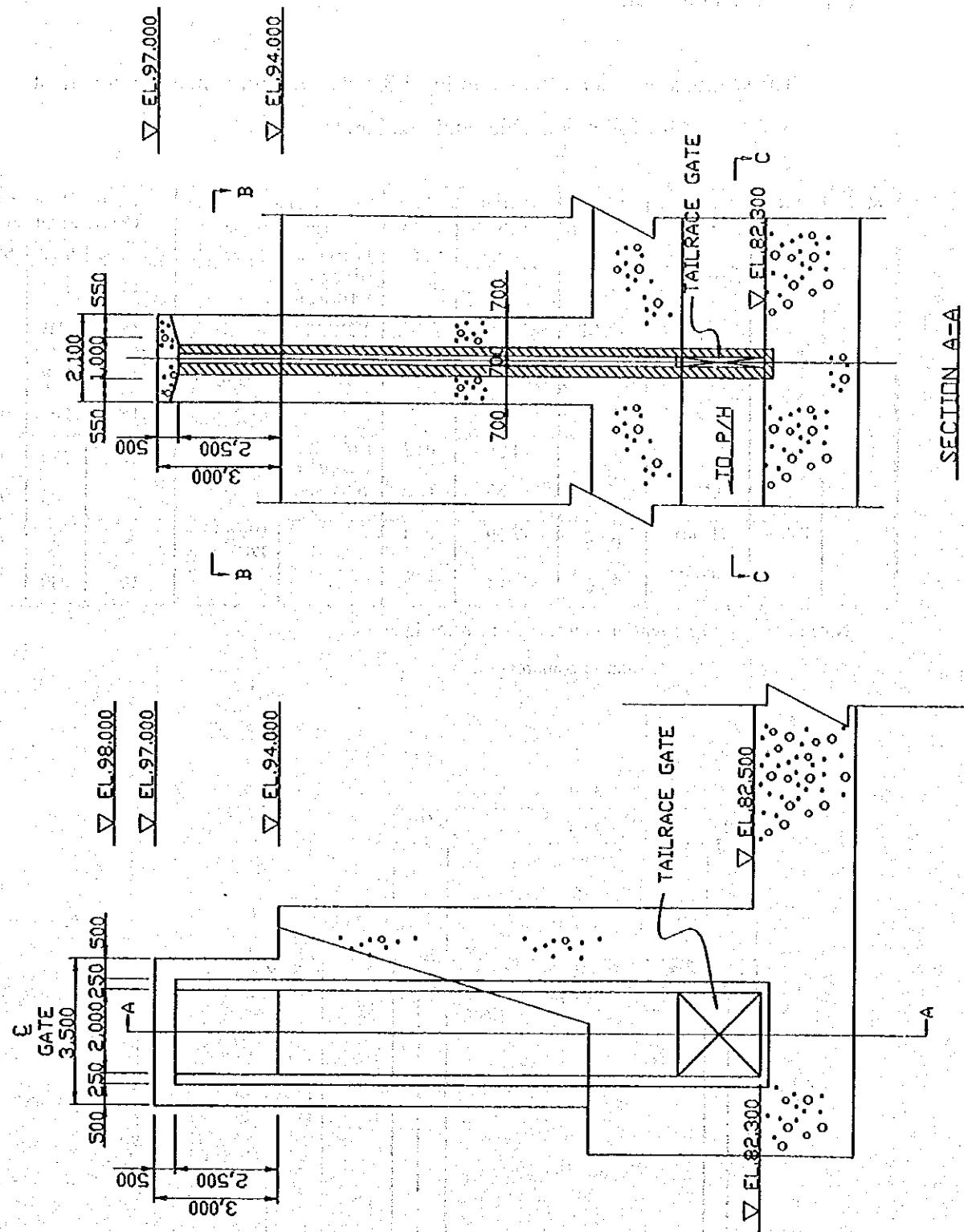


Fig. 3.8.4 Profile and Section of Tailrace Gate Tower

(4) Calculation results

The sectional forces are shown in Fig.3.8.6. The reinforcement arrangement is shown in the following tables and Fig. 3.8.7.

Mem.	Sec.	Load case	Moment *1 (lf-m)	Normal Force *2 (t)	Shear Force (t)	Amount of Reinforcement		Stress of Steel and Concrete (kgf/cm ²)		
						Outer side	Inner side	Concrete	Steel	Shear
Top	Side	Normal Earthquake	-1.54	-0.83	4.25	D16@0.3 m 19D@0.2 m (4.223cm ² /m)		14	880	1.0
			-2.44	-1.43	4.85			18	1110	1.0
	Center	Normal Earthquake	2.03	-0.83	0.50		D16@0.3 m 19D@0.2 m (4.223cm ² /m)	15	960	0.1
			2.03	-0.83	-1.10			15	960	0.2
Side	Upper	Normal Earthquake	-1.54	-4.25	0.83	D16@0.3 m 19D@0.2 m (4.223cm ² /m)		12	520	0.3
			-2.44	-4.85	1.43			16	780	0.5
	Bottom	Normal Earthquake	0.76	-7.69	0.84		D16@0.3 m 19D@0.2 m (4.223cm ² /m)	3	5	0.3
			2.26	-8.29	1.98			10	240	0.5

Note : *1 : + tension in inside - : tension in outside

*2 : + tension - : compression

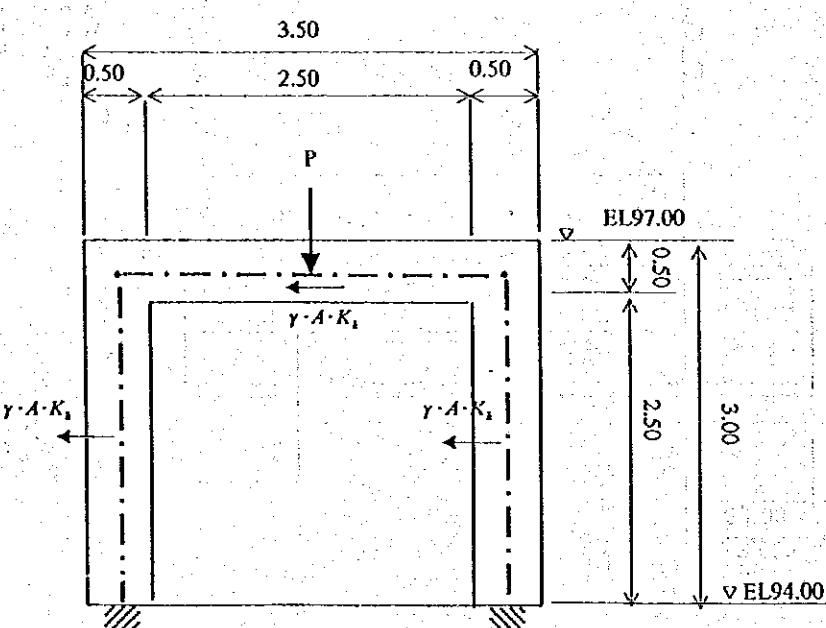
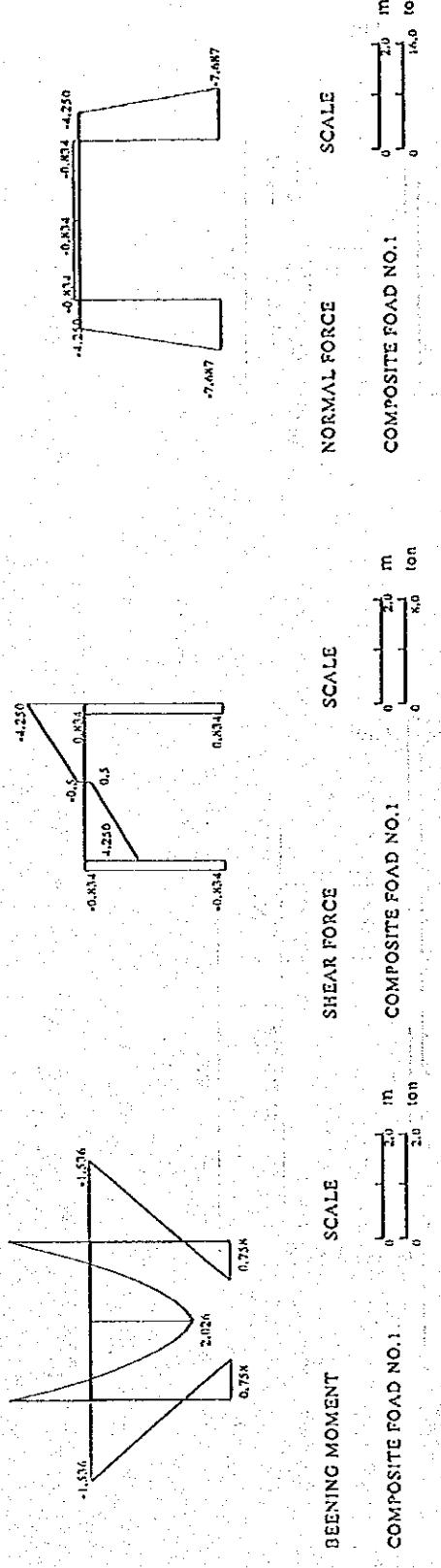
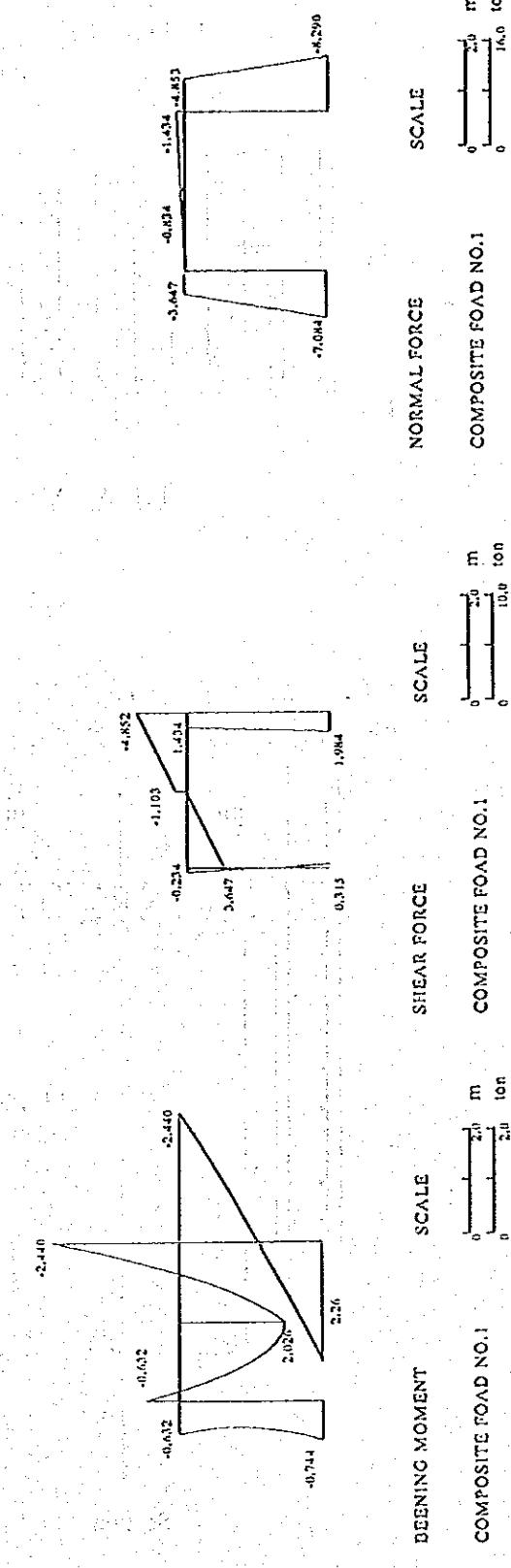


Fig. 3.8.5 Structural Model



3-8-7



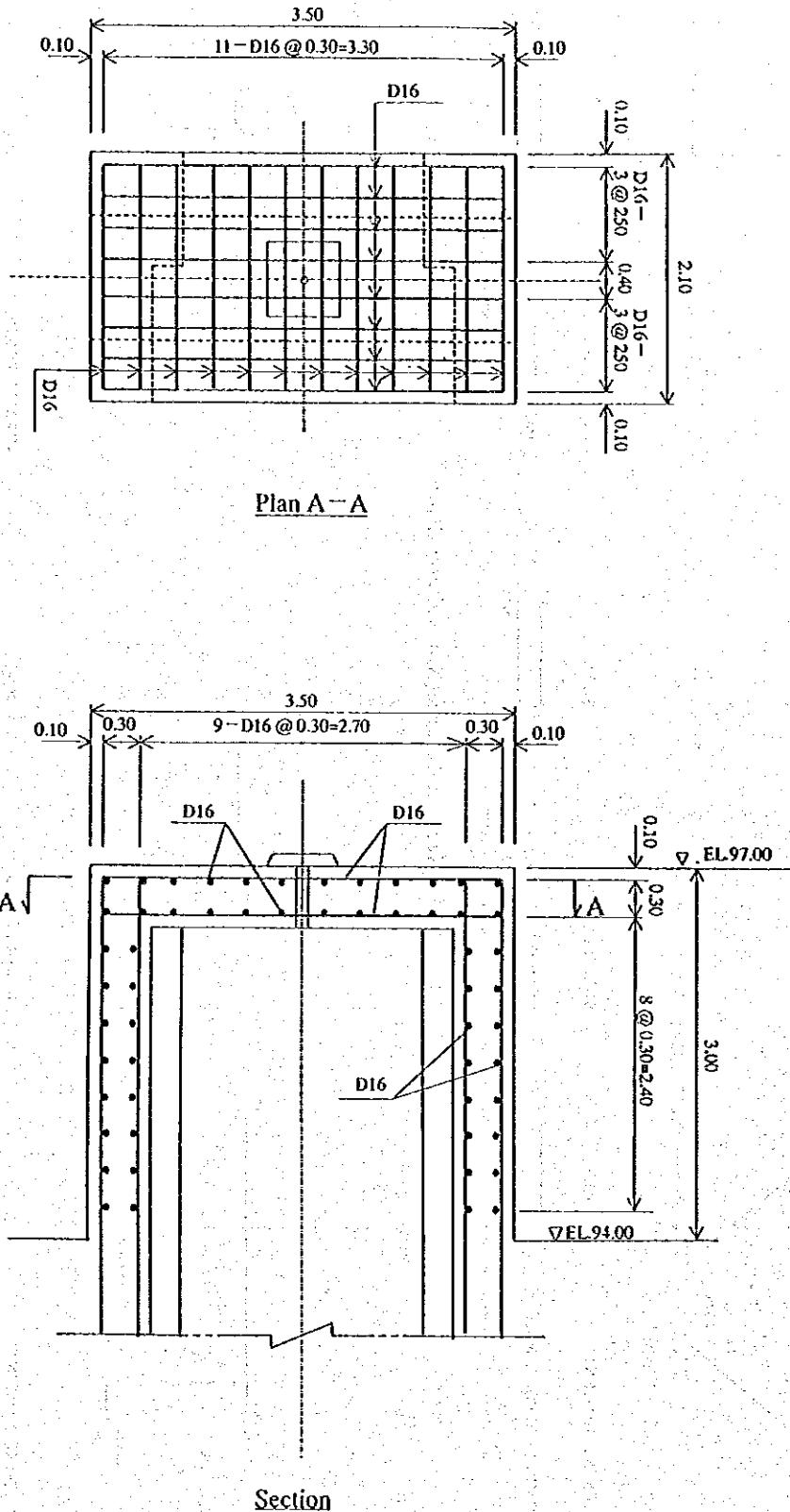


Fig. 3.8.7 Reinforcement Arrangement of Gate Tower

3.8.3 Design of Air Shaft

(1) General

The air shaft is located in the downstream side of powerhouse and its structure is connected to the spillway wing wall. Construction joint is provided between powerhouse structure and air shaft structure. The dimensions of the air shaft are shown in Figs.3.1.4~3.1.6. The typical section of the air shaft is shown in Fig.3.8.8.

(2) Design parameter and structural model

The calculated parameters and formulas are given as follows:

Unit weight

Unit weight of reinforced concrete	2.5 tf/m ³
Unit weight of embankment (saturated)	1.9 tf/m ³
Unit weight of embankment (in water)	0.9tf/m ³
Water	1.0 tf/m ³

Earth pressure coefficient

Coefficient of earth pressure under normal condition	0.335
Coefficient of earth pressure under seismic condition	0.444

Embankment and ground water levels

Embankment surface level: EL.97.0 m.

Ground water level: EL 84.798 m (assumed value for 100 year return period flood)

Allowable strength of concrete and reinforcement

See Chapter 3.8.2.

Earth pressure

Earth pressure acting on gate shaft structure is considered as follows:

Under normal condition

The active earth pressure (Pa) is given as follows;

$$Pa = K_a \cdot \gamma \cdot h + K_a \cdot q$$
$$K_a = \frac{\cos^2(\phi - \theta)}{\cos^2\theta \cdot \cos(\theta + \delta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \alpha)}{\cos(\theta + \delta) \cdot \cos(\theta - \alpha)}} \right]^2}$$

Where, K_a : coefficient of active earth pressure

γ : unit weight of soil (1.9tf/m^3)

h : earth depth to acting point of earth pressure

ϕ : internal friction angle ($=35^\circ$)

θ : angle between wall backside surface and vertical plane

α : angle between ground surface and horizontal plane

δ : friction angle of soil to concrete ($\delta = 2/3 \phi$)

q : surcharge in normal condition (1.0tf/m^2)

Under earthquake conditions

The active horizontal earth pressure (P_{ae}) is given as follows;

$$P_{ae} = K_{ae} \cdot \gamma \cdot h + K_{ae} \cdot q'$$

$$K_{ae} = \frac{\cos^2(\phi - \theta_0 - \theta)}{\cos^2 \theta_0 \cdot \cos^2 \theta \cdot \cos(\theta + \theta_0 + \delta) \cdot \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \alpha - \theta_0)}{\cos(\theta + \theta_0 + \delta) \cdot \cos(\theta - \alpha)}} \right]^2}$$

Where, K_{ae} : coefficient of active earth pressure under earthquake conditions

θ_0 : angle between wall backside surface and vertical plane

$$\tan \theta_0 = \frac{K_v}{1 - K_h}$$

K_v : seismic coefficient in vertical direction ($=0.0$)

K_h : seismic coefficient in horizontal direction ($=0.16$)

α : angle between ground surface and horizontal plane

q' : surcharge under earthquake condition

The structural model for analysis is shown in Fig. 3.8.9.

(3) Load conditions

Following loads are considered as shown in Fig. 3.8.9.

Normal condition

(i) Dead Load

(ii) Earth Pressure

Earthquake condition

(i) Dead Load

(ii) Earth Pressure

(iii) Seismic Force

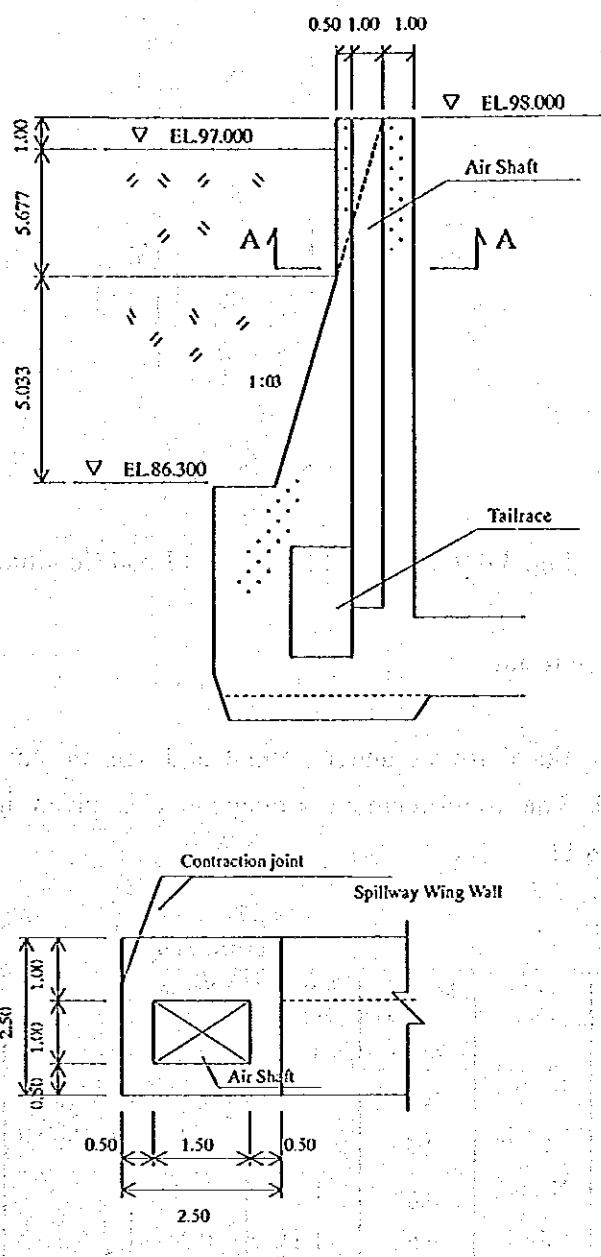
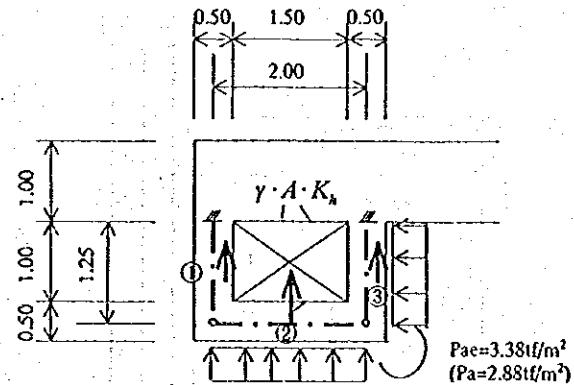


Fig. 3.8.8 Section of Airshaft



Section A-A

Fig. 3.8.9 Structural Model and Load Conditions of Air Shaft

(4) Calculation results

The sectional forces under normal and seismic conditions are shown in Figs. 3.8.10. The reinforcement arrangement is given in the following table and Fig.3.8.11.

Section A-A

Mem.	Sec.	Load Case	Moment *1 (lf-m)	Normal Force*2 (t)*1	Shear Force (t)	Amount of Reinforcement		Stress of Steel and Concrete (kgf/cm ²)		
						Outer side	Inner side	Concrete	Steel	Shear
②	Side	Normal	-1.04	1.53	3.18	D16@0.3 m 19D@0.2 m (4.223cm ² /m))		13	450	0.7
		Seismic	-1.27	1.84	3.92			10	550	0.9
	Center	Normal	0.69	1.53	0.29	D16@0.3 m 19D@0.2 m (4.223cm ² /m))		5	230	0.1
		Seismic	0.86	1.84	0.34			6	300	0.1
(P/H side)	Top	Normal	-1.04	3.18	1.53	D16@0.3 m 19D@0.2 m (4.223cm ² /m))		7	250	0.3
		Seismic	-1.27	3.92	1.84			9	300	0.4
	Bottom	Normal	0.87	3.18	1.53	D16@0.3 m 19D@0.2 m (4.223cm ² /m))		5	150	0.3
		Seismic	0.92	4.17	1.84			5	90	0.3

Notes: *1 : + tension in inside - : tension in outside

*2 : + tension - : compression

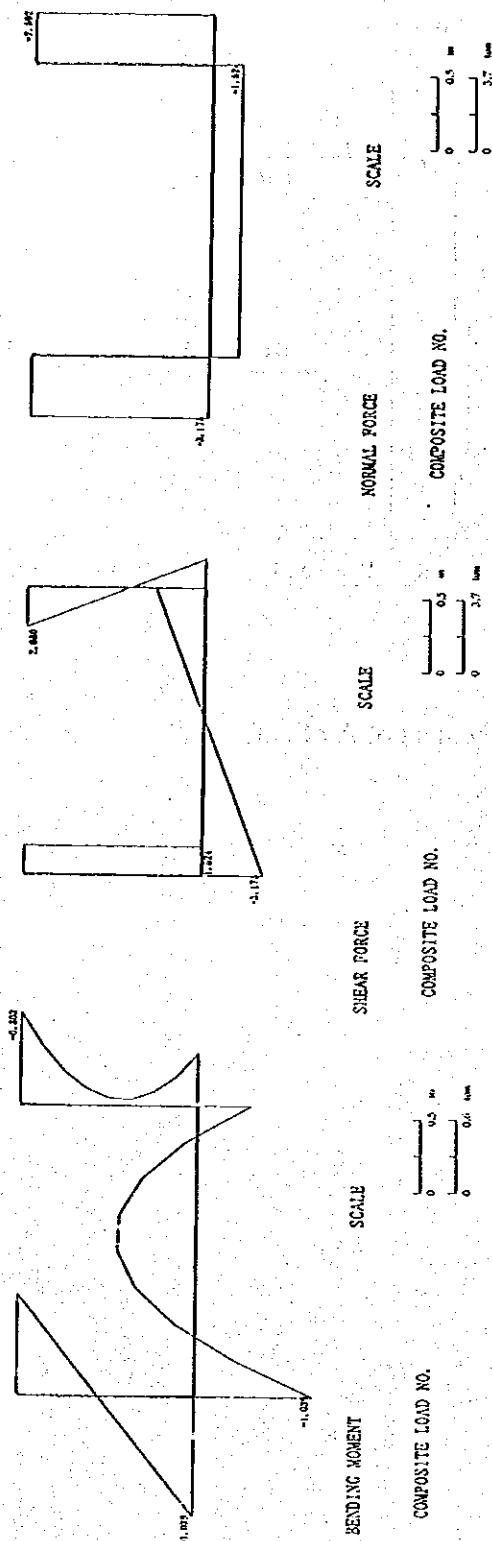


Fig. 3.8.10 (1/2) Sectional Force (Section A-A : Normal condition)

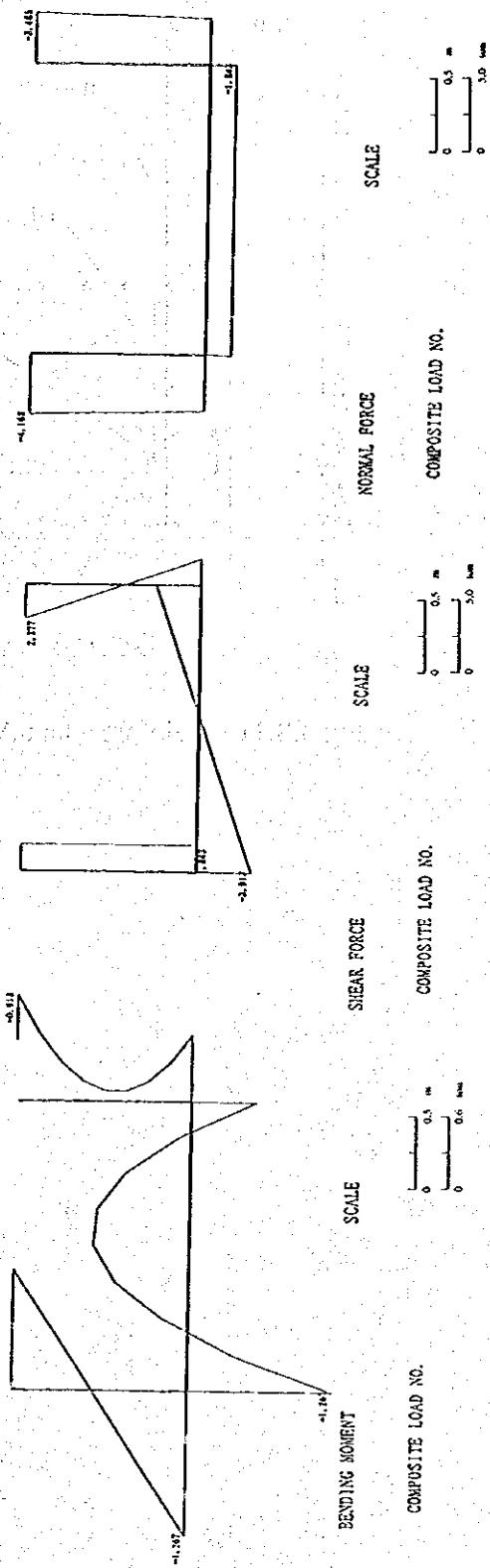


Fig. 3.8.10 (2/2) Sectional Force (Section A-A : Seismic condition)

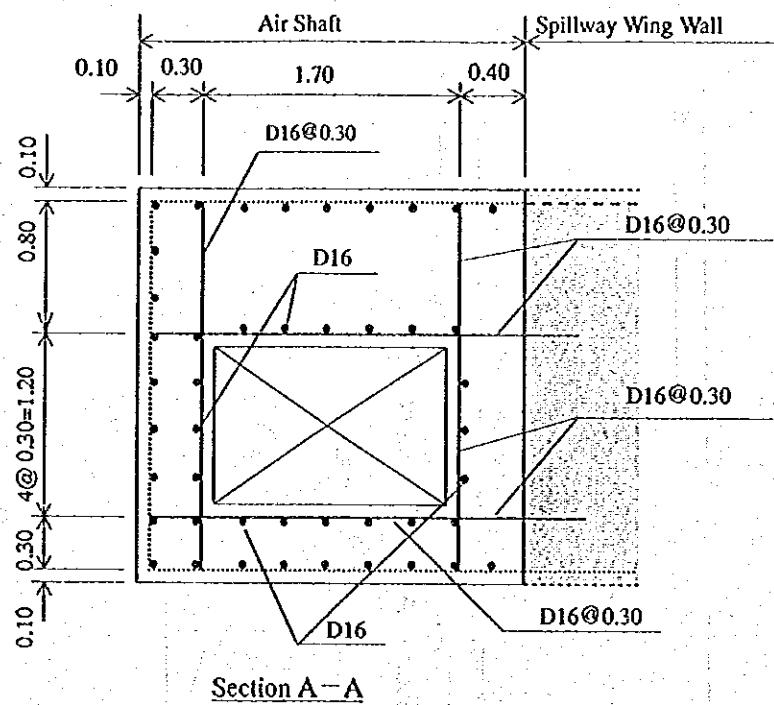


Fig.3.8.11 Reinforcement Arrangement of Air Shaft

3.8.4 Design of Tailrace Gate

(1) General

A steel slide gate is selected as the tailrace gate because gate size and hydrostatic pressure are small. The typical section of tailrace gate is shown in Fig.3.1.7.

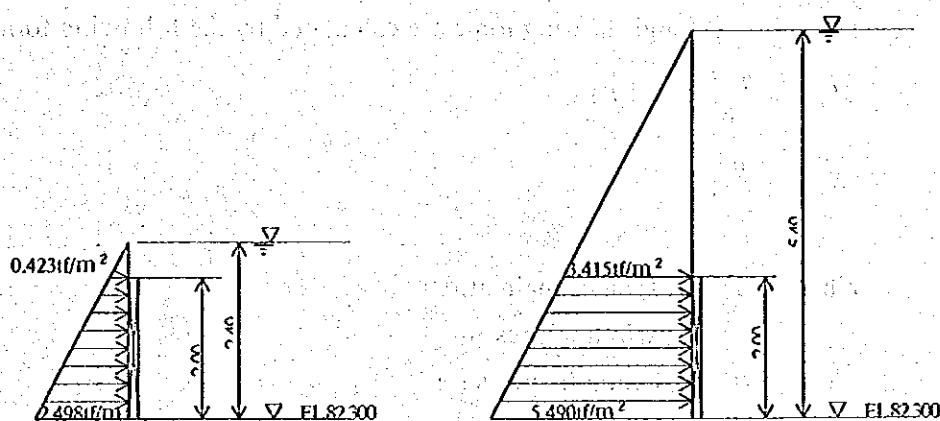
(2) Design Conditions

The design parameters for tailrace gate are given as follows.

Design Conditions		Remarks
Type	Steel slide gate	
Clear span	2.000 m	
Clear height	2.000 m	
Gate size	W 2.150 m H 2.075 m	
Design head	2.498 m (100 year return period flood) 5.490 m (PMF)	See Fig.3.8.12
Hoisting	Manual operation	

Allowable Stresses for Structural Steel (SS400)

Item	100 year return period flood	PMF	Remarks
Tensile stress	1,350kgf/cm ²	2,025kgf/cm ² *1	*1 $\sigma_{sy} = 1.5 \sigma_{sa}$
Shearing stress	800kgf/cm ²	1,200kgf/cm ² *2	*2 $\tau_{sy} = 1.5 \tau_{sa}$
Deflection	1/800		



(1) Under 100 year return period

(2) Under PMF

Fig. 3.8.12 Design Head for Tailrace Gate

(3) Calculation of main girder

Reaction forces of auxiliary girders by hydraulic pressure are calculated as follows:

$$q_{1U} = \frac{(p_1 + 2p_2)l_1}{6}$$

$$q_{1L} = \frac{(2p_1 + p_2)l_1}{6}$$

$$q_{2U} = \frac{(2p_2 + p_3)l_2}{6}$$

$$q_{2L} = \frac{(p_2 + 2p_3)l_2}{6}$$

$$q_{3U} = \frac{(p_3 + p_4)(l_3 + l_4)}{2} - q_{3L}$$

$$q_{3L} = \frac{(p_3 + 2p_4)(l_3 + l_4)^2}{6l_3}$$

Where,

l : span of auxiliary girders

p : hydraulic pressure at the center point of main girders

q : reaction of auxiliary girders

(see Fig. 3.8.13)

Loads of each main girders are :

$$q_1 = q_{1U}$$

$$q_2 = q_{1L} + q_{2U}$$

$$q_3 = q_{2L} + q_{3U}$$

$$q_4 = q_{3L}$$

Bending moment and shearing force are calculated by the following formulae:

$$M_{\max} = \frac{q \cdot B}{8} (2L - B)$$

$$S_{\max} = \frac{q \cdot B}{2}$$

Where,

L : span of main girder

B : width of pressure

q : hydraulic pressure

Bending stress and shearing stress are calculated by the following formulae:

$$\sigma_{\max} = \frac{M_{\max}}{Z}$$

$$\tau_{\max} = \frac{S_{\max}}{A_{\text{web}}}$$

Where, Z : section modulus
 A_{web} : area of web plate

Deflection of main girder is calculated by the following formula :

$$\delta_{\max} = \frac{q \cdot B}{48 E \cdot I} \left(L^3 - \frac{L \cdot B^2}{2} + \frac{B^3}{8} \right)$$

Where, L : span of main girders
 B : width of pressure
 q : hydraulic pressure
 E : elasticity modulus of steel
 I : moment of inertia

Calculation sheets of main girders are given below:

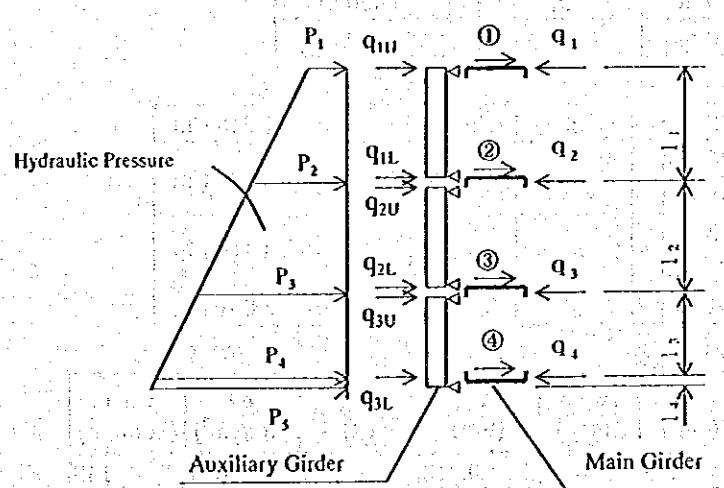


Fig. 3.8.13 Design Loads of Main Girders

Calculation Results of Main Girder under 100 year return period flood

Span of main girders and hydrostatic pressure

		p_1	0.423 t/m^2
l_1	0.685 m	p_2	1.108 t/m^2
l_2	0.670 m	p_3	1.778 t/m^2
l_3	0.680 m	p_4	2.458 t/m^2
l_4	0.040 m	p_5	2.498 t/m^2

Loads for each main girder

q_{1U}	0.223 t/m	q_1	q_{1U}	0.223 t/m
q_{1L}	0.301 t/m	q_2	$q_{1L} + q_{2U}$	0.747 t/m
q_{2U}	0.446 t/m			
q_{2L}	0.521 t/m			
q_{3U}	0.679 t/m	q_3	$q_{2L} + q_{3U}$	1.199 t/m
q_{3L}	0.861 t/m	q_4	q_{3L}	0.861 t/m

Bending stress, Shear stress and Deflection

Member	I (cm^4)	Z (cm^3)	Aweb (cm^2)	M_{\max} (t-m)	S_{\max} (tf)	σt (kgf/cm ²)	$\tau \max$ (kgf/cm ²)	δ_{\max} (cm)	δ_{\max}/L
No.1	864	115	8.45	0.128	0.223	112	26	0.0340	1/ 6322
No.2	864	115	8.45	0.430	0.747	374	88	0.1139	1/ 1887
No.3	864	115	8.45	0.690	1.199	600	142	0.1829	1/ 1176
No.4	864	115	8.45	0.495	0.861	430	102	0.1312	1/ 1639

Calculation Results of Main Girder under PMF

Span of main girders and hydrostatic pressure

		p_1	3.415 t/m^2
l_1	0.685 m	p_2	4.100 t/m^2
l_2	0.670 m	p_3	4.770 t/m^2
l_3	0.680 m	p_4	5.450 t/m^2
l_4	0.040 m	p_5	5.490 t/m^2

Loads for each main girder

q_{1U}	1.248 t/m	q_1	q_{1U}	1.248 t/m
q_{1L}	1.326 t/m	q_2	$q_{1L} + q_{2U}$	2.774 t/m
q_{2U}	1.448 t/m			
q_{2L}	1.523 t/m	q_3	$q_{2L} + q_{3U}$	3.216 t/m
q_{3U}	1.692 t/m			
q_{3L}	2.001 t/m	q_4	q_{3L}	2.001 t/m

Bending stress, Shear stress

Member	I (cm^4)	Z (cm^3)	Aweb (cm^2)	M_{\max} (t-m)	S_{\max} (tf)	σt (kgf/cm ²)	$\tau \max$ (kgf/cm ²)
No.1	864	115	8.45	0.718	1.248	624	148
No.2	864	115	8.45	1.595	2.774	1,387	328
No.3	864	115	8.45	1.849	3.216	1,608	381
No.4	864	115	8.45	1.151	2.001	1,001	237

Member	A (cm^2)	Aweb (cm^2)	I (cm^4)	Z (cm^3)
[150X75X6.5X10	23.710	8.45	864	115

(4) Calculation of auxiliary girder and side girder

Bending moment and shearing force are calculated by the following formulae:

$$M_{\max} = \frac{p \cdot m}{24} (3l^2 - m^2) \quad (l > m)$$

$$S_{\max} = \frac{p \cdot m}{2} \left(l - \frac{m}{2} \right)$$

Where,
 l : span of auxiliary girders
 m : pitch of auxiliary girders
 p : hydraulic pressure
 (see Fig. 3.8.14 and 3.8.15)

Bending stress and shearing stress are calculated by the following formulae:

$$\sigma_{\max} = \frac{M_{\max}}{Z}$$

$$\tau_{\max} = \frac{S_{\max}}{A_{reb}}$$

Where,
 Z : section modulus
 E : elasticity modulus of steel
 I : moment of inertia

Calculation sheets of auxiliary girders are given below;

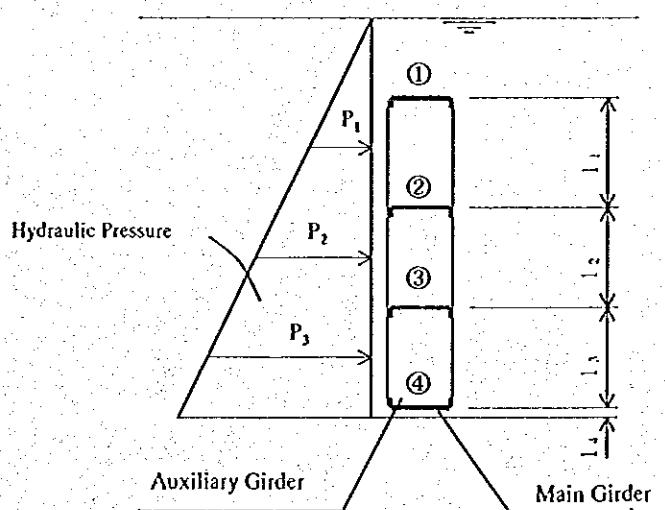


Fig. 3.8.14 Design Loads of Auxiliary Girders

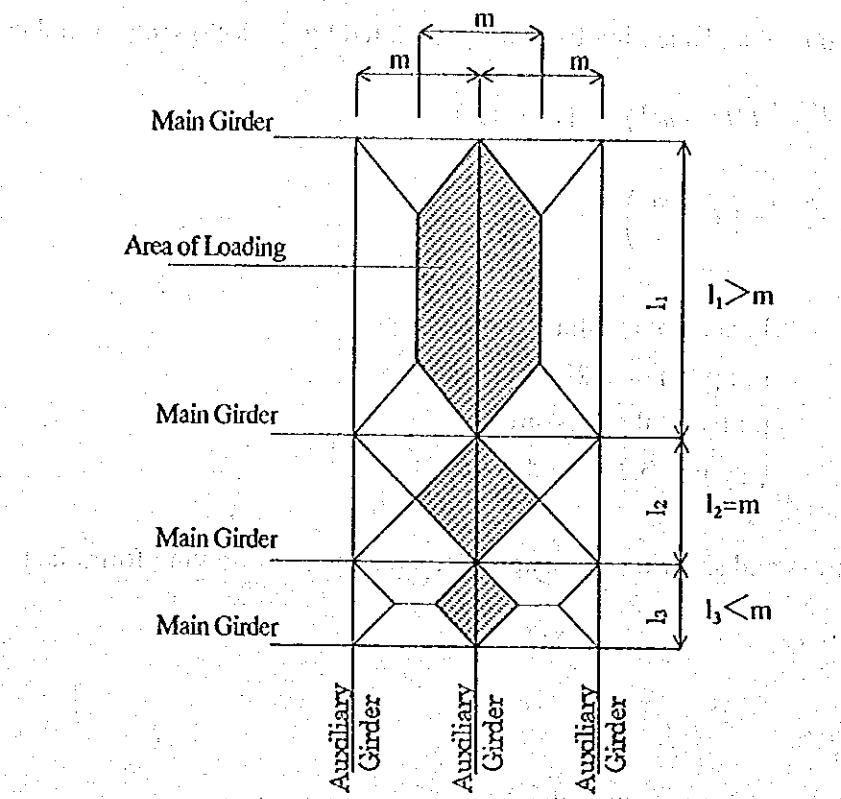


Fig. 3.8.15 Area of Loading for Auxiliary Girders

Calculation Results of Auxiliary Girder under 100 year return period flood

Span of main girders and hydrostatic pressure

		p_1	0.423 t/m ²
l_1	0.685 m	p_2	1.108 t/m ²
l_2	0.670 m	p_3	1.778 t/m ²
l_3	0.680 m	p_4	2.458 t/m ²
l_4	0.040 m	p_5	2.498 t/m ²

Loads for each auxiliary girder

p'_1	0.766 t/m
p'_2	1.443 t/m
p'_3	2.118 t/m

Bending stress, Shear stress

Member		m (m)	I (m)	M (tf-m)	S (tf)	σ_t (kgf/cm ²)	τ_{max} (kgf/cm ²)
m_2, m_3	①~② PL 150X6	0.500	0.685	0.018	0.083	82	9
	②~③ PL 150X6	0.500	0.670	0.033	0.152	147	17
	③~④ PL 150X6	0.500	0.680	0.050	0.228	223	25
m_1, m_4	①~② I 150X75X6.5X10	0.500	0.685	0.018	0.083	16	10
	②~③ I 150X75X6.5X10	0.500	0.670	0.033	0.152	29	18
	③~④ I 150X75X6.5X10	0.500	0.680	0.050	0.228	44	27

Calculation Results of Auxiliary Girder under PMP

Span of main girders and hydrostatic pressure

		p_1	3.415 t/m ²
l_1	0.685 m	p_2	4.100 t/m ²
l_2	0.670 m	p_3	4.770 t/m ²
l_3	0.680 m	p_4	5.450 t/m ²
l_4	0.040 m	p_5	5.490 t/m ²

Loads for each auxiliary girder

p'_1	3.758 t/m
p'_2	4.435 t/m
p'_3	5.110 t/m

Bending stress, Shear stress

Member		m (m)	I (m)	M (tf-m)	S (tf)	σ_t (kgf/cm ²)	τ_{max} (kgf/cm ²)
m_2, m_3	①~② PL 150X6	0.500	0.685	0.091	0.409	403	45
	②~③ PL 150X6	0.500	0.670	0.101	0.466	450	52
	③~④ PL 150X6	0.500	0.680	0.121	0.549	538	61
m_1, m_4	①~② I 150X75X6.5X10	0.500	0.685	0.091	0.409	79	48
	②~③ I 150X75X6.5X10	0.500	0.670	0.101	0.466	88	55
	③~④ I 150X75X6.5X10	0.500	0.680	0.121	0.549	105	65

Member	A (cm ²)	A_{web} (cm ²)	I (cm ⁴)	Z (cm ³)
m_2, m_3 PL 150X6	9.000	9.000	168.75	22.5
m_1, m_4 I 150X75X6.5X10	23.710	8.450	864	115

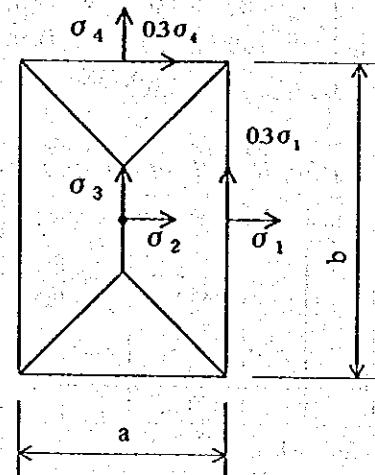
(5) Calculation of skin plate

The bending stress generated in a flat plate by hydraulic pressure shall be calculated by the following formula:

$$\sigma = \frac{1}{100} k \cdot a^2 \cdot \frac{P}{(t - \varepsilon)^2}$$

Where,
 a : short side of a rectangle
 b : long side of a rectangle
 p : hydraulic pressure
 t : plate thickness
 k : factor in table below
 ε : corrosion allowance ($=1\text{mm}$)
 σ : bending stress (see Fig. 3.8.16)

Value of k				
b/a	σ_1	σ_2	σ_3	σ_4
1.0	30.90	13.70	13.70	30.90
1.3	40.30	18.80	13.50	33.90
1.5	45.50	22.10	12.20	34.30
1.8	48.40	23.90	10.80	34.30
2.0	49.90	24.70	9.50	34.30
2.5	50.00	25.00	8.00	34.30
3.0	50.00	25.00	7.50	34.30
∞	50.00	25.00	7.50	34.30



Minimum thickness of skin plate is 6 mm.

Calculation results are given below and shown in Fig.3.8.17.

Fig.3.8.16 Stress of Skin Plates

Material list of tailrace gate is as shown below :

Items	Dimension	Remarks
Main girder	[150 x 75 x 6.5 x 10]	
Auxiliary girder	Side [150 x 75 x 6.5 x 10]	
	Center Plate 150 x 6	
Skin plate	t = 6mm	

Calculation Results of Skin plate under 100 year return period flood

Span of main girders and hydrostatic pressure

		p_1	0.423 t/m ²
l_1	0.685 m	p_2	1.108 t/m ²
l_2	0.670 m	p_3	1.778 t/m ²
l_3	0.680 m	p_4	2.458 t/m ²
l_4	0.040 m	p_5	2.498 t/m ²

Loads for each auxiliary girder

p'_1	0.766 t/m
p'_2	1.443 t/m
p'_3	2.118 t/m

Stress

Locati on	Member	a	b	b/a	k	p'	t	σt	t_0
		Short side of a rectangle	Long side of a rectangle		Factor	Hydraulic pressure kgf/cm ²	Plate thickness cm	Stress kgf/cm ²	$t_0=t+\epsilon$
		cm	cm				cm		
Center	①~②	57.250	57.500	1.004	31.1	0.077	0.5	312	0.6
	②~③	57.500	59.500	1.035	32.2	0.144	0.5	615	0.6
	③~④	56.750	57.500	1.013	31.4	0.212	0.5	857	0.6
Side	①~②	50.000	57.250	1.145	36.4	0.077	0.5	278	0.6
	②~③	50.000	59.500	1.190	38.0	0.144	0.5	549	0.6
	③~④	50.000	56.750	1.135	36.0	0.212	0.5	762	0.6

ϵ : allowance (=1mm)

Calculation Results of Skin plate under PMF

Span of main girders and hydrostatic pressure

		p_1	3.415 t/m ²
l_1	0.685 m	p_2	4.100 t/m ²
l_2	0.670 m	p_3	4.770 t/m ²
l_3	0.680 m	p_4	5.450 t/m ²
l_4	0.040 m	p_5	5.490 t/m ²

Loads for each skin plate

p'_1	3.758 t/m
p'_2	4.435 t/m
p'_3	5.110 t/m

Stress

Locati on	Member	a	b	b/a	k	p'	t	σt	t_0
		Short side of a rectangle	Long side of a rectangle		Factor	Hydraulic pressure kgf/cm ²	Plate thickness cm	Stress kgf/cm ²	$t_0=t+\epsilon$
		cm	cm				cm		
Center	①~②	57.250	57.500	1.004	31.1	0.376	0.5	1530	0.6
	②~③	57.500	59.500	1.035	32.2	0.444	0.5	1889	0.6
	③~④	56.750	57.500	1.013	31.4	0.511	0.5	2067	0.6
Side	①~②	50.000	57.250	1.145	36.4	0.376	0.5	1366	0.6
	②~③	50.000	59.500	1.190	38.0	0.444	0.5	1687	0.6
	③~④	50.000	56.750	1.135	36.0	0.511	0.5	1838	0.6

ϵ : allowance (=1mm)

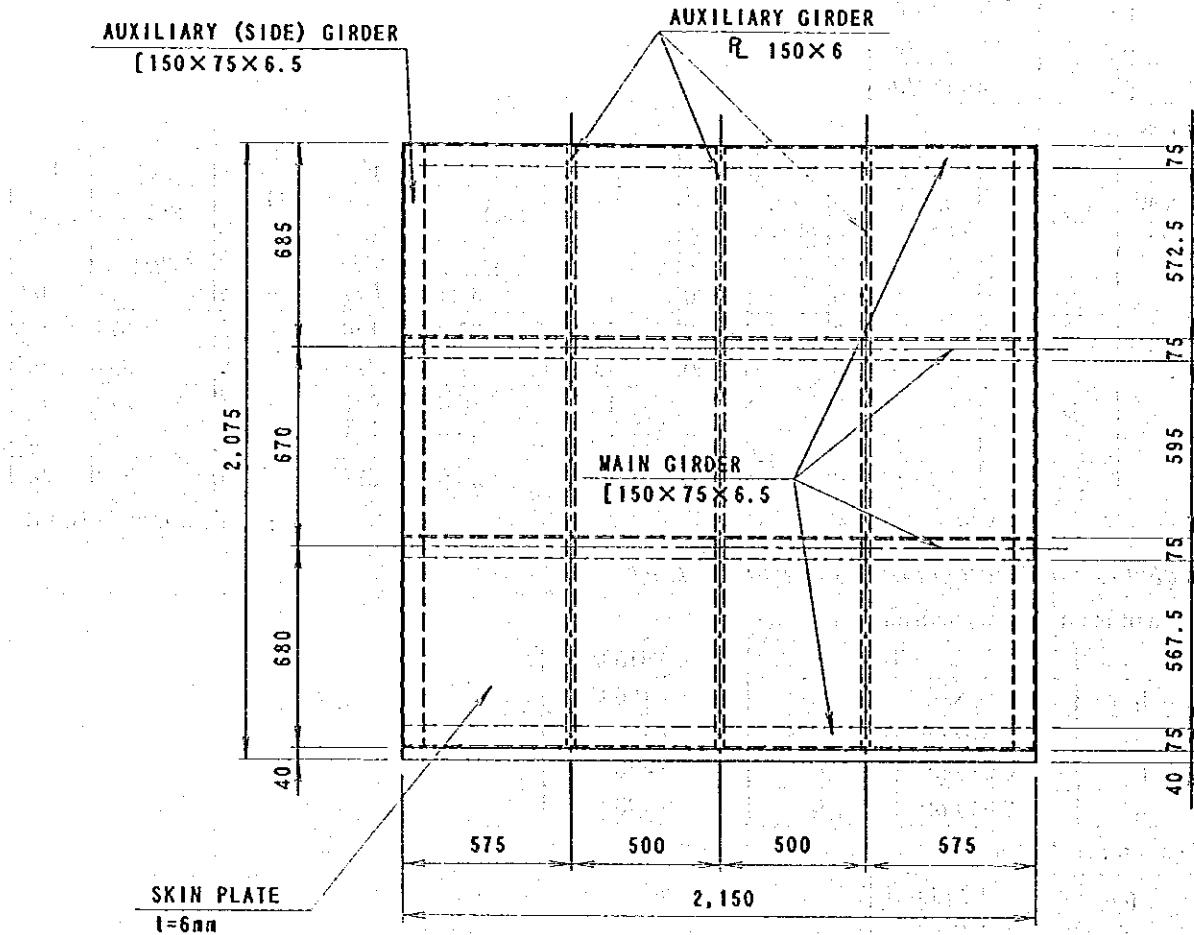


Fig.3.8.17 Dimension of Tailrace Gate