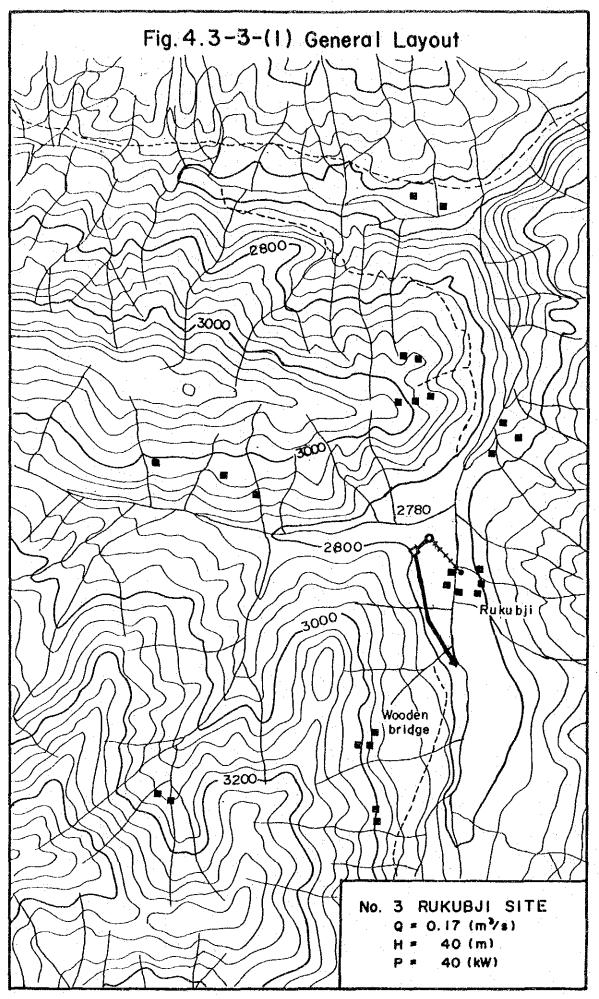
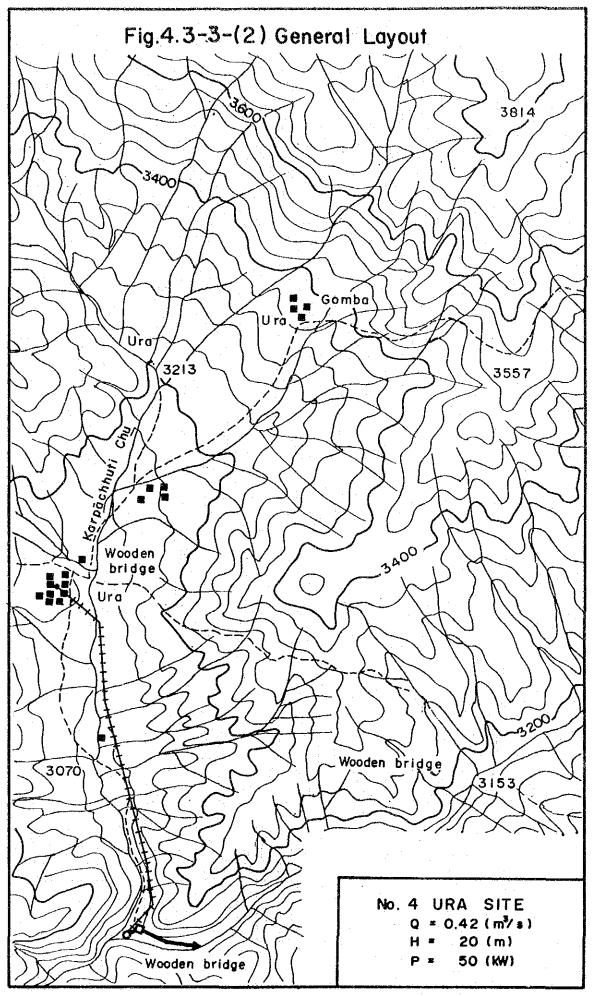
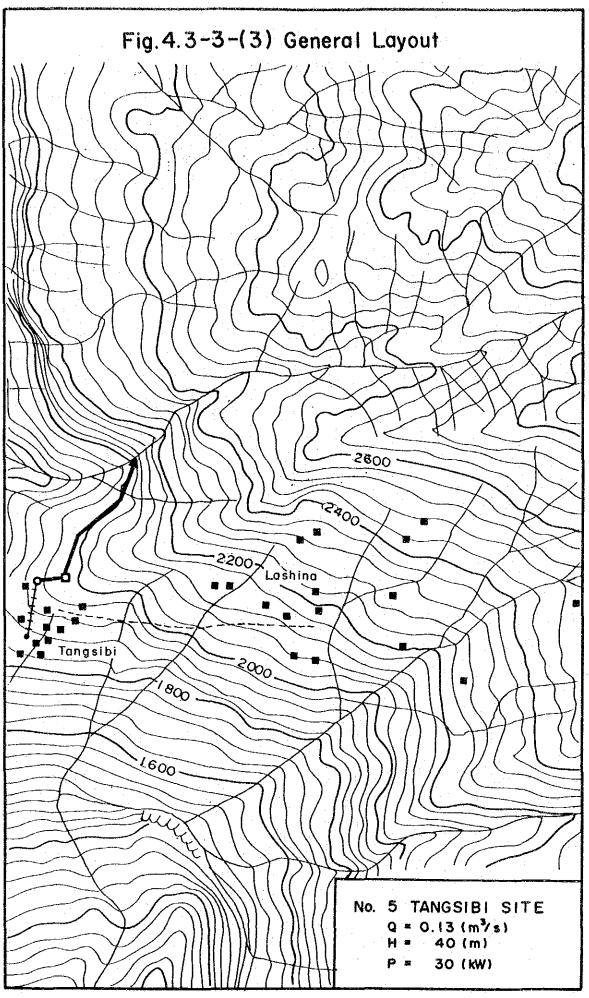
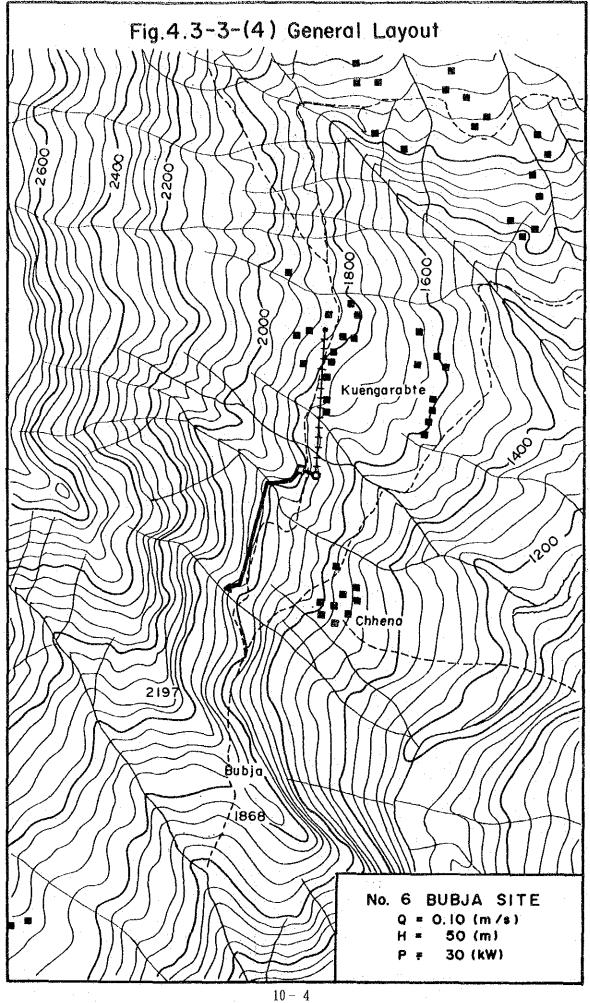


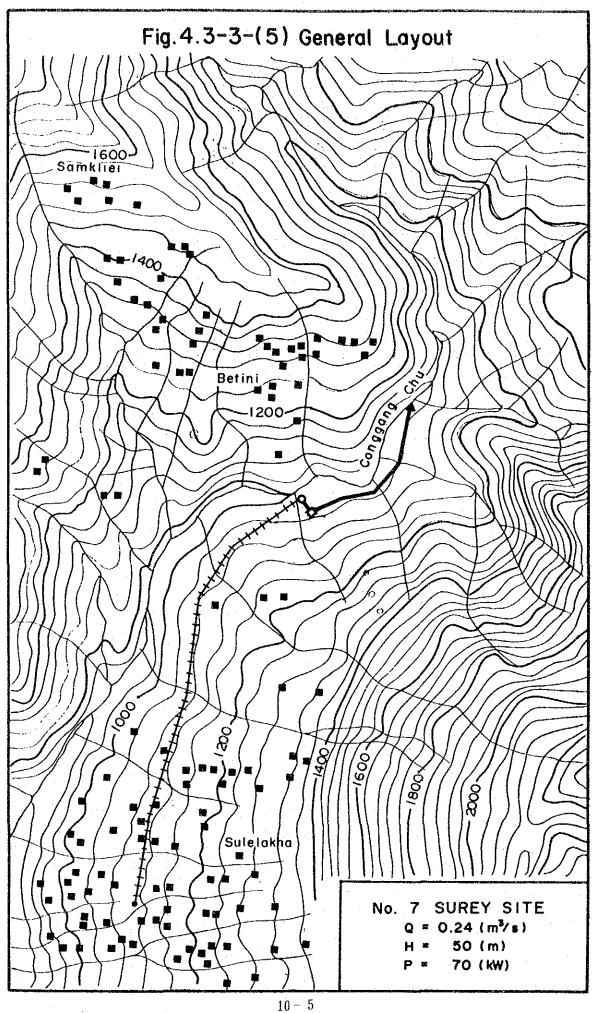
ANNEX-10 GENERAL LAYOUT FOR EACH PROPOSED SITE

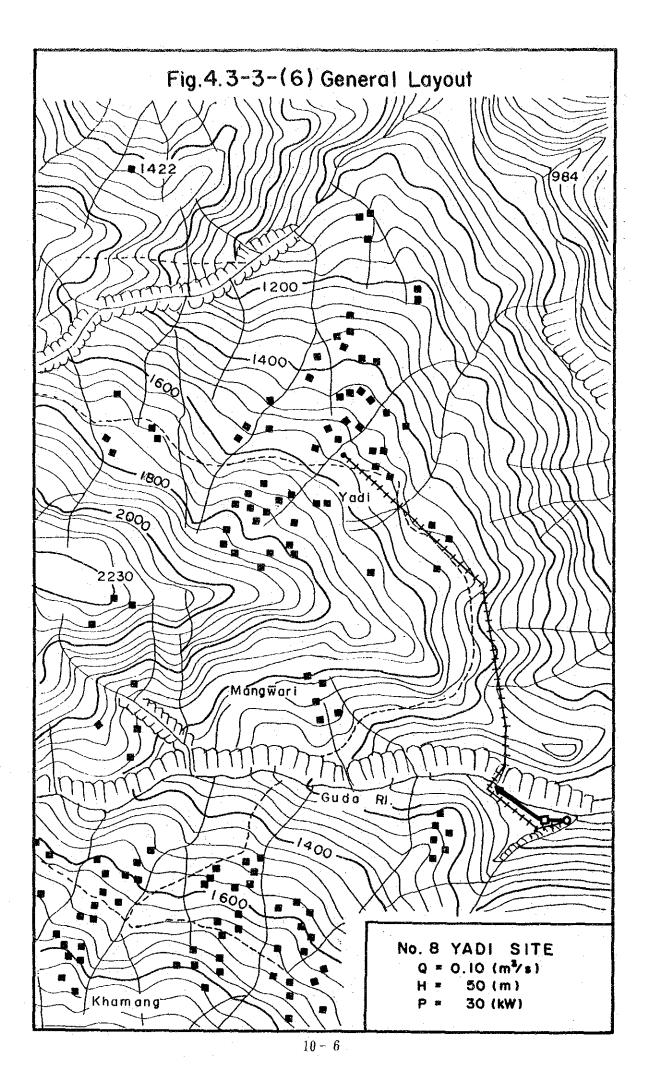


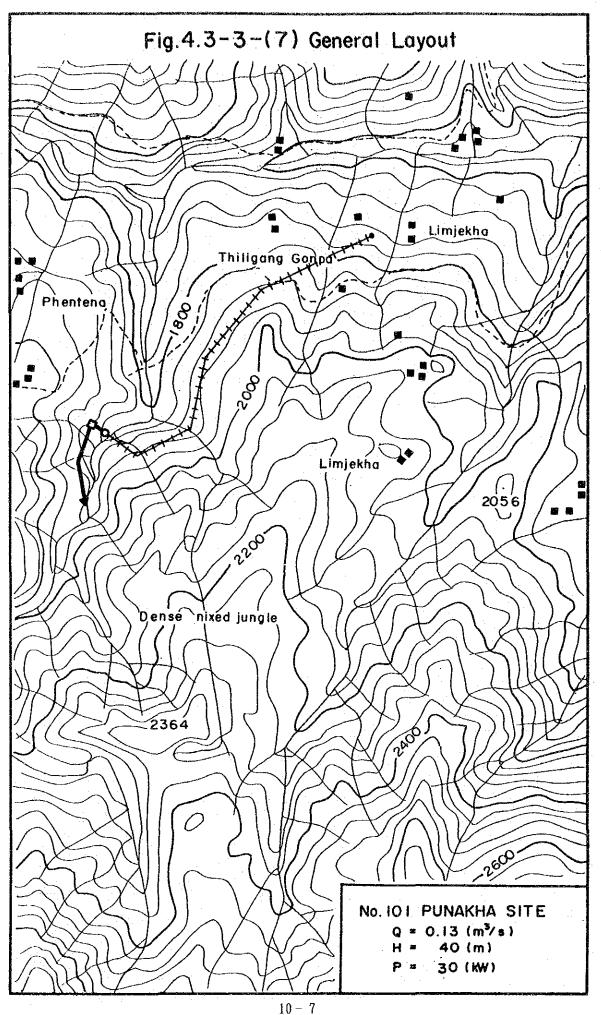


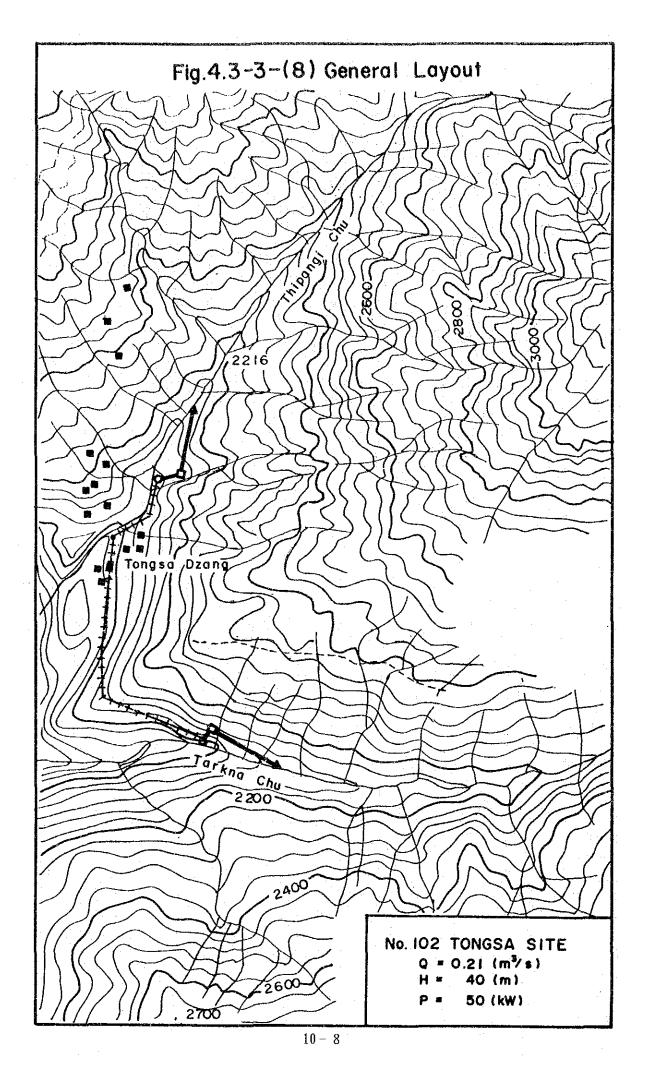


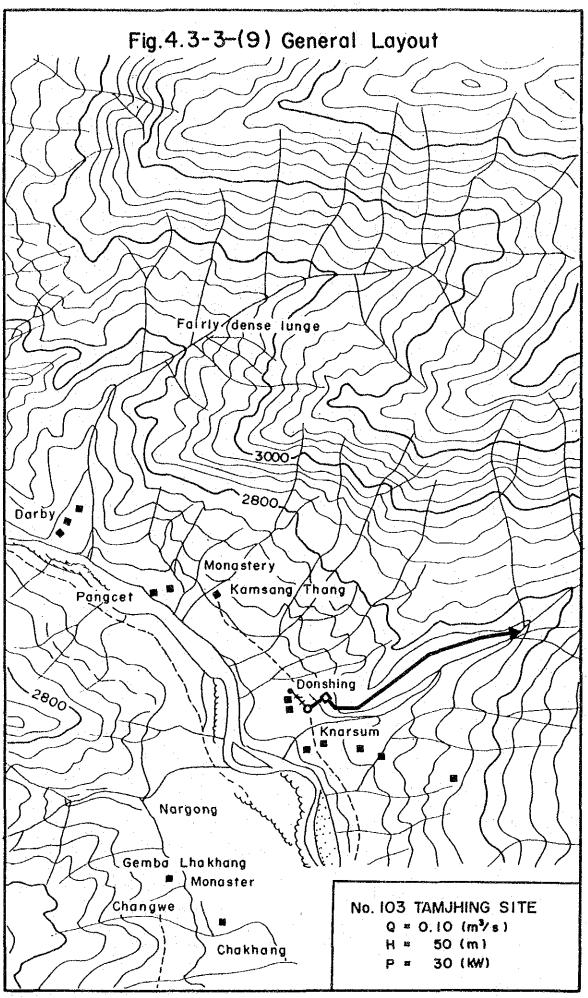


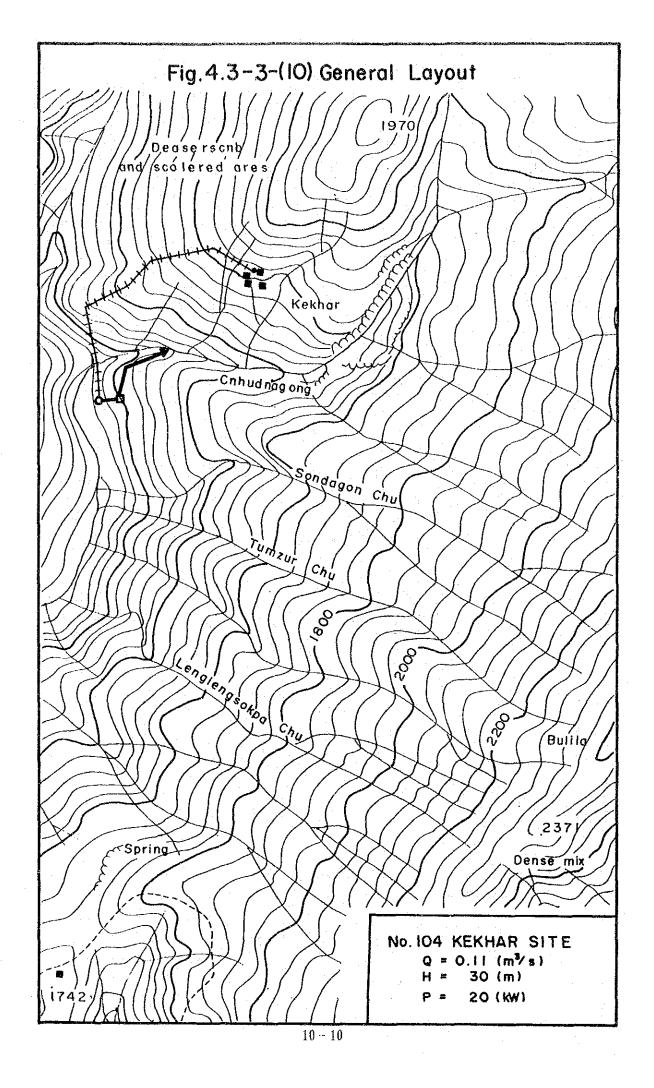












ANNEX-11

CALCULATIONS FOR OPEN CHANNELS

Hydraulically Most Efficient Section of Channels

(1) Trapezoid channel

Provided that the gradient of the channel "I", the sectional area "A" and the roughness coefficient "n" shall be given, the condition of the section, where the largest discharge is available, is to increase (the hydraulic radius) up to the maximum value.

$$R = \frac{A}{P}$$

$$Q = \frac{1}{n} \frac{1}{AR^2/3} \frac{1}{1/2}$$
(Manning's formula)

In other words, it is to decrease
"P" to the minimum value
(P = Perimetre)

A = h (b + h cot α) P = b + 2h cosec $\alpha = \frac{A}{h} - h \cot \alpha + 2 \csc \alpha$

The efficient section may be calculated from $\frac{\partial P}{\partial h} = 0$

 $-\frac{A}{h^2} - \cot \alpha + 2 \operatorname{cosec} \alpha = \frac{-(b+h \cot \alpha)}{h} - \cot \alpha + 2 \operatorname{cosec} \alpha = 0$ $b = 2h \frac{1 - \cos \alpha}{\sin \alpha} = 2h \tan \frac{\alpha}{2}$

Provided that the value is applied into the formula of Manning

$$Q = \frac{1}{n} AR^{2/3} I^{1/2} = \frac{1}{n} I^{1/2} h^{8/3} (2 \tan \frac{\alpha}{2} + \cot \alpha) \left(\frac{1 + \frac{\cot \alpha}{2 \tan \frac{\alpha}{2}}}{1 + \frac{1}{\sin \alpha \cdot \tan^{\alpha/2}}} \right)^{2/3}$$

Provided that the gradient of the side wall be 1:0.25,

tan $\alpha = 4$, $\alpha = 75.96^{\circ}$ cot $\alpha = 0.25$, cos $\alpha = 0.243$ $Q = \frac{1.1412}{n} I^{1/2}h^{8/3}$ $\frac{\alpha}{2} = 37.98^{\circ}$, sin $\alpha = 0.97$ tan $\frac{\alpha}{2} = 0.781$, cosec $\alpha = 1.03$

| n | Q | I | h |
|-------|---|--|--|
| 0.014 | 81.514786 1 ^{1/2} h ^{8/3} | $\left(\frac{0.0122680}{h^{8/3}}\right)^2$ | $\left(\frac{0.0122680}{1^{1/2}}\right)^{3/8}$ |
| 0.015 | 76.080467 I ^{1/2} h ^{8/3} | $\left(\frac{0.0131440}{h^{8/3}}\right)^2$ | $\left(\frac{0.0131440}{1^{1/2}}\right)^{3/8}$ |
| 0.016 | 71.325438 1 ^{1/2} h ^{8/3} | $\left(\frac{0.014020Q}{h^{8/3}}\right)^2$ | $\left(\frac{0.0140200}{1^{1/2}}\right)^{3/8}$ |
| 0.017 | 67.129824 I ^{1/2} h ^{8/3} | $\left(\frac{0.014897Q}{h^{8/3}}\right)^2$ | $\left(\frac{0.0148970}{1^{1/2}}\right)^{3/8}$ |

(ii) Trapezoid channel
 (One right angle side)

The most efficient section can be obtained from the following expressions:

$$A = h (b + \frac{h}{2} \cot \alpha)$$

$$\therefore b = \frac{A}{h} - \frac{h}{2} \cot \alpha$$

$$P = \frac{A}{h} - \frac{h}{2} \cot \alpha + h + h \csc \alpha$$

From $\frac{\partial P}{\partial h}$

$$b = h (1 + \tan \frac{\alpha}{2})$$

$$A = h (b + \frac{h}{2} \cot \alpha) = h^{2} \left[(1 + \tan \frac{\alpha}{2}) + \frac{\cot \alpha}{2} \right]$$

$$P = h \left[(1 + \tan \frac{\alpha}{2}) + 1 + \csc \alpha \right]$$

$$R = \frac{A}{P} = \frac{h\left[(1 + \tan\frac{\alpha}{2}) + \frac{\cot\alpha}{2}\right]}{(1 + \tan\frac{\alpha}{2}) + 1 + \csc\alpha}$$

$$Q = \frac{A}{n} \frac{R^{2}}{3} \frac{1}{2} = \frac{1}{n} \frac{1}{2} \frac{1}{2}$$

Provided that the gradient of the side wall shall be 1:0.25, the discharge "Q" shall be calculated as follows:

 $Q = \frac{1.200564}{n} I^{1/2} h^{8/3}$

The values of "Q", "I" and "h" against the coefficient "n" are respectively as follows:

| n | Q | I | h |
|-------|---|--|--|
| 0.014 | 85.754571 11/2 h8/3 | $\left(\frac{0.0116610}{h^{8/3}}\right)^2$ | $\left(\frac{0.0116610}{1^{1/2}}\right)^{3/8}$ |
| 0.015 | 80.037600 1 ^{1/2} h ^{8/3} | $\left(\frac{0.0124940}{h^{8/3}}\right)^2$ | $(\frac{0.0124940}{1^{1/2}})^{3/8}$ |
| 0.016 | 75.035250 I ^{1/2} h8/3 | $\left(\frac{0.013327Q}{h^{8/3}}\right)^2$ | $\left(\frac{0.0133270}{I^{1/2}}\right)^{3/8}$ |
| 0.017 | 70.621412 1 ^{1/2} h ^{8/3} | $\left(\frac{0.0141600}{h^{8/3}}\right)^2$ | $\left(\frac{0.0141600}{1^{1/2}}\right)^{3/8}$ |

(iii) Analysis of hydraulic characteristics of the open channels

$$V = \frac{Q}{A} = \frac{1}{n} R^{2/3} I^{1/2}$$

.

Provided that the stream velocity shall be V = 1 m/sec. in either case of channels of trapezoid section or of such trapezoid section of which one side has a right angle.

$$R^{2/3} = (0.5)^{2/3} h^{2/3} = 0.629961 h^{2/3}$$

:
$$h^{2/3} = \frac{n}{0.629961} \sqrt{\frac{1}{1}}$$

n = 0.014

| Trapezoid Section with one right angled side | Trapezoid Section | |
|--|--|--|
| b = 1.781 h = 0.005901 $\left(\frac{1}{I}\right)^{3/4}$ | b = 1.562 h = 0.005175 $(\frac{1}{I})^{3/4}$ | |
| $(\frac{1}{1}) = (\frac{b}{0.005901})^{4/3}$ | $\left(\frac{1}{1}\right) = \left(\frac{6}{0.005175}\right)^{4/3}$ | |
| $h = \frac{b}{1.781}$ | $h = \frac{b}{1.562}$ | |

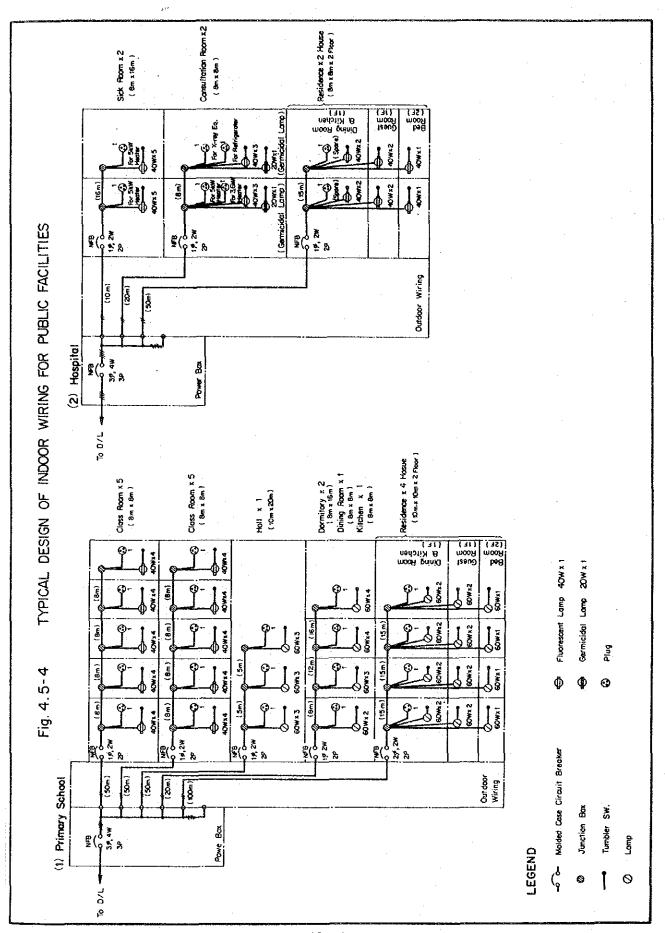
n = 0.017

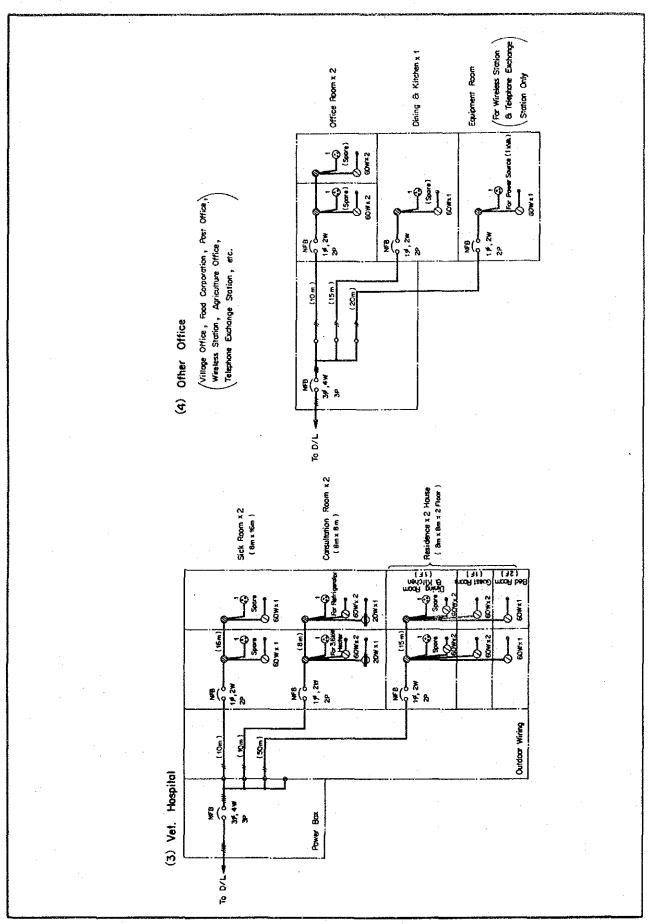
| | • |
|---|---|
| Trapezoid Section with one right angled side | Trapezoid Section |
| b = 1.781 h = 0.007895 $(\frac{1}{1})^{3/4}$ | b = 1.562 h = 0.006925 $(\frac{1}{I})^{3/4}$ |
| $(\frac{1}{1}) = (\frac{b}{0.007895})^{4/3}$ | $(\frac{1}{1}) = (\frac{6}{0.006925})^{4/3}$ |
| $h = \frac{b}{1.781}$ | $h = \frac{b}{1.562}$ |

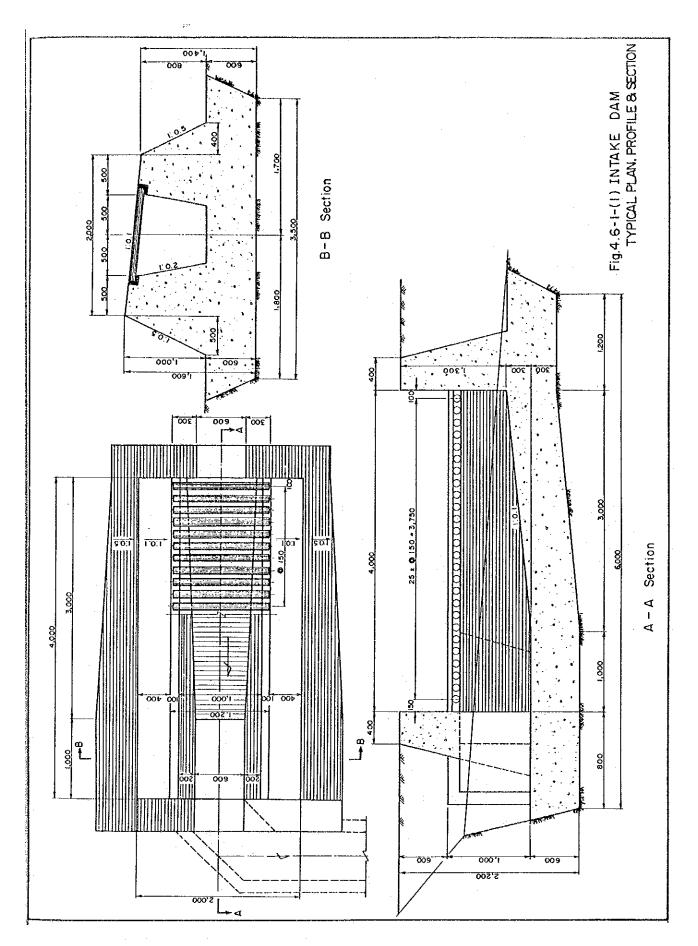
ANNEX-12

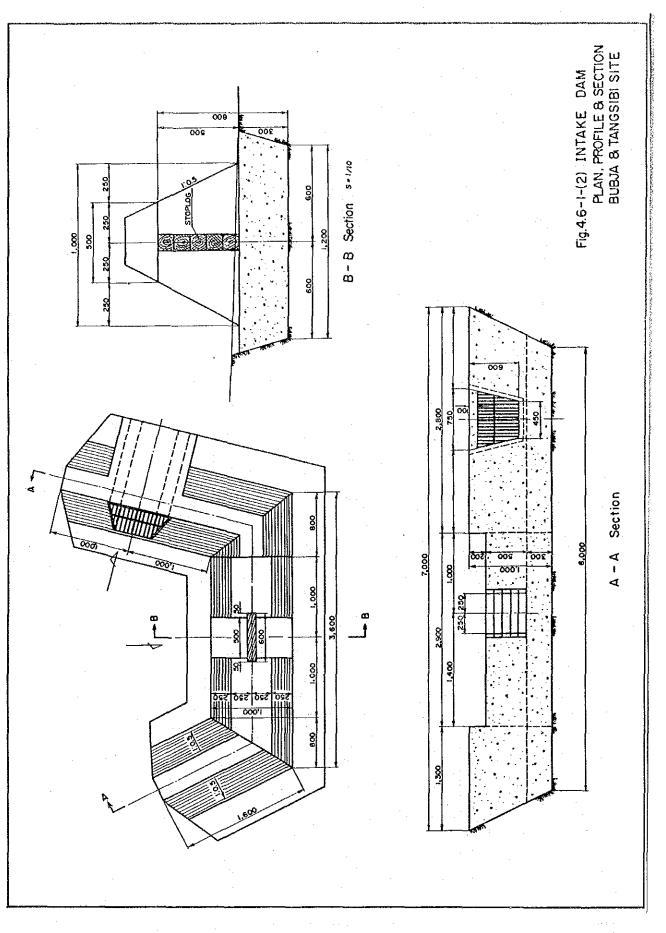
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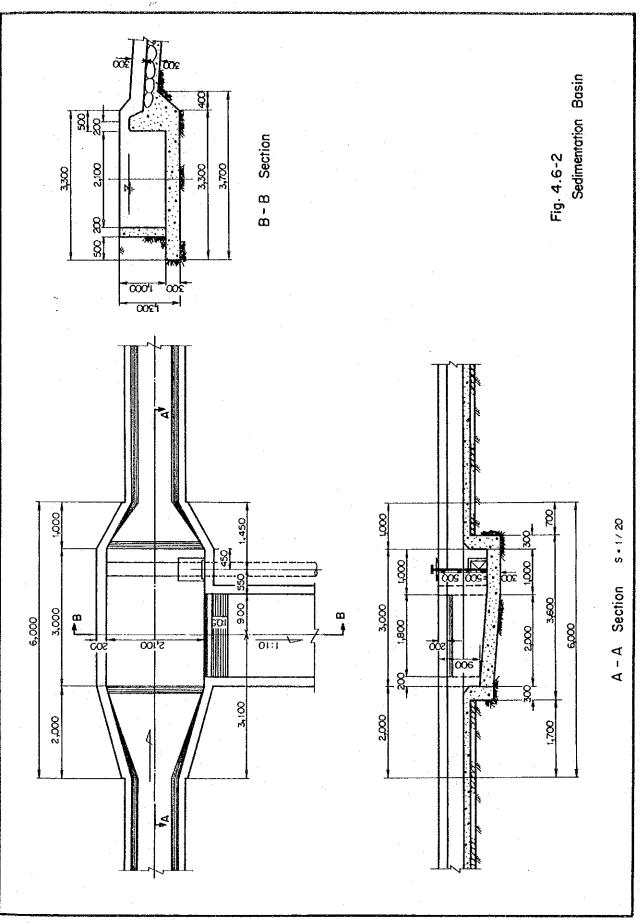
BASIC DESIGN DRAWINGS

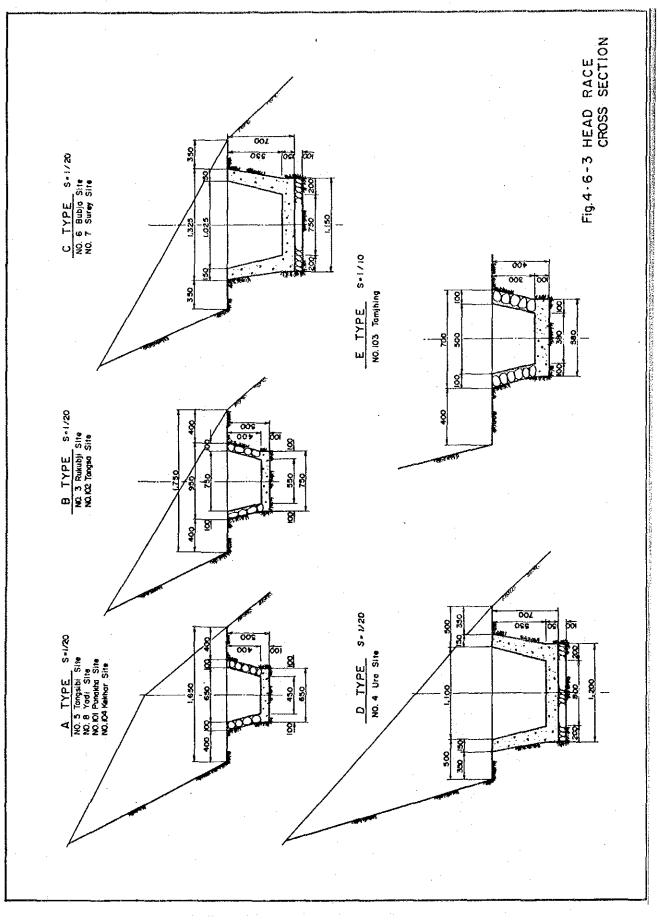


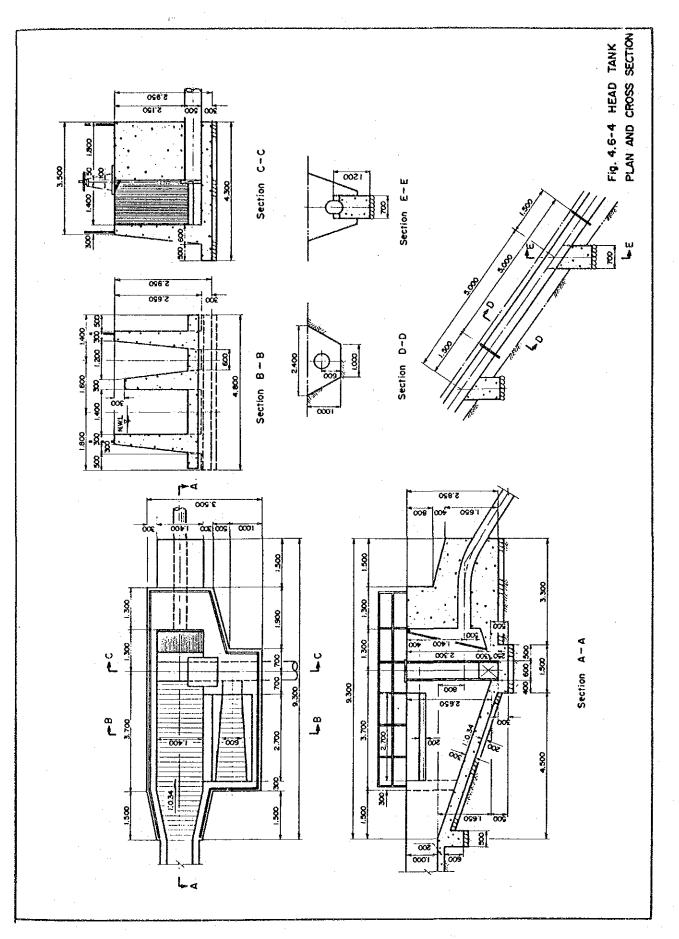


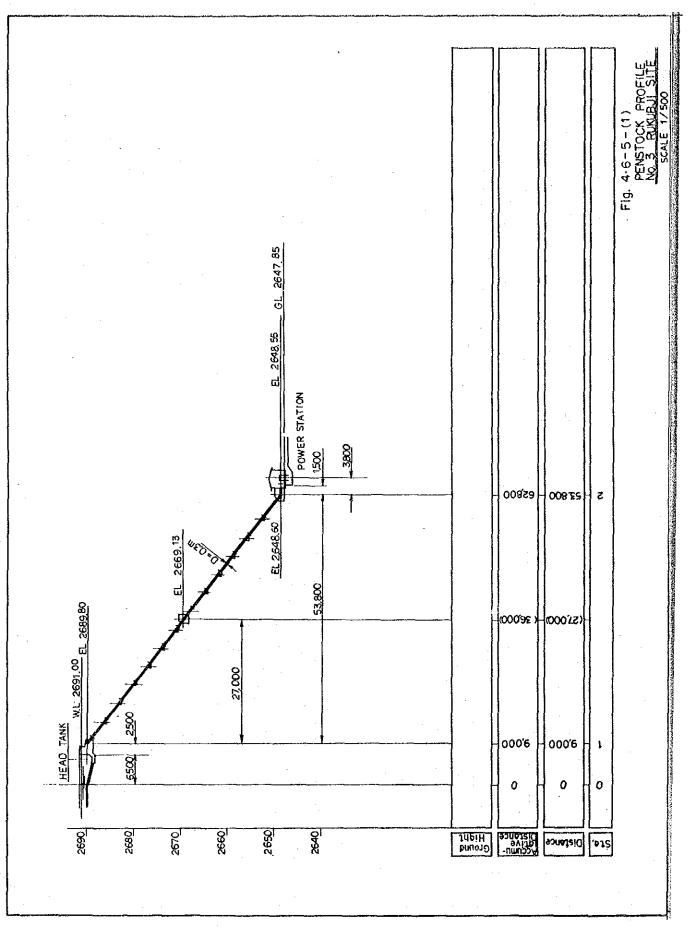


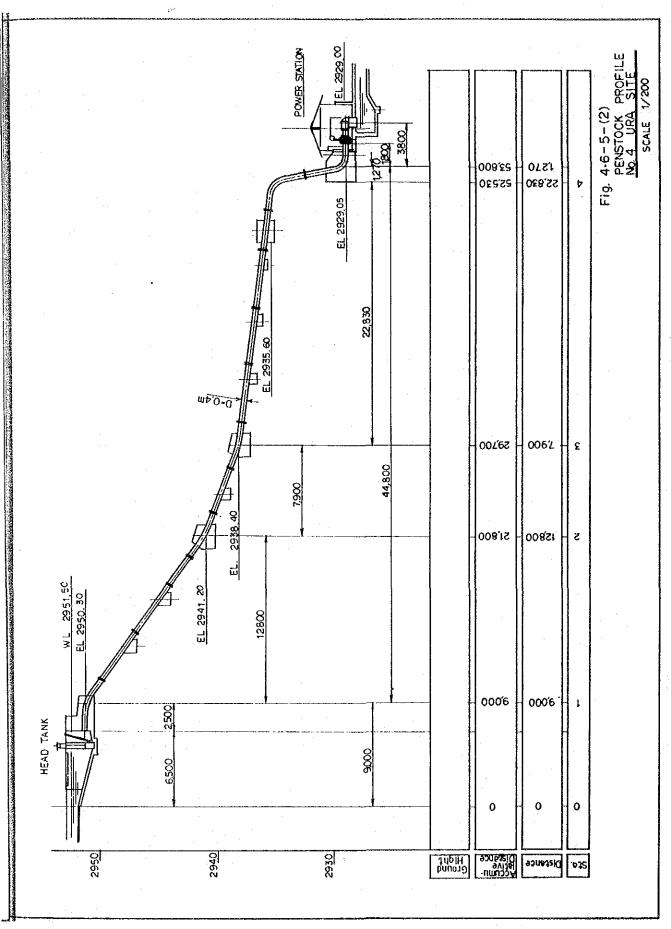


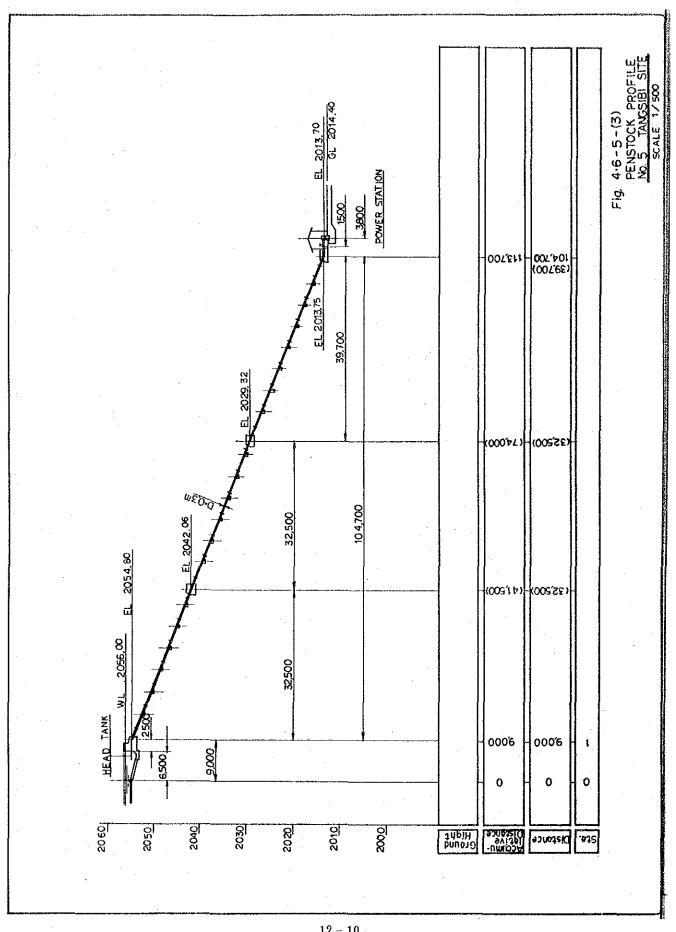


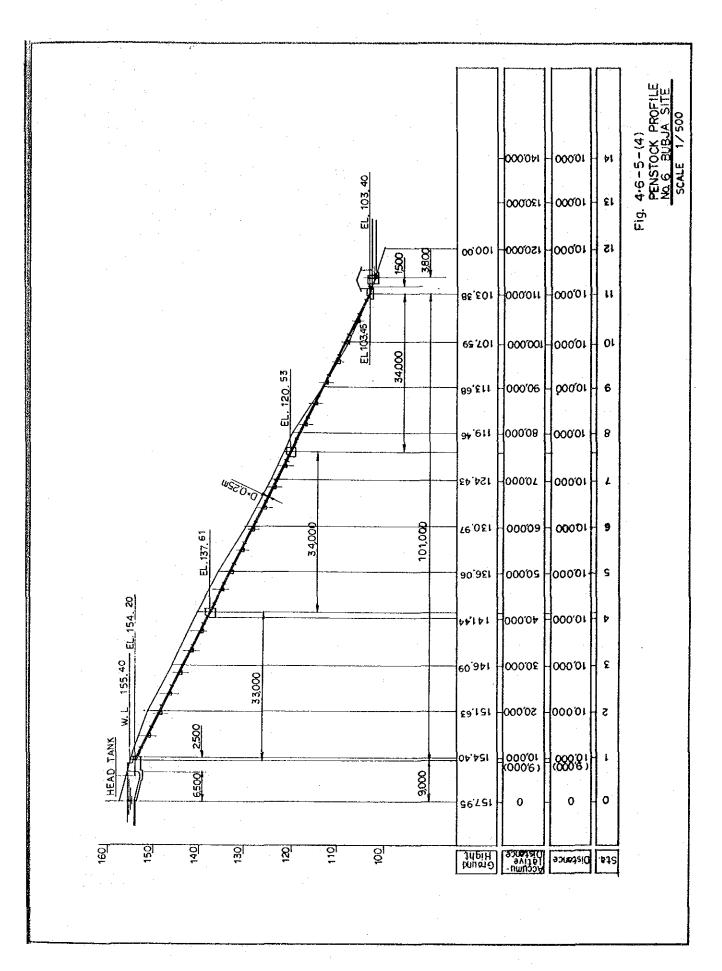


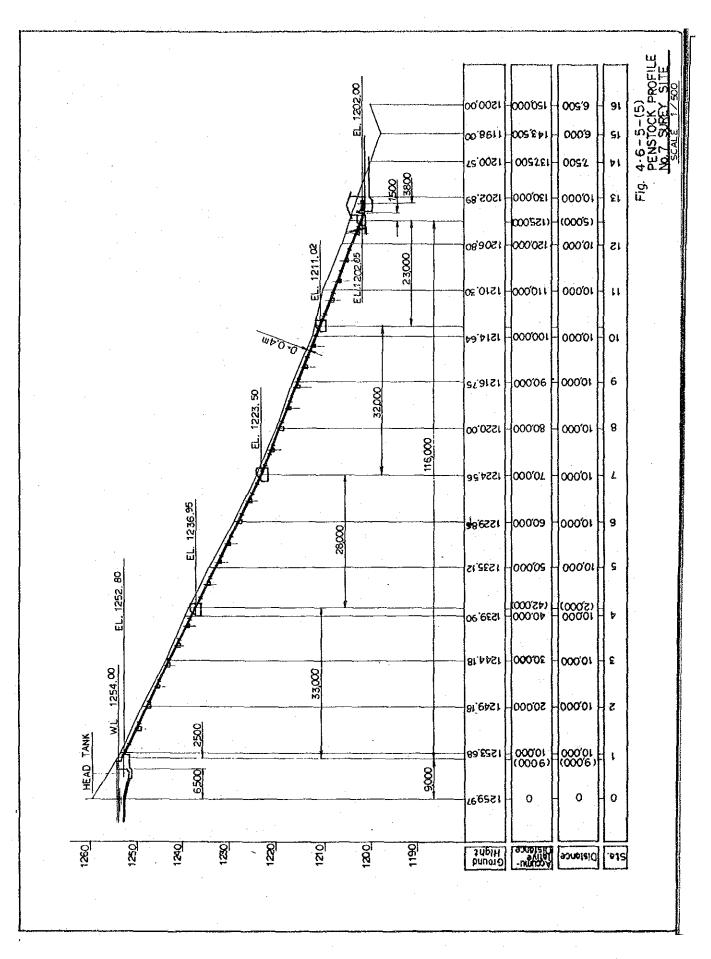


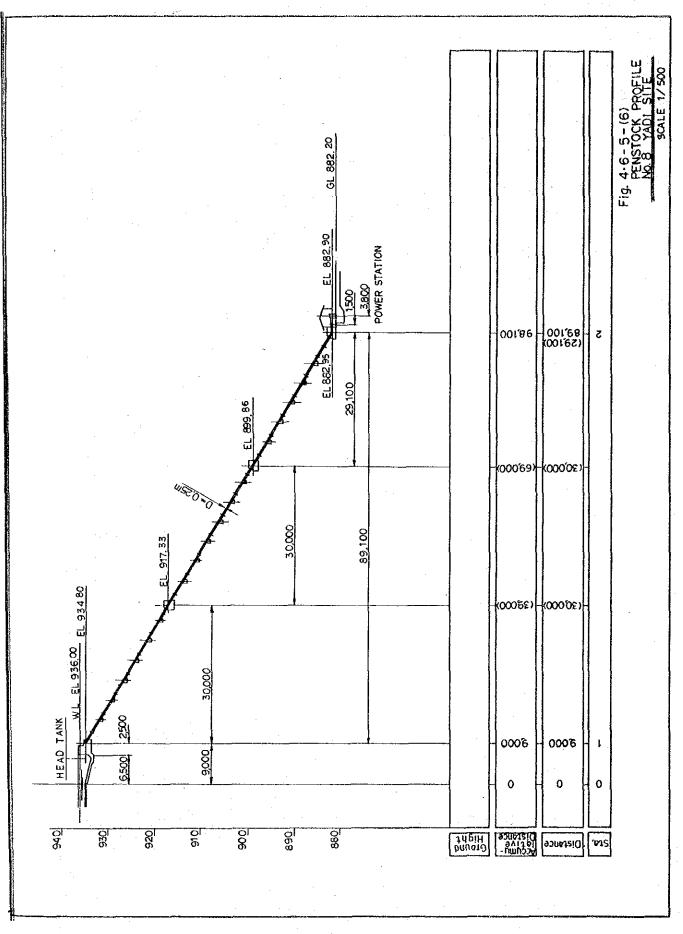


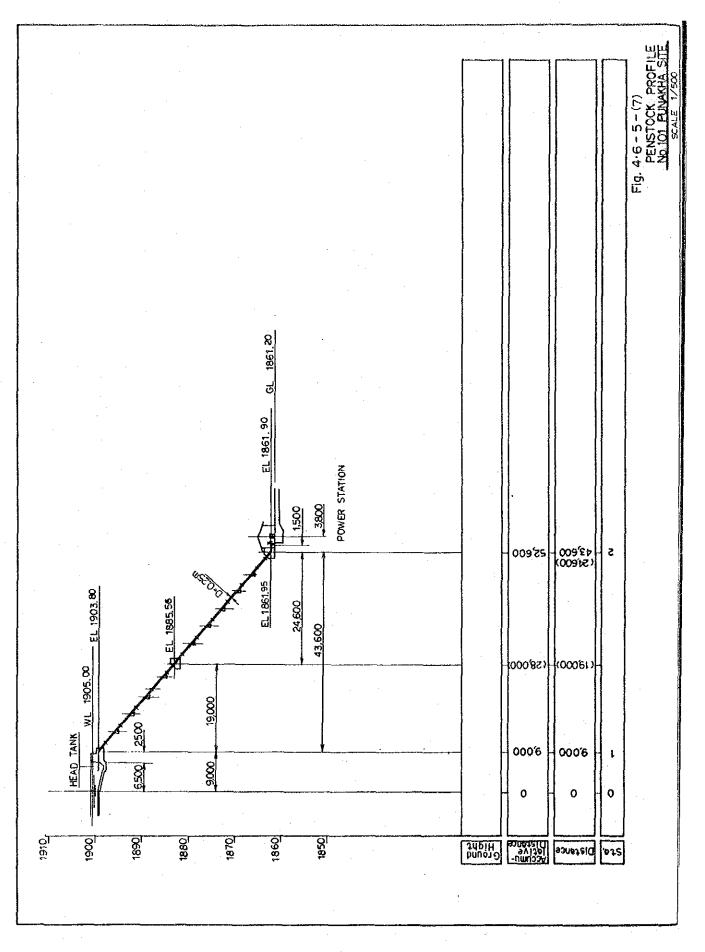


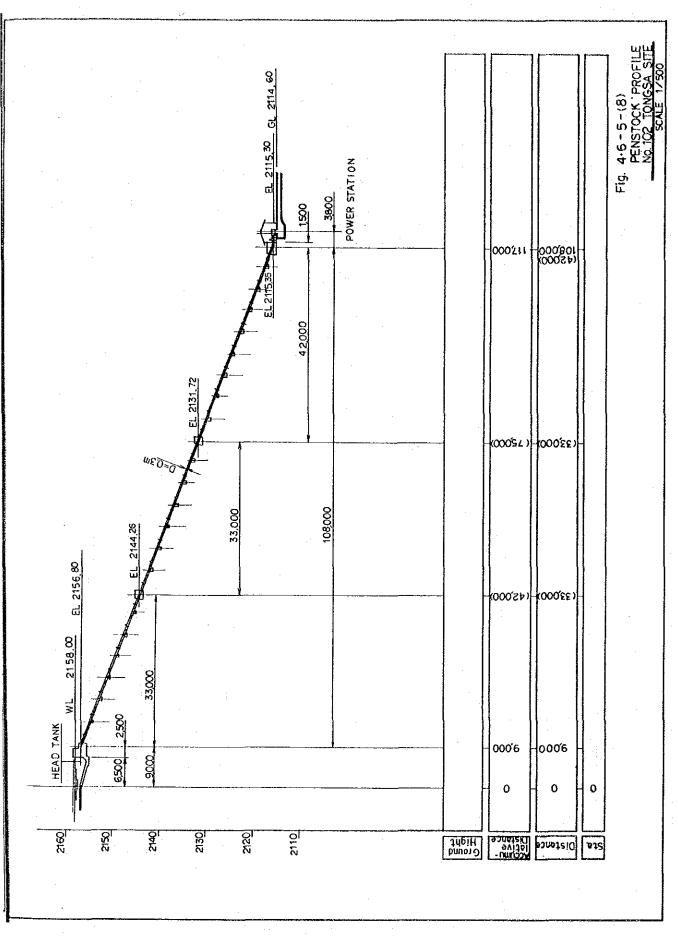


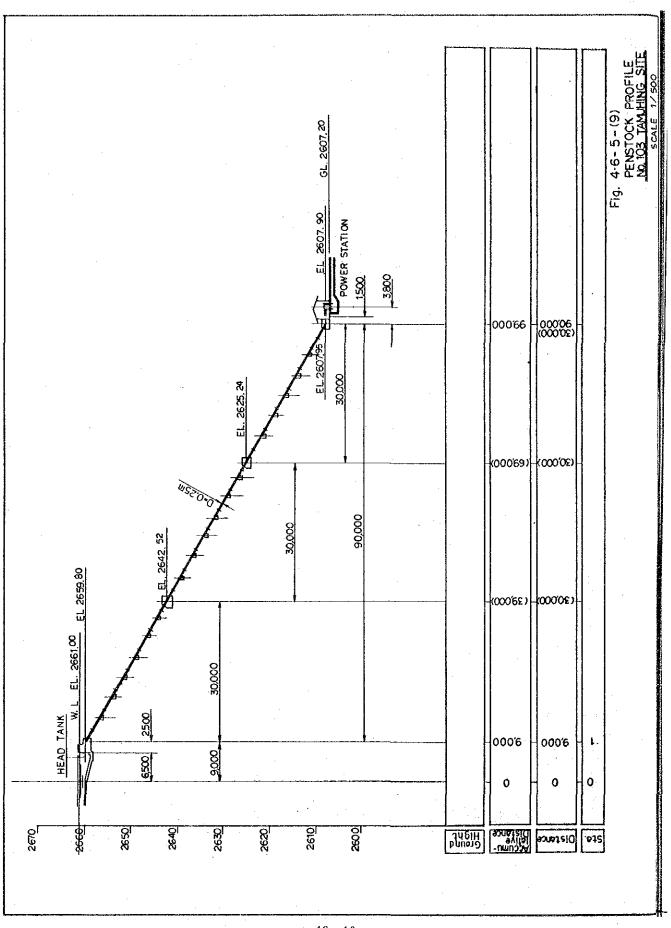


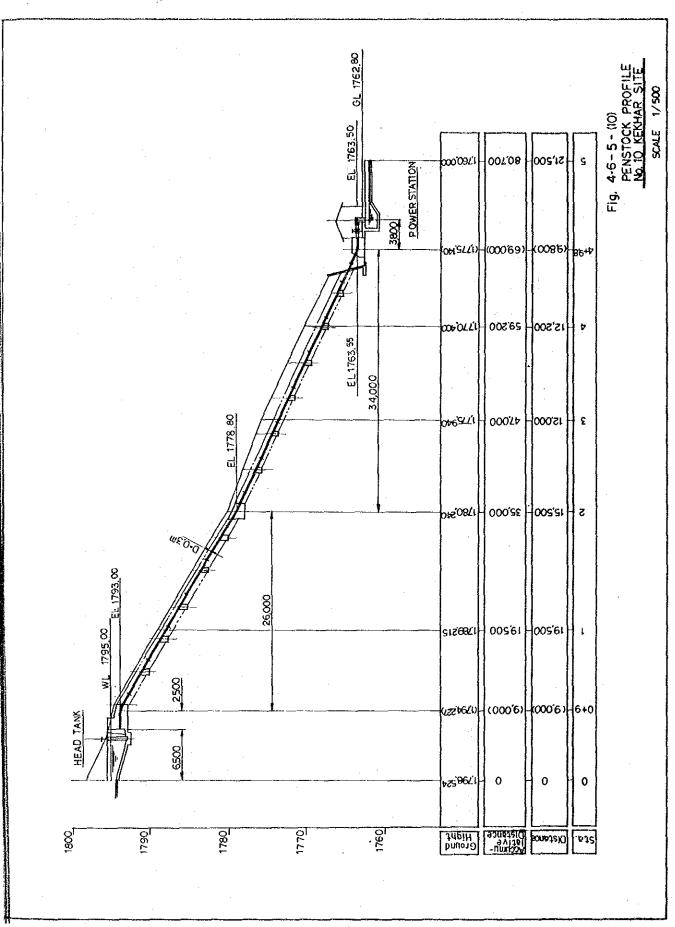


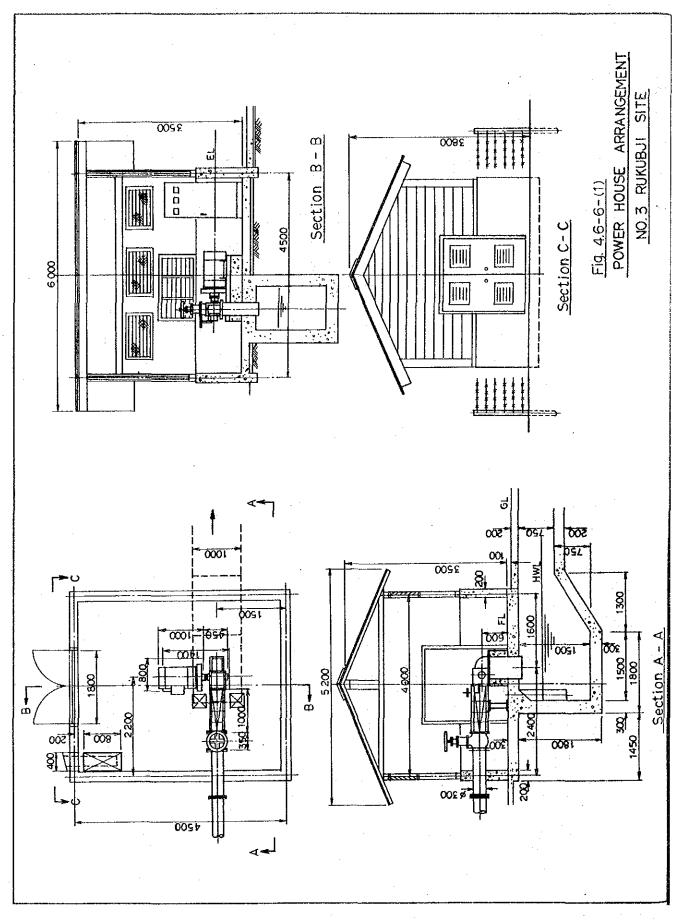


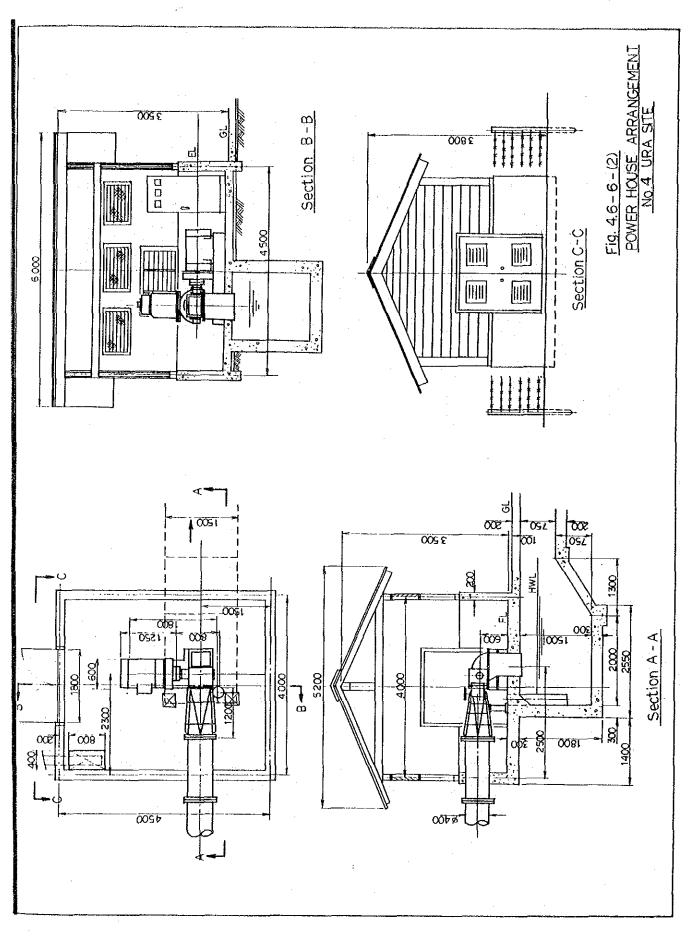


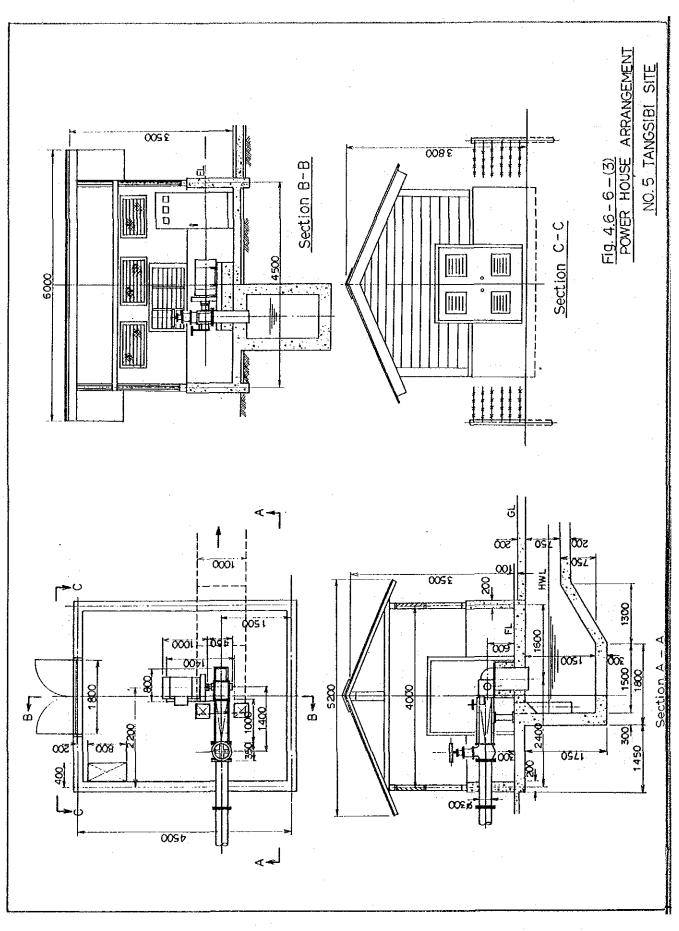


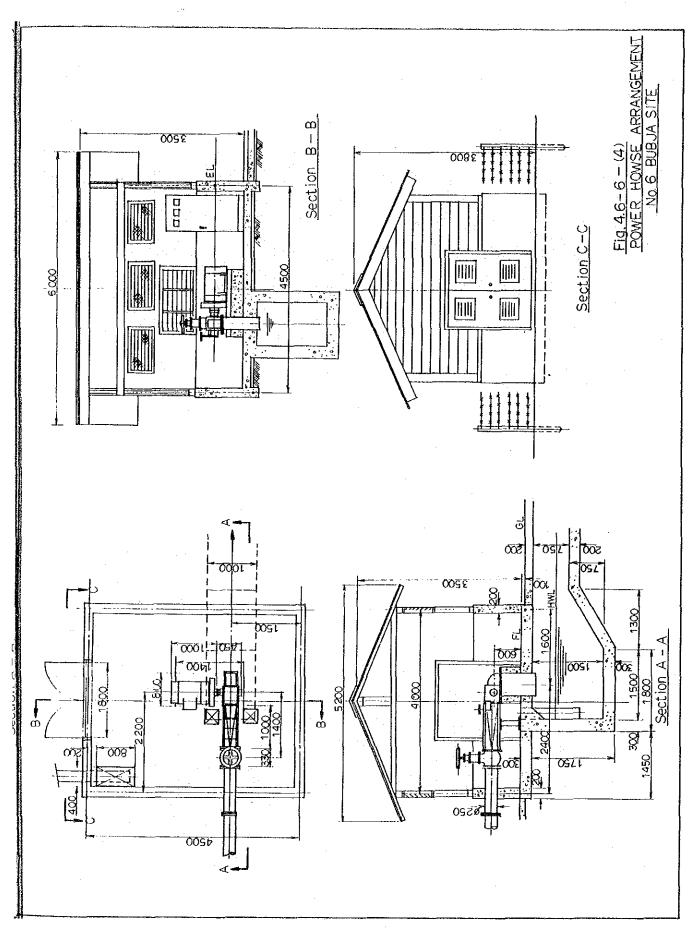












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