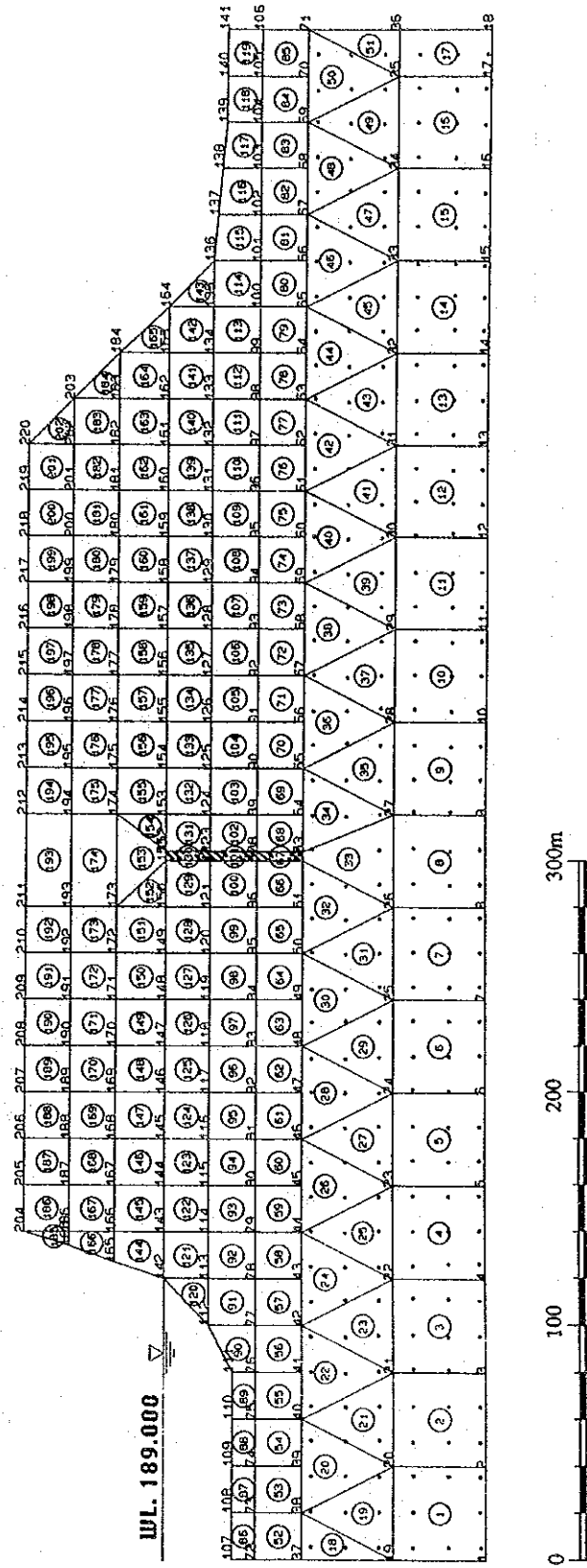
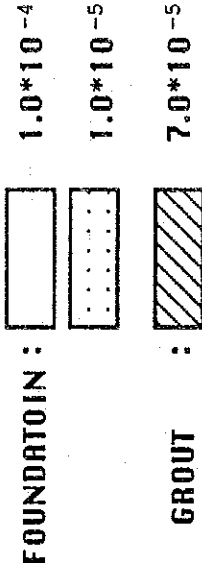


PERMEABILITY
COEFFICIENT (cm/sec)




MATERIAL

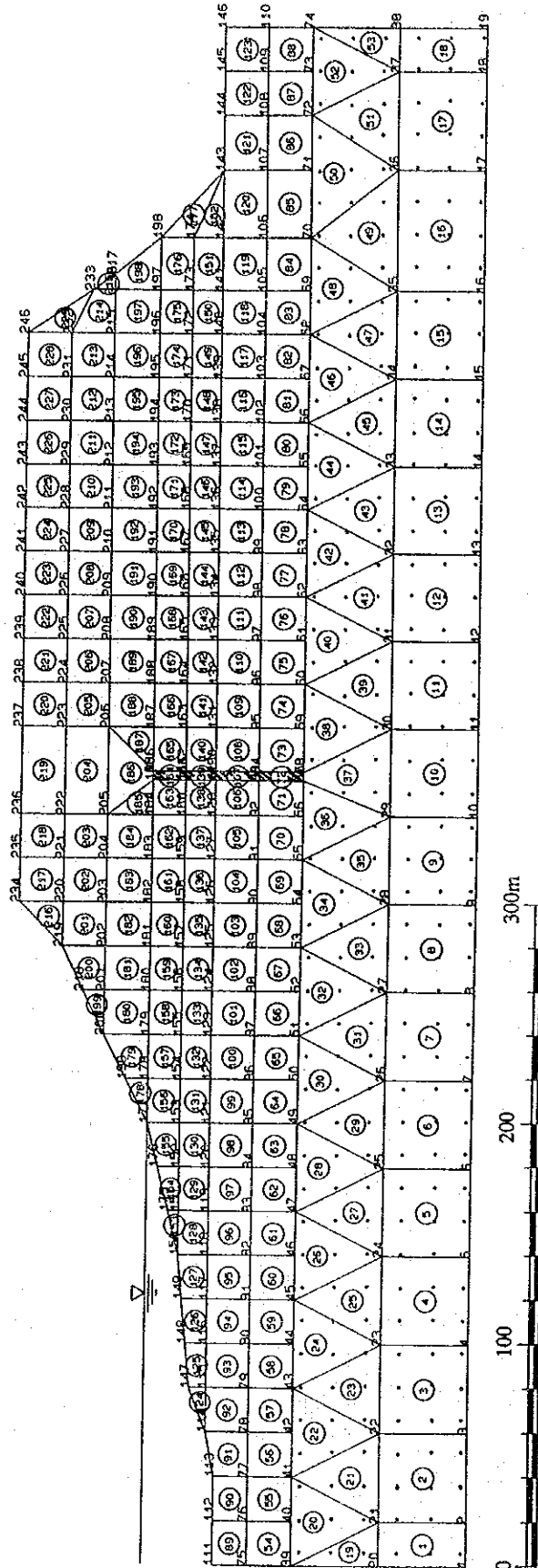


MODEL FOR F.E.M. SEEPAGE ANALYSIS
(LEFT BANK, SECTION A-A)

GOVERNMENT OF MAURITIUS
PORT LOUIS WATER SUPPLY PROJECT
JAPAN INTERNATIONAL COOPERATION AGENCY

MATERIAL PERMEABILITY
COEFFICIENT (cm/sec)

- FOUNDATION :**
-  1.0×10^{-4}
 -  1.0×10^{-5}
- GROUT :**
-  7.0×10^{-5}



MODEL FOR F.E.M. SEEPAGE ANALYSIS
(LEFT BANK, SECTION B-B)

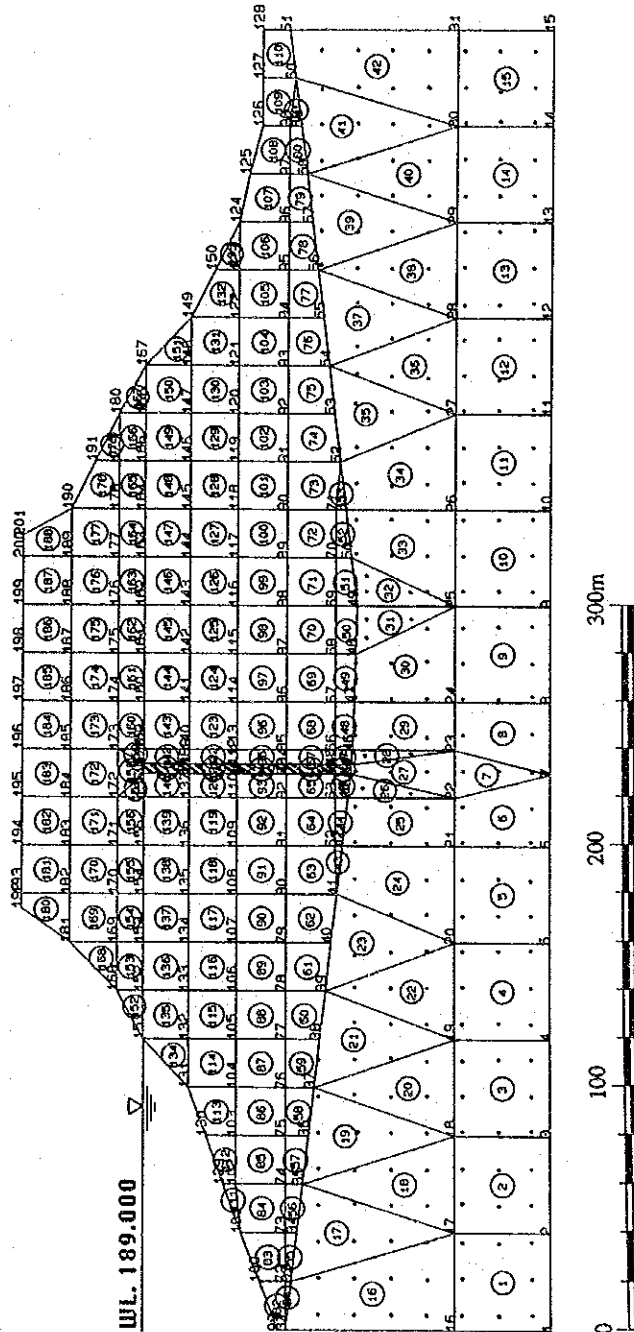
GOVERNMENT OF MAURITIUS
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PERMEABILITY
COEFFICIENT (cm/sec)

MATERIAL

- FOUNDATION : 1.0×10^{-4}
- : 1.0×10^{-5}
- GROUT : 7.0×10^{-5}



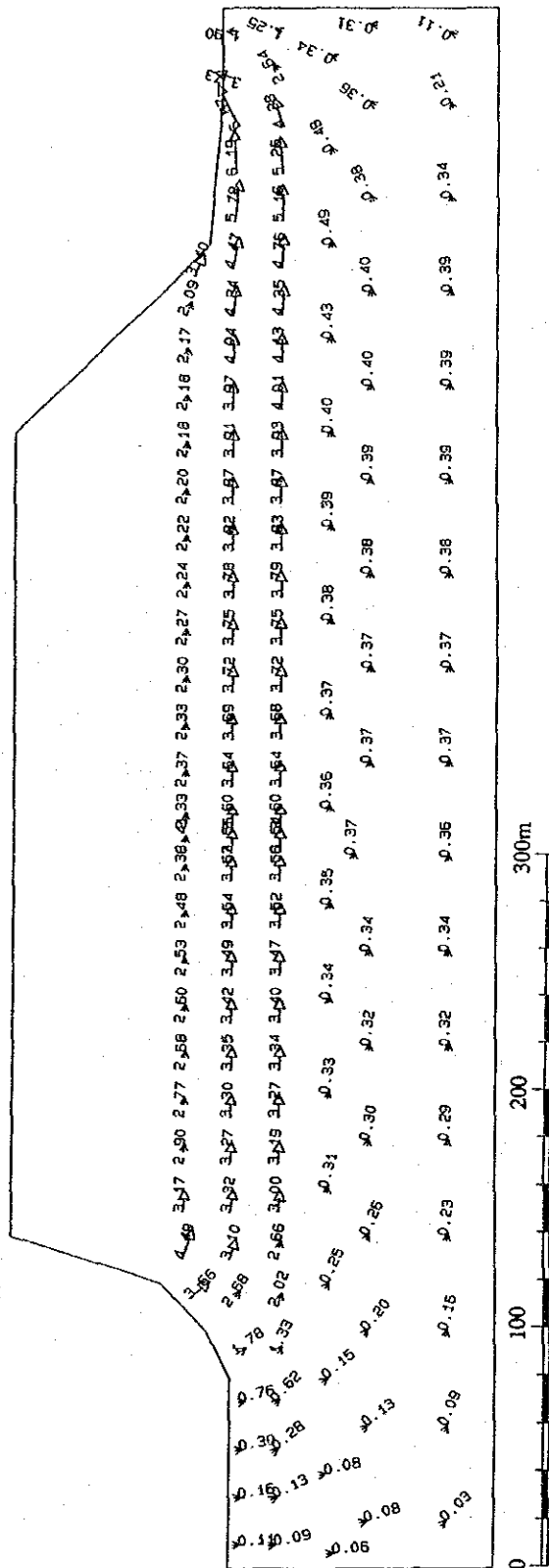
MODEL FOR F.E.M. SEEPAGE ANALYSIS
(LEFT BANK, SECTION C-C)

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PORT LOUIS WATER SUPPLY PROJECT

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Fig. 3.9.7

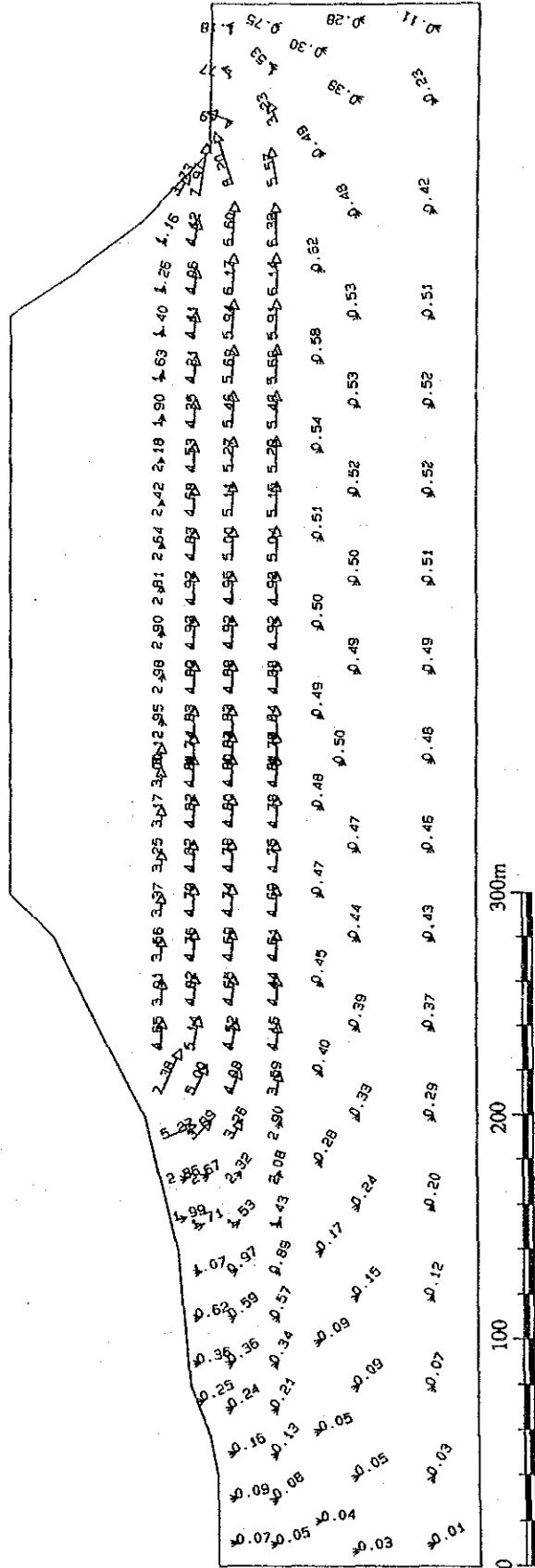
Velocity of Element
Unit : mm/day



**VELOCITY OF ELEMENT
(LEFT BANK, SECTION A-A)**

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Velocity of Element
Unit : mm/day

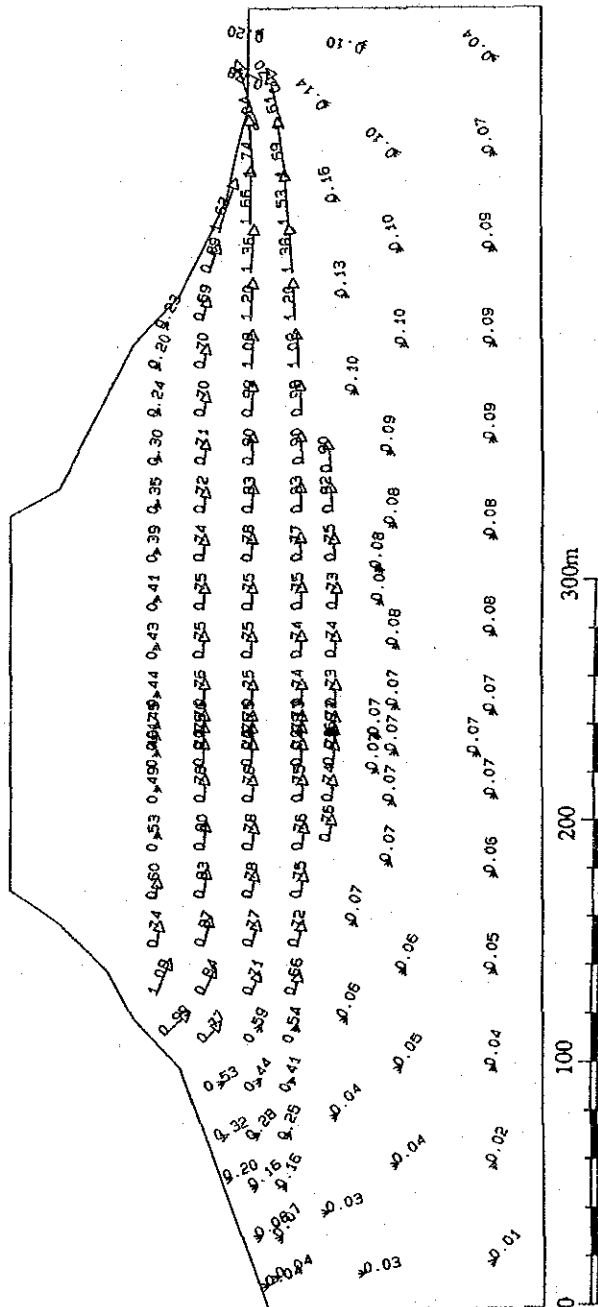


VELOCITY OF ELEMENT
(LEFT BANK, SECTION B-B)

GOVERNMENT OF MAURITIUS
PORT LOUIS WATER SUPPLY PROJECT

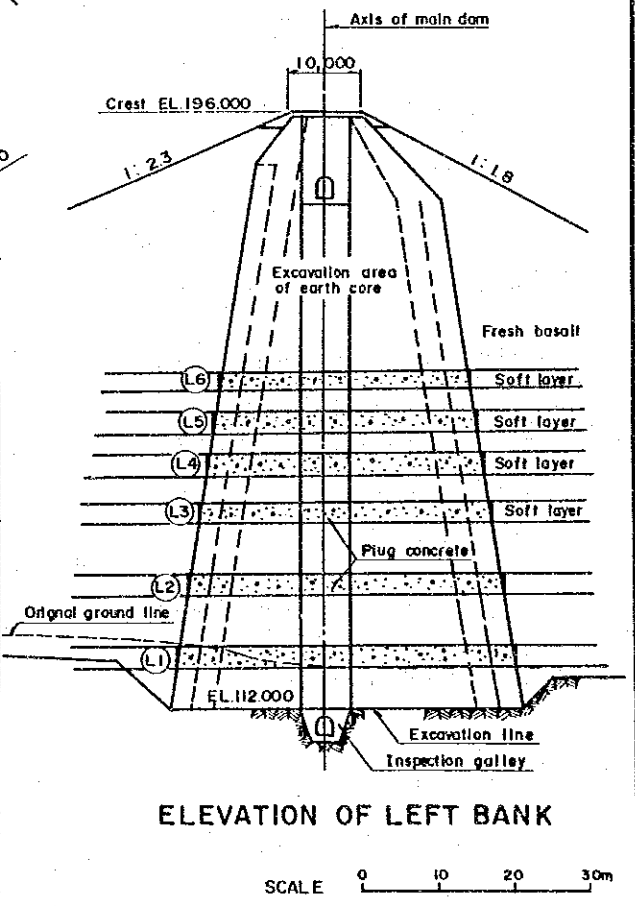
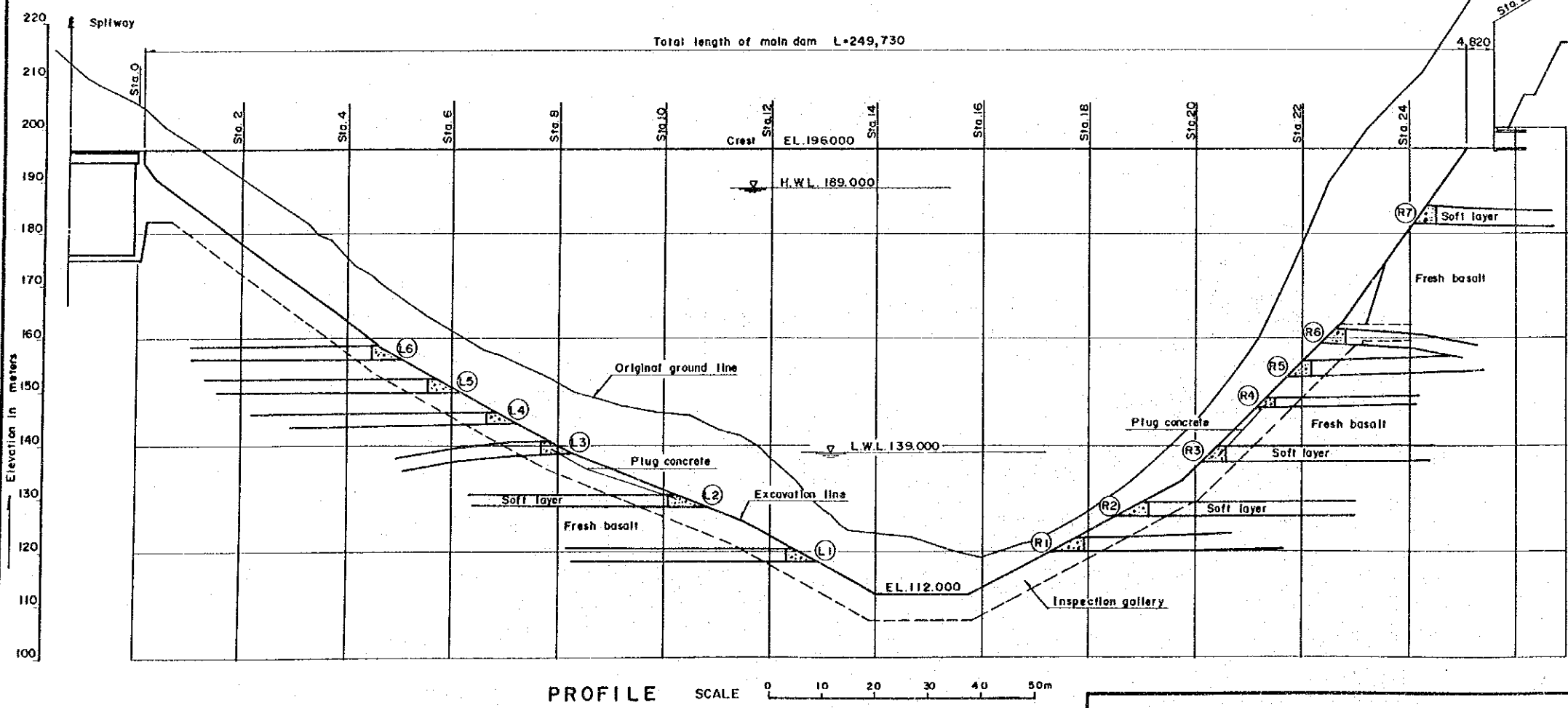
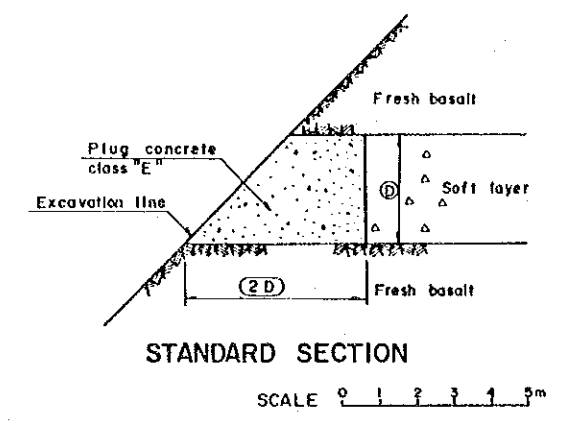
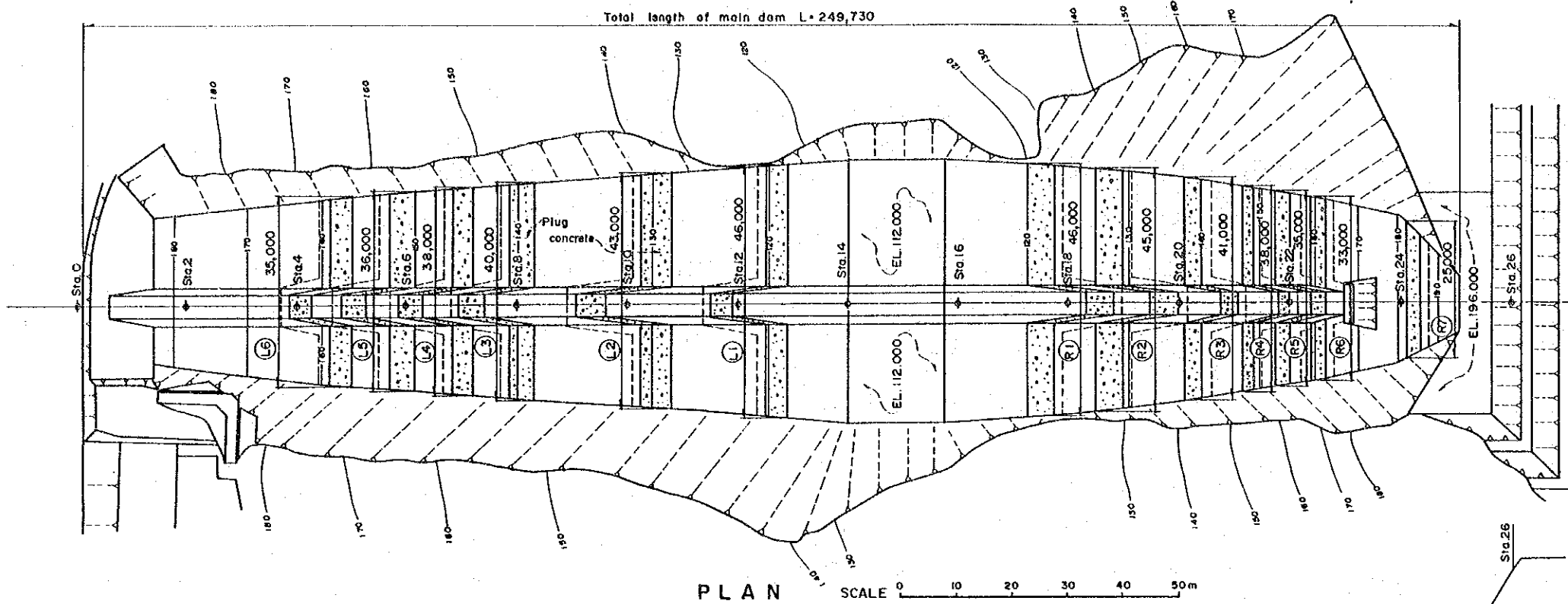
JAPAN INTERNATIONAL COOPERATION AGENCY

Velocity of Element
Unit : cm/day

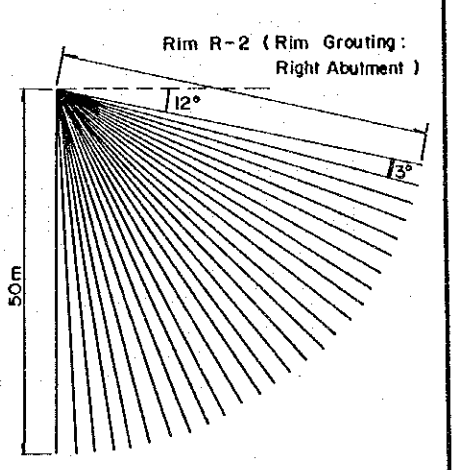
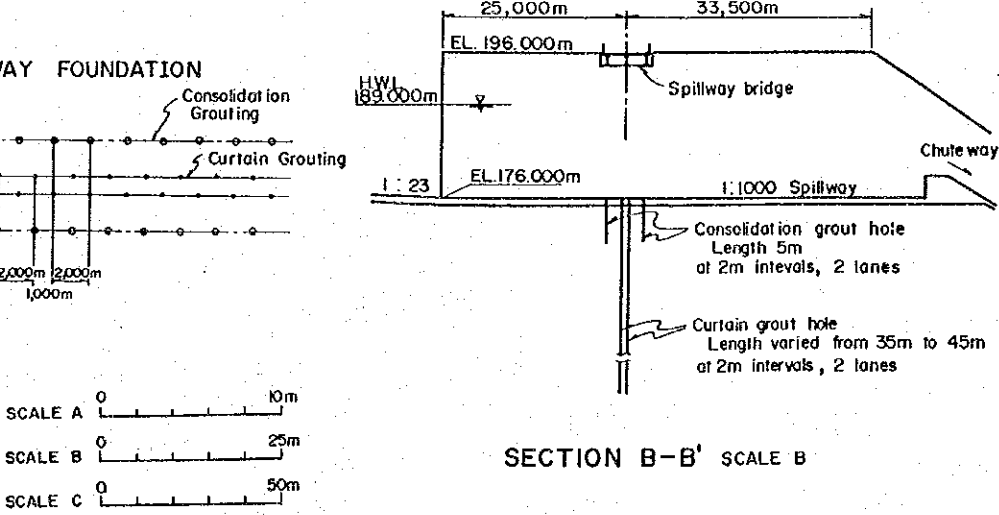
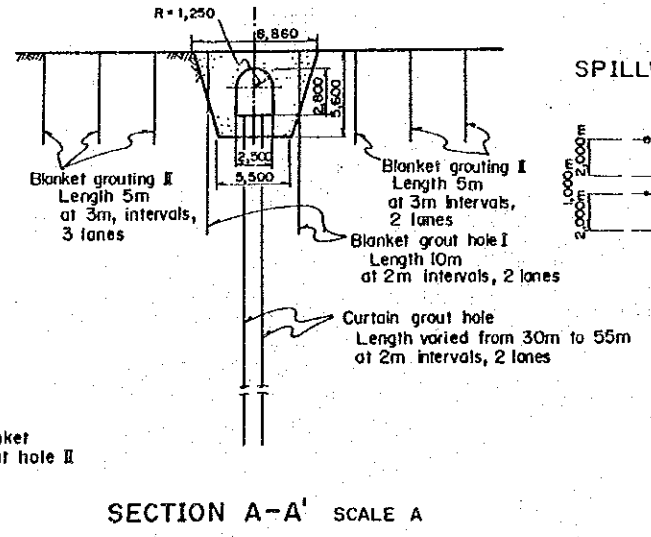
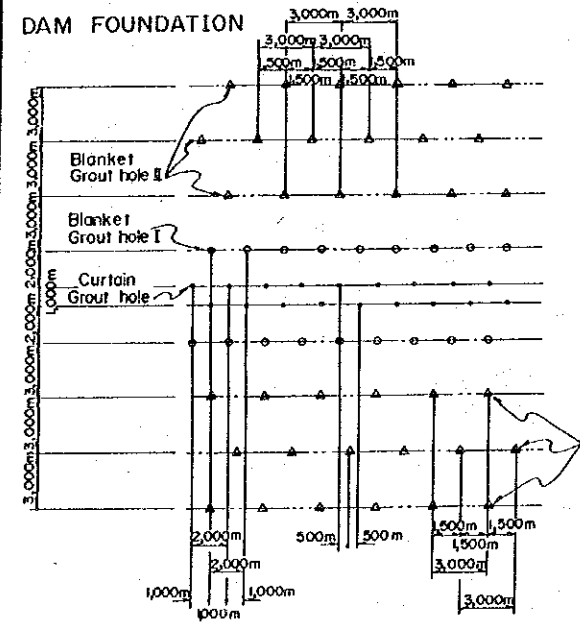
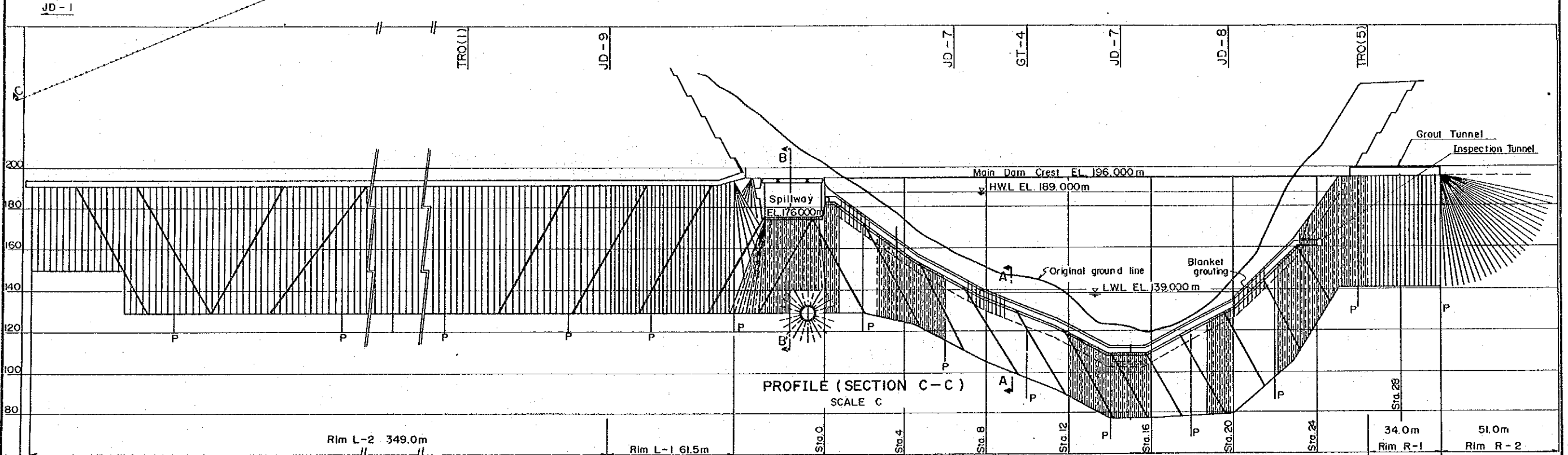
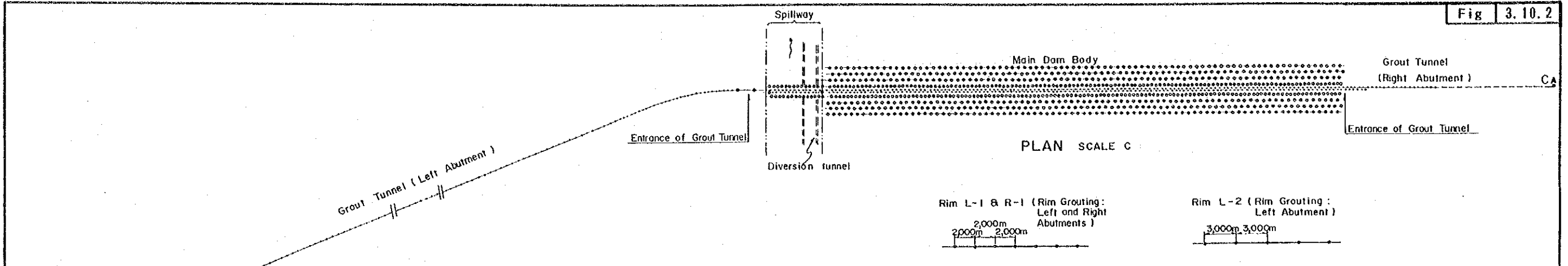


VELOCITY OF ELEMENT
(LEFT BANK, SECTION C-C)

GOVERNMENT OF MAURITIUS
PORT LOUIS WATER SUPPLY PROJECT
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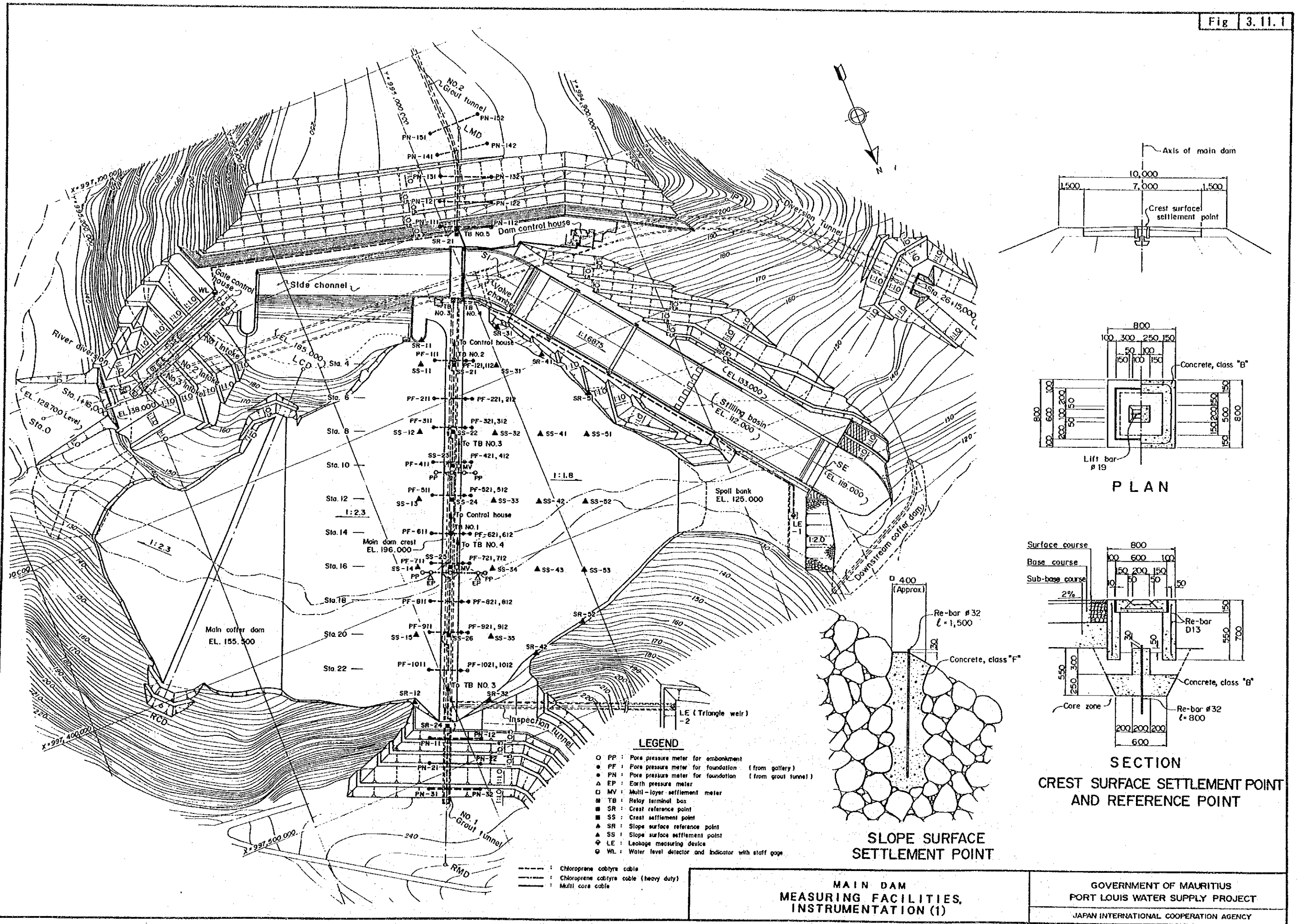
- Notes;
- 1) Location and details of soft layers are indicative and can vary.
 - 2) Depth of plug concrete shown is indicative, and may be changed as required by the Engineer.
 - 3) Excavation levels indicated may change to suit actual site conditions.



Note:
 1) The arrangement indicated in this Drawing is subject to change to suit actual site conditions.

MAIN DAM
 DAM FOUNDATION TREATMENT

GOVERNMENT OF MAURITIUS
 PORT LOUIS WATER SUPPLY PROJECT
 JAPAN INTERNATIONAL COOPERATION AGENCY

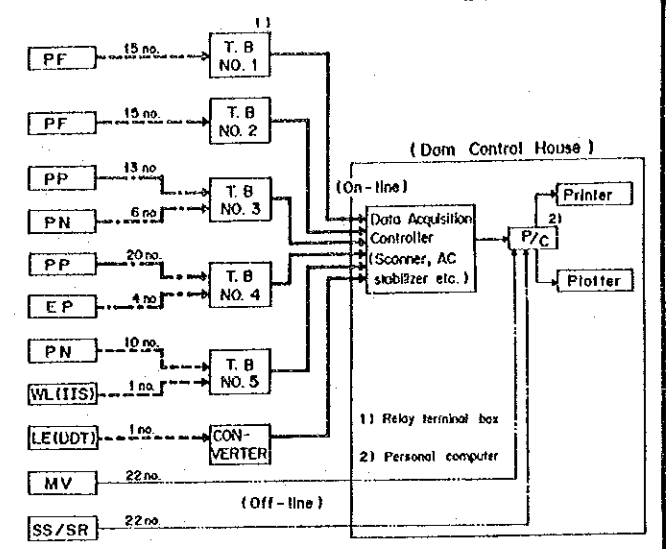
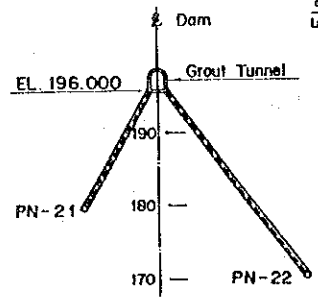
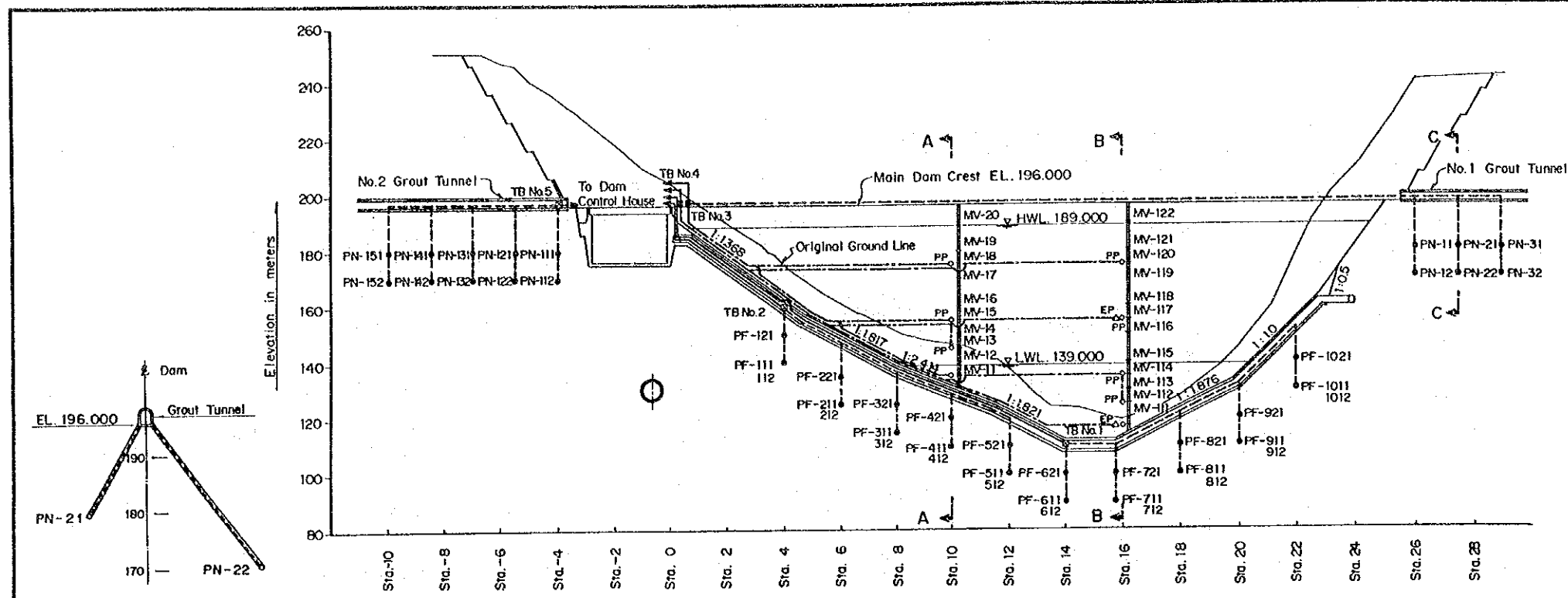


- LEGEND**
- PP : Pore pressure meter for embankment
 - PF : Pore pressure meter for foundation (from gallery)
 - PN : Pore pressure meter for foundation (from grout tunnel)
 - △ EP : Earth pressure meter
 - MV : Multi-layer settlement meter
 - TB : Relay terminal box
 - SR : Crest reference point
 - SS : Crest settlement point
 - ▲ SR : Slope surface reference point
 - ▲ SS : Slope surface settlement point
 - ◆ LE : Leakage measuring device
 - WL : Water level detector and indicator with staff gage

- Chloroprene cable
- Chloroprene cable (heavy duty)
- Multi core cable

**MAIN DAM
MEASURING FACILITIES,
INSTRUMENTATION (1)**

GOVERNMENT OF MAURITIUS
PORT LOUIS WATER SUPPLY PROJECT
JAPAN INTERNATIONAL COOPERATION AGENCY

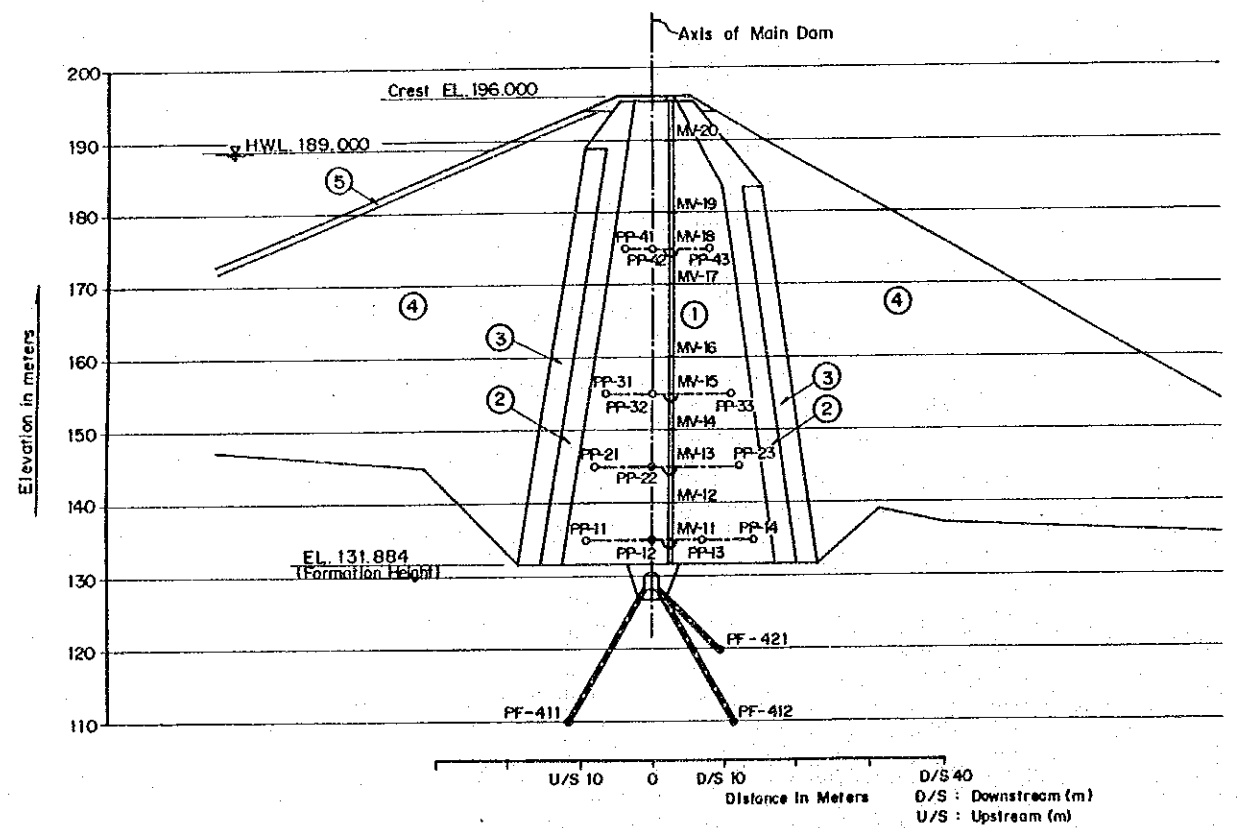


Note : () shows location as follows
 IIS - In Intake Inclined step
 ODT - at dam downstream toe

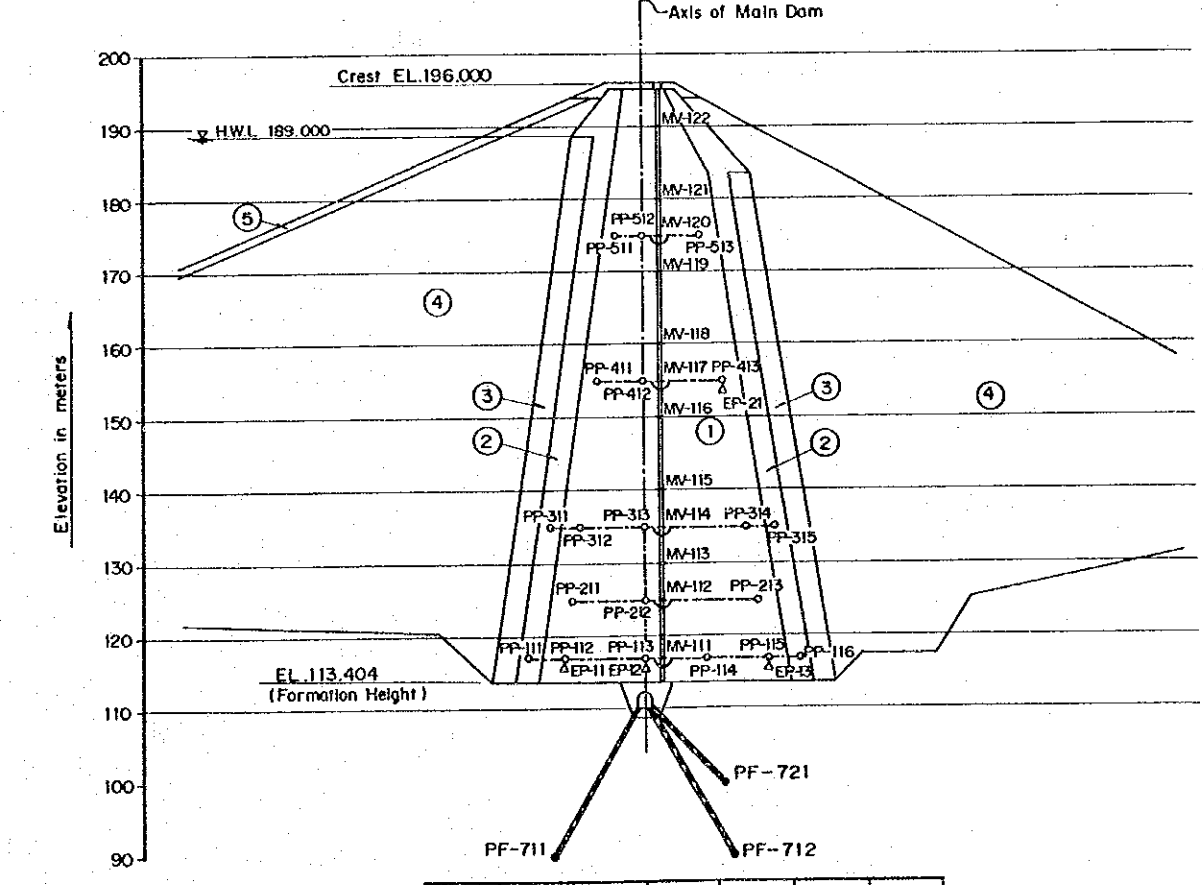
OVERALL BLOCK DIAGRAM OF INSTRUMENTATION FOR MEASURING APPARATUS

SECTION C-C SCALE B

PROFILE SCALE A



SECTION A-A (Sta. 10) SCALE B



SECTION B-B (Sta. 16) SCALE B

- LEGEND**
- PP : Pore Pressure Meter for Embankment
 - PF : Pore Pressure Meter for Foundation (from Gallery)
 - PN : Pore Pressure Meter for Foundation (from Grout Tunnel)
 - △ EP : Earth Pressure Meter
 - ≡ MV : Multi-Layer Settlement Meter
 - ☒ TB : Relay Terminal Box
 - Chloroprene Cable
 - Chloroprene Cable (Heavy Duty)
 - Multi Core Cable
 - ◆ LE : Leakage measuring device
 - ◆ WL : Water level detector and indicator with staff gage

Symbol	Zone
①	Impervious Core
②	Fine Filter
③	Coarse Filter
④	Rock
⑤	Riprap

MAIN DAM MEASURING FACILITIES, INSTRUMENTATION (2)

GOVERNMENT OF MAURITIUS
 PORT LOUIS WATER SUPPLY PROJECT
 JAPAN INTERNATIONAL COOPERATION AGENCY

CHAPTER IV. DESIGN OF SPILLWAY

4.1 General

The type and location of the spillway are determined through comparative studies on conceivable alternatives as follows:

- As for the discharge carrier of the spillway, an open chuteway type and a tunnel type to utilize the diversion tunnel are conceivable. Comparative studies on the above two types come to the following conclusion: that is, the safety for handling floods will seriously be lessened in the case of the tunnel type. Besides that, any cost advantage or other merits are not expected in the tunnel type in the case of this project. Hence, the open chuteway type is selected.
- Alternative locations for the spillway are considered on the right and left abutments. A comparative study between both locations reveals that the spillway to be located on the left abutment will give a cost advantage mainly due to the topographic conditions, coming to a conclusion that the spillway should be located on the left abutment.
- Three (3) types of the spillway control structure are conceivable: (i) gate control type, (ii) uncontrolled type (non-gated) and (iii) combined type of (i) and (ii) above. Out of the three (3) types, the uncontrolled type (non-gated type) is adopted for the project, especially regarding the safety as important. The proposed type of spillway control structure will ensure a high safety by avoiding floods due to malfunction or misoperation of spillway gates.
- As for the type of uncontrolled weir, a side channel type which reduces the excavation volume is evidently most suitable from the economical point of view.

With regard to the energy dissipator, a horizontal apron type energy dissipator with an end sill (a stilling basin type of energy dissipator) is selected through comparative studies on other three (3) types of the hydraulic jump type, inclined apron type and roller bucket type as follows:

- (i) Three types of the hydraulic jump type, inclined apron type and roller bucket type require an excessive excavation for the bottom of energy dissipator because their hydraulic mechanism requires to lower the bottom elevation sufficiently below the downstream water level.

The above does not make these types justifiable economically.

- (ii) The ski-jump type requires a large plunge pool for energy dissipation of the energetic jet. An examination indicates the plunge pool of 100 m length, 30 m width and 13 m depth would be required. This type indicates a slight cost advantage (93% of the cost for the stilling basin type). However, the type has a high possibility to cause a remarkable scouring of the river bed or banks due to an very energetic jet. It is considered desirable to avoid the occurrence of such environmental and other unexpected troubles.

4.2 Hydraulic Design of Spillway

Probable flood peak discharges are analyzed as follows:

Return Year (Year)	Peak Discharge (m ³ /sec)	Specific Discharge (m ³ /sec/km ²)	Creager's C
10	440	8	17
20	520	9	19
100	1,040	18	37
200	1,200	22	46
P.M.F.	1,890	35	72

P.M.F.: Probable Maximum Flood

Fig. 4.2.1 shows the hydrographs of the above probable floods.

P.M.F. of 1,890 m³/s is taken as the spillway design flood which is required to safely be handled with the necessary freeboard by the spillway. On the one hand, 100-year flood is taken as the design flood of the energy dissipator, meaning that the dissipator will completely dissipate the flood discharge energy up to 100-year probable flood magnitude.

The above is based on the consideration that damages of energy dissipator if any or incomplete energy dissipation will not result in any fatal failure of the project and that about 100-year flood magnitude should be taken as its design flood from an economic aspect.

However, side walls of the energy dissipator should not be overtopped by P.M.F. since the overtopping may damage the main dam.

The Basic Design prepared the design for the spillway based on hydraulic analyses, which is shown in Fig. 4.2.2 as the original design of the spillway. In view that the spillway is a very important structure, and therefore, confirmations of its hydraulic details and adjustments where necessary are essential, a hydraulic model test of the spillway was carried out.

Details of results of the hydraulic model test are presented in the Spillway Hydraulic Model Test Report in detail.

Major items pointed out in the hydraulic model test of the spillway are as follows:

(1) Improvement of abutments of the overflow weir

Contracted flows at both abutments of the overflow weir would obstruct the discharge capacity of the overflow weir. Training walls with 12 m length should be provided towards the reservoir at the abutments on both banks, and the shape of upstream end of the wall should be circular with a radius of 4.5 m.

With the above improvement, the relationship between discharge coefficient (C) and overflow depth (H) is expressed as follows:

$$C = -0.0301 \cdot H^2 + 0.2645 \cdot H + 1.5827$$

At F.W.L. EL. 193.5 m (H=4.5 m), C is given as 2.16.

(2) Weir crest length

It is impossible to satisfy completely the necessary discharge capacity of the weir even after improvement of the abutments. As such, the length of overflow weir crest should be extended. If the length is extended by 2 m beyond the original length of 90 m, the discharge at F.W.L. EL. 193.5 m will be 1,897 m³/sec as calculated below, satisfying the necessary capacity.

$$\begin{aligned} Q &= C \cdot B \cdot H^{3/2} \\ &= 2.16 \times 92.0 \times 4.5^{3/2} = 1,897 \text{ m}^3/\text{sec} \end{aligned}$$

(3) Improvement of the transition channel

From the aspect of the Froude number which is desirable to be less than 0.5, the required height of the sill should be around 4.0 m. However, the sill height of 3.0 m is recommended to maintain a perfect overflow on the weir.

In order to enhance the effect of stilling of the sill, the sill should be provided downstream from the bend. A contracted flow occurs along the side wall of the bend on the right bank due to insufficient distance between the bend of the transition channel and the sill. It makes the overflow on the sill and flow regime in the chuteway undesirable. Thus, the length of the transition channel should be extended.

Further, the alignment of the transition channel should be of more smooth curve.

As a result of the tests, the proposed shape of the transition channel is given in Fig. 4.2.3 as the revised design. In this design, shock waves in the chuteway and eccentric hydraulic jump in the stilling basin disappear and adequate stilling effect is obtained.

(4) Modification of bottom slope of side channel

The tests confirmed that the flow regime would be satisfactory, when the elevation at upstream end of the side channel is about 1.0 m higher than the elevation of the sill crest. Since the sill crest is raised by 2.0 m, the elevation at the upstream end of the side channel is also raised by 2.0 m, resulting in the elevation of EL. 180.0 m at the upstream end of the side channel and the bottom slope of the side channel of 1 to 23 which is considered a reasonable value.

(5) Depth of stilling basin

For the discharge of $1,040 \text{ m}^3/\text{sec}$ (100-year flood), the hydraulic jump in depth 9 m is apt to become submerged flow, and the flow regime in depth 7 m, is critical for the hydraulic jump. In the case of depth 8 m, the most desirable hydraulic jump was observed in the examination.

For the discharge of $1,890 \text{ m}^3/\text{sec}$ (P.M.F), the hydraulic jump is not perfect and in turbulence for any depth. The hydraulic jump for depth 9.0 m and 8.0 m are fairly stable, while for depth 7.0 m super-critical flow appears in the stilling basin, and the hydraulic jump is considerably unstable.

As a result of the examination, it is reasonable that the depth of stilling basin be 8.0 m. Under such condition, the flow is in strong jump, and the water will overflow sometimes with intermittent fluctuation of the water surface due to turbulence. Hence, the side wall should be made more high to prevent overflow.

(6) Provision of chute block

By providing chute blocks at the entrance of the stilling basin, the hydraulic jump would be more stable. For the case of six chute blocks with height 2.0 m, width 2.5 m, intermittent fluctuation of water surface hardly appears and it is confirmed that the hydraulic jump is quite stable. Hence, the height of side wall could be minimized by adopting the chute blocks.

(7) Chuteway

The height of side walls in the chuteway should be 7.0 m so as to safely discharge P.M.F of 1,890 m³/sec with a freeboard over 1.5 m.

It is found on the basis of the results of the model test that the design of the spillway should be as shown in Fig. 4.2.3. Hydraulic conditions for this final design are given in Figs. 4.2.4 to Fig. 4.2.9.

4.3 Structural Design of Spillway

4.3.1 Stability Analysis

4.3.1.1 General

The spillway is a side channel type with an open chuteway, having dimensions of about 30 m in width, about 364 m in length and 75 m in height.

The spillway is composed of the following components:

- (i) Side channel
- (ii) Chuteway
- (iii) Stilling basin (Energy dissipator)

These structures are the reinforced concrete structure with anchor bars.

4.3.1.2 Design Value

The design values for examining the stability of the structures are determined on the basis of the field test results and/or the design standards and are summarized as follows:

(1) Unit weight

Material	Unit Weight (t/m ³)
Concrete	2.40
Water	1.00
Backfill material (wet)	1.94
(submerged)	1.23
Impervious core for dam embankment (wet)	1.72
(submerged)	0.80
Rock and riprap for dam embankment (wet)	2.14
(submerged)	1.37

(2) Internal friction angle (ϕ) and cohesion (C)

Material	ϕ (deg)	C (t/m ²)
Backfill material (Free Draining)	36	0
Foundation rock : Highly weathered	35	20
Slightly weathered	40	190
Impervious core for dam embankment	30	0
Rock and riprap for dam embankment	40	0

(3) Friction coefficient with concrete

Material	Coefficient
Concrete to concrete	0.65
Concrete to rock	0.55

(4) Modulus of elasticity (E) and Poisson's ratio (P)

Material	E (kg/cm ²)	P
Reinforced concrete (SIG28 = 180 kg/cm ²)	2.4 x 10 ⁵	0.2
(SIG28 = 210 kg/cm ²)	2.55 x 10 ⁵	0.2
Steel (reinforcement bar)	2.1 x 10 ⁶	0.3

- Note: 1) SIG28 means compressive strength at the age of 28 days.
2) Reinforced concrete of SIG28 = 210 kg/cm² is applied only to spillway bridge.

(5) Seismic coefficient

Horizontal component	Kh	0.05
Vertical component	Kv	0

(6) Allowable stress

(A) Reinforced concrete

SIG28 (kg/cm ²)	Allowable stress (kg/cm ²)				
	Compression	Tension	Shearing*	Bond	Bearing
180	60	-	4, 8	14	54
210	70	-	4.25, 8.5	16	63

* The first value is for beam and second for slab.

(B) Steel (reinforcement bar)

Tensile stress (ultimate) 3,000 kg/cm²

(C) Foundation rock

Bearing stress 100 t/m²

4.3.1.3 Design Criteria

Design criteria for stability analyses of the spillway structure follow the standards for retaining walls and are summarized below:

(1) Body force

Dead load is a self weight of structure including weight of earth, water and others are as formulated below.

$$W = U_w \cdot V \text{ (or } U_w \cdot A \text{)}$$

- where, W : dead load (t)
 U_w : unit weight (t)
 V : volume (in case of 3-dimensional calculation)
 A : area (in case of 2-dimensional calculation)

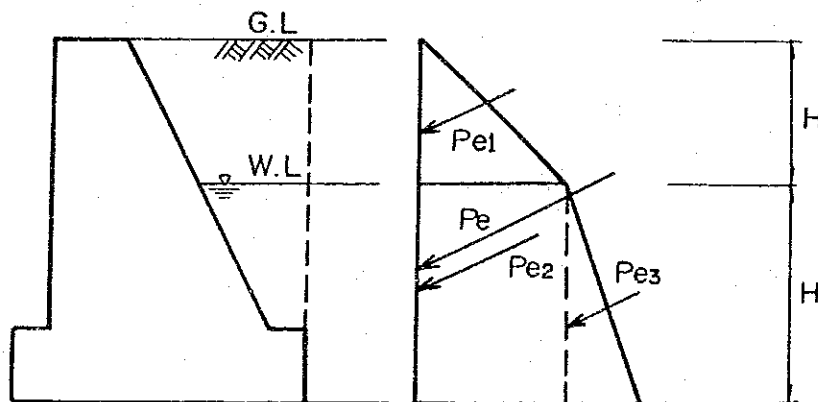
Seismic force originated in self weight above is calculated by the following formula.

$$W_s = K_h \cdot W$$

- where, W_s : seismic force (t)
 K_h : seismic coefficient

(2) Earth pressure

Earth pressure acting on the structures is given as follows:



$$P_e = P_{e1} + P_{e2} + P_{e3}$$

$$= \frac{1}{2} K \gamma_{wet} H^2 + K \gamma_{sub} H H' + \frac{1}{2} K \gamma_{sub} H'^2$$

- where, P_e : earth pressure (t)
 K : coefficient of earth pressure
 γ_{wet} : unit weight of earth in wet condition (t/m^3)
 γ_{sub} : unit weight of earth in submerged condition (t/m^3)
 H : height from ground level to water level (m)
 H' : height below water level (m)

Coefficient of Coulomb's active earth pressure shown below is applied for the load of structural calculation.

- under normal condition

$$k_a = \frac{\cos^2(\phi - \theta)}{\cos^2\theta \cdot \cos(\theta + \delta) \cdot \left(1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \alpha)}{\cos(\theta + \delta) \cdot \cos(\theta - \alpha)}}\right)^2}$$

where, θ : inclination of the back with the vertical

ϕ : internal friction angle of backfill material

δ : angle of wall friction between the back and backfill material

α : surface slope of back fill with the horizontal

- under seismic condition

$$k_{ae} = \frac{\cos^2(\phi - \theta_0 - \theta)}{\cos\theta_0 \cdot \cos^2\theta \cdot \cos(\delta + \theta + \theta_0) \cdot \left(1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - \alpha - \theta_0)}{\cos(\delta + \theta + \theta_0) \cdot \cos(\theta - \alpha)}}\right)^2}$$

where, θ_0 : combined angle = $\tan^{-1} K_h / (1 - K_v)$

K_h : horizontal component of seismic coefficient

K_v : vertical component of seismic coefficient

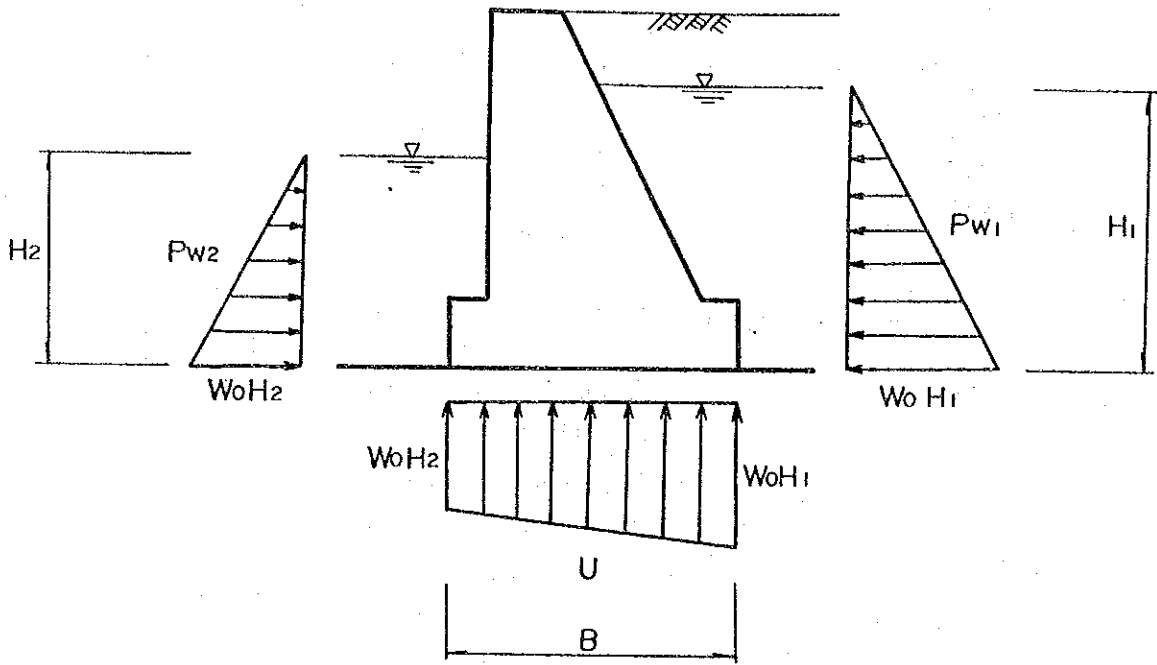
θ, ϕ, δ and α : above-mentioned

The following values are adopted for wall friction angle (δ) in accordance with conditions:

Condition	δ
Stability calculation (earth to earth), normal	ϕ
Stability calculation (earth to earth), seismic	$\phi/2$
Stress calculation (earth to concrete), normal	$\phi/3$
Stress calculation (earth to concrete), seismic	0

(3) Hydraulic pressure

Hydraulic pressures act on the structure are as follows:



Static water pressure $P_{w1} = \frac{1}{2} W_o H_1^2$
 $P_{w2} = \frac{1}{2} W_o H_2^2$

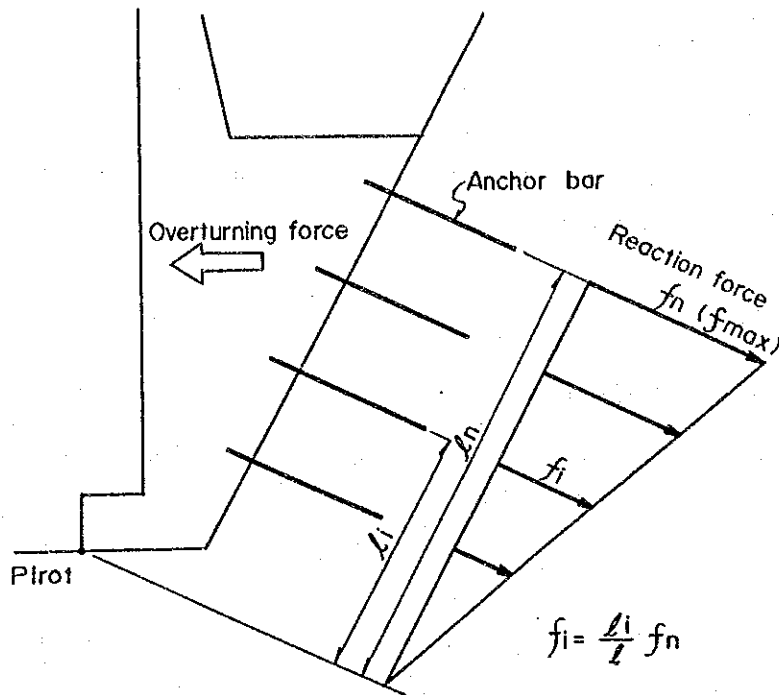
where, P_{w1}, P_{w2} : Static water pressure (t)

U : uplift pressure (t)

W_o : unit weight of water (t/m^3)

(4) Resisting force of anchor bar

As a concrete structure is assumed to be rigid, the reaction force to be caused in a series of anchor bars is proportional to the distance from overturning pivot as follows:



The expected maximum resisting force in the uppermost anchor bar is

$$f_{\max} = \sigma_{su} \cdot A_s$$

where, f_{\max} : maximum resisting force (kg)

σ_{su} : tensile stress (ultimate) of steel bar (kg/cm^2)

A_s : sectional area of steel bar (cm^2)

Anchor bar	σ_{su} (kg/cm^2)	A_s (cm^2)	f_{\max} (t)
D25	3,000	5.067	15.201
D29	3,000	6.424	19.272
D32	3,000	7.942	23.826

Total resisting moment is calculated by the following equation.

$$M_{ra} = \sum_{i=1}^n f_i \cdot l_i = \sum_{i=1}^n \frac{f_n}{l_n} \cdot l_i^2$$

- where, M_{ra} : total resisting moment of anchor bars (t.m)
 f_i : resisting force of each anchor bar (t)
 l_i : distance from overturning pivot to anchor bar (m)
 f_n : resisting force of uppermost anchor bar (t)
 l_n : distance from overturning pivot to uppermost anchor bar (m)
 n : numbers of anchor bars

(5) Stability calculation

(A) Stability against sliding

Stability against sliding is judged by the safety factor calculated below.

$$F_s = \frac{f\Sigma V + \tau A + H_a}{\Sigma H}$$

- where, F_s : safety factor for sliding
 ΣV : sum of vertical forces (t)
 ΣH : sum of horizontal forces (t)
 τ : shearing strength (= 20 t/m² from result of soil test)
 A : area of horizontal base (m²)
 H_a : Resisting force of anchor bar (t) (Horizontal component)

(B) Stability against overturning

Stability against overturning is examined by the following equation.

$$F_s = \frac{\Sigma Mr}{\Sigma Mt}$$

- where, F_s : safety factor for overturning
 ΣMr : sum of resisting moment (t.m)
 ΣMt : sum of overturning moment (t.m)

(C) Stability against bearing capacity of foundation

Bearing stress of foundation is calculated as below:

$$q = \frac{\Sigma V}{B} < q_a$$

- where, q : maximum bearing stress of foundation (t/m^2)
 q_a : allowable bearing stress of foundation (t/m^2)
 ΣV : sum of vertical force (t)
 B : projected base (m)

(D) Safety factor requirement

Condition of stability	Loading condition	
	Normal	Extreme*
Safety factor for sliding	1.5	1.2
Safety factor for overturning (for retaining wall of reinforced type)	1.5	1.2

* Flood or seismic conditions

4.3.1.4 Analysis

(1) Analysis for Side Walls

Stability analyses for the side walls of the side channel, transition portion, chuteway and stilling basin are made in Table 4.3.1 to Table 4.3.12.

Cases and loading conditions of the stability analyses are summarized as follows (As for section name, reference is made to figures of spillway structure design):

Section of Wall	Loading Case No.	Conditions of Loading
(a) Side Channel: (Section C-C)	Case I	- Normal condition
		- It is assumed that water from the reservoir comes to the back side of the wall under the condition of side channel empty.
	Case II	- Water pressure above HWL of the reservoir is considered to be released through drain system.
		- Seismic condition
		- This case considers that under the condition of Case I above.

- | | | |
|--|---------|---|
| (b) Transition
portion
(Section G-G) | Case I | - Normal condition |
| | | - This case also assumes that water pressure from the reservoir acts to the back side of the wall. |
| | Case II | - Seismic condition |
| | | - The case considers the seismic force acts to the wall under the condition of Case I above. |
| (c) Chuteway:
(Section A-A) | Case I | - Normal condition |
| | | - The case does not consider any water pressure from back side of the wall since water will be drained by the drain system provided in the back side of the wall. |
| | Case II | - Seismic condition |
| | | - Seismic force is loaded under the above Case I. |
| (d) Stilling basin:
(Section E-E) | Case I | - Normal condition |
| | | - Water levels are considered to be balanced at EL. 120.0 m between the stilling basin side and back side of the wall. |
| | Case II | - Seismic condition |
| | | - Seismic force is loaded under the above Case I. |

- | | | |
|-----|---------------------------------|--|
| | Case III | - Flood condition |
| | | - Water level in the stilling basin side is set at EL. 120.0 m. (Hydraulic model test indicates the water level in the stilling basin does not lower below EL. 120.0 m at flooding time) |
| | | - Water level in back side of the wall is set at EL. 126.0 m which is the uppermost level in the back side of the wall at flooding time. Water above EL. 126.0 m will be drained through weep holes. |
| (e) | Stilling basin
(Section I-I) | Case I - Normal condition |
| | | - No water pressure in the stilling basin side is assumed with earth and water pressure in back side of the wall. |
| | | Case II - Seismic condition |
| | | - Seismic force is loaded under the above Case I. |
| | | Case III - Flood condition |
| | | - FWL EL. 132.0 m up to which water level will rise is assumed in the stilling basin side. |

(2) Examination on Length of Anchor Bar in Side Walls

Anchor bars are required to be examined on the shearing strength around bore hole and on the bond strength between anchor bar and mortar.

Then, necessary length to withstand the acting force has to be provided for the anchor bar.

Assuming the bore hole diameter of 64 mm and reinforcement bar diameter of D29 mm, the necessary length of anchor bar is examined as follows :

$$F_1 = \pi \cdot D_1 \cdot \tau_1 \cdot l = 3.14 \times 6.4 \times 2 \times 100 = 4,019 \text{ kg/m}$$

$$F_2 = \pi \cdot D_2 \cdot \tau_2 \cdot l = 3.14 \times 2.9 \times 14 \times 100 = 12,748 \text{ kg/m}$$

where, F_1 : shearing strength around bore hole for anchor bar per meter (kg/m)
 F_2 : bond strength between anchor bar and mortar for anchor bar per meter (kg/m)
 D_1 : diameter of bore hole (cm)
 D_2 : diameter of anchor bar (cm)
 τ_1 : shearing strength around bore hole (2 kg/cm^2 for highly weathered rock)
 τ_2 : bond strength between anchor bar and mortar (14 kg/cm^2), and
 l : length of anchor bar (100 cm)

As seen above, the shearing strength around bore hole is much less than the bond strength between anchor bar and mortar. Thus, the necessary length of anchor bar is determined on the basis of the shearing strength around bore hole.

The necessary length of anchor bar is calculated by the following equation :

$$l = l_0 + F_{\max} / (\pi \cdot D_1 \cdot \tau_1)$$

where, l : necessary length of anchor bar (m),
 F : maximum tensile force of anchor bar (kg),
 D_1 : diameter of bore hole ($64 \times 10^{-3} \text{ m}$),
 τ_1 : shearing strength around bore hole ($2 \times 10^4 \text{ kg/m}^2$), and
 l_0 : loose depth of rock due to excavation work (0.5m)

The necessary length of anchor bar will be as follows :

For D29 anchor bar :

$$\begin{aligned} l &= 0.5 + 19.272 \times 10^3 / (3.14 \times 64 \times 10^{-3} \times 2 \times 10^4) \\ &= 5.295 \text{ (m)} \end{aligned}$$

For D25 anchor bar :

$$\begin{aligned} l &= 0.5 + 15.201 \times 10^3 / (3.14 \times 64 \times 10^{-3} \times 2 \times 10^4) \\ &= 4.282 \text{ (m)} \end{aligned}$$

(3) Examination on Anchor Bar in Side Channel Slab

The side channel slab will be subject to uplift pressure under the condition of side channel empty, requiring anchor bars to withstand the uplift pressure. The anchor bars of D29 will be provided under the slab at 1.0 m interval.

Tensile force acting to anchor bar, tensile stress of anchor bar and necessary length of anchor bar after the flood (P.M.F) are examined as follows :

Tensile force acting to one anchor bar :

$$\begin{aligned}\text{Body force} & : W = 1.0\text{m} \times 1.0\text{m} \times 1.5\text{m} \times 2.4\text{t/m}^3 = 3.6 \text{ t} \\ \text{Uplift} & : U = (193.5 - 176.0) \text{t/m}^2 \times 1.0\text{m} \times 1.0\text{m} = 17.5 \text{ t} \\ \text{Acting Force} & : F = U - W = 17.5 - 3.6 = 13.9 \text{ t}\end{aligned}$$

Tensile stress of anchor bar :

$$\begin{aligned}\sigma_s = F/A_s & = 13,900 \text{ kg} / 6.602 \text{ cm}^2 = 2,105 \text{ kg/cm}^2 \\ F_s & = 3,000 / 2,105 = 1.43 > 1.2\end{aligned}$$

Necessary length of anchor bar :

The shearing strength around bore hole determines the necessary length of anchor bar as follows :

$$\begin{aligned}l & = l_0 + F / (\pi \cdot D_1 \cdot \tau_1) \\ & = 0.5 + 13,900 / (3.14 \times 64 \times 10^{-3} \times 2 \times 10^4) \\ & = 3.96 \text{ m}\end{aligned}$$

(4) Examination on Anchor Bar in Stilling Basin Slab

The stilling basin slab will be subject to the remaining uplift pressure after floods. Hence, anchor bars are provided to withstand the above uplift pressure. D32 anchor bars will be provided at 1.5m interval. Tensile force acting to the anchor bar, its tensile stress and necessary length of the anchor bar are examined below :

Tensile force acting to one anchor bar :

The loading condition considers the following case that is, the water level in the stilling basin will rise up to EL.132.0m during the flood (P.M.F). The water level will lower down to EL.120.0m (the top elevation of end sill) after the flood. However, the uplift pressure of EL. 132.0m will remain under the stilling basin slab.

Thus,

$$\begin{aligned}\text{Body force} & : W = (2.4 \times 1.5 + 1.0 \times 8.0) \times 2.25 = 26.10 \text{ t} \\ \text{Uplift} & : U = (132 - 112) \times 2.25 = 45.0 \text{ t} \\ \text{Acting Force} & : F = U - W = 45.0 - 26.10 = 18.9 \text{ t}\end{aligned}$$

Tensile stress of anchor bar :

$$\begin{aligned}\sigma_s = F / A_s & = 18,900\text{kg} / 8.038 \text{ cm}^2 = 2,351 \text{ kg/cm}^2 \\ F_s & = 3,000 / 2,351 = 1.28 > 1.2\end{aligned}$$

Necessary length of anchor bar :

The shearing strength around bore hole is the factor to determine the necessary length of anchor bar which is calculated as follows :

$$\begin{aligned} l &= l_0 + F / (\pi \cdot D_1 \cdot \tau_1) \\ &= 0.5 + 18,900 / (3.14 \times 64 \times 10^{-3} \times 2 \times 10^4) \\ &= 4.7 \text{ m} \end{aligned}$$

(5) Analysis for Overflow Weir

The stability analysis for the spillway overflow weir is made in Table 4.3.13 to Table 4.3.15.

The analysis is made for the following three (3) loading condition :

- (i) Normal condition :
This case assumes that the reservoir water level is at H.W.L EL.189.0 m and that the base of the weir is subject to the full uplift pressure of 5.5 m (EL.189.0 - EL.183.5).
- (ii) Seismic condition :
In this case, the seismic force acts to the weir under the above normal condition.
- (iii) After the flood (P.M.F) :
This case assumes that the base of the weir is subject to the remaining uplift pressure of 10.0 m (EL.193.5 - EL.183.5) after the flood (P.M.F).

As seen in the analyses, anchor bars will be required to withstand the loading condition after the flood (P.M.F). D29 anchor bars will be provided at 2.0 m interval. Necessary length of anchor bar which is determined by the shearing strength around bore hole is $l = 5.295 \text{ m}$ (= 5.5m).

4.3.2 Stress Analysis of Reinforced Concrete

Reinforced concrete stress analyses for the spillway side walls are made in Table 4.3.16 to Table 4.3.20, based on bending moments, shear forces and axial forces acting to the walls, of which calculations are given in the Data Book.

In the analyses, the allowable stresses are increased by 50 % for such tentative and rare cases as the seismic and flood conditions in accordance with the standard.

As seen in the analyses, the reinforcement bar arrangement of D19 @ 200 which is considered minimum requirement of the reinforcement bars for the structure will withstand the acting forces.

4.4 Spillway Bridge

4.4.1 General

The spillway structure is located on the left abutment of the damsite. The spillway is a side channel type with an open chute way.

A bridge is required to cross this open channel at the dam crest level of EL. 196.0 m. The total length of the bridge is 29.8 m. Its span is 29.0 m in terms of the length between two supports. From an economical point of view, the bridge is provided with an effective width of 6.0 m which is the minimum width for traffic to pass each other.

The bridge is designed as the second-order bridge for which the design car load is specified to be 14.0 ton with the following consideration: that is, although the dam design is based on a consideration that the possibility of utilization of dam crest as a traffic road is not ruled out, its road will not be a trunk road but a branch road.

The bridge is designed as a composite girder in which the acting loads are borne by both the girder and floor slab. This section presents the main parts of the design analyses consisting of those on the composite girder. Reference is made to the Data Book with regard to analyses on other detailed parts.

4.4.2 Design Condition

The design conditions of the spillway bridge which is based on the Specification for Road Bridge by Japan Society of Road are summarized below:

- Total length	29.8 m
- Span	29.0 m
- Class of bridge	Second-order
- Bridge type	Composite girder
- Total width	7.2 m
- Effective width	6.0 m

- Pavement thickness 50 mm
- Floor slab thickness 180 mm
- Allowable stress:
 - Compressive strength of concrete 77.1 kg/cm²(*)
 - Tensile stress of reinforcement steel bar (SS41) 1,400 kg/cm²(**)
 - Tensile and compressive stress of shape steel (SM50Y) 2,100 kg/cm²(**)
 - Shearing stress of reinforcement bar (SS41)..... 800 kg/cm²(**)
 - Shearing stress of shape steel (SM50Y)..... 1,200 kg/cm²(**)

(*) It is specified that the concrete strength of base slab should not be less than 270 kg/cm² and that its allowable stress be 1/3.5 times the above concrete strength.

(**) These allowable stresses also follow the Specification for Road Bridge by Japan Society of Road.

- Increase of allowable stress for concrete:

The allowable compressive strength of concrete is allowed to increase by 15% in the case that the temperature difference between base slab and steel girder is taken into consideration.

- Increase of allowable stress for shape steel:

The Specification allows to increase the allowable stress of shape steel as follows:

Loading Condition		Increase of Allowable Stress (%)	
(1)	Main loading except the effect due to creep and drying shrinkage	0	
(2)	Main loading including the effect due to creep and drying shrinkage	Compressive side	15
		Tension side	0
(3)	(2) + Effect due to temperature difference between base slab and steel girder	Compressive side	30
		Tension side	15
(4)	Construction stage	Compressive side	25
		Tension side	25

The design allows the above increase of the allowable stress.

- Temperature difference between base slab and steel girder 10°C
- Seismic coefficient 0.05
- Wind speed 40 m/sec.

4.4.3 Design Calculation

(1) Analysis of composite girder

Fig. 4.4.1 shows the frame plan, section and dimensions of the composite girder. As seen, the composite girder of bridge consists of three (3) main girders (G-1, G-2, G-3) and seven (7) crossing frames.

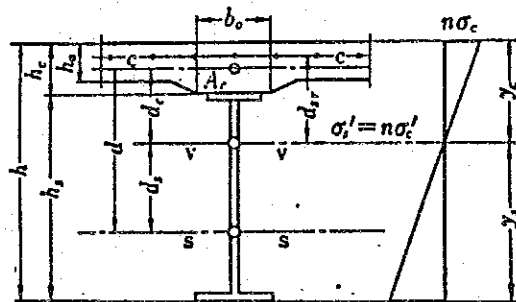
Fig. 4.4.2 and 4.4.3 show the loading conditions. Fig. 4.4.2 shows the loading condition before compounding the base slab and steel girders, and Fig. 4.4.3 shows that after compounding. As mentioned, the bridge is designed as the second-order bridge for which the car load of 14 ton is taken into consideration as the live load. The Specification mentions for this condition that the design should consider the live load and uniform load of 3.5 ton/m and 0.245 ton/m² respectively with a width of 5 m (A half of the above is imposed on the remaining width). Thus, the loading condition considers the above live load in addition to the dead load as seen in Figures.

The analysis of the composite girder is made in Table 4.4.1 to 4.4.12. Table 4.4.1 to 4.4.3 presents the bending moments and shearing forces to occur in the frames due to the loadings. Table 4.4.4 to 4.4.12 analyze the stresses to arise in the composite girder. Fig. 4.4.4 to 4.4.6 summarize all results of analyses on the composite girder. As seen in Fig. 4.4.4 to 4.4.6, all the stresses to be caused by the loadings are within the allowable stresses, and the composite girder will safely withstand the loadings.

(2) Major formula used for stress analysis

Major formula used for the stress analysis are as follows:

Stress due to the bending moment:



where,

- v - v : Neutral axis of composite girder
- c - c : Center of gravity of concrete section
- s - s : Center of gravity of steel girder
- A_c : Sectional area of concrete section
- A_s : Sectional area of steel girder section
- $n = E_s/E_c =$ Young modulus ratio between steel and concrete ($n = 7.0$)

The stress are calculated as follows:

$$\begin{aligned}\sigma_c &= M \cdot y_c / I_v, & \sigma_c' &= M \cdot y_c' / I_v \\ \sigma_s &= n \cdot M \cdot y_s / I_v, & \sigma_s' &= n \cdot \sigma_c'\end{aligned}$$

where,

- σ_c : Stress in upper edge of concrete
- σ_c' : Stress in lower edge of concrete
- σ_s : Stress in lower edge of steel
- σ_s' : Stress in upper edge of steel
- I_v : Moment of inertia of area for neutral axis of composite girder (v-v)
 $I_v = I_s + \frac{1}{n} \cdot I_c + A_s \cdot d_s^2 + \frac{1}{n} \cdot A_c \cdot d_c^2$
- I_s : Moment of inertia of area for axis of center of gravity of steel girder (s-s)
- I_c : Moment of inertia of area for axis of center of gravity of concrete (c-c)
- M : Bending moment

Stress due to creep:

The stress due to creep is obtained by the following formula:

$$\sigma_{cu} = \frac{N_c}{A_c} - \frac{M_c}{I_c} \cdot Y_{cu}$$

$$\sigma_{cl} = \frac{N_c}{A_c} - \frac{M_c}{I_c} \cdot Y_{cl}$$

$$\sigma_{su} = \frac{N_s}{A_s} - \frac{M_s}{I_s} \cdot Y_{su}$$

$$\sigma_{sl} = \frac{N_s}{A_s} - \frac{M_s}{I_s} \cdot Y_{sl}$$

$$N_c = -N_s = -N_{c0} (1 - e^{-F(\varphi)})$$

$$N_{CO} = -N_{SO} = -\frac{d_c A_c}{n I_v} \cdot M_O$$

$$M_S = d \cdot N_C$$

$$M_C = \frac{H}{1 - F} (e^{-F\phi_1} - e^{-\phi_1})$$

where,

σ_{cu} : Stress due to creep at upper edge of concrete

σ_{cl} : Stress due to creep at lower edge of concrete

σ_{su} : Stress due to creep at upper edge of steel girder

σ_{sl} : Stress due to creep at lower edge of steel girder

N_C and N_S : Incremental axial force due to creep acting to center of gravity of concrete slab and steel girder, respectively

M_C and M_S : Incremental bending moment due to creep acting to center of gravity of concrete slab and steel girder, respectively

N_{CO} and N_{SO} : Axial force at time $T=0$ acting to center of gravity of concrete slab and steel girder, respectively

M_{CO} and M_{SO} : Bending moment at time $T=0$ acting to center of gravity of concrete slab and steel girder, respectively

y_{cu} : Distance from neutral axis of concrete slab to its upper edge

y_{cl} : Distance from neutral axis of concrete slab to its lower edge

y_{su} : Distance from neutral axis of steel girder to its upper edge

y_{sl} : Distance from neutral axis of steel girder to its lower edge

ϕ_1 : Creep coefficient from time $T=0$ to $T=\infty$ ($\phi_1 = 2.0$ is specified to be used in the case of the composite girder)

M_O : Bending moment acting to composite girder

$$F = \frac{1}{1 + \frac{A_c}{n A_s} + \frac{A_c d^2}{I_c + n I_s}}$$

$$H = \frac{I_c}{n I_s} d F N_{CO}$$

Stress due to temperature difference (between concrete slab and steel girder):

The stress due to temperature difference between concrete slab and steel girder is obtained by the following formula:

$$\pm \sigma_{cu} = \frac{N_C}{A_c} - \frac{M_C}{I_c} \cdot y_{cu}$$

$$\pm\sigma_{cl} = \frac{N_c}{A_c} + \frac{M_c}{I_c} \cdot Y_{cl}$$

$$\pm\sigma_{su} = \frac{N_s}{A_s} - \frac{M_s}{I_s} \cdot Y_{su}$$

$$\pm\sigma_{sl} = \frac{N_s}{A_s} + \frac{M_s}{I_s} \cdot Y_{sl}$$

$$N_c = -N_s = \frac{\alpha t E_s}{\frac{n}{A_c} + \frac{1}{A_s} + \frac{nd^2}{I_c + nI_s}}$$

$$M_c = N_c d \frac{I_c}{I_c + nI_s}$$

$$M_s = N_c d \frac{nI_c}{I_s + nI_s}$$

where,

- σ : Incremental stress due to temperature difference
- α : (1.2×10^{-5})
- t : Temperature difference between concrete slab and steel girder (10°C is specified to be used as standard)
- N_c : Incremental axial force due to temperature difference acting to center of gravity of concrete slab
- M_c : Incremental bending moment due to temperature difference acting to center of gravity of concrete slab
- M_s : Incremental bending moment due to temperature difference acting to center of gravity

Stress due to shrinkage of concrete slab:

The stress due to shrinkage of concrete slab is obtained by the following equations:

$$\sigma_{su} = \frac{N_s}{A_s} - \frac{M_c}{I_c} \cdot Y_{su}$$

$$\sigma_{sl} = \frac{N_s}{A_s} + \frac{M_s}{I_s} \cdot Y_{sl}$$

$$\sigma_{cu} = \frac{N_c}{A_c} - \frac{M_c}{I_c} \cdot Y_{cu}$$

$$\sigma_{cl} = \frac{N_c}{A_c} + \frac{M_c}{I_c} \cdot Y_{cl}$$

$$N_s = N_c = \frac{\epsilon_s \cdot E_s}{\frac{n\phi}{A_c} + \frac{1}{A_s} + \frac{n\phi d^2}{I_c + n\phi I_s}}$$

$$M_s = \frac{n\phi I_s}{I_c + n\phi I_s} N_c d$$

$$M_c = \frac{I_c}{I_c + n\phi I_s} N_c d$$

$$n\phi = n \left(1 + \frac{\phi_2}{2}\right) \quad (\phi_2 = 4.0)$$

where,

σ : Incremental stress due to shrinkage of concrete slab

ϵ_s : Final rate of shrinkage (18×10^{-5})

N_c and M_c : Incremental axial force and bending moment due to shrinkage acting to center of gravity of concrete slab

N_s and M_s : Incremental axial force and bending moment due to shrinkage acting to center of gravity of steel girder

TABLES

Table 4.3.1: STABILITY ANALYSIS OF SPILLWAY STRUCTURE
(Side Channel Wall, Section C-C, Loading Case I)

Load	V (t)	H (t)	X (m)	Y (m)	Mv (t.m)	MH (t.m)
Body force	W1		2.848		401.645	
Earth force	W2		4.955		363.419	
Water pressure	Pw	105.125		4.833		508.104
Earth pressure	Pe	11.407		16.833		192.023
Uplift	U	-55.825	2.567		-143.284	
Total		158.545	116.532		621.779	700.128

Max. Resisting Force of Anchor Bar: Fa = 66.093 (t) (1.5m pitch)

- Vertical component: Va = 18.992 (t)

- Horizontal component: Ha = 63.306 (t)

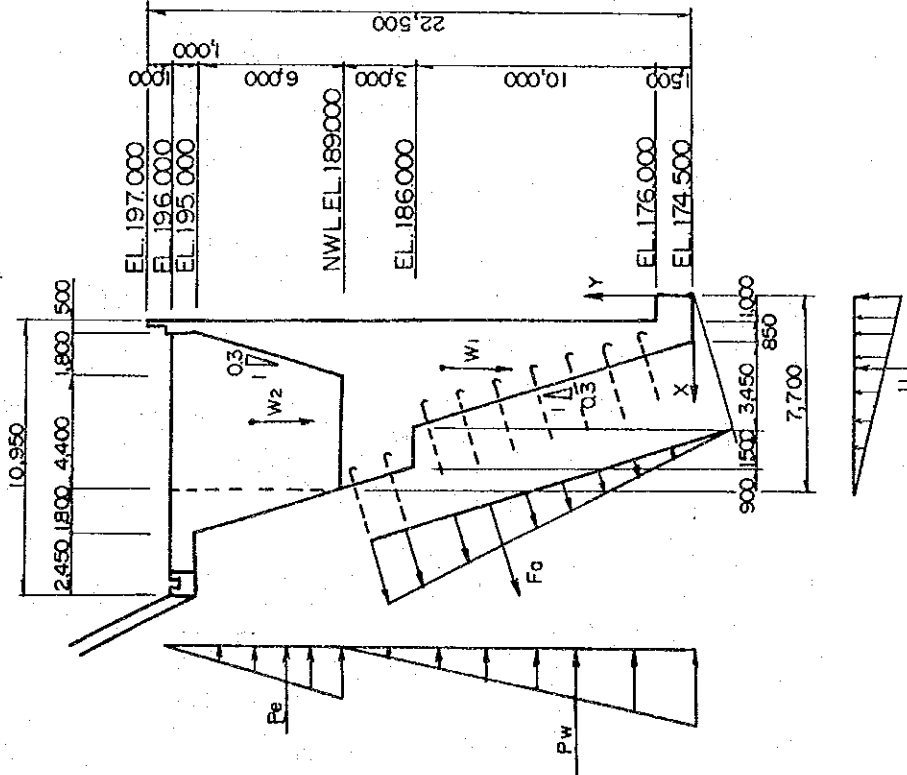
Max. Resisting Moment of Anchor Bar: Ma = 713.008 (t.m)

Safety factor for sliding: $F_s = \frac{f \cdot \Sigma V + \tau \cdot A + H_a}{\Sigma H} = \frac{0.55 \times 158.545 + 20 \times 3.35 + 63.306}{116.532} = 1.87 > 1.5$

Safety factor for overturning: $F_s = \frac{\Sigma Mr}{\Sigma Mt} = \frac{621.779 + 713.008}{700.128} = 1.906 > 1.5$

Safety for bearing: $q = \frac{\Sigma V}{B} = \frac{158.545 + 18.992}{7.7} = 23.06 \text{ t/m}^2 < 100 \text{ t/m}^2$

Note: As for Section name, see Figures of spillway structure design.



SECTION AND LOADING CONDITION

Table 4.3.2: STABILITY ANALYSIS OF SPILLWAY STRUCTURE
(Side Channel Wall, Section C-C, Loading Case II)

Load	V (t)	H (t)	X (m)	Y (m)	Mv (t.m)	MH (t.m)
Body force	W1	7.052	2.848	10.312	401.645	72.713
Earth force	W2	3.667	4.955	18.213	363.419	66.788
Water pressure	Pw	105.125		4.833		508.104
Earth pressure	Pe	12.469		16.833		209.889
Uplift	U	-55.825	2.567		-143.284	
Total		158.545	128.312		621.779	857.494

Max. Resisting Force of Anchor Bar: $F_a = 66.093$ (t) (1.5m pitch)

- Vertical component: $V_a = 18.992$ (t)

- Horizontal component: $H_a = 63.306$ (t)

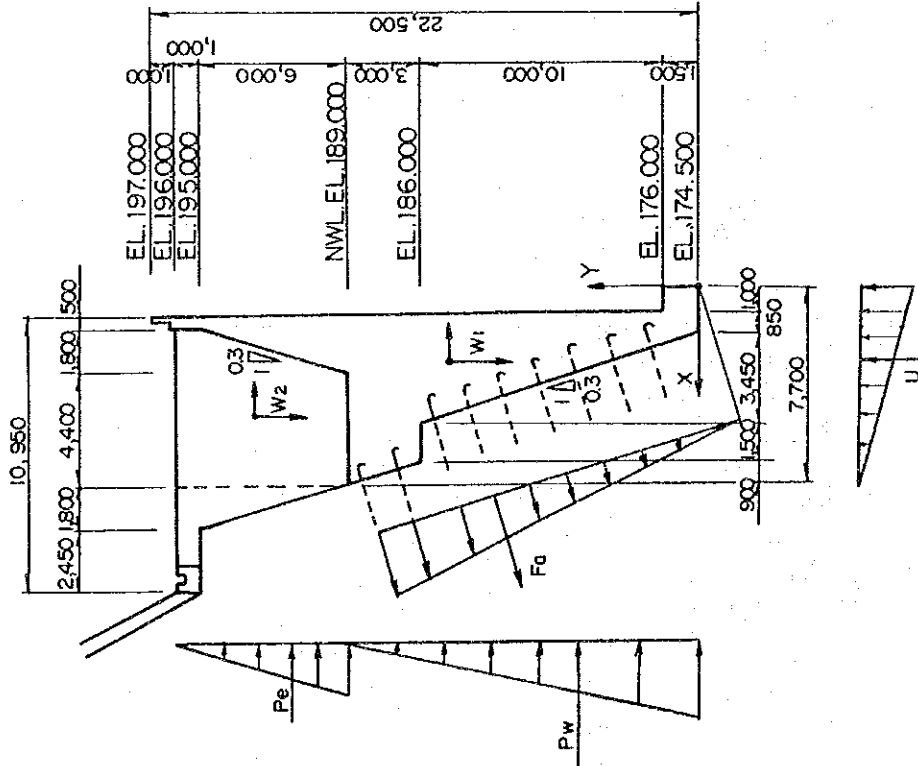
Max. Resisting Moment of Anchor Bar: $M_a = 713.008$ (t.m)

Safety factor for sliding: $F_s = \frac{f \cdot \Sigma V + \tau \cdot A + H_a}{\Sigma H} = \frac{0.55 \times 158.545 + 20 \times 3.35 + 63.306}{128.312} = 1.7 > 1.2$

Safety factor for overturning: $F_o = \frac{\Sigma M_r}{\Sigma M_t} = \frac{621.779 + 713.008}{857.494} = 1.56 > 1.2$

Safety for bearing: $q = \frac{\Sigma V}{B} = \frac{158.545 + 18.992}{7.7} = 23.06 \text{ t/m}^2 < 100 \text{ t/m}^2$

Note: As for Section name, see Figures of spillway structure design.



SECTION AND LOADING CONDITION

Table 4.3.3: STABILITY ANALYSIS OF SPILLWAY STRUCTURE
(Transition Wall, Section G-G, Loading Case I)

Load	V (t)	H (t)	X (m)	Y (m)	Mv (t.m)	MH (t.m)
Body force	W1		3.526		662.103	
Earth force	W2		6.763		570.370	
Water pressure	Pw	105.125		4.833		508.104
Earth pressure	Pe1	12.523		16.833		210.802
Earth pressure	Pe2	2.496		13.000		32.451
Earth pressure	Pe3	1.070		12.500		13.373
Uplift	U		3.333		-241.667	
Total					990.807	764.730

Max. Resisting Force of Anchor Bar: $F_a = 71.583$ (t) (1.0m pitch)

- Vertical component: $V_a = 20.569$ (t)

- Horizontal component: $H_a = 68.564$ (t)

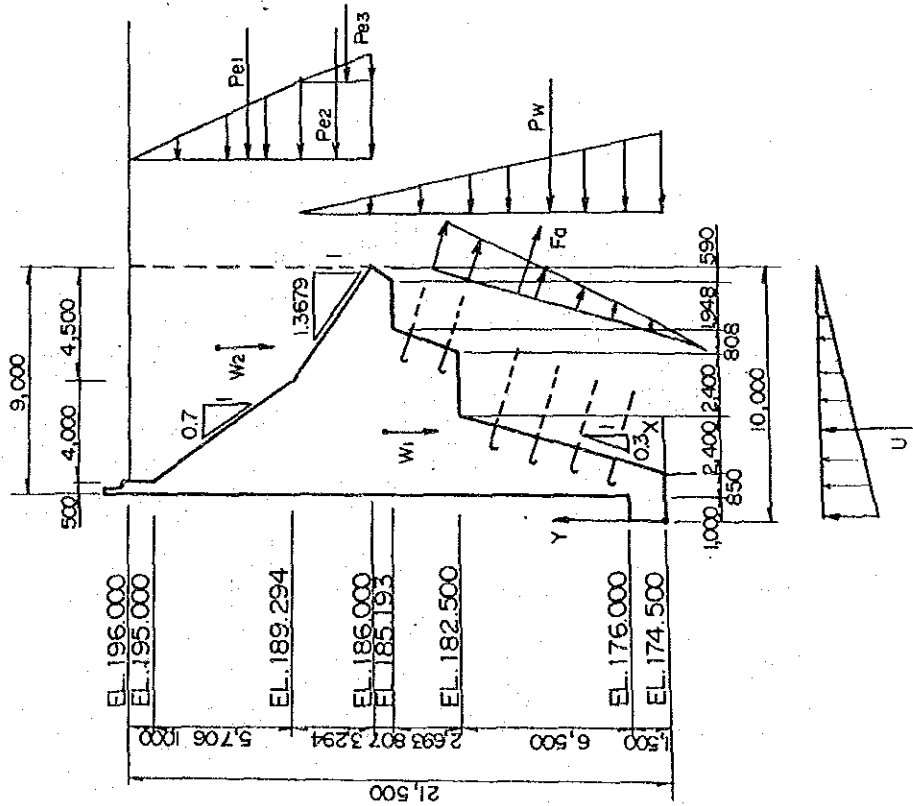
Max. Resisting Moment of Anchor Bar: $M_a = 535.917$ (t.m)

Safety factor for sliding: $F_s = \frac{f \cdot \sum V + 1 \cdot A + H_a}{\sum H} = \frac{0.55 \times 199.615 + 20 \times 6.202 + 68.564}{121.214} = 2.5 > 1.5$

Safety factor for overturning: $F_s = \frac{\sum M_r}{\sum M_t} = \frac{990.807 + 535.917}{764.730} = 2.00 > 1.5$

Safety factor for bearing: $q = \frac{\sum V}{B} = \frac{199.615 + 20.569}{10.0} = 22.0 \text{ t/m}^2 < 100 \text{ t/m}^2$

Note: As for Section name, see Figures of spillway structure design.



SECTION AND LOADING CONDITION

Table 4.3.4: STABILITY ANALYSIS OF SPILLWAY STRUCTURE
(Transition Wall, Section G-G, Loading Case II)

Load	V (t)	H (t)	X (m)	Y (m)	Mv (Lm)	MH (t.m)
Body force	W1	9.389	3.526	10.866	662.103	102.013
Earth force	W2	84.342	6.763	17.837	570.370	75.221
Water pressure	Pw	105.125		4.833		508.104
Earth pressure	Pe1	14.025		16.833		236.091
Earth pressure	Pe2	2.796		13.000		36.344
Earth pressure	Pe3	1.198		12.500		14.977
Uplift	U	-72.500	3.333		-241.667	
Total		199.615	137.091		990.807	972.750

Max. Resisting Force of Anchor Bar: $F_a = 71.583$ (t) (1.0m pitch)

- Vertical component: $V_a = 20.569$ (t)

- Horizontal component: $H_a = 68.564$ (t)

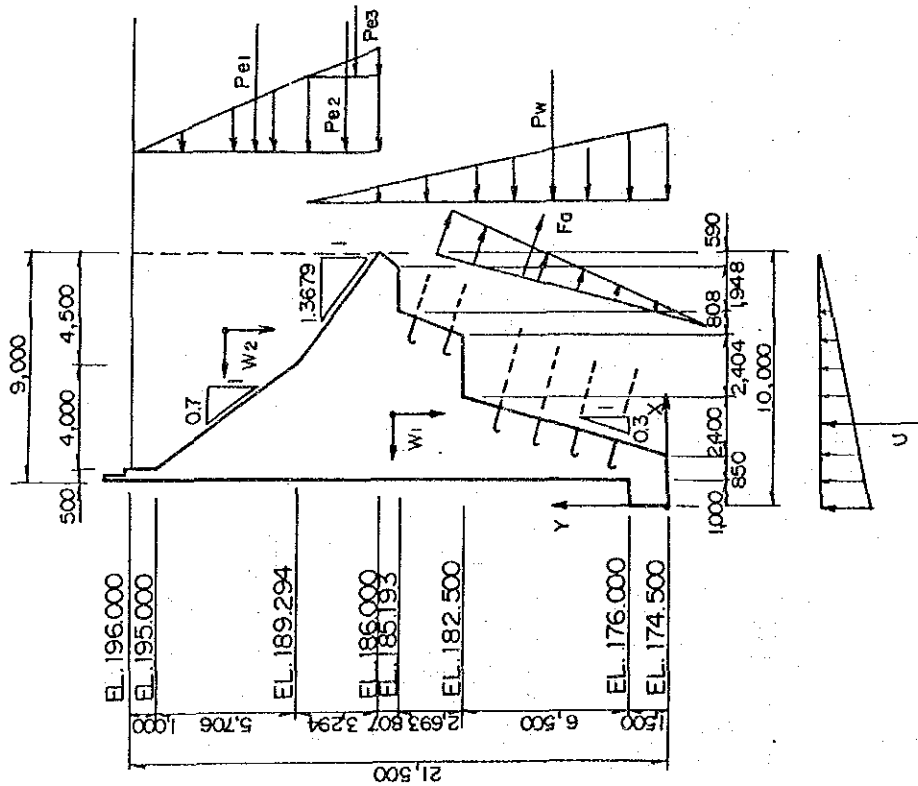
Max. Resisting Moment of Anchor Bar: $M_a = 535.917$ (t.m)

Safety factor for sliding: $F_s = \frac{f \cdot \Sigma Y + i \cdot A + H_a}{\Sigma H} = \frac{0.55 \times 199.615 + 20 \times 6.202 + 68.564}{136.750} = 2.2 > 1.2$

Safety factor for overturning: $F_s = \frac{\Sigma M_r}{\Sigma M_i} = \frac{990.807 + 535.917}{972.750} = 1.57 > 1.2$

Safety for bearing: $q = \frac{\Sigma Y}{B} = \frac{199.615 + 20.569}{10.0} = 22.0 \text{ t/m}^2 < 100 \text{ t/m}^2$

Note: As for Section name, see Figures of spillway structure design.



SECTION AND LOADING CONDITION

Table 4.3.5: STABILITY ANALYSIS OF SPILLWAY STRUCTURE
(Chuteway Side Wall, Section A-A, Loading Case I)

Load	V (t)	H (t)	X (m)	Y (m)	Mv (t.m)	MH (t.m)
Body force W1	47.135		2.073		97.700	
Earth force W2	0				0	
Water pressure Pw		0				0
Earth pressure Pe		0				0
Uplift U	0				0	
Total	47.135	0			97.700	0

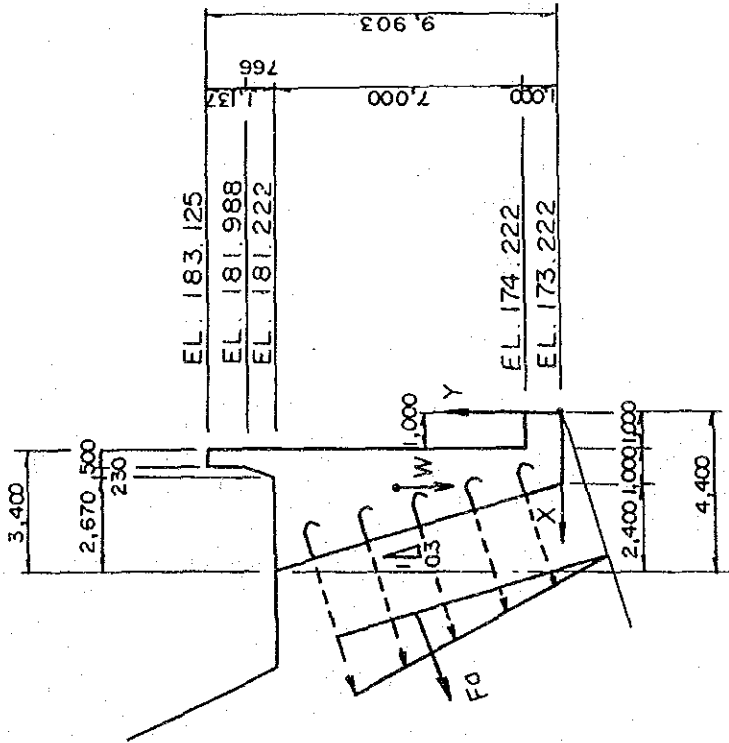
Max. Resisting Force of Anchor Bar: Fa = 36.709 (t) (1.5m pitch)
 - Vertical component: Va = 10.548 (t)
 - Horizontal component: Ha = 35.160 (t)
 Max. Resisting Moment of Anchor Bar: Ma = 196.415 (t.m)

Safety factor for sliding: $F_s = \frac{f \cdot \Sigma V + \tau \cdot A + Ha}{\Sigma H} = \infty > 1.5$

Safety factor for overturning: $F_s = \frac{\Sigma Mr}{\Sigma Mt} = \infty > 1.5$

Safety for bearing: $q = \frac{\Sigma V}{B} = \frac{47.135 + 10.548}{4.4} = 13.1 \text{ t/m}^2 < 100 \text{ t/m}^2$

Note: As for Section name, see Figures of spillway structure design.



SECTION AND LOADING CONDITION

Table 4.3.6: STABILITY ANALYSIS OF SPILLWAY STRUCTURE
(Chuteway Side Wall, Section A-A, Loading Case II)

Load	V (t)	H (t)	X (m)	Y (m)	Mv (t.m)	MH (t.m)
Body force	W1	47.135	2.073	4.733	97.700	11.153
Earth force	W2	0			0	
Water pressure	Pw		0			0
Earth pressure	Pe		0			0
Uplift	U	0			0	
Total		47.135	2.357		97.700	11.153

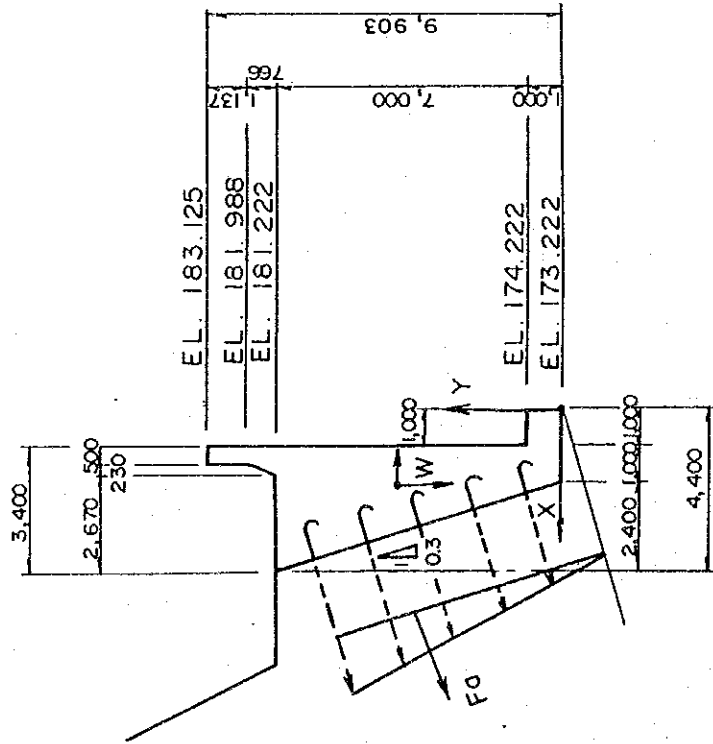
Max. Resisting Force of Anchor Bar: $F_a = 36.709$ (t) (1.5m pitch)
 - Vertical component: $V_a = 10.548$ (t)
 - Horizontal component: $H_a = 35.160$ (t)
 Max. Resisting Moment of Anchor Bar: $M_a = 196.415$ (t.m)

Safety factor for sliding: $F_s = \frac{f \cdot \Sigma V + \tau \cdot A + H_a}{\Sigma H} = \frac{0.55 \times 47.135 + 20 \times 2.0 + 35.16}{2.357} = 42.9 > 1.2$

Safety factor for overturning: $F_s = \frac{\Sigma M_r}{\Sigma M_t} = \frac{97.700 + 196.415}{11.153} = 26.37 > 1.2$

Safety for bearing: $q = \frac{\Sigma V}{B} = \frac{47.135 + 10.548}{4.4} = 13.11 \text{ t/m}^2 < 100 \text{ t/m}^2$

Note: As for Section name, see Figures of spillway structure design.



SECTION AND LOADING CONDITION

Table 4.3.7: STABILITY ANALYSIS OF SPILLWAY STRUCTURE
(Stilling Basin Side Wall, Section E-E, Loading Case I)

Load	W (t)	H (t)	X (m)	Y (m)	Mv (t.m)	MH (t.m)
Body force	W1	104.835	2.398		251.400	
Earth force	W2	59.830	4.448		266.147	
Water force	W3	8.000	0.500		4.000	
Earth pressure	Pe			17.833		203.431
Uplift	U	-31.825	1.675		-53.307	
Total		140.840	11.407		468.240	203.431

Max. Resisting Force of Anchor Bar: $F_a = 70.787$ (t) (1.5m pitch)

- Vertical component: $V_a = 20.341$ (t)

- Horizontal component: $H_a = 67.802$ (t)

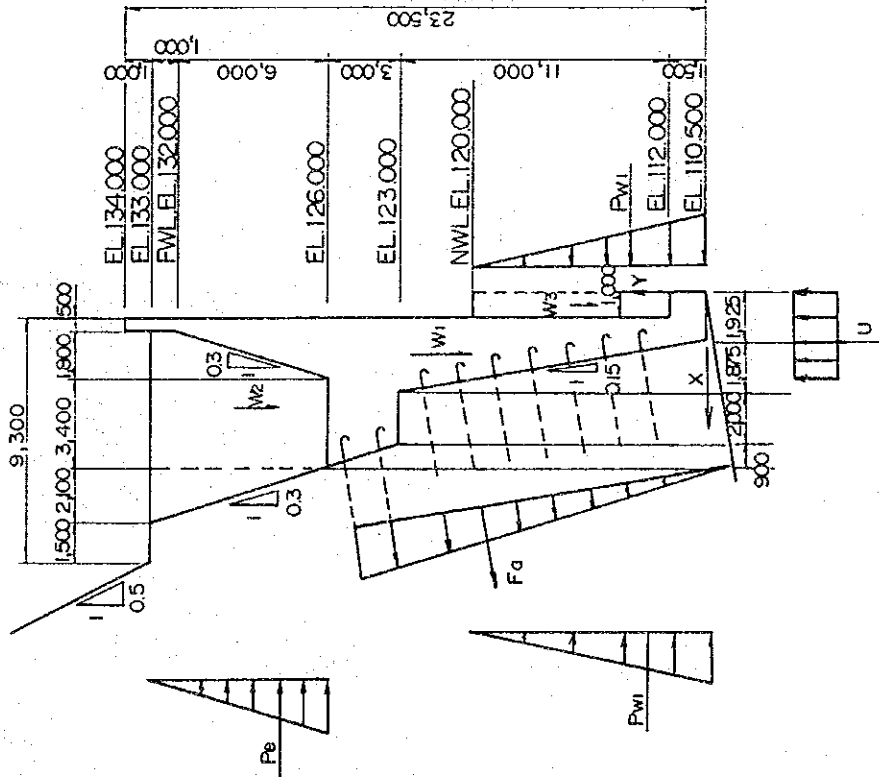
Max. Resisting Moment of Anchor Bar: $M_a = 773.896$ (t.m)

Safety factor for sliding: $F_s = \frac{f \cdot \Sigma V + \tau \cdot A + H_a}{\Sigma H} = \frac{0.55 \times 140.840 + 20 \times 3.925 + 67.802}{11.407} = 19.6 > 1.5$

Safety factor for overturning: $F_s = \frac{\Sigma M_r}{\Sigma M_i} = \frac{468.240 + 773.896}{203.431} = 6.1 > 1.5$

Safety for bearing: $q = \frac{\Sigma V}{B} = \frac{140.840 + 20.341}{6.7} = 24.1 \text{ t/m}^2 < 100 \text{ t/m}^2$

Note: As for Section name, see Figures of spillway structure design.



SECTION AND LOADING CONDITION

Table 4.3.8: STABILITY ANALYSIS OF SPILLWAY STRUCTURE
(Stilling Basin Side Wall, Section E-E, Loading Case II)

Load	V (t)	H (t)	X (m)	Y (m)	Mv (t.m)	MH (t.m)
Body force	W1	104.835	2.398	12.034	251.400	63.079
Earth force	W2	59.830	4.448	19.261	266.147	57.620
Water force	W3	8.000	0.500		4.000	
Earth pressure	Pe			17.833		222.357
Uplift	U	-31.825	1.675		-53.307	
Total		140.840	20.702		468.240	343.057

Max. Resisting Force of Anchor Bar: $F_a = 70.787$ (t) (1.5m pitch)

- Vertical component: $V_a = 20.341$ (t)

- Horizontal component: $H_a = 67.802$ (t)

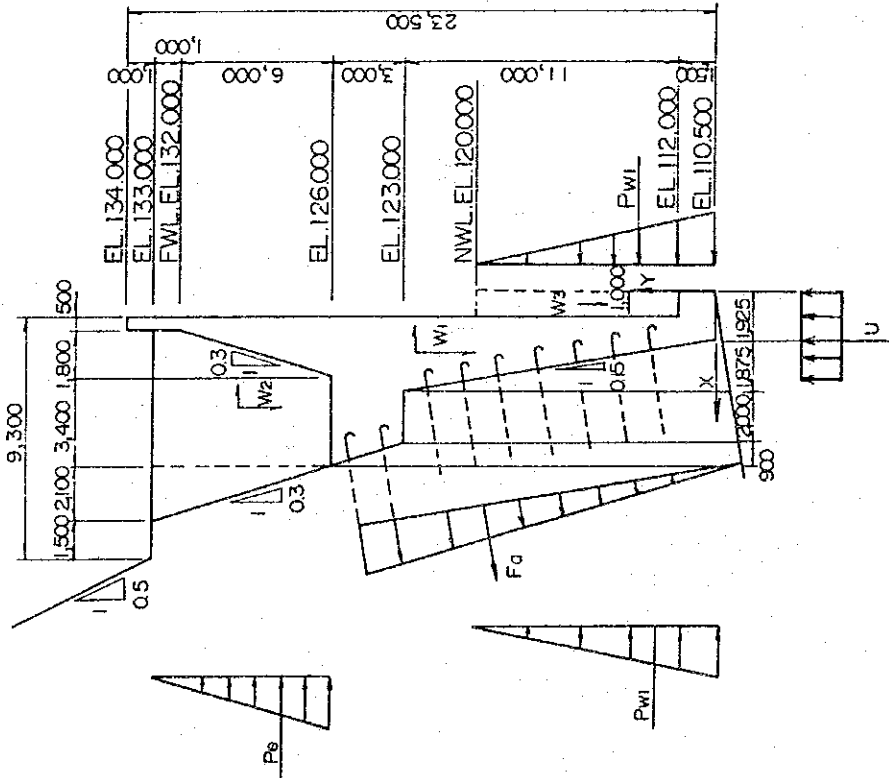
Max. Resisting Moment of Anchor Bar: $M_a = 773.896$ (t.m)

Safety factor for sliding: $F_s = \frac{f \cdot \Sigma V + \tau \cdot A + H_a}{\Sigma H} = \frac{0.55 \times 140.840 + 20 \times 3.925 + 67.802}{20.702} = 10.81 > 1.2$

Safety factor for overturning: $F_s = \frac{\Sigma M_r}{\Sigma M_t} = \frac{468.240 + 773.896}{343.057} = 3.62 > 1.2$

Safety for bearing: $q = \frac{\Sigma V}{B} = \frac{140.840 + 20.341}{6.7} = 24.1 \text{ t/m}^2 < 100 \text{ t/m}^2$

Note: As for Section name, see Figures of spillway structure design.



SECTION AND LOADING CONDITION

Table 4.3.9: STABILITY ANALYSIS OF SPILLWAY STRUCTURE (Stilling Basin Side Wall, Section E-E, Loading Case III)

Load	V (t)	H (t)	X (m)	Y (m)	Mv (t.m)	MH (t.m)
Body force	W1		2.398		251.400	
Earth force	W2		4.448		266.147	
Water force	W3		0.500		4.000	
Earth pressure	Pe	11.407		17.833		203.431
Water pressure	Pw1	-45.125		3.167		-142.896
Water pressure	Pw2	120.125		7.167		860.896
Uplift	U1	-18.288	0.963		-17.602	
Uplift	U2	-37.006	3.517		-130.139	
Uplift	U3	-5.775	1.283		-7.411	
Total		111.596	86.407		366.395	921.431

Max. Resisting Force of Anchor Bar: $F_a = 70.787$ (t) (1.5m pitch)

- Vertical component: $V_a = 20.341$ (t)

- Horizontal component: $H_a = 67.802$ (t)

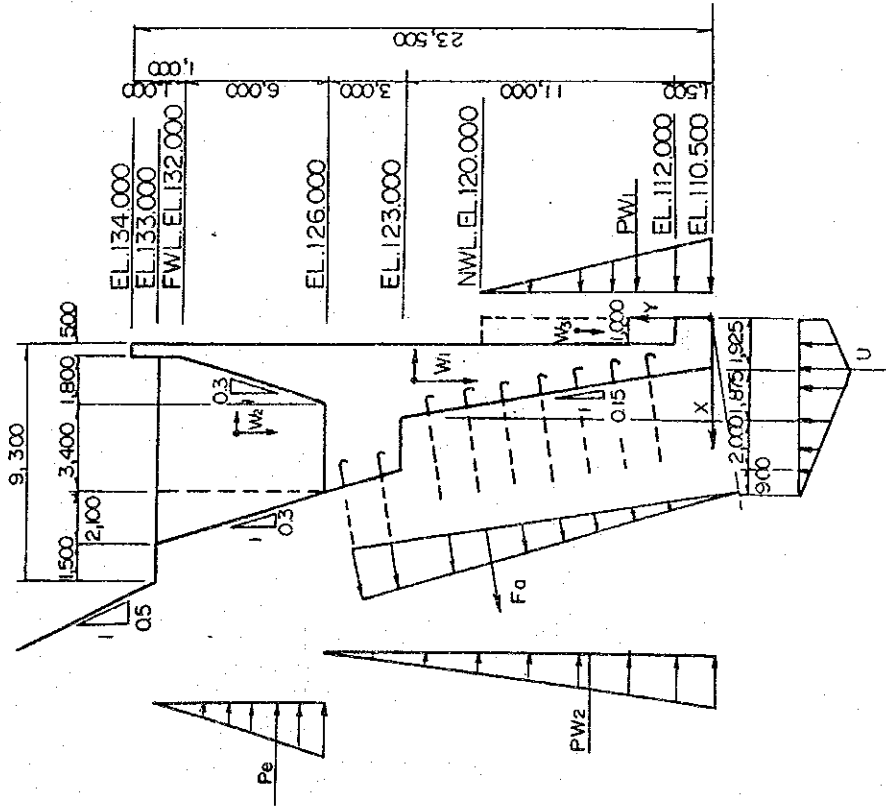
Max. Resisting Moment of Anchor Bar: $M_a = 773.896$ (t.m)

Safety factor for sliding: $F_s = \frac{f \cdot \Sigma V + \tau \cdot A + H_a}{\Sigma H} = \frac{0.55 \times 111.596 + 20 \times 3.925 + 67.802}{86.407} = 2.4 > 1.2$

Safety factor for overturning: $F_s = \frac{\Sigma M_r}{\Sigma M_o} = \frac{366.395 + 773.896}{921.431} = 1.24 > 1.2$

Safety for bearing: $q = \frac{\Sigma V}{B} = \frac{111.596 + 20.341}{6.7} = 19.7 \text{ t/m}^2 < 100 \text{ t/m}^2$

Note: As for Section name, see Figures of spillway structure design.



SECTION AND LOADING CONDITION

Table 4.3.10: STABILITY ANALYSIS OF SPILLWAY STRUCTURE
(Stilling Basin Side Wall, Section I-I, Loading Case I)

Load	V (t)	H (t)	X (m)	Y (m)	Mv (t.m)	MH (t.m)
Body force	W1	105.720	2.907		307.276	
Earth force	W2	22.002	5.558		122.285	
Water pressure	Pw			0.667		1.333
Earth pressure	Pe1		2.000			21.340
Earth pressure	Pe2		5.820			1.484
Earth pressure	Pe3		1.484			0.396
Uplift	U	-7.000	3.500		-24.500	
Total		120.722	9.897		405.061	24.553

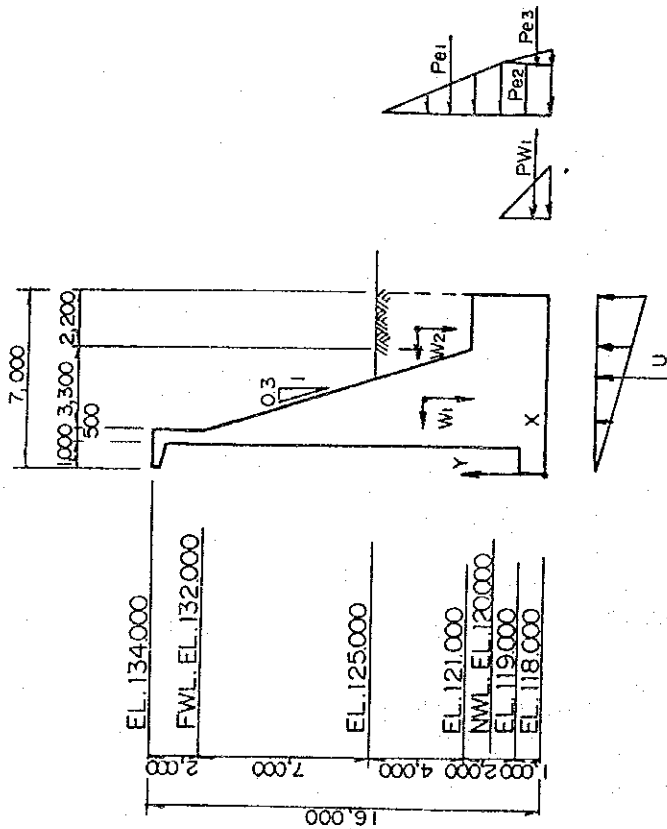
Max. Resisting Force of Anchor Bar: Fa = 0
 - Vertical component: Va = 0
 - Horizontal component: Ha = 0
 Max. Resisting Moment of Anchor Bar: Ma = 0

Safety factor for sliding: $F_s = \frac{f \cdot \Sigma V + \tau \cdot A + H_a}{\Sigma H} = \frac{0.55 \times 120.722 + 20 \times 7.0}{9.897} = 20.9 > 1.5$

Safety factor for overturning: $F_s = \frac{\Sigma Mr}{\Sigma Mt} = \frac{405.061}{24.553} = 16.5 > 1.5$

Safety for bearing: $q = \frac{\Sigma}{B} \left[\frac{1 + 6e}{1 - B} \right] = \frac{120.722}{7.00} \left[\frac{1 + 6 \times 0.348}{1 - 7.00} \right] = 22.4, 12.1 \text{ t/m}^2$

Note: As for Section name, see Figures of spillway structure design.



SECTION AND LOADING CONDITION

Table 4.3.11: STABILITY ANALYSIS OF SPILLWAY STRUCTURE (Stilling Basin Side Wall, Section I-I, Loading Case II)

Load	V (t)	H (t)	X (m)	Y (m)	Mv (t.m)	MH (t.m)
Body force	W1	5.286	2.907	4.916	307.276	25.988
Earth force	W2	22.002	5.558	5.152	122.285	5.668
Water pressure	Pw	2.000		0.667		1.333
Earth pressure	Pe1	6.362		3.667		23.326
Earth pressure	Pe2	1.622		1.000		1.622
Earth pressure	Pe3	0.649		0.667		0.432
Uplift	U	-7.000	3.500		-24.500	
Total		120.722	17.018		405.061	58.369

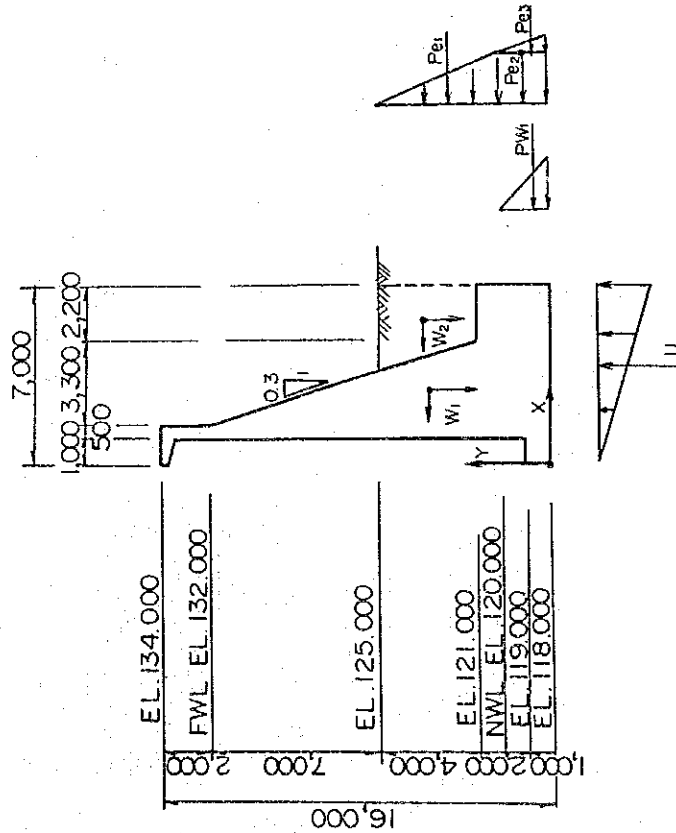
Max. Resisting Force of Anchor Bar: Fa = 0
 - Vertical component: Va = 0
 - Horizontal component: Ha = 0
 Max. Resisting Moment of Anchor Bar: Ma = 0

Safety factor for sliding: $F_s = \frac{f \cdot \Sigma V + \tau \cdot A + H_a}{\Sigma H} = \frac{0.55 \times 120.722 + 20 \times 7.0}{17.018} = 12.1 > 1.2$

Safety factor for overturning: $F_s = \frac{\Sigma M_r}{\Sigma M_t} = \frac{405.061}{58.369} = 6.94 > 1.2$

Safety for bearing: $q = \frac{\Sigma}{B} \left[\frac{1 + 6e}{1 - B} \right] = \frac{120.722}{7.00} \left[\frac{1 + 6 \times 0.628}{1 - 7.00} \right] = 26.5, 8.0 \text{ t/m}^2$

Note: As for Section name, see Figures of spillway structure design.



SECTION AND LOADING CONDITION

Table 4.3.12: STABILITY ANALYSIS OF SPILLWAY STRUCTURE
(Stilling Basin Side Wall, Section I-I, Loading Case III)

Load	V (t)	H (t)	X (m)	Y (m)	Mv (t-m)	MH (t-m)
Body force W1	105.720		2.907		307.276	
Earth force W2	22.002		5.558		122.285	
Water force W3	13.000		0.500		6.500	
Water pressure Pw1		60.500		3.667		221.833
Water pressure Pw2		-98.000		4.667		-457.333
Earth pressure Pe1		116.075		2.333		270.842
Earth pressure Pe2						
Earth pressure Pe3						
Uplift U1	-77.000		3.500		-269.500	
Uplift U2	-10.500		2.333		-24.500	
Total	53.222	78.575			142.061	35.342

Max. Resisting Force of Anchor Bar: Fa = 0

- Vertical component: Va = 0

- Horizontal component: Ha = 0

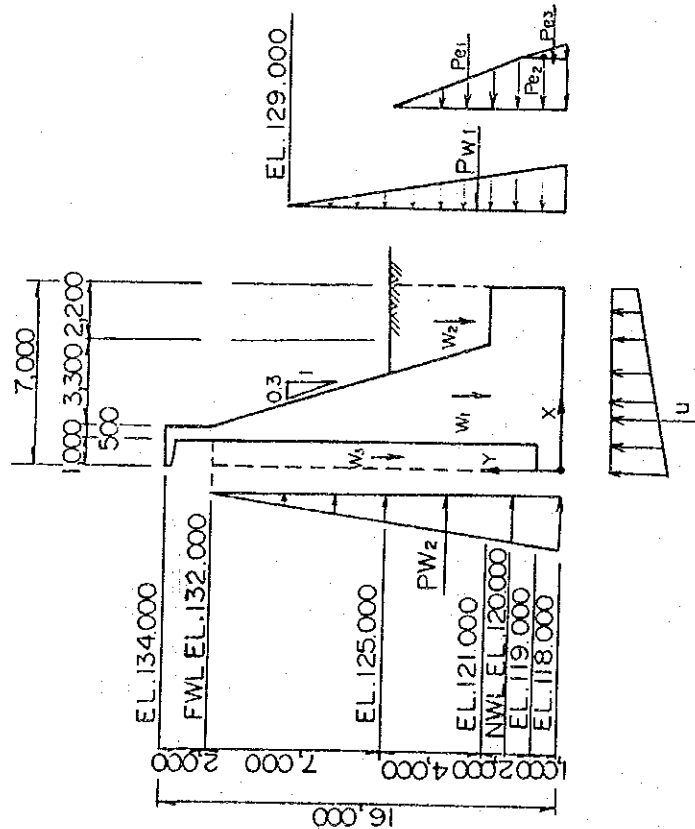
Max. Resisting Moment of Anchor Bar: Ma = 0

Safety factor for sliding: $F_s = \frac{f \cdot \Sigma V + \tau \cdot A + H_a}{\Sigma H} = \frac{0.55 \times 53.222 + 20 \times 7.0}{78.575} = 4.0 > 1.2$

Safety factor for overturning: $F_s = \frac{\Sigma M_r}{\Sigma M_t} = \frac{142.061}{35.342} = 3.4 > 1.2$

Safety for bearing: $q = \frac{2 \Sigma V}{B} = \frac{2 \times 53.222}{6.015} = 17.7 \text{ t/m}^2 < 100 \text{ t/m}^2$

Note: As for Section name, see Figures of spillway structure design.



SECTION AND LOADING CONDITION

Table 4.3.13: STABILITY ANALYSIS OF OVERFLOW WEIR (Normal Condition)

Load	V (t)	H (t)	X (m)	Y (m)	Mv (t.m)	MH (t.m)
Body force						
W1	1.21		0.47		0.57	
W2	30.36		5.10		154.84	
W3	22.08		3.90	4.833	86.11	508.104
W4	18.40		6.50	16.833	119.60	192.023
Water force	W _w	8.00	8.50		68.00	
Water pressure	P _w	-15.13		1.38		-27.63
Uplift	U	-52.25		4.50		-235.13
Total	27.80	-15.13			429.12	-262.76

Max. Resisting Force of Anchor Bar: Fa = 48.18 (Ø1.5mpitch)

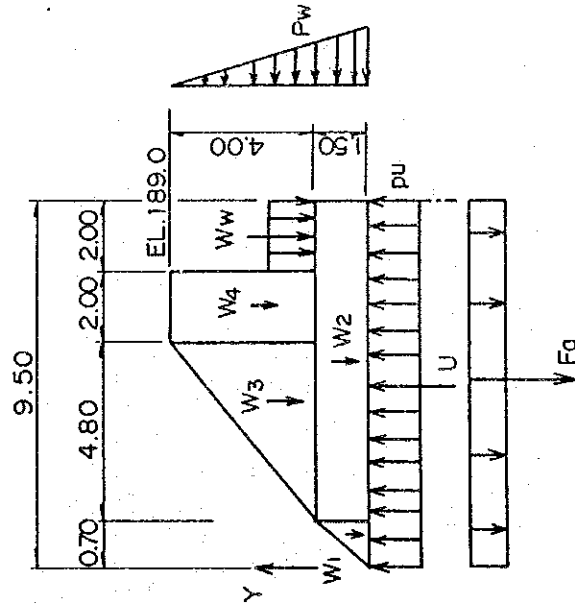
Max. Resisting Moment of Anchor Bar: Ma = 216.81 (t.m)

Safety factor for sliding: $F_s = \frac{f \cdot \Sigma V + \tau \cdot A + H_a}{\Sigma H} = \frac{0.55 \times 27.8 + 20 \times 9.5}{15.13} = 13.6 > 1.5$

Safety factor for overturning: $F_s = \frac{\Sigma M_r}{\Sigma M_o} = \frac{429.12 + 216.81}{262.76} = 2.46 > 1.5$

Safety for bearing: $q = \frac{\Sigma V}{B} = \frac{27.80 + 48.18}{9.5} = 8.0 \text{ t/m}^2 < 100 \text{ t/m}^2$

Note: As for Section name, see Figures of spillway structure design.



SECTION AND LOADING CONDITION

Table 4.3.14: STABILITY ANALYSIS OF OVERFLOW WEIR (Seismic Condition)

Load	V (t)	H (t)	X (m)	Y (m)	Mv (t.m)	MH (t.m)
Body force						
W1	1.21	-0.06	0.47	0.50	0.57	-0.03
W2	30.36	-1.52	5.10	0.75	154.84	-1.14
W3	22.08	-1.10	3.90	2.83	86.11	-3.11
W4	18.40	-0.92	6.50	3.50	119.60	-3.22
Water force	Ww	8.00	8.50		68.00	
Water pressure	Pw			1.83		-27.63
	Pd			3.10		-1.45
Uplift	U	-52.25		4.50		-235.13
Total					429.12	-271.71

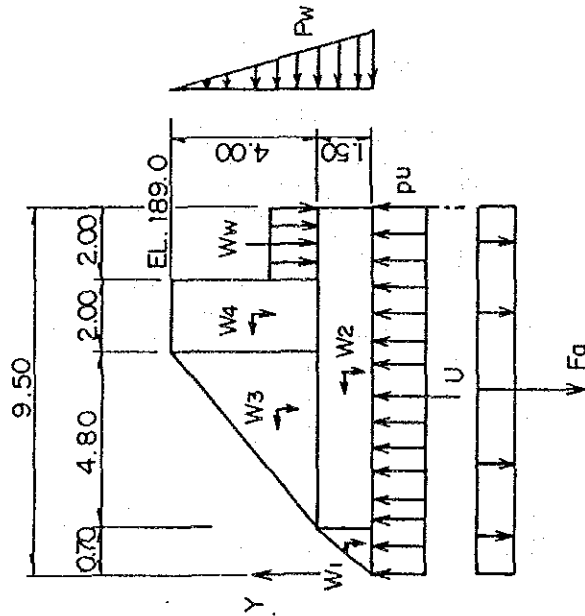
Max. Resisting Force of Anchor Bar: Fa = 48.18 (0)(1.5mpitch)
 Max. Resisting Moment of Anchor Bar: Ma = 216.81 (t.m)

Safety factor for sliding: $F_s = \frac{f \cdot \Sigma V + \tau \cdot A + H_a}{\Sigma H} = \frac{0.55 \times 27.8 + 20 \times 9.5}{19.20} = 10.7 > 1.5$

Safety factor for overturning: $F_s = \frac{\Sigma Mr}{\Sigma Mt} = \frac{429.12 + 216.81}{271.71} = 2.38 > 1.5$

Safety for bearing: $q = \frac{\Sigma V}{B} = \frac{27.80 + 48.18}{9.5} = 8.0 \text{ t/m}^2 < 100 \text{ t/m}^2$

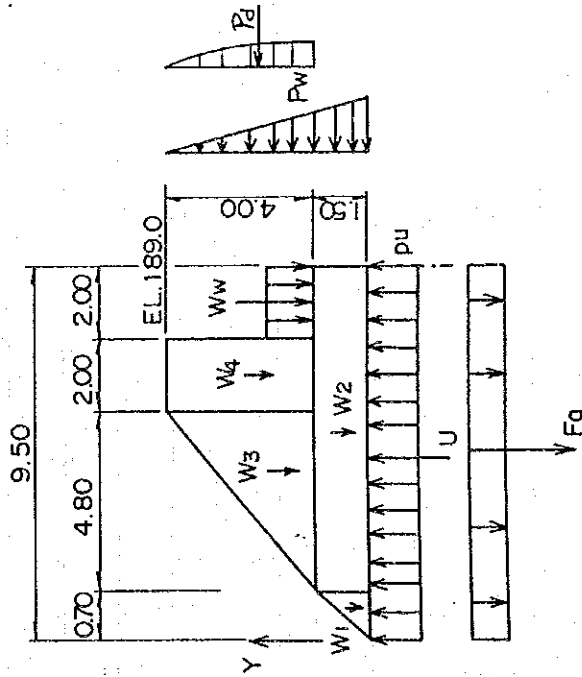
Note: As for Section name, see Figures of spillway structure design.



SECTION AND LOADING CONDITION

Table 4.3.15: STABILITY ANALYSIS OF OVERFLOW WEIR
(After the Flood (P.M.F))

Load	V (t)	H (t)	X (m)	Y (m)	Mv (t.m)	MH (t.m)
Body force	W1	1.21	0.47		0.57	
	W2	30.36	5.10		154.84	
	W3	22.08	3.90	4.833	86.11	
	W4	18.40	6.50	16.833	119.60	
Water force	Ww	8.00	8.50		68.00	
Water pressure	Pw			1.83		-27.63
Uplift	U			4.50		-427.50
Total		-14.95		-15.13		-455.13



Max. Resisting Force of Anchor Bar: $F_a = 48.18 \text{ (t)(1.5mpitch)}$
 Max. Resisting Moment of Anchor Bar: $M_a = 216.81 \text{ (t.m)}$

Safety factor for sliding: $F_s = \frac{\tau \cdot A}{\Sigma H} = \frac{20 \times 9.5}{15.13} = 12.6 > 1.2$

Safety factor for overturning: $F_s = \frac{\Sigma M_r}{\Sigma M_i} = \frac{429.12 + 216.81}{455.13} = 1.42 > 1.2$

SECTION AND LOADING CONDITION

Table 4.3.16 : STRESS ANALYSIS OF REINFORCED CONCRETE
(Side Channel Wall, Section C - C)

Load Condition	Member	Spot	Internal force			Sectional dimension						d'/d	M=M+Nu (t.m)	M'/bd ² (kg/cm ²)	Q/bd (kg/cm ²)
			Direction	M (t.m)	Q (t)	N (t)	b (cm)	h (cm)	u (cm)	d (cm)	d' (cm)				
Nor.	EL.189			26.60	11.40	-	100	230		220			26.6	0.55	0.518
Seis.	EL.189			33.94	13.75	-	100	230		220			33.94	0.701	0.625
Nor.	Toe			16.98	33.96	-	100	150		140			16.98	0.866	2.426
Seis.	Toe			16.98	33.96	-	100	150		140			16.98	0.866	2.426

f = M/N+u	f/d	Sectional area of reinforcing bar		As'/As (cm ²)	np = n.As/bd	Coeff. from Nomogram				Stress (kg/cm ²)		
		As (cm ²)	As' (cm ²)			C	S	Z	SIGc = CM'/bd ²	SIGs = nSM'/bd ²	Tau = ZO/bd	
		D19@200 = 14.33			0.010	15.9	105	105	1.05	8.7	866	0.5
		D19@200 = 14.33			0.010	15.9	105	105	1.05	11.1	1104	0.7
		D19@200 = 14.33			0.015	13.2	70.3	70.3	1.06	11.4	914	2.6
		D19@200 = 14.33			0.015	13.2	70.3	70.3	1.06	11.4	914	2.6

n=Es/Ec=15, Allowable stress : SIGca=60 & 90(*) kg/cm², SIGsa = 1,800 & 2,700(*) kg/cm², TAUA = 8 & 12(*) kg/cm²
* : Allowable stresses marked with (*) are applied for the seismic and flood conditions.

Table 4.3.17 : STRESS ANALYSIS OF REINFORCED CONCRETE
(Transition Wall, Section G - G & A - A)

Load Condition	Member	Spot	Internal force				Sectional dimension						M'+M+Nu (t.m)	M'/bd ² (kg/cm ²)	Q/bd (kg/cm ²)	
			Direc-tion	M (t.m)	Q (t)	N (t)	b (cm)	h (cm)	u (cm)	d (cm)	d'	d'/d				
Nor.																
& Seis	Toe	G-G		16.45	32.90	-	100	150		140				16.45	0.839	0.015
Seis.	Toe	A-A		5.35	10.70	-	100	100		90				5.35	0.660	1.189

f=M/N+u	f/d	Sectional area of reinforcing bar		As'/As	np = n.As/bd	Coeff. from Nomogram			Stress (kg/cm ²)				
		As (cm ²)	As' (cm ²)			C	S	Z	SiGc= CM'/bd ²	SiGs= nSM'/bd ²	Tau= ZO/bd		
		D19@200=14.33			0.015	13.2	70.3	1.06	11.0	885	2.5		
		D19@200=14.33			0.024	10.9	44.6	1.07	7.2	442	1.3		

n=Es/Ec=15, Allowable stress : SiGca=60 & 90(*) kg/cm², SiGsa = 1,800 & 2,700(*) kg/cm², TAUa = 8 & 12(*) kg/cm²
 * : Allowable stresses marked with (*) are applied for the seismic and flood conditions.

Table 4.3.18 : STRESS ANALYSIS OF REINFORCED CONCRETE
(Stilling Basin Side Wall, Section E-E)

Load Condition	Member	Spot	Internal force			Sectional dimension						M=M+Nu (t.m)	M'/bd ² (kg/cm ²)	Q/bd (kg/cm ²)	
			Direction	M (t.m)	Q (t)	N (t)	b (cm)	h (cm)	u (cm)	d (cm)	d' (cm)				d'/d
Nor.&															
Flood	EL.126.00			26.60	11.40	-	100	230		220			26.6	0.55	0.518
Seis.	EL.126.00			34.34	13.79	-	100	230		220			34.34	0.71	0.627
Nor.&															
Seis.	Toe			12.50	25.00	-	100	150		140			12.5	0.638	1.786
Flood	Toe			11.80	23.60	-	100	150		140			11.8	0.602	1.686

f=M/N+u	f/d	Sectional area of reinforcing bar		As'/As (cm ²)	np = n.As/bd	Coeff. from Nomogram			Stress (kg/cm ²)						
		As (cm ²)	As'			C	S	Z	SIGc= CM/bd ²	SIGs= nSM'/bd ²	TAU= ZQ/bd				
		D19@200=14.33			0.01	15.9	105	105	1.05	8.7	866	0.5			
		D19@200=14.33			0.01	15.9	105	105	1.05	11.3	1117	0.7			
		D19@200=14.33			0.015	13.2	70.3	70.3	1.06	8.4	673	1.9			
		D19@200=14.33			0.015	13.2	70.3	70.3	1.06	7.9	634	1.8			

n=Es/Ec=15, Allowable stress : SIGca=60 & 90(*) kg/cm², SIGsa = 1,800 & 2,700(*) kg/cm², TAUa = 8 & 12(*) kg/cm²

* : Allowable stresses marked with (*) are applied for the seismic and flood conditions.

Table 4.3.19 : STRESS ANALYSIS OF REINFORCED CONCRETE
(Stilling Basin Side Wall, Section I - I (1))

Load Condition	Member	Spot	Internal force		Sectional dimension					d'/d	M'+M+Nu (t.m)	M'/bd ² (kg/cm ²)	Q/bd (kg/cm ²)	
			Direction	M (t.m)	Q (t)	N (t)	b (cm)	h (cm)	u (cm)					d (cm)
Nor.	EL.121.0	Back		4.96	3.72	-	100	380		370		4.96	0.036	0.101
Seis.	EL.121.0	Back		23.60	7.46	-	100	380		370		23.6	0.172	0.202
Flood	EL.121.0	Front		134.11	26.71	-	100	380		370		134.11	0.98	0.722

f=M/N+u	f/d	Sectional area of reinforcing bar		As'/As	np = n.As/bd	Coeff. from Nomogram			Stress (kg/cm ²)		
		As (cm ²)	As' (cm ²)			C	S	Z	SIGc= CM'/bd ²	SIGs= nSM'/bd ²	Tau= ZQ/bd
		D19@200=14.33			0.006	20	173	1.03	0.7	94	0.1
		D19@200=14.33			0.006	20	173	1.03	3.4	447	0.2
		D19@200=14.33			0.006	20	173	1.03	19.6	2542	0.7

n=Es/Ec=15, Allowable stress : SIGca=60 & 90(*) kg/cm², SIGsa = 1,800 & 2,700(*) kg/cm², TAUA = 8 & 12(*) kg/cm²
 * : Allowable stresses marked with (*) are applied for the seismic and flood conditions.

Table 4.3.20 : STRESS ANALYSIS OF REINFORCED CONCRETE
(Stilling Basin Side Wall, Section I - I (2))

Load Condition	Member	Spot Direction	Internal force				Sectional dimension						d'/d	M=M+Nu (t.m)	M'/bd ² (kg/cm ²)	Q/bd (kg/cm ²)
			M (t.m)	Q (t)	N (t)	b (cm)	h (cm)	u (cm)	d (cm)	d' (cm)						
Nor.	Toe	Low	9.81	19.42	-	100	100	90					9.81	1.211	2.158	
Seis.	Toe	Low	11.66	22.93	-	100	100	90					11.66	1.44	2.548	
Flood	Toe	Upper	0.76	1.6	-	100	100	90					0.76	0.094	0.178	

f=M/N+u	f/d	Sectional area of reinforcing bar		As'/As (cm ²)	np = n.As/bd	Coeff. from Nomogram			Stress (kg/cm ²)		
		As (cm ²)	As' (cm ²)			C	S	Z	SIGc = CM'/bd ²	SIGs = nSM'/bd ²	Tau = ZQ/bd
		D19@200=14.33			0.024	10.9	44.6	1.07	13.2	810	2.3
		D19@200=14.33			0.024	10.9	44.6	1.07	15.7	963	2.7
		D19@200=14.33			0.024	10.9	44.6	1.07	1.0	63	0.2

n=Es/Ec=15, Allowable stress : SIGca=60 & 90(*) kg/cm², SIGsa = 1,800 & 2,700(*) kg/cm², TAUa = 8 & 12(*) kg/cm²
 * : Allowable stresses marked with (*) are applied for the seismic and flood conditions.

Table 4.4.1: SUMMARY OF BENDING MOMENT IN
COMPOSITE GIRDER (Main Girder)

Unit : t·m

Nodal Point	D.L (B.C)	D.L (A.C)	L.L Max. (A.C)	L.L Min. (A.C)	Max. (A.C)	Min. (A.C)
No. 1 Main Girder (G-1):						
1	- 0.0	- 0.0	0.0	- 0.0	0.0	- 0.0
4	100.1	22.5	66.8	- 3.7	89.3	17.7
	100.1	22.5	66.8	- 3.7	89.3	17.7
7	162.5	32.1	114.6	- 7.6	146.7	22.3
	162.5	32.1	114.6	- 7.6	146.7	22.3
10	182.2	27.8	137.3	- 11.4	165.1	12.9
	182.2	27.8	137.3	- 11.4	165.1	12.9
13	162.5	32.1	114.6	- 7.6	146.7	22.3
	162.5	32.1	114.6	- 7.6	146.7	22.3
16	100.1	22.5	66.8	- 3.7	89.3	17.7
	100.1	22.5	66.8	- 3.7	89.3	17.7
19	- 0.0	- 0.0	0.0	- 0.0	0.0	- 0.0
No. 2 Main Girder (G-2):						
2	0.0	0.0	0.0	- 0.0	0.0	- 0.0
5	98.0	10.5	80.1	- 0.0	90.6	10.4
	98.0	10.5	80.1	- 0.0	90.6	10.4
8	161.2	26.1	122.7	- 0.0	148.8	26.1
	161.2	26.1	122.7	- 0.0	148.8	26.1
11	184.6	46.5	128.2	- 0.0	174.7	46.5
	184.6	46.5	128.2	- 0.0	174.7	46.5
14	161.2	26.1	122.7	- 0.0	148.8	26.1
	161.2	26.1	122.7	- 0.0	148.8	26.1
17	98.0	10.5	80.1	- 0.0	90.6	10.4
	98.0	10.5	80.1	- 0.0	90.6	10.4
20	0.0	0.0	0.0	- 0.0	0.0	- 0.0
No. 3 Main Girder (G-3):						
3	- 0.0	- 0.0	0.0	- 0.0	0.0	- 0.0
6	100.1	22.5	66.8	- 3.7	89.3	17.7
	100.1	22.5	66.8	- 3.7	89.3	17.7
9	162.5	32.1	114.6	- 7.6	146.7	22.3
	162.5	32.1	114.6	- 7.6	146.7	22.3
12	182.2	27.8	137.3	- 11.4	165.1	12.9
	182.2	27.8	137.3	- 11.4	165.1	12.9
15	162.5	32.1	114.6	- 7.6	146.7	22.3
	162.5	32.1	114.6	- 7.6	146.7	22.3
18	100.1	22.5	66.8	- 3.7	89.3	17.7
	100.1	22.5	66.8	- 3.7	89.3	17.7
21	- 0.0	- 0.0	0.0	- 0.0	0.0	- 0.0

Note : B.C : Before compounding
A.C : After compounding
D.L : Moment due to dead load
L.L : Moment due to live load

Table 4.4.2: SUMMARY OF SHEAR FORCE IN
COMPOSITE GIRDER (Main Girder)

Unit : ton

Nodal Point	D.L (B.C)	D.L (A.C)	L.L Max. (A.C)	L.L Min. (A.C)	Max. (A.C)	Min. (A.C)
No. 1 Main Girder (G-1):						
1	25.5	6.2	16.3	-0.8	22.5	5.1
4	17.1	3.4	13.2	-2.0	16.6	0.7
	17.1	3.4	13.2	-2.0	16.6	0.8
7	8.4	0.5	10.2	-4.1	10.8	-4.1
	8.4	0.5	10.2	-4.1	10.8	-4.1
10	-0.4	-2.3	7.5	-6.5	7.5	-8.8
	0.4	2.3	6.5	-7.5	8.8	-7.5
13	-8.4	-0.5	4.1	-10.2	4.1	-10.8
	-8.4	-0.5	4.1	-10.2	4.1	-10.8
16	-17.1	-3.4	2.0	-13.2	-0.8	-16.6
	-17.1	-3.4	2.0	-13.2	-0.7	-16.6
19	-25.5	-6.2	0.8	-16.3	-5.1	-22.5
No. 2 Main Girder (G-2):						
2	24.7	1.8	21.5	-0.3	23.2	1.3
5	17.0	2.7	15.7	-3.3	18.4	-1.6
	17.0	2.7	15.7	-3.3	18.4	-1.6
8	8.8	3.7	11.0	-7.4	14.7	-5.9
	8.8	3.7	11.0	-7.4	14.7	-5.9
11	0.7	4.7	7.4	-11.8	12.1	-10.7
	-0.7	-4.7	11.8	-7.4	10.7	-12.1
14	-8.8	-3.7	7.4	-11.0	5.9	-14.7
	-8.8	-3.7	7.4	-11.0	5.9	-14.7
17	-17.0	-2.7	3.3	-15.7	1.6	-18.4
	-17.0	-2.7	3.3	-15.7	1.6	-18.4
20	-24.7	-1.8	0.3	-21.5	-1.3	-23.2
No. 3 Main Girder (G-3):						
3	25.5	6.2	16.3	-0.8	22.5	5.1
6	17.1	3.4	13.2	-2.0	16.6	0.7
	17.1	3.4	13.2	-2.0	16.6	0.8
9	8.4	0.5	10.2	-4.1	10.8	-4.1
	8.4	0.5	10.2	-4.1	10.8	-4.1
12	-0.4	-2.3	7.5	-6.5	7.5	-8.8
	0.4	2.3	6.5	-7.5	8.8	-7.5
15	-8.4	-0.5	4.1	-10.2	4.1	-10.8
	-8.4	-0.5	4.1	-10.2	4.1	-10.8
18	-17.1	-3.4	2.0	-13.2	-0.8	-16.6
	-17.1	-3.4	2.0	-13.2	-0.7	-16.6
21	-25.5	-6.2	0.8	-16.3	-5.1	-22.5

Note : B.C : Before compounding
A.C : After compounding
D.L : Shear due to dead load
L.L : Shear due to live load

Table 4.4.3: SUMMARY OF REACTION FORCE
AT SUPPORTS

				Unit : ton
Nodal Point	D.L (B.C)	D.L (A.C)	L.L Max. (A.C)	Total Reaction Force
<u>No. 1 Main Girder (G-1):</u>				
1	25.5	6.2	16.3	48.0
19	25.5	6.2	16.3	48.0
<u>No. 2 Main Girder (G-2):</u>				
2	24.7	1.8	21.5	47.9
20	24.7	1.8	21.5	47.9
<u>No. 3 Main Girder (G-3):</u>				
3	25.5	6.2	16.3	48.0
21	25.5	6.2	16.3	48.0

Note : B.C : Before compounding
A.C : After compounding
D.L : Reaction due to dead load
L.L : Reaction due to live load

Table 4.4.4: STRESS ANALYSIS RESULT OF COMPOSITE GIRDER
(NO. 1 MAIN GIRDER, NO. 1 SECTION)

- Bending moment before compoundingMS = 101.88 t·m
- Bending moment after compoundingMV = 90.90 t·m
- Bending moment by dead load after compoundingMVD = 22.84 t·m
- Base slab thicknessTS = 18.0 cm
- HaunchHH = 6.0 cm
- Effective base slab widthBS = 228.1 cm
- Distance between fixed points of flangeP = 490.0 cm
- Section and sectional area of steel girder:

	<u>Section (mm)</u>	<u>Sectional Area (cm²)</u>
• Upper flange	<u>230</u> x <u>11</u>	<u>25.3</u> (SM50Y)
• Web	<u>1,550</u> x <u>9</u>	<u>139.5</u> (SM50Y)
• Lower flange	<u>280</u> x <u>11</u>	<u>30.8</u> (SM50Y)
TOTAL		195.6

- Sectional area and moment of inertia of area:

	<u>Sectional Area (cm²)</u>	<u>Moment of Inertia of Area (cm⁴)</u>
• Concrete section : AC =	<u>4,105</u>	IC = <u>110,832</u>
• Steel girder section : AS =	<u>195.6</u>	IS = <u>620,099</u>
• Composite section : AV =	<u>782</u>	IV = <u>1,951,186</u>

- Geometrical moment of area of concrete (AC x DC)QC = 97,226 cm³
- Distance and section modulus (See Fig.4.4.7):

<u>Distance (cm)</u>	<u>Section Modulus (cm³)</u>
D = <u>94.7</u>	WSU = <u>7,675</u>
DS = <u>71.0</u>	WSL = <u>8,116</u>
DC = <u>23.7</u>	WVU = <u>199,399</u>
YSU = <u>80.8</u>	WVL = <u>13,236</u>
YSL = <u>76.4</u>	
YVU = <u>9.8</u>	
YVL = <u>147.4</u>	
YVC = <u>32.7</u>	

- Axial force

• Due to drying shrinkage	NSH = <u>17.1</u>	ton
• Due to creep	NCR = <u>2.5</u>	ton
• Due to temperature change.....	NTM = <u>12.0</u>	ton

- Stress (kg/cm²):

	<u>Concrete Base Slab</u>	<u>Upper Flange</u>	<u>Lower Flange</u>
(1) Stress before compounding	-	- 1,327	1,255
(2) Stress after compounding	- 21.8	- 46	687
(3) Stress due to drying shrinkage	3.1	- 297	110
(4) Stress due to creep	1.9	- 42	16
(5) Stress due to temperature difference	- 0.6	- 207	75
(6) = (1)	-	- 1,327	1,255
Allowable stress	-	- 1,412	2,625
(7) = (1) + (2)	- 21.8	- 1,373	1,942
Allowable stress	- 77.1	- 2,100	2,100
(8) = (1) + (2) + (3) + (4)	- 16.8	- 1,712	2,068
Allowable stress	- 77.1	- 2,415	2,100
(9) = (1) + (2) + (3) + (4) + (5)	- 17.5	- 1,918	2,143
Allowable stress	- 88.7	- 2,730	2,415

Table 4.4.5: STRESS ANALYSIS RESULT OF COMPOSITE GIRDER
(NO. 1, MAIN GIRDER, NO. 2, SECTION)

- Bending moment before compounding.....MS = 182.18 t·m
- Bending moment after compoundingMV = 165.06 t·m
- Bending moment by dead load after compoundingMVD = 27.76 t·m
- Base slab thicknessTS = 18.0 cm
- HaunchHH = 6.0 cm
- Effective base slab width.....BS = 228.1 cm
- Distance between fixed points of flange.....P = 490.0 cm
- Section and sectional area of steel girder:

	<u>Section (mm)</u>	<u>Sectional Area (cm²)</u>
• Upper flange :	<u>280</u> x <u>14</u>	<u>39.2</u> (SM50Y)
• Web :	<u>1,550</u> x <u>9</u>	<u>139.5</u> (SM50Y)
• Lower flange :	<u>440</u> x <u>19</u>	<u>83.6</u> (SM50Y)

TOTAL 262.3

- Sectional area and moment of inertia of area:

	<u>Sectional Area</u> (cm ²)	<u>Moment of Inertia</u> of Area (cm ⁴)
• Concrete section : AC =	<u>4,105</u>	IC = <u>110,832</u>
• Steel girder section : AS =	<u>262.3</u>	IS = <u>987,001</u>
• Composite section : AV =	<u>849</u>	IV = <u>3,032,152</u>

- Geometrical moment of area of concrete (AC x DC).....QC = 134,244 cm³
- Distance and section modulus (See Fig. 4.4.7):

	<u>Distance (cm)</u>	<u>Section Modulus (cm³)</u>
D =	<u>105.8</u>	WSU = <u>10,703</u>
DS =	<u>73.1</u>	WSL = <u>14,936</u>
DC =	<u>32.7</u>	WVU = <u>158,724</u>
YSU =	<u>92.2</u>	WVL = <u>21,783</u>
YSL =	<u>66.1</u>	
YVU =	<u>19.1</u>	
YVL =	<u>139.2</u>	
YVC =	<u>41.7</u>	

- Axial force

• Due to drying shrinkage	NSH = <u>20.8</u>	ton
• Due to creep	NCR = <u>3.3</u>	ton
• Due to temperature change.....	NTM = <u>15.1</u>	ton

- Stress (kg/cm²):

	Concrete Base Slab	Upper Flange	Lower Flange
(1) Stress before compounding	-	- 1,702	1,220
(2) Stress after compounding	- 32.4	- 104	758
(3) Stress due to drying shrinkage	4.1	- 284	67
(4) Stress due to creep	1.7	- 44	10
(5) Stress due to temperature difference	- 1.6	- 205	48
(6) = (1)	-	- 1,702	1,220
Allowable stress	-	- 1,765	2,625
(7) = (1) + (2)	- 32.4	- 1,806	1,977
Allowable stress	- 77.1	- 2,100	2,100
(8) = (1) + (2) + (3) + (4)	- 26.6	- 2,134	2,055
Allowable stress	- 77.1	- 2,415	2,100
(9) = (1) + (2) + (3) + (4) + (5)	- 28.2	- 2,338	2,103
Allowable stress	- 88.7	- 2,730	2,415

Table 4.4.6: STRESS ANALYSIS RESULT OF COMPOSITE GIRDER
(NO. 1 MAIN GIRDER, NO. 3 SECTION)

- Bending moment before compoundingMS = 101.89 t·m
- Bending moment after compoundingMV = 90.91 t·m
- Bending moment by dead load after compoundingMVD = 22.85 t·m
- Base slab thicknessTS = 18.0 cm
- HaunchHH = 6.0 cm
- Effective base slab widthBS = 228.1 cm
- Distance between fixed points of flangeP = 490.1 cm
- Section and sectional area of steel girder:

	<u>Section (mm)</u>	<u>Sectional Area (cm²)</u>
• Upper flange	: <u>230</u> x <u>11</u>	<u>25.3</u> (SM50Y)
• Web	: <u>1,550</u> x <u>9</u>	<u>139.5</u> (SM50Y)
• Lower flange	: <u>280</u> x <u>11</u>	<u>30.8</u> (SM50Y)

TOTAL 195.6

- Sectional area and moment of inertia of area:

	<u>Sectional Area (cm²)</u>	<u>Moment of Inertia of Area (cm⁴)</u>
• Concrete section : AC =	<u>4.105</u>	IC = <u>110.832</u>
• Steel girder section : AS =	<u>195.6</u>	IS = <u>620.099</u>
• Composite section : AV =	<u>78.2</u>	IV = <u>1,951.186</u>

- Geometrical moment of area of concrete (AC x DC)QC = 97,226 cm³
- Distance and section modulus (See Fig. 4.4.7):

<u>Distance (cm)</u>	<u>Section Modulus (cm³)</u>
D = <u>94.7</u>	WSU = <u>7.675</u>
DS = <u>71.0</u>	WSL = <u>8.116</u>
DC = <u>23.7</u>	WVU = <u>199.399</u>
YSU = <u>80.8</u>	WVL = <u>13.236</u>
YSL = <u>76.4</u>	
YVU = <u>9.8</u>	
YVL = <u>147.4</u>	
YVC = <u>32.7</u>	

- Axial force

• Due to drying shrinkage	NSH = <u>17.1</u>	ton
• Due to creep	NCR = <u>2.5</u>	ton
• Due to temperature change	NTM = <u>12.0</u>	ton

- Stress (kg/cm²):

	Concrete Base Slab	Upper Flange	Lower Flange
(1) Stress before compounding	-	- 1,328	1,255
(2) Stress after compounding	- 21.8	- 46	687
(3) Stress due to drying shrinkage	3.1	- 297	110
(4) Stress due to creep	1.9	- 42	16
(5) Stress due to temperature difference	- 0.6	- 207	75
(6) = (1)	-	- 1,328	1,255
Allowable stress	-	- 1,412	2,625
(7) = (1) + (2)	- 21.8	- 1,373	1,942
Allowable stress	- 77.1	- 2,100	2,100
(8) = (1) + (2) + (3) + (4)	- 16.8	- 1,712	2,068
Allowable stress	- 77.1	- 2,415	2,100
(9) = (1) + (2) + (3) + (4) + (5)	- 17.5	- 1,918	2,144
Allowable stress	- 88.7	- 2,730	2,415

Table 4.4.7: STRESS ANALYSIS RESULT OF COMPOSITE GIRDER
(NO. 2 MAIN GIRDER, NO. 1 SECTION)

- Bending moment before compounding.....MS = 99.73 t.m
- Bending moment after compounding.....MV = 92.14 t.m
- Bending moment by dead load after compoundingMVD = 10.68 t.m
- Base slab thicknessTS = 18.0 cm
- Haunch.....HH = 9.9 cm
- Effective base slab width.....BS = 263.9 cm
- Distance between fixed points of flange.....P = 490.0 cm
- Section and sectional area of steel girder:

	Section (mm)	Sectional Area (cm ²)
• Upper flange	: <u>230</u> x <u>10</u>	<u>23.0</u> (SM50Y)
• Web	: <u>1,550</u> x <u>9</u>	<u>139.5</u> (SM50Y)
• Lower flange	: <u>280</u> x <u>11</u>	<u>30.8</u> (SM50Y)
TOTAL		<u>193.3</u>

- Sectional area and moment of inertia of area:

	Sectional Area (cm ²)	Moment of Inertia of Area (cm ⁴)
• Concrete section : AC =	<u>4,750</u>	IC = <u>128,255</u>
• Steel girder section : AS =	<u>193.3</u>	IS = <u>604,926</u>
• Composite section : AV =	<u>872</u>	IV = <u>2,114,354</u>

- Geometrical moment of area of concrete (AC x DC).....QC = 104,844 cm³

- Distance and section modulus (See Fig. 4.4.7):

Distance (cm)	Section Modulus (cm ³)
D = <u>99.6</u>	WSU = <u>7,408</u>
DS = <u>77.5</u>	WSL = <u>8,018</u>
DC = <u>22.1</u>	WVU = <u>506,868</u>
YSU = <u>81.7</u>	WVL = <u>13,826</u>
YSL = <u>75.4</u>	
YVU = <u>4.2</u>	
YVL = <u>152.9</u>	
YVC = <u>31.1</u>	

- Axial force

• Due to drying shrinkage.....NSH =	<u>16.3</u>	ton
• Due to creep.....NCR =	<u>1.0</u>	ton
• Due to temperature change.....NTM =	<u>11.2</u>	ton

- Stress (kg/cm²):

	Concrete Base Slab	Upper Flange	Lower Flange
(1) Stress before compounding	-	- 1,346	1,244
(2) Stress after compounding	- 19.3	- 18	666
(3) Stress due to drying shrinkage	2.3	- 301	116
(4) Stress due to creep	0.7	- 17	6
(5) Stress due to temperature difference	- 0.1	- 204	77
(6) = (1)	-	- 1,346	1,244
Allowable stress	-	- 1,379	2,625
(7) = (1) + (2)	- 19.3	- 1,364	1,910
Allowable stress	- 77.1	- 2,100	2,100
(8) = (1) + (2) + (3) + (4)	- 16.3	- 1,682	2,033
Allowable stress	- 77.1	- 2,415	2,100
(9) = (1) + (2) + (3) + (4) + (5)	- 16.4	- 1,886	2,109
Allowable stress	- 88.7	- 2,730	2,415

Table 4.4.8: STRESS ANALYSIS RESULT OF COMPOSITE GIRDER
(NO. 2 MAIN GIRDER, NO. 2 SECTION)

- Bending moment before compounding.....MS = 184.64 t·m
- Bending moment after compounding.....MV = 174.66 t·m
- Bending moment by dead load after compounding.....MVD = 46.45 t·m
- Base slab thickness.....TS = 18.0 cm
- Haunch.....HH = 9.9 cm
- Effective base slab width.....BS = 263.9 cm
- Distance between fixed points of flange.....P = 490.0 cm
- Section and sectional area of steel girder:

	<u>Section (mm)</u>	<u>Sectional Area (cm²)</u>
• Upper flange :	<u>280</u> x <u>14</u>	<u>39.2</u> (SM50Y)
• Web :	<u>1,550</u> x <u>9</u>	<u>139.5</u> (SM50Y)
• Lower flange :	<u>450</u> x <u>19</u>	<u>85.5</u> (SM50Y)
TOTAL		<u>264.2</u>

- Sectional area and moment of inertia of area:

	<u>Sectional Area (cm²)</u>	<u>Moment of Inertia of Area (cm⁴)</u>
• Concrete section : AC =	<u>4,750</u>	IC = <u>128,255</u>
• Steel girder section : AS =	<u>264.2</u>	IS = <u>995,003</u>
• Composite section : AV =	<u>943</u>	IV = <u>3,322,056</u>

- Geometrical moment of area of concrete (AC x DC).....QC = 146,672 cm³

- Distance and section modulus (See Fig. 4.4.7):

	<u>Distance (cm)</u>	<u>Section Modulus (cm³)</u>
D =	<u>110.2</u>	WSU = <u>10,735</u>
DS =	<u>79.3</u>	WSL = <u>15,164</u>
DC =	<u>30.9</u>	WVU = <u>248,339</u>
YSU =	<u>92.7</u>	WVL = <u>22,923</u>
YSL =	<u>65.6</u>	
YVU =	<u>13.4</u>	
YVL =	<u>144.9</u>	
YVC =	<u>39.9</u>	

- Axial force

• Due to drying shrinkage.....	NSH = <u>20.7</u>	ton
• Due to creep.....	NCR = <u>4.7</u>	ton
• Due to temperature change.....	NTM = <u>14.6</u>	ton

- Stress (kg/cm²):

	Concrete Base Slab	Upper Flange	Lower Flange
(1) Stress before compounding	-	- 1,720	1,218
(2) Stress after compounding	- 30.0	- 70	762
(3) Stress due to drying shrinkage	3.4	- 289	71
(4) Stress due to creep	2.4	- 64	16
(5) Stress due to temperature difference	- 1.0	- 203	49
(6) = (1)	-	- 1,720	1,218
Allowable stress	-	- 1,765	2,625
(7) = (1) + (2)	- 30.0	- 1,790	1,980
Allowable stress	- 77.1	- 2,100	2,100
(8) = (1) + (2) + (3) + (4)	- 24.1	- 2,143	2,066
Allowable stress	- 77.1	- 2,415	2,100
(9) = (1) + (2) + (3) + (4) + (5)	- 25.2	- 2,346	2,115
Allowable stress	- 88.7	- 2,730	2,415

Table 4.4.9: STRESS ANALYSIS RESULT OF COMPOSITE GIRDER
(NO. 2 MAIN GIRDER, NO. 3 SECTION)

- Bending moment before compounding.....MS = 99.75 tm
- Bending moment after compounding.....MV = 92.16 tm
- Bending moment by dead load after compounding.....MVD = 10.68 tm
- Base slab thickness.....TS = 18.0 cm
- Haunch.....HH = 9.9 cm
- Effective base slab width.....BS = 263.9 cm
- Distance between fixed points of flange.....P = 490.0 cm
- Section and sectional area of steel girder:

	<u>Section (mm)</u>	<u>Sectional Area (cm²)</u>
• Upper flange :	<u>230</u> x <u>10</u>	<u>23.0</u> (SM50Y)
• Web :	<u>1,550</u> x <u>9</u>	<u>139.5</u> (SM50Y)
• Lower flange :	<u>280</u> x <u>11</u>	<u>30.8</u> (SM50Y)

TOTAL 193.3

- Sectional area and moment of inertia of area:

	<u>Sectional Area (cm²)</u>	<u>Moment of Inertia of Area (cm⁴)</u>
• Concrete section : AC =	<u>4,750</u>	IC = <u>128,255</u>
• Steel girder section : AS =	<u>193.3</u>	IS = <u>604,926</u>
• Composite section : AV =	<u>872</u>	IV = <u>2,114,354</u>

- Geometrical moment of area of concrete (AC x DC).....QC = 104,844 cm³
- Distance and section modulus (See Fig. 4.4.7):

<u>Distance (cm)</u>	<u>Section Modulus (cm³)</u>
D = <u>99.6</u>	WSU = <u>7,408</u>
DS = <u>77.5</u>	WSL = <u>8,018</u>
DC = <u>22.1</u>	WVU = <u>506,868</u>
YSU = <u>81.7</u>	WVL = <u>13,826</u>
YSL = <u>75.4</u>	
YVU = <u>4.2</u>	
YVL = <u>152.9</u>	
YVC = <u>31.1</u>	

- Axial force

• Due to drying shrinkage.....NSH =	<u>16.3</u>	ton
• Due to creep.....NCR =	<u>1.0</u>	ton
• Due to temperature change.....NTM =	<u>11.2</u>	ton

- Stress (kg/cm²):

	<u>Concrete Base Slab</u>	<u>Upper Flange</u>	<u>Lower Flange</u>
(1) Stress before compounding	-	- 1,346	1,244
(2) Stress after compounding	- 19.3	- 18	667
(3) Stress due to drying shrinkage	2.3	- 301	116
(4) Stress due to creep	0.7	- 17	6
(5) Stress due to temperature difference	- 0.1	- 204	77
(6) = (1)	-	- 1,346	1,244
Allowable stress	-	- 1,379	2,625
(7) = (1) + (2)	- 19.3	- 1,365	1,911
Allowable stress	- 77.1	- 2,100	2,100
(8) = (1) + (2) + (3) + (4)	- 16.3	- 1,682	2,033
Allowable stress	- 77.1	- 2,415	2,100
(9) = (1) + (2) + (3) + (4) + (5)	- 16.4	- 1,886	2,110
Allowable stress	- 88.7	- 2,730	2,415

Table 4.4.10: STRESS ANALYSIS RESULT OF COMPOSITE GIRDER
(NO. 3 MAIN GIRDER, NO. 1 SECTION)

- Bending moment before compounding.....MS = 101.88 tm
- Bending moment after compounding.....MV = 90.90 tm
- Bending moment by dead load after compounding.....MVD = 22.84 tm
- Base slab thickness.....TS = 18.0 cm
- Haunch.....HH = 6.0 cm
- Effective base slab width.....BS = 228.1 cm
- Distance between fixed points of flange.....P = 490.0 cm
- Section and sectional area of steel girder:

	Section (mm)	Sectional Area (cm ²)
• Upper flange	: <u>230</u> x <u>11</u>	<u>25.3</u> (SM50Y)
• Web	: <u>1,550</u> x <u>9</u>	<u>139.5</u> (SM50Y)
• Lower flange	: <u>280</u> x <u>11</u>	<u>30.8</u> (SM50Y)

TOTAL 195.6

- Sectional area and moment of inertia of area:

	Sectional Area (cm ²)	Moment of Inertia of Area (cm ⁴)
• Concrete section : AC =	<u>4.105</u>	IC = <u>110.832</u>
• Steel girder section : AS =	<u>195.6</u>	IS = <u>620.099</u>
• Composite section : AV =	<u>782</u>	IV = <u>1,951.186</u>

- Geometrical moment of area of concrete (AC x DC).....QC = 97.226 cm³

- Distance and section modulus (See Fig. 4.4.7):

Distance (cm)	Section Modulus (cm ³)
D = <u>94.7</u>	WSU = <u>7.675</u>
DS = <u>71.0</u>	WSL = <u>8.116</u>
DC = <u>23.7</u>	WVU = <u>199.399</u>
YSU = <u>80.8</u>	WVL = <u>13.236</u>
YSL = <u>76.4</u>	
YVU = <u>9.8</u>	
YVL = <u>147.4</u>	
YVC = <u>32.7</u>	

- Axial force

• Due to drying shrinkage.....NSH =	<u>17.1</u>	ton
• Due to creep.....NCR =	<u>2.5</u>	ton
• Due to temperature change.....NTM =	<u>12.0</u>	ton

- Stress (kg/cm²):

	Concrete Base Slab	Upper Flange	Lower Flange
(1) Stress before compounding	-	- 1,327	1,255
(2) Stress after compounding	- 21.8	- 46	687
(3) Stress due to drying shrinkage	3.1	- 297	110
(4) Stress due to creep	1.9	- 42	16
(5) Stress due to temperature difference	- 0.6	- 207	75
(6) = (1)	-	- 1,327	1,255
Allowable stress	-	- 1,412	2,625
(7) = (1) + (2)	- 21.8	- 1,373	1,942
Allowable stress	- 77.1	- 2,100	2,100
(8) = (1) + (2) + (3) + (4)	- 16.8	- 1,712	2,068
Allowable stress	- 77.1	- 2,415	2,100
(9) = (1) + (2) + (3) + (4) + (5)	- 17.5	- 1,918	2,143
Allowable stress	- 88.7	- 2,730	2,415

Table 4.4.11: STRESS ANALYSIS RESULT OF COMPOSITE GIRDER
(NO. 3 MAIN GIRDER, NO. 2 SECTION)

- Bending moment before compoundingMS = 182.18 t·m
- Bending moment after compoundingMV = 165.06 t·m
- Bending moment by dead load after compoundingMVD = 27.76 t·m
- Base slab thicknessTS = 18.0 cm
- HaunchHH = 6.0 cm
- Effective base slab width.....BS = 228.1 cm
- Distance between fixed points of flange.....P = 490.0 cm
- Section and sectional area of steel girder:

	<u>Section (mm)</u>	<u>Sectional Area (cm²)</u>
• Upper flange :	<u>280</u> x <u>14</u>	<u>39.2</u> (SM50Y)
• Web :	<u>1,550</u> x <u>9</u>	<u>139.5</u> (SM50Y)
• Lower flange :	<u>440</u> x <u>19</u>	<u>83.6</u> (SM50Y)
TOTAL		<u>262.3</u>

- Sectional area and moment of inertia of area:

	<u>Sectional Area (cm²)</u>	<u>Moment of Inertia of Area (cm⁴)</u>
• Concrete section : AC =	<u>4,105</u>	<u>110,832</u>
• Steel girder section : AS =	<u>262.3</u>	<u>987,001</u>
• Composite section : AV =	<u>849</u>	<u>3,032,152</u>

- Geometrical moment of area of concrete (AC x DC).....QC = 134,244 cm³
- Distance and section modulus (See Fig. 4.4.7):

<u>Distance (cm)</u>	<u>Section Modulus (cm³)</u>
D = <u>105.8</u>	WSU = <u>10,703</u>
DS = <u>73.1</u>	WSL = <u>14,936</u>
DC = <u>32.7</u>	WVU = <u>158,724</u>
YSU = <u>92.2</u>	WVL = <u>21,783</u>
YSL = <u>66.1</u>	
YVU = <u>19.1</u>	
YVL = <u>139.2</u>	
YVC = <u>41.7</u>	

- Axial force

• Due to drying shrinkage	NSH = <u>20.8</u>	ton
• Due to creep	NCR = <u>3.3</u>	ton
• Due to temperature change.....	NTM = <u>15.1</u>	ton

- Stress (kg/cm²):

	Concrete Base Slab	Upper Flange	Lower Flange
(1) Stress before compounding	-	- 1,702	1,220
(2) Stress after compounding	- 32.4	- 104	758
(3) Stress due to drying shrinkage	4.1	- 284	67
(4) Stress due to creep	1.7	- 44	10
(5) Stress due to temperature difference	- 1.6	- 205	48
(6) = (1)	-	- 1,702	1,220
Allowable stress	-	- 1,765	2,625
(7) = (1) + (2)	- 32.4	- 1,806	1,977
Allowable stress	- 77.1	- 2,100	2,100
(8) = (1) + (2) + (3) + (4)	- 26.6	- 2,134	2,055
Allowable stress	- 77.1	- 2,415	2,100
(9) = (1) + (2) + (3) + (4) + (5)	- 28.2	- 2,338	2,103
Allowable stress	- 88.7	- 2,730	2,415

Table 4.4.12: STRESS ANALYSIS RESULT OF COMPOSITE GIRDER
(NO. 3 MAIN GIRDER, NO. 3 SECTION)

- Bending moment before compoundingMS = 101.89 tm
- Bending moment after compoundingMV = 90.91 tm
- Bending moment by dead load after compoundingMVD = 22.85 tm
- Base slab thicknessTS = 18.0 cm
- HaunchHH = 6.0 cm
- Effective base slab widthBS = 228.1 cm
- Distance between fixed points of flangeP = 490.1 cm

- Section and sectional area of steel girder:

	<u>Section (mm)</u>	<u>Sectional Area (cm²)</u>
• Upper flange	230 x 11	25.3 (SM50Y)
• Web	1,550 x 9	139.5 (SM50Y)
• Lower flange	280 x 11	30.8 (SM50Y)

TOTAL 195.6

- Sectional area and moment of inertia of area:

	<u>Sectional Area (cm²)</u>	<u>Moment of Inertia of Area (cm⁴)</u>
• Concrete section : AC =	<u>4,105</u>	IC = <u>110,832</u>
• Steel girder section : AS =	<u>195.6</u>	IS = <u>620,099</u>
• Composite section : AV =	<u>782</u>	IV = <u>1,951,186</u>

- Geometrical moment of area of concrete (AC x DC).....QC = 97,226 cm³

- Distance and section modulus (See Fig. 4.4.7):

<u>Distance (cm)</u>	<u>Section Modulus (cm³)</u>
D = <u>94.7</u>	WSU = <u>7,675</u>
DS = <u>71.0</u>	WSL = <u>8,116</u>
DC = <u>23.7</u>	WVU = <u>199,399</u>
YSU = <u>80.8</u>	WVL = <u>13,236</u>
YSL = <u>76.4</u>	
YVU = <u>9.8</u>	
YVL = <u>147.4</u>	
YVC = <u>32.7</u>	

- Axial force

- Due to drying shrinkageNSH = 17.1 ton
- Due to creepNCR = 2.5 ton
- Due to temperature changeNTM = 12.0 ton

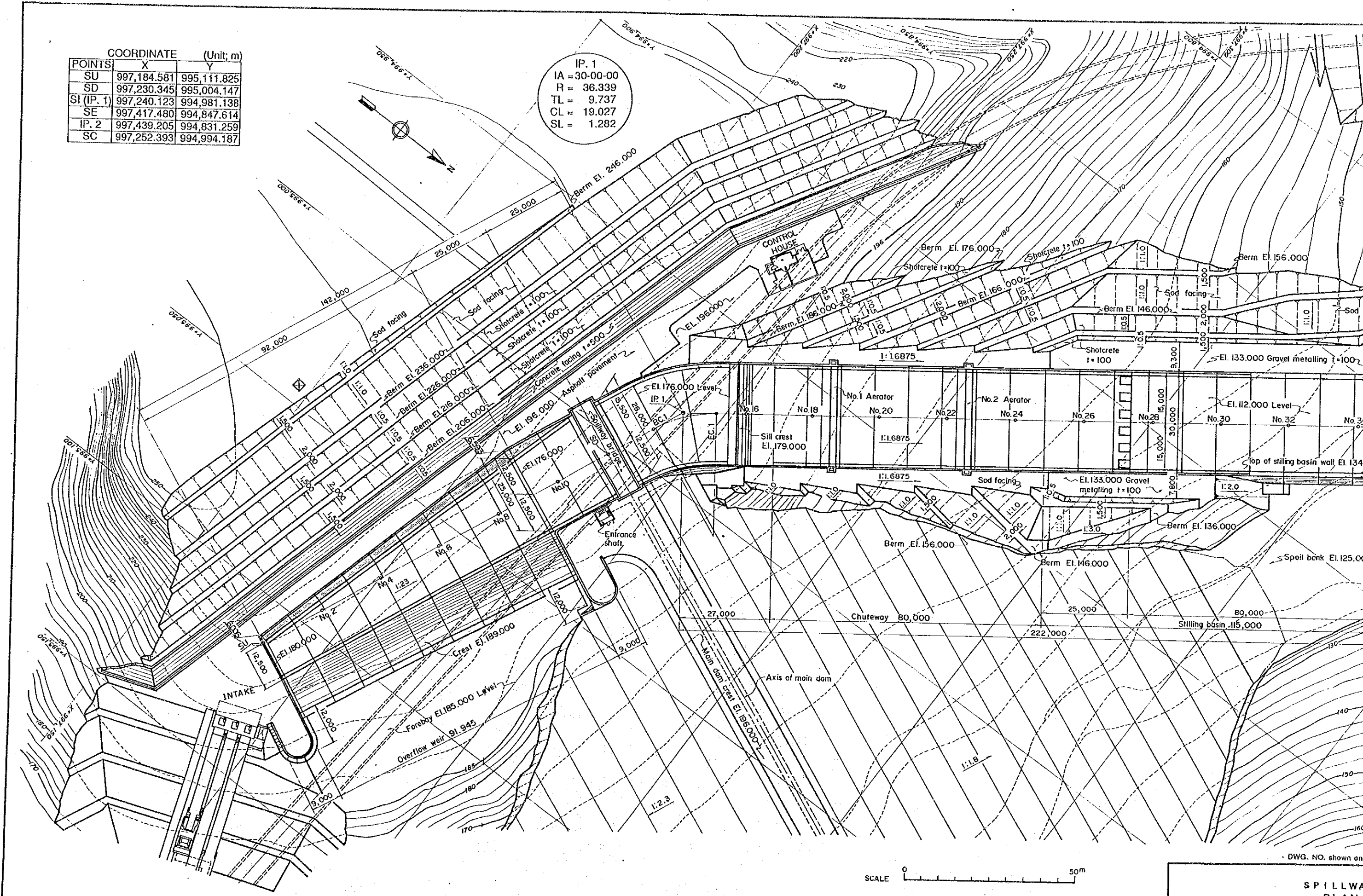
- Stress (kg/cm²):

	Concrete Base Slab	Upper Flange	Lower Flange
(1) Stress before compounding	-	- 1,328	1,255
(2) Stress after compounding	- 21.8	- 46	687
(3) Stress due to drying shrinkage	3.1	- 297	110
(4) Stress due to creep	1.9	- 42	16
(5) Stress due to temperature difference	- 0.6	- 207	75
(6) = (1)	-	- 1,328	1,255
Allowable stress	-	- 1,412	2,625
(7) = (1) + (2)	- 21.8	- 1,373	1,942
Allowable stress	- 77.1	- 2,100	2,100
(8) = (1) + (2) + (3) + (4)	- 16.8	- 1,712	2,068
Allowable stress	- 77.1	- 2,415	2,100
(9) = (1) + (2) + (3) + (4) + (5)	- 17.5	- 1,918	2,144
Allowable stress	- 88.7	- 2,730	2,415

FIGURES

COORDINATE (Unit; m)		
POINTS	X	Y
SU	997,184.581	995,111.825
SD	997,230.345	995,004.147
SI (IP. 1)	997,240.123	994,981.138
SE	997,417.480	994,847.614
IP. 2	997,439.205	994,831.259
SC	997,252.393	994,994.187

IP. 1
 IA = 30.00-00
 R = 36.339
 TL = 9.737
 CL = 19.027
 SL = 1.282



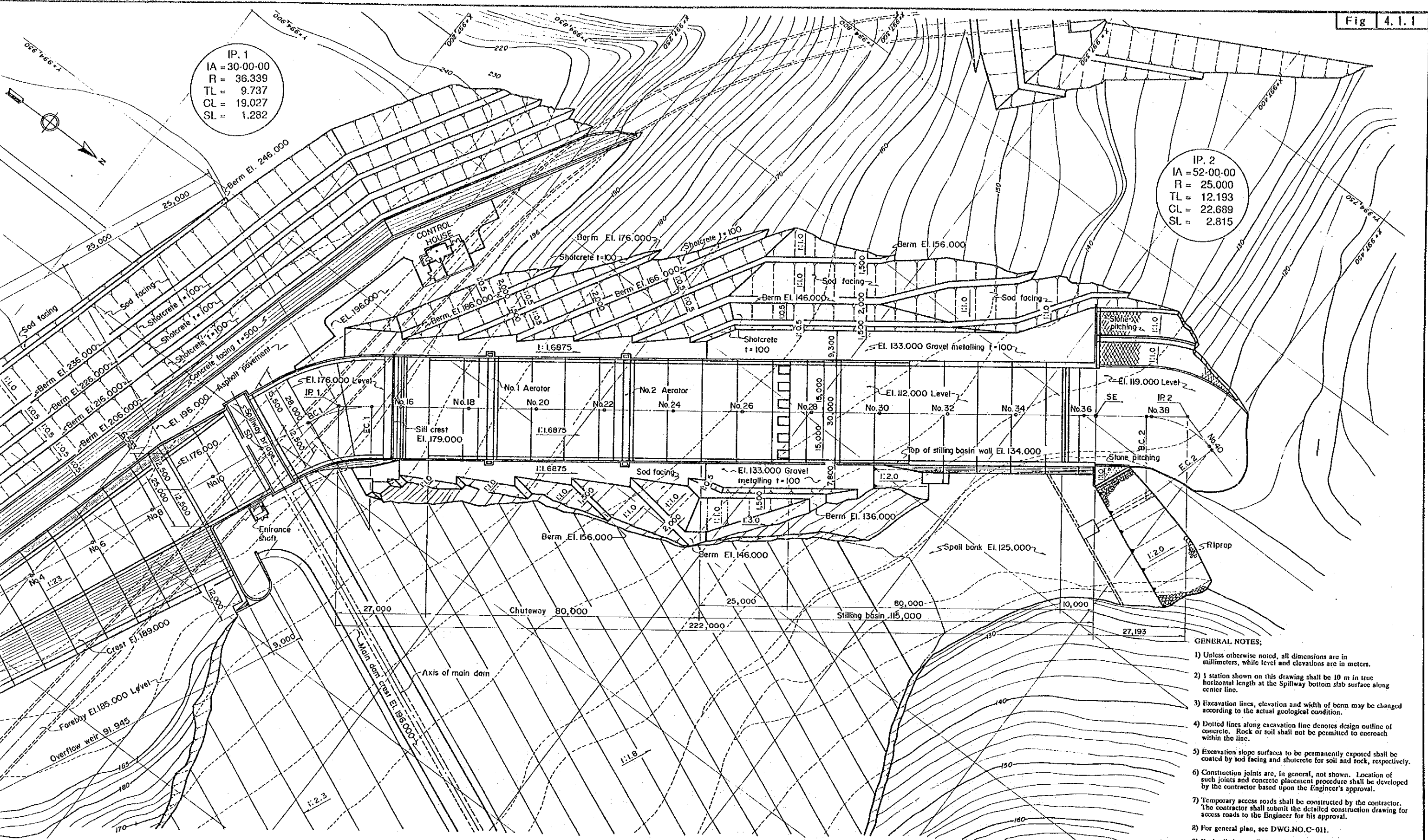
SCALE 0 50m

DWG. NO. shown on II

SPILLWAY PLAN

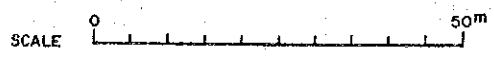
IP. 1
 IA = 30-00-00
 R = 36.339
 TL = 9.737
 CL = 19.027
 SL = 1.282

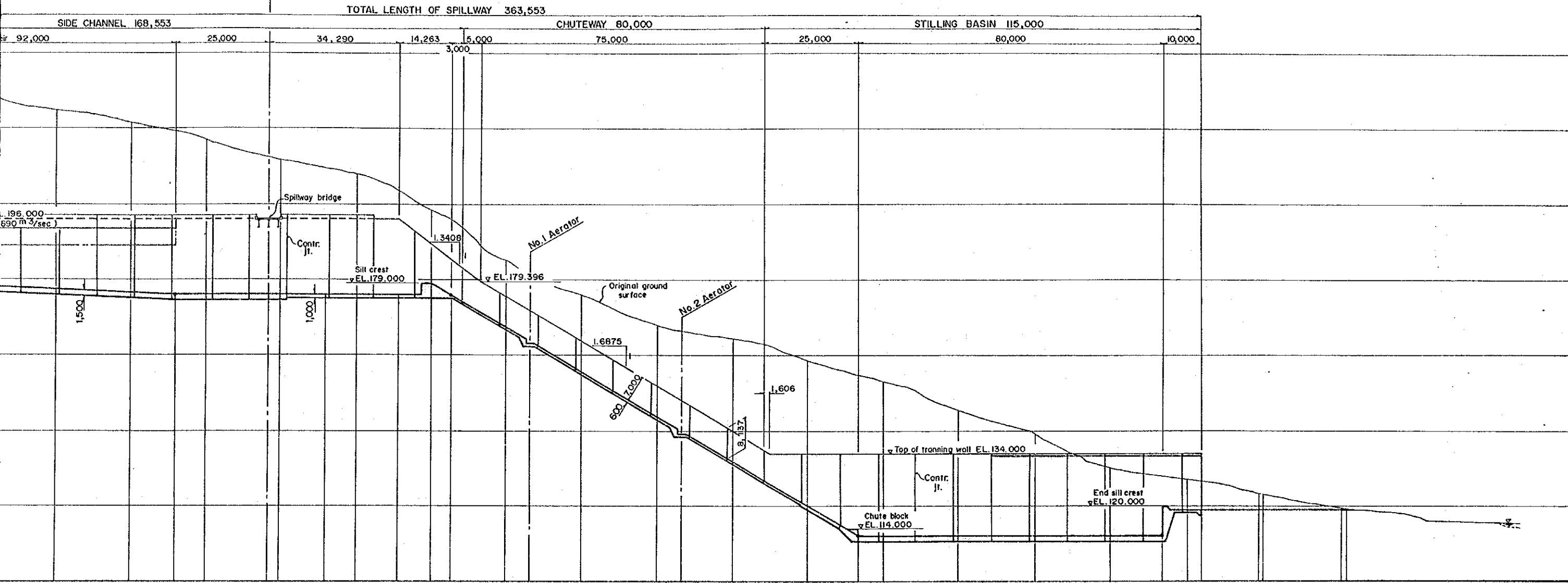
IP. 2
 IA = 52-00-00
 R = 25.000
 TL = 12.193
 CL = 22.689
 SL = 2.815



- GENERAL NOTES:
- 1) Unless otherwise noted, all dimensions are in millimeters, while level and elevations are in meters.
 - 2) 1 station shown on this drawing shall be 10 m in true horizontal length at the Spillway bottom slab surface along center line.
 - 3) Excavation lines, elevation and width of berm may be changed according to the actual geological condition.
 - 4) Dotted lines along excavation line denotes design outline of concrete. Rock or soil shall not be permitted to encroach within the line.
 - 5) Excavation slope surfaces to be permanently exposed shall be coated by sod facing and shotcrete for soil and rock, respectively.
 - 6) Construction joints are, in general, not shown. Location of such joints and concrete placement procedure shall be developed by the contractor based upon the Engineer's approval.
 - 7) Temporary access roads shall be constructed by the contractor. The contractor shall submit the detailed construction drawing for access roads to the Engineer for his approval.
 - 8) For general plan, see DWG.NO.C-011.
 - 9) Drain ditch type "A", refer to DWG.NO.S-001, shall be provided at every 2 m wide berm, but not shown on the drawing.

- DWG. NO. shown on this Figure Indicates the Tender Drawing No..





1:1.6875 (53.259%)		Level L=80,000	
No. 6	20.000	60.000	177.391
No. 8	20.000	80.000	176.552
No. 9	+2.000	92.000	176.000
No. 10	8.000	100.000	176.000
No. 11	+7.000	117.000	176.000
No. 12	3.000	120.000	176.000
BC. 1	12.263	132.263	176.000
No. 14	7.737	140.000	176.000
EC. 1	11.290	151.290	176.000
No. 16	8.710	160.000	176.000
+5.553	5.553	165.553	176.000
No. 18	14.447	180.000	167.439
+6.553	6.553	186.553	162.863
No. 20	13.447	200.000	153.587
No. 22	20.000	220.000	143.793
+6.553	6.553	226.553	139.259
No. 24	13.447	240.000	131.883
No. 26	20.000	260.000	120.031
No. 27	+3.553	273.553	112.000
No. 28	6.447	280.000	112.000
No. 30	20.000	300.000	112.000
No. 32	20.000	320.000	112.000
No. 34	20.000	340.000	112.000
No. 35	+3.553	353.553	112.000
No. 36	6.447	360.000	119.000
+3.553	3.553	363.553	119.000
BC. 2	15.000	378.553	119.000
No. 38	1.447	380.000	119.000
No. 40	20.000	400.000	119.000
EC. 2	1.242	401.242	119.000

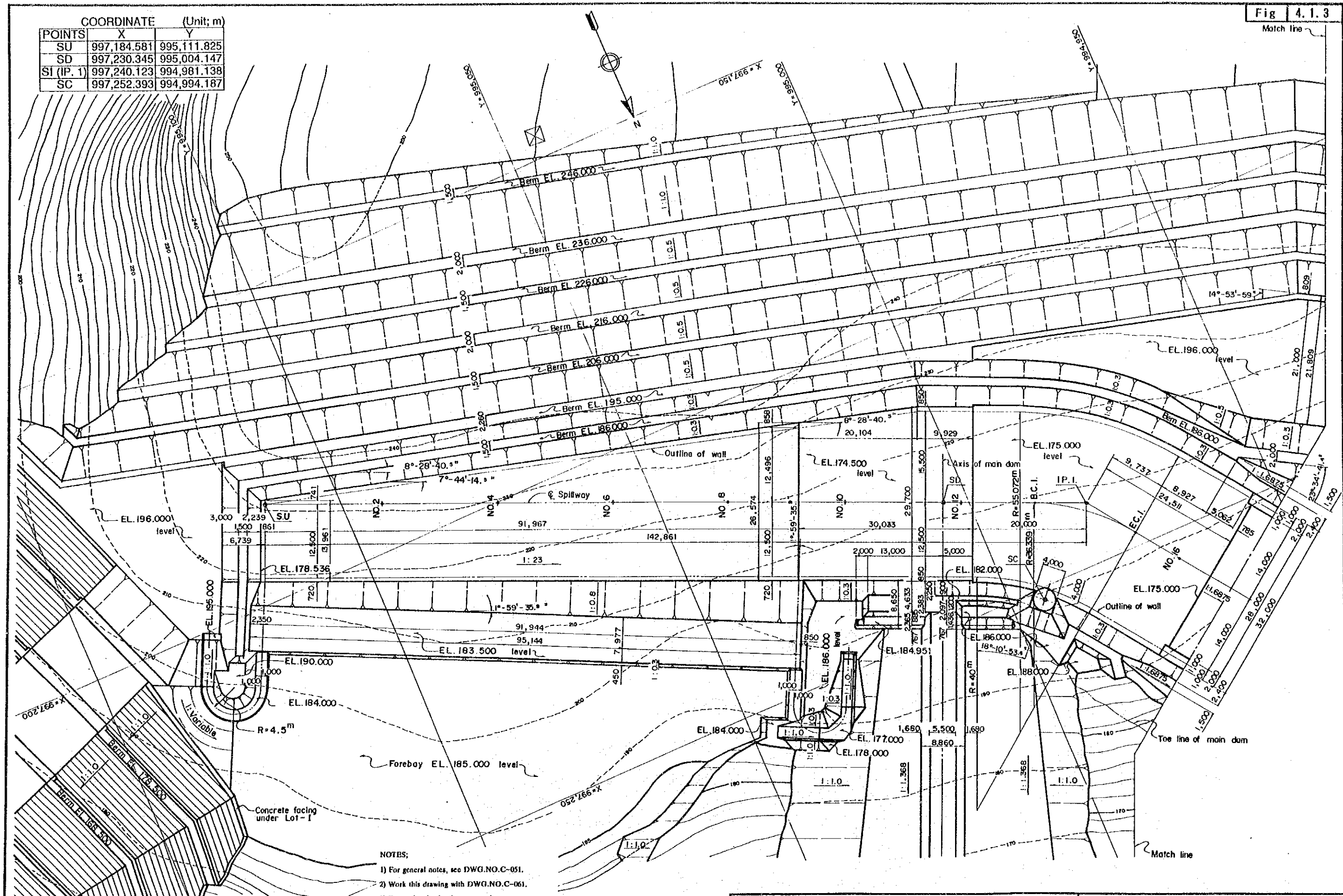
PROFILE

NOTE:
For notes, see DWG.NO.C-051.

- DWG. NO. shown on this Figure indicates the Tender Drawing No.

<p>SPILLWAY PROFILE</p>	<p>GOVERNMENT OF MAURITIUS PORT LOUIS WATER SUPPLY PROJECT</p>
	<p>JAPAN INTERNATIONAL COOPERATION AGENCY</p>

COORDINATE		(Unit; m)
POINTS	X	Y
SU	997,184.581	995,111.825
SD	997,230.345	995,004.147
SI (IP. 1)	997,240.123	994,981.138
SC	997,252.393	994,994.187



- NOTES;
- 1) For general notes, see DWG.NO.C-051.
 - 2) Work this drawing with DWG.NO.C-061.
 - 3) Excavation for Intake are not shown, see DWG.NO.C-104 and C-105.
 - 4) Trench excavation for drain ditch are not shown on the drawing.
- DWG. NO. shown on this Figure indicates the Tender Drawing No..

